Dark matter in SO(10) GUT

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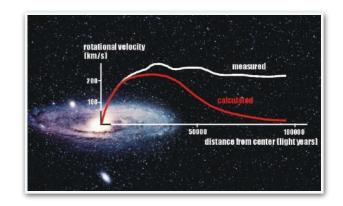
DESY TH-workshop, Hamburg. 28/09/2017.

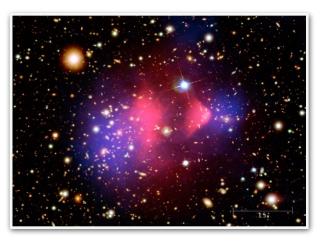
There exists a wide array of evidence for a nonbaryonic, clustering component of the Universe. Most likely new particle(s).

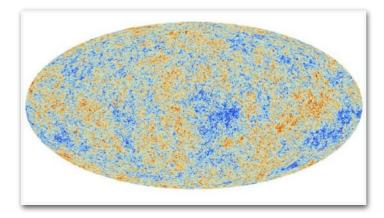
Acceptable candidates are very feebly interacting with SM, reproduce observed abundance, cold-ish, and very stable!

DM should be at least older than the Universe. If it emits cosmic rays the lifetime may become orders of magnitude larger:

$$\tau_{\rm DM} \gtrsim 10^{26} \rm s$$







From HEP viewpoint, stability points to a new preserved symmetry. A guide for model-building!

Straightforward solution is to impose a parity by hand.

However, less ad-hoc solutions are welcome. If stability results from new symmetry connected to SM, non-trivial interplay and constraints would emerge, e.g.,

A new (unbroken) gauge group;

Global flavour symmetry;

SO(10) GUT

SO(10)-based Grand Unified Theories offer many nice features:

Automatic anomaly cancelation Electric charge quantization

Gauge and matter unification

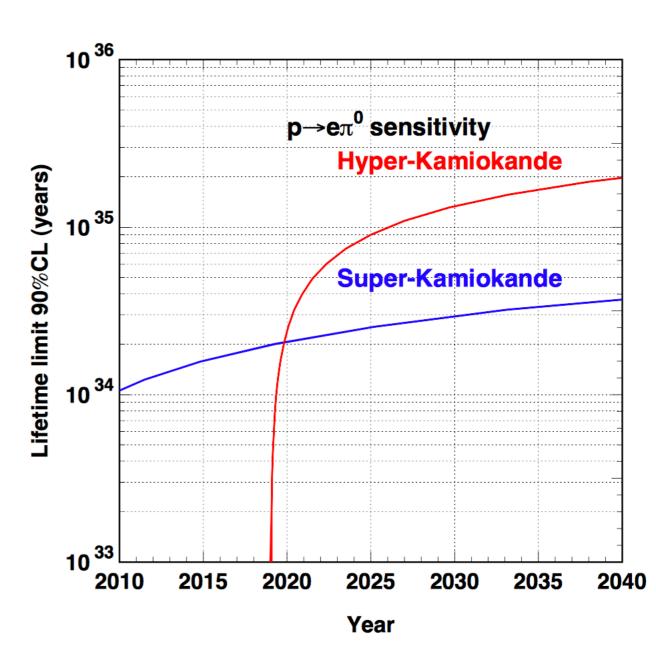
Neutrino masses

Baryogenesis

New physical scales (e.g., LR)

Elegant inclusion of axions

Elegant inclusion of inflation



[Letter of Intent for Hyper-K experiment]

• • •

SO(10)-based Grand Unified Theories offer many nice features. In particular, a stabilizing symmetry!

SO(10) has a Z_4 center. Its irreps. can be partitioned into 4 congruence classes.

[Kibble, Lazarides, Shafi '82; O'raifeartaigh '86]

If no SO(10) spinor takes vev: remnant parity.

Non-SUSY SO(10) GUT provide a nice motivation from top for WIMPs in the form of various (admixtures of) multiplets.

	SO(10) reps.	DM candidates (SM)	\mathbb{Z}_2
Fermions	10,	(1,2, 1/2)	
	45, 54, 210	(1,1,0)+(1,3,0)	+
	126 	[Frigerio, Hambye '09] (1,1,0)	
Scalars	16, 144 	(1,1,0) [Kadastik, Kannike, Raidal '09]	•

Why not the simplest possibility, 10, and have a doublet DM?

Due to the rich gauge structure of the GUT, the lowenergy doublet interacts with new gauge bosons saving it from direct detection limits.

Enhanced phenomenological predictions and broader DM parameter space.

Plan

The Model
Pheno & Results
Summary

Let's consider a simple setup

We consider a minimal SO(10) fields content: 3 generations of fermion in **16**, and scalars in **126**, **45**, and a complex **10**.

$$SO(10) \longrightarrow SU(3)_C \times SU(2)_L \times SU(2)_R \times U(1)_{B-L}$$
 $(\mathbf{45}_H)$
 $\longrightarrow SU(3)_C \times SU(2)_L \times U(1)_Y$ $(\overline{\mathbf{126}}_H)$
 $\longrightarrow SU(3)_C \times U(1)_Q$ $(\mathbf{10}_H)$

Arguably, the most economical chain. Abandoned due to tachyonic instabilities, then resuscitated after inclusion of quantum corrections.

Now, we add our would-be DM in a fermonic 10

The 10 contains new VL quarks;

$$\mathbf{10}_{\mathcal{L},\mathcal{R}}\supset \xi_{\mathcal{L},\mathcal{R}}=\left(egin{array}{cc} \xi & \xi^+ \ \xi^- & \xi^c \end{array}
ight)_{\mathcal{L},\mathcal{R}}$$

$$\mathbf{10} = (\mathbf{1}, \mathbf{1}, \mathbf{6}) + (\mathbf{2}, \mathbf{2}, \mathbf{1}) \text{ (PS)}$$

$$= (\mathbf{1}, \mathbf{1}, \mathbf{3}, -\frac{1}{3}) + (\mathbf{1}, \mathbf{1}, \overline{\mathbf{3}}, \frac{1}{3}) + (\mathbf{2}, \mathbf{2}, \mathbf{1}, 0) \text{ (LR)}$$

To split the multiplet, we connect it to 45:

$$\mathcal{L}_{DM} \supset y \, \mathbf{10}_{\mathcal{L}}.\mathbf{45}_{H}.\mathbf{10}_{\mathcal{R}} + h.c.$$

45 breaks the group (first stage to LR), and splits the **10**'s thanks to its vev structure:

$$\langle {f 45}_H
angle \propto (B-L) = {
m diag}(a,a,a,b,b) \otimes i\sigma_2$$
 [Dimopoulos, Wilczek '81] ~GUT ~TeV

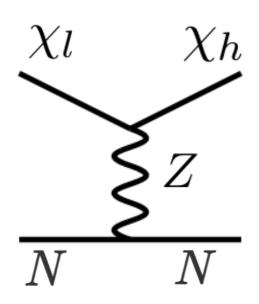
A pure hyper-charged DM is ruled out by direct detection exps!

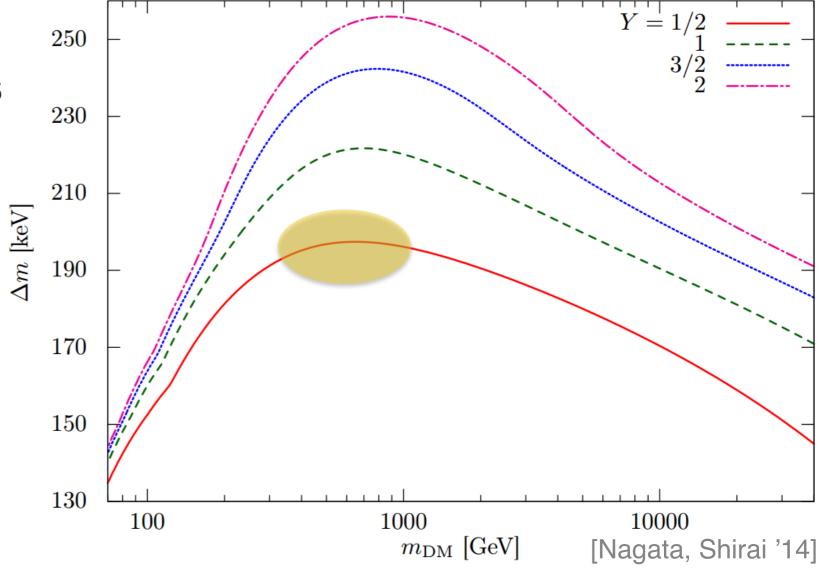
Solution: Split the Dirac state to two

Majorana; or

Make Z interactions off-diagonal.

Only a small splitting is needed!





Our DM obtains two mass contributions

We have the typical Dirac "off-diagonal" terms

$$\begin{pmatrix} \xi & \xi^{+} \\ \xi^{-} & \xi^{c} \end{pmatrix}_{\mathcal{L}} \begin{pmatrix} \xi & \xi^{+} \\ \xi^{-} & \xi^{c} \end{pmatrix}_{\mathcal{R}} \qquad \xi_{\mathcal{L}} \longrightarrow \chi_{(0,0)}^{m_{b}} \qquad \xi_{\mathcal{R}}$$

$$y \mathbf{10}_{\mathcal{L}}.\mathbf{45}_{H}.\mathbf{10}_{\mathcal{R}} \to m_b \xi_{\mathcal{L}}^{-\dagger} \xi_{\mathcal{R}}^{-} + \dots$$

As well as a new contribution due to WR

$$\left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{c} \end{array}\right)_{\mathcal{L}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{c} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{c} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{+} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} & \xi^{-} \end{array}\right)_{\mathcal{R}} \qquad \left(\begin{array}{ccc} \xi & \xi^{-} \\ \xi^{-} &$$

Interestingly, we obtain an upper-bound on W' masses from DM!

After diagonalizing the mass matrices, we obtain two neutral Dirac fermions with masse: $m_{h,l}=m_b\pm\delta_m$

The radiative contributions is readily calculable:

$$\frac{1}{2}\delta_m \sim \frac{g_L^2 g_R^2}{16\pi^2} \frac{v_u v_d}{M_{W_R}^2} m_b$$

The neutral current are now off-diagonal.

Demanding that the splitting exceeds the kinetic energy of DM implies:

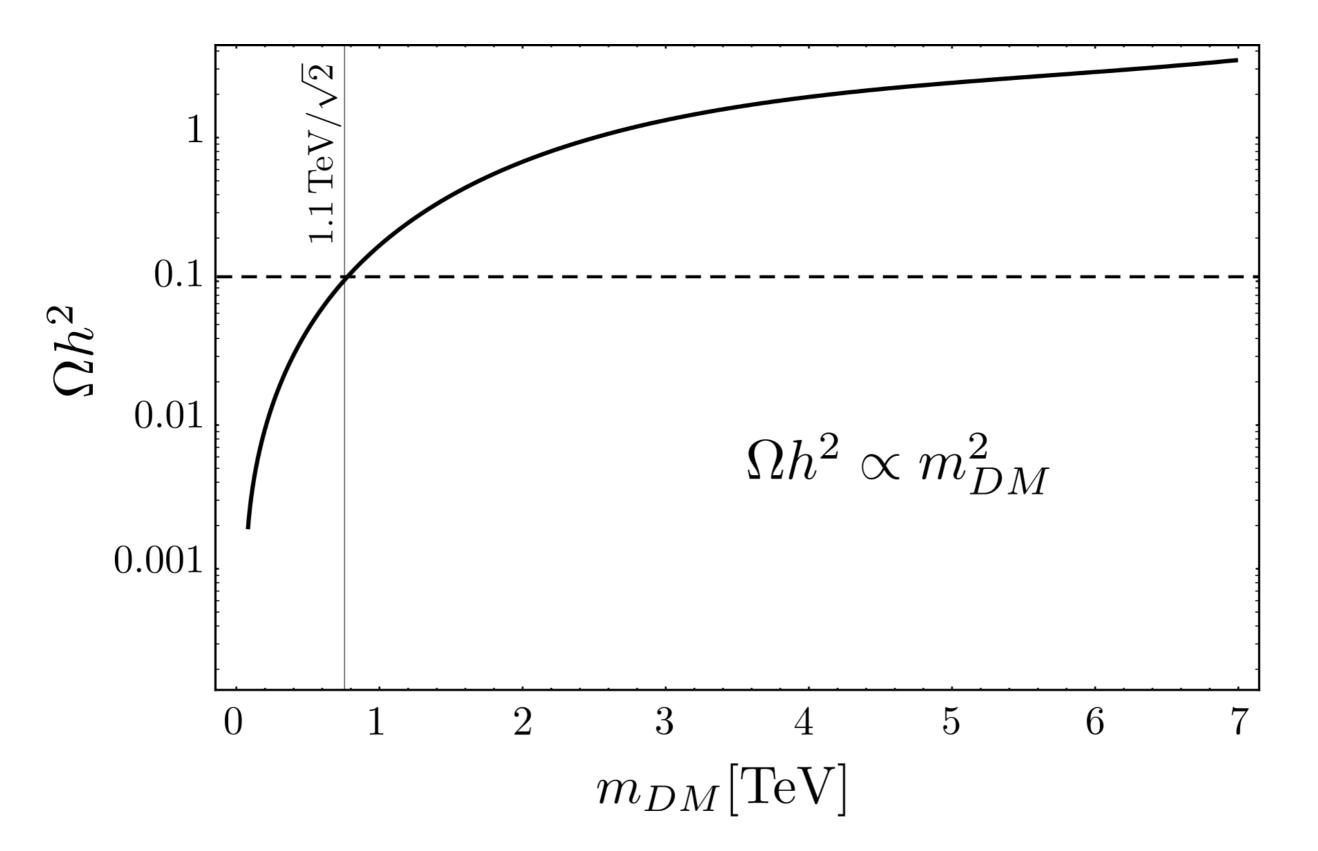
$$M_{W_R} \lesssim 25 \left(\frac{m_b}{\text{TeV}}\right)^{1/2}$$

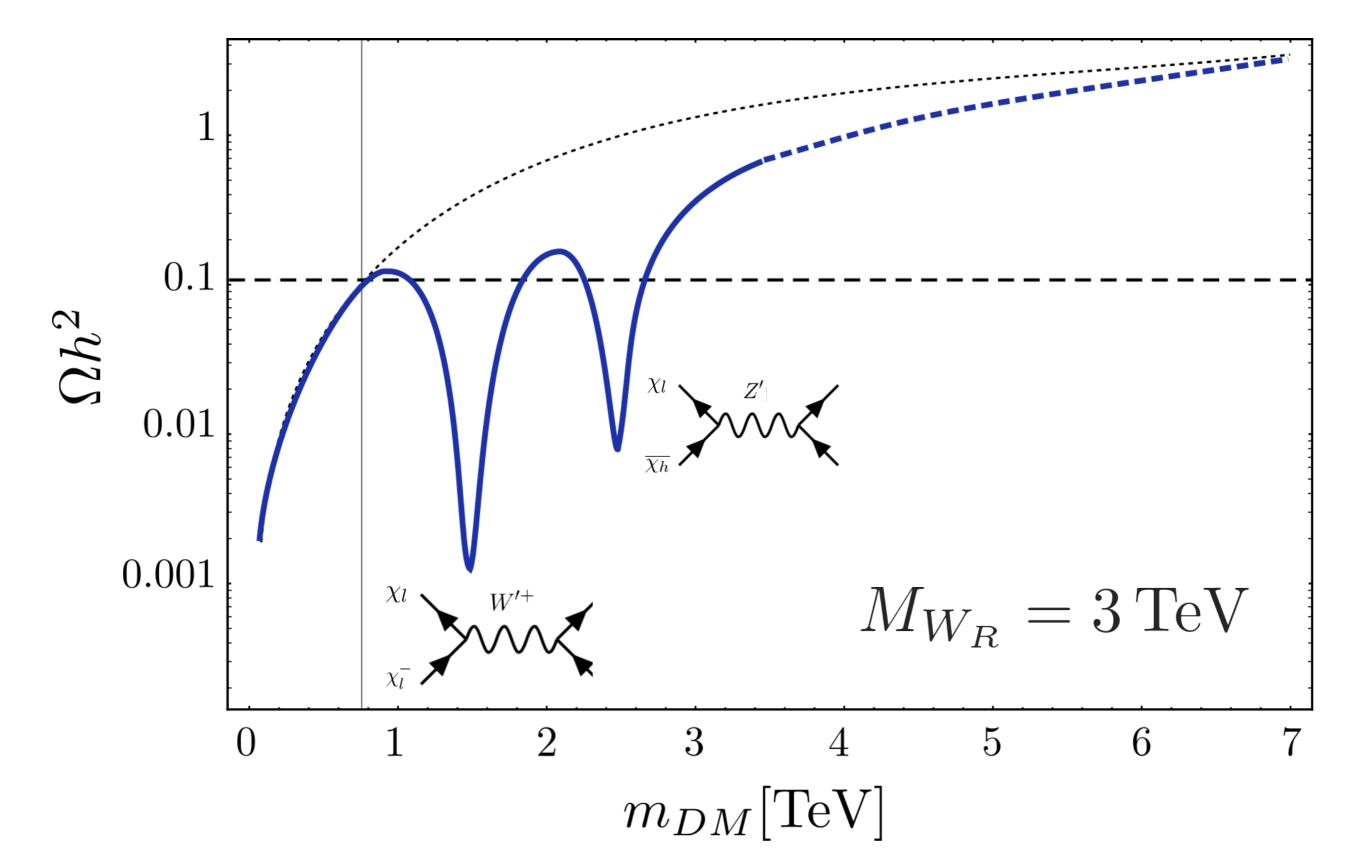
Phenomenology of the bi-doublet Dark matter.

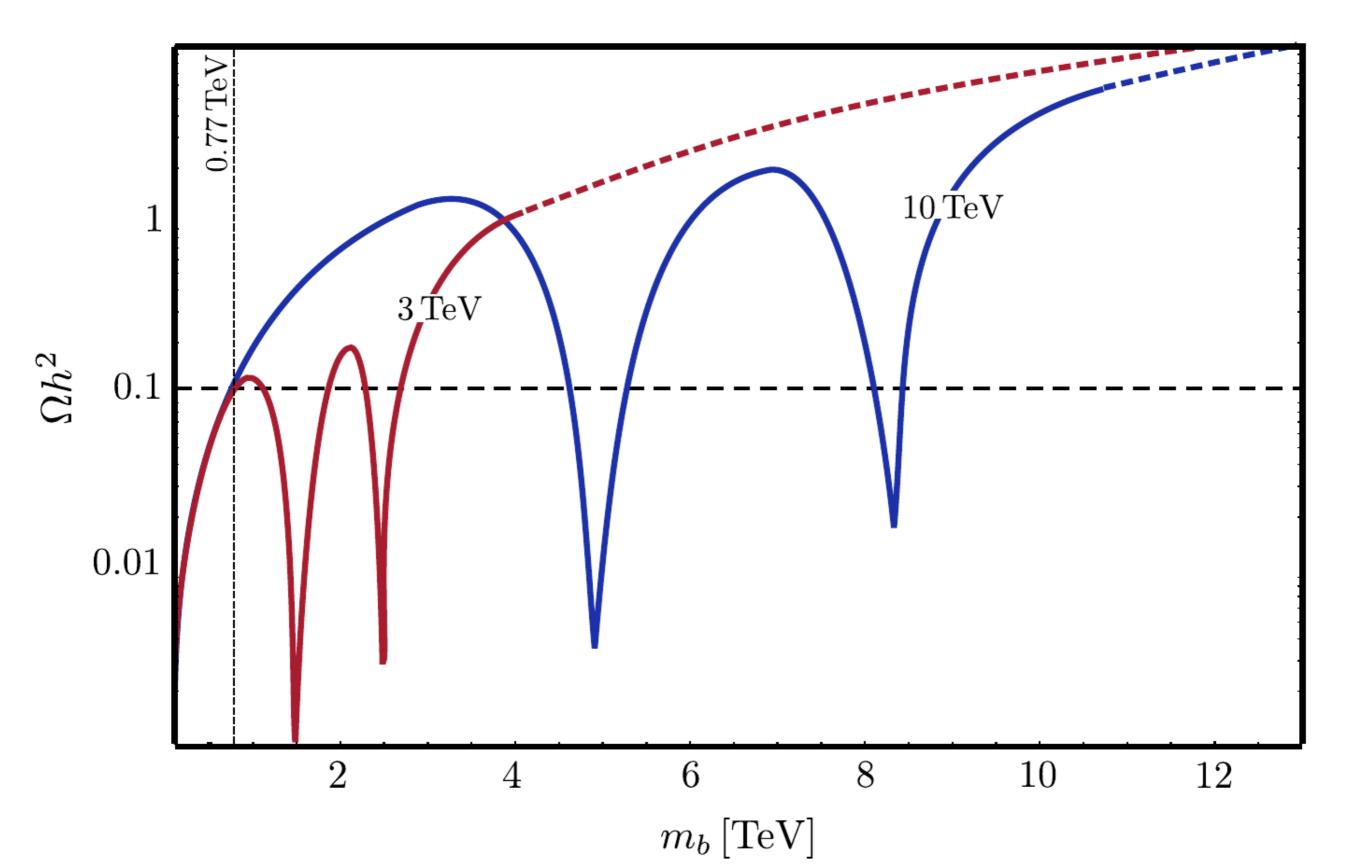
At low energy the model can be viewed as a minimal left-right, gauge theory augmented with a stable bi-doublet DM.

At the level of the SM this results in 2 fermionic doublets.

We can study its pheno without worrying of what happens at the GUT scale.







Indirect detection

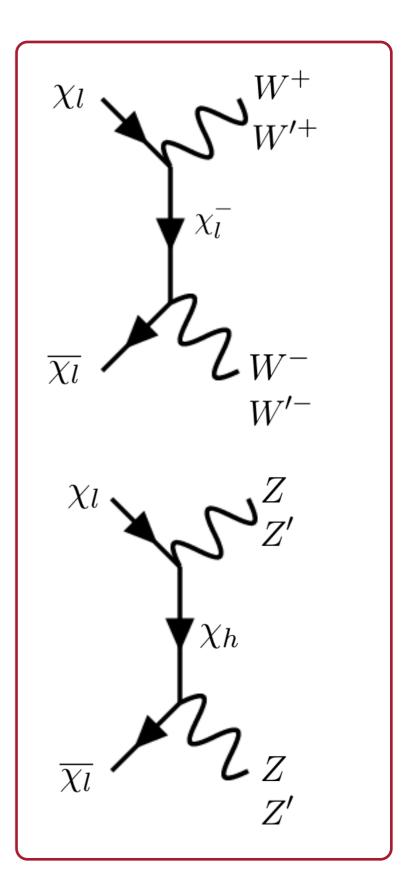
The leading annihilation channel for indirect detection searches is into diboson states.

The signal remains below current limits:

$$\langle \sigma v \rangle \approx 10^{-1.5} \left(\frac{2 \,\text{TeV}}{m_{\chi_l}} \right)^2 \langle \sigma v \rangle_{\text{FERMI}}$$

Future observatories like CTA could soon probe some of the allowed regions.

Collider pheno similar to quasidegenerate Higgsino in split-susy



To conclude ...

Non-SUSY **SO(10)** provides a natural framework to motivate WIMP DM. The pheno is rich with possible interplays with neutrino masses, BAU, unification, inflation, and new mass scales.

Simplest possibility consists of adding a **10**-plet, leading to a Left-Right bi-doublet DM.

Direct detection bounds force the LR scale to be low: testable scenario. Interplay DD/LHC.

The leading annihilation channel for indirect detection searches is into diboson states. Interesting for future ID observatories.

Back-up

Decay of the exotic quarks

We consider a minimal **SO(10)** fields content: 3 generations of fermion **16**, and scalars in **126**, **45** and complex **10**.

The exotic D quarks have to decay before BBN. With **SO(10)** gauge bosons we can estimate:

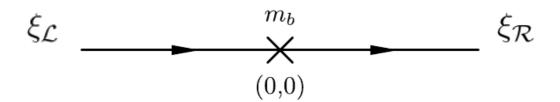
$$\tau_D \approx \frac{8\pi}{g^4} \frac{M_X^4}{M_D^5} \Longrightarrow M_D \gtrsim 1.75 \times 10^8 \, g^{-4/5} \, \left(\frac{M_X}{10^{16} \, \text{GeV}}\right)^{4/5} \, \text{GeV}$$

 $D o \overline{e_L^c} \, Q_L \chi$

This is the fermionic version of the doublet-triplet splitting and the **45** helps resolving it.

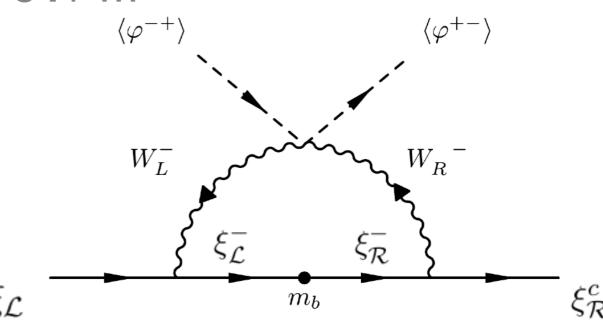
Our DM obtains two mass contributions.

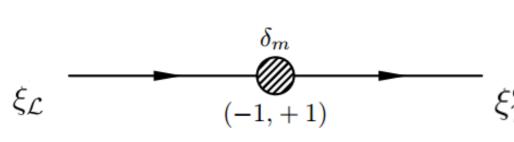
The 'off-diagonal' terms are isospin neutral contributions—aligned with gauge interactions.



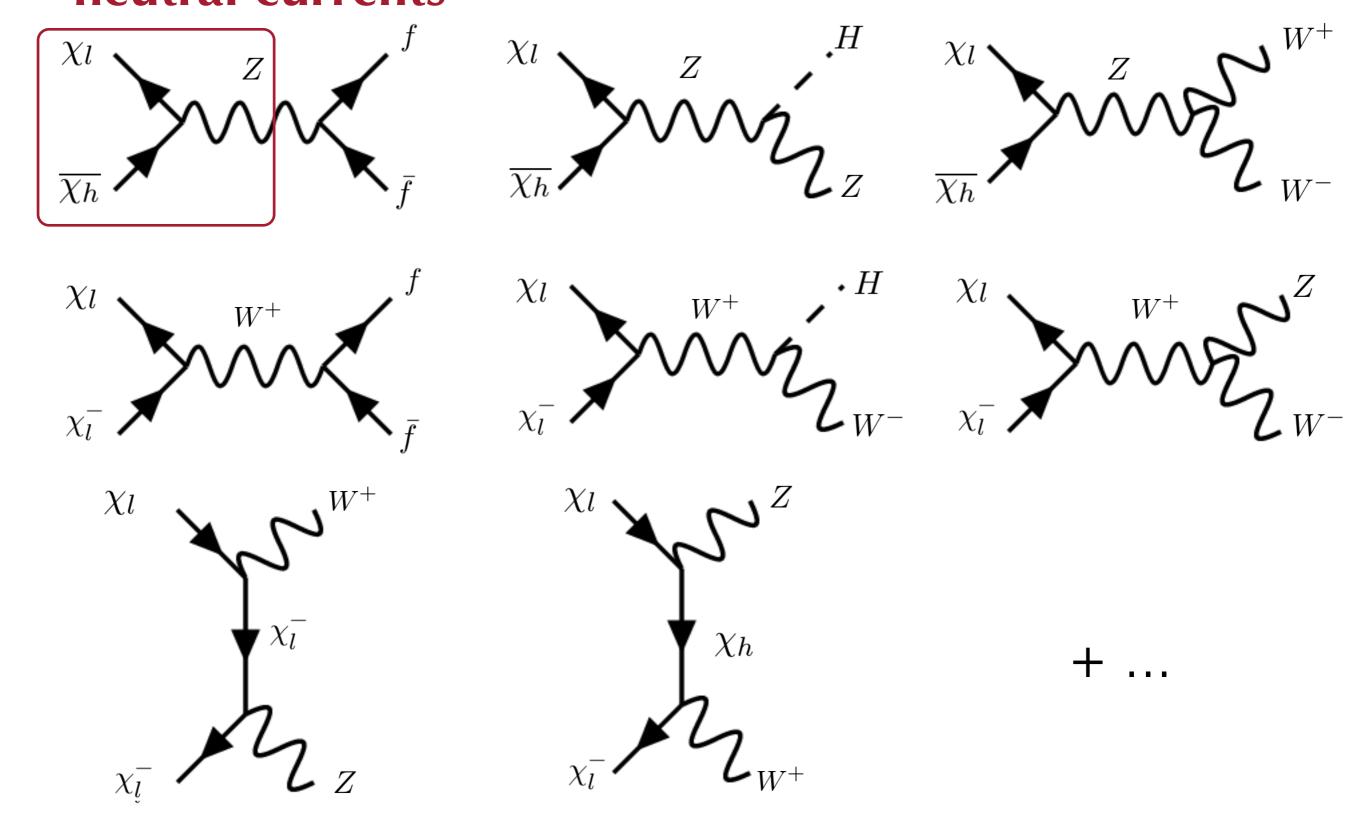
The isospin violating contribution requires an object transforming as a bi-triplet. We can generate it:

$$(2,2)x(2,2)=(3,3)+...$$
 and $10x10=54+...$

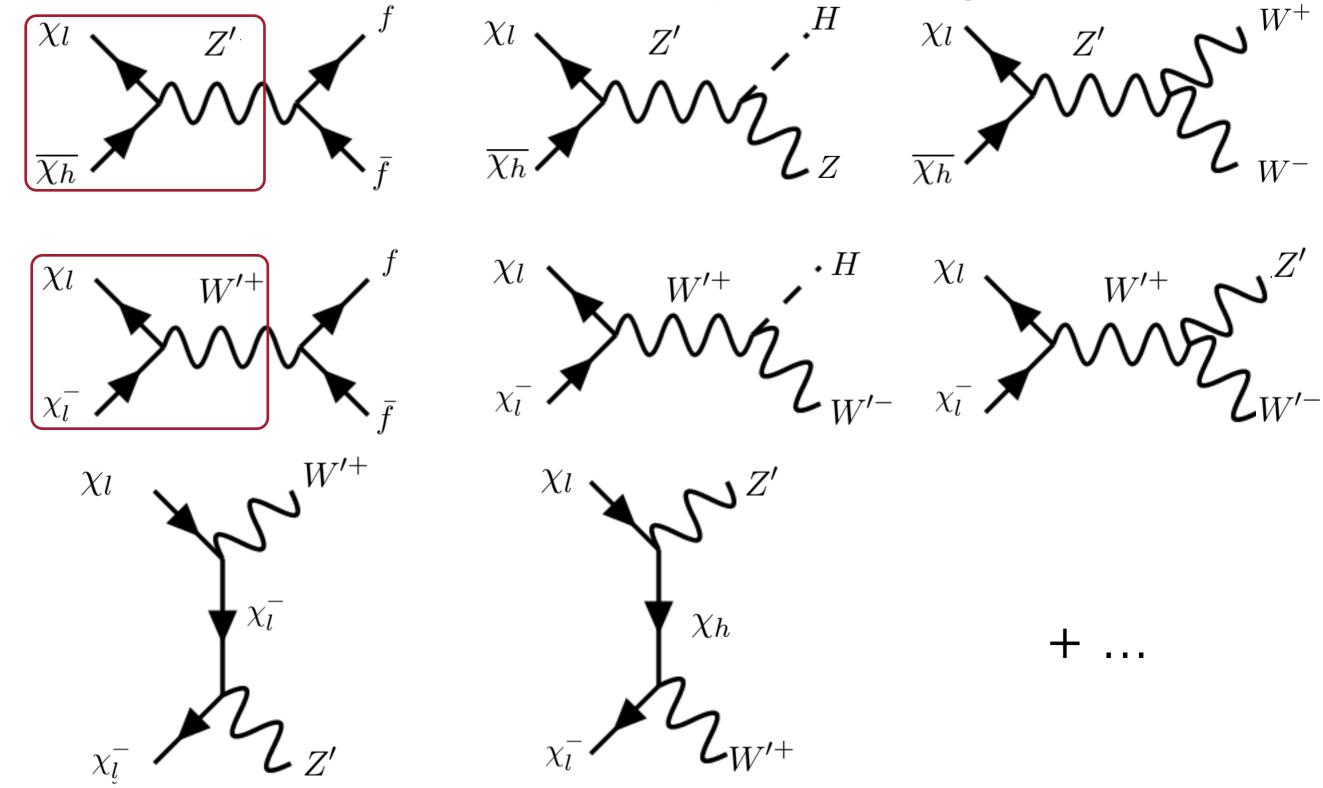




Our Bi-doublet DM has off-diagonal neutral currents



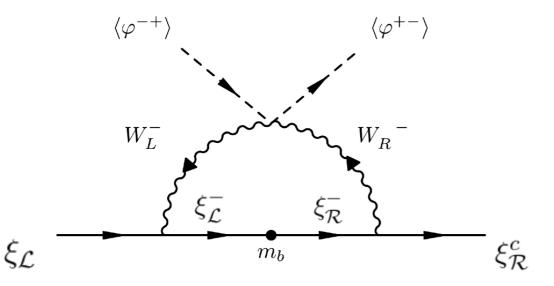
Our Bi-doublet DM has off-diagonal neutral currents ... and many more diagrams



Two kinds of splitting

DIRAC

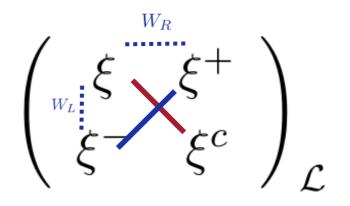
$$y = \frac{-\mathcal{L}_{DM} = y \, \mathbf{10}_{\mathcal{L}} \cdot \mathbf{45}_{H} \cdot \mathbf{10}_{\mathcal{R}}}{y \, \mathbf{10}_{\mathcal{L}} \cdot \mathbf{45}_{H} \cdot \mathbf{10}_{\mathcal{R}} \supset m_{b}(\overline{\xi_{\mathcal{R}}} \xi_{\mathcal{L}} + h.c.)}$$
 $\begin{pmatrix} \xi & \xi^{+} \\ \xi^{-} & \xi^{c} \end{pmatrix}_{\mathcal{L}} \begin{pmatrix} \xi & \xi^{+} \\ \xi^{-} & \xi^{c} \end{pmatrix}_{\mathcal{R}}$

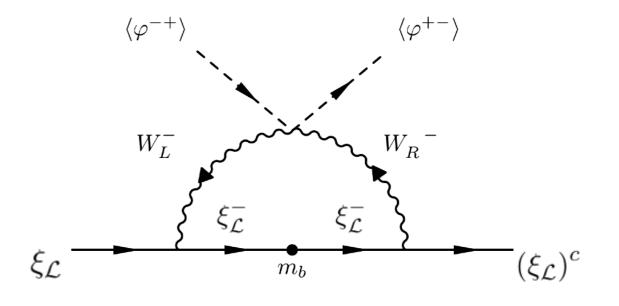


MAJORANA

$$-\mathcal{L}_{DM}=m_b\,\mathbf{10}_{\mathcal{L}}$$
 . $\mathbf{10}_{\mathcal{L}}$

$$m_b \mathbf{10}_{\mathcal{L}}^T C \mathbf{10}_{\mathcal{L}} \supset m_b(\xi_{\mathcal{L}}^{cT} C \xi_{\mathcal{L}} + h.c.) = m_b(\overline{\xi_{\mathcal{R}}} \xi_{\mathcal{L}} + h.c.)$$





Two kinds of splitting

DIRAC

$$-\mathcal{L}_{DM}=y\,\mathbf{10}_{\mathcal{L}}$$
 . $\mathbf{45}_{H}$. $\mathbf{10}_{\mathcal{R}}$

- 2 Dirac neutral fermions
- 2 Charged fermions
- Exotic Quarks naturally decoupled

MAJORANA

$$-\mathcal{L}_{DM}=m_b\,\mathbf{10}_{\mathcal{L}}$$
 . $\mathbf{10}_{\mathcal{L}}$

- 2 Majorana fermions
- > 1 Charged fermion

In both cases:

$$m_{h^-,l^-} \approx m_{h,l} + 340 \,\text{MeV}$$

$$m_{h,l} = m_b \pm \delta_m$$

$$J_{\mu}^{NC} \propto \chi_h \gamma_{\mu} \chi_l$$