

# Light DM search with AURIGA

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# Light Dark Matter

- moduli ( $\phi$ ): scalar fields from string theory;
- mass values,  $m_\phi$ , model dependent;
- good dark matter (DM) candidate:
  - Standard Halo Model assumed with  $\rho_{DM} = 300 \text{ MeV}/\text{cm}^3$  and Maxwell-Boltzmann velocity distribution;
  - heavier than  $m_\phi \simeq 10^{-22} \text{ eV}$ ;
  - classical wave description: lighter than  $m_\phi \simeq 0.1 \text{ eV}$ :

$$\phi(\mathbf{x}, t) = \phi_0 \cos(m_\phi t - m_\phi \mathbf{v} \cdot \mathbf{x}) + O(\mathbf{v}^2)$$

**Reference:** A. Arvanitaki, S. Dimopoulos, K. V. Tilburg, Phys. Rev. Lett. 116, 031102 (2016);

# Light Dark Matter

Interaction of moduli with ordinary matter:

$$\mathcal{L} \supset \sqrt{4\pi G_N} \phi \left[ d_{m_e} m_e \bar{e}e - \frac{d_e}{4} F_{\mu\nu} F^{\mu\nu} \right]$$

effects of moduli can be absorbed by the fine structure constant ( $\alpha$ ) and electron mass ( $m_e$ ):

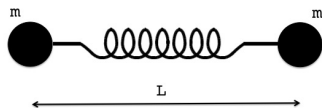
$$\alpha(\mathbf{x}, t) = \alpha(1 + d_e \sqrt{4\pi G_N} \phi(\mathbf{x}, t))$$

$$m_e(\mathbf{x}, t) = m_e(1 + d_{m_e} \sqrt{4\pi G_N} \phi(\mathbf{x}, t))$$

**Consequence:** oscillation of the atom's size ( $a_0 = 1/\alpha m_e$ ) in a body of length  $L$ :

$$h \equiv \frac{\delta L}{L} = -(d_e + d_{m_e}) \sqrt{4\pi G_N} \phi(\mathbf{x}, t)$$

## Effects on an oscillator



The equation of motion is given by:

$$\ddot{x} + \frac{\omega}{Q}\dot{x} + \omega^2(x - L) = F_{ext} + F_{th}$$

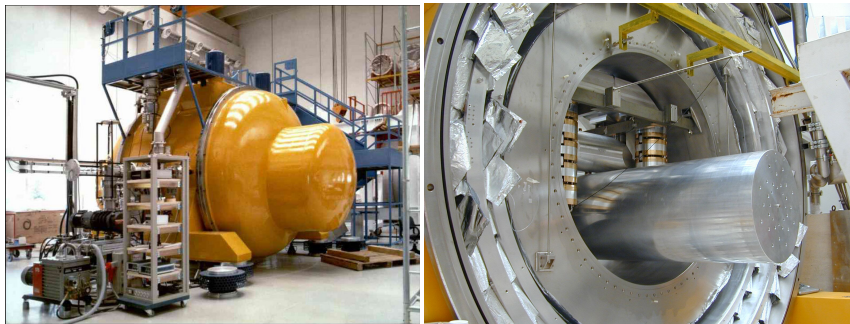
Rewriting:  $\xi = x - L$  (displacement)  $\Rightarrow \ddot{x} = \ddot{\xi} + \delta L = \ddot{\xi} + \ddot{h}L$ :

$$\ddot{\xi} + \frac{\omega}{Q}\dot{\xi} + \omega^2\xi = -\ddot{h}L + F_{ext} + F_{th}$$

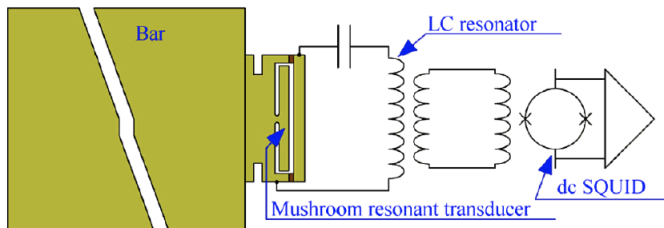
similar to the one of gravitational wave antenna subject to GW tidal force.

# Antenna

Searching for moduli can be performed exploiting the same experimental apparatus (**AURIGA @ LNL**) and same analysis techniques as for the search of GW signals.



# AURIGA detector: read-out scheme

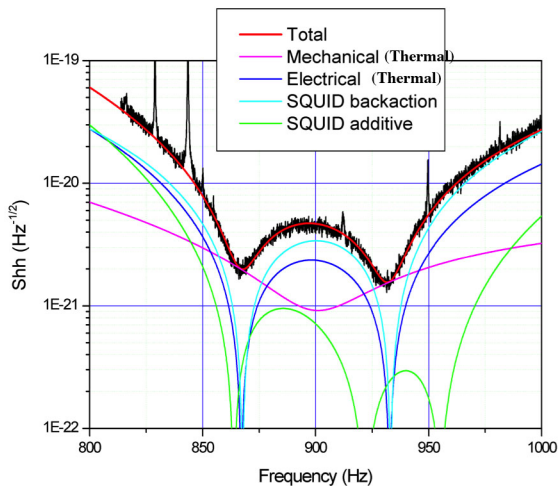


**System components:** 3 coupled resonators (nearly same  $f_R \sim 900$  Hz):

- ① cylindrical bar (aluminium alloy);
- ② mushroom-shaped resonator;
- ③ electrical LC circuit;

Operated at cryogenic temperature:  $T = 4.5$  K;

# AURIGA detector: sensitivity



- **detector in thermal equilibrium**: its fluctuations are described by the Fluctuation-Dissipation theorem
- **sensitivity** (set by thermal noise) within factor 2:

$$h \approx 2 \cdot 10^{-21} \text{ 1}/\sqrt{\text{Hz}}$$

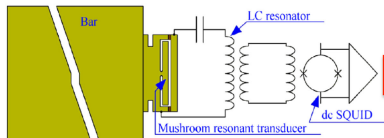
over a bandwidth of:

$$\Delta f \approx 100 \text{ Hz}$$

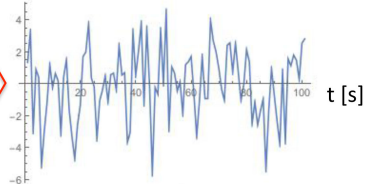


# Analysis Workflow

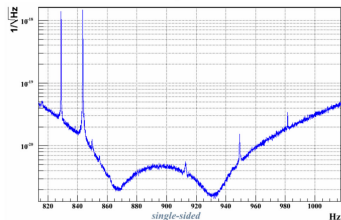
## AURIGA DETECTOR



## A [V] OUTPUT (time-domain)



## Power Spectrum (FFT) + Transfer Function

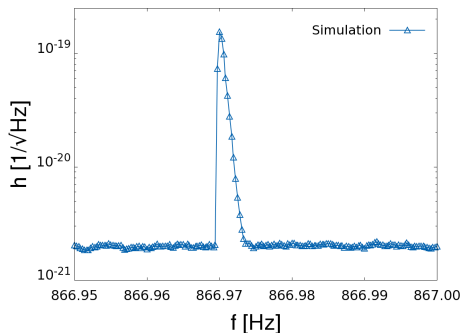


## Measured strain of the AURIGA bar:

- thermal noise of a system in thermodynamic equilibrium;

## Signal characterization

## SIGNAL SIMULATION



$f_\phi$ [Hz]	$(d_{m_e} + d_e)$	$\sigma_{noise}$ [ $1/\sqrt{\text{Hz}}$ ]
$\sim 867$	$5 \cdot 10^{-4}$	$2 \cdot 10^{-21}$

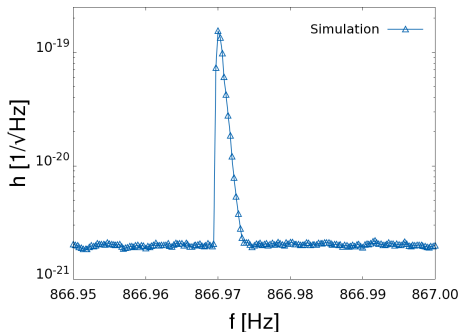
**DM moduli model:** stochastic process with Maxwell-Boltzmann distribution. Maximum approximately:

$$h_0 \simeq \frac{1.5 \cdot 10^{-16} (d_{m_e} + d_e)}{\left(\frac{1}{3} f_\phi \langle v^2 \rangle\right)^{\frac{3}{4}} f_\phi}$$

- $f_\phi$  moduli frequency;
- $\langle v^2 \rangle \sim 10^{-6}$ , DM halo squared velocity;
- **Bandwidth:**  $\Delta f \sim 1 \text{ mHz}$ ;

# Power spectrum (PWS) estimation

## SIGNAL SIMULATION

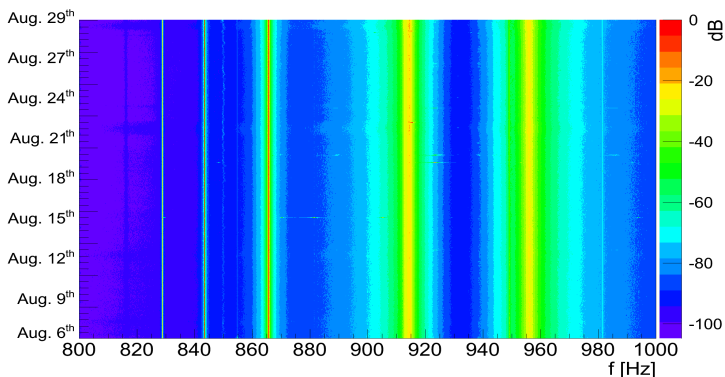


- **Bandwidth:**  $\Delta f \sim 1 \text{ mHz}$ ;

- **proper spectrum resolution:**  $N$  PWSs computed on 1h long data-streams;
- **reduce noise standard deviation:** the  $N$  PWSs are averaged;
- **few weeks of data to reach sensitivity plateau:** standard deviation of signal fluctuation  $\sim N^{-1/4}$ ;

# Dataset and data quality

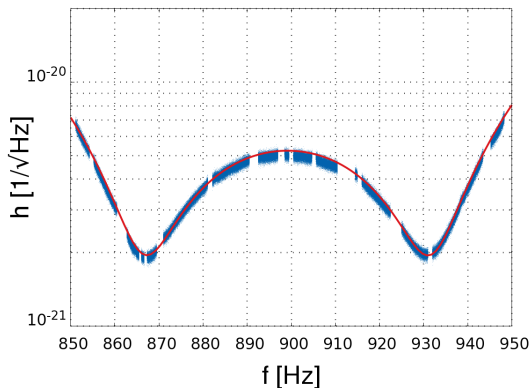
Dataset considered for analysis: August 2015 data. **Time-frequency view:**



- stable detector conditions: constant mode frequency and shape;
- energetic background events (spikes at fixed time): cut-off by RMS requirement (86% detector duty-cycle);

# Measured PWS

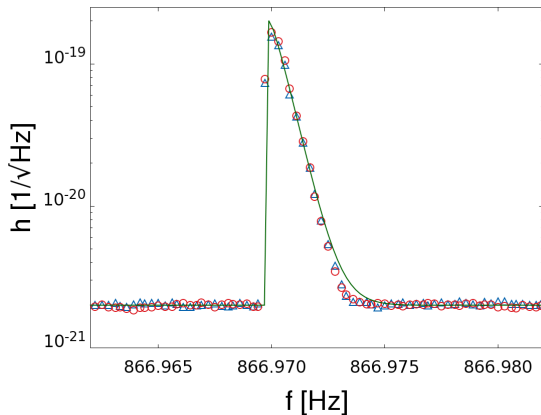
Spectrum of the measured bar relative deformation compared to theory prediction:



- one-sided power spectrum;
- from  $N = 400$  averaged power spectrums;
- good agreement with prediction ( $\sigma_{Th} \sim 5 - 10\%$ );
- spurious peaks discarded;

# Test: signal injection

Comparison: full simulation vs signal injection



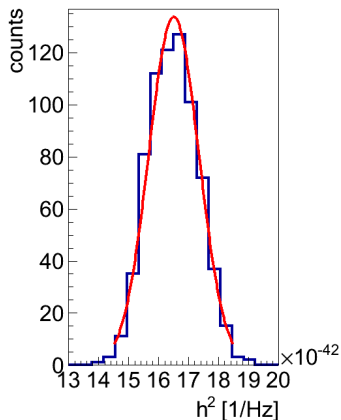
## Signal parameters

$f_\phi$ [Hz]	$(d_{m_e} + d_e)$
$\sim 867$	$5 \cdot 10^{-4}$

- signal well reconstructed;
- no reduction due to RMS cut;

# Statistical analysis

Bins' spectrum statistic

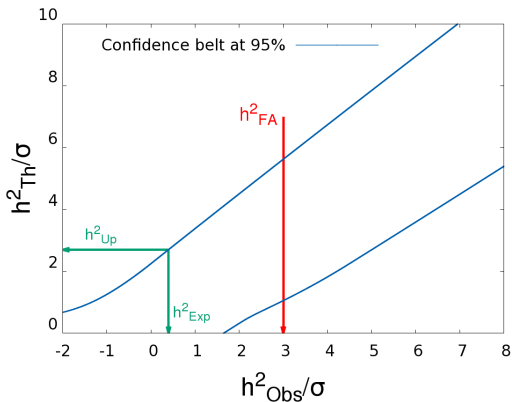


$f$ [Hz]	$\langle h^2 \rangle$ [ $\frac{1}{\text{Hz}}$ ]	$\sigma_{h^2}$ [ $\frac{1}{\text{Hz}}$ ]	$\chi^2/ndf$
857	$1.65 \cdot 10^{-41}$	$1.11 \cdot 10^{-42}$	6.3/5

- gaussian PDF describing bin statistics;
- PDF is used to build the confidence belt in the parameter space ( $h^2_{obs}, h^2_{Th}$ );

# Confidence belt

Reference: G. J. Feldman, R. D. Cousins, Phys. Rev. D 57, 3873-38891 (1998).



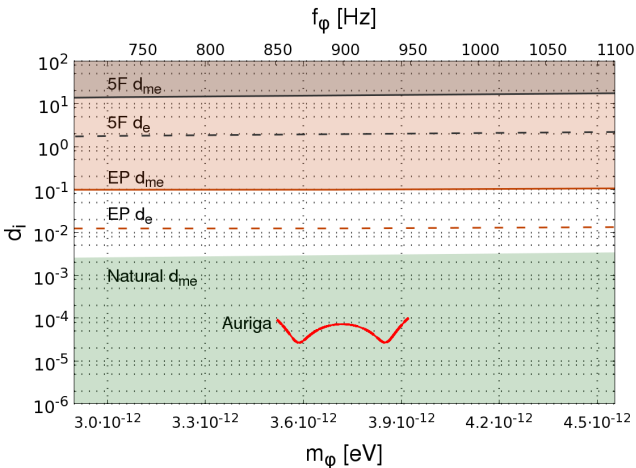
- $h^2_{FA}$ : false alarm probability threshold of  $3\sigma$  from background only hypothesis;
- $h^2_{Exp}$ : observed value (for a given bin);
- $h^2_{Up}$ : upper limit corresponding to experimental value;



# Upper Limits

Upper limits on  $h$  interpreted as upper limit on the DM couplings to ordinary matter:

$$h_0 \simeq 1.5 \cdot 10^{-16} (d_{m_e} + d_e) / \left( \frac{1}{3} f_\phi \langle v^2 \rangle \right)^{\frac{3}{2}} f_\phi$$

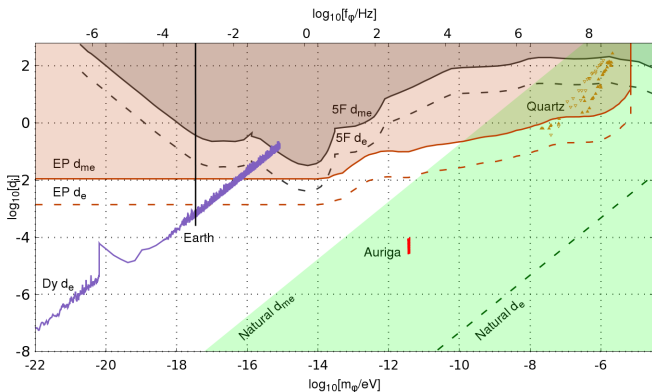


- reached sensitivity on DM couplings:  $d_i \simeq 10^{-4}$ ;
- bandwidth sensitivity:  $\Delta f \simeq 100$  Hz

**FIRST TIME EVER!**

# Upper Limits: wider view

Comparison with other upper limits:



- **Natural:** natural parameter space (theory);
- **5F and EP:** fifth force and equivalence principle tests;
- **Dy:** sensitivity of atomic spectroscopy in dysprosium;
- **Earth:** low frequency terrestrial seismology;
- **Quartz:** sensitivity of piezoelectric quartz resonators;

From: A. Arvanitaki, S. Dimopoulos, K. V. Tilburg, Phys. Rev. Lett. 116, 031102 (2016)

# Conclusions

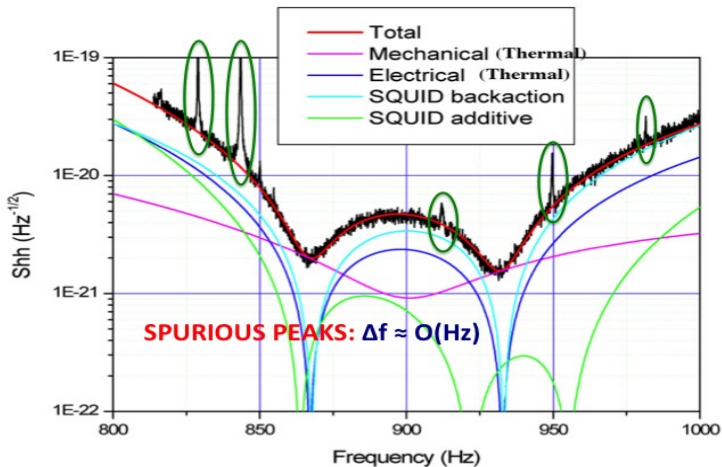
Search for light Dark Matter with AURIGA resonant-mass cryogenic detector:

- light dark matter effects on ordinary matter: microscopic changes of bodies size;
- effects exploited to search for effects on AURIGA detector;
- good sensitivity reached: upper limits on Dark Matter coupling in a physical interesting region of parameter space;

# Backup Material

## BACKUP MATERIAL

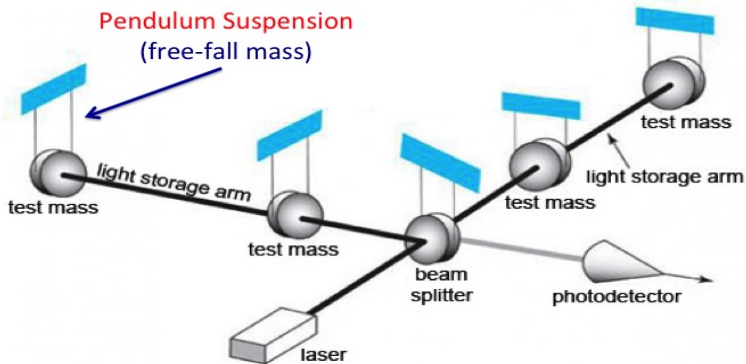
# Spurious peaks



Spurious peaks not described by Fluctuation-Dissipation Theorem:

- discarded from the data analysis

# Interferometers



Light Dark Matter moduli:

- does not affect distance between mirrors (vacuum);
- effects only on the mirrors size themselves;