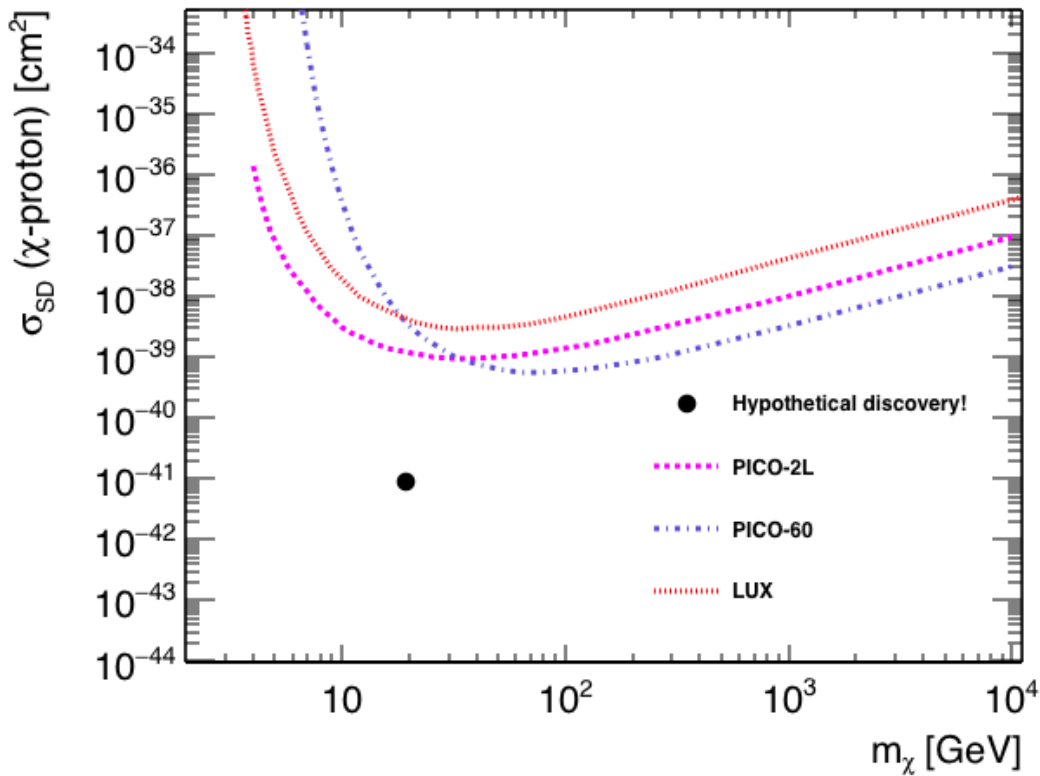
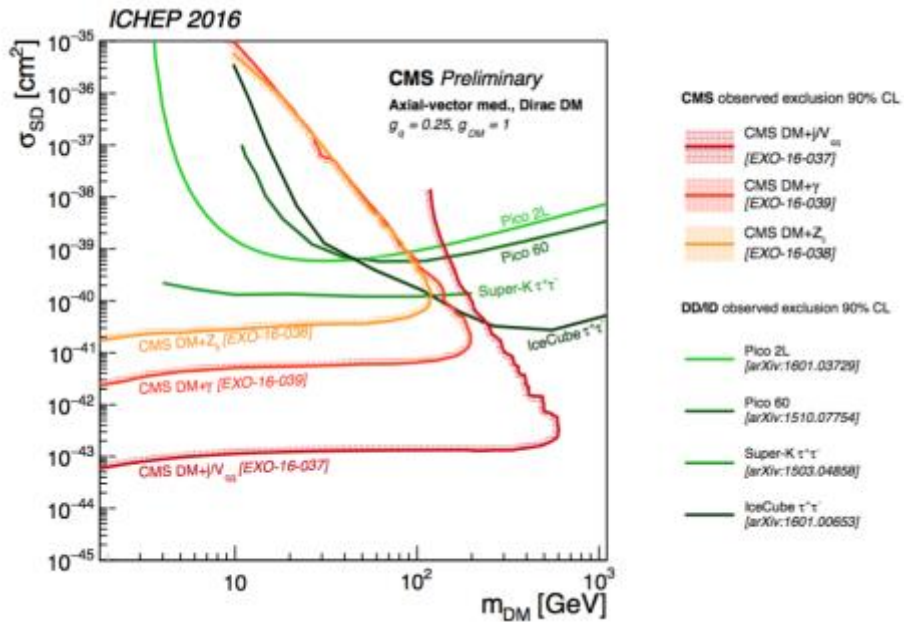


1. Let's assume that the cross section \times acceptance \times efficiency for a simplified model of DM production passing the mono-jet analysis criteria ($E_T^{\text{miss}} > 500$ GeV) is about $\sigma \times A \times \varepsilon = 35$ fb.
 - a) How many events do we expect to select in the 2015 dataset?
 - b) The Monte Carlo predicts 385 events from $Z(\nu\nu)+\text{jets}$ in the signal region. In an ideal world, and assuming the Monte Carlo prediction is accurate, how many events would there be in a $Z(\mu\mu)+\text{jets}$ control region and what would be the associated statistical uncertainty?
 - c) If the analysis uses this control region and sees 85 data events in it, how many events are then expected from $Z(\nu\nu)+\text{jets}$ in the signal region?
 - d) What would be the expected statistical significance for the signal considered in a) if there is also 80 events of other BG processes expected (mainly $W(l\nu)+\text{jets}$)? Disregard uncertainties on the BG determination... (so use S/\sqrt{B})
 - e) The harsher one cuts on E_T^{miss} , the less events remain... If the acceptance goes down by a factor of 2.5 for the signal considered when moving to a signal region with $E_T^{\text{miss}} > 700$ GeV while the expected background goes down to 80 events, what is the expected significance in this signal region?
 - f) So... in a more realistic scenario, would we necessarily gain by cutting harder?

- Let's assume that in a near future, a direct detection experiment makes a discovery claim:



The CMS limits are recalled here:



- What can we say about the direct detection claim?

- b) Given the simplified model used by CMS to draw the limits, to what mediator mass would this correspond?

As a reminder,

$$\sigma_{\text{SD}} = \frac{3f^2(g_q)g_{\text{DM}}^2\mu_{n\chi}^2}{\pi M_{\text{med}}^4} \quad \text{with} \quad \mu_{n\chi} = m_n m_{\text{DM}} / (m_n + m_{\text{DM}})$$

$f(g_q) = 0.32 g_q$ for the spin-dependent interaction and $\hbar c \sim 197 \text{ MeV fm}$

- c) To what mass would it correspond if instead the model considered would have couplings of $g_q=0.2$ and $g_{\text{DM}}=2.0$ instead?
- d) What can we learn by comparing the hypothetical discovery with the limits from the LHC?
- e) What if we see something at the LHC in the $\text{jet}+E_{\text{T}}^{\text{miss}}$ channel and the direct detection experiments do not see any signal? Can we claim a dark matter discovery?

3. Given a model of dark matter production with the initial state radiation of an object, one can look in the jet+ E_T^{miss} or in the photon+ E_T^{miss} final states for example.
 - a. Which one has the best sensitivity?
 - b. Why is it interesting to look in both channels?

4. Say we want to look for a $H(bb)+E_T^{\text{miss}}$ final state. "Normal" jets are reconstructed with a size parameter of $\Delta R=0.4$ in ATLAS.
 - a. Below which p_T of the Higgs boson would the b's coming from its decay be reconstructed as two separated 'normal' jet?
 - b. What information could we use to identify a fat jet as a Higgs candidate?

5. Suppose that the experiments are able to ultimately place a 5% limit on $\text{BF}(H \rightarrow \text{inv})$.
 - a. What would then be the limit on the DM-nucleon cross section for a fermionic DM mass (called m_f or m_χ below) of 1 GeV?

Reminder:

$$\Gamma_H^{\text{inv}} = \frac{\text{BF}(H \rightarrow \text{invisible})}{1 - \text{BF}(H \rightarrow \text{invisible})} \times \Gamma_H$$

$$\Gamma_H = 4 \text{ MeV}$$

$$\Gamma_{H \rightarrow ff}^{\text{inv}} = \frac{\lambda_{Hff}^2 v^2 m_H \beta_f^3}{32\pi\Lambda^2}$$

$$\beta_\chi = \sqrt{1 - 4m_\chi^2/m_H^2}$$

$$v = 246 \text{ GeV}$$

$$\sigma_{fN}^{\text{SI}} = \frac{\lambda_{Hff}^2}{4\pi\Lambda^2 m_H^4} \frac{m_N^4 m_f^2 f_N^2}{(m_f + m_N)^2}$$

$m_N \sim 0.94 \text{ GeV}$ is the nucleon mass

$f_N = 0.33$ is the Higgs-nucleon coupling

- b. Why is it particularly interesting?