

Λ^0 reconstruction

- aimed to a search for the H dibaryon -



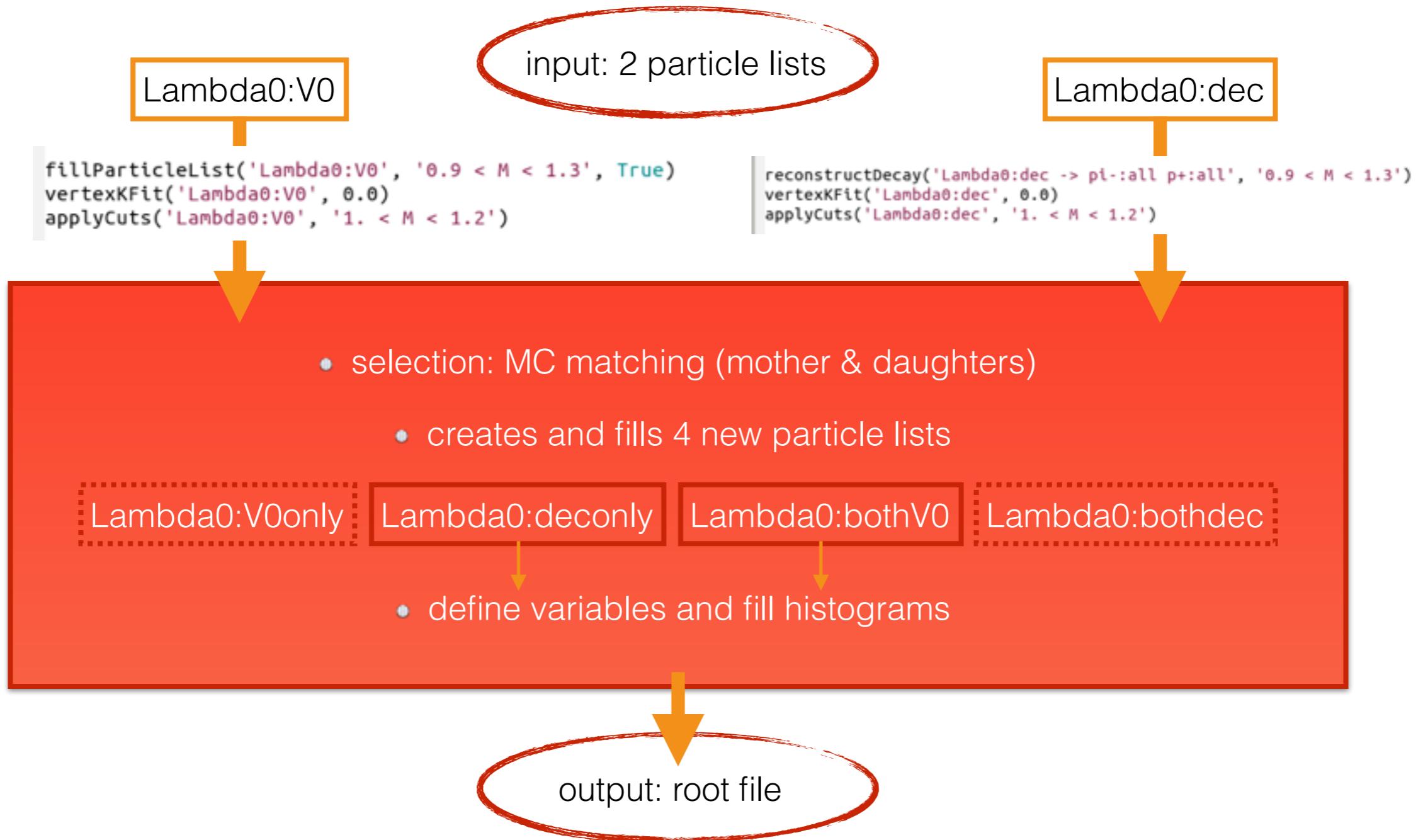
Outline

- Analysis strategy
- Local modification implemented
- Definition of the variables
- Pull distributions
- Conclusions

Analysis Strategy

Goal: compare performances of lambda reconstruction with V0 objects and reconstructDecay

Strategy for the study: is to see what is delivered to *analysis level*



Local Modification

interest: pull d_0^{V0} , pull d_0^{dec}

- $d_0 \rightarrow \text{TrackFitResult}$

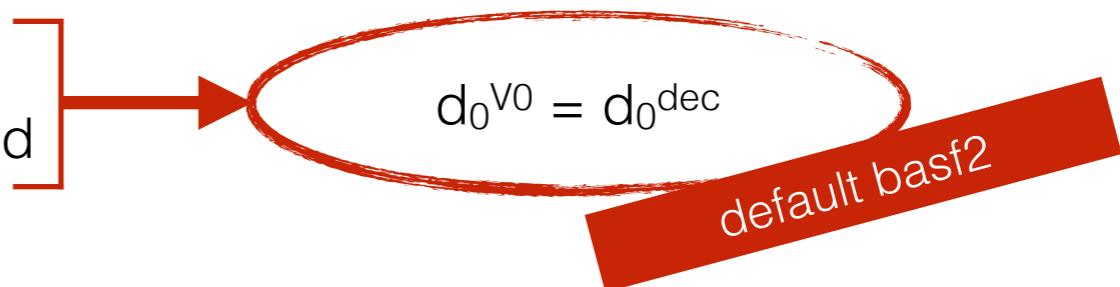
d_0 from a particle p1:

- $p1 \rightarrow \text{getTrack}() \rightarrow \text{getTrackFitResult}() \rightarrow \text{getD0}();$

when a v0 object is created:

```
m_v0s.appendNew(std::make_pair(trackPlus, tfrPlusVtx),  
                 std::make_pair(trackMinus, tfrMinusVtx));
```

- tracks: original
- TrackFitResults: updated



We modified locally Particle class:

add TFR as a member -> direct access

```
const TrackFitResult* getTFR() const  
{  
    return m_trackFitResult;  
}
```

Variables Definition

```
Particle p1 = particleList->getParticle(i);
MCParticle mc_p1 = p1->getRelated<MCParticle>();
MCParticleInfo mcInfo_p1(mc_p1, magField);
```

```
TrackFitResult* TFRdec = p1->getTrack()->getTrackFitResult(type);
```

```
TrackFitResult* TFRV0 = p1->getTFR();
```

```
 $d_0^{dec}$  = TFRdec->getD0();
 $d_0^{V0}$  = TFRV0->getD0();
 $d_0^{gen}$  = mcInfo_p1->getD0();
```

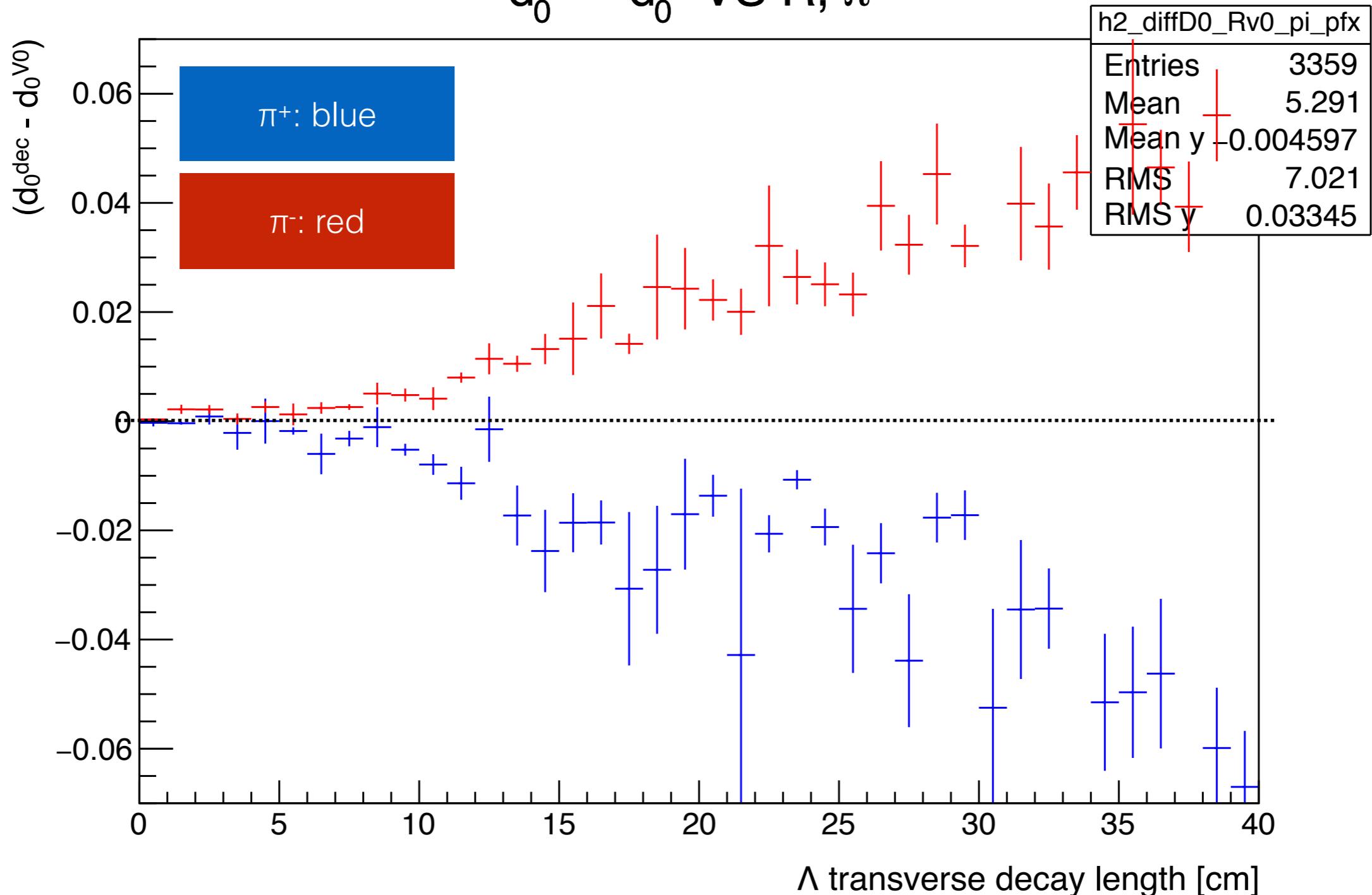
```
 $\sigma_{d0}^{dec}$  = TMath::Sqrt(TFRdec->getCovariance5()[0][0]);
 $\sigma_{d0}^{V0}$  = TMath::Sqrt(TFRV0->getCovariance5()[0][0]);
```

```
 $pull_{dec}$  = ( $d_0^{dec}$  -  $d_0^{gen}$ ) /  $\sigma_{d0}^{dec}$ 
```

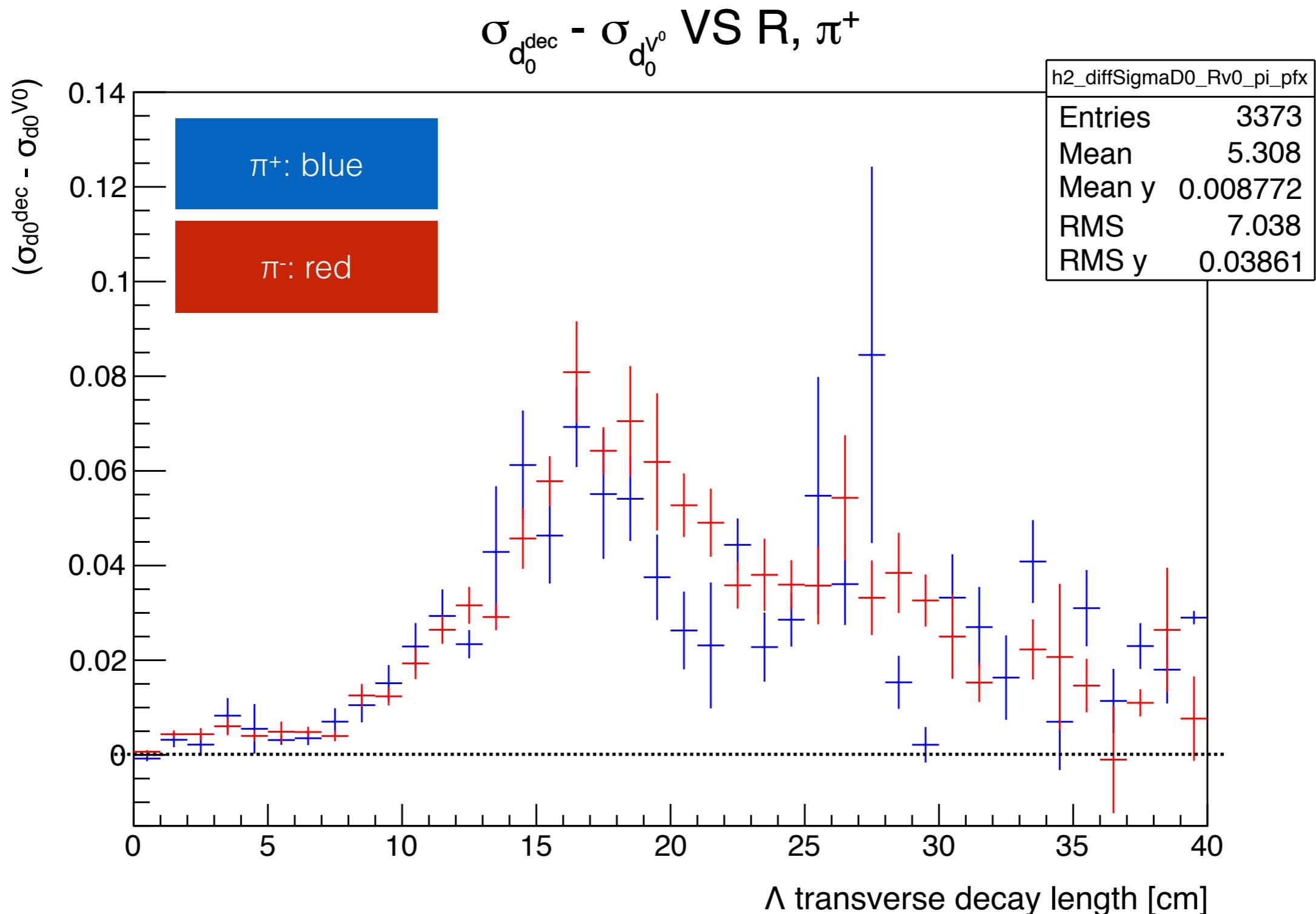
```
 $pull_{V0}$  = ( $d_0^{V0}$  -  $d_0^{gen}$ ) /  $\sigma_{d0}^{V0}$ 
```

$(d_0^{\text{dec}} - d_0^{\nu 0}) \text{ VS } R, \pi$

$d_0^{\text{dec}} - d_0^{\nu 0} \text{ VS } R, \pi^+$

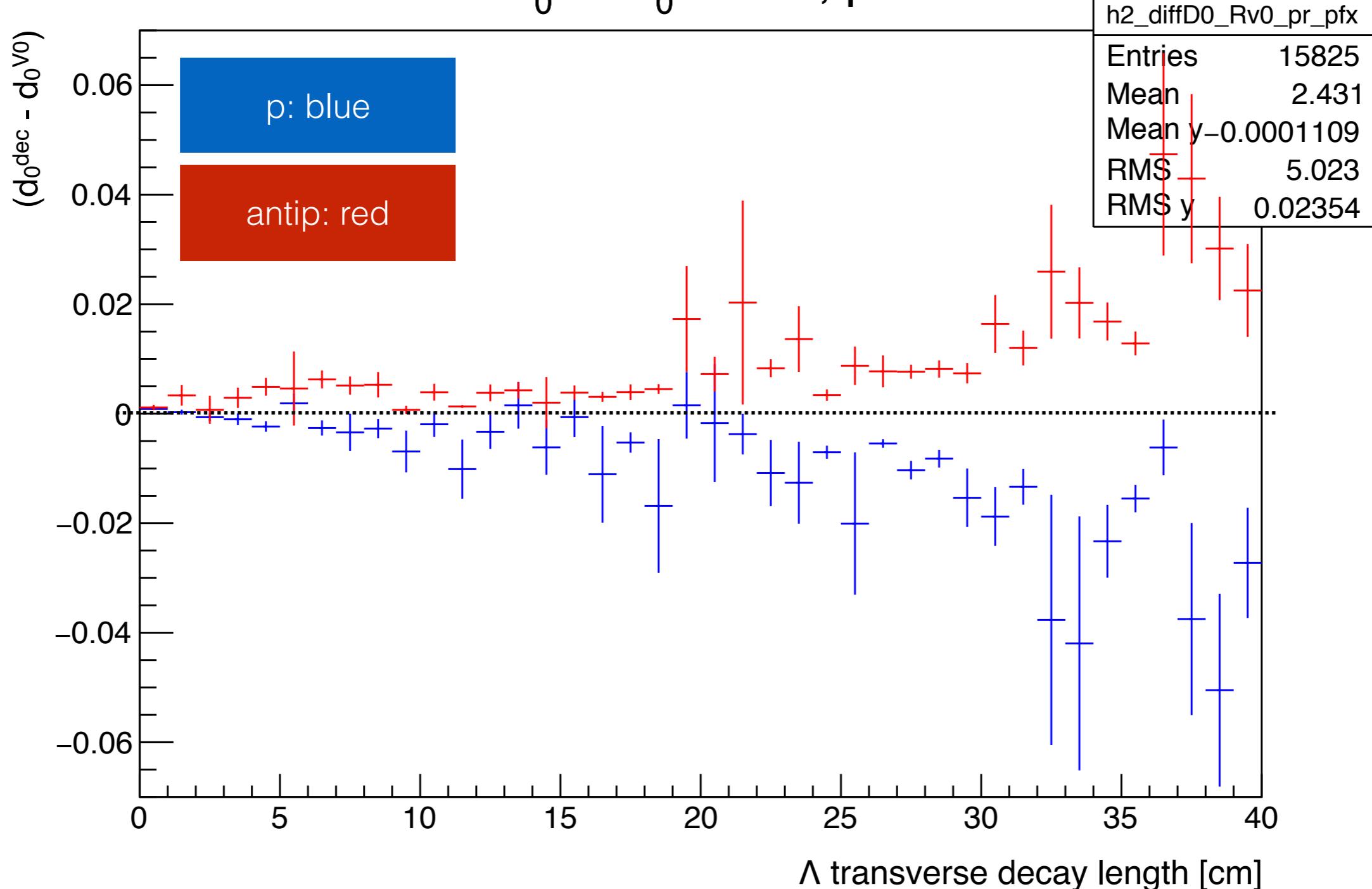


$(\sigma_{d0}^{\text{dec}} - \sigma_{d0}^{\text{V0}}) \text{ VS } R, \pi$

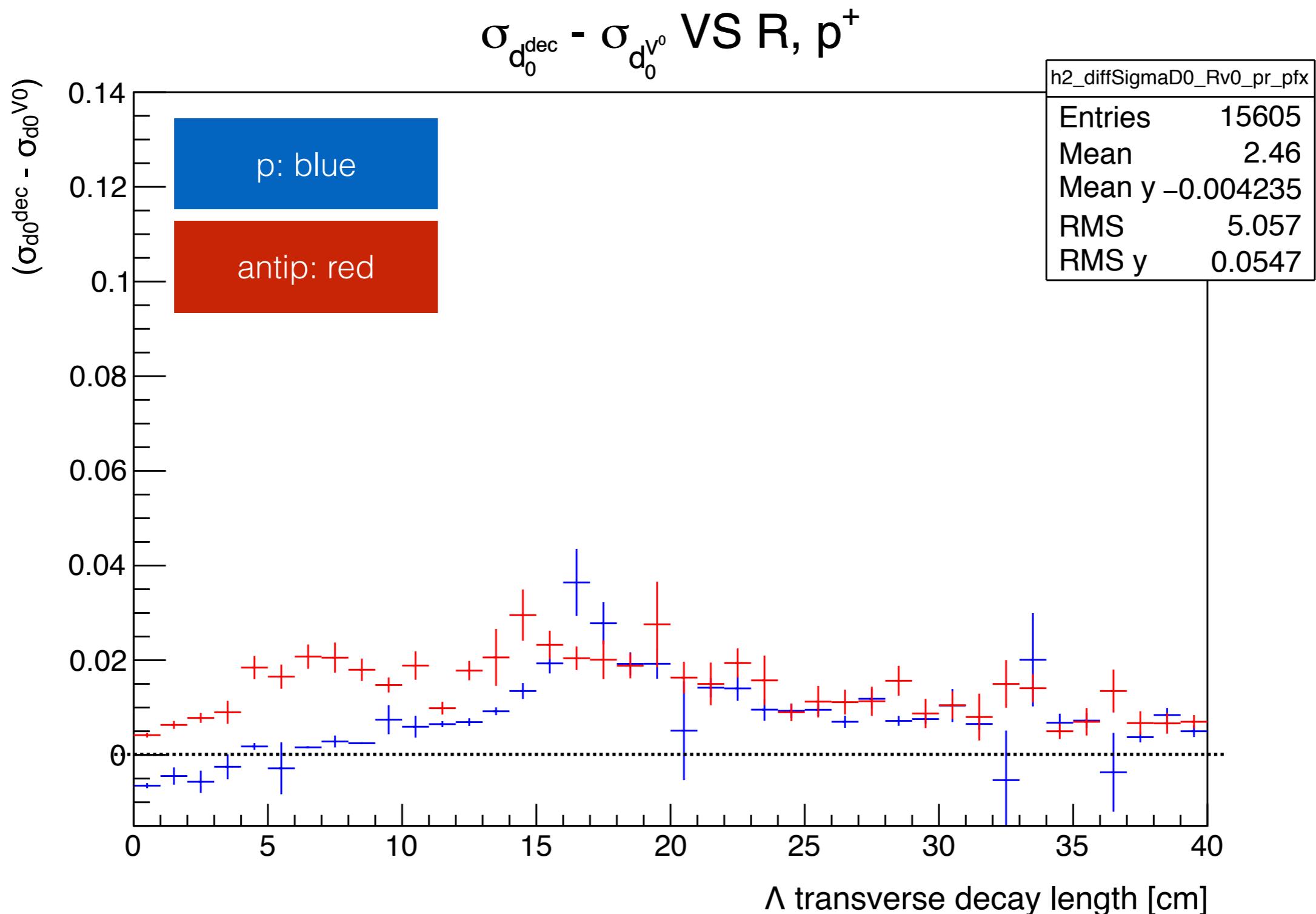


$(d_0^{\text{dec}} - d_0^{\nu 0}) \text{ VS } R, p$

$d_0^{\text{dec}} - d_0^{\nu 0} \text{ VS } R, p^+$

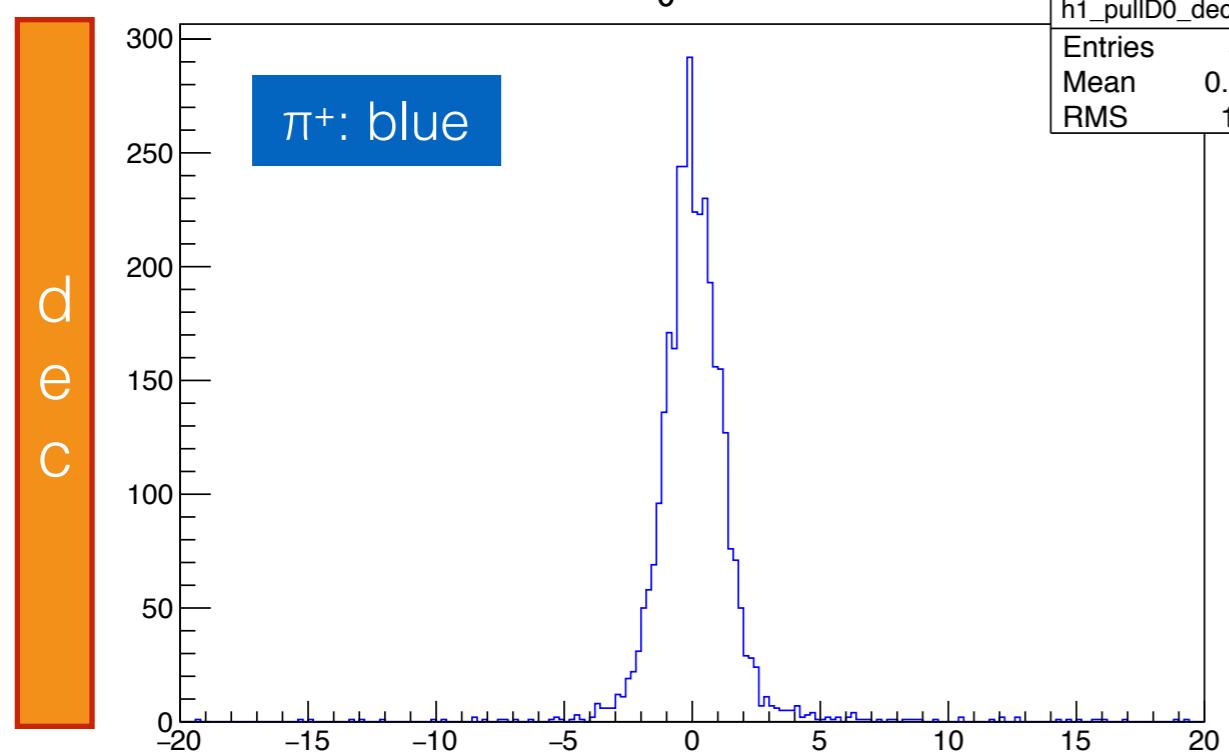


$(\sigma_{d0}^{\text{dec}} - \sigma_{d0}^{\text{V0}})$ VS R, p

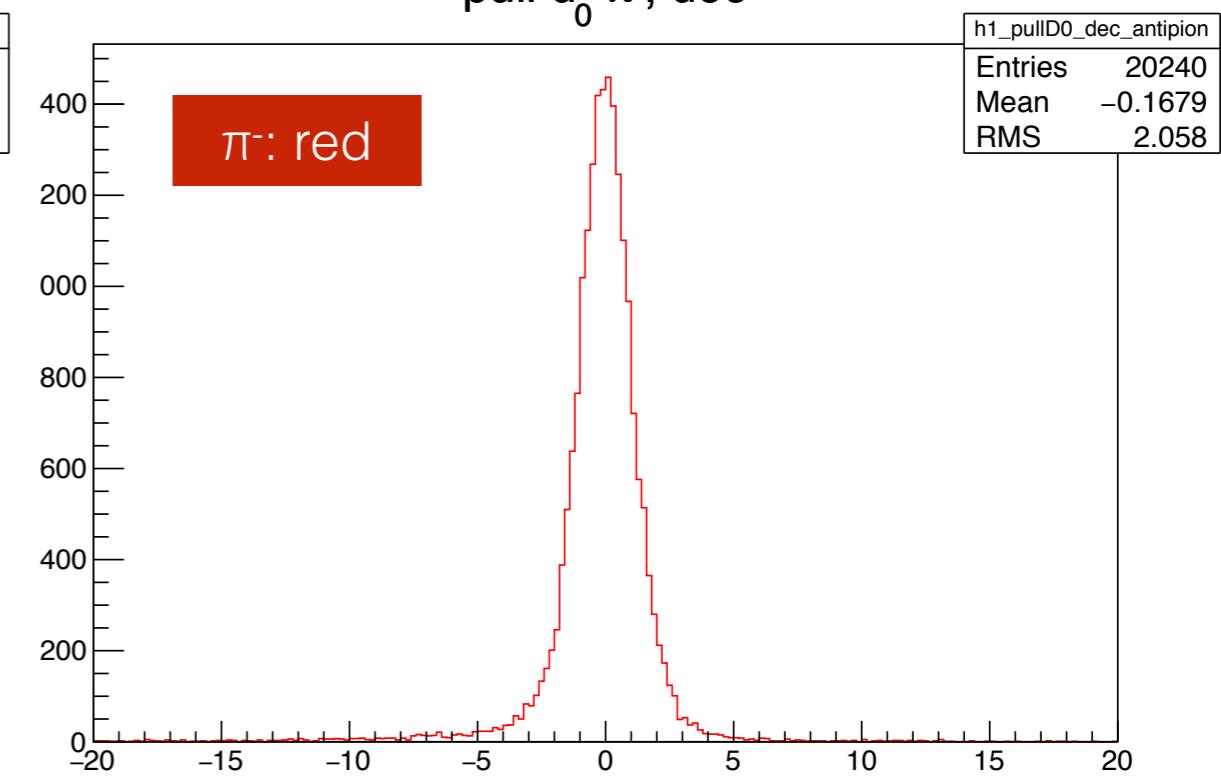


pull distribution, π

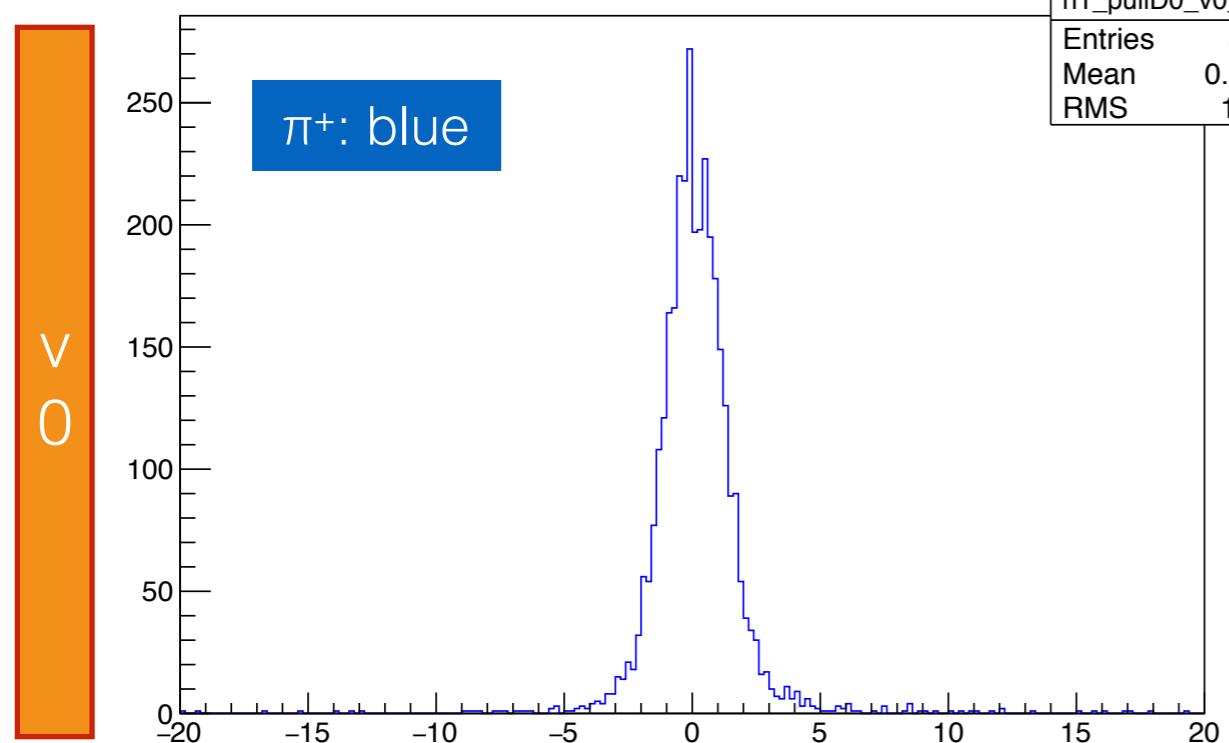
pull $d_0 \pi^+, \text{dec}$



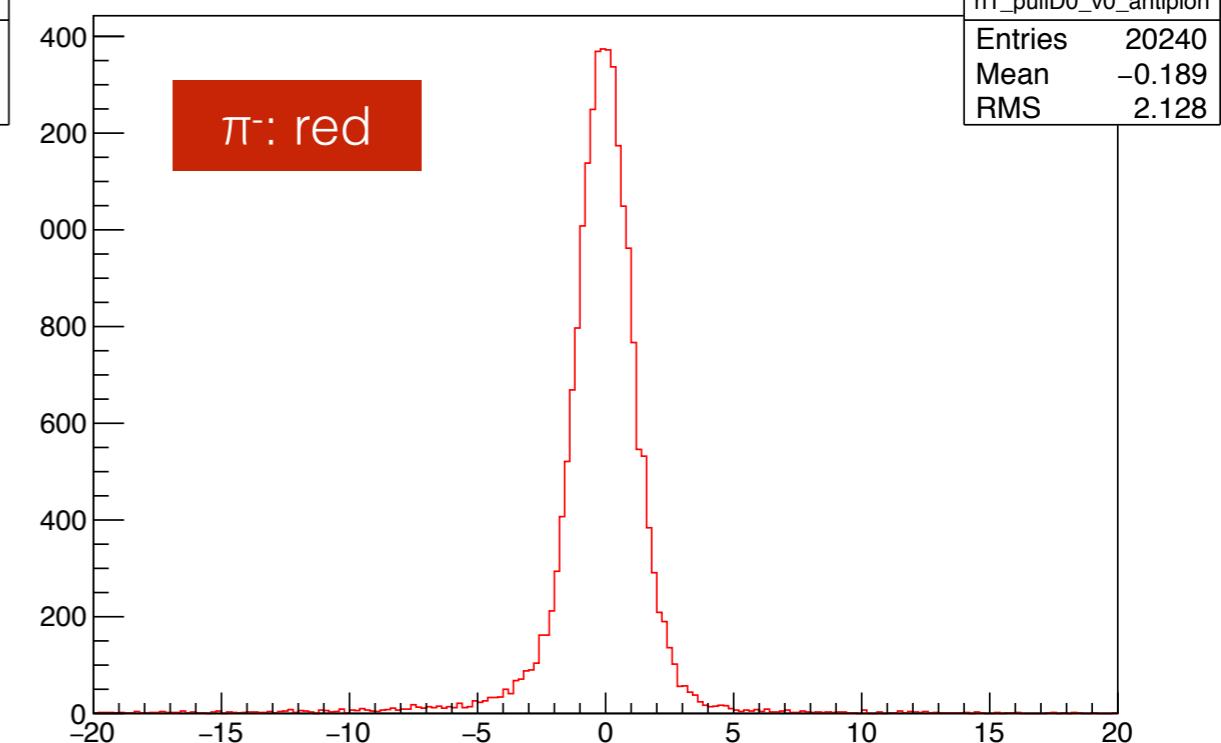
pull $d_0 \pi^-, \text{dec}$



pull $d_0 \pi^+, \text{V0}$

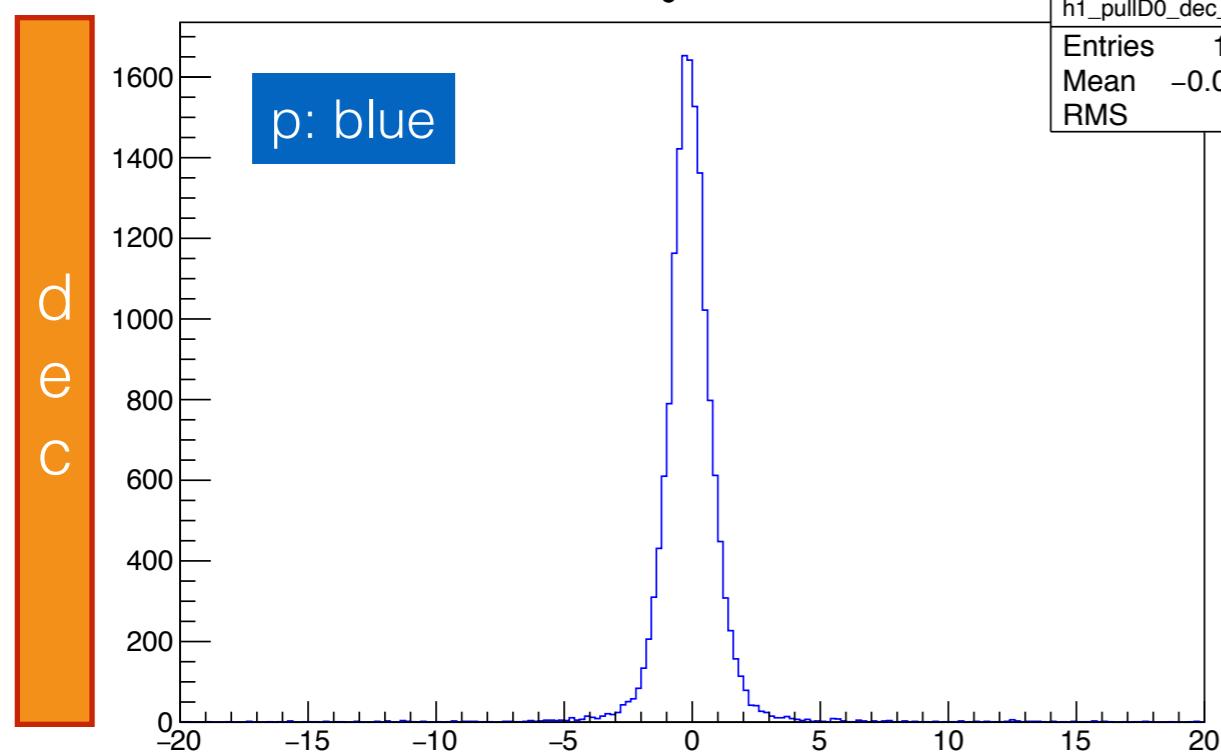


pull $d_0 \pi^-, \text{V0}$

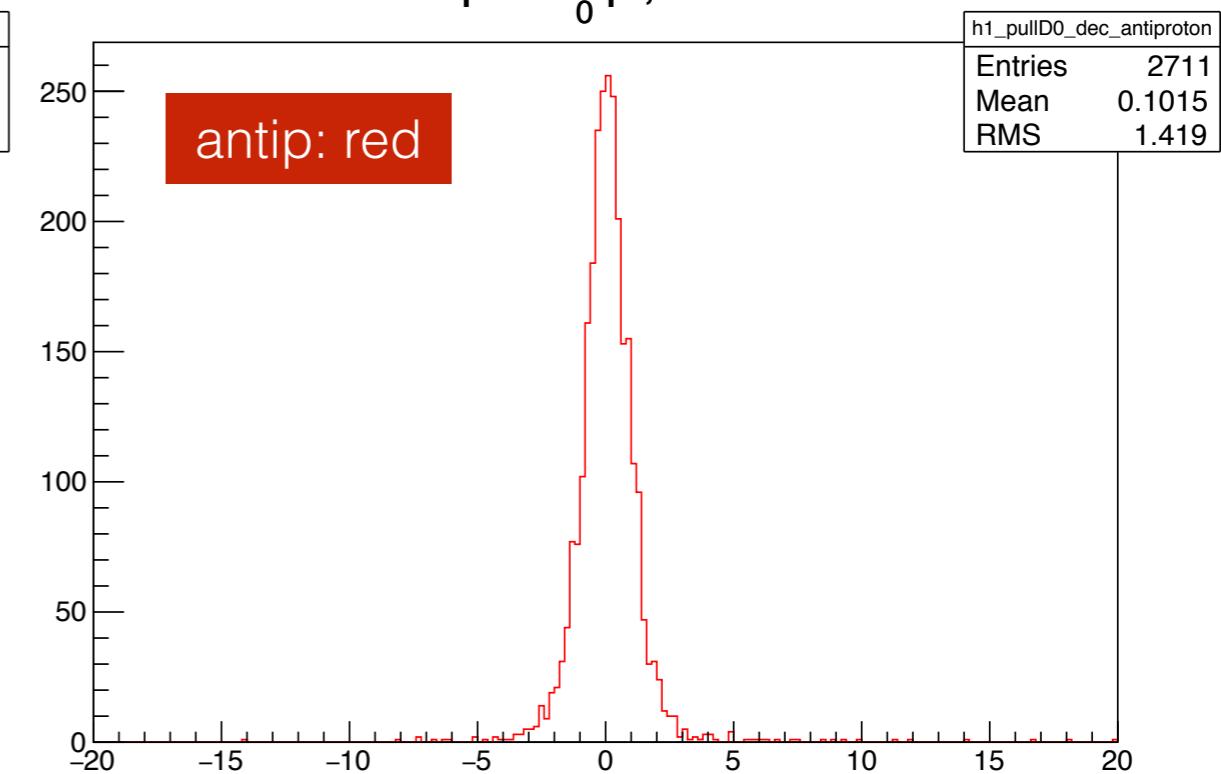


pull distribution, p

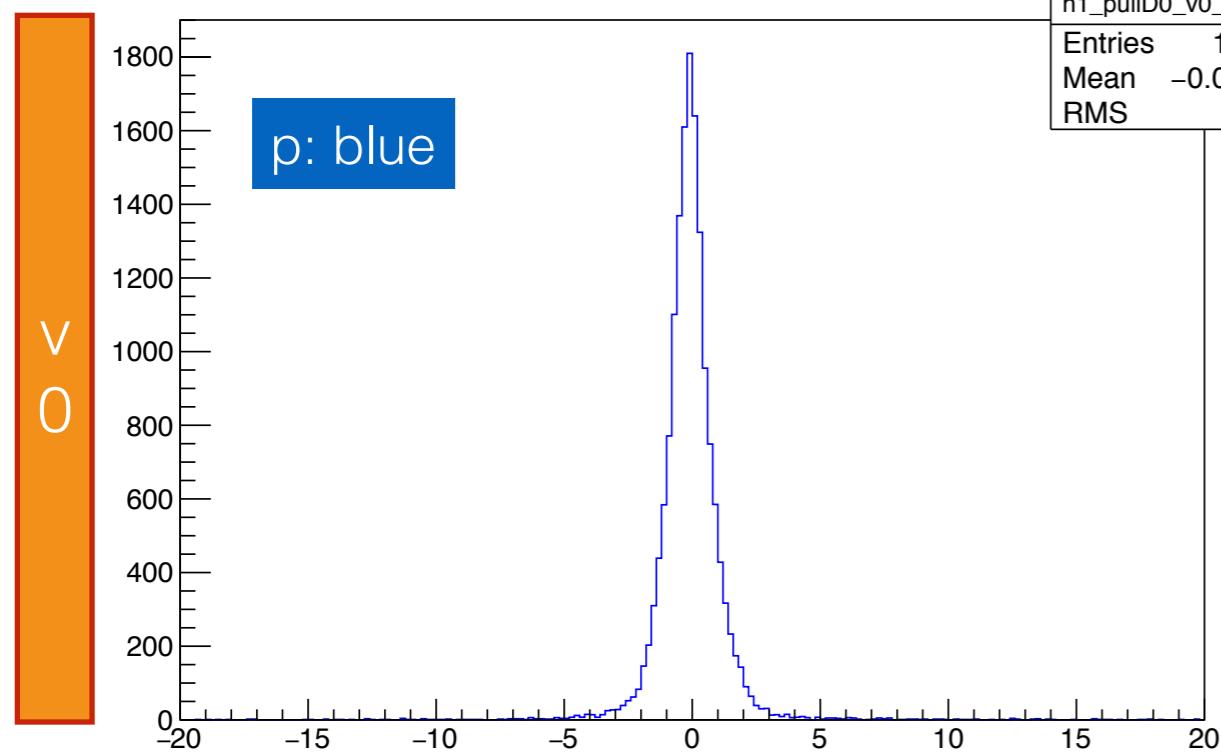
pull $d_0 p^+$, dec



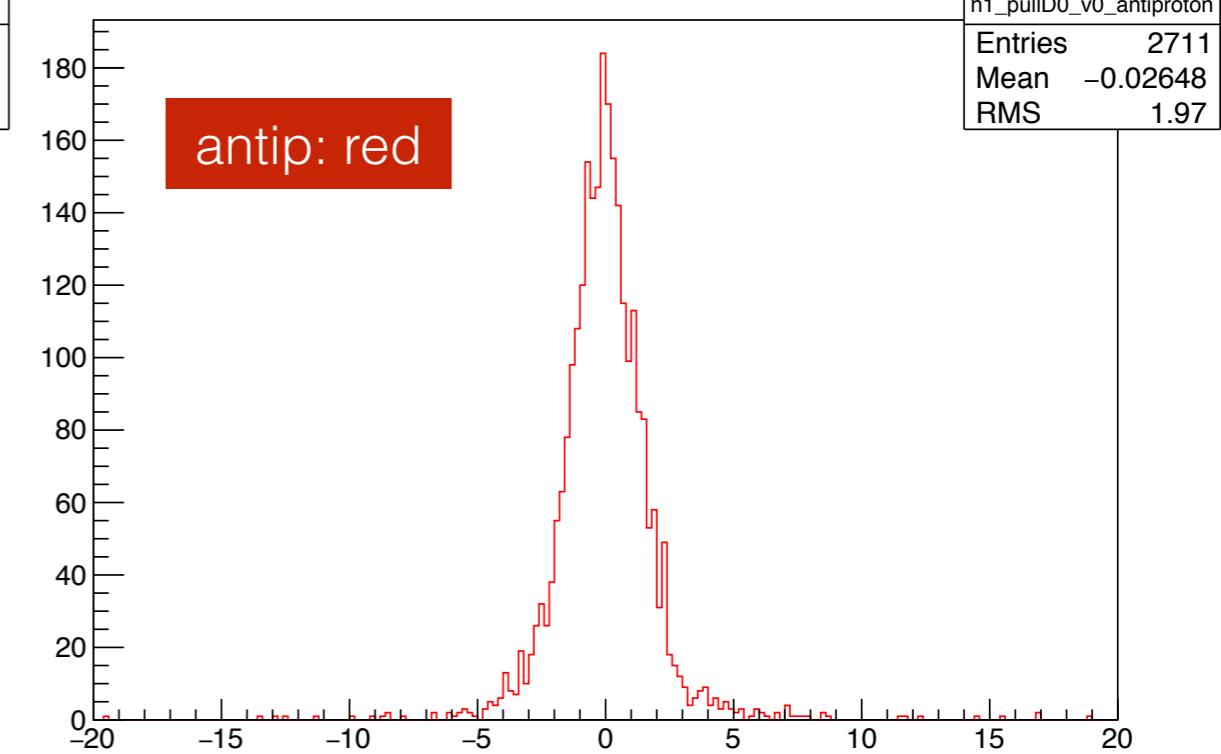
pull $d_0 p^-$, dec



pull $d_0 p^+$, V0



pull $d_0 p^-$, V0



Conclusions

- I wrote a module that allows to compare the performances of 2 different Λ reconstruction methods at analysis level (starting with particle lists)
- problems in the interface between reconstruction and analysis with V0 objects
- pull distribution:
 - doesn't seem there is a big difference between dec and V0
 - π : sign of mean is opposite for π^+ and π^-

further considerations:

- quite low statistics: 110K events, $\sim 2 \Lambda$ per event, BUT very low efficiency
- need to check if $\#\Lambda$ and $\#$ anti- Λ is so different already in the MCsample
- momentum distribution of π of the sample different from the momentum distribution of π coming from K_s (not directly comparable)