

Detection of axion dark matter



Erika Garutti
Uni. HH

on behalf of the
MADMAX
collaboration

Towards the

Detection of axion dark matter



Erika Garutti
Uni. HH

on behalf of the
MADMAX
collaboration

Strong CP problem



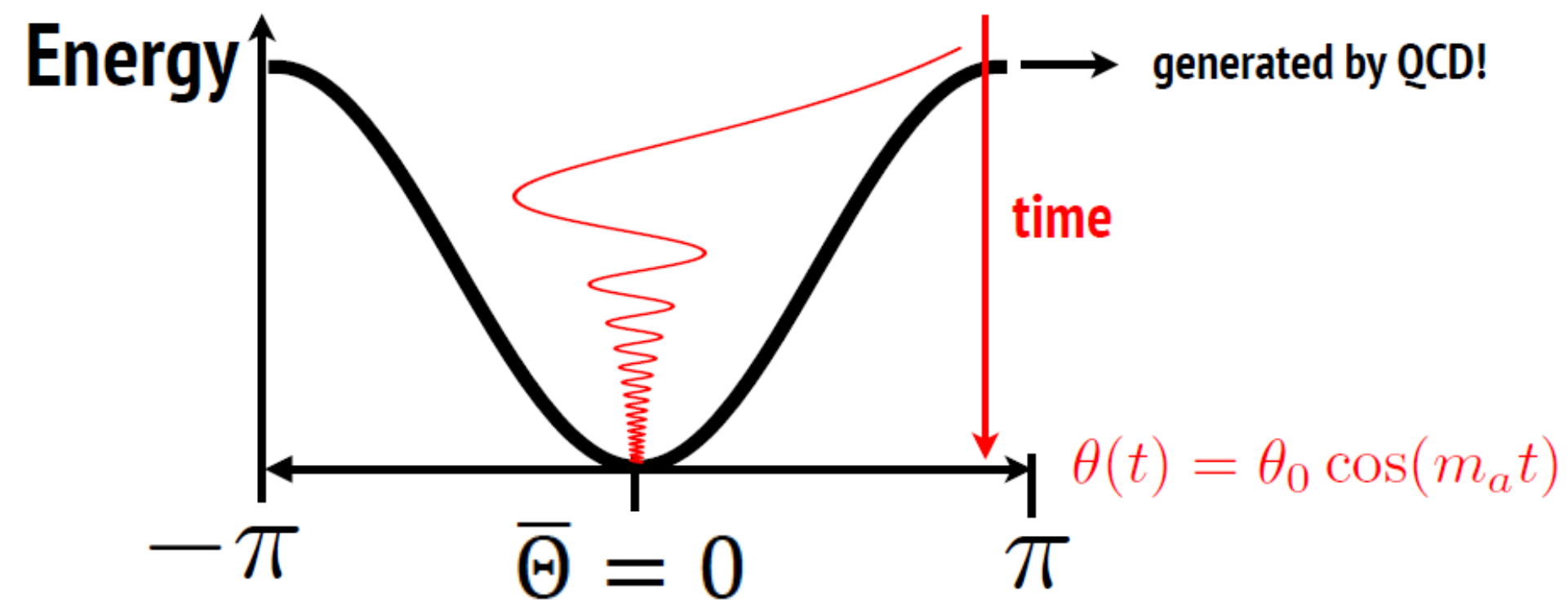
Strong force invariant under CP

$$\mathcal{L}_{\text{QCD}} = \sum_q \bar{\psi}_q (iD - m_q) \psi_q - \frac{1}{4} G_{\mu\nu a} G_a^{\mu\nu} - \bar{\Theta} \frac{\alpha_s}{8\pi} G_{\mu\nu a} \tilde{G}_a^{\mu\nu} \rightarrow \text{violates T reversal AND Parity}$$

$\rightarrow$ CP violating term induces **electric dipole moment** of neutron (EDM):

$$\mathbf{d} \sim \bar{\Theta} \cdot 10^{-16} \text{ e cm}$$

Peccei-Quinn symmetry breaking @ $T \sim f_a$ (very early universe, $f_a > 10^9$ GeV)



Strong CP problem



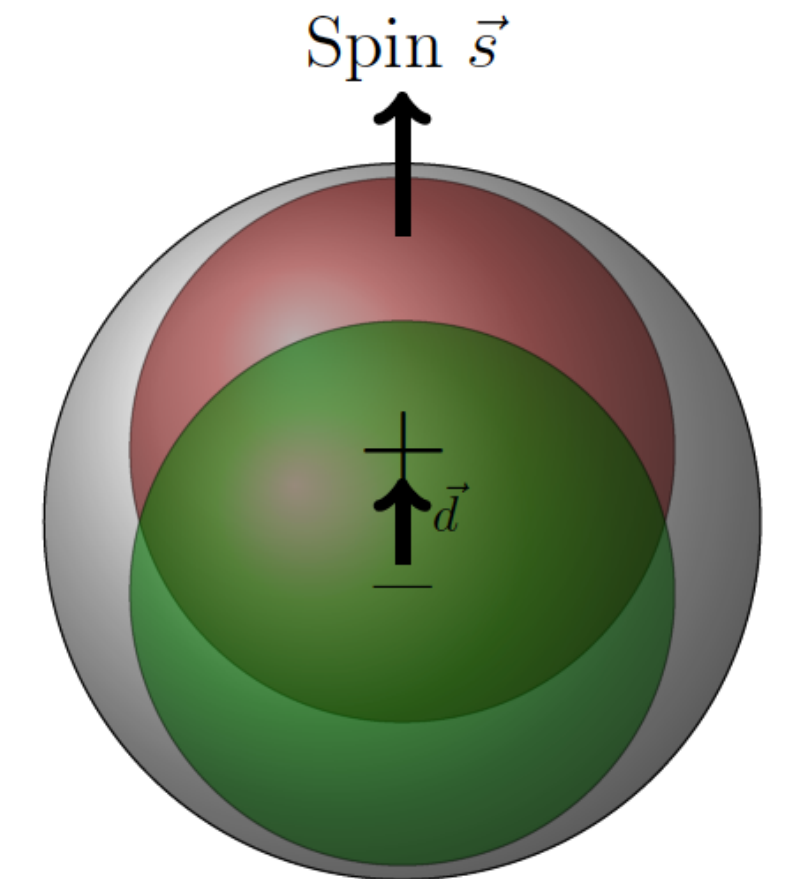
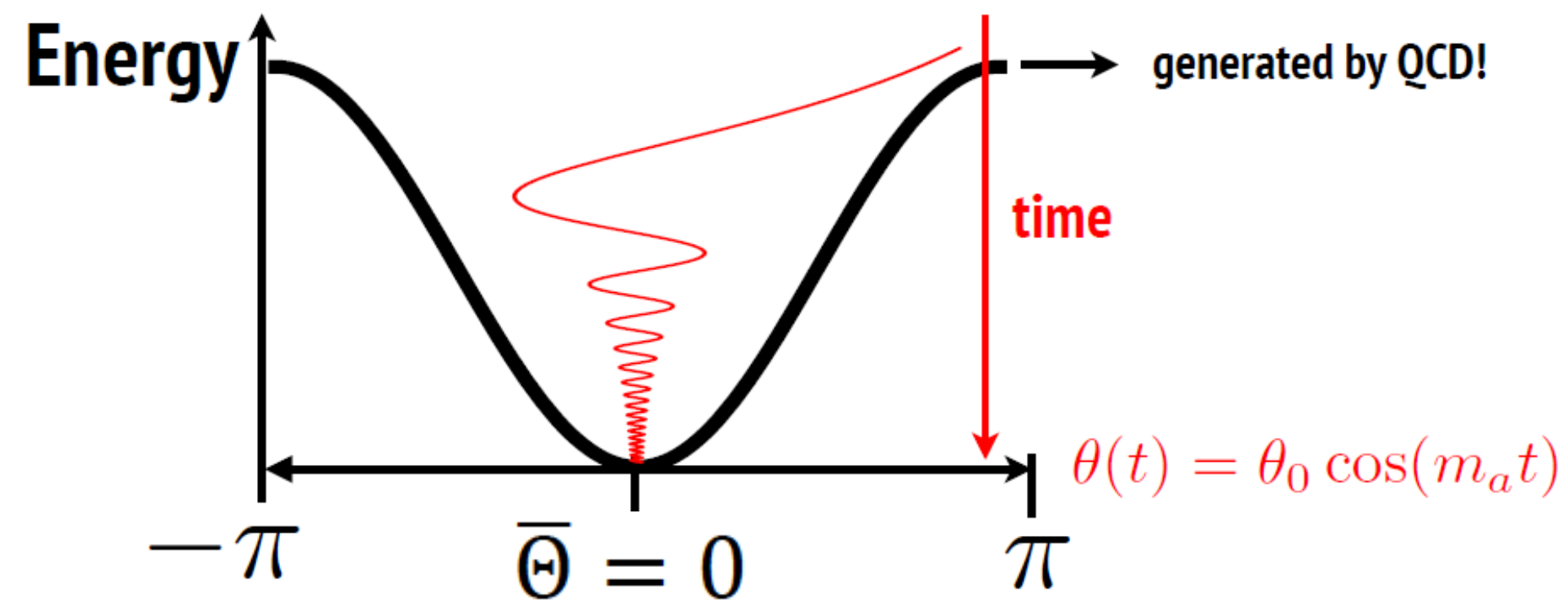
Strong force invariant under CP

$$\mathcal{L}_{\text{QCD}} = \sum_q \bar{\psi}_q (iD - m_q) \psi_q - \frac{1}{4} G_{\mu\nu a} G_a^{\mu\nu} - \bar{\Theta} \frac{\alpha_s}{8\pi} G_{\mu\nu a} \tilde{G}_a^{\mu\nu} \rightarrow \text{violates T reversal AND Parity}$$

$\rightarrow$ CP violating term induces **electric dipole moment** of neutron (EDM):

$$\mathbf{d} \sim \bar{\Theta} \cdot 10^{-16} \text{ e cm}$$

Peccei-Quinn symmetry breaking @ $T \sim f_a$ (very early universe, $f_a > 10^9 \text{ GeV}$)



EDM:

- permanent separation of positive and negative charge
- fundamental property of particles (like magnetic moment, mass, charge)
- existence of EDM only possible via violation of time reversal $T = CP$ symmetry
- has nothing to do with electric dipole moments observed in some molecules (e.g. water molecule)
- close connection to “matter-antimatter” asymmetry
- axion/ALP field leads to oscillating EDM

Strong CP problem



Strong force invariant under CP

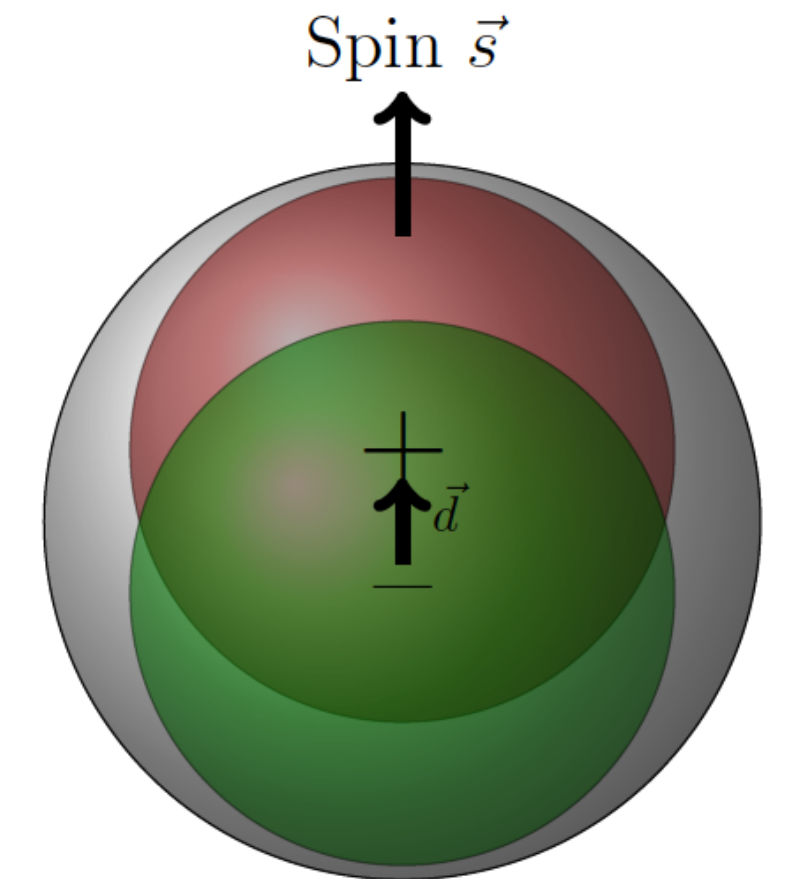
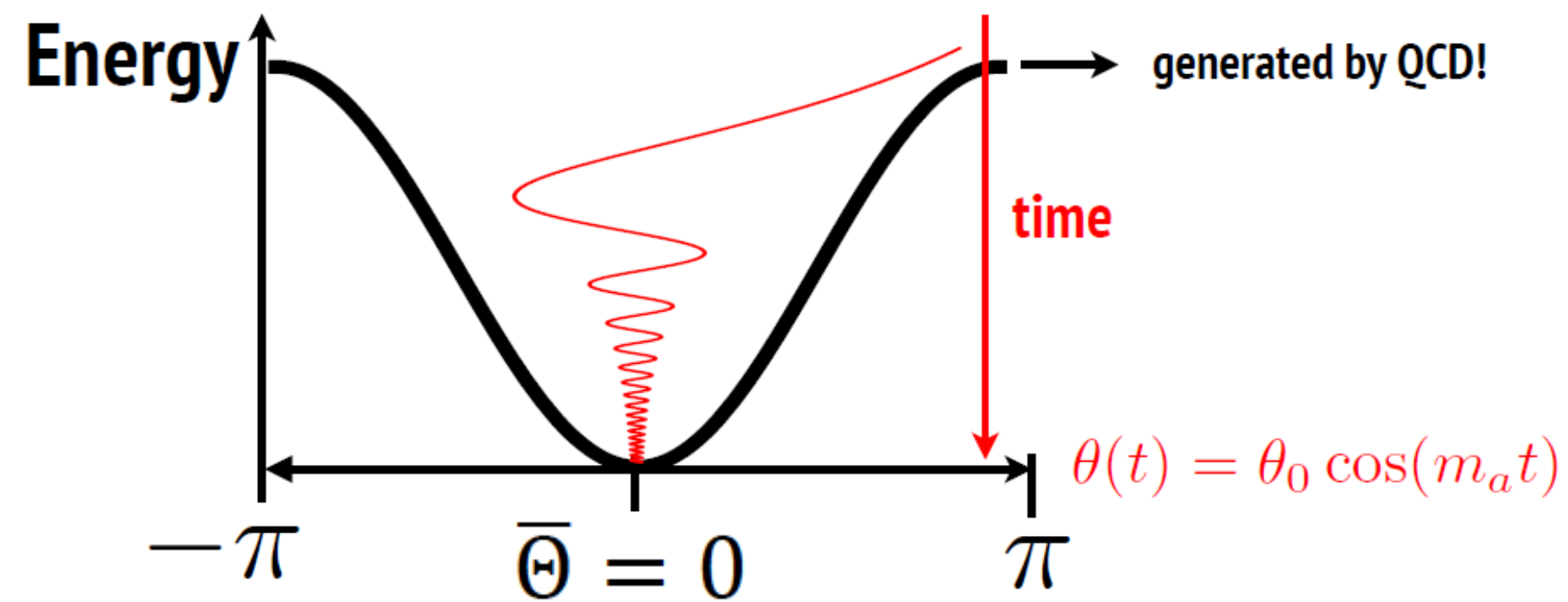
$$\mathcal{L}_{\text{QCD}} = \sum_q \bar{\psi}_q (iD - m_q) \psi_q - \frac{1}{4} G_{\mu\nu a} G_a^{\mu\nu} - \bar{\Theta} \frac{\alpha_s}{8\pi} G_{\mu\nu a} \tilde{G}_a^{\mu\nu} \rightarrow \text{violates T reversal AND Parity}$$

$\rightarrow$ CP violating term induces **electric dipole moment** of neutron (EDM):

$$\mathbf{d} \sim \bar{\Theta} \cdot 10^{-16} \text{ e cm}$$

But experimentally: $\mathbf{d} < 10^{-26} \text{ e cm} \rightarrow \bar{\Theta} < 10^{-10}$ WHY SO SMALL !?!

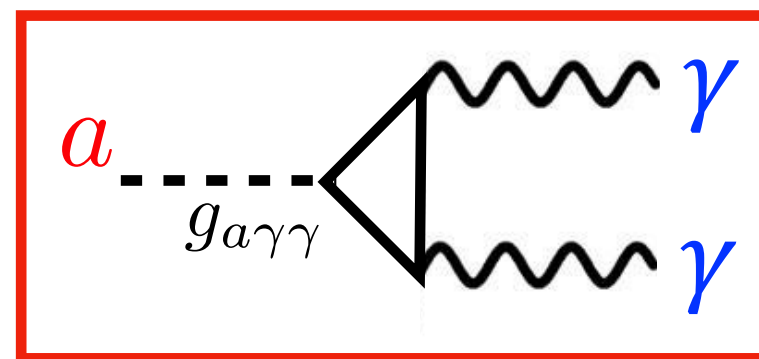
Peccei-Quinn symmetry breaking @ $T \sim f_a$ (very early universe, $f_a > 10^9 \text{ GeV}$)



EDM:

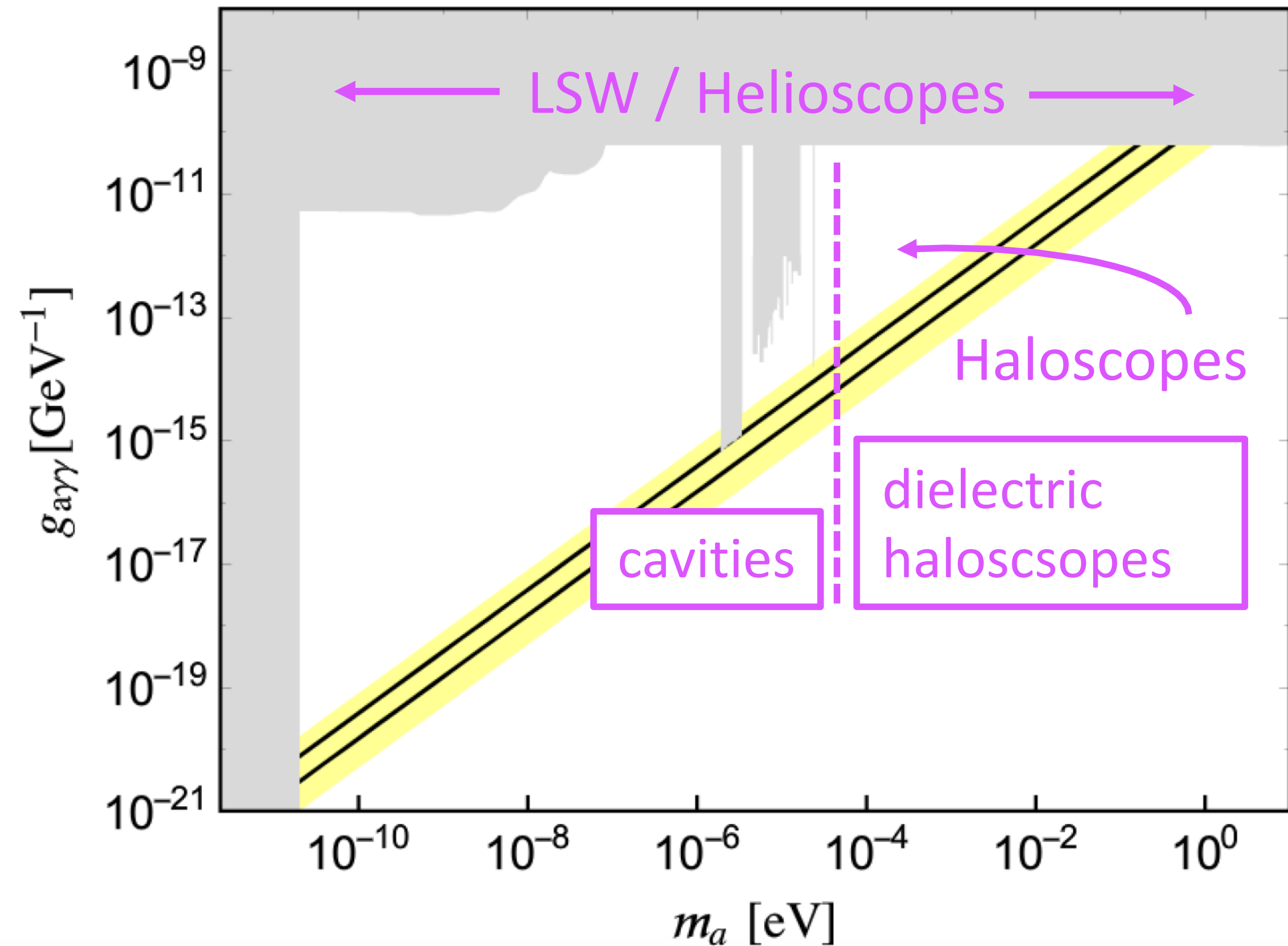
- permanent separation of positive and negative charge
- fundamental property of particles (like magnetic moment, mass, charge)
- existence of EDM only possible via violation of time reversal $T = CP$ symmetry
- has nothing to do with electric dipole moments observed in some molecules (e.g. water molecule)
- close connection to “matter-antimatter” asymmetry
- axion/ALP field leads to oscillating EDM

- Axion: arises from Strong CP problem via Peccei-Quinn mechanism
- Pseudo Nambu-Goldstone boson
- Axion can couple to two photons:



“Sikivie process”

- Axion model: $m_a \propto g_{a\gamma\gamma}$ (axion-photon coupling)
- Axion can explain (part of) Cold Dark Matter



- In an external **B-field** the **axion** sources an oscillating **E-field**

$$a \text{ --- } \gamma \quad E_a = -\frac{g_{a\gamma\gamma} B_e}{\epsilon} a$$

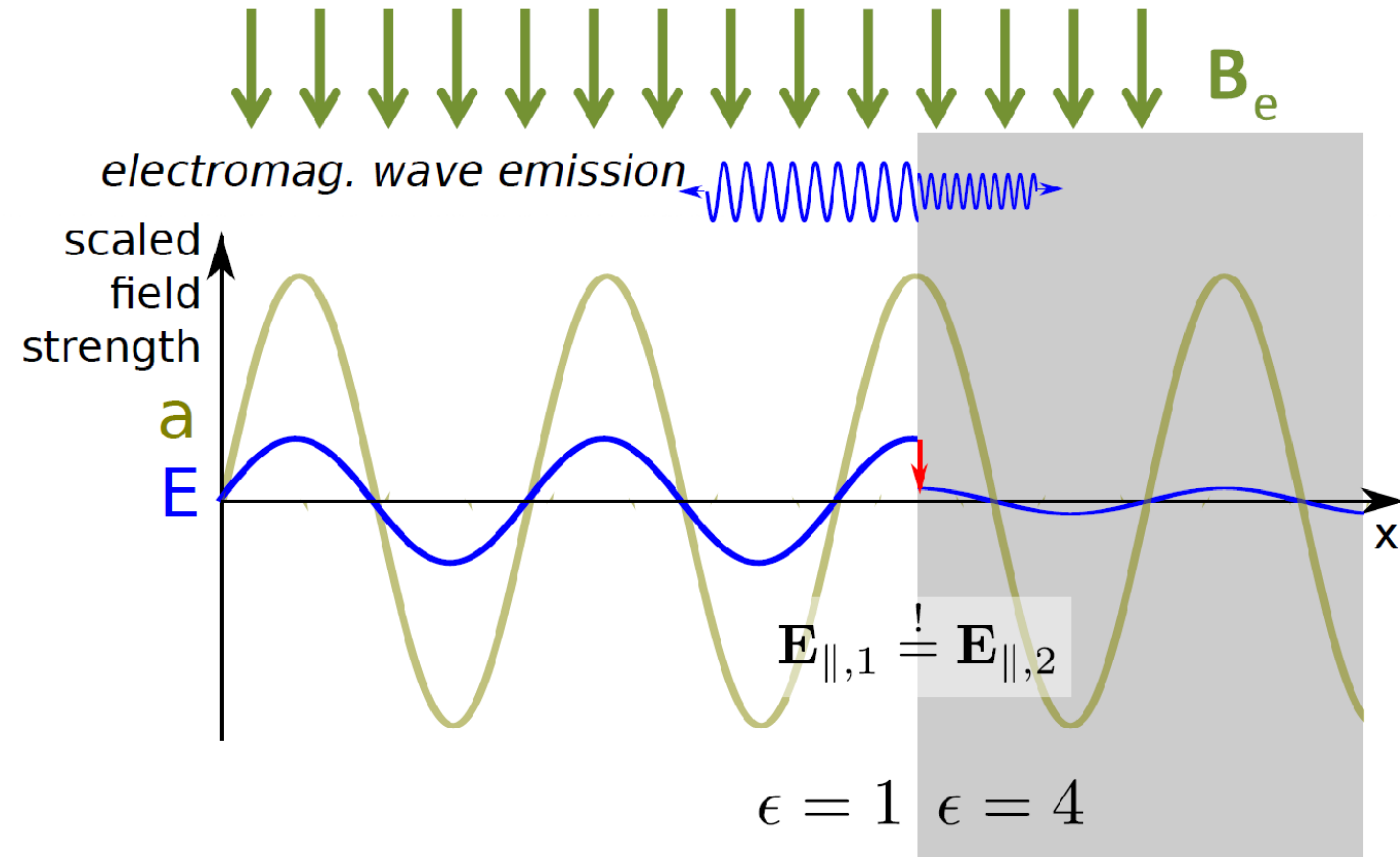
- At surfaces with transition of $\epsilon_1 \neq \epsilon_2$:
E-field must be continuous
→ **Emission of photons**

Photon power :

$$\frac{P}{A} = 2 \cdot 10^{-27} \frac{\text{W}}{\text{m}^2} C_{a\gamma\gamma}^2 \left(\frac{B}{10\text{T}} \right)^2$$

$$C_{a\gamma\gamma}^2 \propto g_{a\gamma\gamma}^2$$

$$O(C_{a\gamma\gamma}^2) = 1$$



Based on the original idea of:

D. Horns, J. Jaeckel, A. Lindner, A. Lobanov, J. Redondo and A. Ringwald
JCAP 1304 (2013) 016 [arXiv:1212.2970].

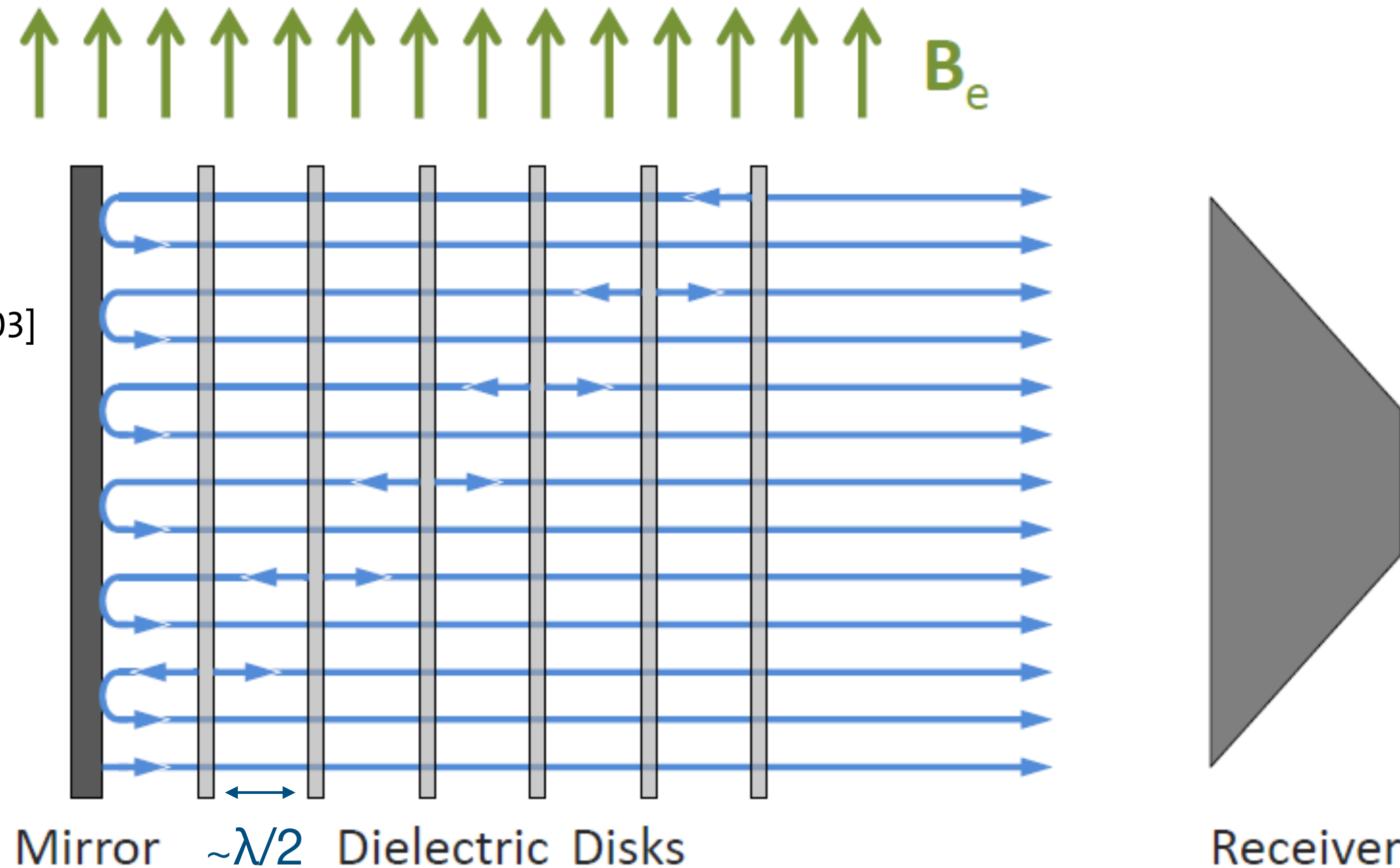
- Boost the power by coherent interference of photons generated on N discs plus resonance between discs

Jaeckel and J. Redondo, Phys. Rev. D 88, 115002, (2013) [arXiv:1308.1103]

Photon power :

$$\frac{P}{A} = 2 \cdot 10^{-27} \frac{\text{W}}{\text{m}^2} C_{a\gamma\gamma}^2 \left(\frac{B}{10\text{T}} \right)^2 |\beta|^2$$

$$\beta^2 = \frac{P_{\text{Diel.Halosc.}}}{P_{\text{Mirror}}}$$



- Boost the power by coherent interference of photons generated on N discs plus resonance between discs

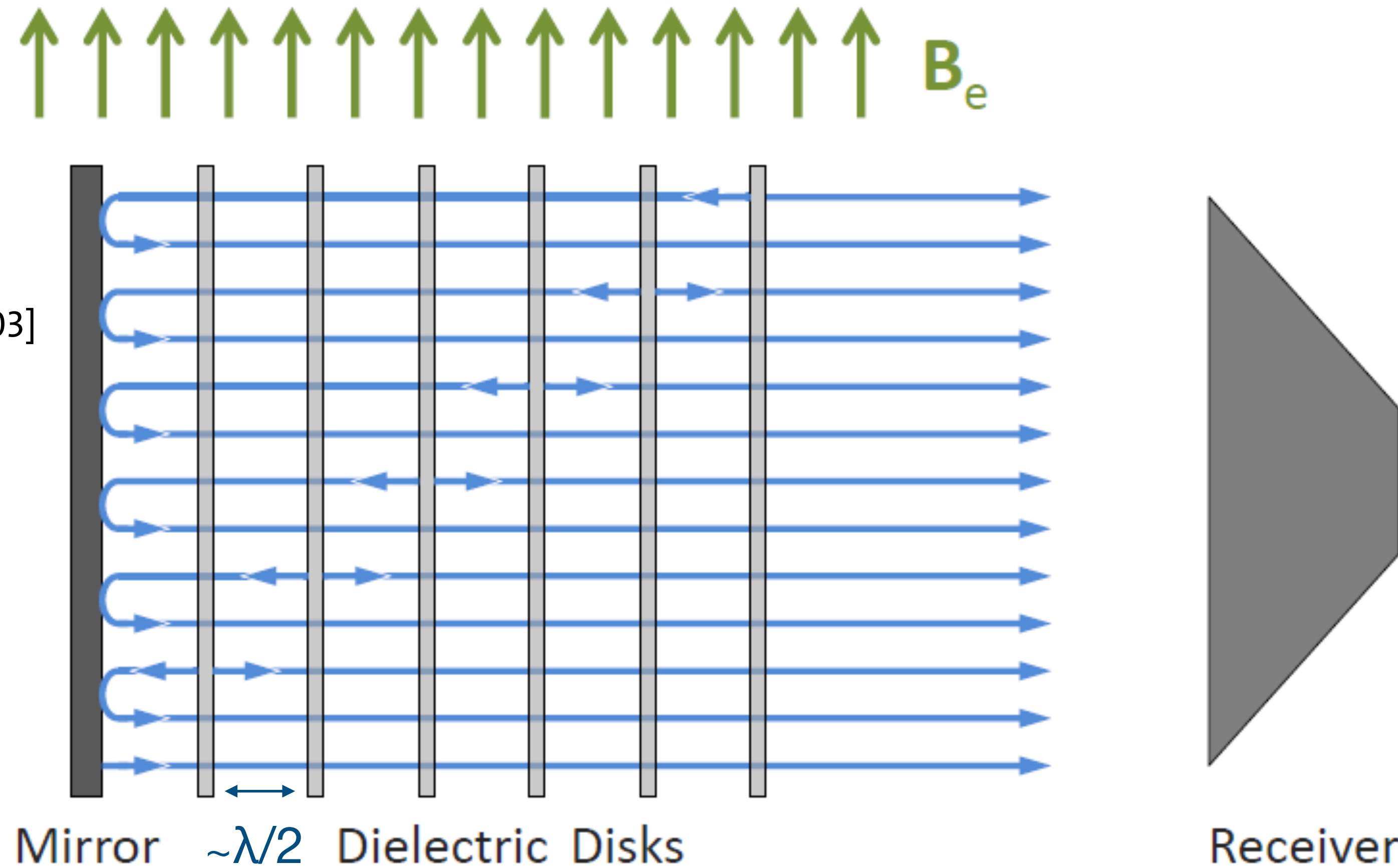
Jaeckel and J. Redondo, Phys. Rev. D 88, 115002, (2013) [arXiv:1308.1103]

Photon power :

$$\frac{P}{A} = 2 \cdot 10^{-27} \frac{\text{W}}{\text{m}^2} C_{a\gamma\gamma}^2 \left(\frac{B}{10\text{T}} \right)^2 |\beta|^2$$

$$\text{FoM} = B^2 \text{ m}^2 = 100 \text{ T}^2 \text{ m}^2$$

$$\beta^2 = \frac{P_{\text{Diel.Halosc.}}}{P_{\text{Mirror}}}$$



- $|\beta|^2 > 10^4$ achievable with 80 discs of LaAlO_3 ($\epsilon = 24$)

“Quasi-broadband” achieved by:

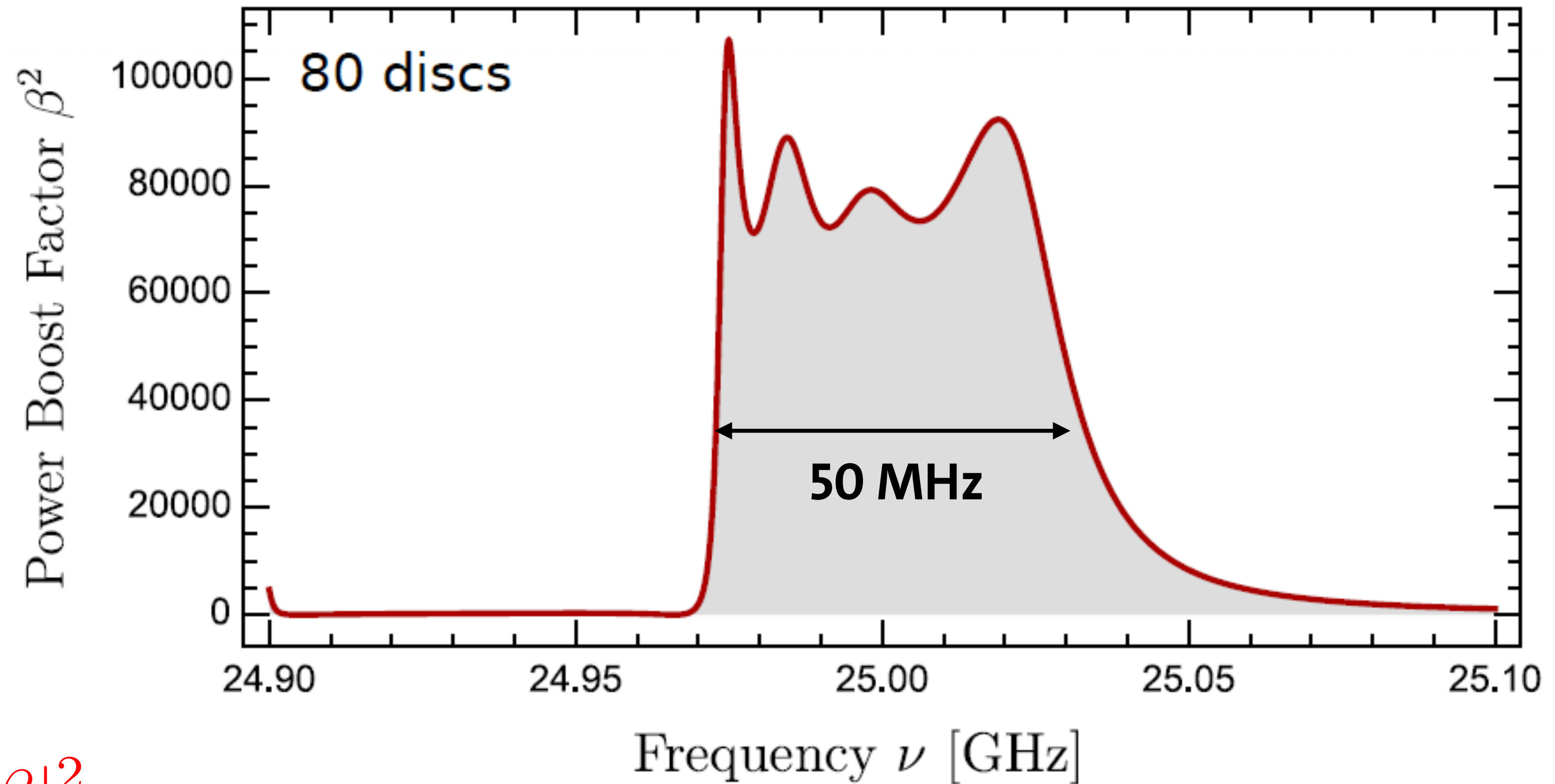
- positioning the discs with relative spacing of $\sim \lambda/2$ according to simulation prediction
- with precision better than $10 \mu\text{m}$

Photon power :

$$\frac{P}{A} = 2 \cdot 10^{-27} \frac{\text{W}}{\text{m}^2} C_{a\gamma\gamma}^2 \left(\frac{B}{10\text{T}} \right)^2 |\beta|^2$$

$$\text{FoM} = B^2 \text{m}^2 = 100 \text{T}^2 \text{m}^2$$

$$\beta^2 = \frac{P_{\text{Diel.Halosc.}}}{P_{\text{Mirror}}}$$

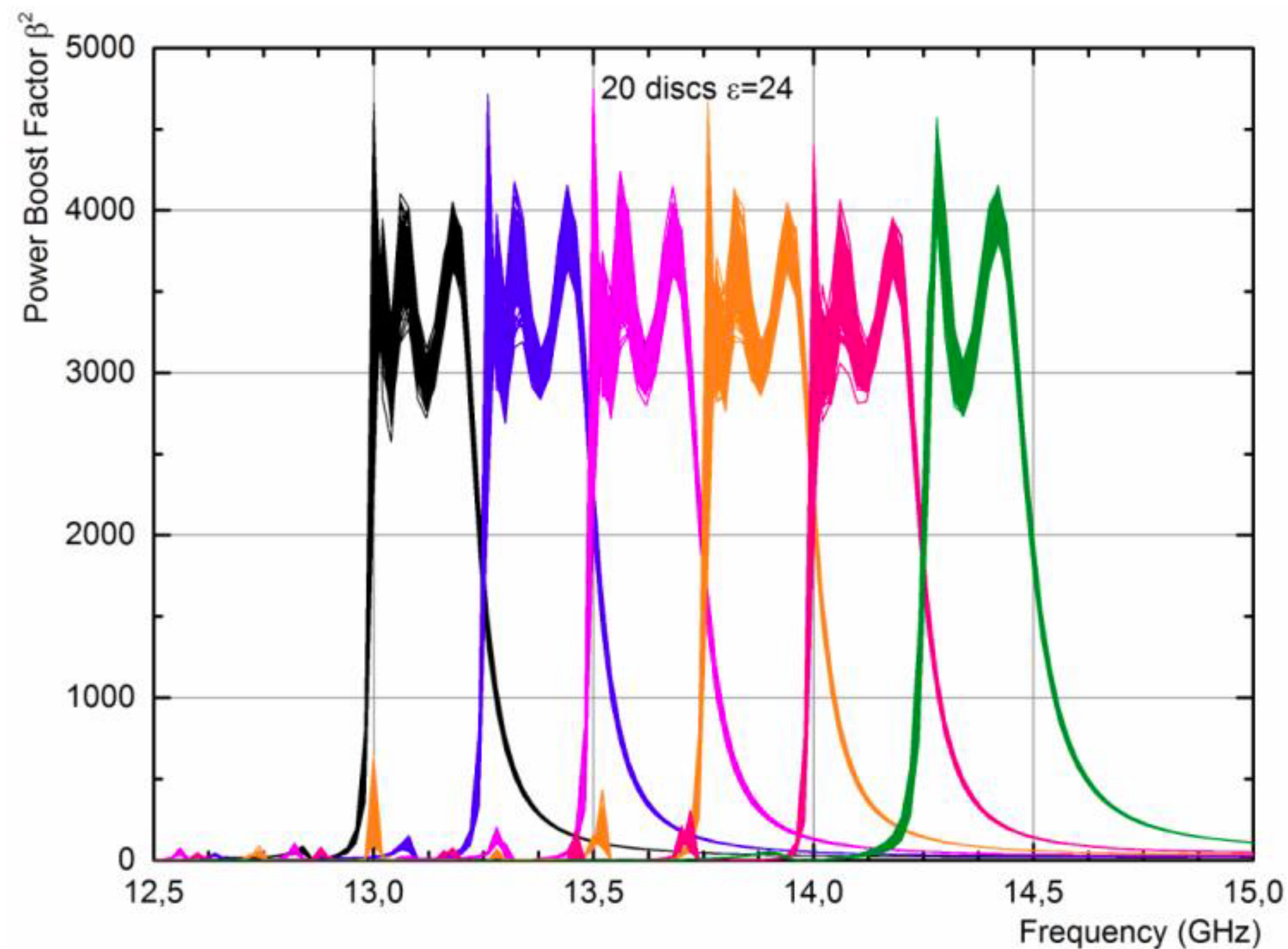


White paper: MADMAX Collaboration,
Eur. Phys. J. C 79, 186 (2019), [arXiv:1901.07401]

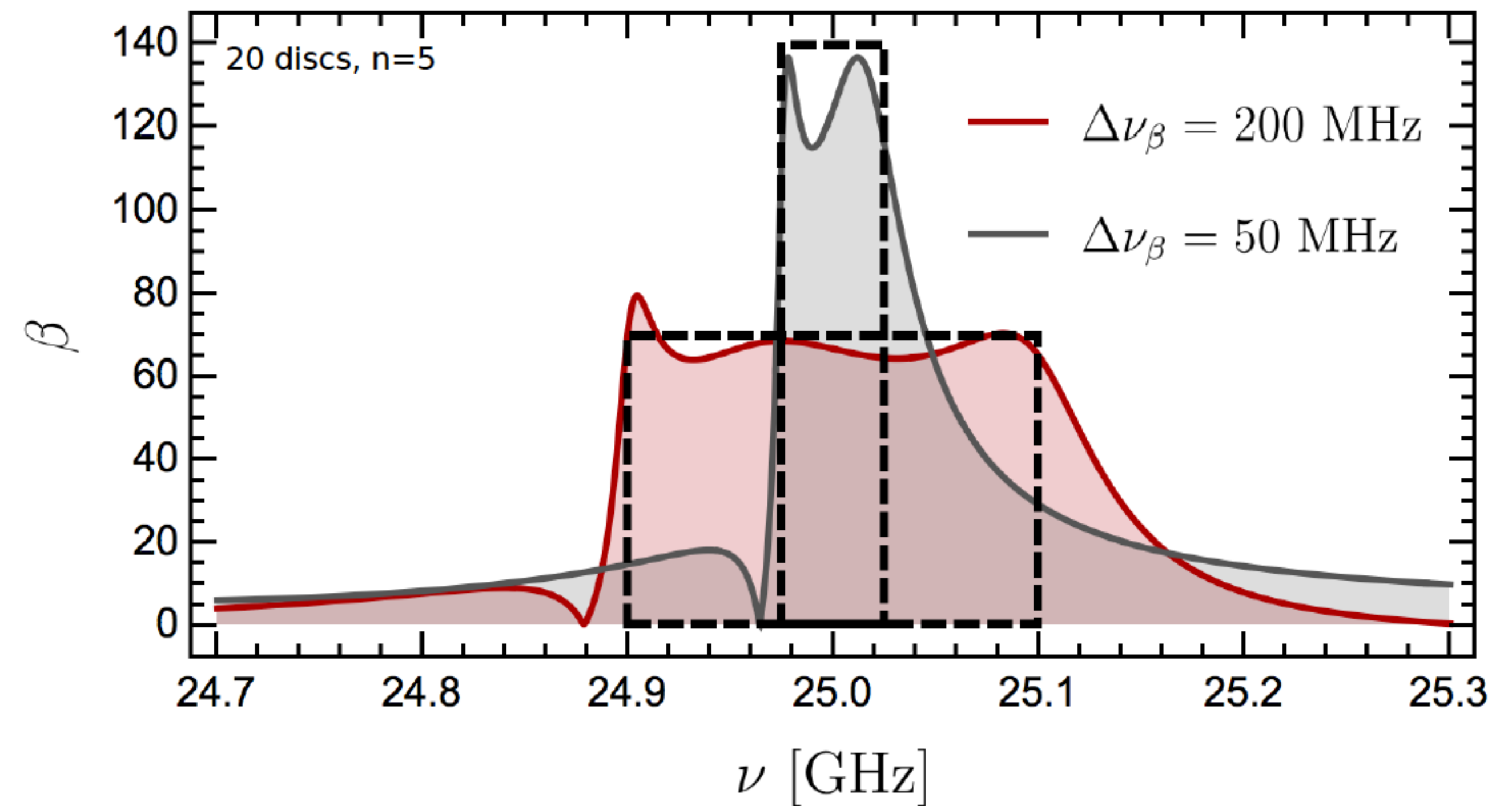
Frequency scan concept



- Tuning of sensitive frequency range by adjusting disc spacing



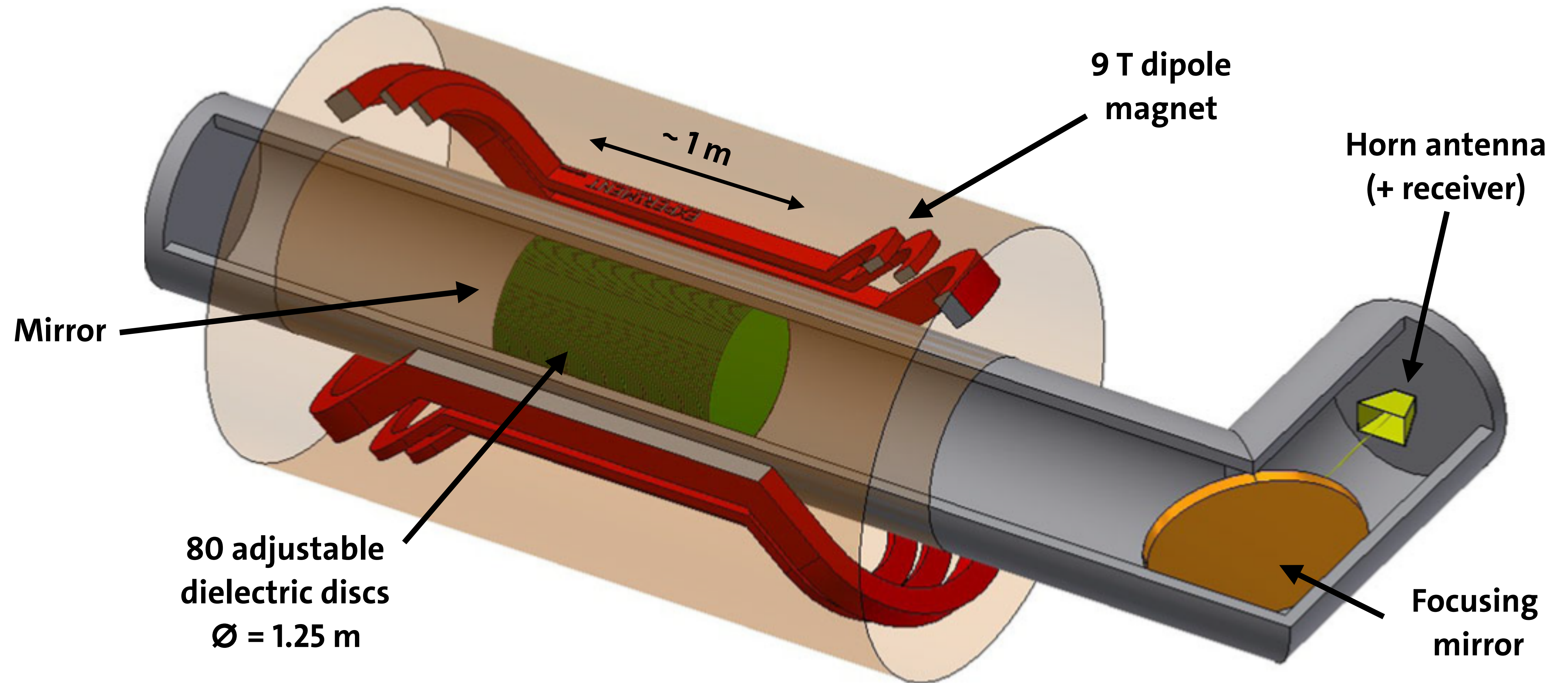
- Area law: $\beta^2 \Delta\nu_\beta \sim \text{const.}$
- Broad-band scan for search
- Narrow-band to confirm possible signals



The experiment



MAgnetized disc and Mirror Axion eXperiment

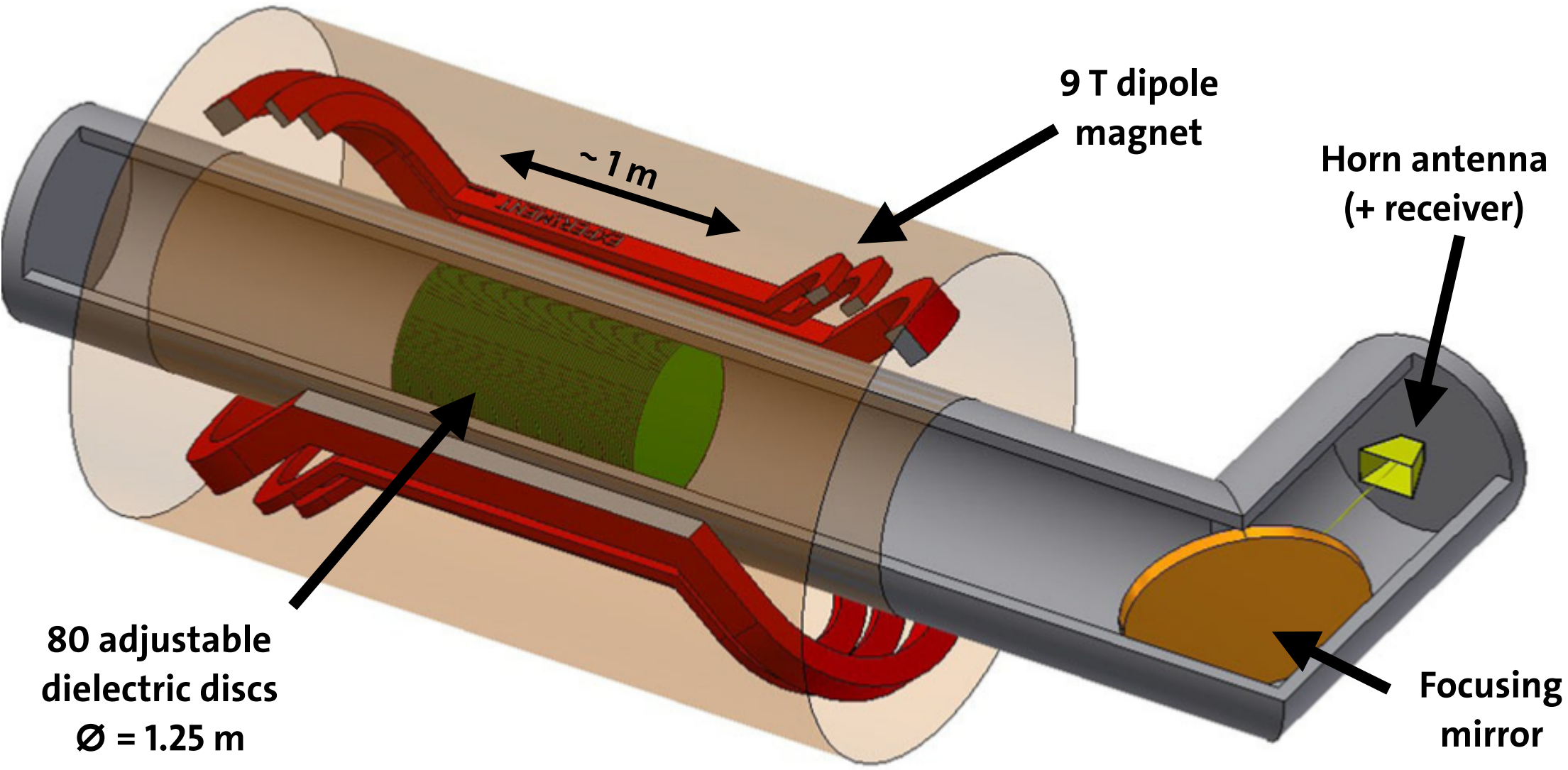
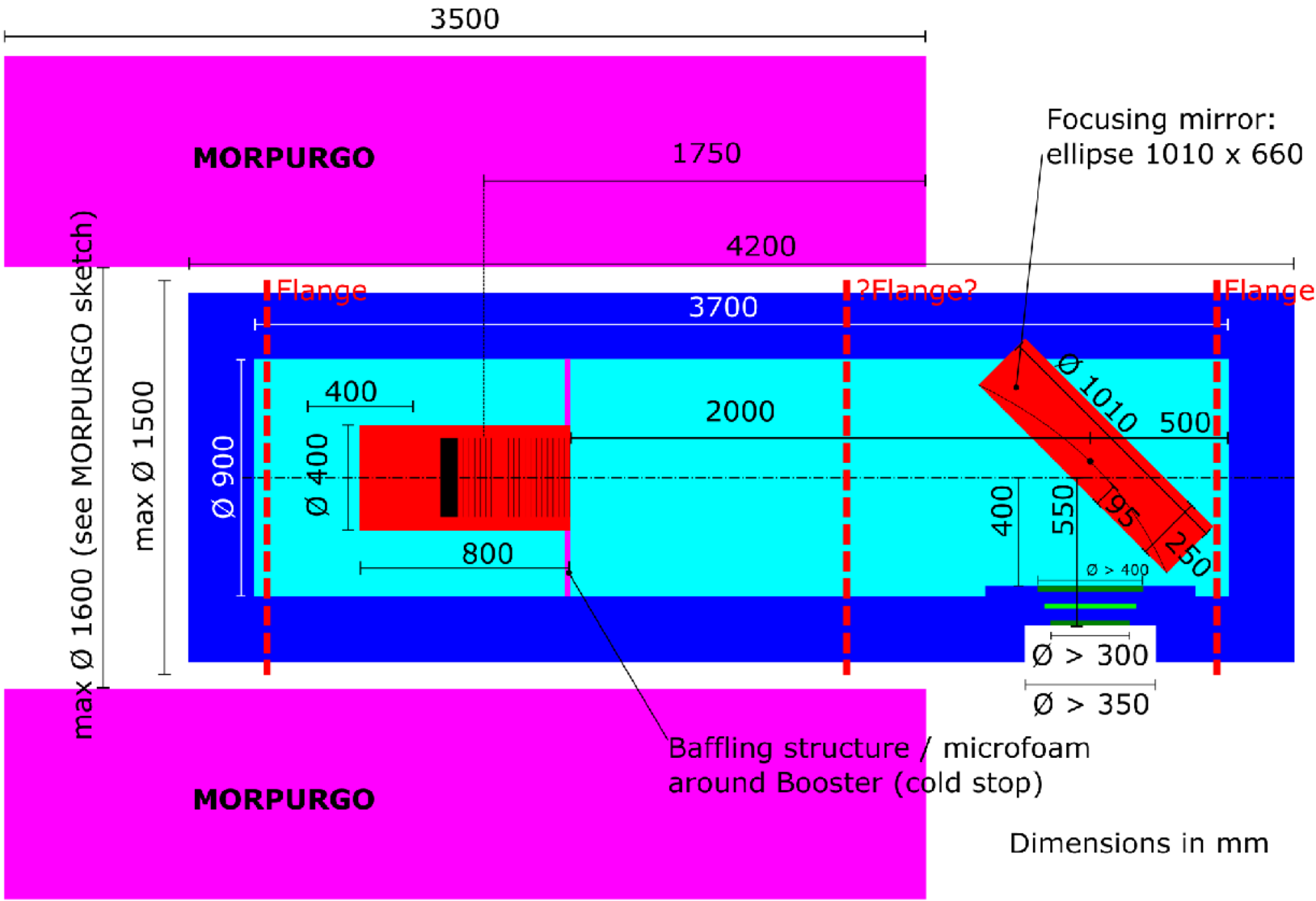
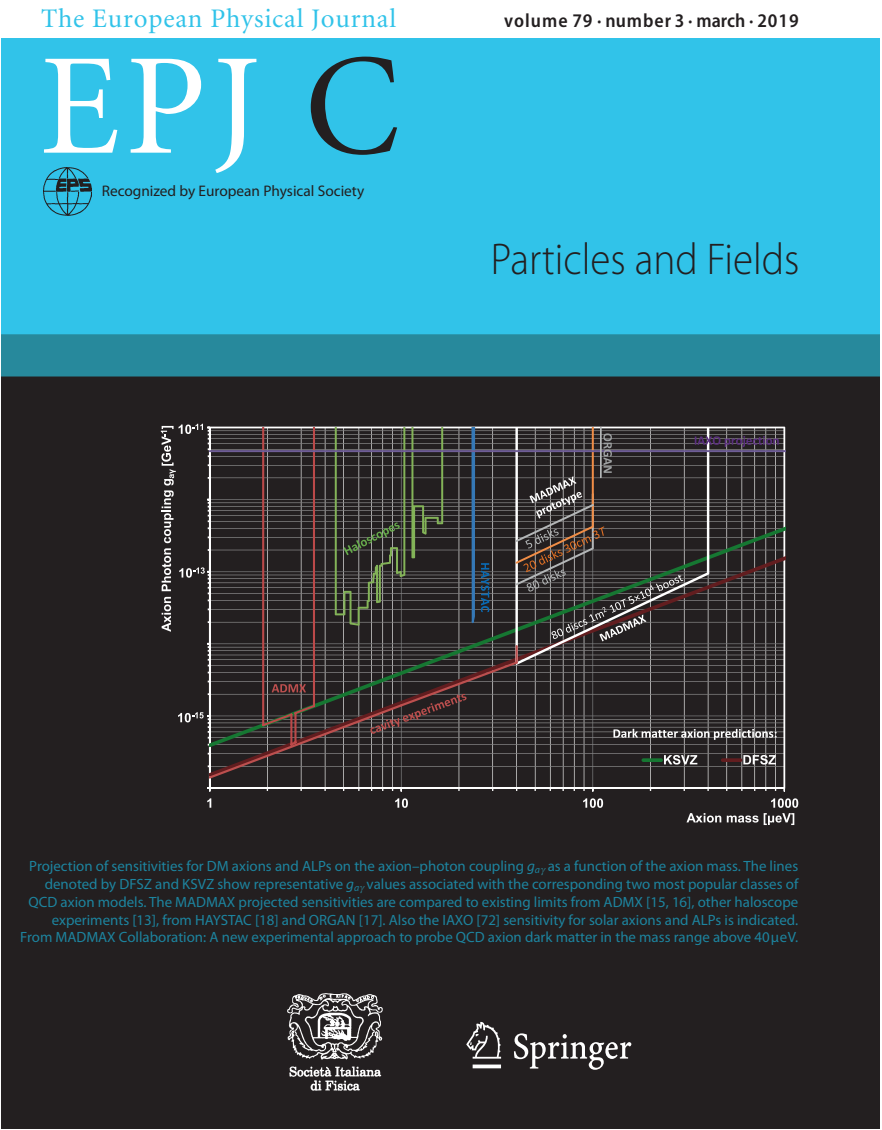


Time scale



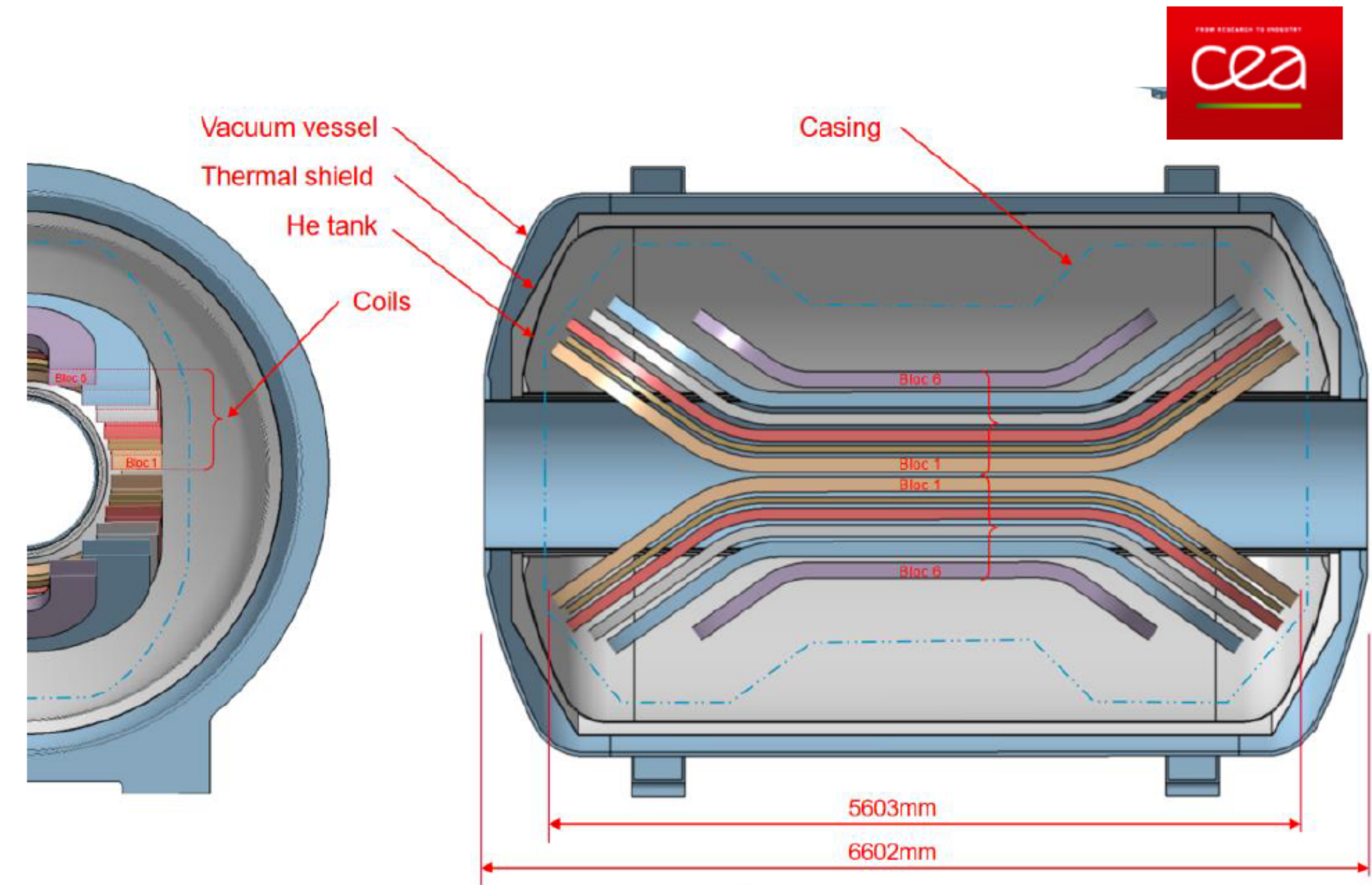
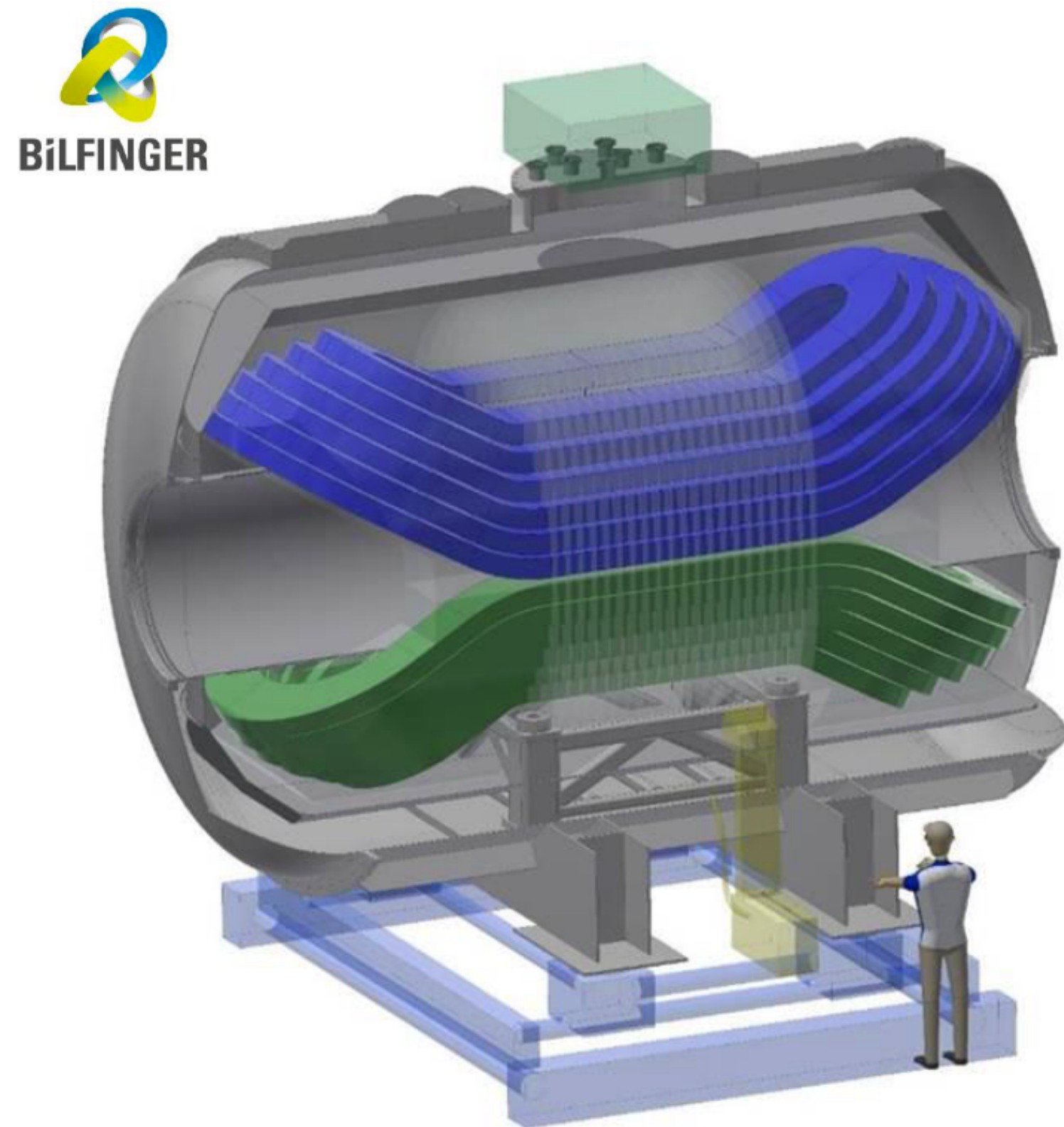
PRC 2019

First physics run @ CERN



Scaling:	Area	1/10	(of final experiment)
	# discs	1/4	
	B [T]	1/5	

The Magnet



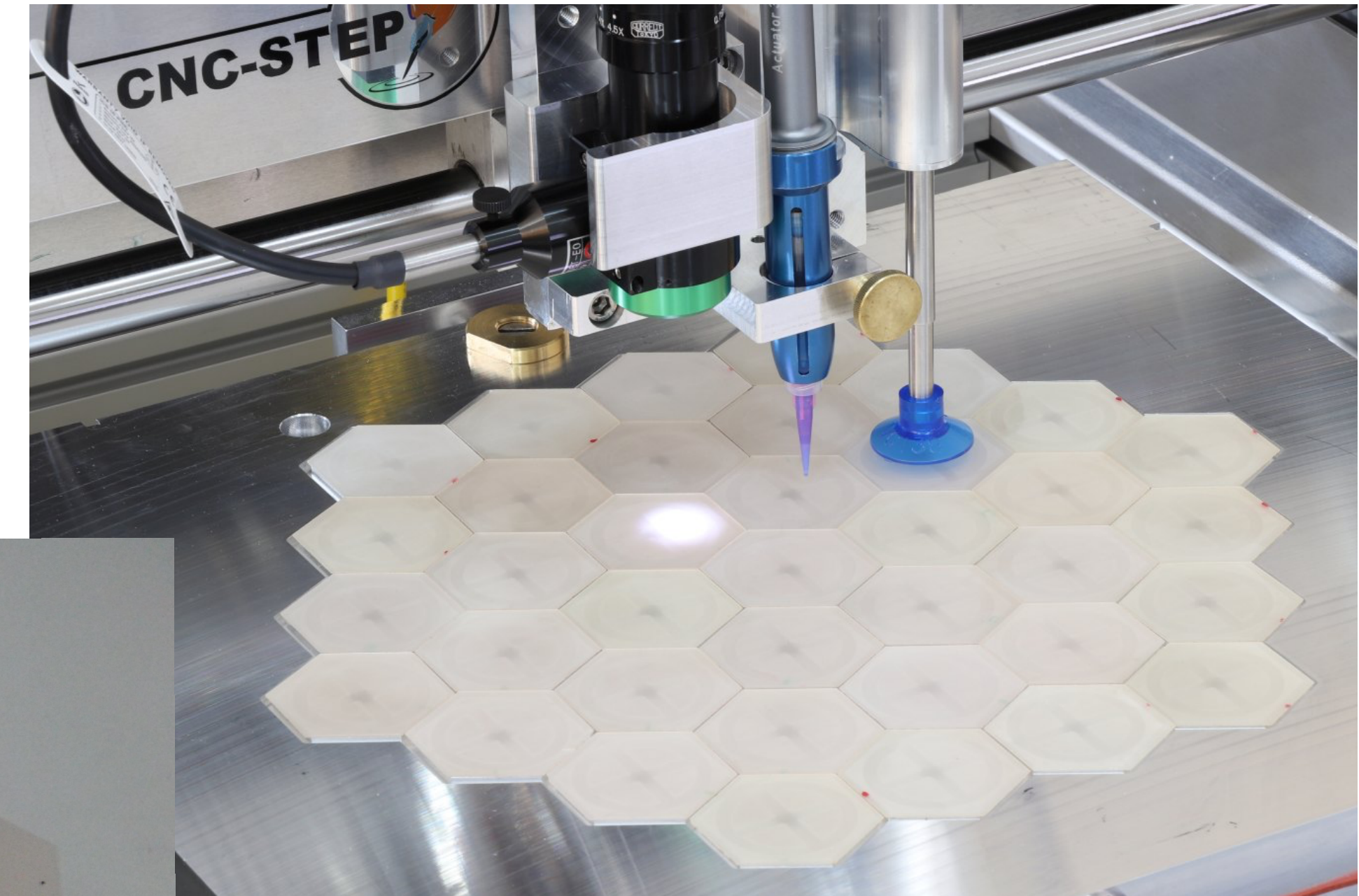
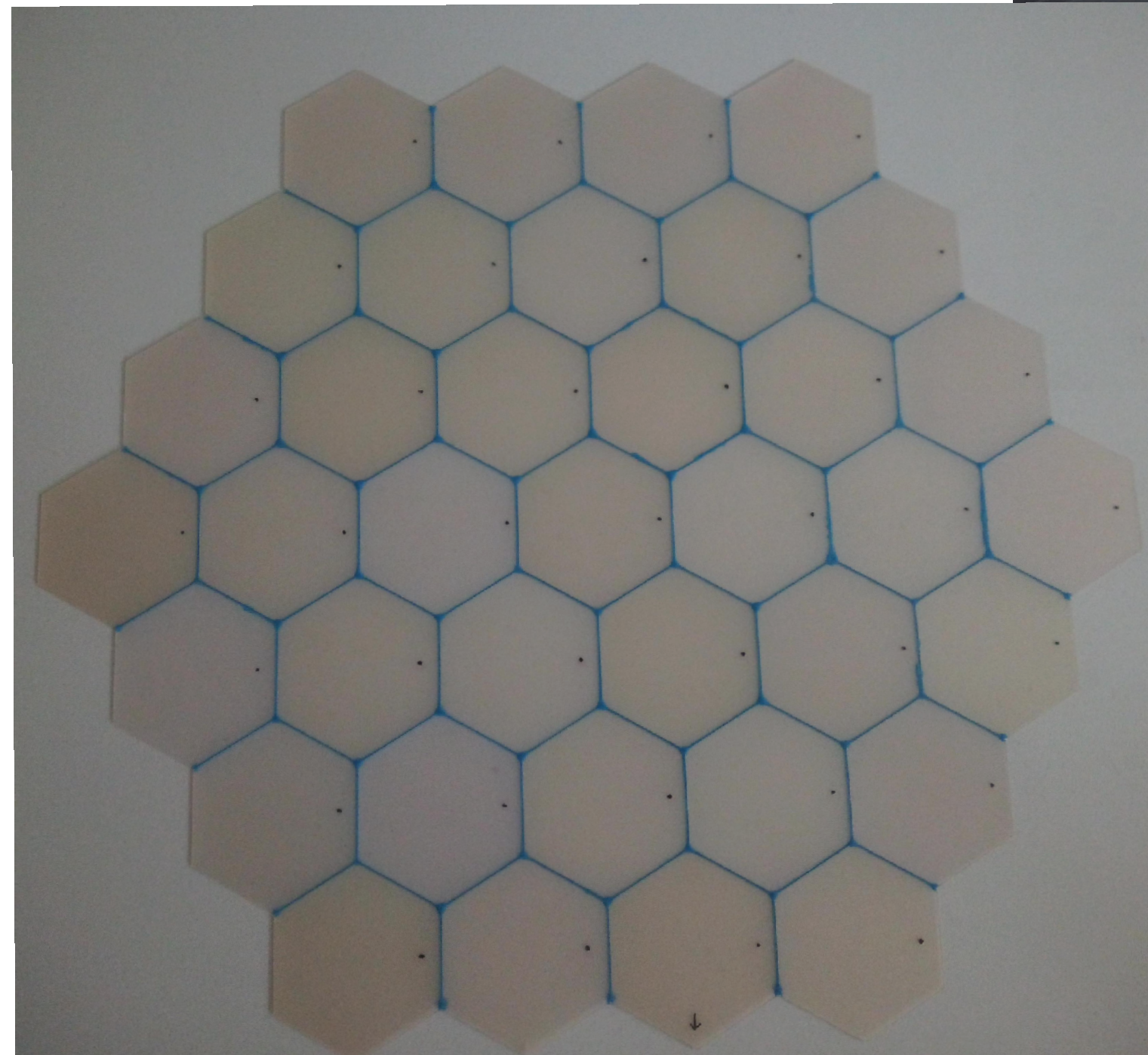
Block design with NbTi as superconductor

- Magnet design and construction drives the time scale of the project
- **Peak field 9 T**, homogeneity < 20%
- Magnet bore: Length ~ 1 m, Ø ~ 1.5 m

First of a kind!

$$\text{FoM} = B^2 \text{ m}^2 = 100 \text{ T}^2 \text{ m}^2$$

- Discs with $\varnothing = 1.25 \text{ m}$ needed for **FoM = $B^2 \text{ m}^2 = 100 \text{ T}^2 \text{ m}^2$**
- Candidate materials:
 - LaAlO₃ ($\epsilon \approx 24$, $\tan\delta \approx \text{a few } 10^{-5}$)**
 - Sapphire ($\epsilon \approx 9$, $\tan\delta \approx 10^{-5}$)
- LaAlO₃ grown in 3" wafers max
- Tiling necessary
- Hexagonal tiles cut by laser cutter
- Glued with Stycast Blue
- Characterisation of dielectric properties @ 4 K, $f = 10 - 15 \text{ GHz}$ ongoing



First tiled LaAlO₃ disc:

$\varnothing = 30 \text{ cm}$

$d = 1 \text{ mm}$

Single wafer size 2"

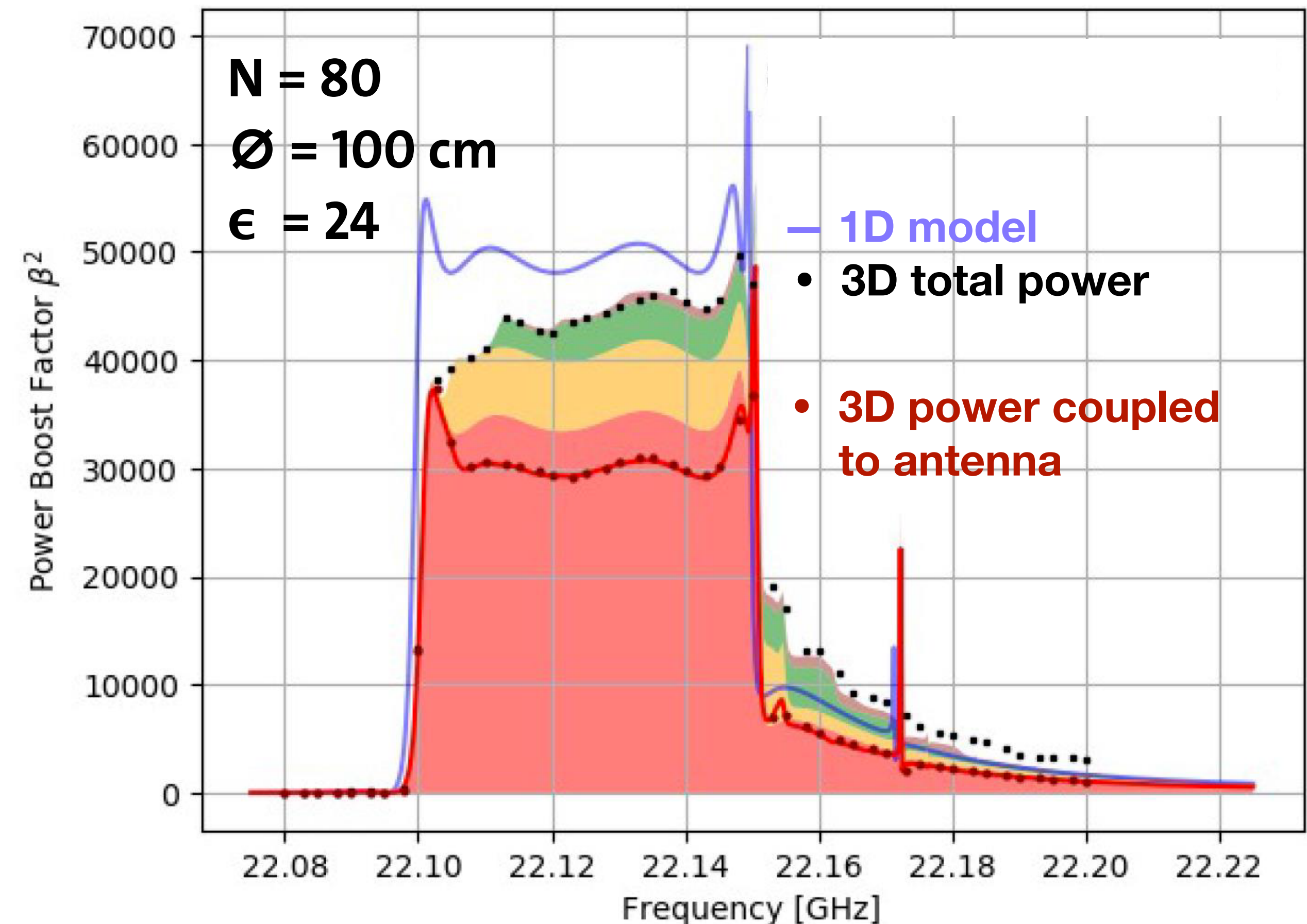
Scalability to $\varnothing = 1.25 \text{ m}$ being investigated

Detector feasibility study and design optimisation using simulation of achievable boost factor

- 3D effects (diffraction)
- Coupling to antenna (beam shape)
- Dielectric loss
- Inaccuracy (position, roughness, tilt, thickness,...)
- DM velocity dispersion
- Tiling of discs

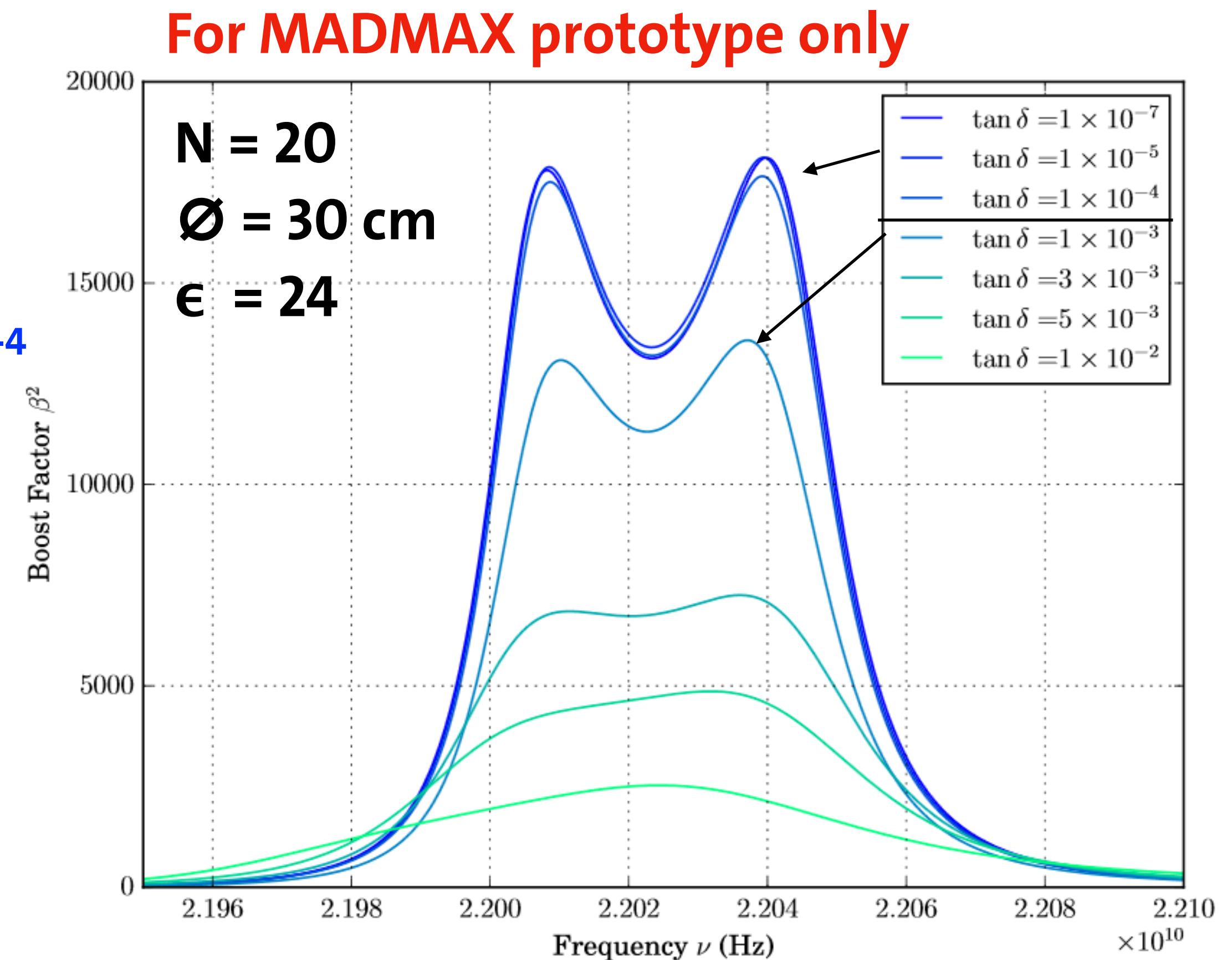
➔ ~10-20% losses

➔ ~10-20% losses



Detector feasibility study and design optimisation using simulation of achievable boost factor

- 3D effects (diffraction) ➡ ~10-20% losses
- Coupling to antenna (beam shape) ➡ ~10-20% losses
- **Dielectric loss** ➡ **small losses for $\tan\delta < 10^{-4}$**
- Inaccuracy (position, roughness, tilt, thickness,...)
- DM velocity dispersion
- Tiling of discs



Detector feasibility study and design optimisation using simulation of achievable boost factor

- 3D effects (diffraction)
- Coupling to antenna (beam shape)
- Dielectric loss
- Inaccuracy (position, roughness, tilt, thickness,...)
- DM velocity dispersion
- Tiling of discs

➡ ~10-20% losses

➡ ~10-20% losses

➡ small losses for $\tan\delta < 10^{-4}$

➡ **positioning precision $< 10 \mu\text{m}$**

roughness $< 10 \mu\text{m}$

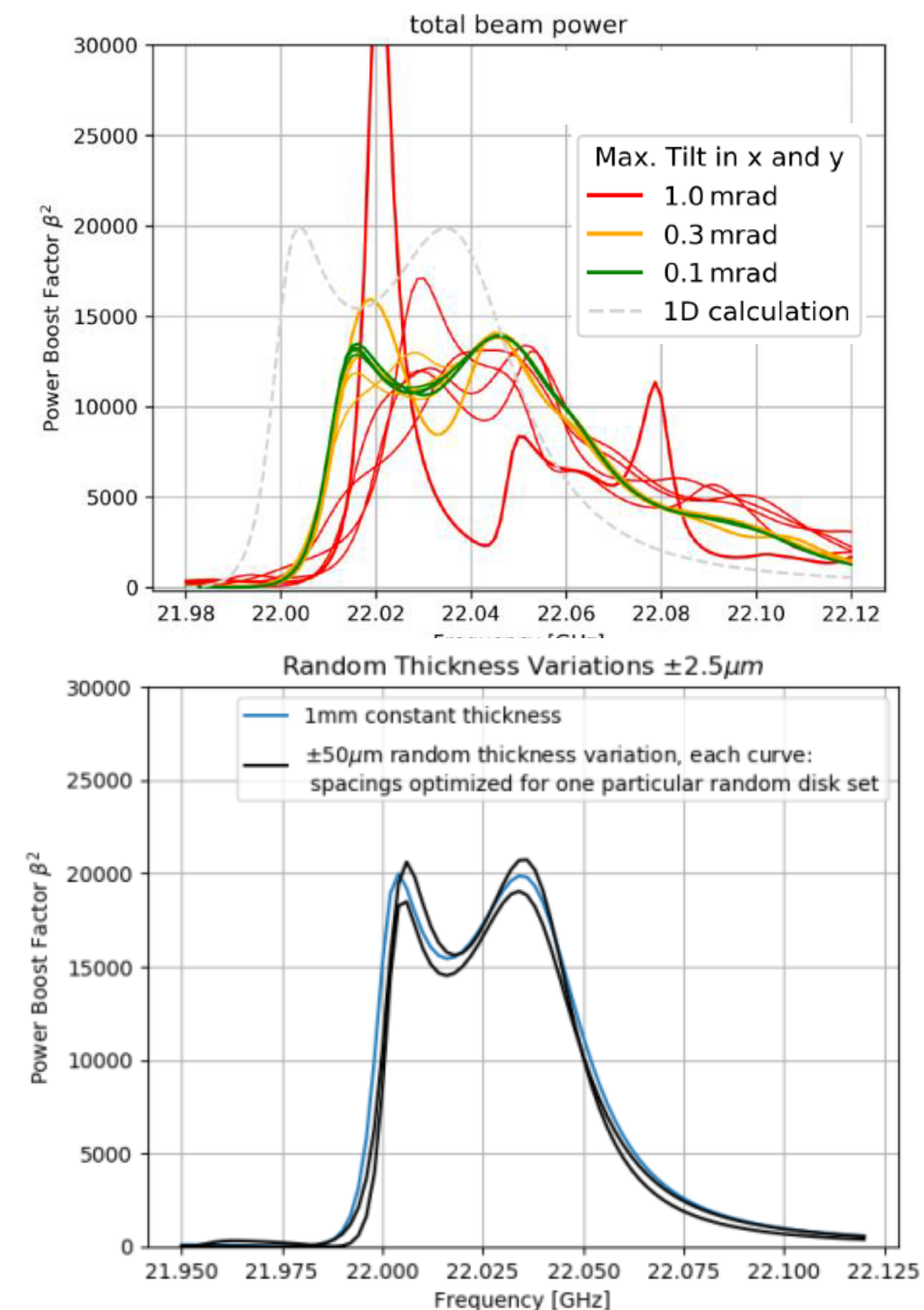
tilt $< 0.1 \text{ mrad}$

thickness measured to $\pm 5 \mu\text{m}$

$N = 20$

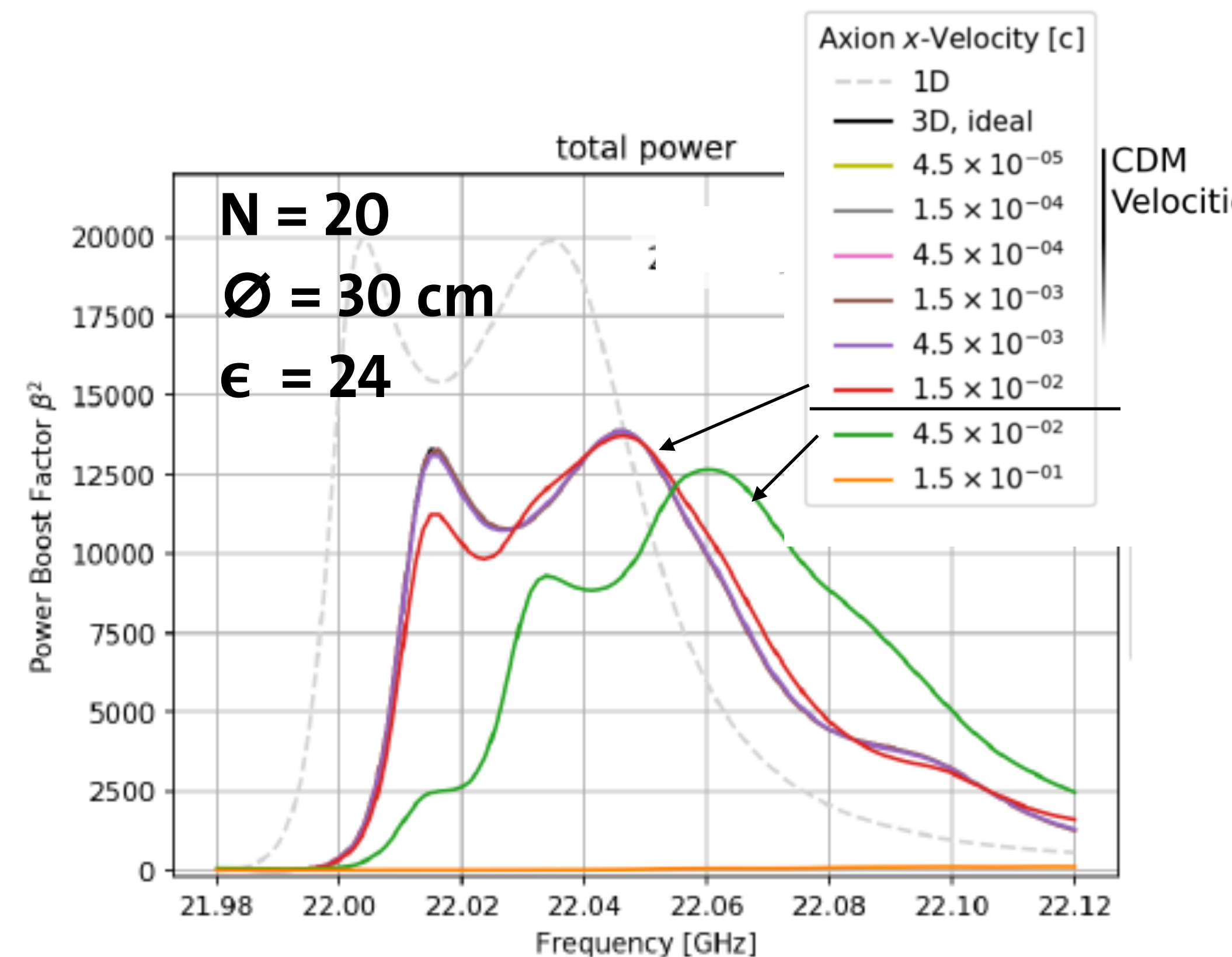
$\varnothing = 30 \text{ cm}$

$\epsilon = 24$



Detector feasibility study and design optimisation using simulation of achievable boost factor

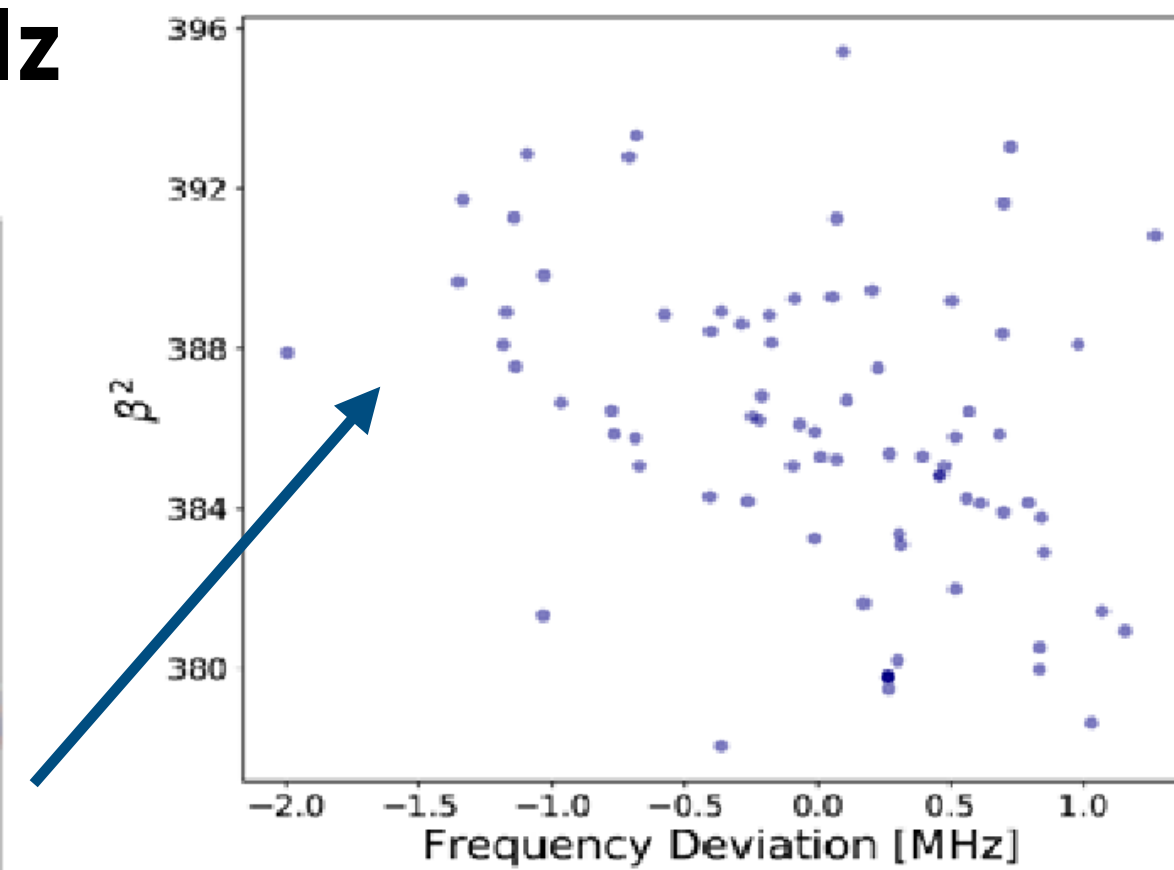
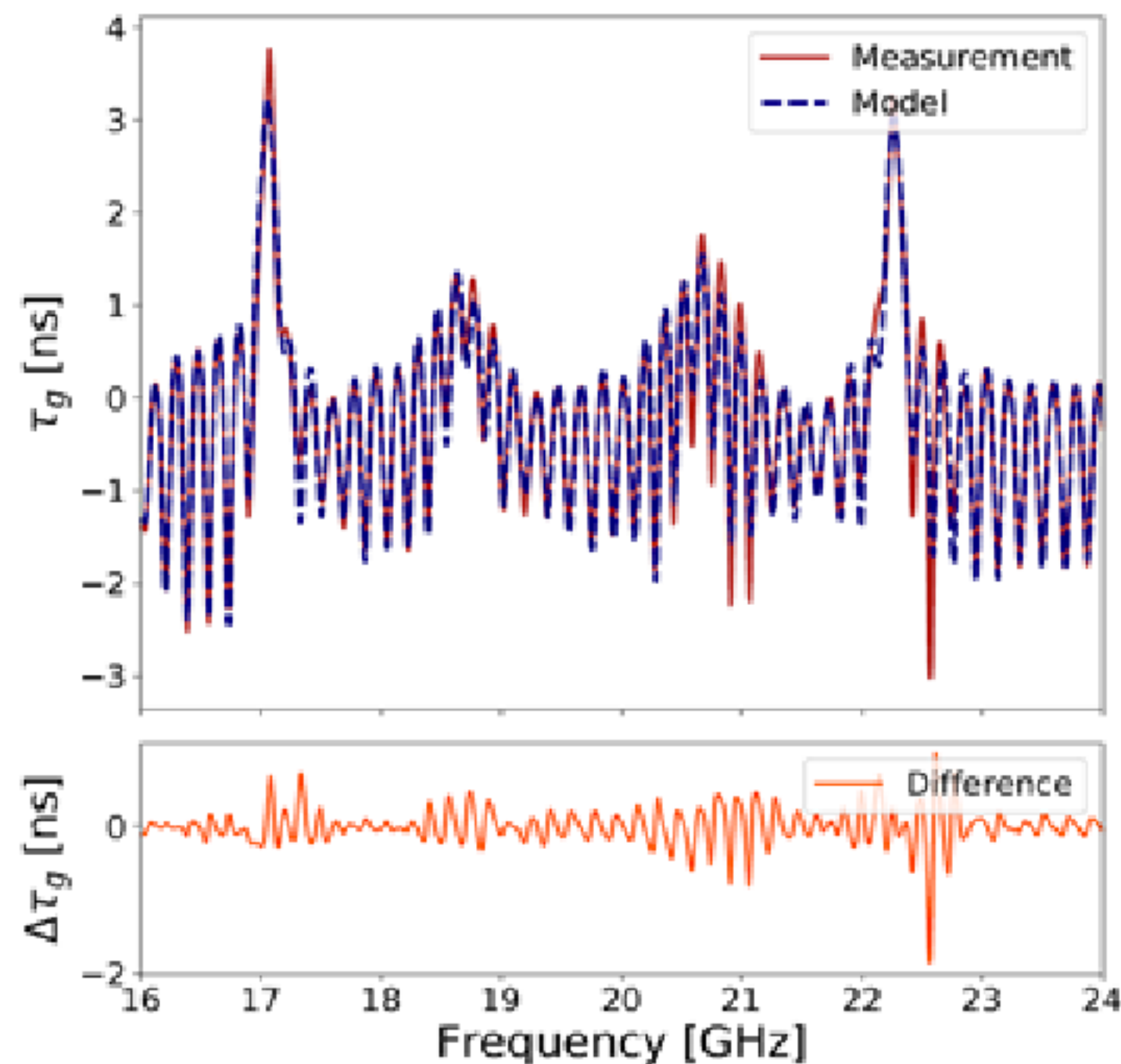
- 3D effects (diffraction) ➡ ~10-20% losses
- Coupling to antenna (beam shape) ➡ ~10-20% losses
- Dielectric loss ➡ small losses for $\tan\delta < 10^{-4}$
- Inaccuracy (position, roughness, tilt, thickness,...) ➡ positioning precision $< 10 \mu\text{m}$
- **DM velocity dispersion** ➡ **no significant loss if $v < 10^{-2} c$**
- Tiling of discs



New on arxiv: 1906.02677
by Jan Schütte-Engel

Proof of principle

- Reflectivity measurements with up to 20 discs
- Reproducibility of discs **positioning few μm**
- Achievable **boost factor** with 5 discs
reproducible within few MHz

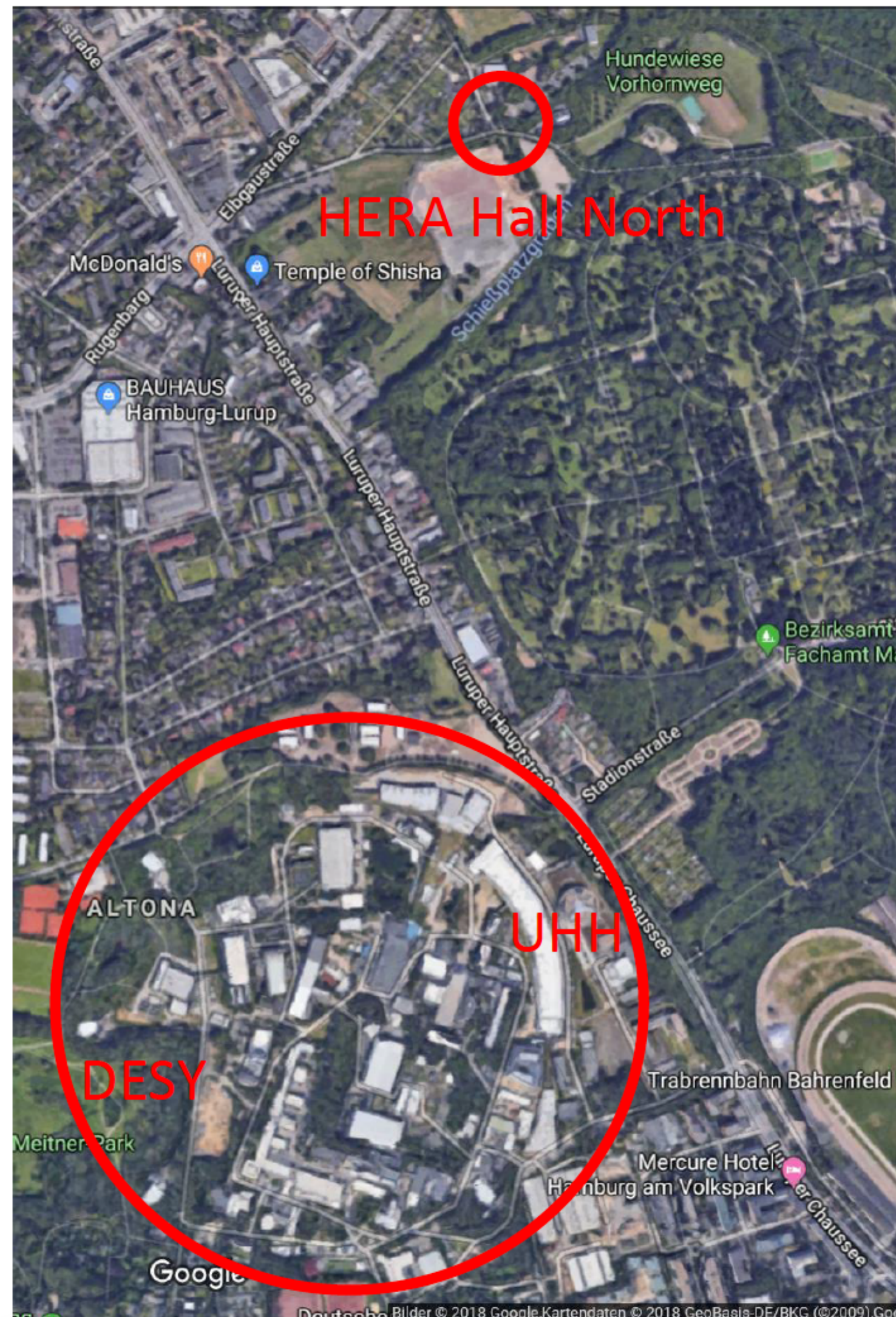


MPP Munich



Proof of principle booster
N = 20
 $\varnothing = 20 \text{ cm}$
 $\epsilon \approx 9$

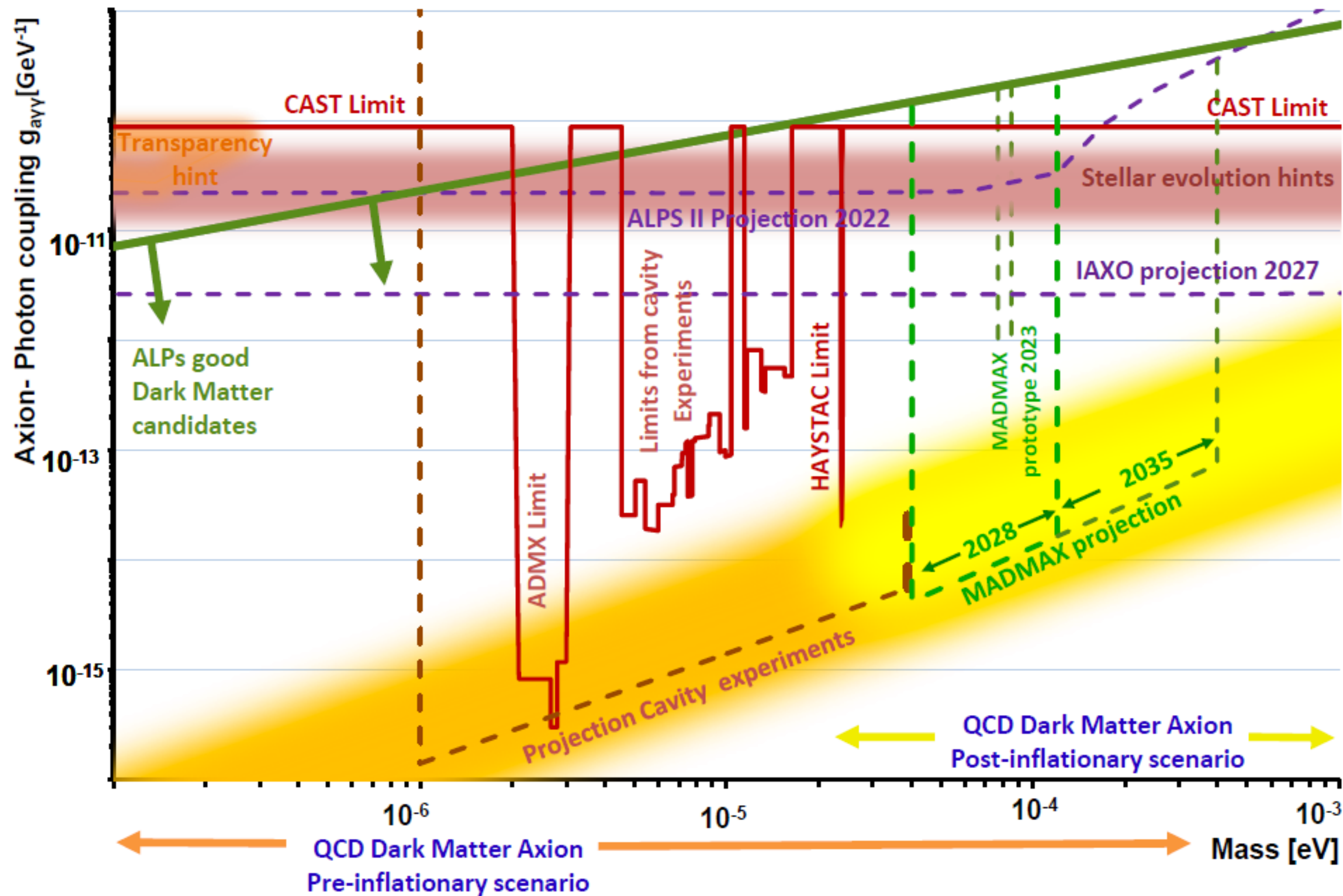
Experimental site



- MADMAX to be built at Hera Hall North
- Make use of DESY infrastructure
- Benefit: re-use H1 yoke as magnetic shielding to reduce fringe field



Sensitivity to QCD dark matter axion



MADMAX

$$A = 1 \text{ m}^2$$

$$B_{\parallel} = 10 \text{ T}$$

$$T_{\text{sys}} = 8 \text{ K}$$

$$\theta^2 = 5 \cdot 10^4$$



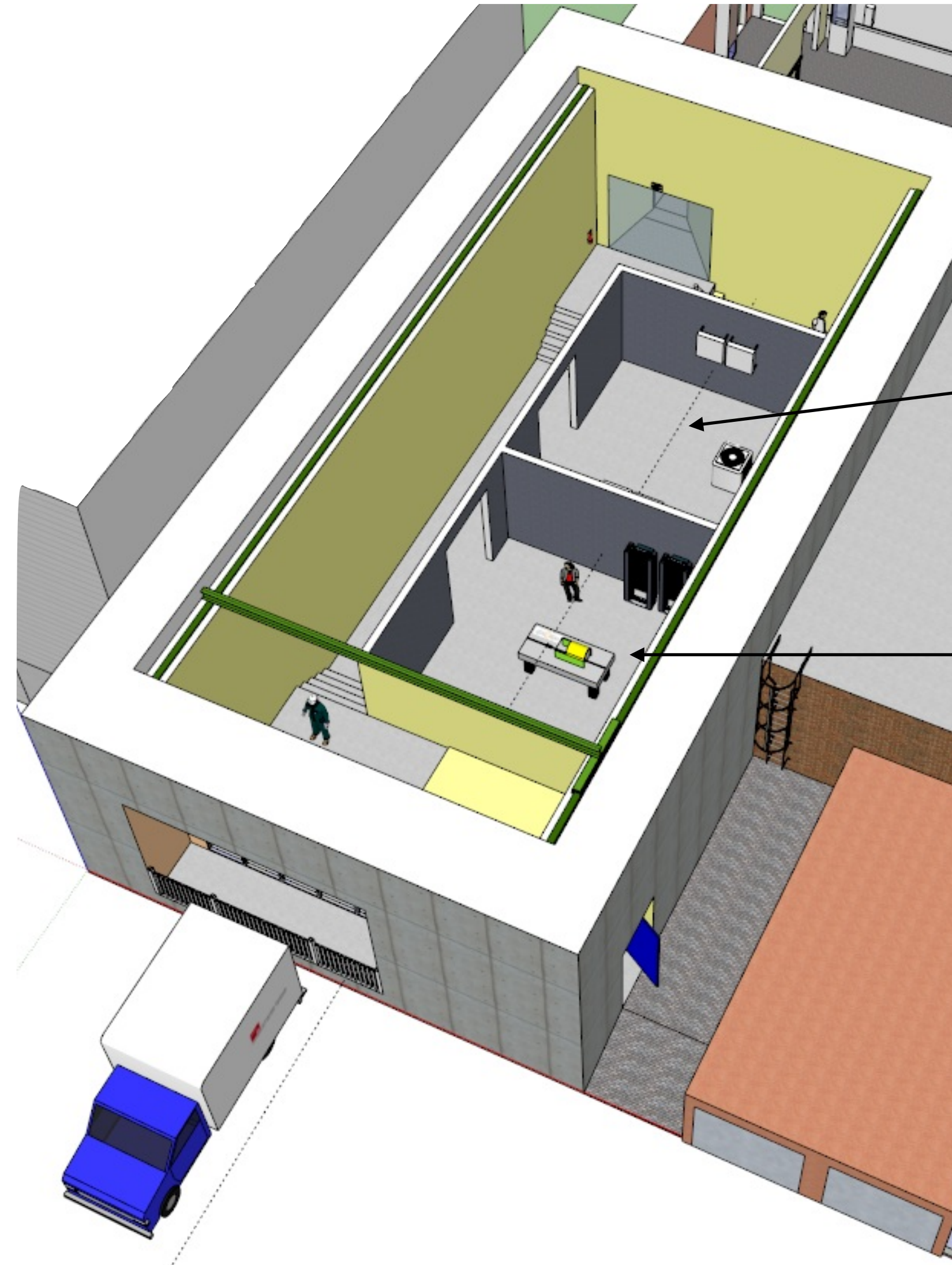
The MADMAX collaboration



associate members



SHELL inauguration 08.07.19 @ 11:30



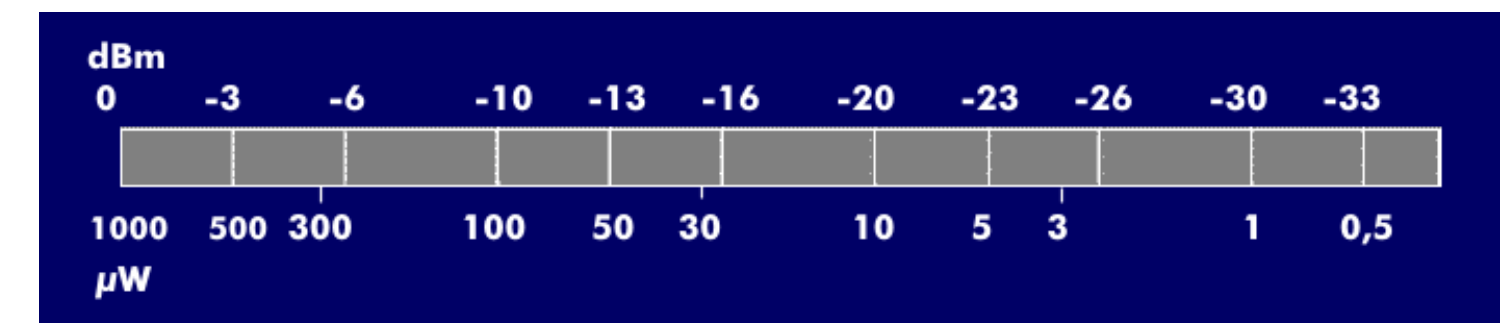
Ex-UHH synchrotron bunker
Renewed thanks to QU funds
Two RF shielded labs

$< -50 \text{ dBm}^*$, for $f < 10 \text{ GHz}$
 $< -100 \text{ dBm}$, for $f > 10 \text{ GHz}$

BRASS

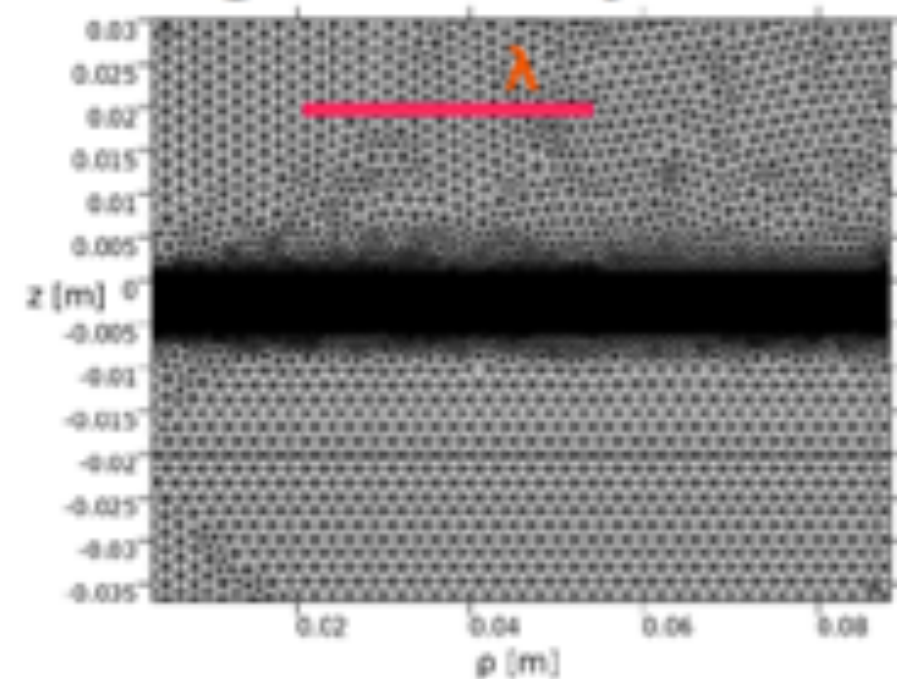
MADMAX

* dBm = Power in Decibel Milliwatt,
 $p = 10 \log(P/1 \text{ mW}) [\text{dBm}]$
i.e. for $P = \text{pW}$, $p = -90 \text{ dBm}$



For large and many disks 3D FEM solution computationally not feasible.

Using radial symmetry in FEM



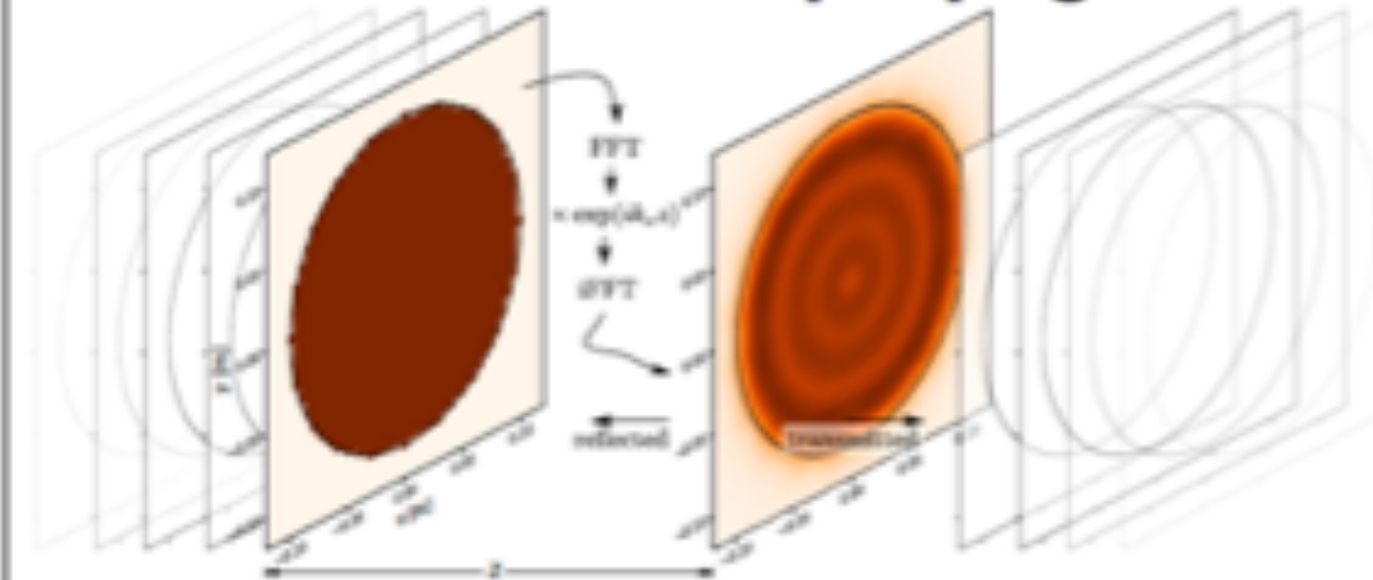
external B -field breaks symmetry
 $\Rightarrow$ restore symmetry by solving two circular polarized sources

$$\nabla \times (\nabla \times \mathbf{E}) - k_0^2 \epsilon \mathbf{E} = k_0^2 \mathbf{f}$$

$$\mathbf{f}(\rho, z) = \mathbf{f}^+(\rho, \phi, z) + \mathbf{f}^-(\rho, \phi, z)$$

approaches directly applicable to other open axion haloscopes

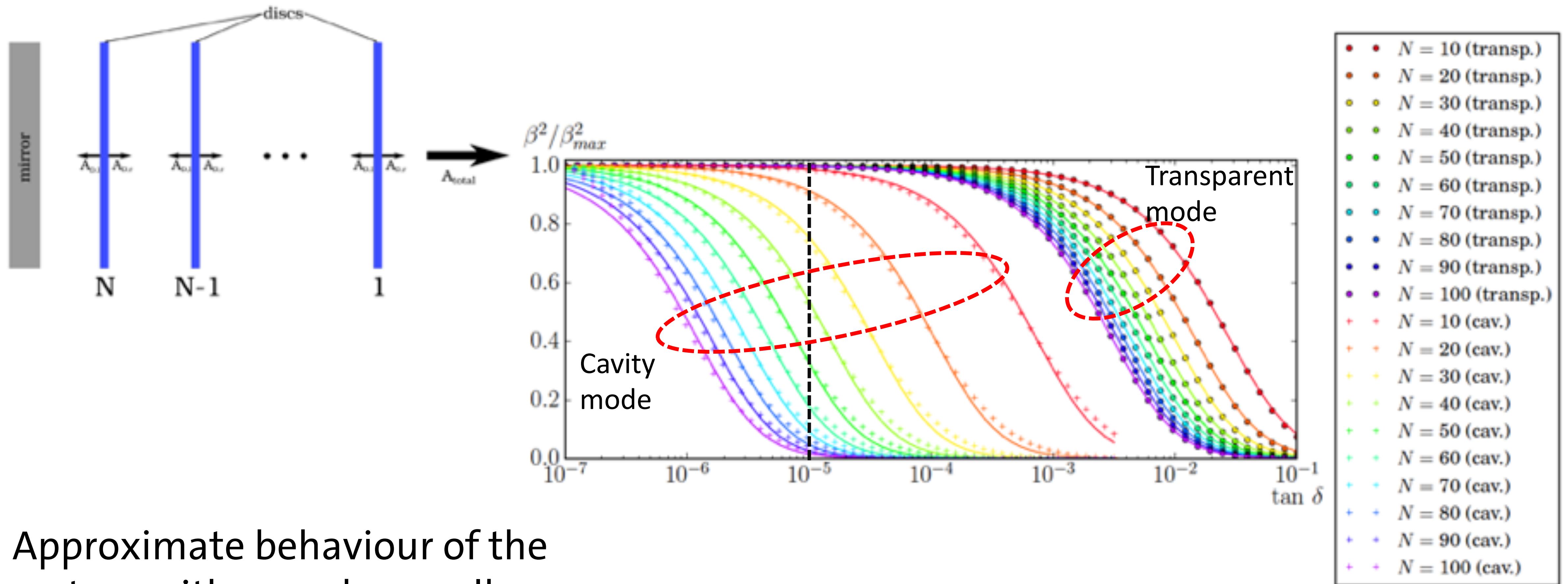
Recursive Fourier propagation



For each propagation use a scalar diffraction theory:

$$E_i(\mathbf{x}) = \int_{\mathbb{R}^2} \frac{dk_x dk_y}{(2\pi)^2} \mathcal{F}(E_i)(k_x, k_y) \\ \times e^{i|z-z_s|\sqrt{(\omega n)^2 - k_x^2 - k_y^2}} e^{ik_x x} e^{ik_y y}$$

Transparent vs cavity mode



The challenges:

18-40 GHz: optimization of receiver-antenna system based on simulation results for beam shape/size (**MPIFR**)

50-100 GHz: develop a new concept for receiver (**MPIFR, NEEL**)

