A new search for simplified models of dark matter at the LHC

Alexis Plascencia

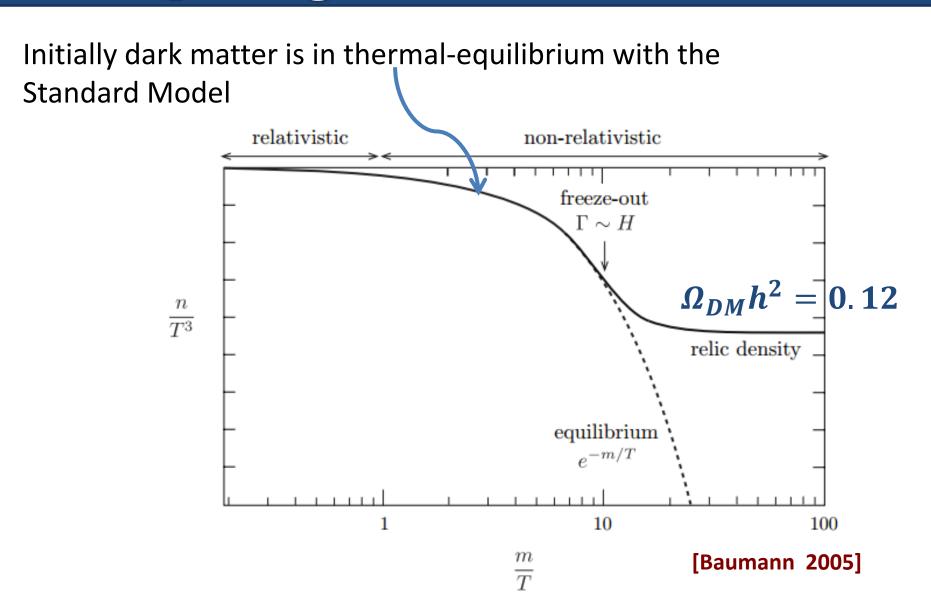
with Valentin Khoze and Kazuki Sakurai

[arxiv:1702.00750] [JHEP 06(2017)041]





WIMP paradigm



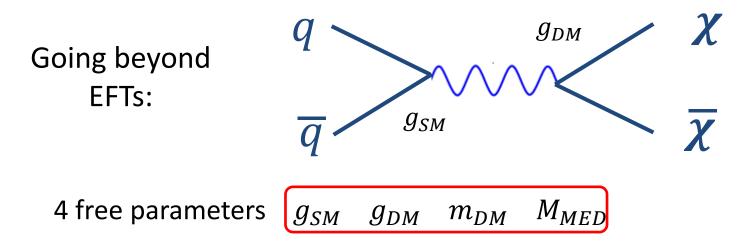
Later on, due to weak interactions DM freezes-out

WIMP paradigm

- Current experiments already have strong constraints on the simplest WIMPs scenarios, where Dark Matter is coupled to Standard Model gauge bosons or the Higgs
- In lack of a signal from DM experiments, we need to explore as much as we can of the WIMP's parameter space
- An alternative and complementary search to Direct and Indirect detection experiments is the production of Dark Matter at colliders, such as the LHC
- There is a plethora of theories of Dark Matter, nevertheless in finding experimental constraints we would like to be as modelindependent as possible

Simplified models of dark matter

- EFT is a powerful and model independent approach
- Consistent description if and only if energy of interaction $E \ll M_{NP}$
- In the context of DM, there is no reason not to expect that $\,M_{MED}pprox m_{DM}$
- EFT might not the best framework for Dark Matter searches at colliders



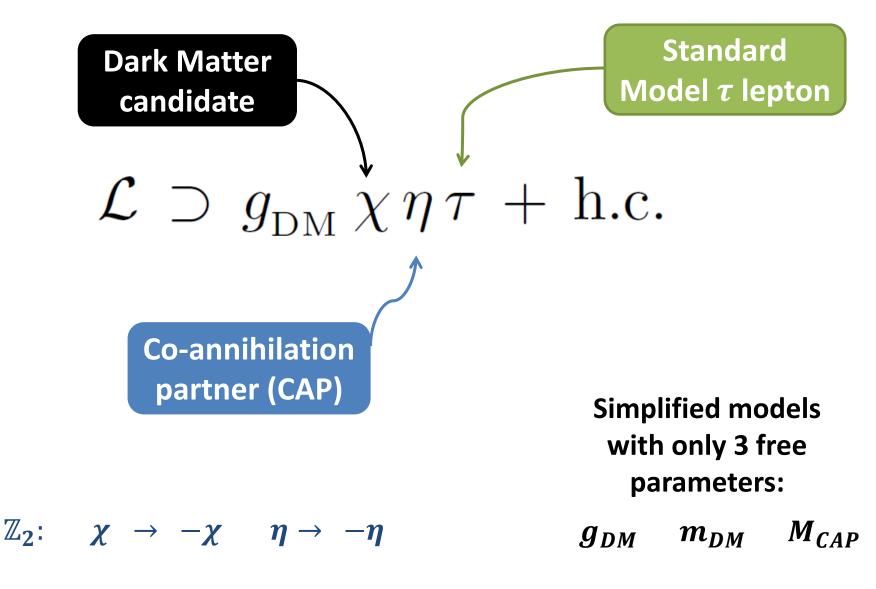
Dark Matter

- Dirac or Majorana fermion
- Complex or real scalar
- Vector?

Mediators

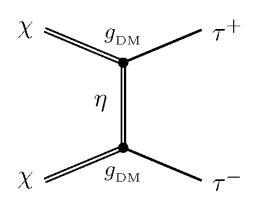
- Vector
- Axial-vector
- Scalar
- Pseudoscalar

3-point interaction



Co-annihilation

Dark matter annihilation into pair of tau's



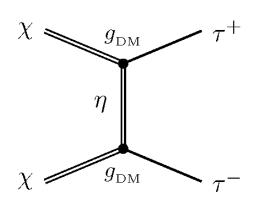
- Overproduces dark matter (Unless large couplings)
- We need a mechanism to reduce the DM relic density

$$(\sigma v)_{\text{ann}}^{\text{s-wave}} = \frac{g_R^4 m_\tau^2}{32\pi m_\chi^4} \frac{1}{(1+r^2)^2}$$

 $\propto m_{ au}$ Chiral suppression

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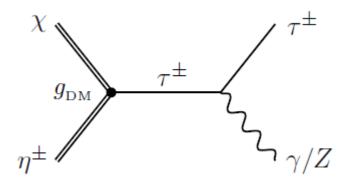
 $\propto m_{ au}$ Chiral suppression

- Overproduces dark matter (Unless large couplings)
- We need a mechanism to reduce the DM relic density

Freeze-out temperature $T_F \sim m_{DM}/25$

Boltzmann factor
$$\exp\left(-\frac{\Delta M}{T}\right)$$

Co-annihilation:

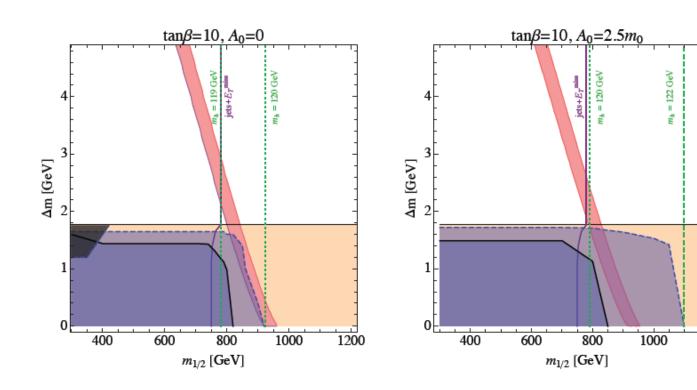


$$\Delta M \lesssim m_{DM}/25$$

We need mass splitting of 4% of m_{DM}

Stau co-annihilation strip

Inspired by the stau co-annihilation strip in the CMSSM: (stau and neutralino close in mass)



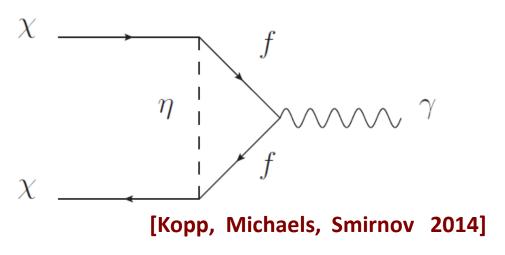
We want to generalize this.

[Citron, Ellis, Luo, Marrouche, Olive, Vries 2012] [Desai, Ellis, Luo, Marrouche 2014]

1200

LHC production is relevant

Direct Detection: No tree-level interaction with quarks (anapole moment)



One-loop suppressed

$$m_{\rm DM} \simeq 500 \,{\rm GeV}$$
 and $\Delta M/m_{\tau} < 1$
 $\mathcal{A}/g_{\rm DM}^2 \sim 8 \cdot 10^{-7} \, [\mu_N \cdot {\rm fm}]$

LUX
$$A > 2 \times 10^{-5} [\mu_N \text{ fm }]$$

Indirect Detection: Due to chiral suppression, DM annihilation is velocity-suppressed

In today's Universe, DM non-relativistic v/c << 1

In the limit $m_{DM}\gg m_{ au}$:

$$\sigma v \propto v^2$$
 p-wave suppressed for Majorana DM

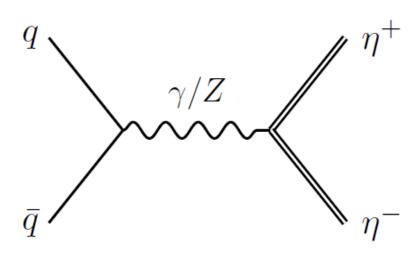
$$\sigma v \propto v^4$$
 d-wave suppressed for scalar DM

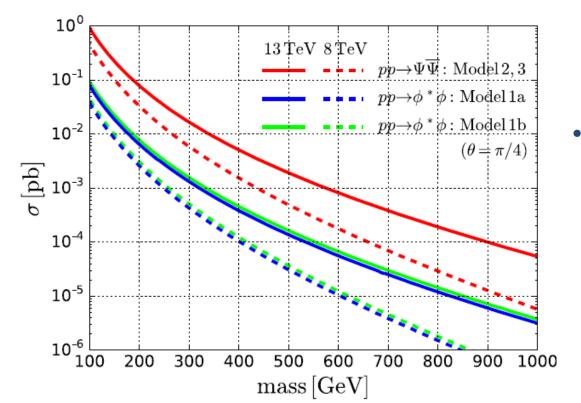
Nevertheless, the channel $SS \rightarrow ll\gamma$ can be relevant for future experiments for scalar DM For large ΔM

[Giacchino, Lopez-Honorez, Tytgat 2013]

LHC production

 Drell-Yann pair production of coannihilation partner

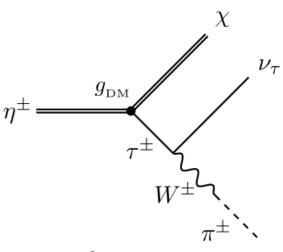




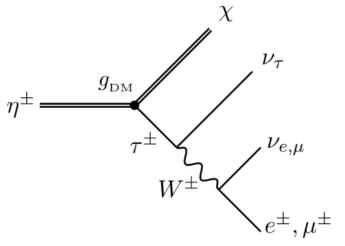
We study Dirac fermion and complex scalar as coannihilation partners

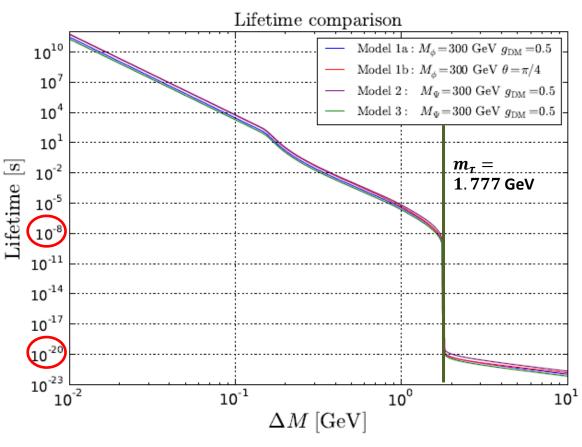
Long-lived electrically charged particles

If $\Delta M < m_{ au}$ only 3-body and 4-body decays open:

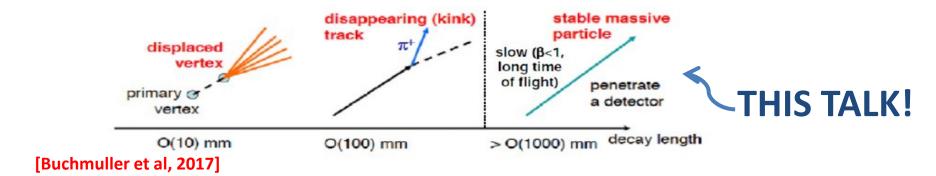


Also ρ and a_1 mesons





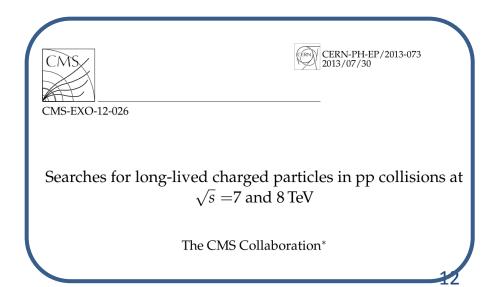
Searching for long-lived charged particles



 A long-lived charged particle escapes inner detector, leaving a charged track from ionization energy loss

$$c au>1$$
 m

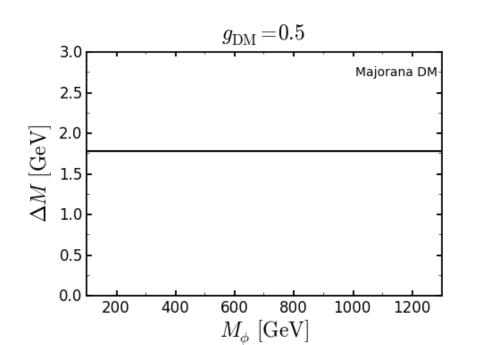
 Long-lived charged particles that have lifetimes > 10⁻⁸ seconds, leave anomalous charged track and ionize the muon chamber

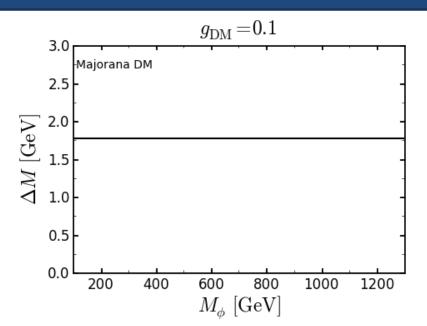


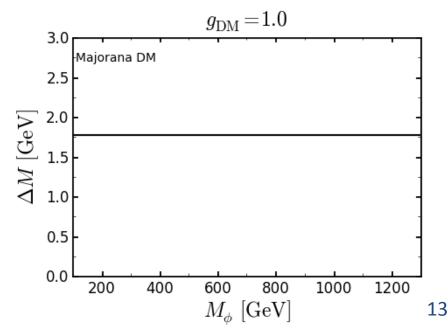
$$\begin{array}{cccc} \mathsf{DM} & & \mathsf{CAP} & (Y = \mathbf{1} \ L_{\tau} = \mathbf{1}) \\ \boldsymbol{\chi} & & \boldsymbol{\phi} \end{array}$$

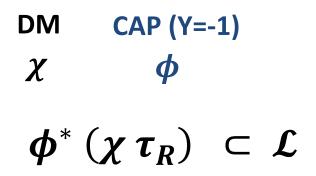
$$\phi^* (\chi \tau_R) \subset \mathcal{L}$$

Gauge-invariant and renormalizable, no problems of unitarity

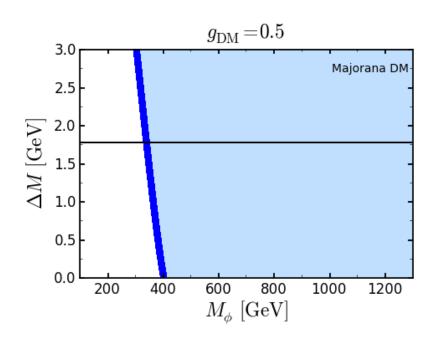


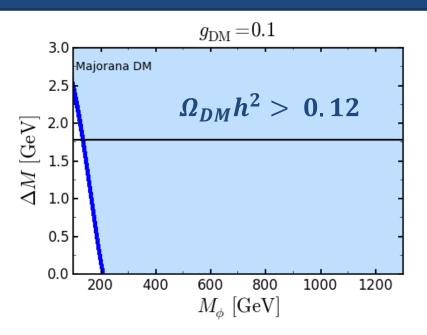


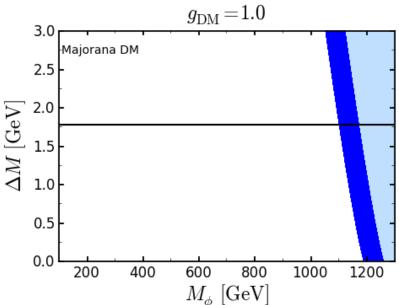




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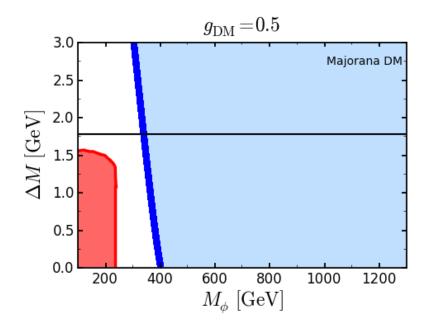


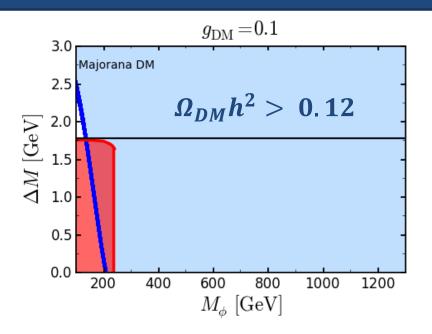


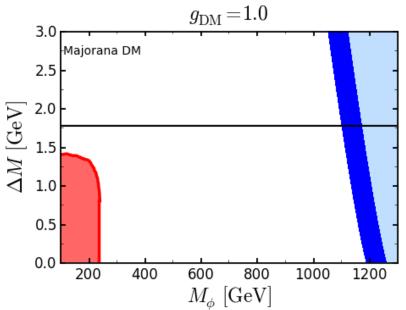
DM CAP
$$(Y = 1 L_{\tau} = 1)$$
 χ

$$\phi^* (\chi \tau_R) \subset \mathcal{L}$$

CMS 8 TeV 18.8 fb ⁻¹



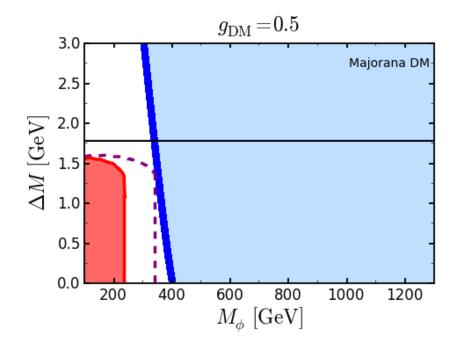


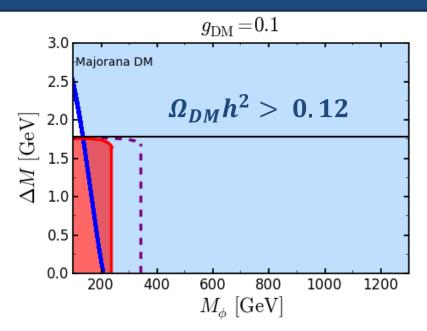


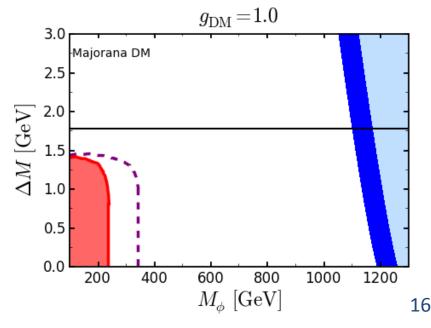
DM CAP $(Y = 1 \ L_{\tau} = 1)$ χ ϕ

$$\phi^* (\chi \tau_R) \subset \mathcal{L}$$

13 TeV 30 fb ⁻¹



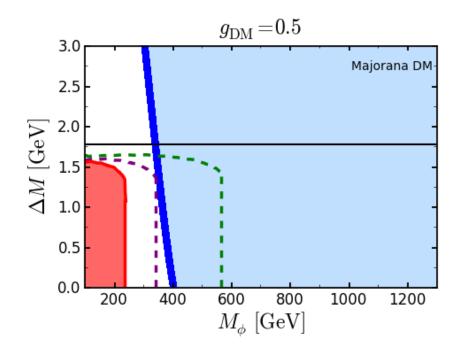


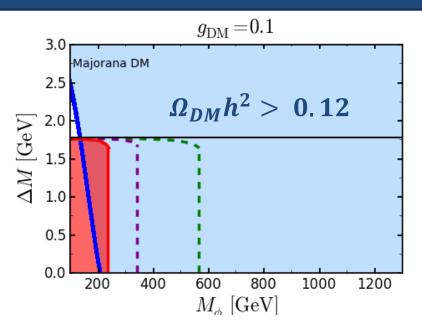


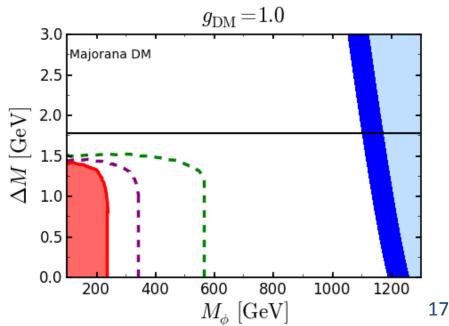
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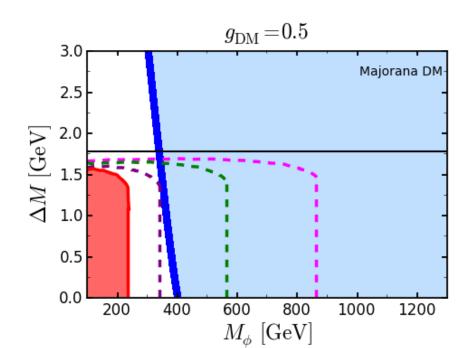


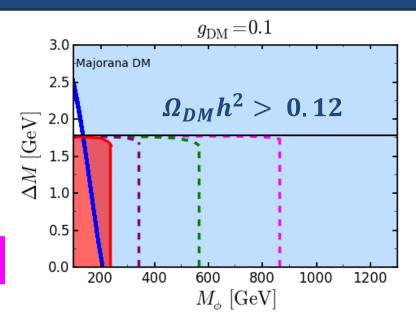


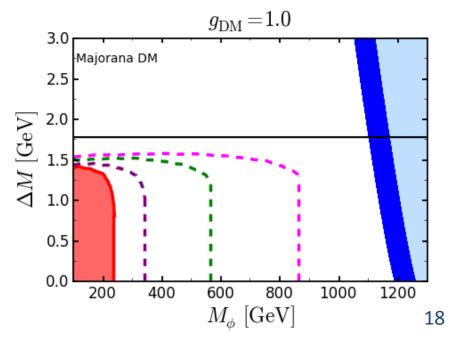
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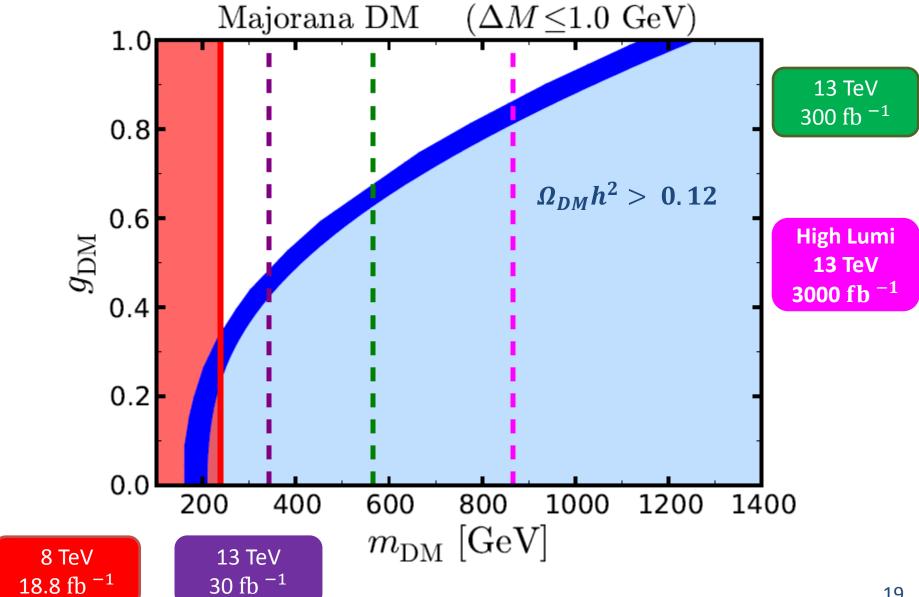
$$\phi^* (\chi \tau_R) \subset \mathcal{L}$$

High Lumi 13 TeV 3000 fb $^{-1}$









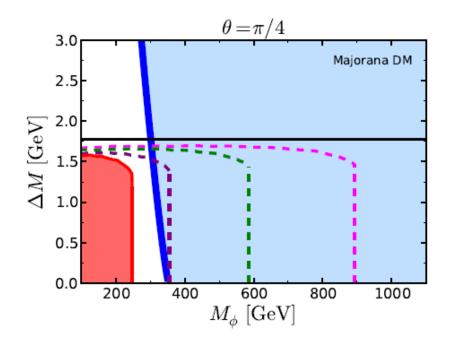
Majorana Dark Matter (Model 1b)

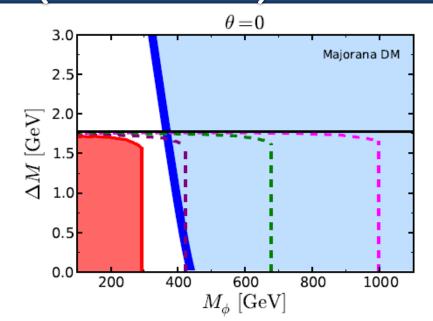
DM CAP
$$(Q = -1)$$
 χ ϕ

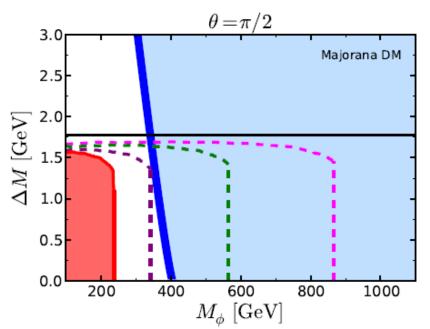
$$g_R \phi^* (\chi \tau_R) + g_L \phi^* (\chi \tau_L) \subset \mathcal{L}$$

$$\phi = \cos\theta \,\,\phi_L + \sin\theta \,\,\phi_R$$

$$g_L = \frac{1}{\sqrt{2}}g'\cos\theta, \quad g_R = -\sqrt{2}g'\sin\theta.$$





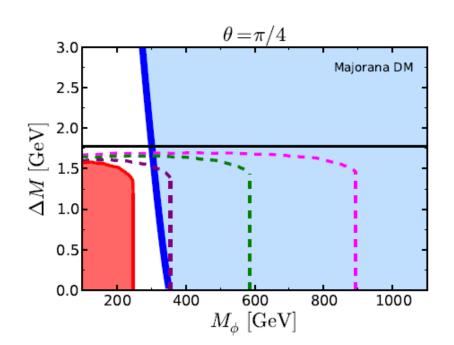


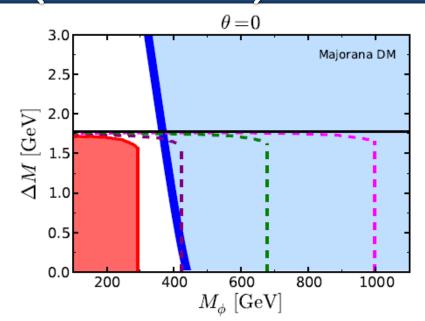
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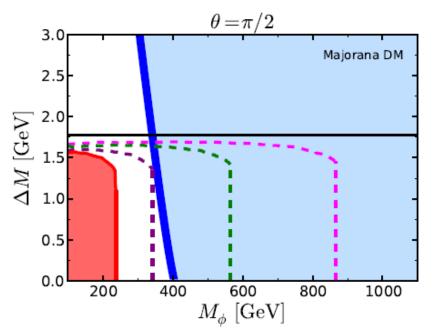
DM CAP
$$(Q = -1)$$
 χ ϕ

$$g_R \phi^* (\chi \tau_R) + g_L \phi^* (\chi \tau_L) \subset \mathcal{L}$$

NOT gauge-invariant, requires UV-completion, e.g. SUSY

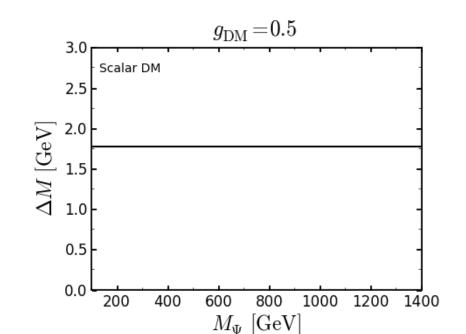


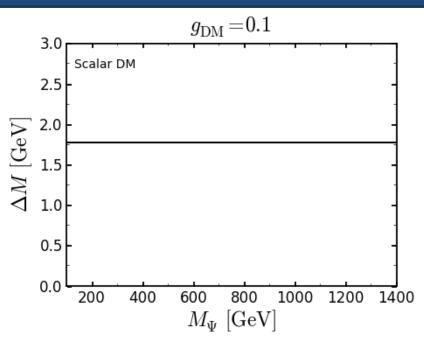


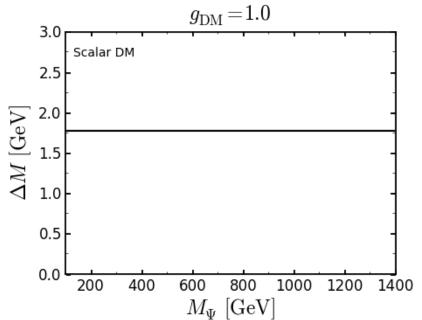


DM CAP
$$(Y = 1 \ L_{\tau} = 1)$$
 S Ψ
 $S(\overline{\Psi} \tau_R) \subset \mathcal{L}$

Gauge-invariant and renormalizable, no problems of unitarity

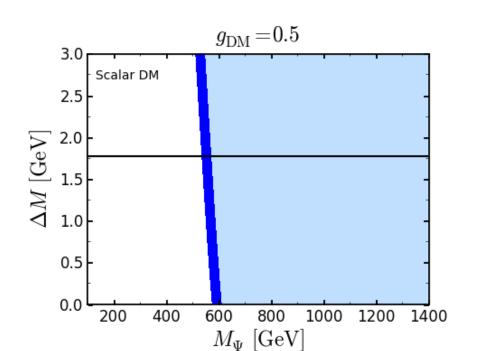


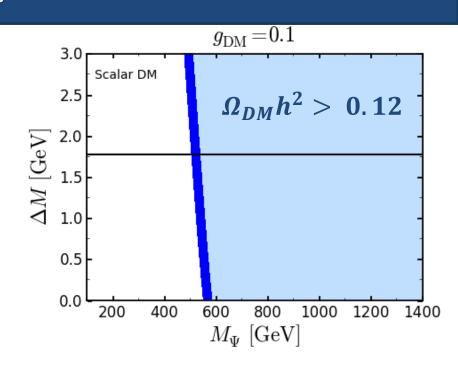


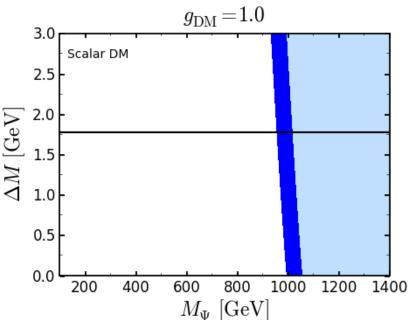


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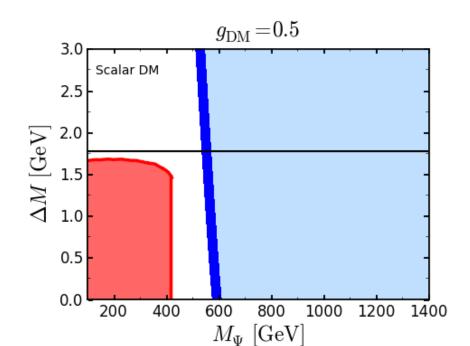


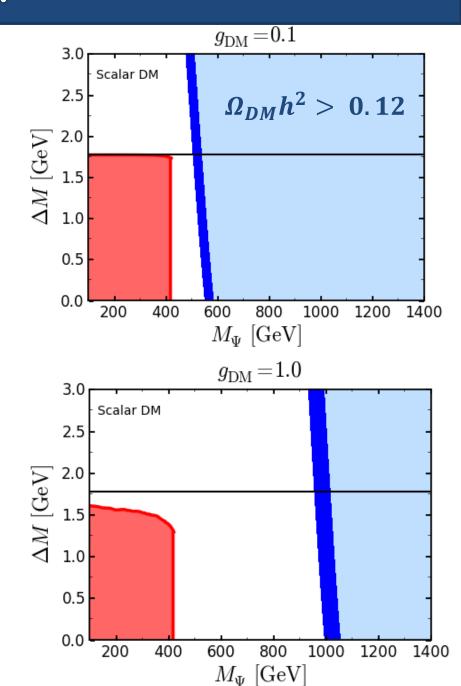




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 $S \quad \Psi$
 $S(\overline{\Psi} \ \tau_R) \subset \mathcal{L}$

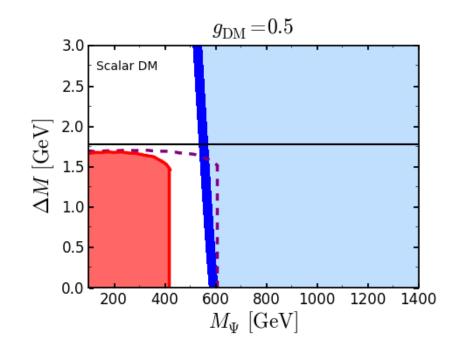
CMS 8 TeV 18.8 fb ⁻¹

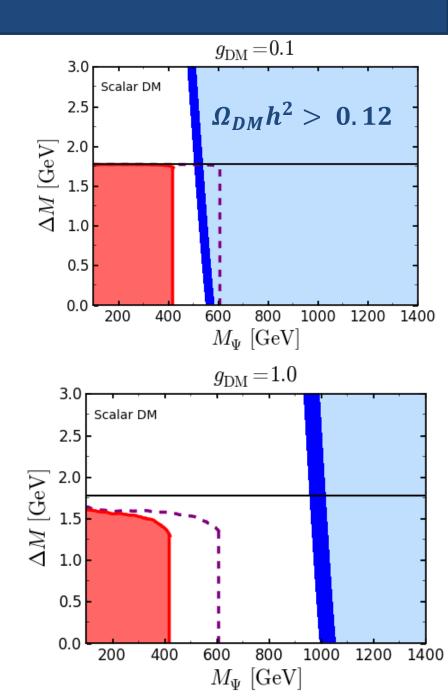


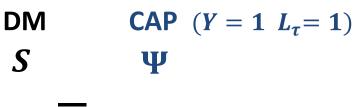


DM CAP $(Y = 1 \ L_{\tau} = 1)$ $S \quad \Psi$ $S(\overline{\Psi} \tau_R) \subset \mathcal{L}$

13 TeV 30 fb $^{-1}$

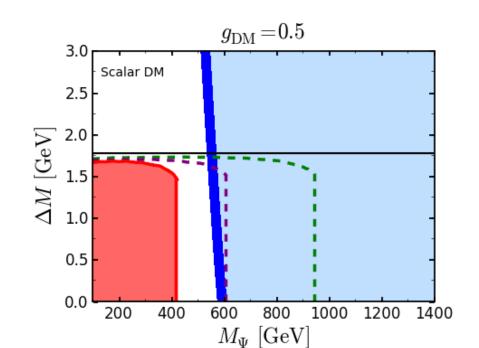


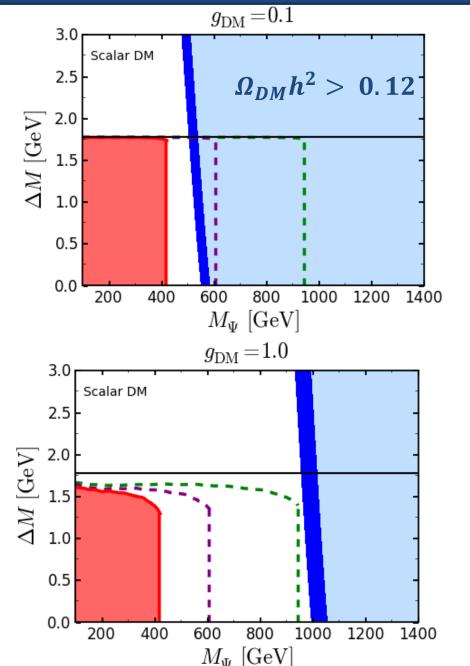




$$S(\overline{\Psi} \tau_R) \subset \mathcal{L}$$

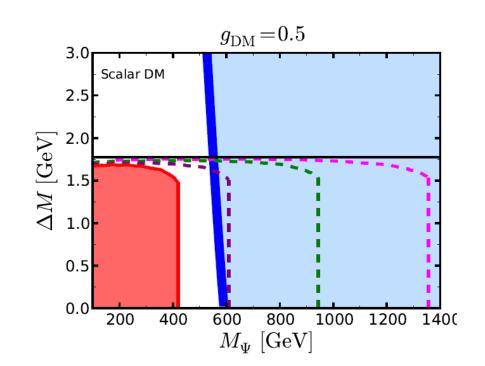
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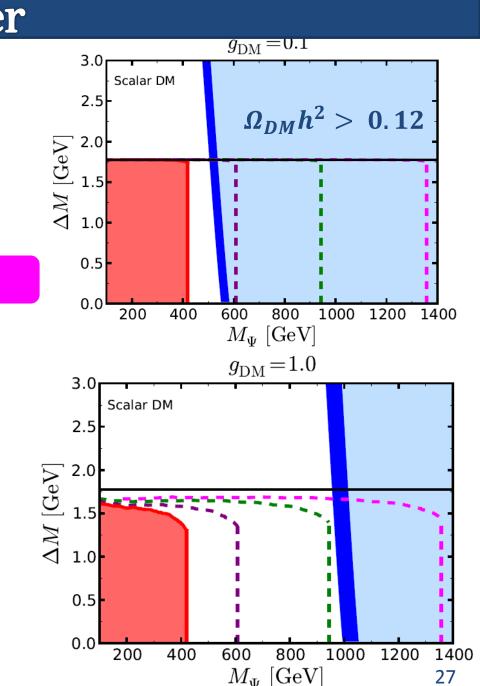




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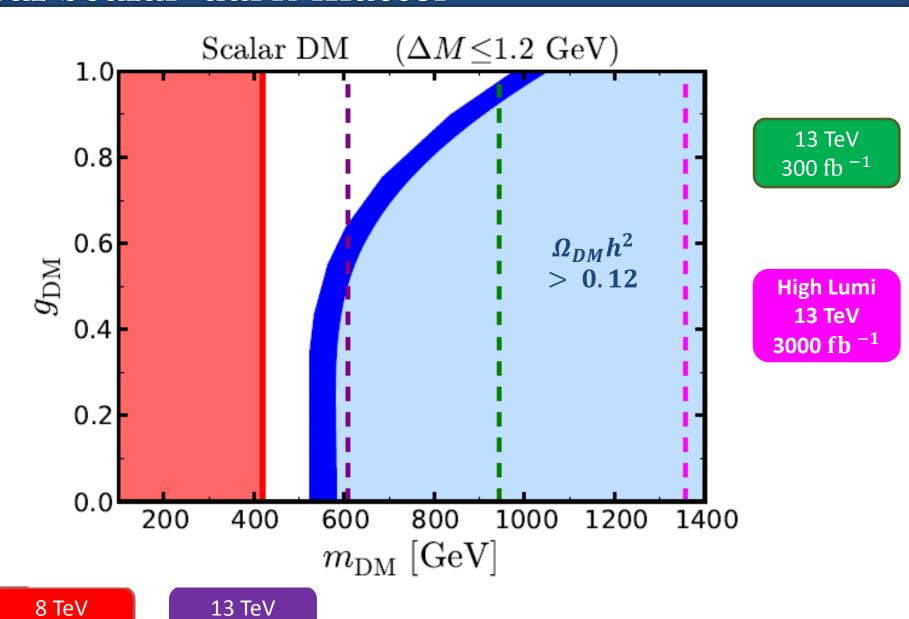
High Lumi 13 TeV 3000 fb^{-1}





 30 fb^{-1}

18.8 fb ⁻¹



28

Vector dark matter (Model 3)

NOT gauge-invariant, requires UV-completion, e.g. Extra-Dimensions

CAP
$$(Y=1 \ L_{ au}=1)$$
 A_{μ} Ψ Kaluza-Klein photon γ^1 A_{μ} $(\overline{\Psi} \ \gamma^{\mu} \ au_R) \subset \mathcal{L}$ Kaluza-Klein au^1

- The lightest KK excitation is usually the 1st excitation of the photon
- DM spin=1, so there is no chiral suppression

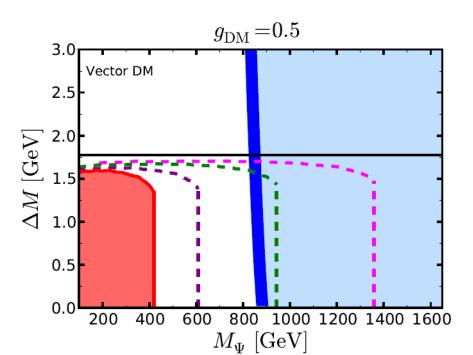
$$m_n^2 = m_0^2 + \frac{n^2}{R^2}$$

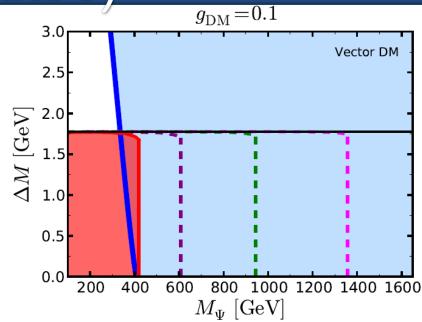
Vector dark matter (Model 3)

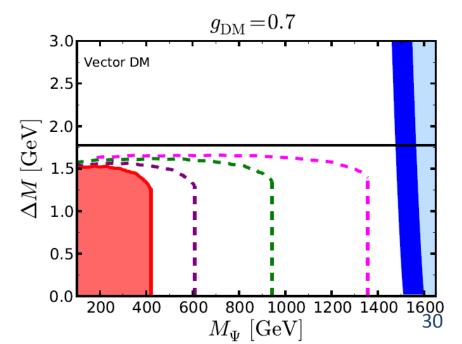
DM CAP
$$(Y=1 \ L_{ au}=1)$$
 A_{μ} Ψ

$$A_{\mu} (\overline{\Psi} \gamma^{\mu} \tau_{R}) \subset \mathcal{L}$$

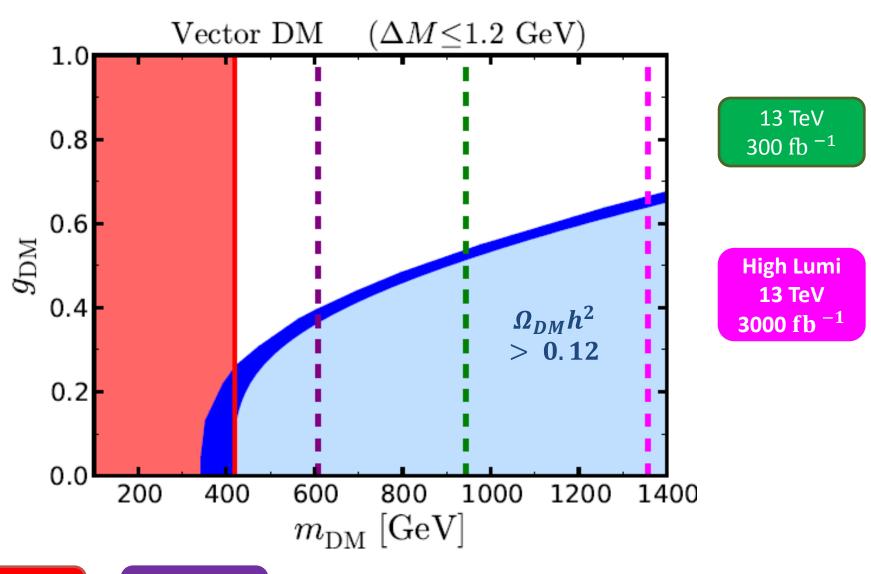
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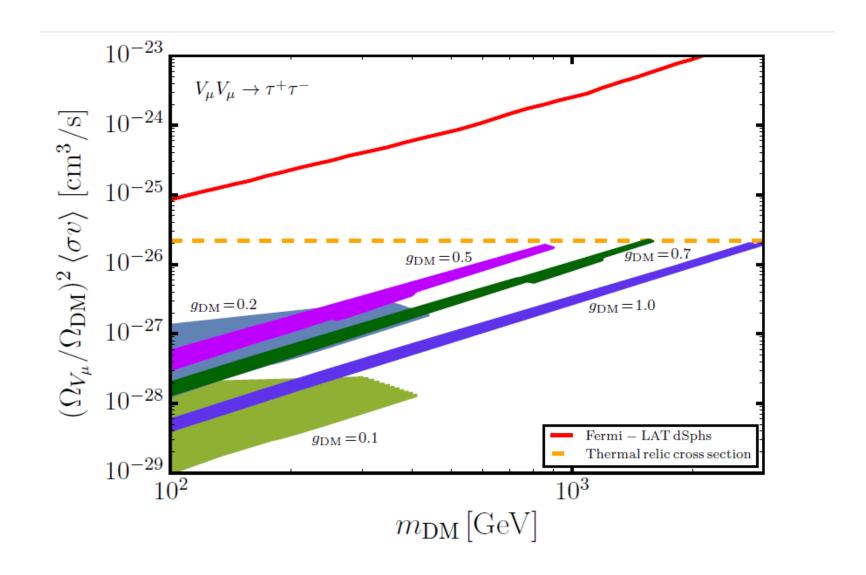


Vector dark matter



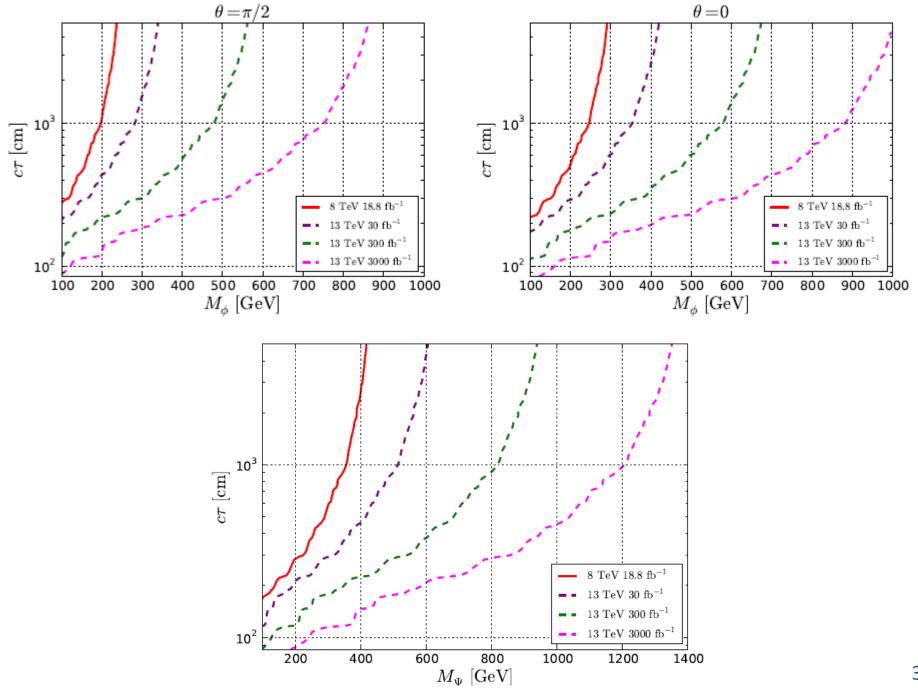
8 TeV 18.8 fb ⁻¹ 13 TeV 30 fb ⁻¹

Vector dark matter

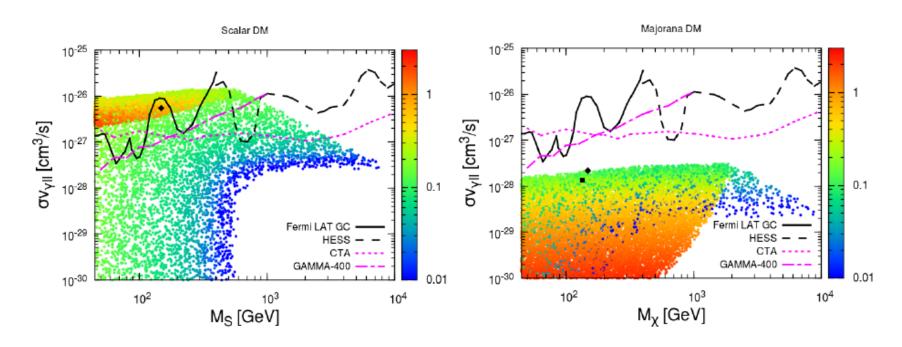


Conclusions

- We have studied 4 classes of simplified models, that have 3-point interaction with τ -lepton
- We have considered the case for Majorana, real scalar and vector dark matter
- Instead of a mediator, these simplified models have a co-annihilation partner that has non-zero hypercharge
- The crucial signatures are tracks of long-lived charged particles, these searches had not been studied before in the context of simplified models of DM
- In the four simplified models we have introduced there are only 3 free parameters
- The possible discovery of a long-lived electrically charged particle could provide an insight into the nature of dark matter



Indirect Detection



Color coding corresponds to parameter $\frac{M_{CAP}}{M_{DM}} - 1$

Blue dots correspond to small mass splitting

[Giacchino, Lopez-Honorez, Tytgat 2013]

Searching for long-lived charged particles

- To distinguish from muons experimentalists rely on energy loss and the time of flight (or bending from magnetic field to infer speed)
- Anomalous charged tracks: Heavier charged particles are slowly moving ($m>100~{\rm GeV} \Longrightarrow \beta=v/c<0.9$) and have large energy loss through ionization dE/dx

