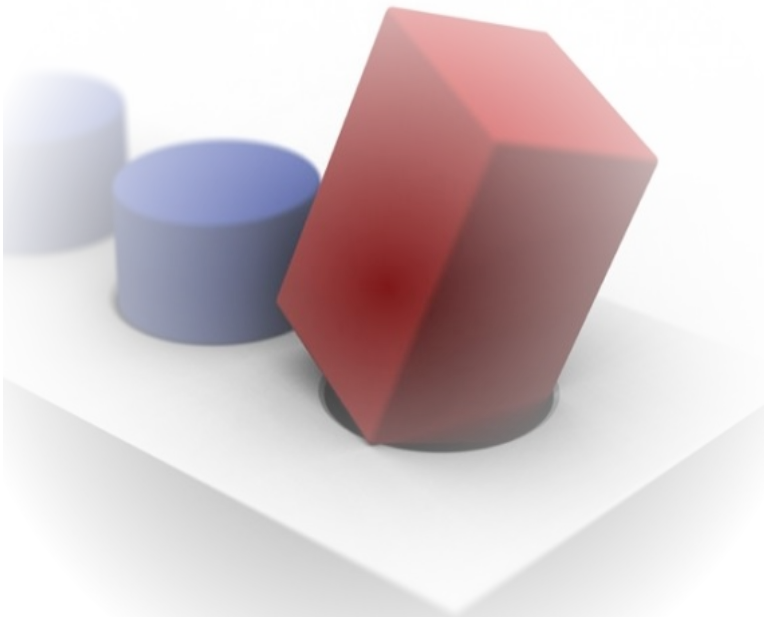


# Combined QCD and EW analysis of HERA data



I. Abt, A. Cooper-Sarkar, C. Gwenlan,  
K. Klimek, V. Myronenko

ZEUS analysis forum  
18.11.2015, Hamburg

# Analysis setup

◆ Data used in the analysis (**separate datasets**, **correlations as in HERAPDF2.0**):

- HERAI: H1 + ZEUS;
- HERAll: H1 unpol. + ZEUS pol.;
- Reduced  $E_p$  runs: H1 + ZEUS;



◆ HF scheme: GM VFNS NLO (RT OPT).

◆  $Q_{\min}^2 = 3.5 \text{ GeV}^2$ .

◆ PDFs parametrised with **13p (HERAPDF2.0 -  $D\bar{U}$ )** at  $Q_0^2 = 1.9 \text{ GeV}^2$

$$xf(x) = Ax^B(1-x)^C(1+Dx+Ex^2)$$

$$xg(x), xu_v(x), xd_v(x), x\bar{U}(x), x\bar{D}(x)$$

◆ Free parameters: PDF parameters + couplings of  $Z^0$  to quarks ( $a_u, a_d, v_u, v_d$ ) or  $M_W$ .

◆ Optimal  $M_c$  and  $M_b$  and  $\alpha_s$  inherited from HERAPDF2.0.

◆ Model and parametrisation uncertainty estimation → HERAPDF2.0 strategy.

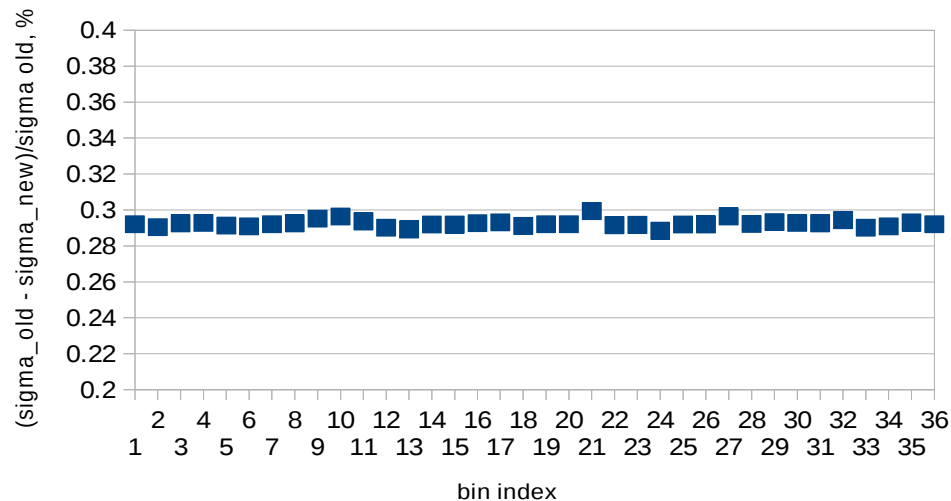
◆ Correction calculated using EPRC code:  $\Delta r^{\text{QCD}}$  order  $\alpha_s$ . No QED corrections.

# Polarisation update

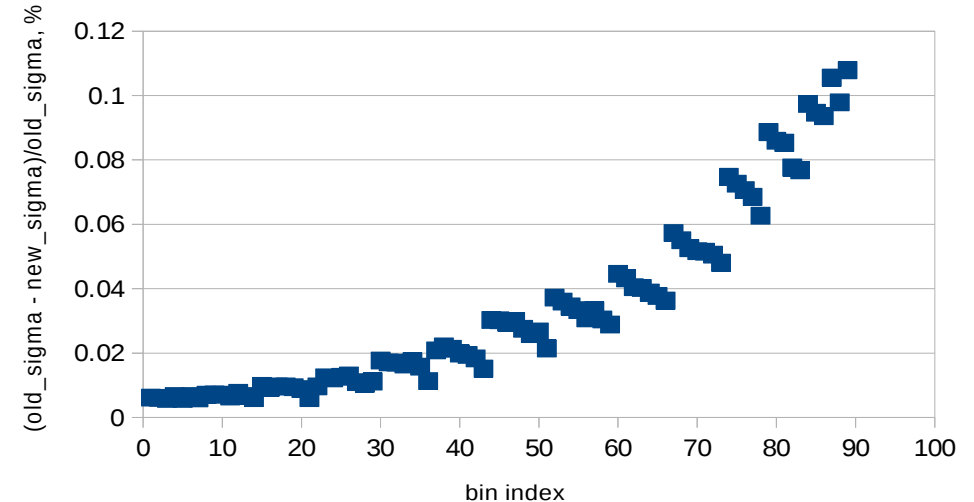
◆ Correction from QCD predictions (PDF → HERAPDF2.0)

$$\sigma_{pol}^{\pm NEW} = \frac{\sigma_{NEW P_e}^{pred}}{\sigma_{OLD P_e}^{pred}} \sigma_{pol}^{\pm OLD}$$

ZEUS CCem LH



ZEUS NCem LH



◆ Very tiny effect on the cross sections.

◆ Uncertainties due to polarisation were also estimated (treated as correlated in the analysis).

More details in dedicated talk on 07.10.2015

# Couplings of light quarks to Z boson

◆ Couplings were determined simultaneously with PDFs (**ZEUS-EW-Z**)

**SM**

$$a_u = +0.514^{+0.088}_{-0.049}(\text{exp})^{+0.036}_{-0.017}(\text{model})^{+0.061}_{-0.006}(\text{param})$$

**0.5**

$$a_d = -0.567^{+0.345}_{-0.148}(\text{exp})^{+0.115}_{-0.051}(\text{model})^{+0.106}_{-0.005}(\text{param})$$

**-0.5**

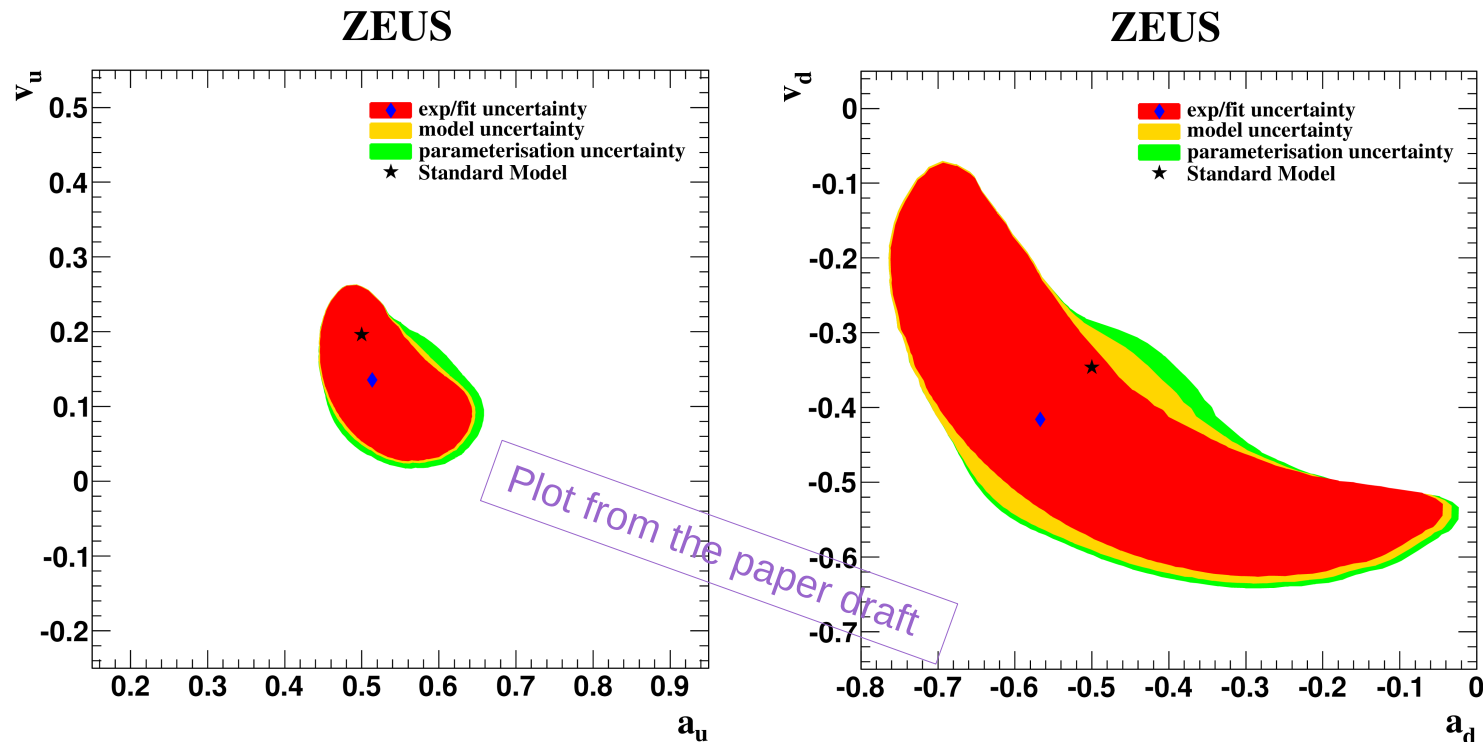
$$v_u = +0.136^{+0.093}_{-0.078}(\text{exp})^{+0.015}_{-0.027}(\text{model})^{+0.000}_{-0.039}(\text{param})$$

**0.196**

$$v_d = -0.416^{+0.249}_{-0.168}(\text{exp})^{+0.042}_{-0.083}(\text{model})^{+0.000}_{-0.044}(\text{param})$$

**-0.346**

◆ 2D uncertainties were also evaluated.



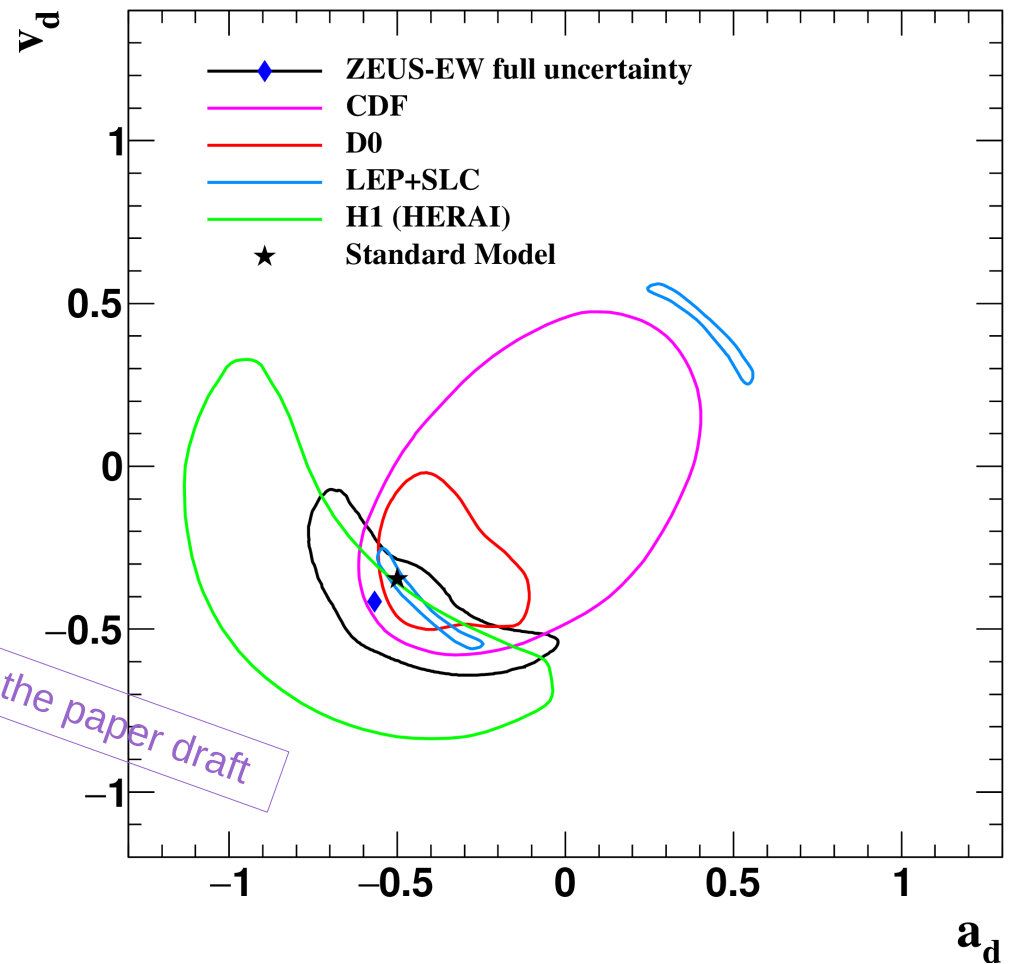
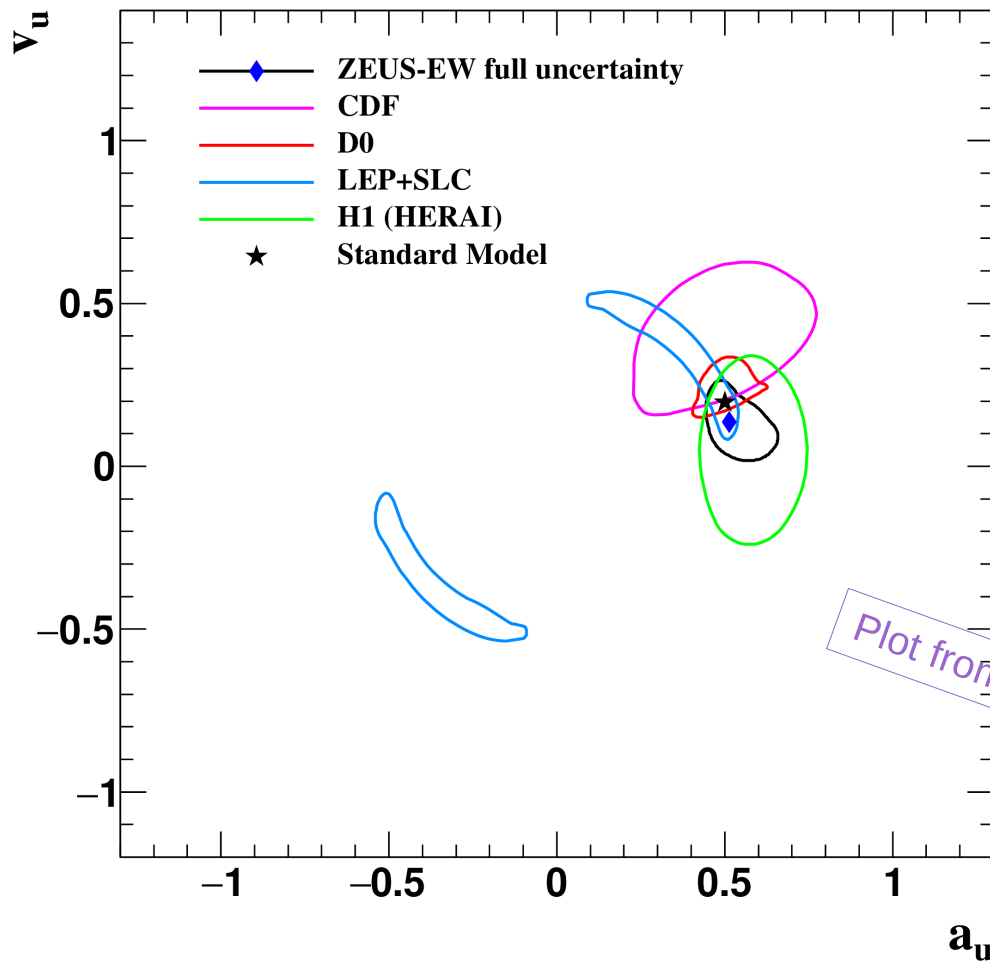
Mod/par variations in backup

# Couplings of light quarks to Z boson

◆ ZEUS-EW-Z results are compatible with previous measurements

ZEUS

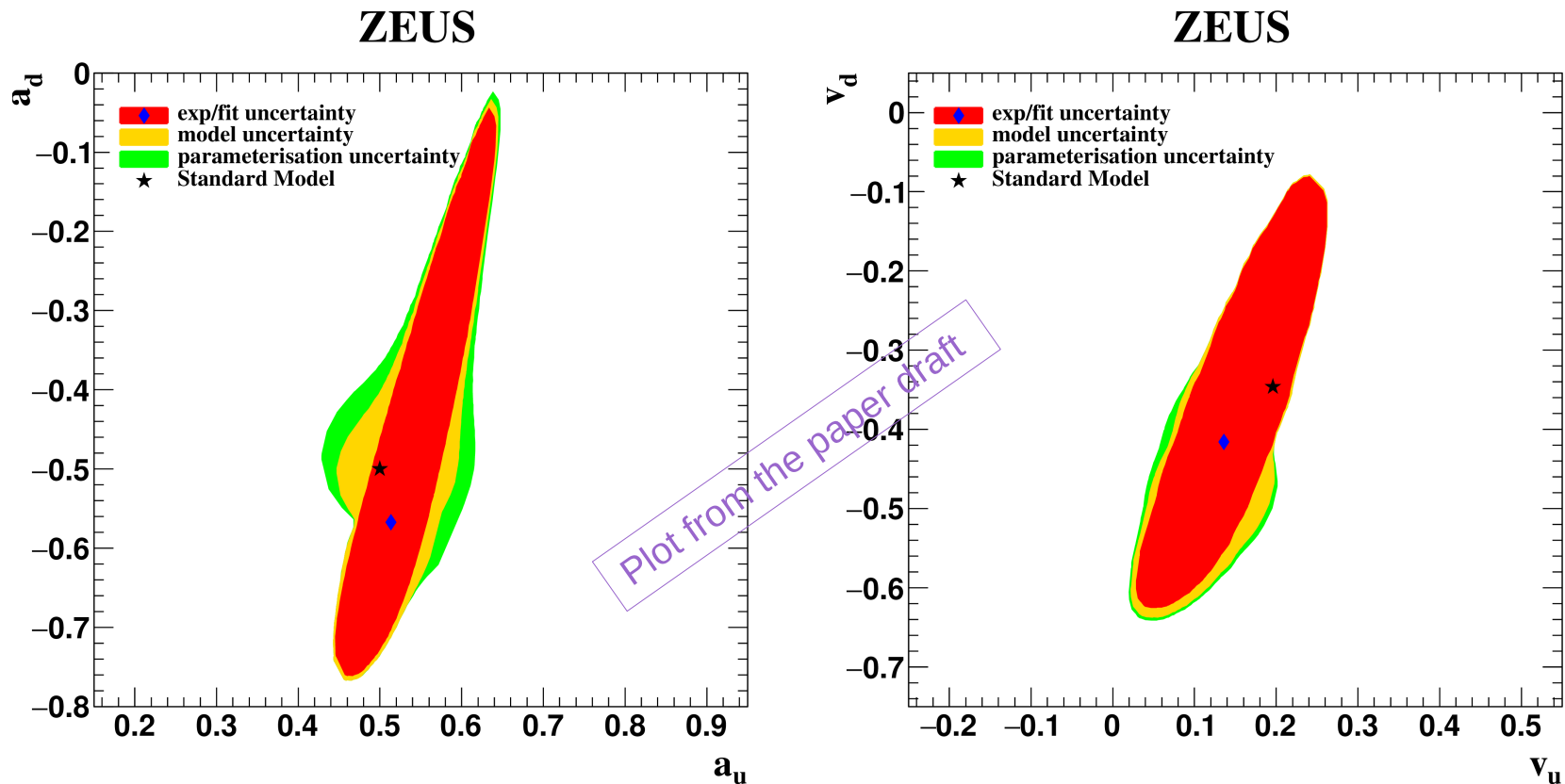
ZEUS



Comparison of numerical values in backup

# Couplings of light quarks to Z boson

- ➡ Couplings in the fit show pretty high correlation
- ➡ Correlation of couplings to PDF parameters is weak (see also slides 9 and 10)

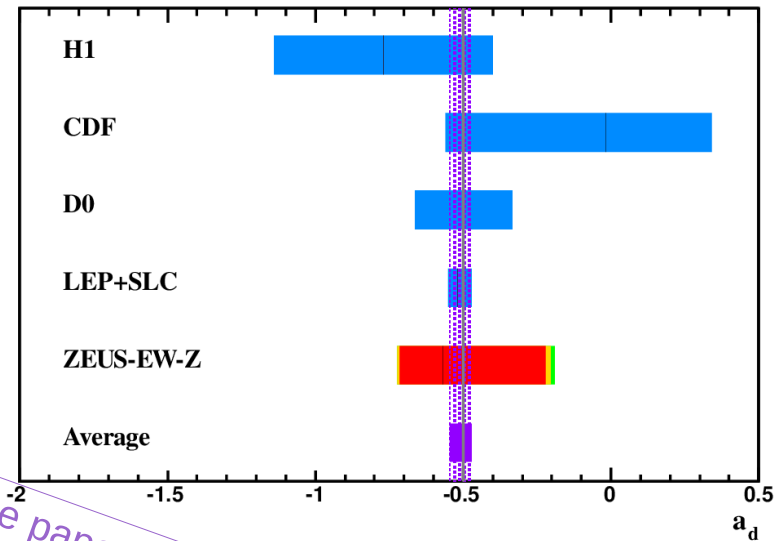
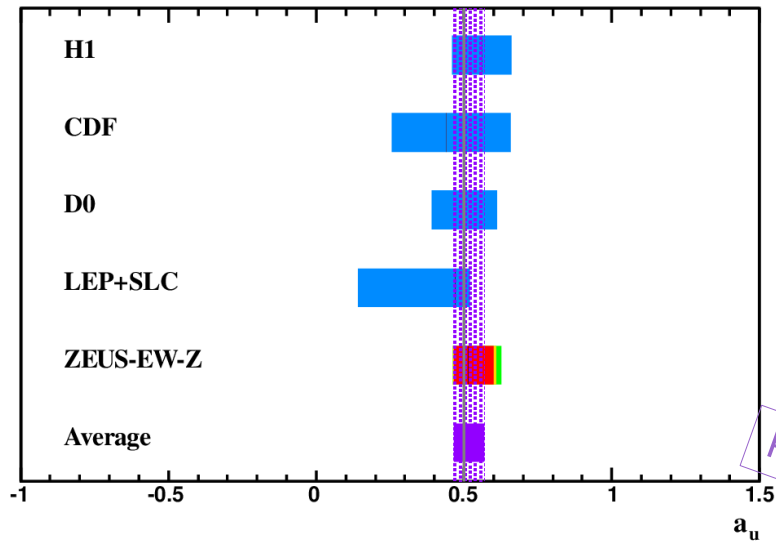


	$a_u$	$a_d$	$v_u$	$v_d$
$a_u$	1.000	0.879	-0.604	-0.753
$a_d$	0.879	1.000	-0.692	-0.900
$v_u$	-0.604	-0.692	1.000	0.871
$v_d$	-0.753	-0.900	0.871	1.000

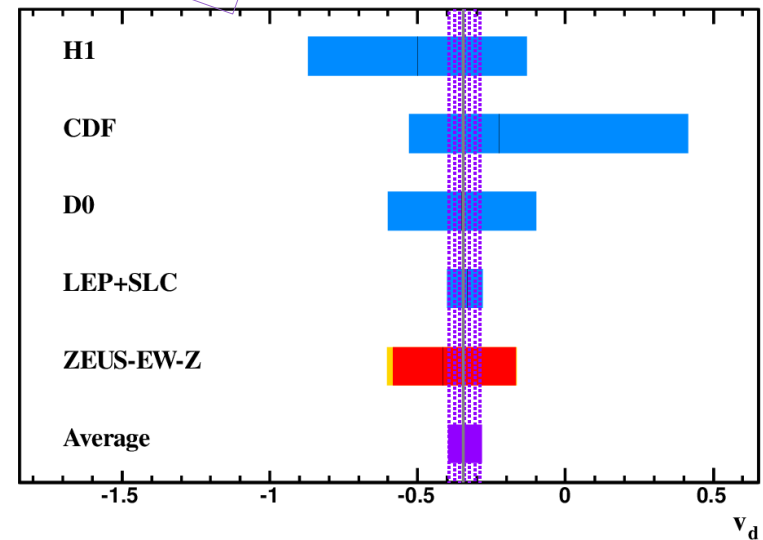
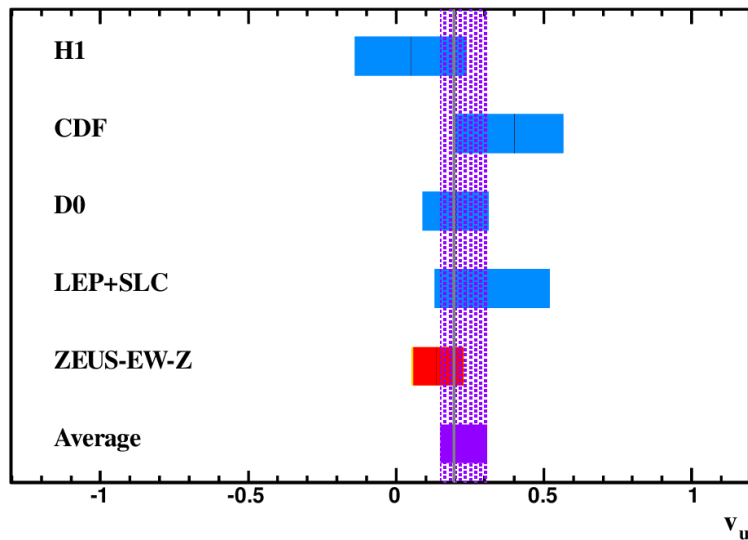
Full correlation table in backup

# Couplings of light quarks to Z boson

ZEUS



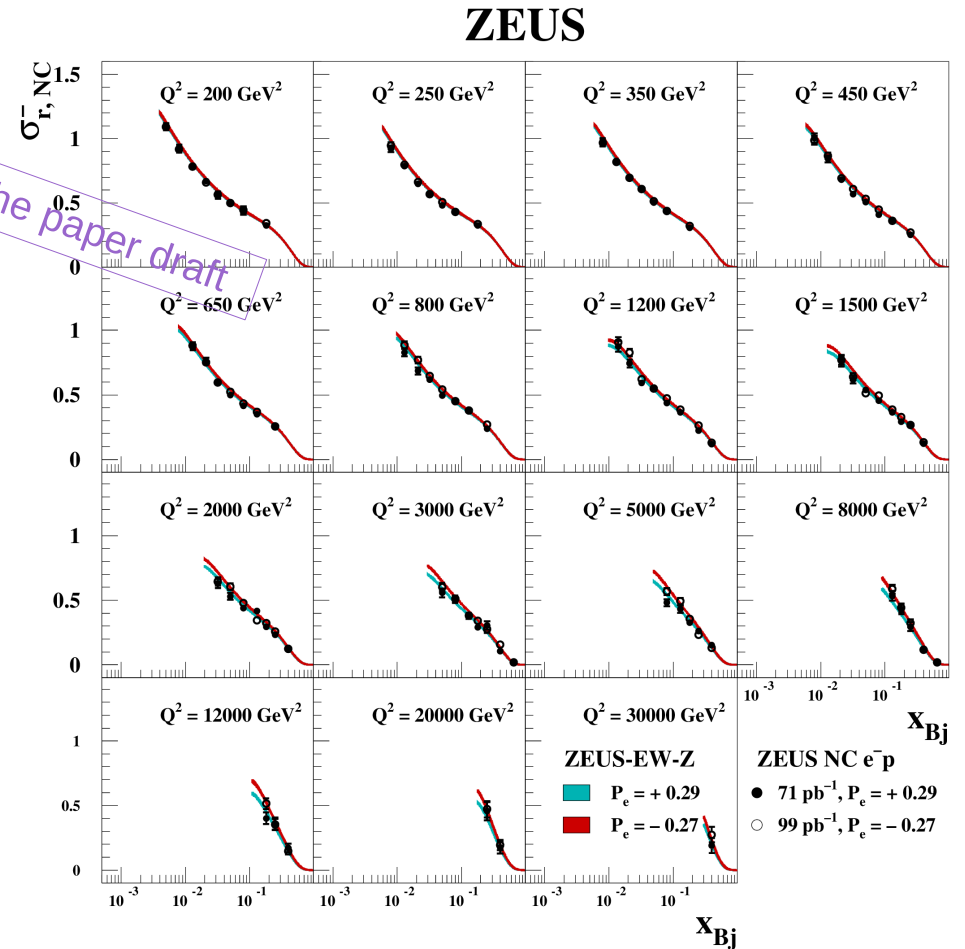
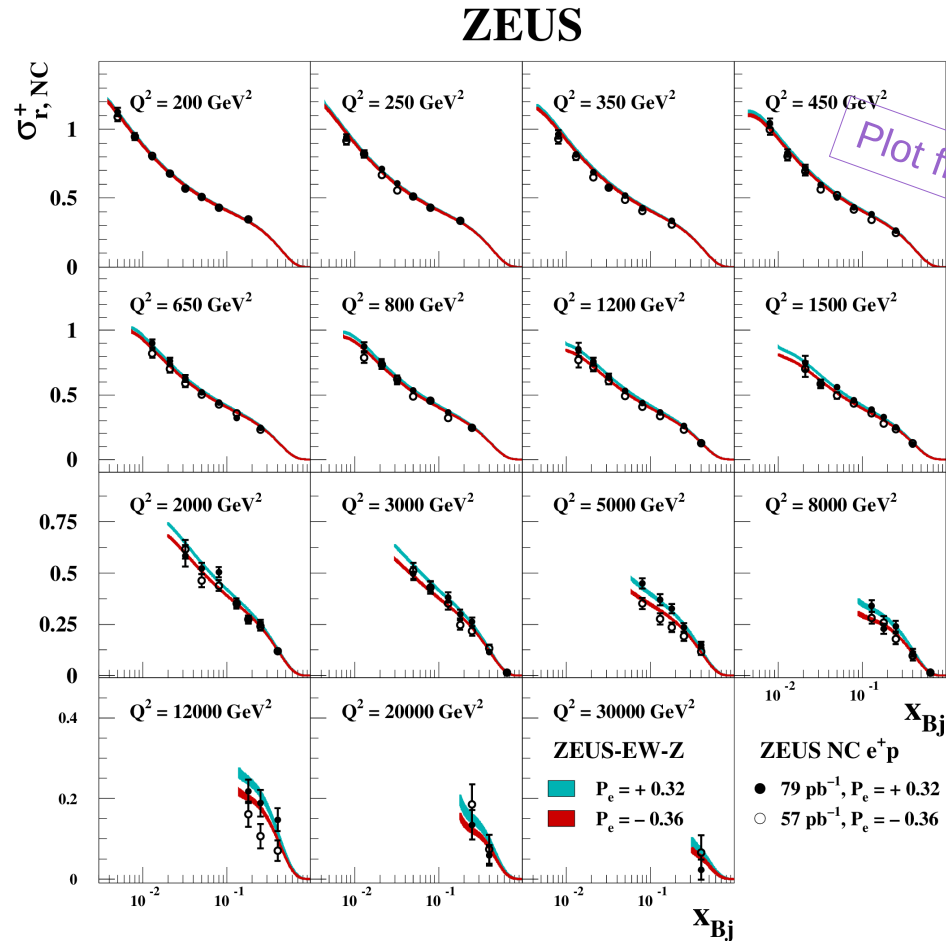
Plot from the paper draft




Naive averaging shows, ZEUS-EW-Z measurements are so far the most precise for u-quarks.

# Data description (ZEUS-EW-Z)

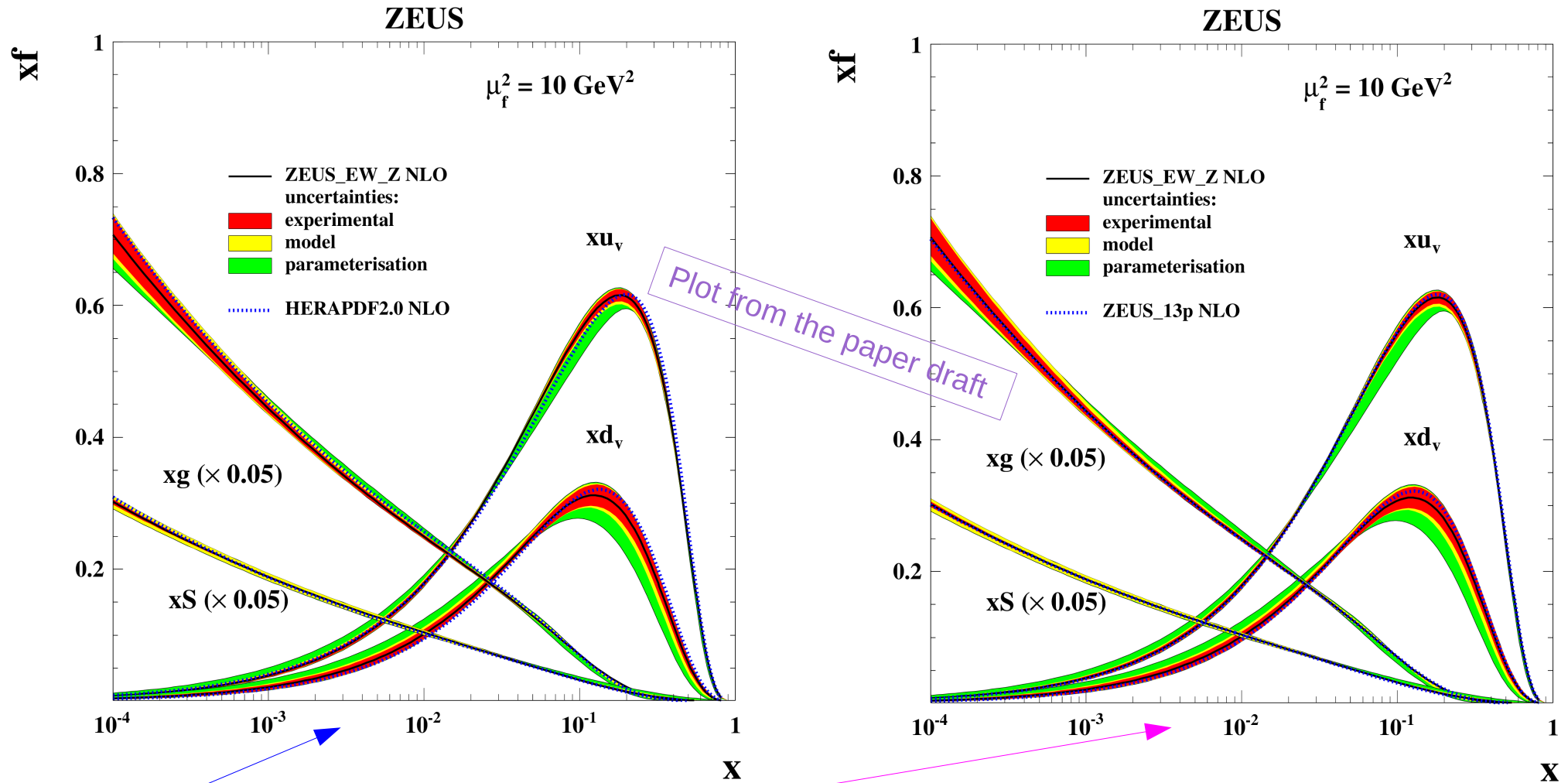
 Fitted predictions describe data very well.



  $\chi^2 = 3269 / 2925 = 1.118$



# Effect of coupling determination on PDFs



HERAPDF2.0 and ZEUS-13p PDFs with couplings set to SM agree with ZEUS-EW-Z PDFs.

PDFs do not absorb any non-SM effects which could show up in EW couplings.

# Effect of PDFs determination on couplings

◆ Couplings, fitted at fixed PDFs are well compatible with those from ZEUS-EW-Z fit.

	$a_u$	exp	tot	$a_d$	exp	tot	$v_u$	exp	tot	$v_d$	exp	tot
EW-Z	+.514	+.088 -.049	+.113 -.052	-.567	+.345 -.148	+.379 -.157	+.136	+.093 -.078	+.094 -.091	-.416	+.249 -.168	+.252 -.193
13p+Z	+.497	+.075 -.034		-.582	+.303 -.110		+.138	+.081 -.078		-.407	+.221 -.176	
HPDF+Z	+.486	+.061 -.034		-.634	+.239 -.110		+.149	+.078 -.078		-.357	+.220 -.194	
SM	+.500			-.500			+.196			-.346		

◆ Differences in the experimental uncertainties can give a rough estimate of PDF uncertainties in the measurement.

# Cross-checks: HERAFitter vs ZEUSFitter

Parameter	HF Volodymyr	HF Katarzyna	ZF Amanda
'Bg'	$-0.068 \pm 0.074$	$-0.068 \pm 0.085$	$-0.07 \pm 0.13$
'Cg'	$8.50 \pm 0.84$	$8.50 \pm 0.84$	$8.5 \pm 1.1$
'Aprig'	$1.41 \pm 0.60$	$1.41 \pm 0.62$	$1.35 \pm 0.53$
'Bprig'	$-0.158 \pm 0.058$	$-0.158 \pm 0.064$	$-0.16 \pm 0.12$
'Cprig'	25.00	25.00	25.00
'Buv'	$0.742 \pm 0.026$	$0.742 \pm 0.026$	$0.737 \pm 0.026$
'Cuv'	$4.698 \pm 0.089$	$4.698 \pm 0.089$	$4.675 \pm 0.088$
'Euv'	$9.2 \pm 1.3$	$9.2 \pm 1.3$	$9.2 \pm 1.2$
'Bdv'	$0.763 \pm 0.077$	$0.763 \pm 0.077$	$0.741 \pm 0.076$
'Cdv'	$4.38 \pm 0.33$	$4.38 \pm 0.33$	$4.34 \pm 0.35$
'CUbar'	$3.56 \pm 0.48$	$3.56 \pm 0.48$	$3.61 \pm 0.50$
'ADbar'	$0.1976 \pm 0.0088$	$0.1976 \pm 0.0088$	$0.1959 \pm 0.0091$
'BDbar'	$-0.1583 \pm 0.0054$	$-0.1583 \pm 0.0054$	$-0.1586 \pm 0.0055$
'CDbar'	$4.1 \pm 1.1$	$4.1 \pm 1.1$	$3.6 \pm 1.1$
'alphas'	0.1180	0.1180	0.1180
'fs'	0.4000	0.4000	0.4000
'auEW'	$0.514 \pm 0.057$	$0.514 \pm 0.057$	$0.520 \pm 0.064$
'adEW'	$-0.57 \pm 0.21$	$-0.57 \pm 0.21$	$-0.55 \pm 0.23$
'vuEW'	$0.136 \pm 0.084$	$0.136 \pm 0.084$	$0.136 \pm 0.087$
'vdEW'	$-0.42 \pm 0.21$	$-0.42 \pm 0.21$	$-0.41 \pm 0.23$
Fit status	converged	converged	undefined
Uncertainties	migrad-hesse	migrad-hesse	migrad-hesse
Total $\chi^2$ / dof	3270 / 2925	3270 / 2925	3269 / 2925

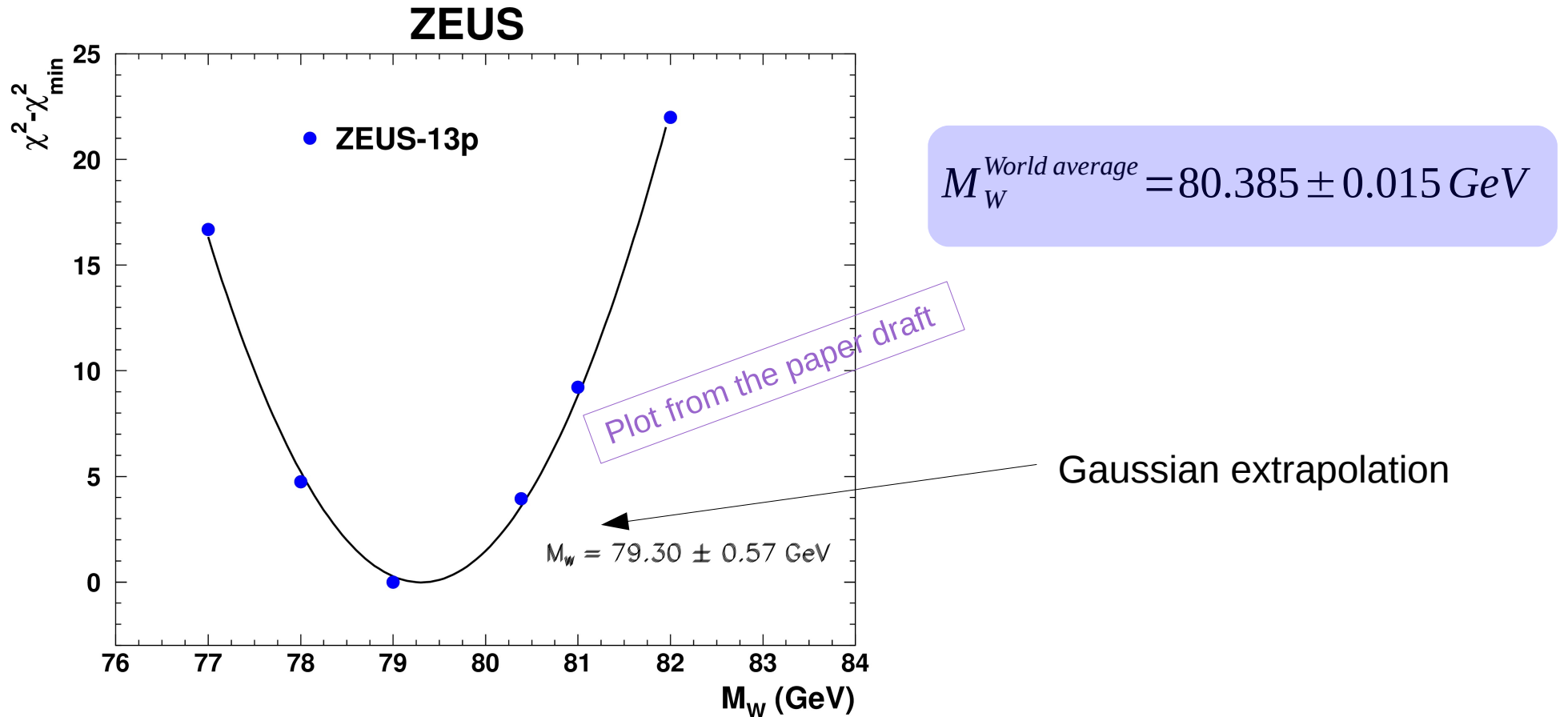
Very close results from different codes.

PDF comparison @ 1.9GeV<sup>2</sup> in backup

# Mass of W boson

◆ Mass of W boson was determined simultaneously with PDFs (**ZEUS-EW-W**)

$$M_W = 79.20 \pm 0.56(\text{exp}) \pm_{-0.18}^{+0.06}(\text{model}) \pm_{-0.60}^{+0.02}(\text{param}) \text{ GeV}$$

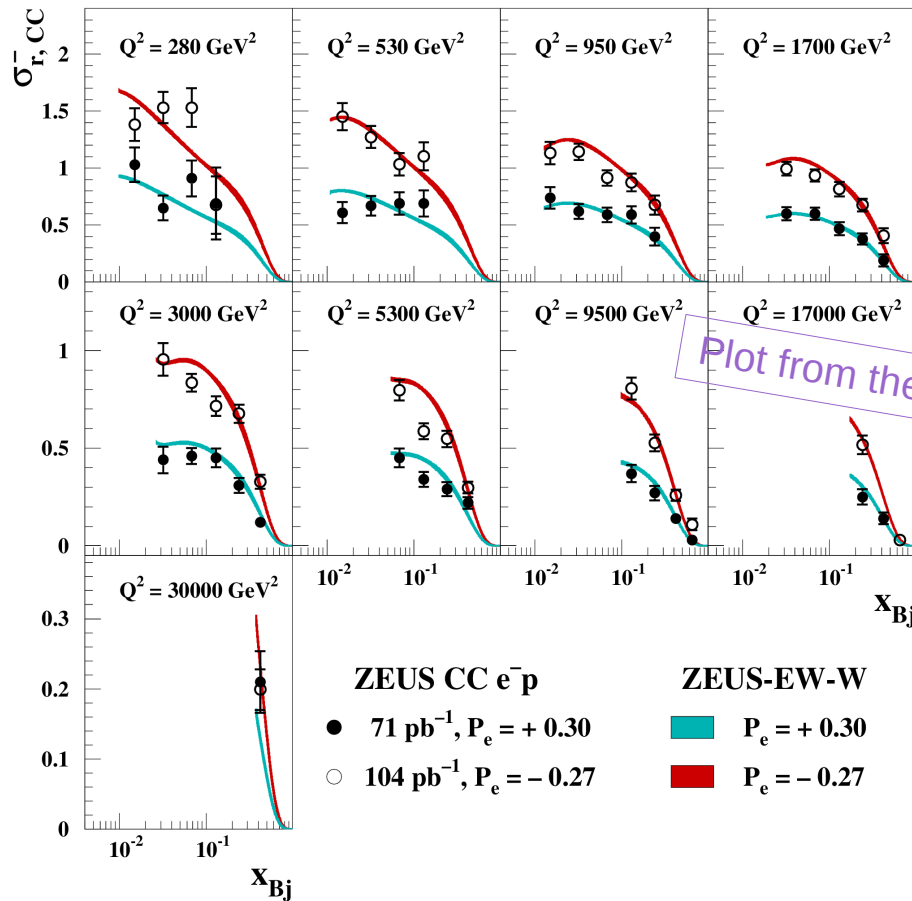


◆  $M_W$  from ZEUS-EW-W is consistent with current world average.

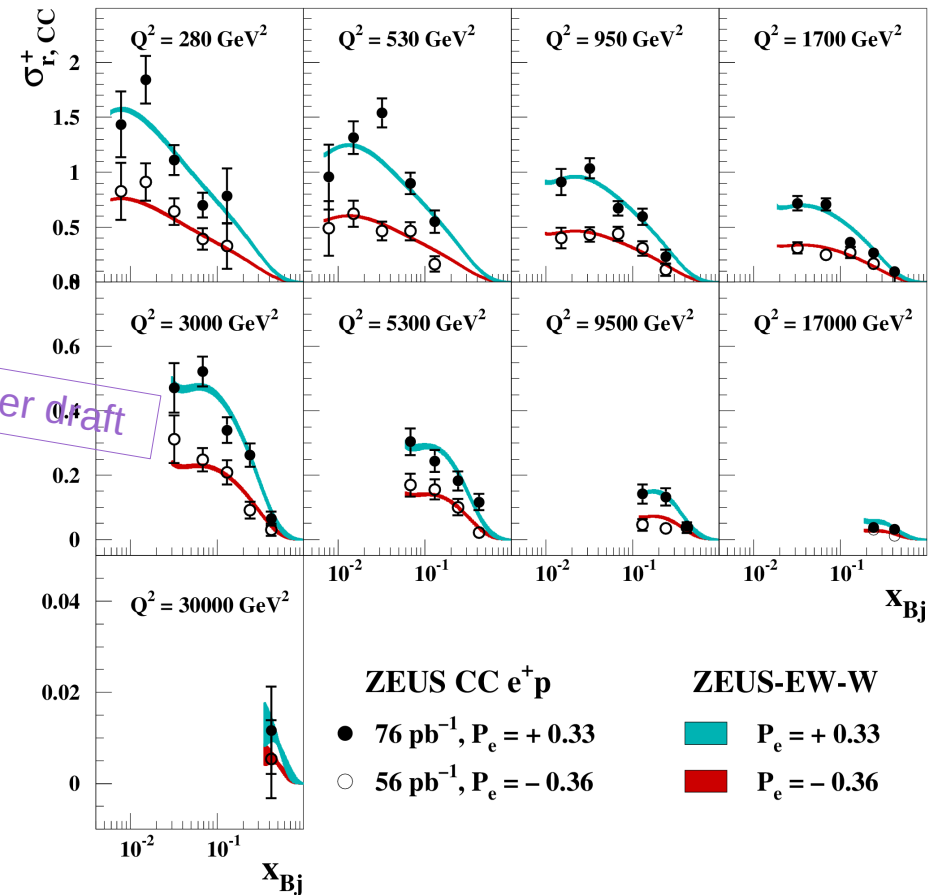
# Data description (ZEUS-EW-W)

◆ Fitted predictions describe data very well.

ZEUS

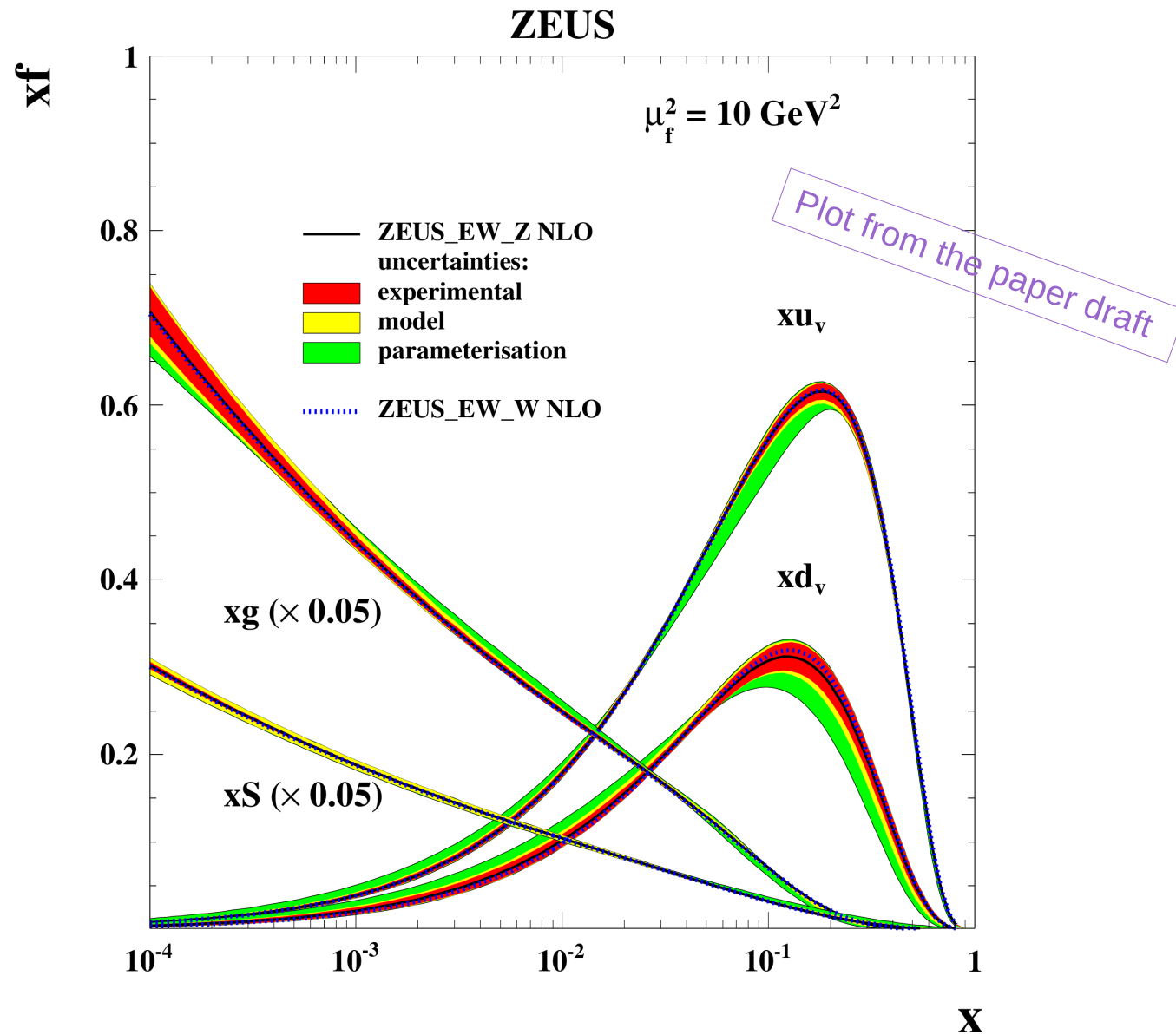


ZEUS



◆  $\chi^2 = 3268 / 2928 = 1.118$

# ZEUS-EW-Z vs ZEUS-EW-W

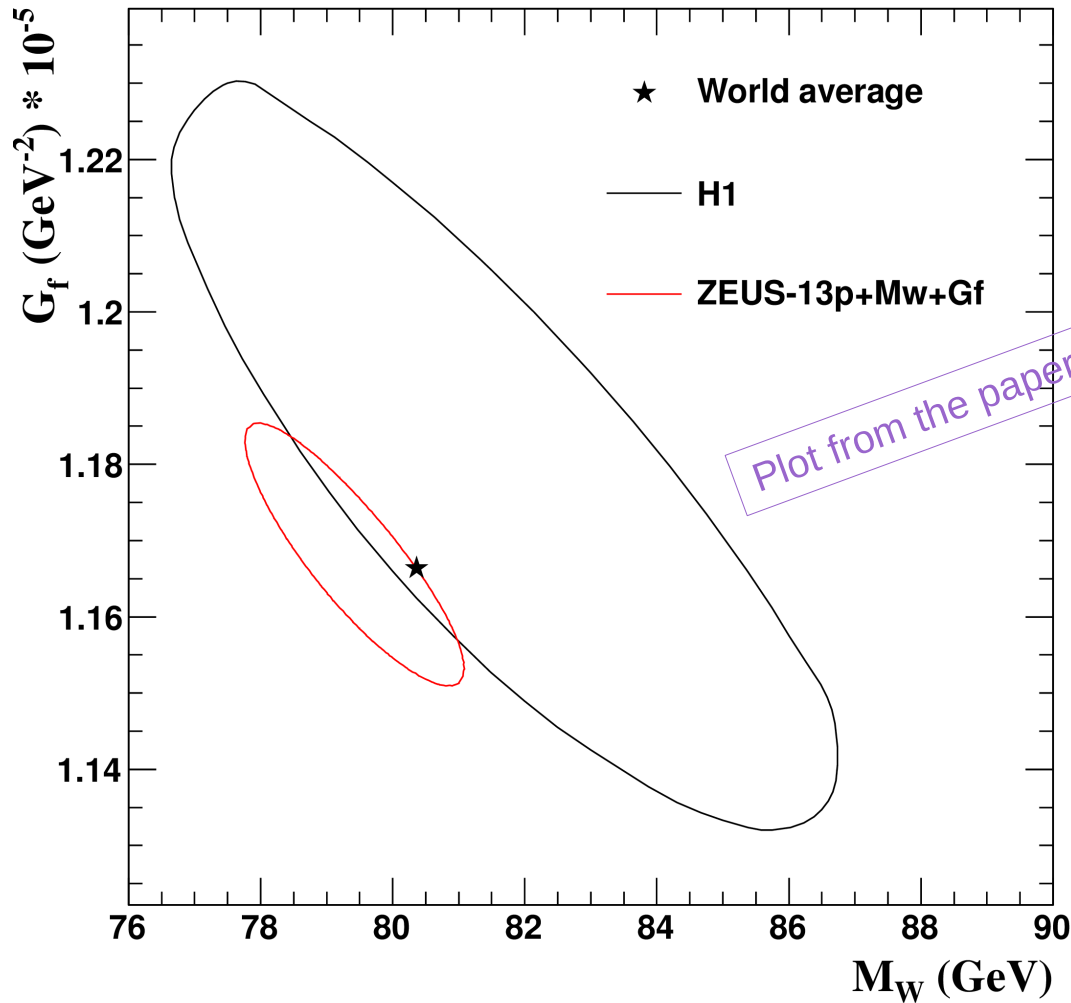


PDFs from ZEUS-EW-Z and ZEUS-EW-W are very similar.

# $G_F$ and mass of W boson

◆  $G_F$  and mass of W boson were also determined simultaneously with PDFs

**ZEUS**



$$M_W = 79.43 \pm 1.15 (\text{exp}) \text{ GeV}$$

$$G_F = 1.1680 * 10^{-5} \pm 0.0118 (\text{exp}) \text{ GeV}^{-2}$$

$$\text{corr}(M_W, G_F) = -0.87$$

$$M_W^{\text{World average}} = 80.385 \pm 0.015 \text{ GeV}$$

$$G_F^{\text{World average}} = 1.1663787 * 10^{-5} \pm 6 * 10^{-12} \text{ GeV}^{-2}$$

◆ Fitter  $G_F$  and  $M_W$  are consistent with current world average values.

# Summary

- ◆ QCD and EW analysis of HERA data was performed.
- ◆ Couplings of light quarks to Z boson were determined (ZEUS-EW-Z).
  - Fitted couplings are consistent with SM predictions;
  - Results are compatible with those from other measurements;
  - Couplings of u-quark are constrained significantly better than those of d-quarks.
- ◆ Mass of W boson was determined (ZEUS-EW-W).
  - Fitted value of  $M_W$  is consistent with current world average;
- ◆ Mass of W boson and Fermi constant  $G_F$  were determined.
  - Fitted value of  $M_W$  and  $G_F$  are consistent with current world average values;
- ◆ Paper draft of the analysis can be found at:

<http://www.desy.de/~myronv/ZEUSEW/>



# Questions / answers

# Misha

0) I. 67-75 Do I understand correctly, that in fact we measure  $a_U$ ,  $v_U$  and  $a_D$ ,  $v_D$ , as we do to distinguish between flavours in the sea?

Yes, we can separate flavours (not in the sea though).

1) why don't we consider NNLO fit? This would be interesting at least as a cross check.

	$a_u$	$a_b$	$v_u$	$v_d$	chi2
ZEUS-EW-Z (NNLO)	0.454	-0.609	0.128	-0.452	3283
ZEUS-EW-Z	$0.514^{+0.113}_{-0.052}$	$-0.567^{+0.379}_{-0.157}$	$0.136^{+0.094}_{-0.091}$	$-0.416^{+0.252}_{-0.193}$	3269
SM	0.5	-0.5	0.196	-0.346	

NNLO fits are very unstable. In the current cross-check HESSE did not converge.

2) I'm confused about the data sample used in the analysis. From the description it is unclear to me how the polarised ZEUS data samples were used together with the HERAI+II combined data .

Data used: ZEUS and H1 HERAI data + H1 HERAI unpolarised data + ZEUS HERAI polarised data + H1 and ZEUS data from runs with reduced proton energy.

All the correlations are preserved as in the HERAPDF2.0 combination.

# Misha

3) I.189: how the 68% CL is defined? Does it cover 68% of the 2D pdf? does it correspond to  $\Delta\chi^2=1$  criteria of the 2D  $\chi^2$  (what are the values of other 2 couplings? are they frozen?)

This is basically a MINOS approach: you shift two of your parameters away from the optimal values, fix them and refit all the other parameters in the fit. In such a way one can probe the contour, along which you have  $(\chi^2 - \chi^2_{\min}) = 2.3$  (CL = 68% for 2D case).

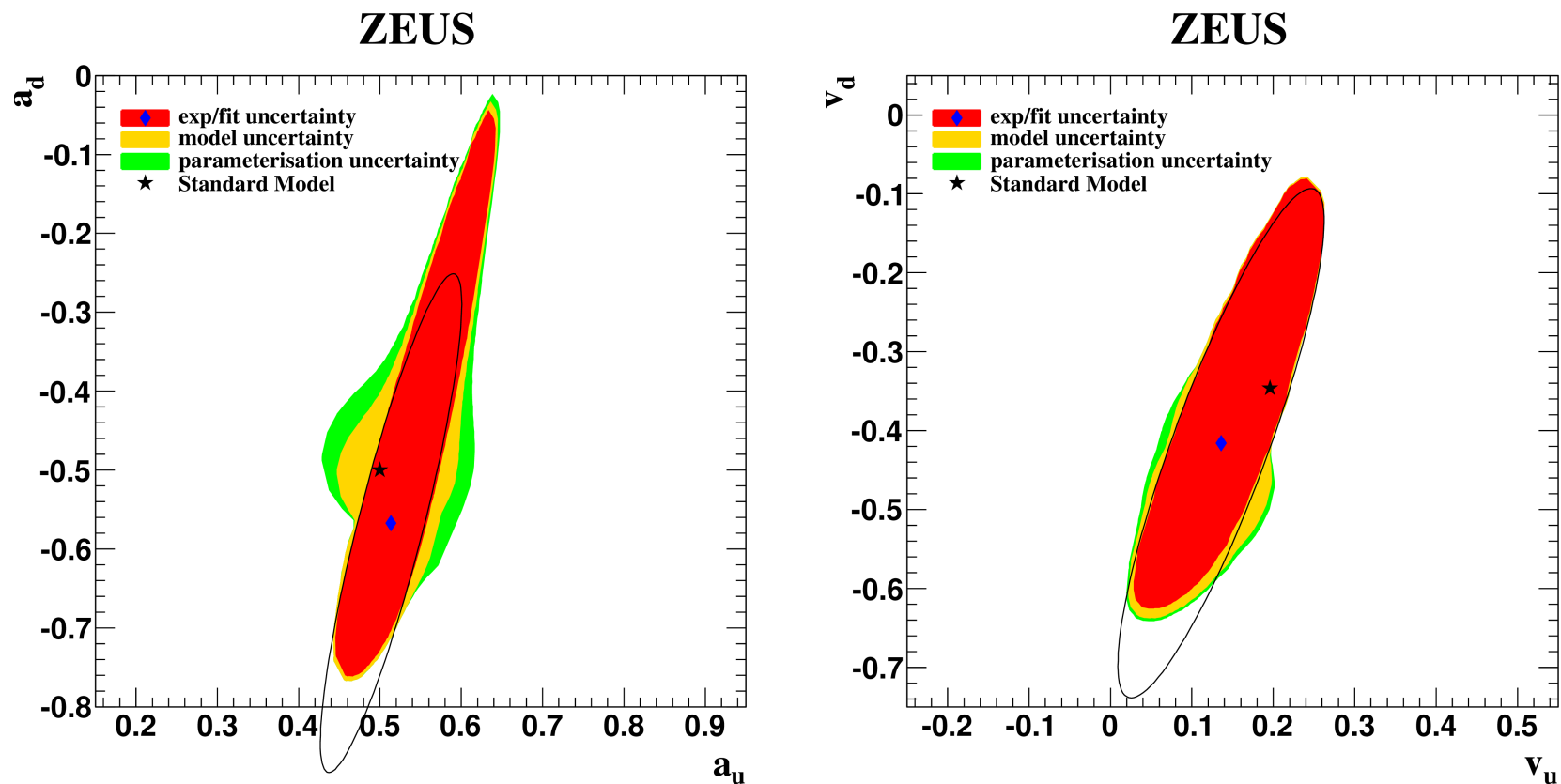
4) Fig. 7: I think we should remove the average. We know the values are correlated with each other within each other and very significantly (for us and LEP at least) and we neglect this significant correlation. We also see that some values have very asymmetric uncertainties (e.g. LEP  $a_u$  and  $v_u$ ) and we had to make some symmetrisation assumptions to use some simple average most likely.

I symmetrised measurements before averaging. however, for the u-quarks our result, as one can see is not that asymmetric, and it strongly dominates the average value. in the d-quark case it is LEP who dominates in the average and there it is also not that asymmetric. So symmetrisation here is not so significant, I guess. In addition, neglecting possible correlations between the experiments means overestimating the uncertainty of average result. This plot has just an illustrative purpose

# Misha

5) Fig. 8: please check these plots as the correlation seems to be not very significant on this plots (tilt is far from  $\sim \pi/4$ ), whereas the correlation table quotes coefficients  $\sim 0.9$ . Is it due to funny model + param. uncertainties? Can we get stat-only correlation coefficient for a visual check (not to include in the draft)?

Checked. All fine.



## Quark couplings to Z

Now consider fits to electroweak NC couplings as well as PDF parameters

The total cross-section :  $\sigma = \sigma^0 + P \sigma^P$

The unpolarised cross-section is given by  $\sigma^0 = Y_+ F_2^0 + Y_- xF_3^0$

$$F_2^0 = \sum_i A_i^0(Q^2) [xq_i(x, Q^2) + xq_i(\bar{x}, Q^2)]$$

$$xF_3^0 = \sum_i B_i^0(Q^2) [xq_i(x, Q^2) - xq_i(\bar{x}, Q^2)]$$

$$A_i^0(Q^2) = e_i^2 - 2 e_i \mathbf{v}_i \mathbf{v}_e P_Z + (\mathbf{v}_e^2 + \mathbf{a}_e^2)(\mathbf{v}_i^2 + \mathbf{a}_i^2) P_Z^2$$

$$B_i^0(Q^2) = -2 e_i \mathbf{a}_i \mathbf{a}_e P_Z + 4 \mathbf{a}_i \mathbf{a}_e \mathbf{v}_i \mathbf{v}_e P_Z^2$$

$$P_Z = \frac{1}{\sin^2 2\theta} \frac{Q^2}{(M_Z^2 + Q^2)}$$

The polarised cross-section is given by  $\sigma^P = Y_+ F_2^P + Y_- xF_3^P$

$$F_2^P = \sum_i A_i^P(Q^2) [xq_i(x, Q^2) + xq_i(\bar{x}, Q^2)]$$

$$xF_3^P = \sum_i B_i^P(Q^2) [xq_i(x, Q^2) - xq_i(\bar{x}, Q^2)]$$

$$A_i^P(Q^2) = 2 e_i \mathbf{v}_i \mathbf{a}_e P_Z - 2 \mathbf{v}_e \mathbf{a}_e (\mathbf{v}_i^2 + \mathbf{a}_i^2) P_Z^2$$

$$B_i^P(Q^2) = 2 e_i \mathbf{a}_i \mathbf{v}_e P_Z - 2 \mathbf{a}_i \mathbf{v}_i (\mathbf{v}_e^2 + \mathbf{a}_e^2) P_Z^2$$

$P_Z \gg P_Z^2$  ( $\gamma Z$  interference is dominant)  
 $\mathbf{v}_e$  is very small ( $\sim 0.04$ ).



unpolarized  $xF_3 \rightarrow \mathbf{a}_i$ ,  
 polarized  $F_2 \rightarrow \mathbf{v}_i$

# Ewald

1) I have a problem with the statement that we improve the precision of  $a_u$  and  $v_u$  by our results. Of course, as shown in fig. 7, we improve these parameters with respect to other collider experiments. However, having looked into the PDG tables I saw that the uncertainties quoted for the world averages of  $a_u$  and  $v_u$  are by a factor 2 smaller than shown in fig.7. This I would like to understand. I wonder what neutrino experiments contribute.

	$a_u$		$a_b$		$v_u$		$v_d$	
PDG (average)	0.5	$+0.04$ $-0.06$	-0.523	$+0.050$ $-0.029$	0.25	$+0.07$ $-0.06$	-0.33	$+0.05$ $-0.06$
ZEUS-EW-Z	0.514	$+0.113$ $-0.052$	-0.567	$+0.379$ $-0.157$	0.136	$+0.094$ $-0.091$	-0.416	$+0.252$ $-0.193$
SM	0.5		-0.5		0.196		-0.346	

Checked. No neutrino results on this.

PDG does its own FIT using separate measurements. Meaning our current precision CAN contribute significantly to the PDG average.

2) The electroweak coupling constants of u and d on one side and the W mass with the Fermi constant on the other have been fitted on different data sets

Both couplings of light quarks to Z-boson and mass of W-boson were fitted on the same data collection. It was ZEUS and H1 HERA I data + H1 HERA II unpolarised data + ZEUS HERA II polarised data + H1 and ZEUS data from runs with reduced proton energy.

# Erich

1)Whereas we contribute something new to the quark ew couplings, this is not the case for the W mass and G. Here our accuracy is far worse than the PDG values and our measurements have more the meaning of a consistency check. I therefore suggest to shorten this chapter fittingly.

# Backup



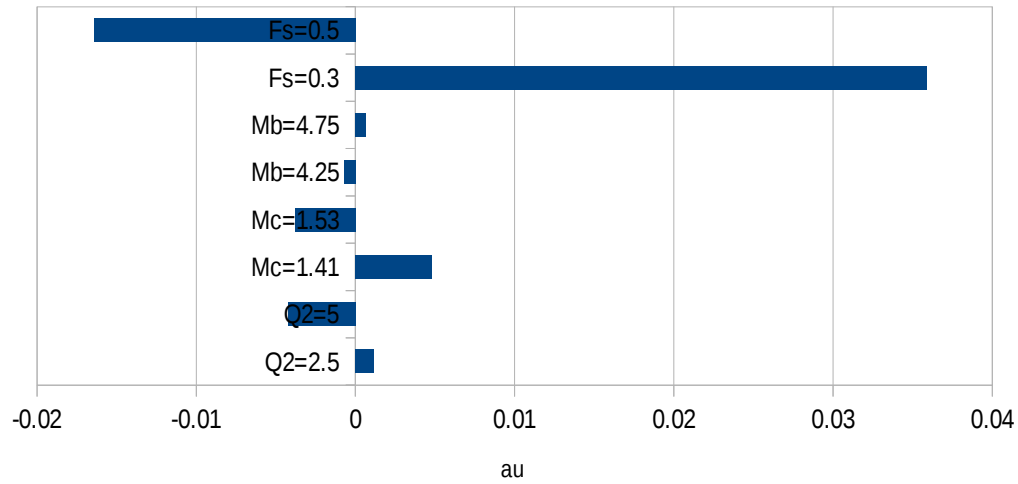
# World results (full uncertainties)

	$a_u$	$a_b$	$v_u$	$v_d$
LEP	$0.47^{+0.05}_{-0.33}$	$-0.52^{+0.05}_{-0.03}$	$0.24^{+0.28}_{-0.11}$	$-0.33^{+0.05}_{-0.07}$
D0	$0.50 \pm 0.11$	$-0.50 \pm 0.17$	$0.20 \pm 0.11$	$0.35 \pm 0.25$
CDF	$0.44^{+0.22}_{-0.19}$	$-0.02^{+0.36}_{-0.54}$	$0.40^{+0.17}_{-0.20}$	$-0.23^{+0.64}_{-0.30}$
H1: HERA1 (publ.)	$0.56 \pm 0.10$	$-0.77 \pm 0.37$	$0.05 \pm 0.19$	$-0.50 \pm 0.37$
ZEUS: HERA1+2 (prel.)	$0.51 \pm 0.20$	$-0.54 \pm 0.37$	$0.05 \pm 0.10$	$-0.64 \pm 0.24$
ZEUS-EW-Z	$0.514^{+0.113}_{-0.052}$	$-0.567^{+0.379}_{-0.157}$	$0.136^{+0.094}_{-0.091}$	$-0.416^{+0.252}_{-0.193}$
SM	0.5	-0.5	0.196	-0.346

# Model variations

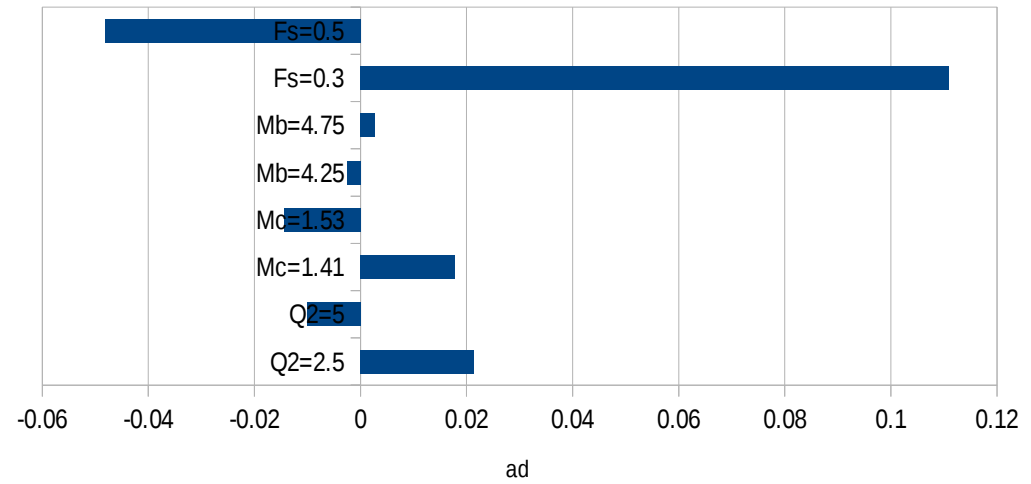
Model variations

deviations



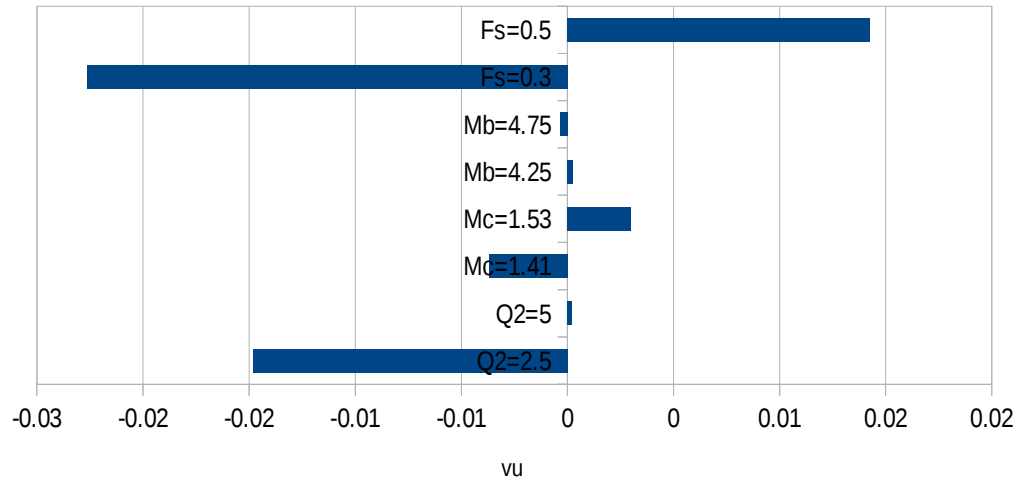
Model variations

deviations



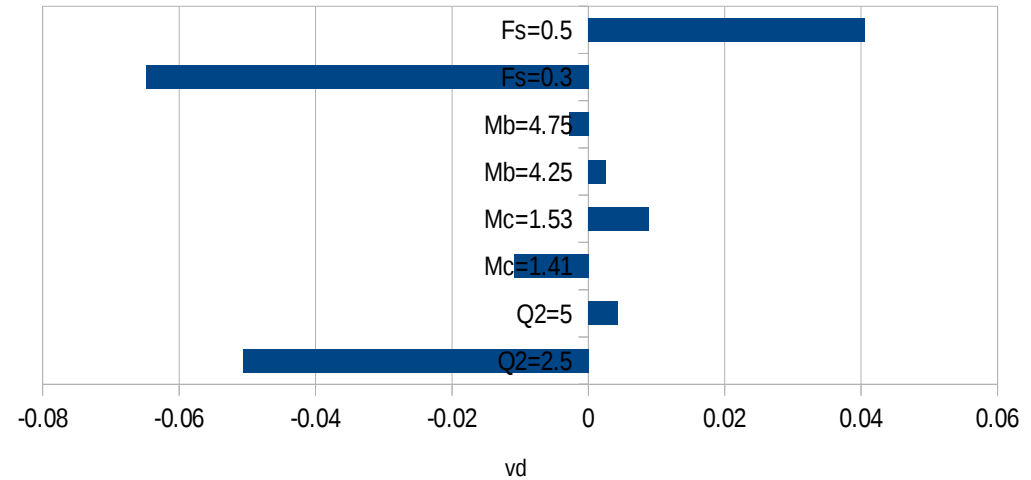
Model variations

deviations



Model variations

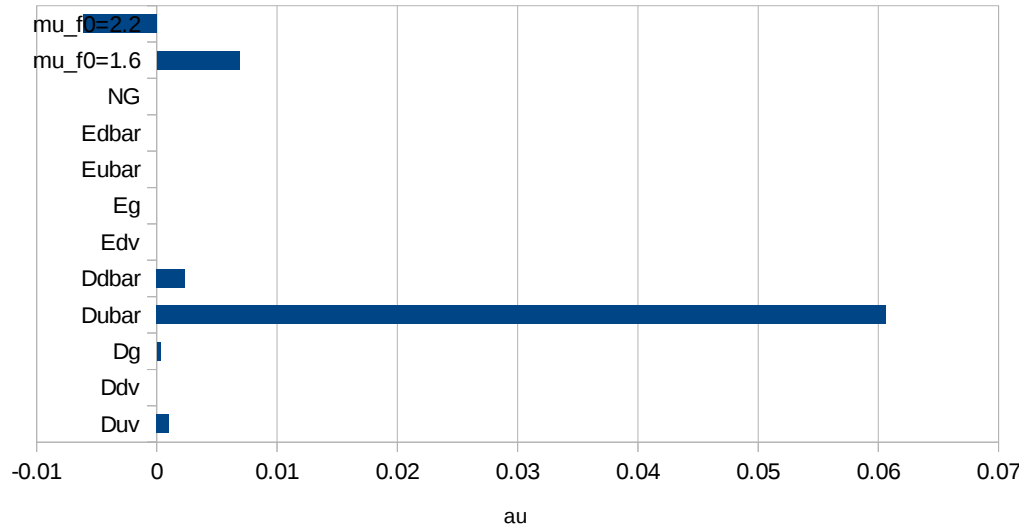
deviations



# Parametrisation variations variations

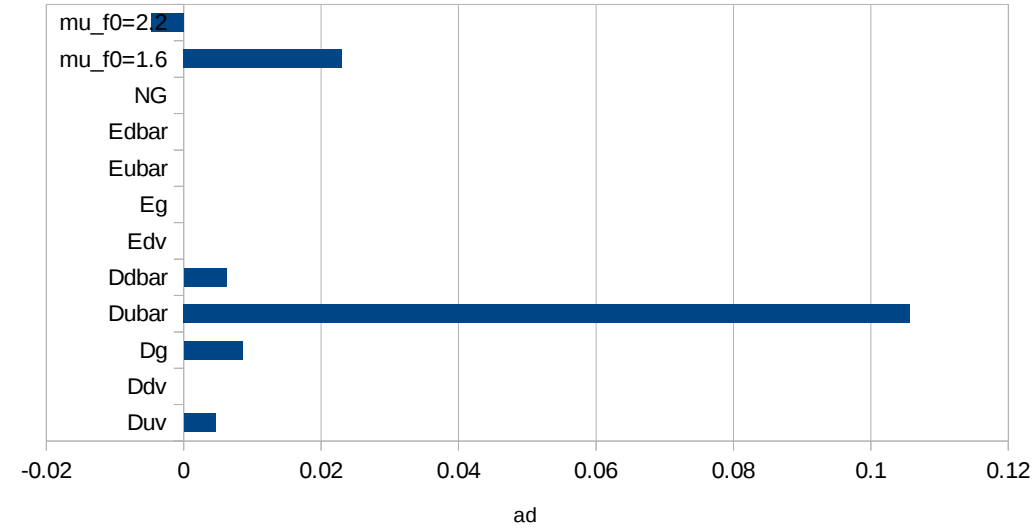
Parameterisation variations

deviations



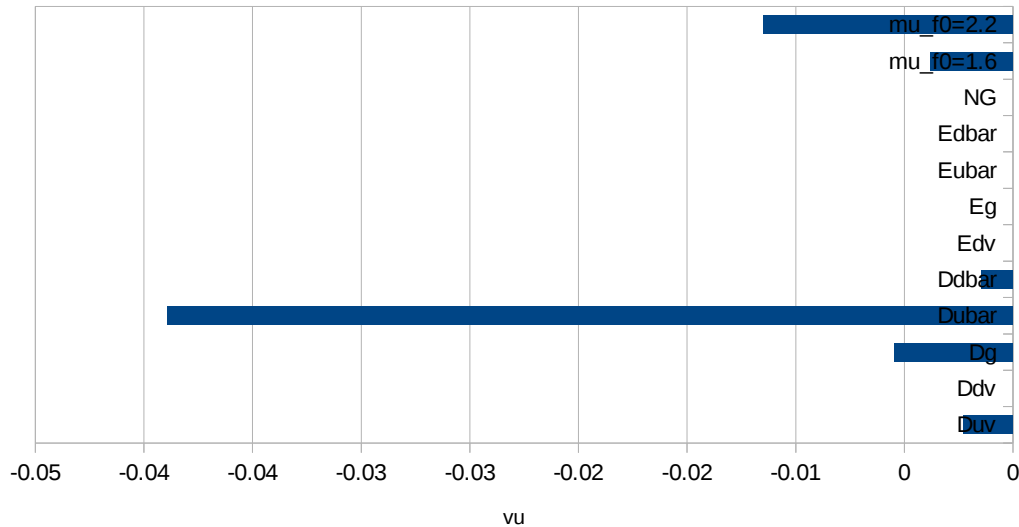
Parameterisation variations

deviations



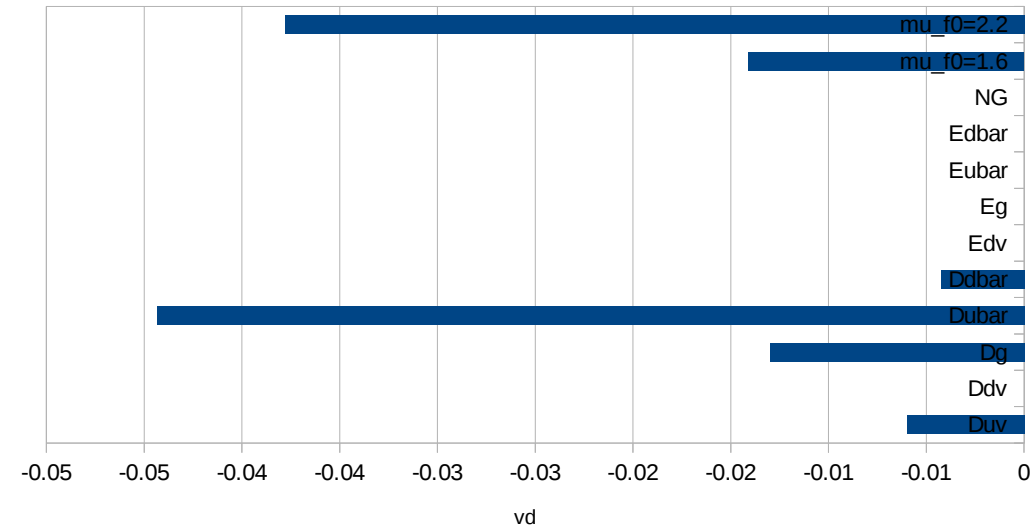
Parameterisation variations

deviations

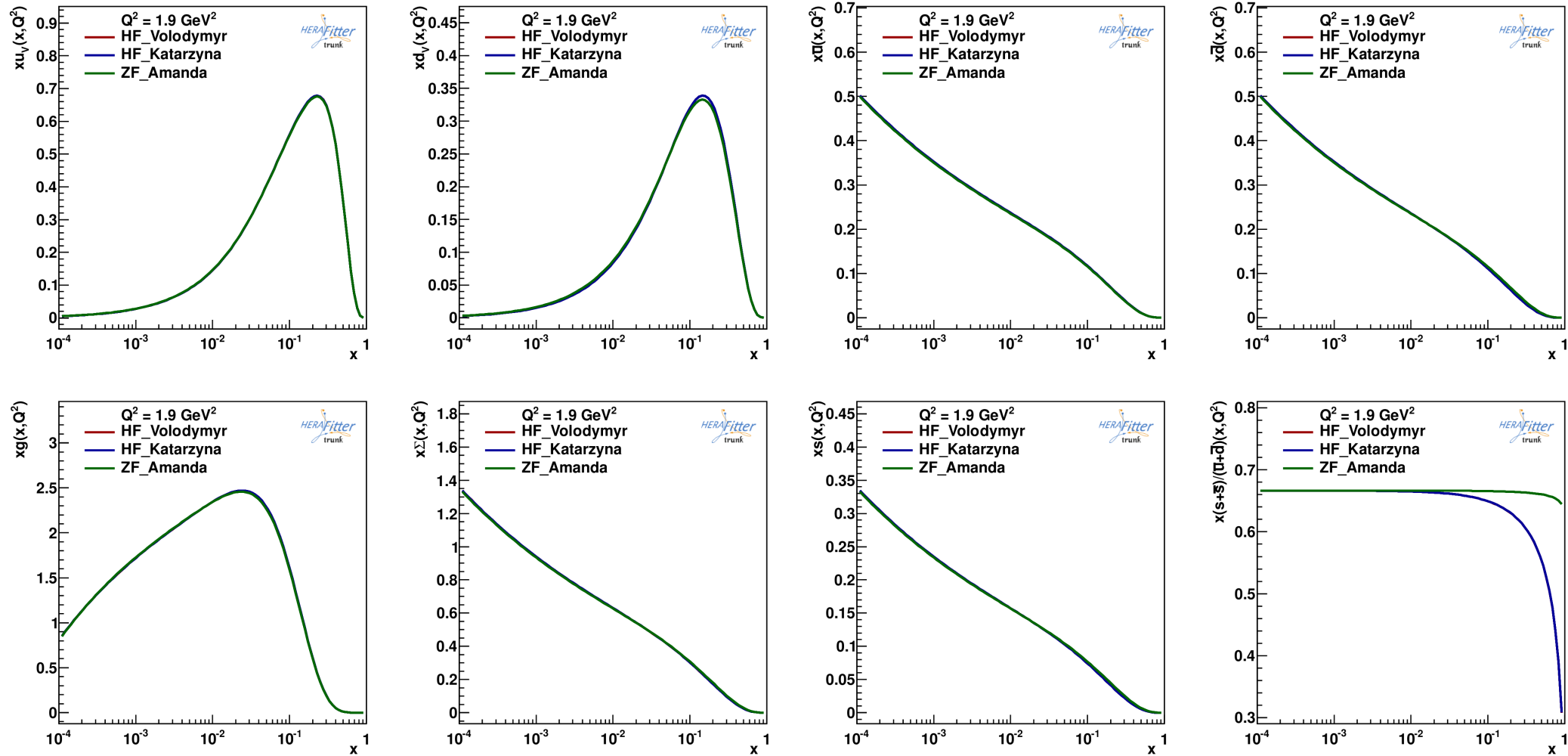


Parameterisation variations

deviations



# Cross-checks: HERAFitter vs ZEUSFitter



# Correlation matrix for the fit parameters

NO.	Bg	Cg	Aprig	Bprig	Buv	Cuv	Euv	Bdv	Cdv	CUbar	ADbar	BDbar	CDbar	auEW	adEW	vuEW	vdEW
Bg	1.000	-0.017	-0.451	0.823	-0.217	0.173	0.251	-0.084	-0.085	-0.098	-0.107	-0.136	0.047	0.025	0.003	0.015	0.018
Cg	-0.017	1.000	0.831	0.456	0.338	-0.372	-0.549	0.007	0.297	-0.020	-0.084	-0.104	-0.437	0.108	0.097	-0.099	-0.112
Aprig	-0.451	0.831	1.000	0.119	0.547	-0.404	-0.629	0.231	0.275	0.159	0.080	0.071	-0.150	-0.051	0.001	-0.044	-0.054
Bprig	0.823	0.456	0.119	1.000	0.106	-0.037	-0.082	0.074	0.047	0.043	0.011	-0.014	0.012	-0.029	-0.011	-0.001	-0.002
Buv	-0.217	0.338	0.547	0.106	1.000	-0.408	-0.774	0.466	-0.087	0.690	0.477	0.396	0.440	-0.361	-0.179	0.079	0.071
Cuv	0.173	-0.372	-0.404	-0.037	-0.408	1.000	0.828	-0.296	-0.235	-0.187	-0.095	-0.069	-0.039	0.109	0.029	0.040	0.028
Euv	0.251	-0.549	-0.629	-0.082	-0.774	0.828	1.000	-0.296	-0.066	-0.363	-0.170	-0.117	-0.091	0.192	0.087	-0.023	-0.017
Bdv	-0.084	0.007	0.231	0.074	0.466	-0.296	-0.296	1.000	0.516	0.406	0.352	0.293	0.675	-0.336	-0.135	0.038	0.022
Cdv	-0.085	0.297	0.275	0.047	-0.087	-0.235	-0.066	0.516	1.000	-0.137	-0.187	-0.194	-0.140	0.111	0.129	-0.101	-0.128
CUbar	-0.098	-0.020	0.159	0.043	0.690	-0.187	-0.363	0.406	-0.137	1.000	0.674	0.636	0.329	-0.321	-0.138	0.055	0.052
ADbar	-0.107	-0.084	0.080	0.011	0.477	-0.095	-0.170	0.352	-0.187	0.674	1.000	0.959	0.478	-0.273	-0.138	0.057	0.060
BDbar	-0.136	-0.104	0.071	-0.014	0.396	-0.069	-0.117	0.293	-0.194	0.636	0.959	1.000	0.416	-0.240	-0.120	0.048	0.053
CDbar	0.047	-0.437	-0.150	0.012	0.440	-0.039	-0.091	0.675	-0.140	0.329	0.478	0.416	1.000	-0.450	-0.272	0.149	0.154
auEW	0.025	0.108	-0.051	-0.029	-0.361	0.109	0.192	-0.336	0.111	-0.321	-0.273	-0.240	-0.450	1.000	0.879	-0.604	-0.753
adEW	0.003	0.097	0.001	-0.011	-0.179	0.029	0.087	-0.135	0.129	-0.138	-0.138	-0.120	-0.272	0.879	1.000	-0.692	-0.900
vuEW	0.015	-0.099	-0.044	-0.001	0.079	0.040	-0.023	0.038	-0.101	0.055	0.057	0.048	0.149	-0.604	-0.692	1.000	0.871
vdEW	0.018	-0.112	-0.054	-0.002	0.071	0.028	-0.017	0.022	-0.128	0.052	0.060	0.053	0.154	-0.753	-0.900	0.871	1.000

# Trying various $Q^2_{\min}$ and calc. orders.

	13p+4EW					14p+4EW					Number of data points
	$a_u$	$a_d$	$v_u$	$v_d$	$\chi^2$	$a_u$	$a_d$	$v_u$	$v_d$	$\chi^2$	
NLO 3.5 GeV <sup>2</sup>	0.516 ±0.062	-0.523 ±0.227	0.148 ±0.071	-0.442 ±0.187	3589	0.601 ±0.061	-0.303 ±0.253	0.102 ±0.049	-0.533 ±0.085	3571	3248
NLO 10 GeV <sup>2</sup>	0.499 ±0.054	-0.559 ±0.184	0.149 ±0.065	-0.432 ±0.172	3161	0.619 ±0.055	-0.266 ±0.240	0.114 ±0.048	-0.509 ±0.084	3145	3006
NNLO 3.5 GeV <sup>2</sup>	-	-	-	-	-	-	-	-	-	-	3248
NNLO 10 GeV <sup>2</sup>	0.501 ±0.051	-0.554 ±0.175	0.146 ±0.061	-0.441 ±0.158	3154	-	-	-	-	-	3006
SM	0.5	-0.5	0.196	-0.346		0.5	-0.5	0.196	-0.346		

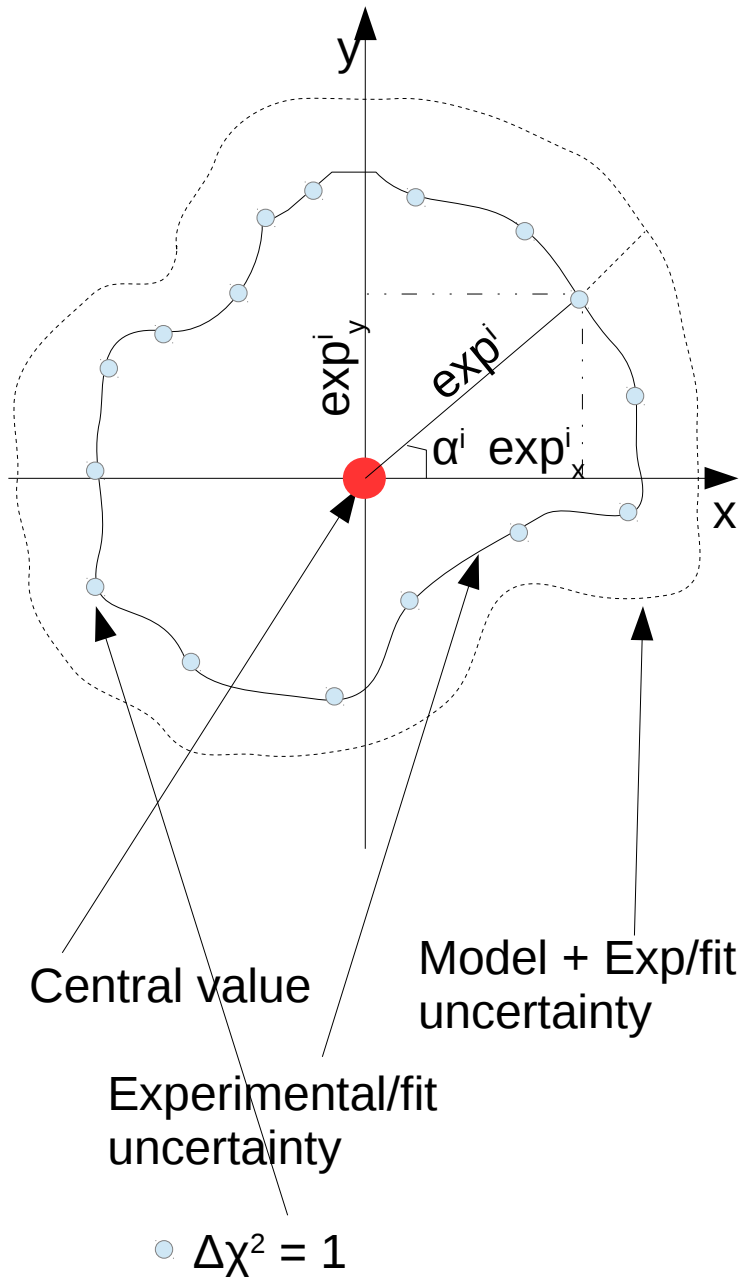
Both MIGRAD and HESSE failed

only MIGRAD has converged

◆ 14p+EW is VERY unstable.

◆  $Q^2_{\min} = 3.5 \text{ GeV}^2 \rightarrow Q^2_{\min} = 10 \text{ GeV}^2$ : reduction of uncertainty (but not too stable).

# Contours with exp + other uncertainty



$$\exp^i = \sqrt{\exp_x^{i2} + \exp_y^{i2}}$$

$$\text{mod}^i = \sqrt{(\cos \alpha \text{mod}_x)^2 + (\sin \alpha \text{mod}_y)^2}$$

$$\cos \alpha \frac{\exp_x^i}{\exp^i} \quad \sin \alpha \frac{\exp_y^i}{\exp^i}$$

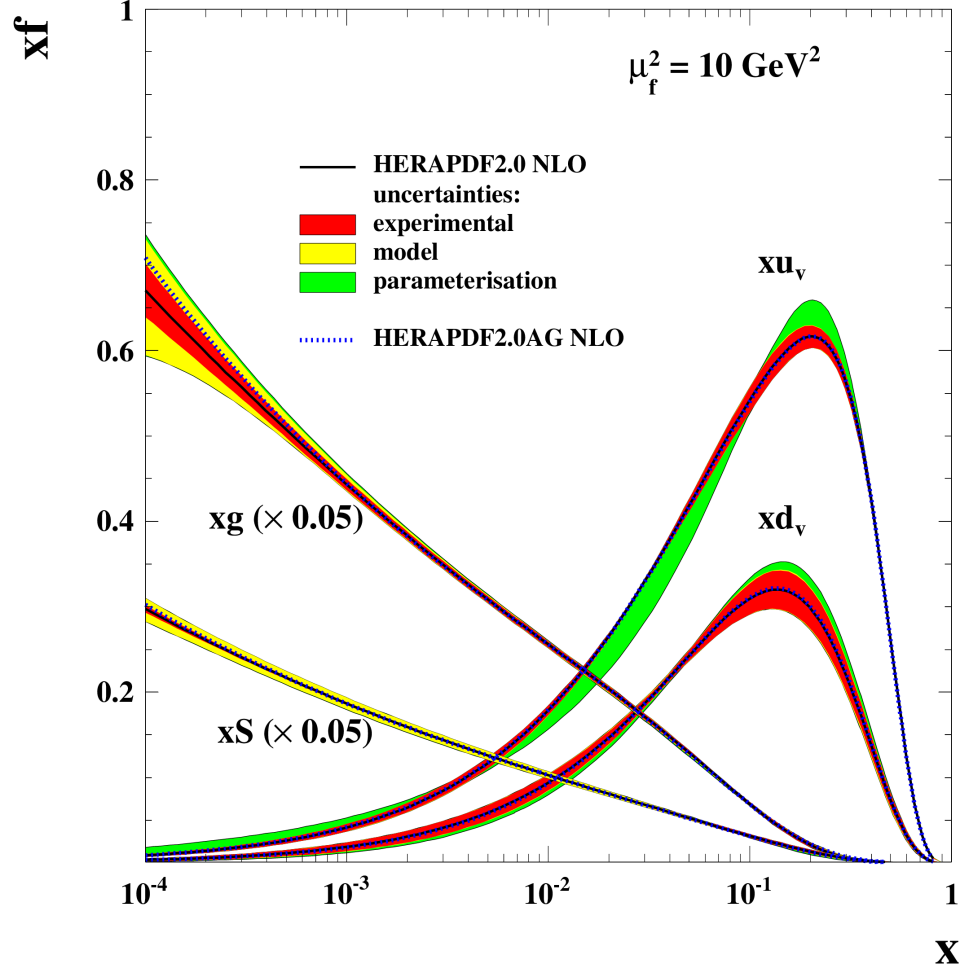
$$\text{total}^i = \sqrt{\exp^{i2} + \text{mod}^{i2}}$$

$$\boxed{\text{total}_x^i = \cos \alpha \text{total}^i}$$

$$\boxed{\text{total}_y^i = \sin \alpha \text{total}^i}$$

# HERAPDF2.0: errors estimation

H1 and ZEUS



## ◆ Parametrisation uncertainties:

- The largest deviation taken.

## ◆ Full systematic correlation treatment.

## ◆ Experimental uncertainties:

- Hessian method used: full second-derivative matrix calculated
- Conventional  $\Delta\chi^2 = 1 \Rightarrow 68\% \text{ CL}$

## ◆ Model uncertainties:

- All variations are added in quadratures, separately positive and negative.

Variation	Standard Value	Lower Limit	Upper Limit
$Q_{\min}^2 [\text{GeV}^2]$	3.5	2.5	5.0
$Q_{\min}^2 [\text{GeV}^2] \text{ HiQ2}$	10.0	7.5	12.5
$M_c(\text{NLO}) [\text{GeV}]$	1.47	1.41	1.53
$M_c(\text{NNLO}) [\text{GeV}]$	1.43	1.37	1.49
$M_b [\text{GeV}]$	4.5	4.25	4.75
$f_s$	0.4	0.3	0.5
$\mu_{f_0} [\text{GeV}]$	1.9	1.6	2.2

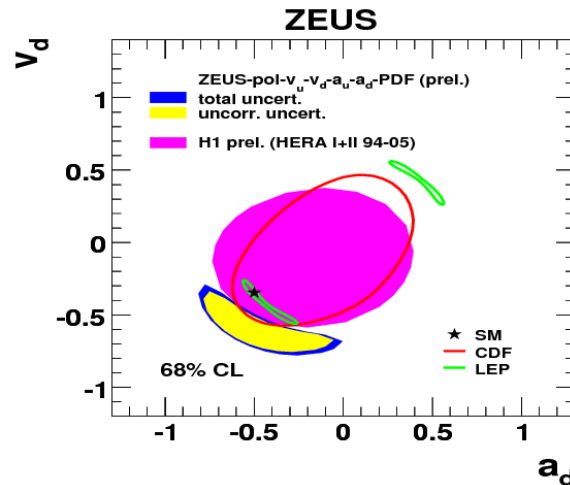
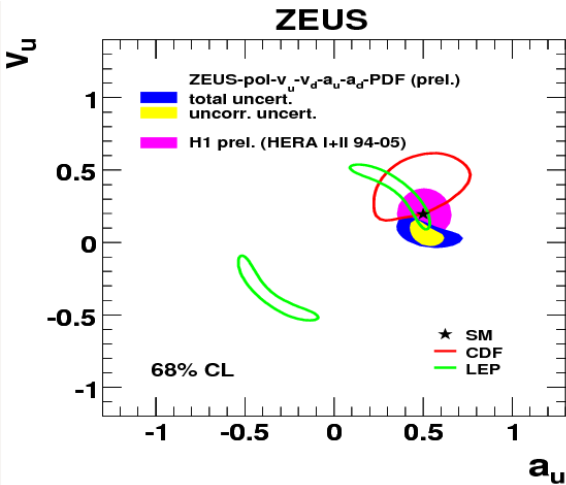
Adding D and E parameters to each PDF



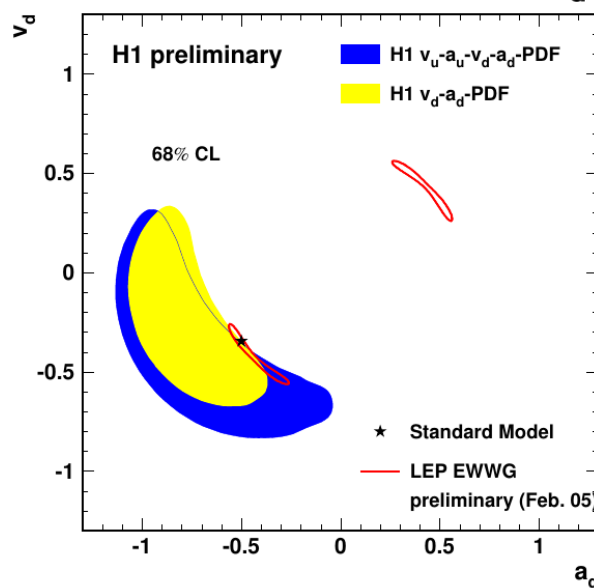
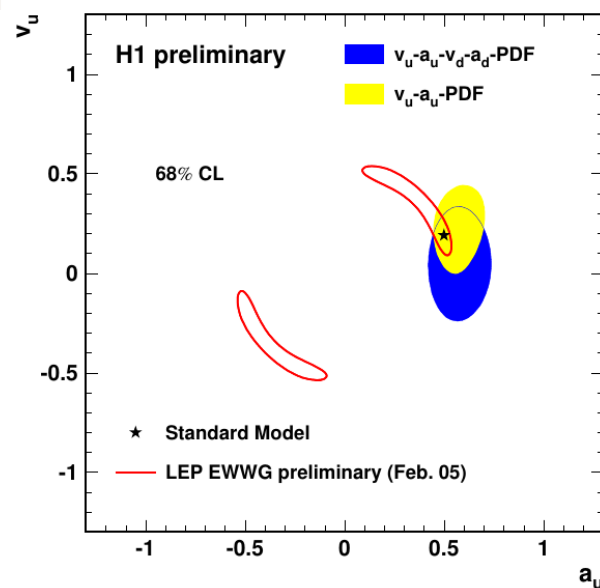
$$\bar{x} = \frac{\sum_i \frac{x_i}{\sigma_i^2}}{\sum_i \frac{1}{\sigma_i^2}}$$

$$\sigma_{\bar{x}} = \frac{1}{\sqrt{\sum_i \frac{1}{\sigma_i^2}}}$$

# Previous analysis



- ◆ Determination of EW par. by ZEUS
- ZEUS HERA I + HERA II e-p (pol)
- ◆ ZEUS-prel-07-027



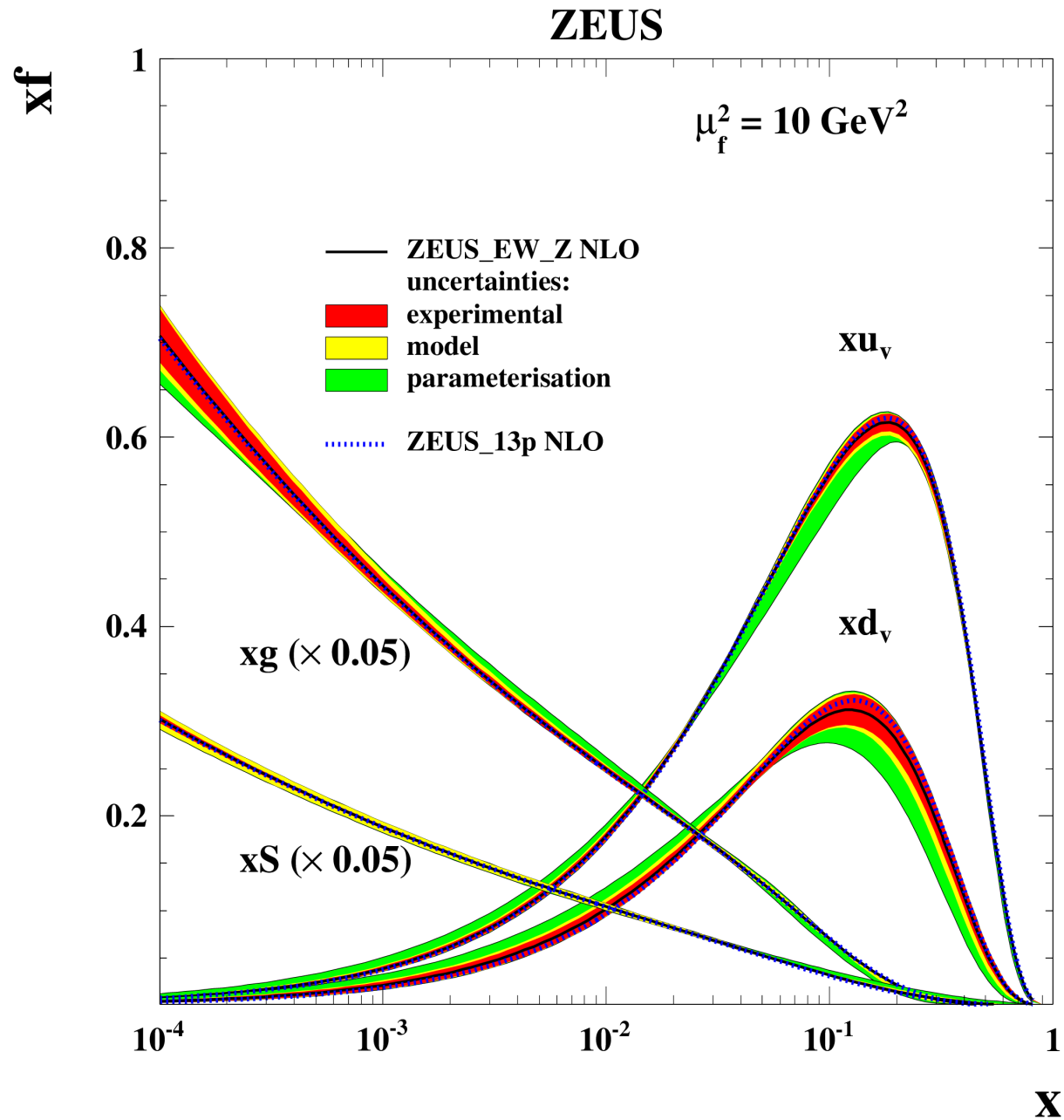
- ◆ Determination of EW par. by H1
- H1 HERA I (unpolarized)
- ◆ Phys. Lett. **B632**, 35, (2006)

◆ All H1 and ZEUS HERA I unpolarized and HERA II polarized data are now available

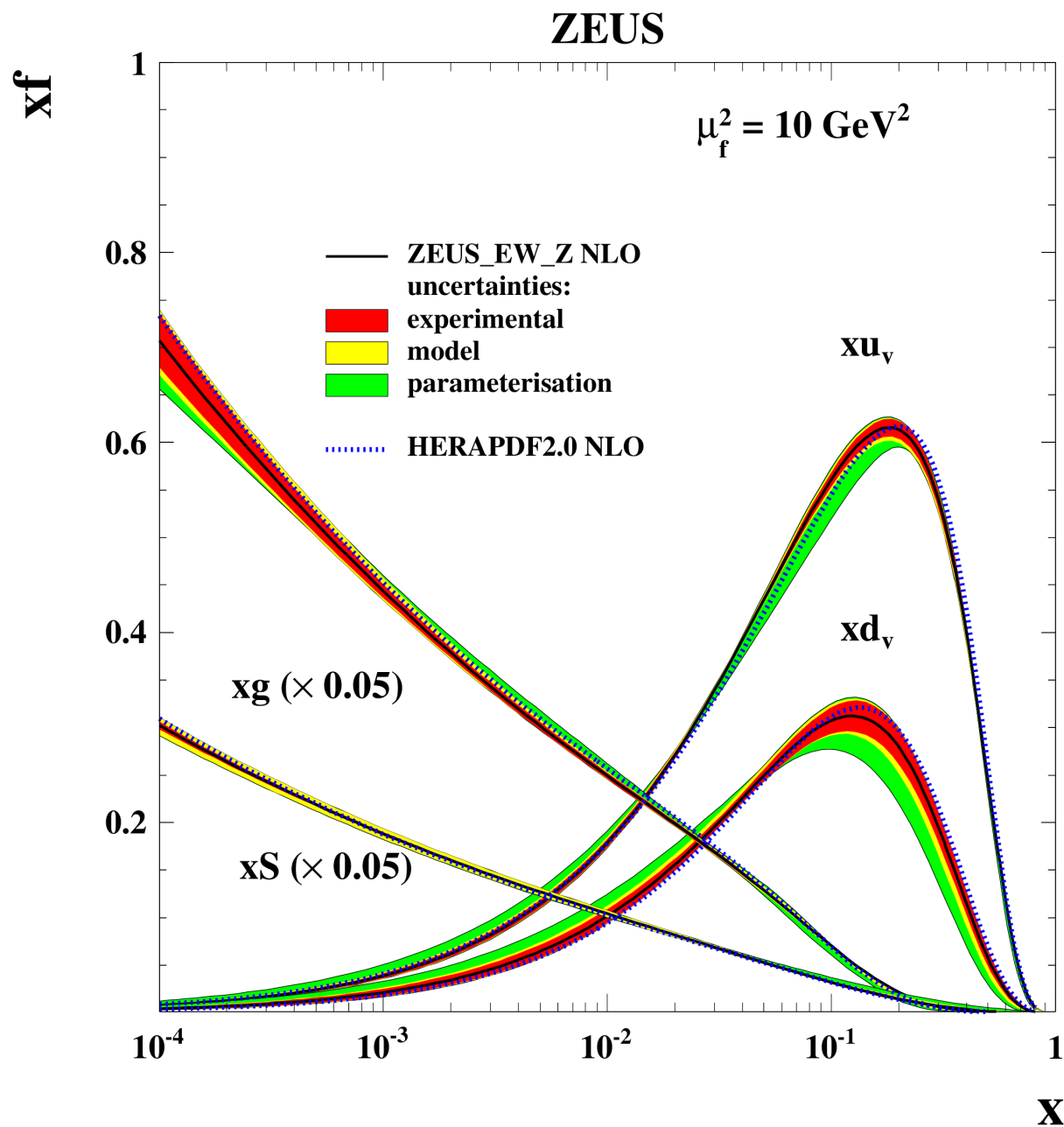
$$\begin{aligned}\tilde{F}_2^\pm &= F_2 + k_Z(-v_e \mp Pa_e) \cdot F_2^{\gamma Z} + k_Z^2(v_e^2 + a_e^2 \pm 2Pv_e a_e) \cdot F_2^Z \\ x\tilde{F}_3^\pm &= k_Z(\pm a_e + Pv_e) \cdot xF_3^{\gamma Z} + k_Z^2(\mp 2v_e a_e - P(v_e^2 + a_e^2)) \cdot xF_3^Z \\ (F_2, F_2^{\gamma Z}, F_2^Z) &= x \sum (e_q^2, 2e_q v_q, v_q^2 + a_q^2)(q + \bar{q}) \quad (xF_3^{\gamma Z}, xF_3^Z) = 2x \sum (e_q a_q, v_q a_q)(q - \bar{q})\end{aligned}$$

# Plots from paper draft

# Fig. 1

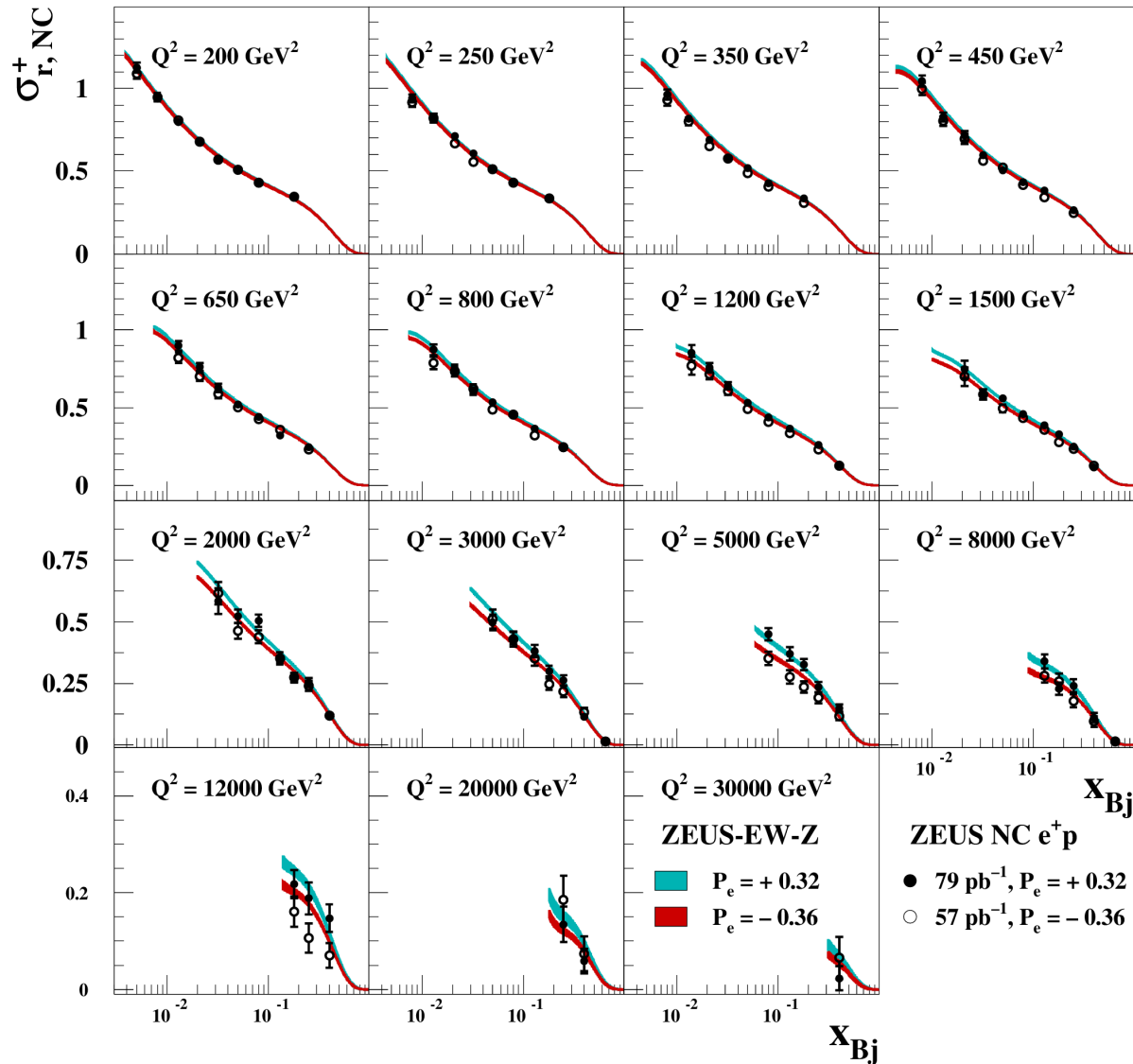


# Fig. 2

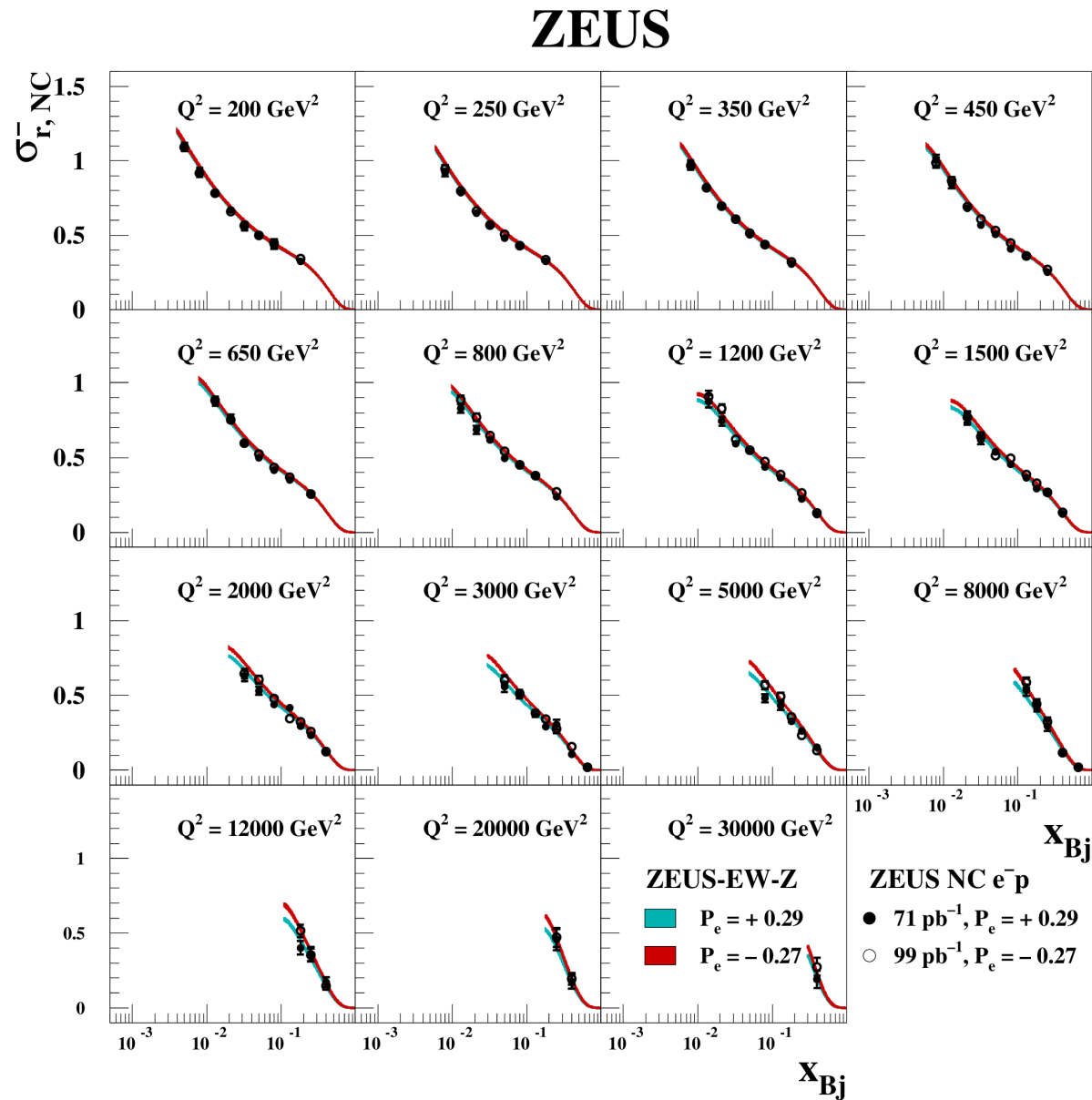


# Fig. 3

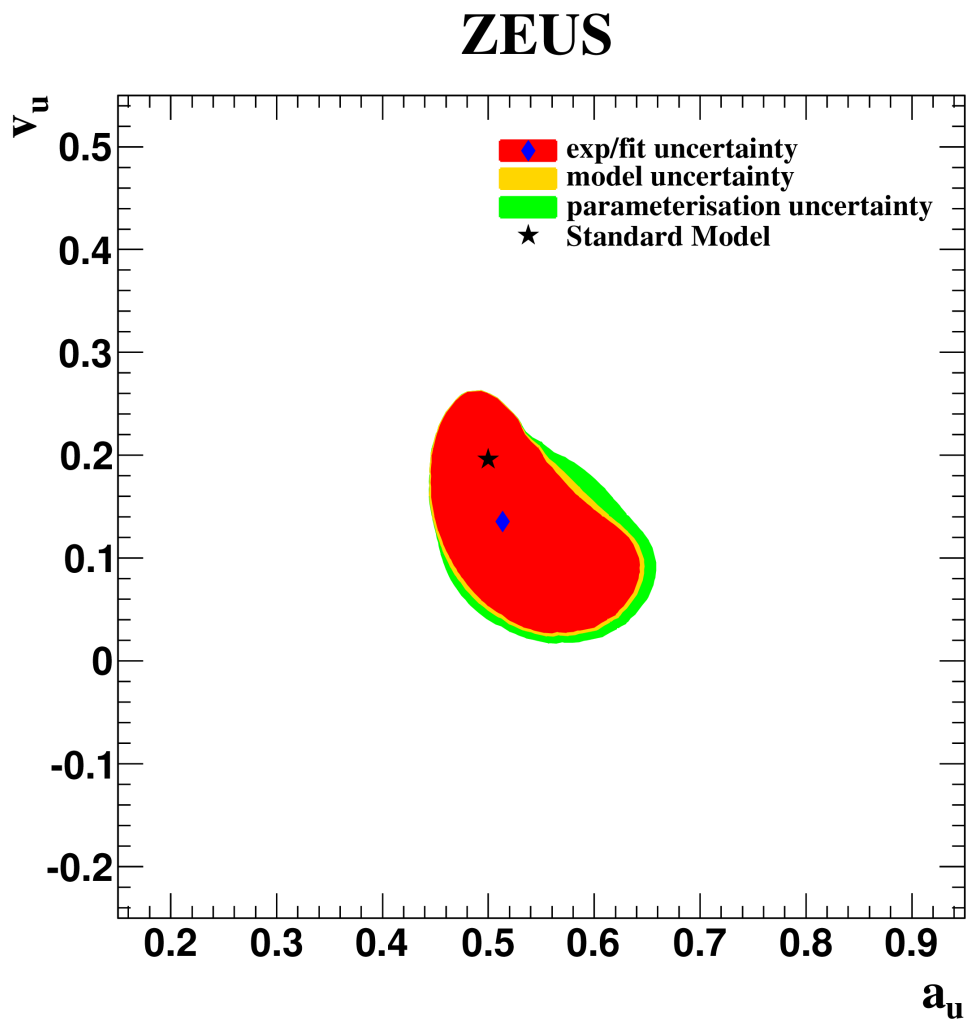
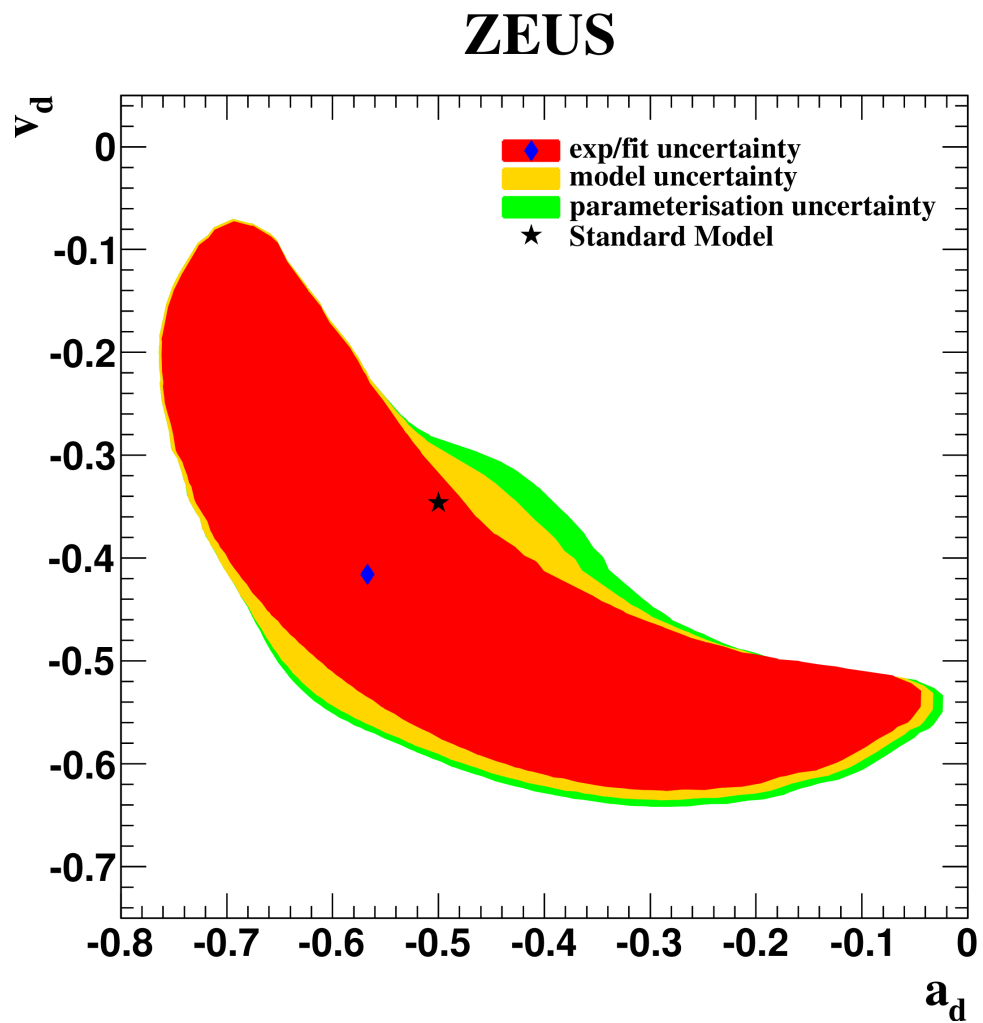
ZEUS



# Fig. 4

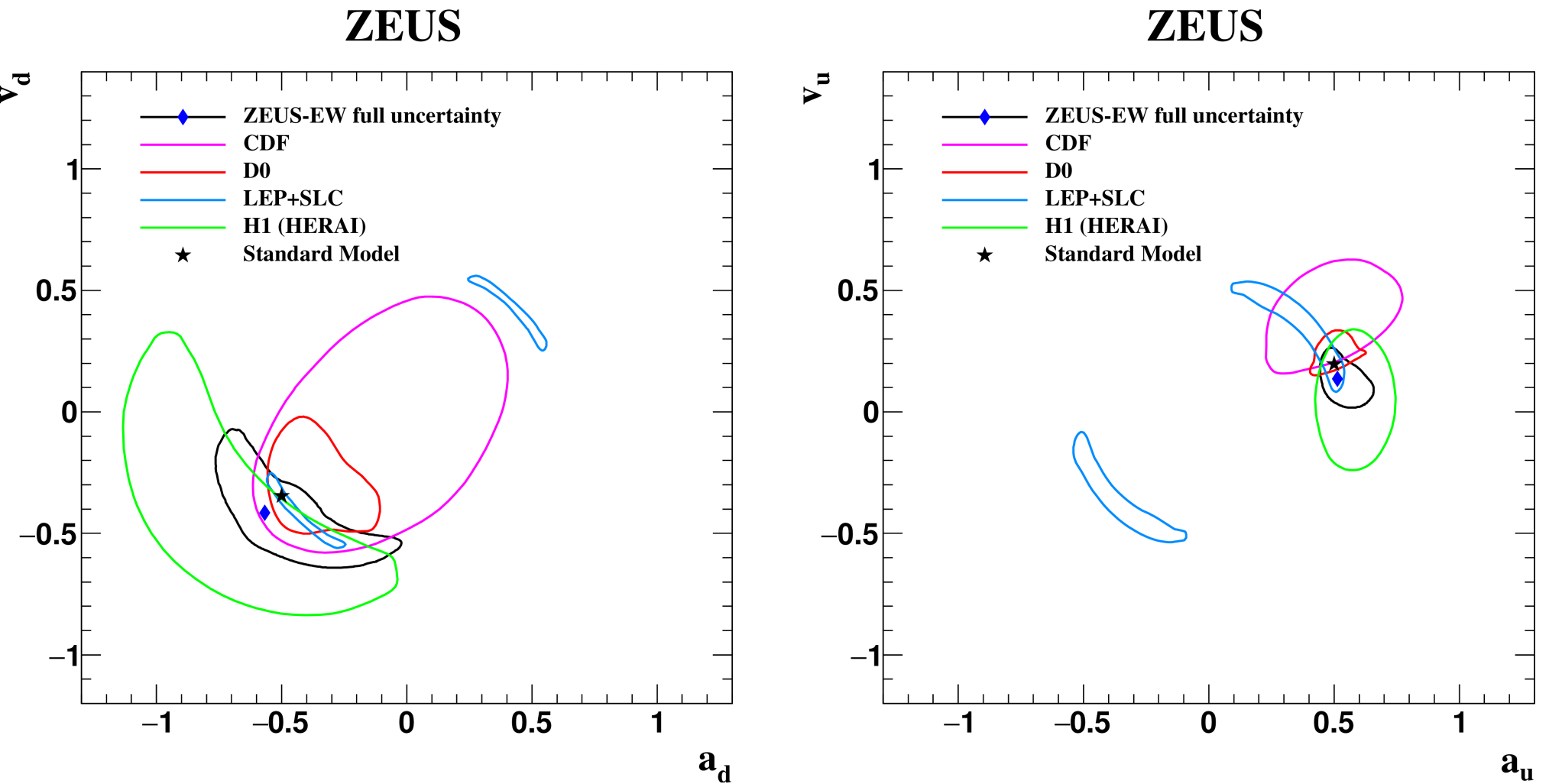


# Fig. 5



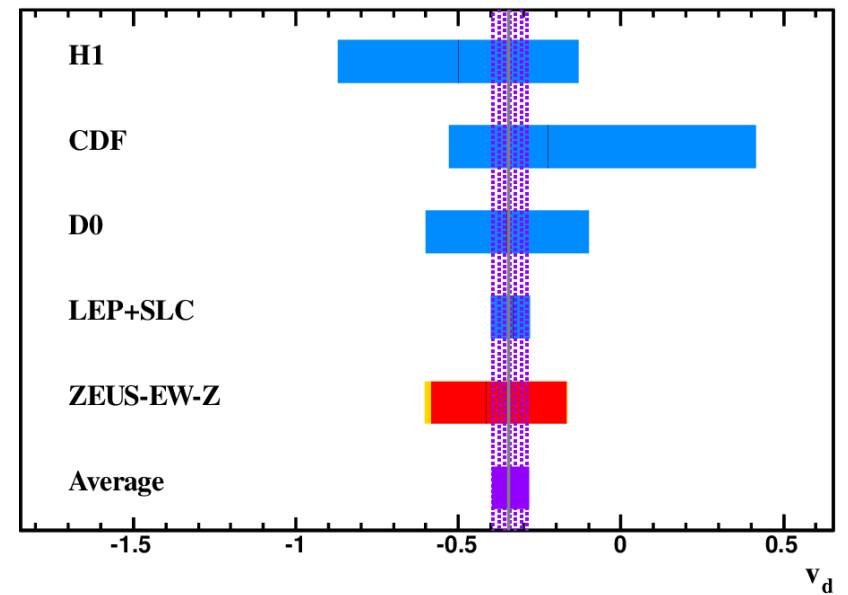
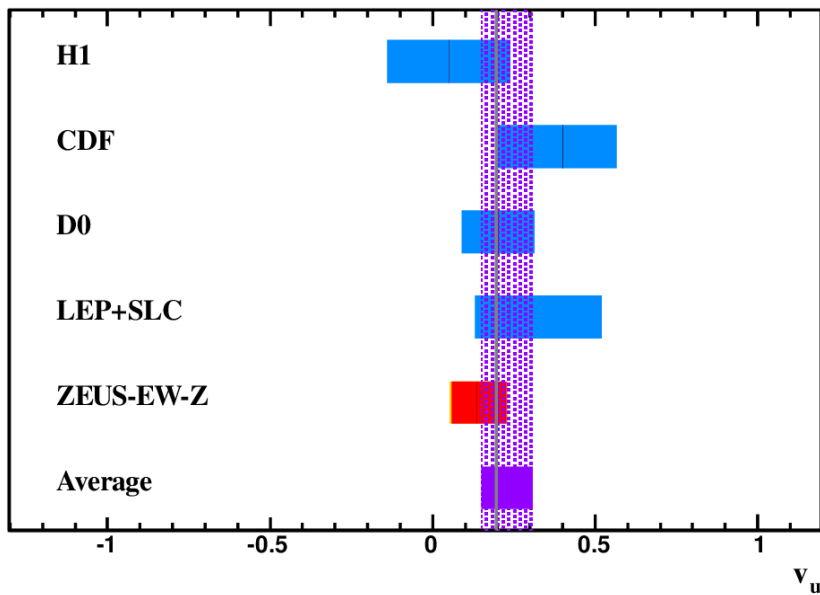
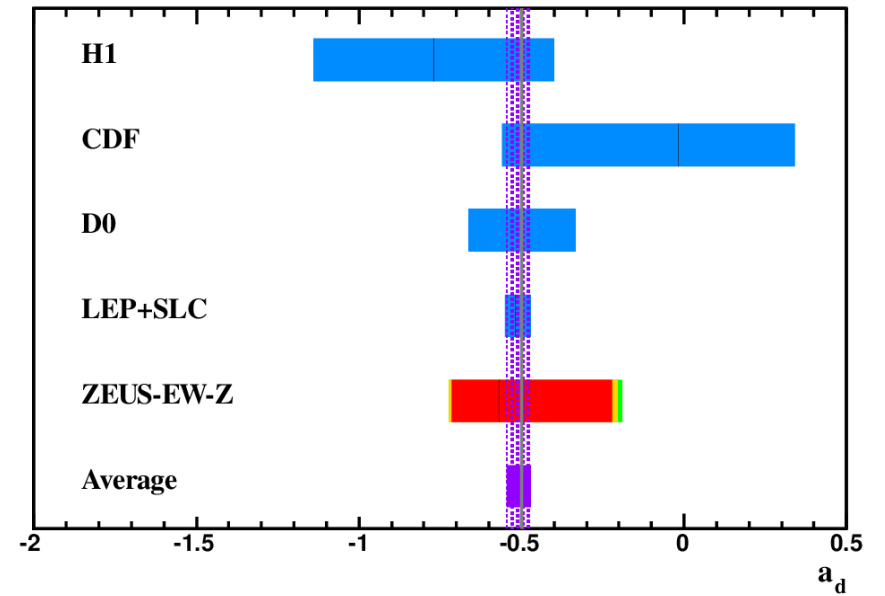
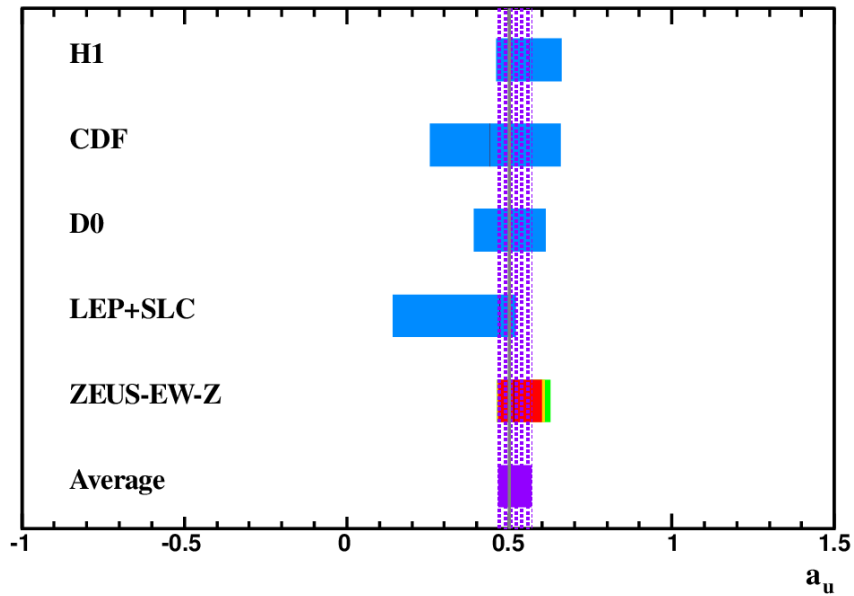


# Fig. 6

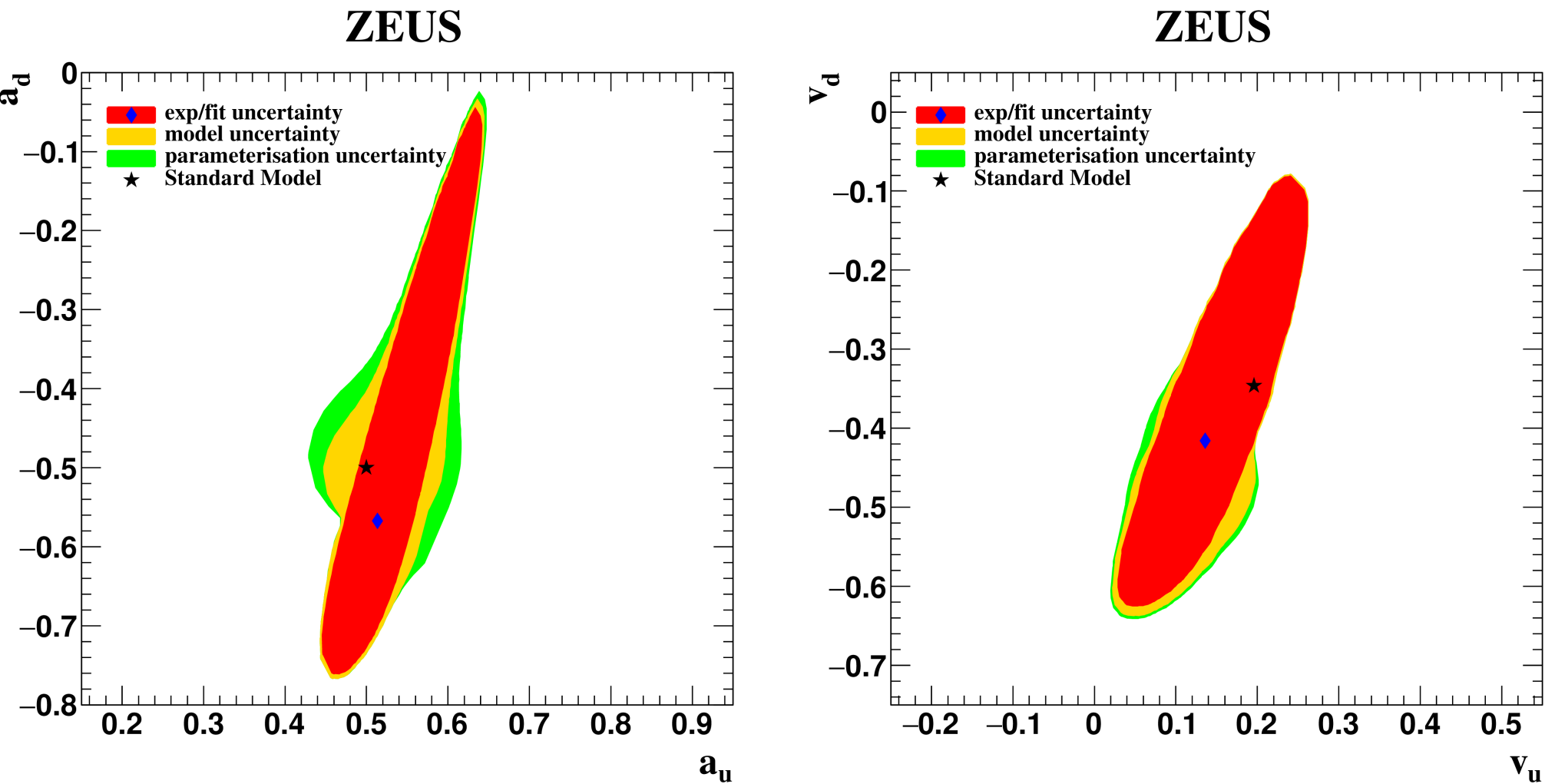


# Fig. 7

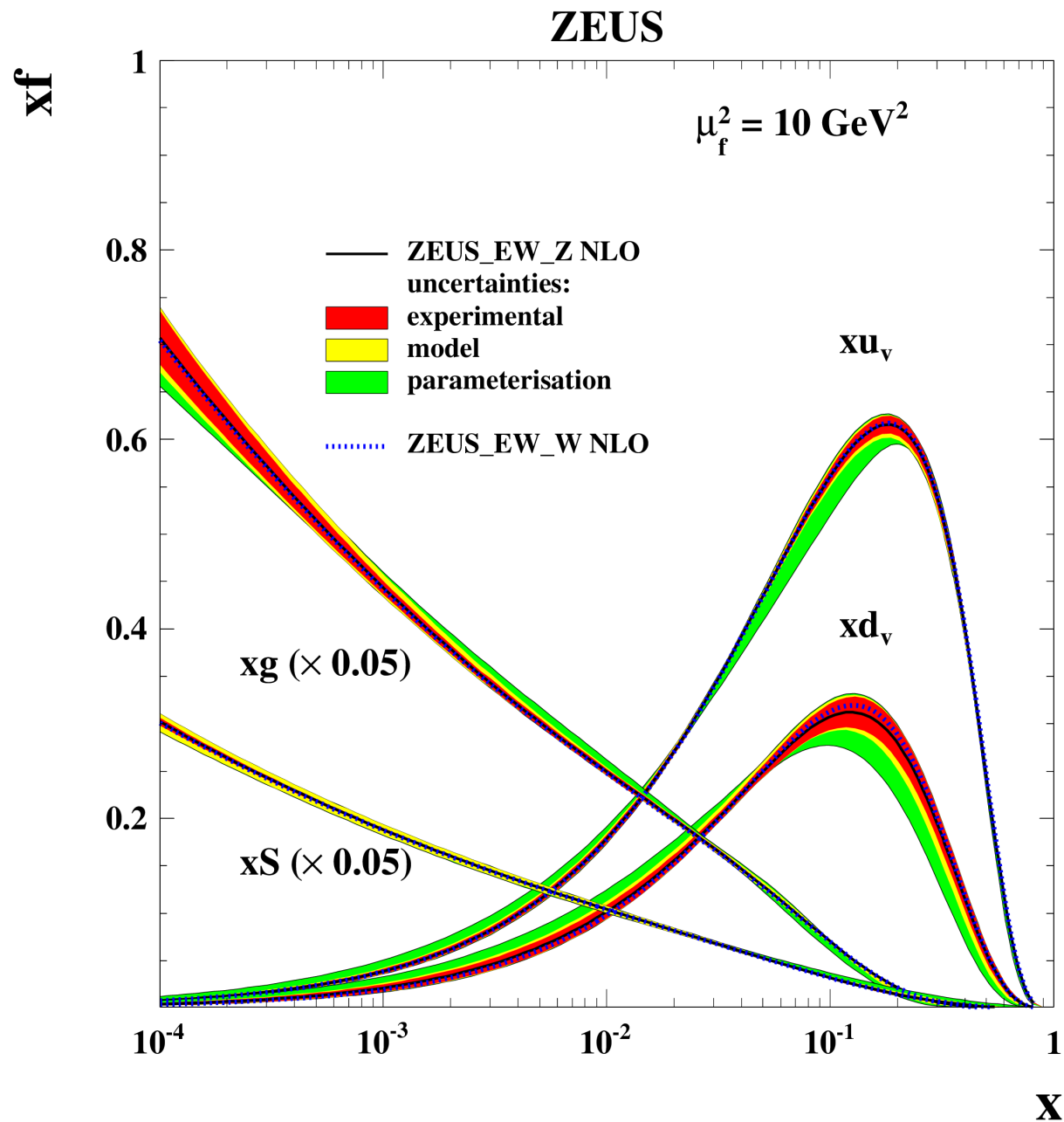
## ZEUS



# Fig. 8

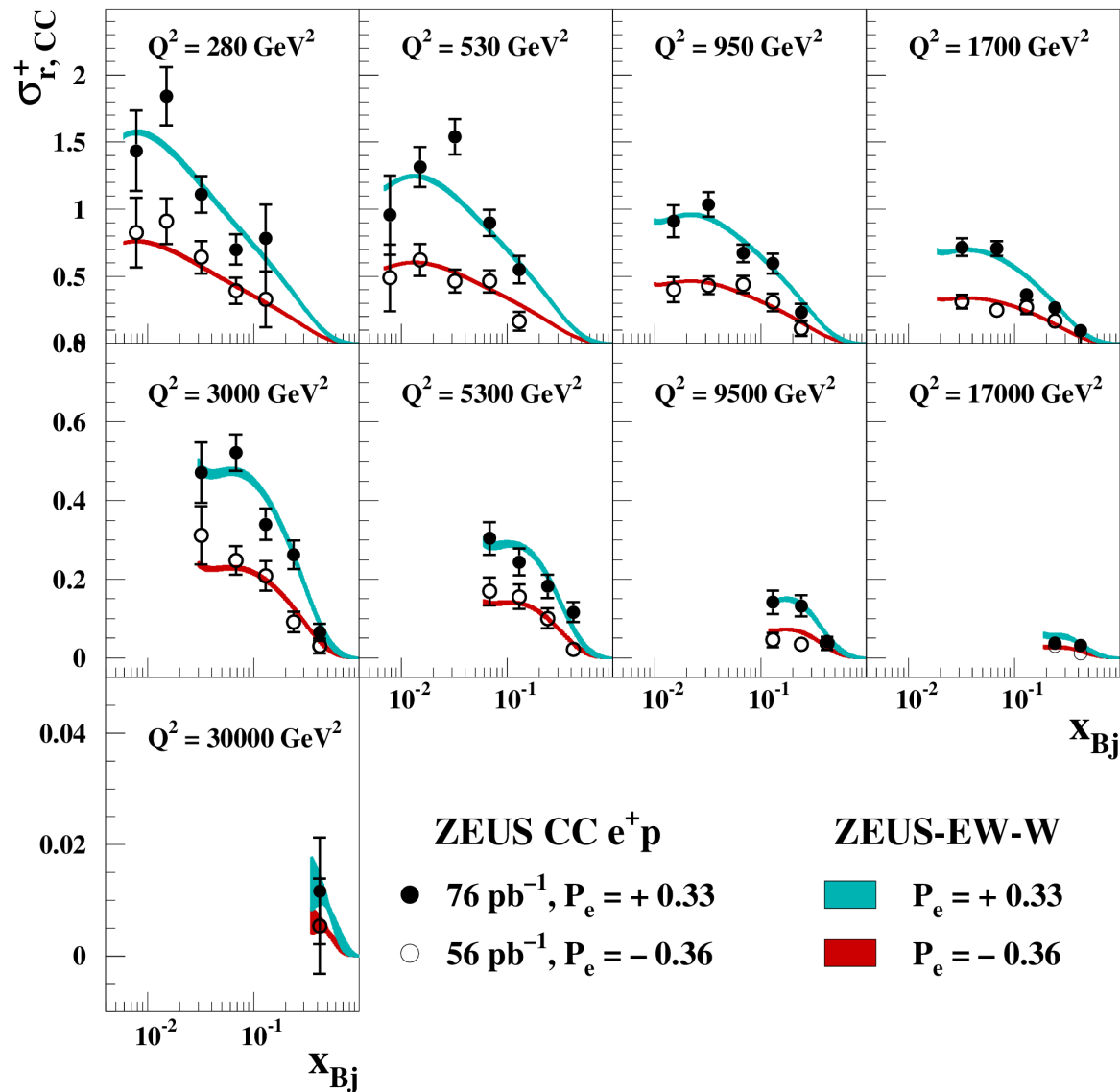


# Fig. 9



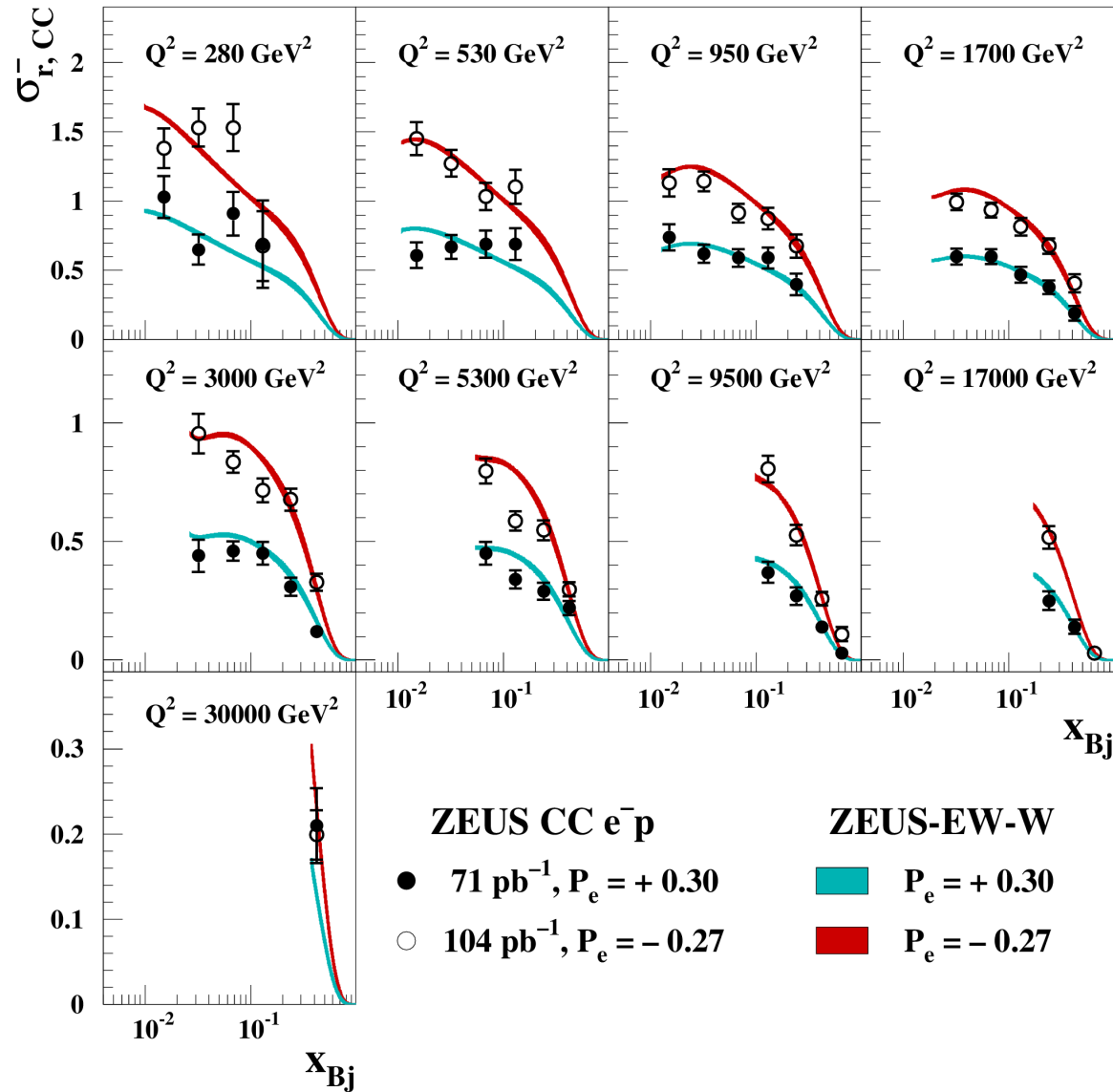
# Fig. 10

ZEUS



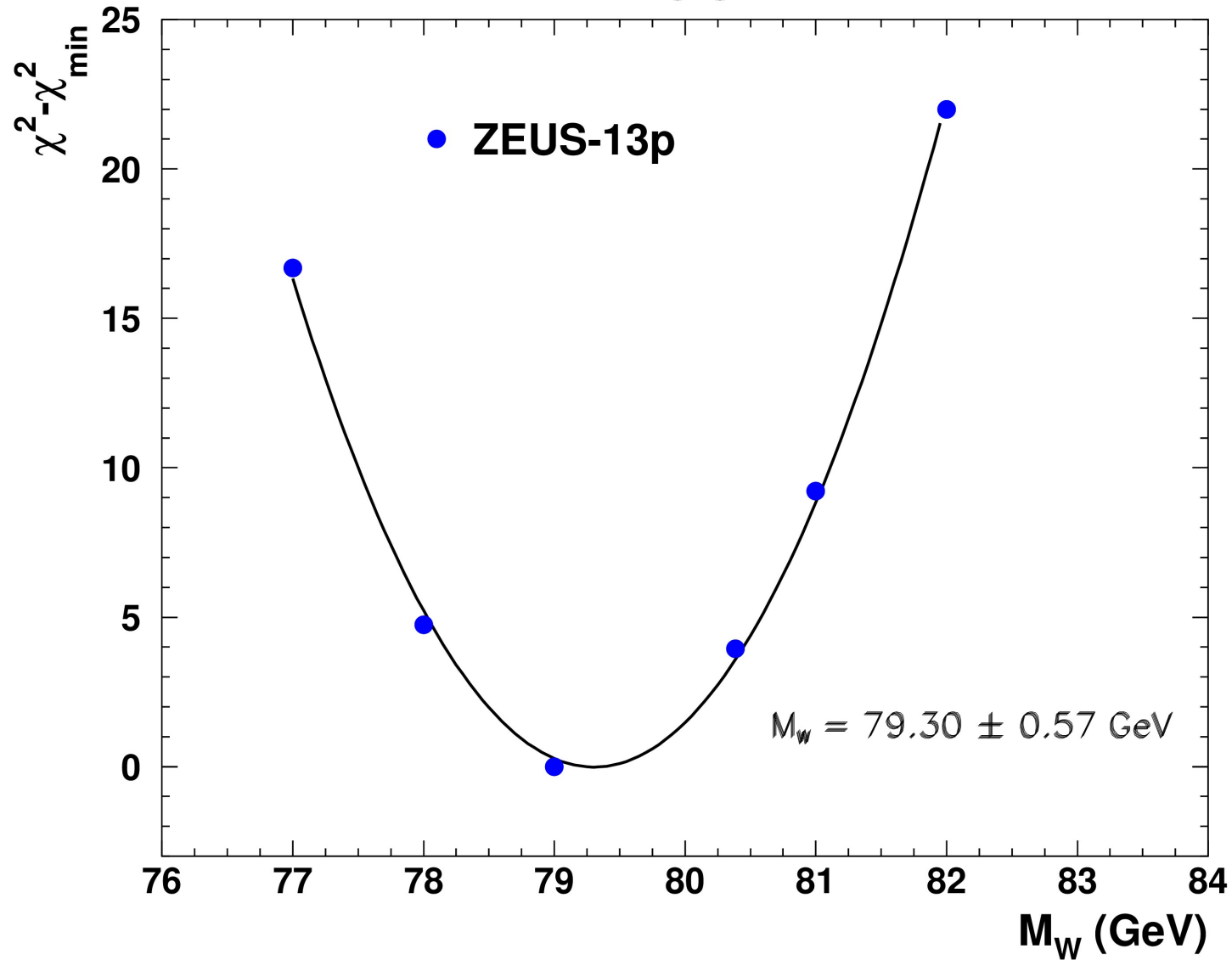
# Fig. 11

ZEUS



# Fig. 12

## ZEUS



# Fig. 13

## ZEUS

