

Azimuthal distributions in unpolarized SIDIS

H. Avakian (JLab), N. Harrison (JLab), K. Joo (Uconn)

DIS 2016, April 12, 2016



**24th International Workshop on Deep-Inelastic
Scattering and Related Subjects**

**11 - 15 April 2016
DESY Hamburg, Germany**

Outline

- Motivation
- The Experiment
- Analysis
 - event selection & binning
 - acceptance studies
 - radiative corrections
- Results
- Comparison with higher energies
- Summary

SIDIS ($\gamma^* p \rightarrow \pi X$) : k_T -dependences

$$\frac{d\sigma}{dx_B dy d\psi dz d\phi_h dP_{h\perp}^2} = \frac{\alpha^2}{x_B y Q^2} \frac{y^2}{2(1-\epsilon)} \left(1 + \frac{\gamma^2}{2x_B}\right) \left\{ F_{UU,T} + \epsilon F_{UU,L} + \sqrt{2\epsilon(1+\epsilon)} \cos\phi_h F_{UU}^{\cos\phi_h} + \epsilon \cos(2\phi_h) F_{UU}^{\cos 2\phi_h} + \lambda_e \sqrt{2\epsilon(1-\epsilon)} \sin\phi_h F_{LU}^{\sin\phi_h} \right\}$$

$f_1 \otimes D_1$ (HT) HT HT
 $h_1^\perp \otimes H_1^\perp$ (HT)

N/q	U	L	T
U	f_1		h_1^\perp
L		g_1	h_{1L}^\perp
T	f_{1T}^\perp	g_{1T}^\perp	$h_1 h_{1T}^\perp$

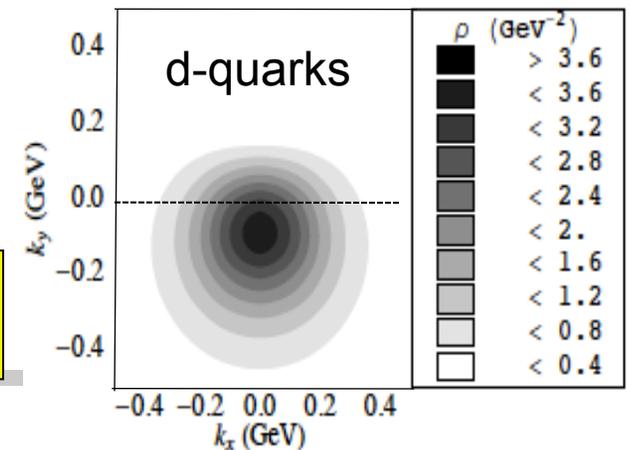
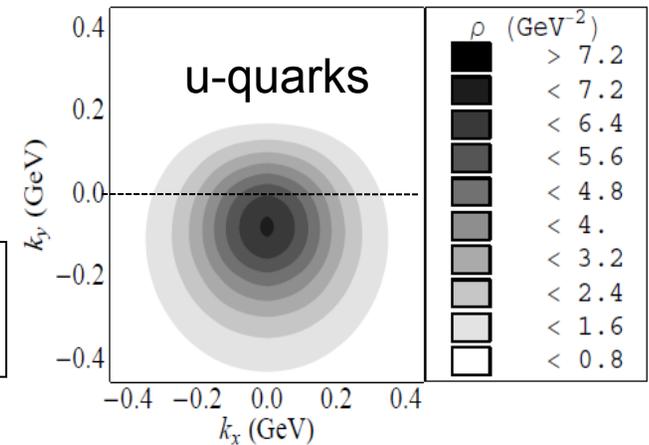
BM TMD (1998) describes correlation between the transverse momentum and transverse spin of quarks, requires FSI or ISI

$$f_{q/p}(x, k_\perp^2) = \frac{1}{2} \left[f_1^q(x, k_\perp^2) - h_1^{\perp q}(x, k_\perp^2) \frac{(\hat{P} \times k_\perp) \cdot S_q}{M} \right]$$

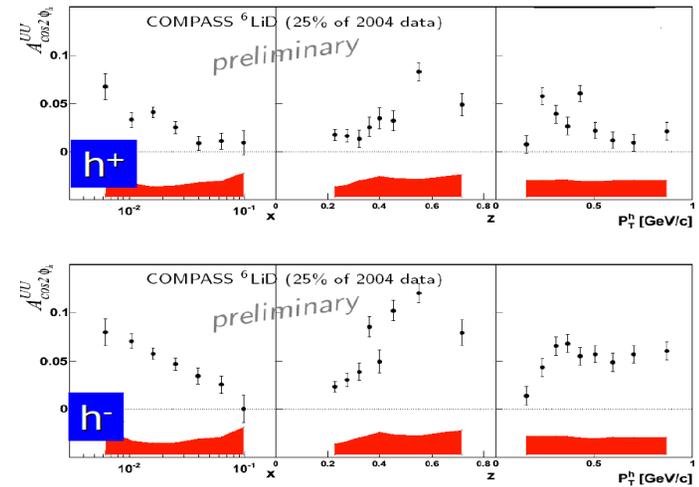
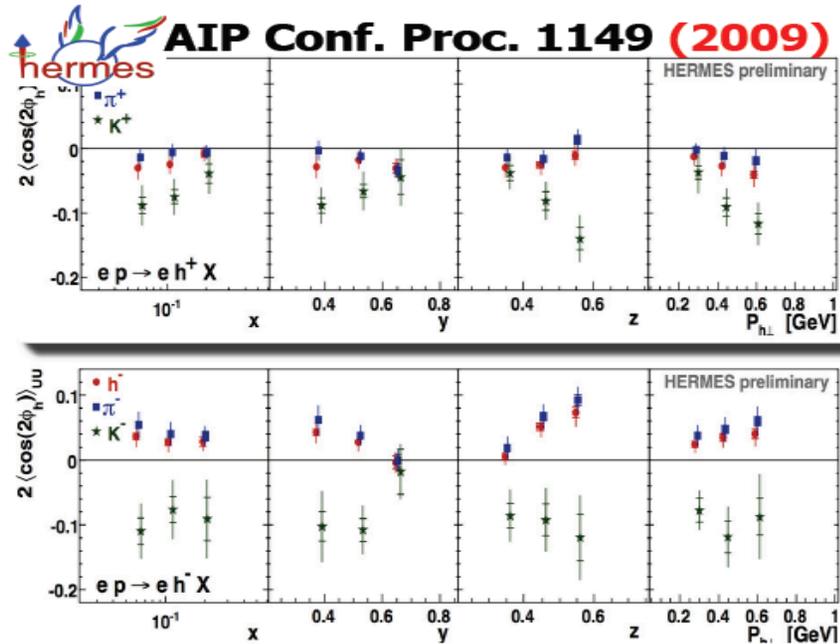
$$h_1^{\perp q}(SIDIS) = -h_1^{\perp q}(DY)$$

BM TMD under intensive studies worldwide, including SIDIS and DY experiments, model calculations, lattice simulations.

Pasquini&Yuan(2010)



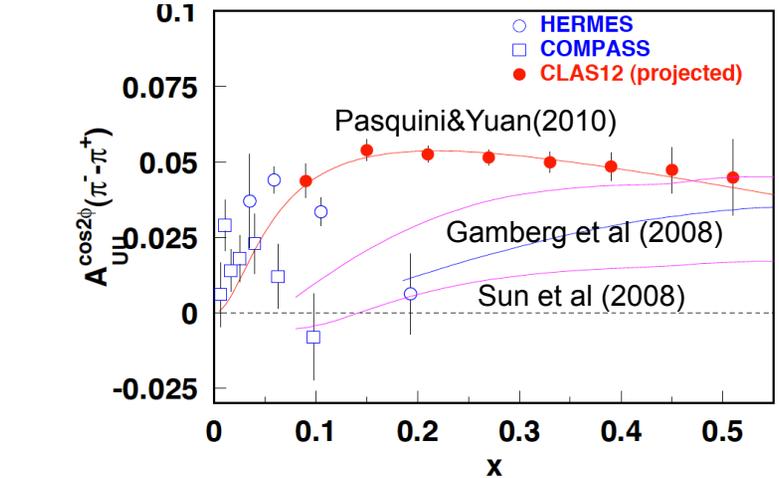
HT effects as background: Boer-Mulders distribution



Background contributions :
 Higher twist azimuthal moments
 kinematical HT (Cahn)
 dynamical HT (Berger-Brodsky)
 Radiative correction
 Acceptance

“flavor blind”

$$A_{UU}^{\cos 2\phi}(\pi^0) \approx A_{UU, \text{Cahn}}^{\cos 2\phi}$$



Wide range in Q^2 and P_T accessible with CLAS12 are important for $\cos 2\phi$ studies (all background contributions are HT)

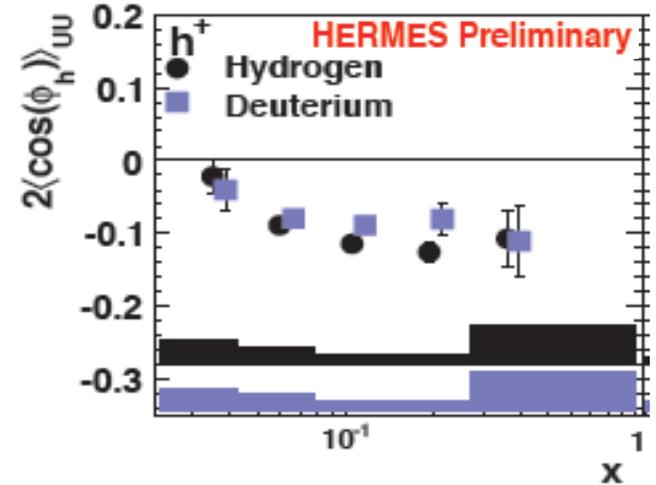
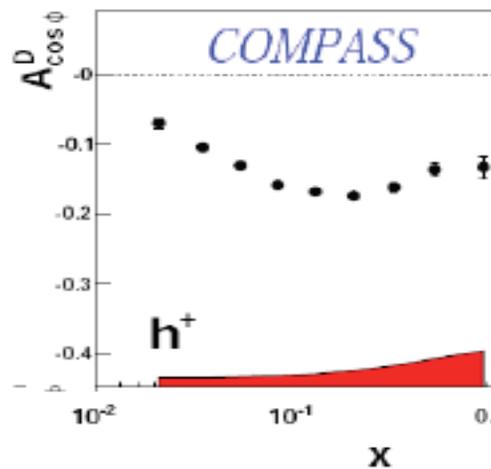
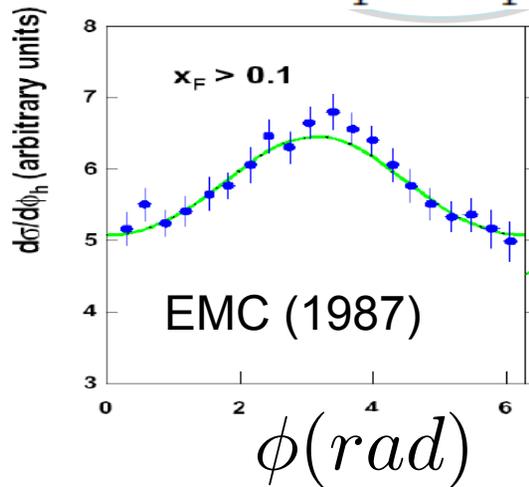
Azimuthal distributions in SIDIS

$$\frac{d\sigma}{dx_B dy d\psi dz d\phi_h dP_{h\perp}^2} = f_1 \otimes D_1 \quad \text{h.t.} \quad \text{h.t.}$$

$$\frac{\alpha^2}{x_B y Q^2} \frac{y^2}{2(1-\varepsilon)} \left(1 + \frac{\gamma^2}{2x_B}\right) \left\{ F_{UU,T} + \varepsilon F_{UU,L} + \sqrt{2\varepsilon(1+\varepsilon)} \cos\phi_h F_{UU}^{\cos\phi_h} \right.$$

$$\left. + \varepsilon \cos(2\phi_h) F_{UU}^{\cos 2\phi_h} + \lambda_e \sqrt{2\varepsilon(1-\varepsilon)} \sin\phi_h F_{LU}^{\sin\phi_h} \right\},$$

$h_1^\perp \otimes H_1^\perp$ h.t.

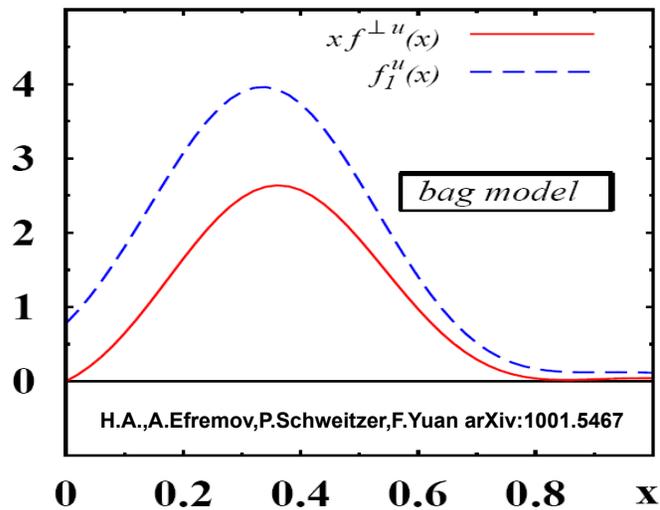


Large $\cos\phi$ modulations observed by EMC were reproduced in electroproduction of hadrons in SIDIS with unpolarized targets at COMPASS and HERMES

Model predictions for $\cos\phi$

$$F_{UU,T} + \varepsilon F_{UU,L} + \sqrt{2\varepsilon(1+\varepsilon)} \cos\phi_h F_{UU}^{\cos\phi_h}$$

$$F_{UU}^{\cos\phi_h} = \frac{2M}{Q} C \left[-\frac{\hat{h} \cdot \mathbf{k}_T}{M_h} \left(xh H_1^\perp + \frac{M_h}{M} f_1 \frac{\tilde{D}^\perp}{z} \right) - \frac{\hat{h} \cdot \mathbf{p}_T}{M} \left(x f^\perp D_1 + \frac{M_h}{M} h_1^\perp \frac{\tilde{H}}{z} \right) \right]$$



$$x f^\perp q = x \tilde{f}^\perp q + f_1^q$$

$$F_{UU}^{\cos\phi} \propto f^\perp q D_1^q$$

“interaction dependent”

Models agree on a large HT distributions

SIDIS cross-section

Expanding the contraction and integrating over ψ and the beam polarization, the cross-section for an unpolarized target can be written as

$$\frac{d^5\sigma}{dx dQ^2 dz d\phi_h dP_{h\perp}^2} = \underbrace{\frac{2\pi\alpha^2}{xyQ^2} \frac{y^2}{2(1-\epsilon)} \left(1 + \frac{\gamma^2}{2x}\right) (F_{UU,T} + \epsilon F_{UU,L})}_{A_0} \left\{ 1 + \underbrace{\frac{\sqrt{2\epsilon(1+\epsilon)} F_{UU}^{\cos\phi_h}}{(F_{UU,T} + \epsilon F_{UU,L})}}_{A_{UU}^{\cos\phi_h}} \cos\phi_h + \underbrace{\frac{\epsilon F_{UU}^{\cos 2\phi_h}}{(F_{UU,T} + \epsilon F_{UU,L})}}_{A_{UU}^{\cos 2\phi_h}} \cos 2\phi_h \right\}$$

According to the factorization theorem, structure functions can, in the Bjorken limit, be written as convolutions of TMDs and FFs $F = \sum \text{TMD} \otimes \text{FF}$

Bjorken Limit:

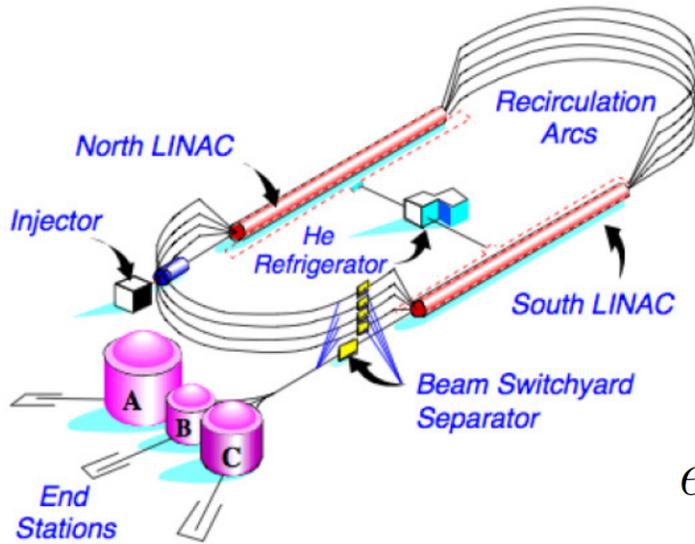
$$Q^2 \rightarrow \infty$$

$$2P \cdot q \rightarrow \infty$$

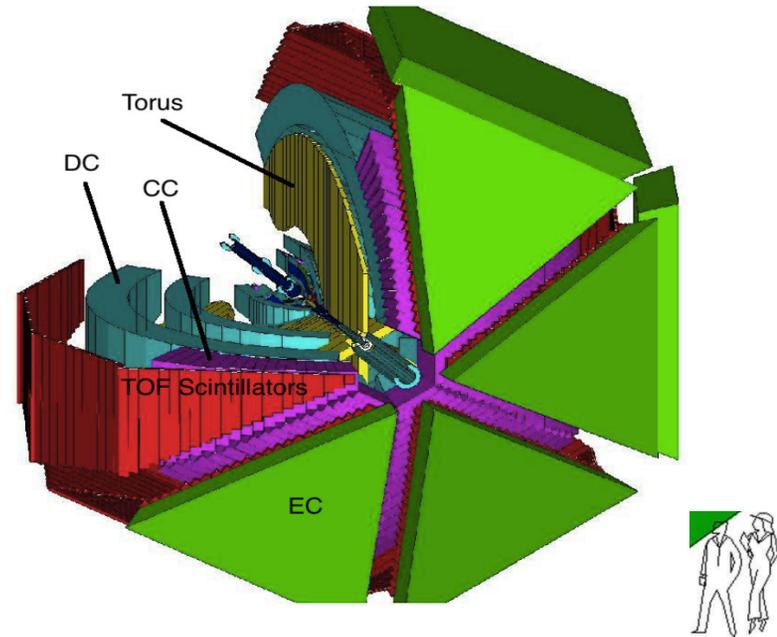
$$P \cdot P_h \rightarrow \infty$$

$$\text{fixed} \begin{cases} x = Q^2 / 2P \cdot q \\ z = P \cdot P_h / P \cdot q \end{cases}$$

CLAS: e1f data set



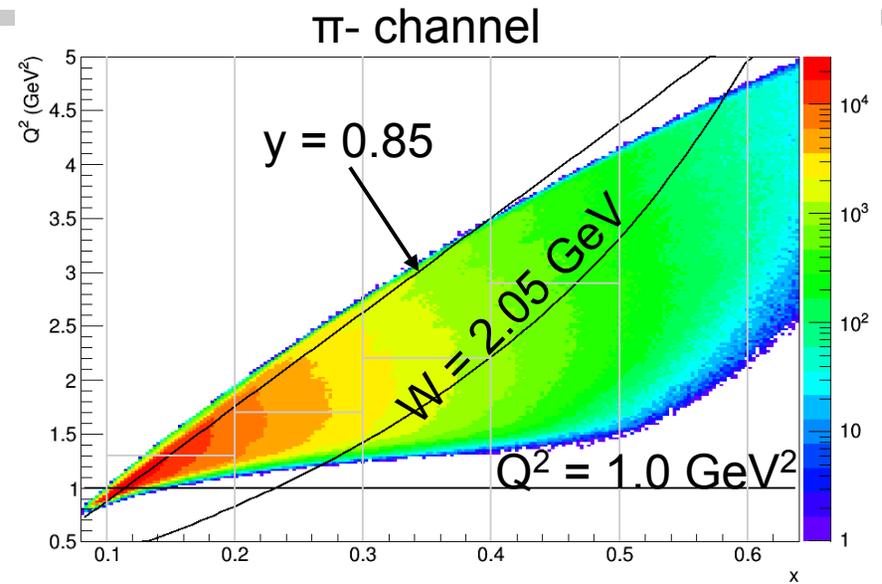
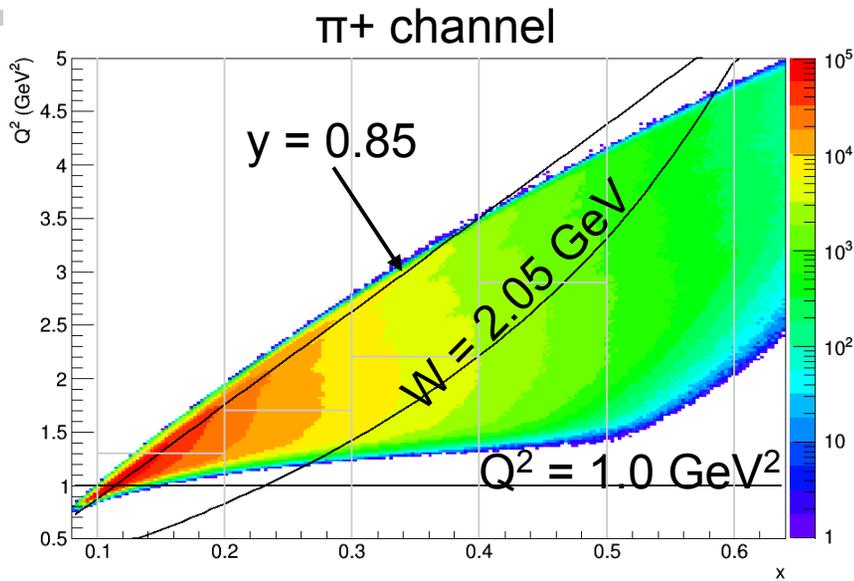
$$ep \rightarrow e\pi^{\pm} X$$



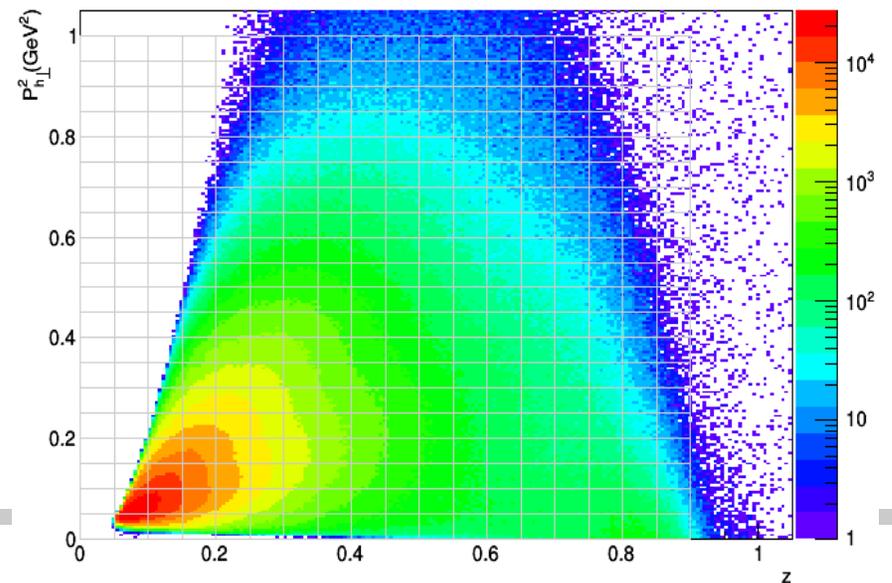
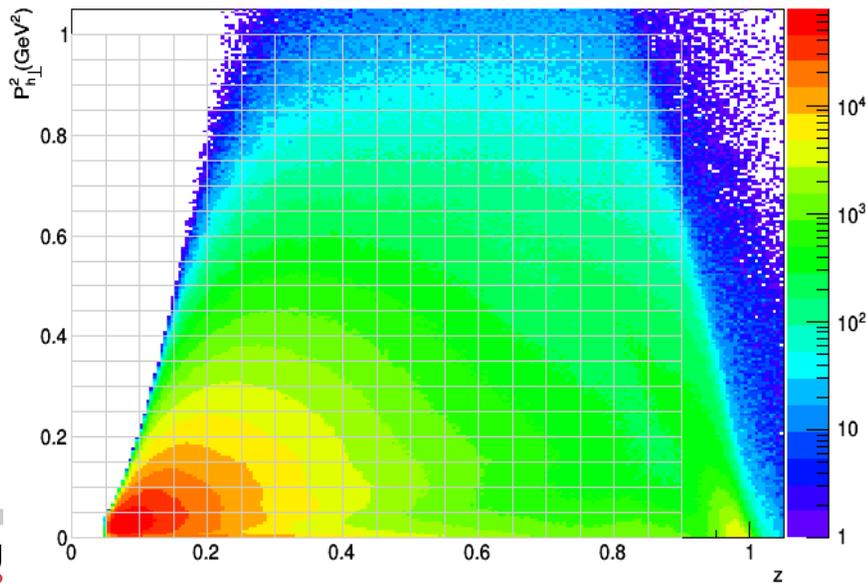
- Two 0.4 GeV linear accelerators.
- Nine recirculation arcs for five loops around the track.
- Continuous, polarized electron beam up to 6 GeV delivered simultaneously to 3 experimental halls.
- High luminosity of $0.5 \times 10^{34} \text{ (cm}^2 \text{ s)}^{-1}$
- E1-f run: 5.498 GeV electron beam with $\sim 75\%$ polarization (averaged over for this analysis); unpolarized liquid hydrogen target; about 2 billion events; broad and comparable kinematic range for two channels:

- Electromagnetic Calorimeter (EC) and Čerenkov Counter (CC) used in electron identification.
- Drift Chamber (DC) (3 regions) and time of flight Scintillators (SC) record position and timing information for each charged track.
- Torus magnet creates toroidal magnetic field which causes charged tracks to curve while preserving the ϕ_{lab} angle.

SIDIS Cuts and Binning

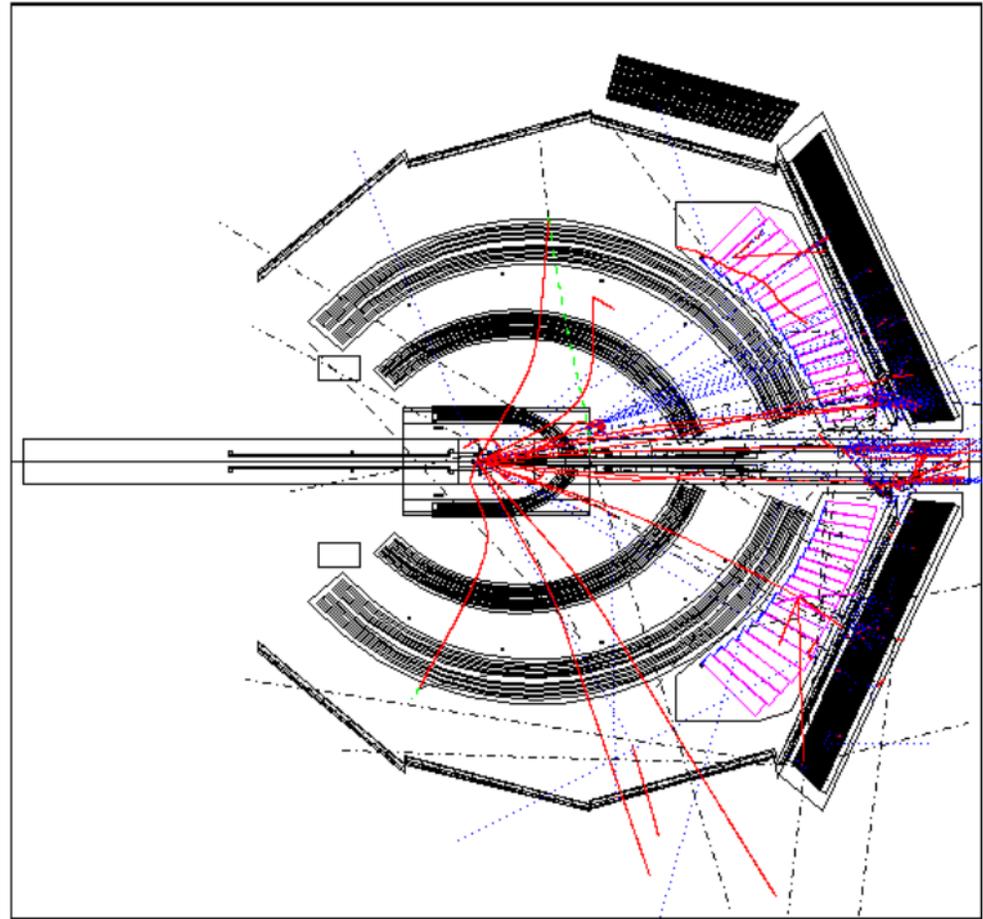


The DIS region is defined as $Q^2 > 1.0$ GeV² and $W > 2.05$ GeV.



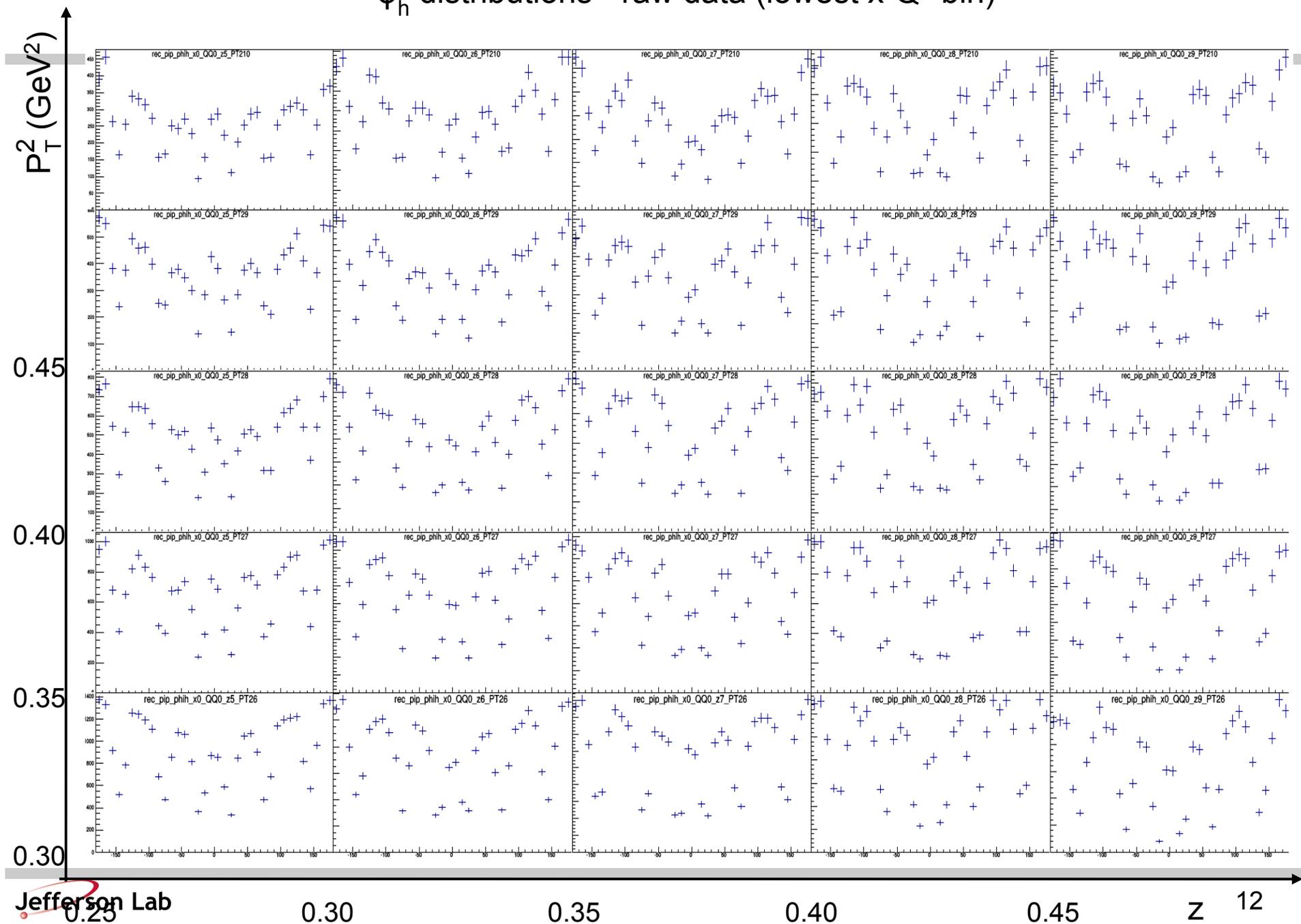
Simulation

- 1B SIDIS events are generated with a PYTHIA based event generator.
- 3 different models were used to study model dependence.
- Generated events are put into a GEANT based Monte Carlo simulation of the CLAS detector (GSim).
- Smearing and inefficiencies are introduced to the simulation to make it more realistic.
- The simulated data is then “cooked”, processed, and analyzed in the same way as the E1-f data set.

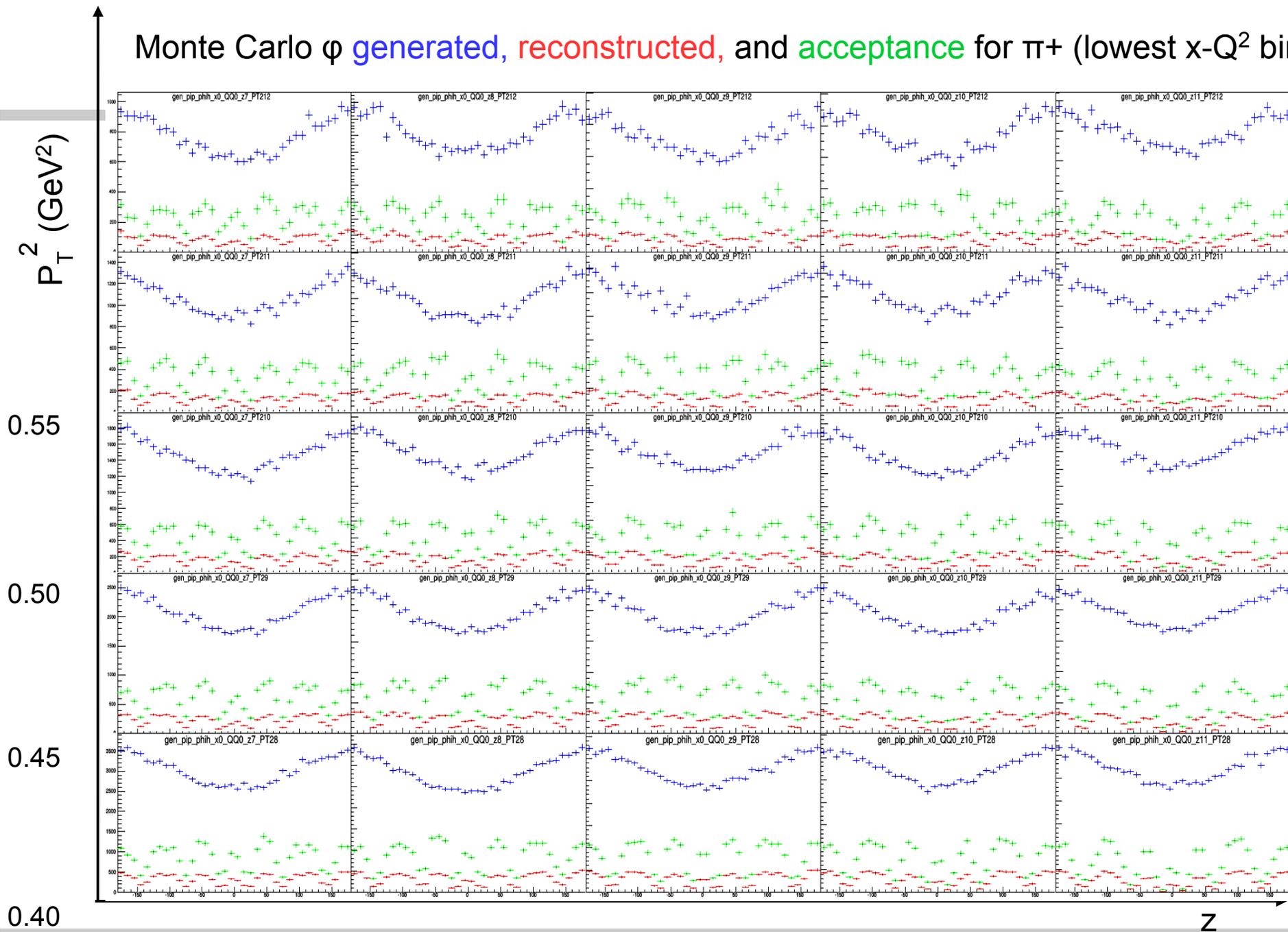


Above: Five generated events being reconstructed by GSim. Charged tracks are shown in red, neutral tracks in gray.

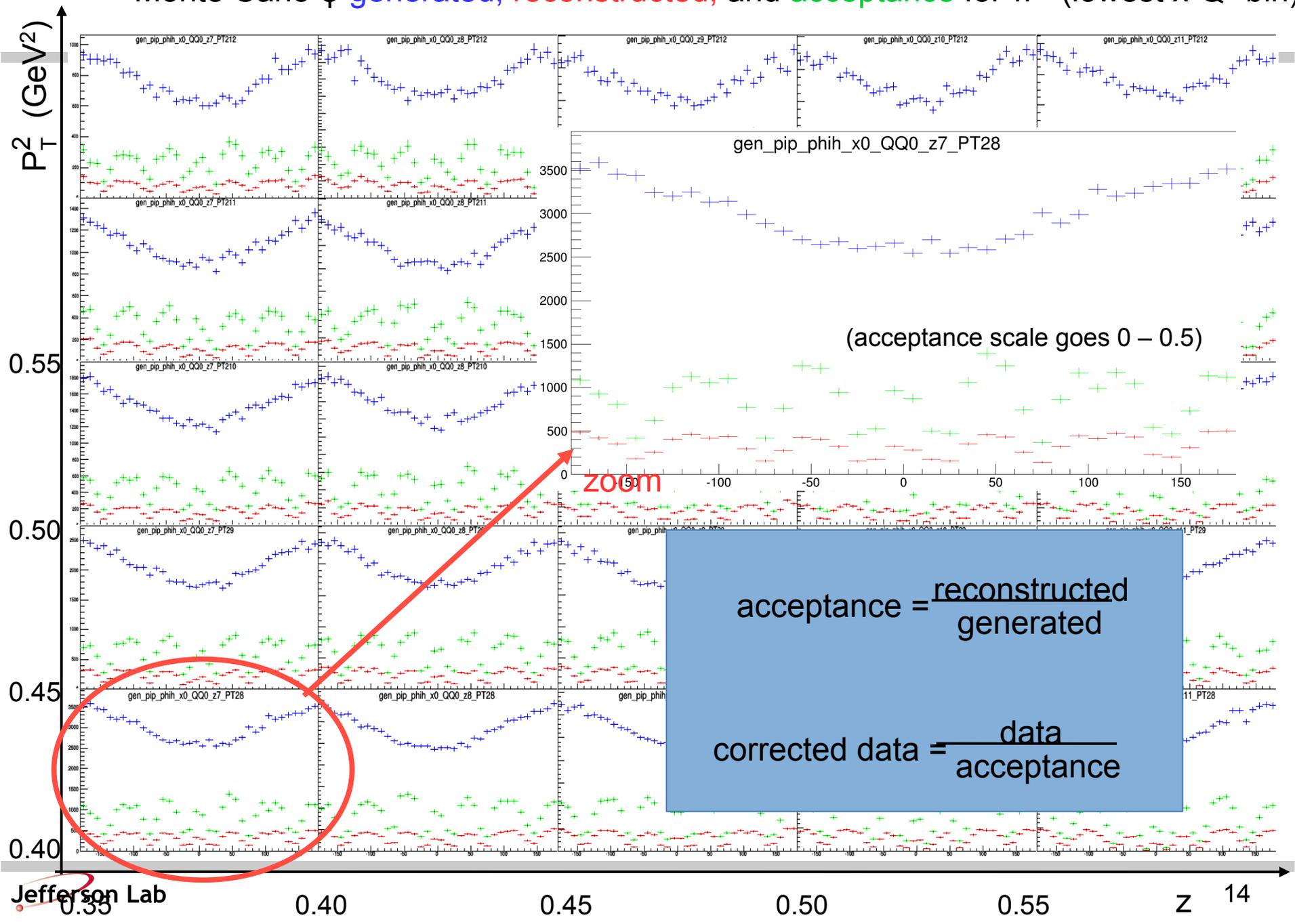
ϕ_h distributions - raw data (lowest x-Q² bin)



Monte Carlo ϕ generated, reconstructed, and acceptance for π^+ (lowest x-Q² bin)



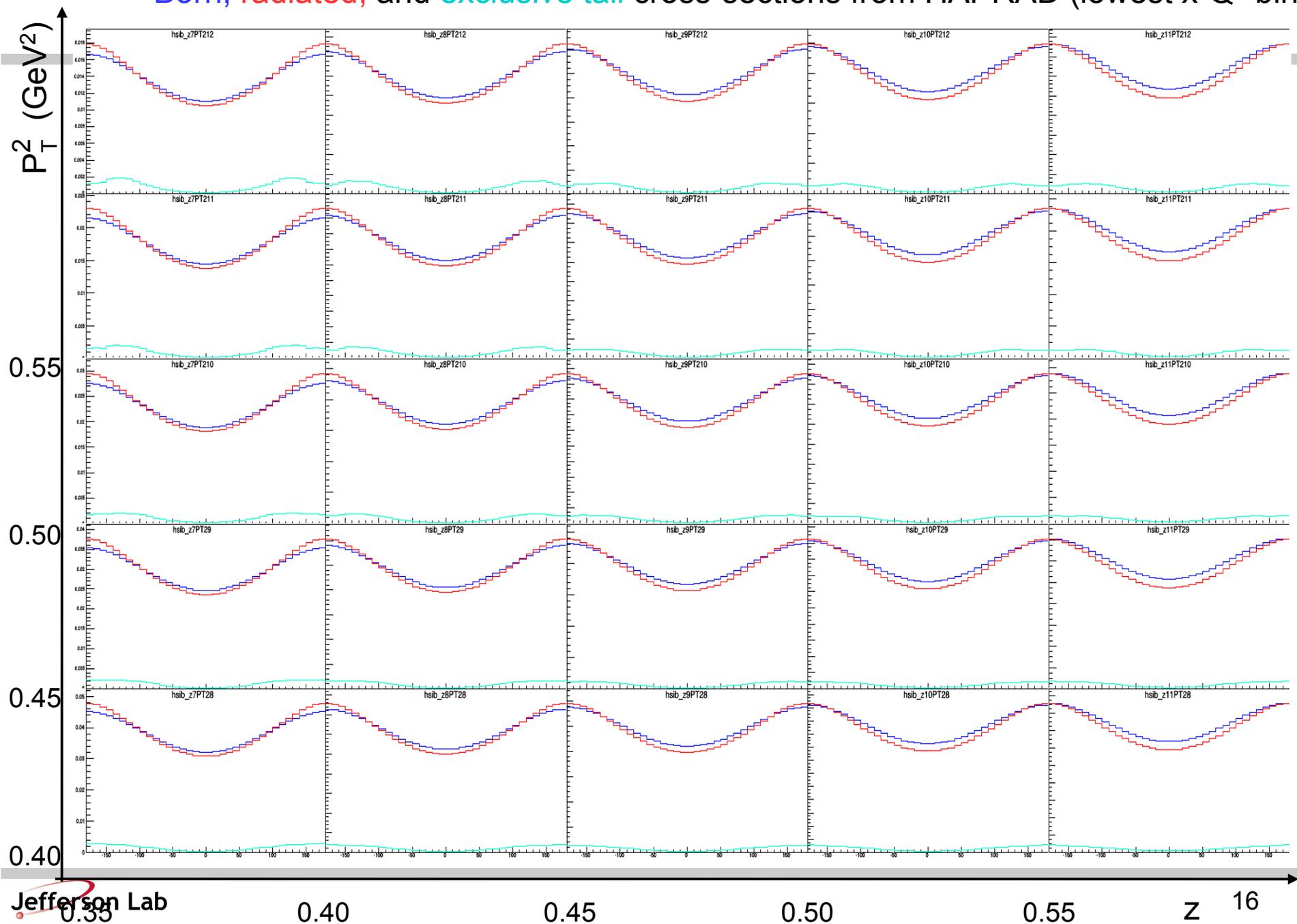
Monte Carlo ϕ generated, reconstructed, and acceptance for π^+ (lowest x-Q² bin)



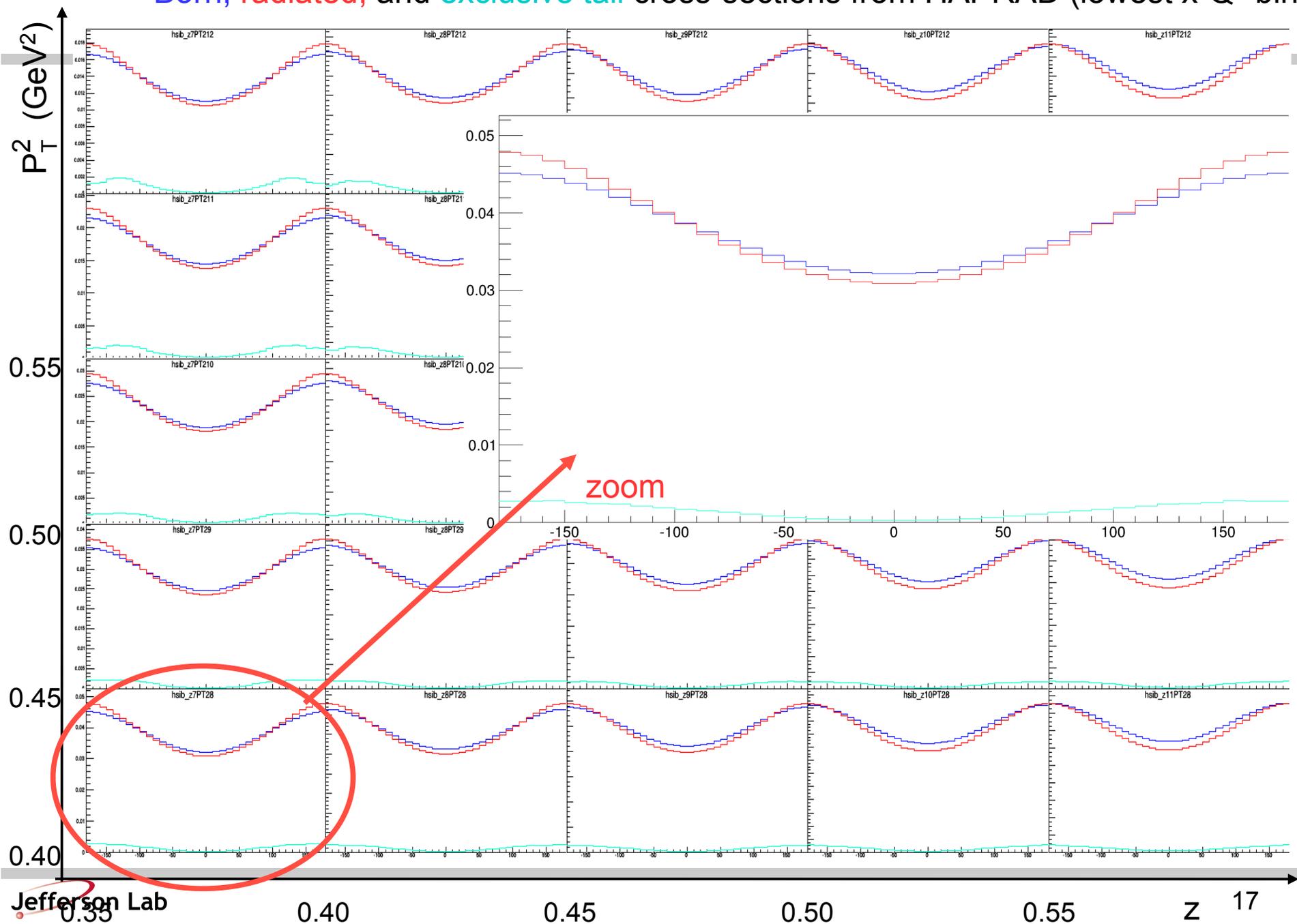
Radiative Corrections

- Radiative effects, such as the emission of a photon by the incoming or outgoing electron, can change all five SIDIS kinematic variables.
- Furthermore, exclusive events can enter into the SIDIS sample because of radiative effects (“exclusive tail”).
- HAPRAD 2.0 is used to do radiative corrections.
- For a given $\sigma_{Born}(x, Q^2, z, P_{h\perp}^2, \phi_h)$ (obtained from a model), HAPRAD calculates $\sigma_{rad+tail}(x, Q^2, z, P_{h\perp}^2, \phi_h)$. The correction factor is then:
$$RC\ factor = \frac{\sigma_{rad+tail}(x, Q^2, z, P_{h\perp}^2, \phi_h)}{\sigma_{Born}(x, Q^2, z, P_{h\perp}^2, \phi_h)}$$
- 3 different models were used to study model dependence.

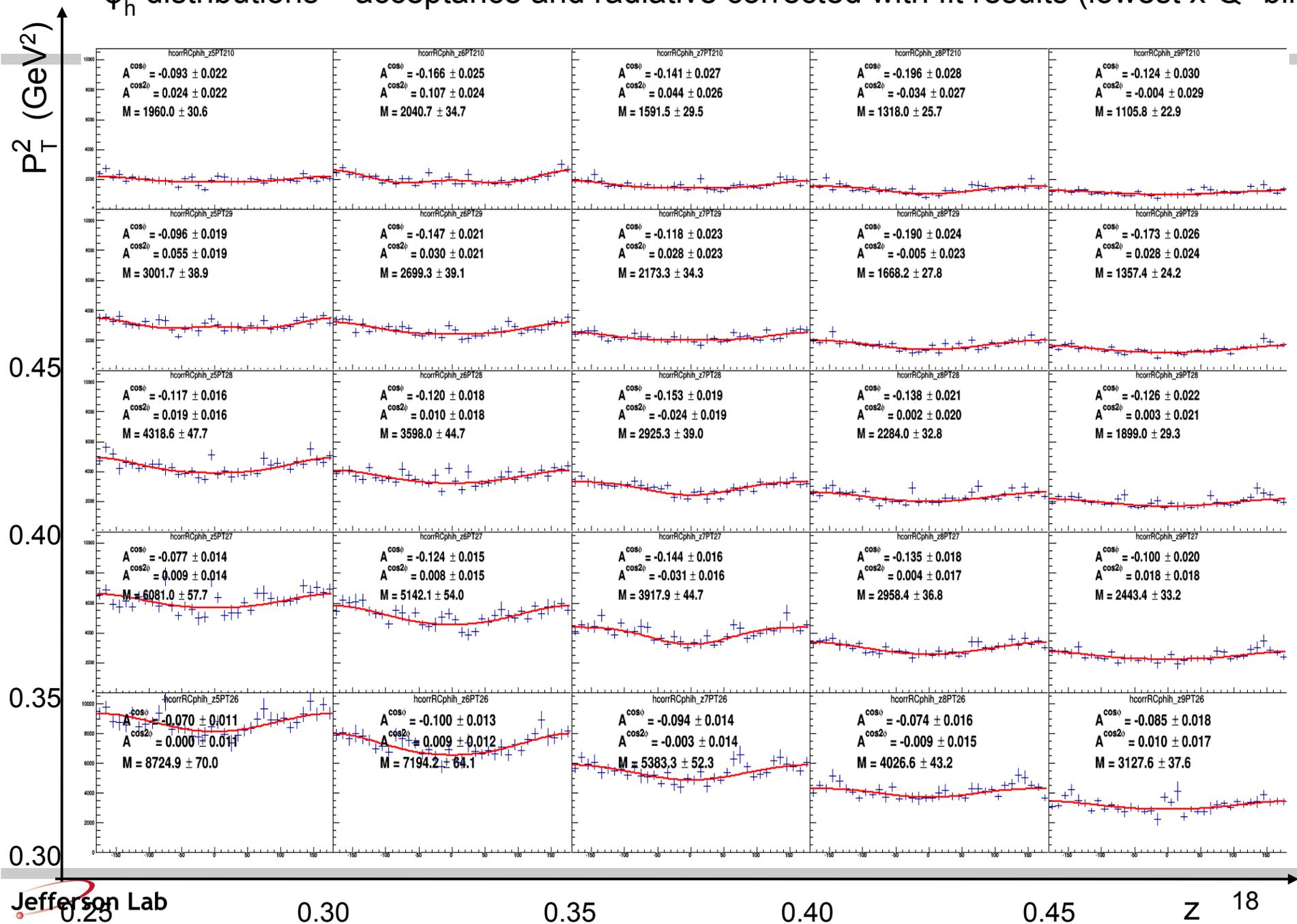
Born, radiated, and exclusive tail cross-sections from HAPRAD (lowest x - Q^2 bin)



Born, radiated, and exclusive tail cross-sections from HAPRAD (lowest x - Q^2 bin)

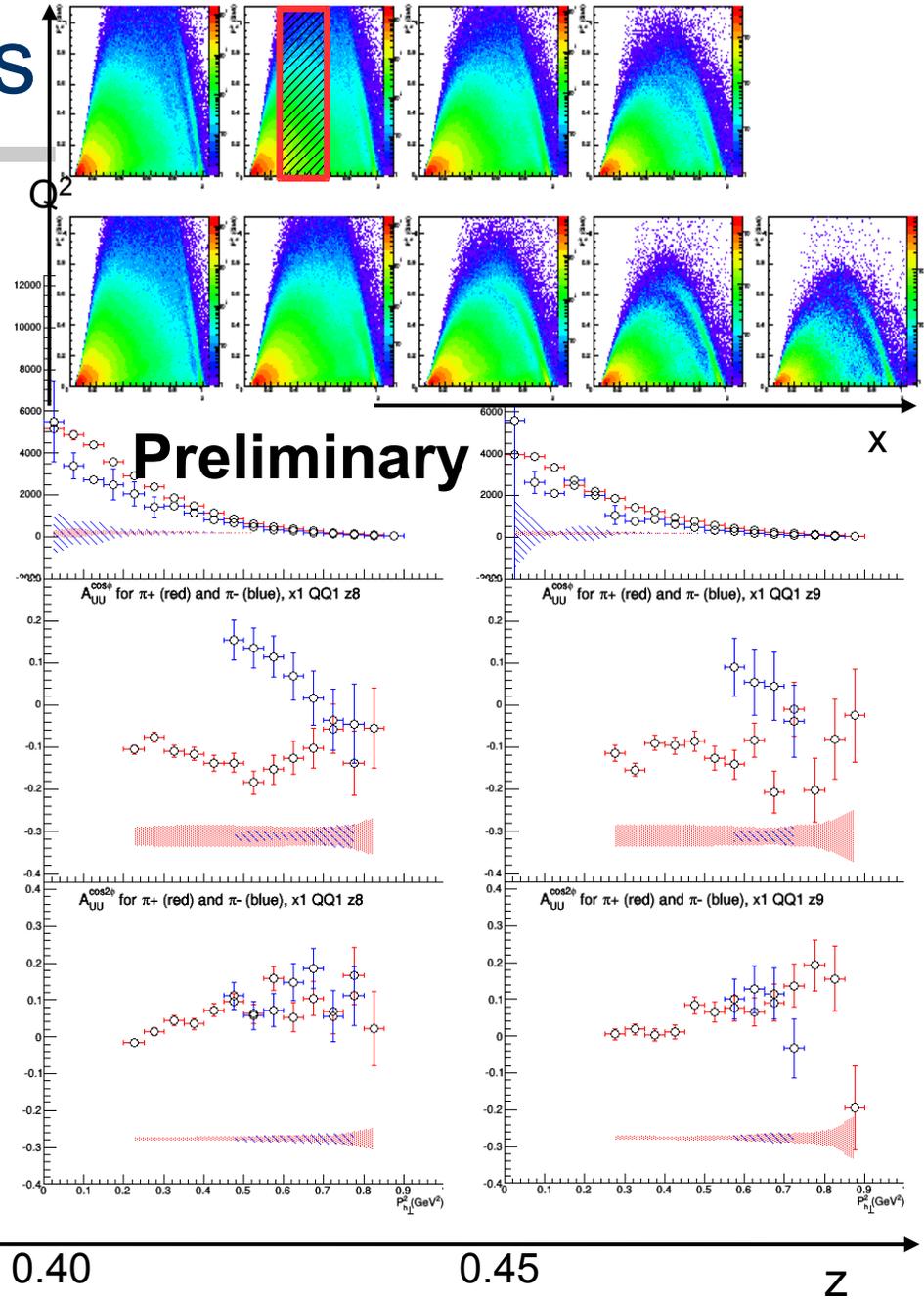
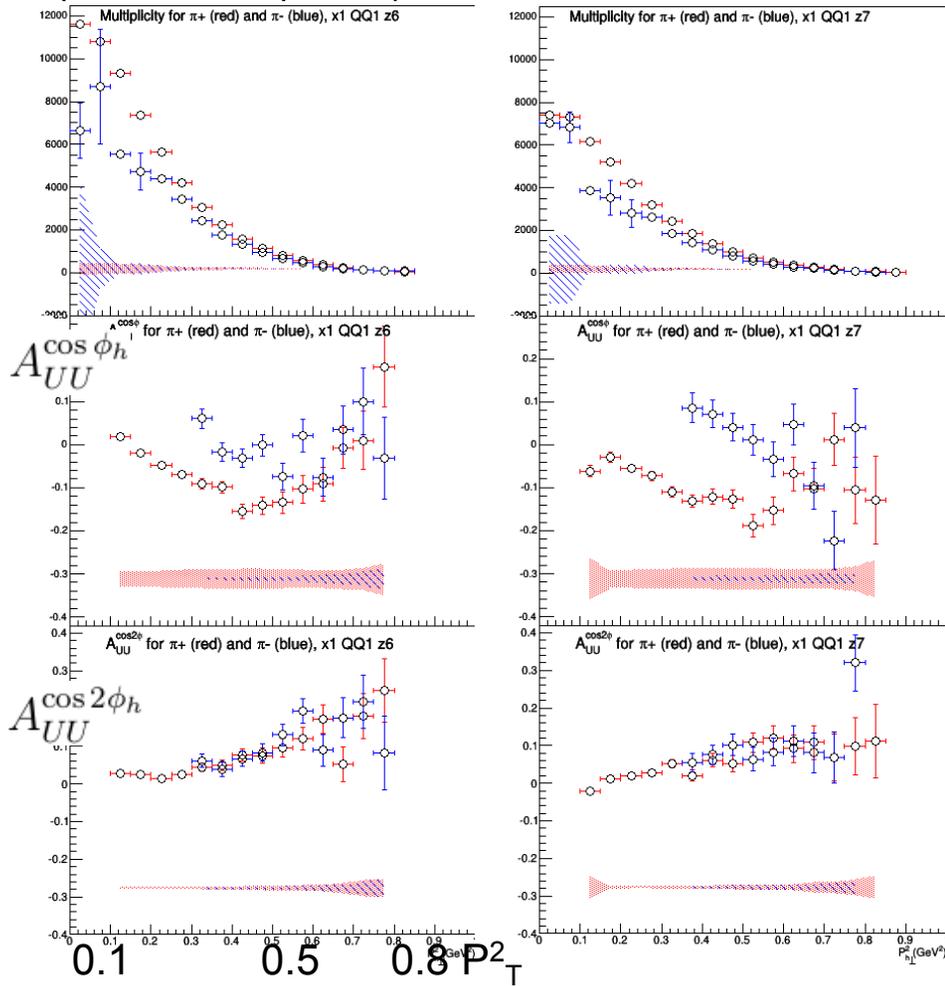


ϕ_h distributions – acceptance and radiative corrected with fit results (lowest x-Q² bin)



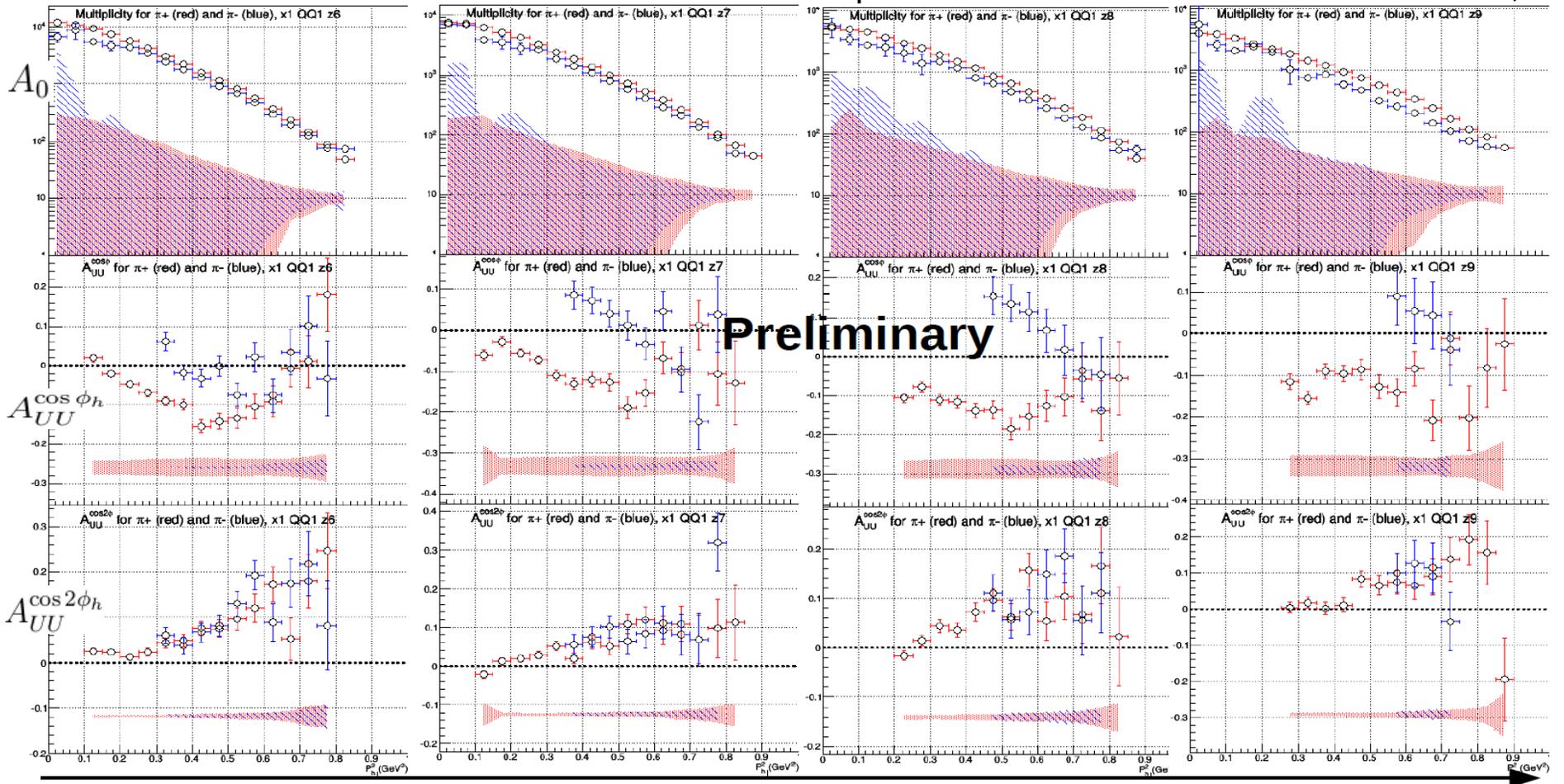
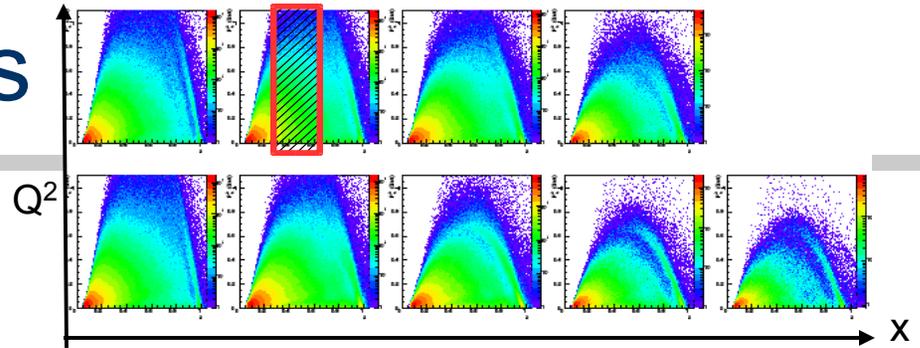
Representative Results

A_0 (top row), $A_{UU}^{\cos \phi_h}$ (middle row), and $A_{UU}^{\cos 2\phi_h}$ (bottom row) vs P_T^2 for π^+ and π^-



Representative Results

A_0 (top row), $A_{UU}^{\cos \phi_h}$ (middle row), and $A_{UU}^{\cos 2\phi_h}$ (bottom row) vs P_T^2 for π^+ and π^-



0.30 0.35
(high Q^2 bin of $0.2 < x < 0.3$)

0.40

0.45

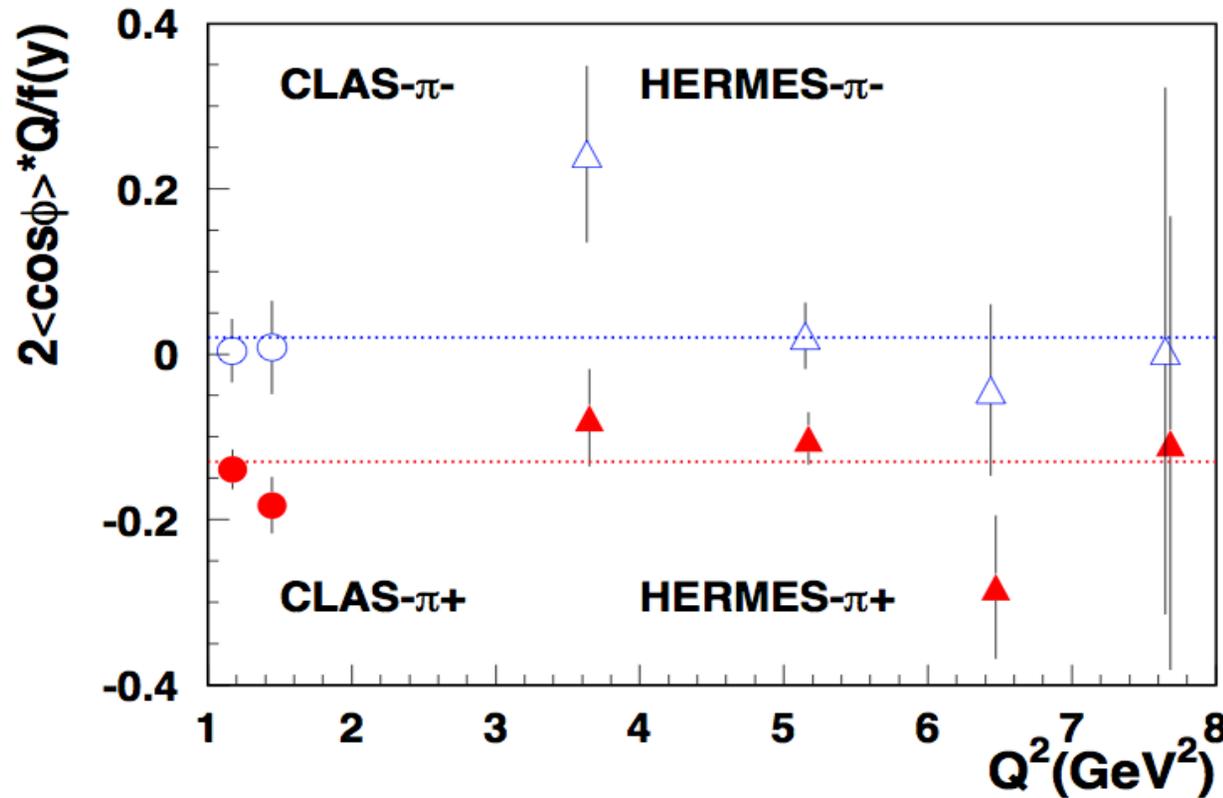
z

Comparing with HERMES

$$F_{UU,T} + \varepsilon F_{UU,L} + \sqrt{2\varepsilon(1+\varepsilon)} \cos \phi_h F_{UU}^{\cos \phi_h}$$

$$F_{UU}^{\cos \phi_h} = \frac{2M}{Q} C \left[-\frac{\hat{h} \cdot \mathbf{k}_T}{M_h} \left(xh H_1^\perp + \frac{M_h}{M} f_1 \frac{\tilde{D}^\perp}{z} \right) - \frac{\hat{h} \cdot \mathbf{p}_T}{M} \left(x f^\perp D_1 + \frac{M_h}{M} h_1^\perp \frac{\tilde{H}}{z} \right) \right]$$

x=0.19, z=0.45, P_T=0.42 GeV



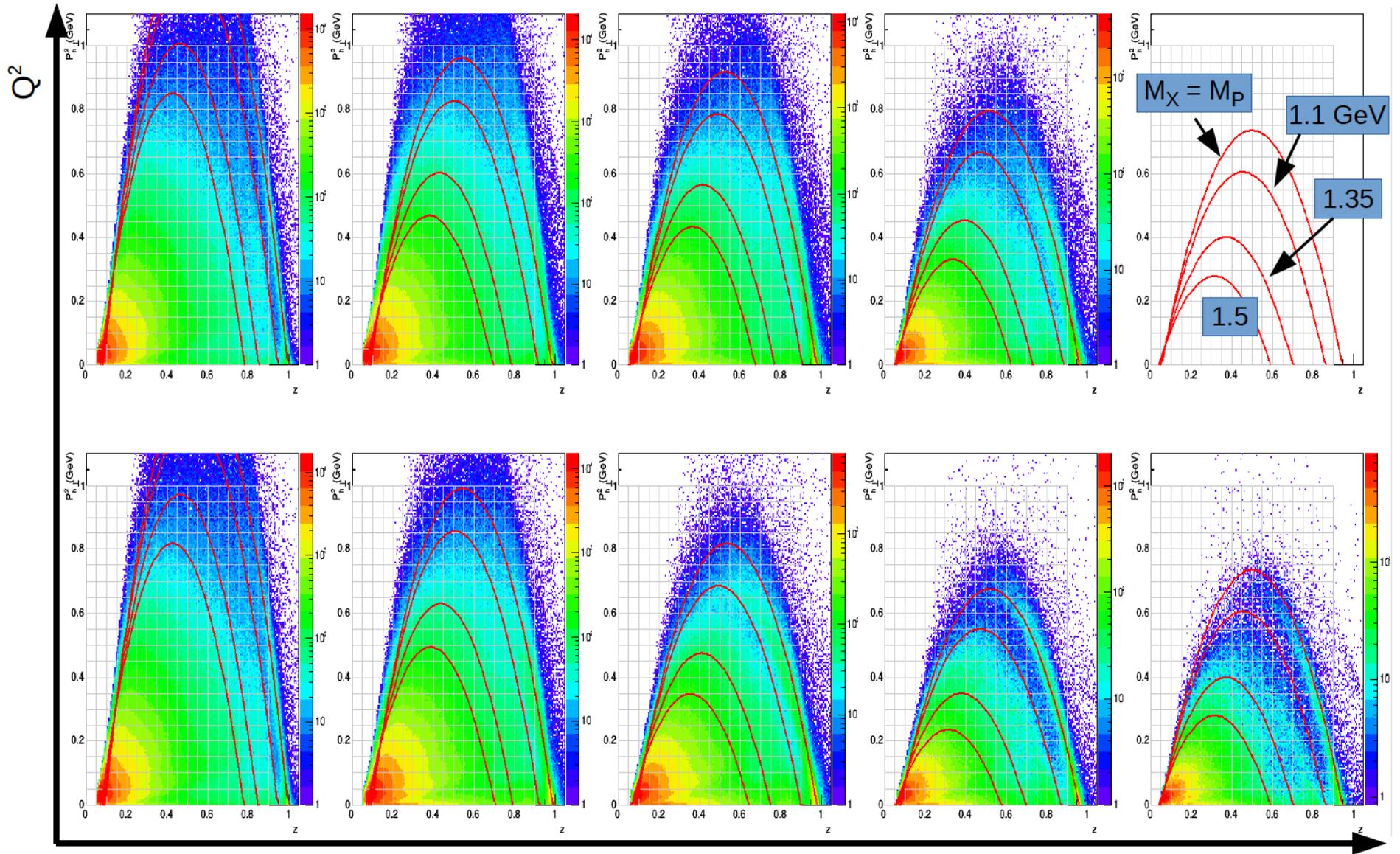
CLAS data consistent with HERMES (27.5 GeV)

Summary

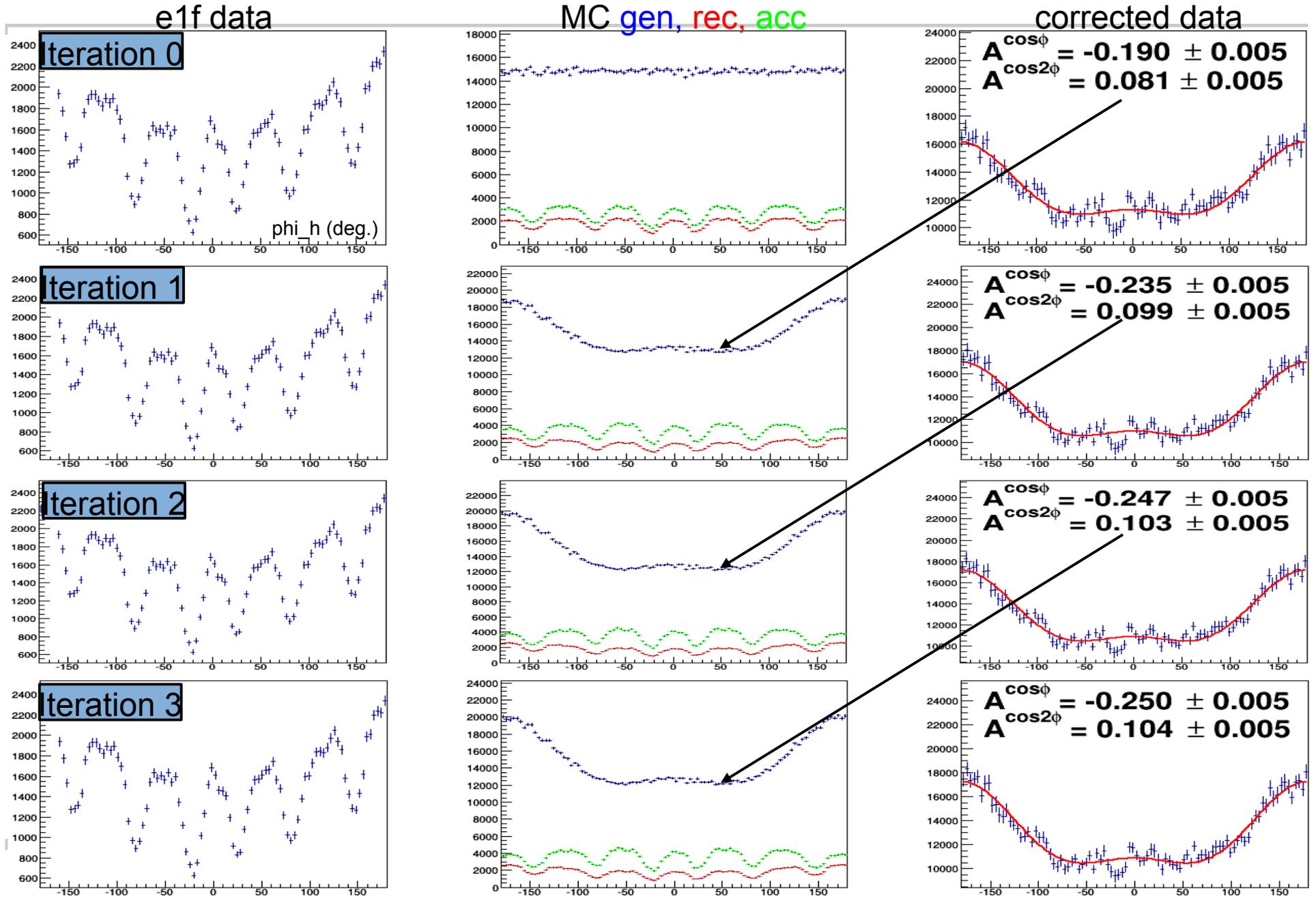
- ❑ The multiplicity, $\cos\varphi_h$ moment, and $\cos 2\varphi_h$ moment of the unpolarized SIDIS cross-section have been measured for both charged pion channels in a fully differential way with good statistics and well controlled systematics over a wide kinematic range.
- ❑ The $\cos\varphi_h$ and $\cos 2\varphi_h$ modulations are significant, depend on flavor, and their understanding is important for interpretation of spin-azimuthal asymmetries
- ❑ Comparison of azimuthal moments with HERMES, supports the higher twist nature of the $\cos\varphi_h$ moment (Cahn effect).

Support slides....

$\pi^+ P_{h\perp}^2$ vs z for each x - Q^2 bin



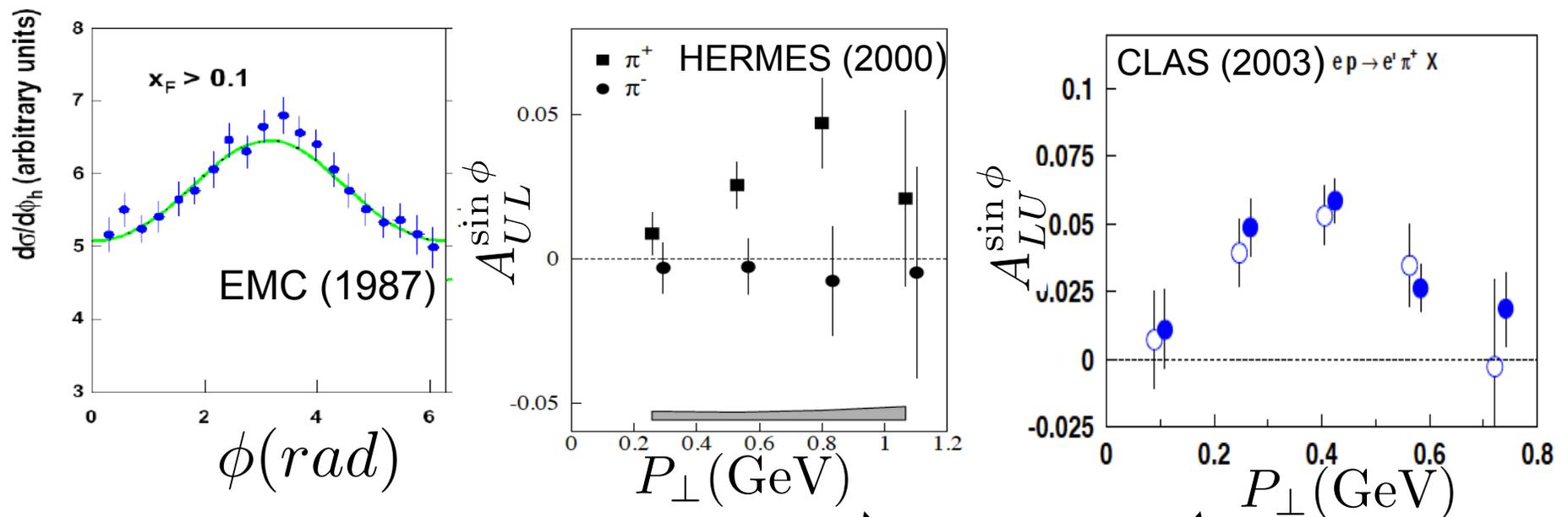
Effects of the shape of the generated ϕ distribution



Measurements of SS azimuthal asymmetries in SIDIS

$$\sigma = \sigma_{UU}(1 + P_B A_{LU}^{\sin\phi} \sin\phi + P_T A_{UL}^{\sin\phi} \sin\phi + P_T A_{UT}^{\sin\phi - \phi_S} \sin(\phi - \phi_S) + \dots)$$

Large $\cos\phi$ and $\sin\phi$ modulations have been observed in electroproduction of hadrons in SIDIS with polarized and unpolarized targets

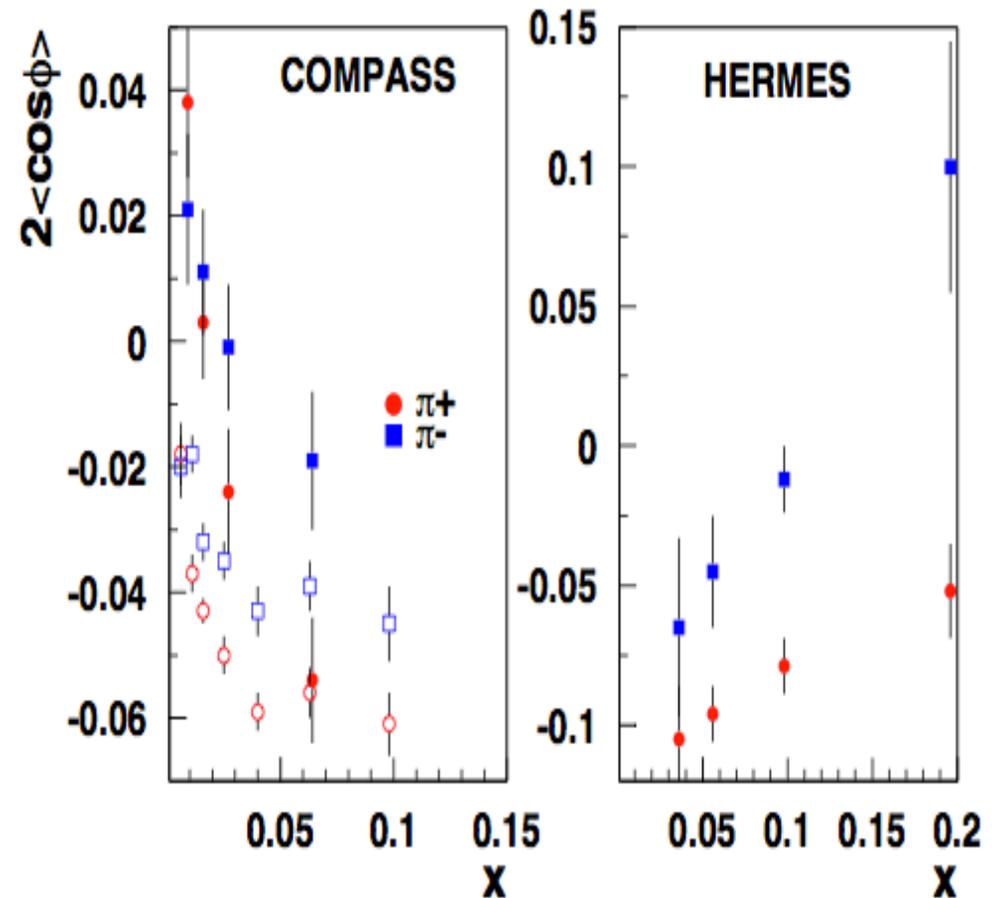


Related to spin-orbit correlations in fragmentation?

$A_{UU}^{\cos\phi}$: From measurements to interpretation

N/q	U	L	T	q/h	U	L	
U	f_1^\perp	g_1^\perp	h, e	U	D_1		
L	f_L^\perp	g_L^\perp	h_L, e_L	L		G_{1L}	
T	f_T, f_T^\perp	g_T, g_T^\perp	$h_T, e_T, h_T^\perp, e_T^\perp$	T	H_1^\perp	H_{1L}^\perp	H

$$A_{UU}^{\cos\phi} \propto f_1^\perp D_1 + h H_1^\perp$$



π^0 SSA less sensitive polarized fragmentation effects (Collins function suppressed)