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DESY Hamburg

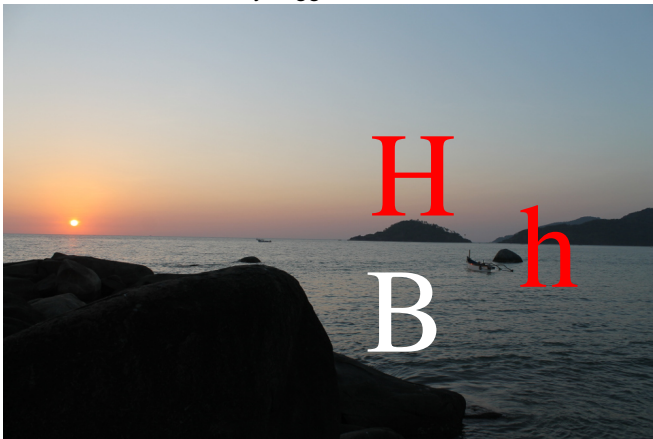
**Interference effects in heavy Higgs
boson searches in a 2HDM
+ SusHi update**

B9 and Higgs meeting - DESY

Hamburg - Apr. 2016



Interferences in heavy Higgs boson searches in a 2HDM



[Palolem 2016]

Interference of SM Higgs signal with the background in the off-shell region!

► First discussion: Off-shell contributions in $H \rightarrow VV^{(*)}$

[1206.4803; Kauer Passarino:
Inadequacy of zero-width approximation
for a light H boson signal]

[1305.2092, 1310.7011; Kauer:
Interference effects for $H \rightarrow WW/ZZ \rightarrow l\bar{\nu}_l\bar{l}\nu_l$
searches in gluon fusion at the LHC]

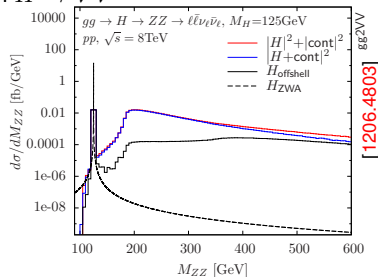
► Access to the Higgs width Γ_H

[1307.4935; Caola Melnikov]

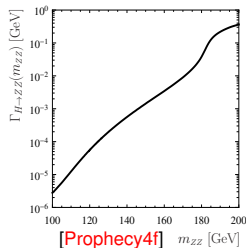
→ see talk in the last meeting!

► Limitations of Higgs width constraint and opportunities:

[1310.1397, 1405.0285, 1405.1925, 1406.1757,
1406.6338, 1410.5440, 1410.5806]



[1206.4803]

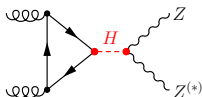


[Prophecy4f]

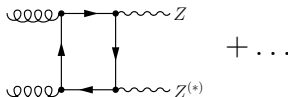
Relevant processes at the LHC: Have in mind $Z/Z^{(*)} \rightarrow l^+l^-/\nu\bar{\nu}$

ggF:

S:

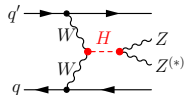


B:

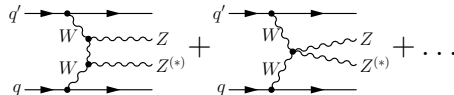


VBF:

S:

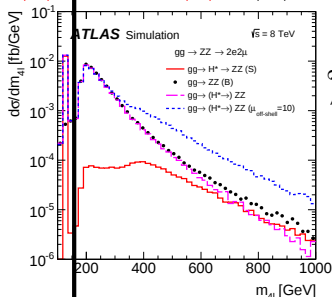


B:



$$HZZ^{(*)}: |S|^2 \quad H^{(*)}ZZ: |S|^2 + |B|^2 + 2\text{Re}(SB)$$

$$m_{4l} = m_{ZZ} < 2m_Z$$



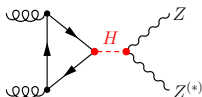
$$m_{4l} = m_{ZZ} > 2m_Z$$

[1503.01060]

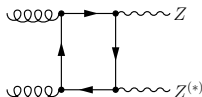
Relevant processes at the LHC: Have in mind $Z/Z^{(*)} \rightarrow l^+l^-/\nu\bar{\nu}$!

ggF:

S:



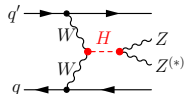
B:



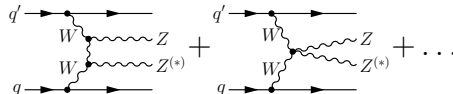
+ ...

VBF:

S:

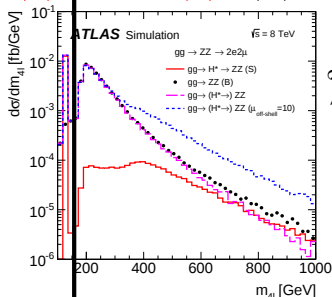


B:

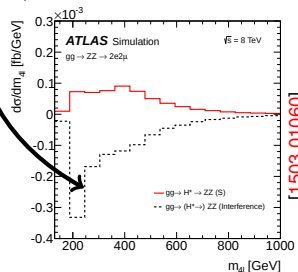


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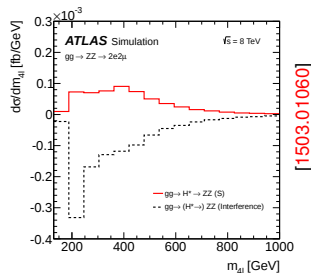
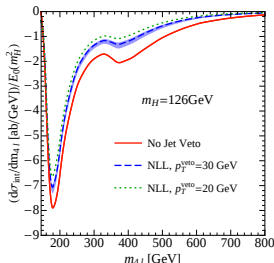
[1503.01060]

Theoretical issues:

▷ Interference I is negative.

I restores unitarity in $W_L W_L \rightarrow W_L W_L$.

(→ Negative I affects sensitivity to Γ_H !)



Interference dependent on jet vetos

for $H \rightarrow WW$: [[1405.5534](#); Moullet Stewart]

Interference effects for ZZ +jet production:
similar behaviour

[[1409.1897](#); Campbell Ellis et al.: Interference effects
for Higgs-mediated Z-pair plus jet production]

Theoretical issues:

▷ Interference I is negative.

I restores unitarity in $W_L W_L \rightarrow W_L W_L$.

(→ Negative I affects sensitivity to Γ_H !)

▷ Precision for gluon fusion:

S: known at N³LO QCD

B: known at NLO QCD (since fall 2015)!

[1509.06734, 1511.08617; Melnikov et al.]

Previously K-factor

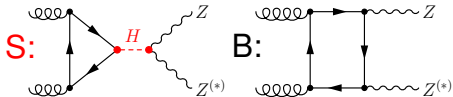
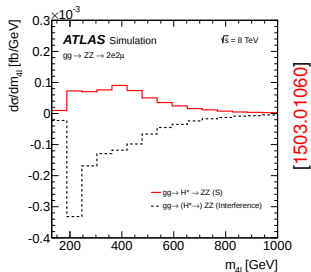
$$R_H^B = \frac{K(gg \rightarrow ZZ)}{K(gg \rightarrow H^{(*)} \rightarrow ZZ)}$$

in ATLAS bound on Γ_H !

[1503.01060]

▷ Other issues:

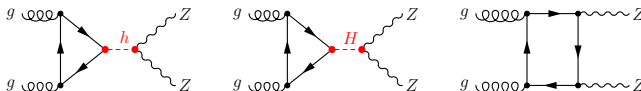
Interference of $WW \rightarrow 2l2\nu$ and $ZZ \rightarrow 2l2\nu$ known (e.g. $gg2VV$ [Kauer et al.]



How does this discussion interfere with the searches for heavy Higgs bosons in ZZ and WW channels?

Studies in the context of SM+Singlet: [1501.02139, 1502.04113, 1506.02257]

Answer in a Two-Higgs-Doublet Model (2HDM): [1512.07232; Greiner Liebler Weiglein]



→ The heavy Higgs H (mass m_H) can interfere with h and background B .

▷ Higgs mixing angle α from (H_1^0, H_2^0) to (h, H) and $\tan \beta = v_2/v_1$ defines

$$g_V^h = \sin(\beta - \alpha) = s_{\beta - \alpha} \quad \text{and} \quad g_V^H = \cos(\beta - \alpha) = c_{\beta - \alpha} \quad .$$

→ The combination $(g_V^h)^2 + (g_V^H)^2 = 1$ guarantees unitarization!

→ If $g_V^h \rightarrow 1$, then $g_V^H \approx 0$. Expect weak signal with large interferences!

Experimental analyses in heavy Higgs boson searches $H \rightarrow WW/ZZ$:

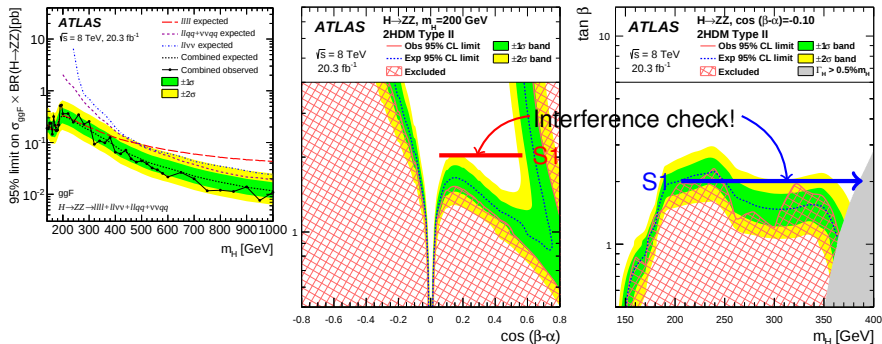
▷ ATLAS ($H \rightarrow ZZ$ in Singlet+2HDM): No interference! [1507.05930]

▷ CMS ($H \rightarrow WW/ZZ$ in Singlet): Rescaled SM $H \cdot B$ interference! [1504.00936]

Is the assumption of no interference justified?

- ▷ In Run I it was indeed ok.
- ▷ In Run II consistent simulations in a 2HDM are on order.

Check of the 8 TeV ATLAS analysis (result of various channels): [1507.05930](#)



Implementation of $gg \rightarrow ZZ$ in a 2HDM in `vh@nnlo` [1210.5347](#), [1307.8122](#)

Implementation of $gg \rightarrow e^+e^-\mu^+\mu^-/e^+e^-\nu_l\bar{\nu}_l$ in a 2HDM

with `GoSam` [1111.2034](#), [1404.7096](#)

with link to 2HDMC [0902.0851](#) for the calculation of the Higgs width Γ_H

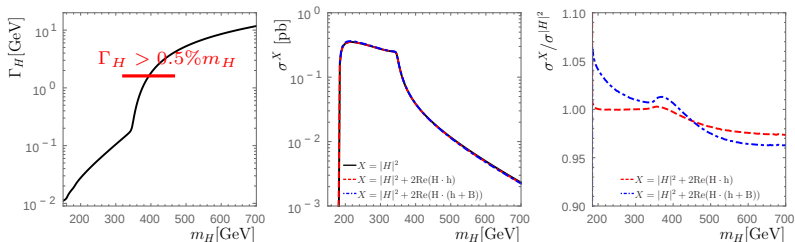
Scenario S1: 2HDM type II with $\tan \beta = 2$,

$\sin(\beta - \alpha) = -0.995 \leftrightarrow \cos(\beta - \alpha) = -0.10$, $m_H = 200 \text{ GeV}$, $\Gamma_H = 0.0277 \text{ GeV}$

Relevant parameters for variation: m_H , $\cos(\beta - \alpha)$ and $\tan \beta$

Let's start with the previously mentioned m_H variation (for $\sqrt{s} = 8 \text{ TeV}$):

$$\sigma^X = \int_{m_H - 15 \text{ GeV}}^{m_H + 15 \text{ GeV}} dm_{ZZ} \frac{d\sigma^X(gg \rightarrow ZZ)}{dm_{ZZ}}$$

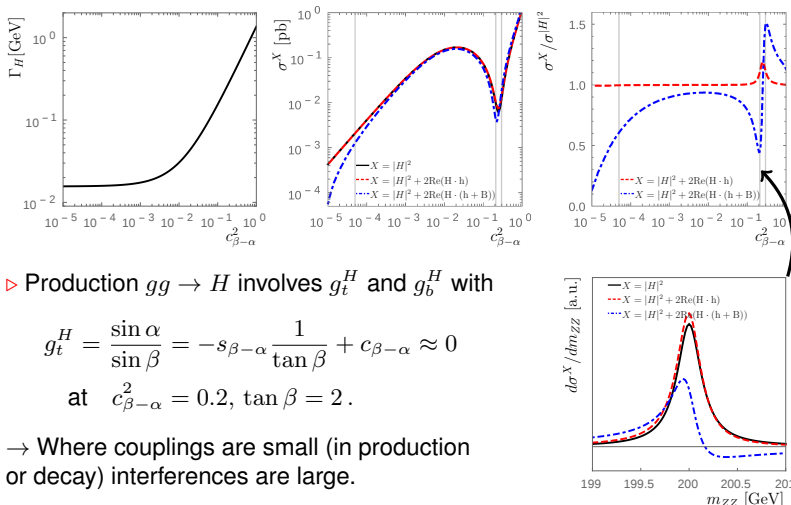


→ Relevance of the interferences remains below 10%.

It's not so much the mass m_H and width Γ_H which determine the relevance of the interferences, i.e. masked region of ATLAS analysis is safe.

We continue with a **variation of $\cos(\beta - \alpha)$** (for $\sqrt{s} = 8 \text{ TeV}$):

▷ Decay $H \rightarrow ZZ$ is determined by $g_V^H = \cos(\beta - \alpha) = c_{\beta-\alpha}$.



▷ Production $gg \rightarrow H$ involves g_t^H and g_b^H with

$$g_t^H = \frac{\sin \alpha}{\sin \beta} = -s_{\beta-\alpha} \frac{1}{\tan \beta} + c_{\beta-\alpha} \approx 0$$

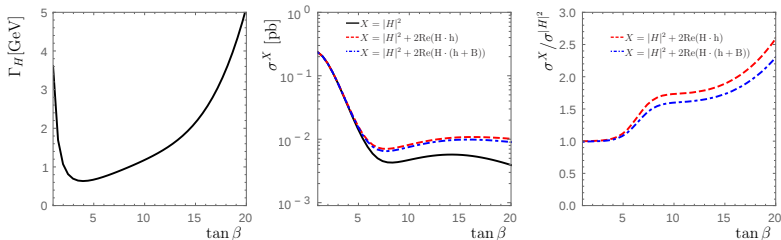
$$\text{at } c_{\beta-\alpha}^2 = 0.2, \tan \beta = 2.$$

→ Where couplings are small (in production or decay) interferences are large.

We are left with a variation of $\tan \beta$ (for $\sqrt{s} = 13$ TeV):

Scenario S2: 2HDM type II with $\tan \beta = 1$,

$\sin(\beta - \alpha) = 0.990$, $m_H = 400$ GeV, $\Gamma_H = 3.605$ GeV



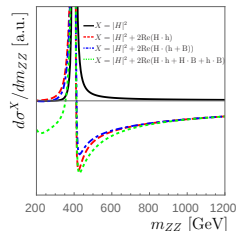
→ Pushing the bottom Yukawa g_b^H through $\tan \beta$ enhances interferences.

Not to forget at high invariant masses:

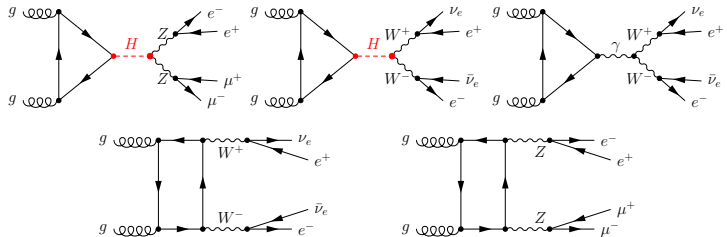
All interferences are of relevance:

$h \cdot B$ and $H \cdot B \leftrightarrow$ negative.

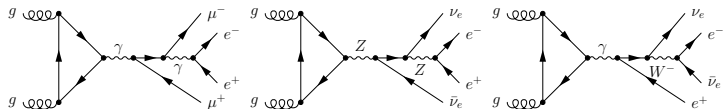
$h \cdot H$ can be large and have either sign!



We did our study also for the full process with GoSam:
Double-resonant W and Z contributions:



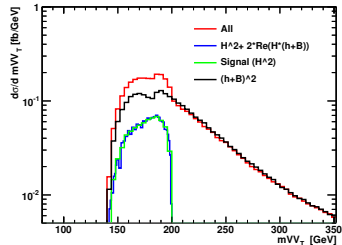
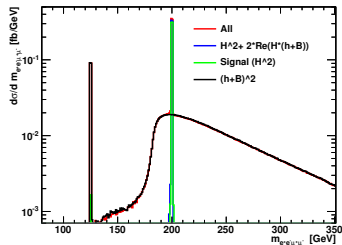
Single- and non-resonant W and Z contributions:



Implementation can be used for studies including all interferences, e.g. S1:

$$gg \rightarrow e^+ e^- \mu^+ \mu^-$$

$$gg \rightarrow e^+ e^- \nu_l \bar{\nu}_l$$



Employed cuts inspired by the ATLAS analysis:

$$p_T^l > 10 \text{ GeV}, |\eta_l| < 2.7, \Delta R^{ll'} > 0.1, m_{ll} > 5 \text{ GeV}, E_T^{\text{miss}} > 70 \text{ GeV}$$

Conclusion: For model interpretations all interferences should be included, even though this is tedious for the various channels (e.g. $gg \rightarrow l^+ l^- q \bar{q}$).

Intermediate step: Correction factor for H with narrow width [[1510.03450](#)]

→ This can be done at LO and multiplied to the NWA ($\sigma \cdot \text{BR}$).

SusHi Bento: Beyond NNLO and the heavy top limit



[To be prepared!]

Disclaimer: `SusHi` [[1212.3249](#); Harlander Liebler Mantler] calculates gluon fusion and bottom-quark annihilation cross sections for the Higgs bosons in the SM, 2HDM, MSSM and since `Sushi 1.5.0` the NMSSM. [[1502.07972](#); Liebler]

`Sushi 1.6.0` will incorporate w.r.t. gluon fusion

- ✓ contributions of dimension-5 operators to $gg\phi$ vertex.
- ✓ μ_R uncertainty of gluon fusion in a single run at no CPU cost.
- ✓ $1/m_t$ corrections to incl. XS in heavy top-limit up to NNLO.
- ✓ soft expansion $(1-x)^n$ with $x = m_H^2/\hat{s}$ at different orders.
- ✓ N³LO contributions in soft expansion.

and cross sections from the annihilation of heavy quarks.

The latter three corrections solely affect the top contribution:

$$\sigma = \sigma_{\text{NLO}} + \Delta_X \sigma^t \quad \text{with} \quad \Delta_X \sigma^t = \sigma_X^t - \sigma_{\text{NLO}}^t$$

All corrections come with full μ_R and μ_F -dependence.

Implementation of the real NMSSM in SusHi: [SL '15]

What is new in the real NMSSM compared to the real MSSM?

The superpotential includes the singlet field $\hat{S}$, which generates μ dynamically:

$$W_{\text{NMSSM}} = W_{\text{MSSM, no } \mu} - \epsilon_{ab} \lambda \hat{S} \hat{H}_d^a \hat{H}_u^b + \frac{1}{3} \kappa \hat{S}^3$$

We expand the Higgs sector according to

$$H_{d/u} = \frac{1}{\sqrt{2}}(v_{d/u} + H_{d/u}^R + iH_{d/u}^I), \quad S = \frac{1}{\sqrt{2}}(v_s + S^R + iS^I)$$

and thus generate an effective μ -term:

$$\mu = \frac{1}{\sqrt{2}} \lambda v_s$$

The physical mass eigenstates are obtained through the rotations:

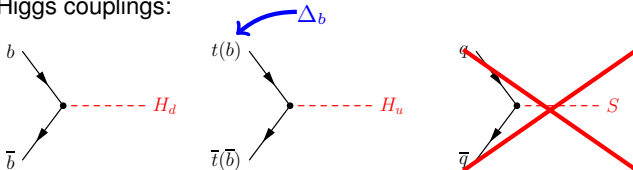
Mass eigenstates = **Mixing matrix** · **Gauge eigenstates**

CP-even sector: $(H_1, H_2, H_3)^T = \mathcal{R}^S \cdot (H_d^R, H_u^R, S^R)^T$

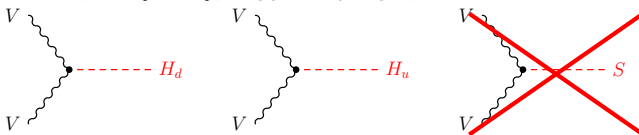
CP-odd sector: $(G^0, A_1, A_2)^T = \mathcal{R}^P \cdot \mathcal{R}^G \cdot (H_d^I, H_u^I, S^I)^T$

Relevant changes for Higgs production at the level of gauge eigenstates:

▸ Quark-Higgs couplings:

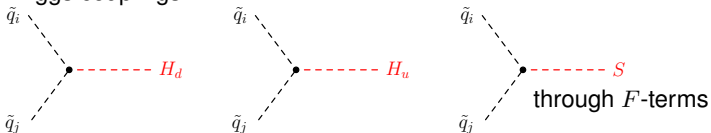


▸ Gauge boson ($V \in \{Z, W\}$)-Higgs couplings (for electroweak corrections):



→ Neglecting squarks no new contributions compared to the MSSM.

▸ Squark-Higgs couplings:



Implications for bottom-quark annihilation in the 5FS:

We proceed as in in the MSSM, i.e. calculate SM XS reweighted with the bottom-quark Yukawa coupling Y_b taking into account NMSSM Δ_b corrections:
[Baglio et al. '13]

$$\tilde{Y}_b^{H_i} = \frac{Y_b^{H_i}}{1 + \Delta_b} \left[1 + \Delta_b \left(\frac{\mathcal{R}_{i2}^S}{\mathcal{R}_{i1}^S \tan \beta} + \frac{\mathcal{R}_{i3}^S v \cos \beta}{\mathcal{R}_{i1}^S v_s} \right) \right], \quad i \in \{1, 2, 3\}$$

$$\tilde{Y}_b^{A_i} = \frac{Y_b^{A_i}}{1 + \Delta_b} \left[1 + \Delta_b \left(-\frac{1}{\tan^2 \beta} - \frac{\mathcal{R}_{i+1,3}^P}{\mathcal{R}_{i+1,2}^P v_s \tan \beta} \right) \right], \quad i \in \{1, 2\}.$$

Similarly the 4FS cross section can be reweighted. [Dittmaier Krämer Spira '03, Dawson Jackson Reina Wackerroth '04]

Implications for gluon fusion in SusHi:

$$\begin{aligned} \text{MSSM} \quad \sigma(pp \rightarrow \phi + X) &= \sigma_{\text{NLO}}^{\text{MSSM}} (1 + \delta_{\text{EW}}^{lq}) + (Y_t^\phi)^2 \left(\Delta \sigma_{\text{NNLO}}^{t, \text{SM}, 0} \right) \\ \rightarrow \text{NMSSM} \quad \sigma(pp \rightarrow \phi + X) &= \sigma_{\text{NLO}}^{\text{NMSSM}} (1 + \delta_{\text{EW}}^{lq}) + (Y_t^\phi)^2 \left(\Delta \sigma_{\text{NNLO}}^{t, \text{SM}, 0} \right) \end{aligned}$$

- ✓ Inclusion of NLO third generation squark contributions (on top of Δ_b)
- ✓ Inclusion of electroweak contributions by light quarks

Where does SusHi get the Higgs spectrum and the squark sector from?

→ At first stage the user needs to provide simple SLHA-style input: (*)

Specify model, Higgs + ...

Provide squark sector
(Check renorm. schemes!)

Specify Higgs mixing

$\mathcal{R}^S$: NMHMX

$\mathcal{R}^P \cdot \mathcal{R}^G$: NMAMIX or

$\mathcal{R}^P$: NMAMIXR

Provide Higgs masses

SusHi input: Scales,
VEGAS, Individual contr.,
Renorm. schemes

```
Block SUSHi
  1   3   # model: 0 = SM, 1 = MSSM, 2 = 2HDM, 3 = NMSSM
  2   11  # 11,12,13 = H1,H2,H3, 21,22=A1,A2
....
Block MINPAR # tanb
  3      2.00000000e+00      # tanb
Block EXTPAR # SUSY parameters
  3      1.80000000e+03      # M_3
  11     1.80000000e+03      # A_t
  43     7.40000000e+02      # M_Q3
....
  61     6.20000000E-01      # lambda
  65     2.00000000E+02      # mu_eff
BLOCK NMHMX # Scalar Higgs mixing matrix
  1   1   4.30591141E-01      # R_H_11
  1   2   8.90438555E-01      # R_H_12
  1   3   -1.47344659E-01      # R_H_13
  2   1   2.66876782E-01      # R_H_21
....
BLOCK NMAMIX # Pseudoscalar Higgs mixing matrix
  2   1   -6.74161819E-03      # R_A_11
....
Block MASS      # NMSSM Higgs masses
  25     1.25820962E+02      # H1
  35     2.10322178E+02      # H2
  45     4.13826725E+02      # H3
  36     1.51099000E+02      # A1
  46     4.05344805E+02      # A2
Block .....
```

(*) Use any NMSSM spectrum generator.

Typical output in case of an inclusive XS:

NMSSM since V 1.5.0

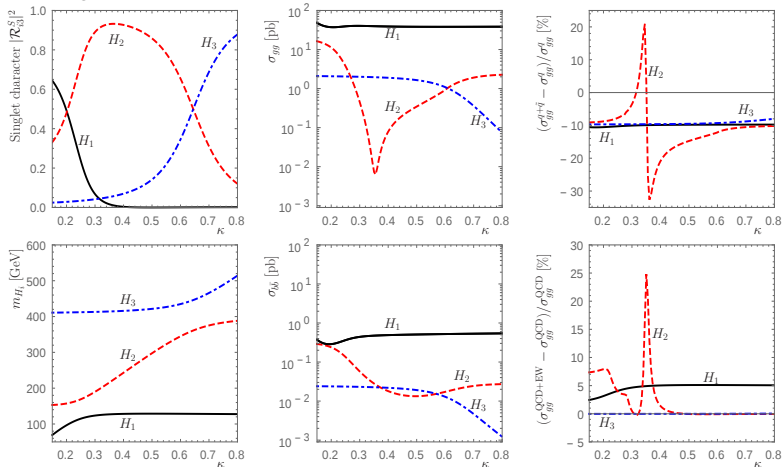
Please cite the papers!

Useful information also to
reweight e.g. bbh 4FS XS

```
#-----#
# SusHi: Supersymmetric Higgs production through #
#           gluon fusion and bottom-quark #
# [ _ | | [ _ | | | #
#   _ | | _ | | | #
#                               #
#                               Version      1.5.0      Mar 2015 #
#-----#
# Date: 02.06.2015 at 10:36:17 #
# For the reconstructed input file , check below. #
#-----#
# Please cite the following papers (for this run): #
# Harlander:2012pb #
#....#
Block SUSHInfo
  1      1.5.0      # SusHi version
Block SUSHlgh # Bon appetit
  1      4.01125098E+01 # ggh XS in pb
Block SUSHlbbh # Bon appetit
  1      4.76446524E-01 # bbh XS in pb
Block XSGGH # ggh cross sec. in pb (w/o EW)
  1      1.33528853E+01 # LO w/ NLO PDFs
  2      3.18704352E+01 # NLO
....
Block XSGGHEFF # ggh xsec
  1      3.82118989E+01 # ggh@NLO
  2      4.45482479E+01 # ggh@NNLO
  3      5.80108895E-02 # electroweak factor
....
Block BBHREWEIGHT # top and bottom reweighting factors
  1      9.95540569E-01 # g_t
  2      9.62577234E-01 # g_b incl. 1/(1+Delta_b)*..
....
```

Flashing results for the inclusive cross section (CP-even Higgs bosons):

Spectrum generator NMSSMCALC [Baglio et al., '13], Details: [1502.07972: SL '15]



$\tan \beta = 2$, $A_\kappa = -20$ GeV, $\lambda = 0.62$, $\mu = 200$ GeV, $m_{H^\pm} = 400$ GeV, $M_3 = 1.5$ TeV

$m_{\tilde{t}_1} = 544.7$ GeV, $m_{\tilde{t}_2} = 941.2$ GeV, $m_{\tilde{b}_1} = 749.4$ GeV, $m_{\tilde{b}_2} = 757.4$ GeV, $\sqrt{s} = 8$ TeV

Dimension-5 operators

$$\mathcal{L} = \mathcal{L}_{\text{theory}} + \sum_{i=1}^{N_1} \frac{\alpha_s}{12\pi v} c_5^{1i} H_{1i} G_{\mu\nu}^a G^{a,\mu\nu} + \sum_{i=1}^{N_2} \frac{\alpha_s}{8\pi v} c_5^{2i} H_{2i} G_{\mu\nu}^a \tilde{G}^{a,\mu\nu}$$

Block DIM5 # top example
 11 1.00 # c5h LO
 111 2.75 # c5h NLO
 # c5h = 11 + as/pi * 111

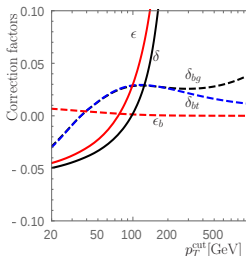
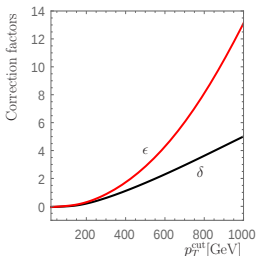
where $\mathcal{L}_{\text{theory}}$ describes any of the supported models.

Together with BLOCK FACTORS you can access κ_t, κ_b

and for example investigate the degeneracy between κ_t and c_5^H at NLO:

Define $\sigma(p_T^{\text{cut}}) = \int_{p_T > p_T^{\text{cut}}} dp_T d\sigma/dp_T$ and look at

$$\frac{\sigma(p_T^{\text{cut}})}{\sigma(p_T^{\text{cut}})(\kappa_t = 1, \kappa_b = 0, c_5^H = 0)} = (\kappa_t + c_5^H)^2 + \delta\kappa_t c_5^H + \epsilon(c_5^H)^2 + \delta_{bt}\kappa_b\kappa_t + \delta_{bg}\kappa_b c_5^H + \epsilon_b\kappa_b^2$$



similar to

[Grojean Salvioni Schlaffer Weiler '13]

see also [Ellis et al. '87]

For the matching for $1/m_t$ terms and a possible extension to N³LO results
 SusHi now allows for a soft expansion around the threshold $x = m_H^2/\hat{s}$:
 Available orders at NLO, NNLO and N³LO are $(1 - x)^N$ with $N \leq 16$.

Block GGHSOFT # parameters for soft expansion

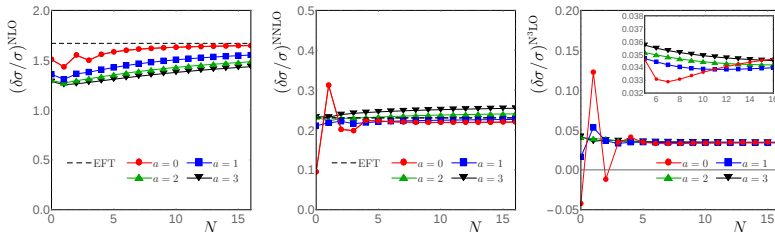
1	1	16	0	# NLO : [0/1=n/y]	[order]	sig(x)/x^a[a]
2	1	16	0	# NNLO : [0/1=n/y]	[order]	sig(x)/x^a[a]
3	1	16	0	# N3LO : [0/1=n/y]	[order]	sig(x)/x^a[a]

$$\text{Expansion with operator } \mathcal{T}_N^x : \quad x^a \mathcal{T}_N^x \left(\frac{\Delta \hat{\sigma}^t}{x^a} \right)$$

An order x^a can be taken out.

Includes the N³LO results in soft expansion, see [Anastasiou et al. '13 '14 '15].

Convergence of the soft expansion as correction w.r.t. previous order:

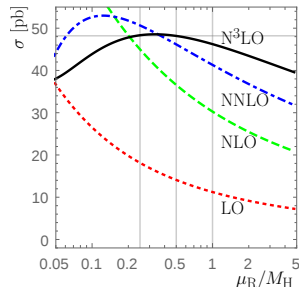


→ This indicates a good convergence at higher orders.

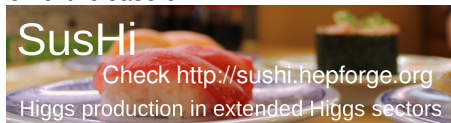
Analytic calculation of μ_R dependence
(for on-shell parameters):

$$\sigma = \sum_{n \geq 0} \sum_{l=0}^n \left(\frac{\alpha_s(\mu_R)}{\pi} \right)^{n+2} \kappa_{nl} 2^l \log^l(\mu_R/\mu_0)$$

→ Obtain μ_R dependence analytically
starting from central scale μ_0 .



Conclusion: Eagerly wait for the next release of



Not included in this talk: p_T Higgs distributions and the current efforts of CMS people to rescale predictions to the MSSM!