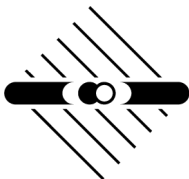


Cooling sterile neutrino dark matter

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based on 1706.02707

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Why would you want to
make dark matter colder?

Sterile neutrinos

- ▶ sterile neutrinos interact with the SM only via mixing with SM neutrinos
- ▶ produced non-thermally through oscillations (Dodelson-Widrow/Shi-Fuller mechanism)

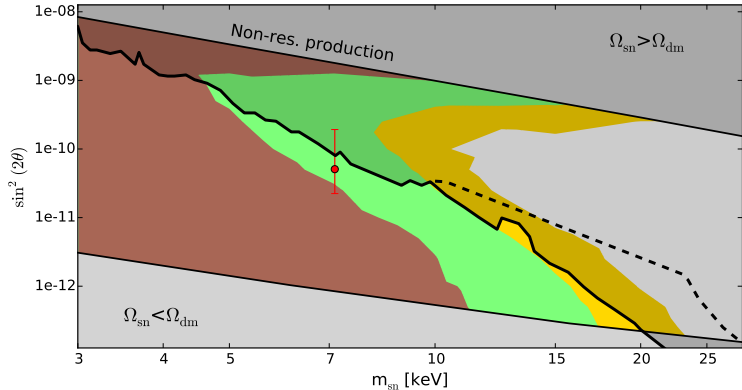
other productions mechanisms exist (production from decays, thermal freeze-out + dilution ...)

- ▶ sterile neutrinos are warm dark matter
 - ▶ non-negligible kinetic energy/characteristic momentum
 - ▶ impact on structure formation

testable with astrophysical observations, i.e subhalo counts,
Lyman-alpha forest ...

Too much of a good thing

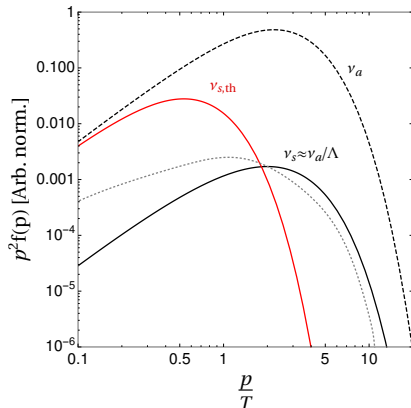
Two parameter: sterile neutrino mass m_{ν_s} and the mixing with active neutrinos $\sin^2(2\theta)$



combination of X-ray and warm dark matter bounds from A. Schneider [1601.07553]

region preferred by tentative 3.5 keV X-ray line seems disfavored

Cooling sterile neutrinos



- ▶ distribution is non-thermal
- ▶ for DW $f_{\nu_s} \approx \frac{1}{\Lambda} f_{\nu_a}$
- ▶ $\langle p \rangle$ set by T_{SM}

→ reduce $\langle p \rangle$ by making the distribution thermal

New interactions for sterile neutrinos

- ▶ starting point: ν_s with a mass m_{ν_s} and mixing $\sin \theta$

New ingredients:

- ▶ new scalar φ interacts with sterile neutrinos

$$\mathcal{L}_{\text{int}} = y \bar{\nu}_s \nu_s \varphi$$

- ▶ scalar self-interactions

$$\mathcal{L}_\varphi = \dots - \frac{\lambda}{4} \varphi^4$$

$\Rightarrow \varphi$ decays and number changing $2\varphi \leftrightarrow 4\varphi$ processes

Stages of thermalization

- I. $T \sim 100 \text{ MeV}$: initial abundance of sterile neutrinos produced by oscillations (resonant or non-resonant)
we use the public code `sterile-dm` by Venumadhav et al. [1507.06655]
- II. $100 \text{ MeV} \gtrsim T \gtrsim 10 \text{ MeV}$: φ produced by inverse decays, self-thermalizes due to efficient number changing interactions
- III. $10 \text{ MeV} \gtrsim T \gtrsim 1 \text{ MeV}$: once sufficient φ abundance has been built up decays produce ν_s efficiently
 $\rightarrow \nu_s$ driven towards thermal equilibrium
- IV. $T \lesssim 1 \text{ MeV}$: φ becomes massive and drops out of thermal bath
 \Rightarrow entropy production in sterile sector

Quantitative estimate

- ▶ for illustration $f_{\nu_s} \approx \frac{1}{\Lambda} f_\nu$
- ▶ argument holds for realistic energy densities
- ▶ energy conservation in an expanding universe $\rho \propto a^{-4}$

$$\rho_i a_i^4 = \rho_\varphi a_\varphi^4 \quad \text{or} \quad C \frac{1}{\Lambda} T_\gamma^4 = C(1 + \frac{4}{7} g_\varphi) T_\varphi^4$$

- ▶ once $m_\varphi \approx T$ entropy transferred from φ to ν_s (similar to photon heating by electron decoupling in SM)

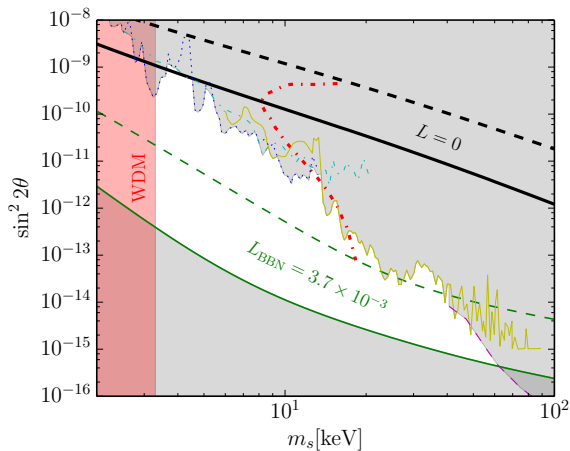
$$s_\varphi a_\varphi^3 = s_f a_f^3 \quad \text{or} \quad K(1 + \frac{4}{7} g_\varphi) T_\varphi^3 = K T_{\nu_s}^3$$

- ▶ final expectation:

$$T_{\nu_s} = (1 + \frac{4}{7} g_\varphi)^{1/12} \Lambda^{-1/4} T_\gamma \quad (\text{colder})$$

$$n_f = (1 + \frac{4}{7} g_\varphi)^{1/4} \Lambda^{1/4} n_i \quad (\text{more abundant})$$

Allowed parameter space



X-ray and warm dark matter bounds substantially relaxed

Does this qualitative picture
hold?

Constraints

Don't want an impact on initial production

- ▶ contribution of inverse decays to collision rate needs to be small
- ▶ potential from sterile neutrino asymmetry V_{ν_s} needs to be small

quantitative:

- ▶ $\frac{\Gamma_{new}(T_{new})}{H(T_{new})} < \frac{1}{10} \frac{\Gamma_{DW}(T_{DW})}{H(T_{DW})}$
- ▶ $V_{\nu_s} < \frac{1}{10} V_L$

depending on m_{ν_s} , m_φ this implies $\Rightarrow y < 10^{-6} - 10^{-7}$

Momentum averaged Boltzmann equations

Assumptions

- ▶ all particle species $(\nu, \bar{\nu}, \varphi)$ in local thermal equilibrium
- ▶ $2\varphi \rightarrow 4\varphi$ process efficient

⇒ system characterized by 5 quantities (3 energy densities and 2 number densities)

$$\dot{\rho}_{\varphi} + CH\rho_{\varphi} = \Gamma_{\rho_{\nu s}}\rho_{\nu s} + \Gamma_{\rho_{\bar{\nu} s}}\rho_{\bar{\nu} s} - \Gamma_{\rho_{\varphi}}\rho_{\varphi}$$

$$\dot{\rho}_{\nu s} + 4H\rho_{\nu s} = \Gamma_{\rho_{\varphi}}\rho_{\varphi}/2 - \Gamma_{\rho_{\nu s}}\rho_{\nu s}$$

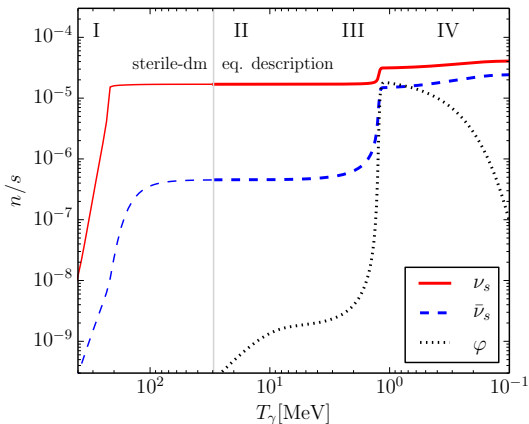
$$\dot{\rho}_{\bar{\nu} s} + 4H\rho_{\bar{\nu} s} = \Gamma_{\rho_{\varphi}}\rho_{\varphi}/2 - \Gamma_{\rho_{\bar{\nu} s}}\rho_{\bar{\nu} s}$$

$$\dot{n}_{\nu s} + 3Hn_{\nu s} = \Gamma_{n_{\varphi}}n_{\varphi} - \Gamma_{n_{\nu s}}n_{\nu s}$$

$$\dot{n}_{\bar{\nu} s} + 3Hn_{\bar{\nu} s} = \Gamma_{n_{\varphi}}n_{\varphi} - \Gamma_{n_{\bar{\nu} s}}n_{\bar{\nu} s}$$

- ▶ Γ s are thermally averaged rates
- ▶ C parametrizes the redshift behavior of a massive species
- ▶ simplification: Boltzmann statistics

Thermalization



Here: $m_{\nu_s} = 7$ keV, $m_\phi = 100$ keV, $y = 7 \times 10^{-9}$, $n_{\bar{\nu}_s}/n_{\nu_s} = 3 \times 10^{-2}$
 perfect agreement with analytic result

Conclusion

- ▶ keV sterile neutrinos constitute an intriguing warm dark matter candidate
- ▶ sterile neutrinos thermalization can be achieved in simple models
- ▶ compact description in terms of energy conservation
- ▶ parameter space in reach of future observational efforts

Production by oscillations

- ▶ Boltzmann equation for sterile neutrinos

$$\frac{\partial}{\partial t} f_{\nu_s}(p, t) - Hp \frac{\partial}{\partial p} f_{\nu_s}(p, t) \approx [f_{\nu_a}(p, t) - f_{\nu_s}(p, t)].$$

- ▶ rate given by

$$\frac{1}{4} \frac{\Gamma_a \Delta^2 \sin^2 2\theta}{\Delta^2 \sin^2 2\theta + \frac{\Gamma_a^2}{4} + [\Delta \cos 2\theta - V_T - V_L]^2}$$

- ▶ $\Delta \approx \frac{m_{\nu_s}^2}{2p}$
- ▶ Γ_a collision rate with plasma
- ▶ $V_T \propto \rho_e$ and $V_L \propto n_{\nu_e} - n_{\bar{\nu}_e}$ medium potential