

# Search for collective effects in electron-proton collisions with ZEUS

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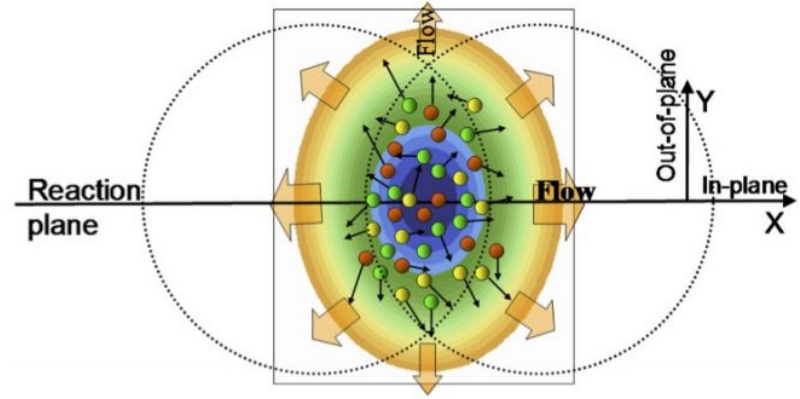
# Collectivity and related anisotropy in heavy ion collisions

Response of matter produced in the heavy ion collision to the geometry of the initial state.

Produced particles receive a stronger boost along the short axis of the geometry wrt to the long axis (see ellipse on the right)

The amplitude ( $v_n$ ) of the resulting anisotropy is quantified with a Fourier decomposition:

$$\frac{dN}{d(\varphi - \Psi_R)} = \frac{N_0}{2\pi} \left( 1 + 2 \sum_n v_n \cos[n(\varphi - \Psi_R)] \right)$$



# Analysis techniques

In this presentation, we focus on the measurement of 2-particle correlations:

$$c_n\{2\} = \langle\langle 2 \rangle\rangle \equiv \left\langle\left\langle e^{in(\phi_1 - \phi_2)} \right\rangle\right\rangle \qquad v_n\{2\} = \sqrt{c_n\{2\}}$$

The inner brackets denote the average in a single event, the outer brackets the average over all events.

The correlation will be studied as a function of event multiplicity, separation of tracks in pseudorapidity, and as a function of transverse momentum.

# Different mechanisms resulting in 2-particle correlations

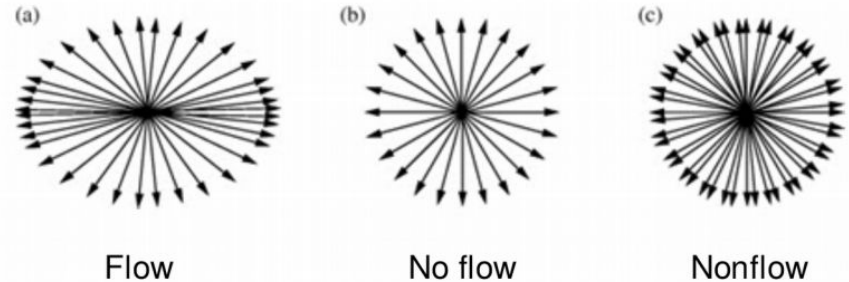
Multiple mechanisms contribute to (multi)particle correlations, from the initial state to response to the initial geometry.

Correlations contain flow, flow fluctuations and nonflow.

$$\langle\langle e^{in(\phi_a - \phi_b)} \rangle\rangle = \langle v_n^2 \rangle + \delta_n$$

Flow fluctuations:  $\sigma_{vn}^2 = \langle v_n^2 \rangle - \langle v_n \rangle^2$

Nonflow:  $\delta_n$  : resonances, jets, decays,  
momentum conservation



Suppression of  $\delta_n$  (suppression of few particle correlated clusters):

- High multiplicity  $\delta_2 \sim 1/M$
- Pseudo-rapidity gap (particles from jets and decays are mostly closeby in  $\eta$ )

# Data/MC samples and tracks

$\sim 30 \cdot 10^6$  million DIS events

Efficient trigger above certain  $Q^2$  ( $\sim 5$ -10 GeV)

Tracks:

$0.1 < p_T < 5 \text{ GeV}/c$

$-1.5 < \eta < 2.0$

Monte carlo:

ari\_incl\_nc\_DIS

Ariadne\_Low\_Q2\_NC\_DIS

Lepto\_low\_Q2\_NC\_DIS

# Analysis

# Analyzed data sets (common ntuples)

	Trigger events (x10 <sup>6</sup> )	
Period	ALL (official)	DIS
03p	3.7	0.24
04p	47	4.6
05e	132	1.7
06e	44	7.0
06p	87	12
07p	41	5.4
All	355	31

DIS: Detected electron,  $Q^2 > 5 \text{ GeV}$ ,  $E_e > 10 \text{ GeV}$ ,  $47 < E-p_z < 69 \text{ GeV}$ ,  $\theta_e > 1$ ,  $e_p > 0.9$ , exclusion of some problematic detector areas

# Event selection

- DIS / PHP trigger selection
- $-30 < \text{vertex } Z < 30 \text{ cm}$
- Fraction of tracks associated to event vertex  $> 0.1$
- $N_{\text{vtx}}$  tracks  $> 0$
- Event vertex from beam spot ( $R_{xy}$ )  $< 0.5$



# Track selection

- $0.1 < p_T < 5 \text{ GeV}/c$
- $-1.5 < \eta < 2.0$
- Tracks constrained to the vertex (`orange.Trk_prim_vtx = true`)
- Exclude scattered electron (`orange.Trk_id[itrack] != orange.Sitrknr[0]`)
- $\text{Trk\_Imppar} < 1.0 \text{ cm}$

# Correcting for detector effects

Particles reconstruction efficiency as a function of  $p_T$ ,  $\eta$ ,  $\phi$ , *charge* and *event multiplicity* is considered.

Particle weights are extracted in two steps:

1.  $p_T$ - $\eta$ -*charge* efficiency is calculated by comparing generated and reconstructed yields in simulation
2.  $\phi$  weights are extracted from data, after filling  $\phi$ - $\eta$ -*charge*-*event multiplicity* maps with the weights from step 1

The product of 1. and 2. gives the track weight. Weights are calculated separately for each dataset.

The 2-particle correlation is modified to include weights:

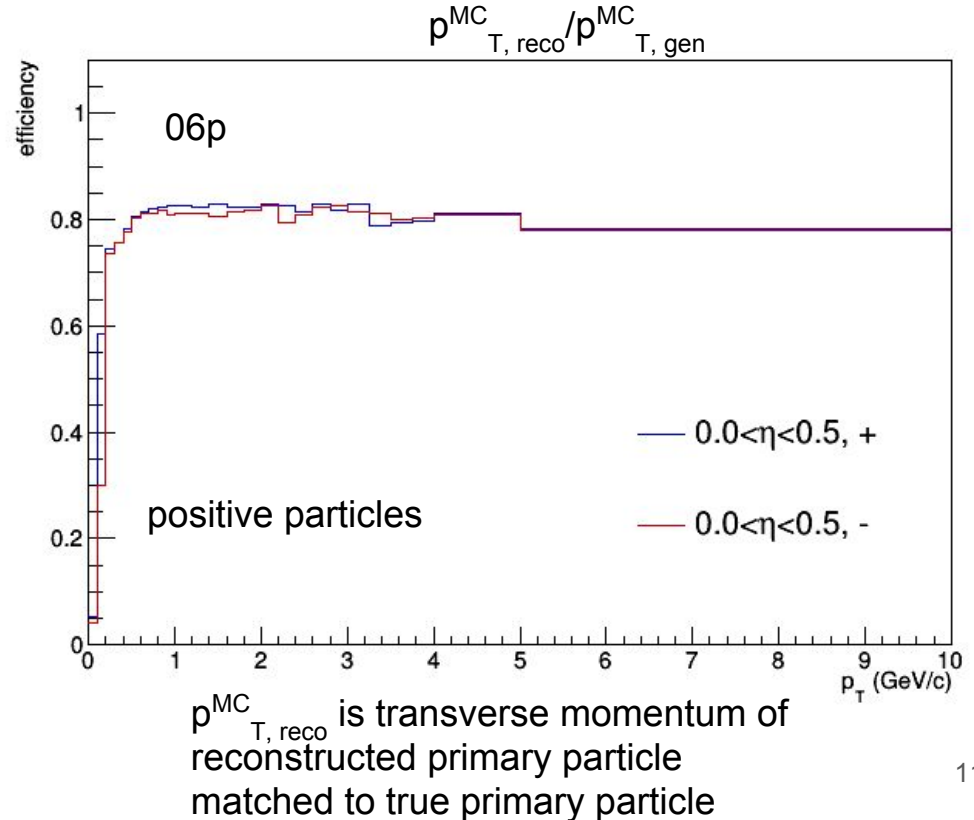
$$\langle c_n \rangle = \sum w_i w_j \cos(n\phi_i^a - n\phi_j^b) / \sum w_i w_j$$

# Determining $p_T$ - $\eta$ efficiency

## Charged primary particle:

- Charged particle with lifetime  $\tau > 1$  cm/c
- Production vertex  $< 1$ cm from event vertex (to exclude production from secondary interactions)

Specie	Width $\Gamma$ (GeV)	Mean proper lifetime $\tau$ (ps) (cm/c)	
$p^+$	0	$\infty$	$\infty$
$\gamma$	0	$\infty$	$\infty$
$K^0$	0	$\infty$	$\infty$
$e^-$	0	$\infty$	$\infty$
$n$	$7.478 \times 10^{-28}$	$8.861 \times 10^{+14}$	$2.656 \times 10^{+13}$
$\mu^-$	$2.996 \times 10^{-19}$	$2.212 \times 10^{+06}$	$6.63 \times 10^{+04}$
$K_L^0$	$1.287 \times 10^{-17}$	$5.148 \times 10^{+04}$	1543
$\pi^+$	$2.528 \times 10^{-17}$	$2.621 \times 10^{+04}$	785.7
$K^+$	$5.317 \times 10^{-17}$	$1.246 \times 10^{+04}$	373.6
$\Xi^0$	$2.27 \times 10^{-15}$	291.9	8.751
$\Lambda$	$2.501 \times 10^{-15}$	264.9	7.943
$\Xi^-$	$4.02 \times 10^{-15}$	164.8	4.941
$\Sigma^-$	$4.45 \times 10^{-15}$	148.9	4.464
$K_S^0$	$7.351 \times 10^{-15}$	90.14	2.702
$\Omega^-$	$8.071 \times 10^{-15}$	82.1	2.461
$\Sigma^+$	$8.209 \times 10^{-15}$	80.72	2.42

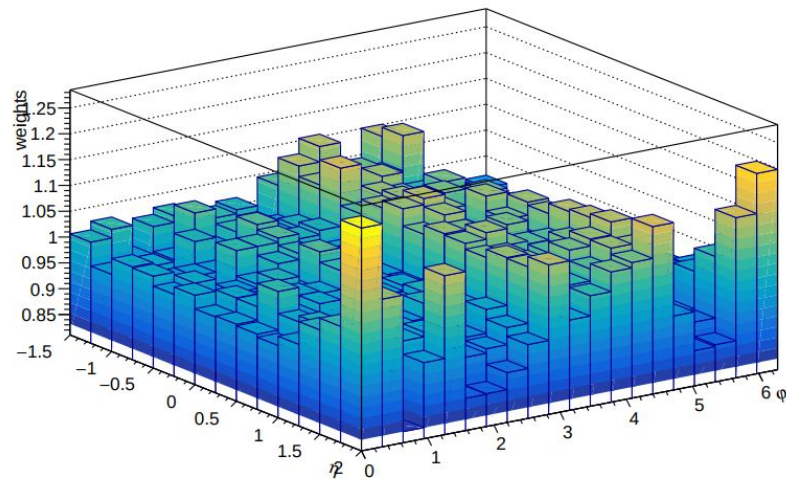


# Determining $\phi$ -weights from data

Particle yields are measured in  $\eta$ - $\phi$ -charge- $M$  bins, after weighting with acquired  $p_T$ - $\eta$ -charge weights in the previous slides.

In each  $\eta$ -charge- $M$  slice, weights are calculated to make  $\phi$  uniform while maintaining the integral in the slice.

05e, M=10, positive



# Study of systematics

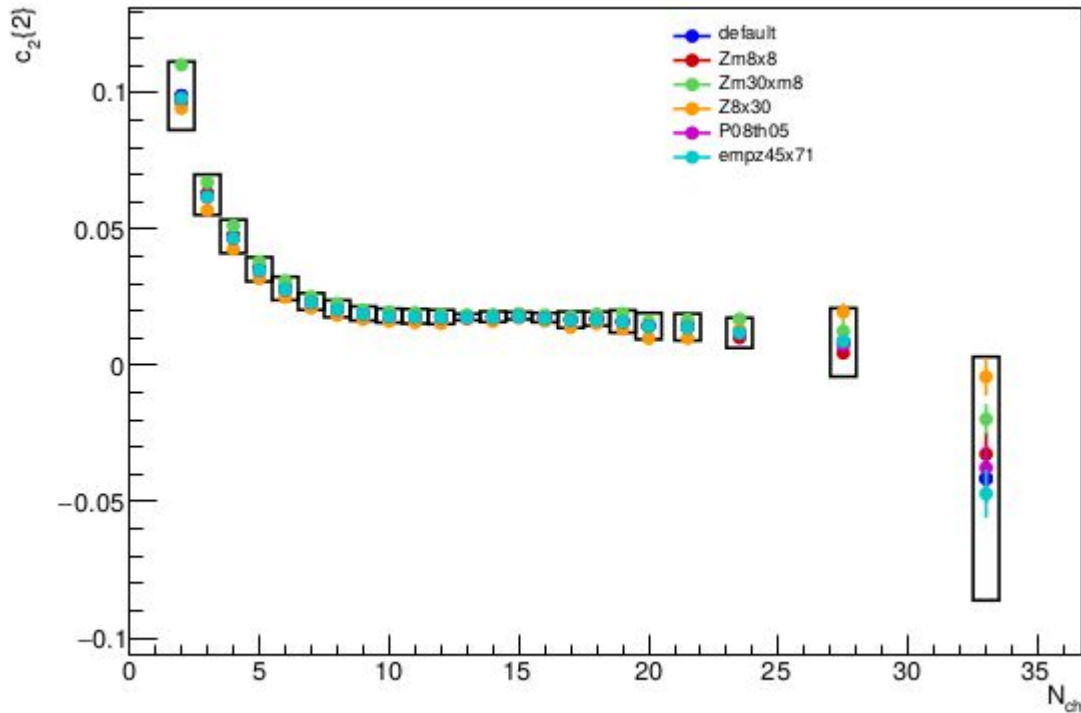
Class	Default	Variation
DIS event selection	$47 < E-p_z < 69$	$45 < E-p_z < 71$ $46 < E-p_z < 68$
	$\theta_e > 1.0$ $P_e > 0.9$	$\theta_e > 0.5$ $P_e > 0.8$
	$E_e > 10$	$E_e > 9$ $E_e > 11$
	Chimney cut, radius cut, CAL crack cut	
Event quality selection	$-30 < Z_{\text{vtx}} < 30$ cm	$-30 < Z_{\text{vtx}} < -8$ cm $-8 < Z_{\text{vtx}} < 8$ cm $8 < Z_{\text{vtx}} < 30$ cm
	Fraction of tracks constrained to vertex = 0.1	0.2
	$R_{\text{vtx}} < 0.5$ cm	$R_{\text{vtx}} < 0.7$
Track selection	Impact parameter < 1.0 cm	$p_T$ dependent
Corrections	Particle weights with ari_incl_nc_DIS_lowQ2	Other MC samples

# Systematic error calculation

Of the so far explored variations, the event Z vertex gives the largest deviations.

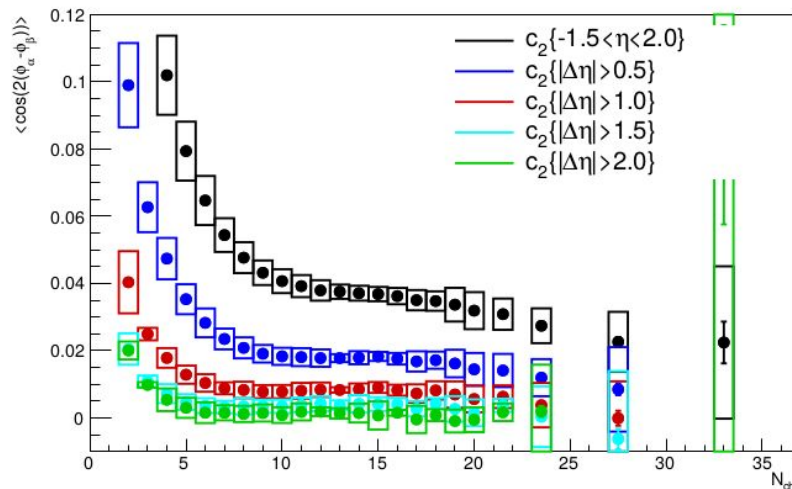
For variations for which we cannot account/correct and as long as they are within acceptable limits, the deviations are added in quadrature.

$c_2\{2\} \{\Delta\eta>0.5\}$  vs  $N_{ch}$



Aim for preliminary

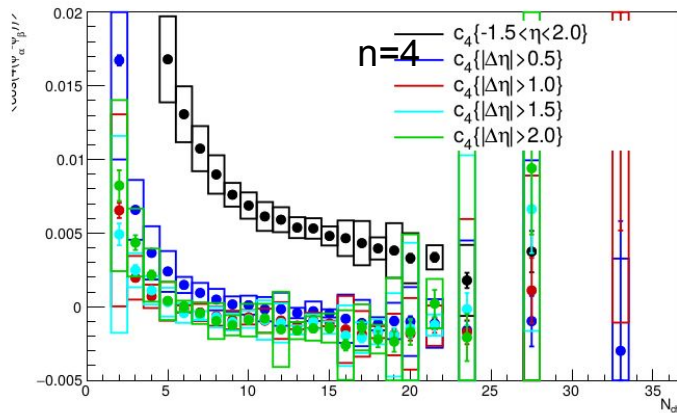
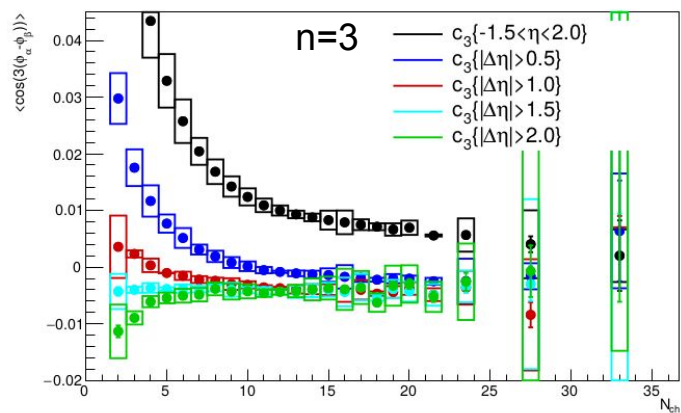
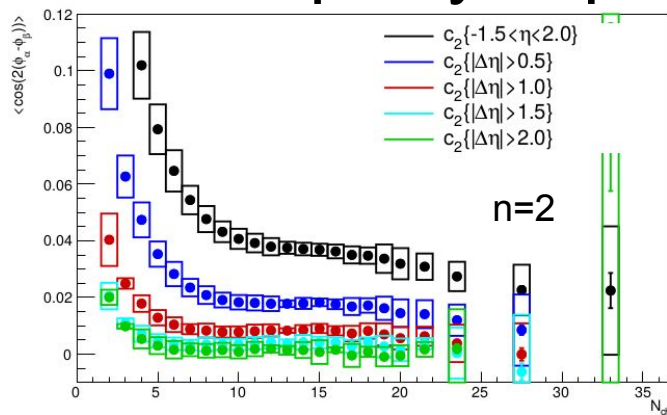
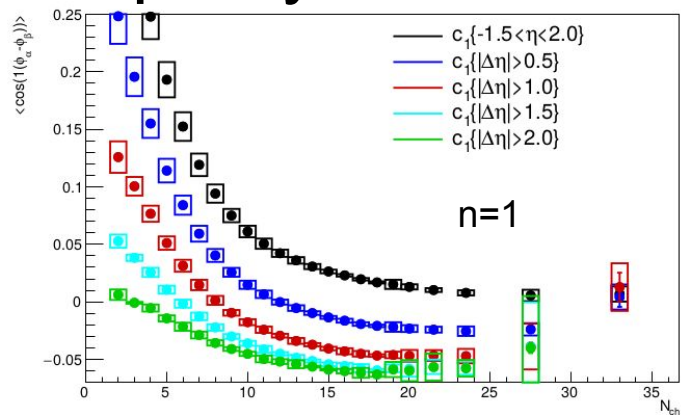
# $2_n$ -particle correlations as a function of event multiplicity for different pseudo-rapidity separation



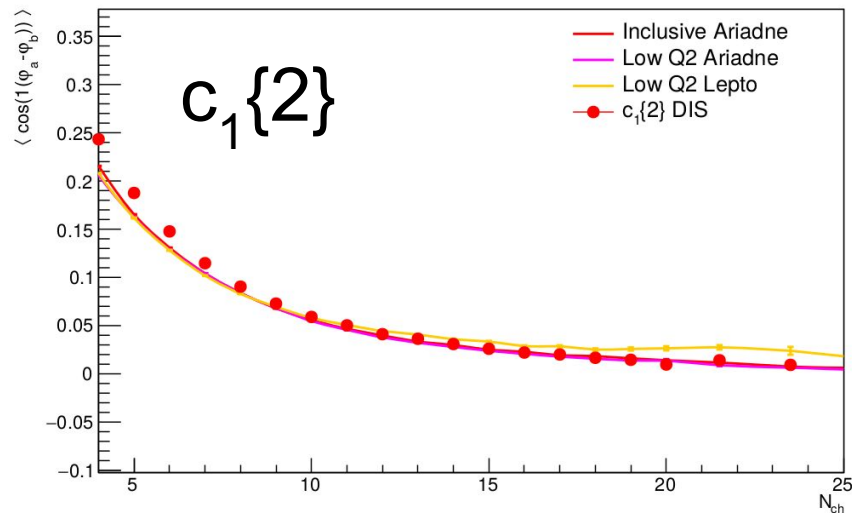
- Multiplicity range is statistically limited from 2 to approximately 30
- Increasing  $\eta$  separation leads to weaker correlations (suppressed nonflow)
- After initial drop, correlations become weakly dependent on  $N_{ch}$



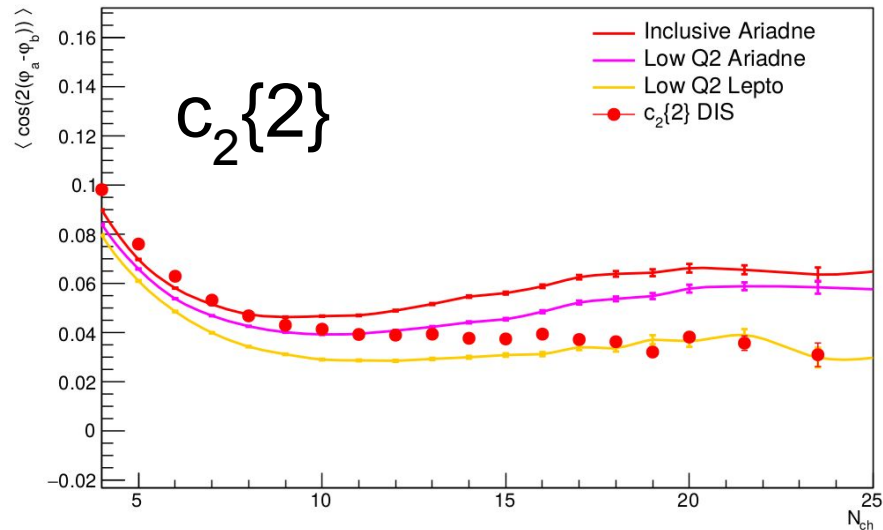
# $2_n$ -particle correlations as a function of event multiplicity for different pseudo-rapidity separation



# Comparison to MC



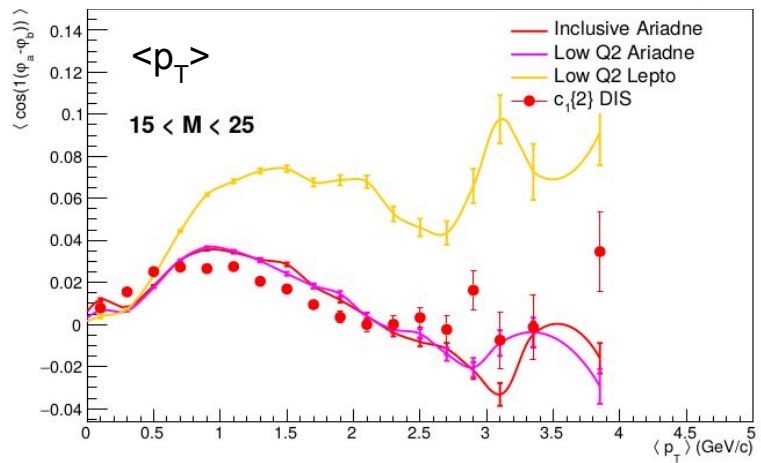
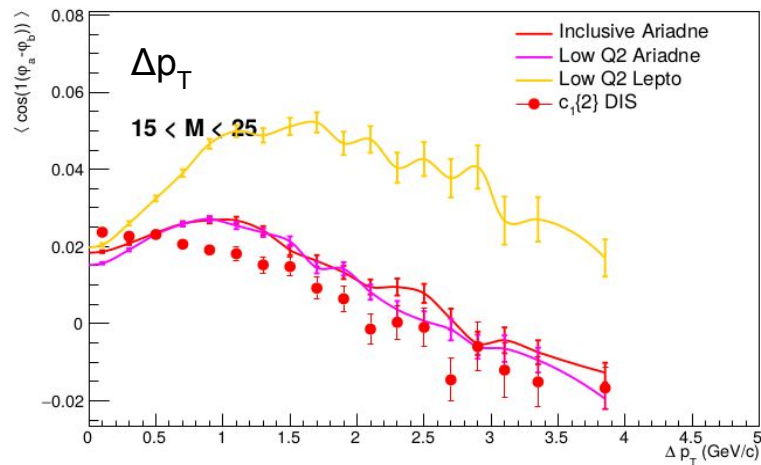
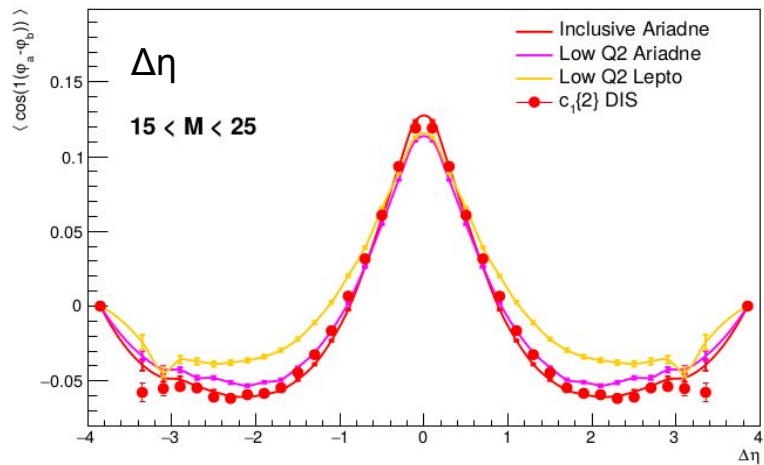
At higher multiplicity, well described by Ariadne



At highest multiplicity, well described by Lepto

To do: systematic on simulation

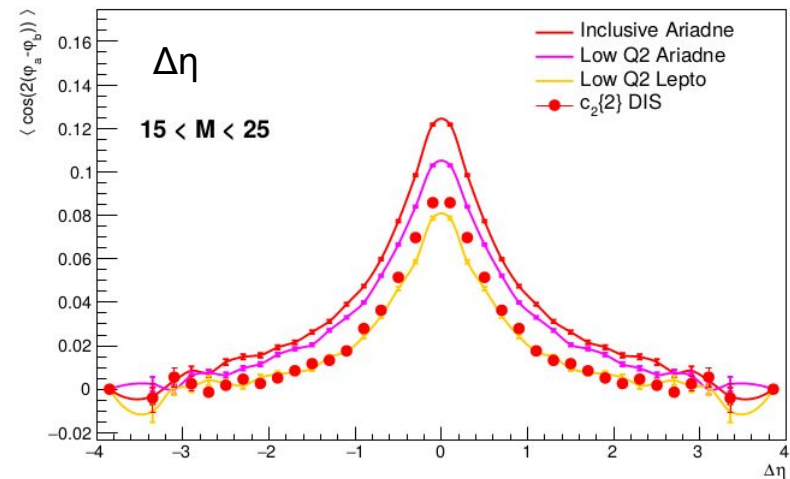
# Differential $c_1\{2\}$ comparisons with MC



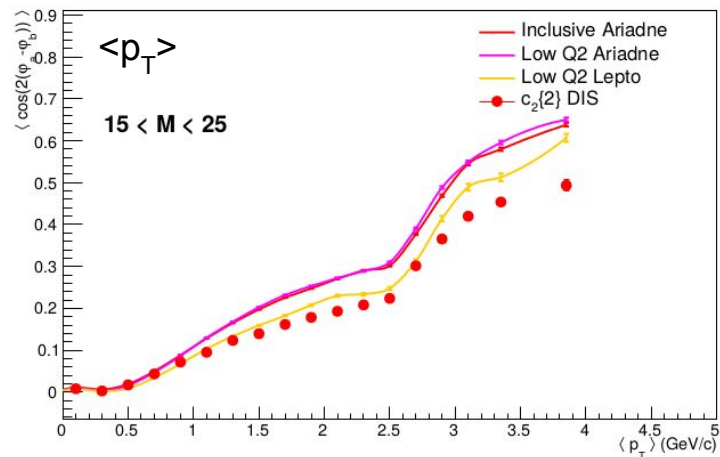
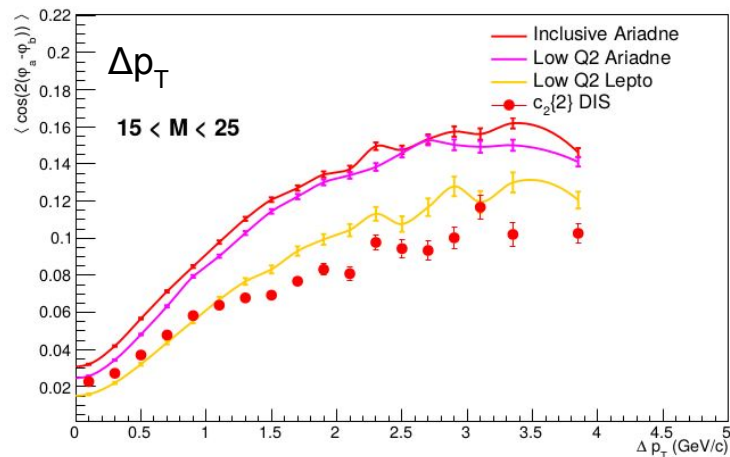
Good agreement for Ariadne, less for Lepto

To do: systematic on simulation

# Differential $c_2\{2\}$ comparisons with MC



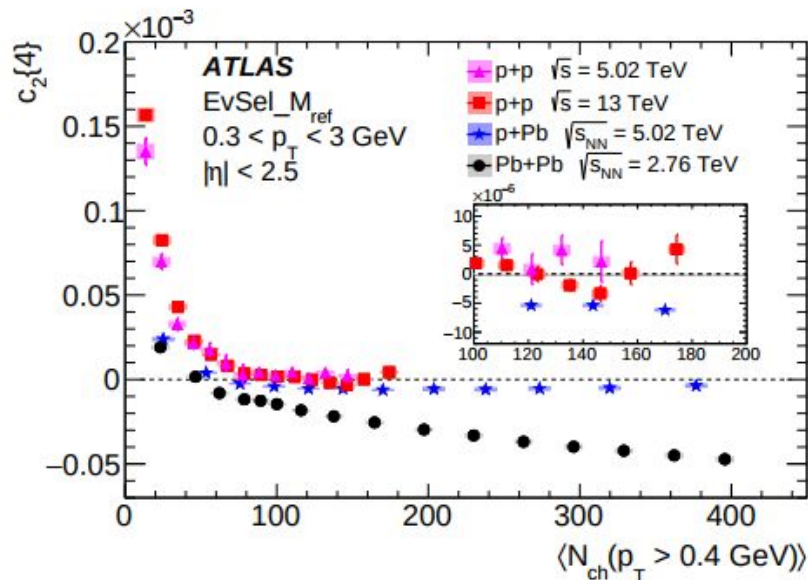
Good agreement for Lepto, less for Ariadne



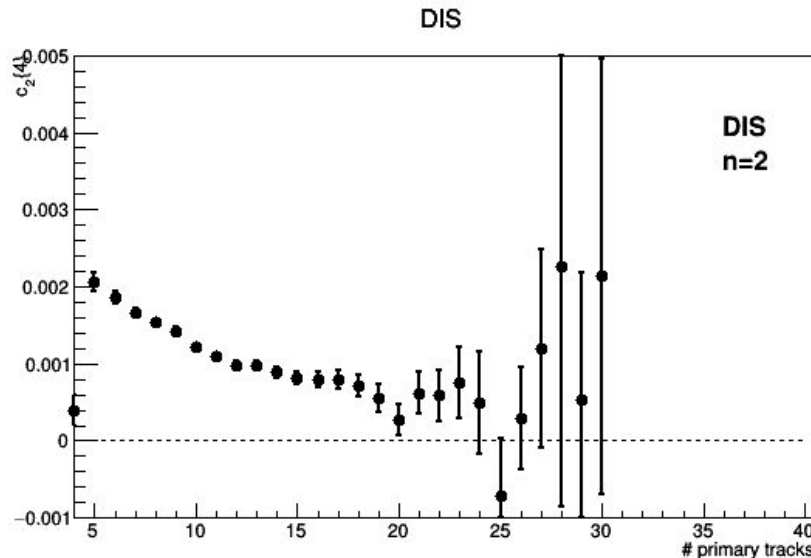
To do: systematic on simulation

# 4-particle cumulant at ZEUS

$$\langle 4 \rangle = \langle e^{in(\varphi_1 + \varphi_2 - \varphi_3 - \varphi_4)} \rangle \quad c_n\{4\} = \langle \langle 4 \rangle \rangle - 2\langle \langle 2 \rangle \rangle^2 \quad v_n\{4\} = \sqrt[4]{-c_n\{4\}}.$$



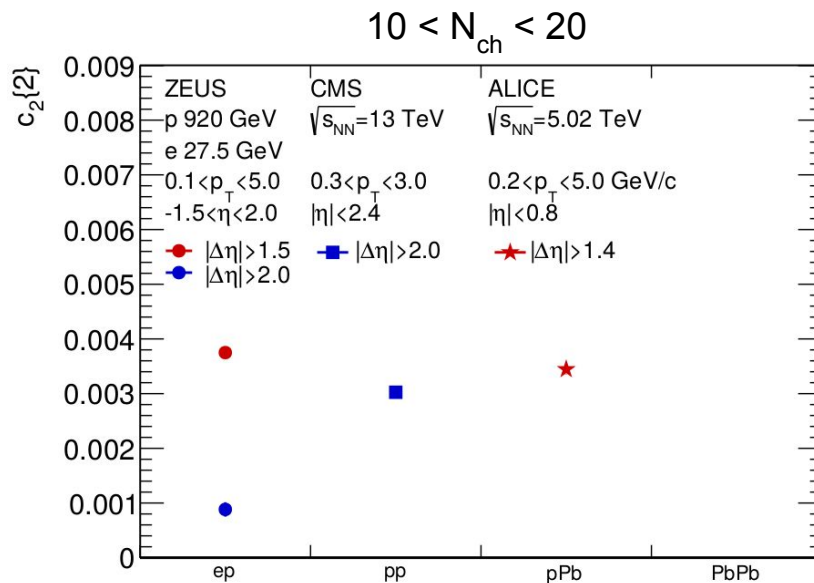
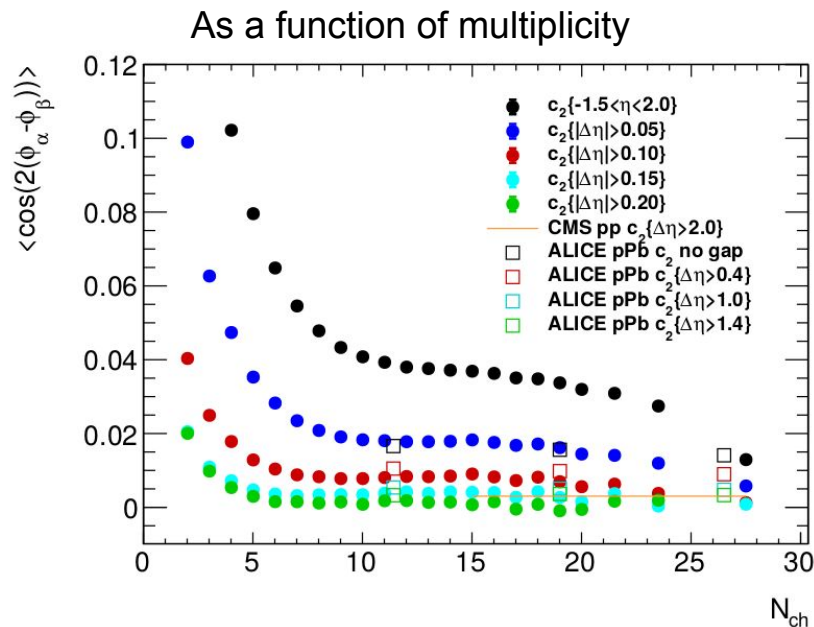
- Negative  $c_2\{4\}$  for  $\langle N_{ch} \rangle$  above  $\sim 60$  in pPb and PbPb
- For pp values are close to zero



- No hint of negative values
- Multiplicity range more limited than with 2-particle correlations

# Comparison to other systems

These comparisons are not yet in their final conceptual form.



Magnitude is roughly in ballpark of other systems, but comparison not straightforward

# Physics messages

- No long range correlations at high (or any) multiplicity visible
- Measurement of the correlations for different harmonics, and as a function of multiplicity, pair pseudorapidity, pair transverse momentum, pair  $\Delta p_T$
- Comparisons to different Monte Carlo generators
  - More understanding of the generators and the interpretation is still required
- Statistical limitation for 4-p cumulant
- Comparison to other systems

# Todo for the results

- Add contributions to uncertainty in the measurement from
  - “chimney” cuts
  - Use other generators for tracking efficiency correction
  - Lepton “contamination” estimate
- Estimate uncertainty on simulation curves

Current error summation is sum of squares, which is the conservative option.



# Documentation

## Presentations:

[Analysis proposal](#), September 2016

[ZAF update](#), February 2017

[ZAF update](#), June 2017

[ZAF update](#), July 2017

[ZAF update](#), August 2017

[ZAF update](#), September 2017

[ZAF update](#), Oktober 2017

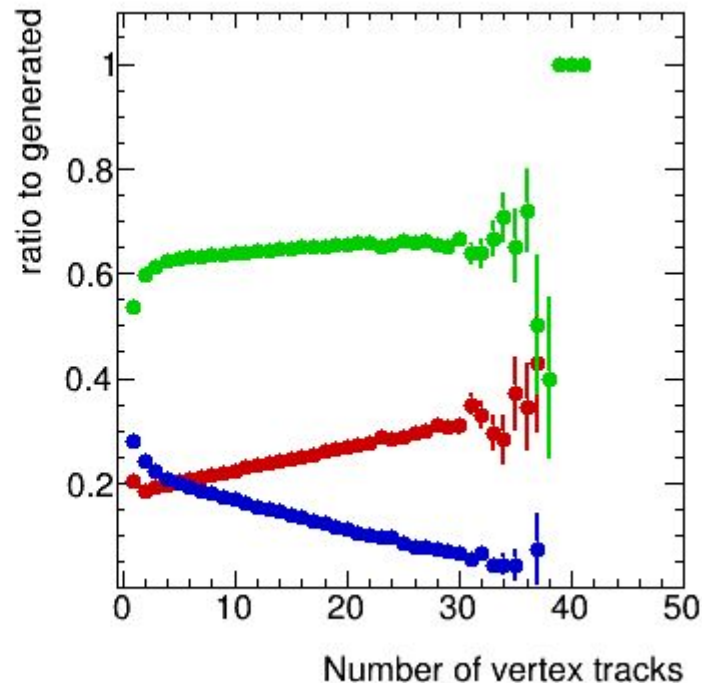
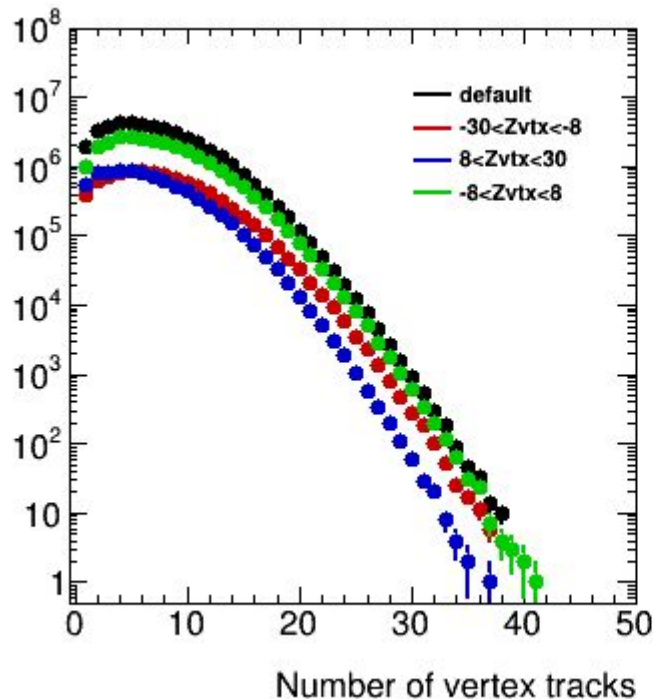
## Analysis code:

/afs/desy.de/user/o/onderwaj/zeus/analysis

## Analysis Note:

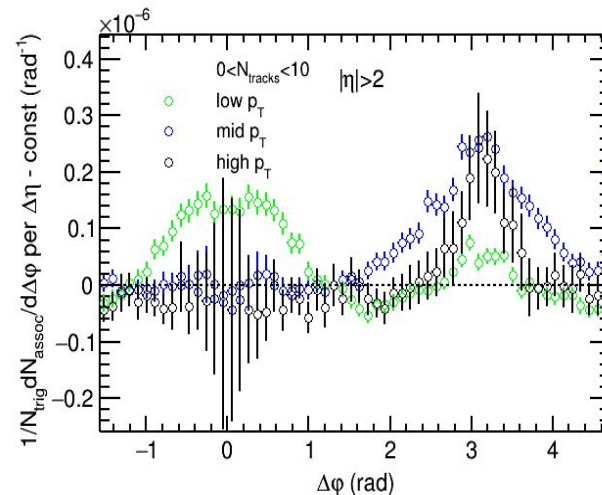
/afs/desy.de/user/o/onderwaj/Note.pdf

# Number of vertex tracks vs $Z_{\text{vtx}}$

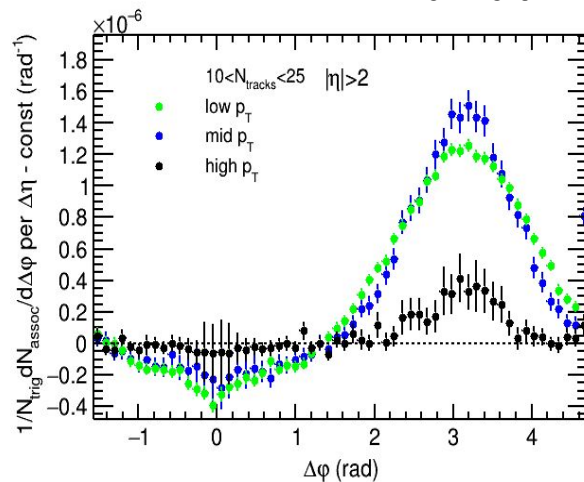


# $\Delta\phi$ - $\Delta\eta$ correlations

low-mult



mid-mult



High-mult

