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## Parallel Session Summary of Supersymmetry and Beyond the SM

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2<sup>nd</sup> Annual Workshop - Aachen 28<sup>th</sup> November 08



## Contributions

- Overall 18 Contributions (exp: 8, theo: 9, tools: 1)
- Supersymmetry: 14 contributions other Models: 4
- Very active area: many contributions have to be rejected due to time contraints





## Introduction

### Shortcomings of the SM:

- Why are there 3 Generations ?
- Why is electric charge of electron and proton equal ?
- Why are ~17 orders of magnitude between EW and Planck scale ?
- How can the fine tuning problem be solved ?
- Should the gauge couplings unify at high energies ? In the SM they do not !
- Can the large numbers of free parameters 19 (+7(9) from vs) in the SM be reduced ?
- What is the nature of dark matter and dark energy ?
- Why is the gravitational force so weak? How can the gravity be included in one formal description of all forces ?

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There are many models which address one or more of these question !



## Supersymmetry

- Last possible symmetry: between fermions and bosons
- Each SM particle gets a SUSY partner equal in all quantum numbers except for spin  $(\pm^{1}/_{2})$ 
  - → Opposite sign of loop corrections solve fine tuning problem
  - → New particles change slope of running couplings → gauge unification
  - → Graviton (s = 2)  $\leftrightarrow g/W/Z/\gamma$  (s = 1)
  - → Provides perfect DM candidate
  - → "Natural" EWSBreaking
- No candidates for supersymmetric partners discovered so far
  - → SUSY has to be broken, but sparticles should have masses of ~1 TeV to keep advantages of SUSY





### unification of gauge couplings:



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- Very popular breaking scenario by coupling to (yet unknown) supergravity sector
- *m*<sub>0</sub>: unified mass breaking term of scalar particles *m*<sub>1/2</sub>: unified mass breaking term of gauginos

 $\rightarrow$  Only 5 new parameters

- tan β: ratio of VEVs of the two higgs dubletts
- A<sub>0</sub>: unified trilinear coupling
- sign μ: sign of higgs potential parameter

GUT relation are convenient:  $M_1 = (5\tan(\theta_W)/3)M_2$ In principle there are no theoretical and experimental bounds on lightest neutralino mass Talk from Ben O' Leary



**mSUGRA** 

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## Gauge Mediated Symmetry Breaking

- SUSY good candidate for BSM physics
- SUSY breaking: mediated via gravity, gauge interactions, ...
- GMSB described by 6 fundamental parameters

Par.	Description	
Λ	SUSY breaking scale	
М	Messenger mass scale	
tanβ	Ratio of Higgs VEVs	
Ν	Number of messenger multiplets	
sign(μ)	Sign of Higgs mass parameter	
C <sub>grav</sub>	Scale factor of Gravitino coupling (~1/C <sup>2</sup> <sub>grav</sub> )	

Present GMSB limits from TeVatron searches:

Par.	Λ	m <sub>Neutralino</sub>	m <sub>Chargino</sub>
Limit	> 80 TeV	> 110 GeV	> 200 GeV



Features:

- Lightest SUSY particle (LSP): Goldstino/Gravitino (m ≤ keV)
- 2nd lightest SUSY particle (NLSP): Neutralino or Slepton
- Missing energy from Gravitino
- Final state: hard photons, leptons

### Talk from Mark Terwort

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#### SUSY and BSM



A good combination will be then the cNMSSM=NMSSM+mSUGRA: the original SUSY/SUGRA models are of this type [Fayet, Nilles, ..]

- The most general superpotential compatible with SUSY,  $R_P$  etc.., is  $\mathcal{W} = Y_u \hat{u}_R \hat{H}_u \hat{Q} + Y_d \hat{d}_R \hat{H}_d \hat{Q} + Y_l \hat{l}_R \hat{H}_d \hat{L} - \lambda S \hat{H}_u \hat{H}_d + \frac{1}{2} \kappa \hat{S}^3$ 
  - ullet The collection of universal soft SUSY breaking terms at  $M_{\rm GUT}$  is

$$\mathbf{M}_{1/2} \equiv \mathbf{M}_1 = \mathbf{M}_2 = \mathbf{M}_3$$

$$\mathbf{m_0} \quad \equiv \mathbf{m_{H_u}} = \mathbf{m_{H_d}} = \mathbf{m_S} = \mathbf{m_{\tilde{Q}}} = \mathbf{m_{\tilde{t}}} = \mathbf{m_{\tilde{b}}} = \mathbf{m_{\tilde{L}}} = \mathbf{m_{\tilde{\tau}}}$$

$$\mathbf{A_0} \quad \equiv \mathbf{A_t} = \mathbf{A_b} = \mathbf{A}_{\tau} = \mathbf{A}_{\lambda} = \mathbf{A}_{\kappa}$$

 $\Rightarrow$  five continuous parameters  $M_{1/2}, m_0, A_0, \lambda, \kappa$ 

(as in cMSSM:  $M_{1/2}, m_0, A_0, \mu^2, B\mu \Rightarrow M_{1/2}, m_0, A_0, \tan \beta, \epsilon_{\mu}$ )

- practical purposes (RGEs, numerics): trade  $\kappa \leftrightarrow an eta$
- requiring correct  $M_Z$  value:  $\Rightarrow \tan \beta = \tan \beta(M_{1/2}, m_0, A_0, \lambda)$
- ullet minimization of scalar Higgs potential:  $\Rightarrow$  s but also  $\kappa, \mathbf{m}_{\mathbf{S}}^{\mathbf{2}}$

constrained NMSSM :  $M_{1/2}, m_0, A_0, \lambda$ 

### Talk from Abdelhak Djouadi

# constrained NMSSM cont





with  $m_0 = 0, \lambda = 10^{-2}$  assumed and tan $\beta$  fixed by of other parameters. All constraints (theory, LEP, Higgs, DM, B-meson) imposed except (g-2). A model with essentially one free parameter,  $M_{1/2}$ ! Talk from Abdelhak Djouadi

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#### PHYSICS AT THE TERA SCALE

## **SUSY Searches**





- Robust and stable preselection/trigger needed
- Presented searches for many different signatures:

  - Inclusive searches with jets and leptons
  - Exclusive searches (with leptons)
  - Special signatures in GMSB models (Di-Photon production or HCSP)
- All presented studies assume *R*-parity conservation!





## **Data Driven Background Estimation**





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## Extended ABCD Method



- The ratio is fitted in the background region (A, B) of the variable with better separation power
- The region D is scaled bin-wise with the fit result to give an estimation of QCD events in the signal region C
- For that purpose, we need variables that are correlated in a stable way
- The correlation can be influenced by the selection
- AIM: Find not correlated variables with enough separation power

### Talk from Sergei Bobrowskyi



### QCD estimation





## **Tiles Method**

- Segment data in two discriminating variables into tiles (min 2x2).
- Expected total number of events in (2x2) tiles:
  - $$\begin{split} \mathbf{N}^{A} &= \varepsilon_{\mathrm{SM}}^{A} \mathbf{N}_{\mathrm{SM}} + \varepsilon_{A}^{S} \mathbf{N}_{\mathrm{s}} \\ \mathbf{N}^{B} &= \varepsilon_{\mathrm{SM}}^{B} \mathbf{N}_{\mathrm{SM}} + \varepsilon_{B}^{S} \mathbf{N}_{\mathrm{s}} \\ \mathbf{N}^{C} &= \varepsilon_{\mathrm{SM}}^{C} \mathbf{N}_{\mathrm{SM}} + \varepsilon_{C}^{S} \mathbf{N}_{\mathrm{s}} \\ \mathbf{N}^{D} &= \varepsilon_{\mathrm{SM}}^{D} \mathbf{N}_{\mathrm{SM}} + \varepsilon_{D}^{S} \mathbf{N}_{\mathrm{s}} \end{split}$$
- Normalisation of the efficiencies implies:  $N_{SM} + N_{s} = N^{A} + N^{B} + N^{C} + N^{D}$
- System of four independent linear equations
- Once confronted with observations (NA= Na  $_{\rm obs}$  etc.), we have 10 unknowns.
- Taking the SM tile efficiencies from MC, we are left with 6 unknowns
- Further requiring that the signal variables are independent, one can write

 $\varepsilon_{A}^{s} = (1 - \varepsilon_{1}^{s}) (1 - \varepsilon_{2}^{s}), \quad \varepsilon_{B}^{s} = \varepsilon_{1}^{s} (1 - \varepsilon_{2}^{s}),$  $\varepsilon_{C}^{s} = (1 - \varepsilon_{1}^{s}) \quad \varepsilon_{2}^{s}, \quad \varepsilon_{D}^{s} = \varepsilon_{1}^{s} \quad \varepsilon_{2}^{s}$ 

• And we can solve the sys. of four lin. eq. !

- SM correlation taken into account
- Signal contamination no problem
- No assumption made on signal except that it is uncorrelated btw. 2 variables
- ★ Assumes SM eff. well described by MC



### Talk from Till Eifert

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#### SUSY and BSM



## **Discovery Reach for Atlas**







0-lepton channels: 4-jets channel gives highest reach 1-lepton channels: 2,3,4-jets channels with comparable sensitivity For 100 pb<sup>-1</sup> low jet multiplicities very promising also in 0 lepton mode

### Talk from Jan E. Sundermann



## **Discovery Reach for Atlas cont**

### mSUGRA vs. NUHM

- NUHM (non-universalhiggs-model): Adjust values of μ and M<sub>A</sub> to be compatible with CDM constraints
- 5σ discovery reach contours
- Comparison of 0 and 1lepton measurements





mSUGRA vs. NUHM: reach in 0 and 1-lepton channels comparable

### Talk from Jan E. Sundermann



## **Dilepton Mass Edge Reconstruction**



### Talk from Martin Niegel (results from Niklas Mohr)

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## Parameter Reconstruction



- In general: observables  $\neq$  parameters



- Difficulty: mapping not analytical due to higher order corrections
- But: theory gives mapping parameters → observables
- Strategy: vary parameters until predicted and measured observables in agreement







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### Parameter Reconstruction cont

observables





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### **3Loop Corr. to MSSM Higgs mass**

simplifying assumptions

- effective potential approximation
- restrict to t,  $\tilde{t}$  sector
  - t,  $\tilde{t}$ , g,  $\tilde{g}$ , q and  $\tilde{q}$  as internal particles
- assume mass hierarchy

$$m_q = 0, \quad m_t \ll m_{\tilde{t}_1} = m_{\tilde{t}_2} = m_{\tilde{g}} = m_{\tilde{q}}$$
$$m_t \ll m_{\tilde{t}_1} = m_{\tilde{t}_2} = m_{\tilde{g}} \ll m_{\tilde{q}}$$
$$m_t \ll m_{\tilde{t}_1} \ll m_{\tilde{t}_2} = m_{\tilde{g}} \ll m_{\tilde{q}}$$



asymptotic expansion in small ratios of masses



### Talk from Philipp Kant

$$\begin{split} \Delta M_h &= -\frac{3\,G_F\,M_t^4}{\sqrt{2}\pi^2} \Biggl\{ -L_{tS} + \frac{\alpha_s}{\pi} \left[ 4L_{tS} - 2L_{tS}^2 \right] + \left( \frac{\alpha_s}{\pi} \right)^2 \left[ -\frac{1091}{324} - \frac{1}{27}\pi^2 - \frac{1}{9}\zeta_3 \right. \\ &+ \left( \frac{1591}{108} + 3L_{\mu t} - \frac{1}{3}\pi^2 + \frac{4}{9}\pi^2 \ln 2 - \frac{55}{18}L_{t\tilde{q}} - \frac{5}{6}L_{t\tilde{q}}^2 \right) L_{tS} \\ &+ \left( -\frac{19}{18} - \frac{3}{2}L_{\mu t} + \frac{5}{3}L_{t\tilde{q}} \right) L_{tS}^2 - \frac{53}{18}L_{tS}^3 \\ &+ \left( -\frac{475}{108} + \frac{5}{9}\pi^2 \right) L_{t\tilde{q}} + \frac{25}{36}L_{t\tilde{q}}^2 + \frac{5}{18}L_{t\tilde{q}}^3 \\ &+ \mathcal{O}\left( \frac{M_s^2}{M_{\tilde{q}}^2} \right) \Biggr] \Biggr\}, \quad L_{tS} = \ln \frac{M_t^2}{M_{SUSY}^2}, \qquad L_{\mu t} = \ln \frac{\mu^2}{M_t^2}, \qquad L_{t\tilde{q}} = \ln \frac{Mt^2}{M_{\tilde{q}}^2} \end{split}$$

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## **3Loop Corr. to MSSM Higgs mass cont**



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## NNLO Corr. Squark-Antisquark Prod.

- Full NNLO: Very complex calculation
- Particles are produced near kinematical production threshold
- Therefore: Soft gluon resummation (Tool for calculating approximated N<sup>k</sup>LO results)



NNLO correction are about 5 – 10% of the NLO cross section

Raising of mass bounds: 100pb 310GeV LO, 340GeV NLO, 345GeV

### Talk from Ulrich Langenfeld



## W' Searches at CMS



- Exactly one electron E<sub>T,e</sub> > 30 GeV
- High E<sub>T</sub> electron isolation criteria
- Topological selections:
  - Cut on the angle between electron and MET
  - Cut on the energy ratio between electron and MET



- Evidence at about ~2.5 TeV
- Discovery at about 2 TeV

### Talk from Walter Bender

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#### SUSY and BSM

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Summary

- Most of the BSM activities in the alliance are SUSY related
- mSUGRA is popular but also studies with other breaking scenarios were presented
- Data taking slowly approaching: focus is shifted to data driven background estimation instead of "simple" MC studies
- Progress on the theory side is manifold:
  - Higher order corrections to Higgs masses and squark production cross sections become available
  - ... a lot of more very interesting presentations were given (often with direct relation to the LHC)