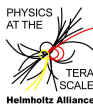


Tracker Alignment: Introduction

Gero Flucke



CMS Hamburg Meeting
June 3rd, 2009



- The CMS Tracker
- Track-Based Alignment Principle
- Alignment within CMS Alignment/Calibration Workflows
- Hamburg Involvement

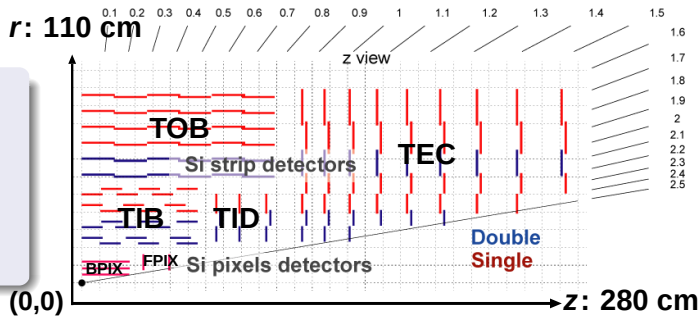
The CMS Silicon Tracker: $\frac{1}{4}$ -Cross Section

Strips:

- TOB, TEC
- TIB, TID

Pixel:

- BPIX, FPIX

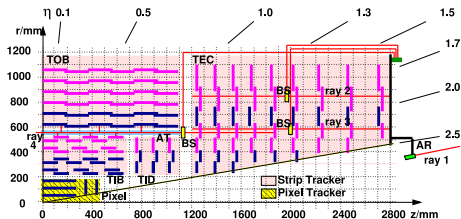


- 15148 silicon strip modules: $\sigma \approx 23 - 60 \mu m (r\phi)$
 - 2D measurements by stereo modules ($\angle = 100 mrad$)
- 1440 silicon pixel modules: $\sigma \approx 9 \times 10 - 35 \mu m (r\phi \times z)$

Alignment Challenge:

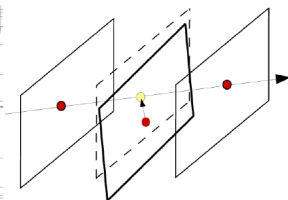
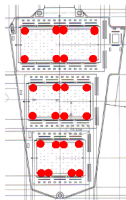
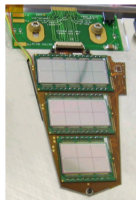
- Precision $<$ resolution σ : μm on distances $\mathcal{O}(m)$.
- $16588 \times 6 \approx 100\,000$ rigid body parameter.

Input to Alignment



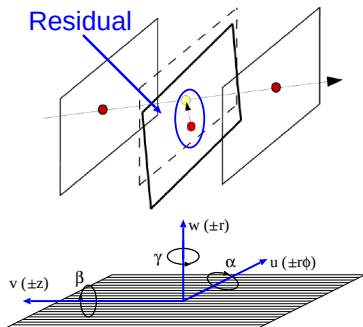
- Survey Measurements
- Laser Alignment System (LAS)
- Track Based Alignment

Combination desirable!



- Millepede (global)
- HIP (iterative)
- Kalman (sequential/global)

Track-Based Alignment with Millepede II



- Mis-positioned detector modules increase residual track $\Leftrightarrow$ hit.
- Minimise **simultaneously** residuals of many tracks:

$$\chi^2(\boldsymbol{\tau}, \boldsymbol{p}) = \sum_{j=1}^{N_{\text{tracks}}} \sum_{i=1}^{N_j^{\text{hits}}} \left(\frac{m_{ij} - f_j(\boldsymbol{\tau}_j, \boldsymbol{p})}{\sigma_{ij}} \right)^2$$

- $\boldsymbol{\tau}_j$: Parameters of track j
 $\Rightarrow$ appear only for hits of track $j \Rightarrow$ **local parameters**
- $\boldsymbol{p}$: Alignment parameters $\boldsymbol{p}$
 - e.g. six rigid-body parameters of a silicon module
 - $\Rightarrow$ can appear in all data $\Rightarrow$ **global parameters**
- Linearising $f_j(\boldsymbol{\tau}_j, \boldsymbol{p}) \Rightarrow$ redefine $\boldsymbol{\tau}_j / \boldsymbol{p}$ as small corrections to $\boldsymbol{\tau}_j^* / \boldsymbol{p}^*$.

Millepede: Combined Fit of Local/Global Parameters

Normal Equations

$$\sum_j \frac{1}{\sigma_j} (\mathbf{d}_j \cdot \mathbf{d}_j^T) \cdot \mathbf{a} = \sum_j \frac{1}{\sigma_j} m_j \mathbf{d}_j$$

- $\mathbf{a} = (\mathbf{p}, \tau_1, \dots, \tau_n)^T$

- alignment (“global”) parameters $\mathbf{p}$
- track (“local”) parameters τ_i of all n tracks

- Coefficients (i.e. derivatives): $\mathbf{d}_j = (\underbrace{\mathbf{d}_j^p}_{=0}, \underbrace{\mathbf{d}_j^{\tau_1}}_{\neq 0}, \dots, \underbrace{\mathbf{d}_j^{\tau_j}}_{\neq 0}, \dots, \underbrace{\mathbf{d}_j^{\tau_n}}_{=0})^T$

$$\begin{pmatrix} \sum_k \mathbf{c}_k^{\text{global}} & \dots & \mathbf{H}_k^{\text{global-local}} & \dots \\ \vdots & \ddots & 0 & 0 \\ (\mathbf{H}_k^{\text{global-local}})^T & 0 & \mathbf{c}_k^{\text{local}} & 0 \\ \vdots & 0 & 0 & \ddots \end{pmatrix} \times \begin{pmatrix} \mathbf{p} \\ \vdots \\ \tau_k \\ \vdots \end{pmatrix} = \begin{pmatrix} \sum_k \mathbf{b}_k^{\text{global}} \\ \vdots \\ \mathbf{b}_k^{\text{local}} \\ \vdots \end{pmatrix}$$

Millepede Principle: Matrix Reduction

- We are not interested in full $\mathbf{a} = (\mathbf{p}, \tau_1, \dots, \tau_n)^T$:
 $\Rightarrow$ We want global parameters $\mathbf{p}$ only!
- Matrix algebra (inversion by partitioning) helps:

Reduced Matrix

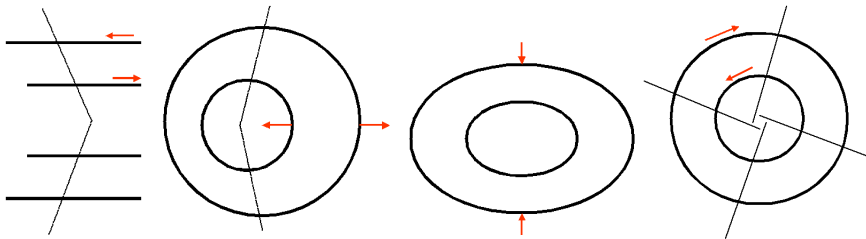
$$\mathbf{C}'\mathbf{p} = \mathbf{b}'$$

$$\begin{aligned}\mathbf{C}' &= \sum_j \mathbf{C}_j^{\text{global}} - \sum_j \left(\mathbf{H}_j (\mathbf{C}_j^{\text{local}})^{-1} \mathbf{H}_j^T \right) \\ \mathbf{b}' &= \sum_j \mathbf{b}_j^{\text{global}} - \sum_j \mathbf{H}_j \underbrace{(\mathbf{C}_j^{\text{local}})^{-1} \tau_j}_{\text{local solution}}\end{aligned}$$

- Sums built while running over tracks k .
- Inversion of **small** matrices $\mathbf{C}_k^{\text{local}}$ only.
- $\mathbf{C}'$ is “small” $n \times n$ matrix for n global (alignment) parameters.

The Real Problem: Distortions

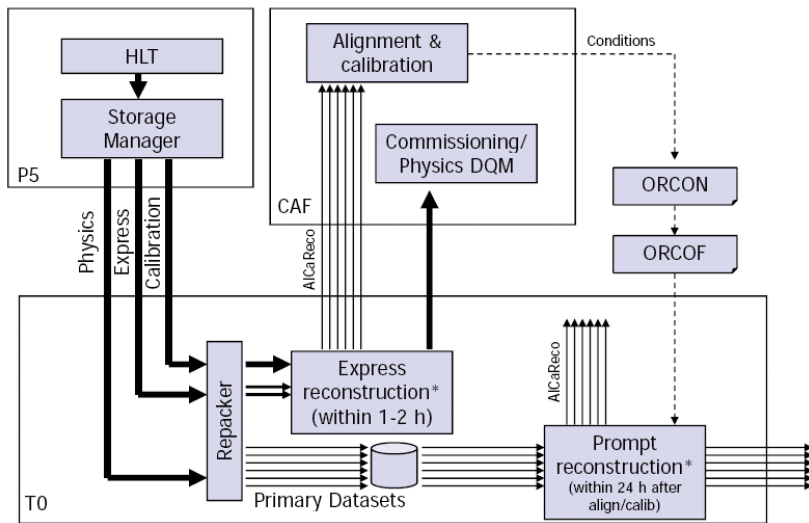
Minimising residuals can be **insensitive to certain global distortions**.



(There are more less obvious modes!)

- Intrinsic to problem, **independent of method**.
 - Biases measurements.
 - **Dependent on data** fed into matrix.
- ⇒ Combine different sources of information.

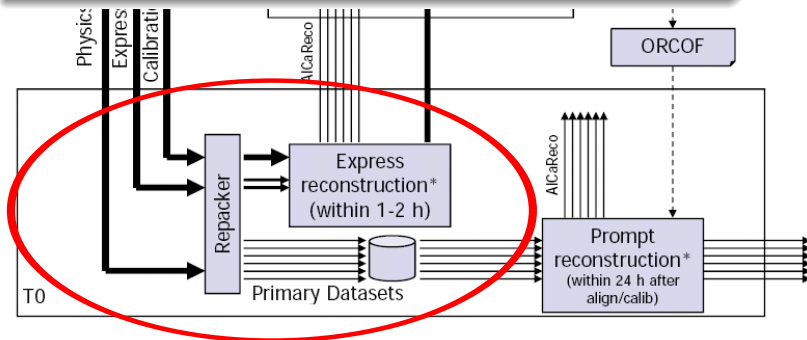
Prompt Alignment/Calibration Workflow: The Scene



Prompt Alignment/Calibration Workflow: T0

Tier-0 (T0): Offline Production at CERN (Meyrin)

- Repack into “Event Data Model” format:
Datasets according to HLT.
- **Buffer** bulk of data **on disk**.
- $\mathcal{O}(10\text{-}20\%)$ **Express Reconstruction**.
 - ⇒ **Alignment and Calibration Skims** (AlCaReco)
for Monitoring and Short Latency Calibration.

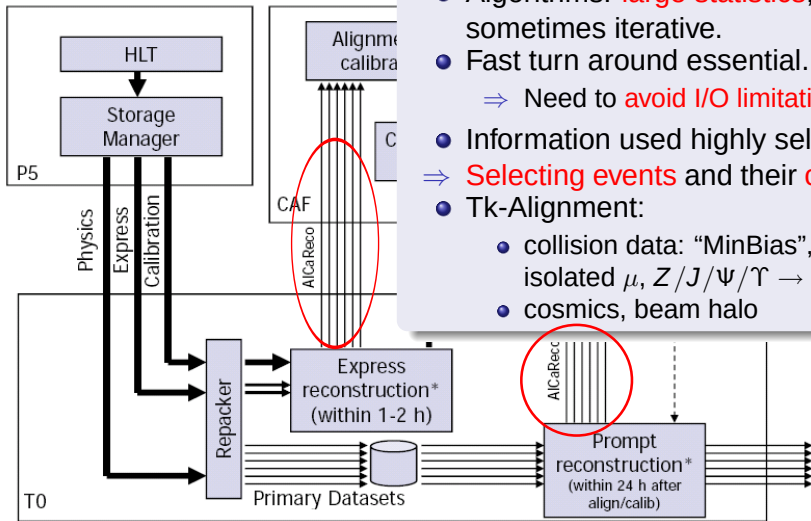


Prompt Alignment/Calibration Workflow: AlCaReco

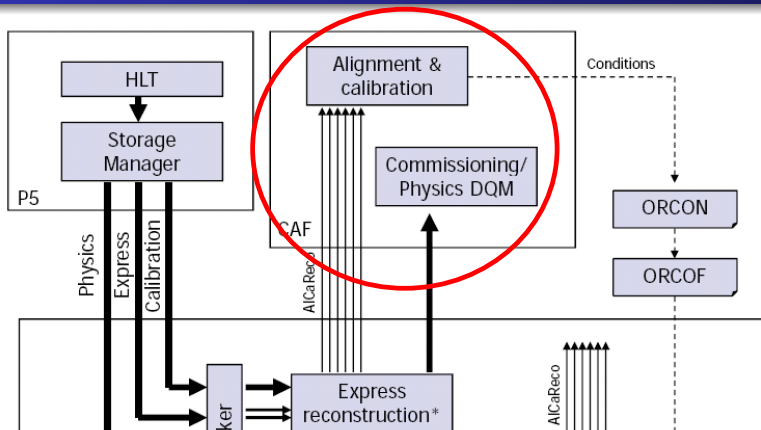
AlCaReco Skims

Small dedicated data **skims**

- Algorithms: **large statistics**, sometimes iterative.
- Fast turn around essential.
 - ⇒ Need to **avoid I/O limitations!**
- Information used highly selective.
 - ⇒ **Selecting events** and their **content**.
- Tk-Alignment:
 - collision data: “MinBias”, isolated μ , $Z/J/\Psi/\Upsilon \rightarrow \mu\mu$
 - cosmics, beam halo



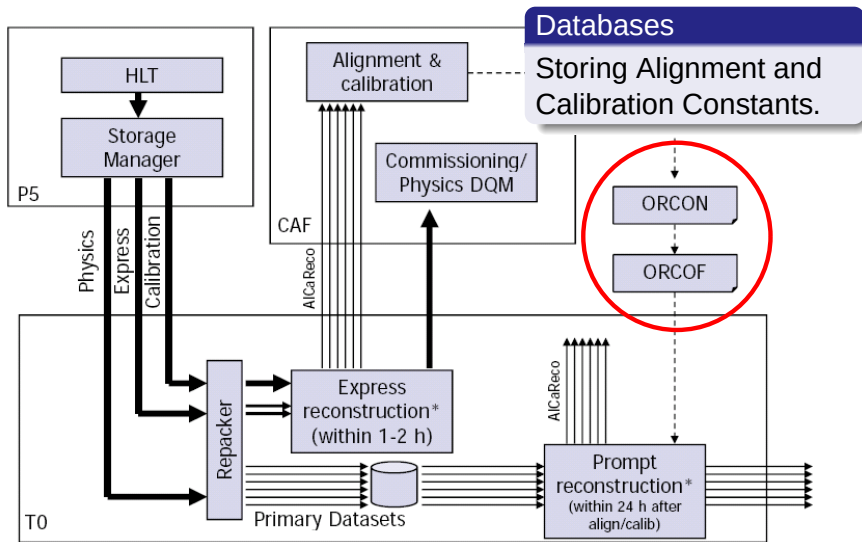
Prompt Alignment/Calibration Workflow: CAF



CAF: CERN Analysis Facility

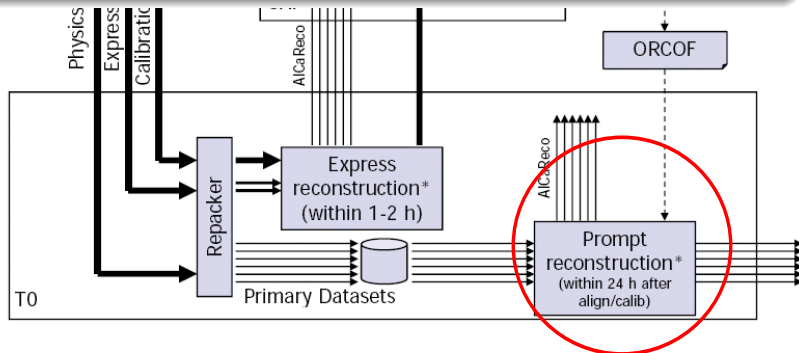
- Prime platform for prompt **alignment and calibration** (incl. validation).
- **Batch farm** (Millepede nodes with large memory).
- Fast access to data: **Disk storage**.

Prompt Alignment/Calibration Workflow: Databases

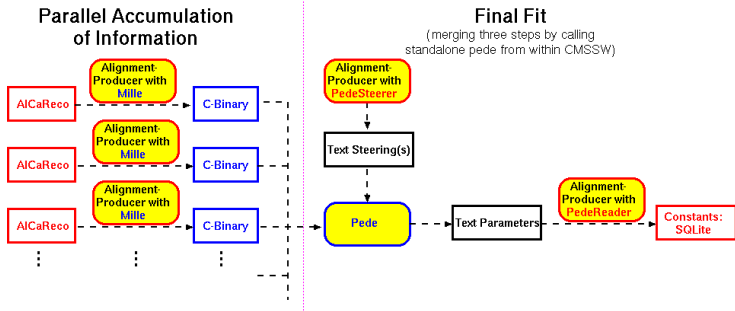


Tier-0 (T0): Offline Production at CERN (Meyrin)

- **Prompt Reconstruction**, $\mathcal{O}(24/48\text{ h})$ delay:
 - picking up updated constants,
 - sets time limit to achieve short term constants.
- Create **Alignment and Calibration Skims** (AlCaReco) for longer latency workflows.



Computational Layout of Millepede II Alignment



- Millepede II (by V. Blobel) experiment independent:
- Core is standalone **Pede** program (Fortran 77):
 - Text and binary input.
 - Text output.
 - $n = 50k$: 10 GB matrix
⇒ sparse storage
- Trivial **Mille** accumulates experiment data:
 - local/global derivatives, residuals, uncertainties (**non-trivial...**),
 - Fortran or C++, integrated in experiment's software.

Alignment Input

- Cosmic muon tracks:
 - only real track data so far ($\Rightarrow$ talk by Julia Draeger).
- Beam halo tracks ($\Rightarrow$ talk by Andrea Parenti).
- LAS beams ($\Rightarrow$ talk by Kolja Kaschube)
- “MinBias” tracks at start-up (Justyna Tomaszewska starts)
 - beamspot constraint as started in 2008 by Silvia Miglioranzi
- Isolated muon tracks
 - mass and vertex constraint for resonances: Z , J/ψ , Υ
- Survey measurements
 - pixel barrel survey implemented by Frank Meier (PSI), help from V. Blobel, G.F.

Hamburg Commitments (ctd.)

Validation

- Release validation of AlCaReco (Justyna T.)
- Alignment validation with residuals (Erik Butz, Julia D., Johannes Hauk)
- Systematics checking $(E/p)_+/(E/p)_-$ (Holger Enderle, talk in July?)

Miscellaneous

- Determine **A**lignment **P**osition **E**rror (Johannes H., talk July?).
- Improving track model fed to pede (Claus Kleinwort).
- “Millepede Production System” maintenance (Andrea P.).

“Management” Tasks

- Alignment Software Coordinator (G.F.)
- Alignment and Calibration Convenor (Rainer Mankel)

Millepede II development (V. Blobel)

- Increased number of parameters N_{par} in CRAFT analysis:
 - ⇒ unrevealed indexing problems with $N_{par} > 46340$,
 - now fixed.
- Regularisation method to reduce weak modes.
- Solve convergence problems in case of many outliers.

⇒ New Millepede II version currently being tested.

- CMS Tracker Alignment:
Determination of many parameters.
- Millepede II:
A global fit approach capable of this challenge.
- Tracker Alignment integrated in CMS AICa workflows.
- Hamburg group actively contributing in many areas.

⇒ Focus on combining all input
to provide best tracker alignment for CMS.