Neutron-skin effect and centrality dependence of high- p_T observables in nuclear collisions $${\rm DIS2016}$$

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Introduction

Nuclear density

2-parameter Woods-Saxon

$$\rho_i^A(r) = \frac{\rho_0^A}{1 + \exp[\frac{r - R_i}{d_i}]}$$

- R_i = nuclear radius
- $d_i =$ thickness of the surface

Neutron-skin effect

- Tail of neutrons extends farther
- ► We use parameters [C.M. Tarbert *et al.*, PRL 112 (2014) 24, 242502]
 - $R_p = 6.680 \text{ fm}, R_n = 6.70 \pm 0.03 \text{ fm}$
 - $d_p = 0.447$ fm, $d_n = 0.55 \pm 0.03$ fm
- ⇒ Modification for EM-sensitive observables in peripheral collisions



Centrality classification

Optical Glauber model

▶ Total inelastic cross section in A+B collision at given \sqrt{s}

$$\sigma_{AB}^{\text{inel}}(s) = \int \mathrm{d}^2 \mathbf{b} \left[1 - \mathrm{e}^{-T_{AB}(\mathbf{b}) \, \sigma_{NN}^{\text{inel}}(s)} \right]$$



$$T_{AB}(\mathbf{b}) = \int \mathrm{d}^2 \mathbf{s} \left[T_p^A(\mathbf{s_1}) + T_n^A(\mathbf{s_1}) \right] \left[T_p^B(\mathbf{s_2}) + T_n^B(\mathbf{s_2}) \right]$$

with $T^A_i({\bf r}) = \int \mathrm{d} z \rho^A_i(z,{\bf r})$

Where nuclear overlap function

• Centrality classes defined as impact-parameter intervals requiring $(c_{k+1} - c_k) \% = \frac{1}{\sigma_{AB}^{\text{inel}}} \int_{b_k}^{b_{k+1}} \mathrm{d}b \, 2\pi b \left[1 - \mathrm{e}^{-T_{AB}(\mathrm{b}) \, \sigma_{NN}^{\text{inel}}(s)} \right]$

►

Hard process cross section

Hard process cross section in given centrality bin C_k

$$d\sigma_{AB}^{\text{hard}}(\mathcal{C}_k) = 2\pi \int_{b_k}^{b_{k+1}} db \, b \int d^2 \mathbf{s} \sum_{i,j} T_A^i(\mathbf{s}_1) T_B^j(\mathbf{s}_2) d\sigma_{ij}^{\text{hard}}(A, B, \mathbf{s_1}, \mathbf{s_2})$$

where $i, j = p, n$

Differential cross section

• Factorize the spatial dependence to nuclear PDFs (nPDFs) $d\sigma_{ij}^{hard}(A, B, \mathbf{s_1}, \mathbf{s_2}) = \sum_{k,l} f_k^{i/A}(x_1, Q^2, \mathbf{s_1}) \otimes f_l^{j/B}(x_2, Q^2, \mathbf{s_2}) \otimes d\hat{\sigma}_{ij}^{kl \to X}$ • The apple was be dependence of

The nPDFs can be decomposed as

$$f_k^{i/A}(x,Q^2,\mathbf{s})=r_k^{i/A}(x,Q^2,\mathbf{s})f_k^i(x,Q^2)$$

► We use spatially dependent EPS09s nuclear modifications satisfying

$$R_{k}^{i/A}(x,Q^{2}) = \frac{1}{A} \int d^{2}\mathbf{s} \, T_{A}^{i}(\mathbf{s}) r_{k}^{i/A}(x,Q^{2},\mathbf{s})$$

Two competing effects

Spatially dependent nPDFs

- Smaller nuclear effects in peripheral collisions
- ► Enhancement or suppression depending on *x*

Neutron skin (NS)

- More neutrons at large s $\Rightarrow f_u(x,Q^2)/f_d(x,Q^2)$ decrease with centrality
- Effect more pronounced at large x
- Goal: Study which observables would be sensitive to NS effect



Direct photons

Nuclear modification factor

$$R_{\rm PbPb}^{\gamma}(\mathcal{C}_k) = \frac{1}{\langle T_{\rm PbPb}(\mathcal{C}_k) \rangle} \frac{\mathrm{d}\sigma_{\rm PbPb}^{\gamma}(\mathcal{C}_k)}{\mathrm{d}p_T \mathrm{d}\eta} \Big/ \frac{\mathrm{d}\sigma_{\rm Pp}^{\gamma}}{\mathrm{d}p_T \mathrm{d}\eta}$$

 Cross sections calculated in NLO using INCNLO with BFGII photon FFs and CT10 PDFs together with EPS09s nuclear modifications



- Neutron-skin (NS) effect does nothing for MB and central events
- Very small difference between central and MB R_{PbPb}^{γ}

Direct photons

▶ Look for more peripheral events: 70 - 80% and 90 - 100%



- ▶ Need high- p_T ($\gtrsim 300 \text{ GeV/c}$) (large x) to see the neutron-skin effect
- Need also very peripheral events
- At high- p_T nPDFs and NS have opposite effects vs. centrality
- nPDF uncertainties larger than the uncertainty in WS parametrization

Direct photons

Central-to-peripheral ratio

$$R_{CP} = \frac{\langle T_{\rm PbPb}(P) \rangle}{\langle T_{\rm PbPb}(C) \rangle} \frac{\mathrm{d}\sigma_{\rm PbPb}^{\gamma}(C)}{\mathrm{d}p_{T}\mathrm{d}\eta} \bigg/ \frac{\mathrm{d}\sigma_{\rm PbPb}^{\gamma}(P)}{\mathrm{d}p_{T}\mathrm{d}\eta}$$

Some uncertainties cancel out



- ► Still the nPDF-originating uncertainties larger than neutron-skin effect
- Look for observable where the nPDFs cancel out

Charged hadrons

Ratio between negatively and positively charged hadrons

$$\frac{h^{-}}{h^{+}}(\mathcal{C}_{k}) = \frac{\mathrm{d}\sigma_{\mathrm{PbPb}}^{h^{-}}(\mathcal{C}_{k})}{\mathrm{d}p_{T}\mathrm{d}\eta} \Big/ \frac{\mathrm{d}\sigma_{\mathrm{PbPb}}^{h^{+}}(\mathcal{C}_{k})}{\mathrm{d}p_{T}\mathrm{d}\eta}$$

- Hadronization using fragmentation functions (FFs)
- No final state effects for the ratio (flavour independent energy loss) Motivated by unmodified K/π and p/π ratios [PRC 93 (2016) 034913]



- ► Large differences between different FFs ⇒ Additional uncertainty
- p+p measurement would further constrain FFs
- Negative cross section with AKK08, not used here

Charged hadrons

• h^-/h^+ in different centralities at Pb+Pb



- nPDF effects cancel out
- ▶ Dominant uncertainties from WS-parametrization (no normalization with ⟨T_{PbPb}(C_k)⟩)
- Large differences between different FFs

Charged hadrons

• Normalize with minimum bias h^-/h^+ (Ratio unity without NS-effect)



- FF-dependence cancels almost completely
 ⇒ Observable robust against uncertainties in fragmentation
- nPDF-uncertainties remain small
- With $\eta = 2$ NS-effect enhanced at lower p_T

W^{\pm} production

Production of l^{\pm} from $W^{\pm} \rightarrow l^{\pm} \nu$ decays

 \blacktriangleright Cross section calculated at NLO in pQCD using MCFM code with $Q^2=M_W^2$ and integrate over $p_T^l>25~{\rm GeV/c}$

$$\frac{\sigma(l^+)}{\sigma(l^-)}(\mathcal{C}_k) = \frac{\mathrm{d}\sigma^{l^+}(\mathcal{C}_k)}{\mathrm{d}y\mathrm{d}p_T} \Big/ \frac{\mathrm{d}\sigma^{l^-}(\mathcal{C}_k)}{\mathrm{d}y\mathrm{d}p_T}$$

► Again, nPDF effects (flavour independet) cancel out

$\mathrm{p{+}Pb}$ collisions

Observable:

- ► Asymmetric collisions (here p with y > 0)
- Biases in experimental centrality classification

Pb+Pb collisions

- Symmetric collision
- Centrality classification in better control

W^{\pm} production

• Normalized with $\sigma(l^+)/\sigma(l^-)(\mathcal{C}_{\rm MB})$

[From H. Paukkunen, Phys. Lett. B745 (2015) 73-78] 1.1 1.1 p+Ph Pb+Ph = 5.02 TeV70-80% $\sqrt{s} = 2.76 \text{TeV}$ $[\sigma(\ell^+)/\sigma(\ell)]_{\mathrm{peripheral}} [\sigma(\ell^+)/\sigma(\ell)]_{\mathrm{min.bias}}$ $[\sigma(\ell^+)/\sigma(\ell^-)]_{
m peripheral}/[\sigma(\ell^+)/\sigma(\ell^-)]_{
m min.bias}$ $p_T > 25 \text{GeV}$ $p_T > 25 \text{GeV}$ 70-80% 1.0 1.0 0.9 0.9 90-100% 90-100% 0.8 0.8 0.7 0.7 -2 2 -2 -3 -1 0 -3 -1 0 $y(\ell^{\pm})$ $y(\ell^{\pm})$

- Larger effects at large |y| (larger nuclear-x)
- Rather fine centrality binning required
- Use as a benchmark for different centrality definitions at the LHC

Summary

Neutron-skin effect

Neutron-to-proton ratio grows towards the edge of nucleus
 Modifications for EM-sensitive observables in peripheral collisions

Direct photon production

- Few percent effects at high- p_T
- Spatially dependent nPDFs complicates the interpretation

Charged hadron production h^-/h^+

- Nuclear PDF effects cancel out
- Some uncertainty due to fragmentation functions Can be cured by normalizing with MB-result
- ▶ Up to 20% effects at the most peripheral bin

Conclusions

W^{\pm} production

- \blacktriangleright Considered both $p{+}Pb$ and $Pb{+}Pb$ collisions at the LHC
- Up to 20% effects at large |y|

Conclusions

- Neutron-skin effect can produce measurable effects at the LHC
- Could be used to study centrality classification
- Could serve as a handle to study centrality also in DIS (Different effects for neutral- and charged-current reactions)



Backup

Nuclear modifications with spatial dependence

► We replace

$$R^A_i(x,Q^2) \to r^A_i(x,Q^2,{\bf s}),$$

where $\ensuremath{\mathbf{s}}$ is the transverse position of the nucleon

• Definition $R_i^A(x,Q^2) \equiv \frac{1}{A} \int d^2 \mathbf{s} T_A(\mathbf{s}) r_i^A(x,Q^2,\mathbf{s}),$

where $R_i^A(x,Q^2)$ is taken from EKS98 or EPS09 global fits

• Assumption: spatial dependence related to $T_A(s)$ as follows:

$$r_i^A(x, Q^2, \mathbf{s}) = 1 + \sum_{j=1}^n c_j^i(x, Q^2) \left[T_A(\mathbf{s})\right]^j$$

▶ Important: No A-dependence in the fit parameters $c_j(x, Q^2)$

Fitting Procedure

Parameters $c_j(x, Q^2)$ obtained by minimizing the χ^2 $\chi_i^2(x, Q^2) = \sum_A \left[\frac{R_i^A(x, Q^2) - \frac{1}{A} \int d^2 \mathbf{s} T_A(\mathbf{s}) r_i^A(x, Q^2, \mathbf{s})}{W_i^A(x, Q^2)} \right]^2$

► A-dependence of R^A_i(x, Q²) well reproduced with n = 4:





Outcome: Spatially dependent nPDF sets EPS09s and EKS98s

W^\pm production

Comparison to ATLAS data [Eur. Phys. J. C (2015) 75:23]



► Very mild effects with the given centrality binning ett. B745 (2015) 73-78]