

# Determination of the Non-Linearity Parameter of LAB Based Scintillators: Status Report

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12.06.2017



SFB 1258

Neutrinos  
Dark Matter  
Messengers





# Outline

- Introduction
- Experimental Setup
- Determination of the  $kB$  Parameter
- Latest Results
- Summary and Outlook



# Liquid Scintillator Nonlinearity

- Scintillator response known to be a nonlinear function of the incident  $\gamma$ -energy
- Empirical formula for nonlinearity:

$$\text{Birks' law: } \frac{dL}{dx} = S \frac{\frac{dE}{dx}}{1 + kB \frac{dE}{dx}}$$

L: light yield

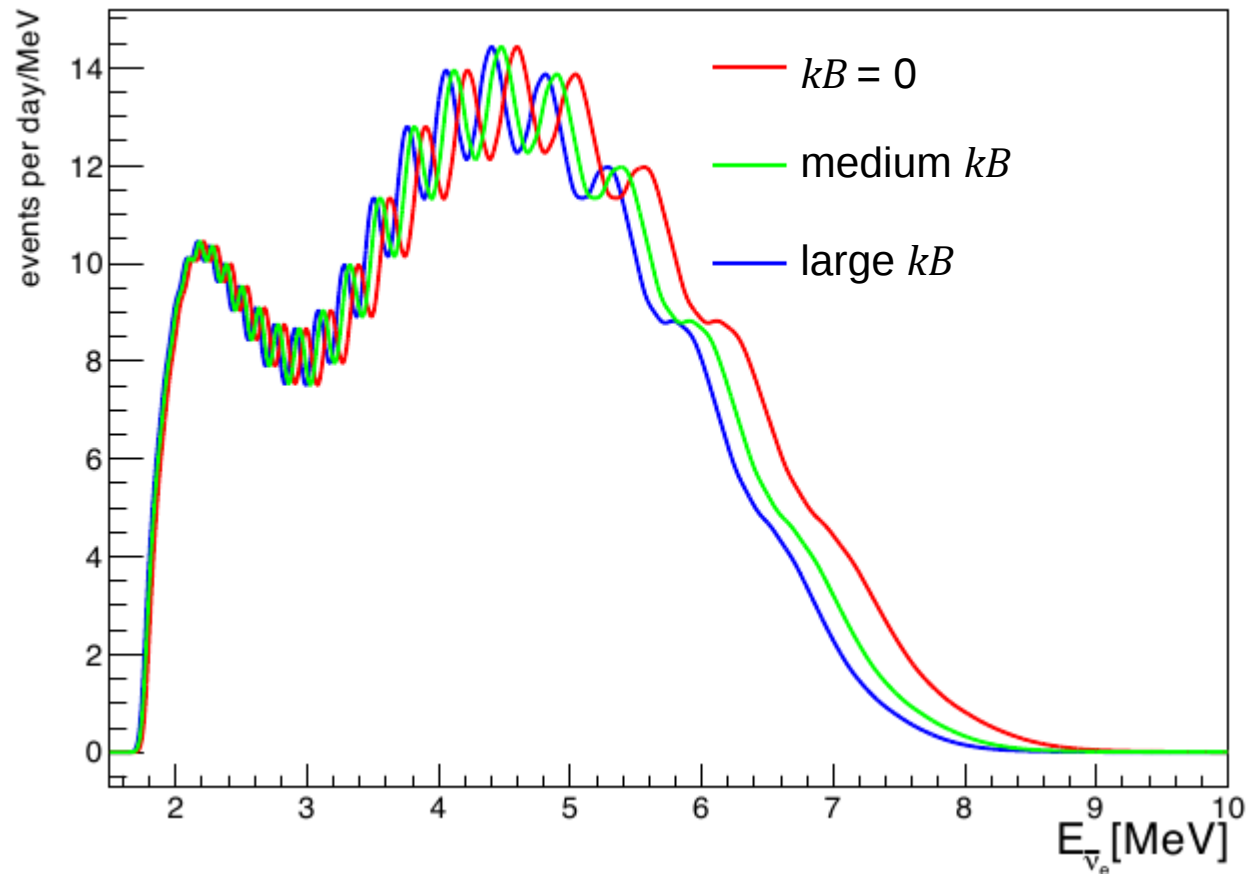
S: scintillation efficiency

$\frac{dE}{dx}$ : energy loss per path length

$kB$ : Birks' parameter



# Effect of $kB$ on JUNO Result Interpretation





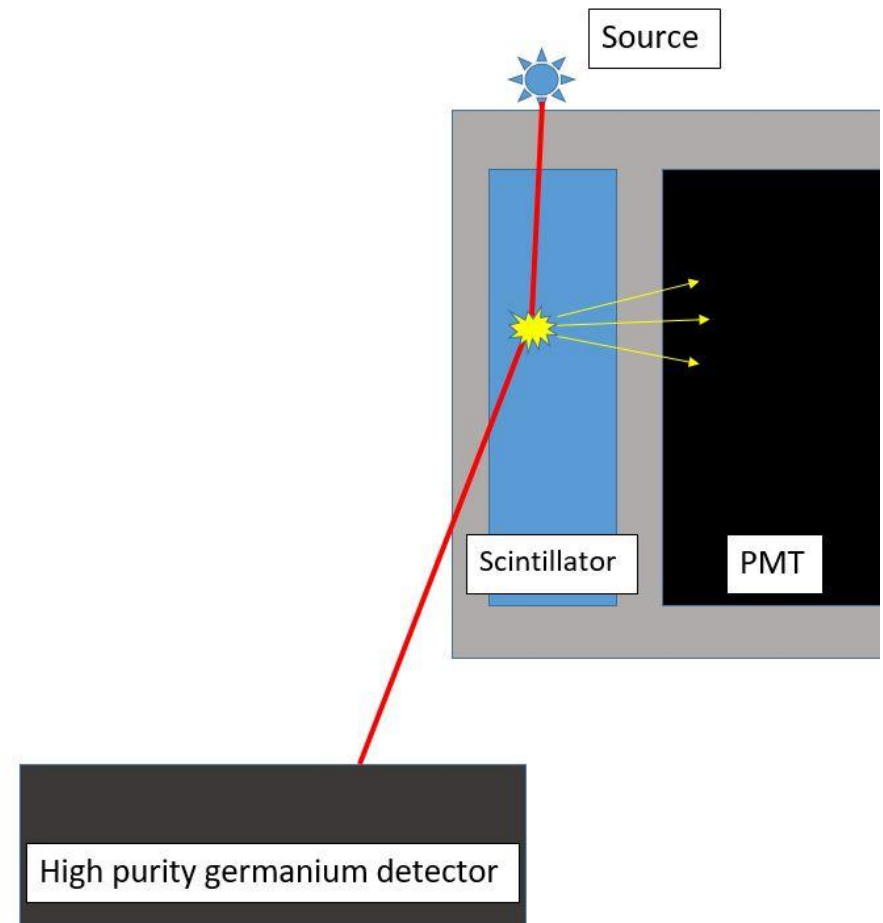
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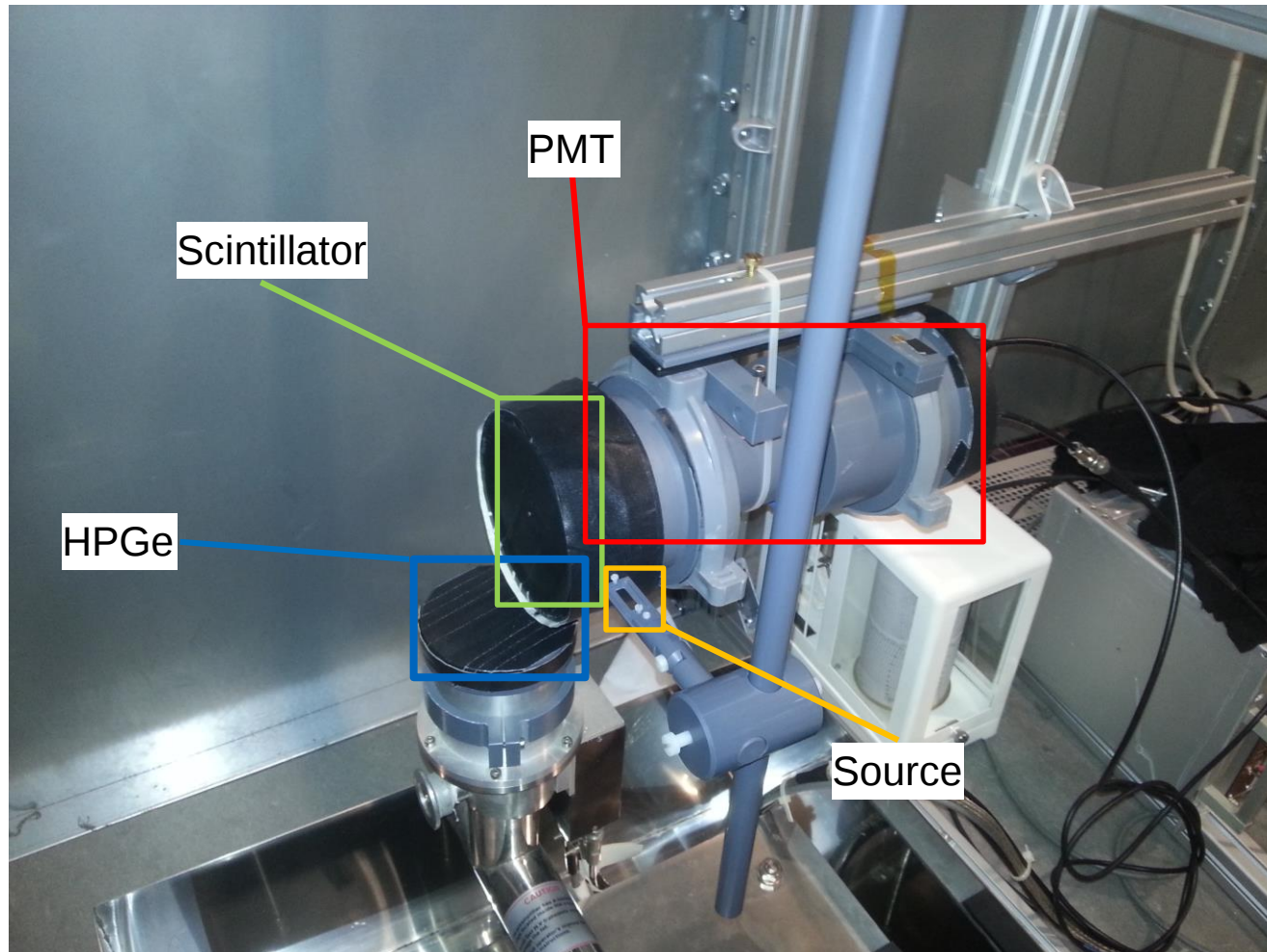
# Experimental Setup

- Method used: coincidence measurement
  - PMT detects scintillation light
  - HPGe detector measures remaining energy
- $\gamma$ -source: Cs-137 (peak at 662 keV)



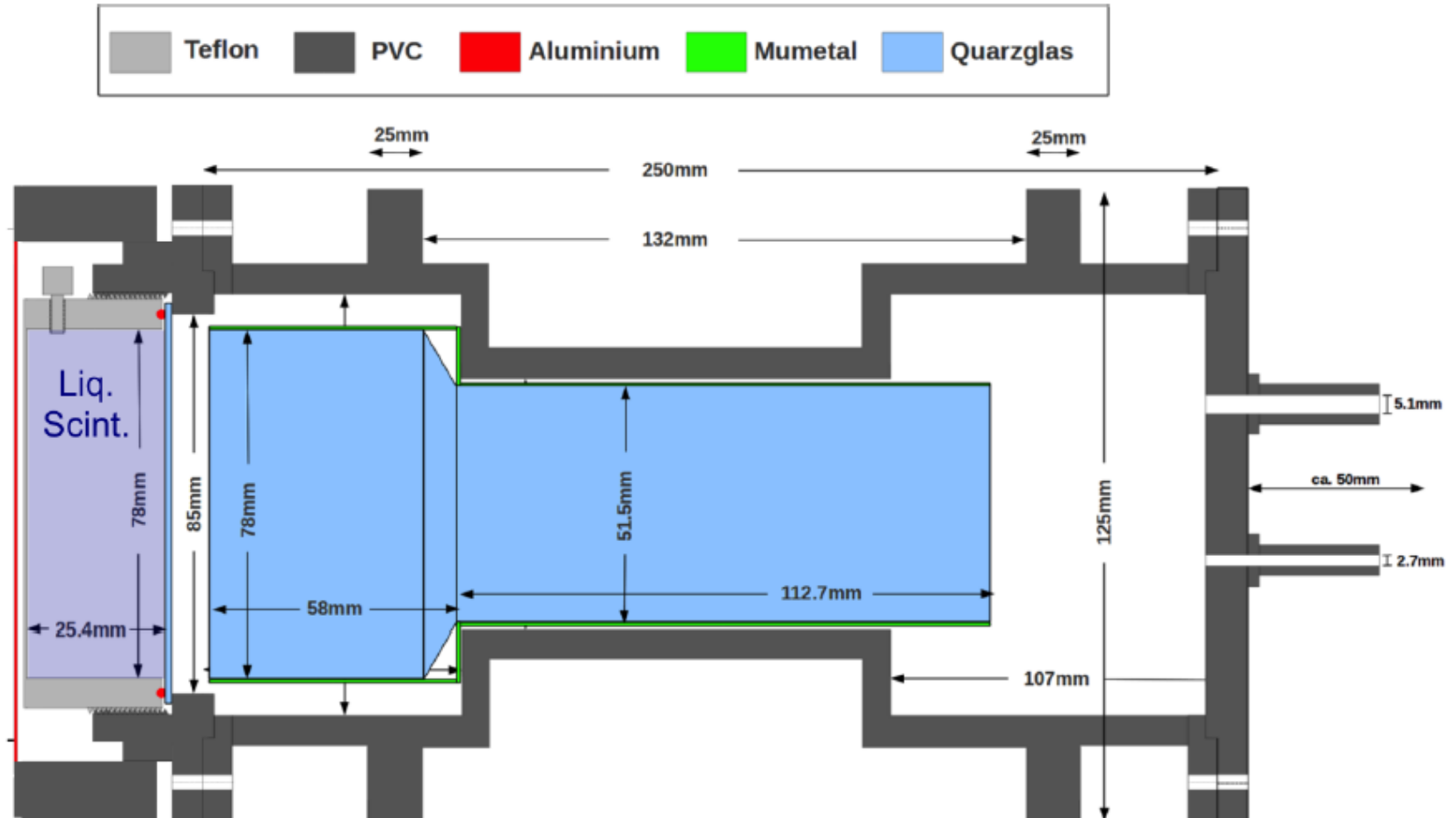


# Experimental Setup



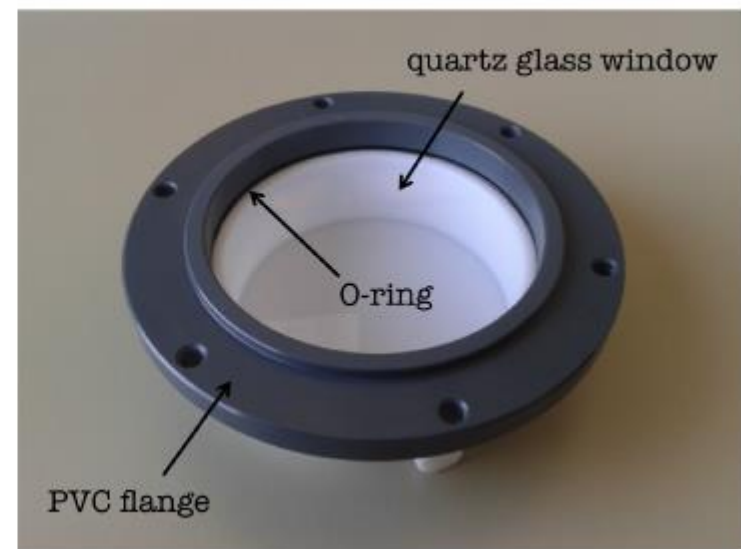
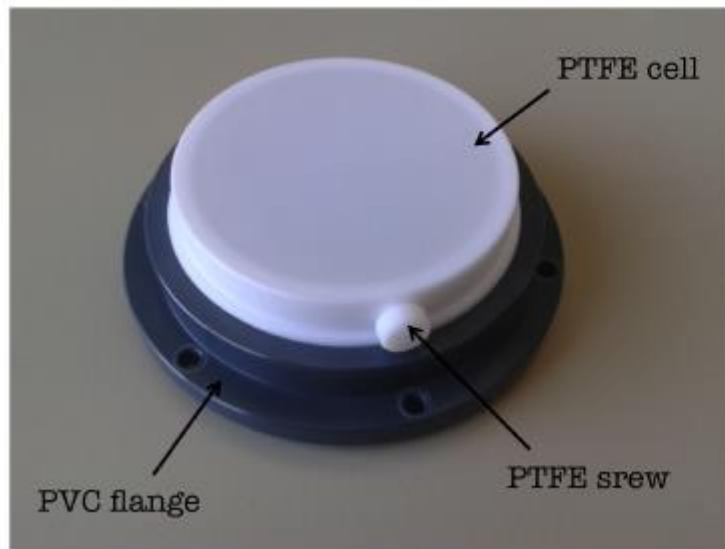


# Scintillation Light Detector





# Scintillator Container





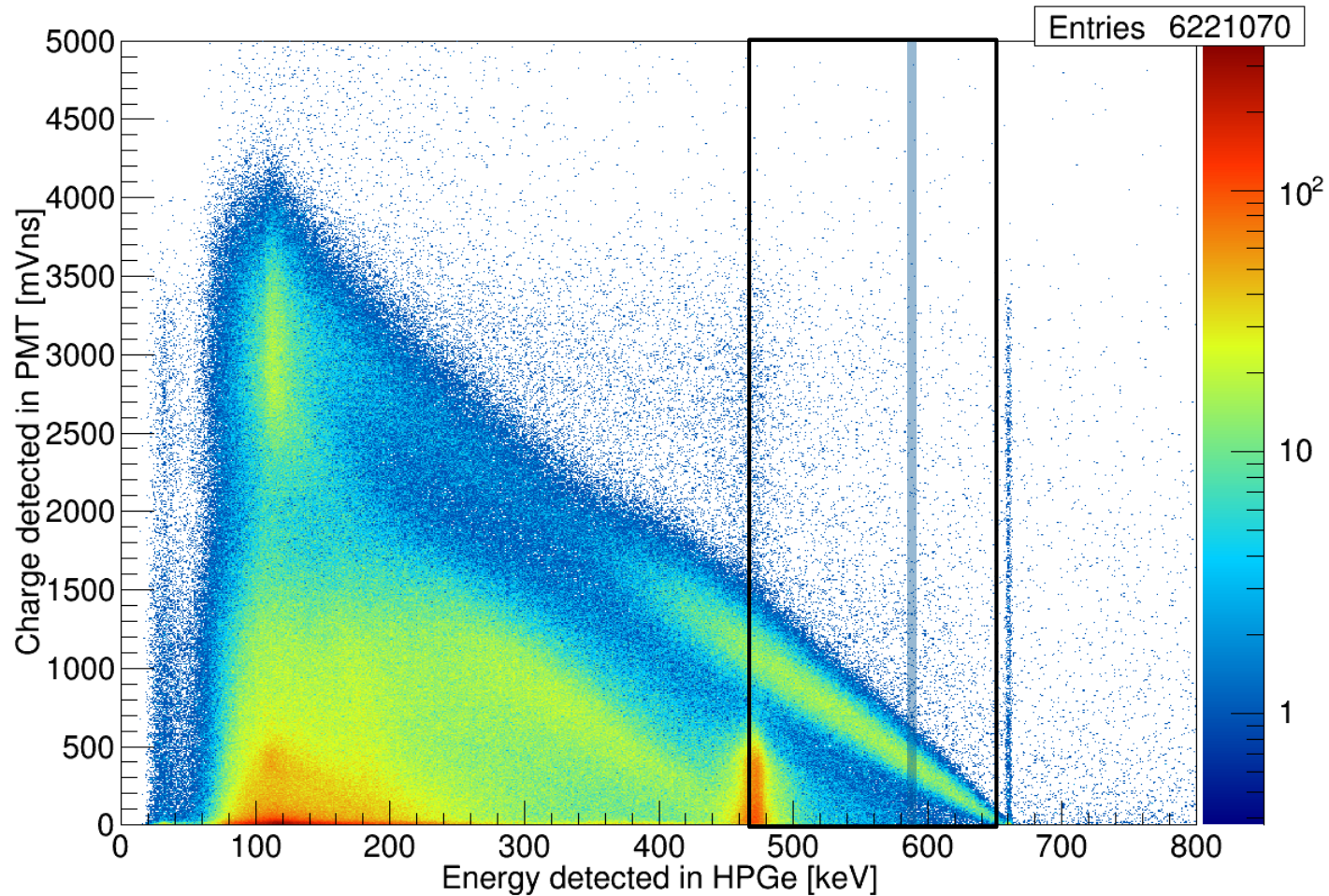
# Determination of the Light Yield

- Birks' law:  $\frac{dL}{dx} = S \frac{\frac{dE}{dx}}{1 + kB \frac{dE}{dx}}$
- Relative light yield:  $\frac{\text{Charge of PMT}}{\text{Energy deposited in scintillator}}$
- Birks' parameter  $kB$  derived from light yield as a function of energy

→ Sliding window over energy detected in HPGe

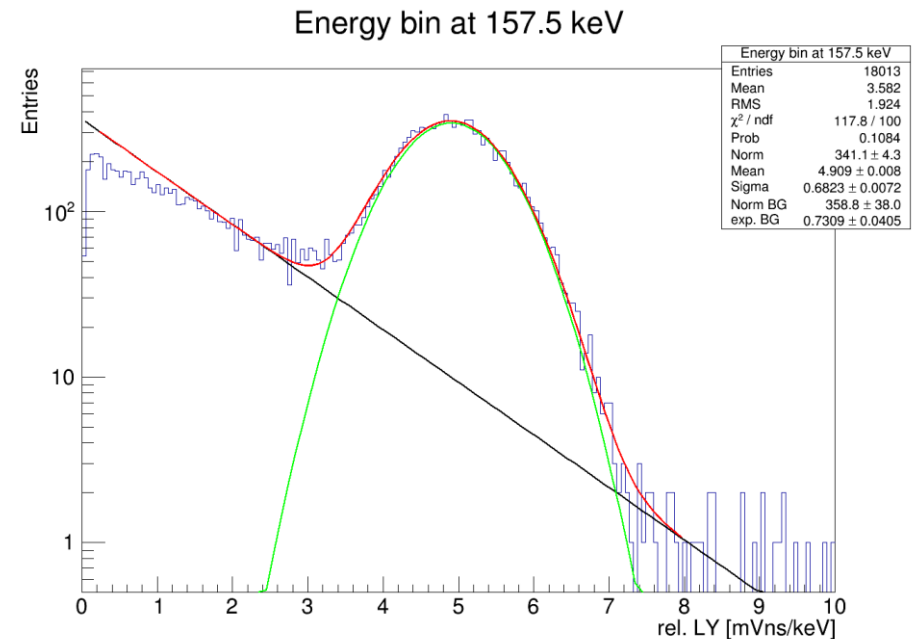
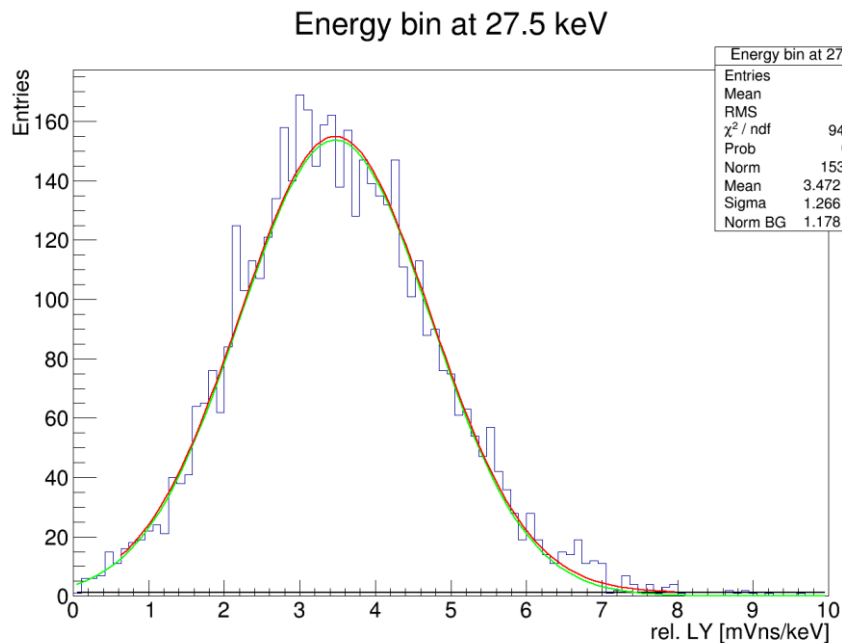


# Preliminary Coincidence Spectrum



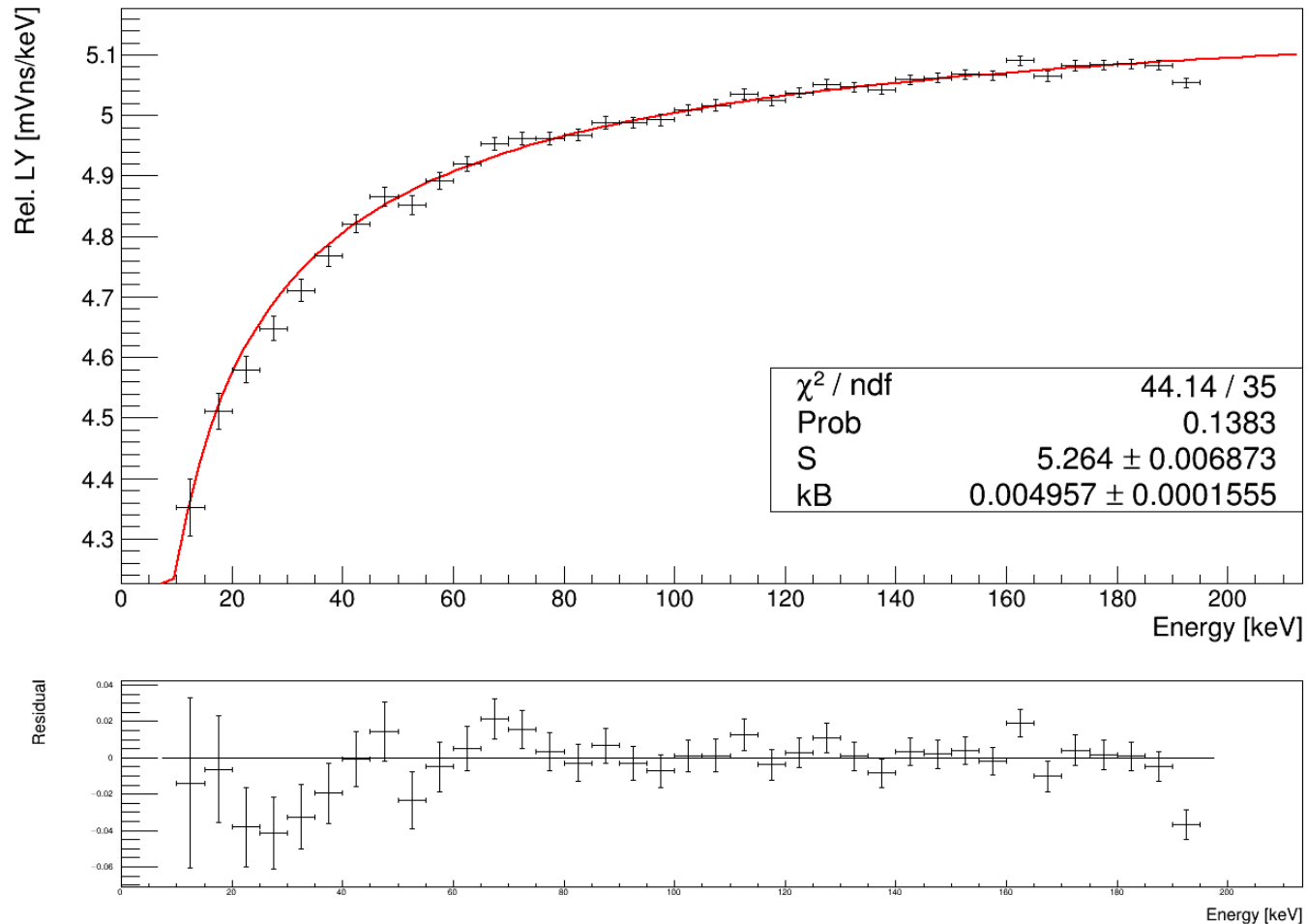


# Determine Light Yield for Energy Intervals





# Birks' Parameter Determination



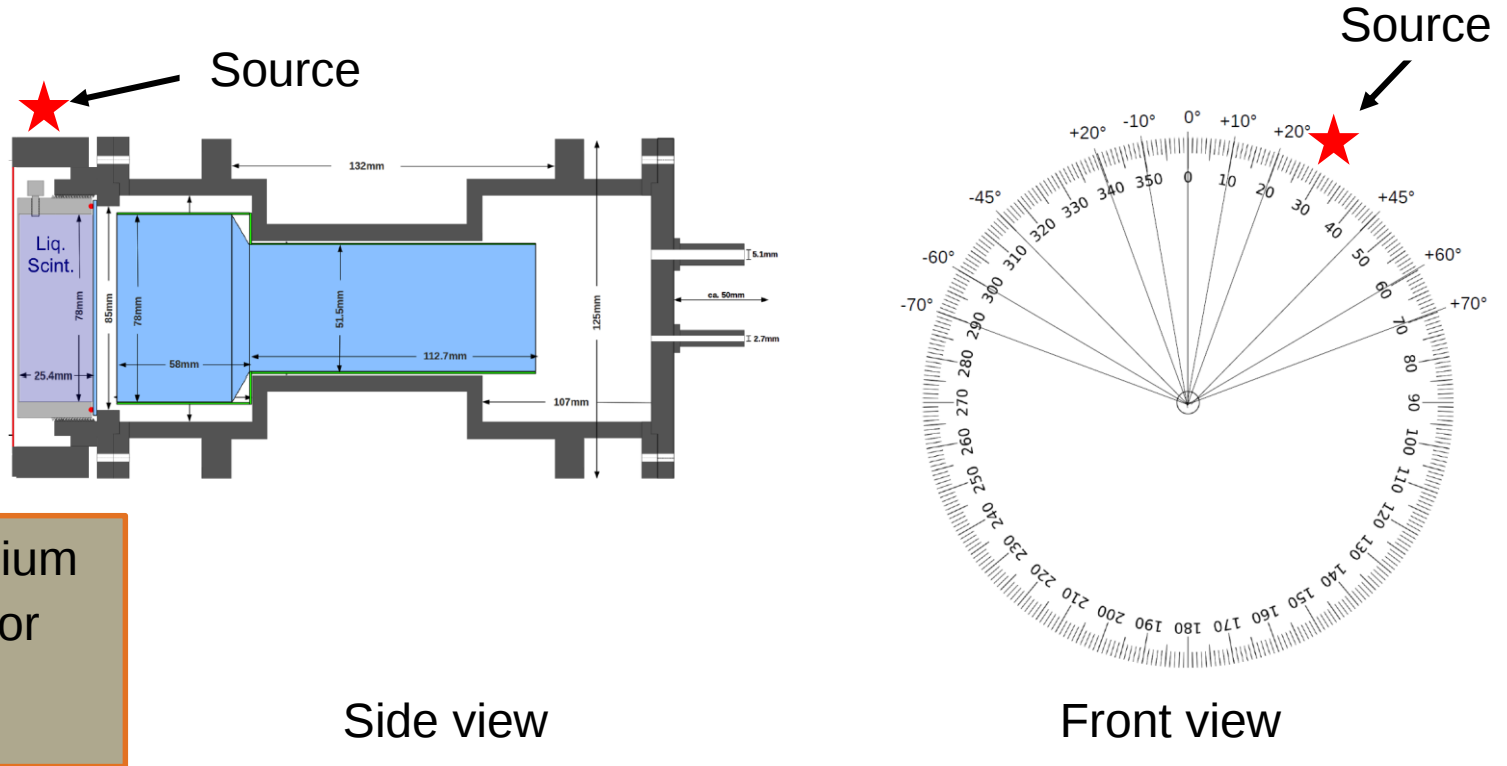


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# Source Position Dependence of the Light Yield



Results inconclusive!



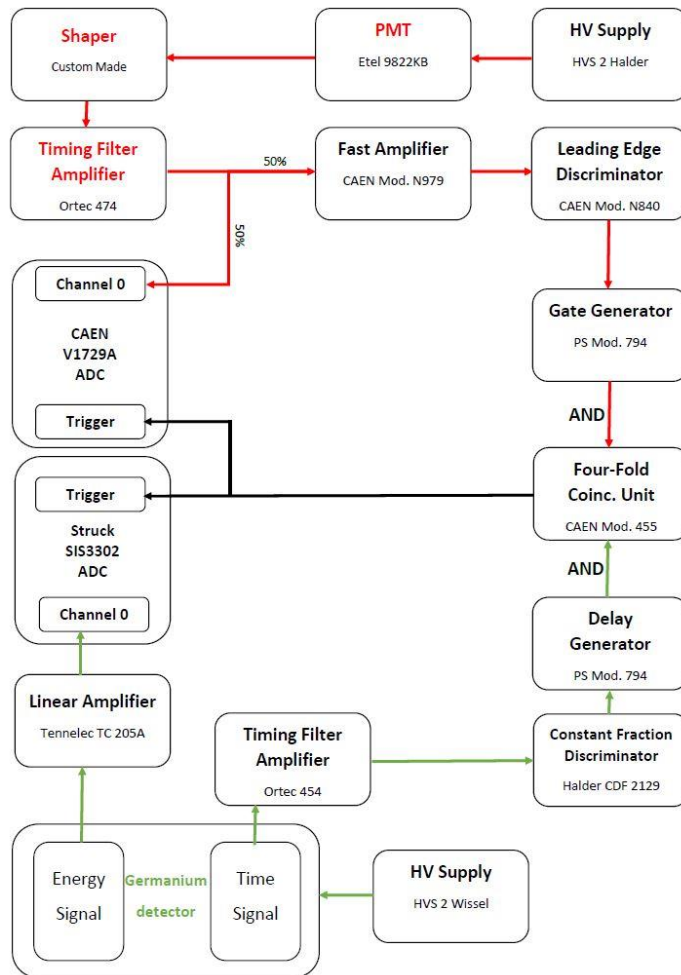
# Latest Developments

- Fresh scintillator
- PMT broke
- Realization of superfluity of multiple parts of setup with new scintillator → new electronic setup

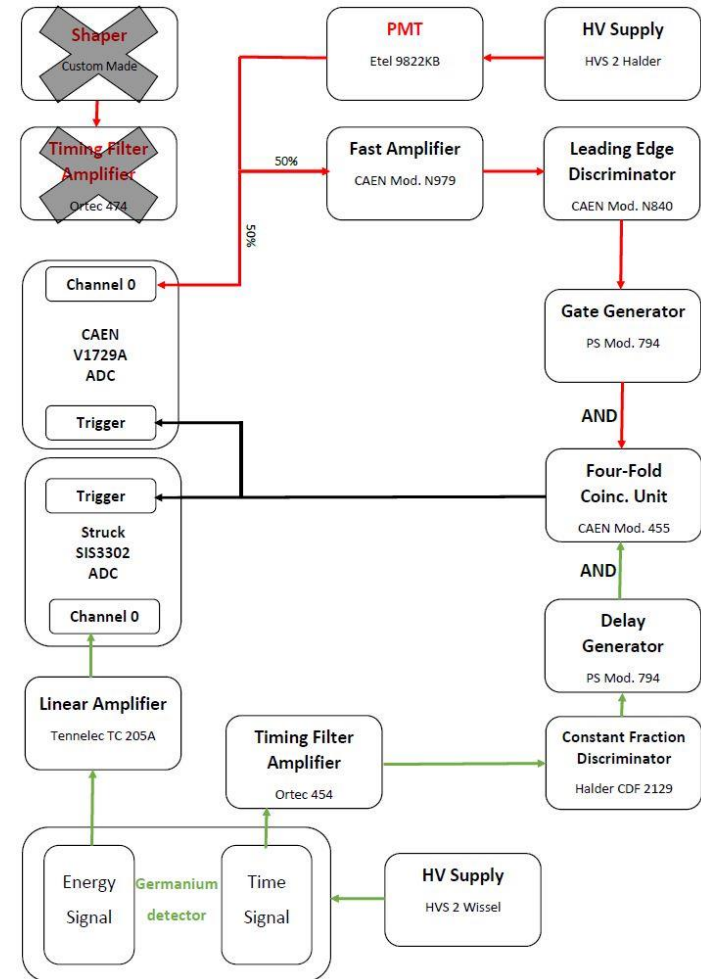


# New Electronics Setup

Old



New





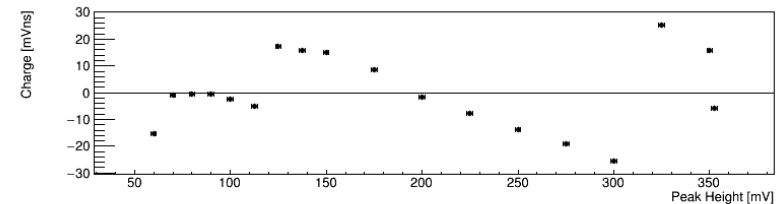
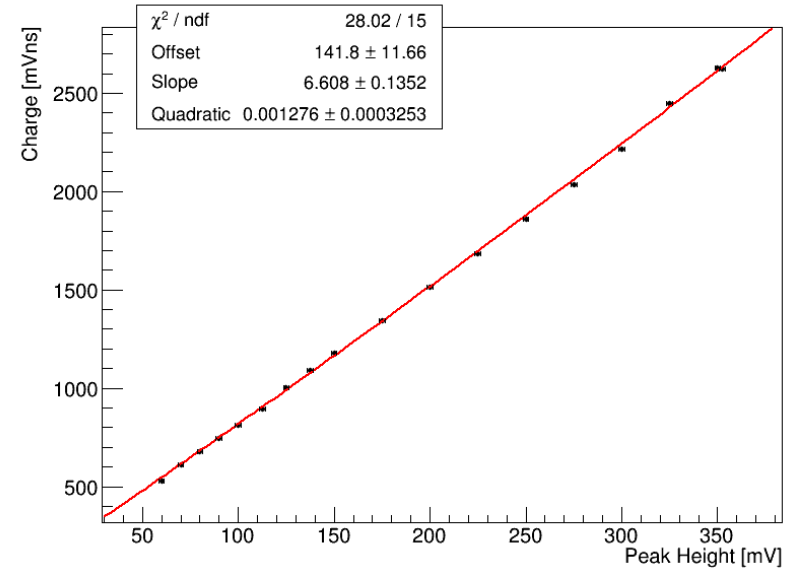
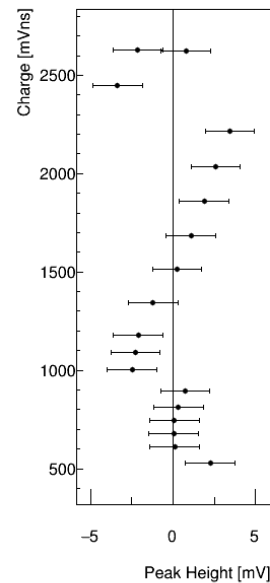
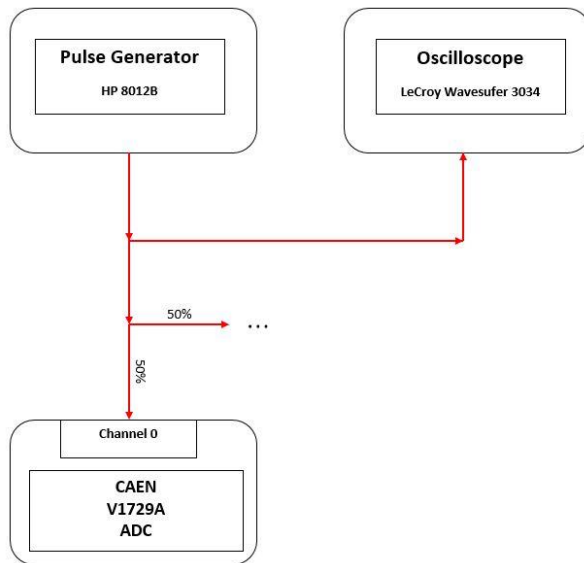
# Latest Developments

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- Inspection of all electronic components
- Determination of FADC linearity



# Determination of FADC Linearity

## Setup





# Latest Developments

- Fresh scintillator
  - PMT broke
  - Realization of superfluity of multiple parts of setup with new scintillator → new electronic setup
  - Inspection of all electronic components
  - Determination of FADC linearity
- 
- Next steps:
    - Determination of PMT linearity
    - New scintillator non-linearity measurements



# Summary and Outlook

- Knowledge of  $kB$  important for correct neutrino mass hierarchy interpretation
- Coincidence experiment has been set up
- Proof of principle achieved
  
- Understand detector behavior
- Precise measurement of the Birks' parameter  $kB$  of the JUNO scintillator



Thank you for your attention!



- Use Berger-Seltzer formula to determine  $\frac{dE}{dx}$

$$\left. \frac{dE}{dx} \right]_{T < T_{\text{cut}}} = 2\pi r_e^2 m c^2 n_{el} \frac{1}{\beta^2} \left[ \ln \frac{2(\gamma + 1)}{(I/mc^2)^2} + F^{\pm}(\tau, \tau_{up}) - \delta \right]$$

|                     |                                                                |
|---------------------|----------------------------------------------------------------|
| $r_e$               | classical electron radius: $e^2/(4\pi\epsilon_0 mc^2)$         |
| $mc^2$              | mass energy of the electron                                    |
| $n_{el}$            | electron density in the material                               |
| $I$                 | mean excitation energy in the material                         |
| $\gamma$            | $E/mc^2$                                                       |
| $\beta^2$           | $1 - (1/\gamma^2)$                                             |
| $\tau$              | $\gamma - 1$                                                   |
| $T_{\text{cut}}$    | minimum energy cut for $\delta$ -ray production                |
| $\tau_c$            | $T_{\text{cut}}/mc^2$                                          |
| $\tau_{\text{max}}$ | maximum energy transfer: $\tau$ for $e^+$ , $\tau/2$ for $e^-$ |
| $\tau_{up}$         | $\min(\tau_c, \tau_{\text{max}})$                              |
| $\delta$            | density effect function.                                       |

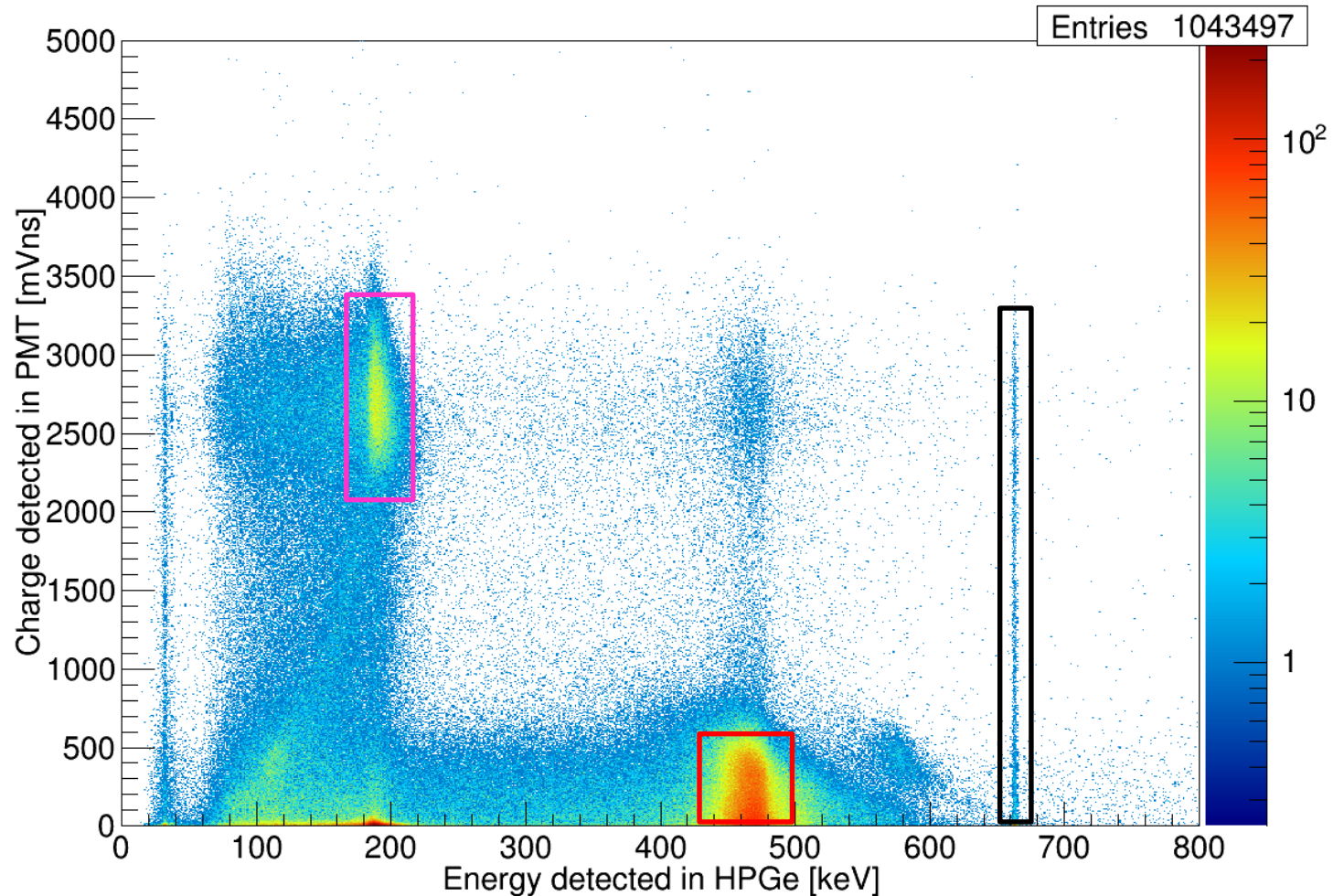


# Experimental specifications

- PMT pulse recording
  - ETEL 9822KB
  - ADC: CAEN V1729A
  - 4 Channel
  - 2 GS/s
  - 14 bit (effective 13 bit)
  - Less than 2 % gain variations
  - Energy resolution @ 477.4 keV:  $\sim 8\%$
- HPGe pulse recording
  - EGPP 2000
  - ADC: SIS3302 by Struck
  - 8 Channel
  - 100 MS/s
  - 16 bit (effective 13 bit)
  - Less than 0.4 % gain variations
  - Energy resolution @ 662 keV:  $\sim 0.5\%$

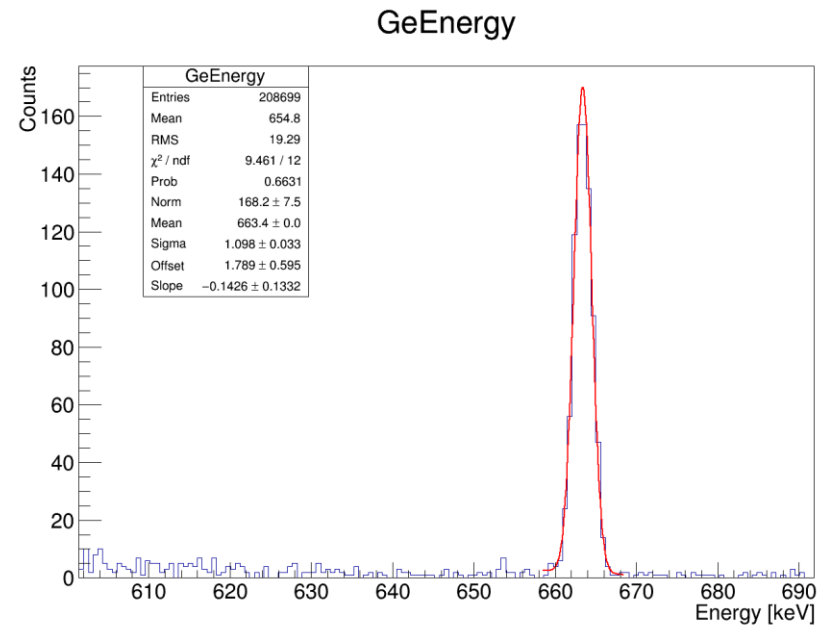
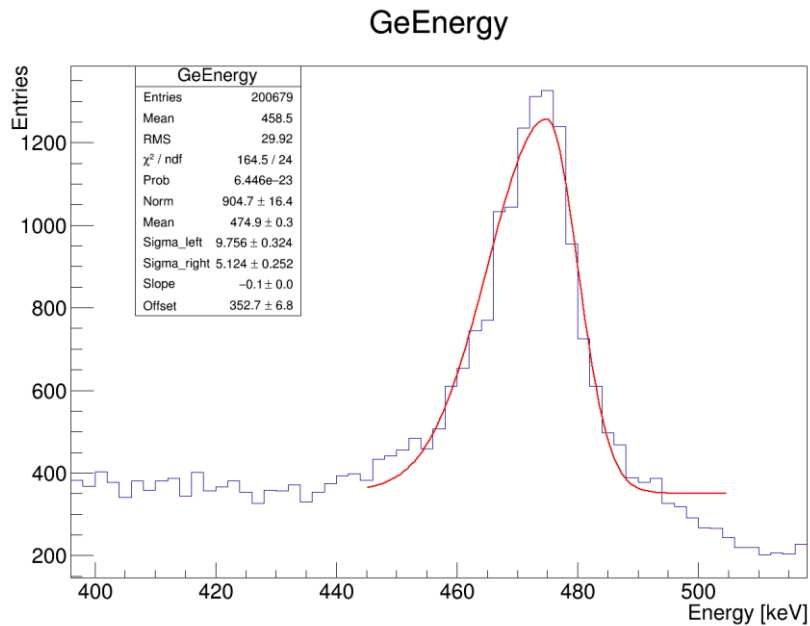


# Preliminary Coincidence Spectrum



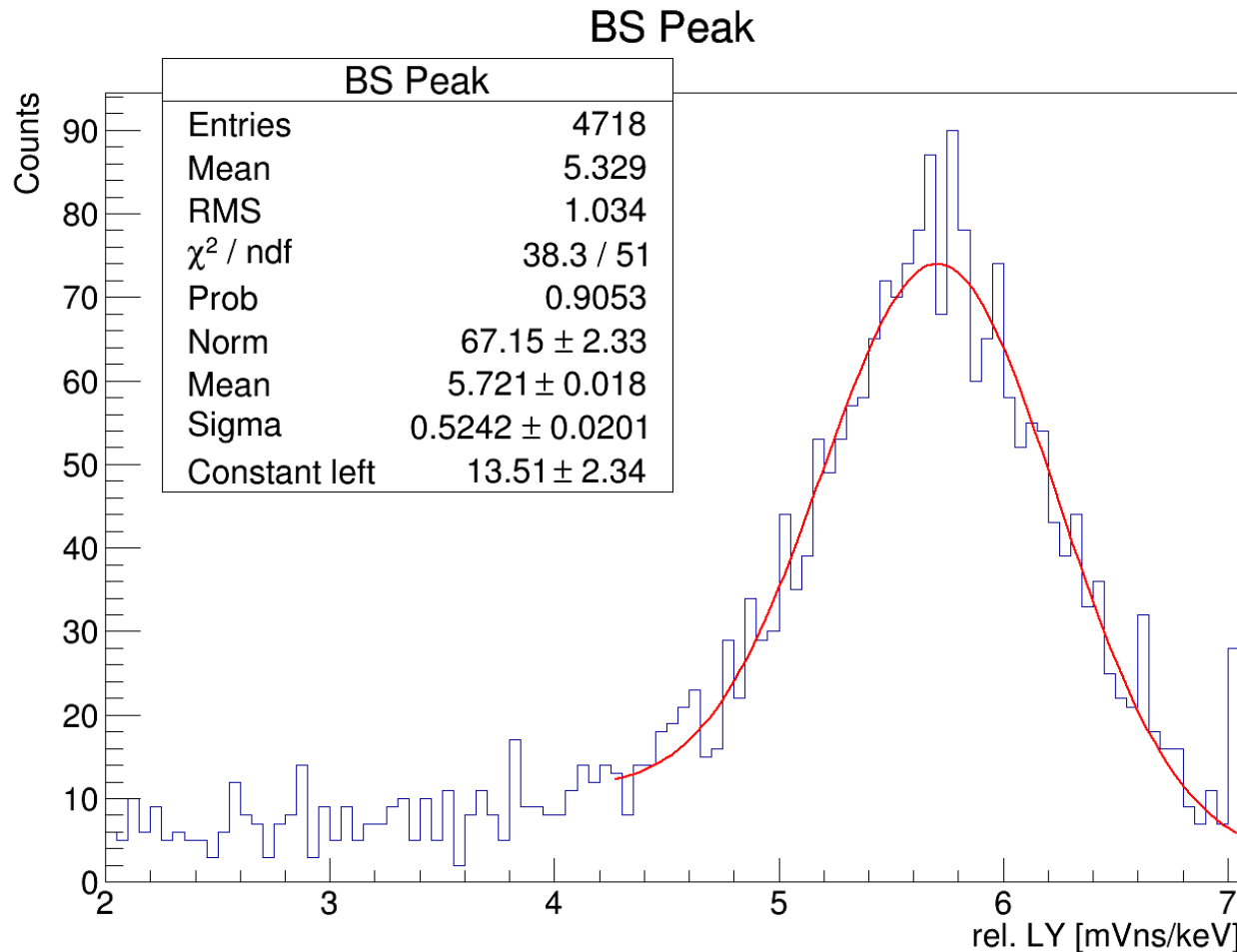


# Germanium Detector Gain Stability Determination





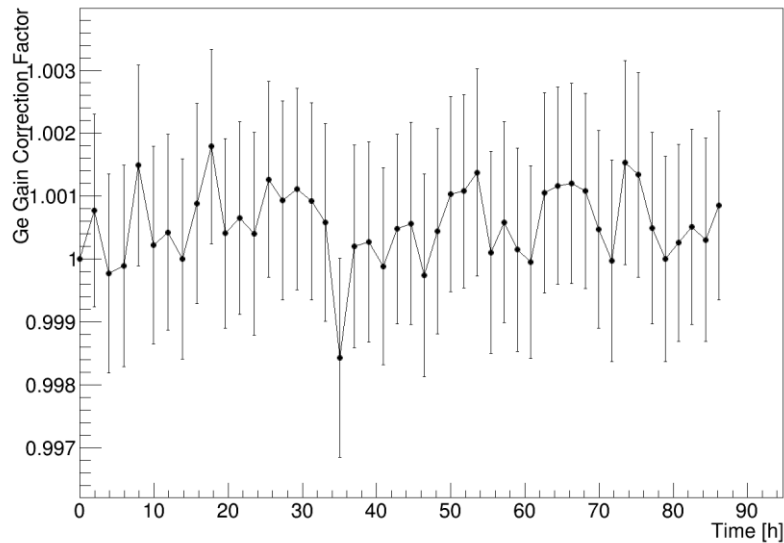
# Scintillation Light Detector Gain Stability Determination



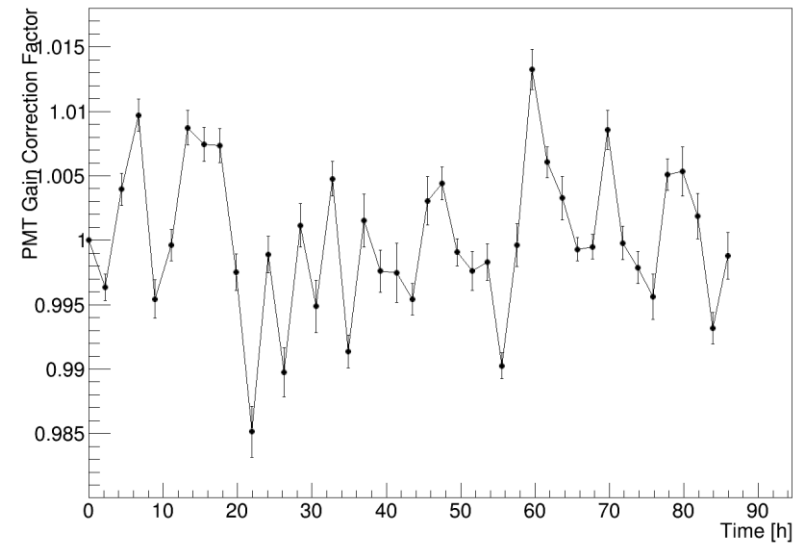


# Detector Gain Correction

GeDet drift



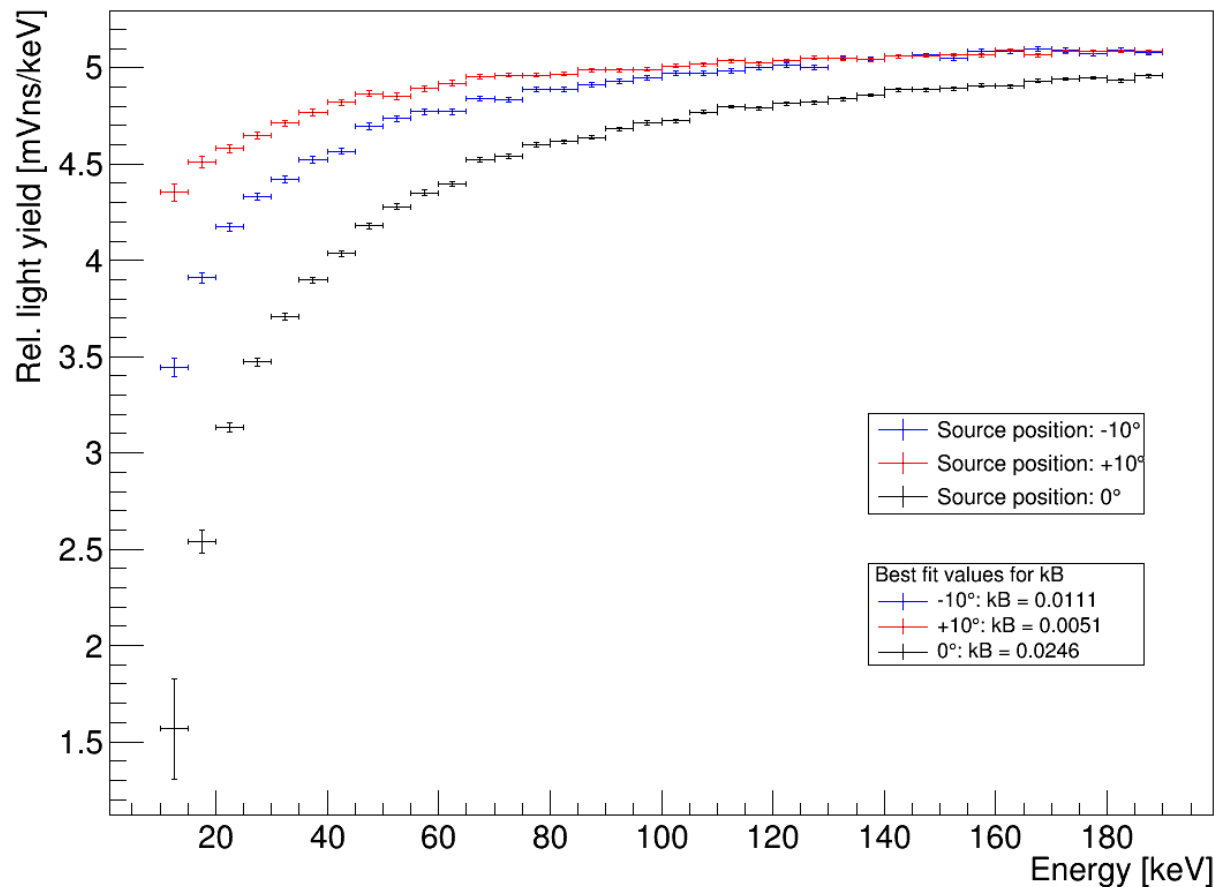
PMT drift





# Light Yield Comparison for Different Source Positions

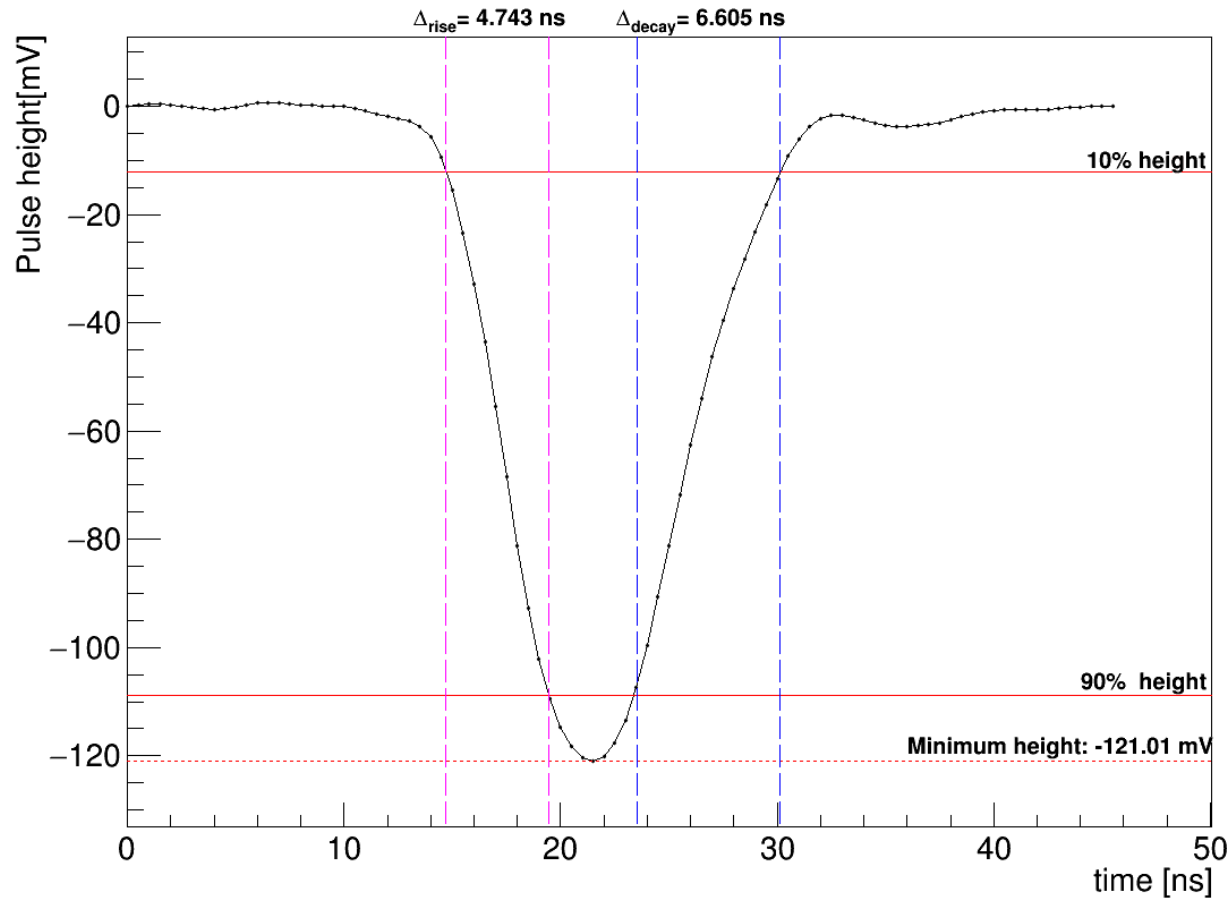
Light yield comparison between  $-10^\circ$  and  $+10^\circ$  and  $0^\circ$



→ completely differently shaped light yield curves for similar source positions

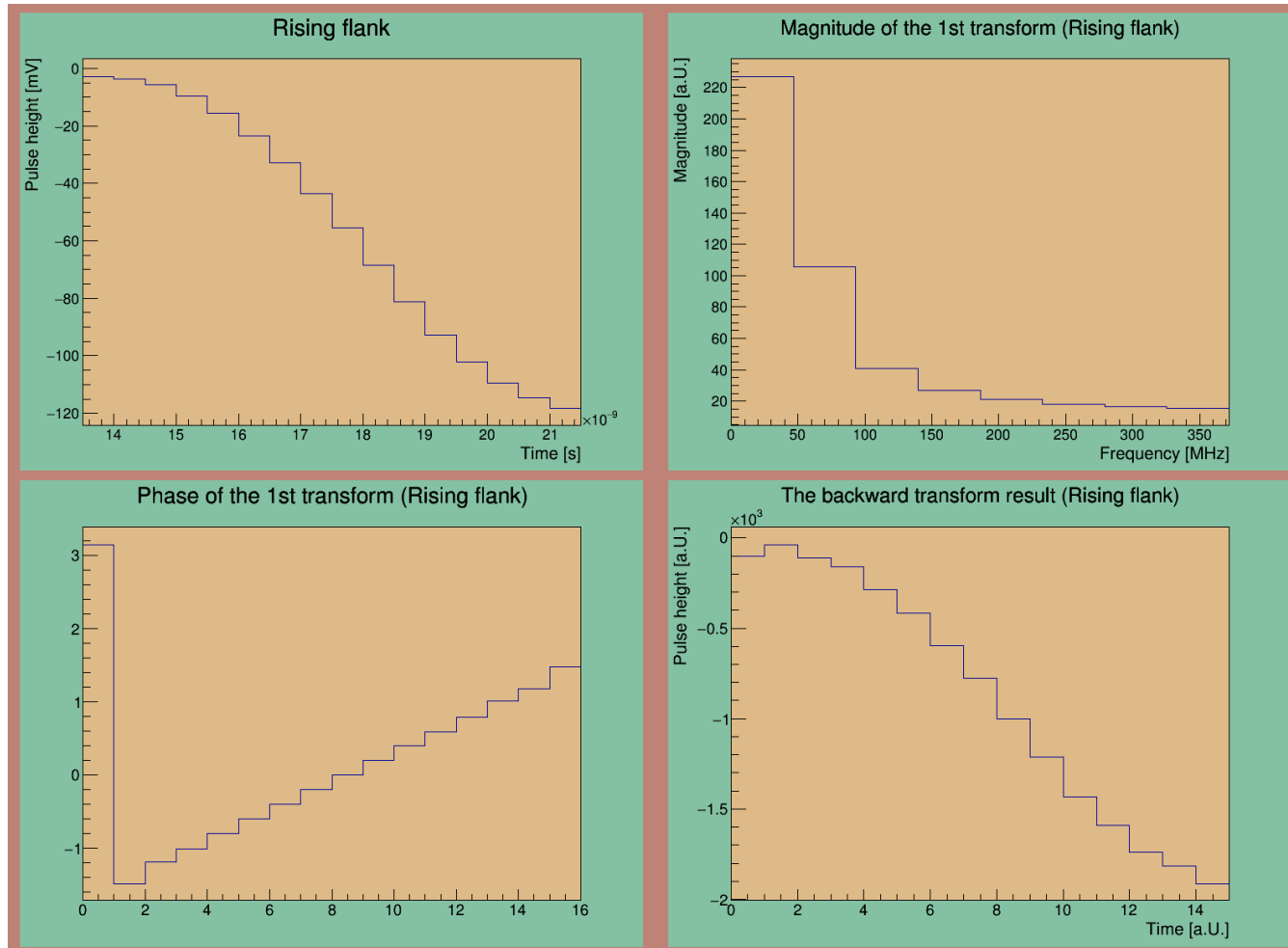


# Pulsegenerator Average Waveform





# FFT Rising Flank





# FFT Decaying Flank

