

Status and plans

Done:

- K_s^0 and Λ selection comparison (A. vs Ch.) for 00 DIS sample $\Rightarrow$ both codes agree ($\sim 0.5\%$ discrepancy due to $E-p_z$ cut)
- $5 \cdot 10^6$ MC (djangoh14) simulated events with K_s^0 and Λ preselection (cuts: $|\eta(V^0)| < 1.7$, $p_T(V^0) > 0.1$ GeV) for detector corrections

Plans:

- finish comparison $\Rightarrow$ conclusions from comparing events list for 99, 96/97 and distributions of $N(\Lambda)$ and $N(K_s^0)$ from fits in η , p_T , x and Q^2
- compare trigger efficiencies in data and MC for S61
- calculate efficiencies and correction factors, resolutions, purities, stabilities

Determination of F_2^s ?

$$\frac{d\sigma_j}{dp_{Tj}d\eta_j} \Leftrightarrow pdf \quad \text{Jet distributions constrain parton density function}$$

$$\frac{d\sigma_j^{K_0}(p_{Tj}, \eta_j, x_{K_0})}{dp_{Tj}d\eta_j dx_{K_0}} = \sum_p \frac{d\sigma_j^p(p_{Tj}, \eta_j)}{dp_{Tj}d\eta_j} D_p^{K_0}(x_{K_0}, p_{Tj}) \quad x_{K_0} = \frac{\vec{p}_{K_0} \cdot \vec{p}_j}{|\vec{p}_j|^2}$$

Sum over parton flavours

Normalized K_0 momentum along jet

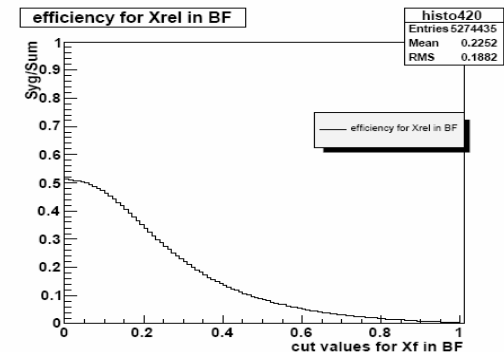
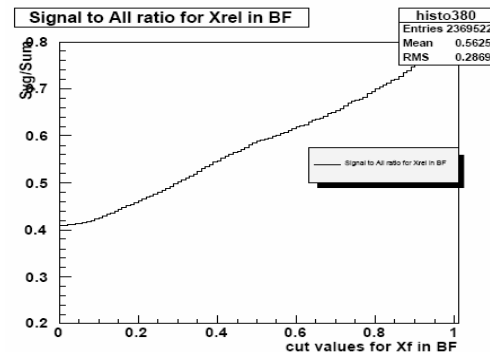
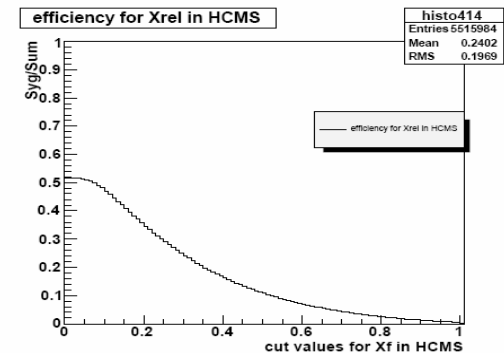
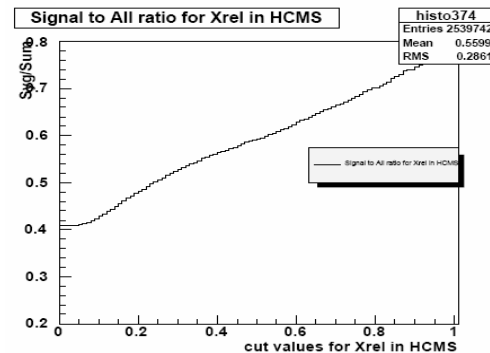
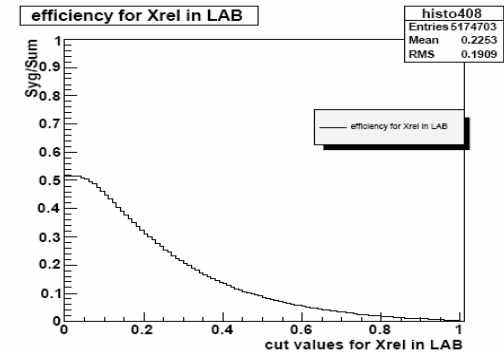
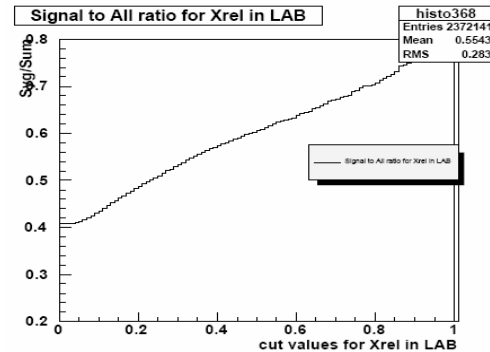
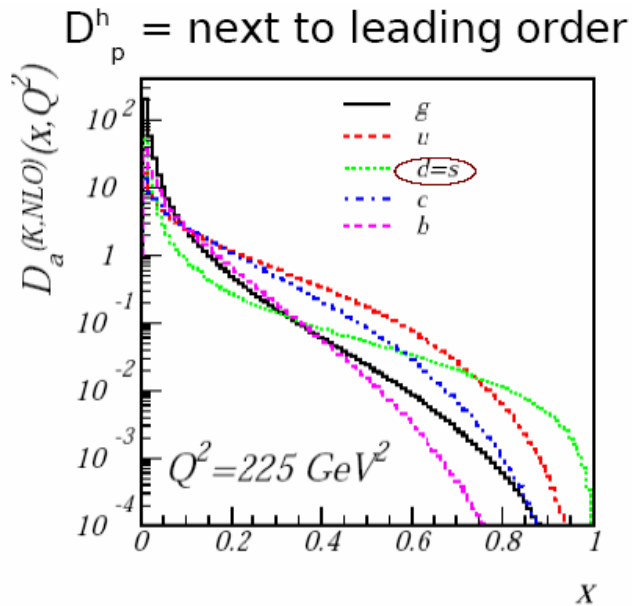
Jet distributions together with associated K_0 's constrain jet flavours and one may attempt use them to constrain strange parton density function

- First step : use MC (e.g. RAPGAP, CASCADE) fragmentation functions and jet distributions and check if jet distributions associated with K_0 's are indeed sensitive to strange quark jet content determine what kind of distributions give best constraints
- Second step (probably beyond Pawel diploma th.) fit PDF to inclusive x-section + dijet x-section + dijet- K_0 constraining strange component (tool needed), determine what kind of distributions give best constraints

First step: FF from MC (lund string fragmentation) vs. NLO FF, parametrize as a function of λ_s , scale (jet p_T)

• Use jet+K0 data to determine $FF(\text{parton} \rightarrow K_0 + X)(x_{K_0})$

Question: what is relation of such FF to NLO FF



- using MC (e.g. RAPGAP produce table of jet x-sections with errors in bins $\Delta\eta$, Δp_T for each flavour for different processes (PM,BGF,QCDC)

- From table of „flavored jets“ and table of FF construct χ^2 :

Data : jet x-section

jet+ K_0 x-section

x_{rel} of K_0 distribution

Given : $FF \rightarrow K_0$ for all flavours parametrized as a function of λ_s

tables of jet x-sections (shapes) for all flavours

Parameters: normalisation constants for flavours; λ_s

Fit will be sensitive to relative weights of those flavours which FF strongly differ, e.g. s+d, other quarks, gluons

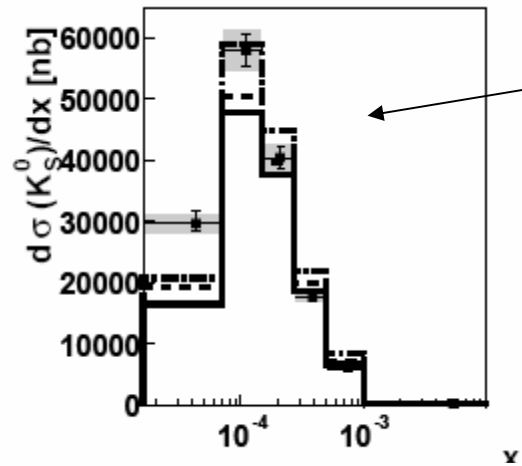
Dijet data with 2 K_0 should be sensitive to BGF/QCDC $FF(q)*FF(g)$ much different from $FF(q)FF(q)$

- NLO (e.g. NLOJET++) + NLO FF ? Tool missing (?)

	H1-Daten	MEPS ($\lambda_s = 0.3$) ($\lambda_S = 0.2$)		CCFM ($\lambda_S = 0.2$)
$\sigma_{vis}(K_S^0)[\text{nb}]$	$20.25 \pm 0.10 \pm 1.47$	24.4	20.2	18.2
$\sigma_{vis}(\Lambda(\bar{\Lambda}))[\text{nb}]$	$6.96 \pm 0.09^{+0.64}_{-0.56}$	8.05	6.29	5.96
$\sigma_{vis}(\Lambda)[\text{nb}]$	$3.44 \pm 0.06^{+0.31}_{-0.28}$	4.01	3.14	3.00
$\sigma_{vis}(\bar{\Lambda})[\text{nb}]$	$3.53 \pm 0.06^{+0.32}_{-0.28}$	4.04	3.15	2.96
$\sigma(\Lambda(\bar{\Lambda}))/\sigma(K_S^0)$	0.344 ± 0.004	0.330	0.311	0.328
$\sigma(\Lambda)/\sigma(\bar{\Lambda})$	0.98 ± 0.02	0.99	1.00	0.99

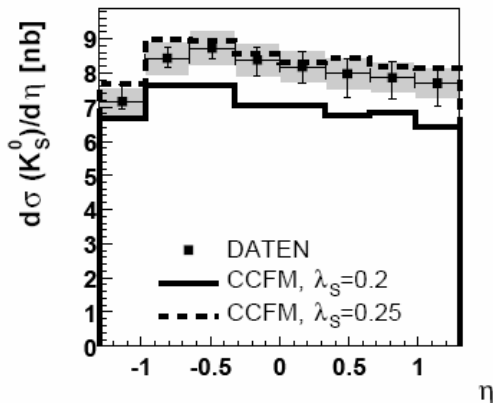
	H1-Daten	CDM ($\lambda_S = 0.2$)	HERWIG
$\sigma_{vis}(K_S^0)[\text{nb}]$	$20.25 \pm 0.10 \pm 1.47$	19.21	22.15
$\sigma_{vis}(\Lambda(\bar{\Lambda}))[\text{nb}]$	$6.96 \pm 0.09^{+0.64}_{-0.56}$	6.23	20.6
$\sigma_{vis}(\Lambda)[\text{nb}]$	$3.44 \pm 0.06^{+0.31}_{-0.28}$	3.32	10.38
$\sigma_{vis}(\bar{\Lambda})[\text{nb}]$	$3.53 \pm 0.06^{+0.32}_{-0.28}$	3.31	10.22
$\sigma(\Lambda(\bar{\Lambda}))/\sigma(K_S^0)$	0.344 ± 0.004	0.324	0.930
$\sigma(\Lambda)/\sigma(\bar{\Lambda})$	0.98 ± 0.02	1.00	1.02

Tabelle 9.1: Die totalen, inklusiven sichtbaren Wirkungsquerschnitte $\sigma_{vis}(ep \rightarrow [K_S^0, \Lambda(\bar{\Lambda}), \Lambda\bar{\Lambda}]X)$ der K_S^0 - und Λ -Produktion in den Daten und in den Modellen MEPS(RAPGAP), CCFM(CASCADE), CDM(DJANGO) und HERWIG.

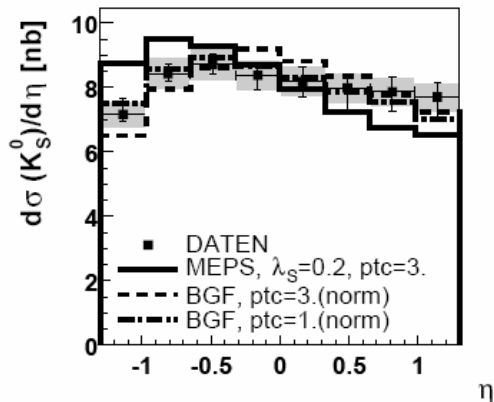


MEPS, $\lambda_s=0.3,0.25,0.2$

Apparent problem in data description,
especially at low x



CCFM does better job, but still at
 $\lambda_s=0.25 < 0.3$ expected from e^+e^-

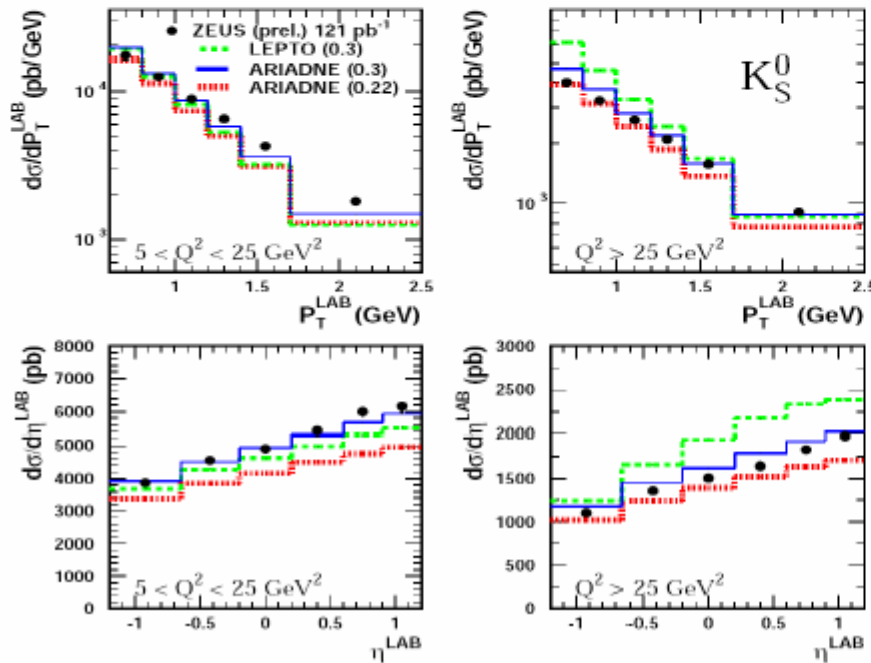


MEPS looks OK. provided that we
exclude QCDC (CCFM case),
always $\lambda_s=0.25$

Inclusive cross sections

hadronisation universal e^+e^- : $\lambda_s = 0.3$

ZEUS



Differential K_S^0 cross section
in DIS in lab frame compared
with LEPTO and ARIADNE

ARIADNE with $\lambda_s = 0.3$

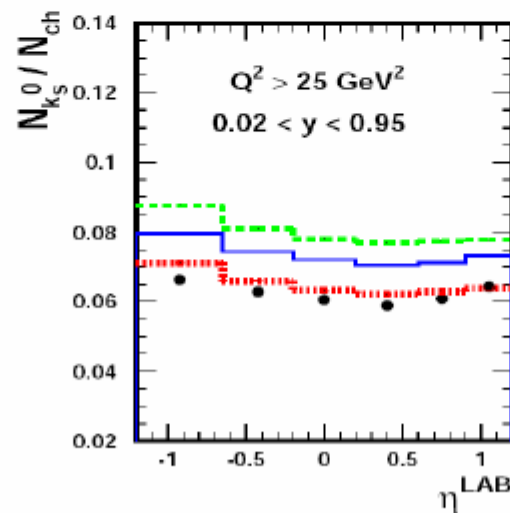
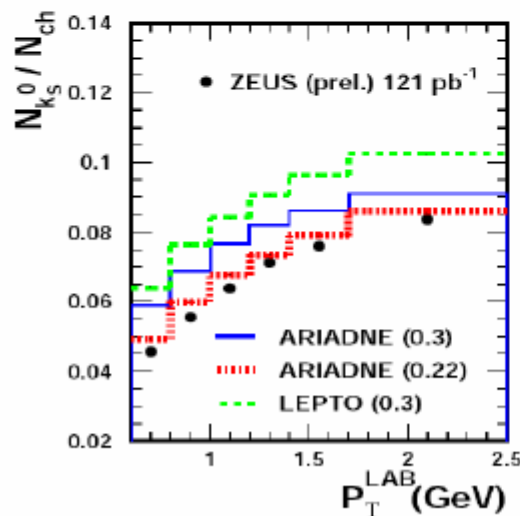
describes data well
 $\lambda_s = 0.2$ less satisfactory

LEPTO (PS+SCI) does not
describe data

but... strange to light hadrons ratio

Different strangeness suppression for inclusive cross section and ratio strange to light hadrons!

ZEUS



N_{ch} - number of charged pions, charged kaons, protons and antiprotons

ARIADNE with $\lambda_s = 0.22$ describes data best

Questions :

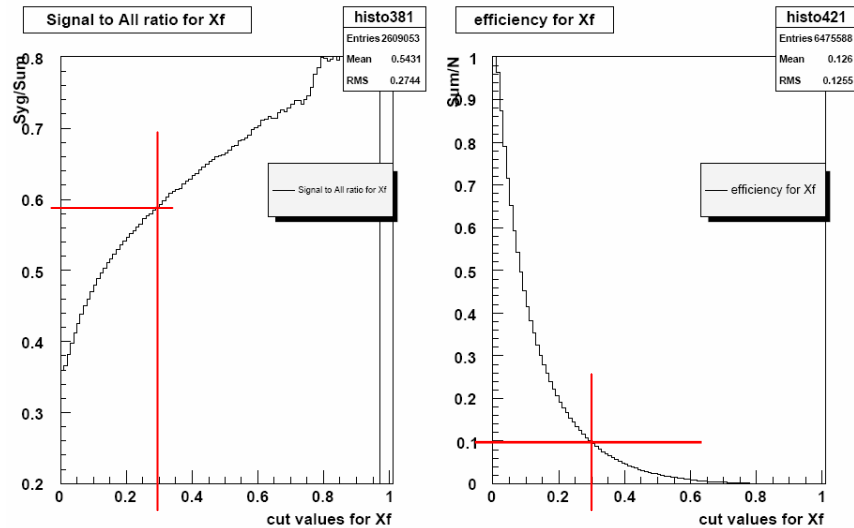
Do we have problem with universality of FF ? Unlikely, for charged particle universality of FF in e^+e^- vs ep has been proven in H1 and ZEUS

Do we have problem with strange component of pdf ?? How they are constrained in fits ? $\rightarrow$ jet + K_0 , statistics ? Wait for Pawel study

Inclusive $2K_0$ data: could we describe inclusive K_0 + inclusive $2K_0$ treating QCDC/BGF as a parameter with universal $\lambda_s=0.3 \rightarrow$ if yes we could conclude that it is rather strange quark sea problem then FF problem

Global variables: X_f and X_p

X_f



X_p

