

SVD CoG (Centre of Gravity) Updates Jitter Effects and Calibration

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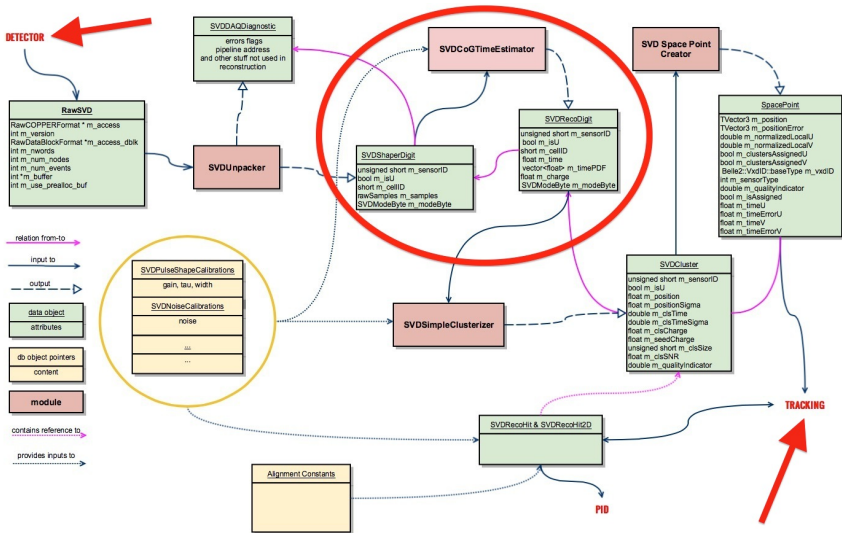
University of Pisa - INFN - Belle II

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In this talk we will see:

- Recap of CoG (definition and corrections);
- Effect of the Trigger Jitter on the CoG time distribution;
- Calibration procedure for phase 2.

SVD Reconstruction Software Organization



CoG - Centre of Gravity

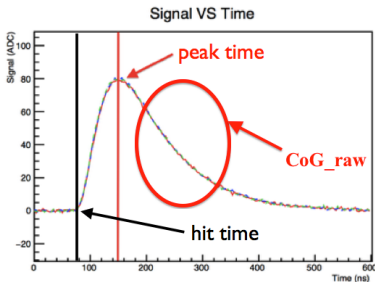
Definition

CoG is the current default option to perform time estimation (from the 6 samples of the waveform).

$$T_{CoG_{raw}} = \frac{\sum_{n=0}^5 A_n \cdot T_n}{\sum_{n=0}^5 A_n} \quad (1)$$

A_n : amplitude; T_n : time, of the n th sample.

It doesn't directly provide the hit time \Rightarrow needs some corrections.

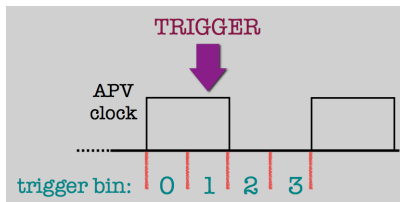


CoG - Centre of Gravity

Corrections

- 1 **Peak-Time correction:** $T_{CoG} \sim T_{peak} \neq \text{hit time } (T = 0)$: subtract rising time (from calibration);
- 2 **Trigger-Bin correction:** $f_{\text{clock trigger}} = 4 \times f_{\text{clock sampling}}$.
We save the info on the arrival time of the trigger \Rightarrow we can improve distribution resolution subtracting the following quantity:

$$T_{\text{TriggerBin}} \simeq 4 + 8 \times \text{TriggerBin}_{\text{Index}} \text{ [ns]} \quad (2)$$



- 3 **Shift-to-Zero correction:** Residual shift to move the mean of the distribution to 0.

The last correction must be **calibrated!**

Trigger Jitter

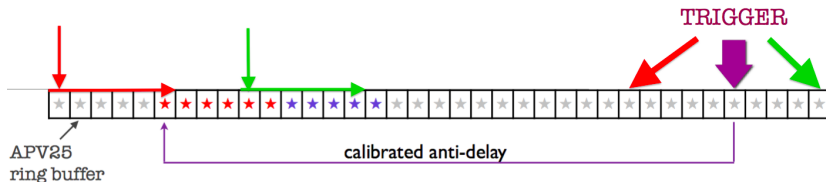
The **Trigger** tells us when the event has happened.

This information has an uncertainty: **Trigger Jitter (TJ)**.

If TJ is large:

- Bad starting time of the sampling \Rightarrow we could lose meaningful bins (the ones containing the peak of the waveform);
- Trigger Bin (TB) information could be meaningless \Rightarrow TB-correction would be useless.

Expected TJ in Phase 2: ~ 40 ns.



Is it worth to include the TB-correction if TJ is "too" large?
Problem studied with 5000 Υ (4S) events, no bkg, phase 3 simulation, release 1.00, using Trigger module.

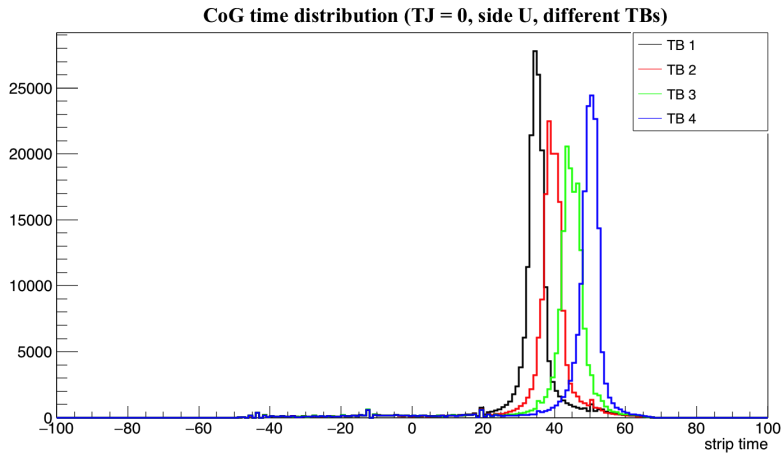
We will see the CoG time distribution for:

- Different TJs (0, 5, 10, 20, 40, 60 ns);
- Different TBs (1, 2, 3, 4);
- Only Peak-Time correction and both Peak-Time and TB corrections applied.

(N.B.: all the times are in ns)

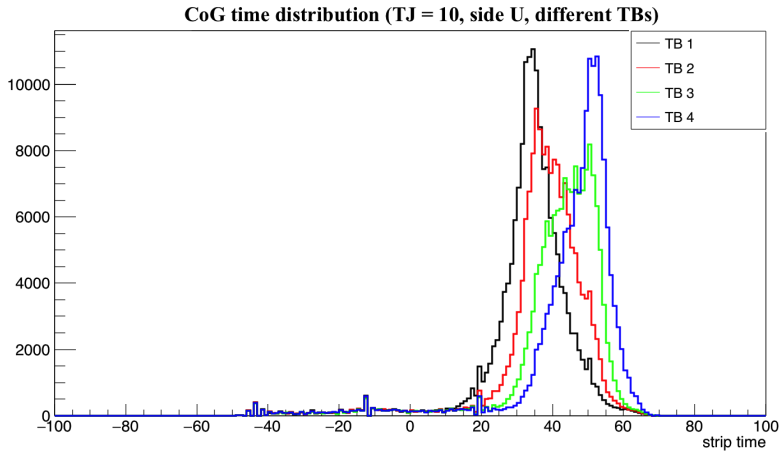
Peak-Time Correction Applied

$TJ = 0$



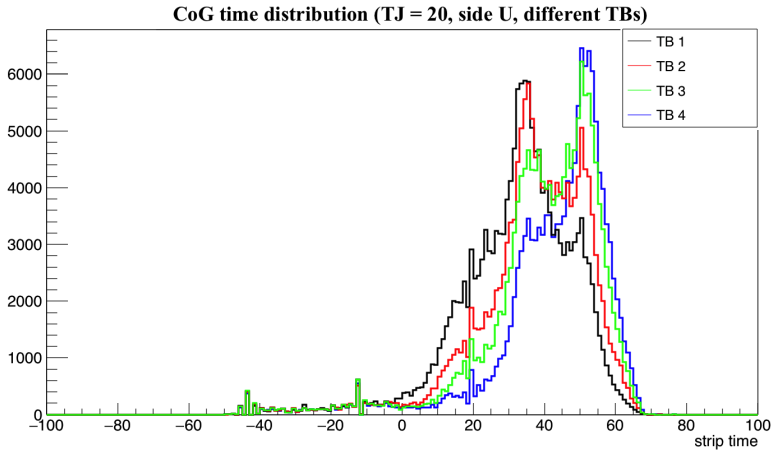
Peak-Time Correction Applied

TJ = 10



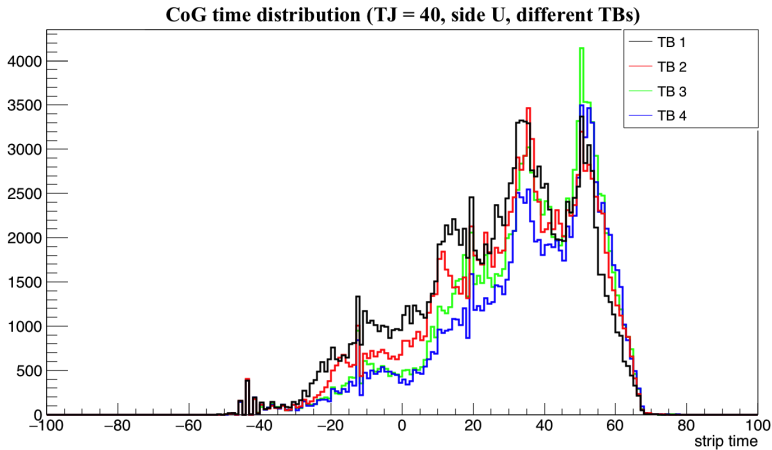
Peak-Time Correction Applied

TJ = 20



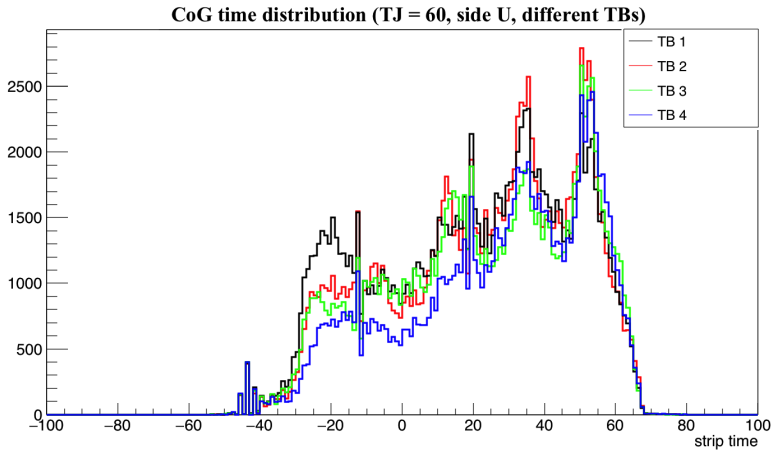
Peak-Time Correction Applied

TJ = 40



Peak-Time Correction Applied

TJ = 60



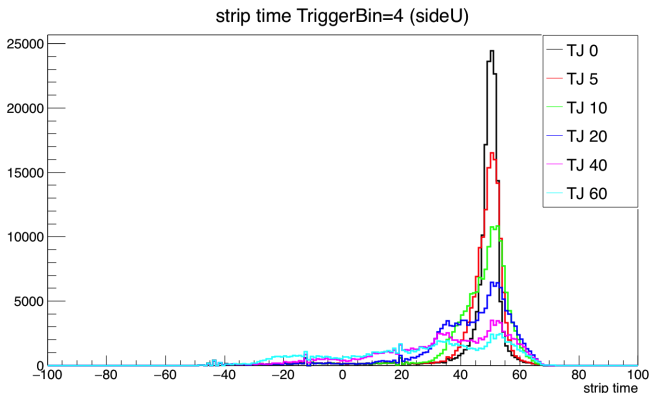
Peak-Time Correction Applied

Summary

As we can see, the distributions for different TJs tend to become very similar, and largely overlap, for $TJ \gtrsim 20$ ns.

The situation for the V side is basically the same.

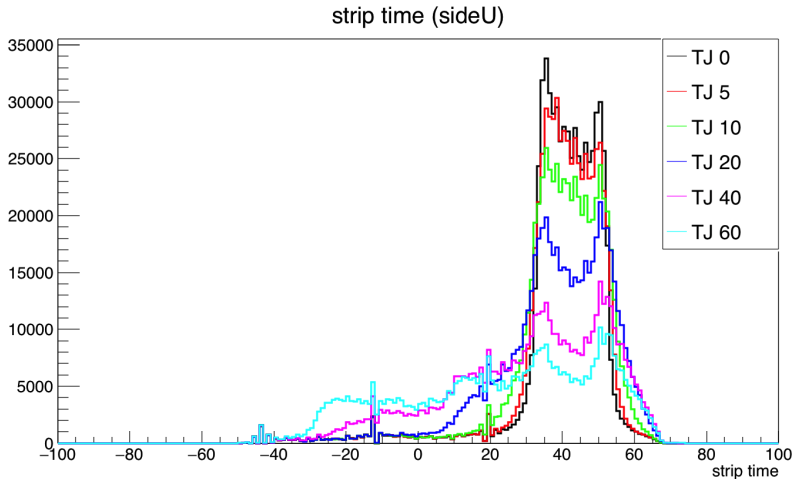
Here an example for one particular TB, showing the differences for the various TJs.



Peak-Time Correction Applied

Overall CoG distribution

Finally the effect of TJ on the overall distribution (regardless TB):



Applying TB correction \Rightarrow every TB-related time distribution is shifted accordingly to:

$$T_{TriggerBin} \simeq 4 + 8 \times TriggerBin_{Index} \text{ [ns]} \quad (3)$$

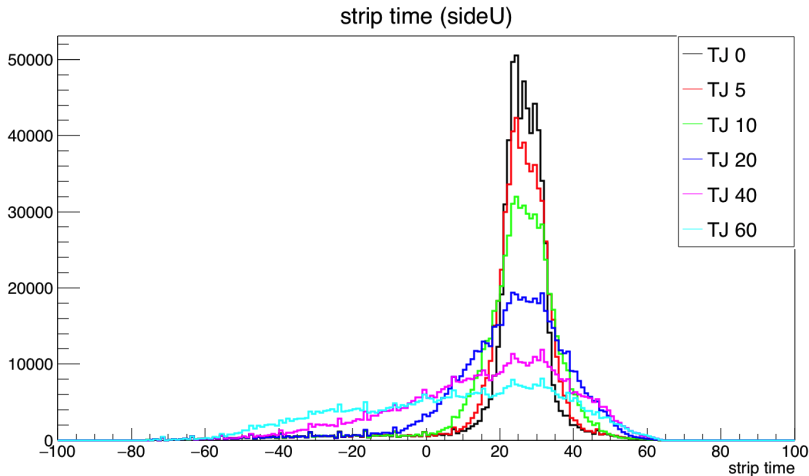
So we will not go into the details for each of them (plots in the Backup).

We want instead to perform a comparison between the two possibilities: applying **or not** applying also the TB correction.

Peak-Time and TB Corrections Applied

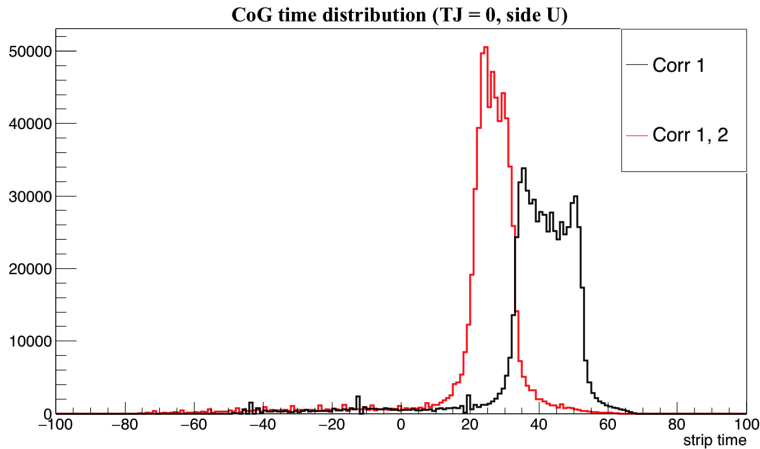
Overall CoG distribution

The effect of TJ on the overall distribution (regardless TB):



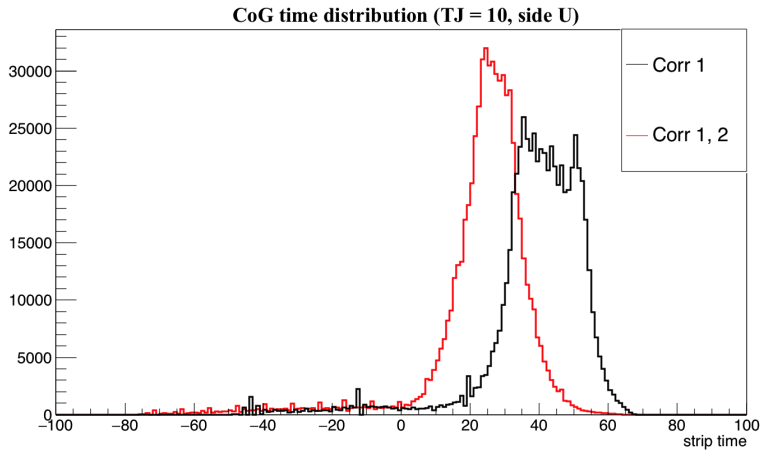
Peak-Time Correction vs Peak-Time & TB Corrections

TJ = 0



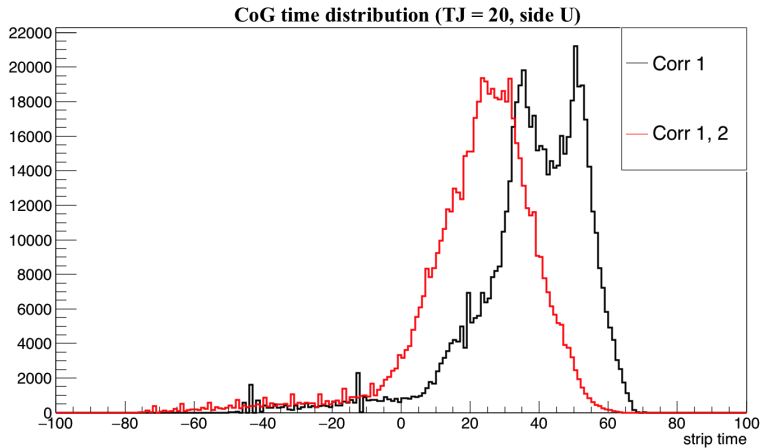
Peak-Time Correction vs Peak-Time & TB Corrections

TJ = 10



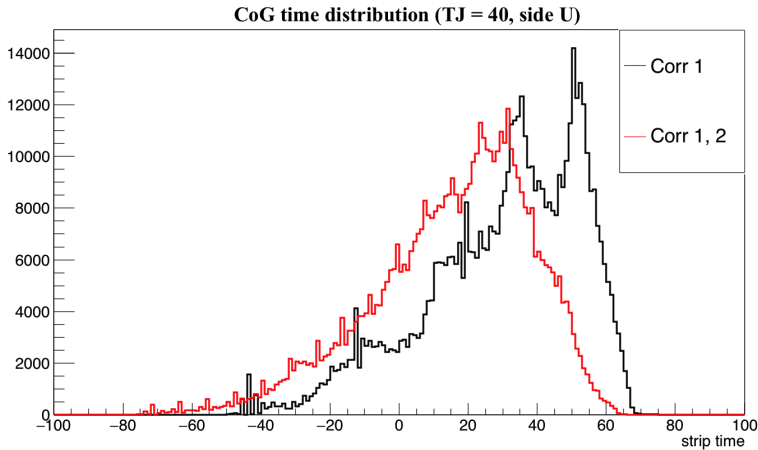
Peak-Time Correction vs Peak-Time & TB Corrections

TJ = 20



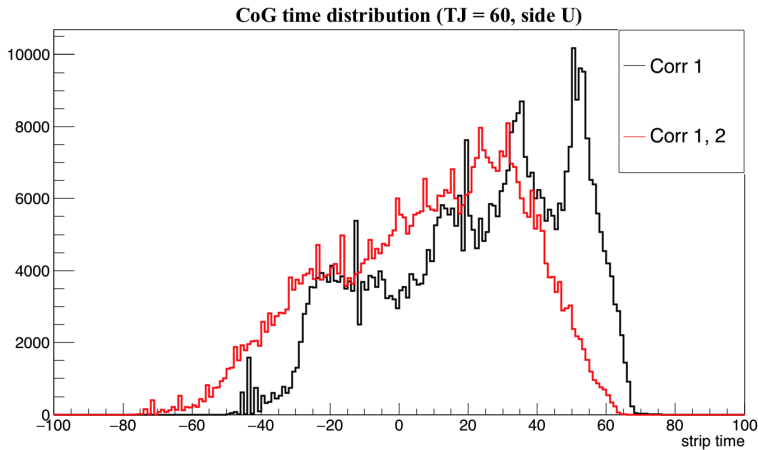
Peak-Time Correction vs Peak-Time & TB Corrections

TJ = 40



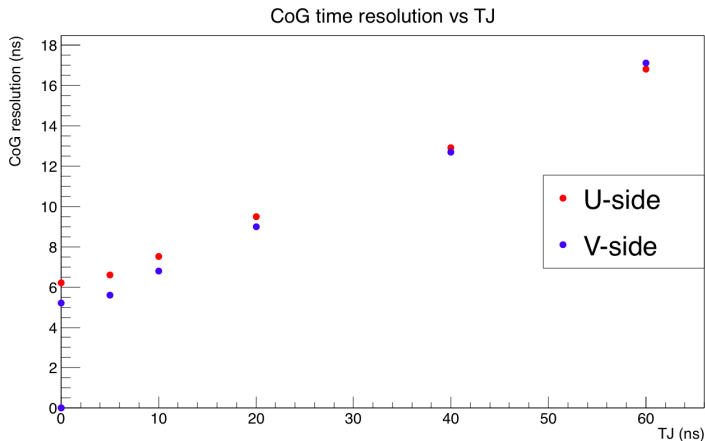
Peak-Time Correction vs Peak-Time & TB Corrections

TJ = 60



Peak-Time & TB Corrections - Resolution

Resolution (width of the distribution of $T_{CoG} - T_{true}$) for different TJ, both Peak-Time and TB corrections applied.



Calibration procedure for Shift-to-Zero correction

First of all, it is necessary to decide if we want to include:

- Only Peak-Time correction (more straightforward);
- Also TB correction (better precision for at least low TJ values, smoother structure even at higher TJ).

This decision reflects on a **parameter** of the module appointed to perform the CoG calibration.

After that, it is mainly a **3-steps procedure**.

Calibration Procedure

Step 1

Step 1

Process data and create root file and local database.

- Choose if you want to use only Peak-Time correction or TB correction too;
- Set the corresponding parameter in the calibrator module;
- Run it over the selected dataset (it is possible to run also on simulation);
- A root file (containing CoG time distribution for different subset of sensors) and a local database are created.

Step 2

Check if everything is fine.

- Run dedicated macro;
- The macro overlays the histograms coming from different sensor to help check if anything wrong is going on;
- If everything is ok, let's go to the next step, otherwise need to revise calibration.

Step 3

Upload database.

- Local database was created at the end of Step 1;
- If nothing wrong appeared from Step 2, it's time to upload the obtained calibration constants to the global DB.

Let's avoid *nan*

Stability of CoG has been augmented purging out possible sources of crashes: implemented check for possible division by 0 (zero). If a division by 0 is going to happen, the CoG skip that strip *without* stopping.

What is to be decided and done?

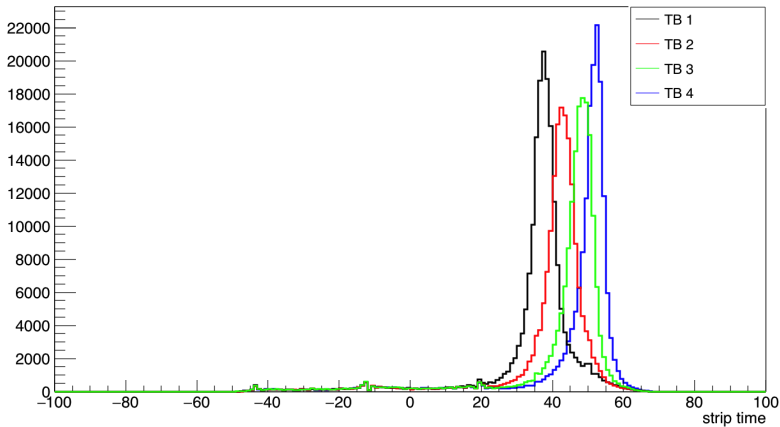
- Decide if using also Trigger-Bin correction or not (maybe now?);
- Study left tail in strip time distribution;
- Study if correlation between amplitude of different samples can be useful;
- These studies can serve both to improve CoG performances and to validate simulation;
- Also, we have seen CoG on Test Beam data; phase 2 data will allow us to check how CoG will actually behave;
- Suggestions?

Backup slides

Peak-Time Correction Applied

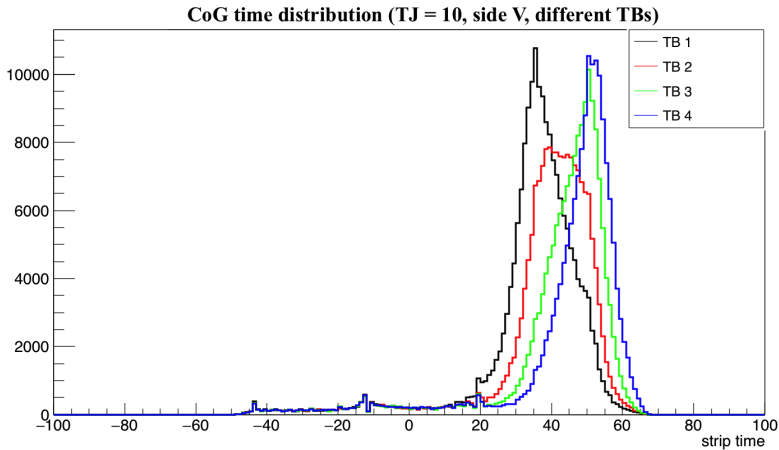
$TJ = 0$

CoG time distribution ($TJ = 0$, side V, different TBs)



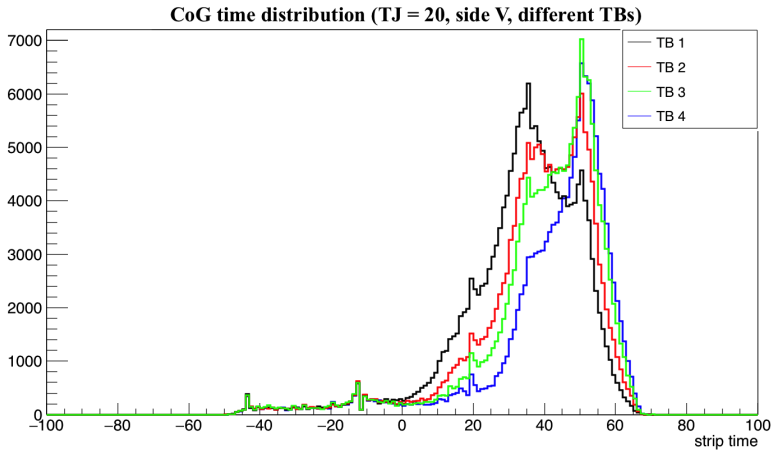
Peak-Time Correction Applied

TJ = 10



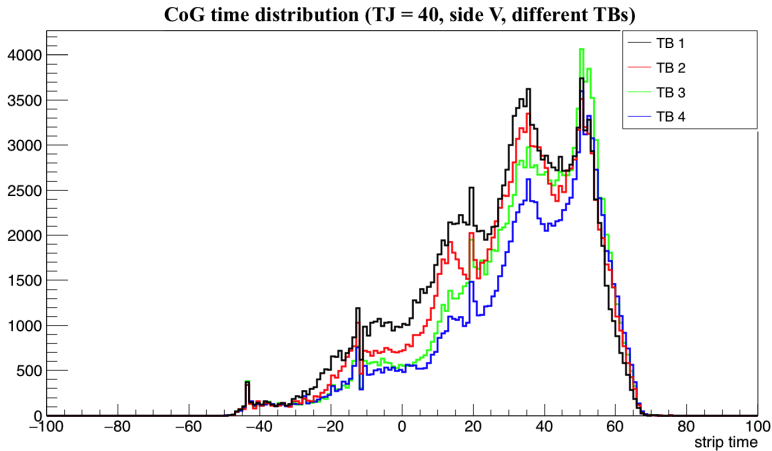
Peak-Time Correction Applied

TJ = 20



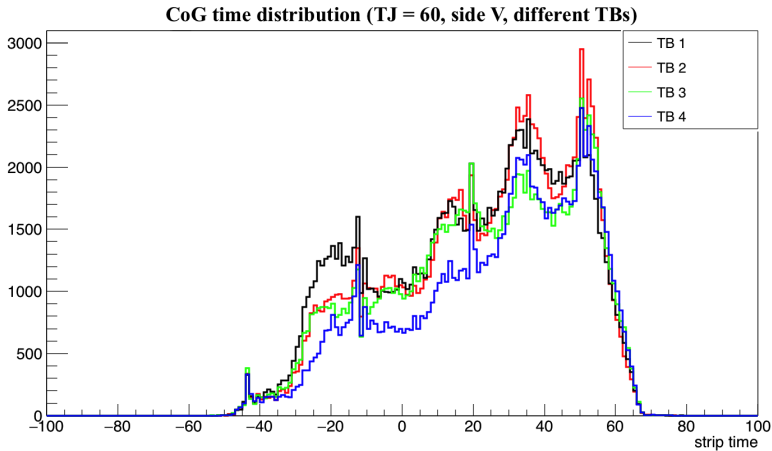
Peak-Time Correction Applied

TJ = 40



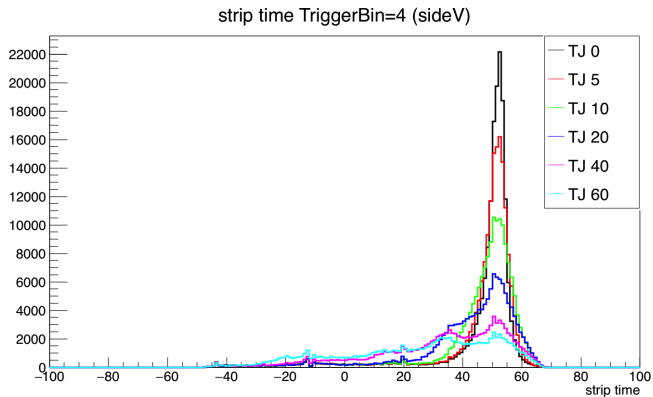
Peak-Time Correction Applied

TJ = 60



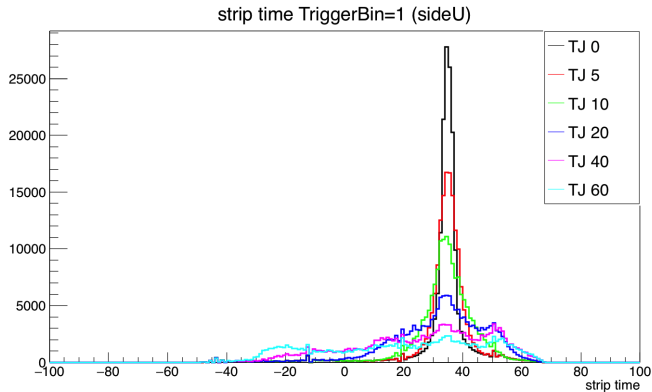
Peak-Time Correction Applied

TB4, all TJs



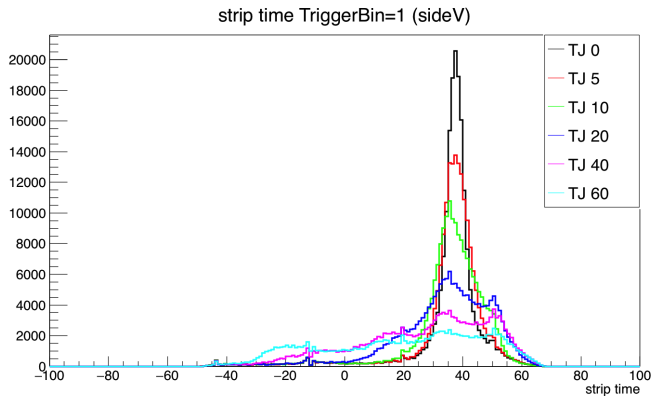
Peak-Time Correction Applied

TB1, all TJs



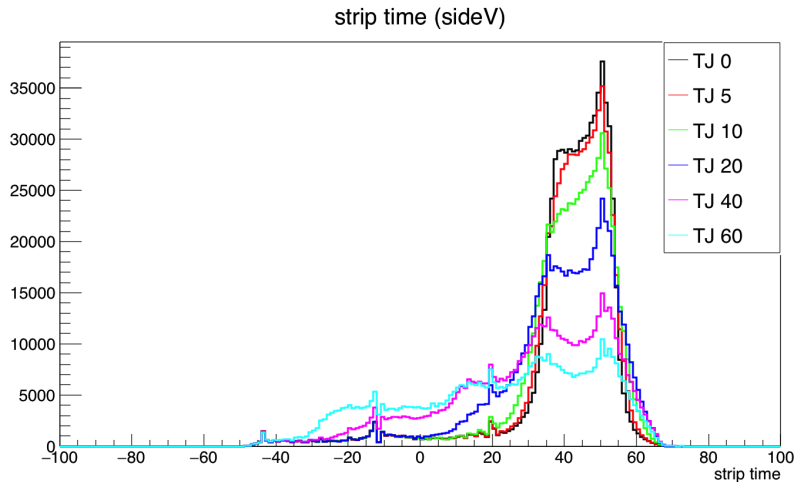
Peak-Time Correction Applied

TB1, all TJs



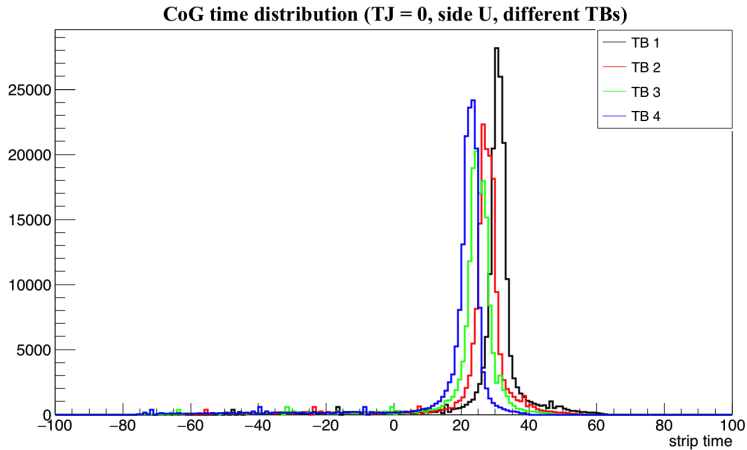
Peak-Time Correction Applied

Overall CoG distribution



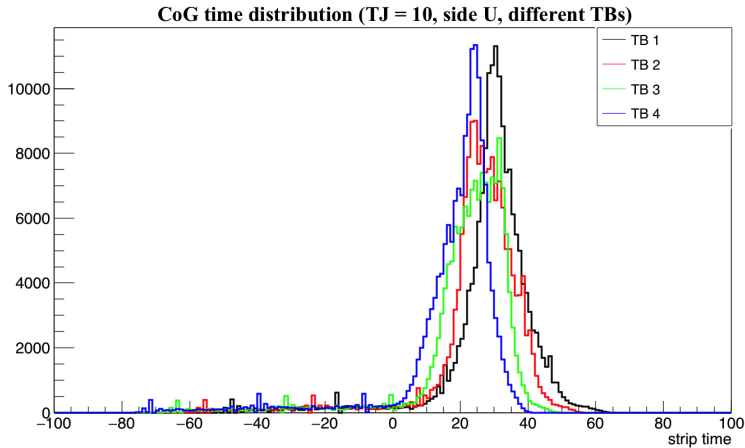
Peak-Time & TB Corrections Applied

$TJ = 0$



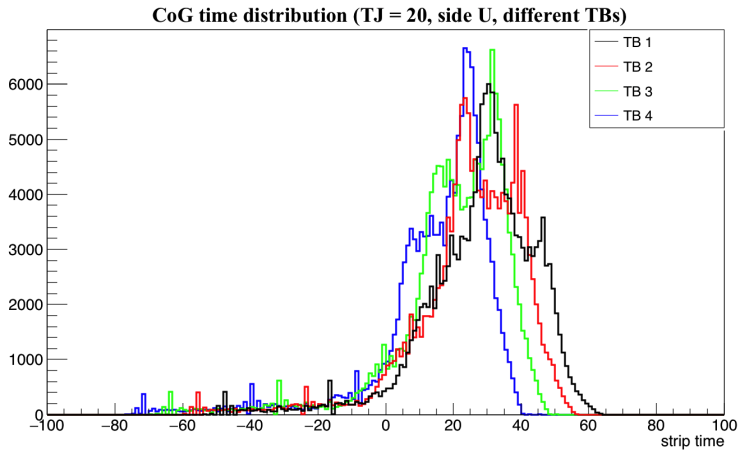
Peak-Time & TB Corrections Applied

$TJ = 10$



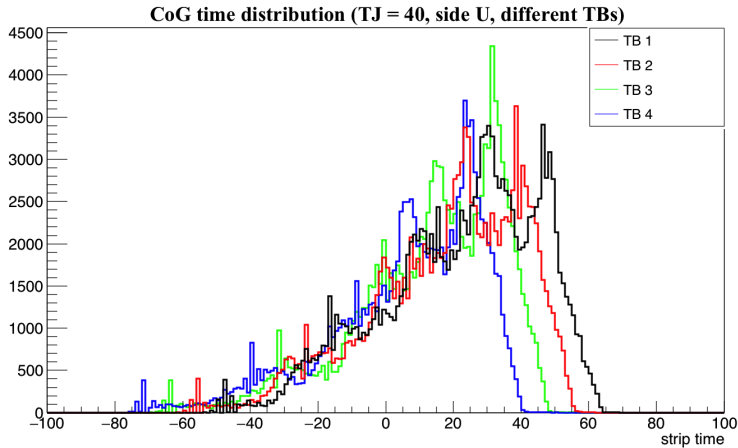
Peak-Time & TB Corrections Applied

TJ = 20



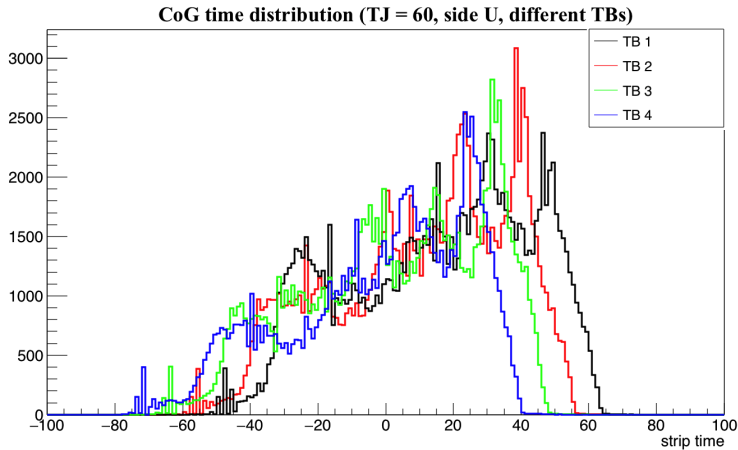
Peak-Time & TB Corrections Applied

TJ = 40



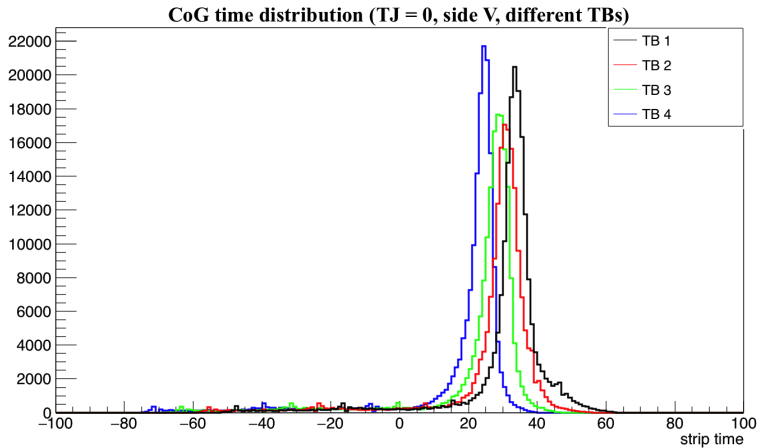
Peak-Time & TB Corrections Applied

TJ = 60



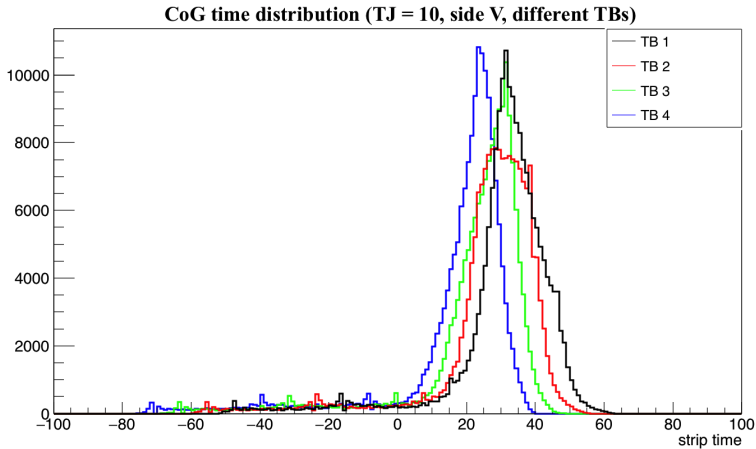
Peak-Time correction&2 Applied

TJ = 0



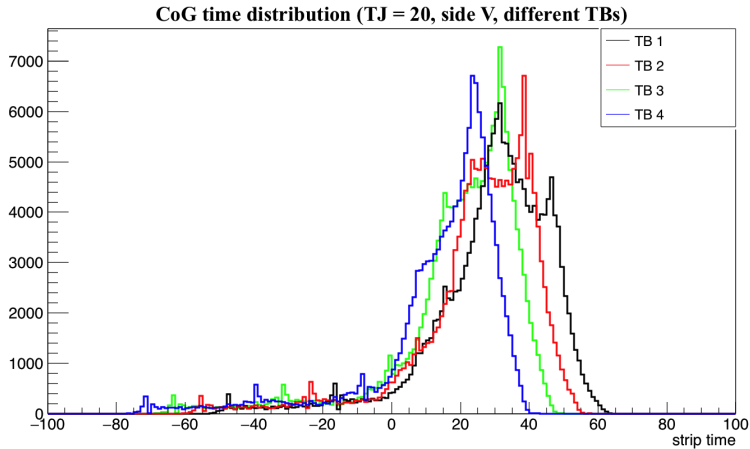
Peak-Time & TB Corrections Applied

TJ = 10



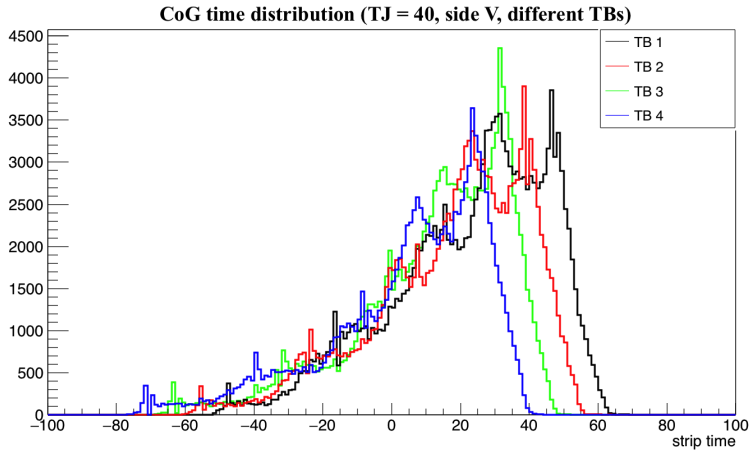
Peak-Time & TB Corrections Applied

TJ = 20



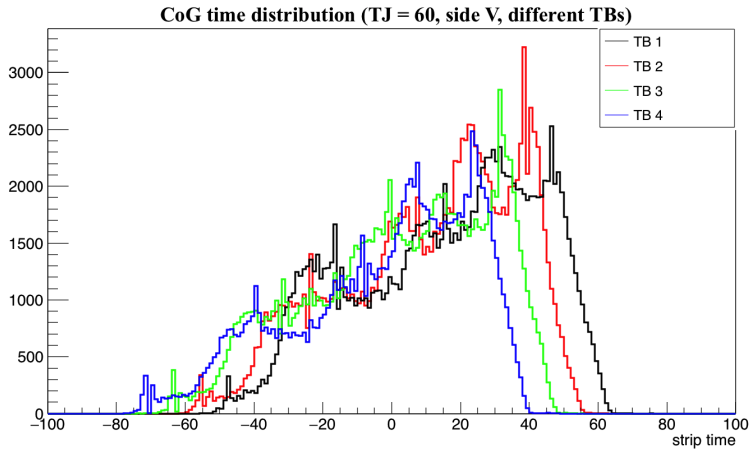
Peak-Time & TB Corrections Applied

TJ = 40



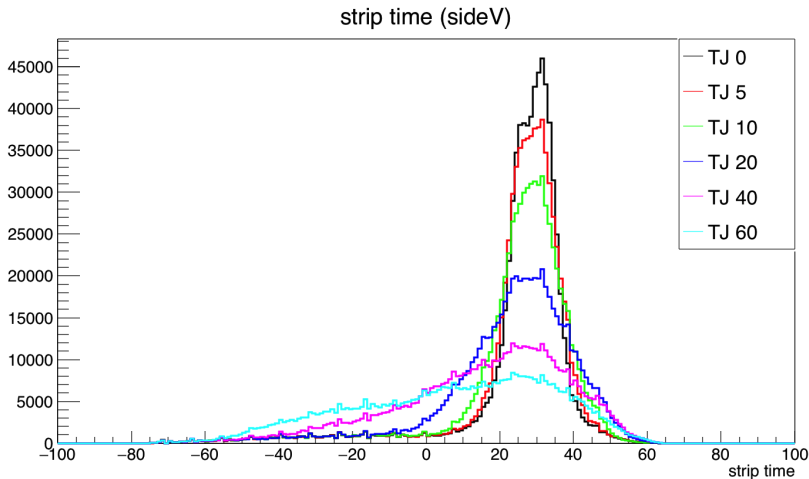
Peak-Time & TB Corrections Applied

TJ = 60



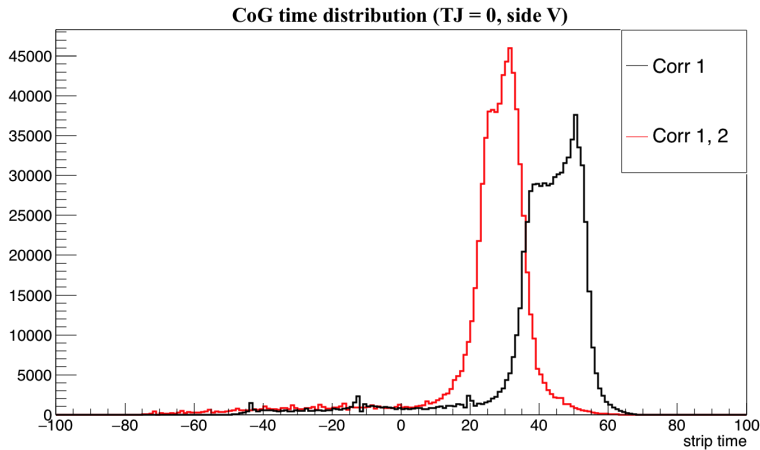
Peak-Time & TB Corrections Applied

Overall CoG distribution



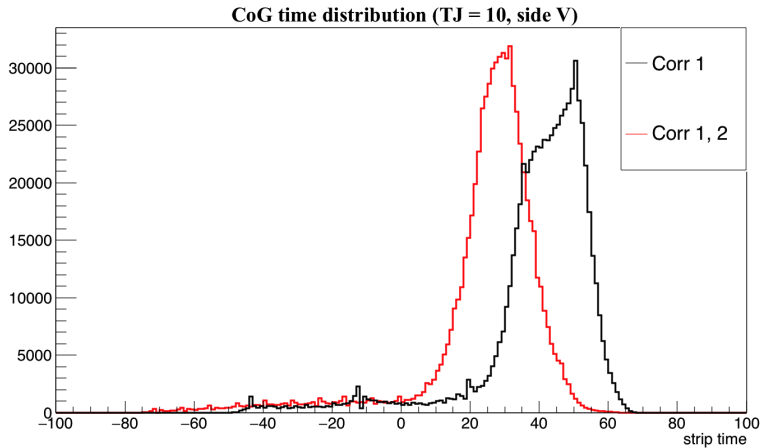
Peak-Time Correction vs Peak-Time & TB Corrections

TJ = 0



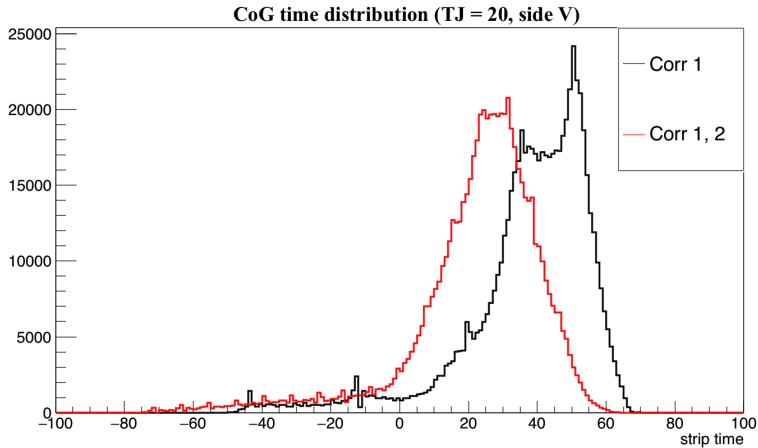
Peak-Time Correction vs Peak-Time & TB Corrections

TJ = 10



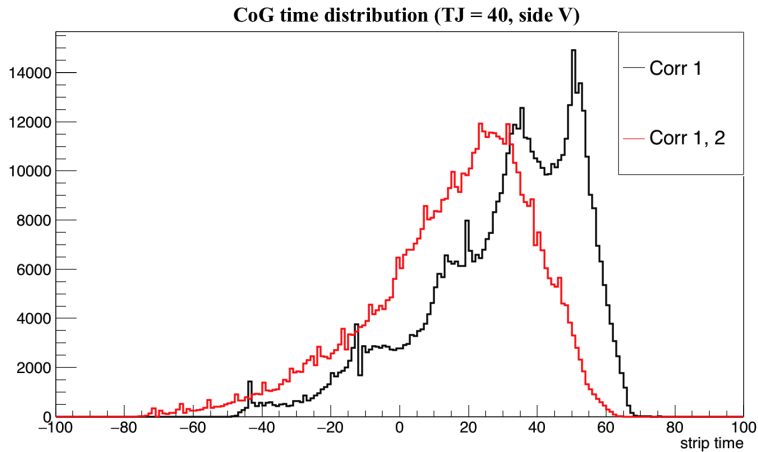
Peak-Time Correction vs Peak-Time & TB Corrections

TJ = 20



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Peak-Time Correction vs Peak-Time & TB Corrections

TJ = 60

