

# Study of partial arrays impact on CTA optimization

## Supervisors:

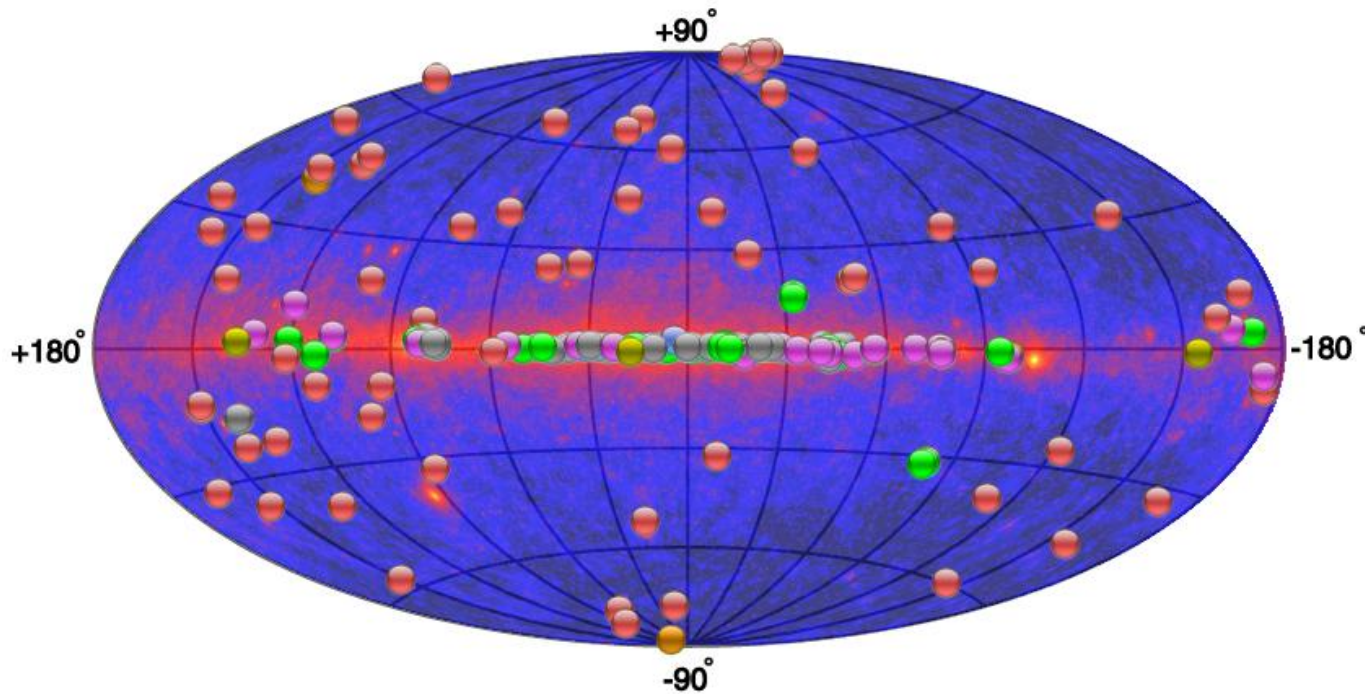
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Summer Student Program, final report  
Zeuthen, 10th September 2015



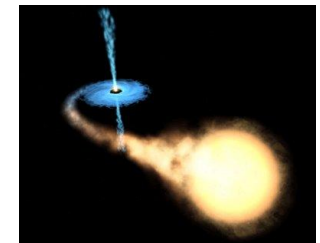
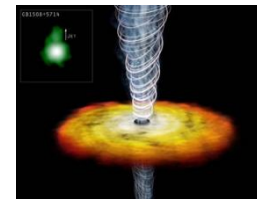
# Gamma-ray astronomy



## Source Types

- PWN
- Binary XRB PSR Gamma BIN
- HBL IBL FRI FSRQ  
Blazar LBL AGN  
(unknown type)
- Shell SNR/Molec. Cloud  
Composite SNR  
Superbubble
- Starburst
- DARK UNID Other
- uQuasar Star Forming  
Region Globular Cluster  
Cat. Var. Massive Star  
Cluster BIN BL Lac  
(class unclear) WR

- Relativistic phenomena in our universe
- Broad energy range (~MeV to ~PeV)
- Sources: SNRs, binaries, AGNs, GRBs ...
- Different detection techniques



# Detection of gamma rays

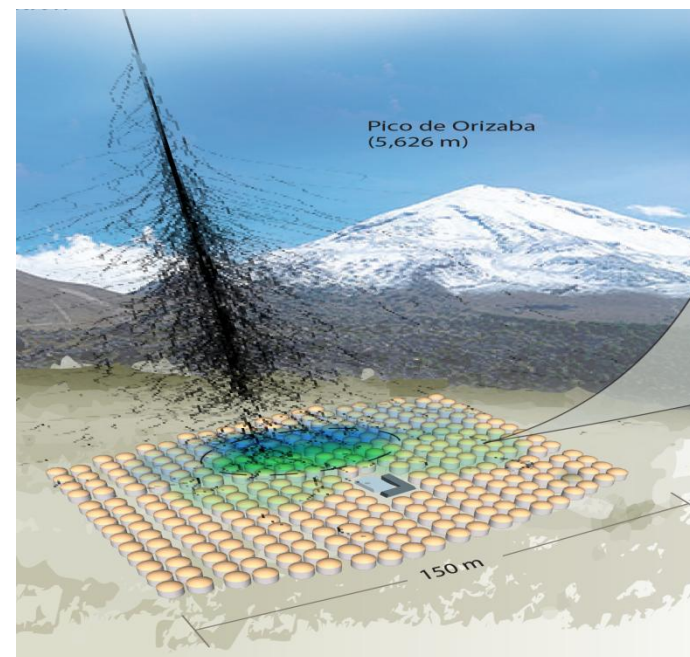
## > Direct measurements:

- Can detect the primary flux
- Limited effective area
- Low sensitivity at high energies



## > Ground-based detectors:

- Good knowledge of extensive air showers development is necessary
- Detection of the secondary component
- High duty cycle
- Large surface



# Imaging Air Cherenkov Telescopes

- Cherenkov light as a track of air showers
- Large mirrors are used to collect the weak flashes
- The shower image is reconstructed in the camera



- CTA will be the largest IACTs array
  - ~120 telescopes
  - 3 different sizes
  - Wide energy range available
  - Works on CTA optimization rely on simulations



# Spectrum reconstruction: the Response Functions

- > Simulations are implemented through the *Response Functions (G.Maier)*:
  - **Angular Resolution** – the radius which contains the 68% of the reconstructed gamma-ray signal;
  - **Effective Area** – the area in which all gamma events are generated, scaled by the efficiency of the reconstruction of gamma event ;
  - **Background Rate** – the rate of the residual background events, after the gamma-hadron separation;
  - **Energy Bias** – the ratio between the reconstructed energy and the MC energy, as a function of the MC energy;
  - **Migration Matrix** – 2-dimensional matrix, showing the correlation between the MC energy and the reconstructed energy.

Evaluated from MC simulations of gamma-like and background-like events

We can generate a source and infer how accurate will be the CTA measurement!



# Partial Arrays – Introduction

- > CTA construction will require several years
- > Importance of “making physics“ even with an uncomplete array
- > Which kind of sources could we see during construction time?

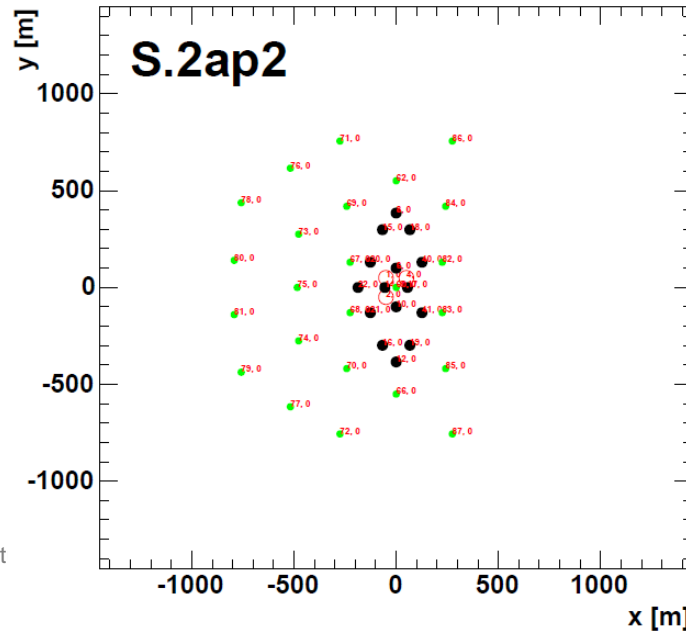
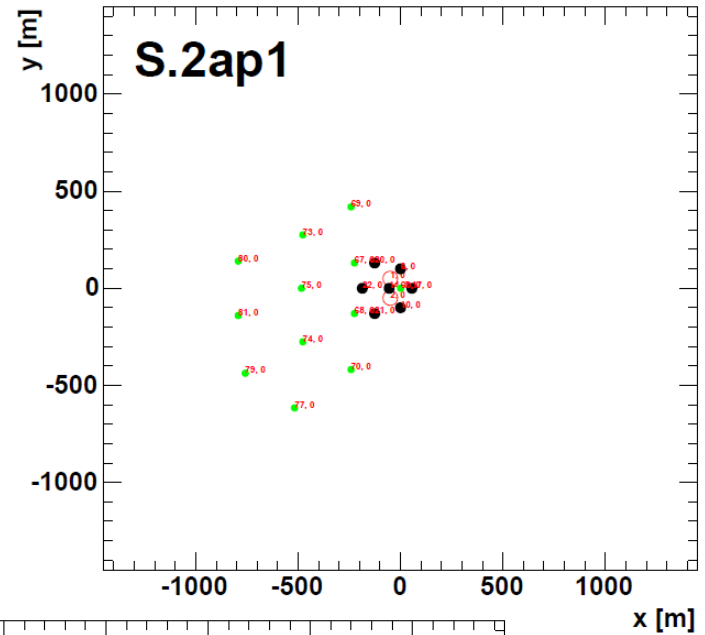
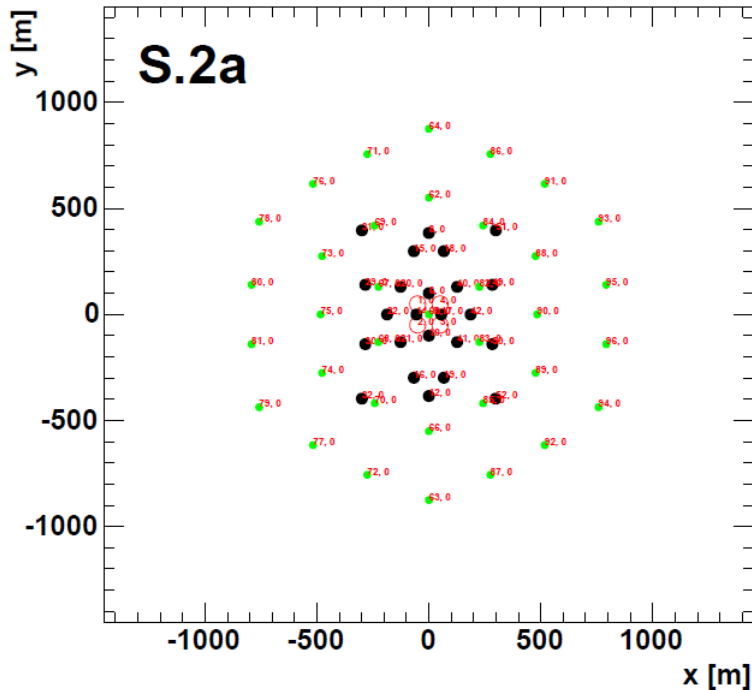


# Partial Arrays – Introduction

Array configuration	LSTs	MSTs	7m SSTs	4m SSTs
<b>2a</b>	4	24	35	0
<b>2ap2</b>	3	15	24	0
<b>2ap1</b>	2	7	12	0
<b>2b</b>	3	18	0	72
<b>2bp2</b>	2	12	0	48
<b>2bp1</b>	1	6	0	24
<b>2c</b>	3	32	0	38
<b>2cp2</b>	2	21	0	26
<b>2cp1</b>	1	11	0	12
<b>2d</b>	4	20	32	0
<b>2dp2</b>	3	12	20	0
<b>2dp1</b>	2	7	10	0
<b>2e</b>	4	24	0	72
<b>2ep2</b>	3	15	0	48
<b>2ep1</b>	2	7	0	24

# Partial Arrays – Introduction

- As an example, we consider the 2a layout

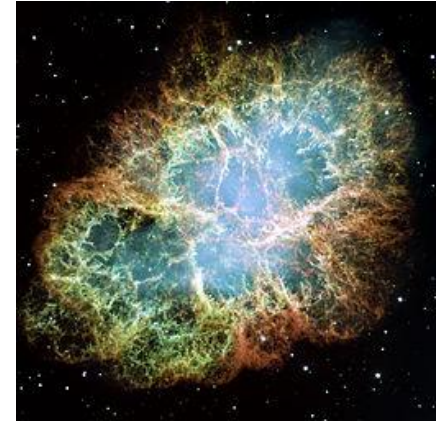




# Partial Arrays – Spectrum reconstruction

- First we can generate a spectrum (Crab-like)

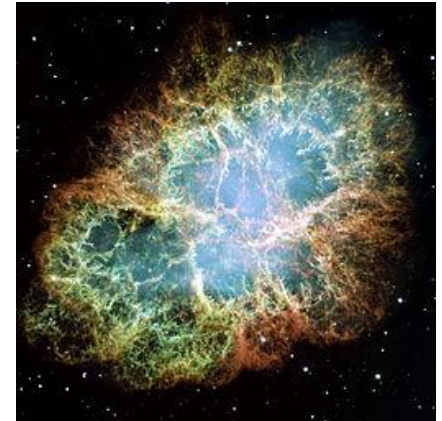
$$\frac{dN}{dE} \propto E^{-2.62}$$



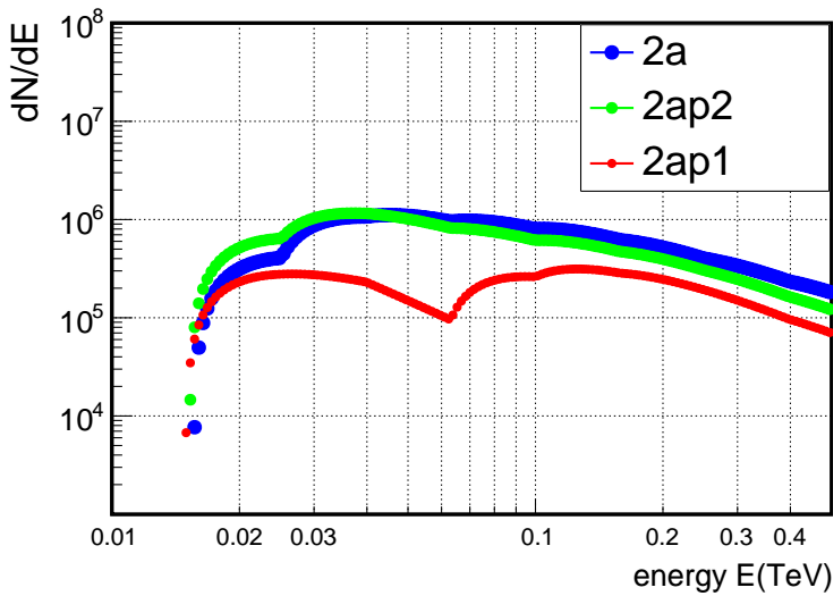
# Partial Arrays – Spectrum reconstruction

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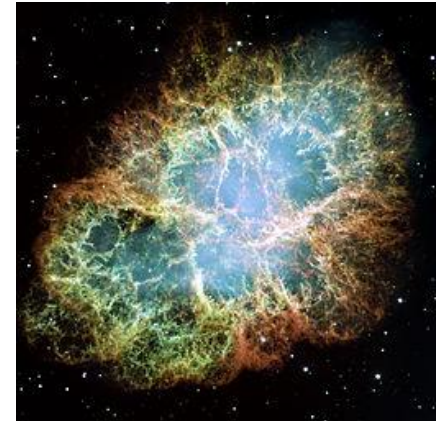
- Then we convolve the spectrum with efficiency cuts



# Partial Arrays – Spectrum reconstruction

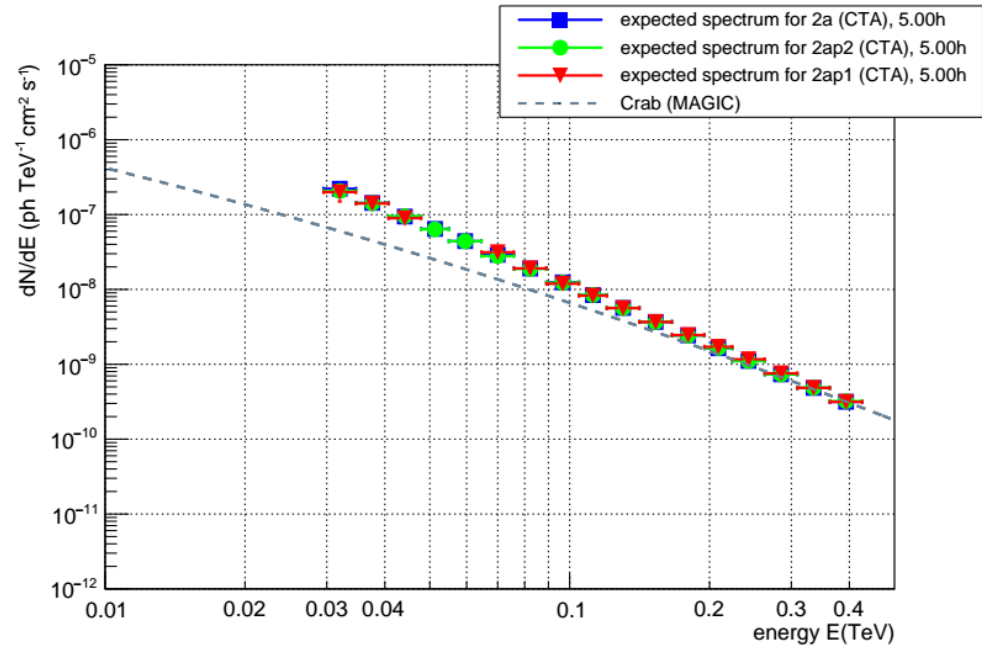
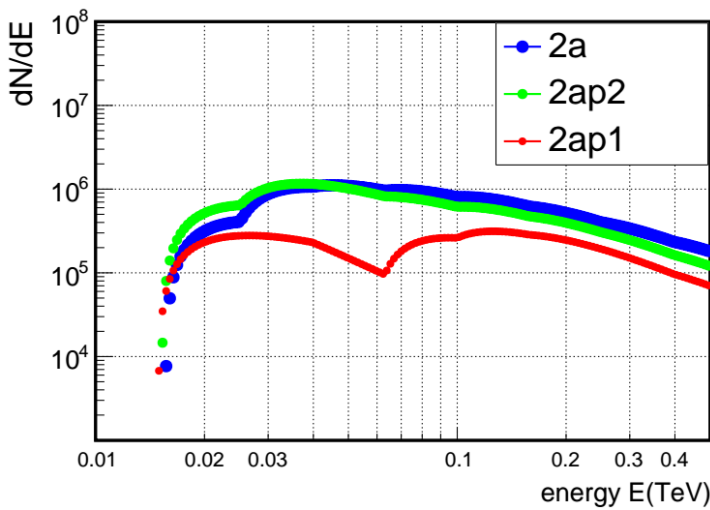
➤ First we can generate a spectrum (Crab-like)

$$\frac{dN}{dE} \propto E^{-2.62}$$



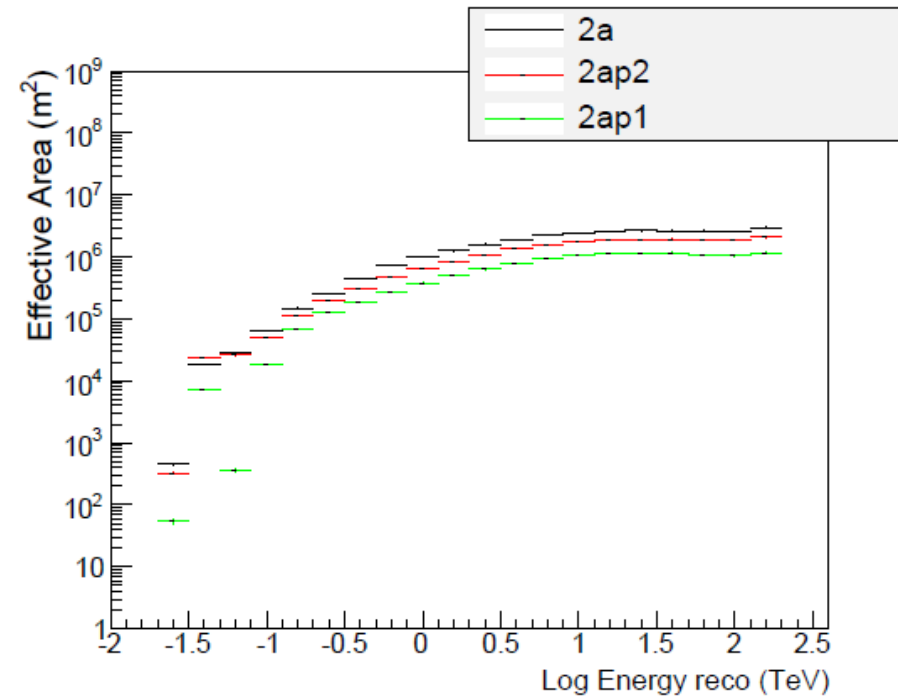
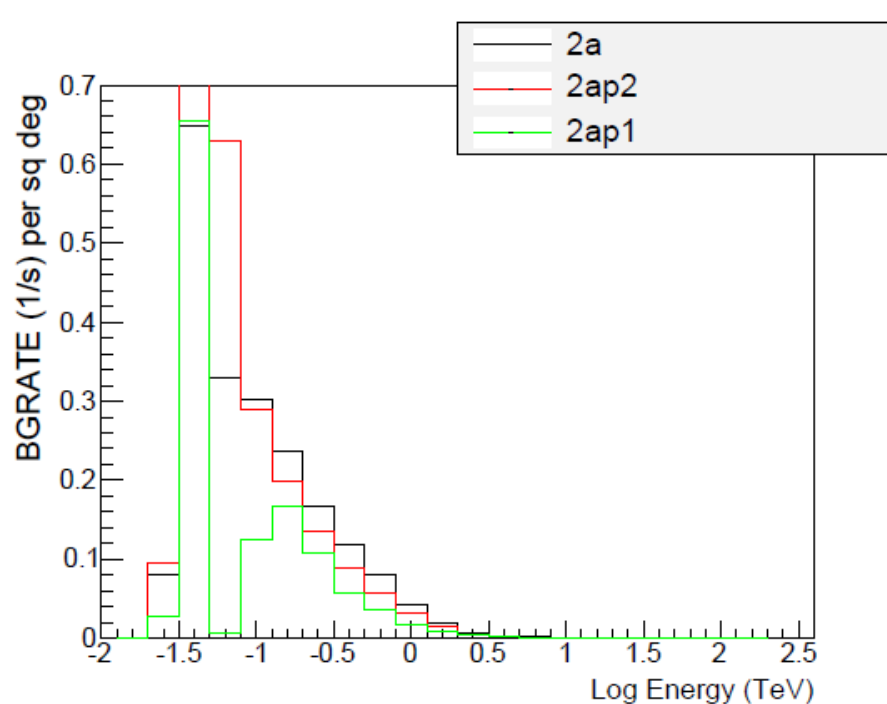
➤ Last, the reconstruction algorithm sets the energy bins requiring:

- $3\sigma$  signal over background;
- $\geq 7$  events per bin;
- $N_{\gamma} \geq 0.03 \times N_{\text{bkg}}$ .



# Partial Arrays – Spectrum reconstruction

- The “hole” in the 2ap1 can be explained looking at the response functions:
- The array is not able to detect events around 70 GeV
- Probably an uncorrect optimization in this energy range

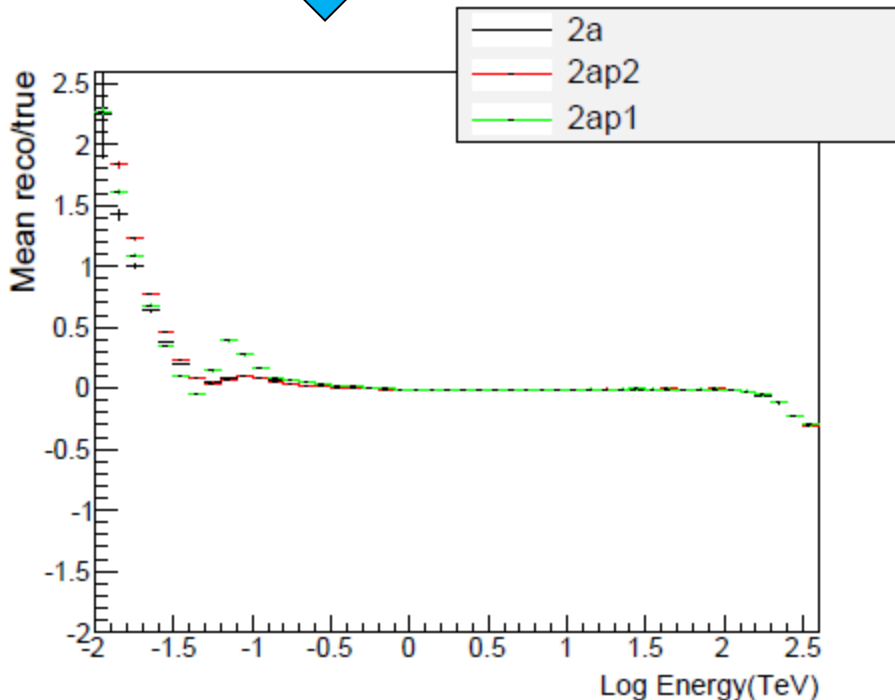
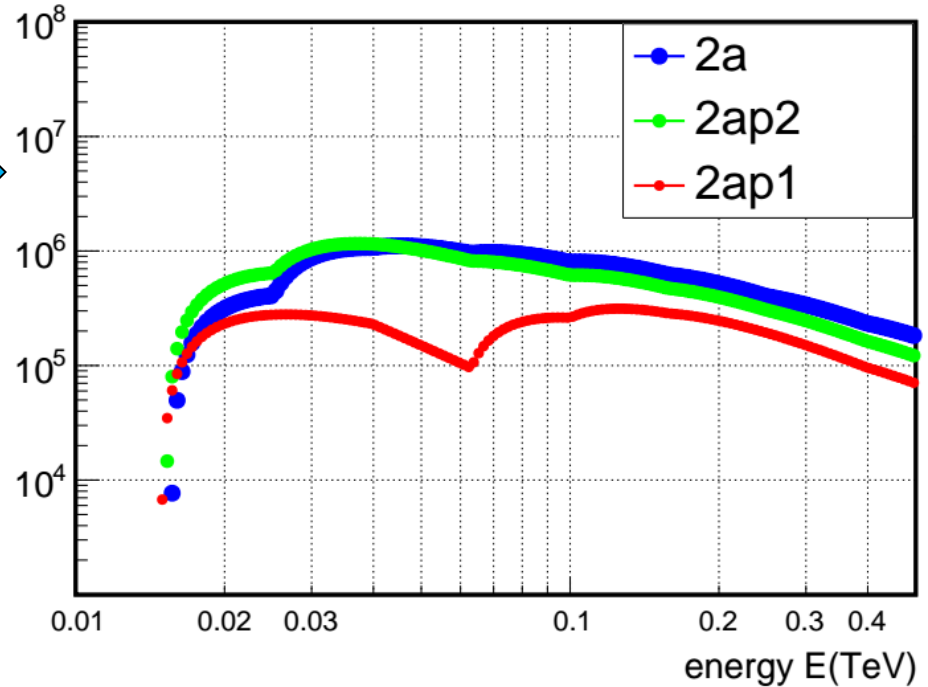
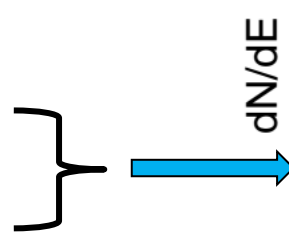


# Partial Arrays – Threshold

➤ Estimation of the minimum detectable energy

➤ Different definitions:

- Maximum peak;
- Lowest-energy peak;
- Energy bias over 10%;



# Partial Arrays – Threshold

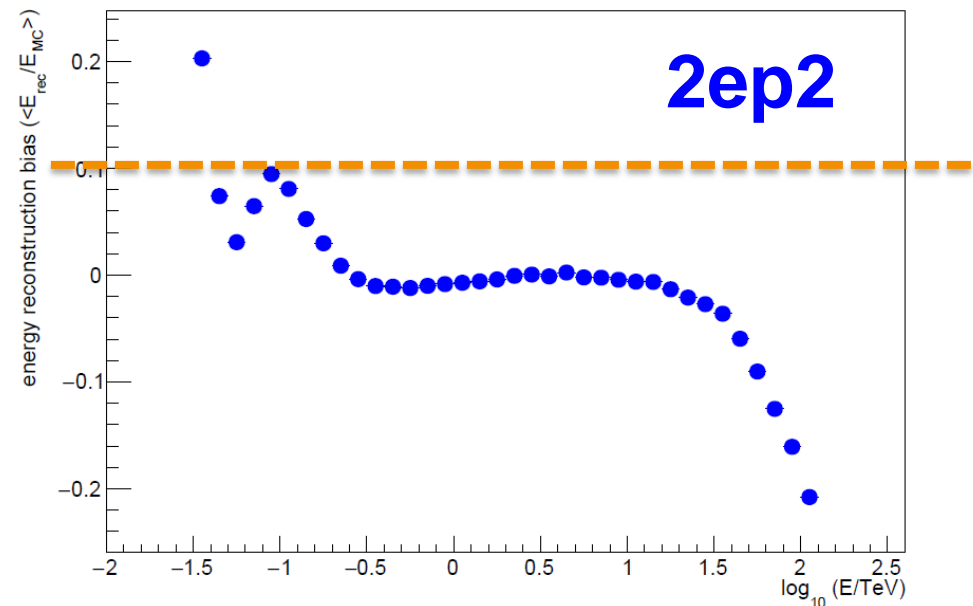
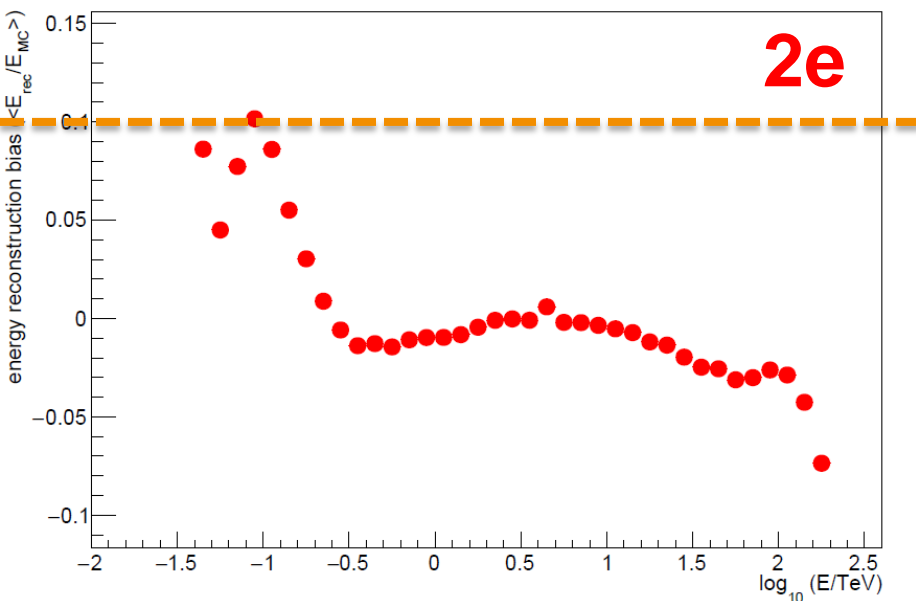
Array configuration	Main peak	Lowest-energy peak	Energy bias
<b>2a</b>	78 GeV	49 GeV	35 GeV
<b>2ap2</b>	39 GeV	39 GeV	35 GeV
<b>2ap1</b>	175 GeV	142 GeV	112 GeV
<b>2b</b>	43 GeV	43 GeV	35 GeV
<b>2bp2</b>	184 GeV	184 GeV	112 GeV
<b>2bp1</b>	197 GeV	197 GeV	141 GeV
<b>2c</b>	197 GeV	40 GeV	112 GeV
<b>2cp2</b>	206 GeV	206 GeV	141 GeV
<b>2cp1</b>	211 GeV	211 GeV	141 GeV
<b>2d</b>	43 GeV	43 GeV	35 GeV
<b>2dp2</b>	39 GeV	39 GeV	89 GeV
<b>2dp1</b>	142 GeV	142 GeV	112 GeV
<b>2e</b>	48 GeV	48 GeV	89 GeV
<b>2ep2</b>	39 GeV	39 GeV	35 GeV
<b>2ep1</b>	179 GeV	146 GeV	112 GeV

Mean reco/true

2.  
1.  
0.  
-0.  
-1.

# Partial Arrays – Threshold

- Energy bias definition seems to work better, except for 2e configuration, where p2 exhibits better performances than full array



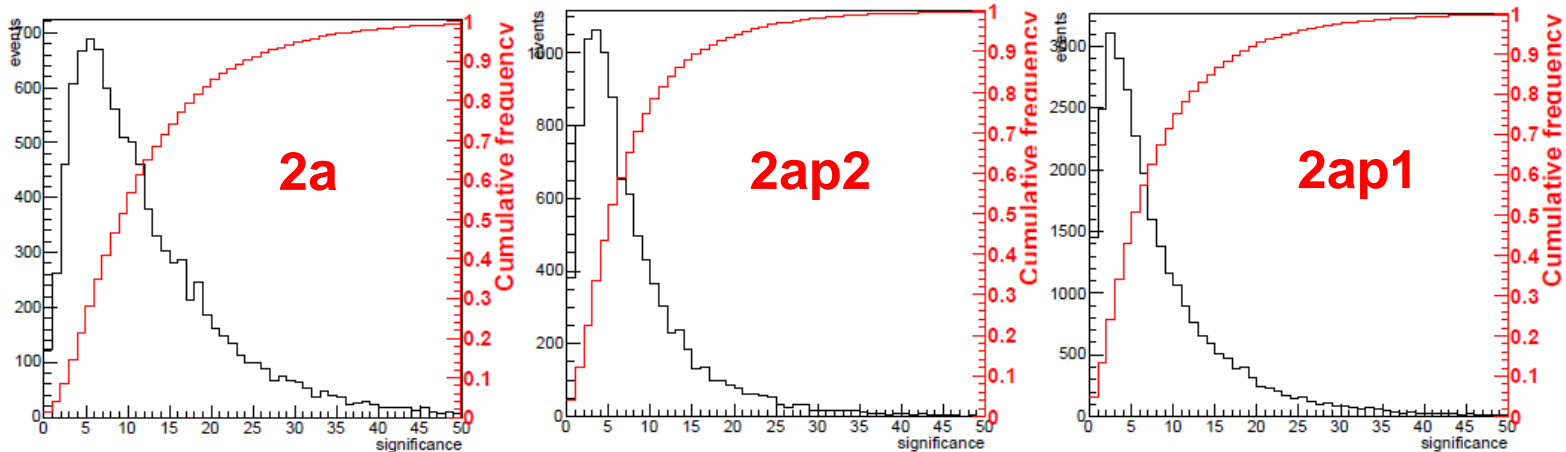
- The 10% cut “supports” 2ep2 configuration
- Need for more complex definitions

# Partial Arrays – Physics cases

- Assuming a Fermi-LAT detection in the HE range:

$$\Phi = N_0 \left( \frac{E}{E_0} \right)^{-(2.50 \pm 0.15)} \int_{100 \text{ MeV}}^{10 \text{ GeV}} \Phi dE = (1.0 \pm 0.1) \times 10^{-6} \text{ cm}^{-2} \text{ s}^{-1}$$

- We can evaluate the probability of a CTA detection in the VHE range
- Given the measurement and the errors, we extrapolate the spectrum
- Define “detection” all measurement over  $5\sigma$  confidence level



- 1h acquisition time





# Partial Arrays – Physics cases

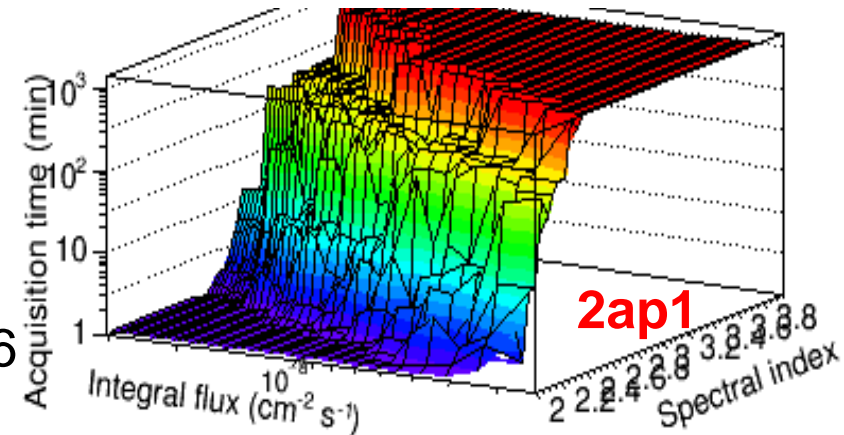
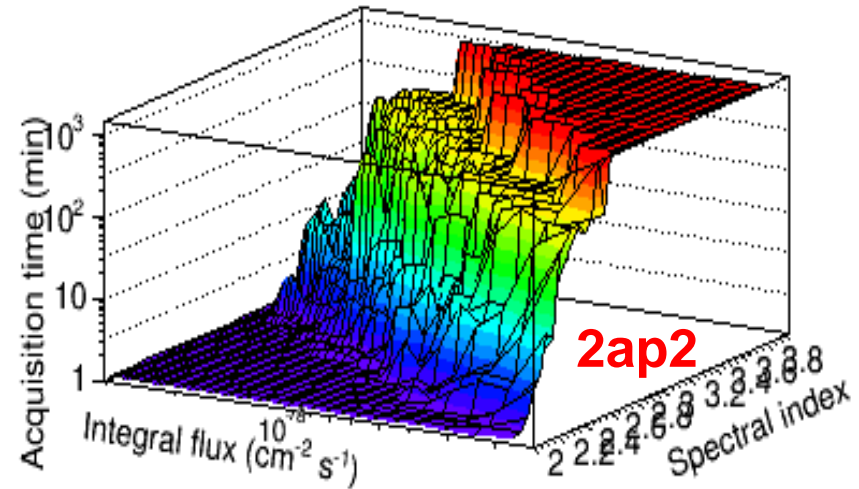
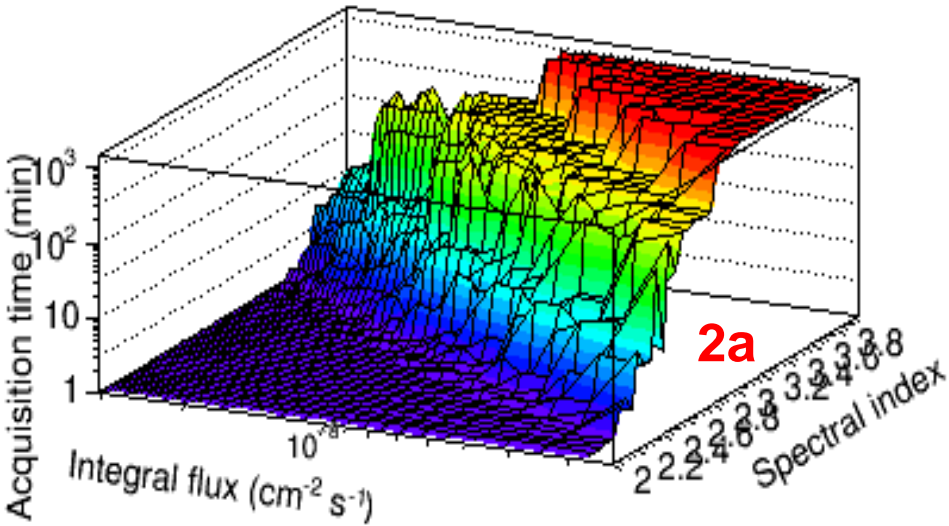
Configuration	Full array	Partial array 2	Partial array 1
<b>2a</b>	72%	48%	27%
<b>2b</b>	54%	34%	42%
<b>2c</b>	59%	43%	54%
<b>2d</b>	68%	49%	27%
<b>2e</b>	70%	49%	29%

- > In some cases p1 configurations get larger detection probability than p2 configuration → inconsistency
- > Evidence of complexity in merging different telescopes
- > More detailed studies in the future



# Partial Arrays – Time sensitivity

- Study of the acquisition time of a power law spectrum, necessary to have a  $5\sigma$  measurement
- Variables: integral flux, spectral index



- Consistency of the results
- For an IF=2x10<sup>-8</sup> cm<sup>-2</sup> s<sup>-1</sup> and  $\Gamma=2.6$ 
  - 2ap2: < 3 min
  - 2ap1: ~10 min

# Conclusions

- The study of partial arrays is an interesting topic, for the final optimization of CTA
- Measurements in short-time scales seem to be available also with partial arrays
- The definition of the minimum detectable energy has to be faced with more complex procedures
- Exploration of a physics case shows an inconsistency about the detection probability of a source



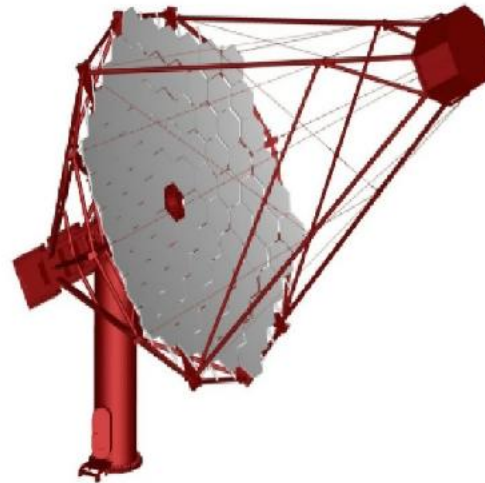
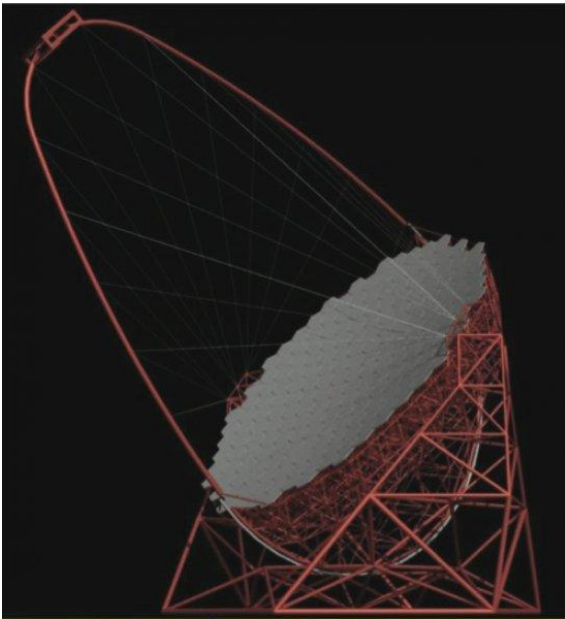
- The optimization procedure for CTA exhibits some problems (probably due to the use of different telescopes), and need further analyses

# backup slides

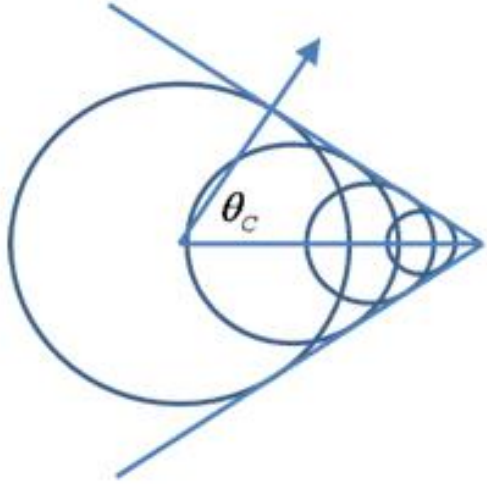


# CTA telescopes

Telescope	Diameter (m)	Energy Range
Large Size Telescope (LST)	23	$E \leq 100\text{GeV}$
Medium Size Telescope (MST)	12	$100\text{GeV} \leq E \leq 10\text{TeV}$
Small Size Telescope (SST)	4/7	$E \geq 10\text{TeV}$

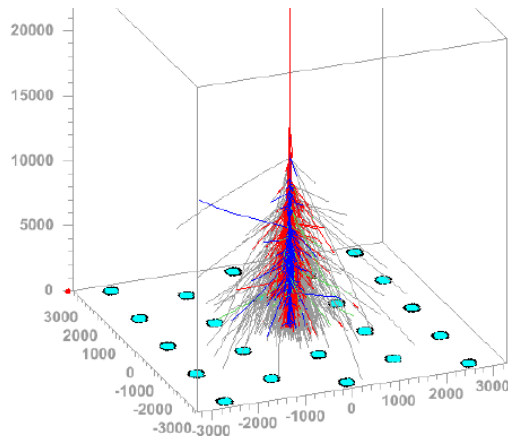


# The Cherenkov light



$$\theta_C = \cos^{-1} \left( \frac{1}{\beta n} \right)$$

$$\beta > 1/n$$



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