

# NNLO and parton shower predictions for Higgs production in the WW decay channel

Fabian Stöckli ETH Institute for Particle Physics

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# Introduction

- results of Higgs searches (especially exclusion limits) depend heavily on the knowledge of the expected Higgs event rate
  - example: CDF  $H \rightarrow WW + 0$  jets analysis
    - experimental uncertainty:  $\sim 10 \%$
    - theoretical uncertainty: ~ 12 % on the expected signal rate [arXiv:0808.0534]
- very precise predictions for the inclusive (and partially exclusive) cross-sections (at NNLO and beyond) are available since a while
- combining them with parton shower Monte Carlos, the CDF/D0 searches claim 95% CL exclusion of a 170 GeV standard model Higgs
   [ CDF and D0 collaborations, arXiv:0808.0534 ]

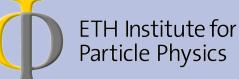


- higher order corrections for Higgs production are
  - 1. large ( $\sigma(NNLO)/\sigma(LO) \sim 2$ )
  - 2. phase-space region dependent, i.e. different after the application of experimental cuts
- we want to understand them (and thus the expected Higgs event rate) after the application of such selection cuts
- to do this we
  - 1. use a fully exclusive program to compute the crosssection at NNLO after the application of such cuts
  - 2. compare the results to parton shower MC event generators
- we do this focusing on the most promising discovery channel  $H \rightarrow WW \rightarrow I v I v$  and a Higgs mass of 165 GeV



### Example: Cut based analysis at LHC

- strategy: apply cuts on the final state phase-space to increase signal over background ratio
- typical cuts involve restrictions on
  - 1. the transverse angle  $\phi_{\parallel}$  between the charged leptons
    - effective against WW continuum, ttbar ...
  - 2. the invariant mass  $m_{\parallel}$  of the lepton pair
    - effective against Drell-Yan, WZ, ...
  - 3. the missing transverse energy  $E_T^{miss}$ 
    - effective against Drell-Yan, ZZ, ...
  - 4. the hadronic activity (jet-veto) in the final state
    - effective against ttbar, W + jets
  - 5. the transverse momentum of the harder lepton  $p_T^{max}$
  - [ M. Dittmar, H. Dreiner, PRD 55:167-172, 1997 ]



### Fully differential cross-section at NNLO

- starting point is the sector-decomposition program FEHiP, that allows to compute the NNLO Higgs crosssection in a fully differential way
   [ C. Anastasiou, K. Melnikov, F. Petriello, Nucl.Phys.B 724, 2005 ]
- we add the full  $H \rightarrow WW \rightarrow IvIv$  decay to the program and apply the selection cuts
- due to the severity of the cuts we had to restructure the numerical integration strategy
  - instead of sampling all the sectors simultaneously, we integrate them separately and sum up the results for the final number
- similar results have been obtained with a different program HNNLO, that uses a subtraction technique [ M. Grazzini, JHEP0802:043, 2008 ]



 to understand the effect of each cut on the higher order corrections we define the cumulative crosssection as

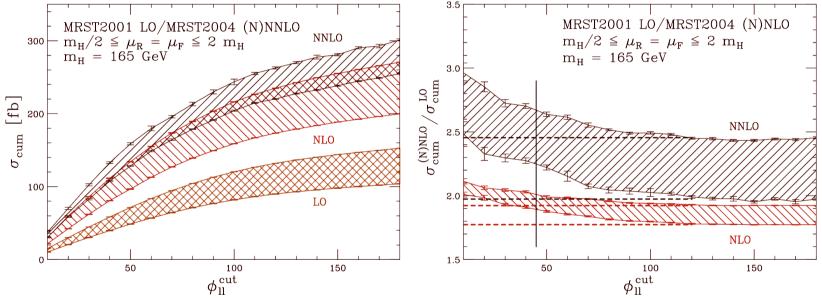
$$\sigma_{
m cum}(X^{
m cut}) = \int\limits_{0}^{X^{
m cut}} rac{d\sigma}{dX} dX$$

- where X denotes one of the cut variables and X<sup>cut</sup> a specific value for this cut
- and we study these distributions for each of the mentioned variables under the variation of the renormalization and factorization scales



### Transverse Angle between Leptons

• reject events where the angle in the transverse plane between the charged leptons is larger then some cut-off  $\phi_{\mu}^{cut}$ 

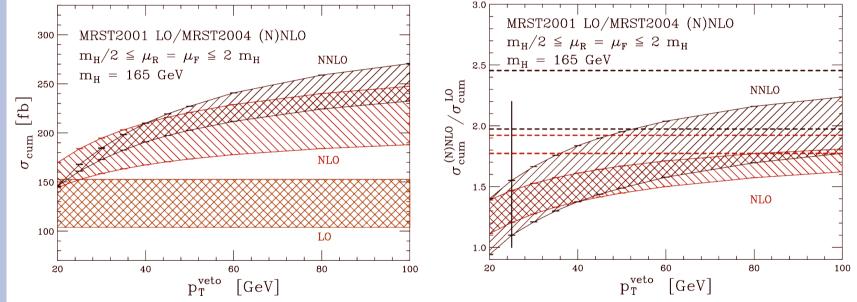


- the solid line on the right denotes a typical value of 45°
- the corrections increase when lowering the cut value on the lepton angle Jan 2009 F. Stöckli



### Jet-Veto

• reject events containing jets in the central detector region ( $|\eta| < 2.5$ ) above some cut-off  $p_T^{veto}$ 



- jet-veto has no impact at LO (no partons in final state)
- jet-veto at NLO corresponds to cut on Higgs transverse momentum
- K-factors ( $\sigma^{(N)NLO}/\sigma^{LO}$ ) depend heavily on cut-value! Jan 2009 F. Stöckli



# Cross-Section after all cuts

- other variables have each a distinct behavior [ C. Anastasiou et al., JHEP0709:018, 2007 ]
- cross-sections after the application of all cuts

| $\sigma({\rm fb})$          | LO               | NLO            | NNLO           |
|-----------------------------|------------------|----------------|----------------|
| $\mu = \frac{M_{\rm h}}{2}$ | $21.002\pm0.021$ | $22.47\pm0.11$ | $18.45\pm0.54$ |
| $\mu = M_{\rm h}$           | $17.413\pm0.017$ | $21.07\pm0.11$ | $18.75\pm0.37$ |
| $\mu = 2M_{\rm h}$          | $14.529\pm0.014$ | $19.50\pm0.10$ | $19.01\pm0.27$ |

- (N)NLO corrections are at the order of 1
  - depending on scale choice even < 1</li>
  - inclusive corrections predict an increase by a factor of 2
- very small scale variation after cuts are applied



### Comparison to MC@NLO

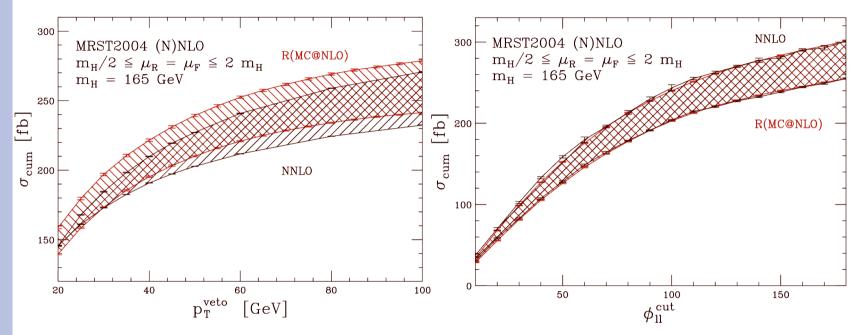
- for the process simulation in experimental studies event generators are needed
  - the events can be passed to detector simulation software
- we compare our NNLO results to the program MC@NLO, that incorporates NLO matrix elements with the parton shower of HERWIG
   [ S. Frixione, B. Webber, JHEP0206:029, 2002 ]
   [ G. Corcella et al. JHEP0101:010, 2001 ]

### • a good agreement would give confidence that

- 1. the effects of multiple soft and collinear radiation beyond NNLO can be neglected for such a study
- 2. the main NNLO effects are captured in MC@NLO, thus it can be used for a reliable simulation



### Cut variables: NNLO vs MC@NLO



- jet-veto: especially in the region of the envisaged cut (25 GeV) excellent agreement
- angular cut: `perfect' agreement
- all other variables agree also `perfectly' [Anastasiou et al. JHEP0803:017,2008 ]



# Signal Cross-Section: NNLO vs. MC@NLO

| $\sigma_{\rm acc}$ [fb]      | $\mu = \frac{m_{\rm H}}{2}$ |                  | $\mu = 2 m_{\rm H}$ |                  |
|------------------------------|-----------------------------|------------------|---------------------|------------------|
| jet algorithm                | SISCone                     | $k_{\mathrm{T}}$ | SISCone             | $k_{\mathrm{T}}$ |
| LO                           | $21.00\pm0.02$              |                  | $14.53\pm0.01$      |                  |
| HERWIG                       | $11.16\pm0.04$              | $11.59\pm0.04$   | $7.60\pm0.03$       | $7.89 \pm 0.03$  |
| NLO                          | $22.40\pm0.06$              |                  | $19.52\pm0.05$      |                  |
| MC@NLO                       | $17.42\pm0.08$              | $18.42\pm0.08$   | $13.60\pm0.06$      | $14.39\pm0.06$   |
| $R^{\rm NLO}({\rm HERWIG})$  | $19.79\pm0.07$              | $20.56 \pm 0.07$ | $14.61\pm0.05$      | $15.17\pm0.05$   |
| NNLO                         | $18.84 \pm 0.59$            | $18.45\pm0.54$   | $18.76\pm0.31$      | $19.01\pm0.27$   |
| $R^{\rm NNLO}({\rm MC@NLO})$ | $19.33\pm0.09$              | $20.43 \pm 0.09$ | $17.24\pm0.07$      | $18.24\pm0.07$   |
| $R^{\rm NNLO}({\rm HERWIG})$ | $22.02\pm0.08$              | $22.88 \pm 0.08$ | $18.65\pm0.07$      | $19.38\pm0.07$   |

- failure to agree at LO/NLO, due to the 'poor' hadronic structure
- very good agreement at NNLO ⇒ very accurate prediction

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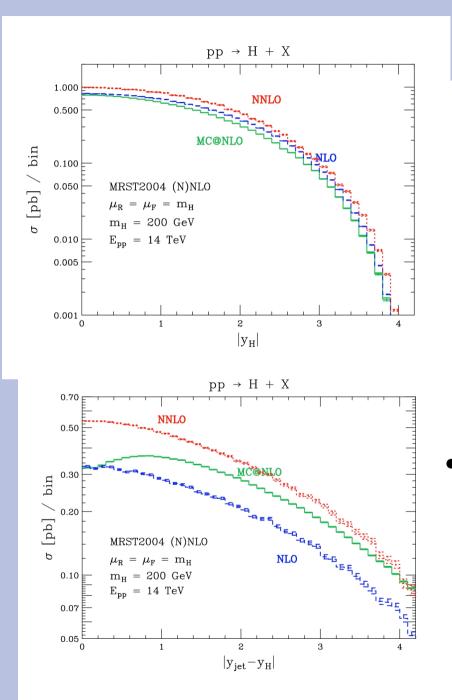
### More sophisticated techniques

- the cut based analysis, though 'easy' to understand does not guarantee for the best performance
- to increase the analysis sensitivity more complex techniques are needed and already in use
  - artificial neural networks (ANN)
  - boosted decision trees, etc
- such analyses typically take distributions of kinematic variables as input
- to validate these distributions against a high precision calculation, our tool should be able to compute such distributions (histograms) effectively
- in addition it would be nice to being able to compute e.g. an ANN output distribution at fixed NNLO

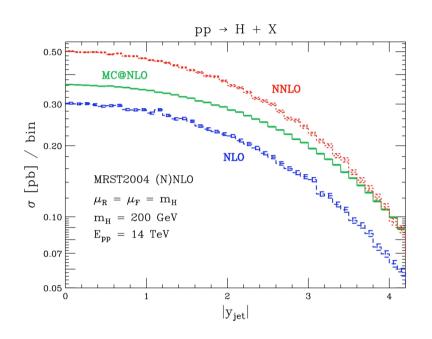


### Histograms in FEHiP

- usually, to compute histograms with programs relying on sector-decomposition, each bin of each histogram has to be computed separately
  - in contrast to programs like HNNLO
- this leads to long computing times
- this short-coming can be overcome by a 'clever' structuring of the code
- we have applied this strategy to the program FEHiP and are thus able to compute any number of histograms in one running procedure
- as a first application we compute the rapidity of the Higgs and the leading jet, as well as their difference at NNLO with a fine binning







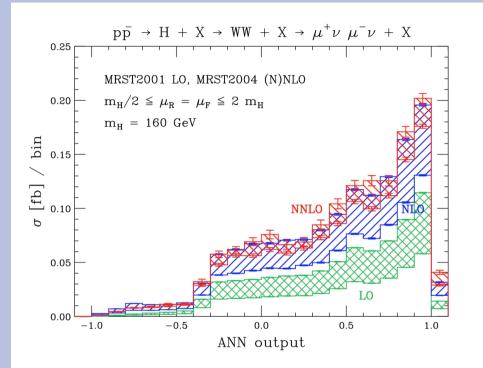
 the fine binning and the excellent accuracy allow for a much better/faster comparison of e.g. MC@NLO spectra to fixed NNLO spectra



### ANN at NNLO: Tevatron example

- as a final application we want to compute the distribution of a ANN outcome, as it is used by the Tevatron collaborations, at NNLO
- we use the TMVA root package and train the network with samples for Higgs (160 GeV), WW and ttbar processes generated with PYTHIA 8
- to these events we apply a pre-selection
  - muon trigger requirements and isolation
  - minimal transverse momenta for the leptons
  - cuts on invariant mass and missing transverse momentum
  - no more than 1 jet harder than 15 GeV
- the input variables to the ANN are:
  - $p_T$  of the leptons, the invariant mass, the angle  $\phi_{II}$  and the missing transverse energy





- K-factor after preselection:
  - $\sigma(NNLO)/\sigma(LO) \sim 1.9$
- K-factor in last two bins: 1.  $\sigma(NNLO)/\sigma(LO) \sim 2.9$ 
  - 2.  $\sigma(NNLO)/\sigma(LO) \sim 1.8$
- ⇒ the ANN is more `discriminating' at NNLO

- ongoing study:
  - run for better precision
  - compare to parton shower MC
- to my knowledge: first time ANN output has been computed at fixed order beyond LO



### Conclusions

- we achieved a fully differential calculation and understanding of the QCD corrections up to NNLO for the possible discovery channel  $H \rightarrow WW$
- the corrections are significant and have to be taken into account for an accurate cross-section prediction
- there are tools that allow for the computation of
  - 1. cross-sections after experimental cuts up to NNLO
  - 2. distributions of any kinematic variables after such cuts (input to multi-variate analyses (MVA), e.g ANN)
  - 3. distributions of the output variables of such MVAs
- the tools can in principle be extended to take into account lepton reconstruction efficiencies, jet energy scales etc.
- scale variation and higher order effects can be studied in detail to allow for an accurate estimation of the theoretical uncertainty on the expected signal event rate
- a version of FEHiP including all these features should be available soon



### **BACKUP SLIDES**

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