

Studies of the Higgs boson CP property in the fermionic couplings using $H \rightarrow \tau\tau$ events with the CMS experiment

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Physics at the Terascale



Bundesministerium
für Bildung
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DFG
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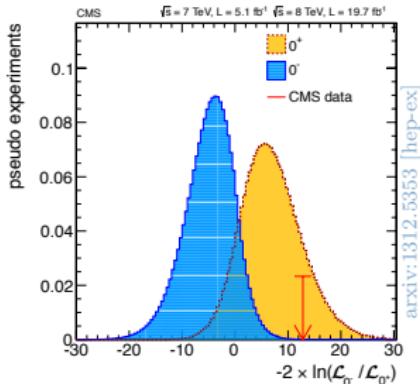
Motivation

Unraveling properties of the new boson h of $m_h \simeq 125$ GeV
couplings spin parity **CP**

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- LHC data $\Rightarrow J^P = 0^+$
 $h \rightarrow ZZ$ [arxiv:1312.5353 \[hep-ex\]](https://arxiv.org/abs/1312.5353)
- CP-odd component not yet excluded
[Phys. Rev. D 87, 055014](https://doi.org/10.1103/PhysRevD.87.055014)

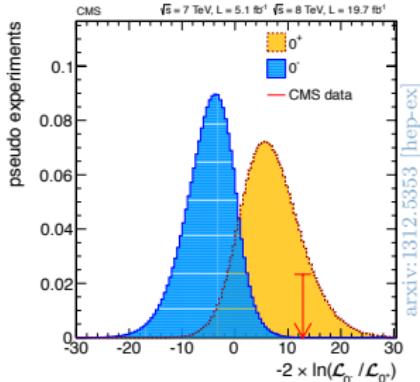


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CP study in interactions with fermions

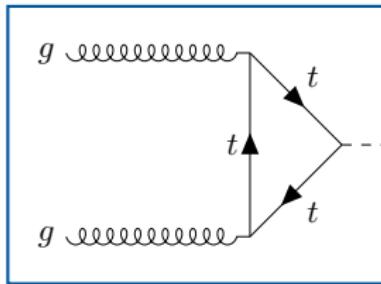
- Sensitive to CP-even and CP-odd components

Strategies

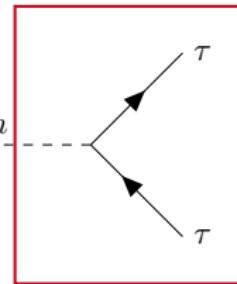
- Studies in the production mode of the Higgs boson
- Studies in the decay mode of the Higgs boson

Strategies

- Studies in the production mode of the Higgs boson



CP-sensitive observable



Higgs event selection

J. Degens

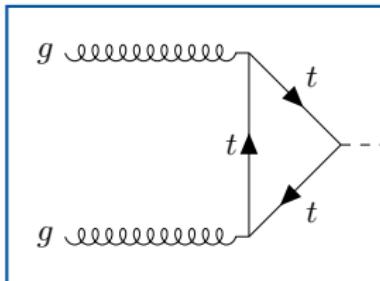
L. Wiens

D. Wolfschläger

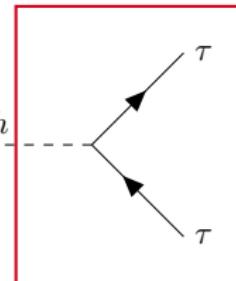
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Strategies

- Studies in the production mode of the Higgs boson



CP-sensitive observable



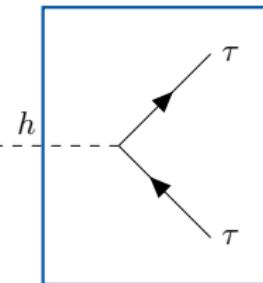
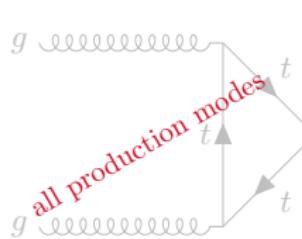
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- Studies in the decay mode of the Higgs boson



C. Pistone

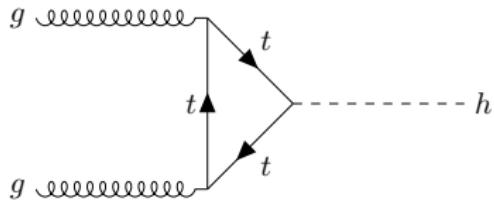
CP-sensitive observable

Production mode studies

Higgs production via gluon-gluon fusion

[arxiv:1406.3322]

$$\mathcal{L}_{hff} = g_f \left(\underbrace{\cos \alpha_f \bar{f} f}_{\text{CP-even}} + \underbrace{\sin \alpha_f \bar{f} i \gamma_5 f}_{\text{CP-odd}} \right) h$$



Higgs production via gluon-gluon fusion

[arxiv:1406.3322]

$$\mathcal{L}_{hgg} = \frac{\alpha_s}{12\pi v} h G_{\mu\nu}^a G^{a\mu\nu} + \frac{\alpha_s}{8\pi v} h G_{\mu\nu}^a \epsilon_{\mu\nu\rho\sigma} G^{a\rho\sigma}$$

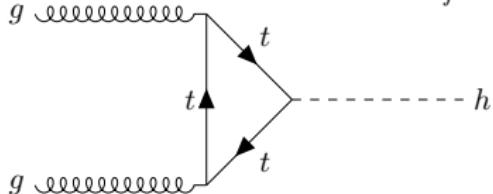
CP-even component

CP-odd component

$$\alpha_f = 0 \quad \text{CP-even}$$

$$\alpha_f = \frac{\pi}{2} \quad \text{CP-odd}$$

$$0 < \alpha_f < \frac{\pi}{2} \quad \text{CP violation}$$

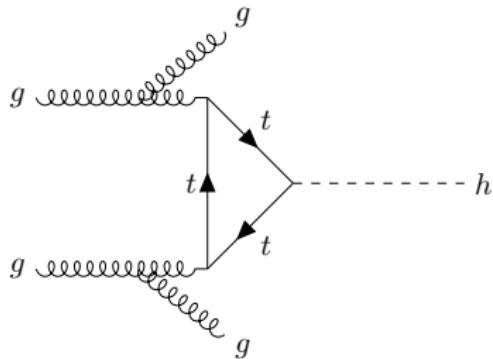


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CP-even component CP-odd component



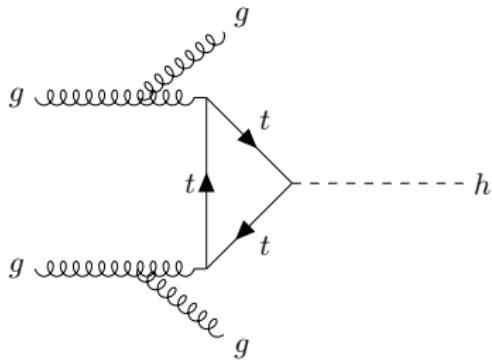
- Opposite hemisphere:
 $y_j \equiv y_{j1} = -y_{j2}$
- Lab frame \equiv centre-of-mass frame:
 $\vec{p} = \pm E_{\text{CM}} \hat{z}$

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$$|\mathcal{M}|_\pm \sim \exp(4y_j) (A \pm B \cos(2\Delta\phi_{jj}))$$

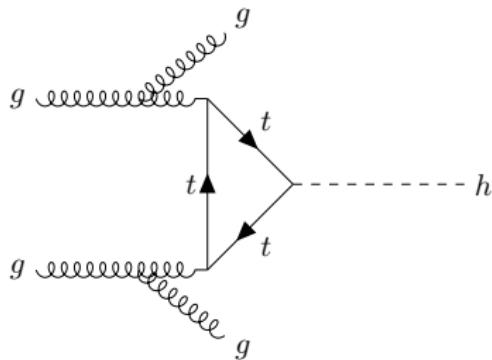
with A , B and ξ functions of E_{CM} and m_h

Higgs production via gluon-gluon fusion

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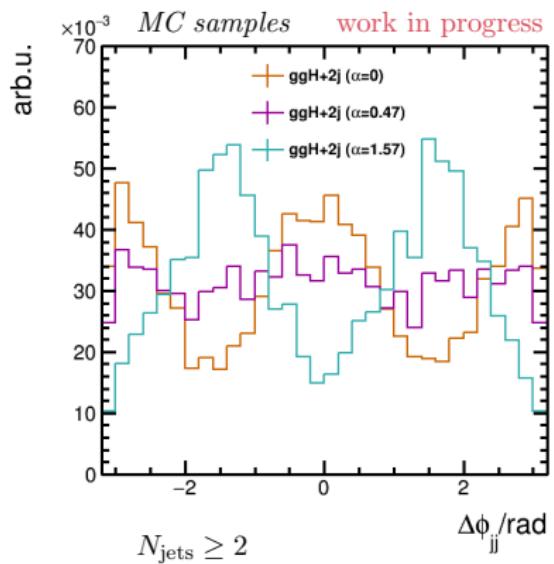
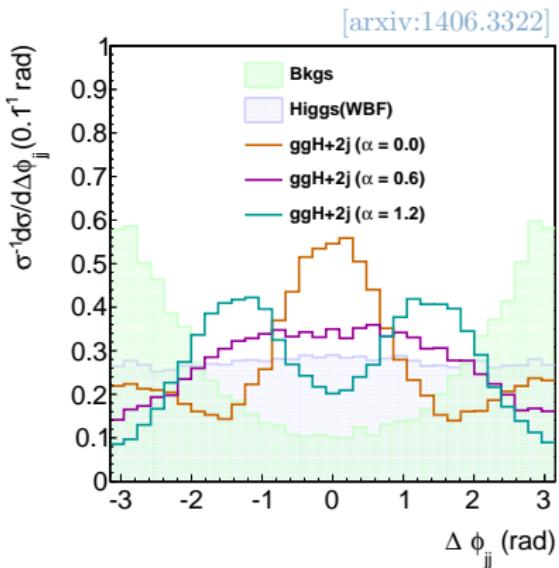
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CP-sensitive observable

Distribution of the observable for signal samples



$m_{jj} > 500 \text{ GeV}$

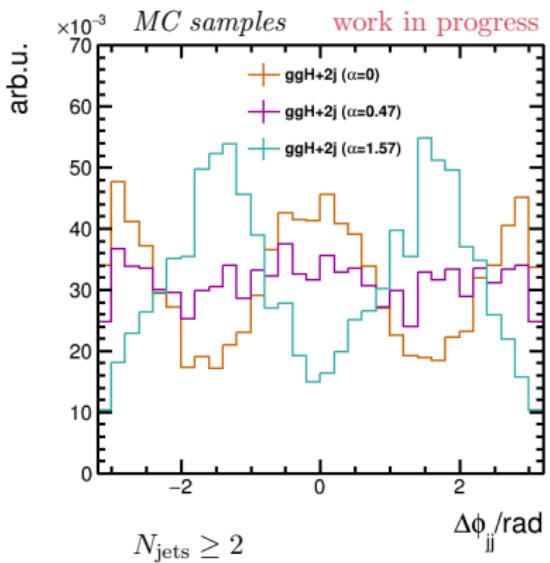
$\eta_{j1} \cdot \eta_{j2} < 0$ and $|\Delta\eta_{jj}| > 3.5$

Distribution of the observable for signal samples

- Available MC samples:
CP-even state
- Simulating many different CP states:
unfeasible

⇒ MC reweighting technique:

$$\mathcal{W}_{\alpha=x} = \frac{|\mathcal{M}_{\alpha=x}|^2}{|\mathcal{M}_{\alpha=0}|^2} \mathcal{W}_{\alpha=0}$$



$N_{\text{jets}} \geq 2$

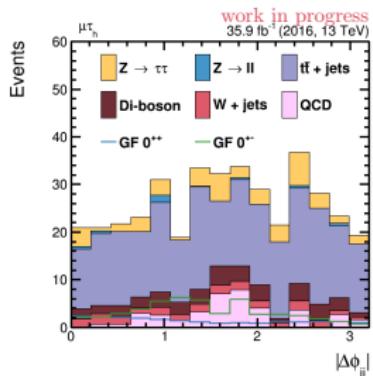
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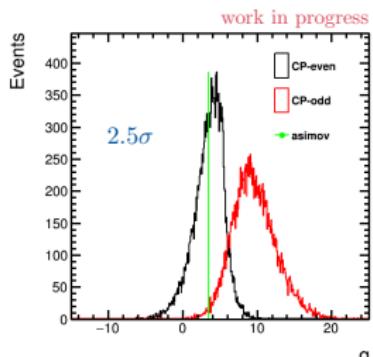
Sensitivity

- SM $H \rightarrow \tau\tau$ selection: CMS-HIG-16-043
 $e\mu, e\tau_h, \mu\tau_h, \tau_h\tau_h$
Inherited systematic uncertainties
No shape uncertainties
- Further selection cuts:
 $N_{\text{jets}} \geq 2$
 $m_{jj} > 200 \text{ GeV}$
 $\eta_{j1} \cdot \eta_{j2} < 0$ and $|\Delta\eta_{jj}| > 2$

Test statistic with Asimov datasets
($L = 35.9 \text{ fb}^{-1}$)



- Categories:
 $m_{jj} < 500 \text{ GeV}$
 $m_{jj} > 500 \text{ GeV}$
 $p_T^h > 150 \text{ GeV}$ and $m_{sv} > 100 \text{ GeV}$
 $p_T^h < 150 \text{ GeV}$
 $m_{sv} < 100 \text{ GeV}$
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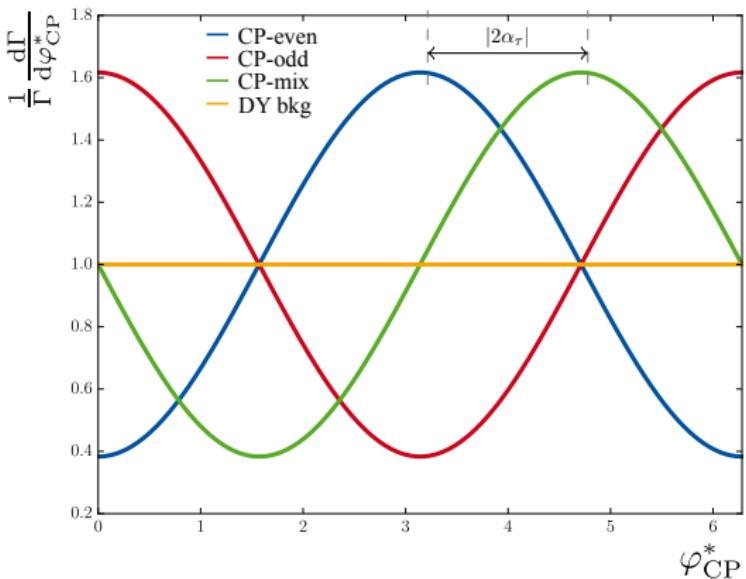
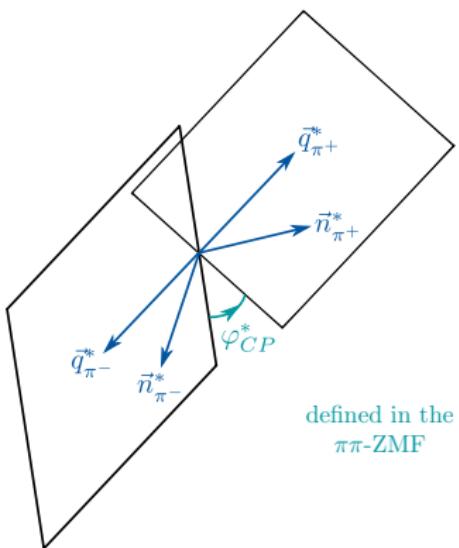


Decay mode studies

CP-sensitive observable

arxiv:1408.0798 [hep-ph]

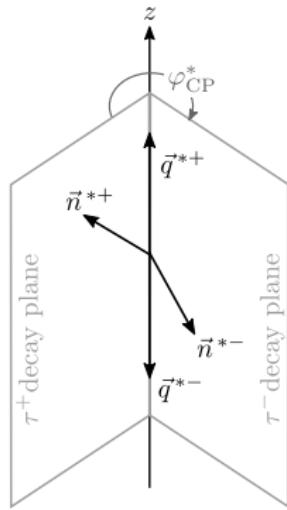
$$\mathcal{L}_{h\tau\tau} = g_\tau \frac{(\cos \alpha_\tau \bar{\tau}\tau + \sin \alpha_\tau \bar{\tau}i\gamma_5\tau)}{\text{CP-even} - \text{CP-odd}} h$$



Methods of reconstructing φ_{CP}^*

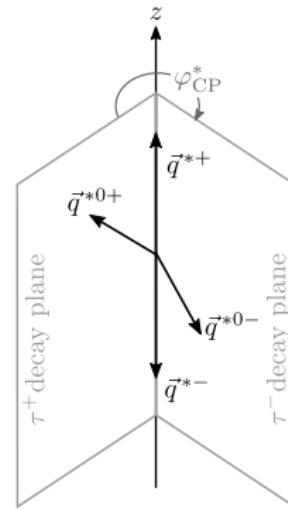
impact parameter (IP) method

arxiv:1408.0798 [hep-ph]



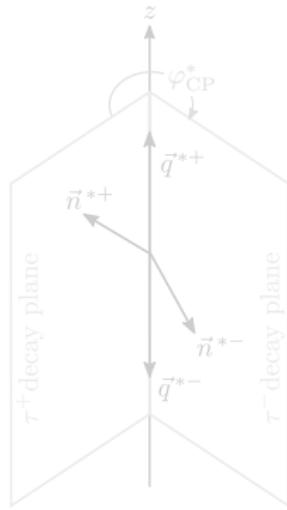
ρ -decay plane method

arxiv:1510.03850 [hep-ph]

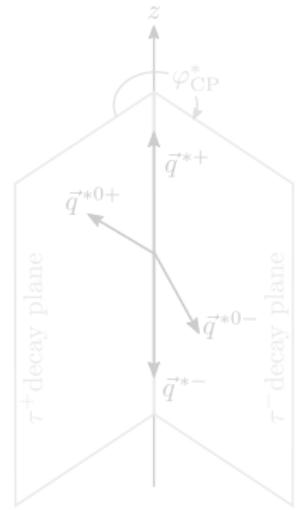
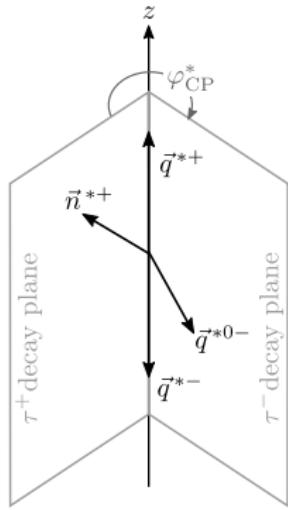


Methods of reconstructing φ_{CP}^*

impact parameter (IP) method **combined method**
arxiv:1408.0798 [hep-ph] arxiv:1510.03850 [hep-ph]

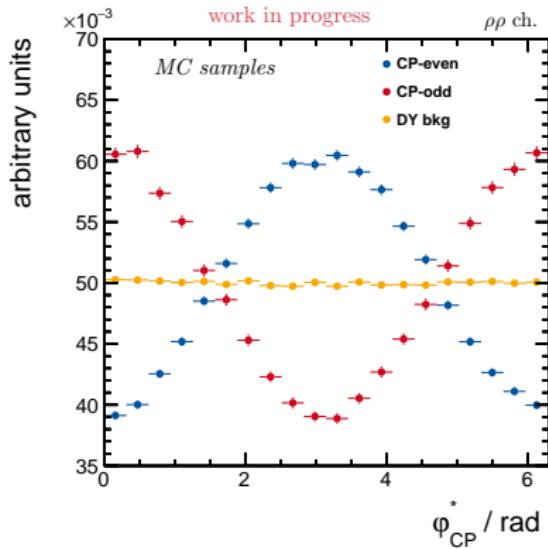


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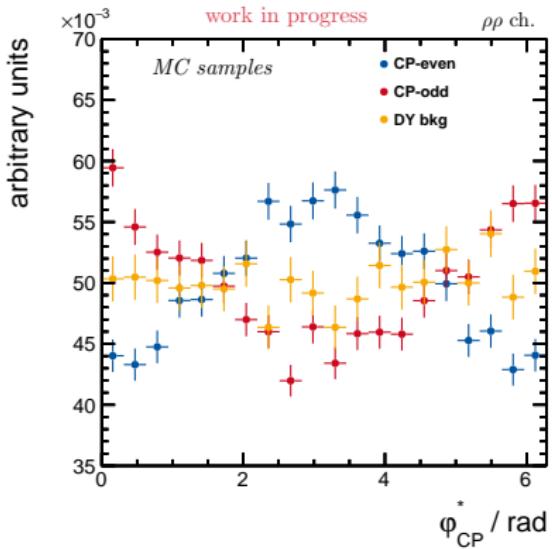


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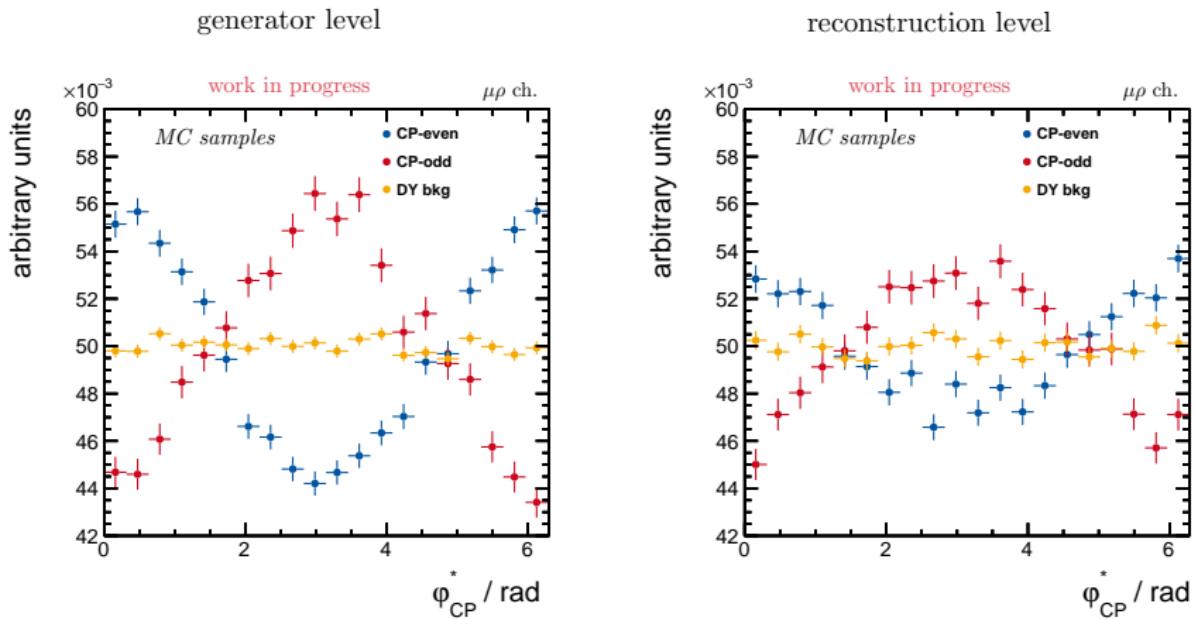
generator level



reconstruction level



Combined method



Sensitivity

- SM $H \rightarrow \tau\tau$ selection: CMS-HIG-16-043

$e\tau_h, \mu\tau_h, \tau_h\tau_h$

Inherited systematic uncertainties

No shape uncertainties

- Example with ρ -decay plane + combined methods

Categories: $N_{\text{jets}} = \{0, 1, 2\}$, $m_{\text{sv}} > 100 \text{ GeV}$

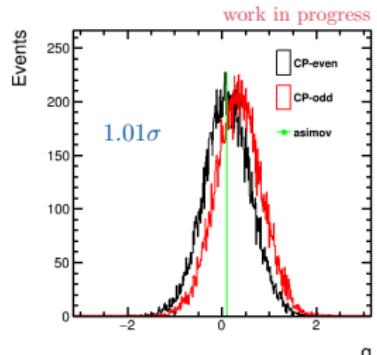
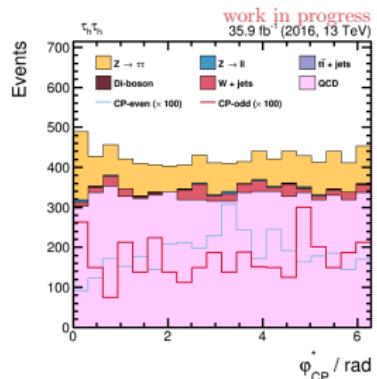
- Categorization still work in progress:

$N_{\text{jets}} = \{0, 1, 2\}$

$m_{\text{sv}} < 100 \text{ GeV}$

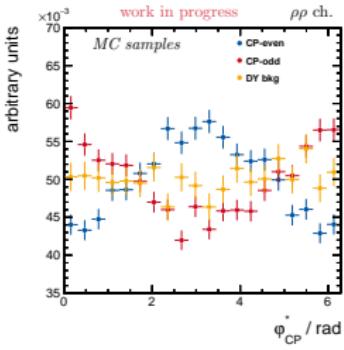
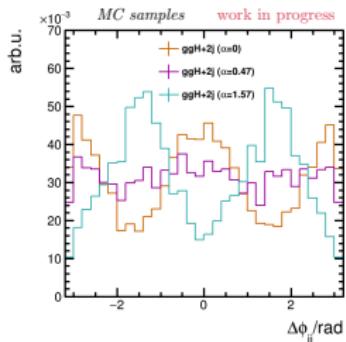
$m_{\text{sv}} > 100 \text{ GeV}$

Test statistic with Asimov datasets
($L = 35.9 \text{ fb}^{-1}$)



Summary

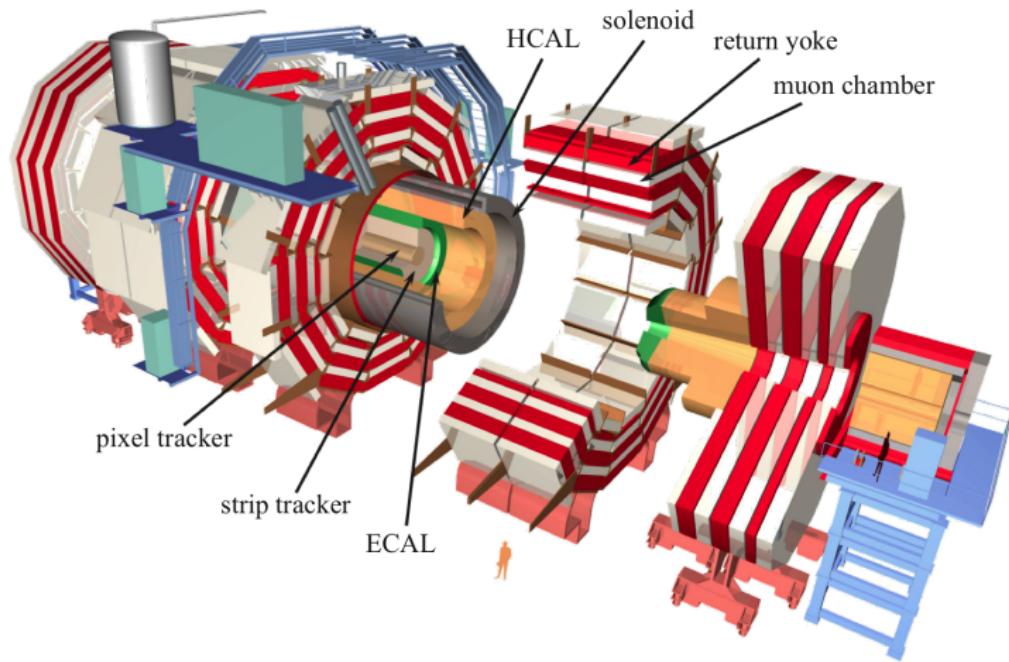
- Production mode strategy
 - Possibility to set limits in the near future
- Decay mode strategy
 - Less sensitivity
 - Best with ρ -decay plane and combined methods
 - Attempts to improve sensitivity of the IP method (e.g. primary vertex refitting)
 - Expected improvements of the IP method with new pixel detector
- Tools and analysis ready to be used in data



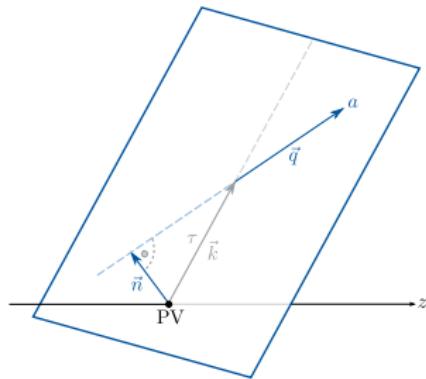
Thanks for your attention!

Backup slides

CMS detector



IP method

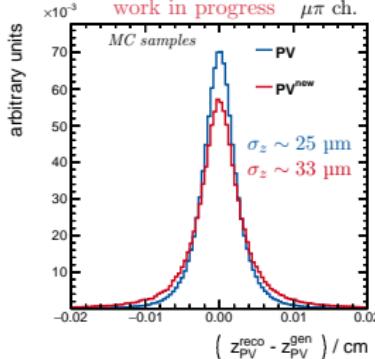
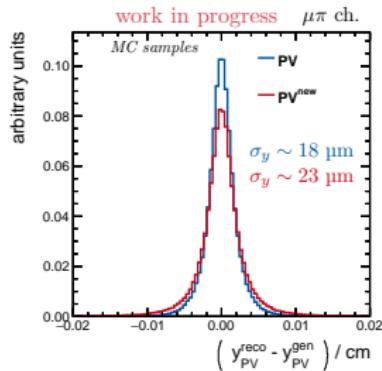
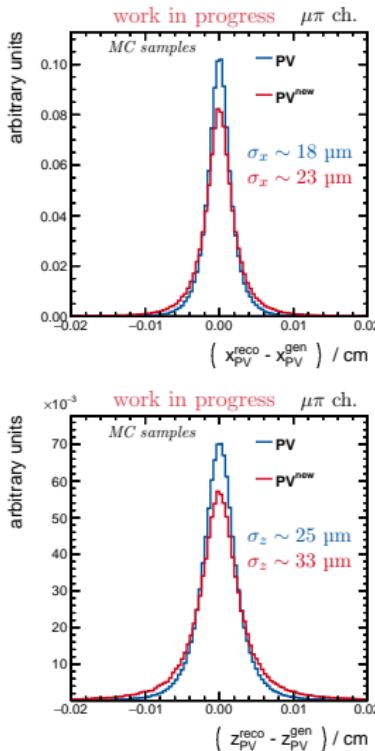
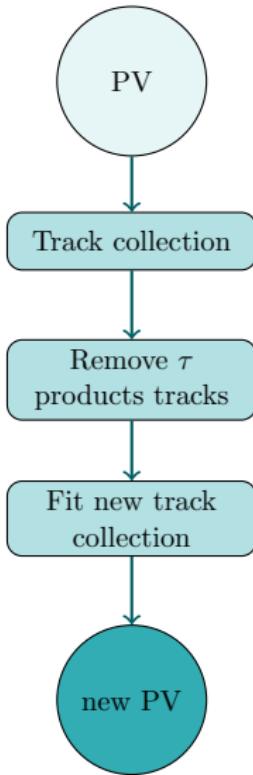


- Momenta and IP vectors of the τ daughters
- Boost into the ZMF of the τ daughters
- Reconstruction of φ_{CP}^*

Crucial points for the analysis

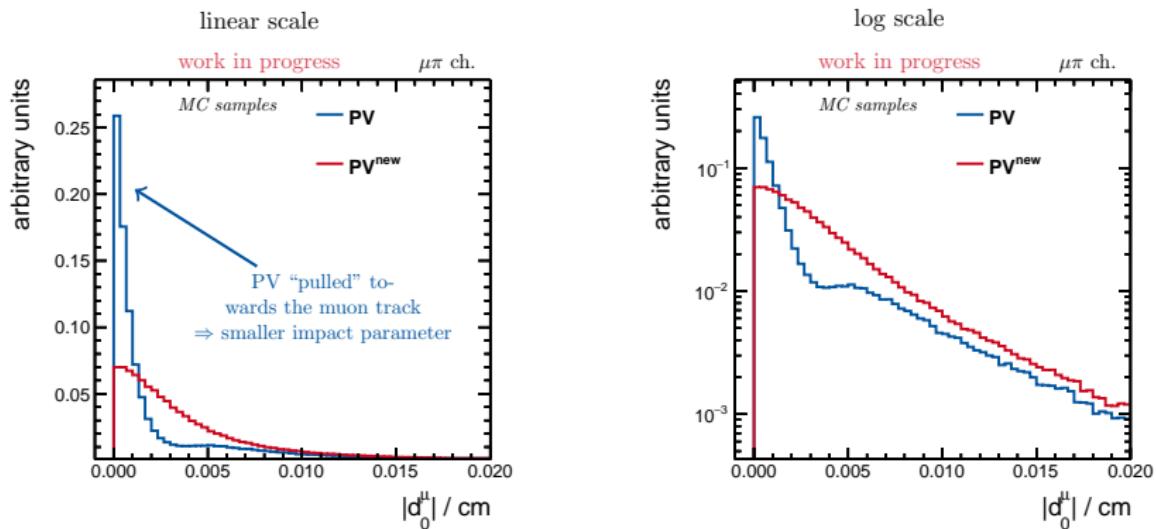
- Reconstruction of the primary vertex
- Reconstruction of the impact parameter vector

PV refitting



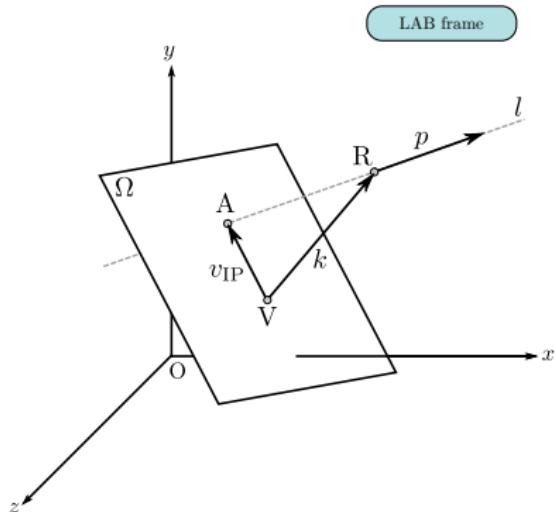
removed largest p_T tracks
⇒ worsening of resolution
(expected!)

Transverse impact parameter d_0



PV^{new} gives the right impact parameter distribution

Impact parameter vector reconstruction



\vec{p} = momentum of the τ daughter

R = reference point of the track

V = reconstructed vertex

$$\vec{k} = \vec{R} - \vec{V}$$

$$\vec{v}_{IP} = \vec{A} - \vec{V}$$

$$A = \ell \wedge \Omega$$

$$\text{with } \ell : x \mapsto \vec{x} = \vec{R} + a \vec{p}$$

$$\text{and } \Omega : x \mapsto \vec{p} \cdot (\vec{x} - \vec{V}) = 0$$

$$\Rightarrow \vec{v}_{IP} = \vec{k} - \frac{\vec{k} \cdot \vec{p}}{|\vec{p}|^2} \vec{p}$$

IP method

