

Tool for reweighting semileptonic B decays - HAMMER

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Helicity Amplitude Module for Matrix Element Reweighting

Vxb Meeting 06.04.18 Florian Bernlochner, <u>Stephan Duell</u>, Zoltan Ligeti, Michele Papucci, Dean Robinson





• Persistent signals of lepton flavour universality violation in $R(D^{(*)}) = \frac{\mathcal{B}(B \to D^{(*)}\tau\bar{\nu}_{\tau})}{\mathcal{B}(B \to D^{(*)}l\bar{\nu}_{l})}$ $l = e, \mu$

The Anomaly

• Disagreement between data and Standard Model (SM) prediction at 4σ - Possibly New Physics (NP)?





- Caveats when probing for NP:
- NP searches treat D* and tau as stable states
- We can only measure their decay products!
 - Non-trivial interference effects between the D(*) and tau final states
 - Non-trivial phase space cuts
 - Tau reference frame not reconstructible
- Simultaneous Signal + Background float: Model dependent fit templates!

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 Extracted spectra may vary depending on signal model SM 2HDM $R(D) = 0.375 \pm 0.064 \pm 0.026$ $R(D) = 0.329 \pm 0.060 \pm 0.022$ $R(D^*) = 0.301 \pm 0.039 \pm 0.015$ $R(D^*) = 0.293 \pm 0.038 \pm 0.015$ [Belle 1507.03233] Events (arbitrary units) Events (arbitrary units) 50F 40 30 30F 20 20 10 10 11 10 11 12 9 12 q^2 (GeV²/c²) q^2 (GeV²/c²) Events (arbitrary units) Events (arbitrary units) **30**⊢ 30 **25**E 25 20F 20 15 15 10E 5**-**10 11 12 10 11 12 q^2 (GeV²/c²) q^2 (GeV²/c²) [Belle 1507.03233]

FIG. 8. Background-subtracted q^2 distributions of the τ signal in the region of $M_{\text{miss}}^2 > 0.85 \,\text{GeV}^2/c^4$. The distributions are efficiency corrected and normalized to the fitted yield. The error bars show the statistical uncertainties. The histogram is the respective expected distribution from signal MC. Left: Standard Model result, right: Type-II 2HDM result with $\tan \beta/m_{H^+} = 0.5 c^2/\text{GeV}$, top: $\bar{B} \to D\tau^-\bar{\nu}_{\tau}$, bottom: $\bar{B} \to D^*\tau^-\bar{\nu}_{\tau}$







- Require a fully simulated dataset for any NP model to be analysed
- Belle/LHCb datasets are very large
- Detector simulation (computationally) very expensive
- Aim: Supply a tool to quickly perform forwardfolded NP analyses without having to run the full simulation chain over and over again!





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- Compute compact amplitude expressions for all NP Matrix elements in B → D^(*)τν̄_τ
 1711.03110 1703.05330 [Bernlochner, Ligeti, Papucci, Robinson]
- Interference effects between final states automatically included
- Calculations encoded into HAMMER









 New Physics (i.e. additional mediators) encoded in Wilson Coefficients

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 Approach: Decompose amplitudes into vector of amplitudes and NP Wilson coefficients

 $\mathcal{M}=ec{v}[ec{\mathcal{M}}_v]$

- $\vec{\mathcal{M}}_v$ is independent of particular NP model!
- Linearization in Form Factors also possible $\vec{v}_{\alpha} \operatorname{FF}_{i} [\vec{\mathcal{M}}_{\alpha,i}]$
- Construct a weight tensor $W \equiv [M_{\beta,j}]^{\dagger} M_{\alpha,i}$
- Event weight for arbitrary FF/NP theory is then

 $\vec{\mathrm{FF}}^{\dagger} ec{v}^{\dagger} \, \mathcal{W} \, ec{v} \vec{\mathrm{FF}}$



HAMMER Workflow (rough sketch)

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HAMMER Prototype output

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Included processes so far:

- $b \rightarrow c$ τ modes FFs - $B \rightarrow D\ell\nu_{\ell}$ - $\tau \rightarrow l\nu_{l}\nu_{\tau}$ - CLN - $B \rightarrow D^{*}\ell\nu_{\ell}$ - $\tau \rightarrow \pi\nu_{\tau}$ - BLPR (HQET 1/m) - $\tau \rightarrow 3\pi\nu_{\tau}$ - BGL
 - -ISGW2

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• HAMMER v0.9 α is complete

• Ongoing Plans:

- $b \rightarrow c$ τ modes FFs
 - $-B \to D^{**} \ell \nu_{\ell} \qquad -\tau \to \rho \nu_{\tau}$
 - $-B_c \to (J/\Psi \to ee)\ell\nu_\ell \quad -\tau \to 4\pi\nu_\tau$

- ISGW2 for NP
- $-\operatorname{NP}$ Blaschke factors
- -LLSW

 $b \to u \qquad \qquad B \to K^{(*)}\ell\ell$





Summary

- HAMMER will allow fast and efficient reweighting of large simulated data samples for arbitrary FF/NP theories
 - $-B \rightarrow D^{(*)}\ell\nu_{\ell}$ Modes with $\ell = e, \mu, \tau$ already included
 - Plan to include many more modes
- Histogramming service working

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Thank you for your attention!





Consistent HQET+Sum Rules

Can use QCD sum rules to control normalization and gradient of $\widehat{\chi}_{\rm 2,3},~\eta$ at zero recoil. QCDSR central values lead to,

 $R_1(w)_{SR} = 1.268 - 0.114(w - 1) + \dots$ $R_2(w)_{SR} = 0.760 + 0.136(w - 1) + \dots$

Each coeff is fixed! Compare with literature



World Av: $R_1(1) \simeq 1.40 \pm 0.03$: inconsistent with $R_1(1)_{SR}$!

- Floating only R_{1,2}(1) first appears as an ad hoc fitting consistency check by CLEO, and propagated into later analyses
- We'll restore HQET consistency