# Dark matter and collider phenomenology of gauged $U(1)_B$ and $U(1)_L$ models

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## Basic idea of gauged $U(1)_{B,L}$ models

Classically conserved currents in the Standard Model:

$$J^{\mu}_{
m B} = \sum_q rac{1}{3} ar{q} \gamma^{\mu} q$$

$$J^{\mu}_{
m L} = \sum_{\ell,
u} (ar{\ell} \gamma^{\mu} \ell + ar{
u} \gamma^{\mu} 
u)$$

Can they source gauge fields?

Quantum mechanically anomalous:

$$\partial_{\mu} J^{\mu}_{\mathrm{B}} = rac{g^2}{16\pi^2} rac{3}{2} \vec{\widetilde{W}}_{\mu
u} \cdot \vec{W}^{\mu
u} - rac{g'^2}{16\pi^2} rac{3}{2} \widetilde{B}_{\mu
u} B^{\mu
u}$$
  
 $\partial_{\mu} J^{\mu}_{\mathrm{L}} = - \mathrm{same} - -$ 

Can't consistently couple currents to gauge fields\*:

$${\cal L}=-g_B Z^\prime_\mu J^\mu_B$$
 or  $-g_L Z^\prime_\mu J^\mu_L$ 

(not counting B–L)

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Add additional fermions to modify currents:

$$egin{aligned} J^{\mu}_{B} & \longrightarrow J^{\mu}_{ ext{B, tot}} = \sum_{q} rac{1}{3} ar{q} \gamma^{\mu} q + J^{\mu}_{ ext{B,ext}} \ J^{\mu}_{ ext{L, tot}} & \longrightarrow J^{\mu}_{ ext{L, tot}} = \sum_{\ell, 
u} (ar{\ell} \gamma^{\mu} \ell + ar{
u} \gamma^{\mu} 
u) + J^{\mu}_{ ext{L,ext}} \end{aligned}$$

SM part

Total currents are anomaly free:

$$egin{aligned} \partial_\mu J^\mu_{ ext{B, tot}} &= 0 \ \partial_\mu J^\mu_{ ext{L, tot}} &= 0 \end{aligned}$$

$${\cal L}=-g_B Z^\prime_\mu J^\mu_B~~{
m and}~-g_L Z^\prime_\mu J^\mu_L~~~{
m OK}$$



## Motivation (Features)

1. Leads to viable (thermal) dark matter candidate

P. Fileviez Perez, M. Wise, PRD 82, 011901 (2010)

2. New possibilities for baryogenesis

- modified EW sphaleron  $(QQQL)^3 \longrightarrow (QQQL)^3 \psi$ ...

= changed relationship between B and L asymmetries in eq.

– extended Higgs sector + CPV in fermion sector
 = electroweak baryogenesis?

3. Extended gauge group

 $SU(3)_{C} \otimes SU(2)_{L} \otimes U(1)_{Y} \otimes U(1)_{B} \otimes U(1)_{L}$ 

leads to possibility for low scale unification, <u>without</u> proton decay

P. Fileviez Perez, S. Ohmer, PRD 90 037701 (2014)



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P. Fileviez Perez, HP, PLB 731, 232 (2014)

P. Fileviez Perez, S. Ohmer, HP, PLB 735, 283 (2014)

Gaman				Forn	nul	atic	n				
Comm	ON TO DO	otn moo	1eis —	SU	$J(2)_L$	$\otimes$ U(1	$()_Y \otimes U(1)$	$_{\rm B}\otimes {\rm U}(1)$	$)_{\rm L}$		
			Gauge	fields: 1	$\vec{N}^{\mu}$	$B^{\mu}$	$^{\mu}$ $Z^{\mu}_{ m B}$	$Z^{\mu}_{ m L}$			
Right han	ded neu	trinos	$ar{ u}_e, b$	$ar{ u}_{\mu},ar{ u}_{ au}$	1	0	0	-1			
L	eptonic	Higgs	$S_{ m L}$		1	0	0	2			
Ba	aryonic	Higgs	$S_{ m B}$		1	0	3	3	_)		
"Lepto-	<b>Lepto</b> M. Du PRL 1	<b>baryo</b> aerr P. File 10, 23180	<b>n Mod</b> viez Perez 1 (2013)	<b>el VA</b> , M. Wise			<b>Leptol</b> P. Filev PLB 73	<b>Daryon</b> iez Perez, S 35 (2014) 28	<b>Model</b> 5. Ohmer, 1 33	<b>А</b> HP,	
baryons" $\Psi$ $\overline{\Psi}$ $\overline{\Psi}$ $\eta$ $\overline{\eta}$ $\chi$	${{{{\rm SU}(2)}_L}\over 2} \ 1 \ 1 \ 1$	$U(1)_{Y} - 1/2 \ 1/2 \ -1 \ -1 \ 0$	$U(1)_{ m B}\ B_{1}\ -B_{2}\ B_{2}\ -B_{1}\ B_{2}$	$\begin{bmatrix} U(1)_{L} \\ L_{1} \\ -L_{2} \\ L_{2} \\ -L_{1} \\ L_{2} \end{bmatrix}$		$egin{array}{c} \Psi \ \overline{\Psi} \ \overline{\Sigma} \ \chi \end{array}$	${{{\rm SU(2)}_L}\over {2}} \ {3} \ {1}$	$U(1)_{Y} \ 1/2 \ -1/2 \ 0 \ 0$	$U(1)_{ m B} \ 3/2 \ 3/2 \ -3/2 \ -3/2 \ -3/2$	$U(1)_{ m L} \ 3/2 \ 3/2 \ -3/2 \ -3/2 \ -3/2$	]
$\overline{\chi}$ anomaly	1 v cancell	0 lation	$-B_1$ $L_1 - I_2$	$-L_1  $			Foc	us of th	is talk		
Hiren Pa	const tel	raint:	$B_1 - B_1$	$B_2 = -3$	4					AAX-PLANCK-IN FÜR KERNPH ➡ Heidelber	STITUT YSIK .G

## Formulation of model A

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Simplify:

Lepton breaking scale very high  $\Lambda_{\rm L} \gg \Lambda_{\rm B}$ 

		$SU(2)_L$	$U(1)_Y$	$U(1)_{ m B}$	$U({\ })_{ m L}$
		$ec{W}^{\mu}$	$B^{\mu}$	$Z^{\mu}_{ m B}$	$Z^{\iota}$
-	$\overline{\nu}_{e,\mu,\tau}$	L	Û	0	
2	$S_{ m L}$	1	0	0	
	$S_{ m B}$	1	0	3	3
	$\Psi$	<b>2</b>	1/2	3/2	3/2
	$\overline{\Psi}$	$\overline{2}$	-1/2	3/2	3/2
	$\vec{\Sigma}$	3	0	-3/2	-3/2
	X	1	0	-3/2	-3/2

Focus on baryonic sector

Lagrangian  

$$\mathcal{L} = \cdots - \frac{1}{2} \sin(\epsilon) S_{\mu\nu} Z_{\mathrm{B}}^{\mu\nu}$$
 neglect kinetic  
mixing  
 $D_{\mu}S_{\mathrm{B}} = (\partial_{\mu} + 3ig_{\mathrm{B}}Z_{\mathrm{B}\mu})S_{\mathrm{B}}$ 

$$\mathcal{L}_{ ext{Yuk}} = - oldsymbol{y}_{oldsymbol{\psi}} S^*_{ ext{B}} ar{\Psi} \Psi - rac{oldsymbol{y}_{\Sigma}}{2} S_{ ext{B}} ec{\Sigma} \cdot ec{\Sigma} - rac{oldsymbol{y}_{\chi}}{2} S_{ ext{B}} \chi \chi + ext{c.c.}$$

EW/Baryon spontaneous symm. breaking $V = -\mu^2 |H|^2 + \lambda |H|^4$  $-\mu_S^2 |S_B|^2 + b|S_B|^2 + a|H|^2|S_B|^2$ 



## Formulation of model A

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## Constraining baryonic gauge coupling



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## Majorana Dark Matter $(\chi)$

#### Thermally produced CDM





Nonresonant region more 'natural'

 $0^{++}$ 

1/2



Spectrum





## Baryonic Higgs and Leptobaryons



## Summary

Introduced and motivated gauged  $U(1)_B$  and Spectrum  $U(1)_L$  models: E $\sum^{+} (D)$  $\sum^{0} (M)$ Leptobaryon model A and VA Phenomenology: **1)** Absence of jj ( $Z_{\rm B}$ ) resonance  $\Rightarrow \alpha_{\rm B} \lesssim 0.015$  $Z_{\rm B}$ **2)** Thermal CDM relic abundance: 1/2nonresonant:  $\chi \chi \longrightarrow Z_{\rm B} S_{\rm B}$  $rightarrow m_\chi \gtrsim m_{Z_{
m B}}, m_{S_{
m B}} ext{ and } heta \lesssim 0.22$ 

**3)** Observe leptobaryons indirectly through  $S_{\rm B}$  decay/production



(small mixing angle) [Can distinguish model A from VA]



### Backup: Resonant annihilation





## Backup: non-resonant annihilation





## Backup: Higgs production



