Incoherent diffraction and structure fluctuations at small *x*

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Fluctuations

Proton structure (key EIC question)

How are the quarks and gluons distributed in space inside the nucleon?



ATLAS, arXiv:1409.1792

Collective phenomena observed in pA

• Can be caused by initial state geometry

Diffractive processes probe

- Spatial density profile
- Density fluctuations

Diffractive scattering



Diffractive events: no exchange of color charge

- Target remains intact: *coherent diffraction*, small |t|. Probes average distribution of gluons.
- Target breaks up: *incoherent diffraction*, larger |t|. Sensitive to fluctuations.

Target: proton or nucleus

Vector mesons from the CGC

CGC: Dipole-proton cross section $\sigma_{dip}(x, r, \Delta) = 2 \int d^2 b e^{ib \cdot \Delta} N(r, x, b)$ <u>Universal</u> dipole amplitude N



• Exclusive diffraction:

$$\frac{1}{16\pi} \left| \int \mathrm{d}^2 r \mathrm{d} z \Psi^* \Psi^V(Q^2, r, z) \sigma_{\mathsf{dip}}(x, r, \Delta) \right|^2$$

Total \(\gamma^* p\) (DIS):

 $\int \mathrm{d}^2 r \mathrm{d} z |\Psi^{\gamma}(Q^2,r,z)|^2 \sigma_{\mathsf{dip}}(x,r,\Delta=0)$

• Inclusive particle production (pp, pA):

$$\sim xg(x,Q^2)\int \mathrm{d}^2r e^{ir\cdot p_T}[1-N(r,x)]$$

+ many other processes

Event-by-event fluctuations:

• Coherent diffraction: target remains intact

$$rac{\mathrm{d}\sigma^{\gamma^*A
ightarrow V\!A}}{\mathrm{d}t} \sim |\langle \mathcal{A}(x,Q^2,t)
angle|^2$$

• Incoherent, target breaks up: variance

$$\frac{\mathrm{d}\sigma^{\gamma^*A \to V\!A^*}}{\mathrm{d}t} \sim \left\langle |\mathcal{A}(x, Q^2, t)|^2 \right\rangle - \left| \left\langle \mathcal{A}(x, Q^2, t) \right\rangle \right|^2$$

 $\langle \rangle =$ Target average.

Event-by-event fluctuations:

• Coherent diffraction: target remains intact

$$rac{\mathrm{d}\sigma^{\gamma^*A
ightarrow V\!A}}{\mathrm{d}t} \sim |\langle \mathcal{A}(x,Q^2,t)
angle|^2$$

• Incoherent, target breaks up: variance

$$rac{\mathrm{d}\sigma^{\gamma^*\mathcal{A}
ightarrow\mathcal{VA}^*}}{\mathrm{d}t}\sim \langle |\mathcal{A}(x,Q^2,t)|^2
angle - \left|\langle \mathcal{A}(x,Q^2,t)
angle
ight|^2$$

 $\langle \rangle = \mathsf{Target} \mathsf{ average}.$

B. Schenke, H.M., arXiv:1603.04349

Start with a simple constituent quark inspired picture:

- Small-x gluons are located around the valence quarks (width B_q).
- Sample quark positions from a Gaussian distribution, width B_{qc}
- Combination of B_{qc} and B_q set the degree of geometric fluctuations
- Dipole-target scattering σ_{dip} : IPsat model fit to F_2 data

Our proton = 3 overlapping hot spots.

Constraining proton fluctuations in $\gamma + p \rightarrow J/\Psi + p^*$

Lumpy: $B_{qc} = 3.5, B_q = 1.0$





Incoherent data requires large fluctuations

Adding color charge fluctuations: IP-Glasma

- Obtain saturation scale $Q_s(b_T)$ from IPsat (with constituent quarks)
- Sample color charges $ho(b_T) \sim Q_s(b_T)$
- Solve Yang-Mills equations to obtain Wilson lines

$$V(x_T) = P \exp\left(-ig \int \mathrm{d}x^{-} rac{
ho(x^-, x_T)}{
abla^2 + m^2}
ight)$$

- Dipole amplitude: $N(x_T, y_T) = 1 \text{Tr} V(x_T) V^{\dagger}(y_T) / N_c$
- Fix parameters B_{qc} , B_q and m with HERA data







IP-Glasma and HERA data



H.M., B. Schenke, arXiv:1603.04349

Color charge fluctuations alone give non-zero incoherent cross sectionHERA data requires additional geometrical fluctuations

Coherent/incoherent ratio, diffractive J/Ψ production



H.M., B. Schenke, arXiv:1603.04349

HERA coherent data requires strong fluctuations

• More precise measurements from an EIC can provide tighter constraints

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Lumpiness matters, not details of the density profile

3 valence quarks that are connected by "color flux tubes" (Gaussian density profile, width B_q). Also good description of the data



 $\label{eq:H.M., B. Schenke, in progress} Flux tubes implementation following results from hep-lat/0606016, used also e.g. in 1307.5911$

More data before EIC: ultraperipheral collisions

 $b\gtrsim 2R_A$: strong interactions suppressed, one hadron creates photon flux $n(\omega)$



nucl-ex/0502005

$$\sigma \sim \mathbf{n}(\omega)\sigma^{\gamma A}(\omega)$$

Probes gluons with $x = M_V e^y / \sqrt{s}$

- Forward LHC: $x \sim 0.02$ and $x \sim 10^{-5}$.
- Midrapidity LHC: $x \sim 10^{-3}$

Ultraperipheral pA collisions are dominated by γp scattering!

Predictions for Pb+Pb collisions at $\sqrt{s} = 5020$ GeV



- Normalization has large model dependence (needs J/Ψ wave function)
- \sqrt{s} (or x) evolution (cross section ratios) is more solid prediction
- Incoherent cross section comes from nucleon position fluctuations
- Future: incoherent $\gamma p \rightarrow J/\Psi p^*$ from ultraperipheral collisions?

- Coherent and incoherent diffraction combined probe
 - Density profile
 - Density fluctuations
- $\bullet\,$ Color charge fluctuations alone are not enough to describe HERA incoherent J/ Ψ production data
 - Large geometric fluctuations of the proton density are needed
- Before EIC exclusive vector meson production can be studied in ultraperipheral heavy ion collisions
 - Relatively good description of the current $\gamma A \rightarrow J/\Psi A$ data from CGC

Backups





 Amount of fluctuations constrained by LHC multiplicity data
 Q_s fluctuations alone are not enough to describe incoherent data Heikki Mäntysaari (BNL)

15 / 13

 $\gamma A \rightarrow J/\Psi A$



T. Lappi, H.M., arXiv:1011.1988

- $\bullet\,$ Coherent spectra $\sim\,$ FT of average density profile
- Incoherent process dominates at large |t|
- Incoherent cross section is also sensitive to saturation effects.

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Coherent diffraction, model comparison





Probes average gluon density, models with shadowing/saturation favored.

Comparison of predictions (incoherent diffraction)



Data and other models: ALICE, arXiv:1305.1467

• IPsat calculation: fluctuations from Woods-Saxon distribution

• Simultaneous description of coherent and incoherent data is needed!

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An impact parameter dependent dipole amplitude

$$N(r, x, b) = 1 - \exp\left[-\frac{\pi^2}{2N_c}\alpha_s xg(x, \mu^2)T_p(b)r^2\right]$$

 Fit to HERA data (F₂): initial condition for the DGLAP evolution of xg(x, μ²) (Kowalski, Teaney 2003; Rezaeian et al, 2013)

• Proton profile T_p : Gaussian, width B_p

$$T_p(b) = -\frac{1}{2\pi B_p} e^{-b^2/2B_p}$$