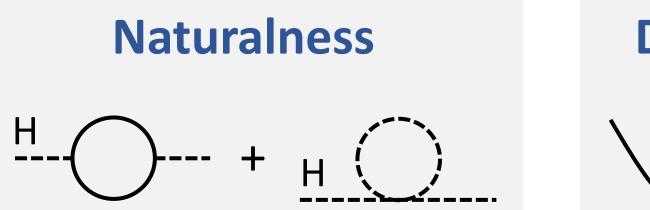
SUSY Higgs Mass and Collider Signals with a Hidden Valley

Yuichiro Nakai (Harvard)

YN, M. Reece and R. Sato, In preparation

Supersymmetry (SUSY)



Quadratic divergence is cancelled.

Dynamics of EWSB

EWSB is driven radiatively.

However, LHC poses two significant obstacles ...

SUSY Higgs mass problem

125 GeV Higgs is light, but not so light ...

A significant radiative correction is needed in MSSM.

$$\Delta\lambda_{H_u}pprox rac{y_t^4 N_c}{16\pi^2} \ln rac{m_{ ilde{t}}}{m_t} \qquad N_c=3$$

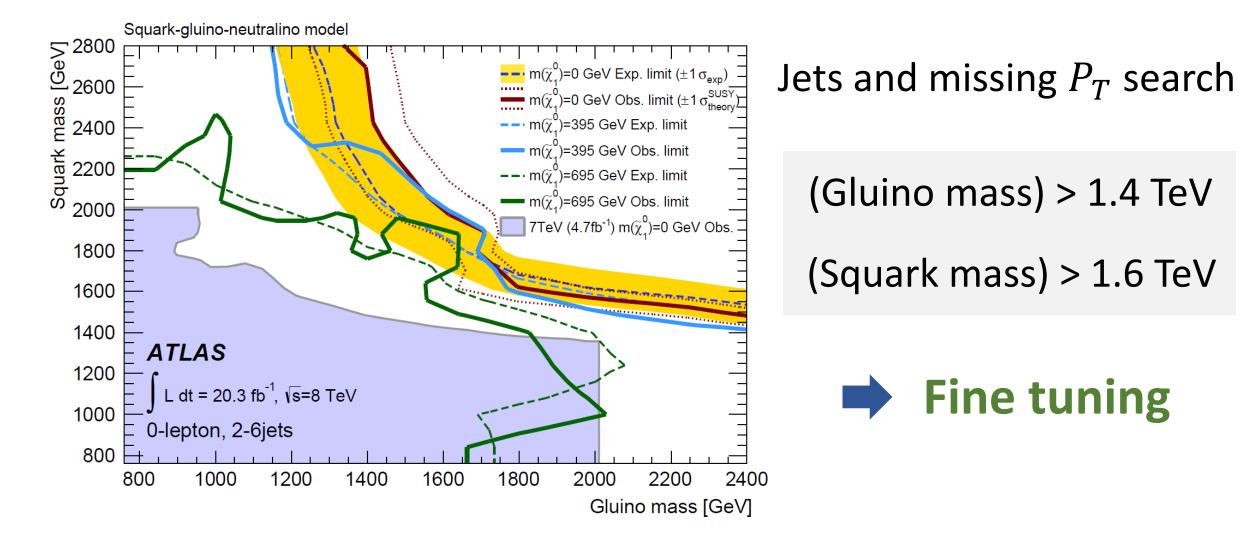
A large quadratic term is also generated.

$$\Delta m^2_{H_u}pprox -rac{y_t^2 N_c}{4\pi^2}m^2_{ ilde{t}}\lnrac{M_{
m m}^2}{m^2_{ ilde{t}}} ~~M_{
m m}$$
 : Mediation scale

Fine tuning is required in MSSM.

Missing superpartner problem

Superpartners have not been observed yet.



<u>Two modules for two problems</u>

Lift up the Higgs mass Next-to-MSSM Gauge extension Vectorlike matter ... Reduce missing energy *R-parity violation Stealth SUSY Compressed spectra ...*

Two problems are usually treated as independent.

One module for two problems

Lift up the Higgs mass Next-to-MSSM Gauge extension Vectorlike matter ... Reduce missing energy *R-parity violation Stealth SUSY Compressed spectra ...*

Explore a scenario that can ameliorate both problems !

Our framework : New loop contributions

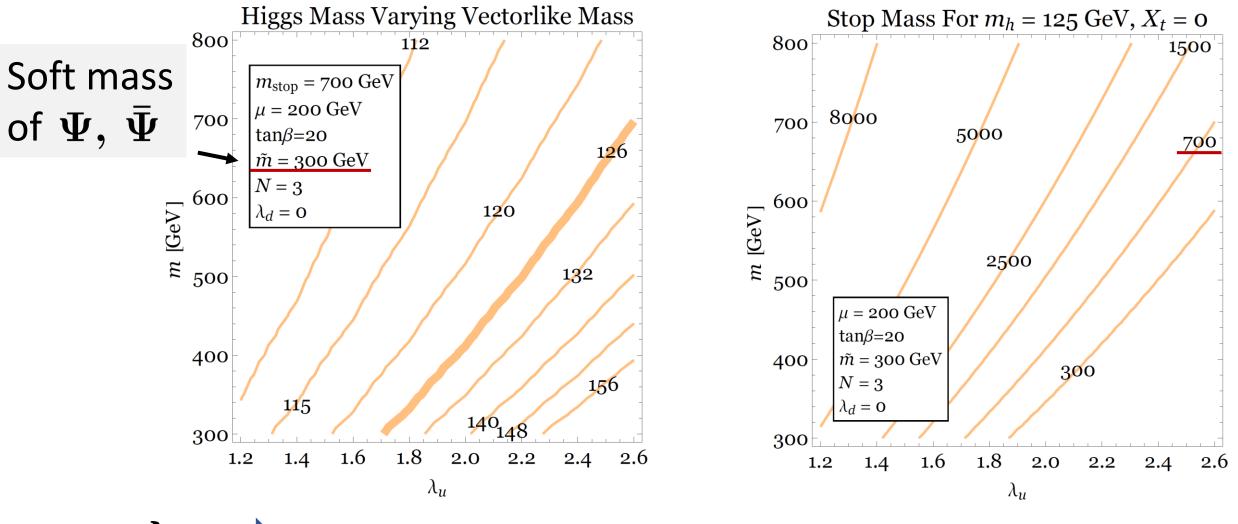
Let's look at SUSY Higgs mass problem again.

$$\Delta\lambda_{H_u} pprox rac{m{y}_t^4 N_c}{16\pi^2} \ln rac{m_{ ilde{t}}}{m_t} \quad \Delta m_{H_u}^2 pprox -rac{m{y}_t^2 N_c}{4\pi^2} m_{ ilde{t}}^2 \ln rac{M_m^2}{m_{ ilde{t}}^2}$$

If we have new Higgs interactions larger than the top Yukawa, large SUSY breaking is not needed and fine tuning is relaxed.

$$\Delta W = \lambda_u H_u \bar{\Psi}_d \Psi + \lambda_d H_d \Psi_u \bar{\Psi} + m \Psi_u \bar{\Psi}_d + m' \Psi \bar{\Psi}$$

Our framework : New loop contributions



Large $\lambda_u \implies$ Small SUSY breaking is enough for 125 GeV Higgs.

Our framework : Avoiding Landau poles

Running of the new large Yukawa hits a Landau pole immediately ...

cf. running of top Yukawa coupling

$$rac{dy_t}{d\ln\mu} \simeq rac{y_t}{16\pi^2} \left(6y_t^* y_t - rac{16}{3}g_3^2
ight)$$

If we introduce a new gauge interaction to new particles, Landau poles can be avoided.

 $\Psi_{oldsymbol{u}},\,\Psi\,:SU(N)_H$ fundamentals , $\,\,ar{\Psi}_{oldsymbol{d}},\,ar{\Psi}\,:$ anti-fundamentals

<u>Our framework : Avoiding Landau poles</u> The new gauge theory finally confines. Confinement scale : $\Lambda = \mathcal{O}(10)~{ m GeV}$ Hidden Valley M. Strassler, K. Zurek (2006)

Gaugino mediation with a vanishing hidden gaugino mass



Small SUSY breaking for new vectorlike fields
 (Almost) supersymmetric Hidden Valley sector

Benchmark points

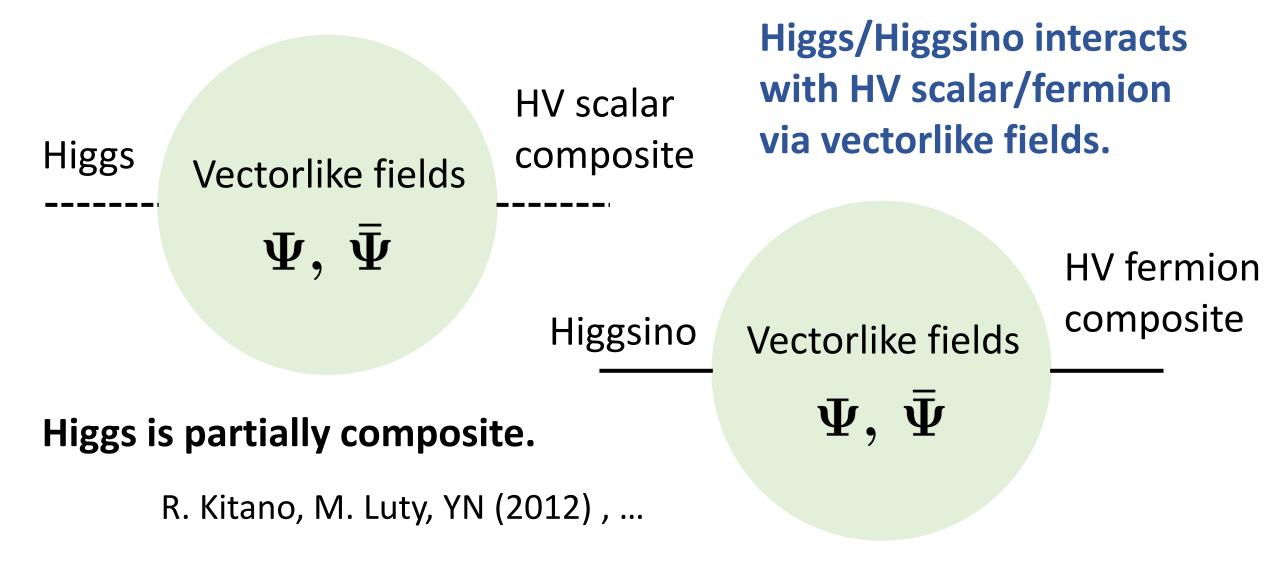
2-loop RGEs calculated by SARAH

Small hidden gaugino mass

	(A)	(B)	(C)	(D)
$M_1 \; [\text{GeV}]$	1865	1823	1867	1825
$M_2 \; [\text{GeV}]$	1893	1856	1897	1860
$M_3 \; [\text{GeV}]$	1971	1949	1980	1958
$-\sqrt{ m_{H_u}^2 }$ [GeV]	-158	-268	-179	-277
m_{H_d} [GeV]	517	556	516	555
m_{q_1} [GeV]	1227	1325	1228	1325
m_{u_1} [GeV]	1152	1244	1153	1244
m_{d_1} [GeV]	1139	1230	1140	1230
m_{q_3} [GeV]	1202	1292	1202	1293
m_{u_3} [GeV]	1094	1169	1094	1170
m_{d_3} [GeV]	1139	1230	1140	1230
$m_l \; [\text{GeV}]$	524	565	524	565
$m_e \; [\text{GeV}]$	323	348	323	348

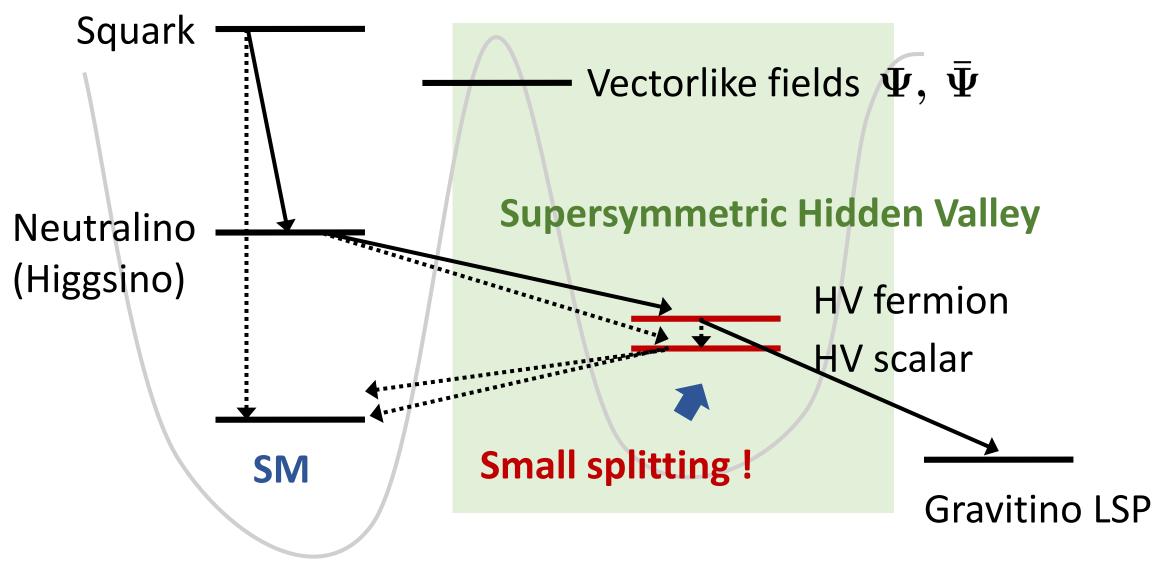
	(A)	(B)	(C)	(D)	
$M_{\lambda} \; [\text{GeV}]$	38.2	44.7	26.3	30.8	
\tilde{m}_u [GeV]	476	510	493	529	
\tilde{m}_d [GeV]	470	504	485	522	
\tilde{m}_f [GeV]	1079	1164	1097	1184	
$\tilde{\bar{m}}_f$ [GeV]	1079	1164	1097	1184	
$-\sqrt{ \tilde{m}_0^2 }$ [GeV]	-235	-256	-226	-240	
$-\sqrt{ \tilde{\bar{m}}_0^2 }$ [GeV]	-166	-191	-135	-156	
$-\sqrt{ \tilde{m}^2 }$ [GeV]	-147	-171	-108	-126	
$-\sqrt{ \tilde{\bar{m}}^2 }$ [GeV]	-147	-171	-108	-126	
$m_h \; [\text{GeV}]$	125.3	125.7	125.9	125.5	
$\Lambda^{\overline{MS}}$ [GeV]	10	10	10	10	
λ_u	1.45	1.40	1.45	1.37	
$M_{\rm m}$ [TeV]	50	100	50	100	

Higgs interactions with a Hidden Valley



Decay chain with a Hidden Valley

cf. Stealth SUSY, J. Fan, M. Reece, J. Ruderman (2011)



A simplified model

Our HV sector is strongly interacting and difficult to analyze.

- Consider a simplified model for collider phenomenology.
 Include two light supermultiplets (Singlets of SM gauge groups)
 - $(S, ilde{S})$: Hidden gluinoball(ino) , $(S', ilde{S}')$: Hidden glueball(ino)

$$egin{aligned} W_{ ext{simplified}} &= \mu H_u H_d + \lambda_S S H_u H_d + m_{SS'} S S' + rac{1}{2} m_S S^2 + rac{1}{2} m_{S'} S'^2 \ &+ rac{1}{3} \kappa S^3 + (ext{cubic terms with } S') \ &m_S \sim m_{S'} \sim 5 \Lambda \quad \lambda_S \sim 10^{-3} \quad \kappa \sim 4 \pi \end{aligned}$$

Decay chain (A simplified model)

- Neutralino decay $ilde{\chi}^0_1 o ilde{S}S$ $\ >$ Prompt.
- HV fermion decay $\ ilde{S} o S ilde{G} \ ilde{S'} o S' ilde{G} \ ilde{G}$: Gravitino

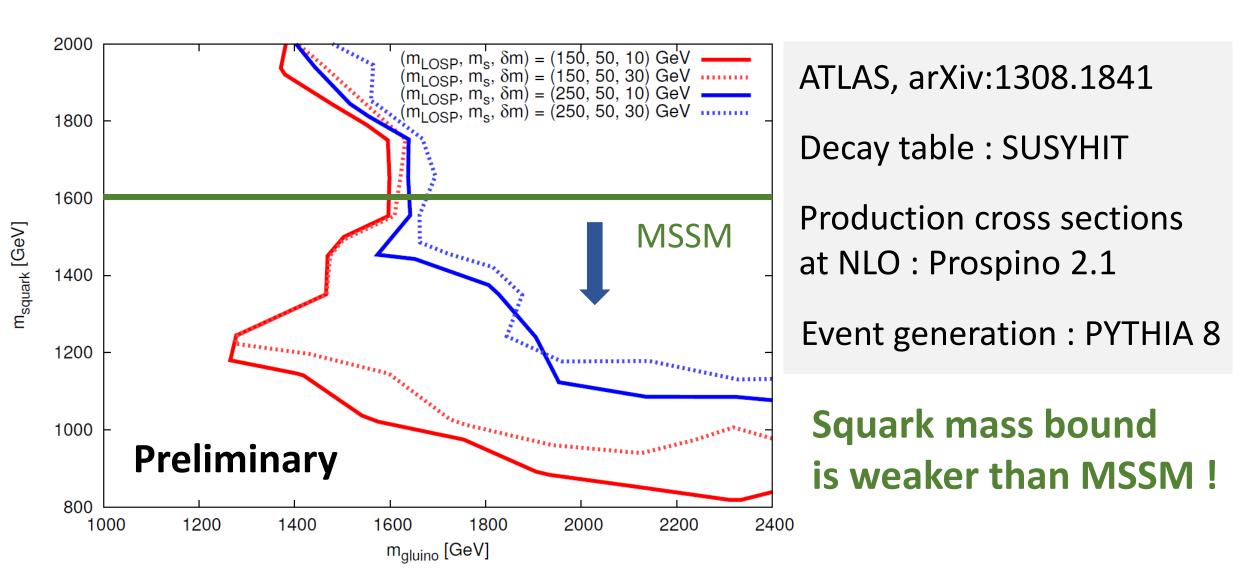
Missing
$$E_T \sim (m_{ ilde{g}, ilde{q}}/m_{ ilde{S}})\delta m$$
 $\delta m \equiv m_{ ilde{S}} - m_S$

Small mass splitting suppresses missing energy.

• HV scalar decay $0^{++}
ightarrow h^{(*)}
ightarrow bar{b} \qquad 0^{++} \subset S, S'$

The branching fractions are the same with those of the Higgs.

Large jet-multiplicity with missing P_T search



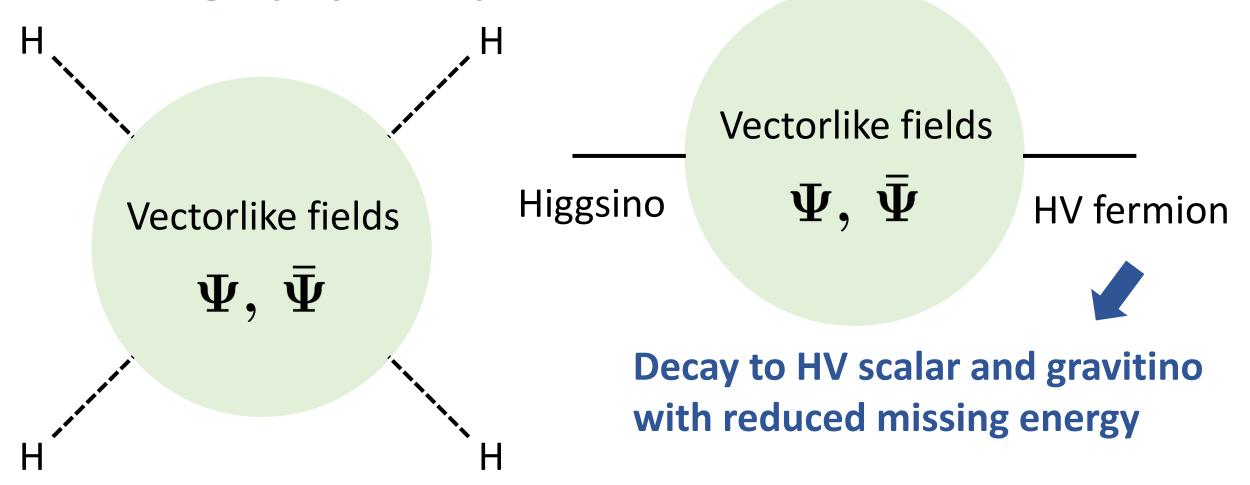
The effect on Higgs decays

- $h
ightarrow \gamma \gamma$: No important contributions from new exotic particles

• $h \to 0^{++}0^{++}$: $\operatorname{Br}(h \to 0^{++}0^{++}) \sim \underline{0.17}$ $(m_{0^{++}} = 50 \, \mathrm{GeV})$ Global fit of signal strength \implies Br $(h \rightarrow 0^{++}0^{++}) < 0.19$ $h
ightarrow 0^{++}0^{++}
ightarrow bar{b}\mu^+\mu^-$: ${
m Br}(h
ightarrow bar{b}\mu^+\mu^-)\sim 7 imes 10^{-5}$ Expected bound at Run I \implies Br $(h \rightarrow b\bar{b}\mu^+\mu^-) \lesssim 10^{-4}$ **Deviation may be observed in future observations.**

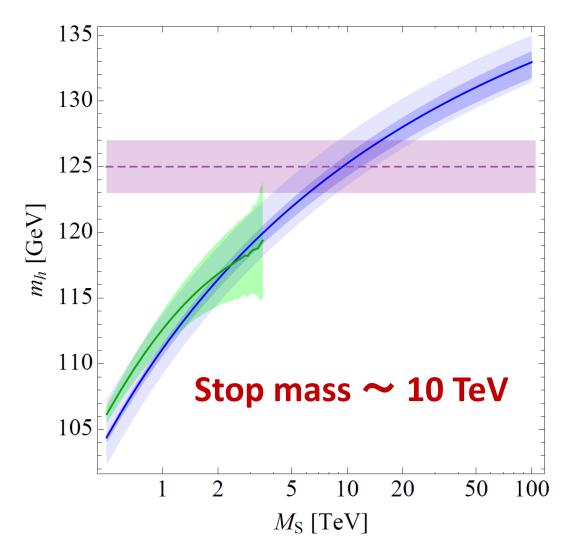
<u>Summary</u>

A scenario that can ameliorate **both** of SUSY Higgs mass problem and Missing superpartner problem.



Extra slides

SUSY Higgs mass problem



Two possible directions

Just accept fine-tuning

 Provide new interactions to lift the Higgs mass
 NMSSM, Gauge extension, Vectorlike matter, ...

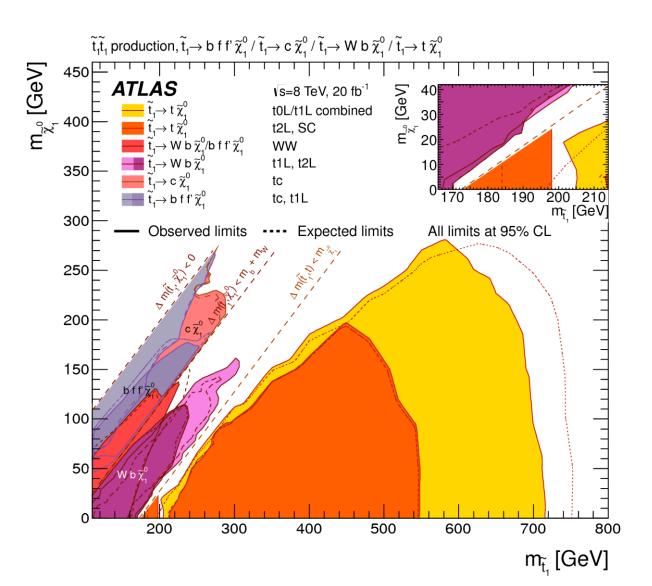
P. Draper, P. Meade, M. Reece, D. Shih (2011)

Missing superpartner problem

Three possible directions

- Just accept fine-tuning
- Natural SUSY spectrum $m_{ ilde{t}} < m_{ ilde{q}_{1,2}}$

 Modify usual decay chains of superpartners



Missing superpartner problem

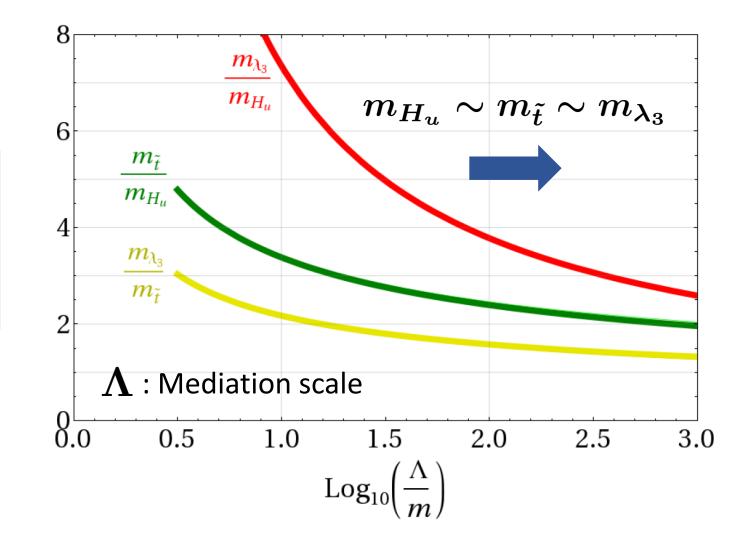
When the gluino mass is large (> 1 TeV) ...

Naturalness requires

 $m_{H_u} < m_{ ilde{t}} < m_{\lambda_3}$

Low mediation scale is needed for naturalness.

(Exception : Supersoft SUSY)



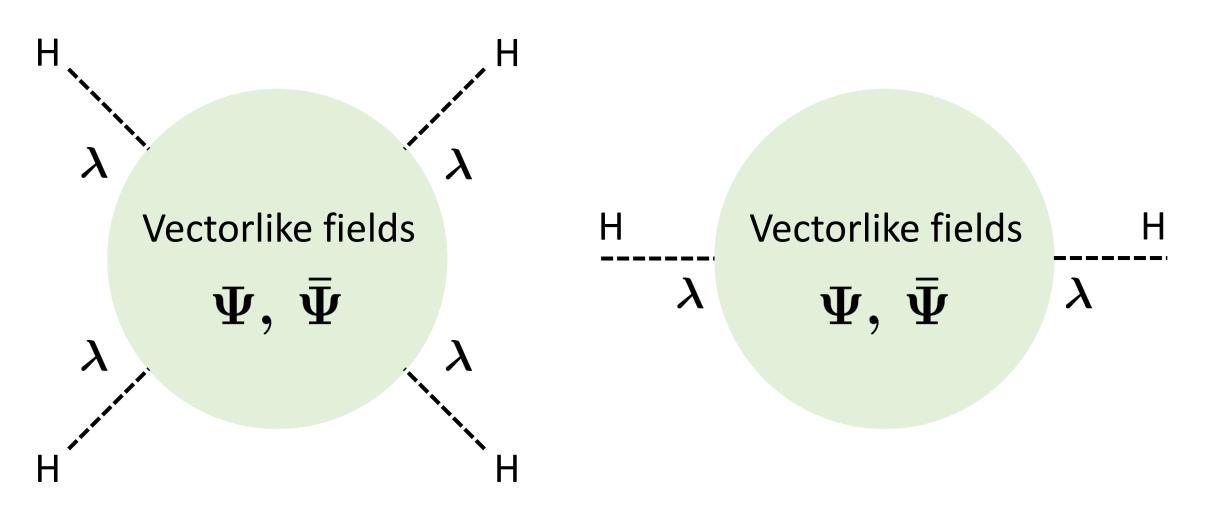
A. Arvanitaki, N. Craig, S. Dimopoulos, G. Villadoro (2012)

Our framework : Specific models

	$SU(N)_H$	$SU(3)_C$	$SU(2)_L$	$U(1)_Y$	scalar name	fermion name
Ψ_u	Ν	1	2	1/2	ϕ_{u}	$\psi_{oldsymbol{u}}$
$\bar{\Psi}_d$	$ar{\mathbf{N}}$	1	2	-1/2	$ar{\phi}_{m{d}}$	$ar{\psi}_{m{d}}$
f	\mathbf{N}	3	1	-1/3	ϕ_f	$\psi_{m{f}}$
\bar{f}	$ar{\mathbf{N}}$	$\overline{3}$	1	1/3	$ar{\phi}_{f}$	$ar{\psi}_{m{f}}$
Ψ_i	\mathbf{N}	1	1	0	ϕ_{i}	$\psi_{m i}$
$\bar{\Psi}_i$	$ar{\mathbf{N}}$	1	1	0	$ar{\phi}_{m{i}}$	$ar{\psi}_{m{i}}$

 $W_{\rm VL} = \lambda_{u,i} H_u \bar{\Psi}_d \Psi_i + \lambda_{d,i} H_d \Psi_u \bar{\Psi}_i + m \Psi_u \bar{\Psi}_d + m'_{ij} \Psi_i \bar{\Psi}_j + M f \bar{f}$ $i = 0, 1, \dots, F - 1$

<u>Our framework : New loop contributions</u>



Large λ \Rightarrow Small SUSY breaking is enough for 125 GeV Higgs.

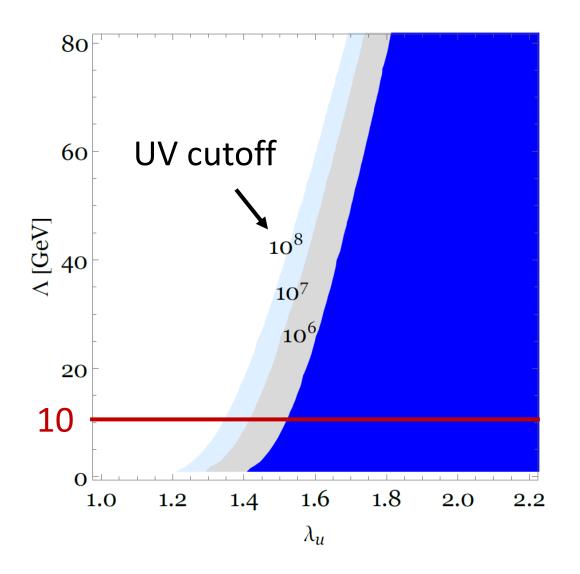
Our framework : Avoiding Landau poles

Allowed (white) region of the new Yukawa and the confinement scale :

2-loop RGEs calculated by SARAH

Supersymmetric masses of vectorlike fields : 500 GeV

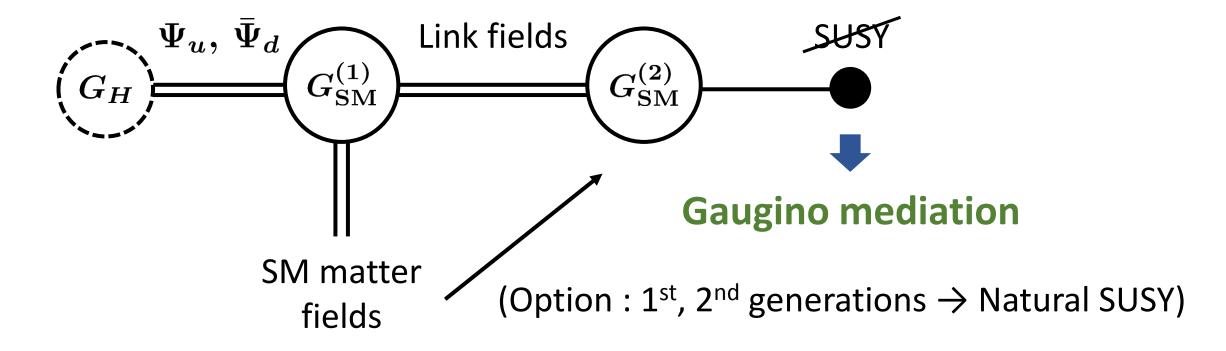
F=3

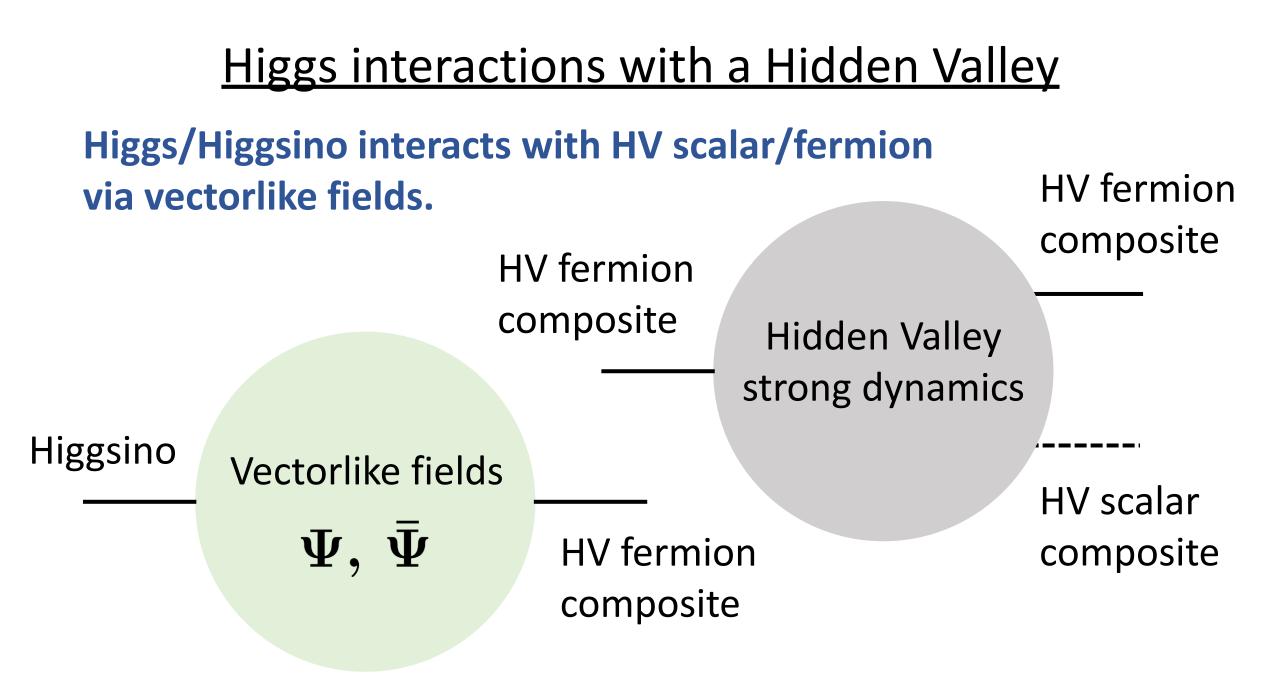


Multi-fold replication of SM

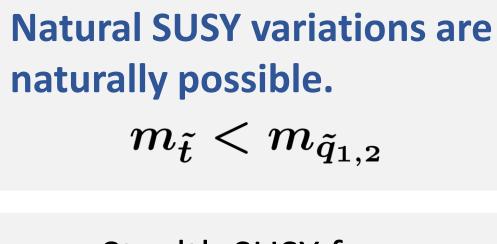
Moose (quiver) of SM gauge groups is spontaneously broken by a link scalar vev. Accelerated Unification

N. Arkani-Hamed, A. Cohen, H. Georgi (2001)

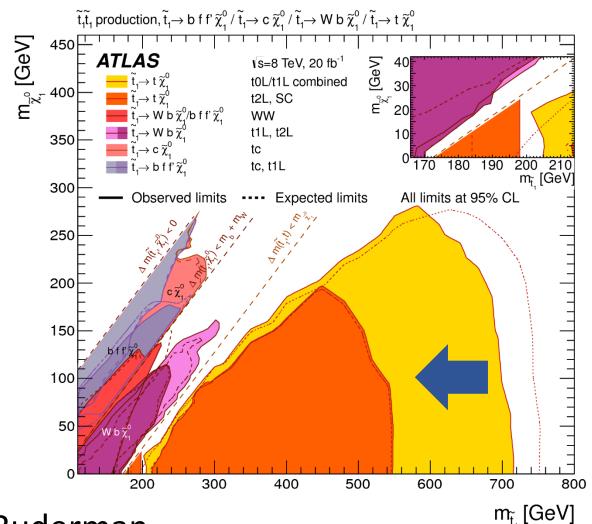




Natural SUSY models



Stealth SUSY from a Hidden Valley Stop mass bound is even weaker.



J. Fan, R. Krall, D. Pinner, M. Reece, J. Ruderman

<u>Discussions : (S)Quirk phenomenology</u>

J. Kang, M. Luty (2008), ...

(S)Quirks : $\Psi_u, \ ar{\Psi}_d \ f = (\phi_f, \psi_f), \ ar{f}$ (Colored partners of SU(5))

Quirk direct pair-production

$$pp \rightarrow \psi_f \bar{\psi}_f, \quad pp \rightarrow Z^{(*)}, \ \gamma^{(*)} \rightarrow \psi_u^+ \bar{\psi}_d^-, \ \psi_u^0 \bar{\psi}_d^0$$

Quirk-antiquirk pairs form (microscopic) bound states.



They lose energy via HV (and SM) particle emission before pair annihilation.

Discussions : (S)Quirk phenomenology

Colored (s)quirks may be produced by gluino decays at LHC Run II.

