

A multi channel TCT setup for investigations of silicon sensor properties during high intensity charge injection

J. Becker, D. Eckstein, R. Klanner, G. Steinbrück
University of Hamburg
Detector laboratory

1. Introduction and motivation
2. Set-up available for measurement
3. Measurements on pad diodes
4. Measurements on strip detectors
5. Summary and outlook



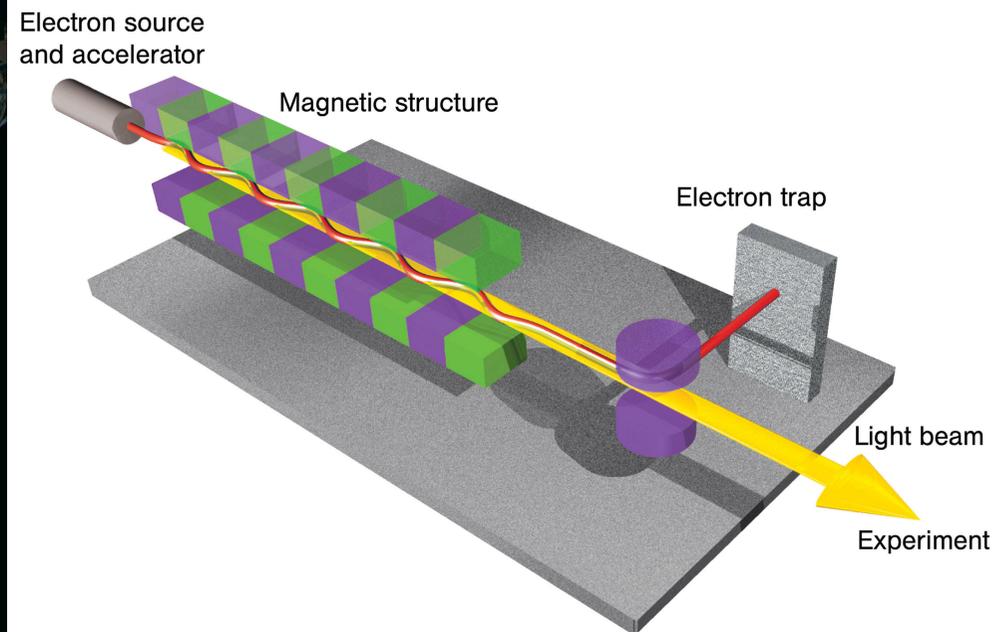
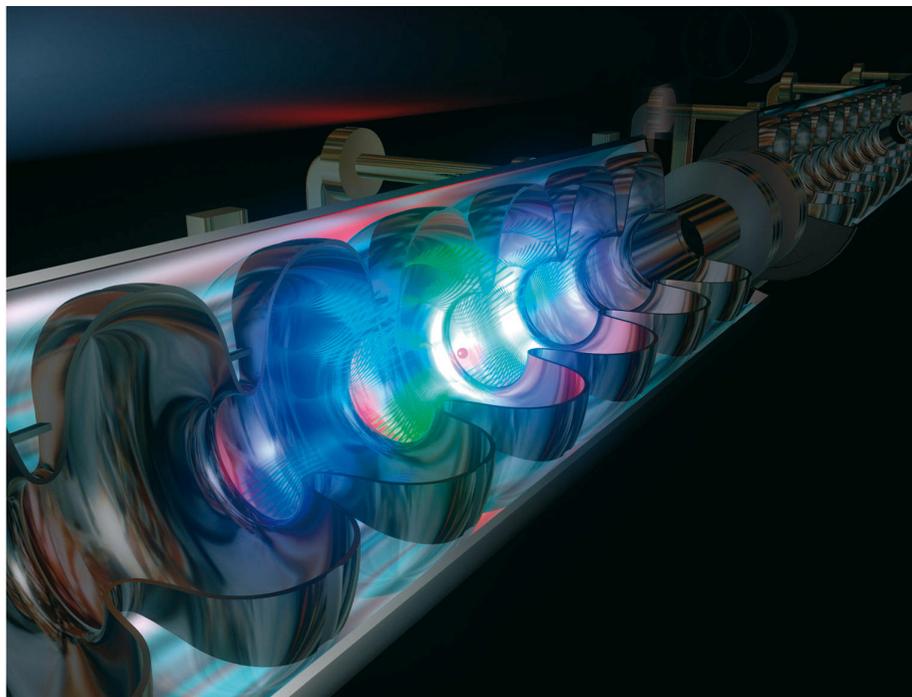
GEFÖRDERT VOM



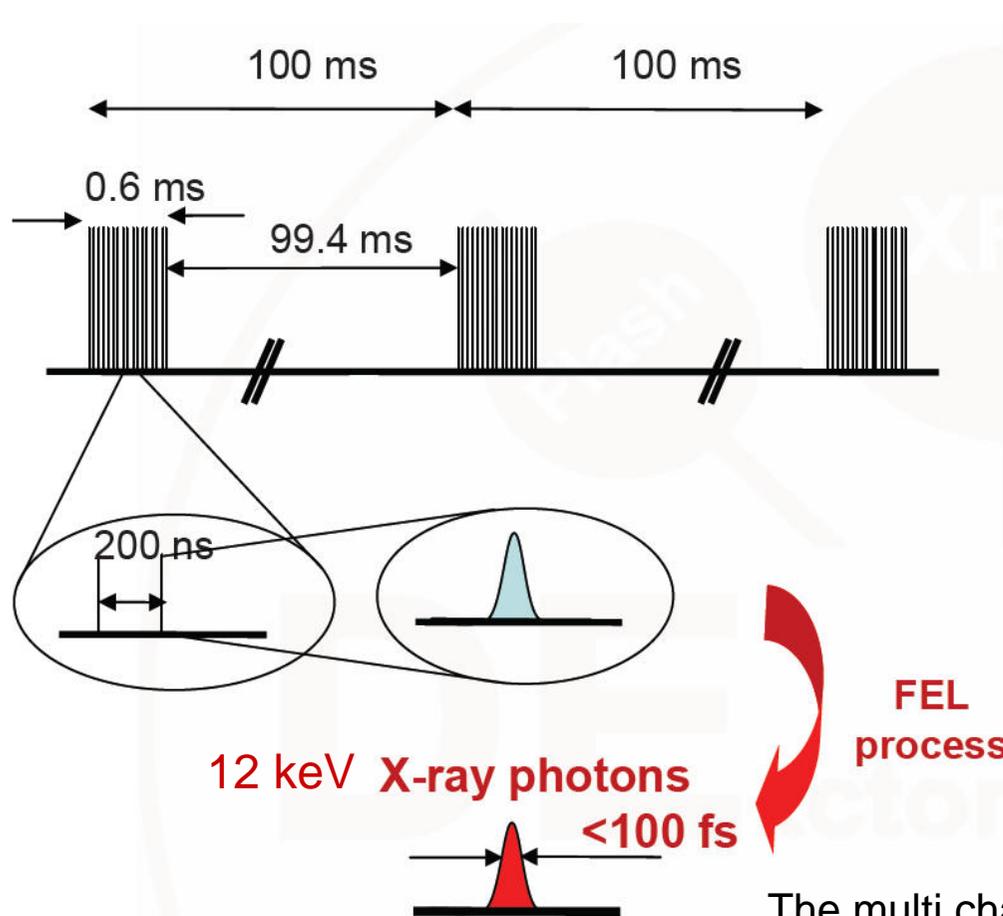
Bundesministerium
für Bildung
und Forschung

X-Ray Free Electron Laser (XFEL)

- 17.5 GeV linear electron accelerator
- 101 cavities along 1.6 kilometers acceleration length
- producing 0.1 nm light (12.4 keV) through FEL process
- unprecedented peak brilliance



Introduction – AGIPD



Challenges for the



- up to 30'000 bunches per second
-> readout
- very high intensities
(up to $10^{12}\gamma/\text{bunch}$ -> $10^5\gamma/\text{pixel}$)
-> integrated dose, dynamic range
- instantaneous charge deposition
-> charge explosion
- very high repetition rates (up to 5 MHz)
-> very fast internal pixel storage
- large dynamics ($10^0 - 10^5\gamma/\text{pixel}$)
(pulse pattern and pulse to pulse)
-> dynamic range switching

The multi channel Transient Current Technique (TCT) setup presented here allows studies of the **charge explosion** in a controlled laboratory environment

Setup available for measurements

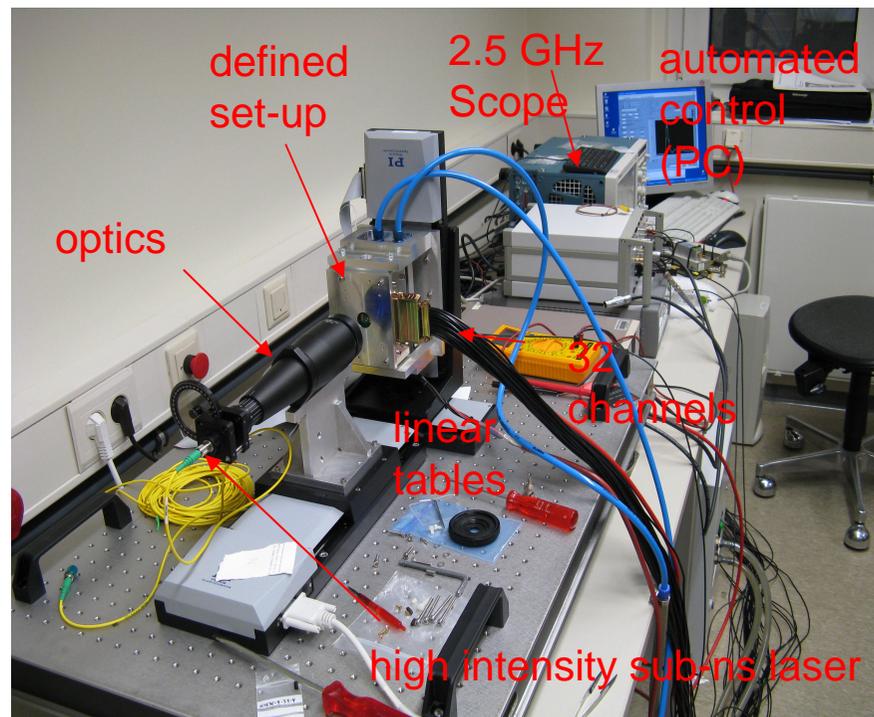
Main goal:

- Determination of the pulse shape of individual pixels with XFEL type irradiation
- Agreement of experimental reference data with simulations (WIAS-Berlin)

Challenges:

Properties of the injected charge cloud are not well understood for more deposited energy than mips (~25'000 e,h pairs). Observed effects include:

- **Plasma effects:**
Distortion of pulses
- **Charge Cloud expansion:** Charge sharing in neighboring pixels due to diffusion and electrostatic repulsion

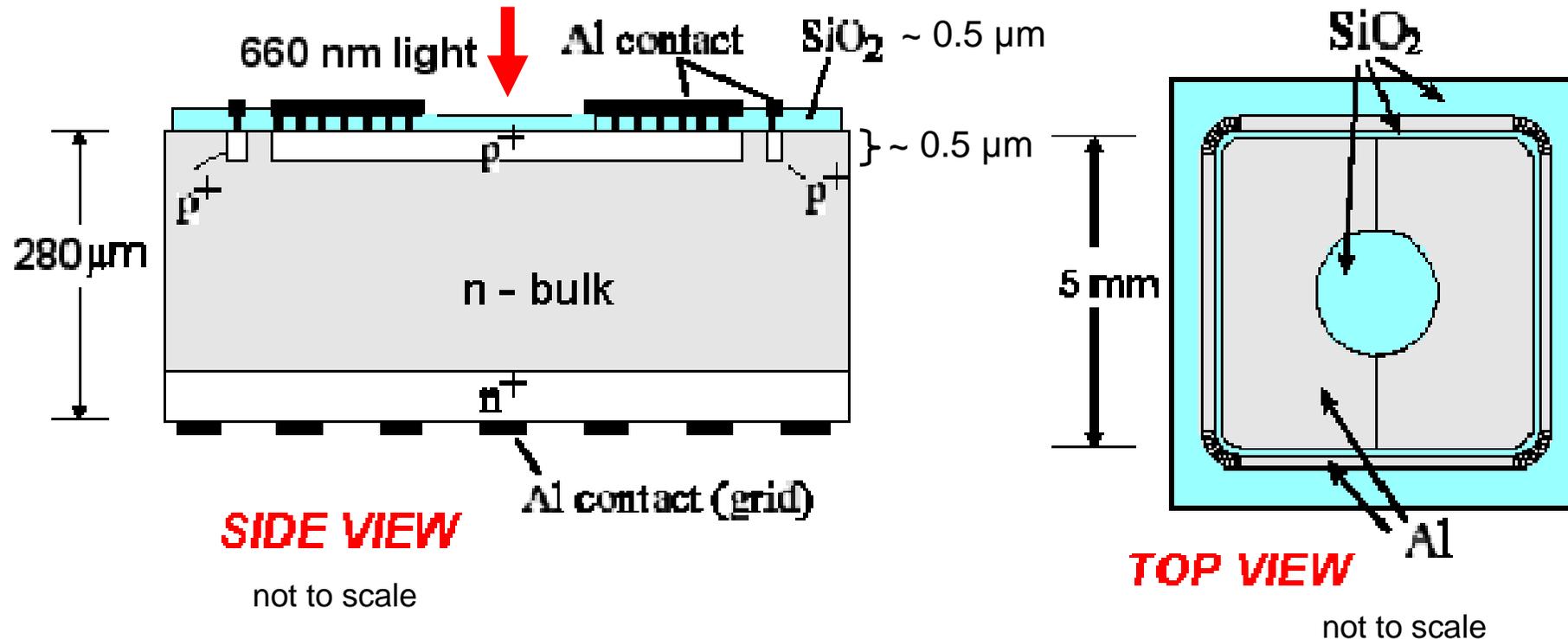


Key features:

- laser pulses
 - ~ 100ps duration
 - ~ 10^5 12 keV γ equivalent
 - ~ $\leq 3\mu\text{m}$ spot size
 - ~ 100 μm focus depth
- 660nm, 1015nm, 1052nm wavelength
- high bandwidth electronics
- 0.1 μm position control
- 32 channels (4 simultaneously)
- temperature control (-35 $^{\circ}\text{C}$ to 50 $^{\circ}\text{C}$)
- front and backside injection possible

Measurements on pad diodes

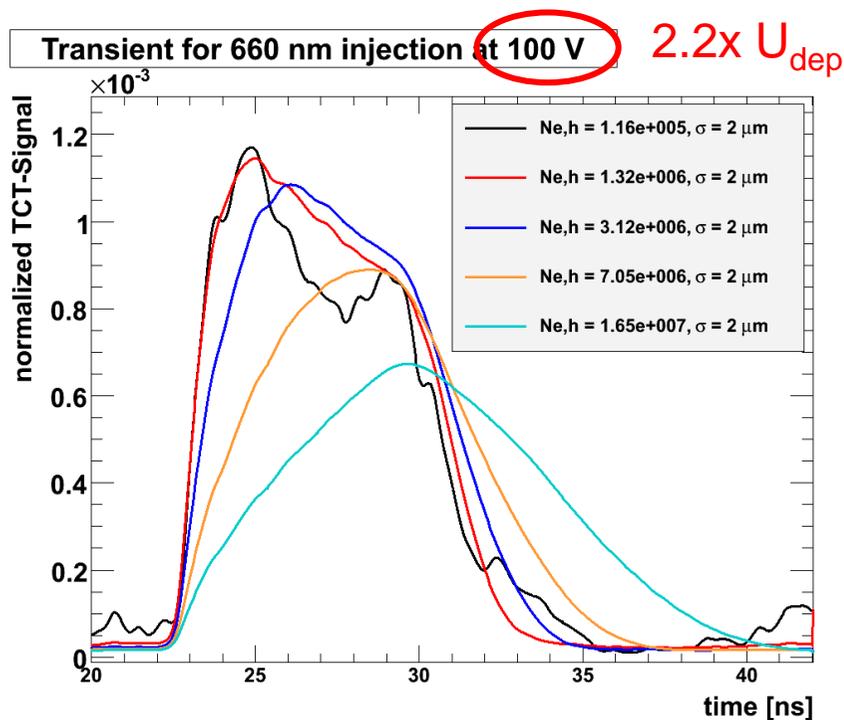
FZ-n-Si 280 μm , $N_{\text{eff}} = 7.6 \times 10^{11} \text{ cm}^{-3}$, $U_{\text{dep}} = 45 \text{ V}$, $C_{\text{dep}} = 12 \text{ pF}$, $\rho = 5.5 \text{ k}\Omega\text{cm}$



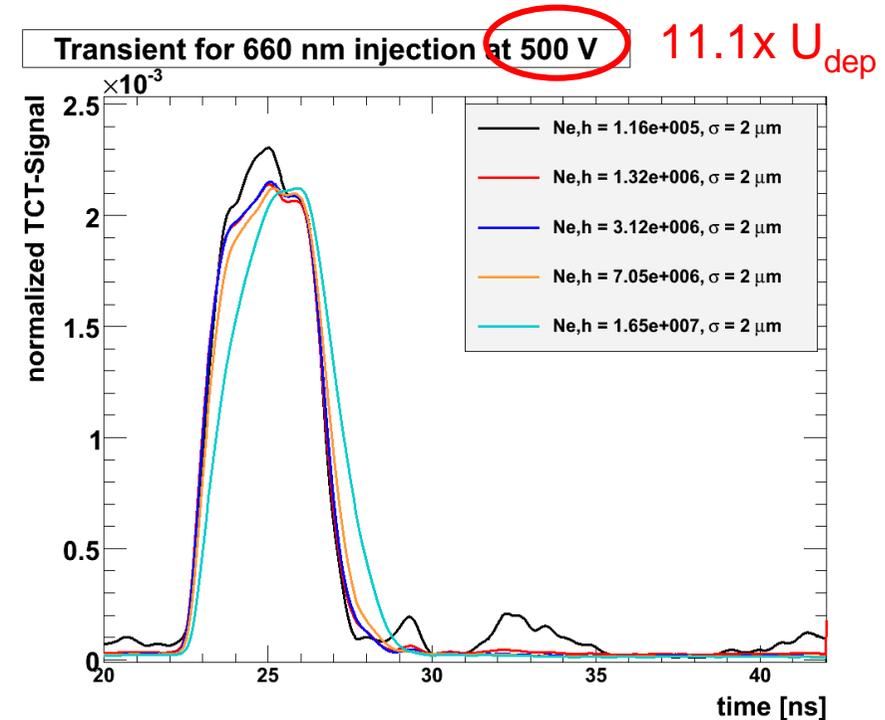
- frontside injection of 660nm light (3 μm absorption length $\sim 1 \text{ keV } \gamma$)
- only electrons drift through diode
- backside bias

Measurements on pad diodes

frontside injection $0.116 - 16.5 \times 10^6$ e,h Pairs, scaled to same integral



pulse distortion clearly visible



pulse distortion mostly suppressed

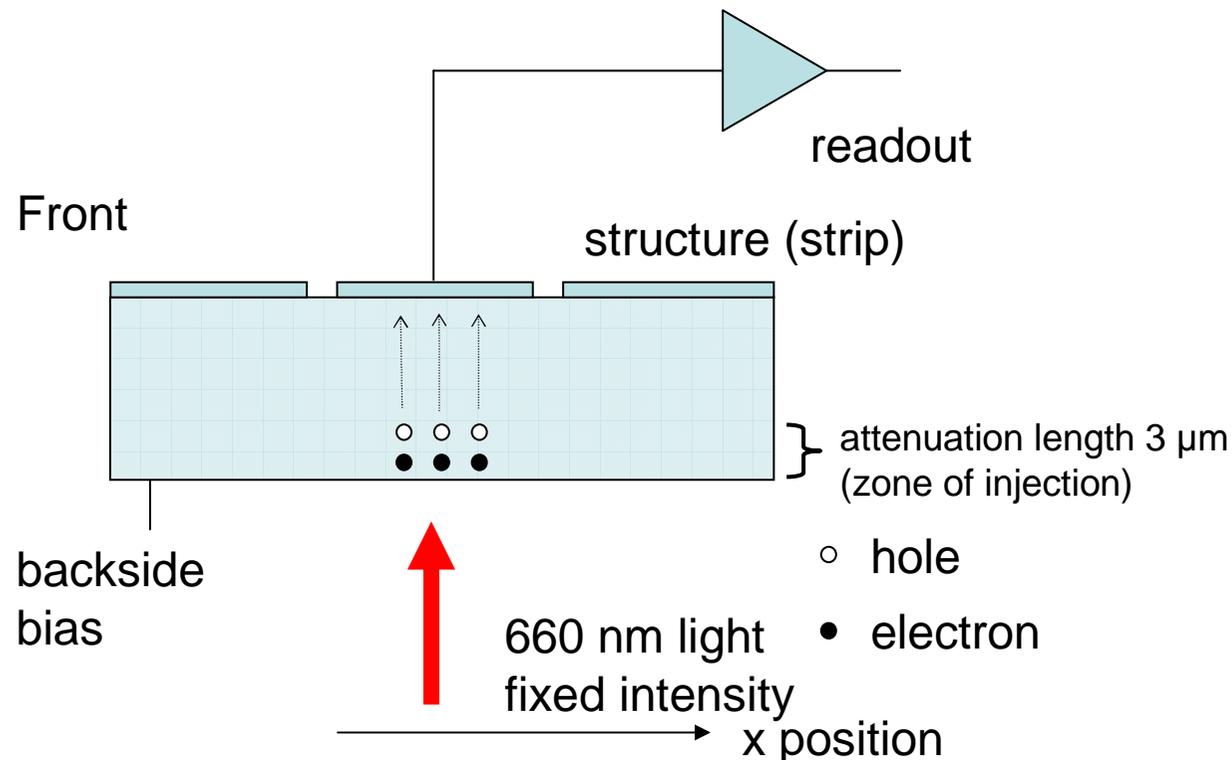
FZ-n-Si $280 \mu\text{m}$, $N_{eff} = 7.6 \times 10^{11} \text{ cm}^{-3}$, $U_{dep} = 45 \text{ V}$, $C_{dep} = 12 \text{ pF}$, $\rho = 5.5 \text{ k}\Omega\text{cm}$

Measurements on Strip detectors

position scan with spotsize sigma $\sim 2 \mu\text{m}$

injection of 660 nm light from backside (holes)

pn junction on front side (low field at injection side)



Strip detector

same wafer as pad diode

FZ n-type Silicon

Thickness $280 \mu\text{m}$

$U_{\text{dep}} \sim 63 \text{ V}$

$N_{\text{eff}} \sim 1 \times 10^{12} \text{ cm}^{-3}$

$\rho \sim 3.9 \text{ k}\Omega\text{cm}$

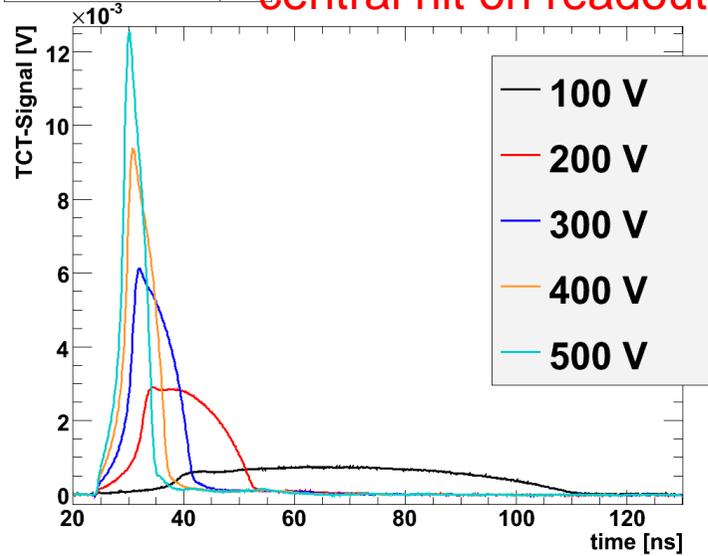
Pitch $80 \mu\text{m}$

Width $20 \mu\text{m}$

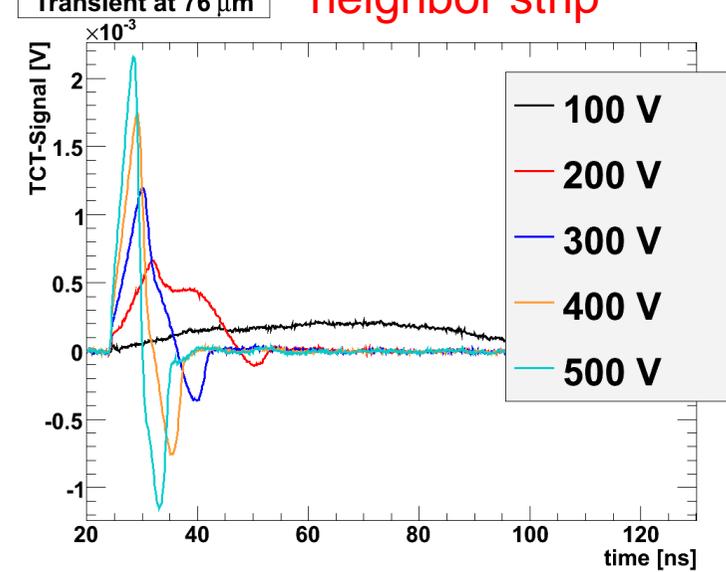
Position sensitive transients

9.1×10^6
 e,h pairs
 -> 32'760
 1 keV γ

Transient at 156 μm **central hit on readout strip**

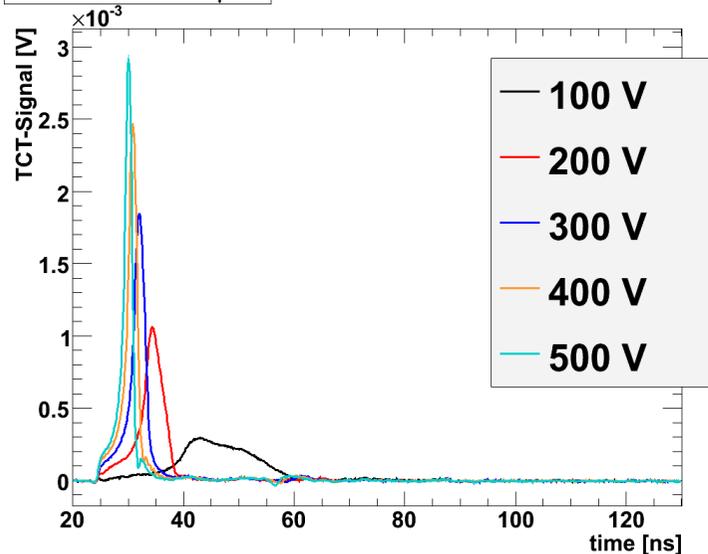


Transient at 76 μm **neighbor strip**

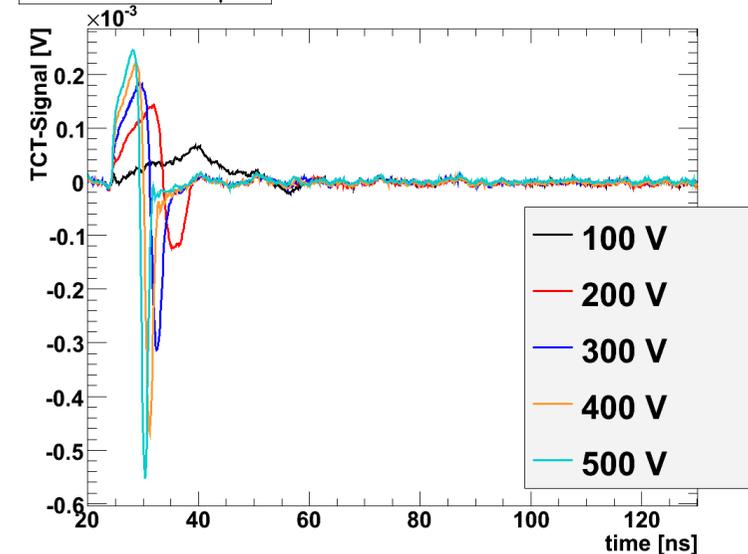


0.8×10^6
 e,h pairs
 -> 2'880
 1 keV γ

Transient at 154 μm



Transient at 74 μm

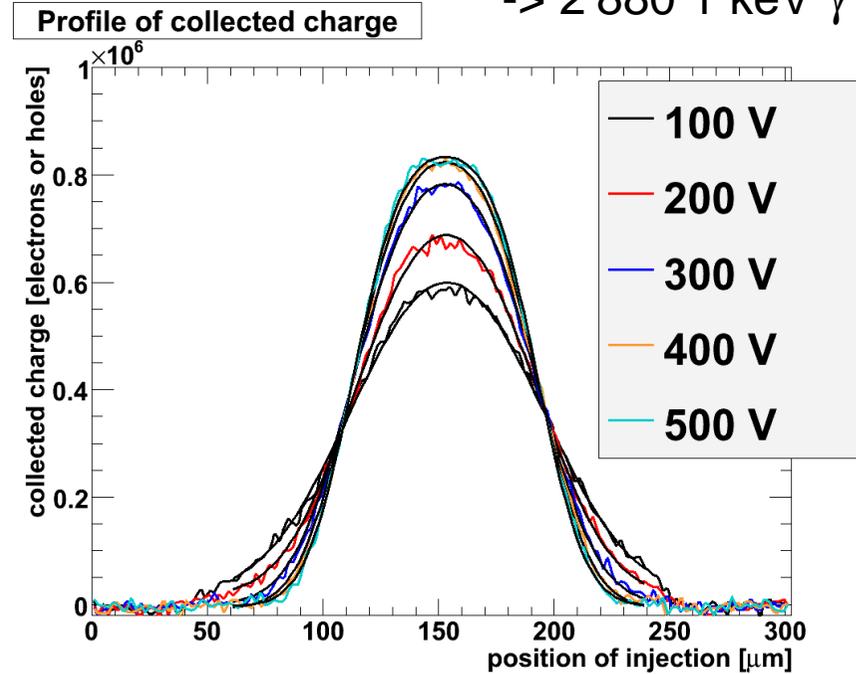
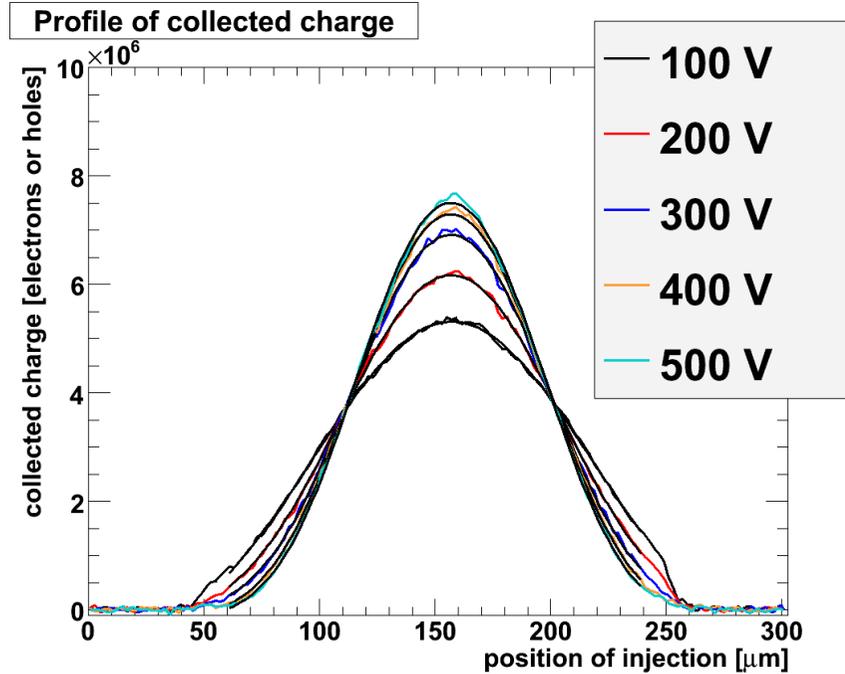


urg

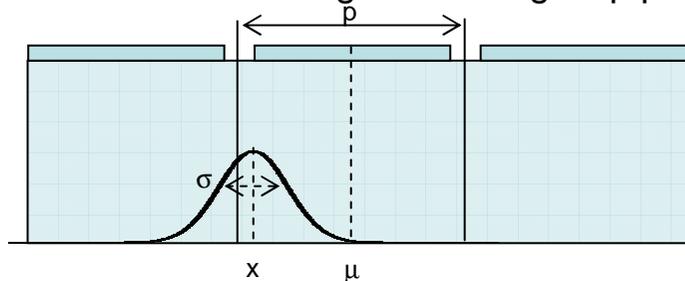
9.1 x 10⁶ e,h pairs
 -> 32'760 1 keV γ

Charge cloud profile

0.8 x 10⁶ e,h pairs
 -> 2'880 1 keV γ



Fitting done with assumption of gaussian charge carrier distribution and box integration along strip pitch



$$C(x) = c_0 + \frac{N_0}{\sigma\sqrt{2\pi}} \int_{\mu-\frac{p}{2}}^{\mu+\frac{p}{2}} \exp\left(-\frac{(y-x)^2}{2\sigma^2}\right) dy$$

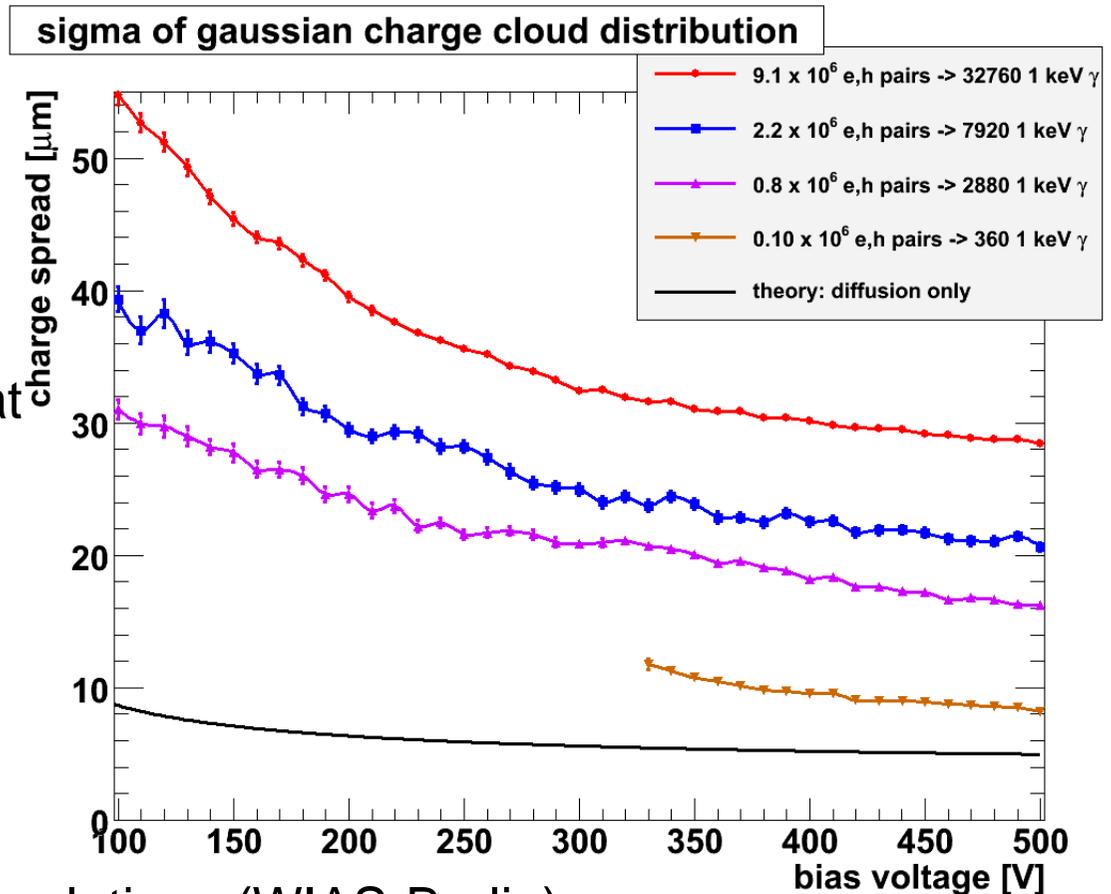
- C(x)** collected charge
- x** position of injection
- c₀** contribution of noise
- N₀** total number of injected carriers
- p** strip pitch
- μ** position of strip center
- σ** spread of charge carrier distribution

Summary

- calibrated multi channel TCT setup available for measurements
- Plasma effects observed at high intensities
- Charge spread measured with 660nm light at strip detector (280 μ m/80 μ m)

Outlook

- detailed comparisons to simulations (WIAS-Berlin)
- investigations with 1015 nm laser (absorption length \sim 250 μ m \sim 12 keV photons)
- parameterization of charge spread as function of e,h density, electric field, etc



Backup

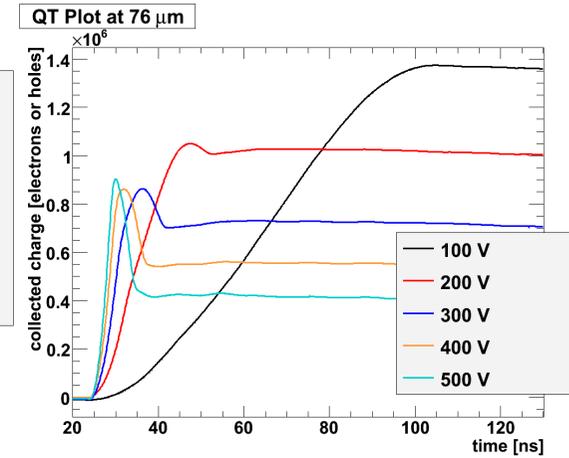
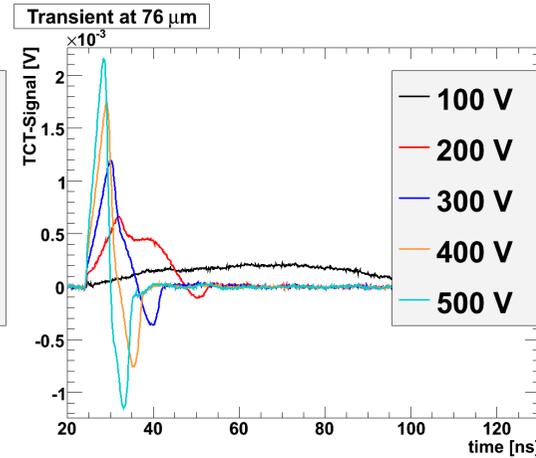
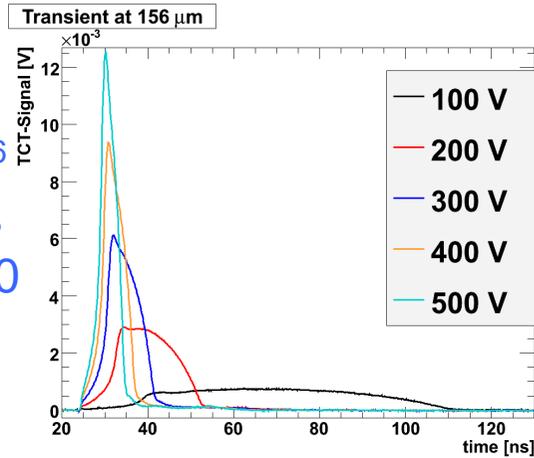
Position sensitive transients

central hit on
readout strip

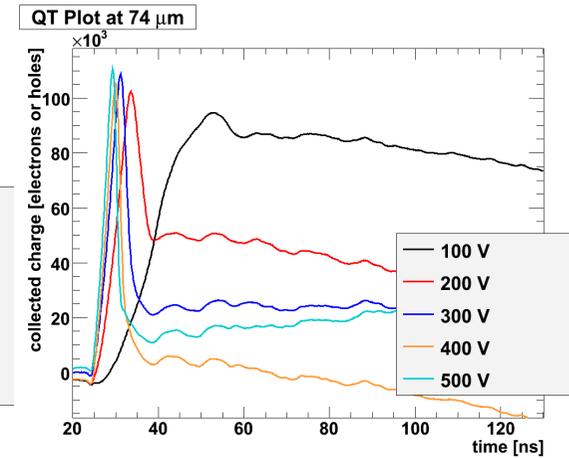
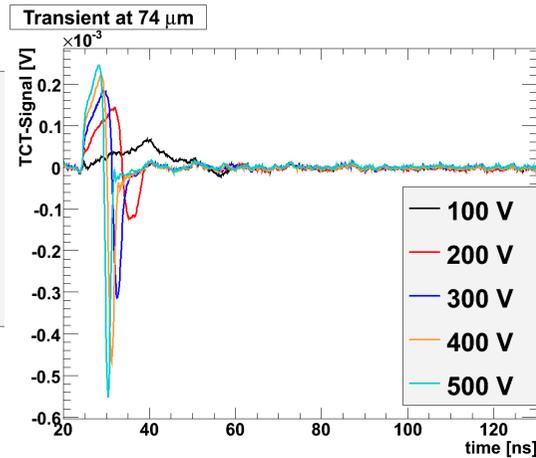
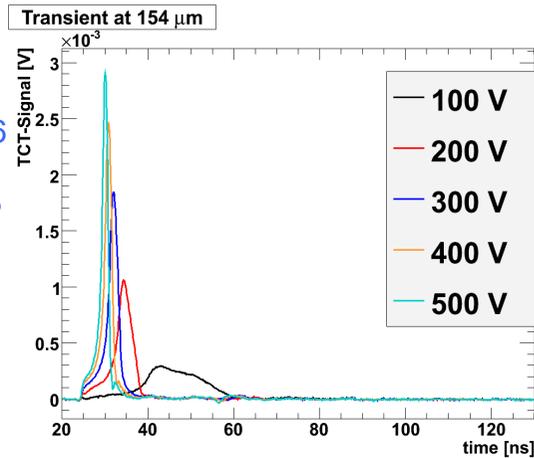
neighbor strip

charge on neighbor

9.1×10^6
e,h pairs
-> 32'760
1 keV γ



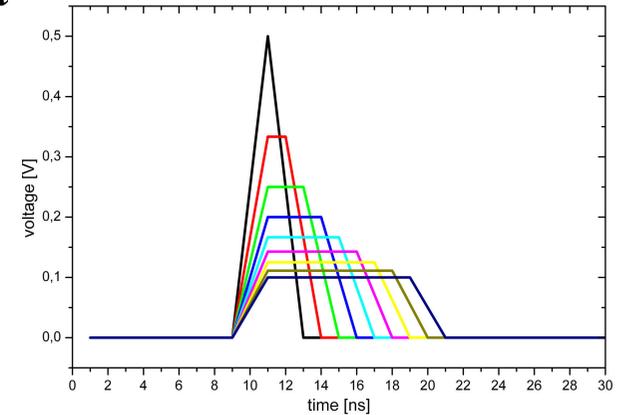
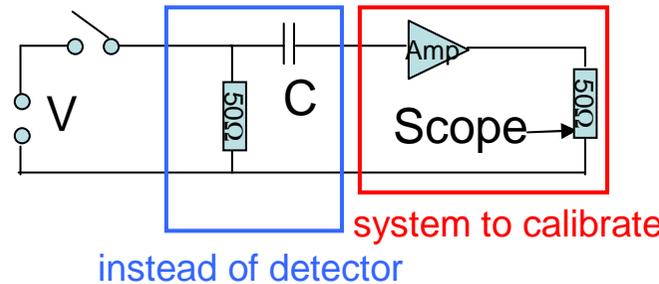
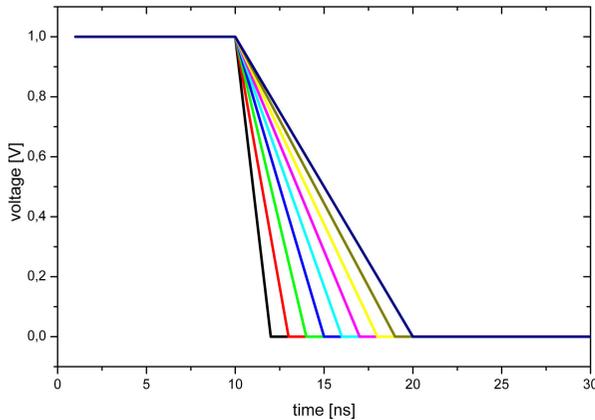
0.8×10^6
e,h pairs
-> 2'880
1 keV γ



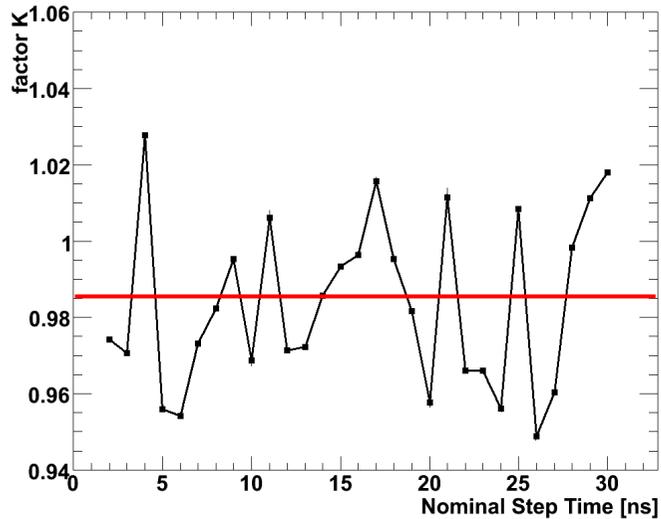
System calibration

Injection of a step function (V) over a known capacitance (C) into the system instead of detector. When no charge is lost: $C \times V = \int U_{osc}(t) / R_{osc} dt$ is valid

$$Q_{inj} = Q_{meas}$$



Calibration factor K vs. time of step



DPG Meeting 9.3.2009

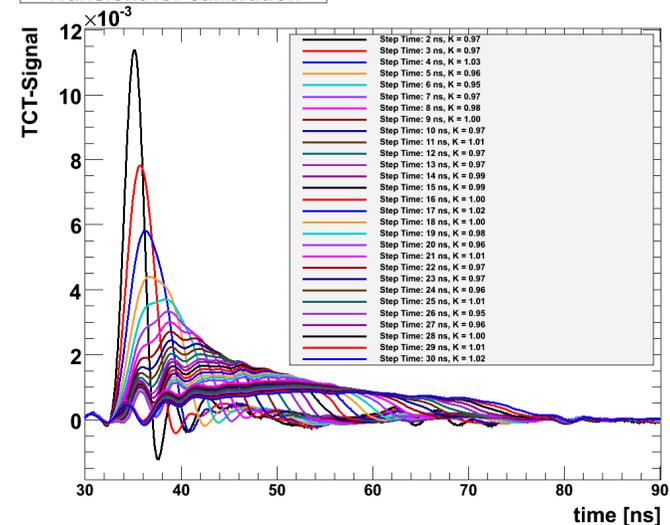
Measurement yields:

$$K = Q_{meas} / Q_{inj}$$

$$K_{avg} = 0.984$$

Julian Becker Uni-Hamburg

Transient for calibration



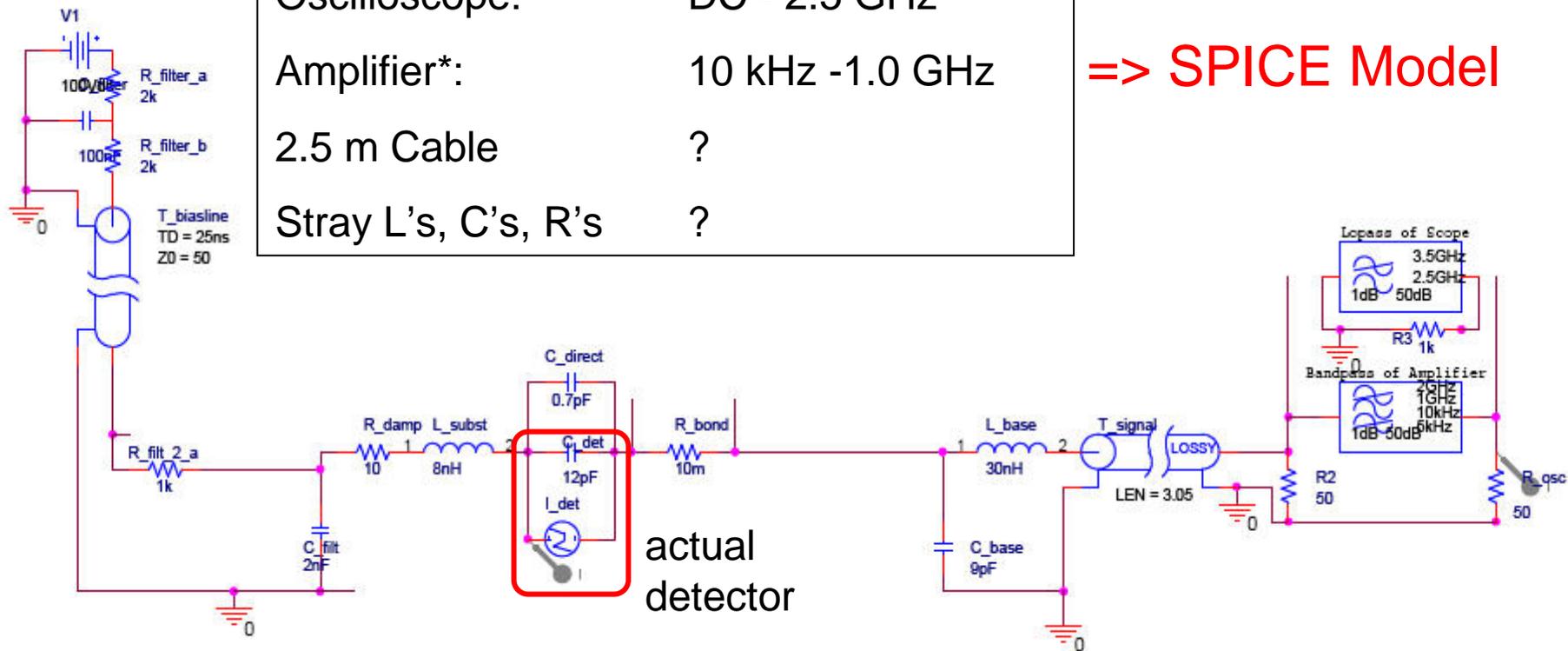
14/11

Some words on electronics

<i>Element</i>	<i>Bandwidth</i>
Attenuator:	DC - 4 GHz
Oscilloscope:	DC - 2.5 GHz
Amplifier*:	10 kHz -1.0 GHz
2.5 m Cable	?
Stray L's, C's, R's	?

Pulse shape is electronically smeared!

=> SPICE Model

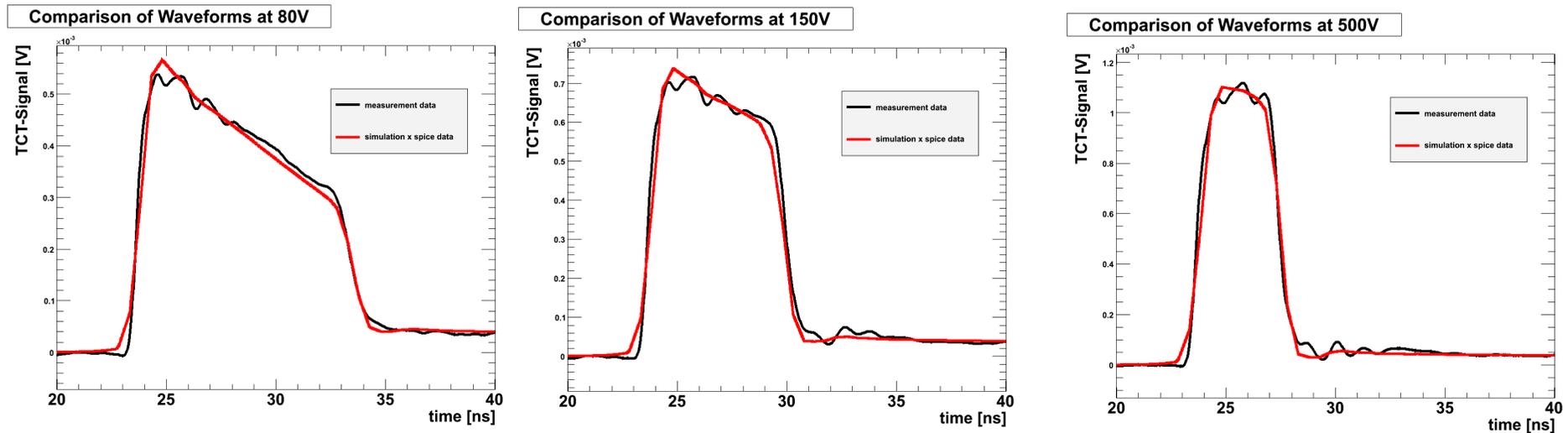


actual detector

* only necessary with low intensity injection

Comparison to simple Sim. (HH)

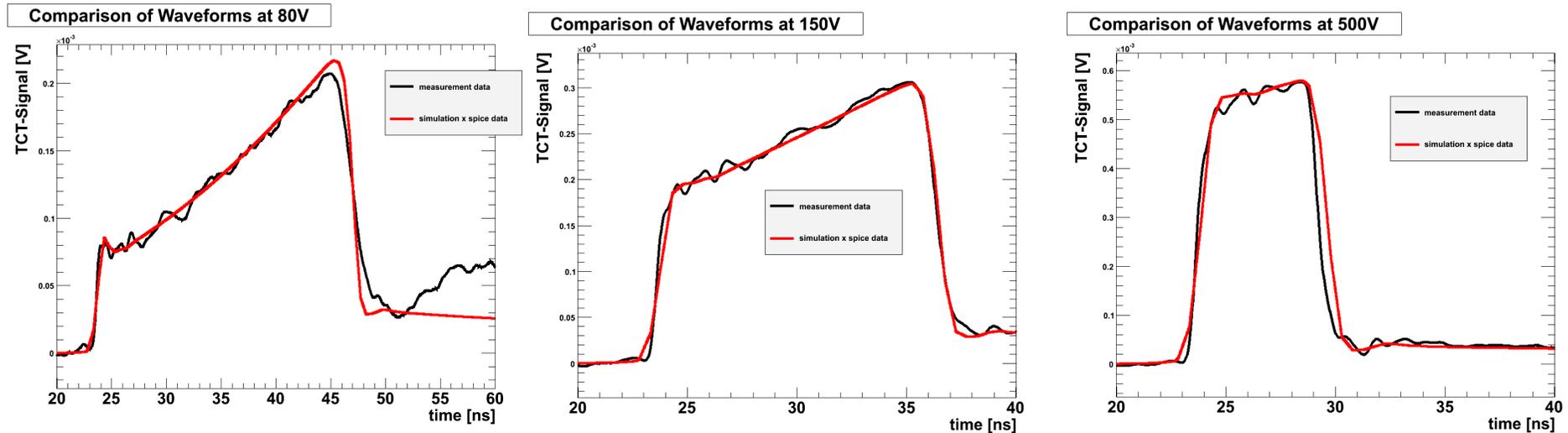
frontside (electron) injection



Laser timing structure taken into account
exponential injection decrease taken into account
non focused laser beam
no carrier interactions taken into account
no diffusion taken into account

Comparison to simple Sim. (HH)

backside (hole) injection



Laser timing structure taken into account
exponential injection decrease taken into account
non focused laser beam
no carrier interactions taken into account
no diffusion taken into account

Mobility in simple Sim. (HH)

$$\mu = \frac{\mu_0^*}{\left(1 + \left(\frac{\mu_0^* E}{v_{sat}}\right)^\beta\right)^{\frac{1}{\beta}}} \quad \left. \vphantom{\mu} \right\} \text{Jacoboni}$$

$$\mu_0^* = \mu_{\min} + \frac{\mu_0 - \mu_{\min}}{\left(1 + \frac{N_{eff}}{C_{ref}}\right)^\alpha} \quad \left. \vphantom{\mu_0^*} \right\} \text{Selberherr}$$

for holes μ_0^* was multiplied by 1.075 to produce transients of the right time

electric field was assumed linear and independent of charge carriers

Jacoboni

$$\alpha = 0.72 \left(\frac{T}{300K}\right)^{0.065}$$

$$C_{ref,e} = 1.12 \times 10^{17} \left(\frac{T}{300K}\right)^{3.2}$$

$$C_{ref,h} = 2.23 \times 10^{17} \left(\frac{T}{300K}\right)^{3.2}$$

$$\mu_{0,e} = 1430 \frac{cm^2}{Vs} \left(\frac{T}{300K}\right)^{-2.0}$$

$$\mu_{0,h} = 460 \frac{cm^2}{Vs} \left(\frac{T}{300K}\right)^{-2.18}$$

$$\mu_{\min,e} = 80 \frac{cm^2}{Vs} \left(\frac{T}{300K}\right)^{-0.45}$$

$$\mu_{\min,h} = 45 \frac{cm^2}{Vs} \left(\frac{T}{300K}\right)^{-0.45}$$

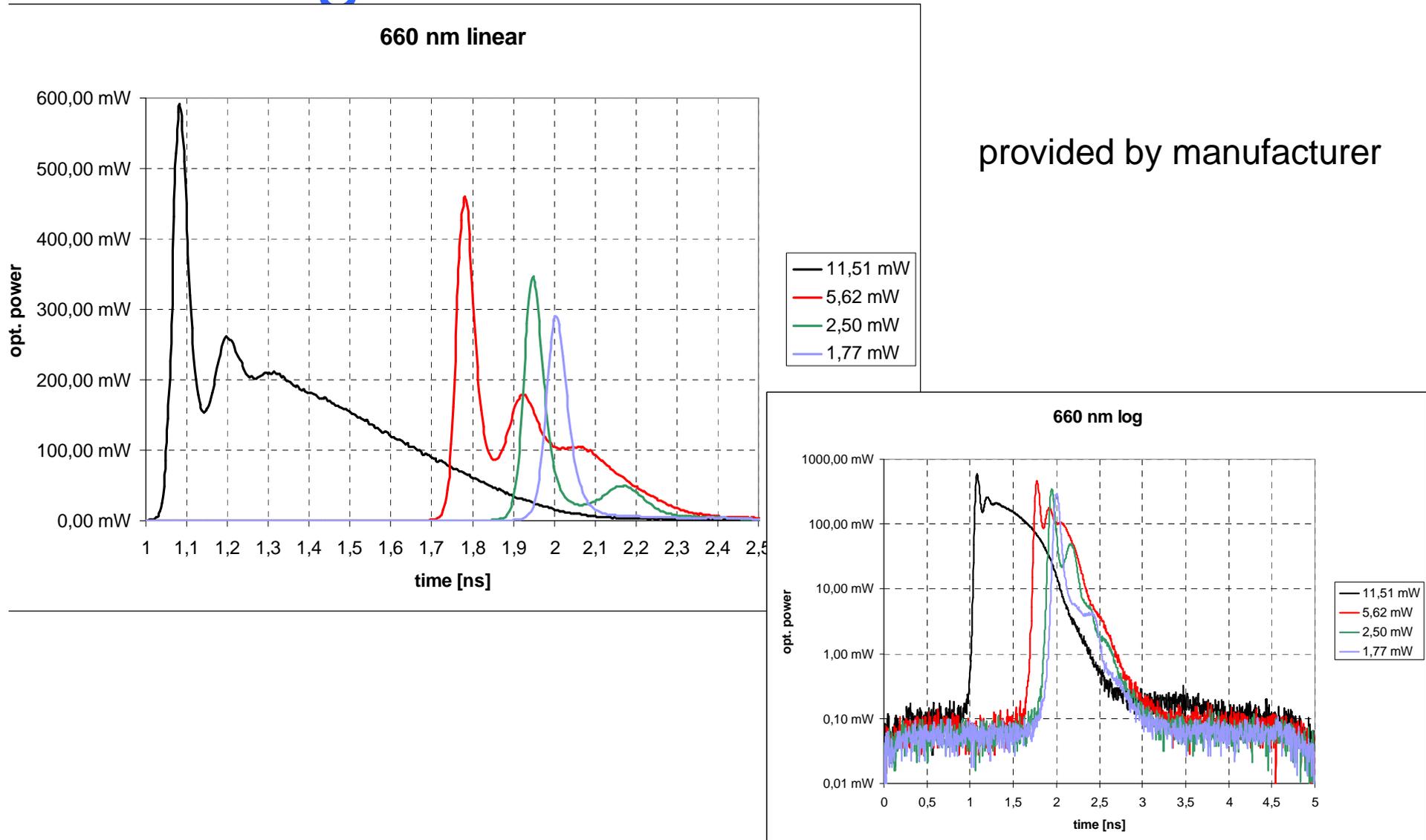
$$v_{sat,e} = 1.45 \times 10^7 \sqrt{\tanh\left(\frac{155K}{T}\right)}$$

$$v_{sat,h} = 9.05 \times 10^6 \sqrt{\tanh\left(\frac{312K}{T}\right)}$$

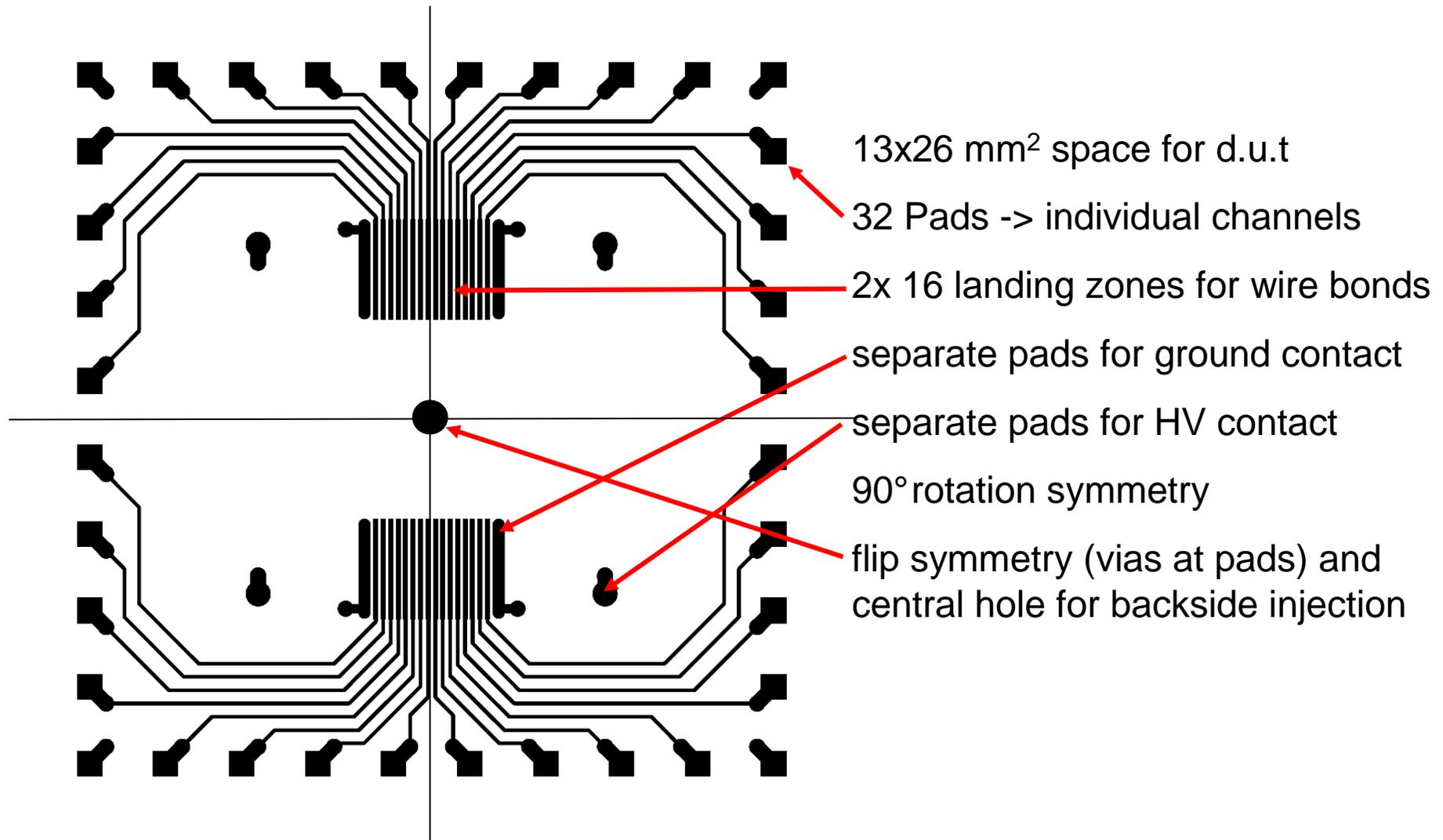
$$\beta_e = 2.57 \times 10^{-2} \left(\frac{T}{1K}\right)^{0.66}$$

$$\beta_h = 0.46 \left(\frac{T}{1K}\right)^{0.17}$$

Timing structure of 660 nm laser



M-TCT ceramics



Transient little plasma effects

