# Protected axions in a clockwork gauge symmetry model

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based on arXiv:1804.01112 in collaboration with E. Dudas and S. Pokorski

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Mass: From the Higgs to Cosmology Cargèse, July 16th 2018

Axions: pseudo Nambu-Goldstone bosons (pNGB)

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Couplings:

$$\mathcal{L} \supset \frac{g_{a\gamma\gamma}}{f_a} a F_{\mu\nu} \tilde{F}^{\mu\nu} + \frac{g_{aNN}}{f_a} \partial_{\mu} a \overline{N} \gamma^{\mu} \gamma^5 N + \dots$$

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(Ex of UV origin: 
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## Axions: pseudo Nambu-Goldstone bosons (pNGB)

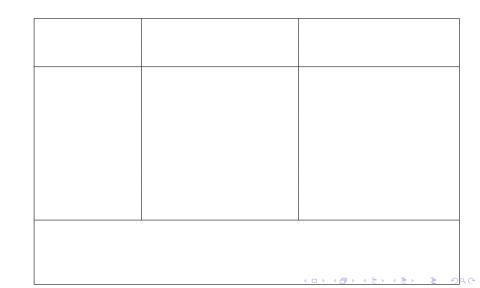
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## Two examples:

- QCD axion:  $f_a \sim 10^{9,12} \text{ GeV}, m_a \sim 10^{-2,-5} \text{ eV}$
- ULA:  $f_a \sim 10^{17} \text{ GeV}, m_a \sim 10^{-21,-22} \text{ eV}$



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| Protection | Effective decay constant |  |
|------------|--------------------------|--|
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|            |                          |  |

| Protection | Effective decay constant | 5d perspective |
|------------|--------------------------|----------------|
|            |                          |                |
|            |                          |                |
|            |                          |                |
|            |                          |                |

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|---------------------------|--------------------------|----------------|
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|                           | ,                        | ,              |

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|   |                          | _              |

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|   |                          |                   |

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|   |                          |   |

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|---|--|--|
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|---|------------|---|------------------------------------|
| Clockwork models: $\frac{g_{a\gamma\gamma}}{f_a} = \frac{1}{q^N f}$   | breaking   | $\mathcal{L} \supset \frac{g_{a\gamma\gamma}}{f_a} a F_{\mu\nu} \tilde{F}^{\mu\nu} + \dots$ Clockwork models: $\frac{g_{a\gamma\gamma}}{f_a} = \frac{1}{q^N f}$ | $\rightarrow$ suppressed non-local |

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Protect an axion from a (latticized) 5d vector on a linear dilaton background, and study its phenomenology

$$\frac{\phi_0}{(-q)}\underbrace{U(1)_1}\underbrace{\phi_1}\underbrace{U(1)_2}\underbrace{(1,-q)}\underbrace{U(1)_3}\underbrace{U(1)_3}\underbrace{------\underbrace{U(1)_{N-1}}}\underbrace{(1,-q)}\underbrace{U(1)_N}\underbrace{U(1)_N}\underbrace{U(1)$$

Ahmed & Dillon (2017), Coy Frigerio & Ibe (2017), Choi Im & Shin (2017)

$$\frac{\phi_0}{(-q)} \underbrace{U(1)_1}_{(1,-q)} \underbrace{\phi_1}_{(1,-q)} \underbrace{U(1)_2}_{(1,-q)} \underbrace{U(1)_3}_{(1,-q)} - - - - \underbrace{U(1)_{N-1}}_{(1,-q)} \underbrace{\phi_{N-1}}_{(1,-q)} \underbrace{U(1)_N}_{(1)} \underbrace{\phi_N}_{(1,-q)} \underbrace{U(1)_N}_{(1,-q)} \underbrace{\psi_N}_{(1,-q)} \underbrace{\psi_N}_{(1,-$$

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Use of the profile: no for the gauge field coupling  $aF\tilde{F}$ 

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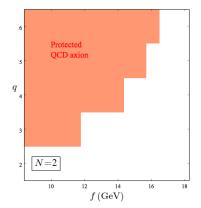
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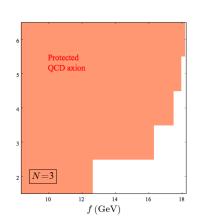
Use of the profile: no for the gauge field coupling  $aF\tilde{F}$ , yes for the spin coupling  $\partial a\overline{\psi}\gamma\gamma_5\psi$ 

Thank you!

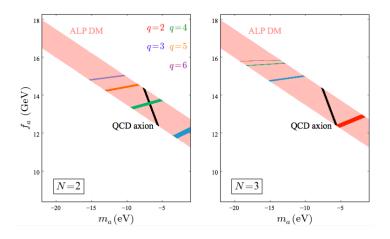
$$\theta_{\rm QCD} < 10^{-10} \text{ if:}$$

$$\left[ m_a^{\rm (QCD)} \sim \frac{m_\pi f_\pi}{2f_a} \right] > 10^5 \left[ m_a^{\rm (grav)} \sim \left( \frac{f}{M_P} \right)^{\frac{q+\ldots+q^N-1}{2}} \frac{f}{f_a} M_P \right]$$

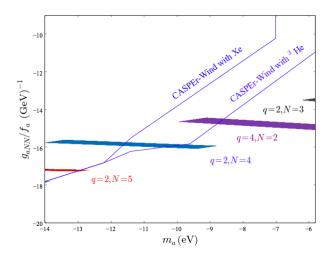




## $\Omega_a h^2 = 0.12$ when:



## **Detection of spin precession** (with $\frac{\partial_{\mu}a}{f_a}\overline{N}\gamma^{\mu}\gamma^5N$ ): Coupled at site N



## **Detection of spin precession** (with $\frac{\partial_{\mu}a}{f_a}\overline{N}\gamma^{\mu}\gamma^5 N$ ): Coupled at site 0

