



Top quark mass measurements with the CMS experiment

Simon Spannagel on behalf of the CMS Collaboration

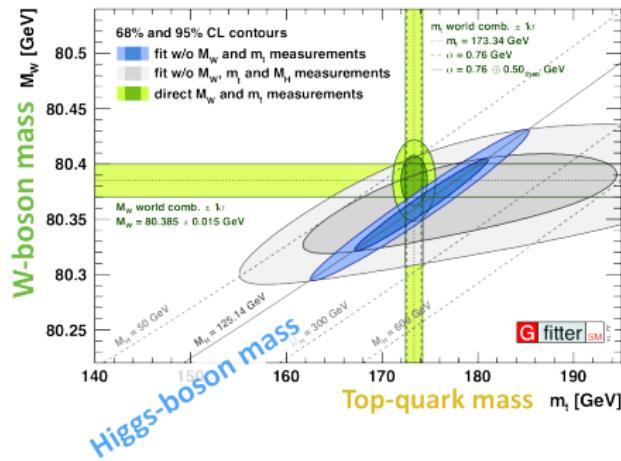
DIS 2016, Hamburg
WG4 Heavy Flavors, 13 April 2016

Why Measuring the Top Quark Mass?

- m_t is a fundamental parameter of the standard model
- Short lifetime $\mathcal{O}(10^{-25})s \rightarrow$ no hadronization, allows to study bare quark properties
- Direct access to top quark properties through decay products
- Allows tests of SM **self-consistency** using m_t , m_W , m_H and other inputs

Which mass are we measuring?

- Parameter in the Lagrangian
- Beyond LO: Renormalization, m_t becomes scheme dependent
- Direct measurements: **MC mass**
- Difference between MC mass – pole mass $\mathcal{O}(1\text{ GeV})$
arXiv:1405.4781, 0808.0222, 1502.01030
- See talks by M. Steinhauser, A. Hoang

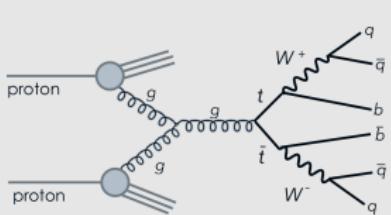


arxiv:1407.3792

Overview

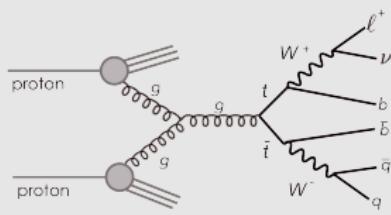
- Many top quark mass measurements published by CMS → [CMS Top Quark Public Results](#)
- Focus on selected measurements only, presenting the most precise results available

Direct: All-hadronic



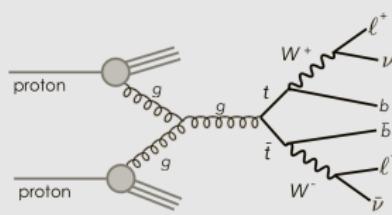
arXiv:1509.04044

Direct: Lepton + Jets



arXiv:1509.04044

Direct: Dileptonic



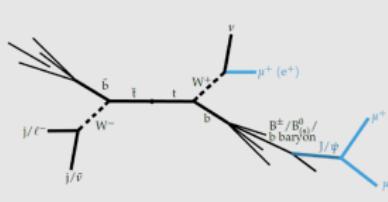
arXiv:1509.04044

CMS Combination



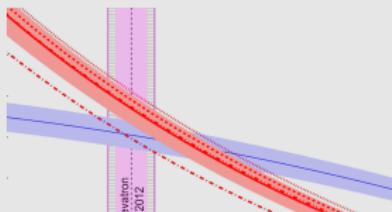
arXiv:1509.04044

m_t from Charged Particles



arxiv:1603.06536

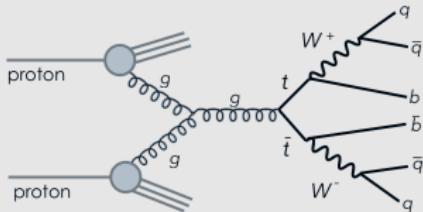
Indirect Measurement via $\sigma_{t\bar{t}}$



arxiv:1603.02303

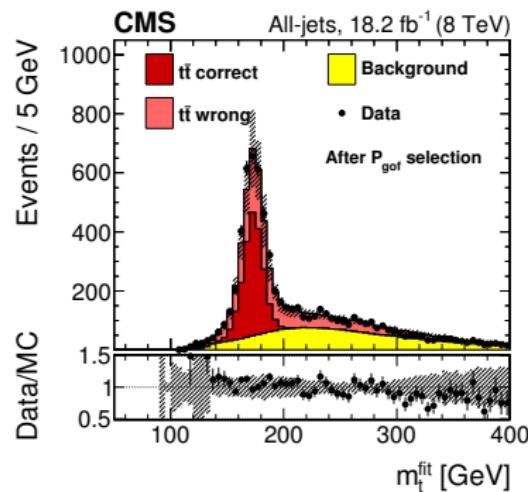
Direct m_t Measurement: All-hadronic

arXiv:1509.04044



- Largest branching ratio
- Full reconstruction possible (no neutrinos)
- Combinatorics: many possible jet-parton assignments
- Multi-jet background requires tight cuts

- Ideogram method: per-event likelihoods (taking into account expected contributions from correct/wrong and background hypothesis) are combined to perform the measurement
- **1D:** determine m_t from templates
- **2D:** determine m_t and global JSF simultaneously, no JSF prior used
- **Hybrid:** use Gaussian constraint, width JEC uncertainty
- Observables:
 m_t^{fit} from kinematic fit
 m_W^{reco} reconstructed from jet pair invariant mass



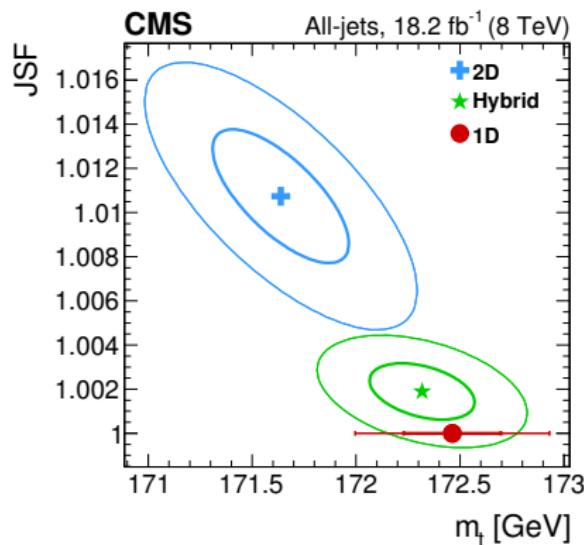
Direct m_t Measurement: All-hadronic

arXiv:1509.04044

- Perform kinematic reconstruction of $t\bar{t}$ system
- Choose jet-parton assignment which fits best to $t\bar{t}$ hypothesis (χ^2)
- For 2D ideogram: combine stat. uncertainty from both components

Dominant Sources of Uncertainty

b-Dependent JEC	0.2%	$\Delta m_t = \pm 0.29 \text{ GeV}$
Data Statistics	0.1%	$\Delta m_t = \pm 0.25 \text{ GeV}$
Backgrounds	0.1%	$\Delta m_t = \pm 0.20 \text{ GeV}$
In-Situ JEC	0.1%	$\Delta m_t = \pm 0.19 \text{ GeV}$

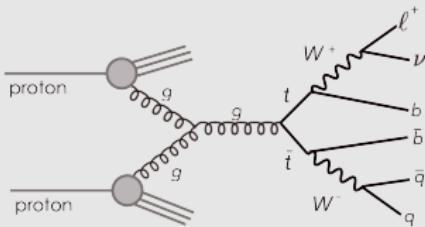


$$m_t^{1D} = 172.46 \pm 0.23 \text{ (stat)} \pm 0.62 \text{ (syst)} \text{ GeV}$$

$$m_t^{hyb} = 172.32 \pm 0.25 \text{ (stat+JSF)} \pm 0.59 \text{ (syst)} \text{ GeV}$$

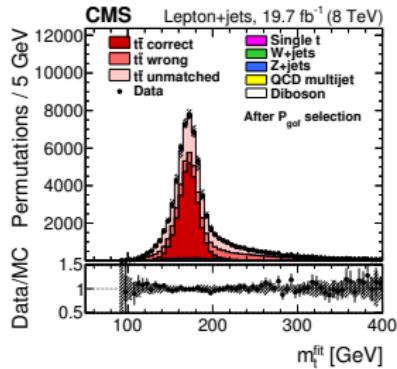
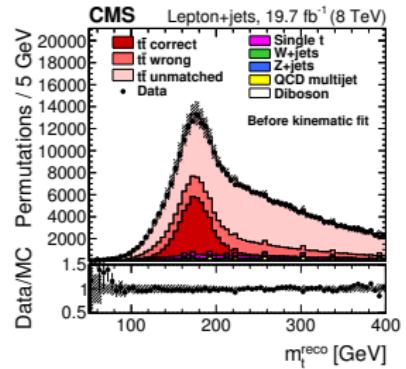
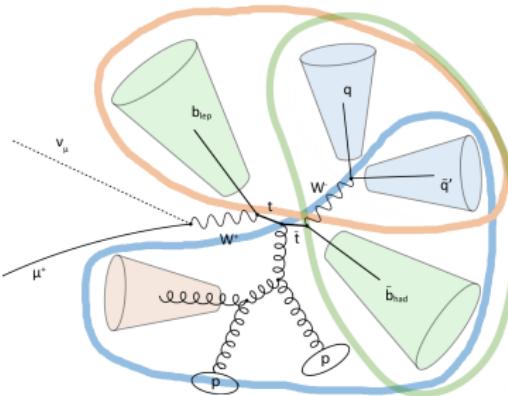
Direct m_t Measurement: $\ell + \text{jets}$

arXiv:1509.04044



- Relatively large branching ratio, modest cuts required
- Event identification via **leptonic top**
Full reconstruction of the **hadronic top**
- Combinatorics remain issue, typically ≥ 4 jets

- Simulated events classified in **correct/wrong/unmatched** permutation:



Direct m_t Measurement: $\ell + \text{Jets}$

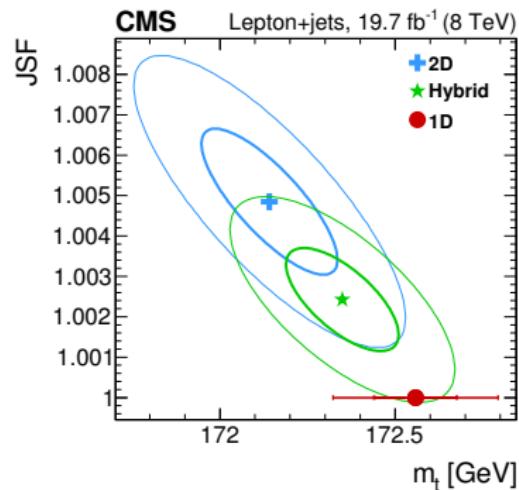
arXiv:1509.04044

- Use additional event weight: goodness-of-fit probability P_{gof} from kin. reconstruction
- Reduces impact of events with wrong jet assignment

Dominant Sources of Uncertainty

b-Dependent JEC	0.2%	$\Delta m_t = \pm 0.35 \text{ GeV}$
Semileptonic b-fragmentation modeling	0.1%	$\Delta m_t = \pm 0.16 \text{ GeV}$
Data Statistics	0.1%	$\Delta m_t = \pm 0.16 \text{ GeV}$

Total precision: 0.3% (0.51 GeV)

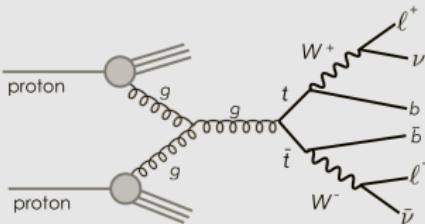


$$m_t^{1D} = 172.56 \pm 0.12 \text{ (stat)} \pm 0.62 \text{ (syst)} \text{ GeV}$$

$$m_t^{hyb} = 172.35 \pm 0.16 \text{ (stat+JSF)} \pm 0.48 \text{ (syst)} \text{ GeV}$$

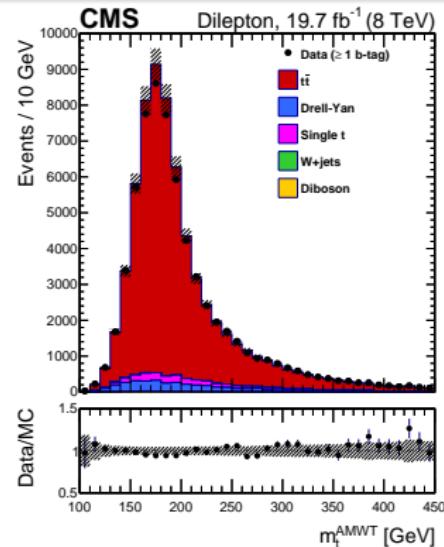
Direct m_t Measurement: Dilepton

arXiv:1509.04044



- Low backgrounds, typically only a few percent
- Simplified combinatorics: 2 lepton/b-jet permutations
- Full event reconstruction impossible due to 2 neutrinos
- Lower m_t sensitivity due to neutrino energy

- Analytical matrix weighting technique (AMWT)
- Comparable with 1D ideogram
- Scan m_t from 100 to 400 GeV
- Calculate probability of observing a charged lepton of energy E in rest frame of a top quark of mass m_t
- Assign weights using probability
- Observable is mass with highest average sum weight: m_t^{AMWT}



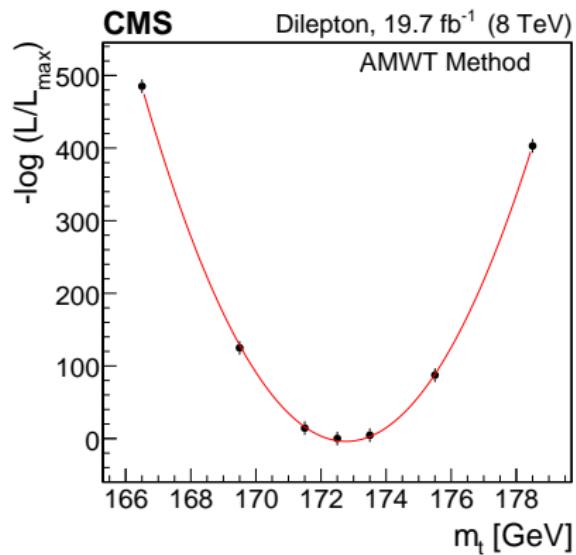
Direct m_t Measurement: Dilepton

arXiv:1509.04044

- Measure mass by comparison to several $t\bar{t}$ MC simulations with different m_t hypotheses
- Calculate binned likelihoods for all m_t bins
- Mass measured from parabola fit to likelihoods

Dominant Uncertainties

Factorization and
 renorm. scale 0.4% $\Delta m_t = \pm 0.75$ GeV
 b fragmentation 0.4% $\Delta m_t = \pm 0.69$ GeV



$$m_t = 172.82 \pm 0.19 \text{ (stat)} \pm 1.22 \text{ (syst)} \text{ GeV}$$

Combination of the Measurements

arXiv:1509.04044

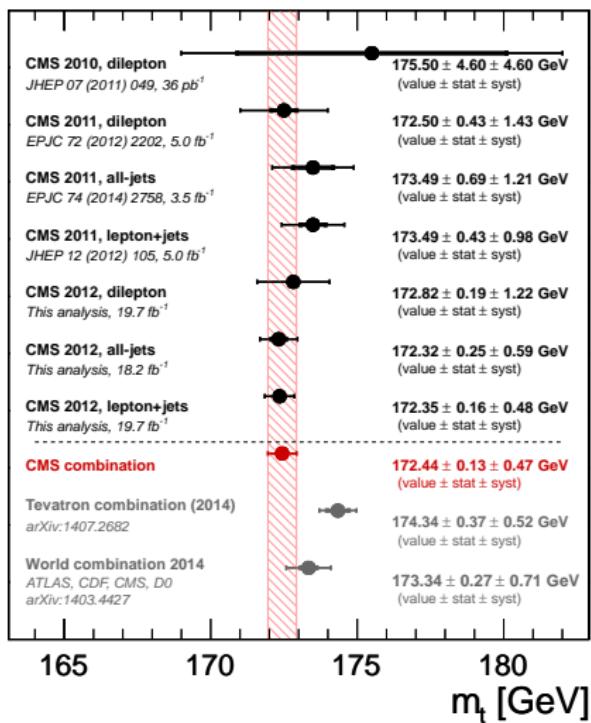
- Latest combination of measurement by the CMS experiment
- Results from 2010, 2011, and 2012
- Using BLUE method
- Takes correlation between measurements into account

Most precise combination

- Legacy results from 2010, 2011
- 2012: All-hadronic (hybrid), ℓ +jets (hybrid), Dileptonic (AMWT)

$$m_t = 172.44 \pm 0.13 \text{ (stat+JSF)} \\ \pm 0.47 \text{ (syst) GeV}$$

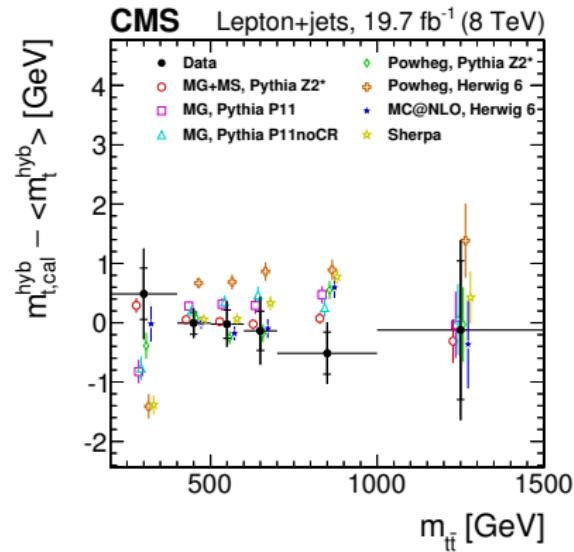
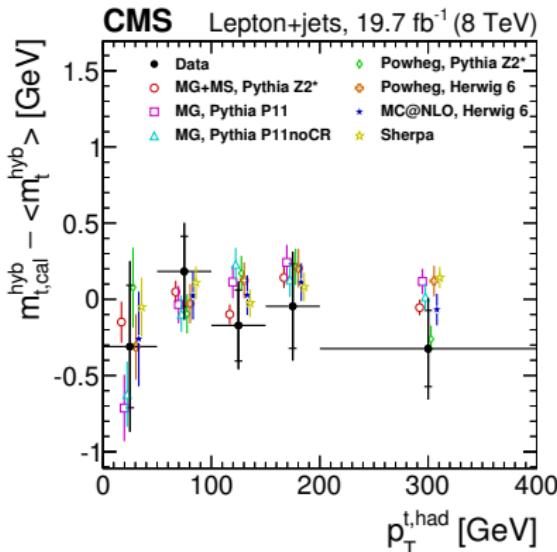
Precision < 0.3 %



m_t as Function of Kinematic Observables

arXiv:1509.04044

- Measure m_t differentially as a function of kinematic variables
- Search for possible biases, potential limitations of current event generators
- Apply hybrid ideogram method to subset of events binned by observable
- m_t as a function of p_T^{had}
- Description of top quark p_T in MC
- m_t as a function of $m_{t\bar{t}}$
- Testing scale of the process

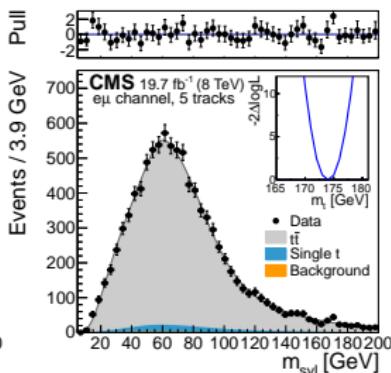
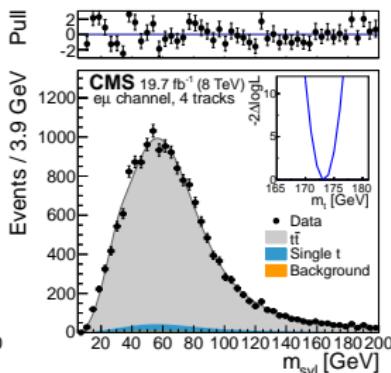
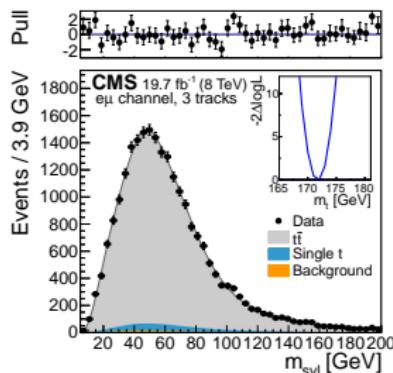
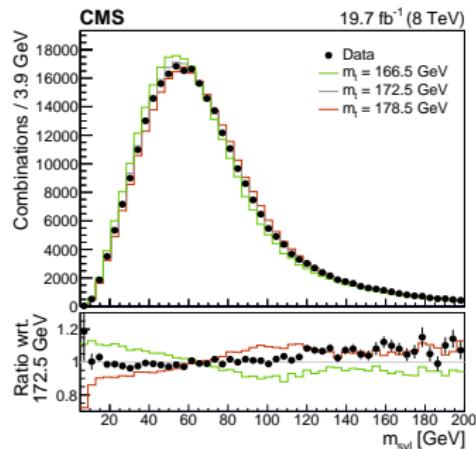


Top Quark Mass from Charged Particles

arxiv:1603.06536

Aim

- Reduce dependence on detector calibration (e.g. jet energy corrections)
- Use particle tracks only, no need to reconstruct top
- Observable m_{svl} : **invariant mass of lepton and secondary vertex** (b quark decay)
- 5 channels: dilepton, $\ell + \text{jets}$
- SV track multiplicities of 3, 4, 5: suppress background
- All possible combinations of leptons and secondary vertices taken into account



Top Quark Mass from Charged Particles

- Fit observed m_{svl} distributions in each category with six components:
 $t\bar{t}$ **correct/wrong**/unmatched, single-t **correct**/unmatched, background
- Top mass determined via maximum combined likelihood of all channels

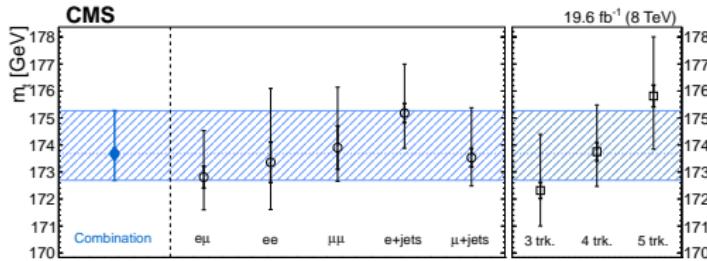
Dominant Uncertainties

b quark fragmentation $\Delta m_t = {}^{+1.00}_{-0.54}$ GeV

Top quark p_T $\Delta m_t = +0.82$ GeV

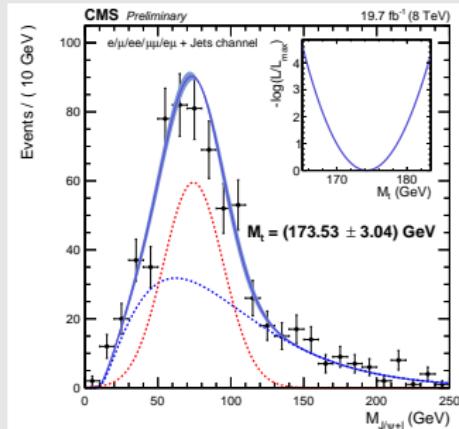
Sensitivity to experimental uncertainties: ± 0.44 GeV

$$m_t = 173.68 \pm 0.20 \text{ (stat)} \\ {}^{+1.58}_{-0.97} \text{ (syst) GeV}$$



Or: $\ell + J/\Psi$ invariant mass

- BR $\approx 0.03\%$
- CMS-PAS-TOP-15-014

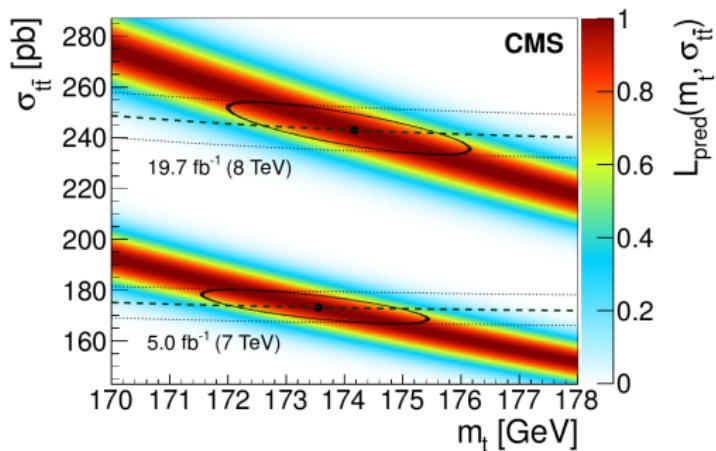


$$173.50 \pm 3.00 \pm 0.90 \text{ GeV}$$

Indirect Measurement: Pole Mass from $\sigma_{t\bar{t}}$

arxiv:1603.02303

- Measurement from the mass dependence of the inclusive $t\bar{t}$ cross section
- Provides direct access to top quark pole mass
- Measurement relies on choice of PDF set and α_s
- Cross section determined using NNPDF3.0, $\alpha_s = 0.118 \pm 0.001$
- Combination of measurements at $\sqrt{s} = 7 \text{ TeV}$ and 8 TeV



$$m_t^{\text{pole}} = 173.8^{+1.7}_{-1.8} \text{ GeV}$$

- For details on the inclusive $t\bar{t}$ production cross section measurement see talk by N. Bartosik

Summary and Outlook

- Top quark mass is an important parameter to the Standard Model
- Large $t\bar{t}$ production cross section @ LHC allow precision measurements of m_t
- Latest results provide m_t (MC) with a precision of 0.3 %
- Dominating uncertainties are JEC and modeling uncertainties
- Measurements reached precision which allows to distinguish between different mass schemes (MC mass vs pole mass)
- Planned measurements of m_t at $\sqrt{s} = 13 \text{ TeV}$
- Explore alternative methods, e.g. m_t^{pole} from $t\bar{t} + \text{jet}$

