

# $F_2^s$ using final states with $K_S^0$

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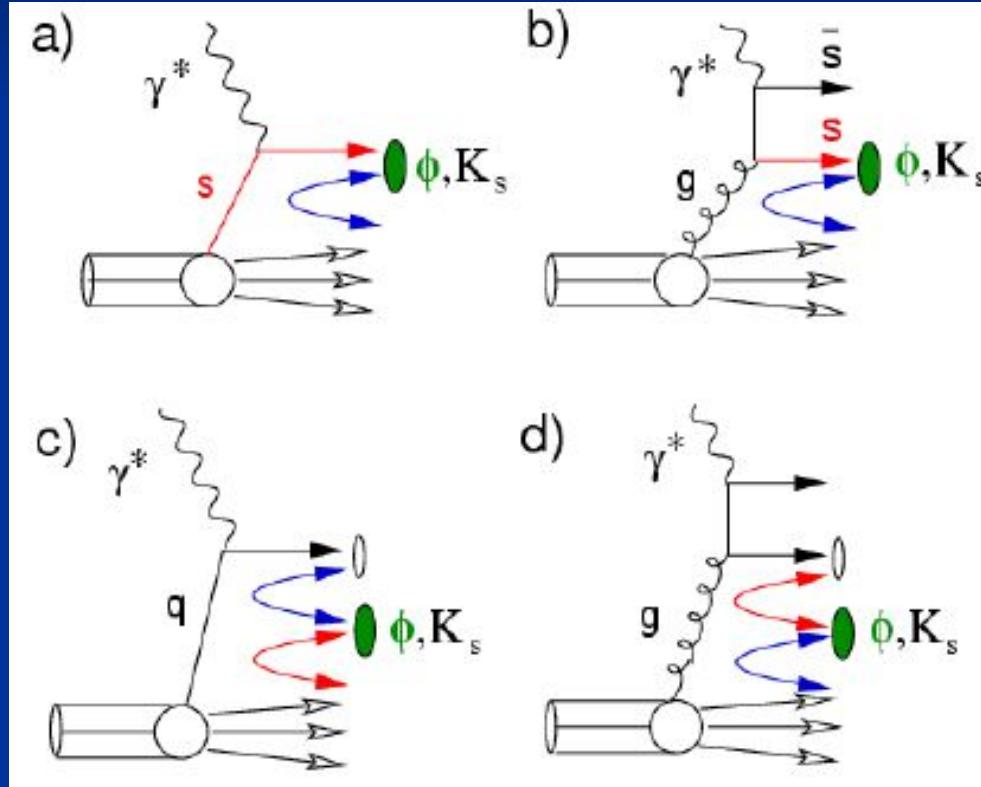
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# Introduction

$$F_2 \rightarrow F_2^{\text{u,d}}, F_2^{\text{s}}, F_2^{\text{c}} \dots \frac{d^2\sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{xQ^4} [Y_+ \mathcal{F}_2(x, Q^2) - y^2 \mathcal{F}_L(x, Q^2) + Y_- x \mathcal{F}_3(x, Q^2)] (1 + \delta_r(x, Q^2))$$

$$F_2^{\text{c}} \leftrightarrow D^{*\ast}$$

$\leftrightarrow$   
 $F_2^{\text{s}} \rightarrow \text{strange particles}$   
(eg  $K_s^0$ )



[1]

# Introduction

n

$$P_s, P_o : P_s + P_o = 1$$

x: variable obtained from  $K^0$  and Jet 4-vectors;

$\lambda_s$ : strangeness suppression factor,  $\lambda_s = P(s)/P(u)$

$P_{s \rightarrow K^0}(x, \lambda_s)$  – related to strange fragmentation func.

$P_{o \rightarrow K^0}(x, \lambda_s)$

**Aim! To find a variable for which this part is most sensitive**



$$N_{K^0}(x_i) = [ P_{s \rightarrow K^0}(x_i, \lambda_s)P_s + P_{o \rightarrow K^0}(x_i, \lambda_s)(1-P_s) ] N$$

# Variables

Two types: **global** and **jet** variables

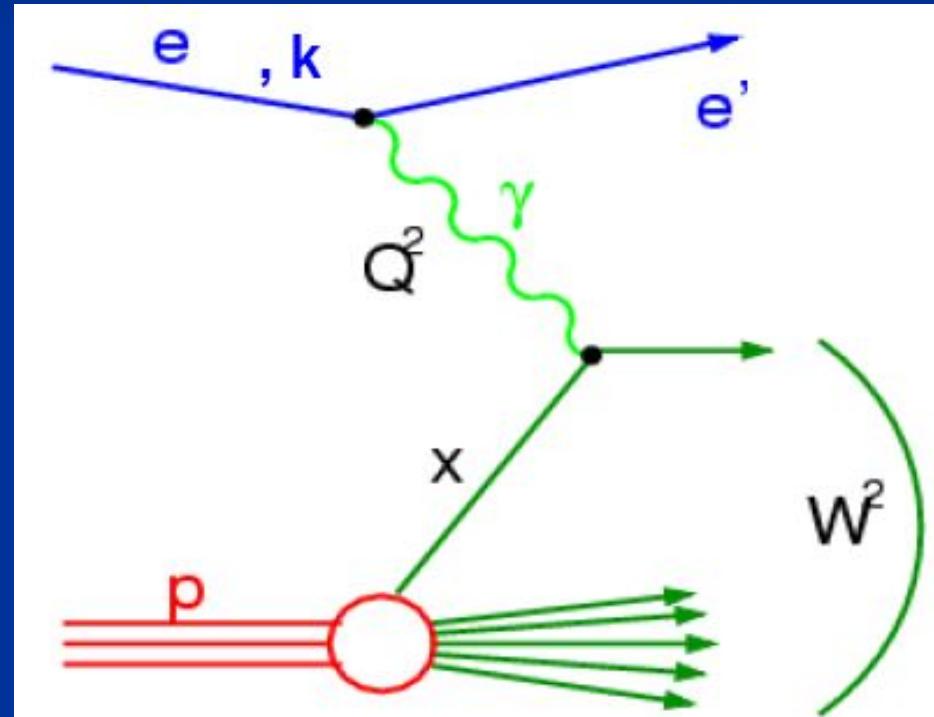
# Variables

Two types: global and jet variables

Frames:

HCMS

CMS of  $p, \gamma$  which  
are aligned



[3]

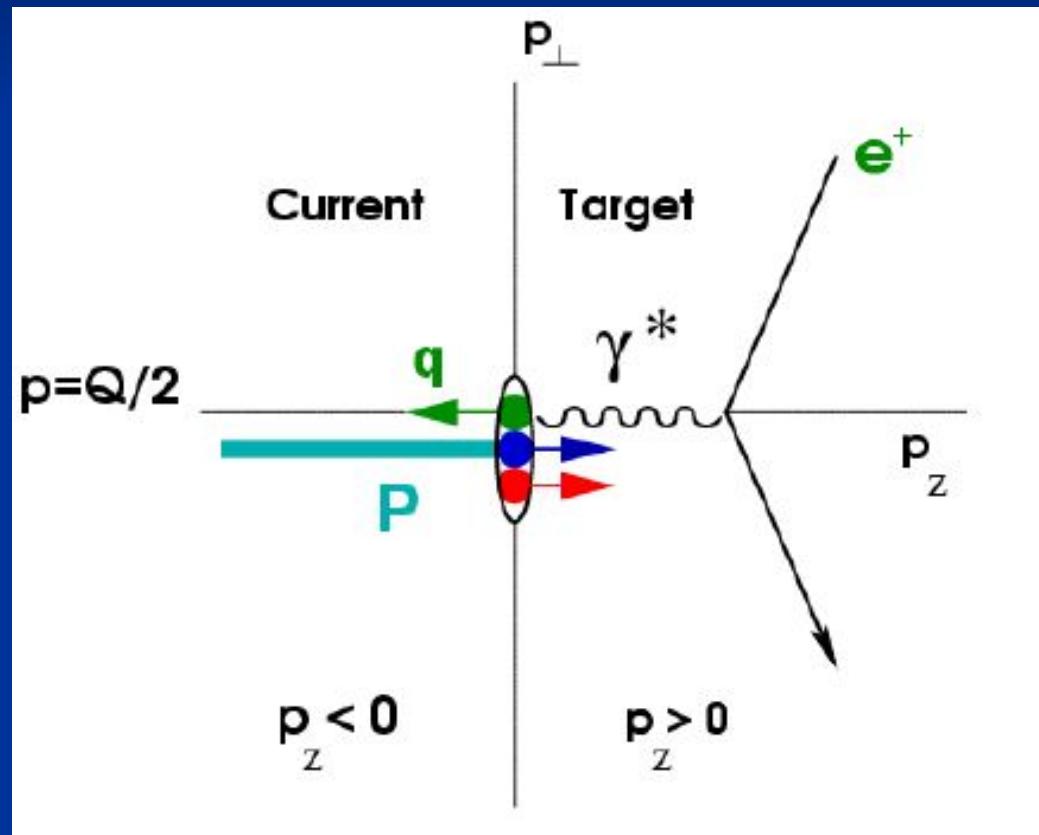
# Variables

Two types: global and jet variables

Frames:

Breit Frame

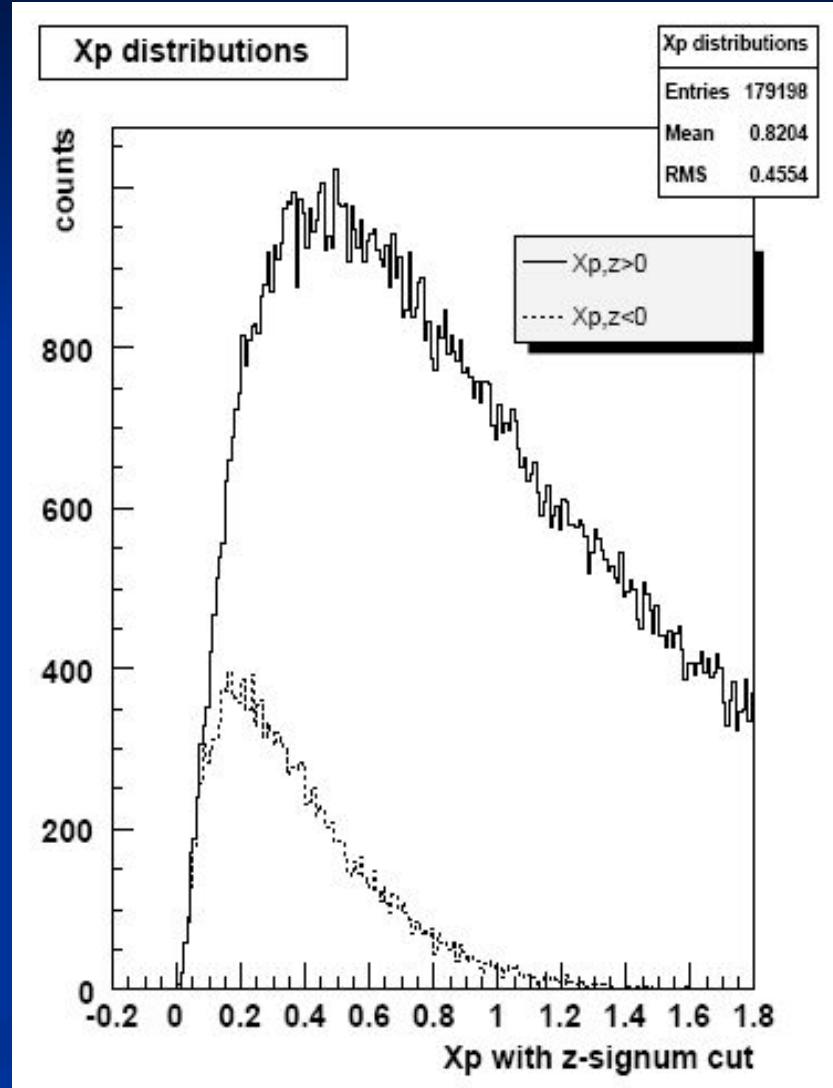
$p = Q/2$ , boson and  $q$  aligned



# Variables

Two types: global  
and jet variables  
Frames:

Breit Frame



# Variables

Two types: global and jet variables

Frames

Global variables. Definitions:

in HCMS:

$$X_f = \frac{\overrightarrow{K}_z^0}{W/2}$$

in Breit Fr.:

$$X_p = \frac{|\overrightarrow{K}^0|}{Q/2}$$

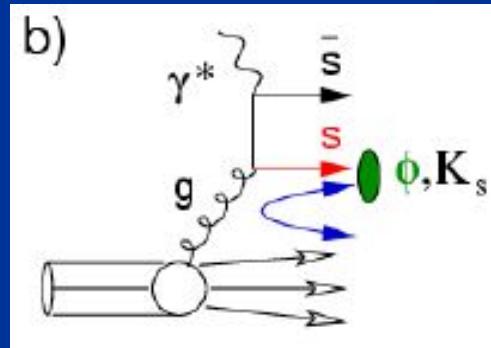
# Variables

Two types: global and jet variables

Frames

Global variables

Jet variables – computed in each frame  
separately



# Variables

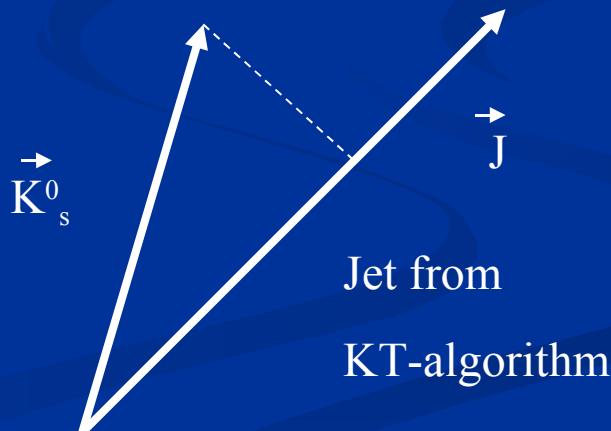
Two types: global and jet variables

Frames

Global variables

Jet variables – computed in each frame  
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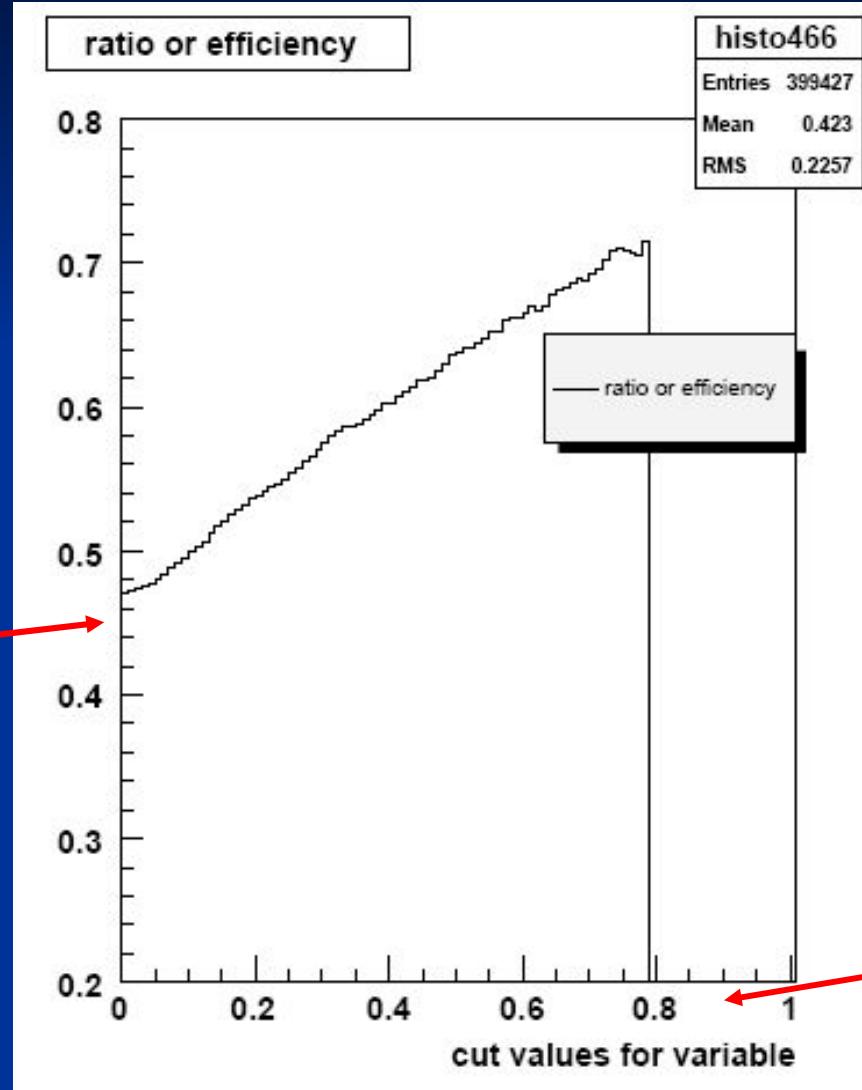
$$X_{rel} = \frac{\overrightarrow{K^0_s} \cdot \overrightarrow{J}}{|\overrightarrow{J}|^2}$$



# Analysis using RAPGAP

Signal:  $K^0$  in events with hard s-quark

Integrated ‘Signal to All ratio’ or  
‘Efficiency’  
for given variable



$$5 < Q^2 < 200$$

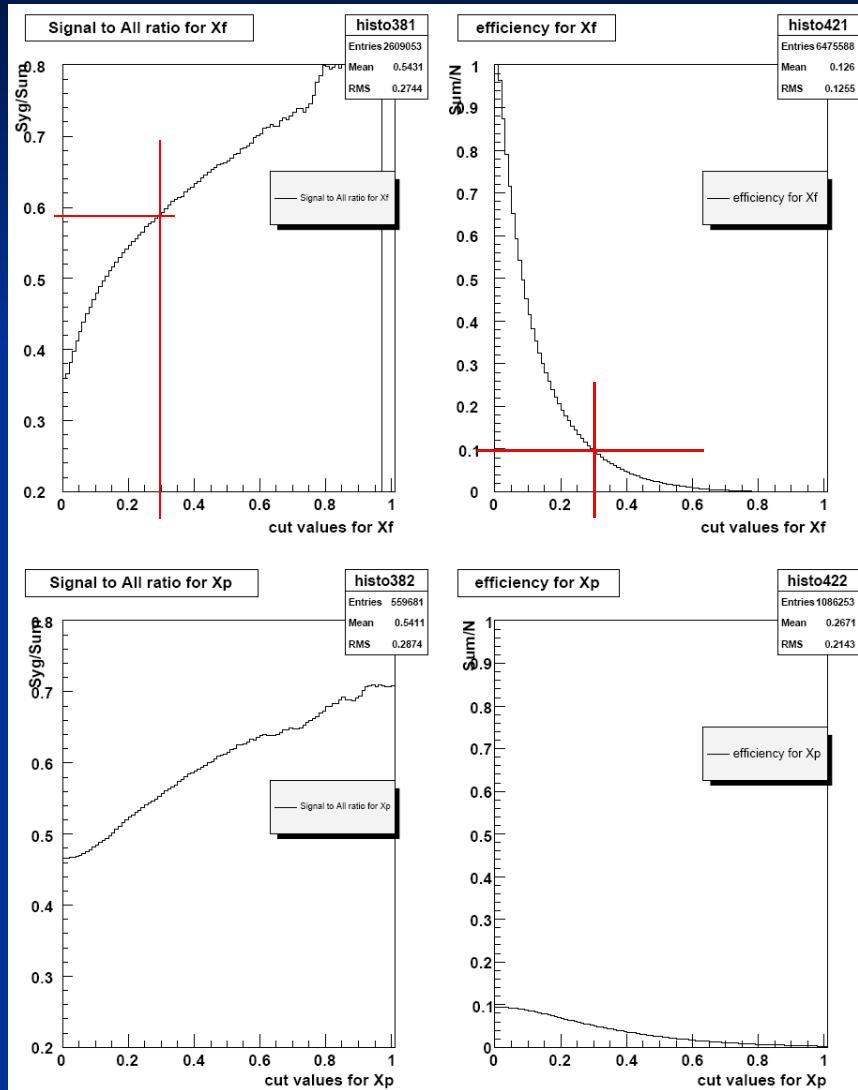
$$0.05 < y < 0.8$$

Cut values for a given variable

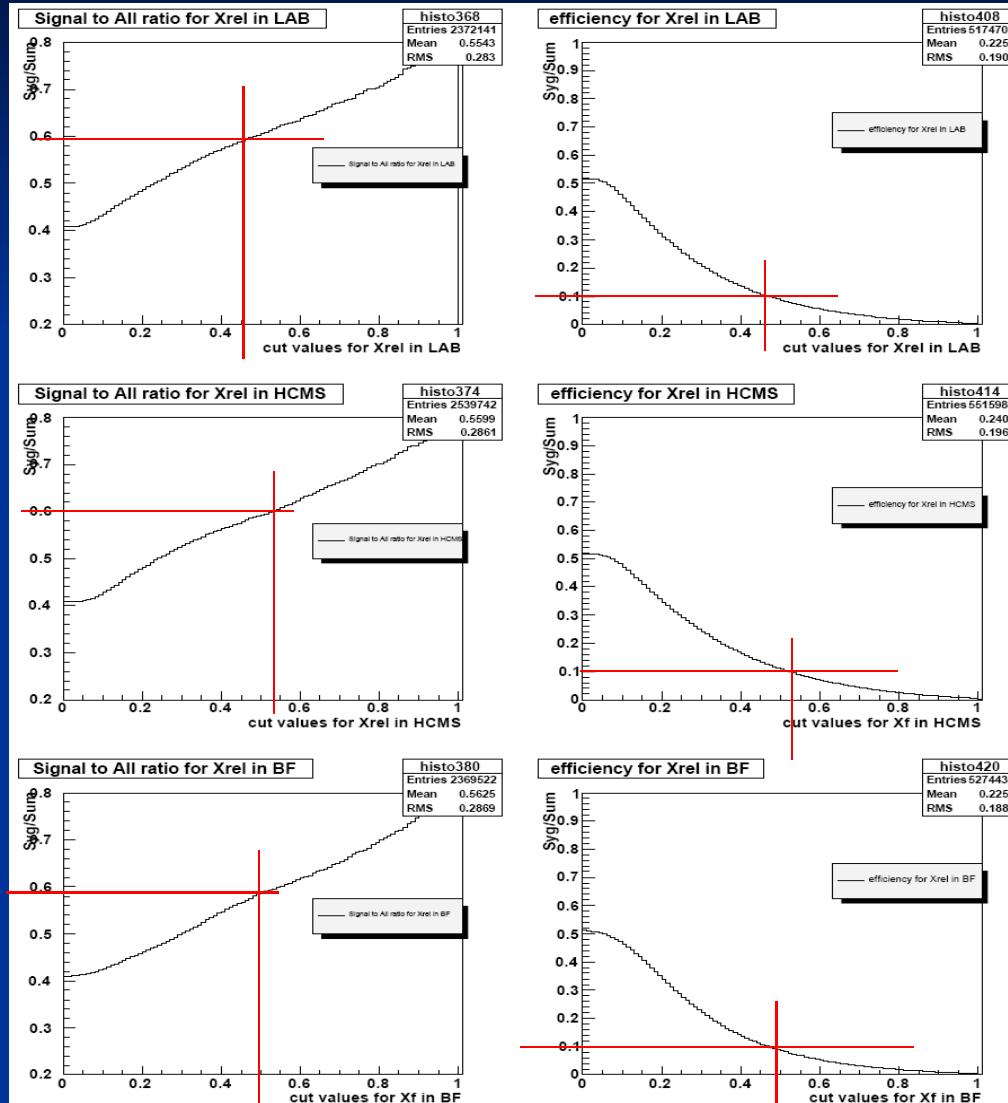
# Global variables: $X_f$ and $X_p$

$X_f$

$X_p$



# X<sub>rel</sub> in different frames



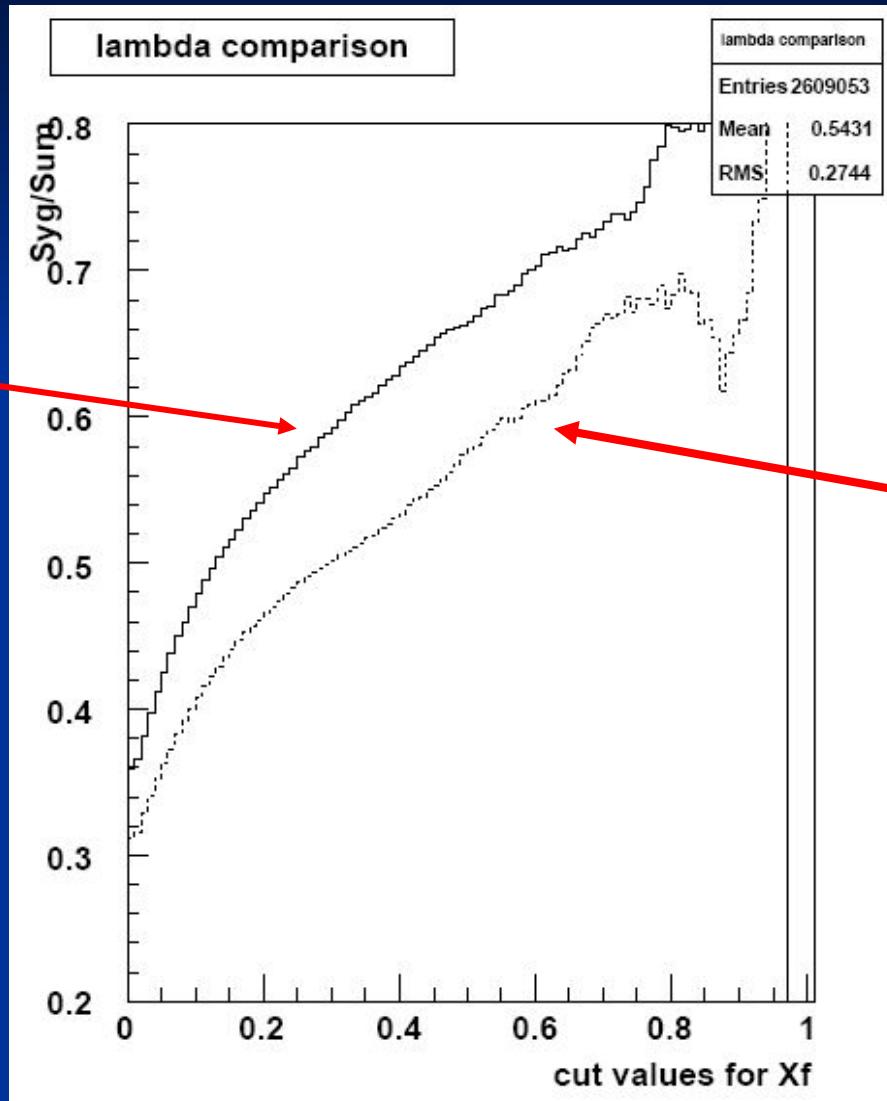
LAB

HCMS

Breit  
Fr.

# $\lambda_s$ dependancy

Ratio for  $X_{\text{rel}}$   
with  $\lambda_s = 0.2$



# Summary

$X_f$  (HCMS) gives the best purity at the given efficiency

$X_{rel}$  in HCMS frame gives the best purity at the given efficiency

# Bibliography

- [1] "Photo- and Electroproduction of single hadrons and resonance", F. Corriveau, 2003
- [2] "Lorentz transformations in DIS", J.Turnau, Summer Students Tutorials, 2006
- [3] "Brief introduction to HERA physics", C.Risler, Summer Students Tutorials, 2006