Bose-Einstein correlations in deepinelastic scattering from nuclei

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(for the HERMES Collaboration)







12 April, DIS 2016

Hanbury-Brown and Twiss effect

LXXIV. A New Type of Interferometer for Use in Radio Astronomy

By R. HANBURY BROWN Jodrell Bank Experimental Station, Cheshire

and

R. Q. Twiss

Services Electronics Research Laboratory, Baldock, Herts.*

[Received March 20, 1954]

SUMMARY

A new type of interferometer for measuring the diameter of discrete radio sources is described and its mathematical theory is given. The principle of the instrument is based upon the correlation between the rectified outputs of two independent receivers at each end of a baseline, and it is shown that the cross-correlation coefficient between these outputs is proportional to the square of the amplitude of the Fourier transform of the intensity distribution across the source. The analysis shows that it should be possible to operate the new instrument with extremely long baselines and that it should be almost unaffected by ionospheric irregularities.

HBT effect in accelerator physics

PION-PION CORRELATIONS IN ANTIPROTON ANNIHILATION EVENTS*

Gerson Goldhaber, William B. Fowler, Sulamith Goldhaber, T. F. Hoang, Theodore E. Kalogeropoulos, and Wilson M. Powell

Lawrence Radiation Laboratory and Department of Physics, University of California, Berkeley, California (Received July 17, 1959)



Bose-Einstein correlation (GGLP effect)

PHYSICAL REVIEW

VOLUME 120, NUMBER 1

OCTOBER 1, 1960

Influence of Bose-Einstein Statistics on the Antiproton-Proton Annihilation Process*



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The underlying physics



$$\begin{split} R(k_a,k_b) &\approx 1 + \cos{(\delta k \, \delta r)} \\ \text{(two point source)} \end{split}$$
$$R(p_1,p_2) &= \frac{D(p_1,p_2)}{D(p_1)D(p_2)} \\ \text{(continuous space-time distribution)} \end{split}$$

 $D(p_1, p_2)$ - two particle probability density $D(p_1), D(p_2)$ - one particle probability density

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Goldhaber parametrization

$$\begin{split} \mathbf{R}(\mathbf{T}) &= \mathbf{1} + \lambda \, \mathbf{e}^{-\mathbf{T}^2 \mathbf{r}_G^2} \\ \mathbf{R}(\mathbf{T}) &= \mathbf{\gamma} \left(\mathbf{1} + \lambda \, \mathbf{e}^{-\mathbf{T}^2 \mathbf{r}_G^2} \right) \mathbf{P}(\mathbf{T}) \\ \mathbf{P}(\mathbf{T}) &= \mathbf{1} + \delta \, \mathbf{T}^2 \\ \mathbf{\gamma} \text{ - normalization parameter} \\ \mathbf{P}_T \text{ - long range correlation} \\ \mathbf{r}_G, \lambda, \gamma, \delta \text{ - free parameters} \end{split}$$

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$$\mathbf{R}(\mathbf{p_1},\mathbf{p_2}) = \underbrace{\frac{\mathbf{D}(\mathbf{p_1},\mathbf{p_2})}{\mathbf{D}_r(\mathbf{p_1},\mathbf{p_2})} \mapsto \underbrace{\mathbf{experimental}}_{observable}$$

$\mathbf{D_r}(\mathbf{p_1},\mathbf{p_2}) \equiv \mathbf{D}(\mathbf{p_1})\mathbf{D}(\mathbf{p_2})$

$D_r(p_1, p_2)$ - two particle probability density reference distribution

experimental two particle distributions without BECs

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Method of Event Mixing (MEM) Method of Unlike-Sign pairs (MUS)

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1. Method of Event Mixing (MEM)

violation of energy and momentum conservation

2. Method of Unlike-Sign pairs (MUS)

contribution from resonances excluded in the case of MEM

PYTHIA-based MC tuned to provide an accurate description

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Experiment



Beam : e⁻/e⁺ 27.6 GeV

Target : H, D, ³He, ⁴He, N, Ne, Kr, Xe pure gaseousGood momentum resolution : $\frac{\delta p}{p} < 2\%$ Excellent particle identification

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Data selection

$P_{1}^{2} > 1 \text{ GeV}^{2} \qquad P_{2}^{2} = 1 \text{ GeV}^{2} \qquad P_{2}^{2} = 10 \text{ GeV}^{2} \qquad P_{2}^{2} = 10 \text{ GeV}^{2} \qquad P_{2}^{2} = 2 \text{ GeV}^{2} = 10 \text{ GeV}^{2}$



Results

A. Airapetian et. al, Eur. Phys. J. C 75 (2015) 361



Table 2. Results for the Goldhaber parametrization fitted to the HERMES hydrogen data, both for the mixed-event method (MEM) and the method of unlike-sign pairs (MUS).

	Method	Goldhaber parameters
	MEM	$r_G = 0.64 \pm 0.03(\text{stat})^{+0.04}_{-0.04}(\text{sys}) \text{ fm}$ $\lambda = 0.28 \pm 0.01(\text{stat})^{+0.00}_{-0.05}(\text{sys})$
	MUS	$r_G = 0.72 \pm 0.04 (\text{stat})^{+0.09}_{-0.09} (\text{sys}) \text{ fm}$ $\lambda = 0.28 \pm 0.02 (\text{stat})^{+0.02}_{-0.04} (\text{sys})$
		ES
org	Karvan	15

Results

A. Airapetian et. al, Eur. Phys. J. C 75 (2015) 361



Results

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Table 3. Fit of a constant to the Goldhaber parameters as a function of the target atomic mass A. Results are given for both the mixed-event method (MEM) and the method of unlike-sign pairs (MUS).

Method	Value	χ^2/NDF
MEM	$r_G = 0.634 \pm 0.017 \text{ fm}$	1.5
	$\lambda = 0.289 \pm 0.006$	2.1
MUS	$r_G = 0.636 \pm 0.021 \text{ fm}$	1.2
	$\lambda = 0.289 \pm 0.011$	1.4

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Summary

Bose-Einstein correlation between two like-sign hadrons produced in semi-inclusive deep inelastic electron/positron scattering off nuclear targets ranging from hydrogen to xenon has been measured.

The results obtained using the two reference sample methods (i.e MUS and MEM) are in a good agreement.

Solution Within the total experimental uncertainties, no dependence of the parameters r_{g} and λ on the target atomic mass is observed.

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Data/MC comparison

