

DESY
Terascale Physics Seminar
September 2015

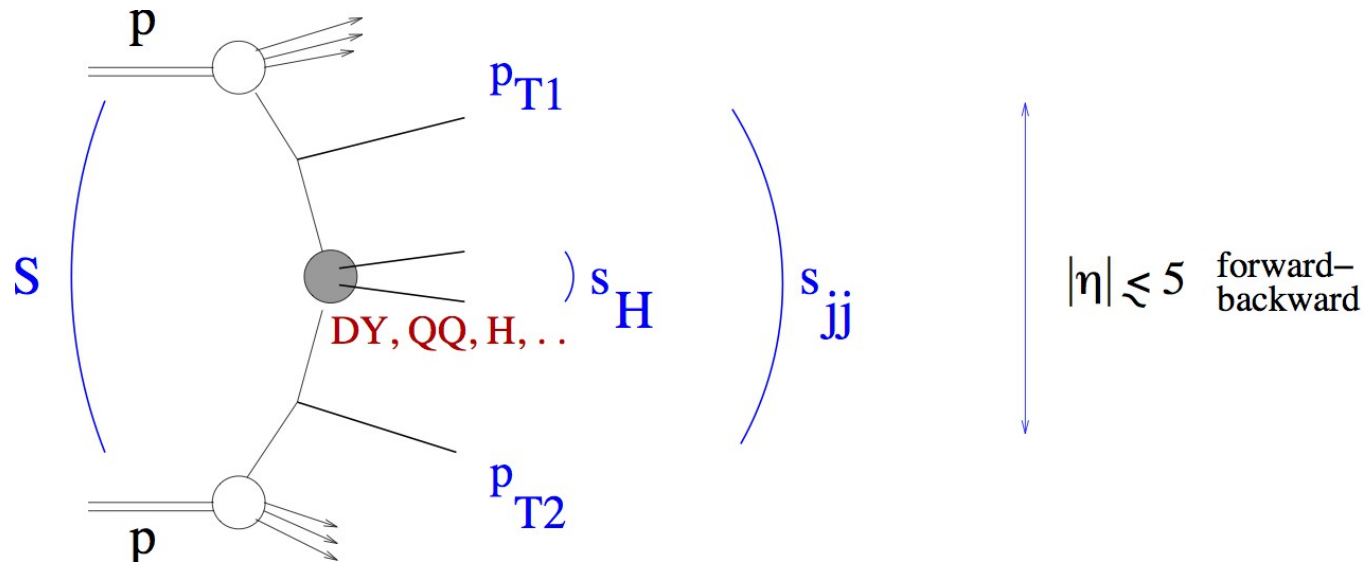
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QCD at high luminosity hadron colliders

* Visiting Fellow at University of Hamburg/DESY

Many thanks to the DFG SFB 676 Program
“Particles, Strings and the Early Universe”

QCD at high luminosity hadron colliders



$s_{jj} \ll S \longrightarrow$ small- x pdf physics

$s_H \ll s_{jj} \longrightarrow$ high-energy log resummations of hard cross sections; multi-jets

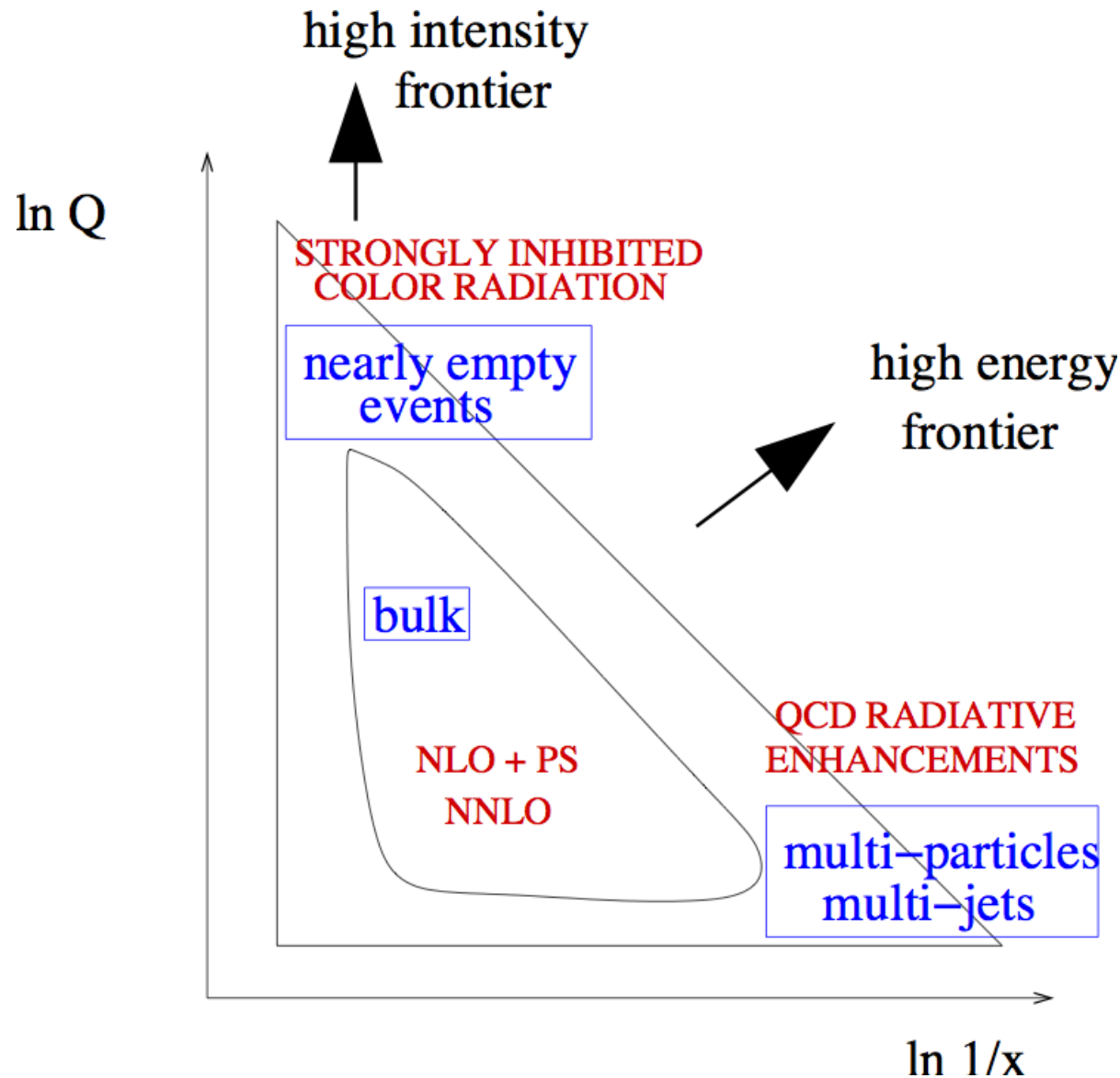
- large sub-energy ratios approaching kinematic threshold

$\longrightarrow$ strongly inhibited color radiation

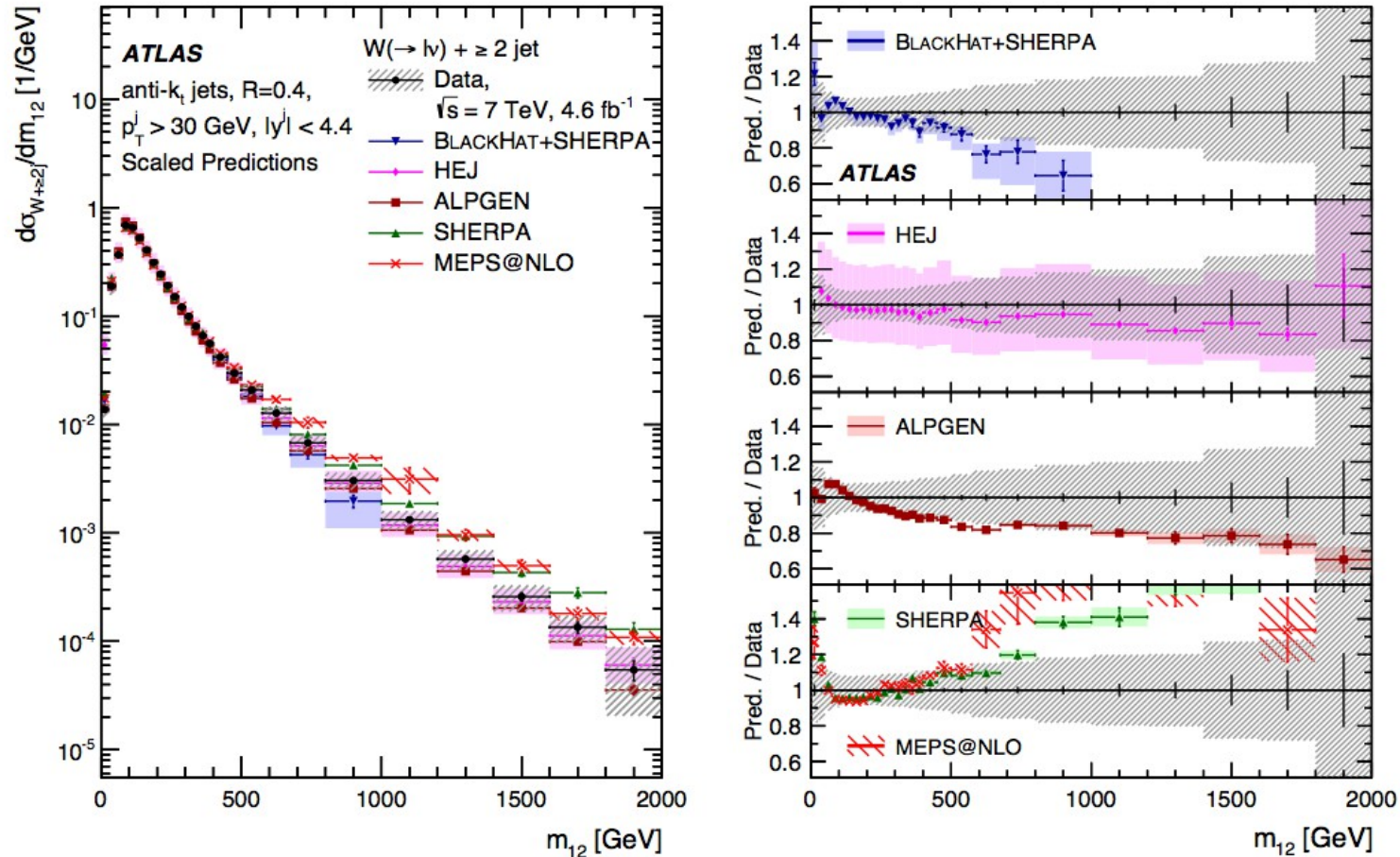
HIGH-ENERGY
FACTORIZATION

INFRARED/
THRESHOLD
RESUMMATION

QCD phase space at high energy colliders



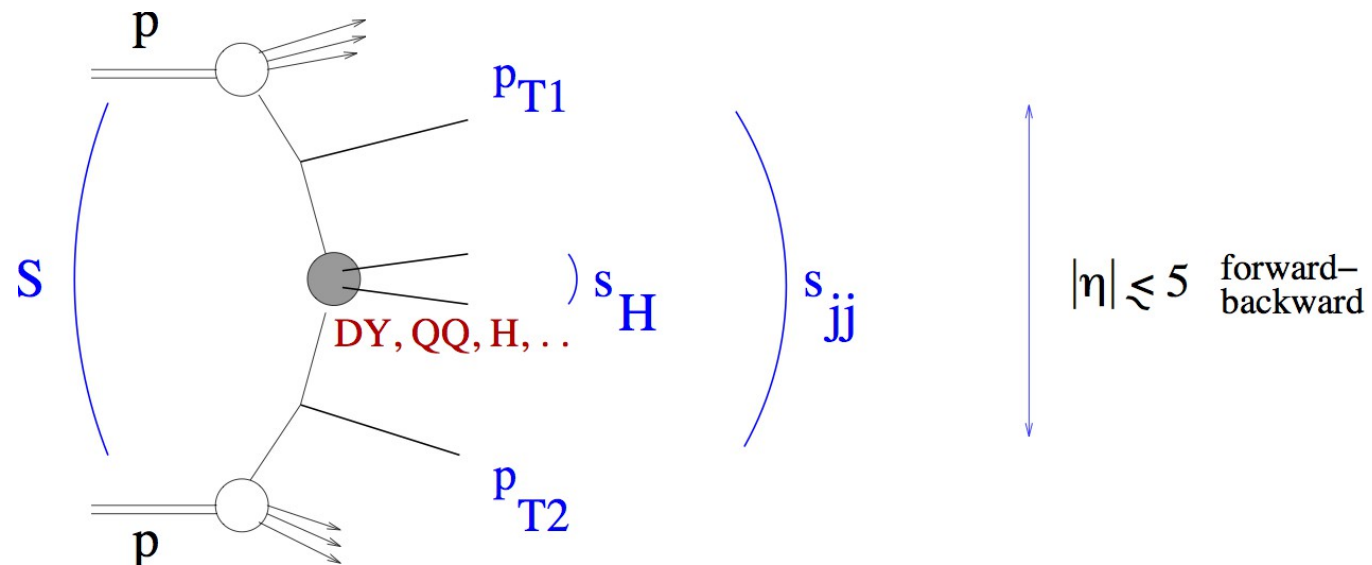
Motivation: high masses



Di-jet mass spectrum in $W + 2$ jets [ATLAS Coll., Eur. Phys. J. C 75 (2015) 82]

Large spread in Monte Carlo predictions around and above $M_{JJ} \sim 400 - 600$ GeV

QCD at high luminosity hadron colliders



high luminosity $\rightarrow$ high pile-up

large s_{jj} $\rightarrow$ forward/backward region $\rightarrow$ QCD resummation methods

heavy boson + jets cross sections

QCD at high luminosity hadron colliders:

Treating jet correlations in high pile-up

collaboration with H. van Haevermaet and H. Jung
arXiv:1508.07811

HIGH LUMINOSITY → HIGH PILE-UP

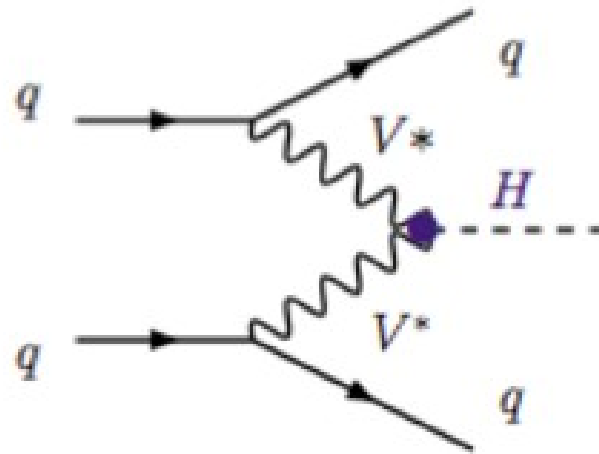
- In Run I: 20 pp collisions on average per bunch crossing
- Run II: pile-up up to the level of 50 collisions
- It increases for higher luminosity runs

Pile-up treatment:

- Precise vertex and track reconstruction in regions covered by tracking detectors
- Monte Carlo simulations including pile-up for comparison with data

Can one find data driven methods
to avoid dependence on Monte Carlo modeling

EXAMPLE: HIGGS BY VECTOR BOSON FUSION

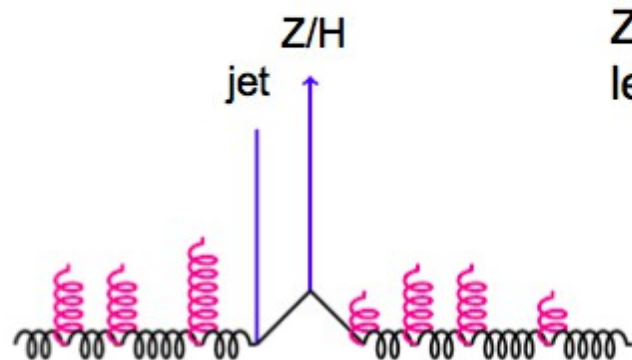


associated jets may be produced outside tracking detector acceptances

- Potentially non-negligible probability for jets with high p_T from independent pile-up events (besides soft pile-up particles)
- Full pile-up simulation (at detector level) remains open question. Rather ask: **how to extract physics signals with least dependence on pile-up simulation**

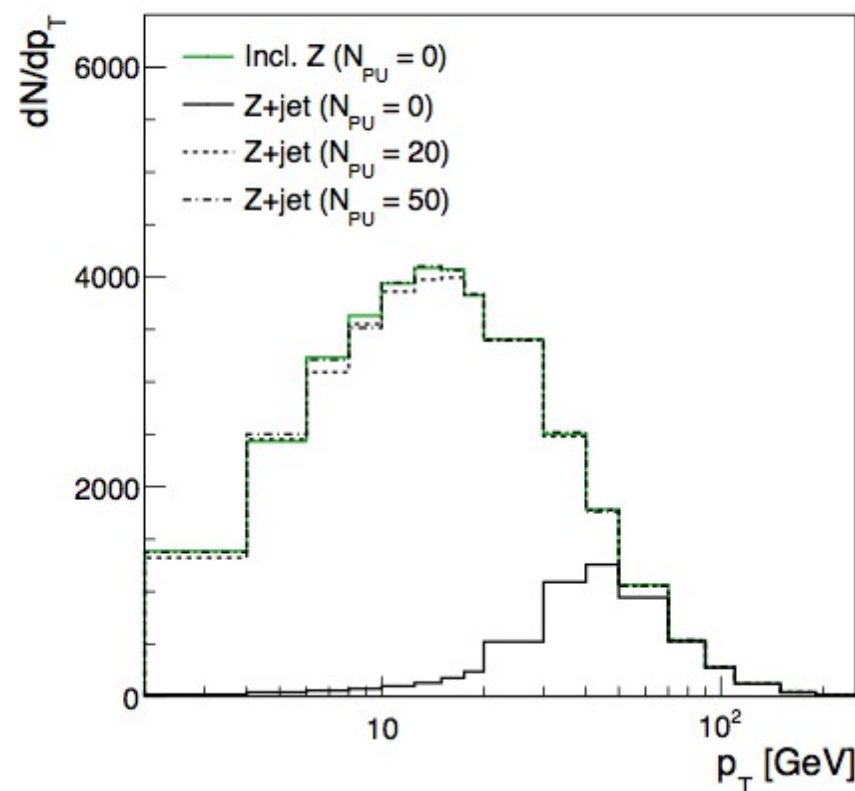
PILE-UP EFFECTS: Z + JET CASE STUDY

- > Additional pp collisions (pile-up): large effect on Z + jet correlations



Z boson: $60 < M < 120$ GeV
leading jet: $p_T > 30$ GeV; $|\eta| < 4.5$

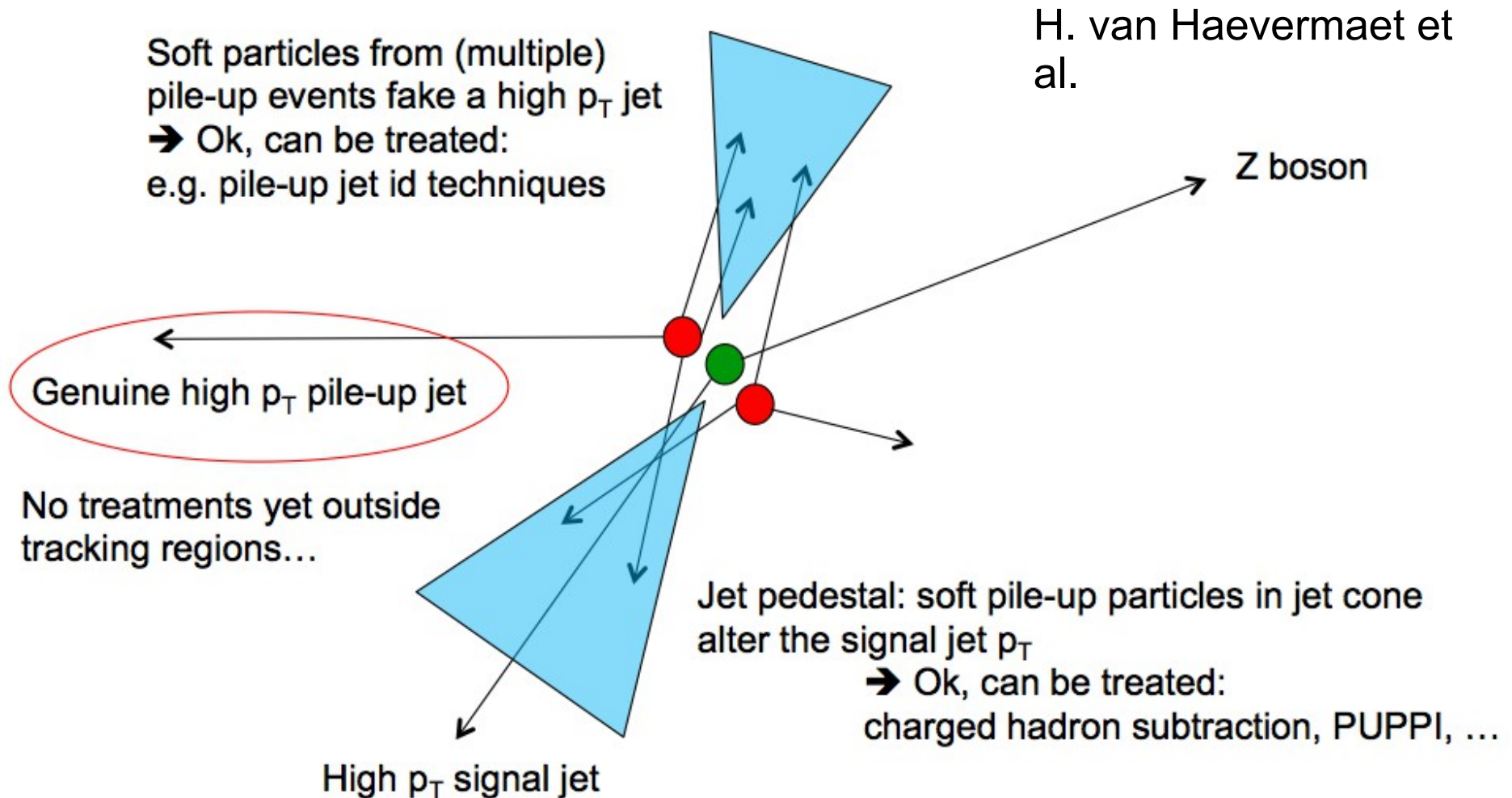
- > p_T spectrum shifts to lower values (inclusive spectrum)
 - jet $p_T > 30$ GeV: no longer sufficient
 - signal process drowns in pile-up



H. van Haevermaet et al.
arXiv:1508.07811

THE DIFFERENT CONTRIBUTIONS FROM PILE-UP

> Z + jet correlations are affected by:



CORRECTING THE JET PT PEDESTAL

> Can be done with several existing methods for central jets

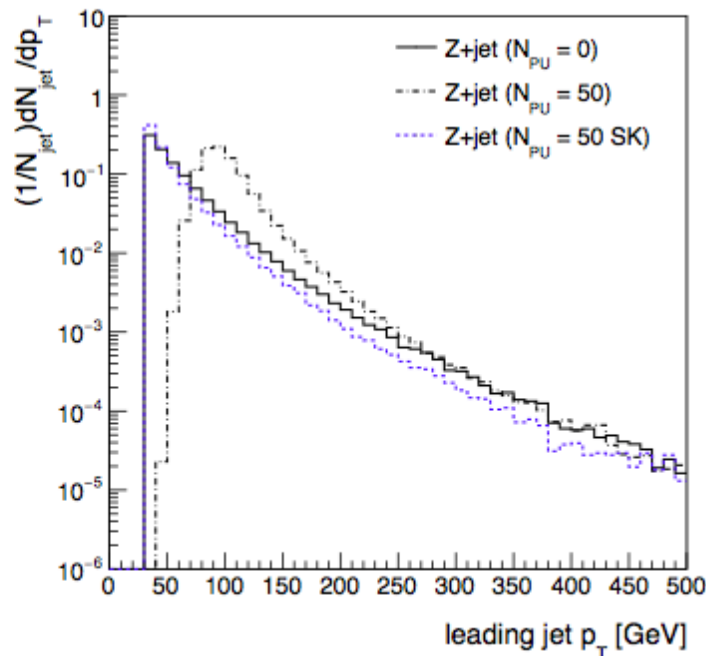
e.g. Charged Hadron Subtraction (CHS): H. Kirschenmann et al. CERN-CMS-CR-2013-325.

PUPPI: Bertolini D. et al. JHEP 1410 (2014) 59

SoftKiller: Cacciari, M. et al. Eur.Phys.J. C75 (2015) 2

Jet cleansing: D. Krohn et al.
Phys. Rev. D90 (2014) 065020

> Apply SoftKiller method: also works more forward



Principle:

- remove particles below a p_T cutoff
- minimal value that ensures that the event-wide estimate of p_T flow density (ρ) = 0
- re-cluster jets (Anti- k_T , $R = 0.5$)

Can be used with calorimeter information only

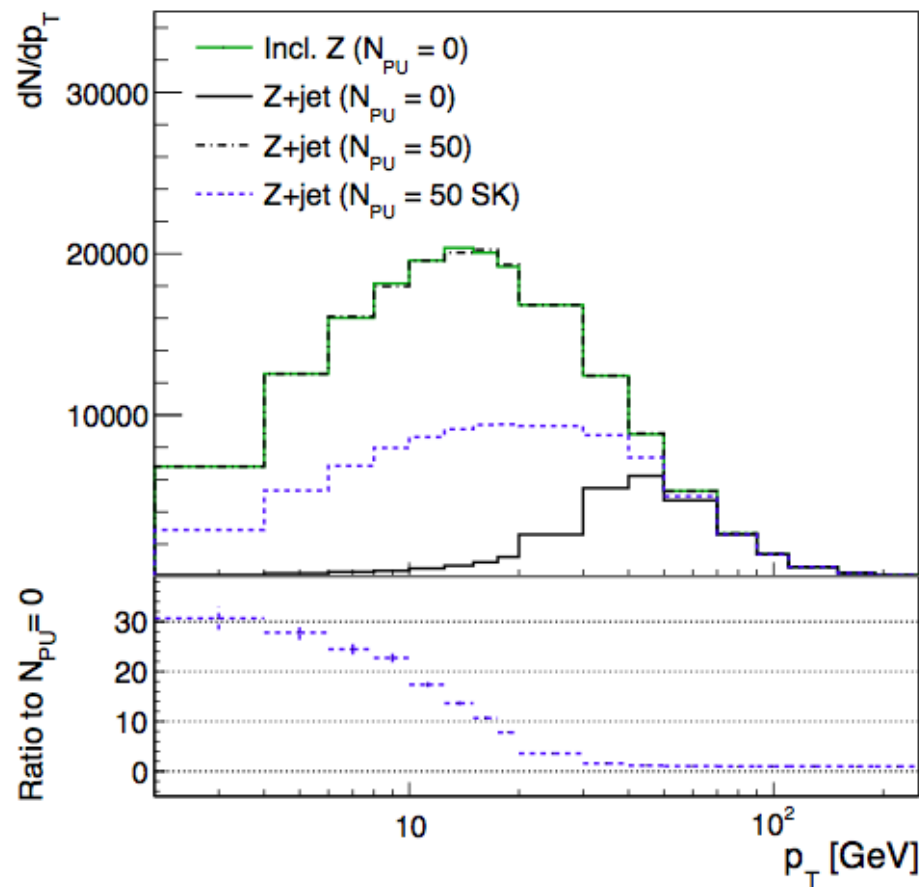
$$\rho = \text{median}_{i \in \text{patches}} \left\{ \frac{p_{Ti}}{A_i} \right\}$$

- correct for transverse momenta of individual objects but not for any misidentification

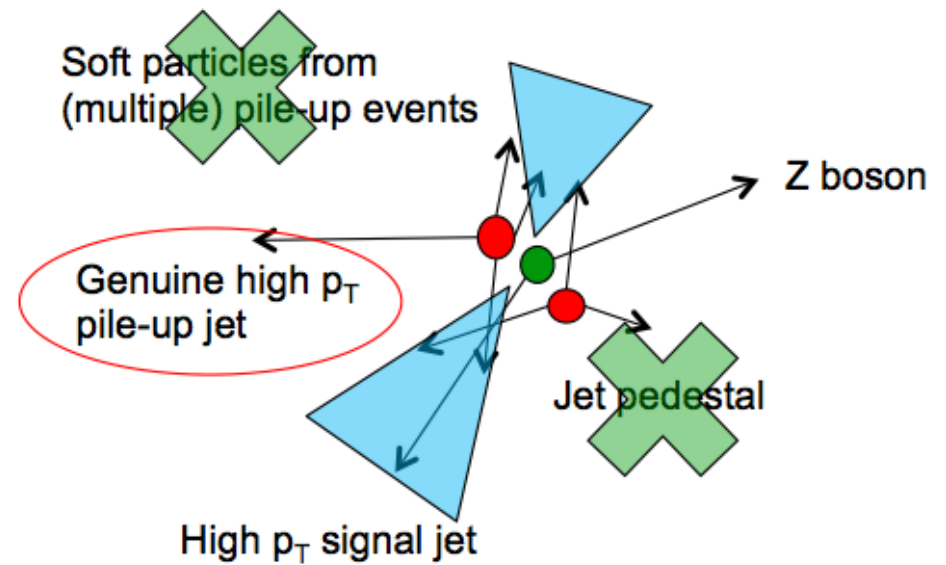
Cacciari, Salam, Soyez
Eur. Phys. J. C 75 (2015) 2

APPLY SOFTKILLER TO Z-BOSON PT SPECTRUM

➤ SoftKiller correction on Z boson + jet p_T spectra:



- At high p_T values no need for corrections
- At low p_T still large contribution from misidentified pile-up jets



- mistagged pile-up jets are not corrected for
→ need to be properly treated

TREATING EFFECTS BEYOND SOFT PARTICLES AND THE JET PT PEDESTAL

Data-driven pile-up treatment

- > Obtain signal using a jet mixing technique
- > Minimum bias sample of real data in high pile-up
- > Mix this independent sample with signal events without pile-up
- > Extract unbiased signal without the use of MC

TREATING EFFECTS BEYOND SOFT PARTICLES AND THE JET PT PEDESTAL

- Jet mixing techniques using uncorrelated event samples

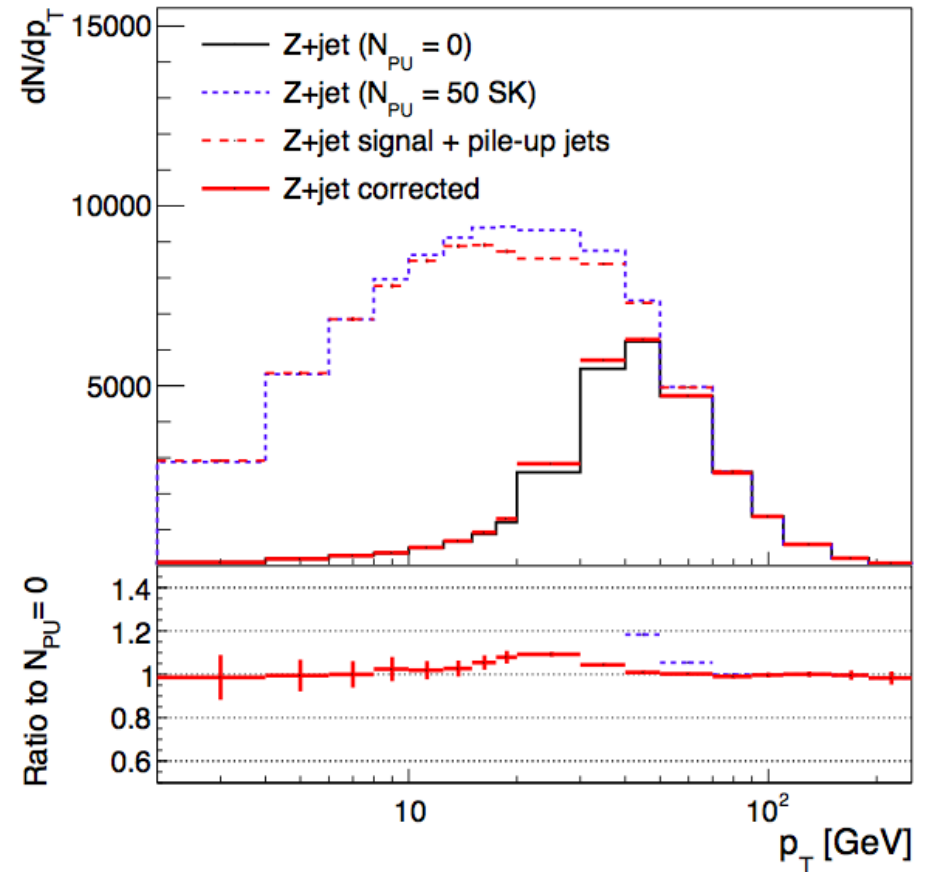
$$\mathcal{M} \otimes T = \mathcal{D}$$

↑
↑
↑

mixing matrix
“true”
data

To identify contribution of high- p_T jets
 from independent pile-up events,
 construct signal + pile-up scenario
 In a data-driven manner.

Valid for high pile-up:
 $(N_{PU} + 1)/N_{PU} \approx 1$



Without appealing to any Monte Carlo method, true signal extracted nearly perfectly from mixed sample

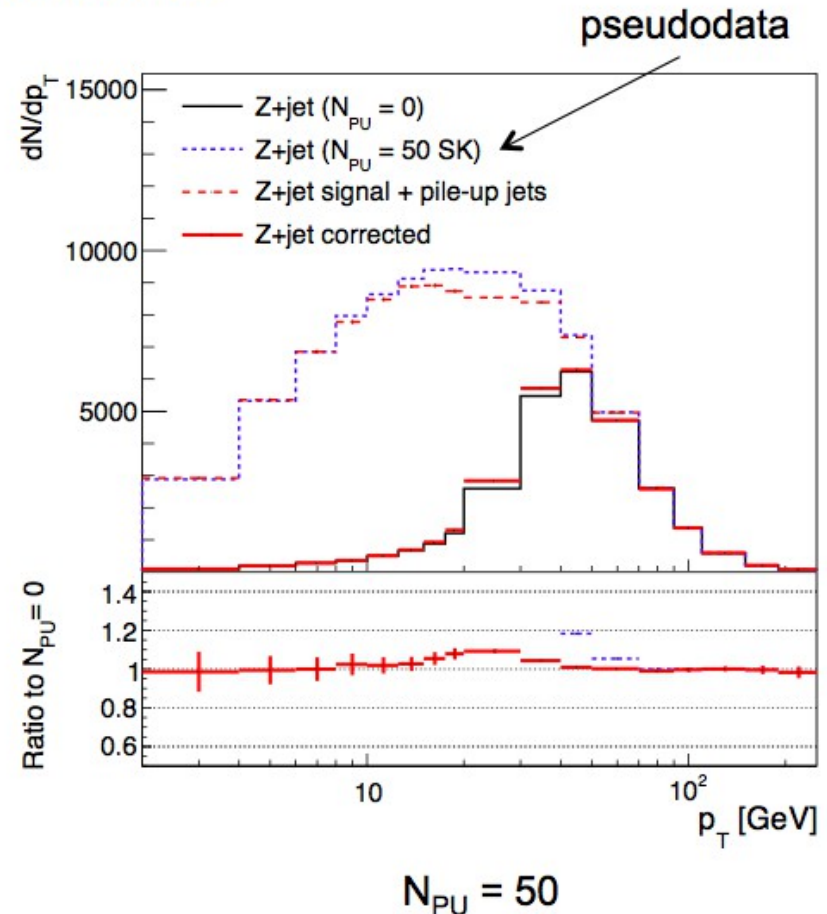
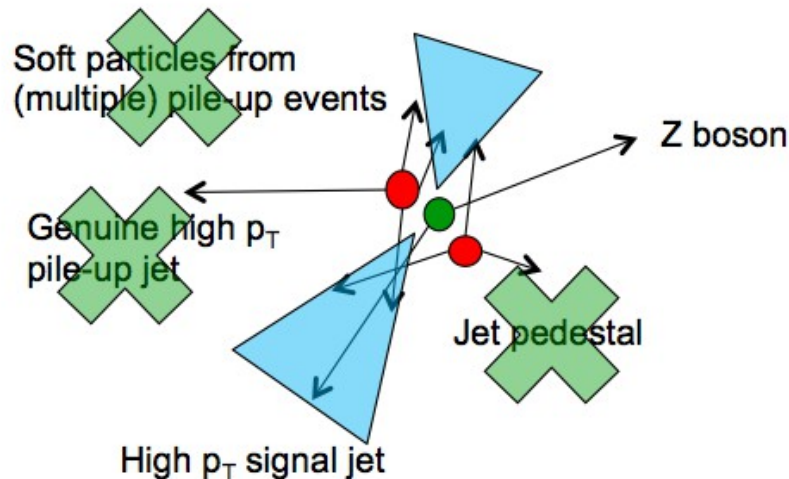
Z-BOSON PT SPECTRUM IN Z + JET WITH JET MIXING APPLIED

> Extract signal without relying on Monte Carlos

> From mixed sample can extract true signal successfully

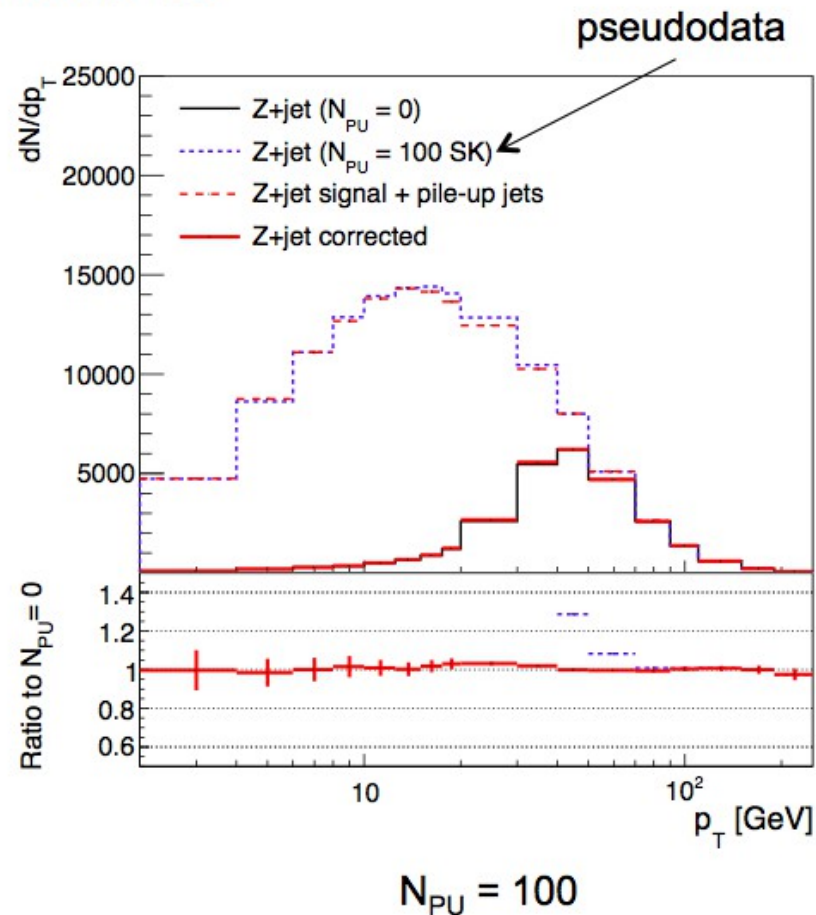
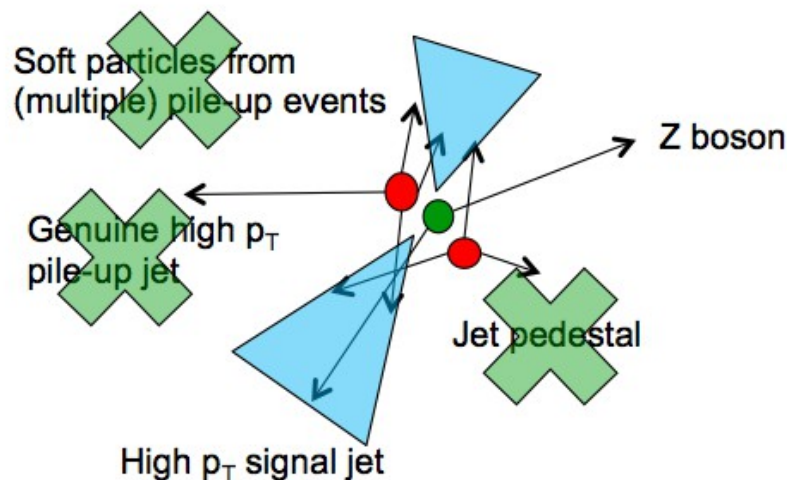
> Advantages:

- works in high N_{PU} regime
- no data at low pile-up needed
- no Monte Carlo needed



THE CASE OF VERY HIGH PILE-UP: $N_{PU} = 100$

- Extract signal without relying on Monte Carlos
- From mixed sample can extract true signal successfully
- Advantages:
 - ➔ works in high N_{PU} regime
 - ➔ no data at low pile-up needed
 - ➔ no Monte Carlo needed



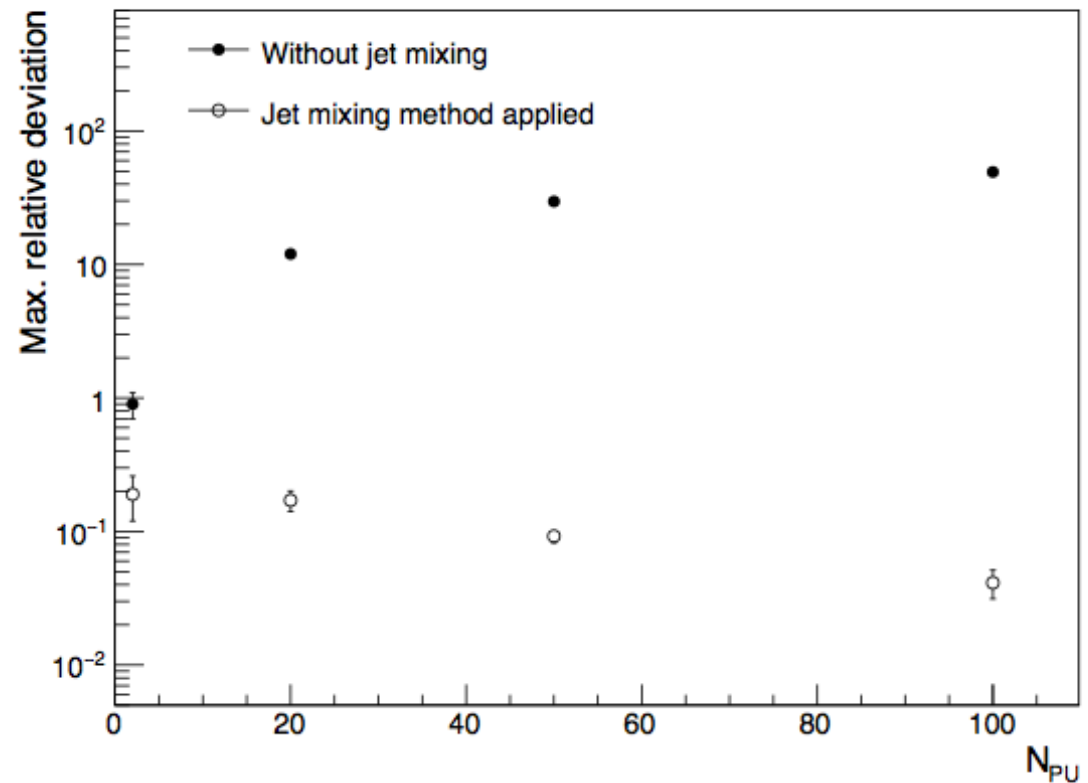
ACCURACY OF CORRECTIONS IN LOW PILE-UP AND HIGH PILE-UP

➤ Behaviour of maximum relative deviation as function of N_{PU}

➤ $(\text{corrected} - \text{true}) / \text{true}$

➤ Without jet mixing:
deviation larger at high N_{PU}

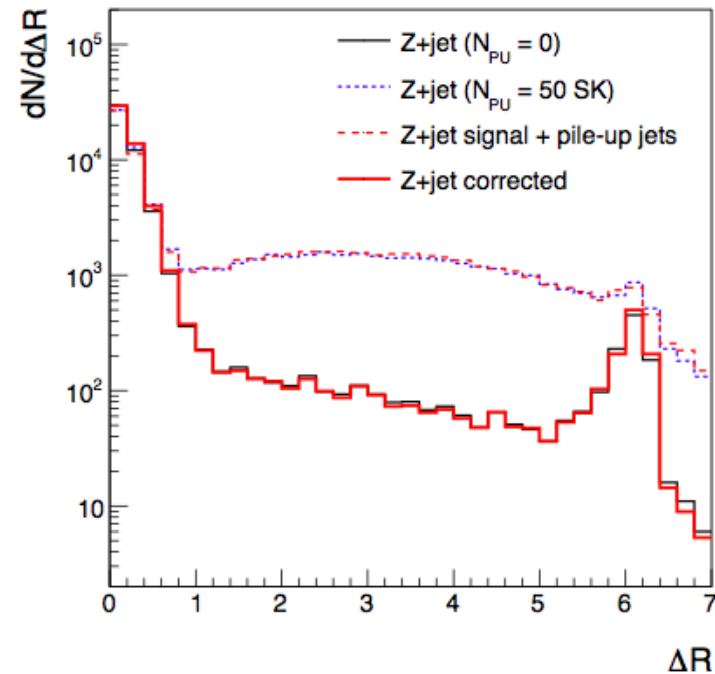
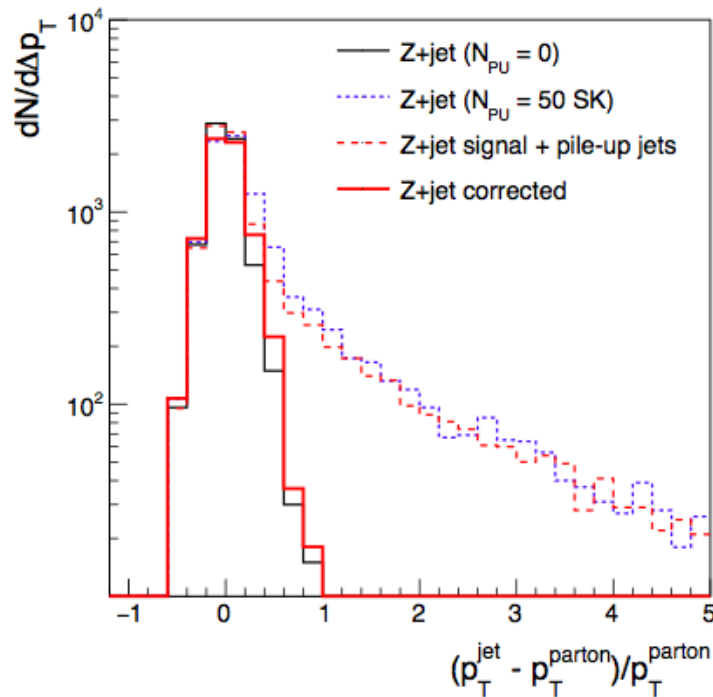
➤ With jet mixing:
improvement with
increasing N_{PU}



➤ Approach designed to treat high N_{PU} region: $(N_{PU} + 1) / N_{PU} \approx 1$

IMPROVEMENT IN JET RESOLUTION FROM APPLYING JET MIXING METHOD

- Control checks with p_T resolution and $\Delta R = \sqrt{(\Delta\phi^2 + \Delta\eta^2)}$

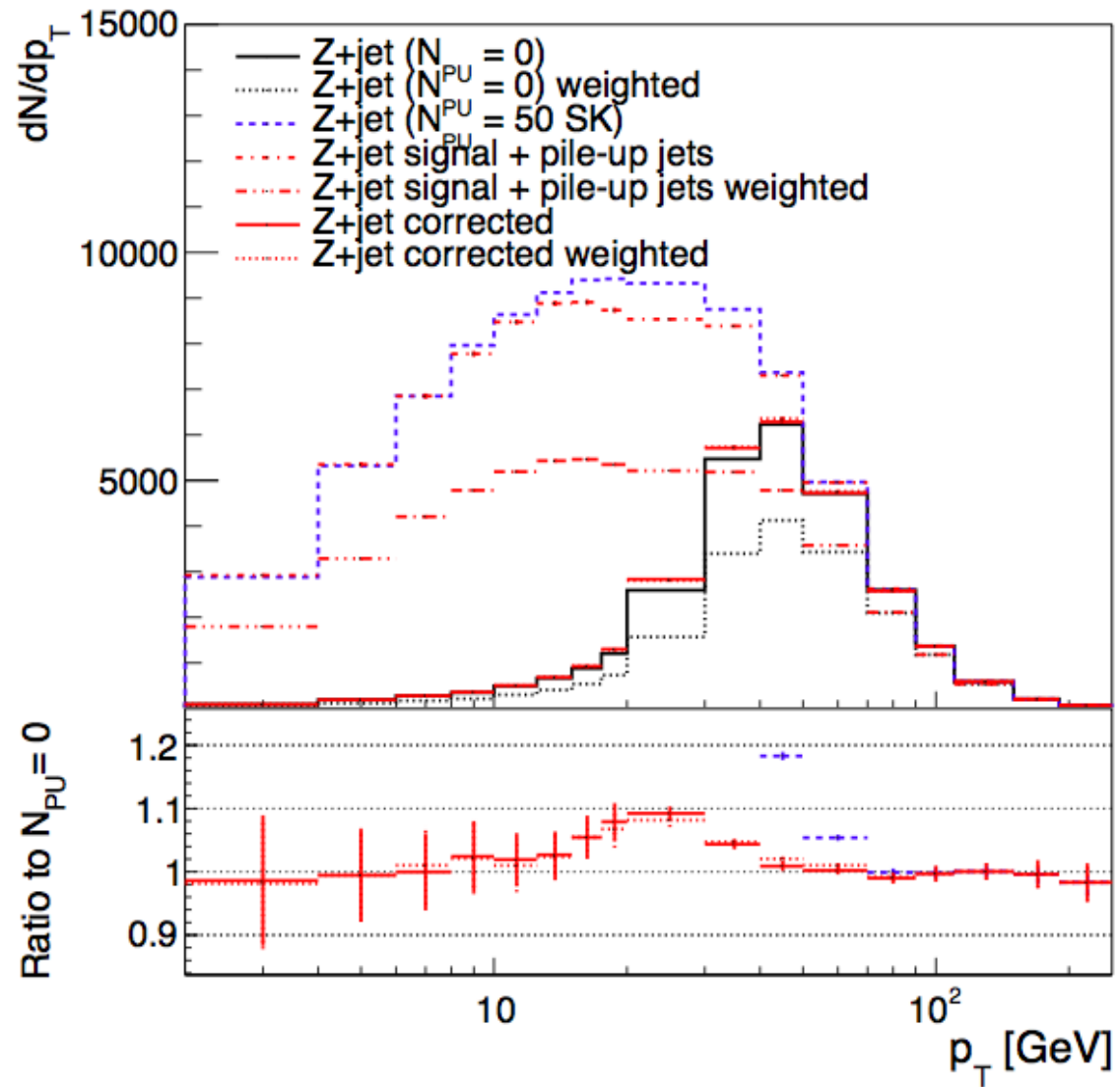


➔ true signal reproduced

COMMENT: WHAT IF THE MIXING IS DONE WITH THE “WRONG” ANSATZ FOR THE SIGNAL?

Model independence:

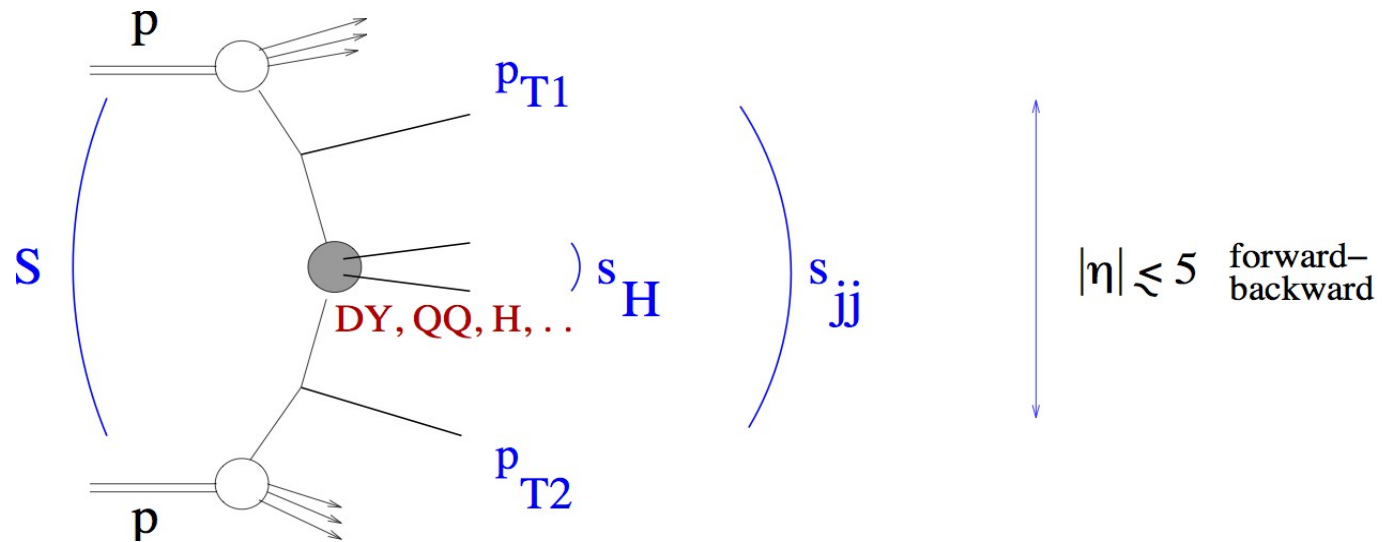
Test jet mixing method
with different starting
signal distribution



mixed sample now far off pseudodata – but true signal still recovered from unfolding!

TO SUM UP

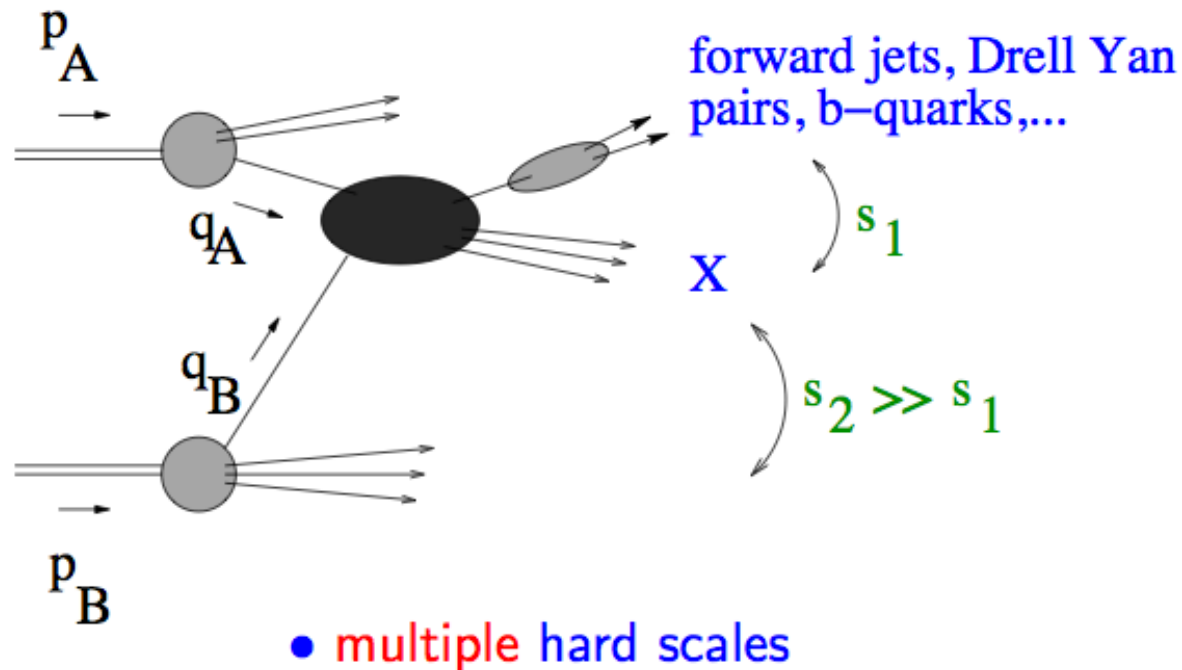
- Effects of pile-up beyond the jet p_T pedestal:
mistagging of high- p_T jets from
independent pile-up events
- Treatment by data-driven methods, not
dependent on Monte Carlo generators
- Relevant especially for regions outside tracker
acceptances, where vertexing techniques
cannot be relied on to identify pile-up jets.
Example: Higgs by vector boson fusion
- No need for low pile-up runs – no loss in
luminosity



QCD at high luminosity hadron colliders:

High- p_T production over large rapidity intervals

HIGH PT PRODUCTION OVER LARGE RAPIDITY INTERVALS

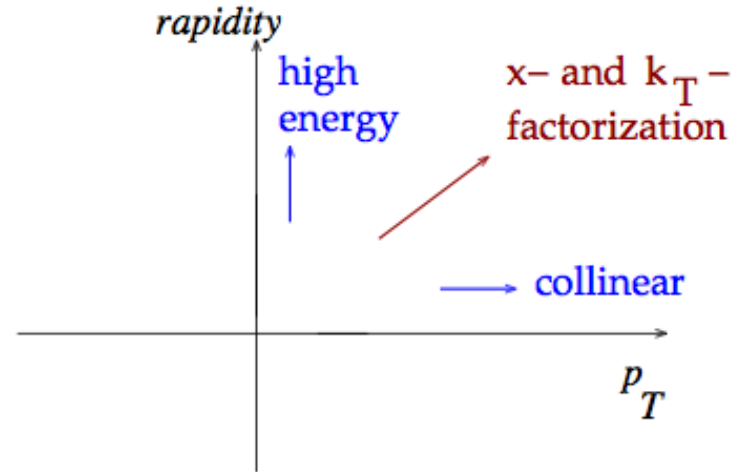


- asymmetric parton kinematics $x_A \rightarrow 1$, $x_B \rightarrow 0$

- ◇ Are finite-order QCD calculations reliable in the forward region?
- ◇ Perturbative QCD resummations?

HIGH p_T PRODUCTION OVER LARGE RAPIDITY INTERVALS: RESUMMATION FORMALISM

- Large logarithmic corrections are present both in the hard p_T and in the rapidity interval



→ Both kinds of log contributions can be summed consistently to all orders of perturbation theory via QCD factorization at fixed k_T

- Valid to **single-logarithmic** accuracy [Deak, Jung, Kutak & H, JHEP 09 (2009) 121]
- Extended to forward DY [Hentschinski, Jung & H, Nucl. Phys. B 865 (2012) 54]

QCD FACTORIZATION AT FIXED TRANSVERSE MOMENTUM

$$\frac{d\sigma}{dQ_t^2 d\varphi} = \sum_a \int \phi_{a/A} \otimes \frac{d\hat{\sigma}}{dQ_t^2 d\varphi} \otimes \phi_{g^*/B}$$

▷ needed to resum consistently both logs of rapidity and
logs of hard scale

Deak, Jung, Kutak & H, JHEP 09 (2009) 121

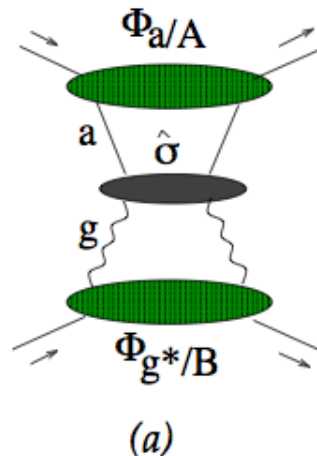
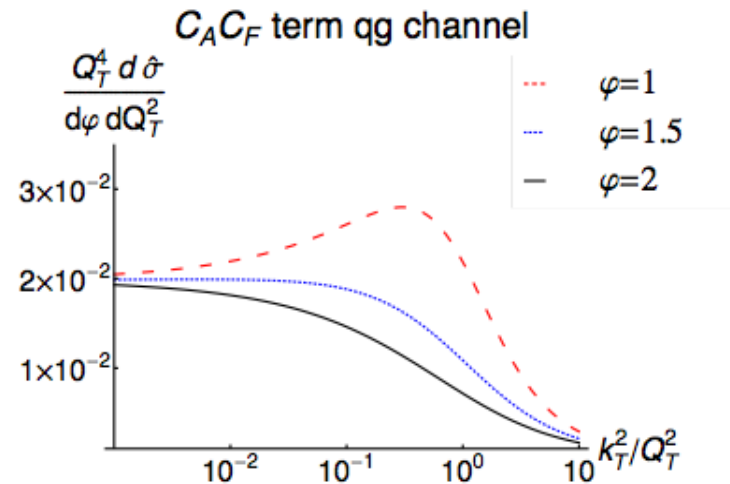
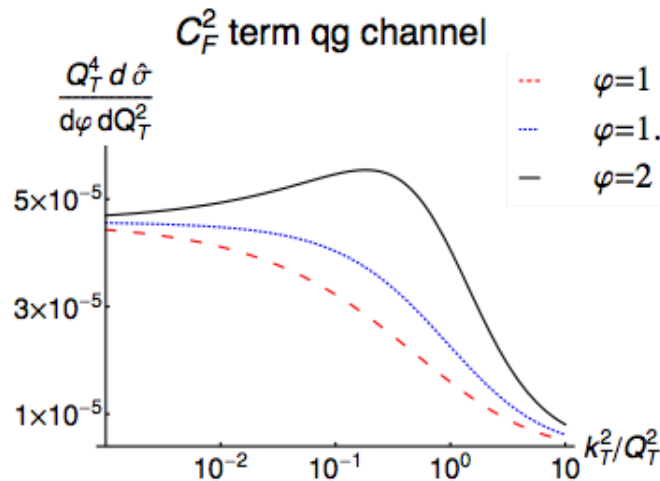


Figure 1: Factorized structure of the cross section.

◇ ϕ_a near-collinear, large- x ; ϕ_{g^*} $k_\perp$ -dependent, small- x
 ◇ $\hat{\sigma}$ off-shell (but gauge-invariant) continuation of
 hard-scattering matrix elements [*Catani et al., 1991; Ciafaloni, 1998*]

QCD FACTORIZATION AT FIXED TRANSVERSE MOMENTUM: FULLY EXCLUSIVE MATRIX ELEMENTS

Q_t = final-state transverse energy (in terms of two leading jets p_t 's)
 k_t = transverse momentum carried away by extra jets

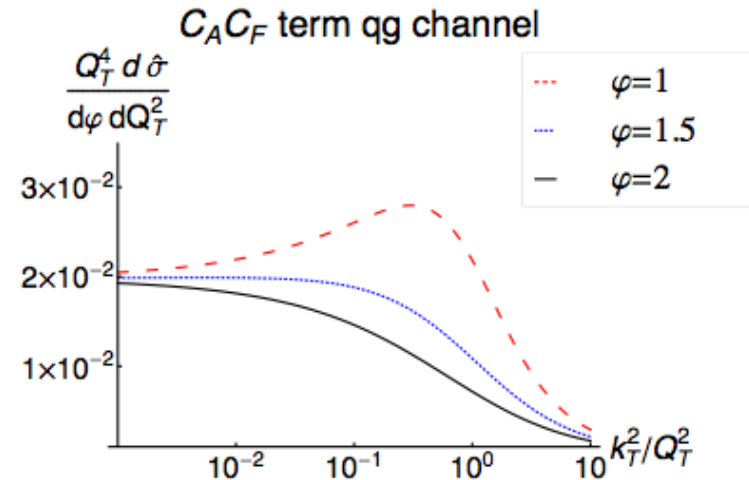
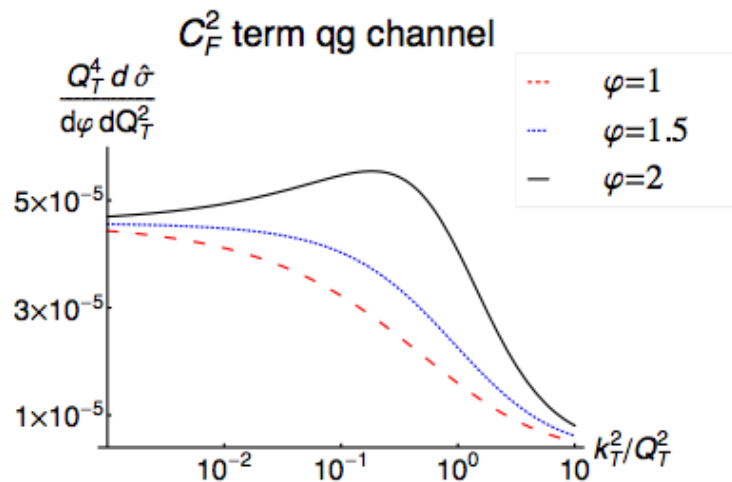


- dynamical cut-off at $k_t \sim Q_t$, set by higher-order radiative effects
 - non-negligible terms from finite k_t tail
- $C_F C_A$ contribution to qg dominates at high energies $s/Q_t^2 \gg 1$

QCD FACTORIZATION AT FIXED TRANSVERSE MOMENTUM: FULLY EXCLUSIVE MATRIX ELEMENTS

Q_t = final-state transverse energy (in terms of two leading jets p_t 's)

k_t = transverse momentum carried away by extra jets



- Matrix elements factorize for high energy

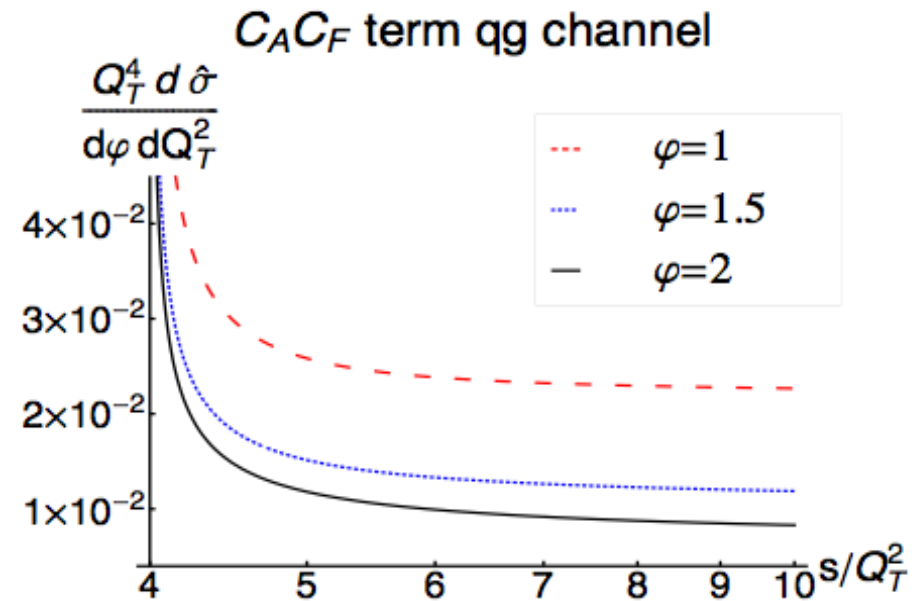
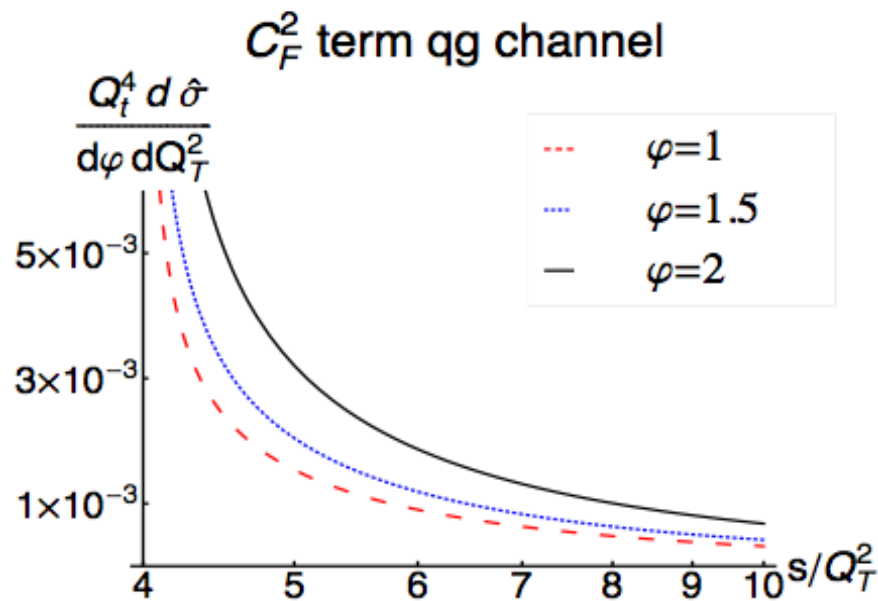
not only in collinear region but also at finite angle

⇒ effects of coherence across large rapidity intervals not associated with small angles

- Coupling to parton showers via merging scheme defined by factorization at high energy

QCD FACTORIZATION AT FIXED TRANSVERSE MOMENTUM: FULLY EXCLUSIVE MATRIX ELEMENTS

Q_t = final-state transverse energy (in terms of two leading jets p_t 's)



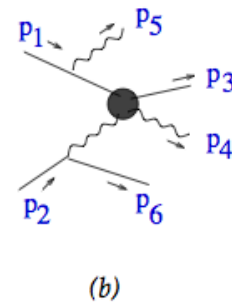
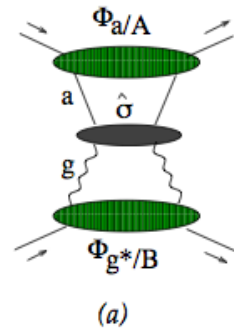
▷ $C_F C_A$ contribution to qg dominates large $\hat{s}/Q_t^2$ (constant at large energy)

QCD FACTORIZATION AT FIXED TRANSVERSE MOMENTUM: FULLY EXCLUSIVE MATRIX ELEMENTS

- High-energy matrix elements factorize not only in the collinear emission region but also at finite angle

◇ once coupled to distributions for parton branching at fixed $k_\perp$, can serve to take into account effects of coherence across large rapidity intervals, not associated with small angles

◇ Merging scheme defined by the factorization at high energy



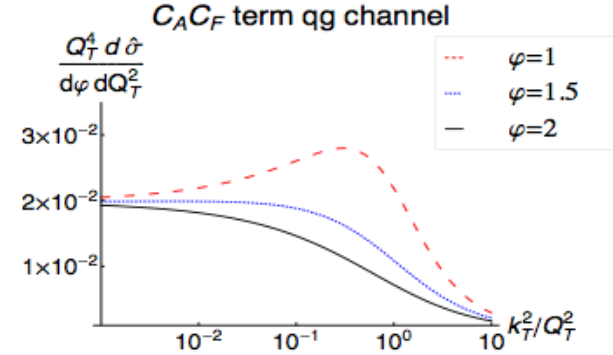
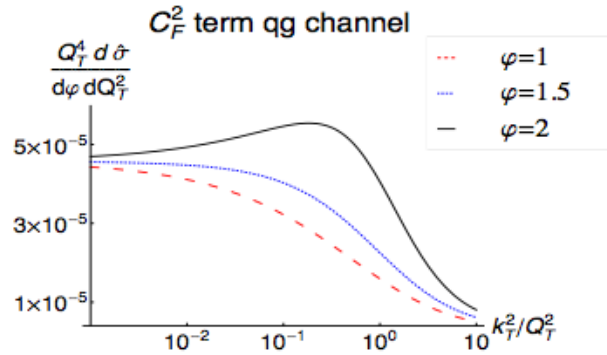
$$p_1 - p_5 = k_1 = \xi_1 p_1 + k_\perp + \bar{\xi}_1 p_2, \quad p_2 - p_6 = k_2 = \xi_2 p_2 + k_\perp + \bar{\xi}_2 p_1$$

$$\text{Forward region: } (p_4 + p_6)^2 \gg (p_3 + p_4)^2, \quad k_1 \simeq \xi_1 p_1, \quad k_2 \simeq \xi_2 p_2 + k_\perp$$

$$\Rightarrow p_5 \simeq (1 - \xi_1) p_1, \quad p_6 \simeq (1 - \xi_2) p_2 - k_\perp, \quad \xi_1 \gg \xi_2$$

$$Q_T = (1 - \nu) p_{T4} - \nu p_{T3}, \quad \text{where } \nu = (p_2 p_4) / [(p_2 p_1) - (p_2 p_5)]$$

RESUMMATION OF HIGH-RAPIDITY LOGARITHMS



- small-angle limit:

$$\frac{Q_T^4}{dQ_T^2 d\varphi} \frac{d\hat{\sigma}}{d\varphi} \rightarrow \alpha_s^2 f^{(0)}(p_T^2/s) \quad , \quad Q_T \rightarrow p_T = |p_{T3}| = |p_{T4}|$$

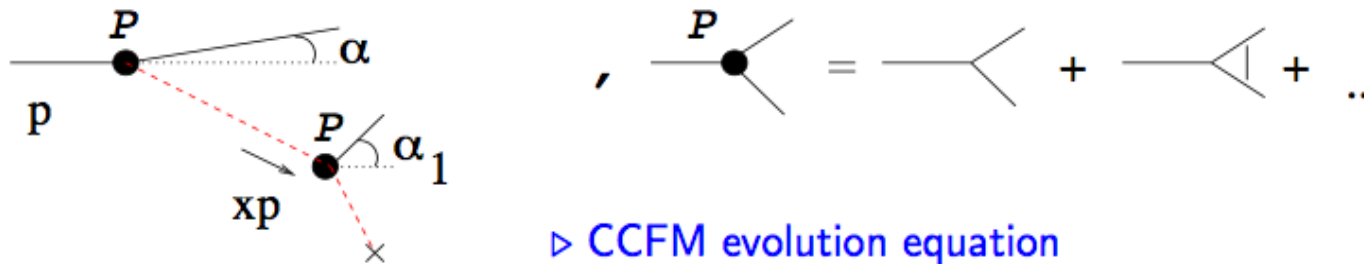
$$f^{(0)}(z) = \frac{1}{16\sqrt{1-4z}} \left[C_F^2 z(1+z) + 2C_F C_A (1-3z+z^2) \right]$$

- summation of logs for large $y \sim \ln s/p_T^2$ achieved by convolution with unintegrated splitting functions

$$\int d^2 k_T \left(\frac{1}{k_T^2} \right)_+ \hat{\sigma}(k_T) = \int d^2 k_T \frac{1}{k_T^2} [\hat{\sigma}(k_T) - \Theta(\mu - k_T) \hat{\sigma}(0_T)]$$

RESUMMATION OF HIGH-RAPIDITY LOGARITHMS

$$\mathcal{G}(x, k_T, \mu) = \mathcal{G}_0(x, k_T, \mu) + \int \frac{dz}{z} \int \frac{dq^2}{q^2} \Theta(\mu - zq) \\ \times \underbrace{\Delta(\mu, zq)}_{\text{Sudakov}} \underbrace{\mathcal{P}(z, q, k_T)}_{\text{unintegr. splitting}} \mathcal{G}(x/z, k_T + (1-z)q, q)$$



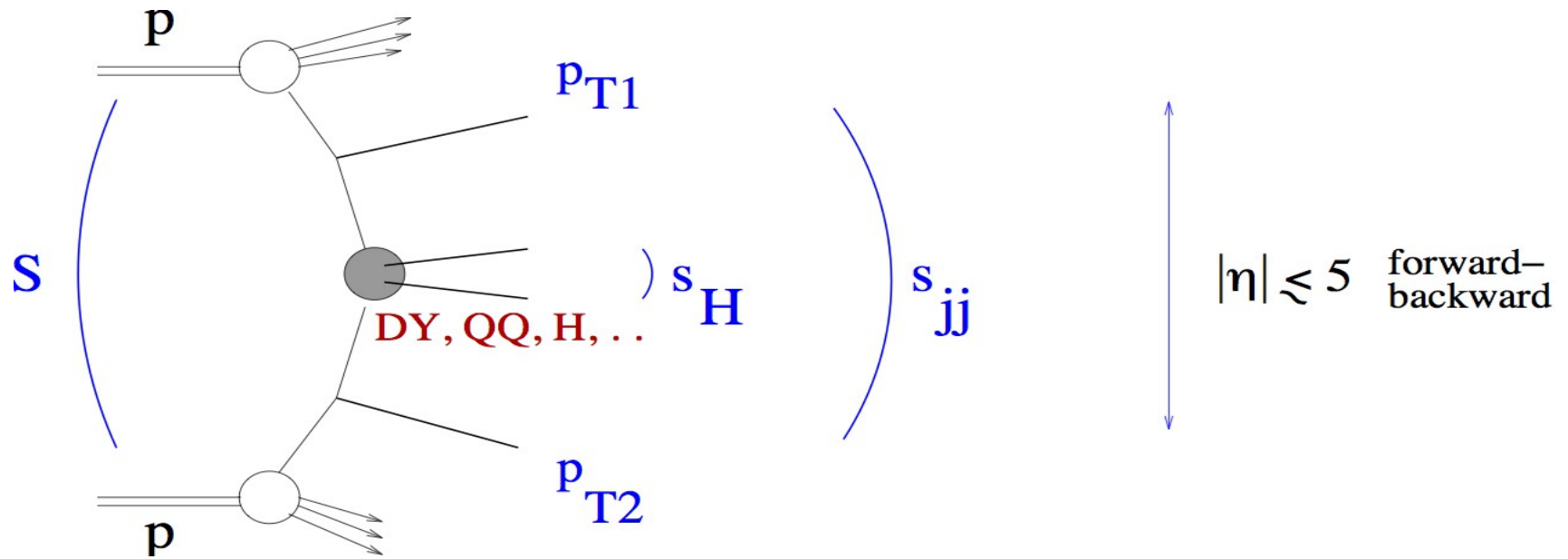
▷ Monte Carlo implementations CASCADE, LDC, ...

Merging PS and ME

- Merging in high-energy limit can be done using

$$\gamma \frac{1}{k_{\perp}^2} \left(\frac{k_{\perp}^2}{\mu^2} \right)^{\gamma} \stackrel{\gamma \ll 1}{\equiv} \delta(k_{\perp}^2) + \gamma \left(\frac{1}{k_{\perp}^2} \right)_{\text{R}} + \gamma^2 \left(\frac{1}{k_{\perp}^2} \ln \frac{k_{\perp}^2}{\mu^2} \right)_{\text{R}} + \dots$$

$$\text{where } \int dk_{\perp} (G(k_{\perp}, \mu))_{\text{R}} \varphi(k_{\perp}) = \int dk_{\perp} G(k_{\perp}, \mu) [\varphi(k_{\perp}) - \Theta(\mu - k_{\perp}) \varphi(0)]$$



Applications to vector boson + jets final states

Application to vector bosons + jets

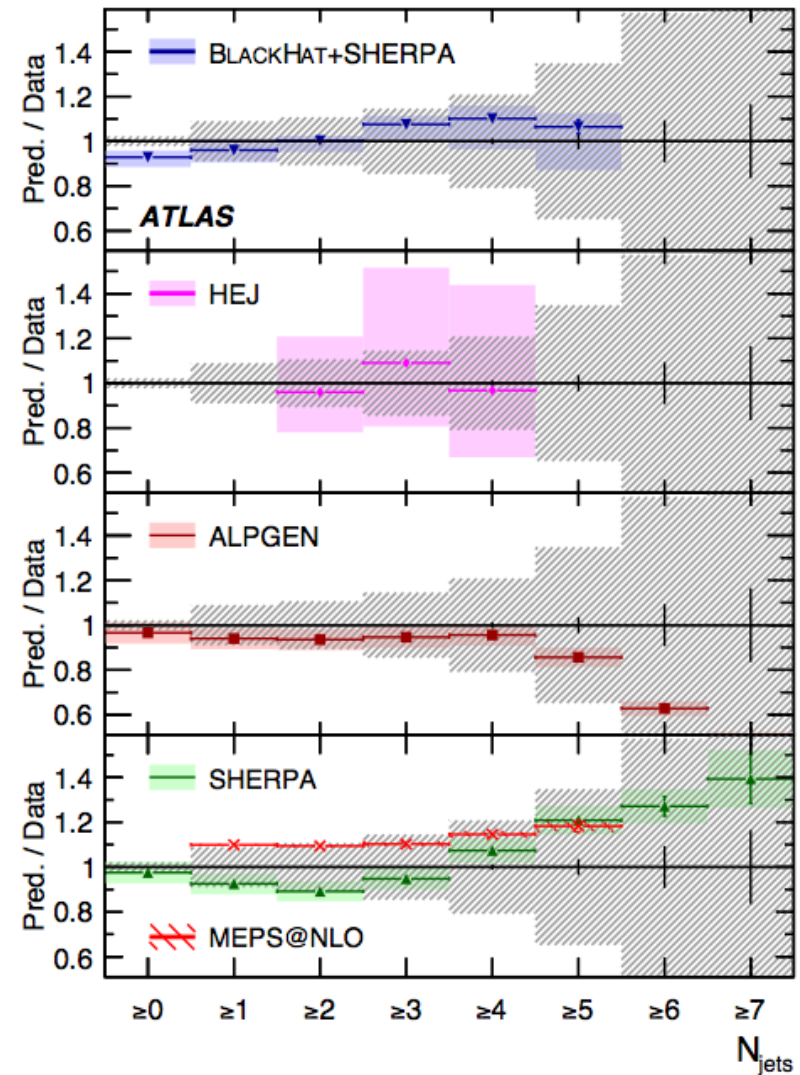
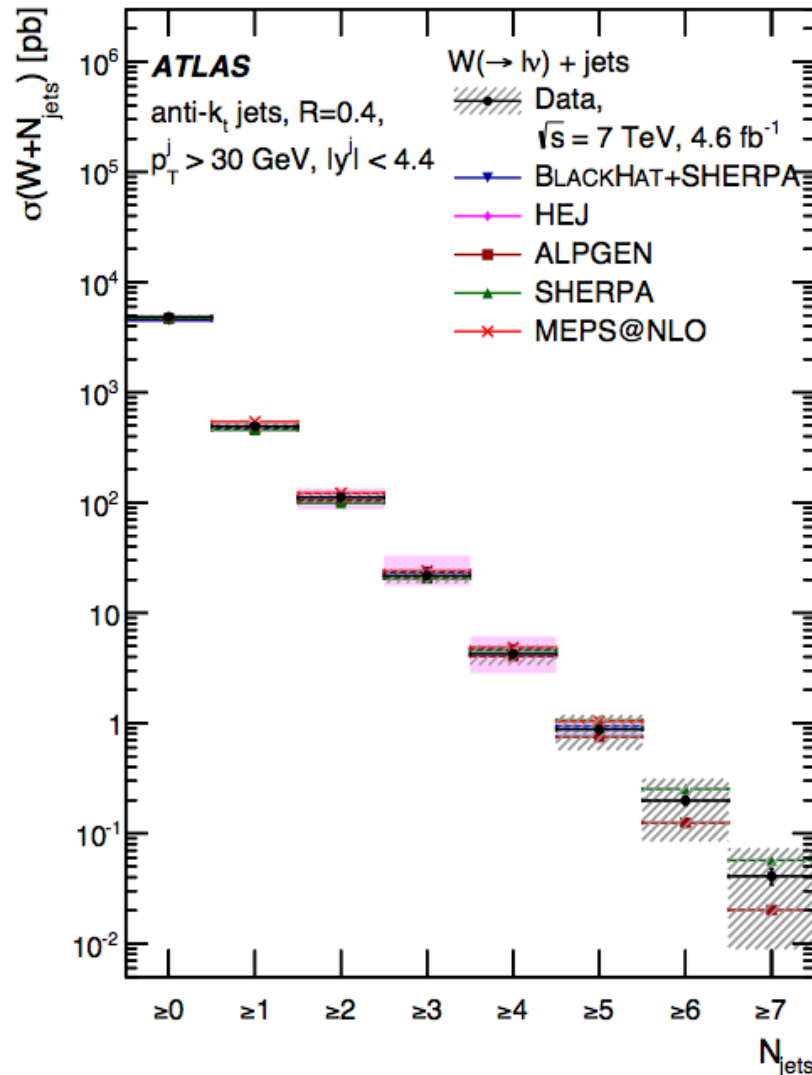
- Motivation: effects of not only collinear-ordered emissions but also non-ordered region which opens up at high s / p_t^2 (and large p_t).
- Finite angle multi-gluon radiation.
- Push limits of high-energy expansion beyond small- x region.
- Role of transverse-momentum kinematics on jets produced at moderately non-central rapidities
- Jet multiplicities associated with W boson production

Atlas data PRD85 (2012) 092002:
jet $|y| < 4.4$

Note: p_t -ordered shower (eg, Pythia) cannot predict higher jet multiplicities

W + jets

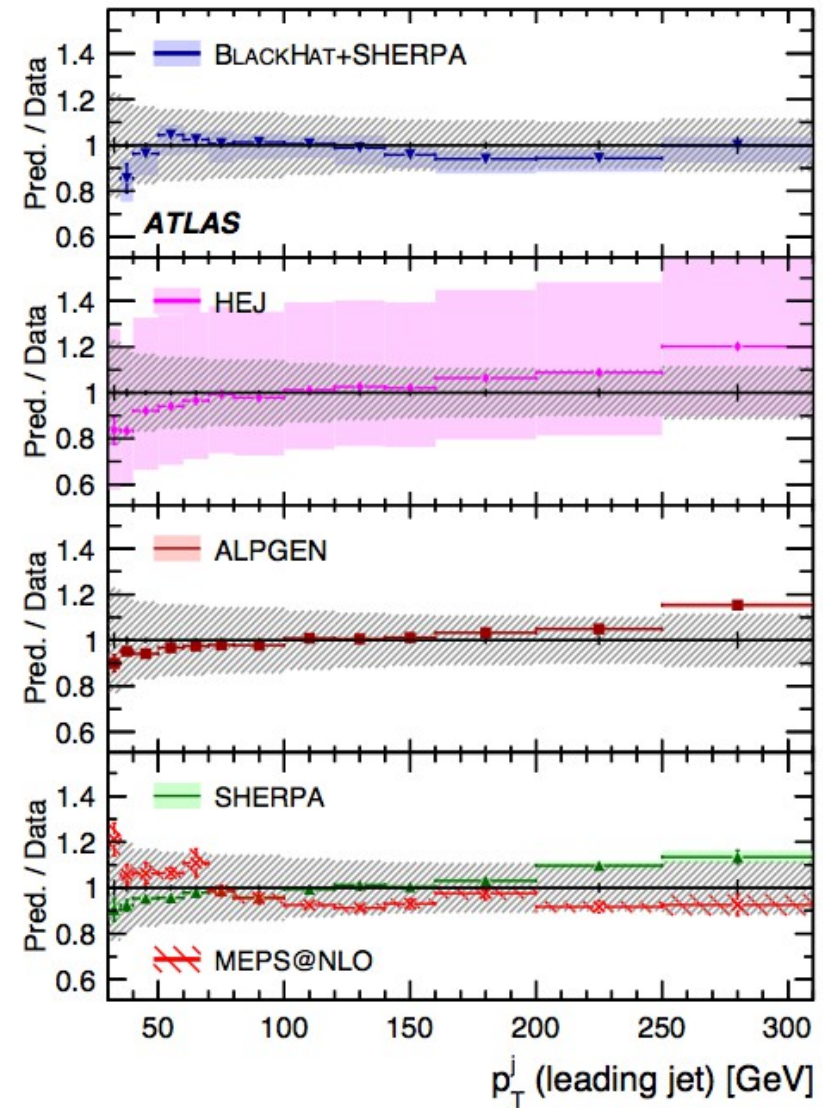
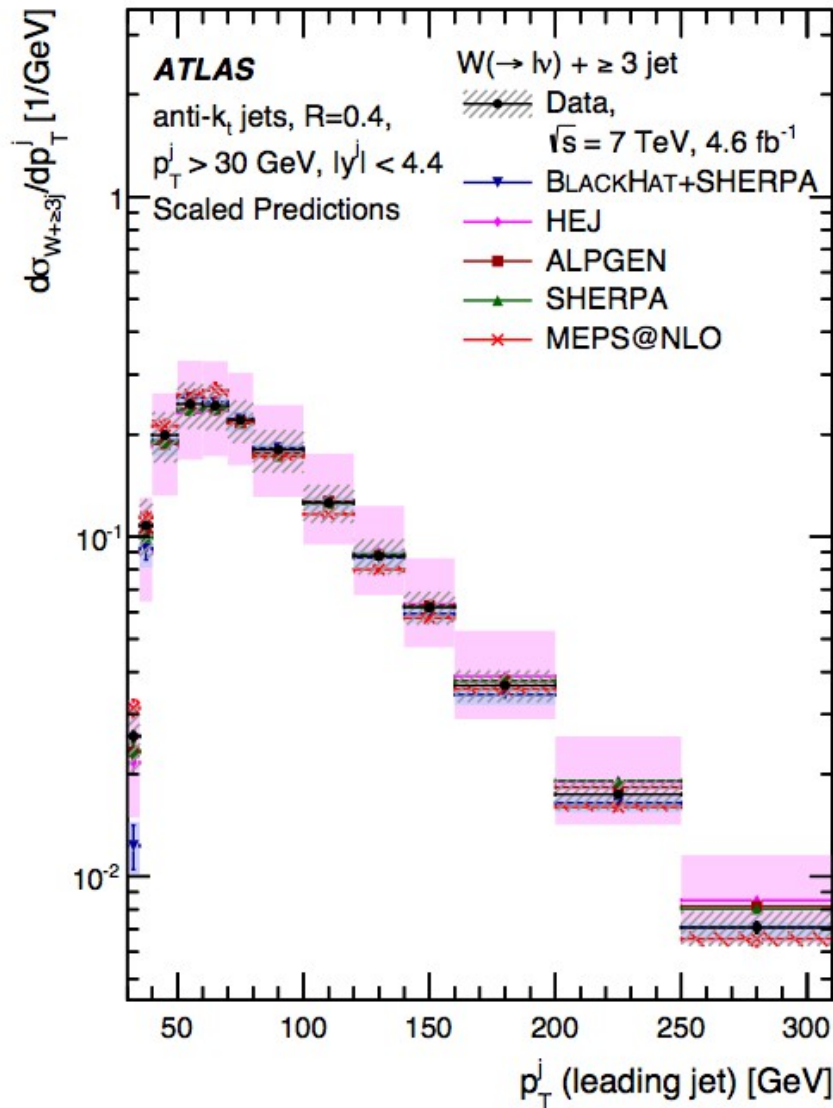
ATLAS, EPJC 75 (2015) 82



Rapidity phase space opens up as s increases $\rightarrow$ relevant for Run II

W + jets

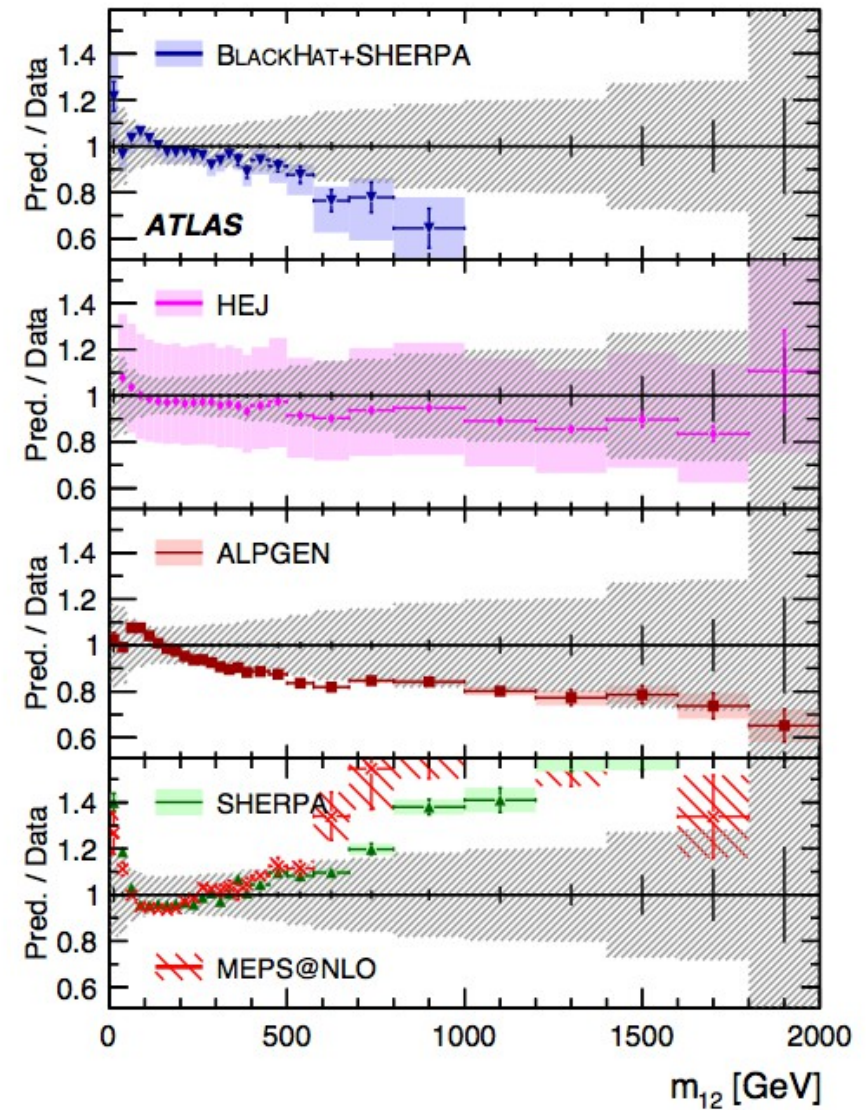
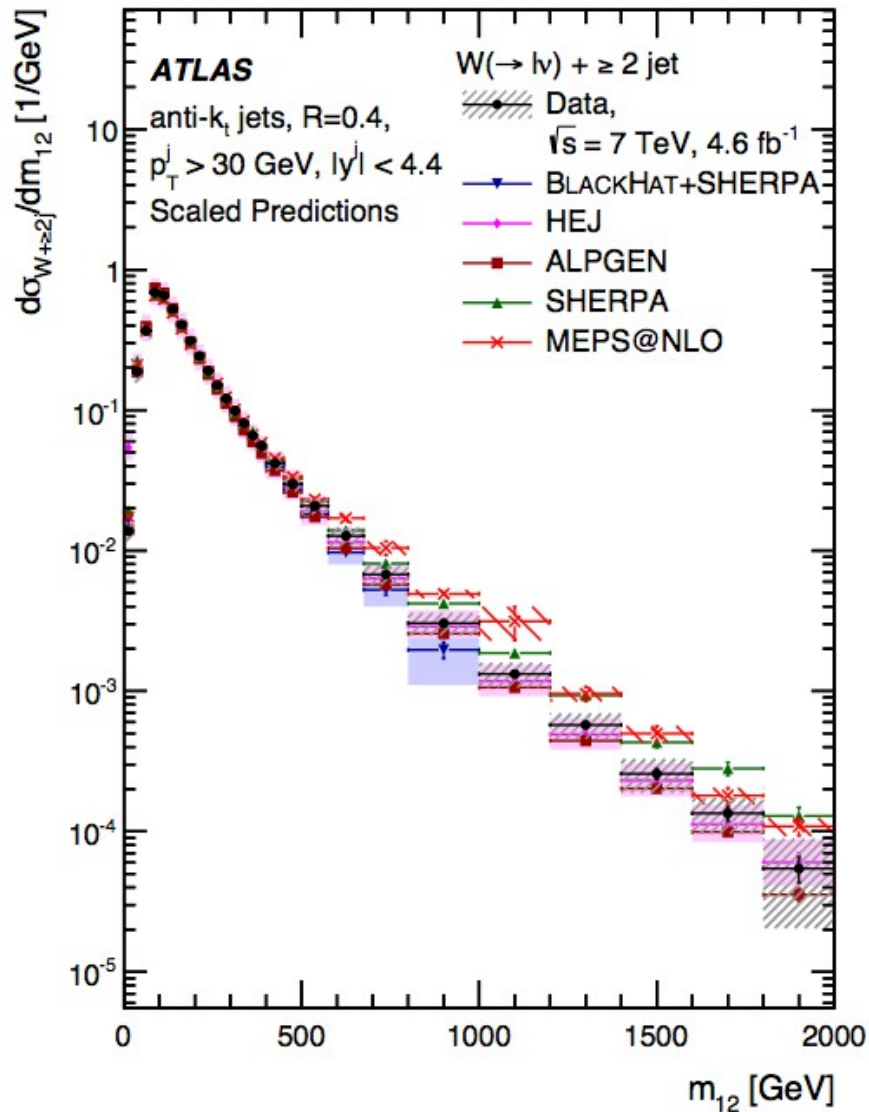
ATLAS, EPJC 75 (2015) 82



Good agreement between all predictions and data for inclusive observables

W + jets

ATLAS, EPJC 75 (2015) 82



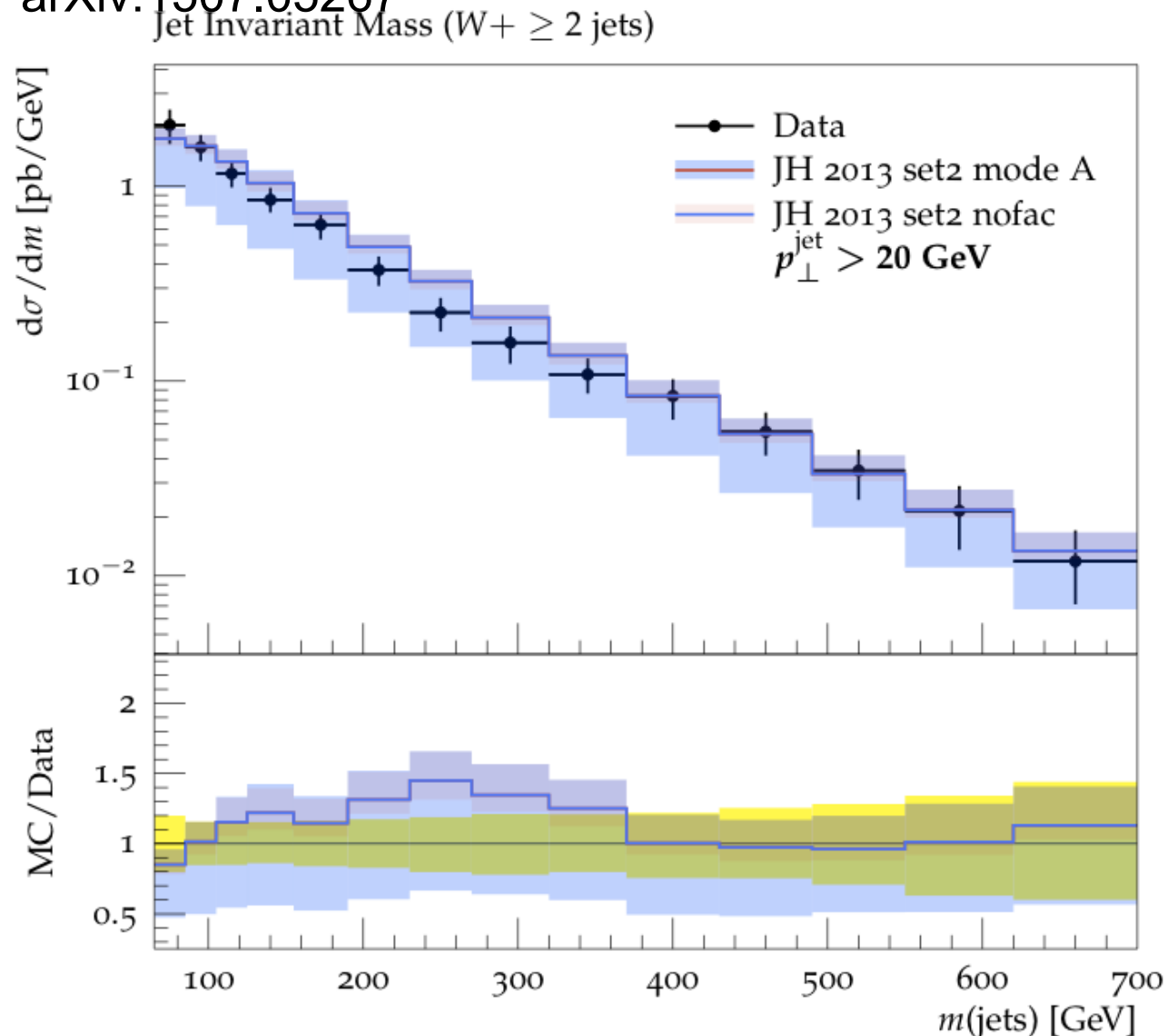
Large spread in predictions for invariant mass spectrum

$M_{JJ} \sim 400 - 600$

W + n jets: dijet mass spectra from TMD-resummed approach

R. Angeles-Martinez et al.,
arXiv:1507.05267

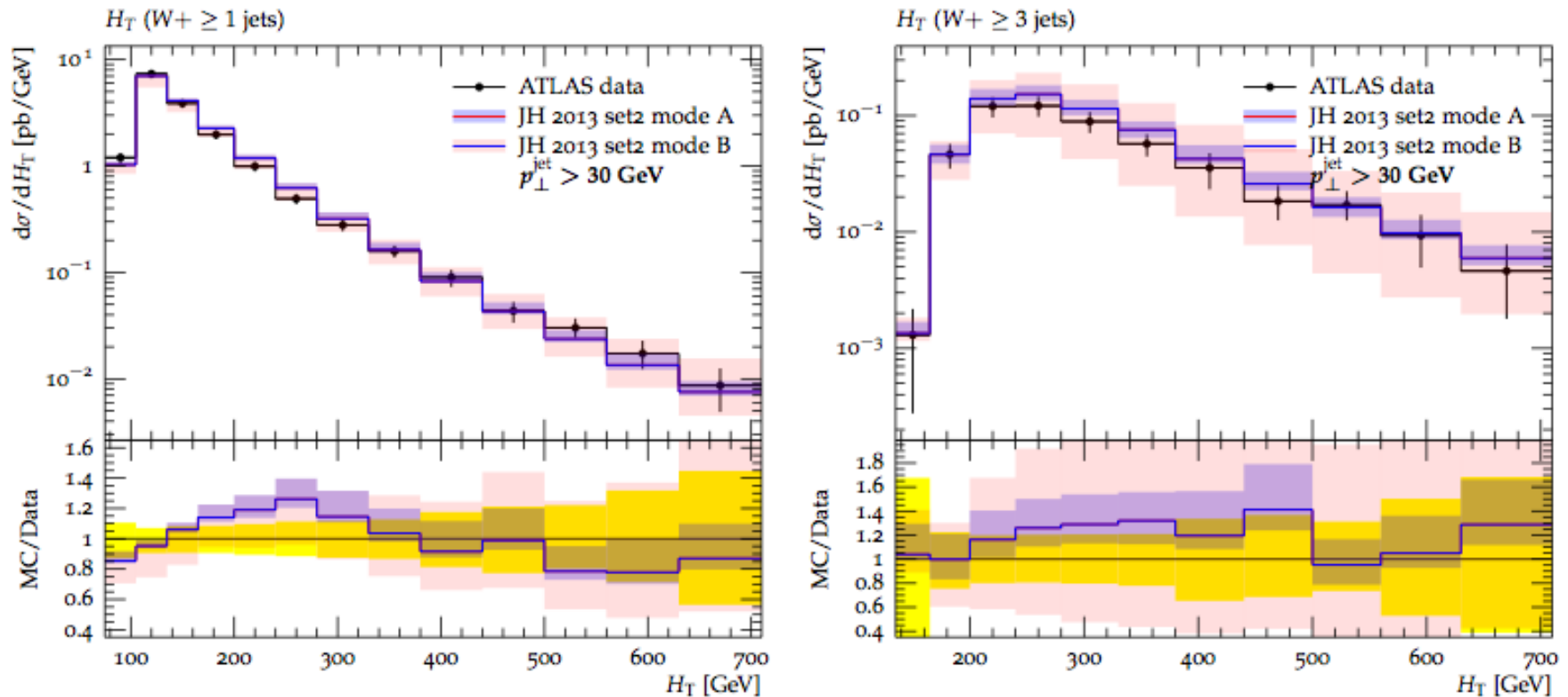
- not only collinear-ordered emissions but also non-ordered region which opens up at high s / p_t^2 (and large p_t).
- Finite angle multi-gluon radiation.



Can we go to large transverse momenta?

Total H_T distribution in $W + n$ jets final states at the LHC

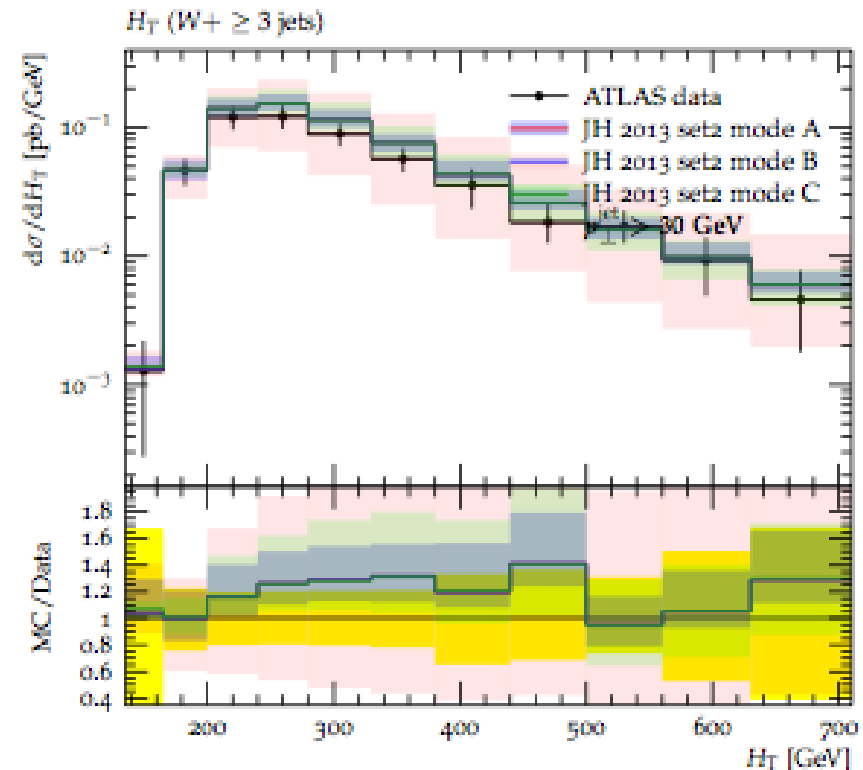
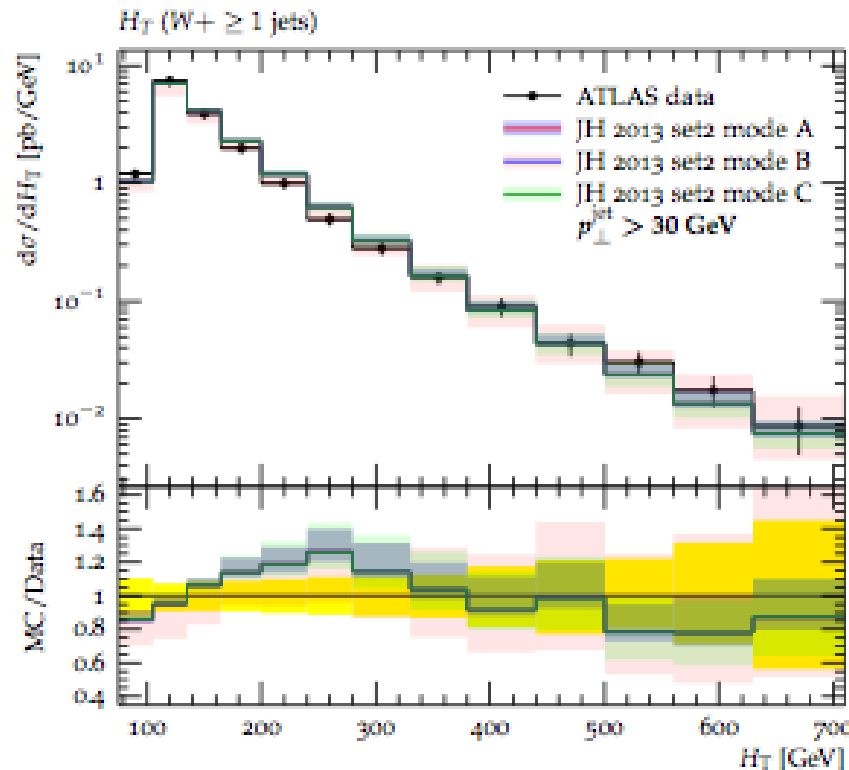
Dooling, Jung & H, Phys. Lett. B736 (2014) 293



mode A: uncertainties from renorm. scale, starting evol. scale, expt. errors

mode B: include factorization scale uncertainties

Theoretical uncertainties larger for larger H_T (increasing x) and,
at fixed H_T , for higher jet multiplicities



$$\mu^2 = m^2 + qT^2$$

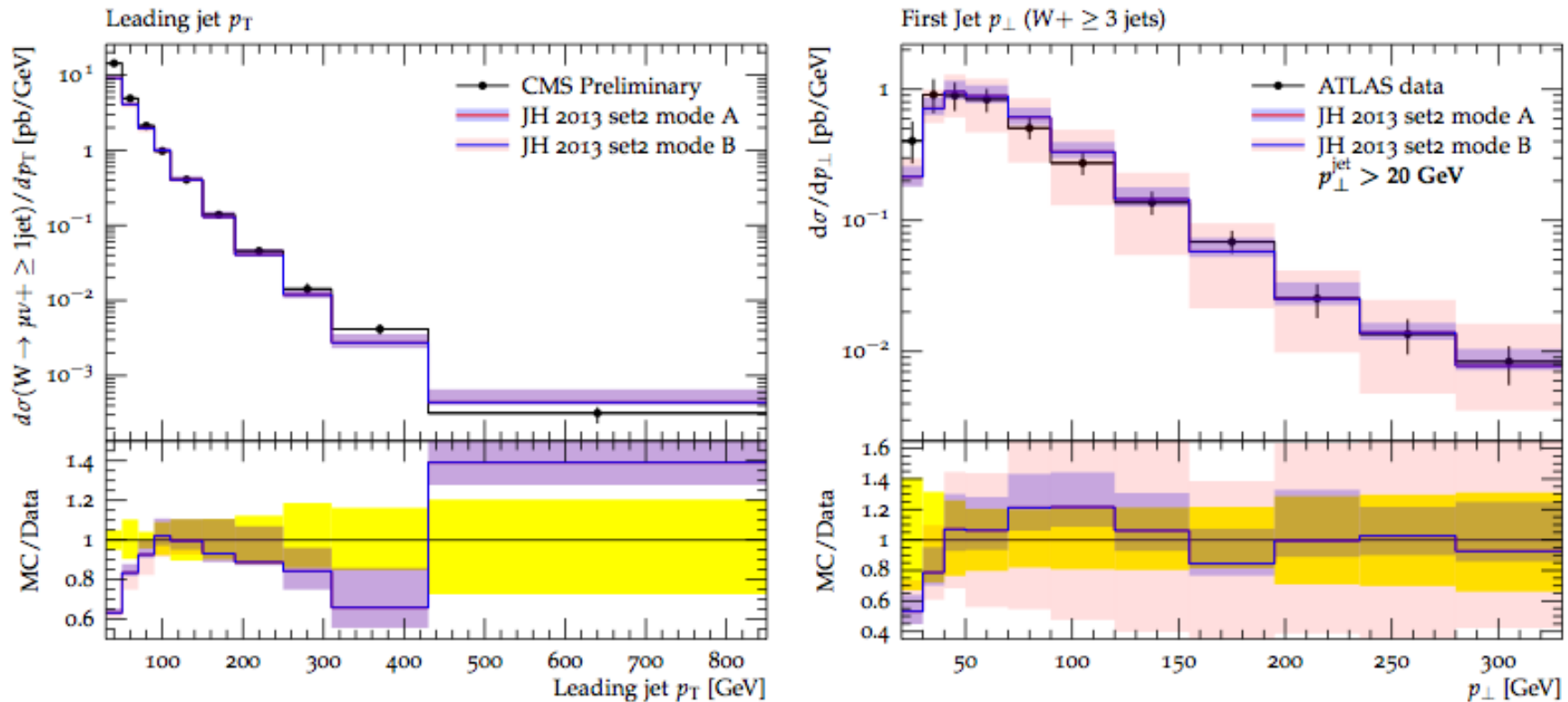
Dooling, Jung & H, Phys. Lett. B736 (2014) 293

Mode C: vary transverse part of μ^2 by factor 2 above and below central value
(more closely related to standard collinear calculations)

Mode B: include variation of longitudinal component
(more conservative estimate – unlike standard collinear approximations)

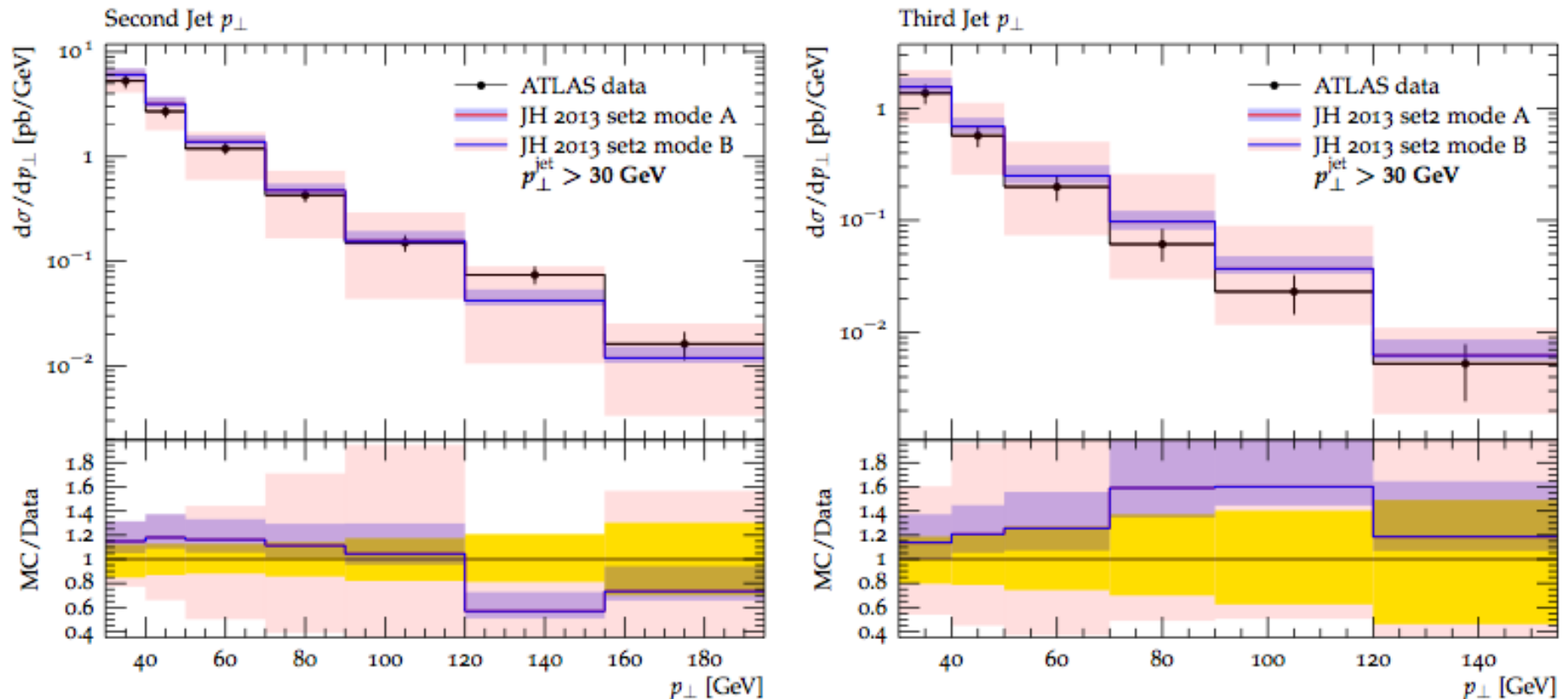
W + n jets final states at the LHC: pT spectra of the jets

Dooling, Jung & H, Phys. Lett. B 736 (2014) 293

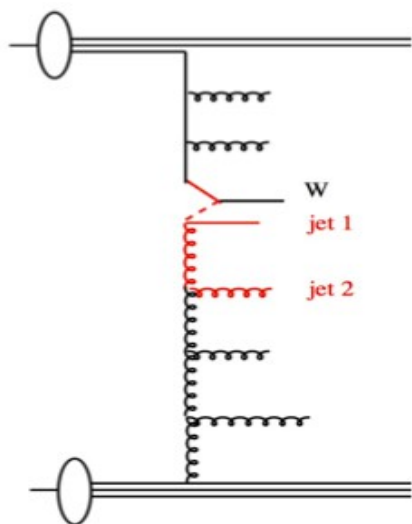


Leading jet pT: (left) inclusive; (right) $n \geq 3$

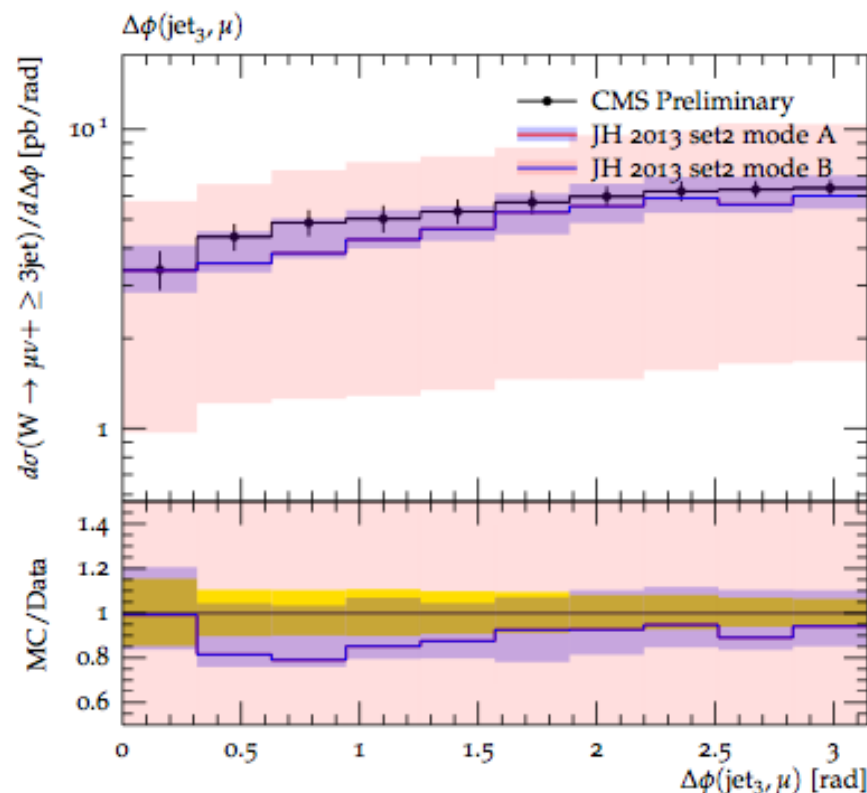
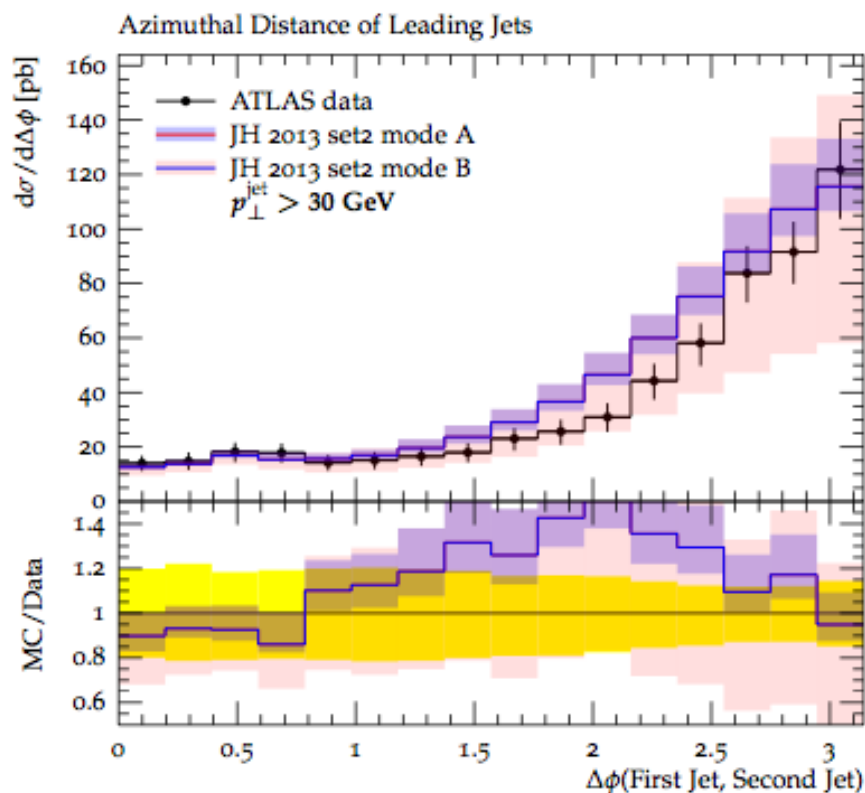
W + n jets final states at the LHC: pT spectra of subleading jets



Subleading jets: (left) second jet pT; (right) third jet pT



Angular correlations in $W + n$ jets final states



(left) Delta-phi between two hardest jets; (right) vector boson - third jet correlation

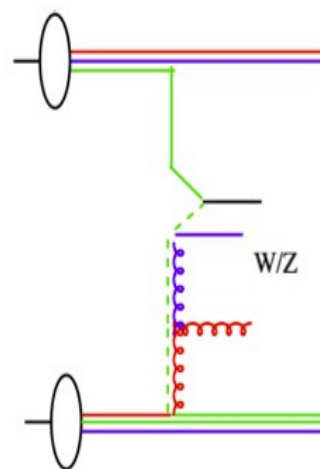
What do we gain?

- Uses of TMD pdfs + kt-dependent shower:
 - matching with $2 \rightarrow n$ off-shell parton calculations
(automated method, see van Hameren, Kotko & Kutak JHEP 1301 (2013) 078)
- Opens possibility for full LHC phenomenology of QCD, EWK and BSM processes

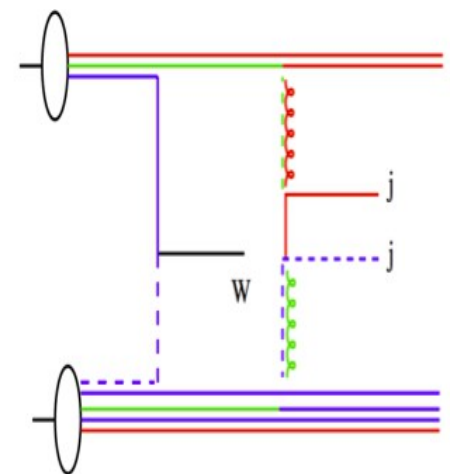
$W + 2$ jets as signal
of double parton interactions

- Influence of TMD corrections to shower evolution on analysis of DPI?

- Formalism interpolates from low p_T to high p_T
- Incorporates experimental information from high-precision DIS measurements
- Takes into account transverse momentum kinematics without approximations in the branching



Single
chain



Double
chain

How can we reduce theoretical uncertainties?

- Work in progress on TMD evolution
- Threshold resummation from shower solution

(coherent branching)

Reformulation of evolution equations

- Sea quark evolution including gluons from sea quarks:

$$\begin{aligned}
 \mathcal{S}^s(x, k_\perp, p) &= \mathcal{S}_0^s(x, k_\perp, p) \\
 &+ \int \frac{dz}{z} \int \frac{dq^2}{q^2} \Theta(p - zq) \Delta_s(p, zq) P_{qg}(z, q, k_\perp) \mathcal{A}^s\left(\frac{x}{z}, k_\perp + (1 - z)q, q\right) \\
 &+ \int \frac{dz}{z} \int \frac{dq^2}{q^2} \Theta(p - zq) \Delta_s(p, zq) P_{qq}(z, q, k_\perp) \mathcal{S}^s\left(\frac{x}{z}, k_\perp + (1 - z)q, q\right)
 \end{aligned}$$

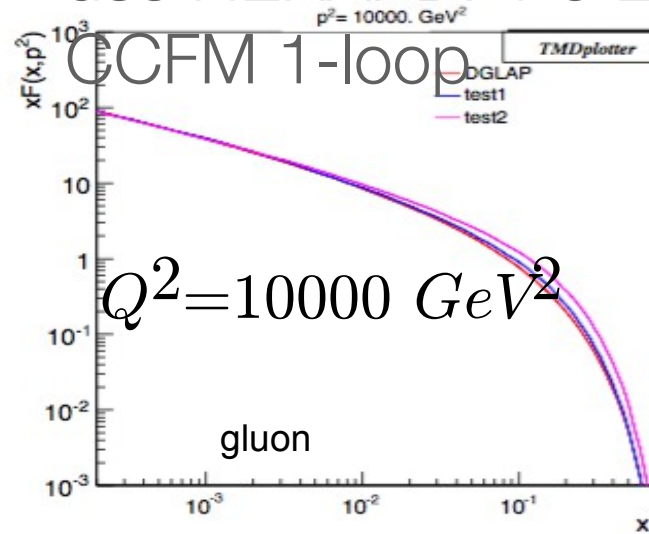
$$\begin{aligned}
 \mathcal{A}^g(x, k_\perp, p) &= \mathcal{A}_0^g(x, k_\perp, p) \\
 &+ \int \frac{dz}{z} \int \frac{dq^2}{q^2} \Theta(p - zq) \Delta_s(p, zq) P_{gg}(z, q, k_\perp) \mathcal{A}^g\left(\frac{x}{z}, k_\perp + (1 - z)q, q\right) \\
 &+ \int \frac{dz}{z} \int \frac{dq^2}{q^2} \Theta(p - zq) \Delta_s(p, zq) P_{gq}(z, q, k_\perp) \mathcal{S}^g\left(\frac{x}{z}, k_\perp + (1 - z)q, q\right)
 \end{aligned}$$

$$\begin{aligned}
 \mathcal{S}(x, k_\perp, p) &= \mathcal{S}^s(x, k_\perp, p) + \mathcal{S}^g(x, k_\perp, p) \\
 \mathcal{A}(x, k_\perp, p) &= \mathcal{A}^s(x, k_\perp, p) + \mathcal{A}^g(x, k_\perp, p)
 \end{aligned}$$

- strategy (to avoid double counting and avoid missing contributions):
 - determine 2 kernels: for gluon and sea separately

Validation of procedure with LO DGLAP evolution

- use HERAPDF1.5 LO as starting distribution, evolve using



- test1:

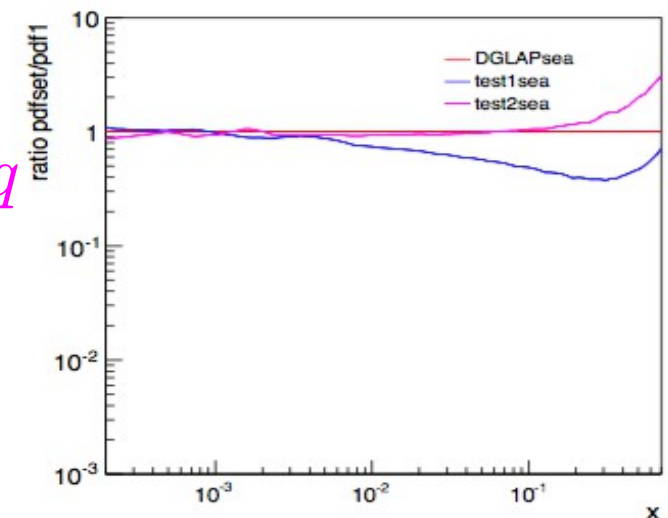
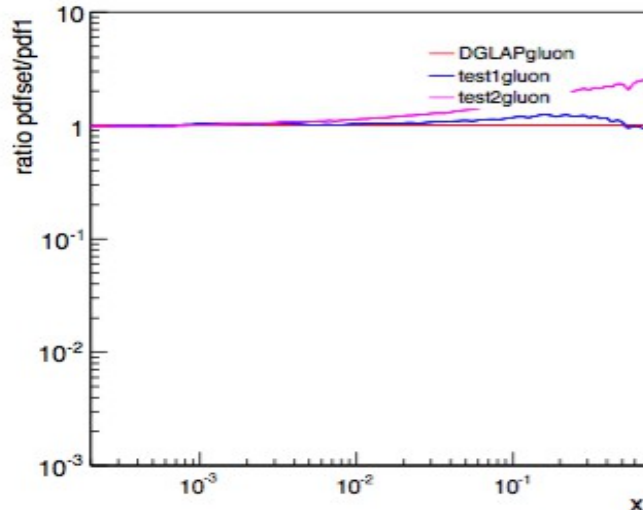
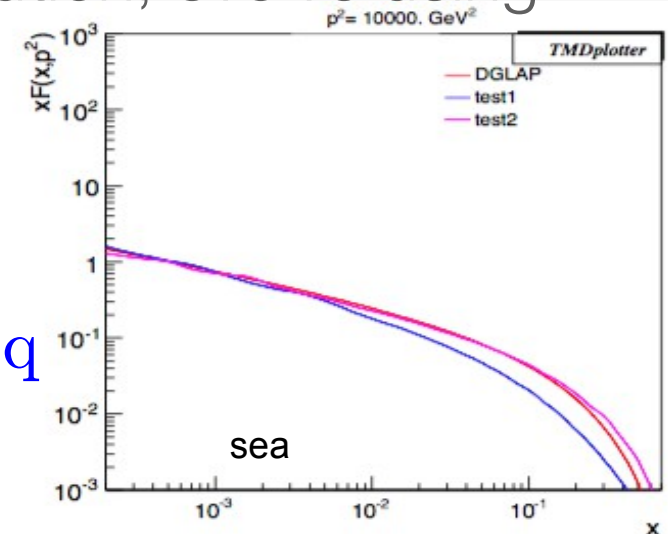
- angular ordering

$$z_{max} = 1 - (q_0/q)^2$$

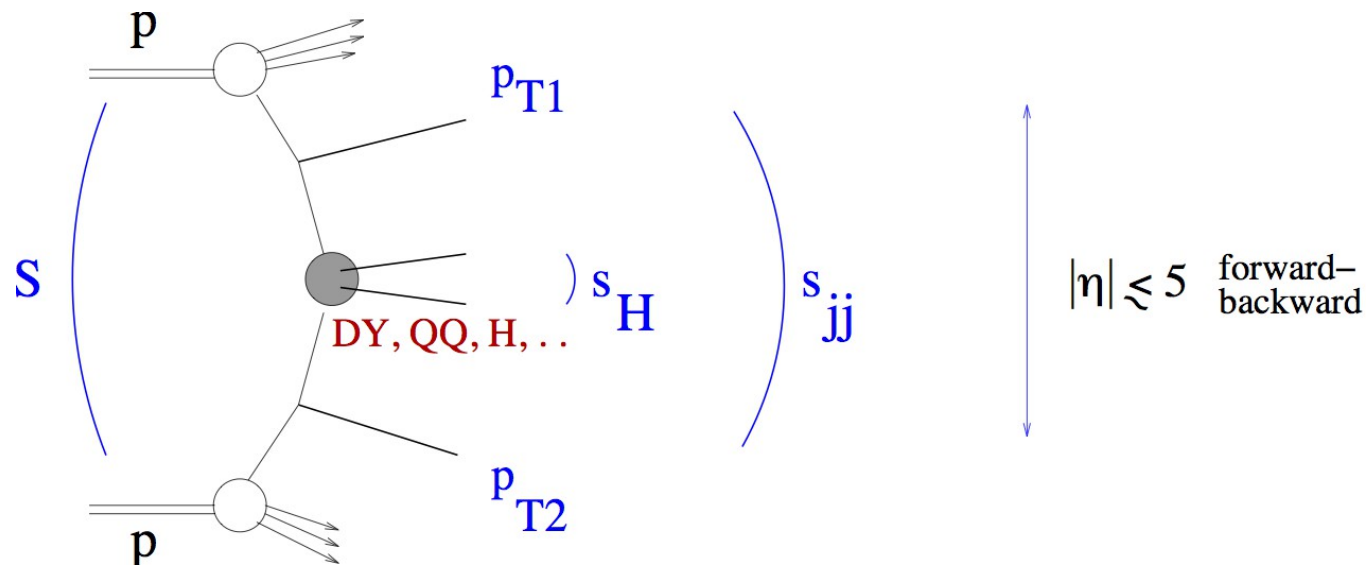
- test2:

- strict q ordering

$$z_{max} = 1 - q_0/q$$



CONCLUSION



high luminosity $\rightarrow$ high pile-up

large $s_{jj} \rightarrow$ forward/backward region $\rightarrow$ QCD resummation methods

heavy boson + jets cross sections

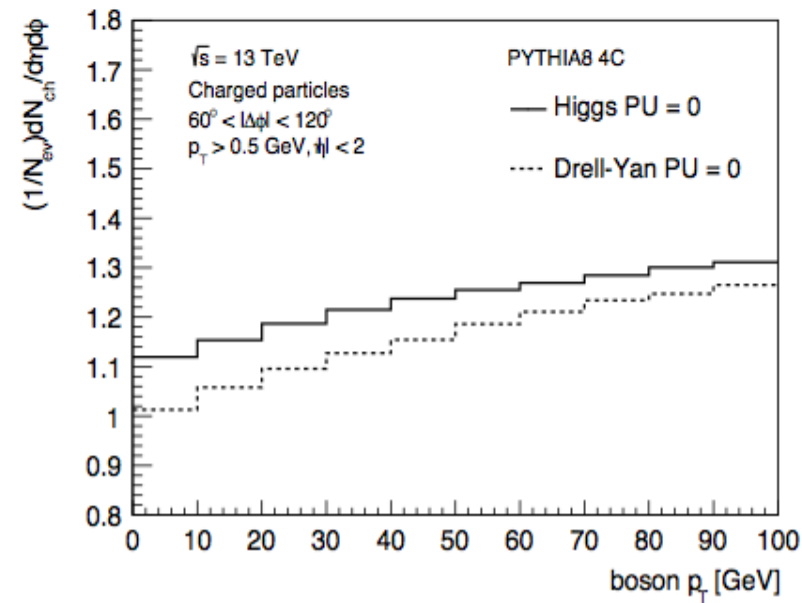
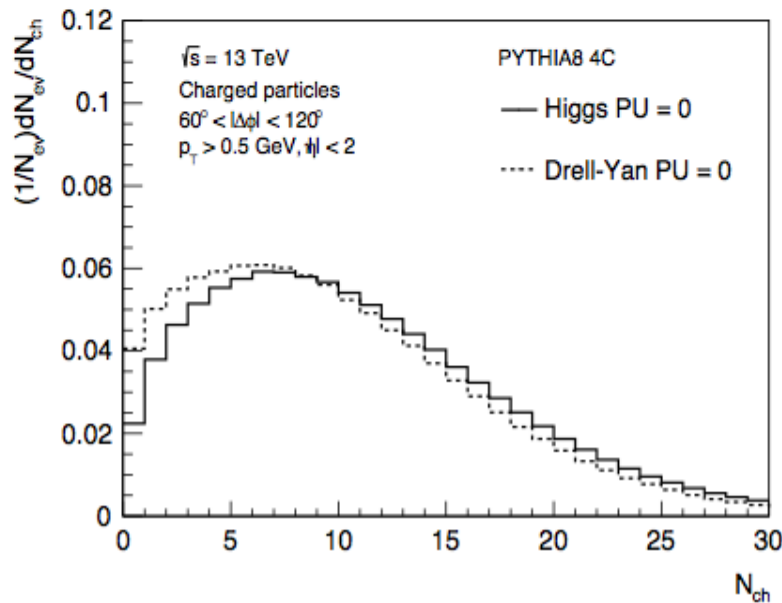
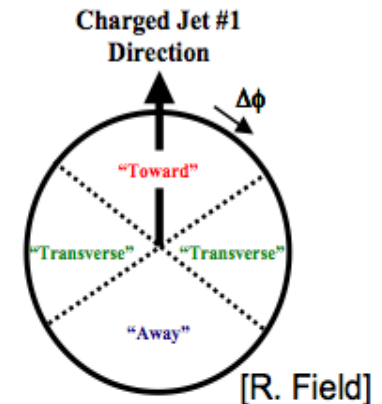
full TMD evolution and shower solution – in progress

threshold resummation by coherent branching – in progress

EXTRA SLIDES

The underlying event in high pile-up environments

- > UE studies typically measure the number of charged particles (or Σp_T) in the transverse plane
- > As function of the hard scale in the event
- > Compare UE of Higgs vs DY production
 - clean final state → only initial state radiation (ISR) + MPI
- > Can one perform UE studies in high PU environments?

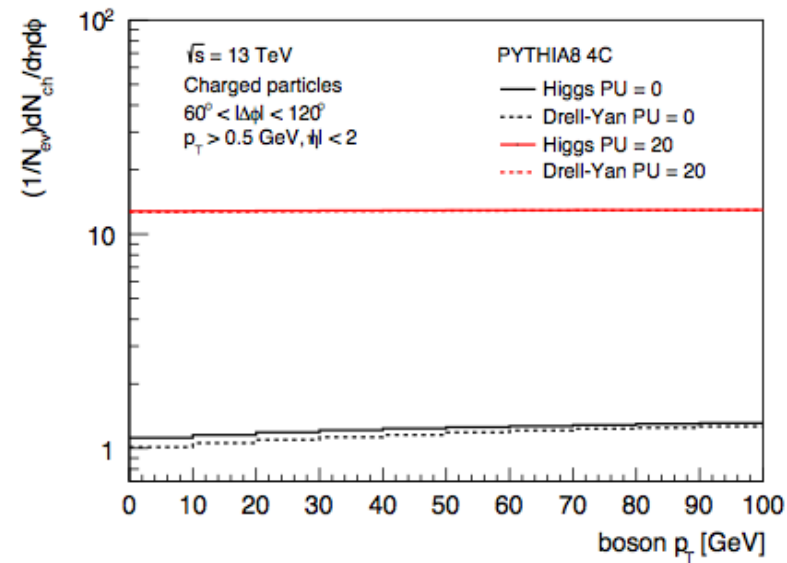
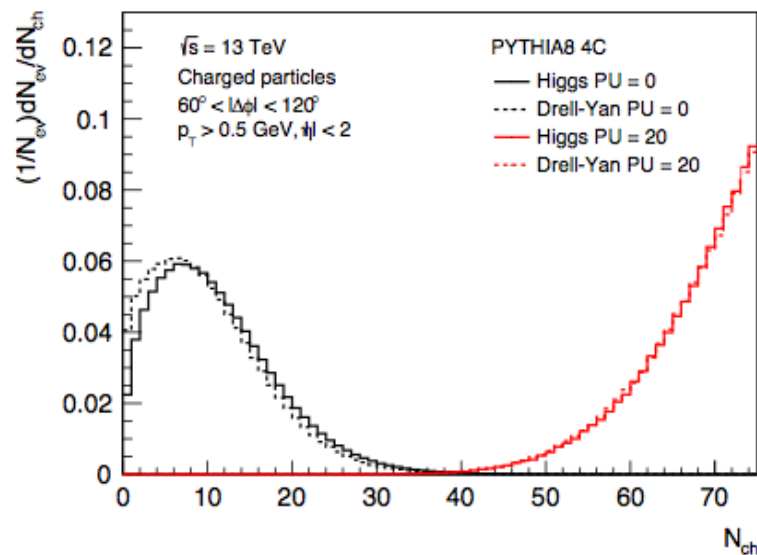
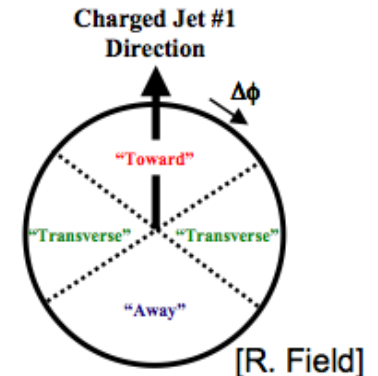


H van Haevermaet et al., in
progress

The underlying event in high pile-up environments

- > UE studies typically measure the number of charged particles (or Σp_T) in the transverse plane
- > Activity scales with number of additional PU events
- > But one can subtract PU contribution:

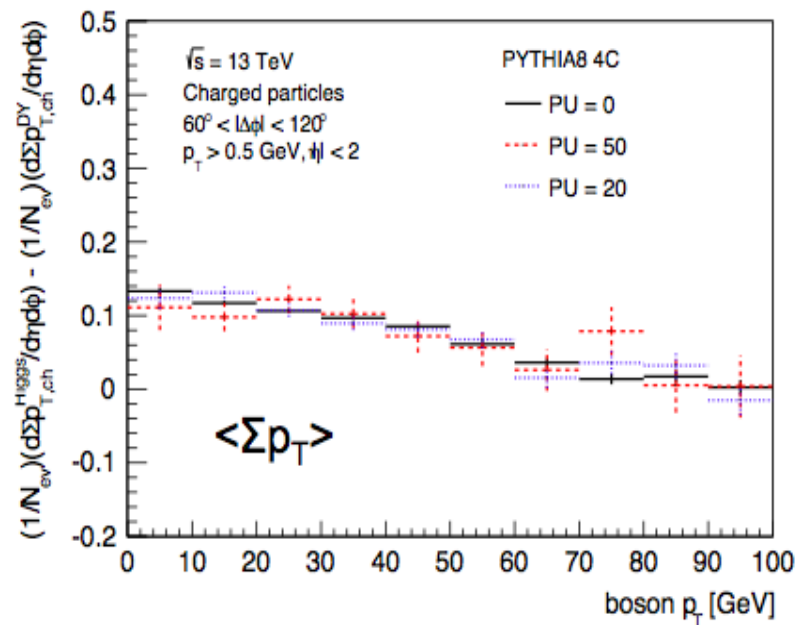
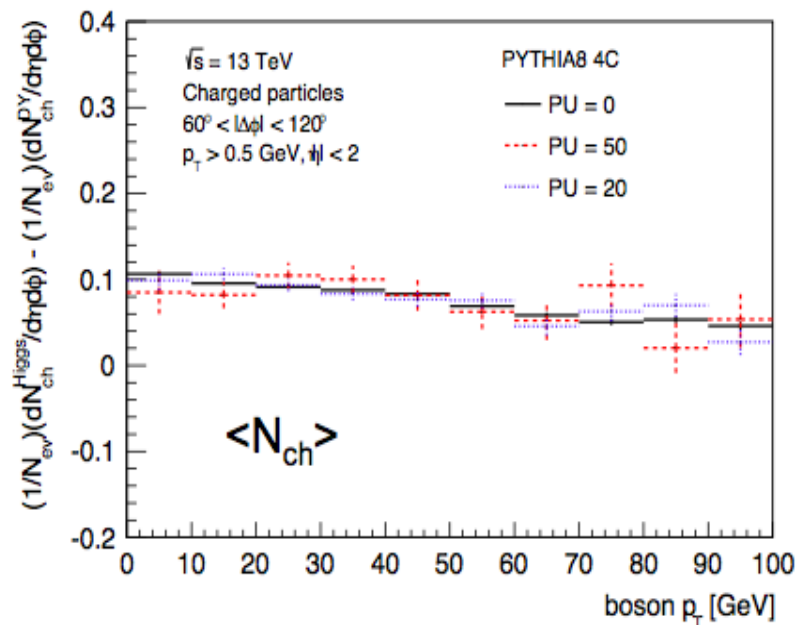
$$\frac{dn}{dp_T} (\text{H} - \text{DY}) = \frac{dn}{dp_T^{\text{H}}} + \frac{dn}{dp_T^{\text{PU}}} - \left(\frac{dn}{dp_T^{\text{DY}}} + \frac{dn}{dp_T^{\text{PU}}} \right)$$



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progress

The underlying event in high PU environments: 13 TeV

- After subtraction of activity in DY from activity in Higgs production:



- PU contribution cancels
- Access to small- p_T QCD physics
- Probe directly difference of quark vs gluon induced UE activity!
 - ➔ access to colour decomposition/structure of ISR

Conclusions

- Many interesting measurements in LHC high-luminosity runs are hampered by high pile up
- Especially topologies that exploit the correlation between final state products
 - ➔ e.g. Drell-Yan or Higgs + jet production
- Main pile-up effects present in such measurements:
 1. large bias in jet p_T due to added pile-up particles in jet cone
 - ➔ several methods exist to correct for this (e.g. CHS, PUPPI, SoftKiller)
 2. mis-tagging of high p_T jets from independent pile-up events
 - ➔ not properly treated yet
- Proposed new method of jet mixing to treat pile-up:
 - ➔ use data recorded at high pile-up
 - ➔ no Monte Carlo dependence
- Good prospects for precision SM studies & BSM searches in high pile-up