

## Model Independent Framework for Searches of Top Partners

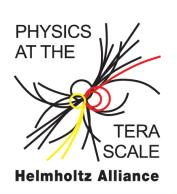
Mathieu Buchkremer - Université catholique de Louvain

Workshop on Vector-like Quarks 15th of September 2014



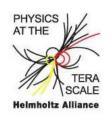






**Helmholtz Alliance** 

## **PHYSICS AT THE TERASCALE**



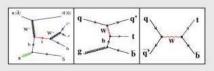
2nd Workshop on

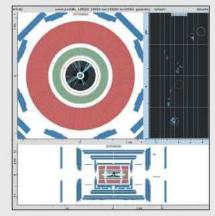
## Single-top physics and fourth-generation quarks

5 - 6 September 2011 DESY, Hamburg

#### Topics:

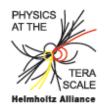
- Theoretical and experimental overview of single top and 4th generation quarks
- Single top results from ATLAS and CMS
- Searches for 4th generation quarks at ATLAS and CMS
- Monte Carlo models
- Analysis techniques





#### Helmholtz Alliance

## PHYSICS AT THE TERASCALE



# **Workshop on Vector-like Quarks 2014** 15-16 September 2014 **Hamburg University**

- Introduction.
- Model-independent framework for VLQ searches.
- Benchmark scenarios from flavour bounds.
- Conclusions & prospects.

#### Based on:

M. Buchkremer, G. Cacciapaglia, A. Deandrea, L. Panizzi, *Model Independent Framework for Searches of Top Partners*, Nucl.Phys. B876 (2013) 376-417 [arXiv:1305.4172]

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What are Vector-Like Quarks?

## What are Vector-Like Quarks?

Pedagogy =

Art of repetition

## What are Vector-Like Quarks?

- Colored Dirac fermions with 1/2 spin
- The right and left handed component of a VLQ transforms in the same way under the SM gauge group  $SU(3)_c \otimes SU(2)_L \otimes U(1)_Y$

Why are they called vector-like?

## What are Vector-Like Quarks?

- Colored Dirac fermions with 1/2 spin
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Why are they called vector-like?

$$\mathcal{L} \supset \frac{g}{\sqrt{2}}(j^{\mu+}W_{\mu}^{+} + j^{\mu-}W_{\mu}^{-}) \qquad \qquad j^{\mu\pm} = j_{L}^{\mu\pm} + j_{R}^{\mu\pm}$$

## SM chiral quarks

$$j_L^\mu = \overline{f}_L \gamma^\mu f_L' \qquad j_R^\mu = 0$$
  $j_L^\mu = j_L^\mu + j_R^\mu = \overline{f} \gamma^\mu (1 - \gamma^5) f'$   $V - A$ 

$$VLQs$$
 $j_L^\mu = \overline{f}_L \gamma^\mu f_L' \qquad j_R^\mu = \overline{f}_R \gamma^\mu f_R'$ 
 $j^\mu = j_L^\mu + j_R^\mu = \overline{f} \gamma^\mu f'$ 
 $V$ 

## Puzzling feature: why does the EW interaction break Parity?

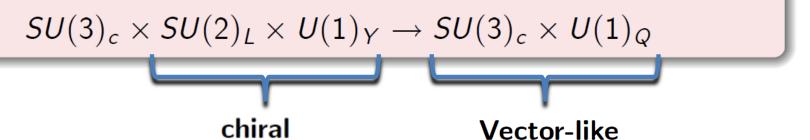
$$SU(3)_c \times SU(2)_L \times U(1)_Y \rightarrow SU(3)_c \times U(1)_Q$$

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In the Standard Model, quarks are chiral under the weak interaction  $(SU(2)_L)$ :

- Right-handed states transform as singlets
- Left-handed states transform as doublets

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 $t_R$ ,  $b_R$ 

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Mass terms forbidden by gauge invariance!



Fermion masses arise from EWSSB



$$M_{u,d,e} = \frac{Y_{u,d,e} \ v}{\sqrt{2}}$$

## Theoretical Motivations (a selection thereof)

#### Vector-like quarks:

- may provide a solution to the Hieararchy Problem.
- provide anomaly-free extensions of the SM.
- break the GIM mechanism, allow for non-vanishing FCNCs at tree-level.
- decouple, i.e., do not conflict with the current precision constraints if  $M \to \infty$ .
- can lead to new sources of CP violations, ...
- appear as a common ingredient of many New Physics models: Composite Higgs/top models, Universal extra-dimensions, Little Higgs models, Gauge flavoured groups, extended gauge symmetries, ... and many more.

...



See arXivs [hep-ph]: ···, 1004.4895, 1102.1987, 1103.4170, 1106.6357, 1107.1500, 1204.6333, 1205.2378, 1206.3360, 1207.4440, 1211.5663, 1302.0270, 1305.3818, 1306.2656, 1311.5928, 1404.4398, 1409.0100, 1409.0805, ···

## Properties

## **Properties**

 VLQs can have a gauge invariant mass term independently from the EWSSB mechanism

$$L_{mass} = -M(\bar{\psi}_L \psi_R + \bar{\psi}_R \psi_L)$$

- → VLQ masses are not bounded by any symmetries
- → VLQ can exist near/above the EW scale without upsetting the existing measurements

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- → VLQ masses are not bounded by any symmetries
- VLQ can exist near/above the EW scale without upsetting the existing measurements
- Vector-Like Quarks can couple to the SM Higgs doublet through standard Yukawa couplings
- → The VLQ couplings to SM quarks are either left-handed or right-handed.

 $\longrightarrow$  non-chiral quarks decay into a standard quark plus a W, Z, or H boson.

Complete list of vector-like multiplets forming mixed Yukawa terms with the SM quark representations and a SM or SMlike Higgs boson doublet

$\psi$	$(SU(2)_L, U(1)_Y)$	$T_3$	$Q_{EM}$
U	(1, 2/3)	0	+2/3
D	(1, -1/3)	0	-1/3
$\left(X^{8/3}\right)$		+2	+8/3
$X^{5/3}$	(3, 5/3)	+1	+5/3
$\bigcup U \bigcup$		0	+2/3
$X^{5/3}$		+1	+5/3
U	(3, 2/3)	0	+2/3
( D )		-1	-1/3
		+1	+2/3
D	(3, -1/3)	0	-1/3
$Y^{-4/3}$		-1	-4/3

Left-handed

## Embeddings in SU(2)<sub>L</sub>× U(1)<sub>Y</sub>

$\psi$	$(SU(2)_L, U(1)_Y)$	$T_3$	$Q_{EM}$
$\begin{pmatrix} U \\ D \end{pmatrix}$	(2, 1/6)	$+1/2 \\ -1/2$	$+2/3 \\ -1/3$
$\begin{pmatrix} X^{5/3} \\ U \end{pmatrix}$	(2,7/6)	$+1/2 \\ -1/2$	+5/3 + 2/3
$\begin{pmatrix} D \\ Y^{-4/3} \end{pmatrix}$	(2, -5/6)	$+1/2 \\ -1/2$	$-1/3 \\ -4/3$
$\begin{pmatrix} X^{8/3} \\ X^{5/3} \\ U \\ D \end{pmatrix}$	(4,7/6)	+3/2 +1/2 -1/2 -3/2	+8/3 +5/3 +2/3 -1/3
$\begin{pmatrix} X^{5/3} \\ U \\ D \\ Y^{-4/3} \end{pmatrix}$	(4, 1/6)	+3/2 +1/2 -1/2 -3/2	+5/3 +2/3 -1/3 -4/3
$ \begin{pmatrix} U \\ D \\ Y^{-4/3} \\ Y^{-7/3} \end{pmatrix} $	(4, -5/6)	+3/2 +1/2 -1/2 -3/2	+2/3 $-1/3$ $-4/3$ $-7/3$

Right-handed

## Hypothesis:

Vector-Like Quarks belong to complete representations of  $SU(2)_L \times U(1)_Y$ , with chiral couplings to the SM.

This work sticks to singlet, doublet and triplet representations under the EW gauge group.

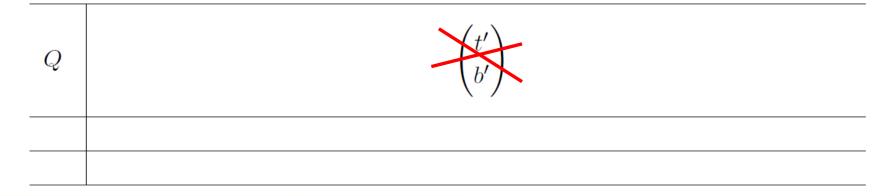
2.

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$Q_q$	$T_{\frac{2}{3}}$	$B_{-\frac{1}{3}}$	$\begin{pmatrix} t' \\ b' \end{pmatrix}$
$T_3$	0	0	
Y	4/3	-2/3	

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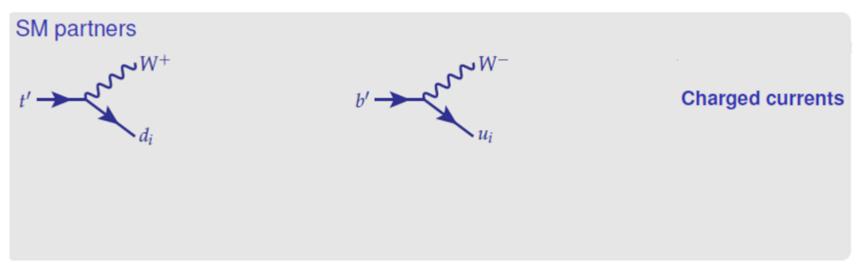
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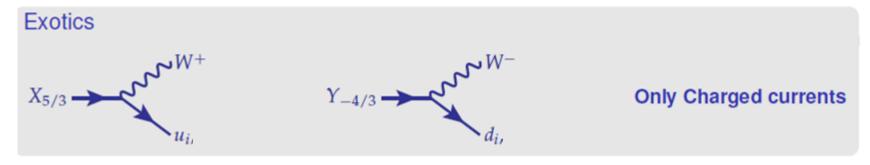
Each case leads to a different phenomenology!

$$Q = T_3 + \frac{Y}{2}$$

## Decays

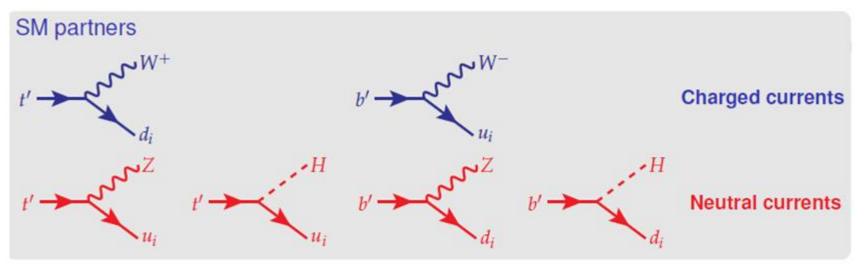
$$i = 1, 2, 3$$

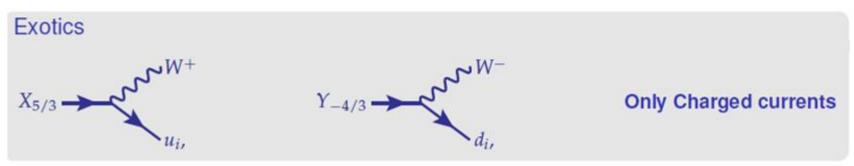




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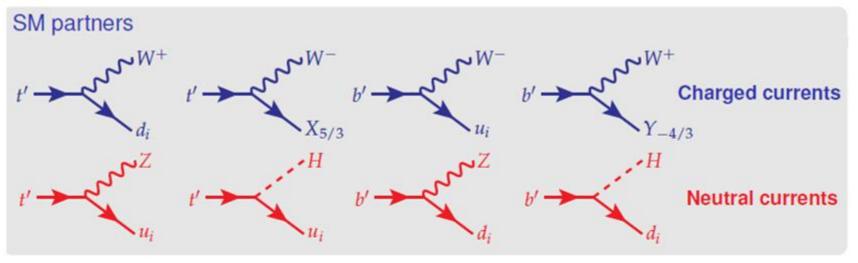


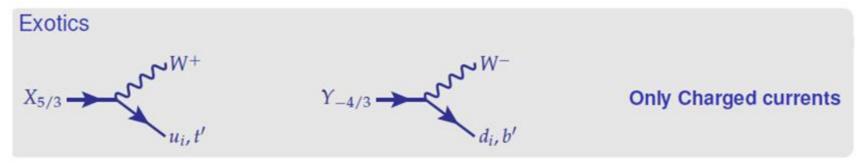


#### 2. What is a Vector-Like Quark?

## Decays

$$i = 1, 2, 3$$







- The branching ratios depend on the VLQ representations and masses
- For  $T_{2/3}$  and  $B_{-1/3}$  quarks, the Equivalence Theorem requires  $\mathsf{BR}(Q \to Zq) \simeq \mathsf{BR}(Q \to Hq) \simeq \mathsf{BR}(Q \to Wq)/2$

## Important remarks

Observation Branching ratios are never 100% in one channel.

ť	Wb	Zt	ht
Single, Triplet Y=2/3	50%	25%	25%
Doublets, Triplet Y=-1/3	~ 0%	50%	50%



3:

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Single, Triplet Y=2/3	50%	25%	25%
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VLQ interactions are allowed through arbitrary Yukawa couplings. Decays into light quarks may not be negligible (The BRs do not directly depend on the Yukawas).

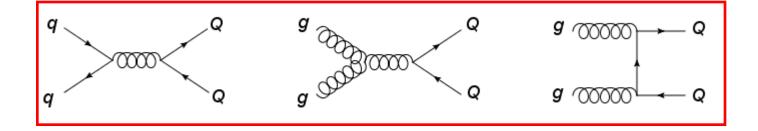
## Production

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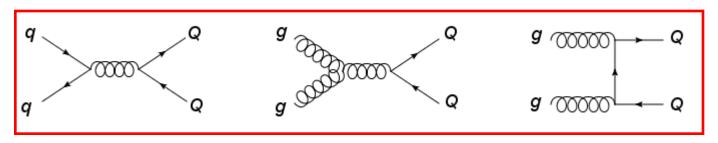
• Pair production: dominated by QCD and sensitive to the Q mass (model-independent).

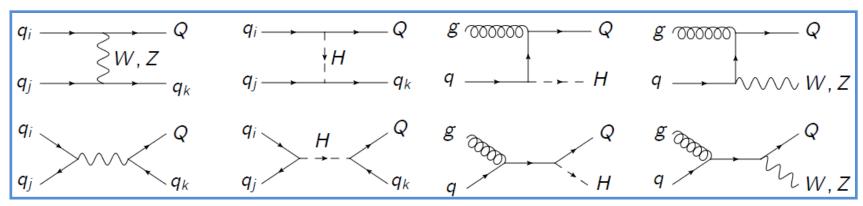


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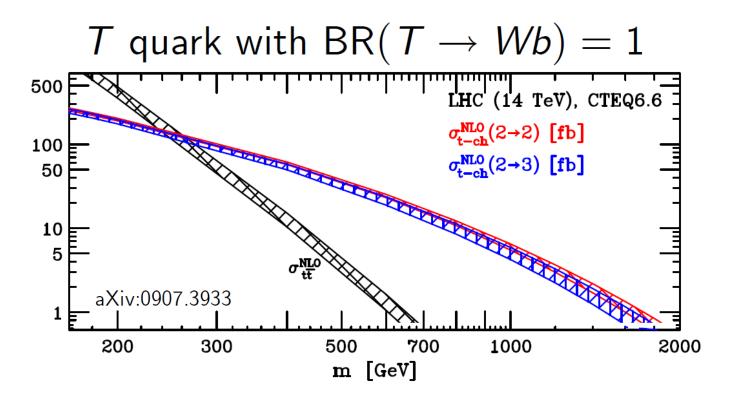
- Pair production: dominated by QCD and sensitive to the Q mass (model-independent).
- **Single production:** EW contributions are sensitive to both the Q mass and its mixing parameters (model-dependent).





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NLO cross sections (in fb) at the LHC 14 TeV Pair vs. t-channel single production  $(2 \rightarrow 2 \text{ and } 2 \rightarrow 3 \text{ schemes})$ 



QCD pair production decreases faster than EW single production due to different PDF scaling.

<u>ځ</u>.

Parametrisation: correlates directly the model parameters to the Branching Ratios of the VLQs

**L** 

Only required inputs

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Example: a T(t') singlet coupling to Wb

$$L \supset \kappa_W V_L^{43} \frac{g}{\sqrt{2}} [\bar{T}_L W_\mu^+ \gamma^\mu b_L]$$

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Example: a T(t') singlet coupling to Wb

$$L\supset \kappa_W \, V_L^{43} \frac{g}{\sqrt{2}} [\, \bar{T}_L W_\mu^+ \gamma^\mu b_L ]$$

$$L\sim \kappa_T \, \sqrt{\xi_W \zeta_b} \, [\, \bar{T}_L W_\mu^+ \gamma^\mu b_L ]$$

$$TWb \text{ current}$$

$$\mathsf{BR}(T\to Wb)$$

### Full Lagrangian for $X_{5/3}$ , T, B, $Y_{-4/3}$

$$\mathcal{L} = \kappa_T \sqrt{\frac{\zeta_i \xi_W^T}{\Gamma_W^0}} \frac{g}{\sqrt{2}} \left[ \bar{T}_L W_\mu^+ \gamma^\mu d_L^i \right]$$

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$$+ \kappa_{B} \left\{ \sqrt{\frac{\zeta_{i} \xi_{W}^{B}}{\Gamma_{W}^{0}}} \frac{g}{\sqrt{2}} \left[ \bar{B}_{L} W_{\mu}^{-} \gamma^{\mu} u_{L}^{i} \right] + \sqrt{\frac{\zeta_{i} \xi_{Z}^{B}}{\Gamma_{Z}^{0}}} \frac{g}{2c_{W}} \left[ \bar{B}_{L} Z_{\mu} \gamma^{\mu} d_{L}^{i} \right] - \sqrt{\frac{\zeta_{i} \xi_{H}^{B}}{\Gamma_{H}^{0}}} \frac{M}{v} \left[ \bar{B}_{R} H d_{L}^{i} \right] \right\}$$

$$+ \kappa_{X} \left\{ \sqrt{\frac{\zeta_{i}}{\Gamma_{W}^{0}}} \frac{g}{\sqrt{2}} \left[ \bar{X}_{L} W_{\mu}^{+} \gamma^{\mu} u_{L}^{i} \right] \right\}$$

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$$+ \kappa_{B} \left\{ \sqrt{\frac{\zeta_{i}\xi_{W}^{B}}{\Gamma_{W}^{0}}} \frac{g}{\sqrt{2}} \left[ \bar{B}_{L}W_{\mu}^{-}\gamma^{\mu}u_{L}^{i} \right] + \sqrt{\frac{\zeta_{i}\xi_{Z}^{B}}{\Gamma_{Z}^{0}}} \frac{g}{2c_{W}} \left[ \bar{B}_{L}Z_{\mu}\gamma^{\mu}d_{L}^{i} \right] - \sqrt{\frac{\zeta_{i}\xi_{H}^{B}}{\Gamma_{H}^{0}}} \frac{M}{v} \left[ \bar{B}_{R}Hd_{L}^{i} \right] \right\}$$

$$+ \kappa_{X} \left\{ \sqrt{\frac{\zeta_{i}}{\Gamma_{W}^{0}}} \frac{g}{\sqrt{2}} \left[ \bar{X}_{L}W_{\mu}^{+}\gamma^{\mu}u_{L}^{i} \right] \right\} + \kappa_{Y} \left\{ \sqrt{\frac{\zeta_{i}}{\Gamma_{W}^{0}}} \frac{g}{\sqrt{2}} \left[ \bar{Y}_{L}W_{\mu}^{-}\gamma^{\mu}d_{L}^{i} \right] \right\} + h.c.$$

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$$\mathcal{L} = \kappa_{T} \left\{ \sqrt{\frac{\zeta_{i} \xi_{W}^{T}}{\Gamma_{W}^{0}}} \frac{g}{\sqrt{2}} \left[ \bar{T}_{L} W_{\mu}^{+} \gamma^{\mu} d_{L}^{i} \right] + \sqrt{\frac{\zeta_{i} \xi_{Z}^{T}}{\Gamma_{Z}^{0}}} \frac{g}{2c_{W}} \left[ \bar{T}_{L} Z_{\mu} \gamma^{\mu} u_{L}^{i} \right] - \sqrt{\frac{\zeta_{i} \xi_{H}^{T}}{\Gamma_{H}^{0}}} \frac{M}{v} \left[ \bar{T}_{R} H u_{L}^{i} \right] - \sqrt{\frac{\zeta_{3} \xi_{H}^{T}}{\Gamma_{H}^{0}}} \frac{m_{t}}{v} \left[ \bar{T}_{L} H t_{R} \right] \right\}$$

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Model-dependency "factored out"

$$BR(Q \to Vq_i) = \xi_V \zeta_i$$

### Full Lagrangian for $X_{5/3}$ , T, B, $Y_{-4/3}$

$$\mathcal{L} = \kappa_{T} \left\{ \sqrt{\frac{\zeta_{i}\xi_{W}^{T}}{\Gamma_{W}^{0}}} \frac{g}{\sqrt{2}} \left[ \bar{T}_{L}W_{\mu}^{+} \gamma^{\mu} d_{L}^{i} \right] + \sqrt{\frac{\zeta_{i}\xi_{Z}^{T}}{\Gamma_{Z}^{0}}} \frac{g}{2c_{W}} \left[ \bar{T}_{L}Z_{\mu}\gamma^{\mu}u_{L}^{i} \right] - \sqrt{\frac{\zeta_{i}\xi_{H}^{T}}{\Gamma_{H}^{0}}} \frac{M}{v} \left[ \bar{T}_{R}Hu_{L}^{i} \right] - \sqrt{\frac{\zeta_{3}\xi_{H}^{T}}{\Gamma_{H}^{0}}} \frac{m_{t}}{v} \left[ \bar{T}_{L}Ht_{R} \right] \right\}$$

$$+ \kappa_{B} \left\{ \sqrt{\frac{\zeta_{i}\xi_{W}^{B}}{\Gamma_{W}^{0}}} \frac{g}{\sqrt{2}} \left[ \bar{B}_{L}W_{\mu}^{-}\gamma^{\mu}u_{L}^{i} \right] + \sqrt{\frac{\zeta_{i}\xi_{Z}^{B}}{\Gamma_{Z}^{0}}} \frac{g}{2c_{W}} \left[ \bar{B}_{L}Z_{\mu}\gamma^{\mu}d_{L}^{i} \right] - \sqrt{\frac{\zeta_{i}\xi_{H}^{B}}{\Gamma_{H}^{0}}} \frac{M}{v} \left[ \bar{B}_{R}Hd_{L}^{i} \right] \right\}$$

$$+ \kappa_{X} \left\{ \sqrt{\frac{\zeta_{i}}{\Gamma_{W}^{0}}} \frac{g}{\sqrt{2}} \left[ \bar{X}_{L}W_{\mu}^{+}\gamma^{\mu}u_{L}^{i} \right] \right\} + \kappa_{Y} \left\{ \sqrt{\frac{\zeta_{i}}{\Gamma_{W}^{0}}} \frac{g}{\sqrt{2}} \left[ \bar{Y}_{L}W_{\mu}^{-}\gamma^{\mu}d_{L}^{i} \right] \right\} + h.c.$$



# Model-dependency "factored out"

$$BR(Q \to Vq_i) = \xi_V \, \zeta_i$$

# of parameters:

$$\int T \cdot \mathbf{F}$$

$$\xi_W + \xi_Z + \xi_H = 1$$

$$\zeta_1 + \zeta_2 + \zeta_3 = 1$$

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$$+ \kappa_{B} \left\{ \sqrt{\frac{\zeta_{i}\xi_{W}^{B}}{\Gamma_{W}^{0}}} \frac{g}{\sqrt{2}} \left[ \bar{B}_{L}W_{\mu}^{-} \gamma^{\mu} u_{L}^{i} \right] + \sqrt{\frac{\zeta_{i}\xi_{Z}^{B}}{\Gamma_{Q}^{0}}} \frac{g}{2c_{W}} \left[ \bar{B}_{L}Z_{\mu}\gamma^{\mu} d_{L}^{i} \right] - \sqrt{\frac{\zeta_{i}\xi_{H}^{B}}{\Gamma_{H}^{0}}} \frac{M}{v} \left[ \bar{B}_{R}H d_{L}^{i} \right] \right\}$$

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### Model-dependency "factored out"

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Feynrules, MadGraph & CalcHEP public implementations:

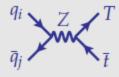
- $\bullet \ \, \mathsf{http:}//\mathsf{feynrules.irmp.ucl.ac.be}/$
- http://hepmdb.soton.ac.uk/

(complete model, and specific representations).

### Analytical cross-sections for the T quark (leading order)

In association with top

$$\sigma(T\bar{t}) = \kappa_T^2 \ \xi_Z \zeta_3 \ \bar{\sigma}_{Z3}^{T\bar{t}}$$



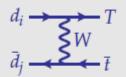
### Analytical cross-sections for the T quark (leading order)

5.

### Analytical cross-sections for the T quark (leading order)

#### In association with top

$$\sigma(T\bar{t}) = \kappa_T^2 \left( \xi_Z \zeta_3 \ \bar{\sigma}_{Z3}^{T\bar{t}} + \xi_W \sum_{i=1}^3 \zeta_i \ \bar{\sigma}_{Wi}^{T\bar{t}} \right) \qquad \qquad \bar{d}_j \qquad \bar{t}$$





#### In association with light quark

$$\sigma(Tj) = \kappa_T^2 \left( \xi_W \sum_{i=1}^3 \zeta_i \ \bar{\sigma}_{Wi}^{Tjet} + \xi_Z \sum_{i=1}^3 \zeta_i \ \bar{\sigma}_{Zi}^{Tjet} \right) \qquad q_i \longrightarrow W, Z$$

$$q_i \xrightarrow{T} T$$
 $q_j \xrightarrow{W, Z} q_j$ 

$$q_i$$
 $Z$ 
 $q_j$ 
 $Z$ 
 $q_k$ 

### Analytical cross-sections for the T quark (leading order)

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#### In association with light quark

$$\sigma(Tj) = \kappa_T^2 \left( \xi_W \sum_{i=1}^3 \zeta_i \ \bar{\sigma}_{Wi}^{Tjet} + \xi_Z \sum_{i=1}^3 \zeta_i \ \bar{\sigma}_{Zi}^{Tjet} \right)$$

$$q_i \longrightarrow T$$

$$q_j \longrightarrow T$$





#### In association with gauge or Higgs boson

$$\sigma(T\{W,Z,H\}) = \kappa_T^2 \left( \xi_W \sum_{i=1}^3 \zeta_i \ \bar{\sigma}_i^{TW} + \xi_Z \sum_{i=1}^3 \zeta_i \ \bar{\sigma}_i^{TZ} + \xi_H \sum_{i=1}^3 \zeta_i \ \bar{\sigma}_i^{TH} \right)$$

$$g \longrightarrow q \qquad T \qquad g \longrightarrow W, Z \qquad g \longrightarrow W \qquad g \longrightarrow W, Z \qquad g \longrightarrow W \qquad g \longrightarrow$$

The  $\bar{\sigma}$  are model-independent coefficients: the model-dependency is factorised!

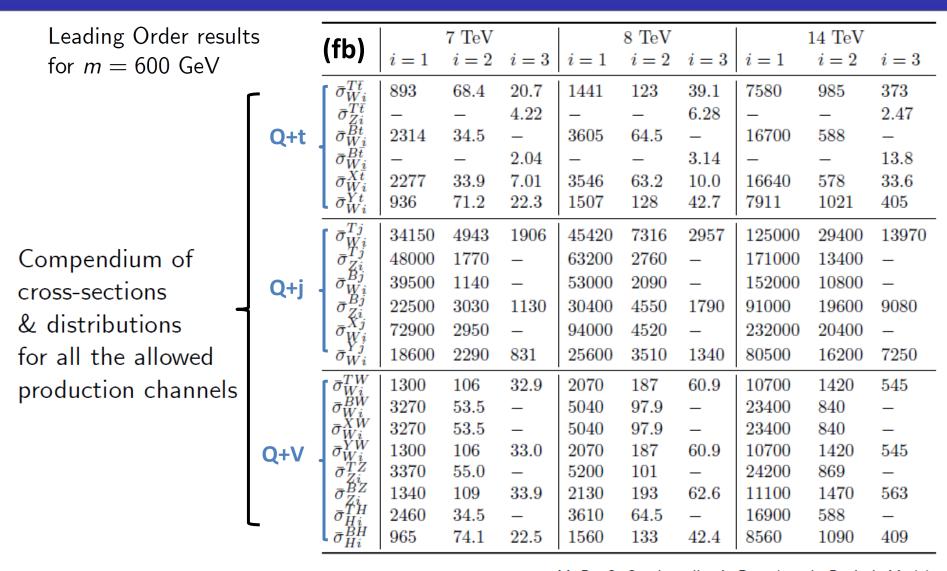
Leading Order results for m = 600 GeV

(th)		7 TeV			8 TeV			14 TeV	
(fb)	i = 1	i = 2	i = 3	i = 1	i = 2	i = 3	i = 1	i = 2	i = 3
$ar{\sigma}_{Wi}^{Tar{t}}$	893	68.4	20.7	1441	123	39.1	7580	985	373
$ar{\sigma}_{Zi}^{Tar{t}}$	_	_	4.22	_	_	6.28	_	_	2.47
$ar{\sigma}_{Zi}^{Tar{t}} \ ar{\sigma}_{Wi}^{Bt}$	2314	34.5	_	3605	64.5	_	16700	588	_
$\bar{\sigma}_{Wi}^{Bt}$	_	_	2.04	_	_	3.14	_	_	13.8
$ar{\sigma}_{Wi}^{Xar{t}}$	2277	33.9	7.01	3546	63.2	10.0	16640	578	33.6
$\bar{\sigma}_{Wi}^{Yt}$	936	71.2	22.3	1507	128	42.7	7911	1021	405
$\bar{\sigma}_{W_i}^{T_j}$	34150	4943	1906	45420	7316	2957	125000	29400	13970
$\bar{\sigma}_{Zi}^{Tj}$	48000	1770	_	63200	2760	_	171000	13400	_
$\bar{\sigma}_{W_i}^{B_j}$	39500	1140	_	53000	2090	_	152000	10800	_
$egin{array}{l} ar{\sigma}_{Wi}^{Tj} \ ar{\sigma}_{Zi}^{Tj} \ ar{\sigma}_{Wi}^{Bj} \ ar{\sigma}_{Zi}^{Bj} \ ar{\sigma}_{Zi}^{Sj} \ ar{\sigma}_{Xj}^{Tj} \ ar{\sigma}_{Xj}^{Tj} \end{array}$	22500	3030	1130	30400	4550	1790	91000	19600	9080
$\bar{\sigma}_{Wi}^{Xj}$	72900	2950	_	94000	4520	_	232000	20400	_
$ar{\sigma}_{Wi}^{Yj}$	18600	2290	831	25600	3510	1340	80500	16200	7250
$\bar{\sigma}_{Wi}^{TW}$	1300	106	32.9	2070	187	60.9	10700	1420	545
$\bar{\sigma}_{Wi}^{BW}$	3270	53.5	_	5040	97.9	_	23400	840	_
$\bar{\sigma}^{XW}$	3270	53.5	_	5040	97.9	_	23400	840	_
$\bar{\sigma}_{Wi}^{YW}$	1300	106	33.0	2070	187	60.9	10700	1420	545
$ar{\sigma}_{Zi}^{TZ}$	3370	55.0	_	5200	101	_	24200	869	_
$ar{\sigma}_{Zi}^{BZ}$	1340	109	33.9	2130	193	62.6	11100	1470	563
$ar{\sigma}_{Hi}^{TH}$	2460	34.5	_	3610	64.5	_	16900	588	_
$\begin{array}{c} \sigma_{Wi} \\ \bar{\sigma}_{Wi}^{YW} \\ \bar{\sigma}_{Zi}^{TZ} \\ \bar{\sigma}_{Zi}^{BZ} \\ \bar{\sigma}_{Hi}^{TH} \\ \bar{\sigma}_{Hi}^{BH} \end{array}$	965	74.1	22.5	1560	133	42.4	8560	1090	409

Pair-production:

$$\sigma_{Qar{Q}}^{QCD}=$$
 109 (167) fb at LO (NLO).

M. B., G. Cacciapaglia, A. Deandrea, L. Panizzi, *Model Independent Framework for Searches of Top Partners*, Nucl.Phys. B876 (2013) 376-417, arXiv:1305.4172



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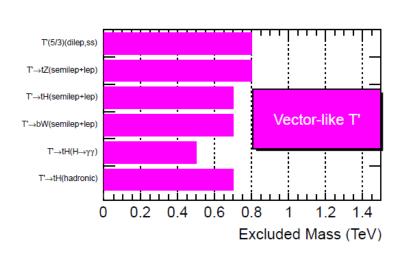
M. B., G. Cacciapaglia, A. Deandrea, L. Panizzi, *Model Independent Framework for Searches of Top Partners*, Nucl. Phys. B876 (2013) 376-417, arXiv:1305.4172

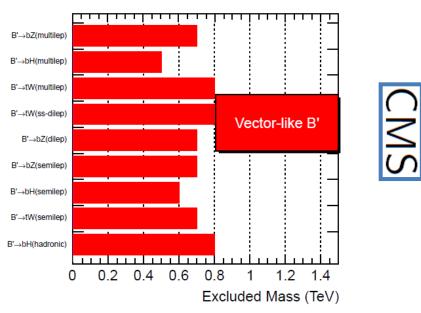
#### **Outline**

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### Current mass limits (direct searches, summer 2014)

- Main assumptions: pair-production + decays to  $3^{rd}$  generation quarks
- Upcoming searches: also single-production + decays to light quarks





	Model	$\ell$ , $\gamma$	Jets	E <sub>T</sub> miss	∫£ dt[fb	<sup>-1</sup> ]	Mass limit		Reference
						1 1 1 1 1			
	Vector-like quark $TT \rightarrow Ht + X$	1 e, μ	$\geq 2 \text{ b, } \geq 4 \text{ j}$	Yes	14.3	T mass	790 GeV	T in (T,B) doublet	ATLAS-CONF-2013-018
Heavy quarks	Vector-like quark $TT \rightarrow Wb + X$	1 e, μ	$\geq 1$ b, $\geq 3$ j	Yes	14.3	T mass	670 GeV	isospin singlet	ATLAS-CONF-2013-060
ea Iar	Vector-like quark $TT \rightarrow Zt + X$	2/≥3 e, μ	≥2/≥1 b	_	20.3	T mass	735 GeV	T in (T,B) doublet	ATLAS-CONF-2014-036
H B	Vector-like quark $BB \rightarrow Zb + X$	2/≥3 e, μ	≥2/≥1 b	-	20.3	B mass	755 GeV	B in (B,Y) doublet	ATLAS-CONF-2014-036
	Vector-like quark $BB \rightarrow Wt + X$	2 e,μ (SS)	$\geq$ 1 b, $\geq$ 1 j	Yes	14.3	B mass	720 GeV	B in (T,B) doublet	ATLAS-CONF-2013-051



Besides the mass limits set from the direct searches, the VLQ parameters are constrained by many observables:

- Flavour Changing Neutral Currents.
- Meson mixing and decays ( $\Delta F = 2, 1$ ).
- Rare top decays.
- $Zu\bar{u}$ , and  $Zd\bar{d}$  couplings from APV.
- $Zs\bar{s}$ ,  $Zc\bar{c}$ , and  $Zb\bar{b}$  couplings from LEP.
- EW precision tests.
- Higgs physics at the LHC.

#### **Constraints** have been investigated thoroughly in:

- J.A. Aguilar-Saavedra, R. Benbrik, S. Heinemeyer, M. Perez-Victoria, PRD 88 (2013) 094010
- G. Cacciapaglia, A. Deandrea, D. Harada, Y. Okada, JHEP 11 (2010) 159
- G. Isidori, Y. Nir, G. Perez, Ann. Rev. Nucl. Part. Sci. 60 (2010) 355

 $oldsymbol{0}$  Model-independent bounds from  $\Delta F=2$  operators.

$$(\bar{s}_{L}\gamma^{\mu}d_{L})^{2} \Rightarrow \kappa^{4}\zeta_{1}\zeta_{2} < 5.5 \cdot 10^{-8} \Rightarrow \kappa < \frac{0.015}{\sqrt[4]{\zeta_{1}\zeta_{2}}}$$

$$(\bar{b}_{L}\gamma^{\mu}d_{L})^{2} \Rightarrow \kappa^{4}\zeta_{1}\zeta_{3} < 2.0 \cdot 10^{-7} \Rightarrow \kappa < \frac{0.02}{\sqrt[4]{\zeta_{1}\zeta_{3}}}$$

$$(\bar{b}_{L}\gamma^{\mu}s_{L})^{2} \Rightarrow \kappa^{4}\zeta_{1}\zeta_{2} < 4.6 \cdot 10^{-6} \Rightarrow \kappa < \frac{0.045}{\sqrt[4]{\zeta_{2}\zeta_{3}}}$$

$$(\bar{c}_{L}\gamma^{\mu}u_{L})^{2} \Rightarrow \kappa^{4}\zeta_{1}\zeta_{2} < 3.4 \cdot 10^{-8} \Rightarrow \kappa < \frac{0.014}{\sqrt[4]{\zeta_{1}\zeta_{2}}}$$



applies to the product of the coupling to two generations (stronger)

$$Z\bar{u}u\left(APV\right) \Rightarrow |\delta g_{L/R}| < 3 \times 0.00069 \rightarrow \kappa < 0.074/\sqrt{\zeta_1} \qquad Z\bar{d}d\left(APV\right) \Rightarrow |\delta g_{L/R}| < 3 \times 0.00062 \rightarrow \kappa < 0.07/\sqrt{\zeta_1}$$

$$Z\bar{s}s\left(LEP\right) \Rightarrow |\delta g_L| < 3 \times 0.012 \rightarrow \kappa < 0.3/\sqrt{\zeta_2} \qquad Z\bar{c}c\left(LEP\right) \Rightarrow |\delta g_L| < 3 \times 0.0036 \rightarrow \kappa < 0.17/\sqrt{\zeta_2}$$

$$|\delta g_R| < 3 \times 0.005 \rightarrow \kappa < 0.6/\sqrt{\zeta_2} \qquad Z\bar{c}c\left(LEP\right) \Rightarrow |\delta g_R| < 3 \times 0.0051 \rightarrow \kappa < 0.20/\sqrt{\zeta_2}$$

$$Z\bar{b}b\left(LEP\right) \Rightarrow |\delta g_L| < 3 \times 0.0015 \rightarrow \kappa < 0.11/\sqrt{\zeta_3}$$

$$|\delta g_R| < 3 \times 0.0063 \rightarrow \kappa < 0.23/\sqrt{\zeta_3} \qquad Z\bar{t}t\left(T, \delta g_{Wtb}\right) \Rightarrow \kappa < 0.1 \div 0.3/\sqrt{\zeta_3}$$



applies to the coupling to a single generation (milder)

**Result:** selection of **6** benchmark scenarios, obtained by saturating the couplings with the current Flavour & Electroweak precision bounds.

Benchmark 1 $\kappa = 0.02$	Benchmark 2 $\kappa = 0.07$	Benchmark 3 $\kappa = 0.2$	Benchmark 4 $\kappa = 0.3$	Benchmark 5 $\kappa = 0.1$	Benchmark 6 $\kappa = 0.3$
$\zeta_1 = \zeta_2 = 1/3$	$\zeta_1 = 1$	$\zeta_2 = 1$	$\zeta_3 = 1$	$\zeta_1 = \zeta_3 = 1/2$	$\zeta_2 = \zeta_3 = 1/2$

 $\kappa \Longrightarrow Max$ . value of the VLQ coupling strength

 $\zeta_{1,2,3} \Longrightarrow \text{Branching Ratio to } 1^{st}, \, 2^{nd} \, \text{and/or } 3^{rd} \, \text{generation quarks}$ 

**Result:** selection of **6** benchmark scenarios, obtained by saturating the couplings with the current Flavour & Electroweak precision bounds.

 $M=600~{
m GeV}$  ;  $\sqrt{s}=8~{
m TeV}$  ;  $\sigma(Qar Q)\simeq 109~(167)$  fb at LO (NLO)

		Benchmark 1 $\kappa = 0.02$ $\zeta_1 = \zeta_2 = 1/3$	Benchmark 2 $\kappa = 0.07$ $\zeta_1 = 1$	Benchmark 3 $\kappa = 0.2$ $\zeta_2 = 1$	Benchmark 4 $\kappa = 0.3$ $\zeta_3 = 1$	Benchmark 5 $\kappa = 0.1$ $\zeta_1 = \zeta_3 = 1/2$	Benchmark 6 $\kappa = 0.3$ $\zeta_2 = \zeta_3 = 1/2$
(1,2/3)	T	15	464	564	399	495	834
(1, -1/3)	В	14	455	457	167	-	-
	T	5.6	191	114	0.6	195	128
	B	10	351	267	1.1	358	301
$(2,1/6) \\ \lambda_{\mathcal{U}} = 0$	T	9.5	272	451	398	-	-
	B	3.7	103	190	166	-	-
$\begin{array}{l} (2,1/6) \\ \lambda_d = \lambda_u \end{array}$	T	15	464	564	399	-	-
	B	14	455	457	167	-	-
(2,7/6)	X	15	528	272	1.2	538	307
	T	5.6	191	114	0.6	195	128
(2, -5/6)	B	3.7	103	190	166	-	-
	Y	7.6	205	443	388	-	-

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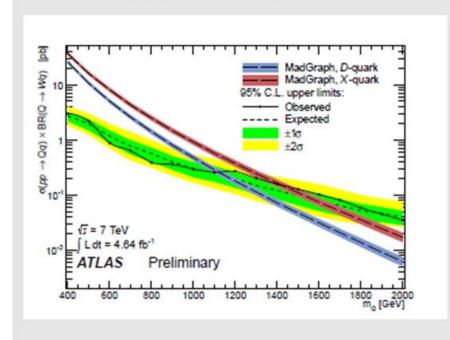
#### Observation:

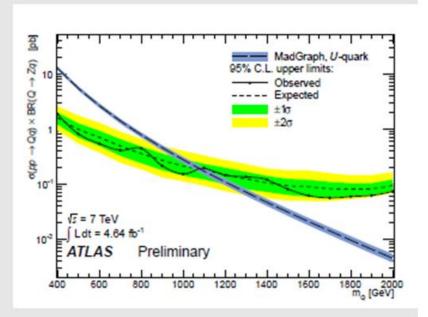
Cross-sections of similar order of magnitude are obtained in most scenarios:

- due to the valence PDFs  $(1^{st}/2^{nd}$  generation couplings).
- due to weaker constraints on  $\kappa$  (3<sup>rd</sup> generation couplings).

Relevance of single production: the benchmark scenarios obtained by saturating the couplings with the constraints from precision physics indicate that the flavour bounds are competitive with the current direct searches.

#### ATLAS search in the CC and NC channels

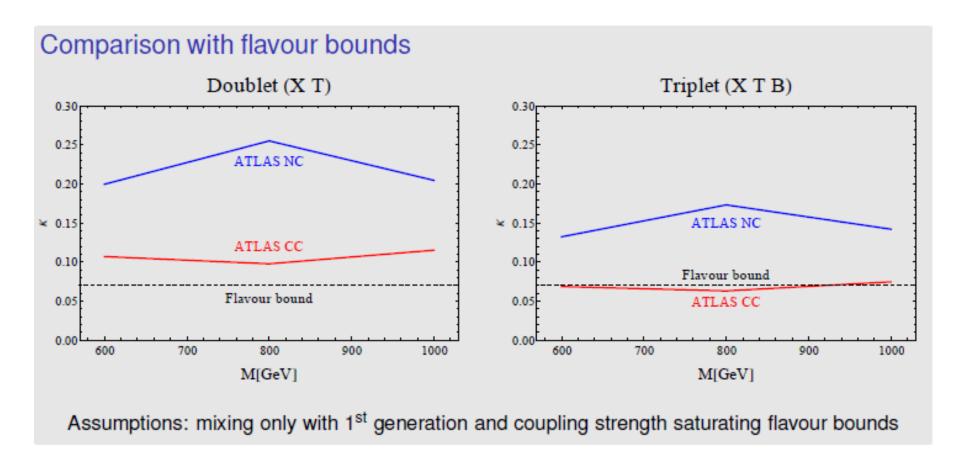




Assumptions: mixing only with 1st generation and coupling strength  $\kappa = \frac{v}{M_{VL}}$ 

**ATLAS-CONF-2012-137** 

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**ATLAS-CONF-2012-137** 

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1 Relevance of single production: VLQ production rates are sizeable regardless of their mixing structure with 1<sup>st</sup>, 2<sup>nd</sup> or 3<sup>rd</sup> generation quarks. Single production followed by decays to light and third generations should therefore be considered.

- 1 Relevance of single production: VLQ production rates are sizeable regardless of their mixing structure with  $\mathbf{1}^{st}$ ,  $\mathbf{2}^{nd}$  or  $\mathbf{3}^{rd}$  generation quarks. Single production followed by decays to light and third generations should therefore be considered.
- Exclusive mixing hypotheses: assuming exclusive (100%) branching ratios may forbid some VLQ single production channels.

		$BR(Q  o 1^{st}, 2^{nd}) = 1$	$BR(Q \to 3^{rd}) = 1$
BR(Q -	$\rightarrow W) = 1$	$TZ,TH \ Bar{t},BZ,BH$	$TZ, TH \\ Bj, B\bar{t}, BW, BZ, BH$
BR(Q-	$\rightarrow Z)=1$	$Tar{t},TW,TH \ Bt,Bar{t},BW,BH$	Tj, TW, TZ, TH $Bt, B\bar{t}, BW, BH$
BR(Q-	$\rightarrow H) = 1$	all channels but $TH$ are forbidden all channels but $BH$ are forbidden	all channels are forbidden all channels but $BH$ are forbidden

Forbidden channels for single production with exclusive (100%) mixing patterns. (E.g., avoid looking for  $pp \to TH \to tHH$  with BR( $T \to tH$ ) = 100 %)

Relevance of "mixed" scenarios: many final states provide very interesting, yet uncovered signatures! Ex:  $\zeta_1 = \zeta_3 = 50\%$ 

$$pp(uu) \rightarrow Tu \rightarrow tZu \rightarrow bWZj$$
  
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,  $tHtH$ , ...  $q_i o Q$ 

Associated production with top quarks:  $pp \rightarrow Qt$  provides a very interesting final state and is worth exploring even in case of zero  $3^{rd}$  generation mixing.

 Model-independent parametrisation has been implemented for pairand singly- produced VLQs coupling to the SM quarks (BRs = inputs)

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- Although only at Leading Order, a compendium of the relevant production cross-sections & distributions has been provided for the forthcoming searches.
- MadGraph & CalcHEP models can be found at
  - http://feynrules.irmp.ucl.ac.be/wiki/VLQ
  - http://hepmdb.soton.ac.uk/hepmdb:0414.0165
- New model-independent tools are already available



