XPCS at XFEL or How to measure S(q,t) at XFEL sources

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Outline

- Speckles
- XPCS Modes at XFEL sources
- Split-Pulse technique
- Speckle sizes, signal to noise ratio and some implications for detectors
- •Beam damage are non-destructive single shot measurements possible ?
- •Single shot coherence implications from the SASE process

Scientific Agenda

Measure

- S(q,t) ٠
- local symmetries ٠
- higher order correlations in time and space ٠
- non-equilibrium processes ٠
- rotational dynamics... ٠

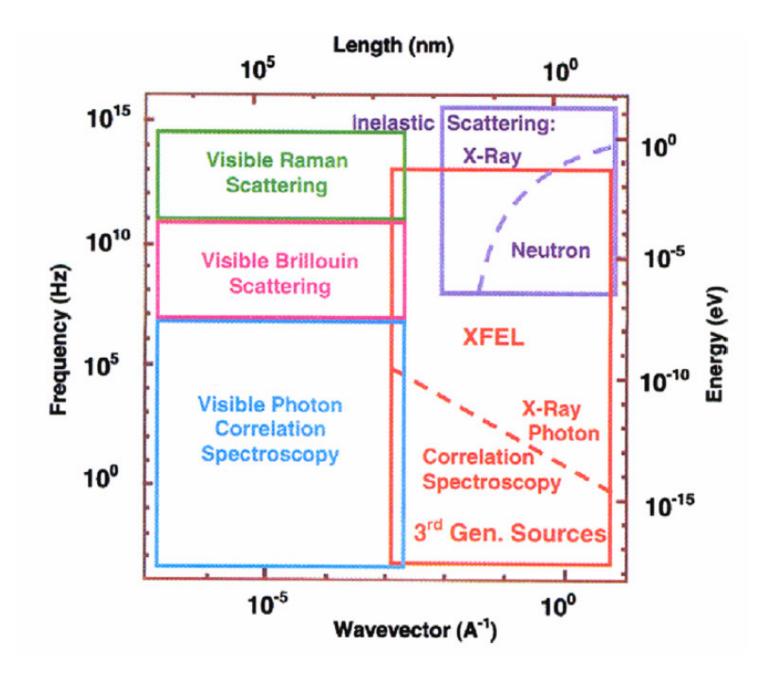
Systems

- magnetization dynamics

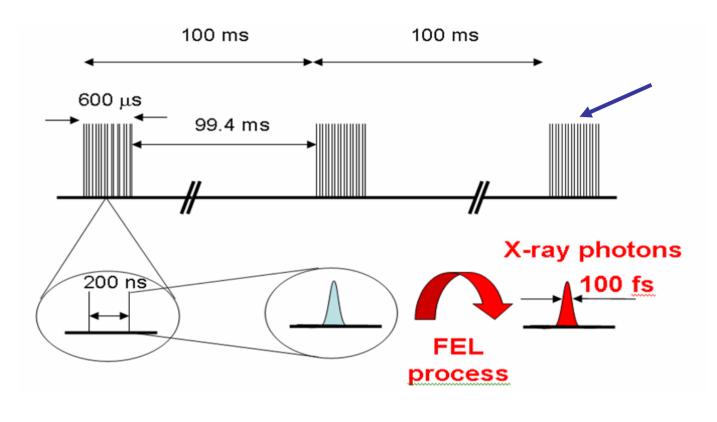
- ٠
- structure and dynamics of fluids (e.g. water) phonon anomalies in low dimensional systems nucleation and phase transitions (slow) molecular scale dynamics in supercooled liquids short-lived, metastable fluctuations atomic scale diffusion in solids
- ٠
- ٠
- dynamics of biomolecules ٠

See talks of

P. Wochner, B. Stephenson, L. Cipelletti, B. Sepiol, H.Sinn, A. Madsen



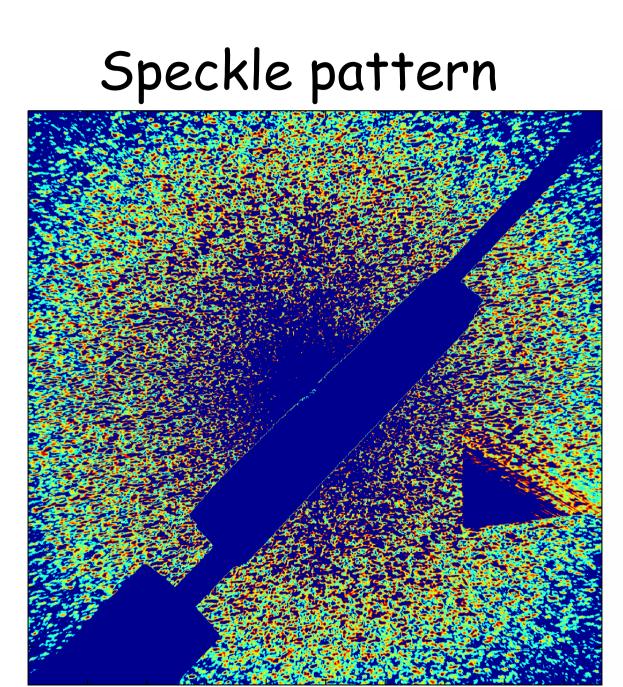
XPCS at a FEL source:



200ns < t < 600 μs 1ps < t< 10 ns:

for "all" times:

<u>"movie" mode</u> <u>"delay-line" mode</u> <u>"pump-probe" mode</u>



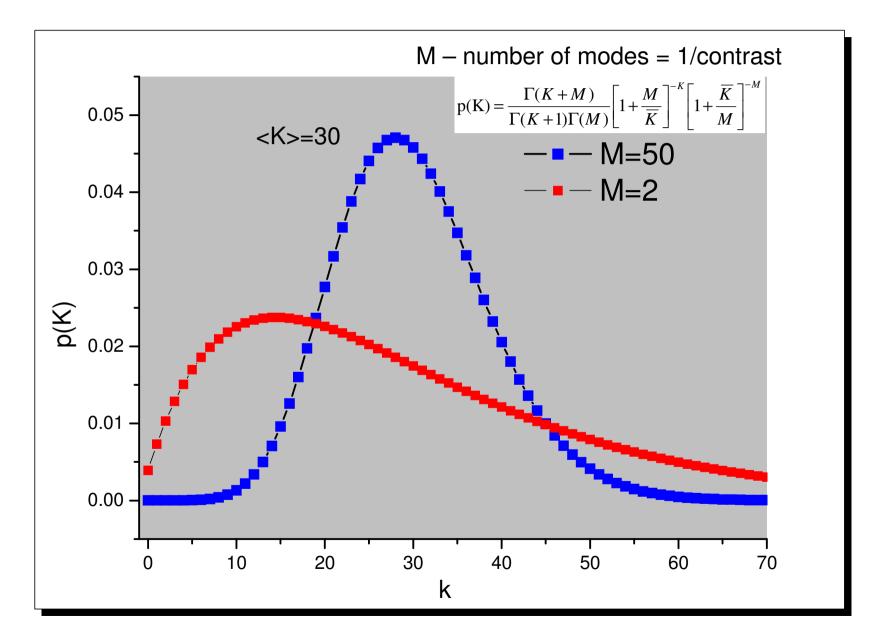
Speckle size
$$S = \frac{\lambda L}{D}$$

Contrast (visibility) $\beta(Q) = \frac{\sqrt{\langle I^2 \rangle - \langle I \rangle^2}}{\langle I \rangle}$

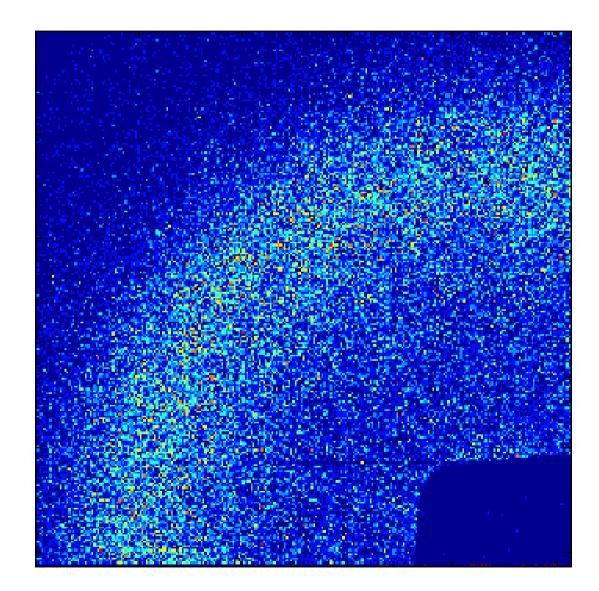
Influence of detector pixel size on contrast

$$\beta_{eff} = \beta \times \frac{1}{1 + (P/S)^2}$$

Counting statistics of a speckle pattern

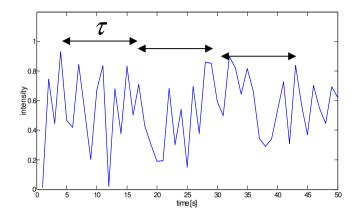


Fluctuating Speckle Pattern



ID10 A

Intensity Autocorrelation Function



 $\left\langle I(q,t_1)I(q,t_1+\tau)\right\rangle = \left\langle \rho(q,t_1)\rho^*(q,t_1)\rho(q,t_1+\tau)\rho^*(q,t_1+\tau)\right\rangle$

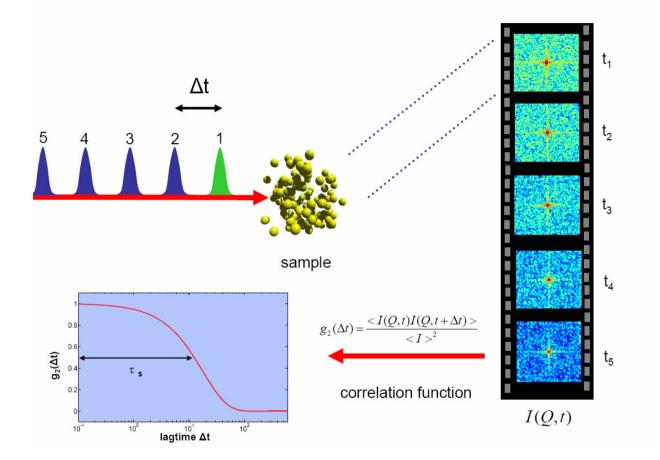
$$< I(q,0)I(q,\tau) >= \frac{1}{T} \int_{0}^{T} I(q,t)I(q,t+\tau)$$

$$g_{2}(q,\tau) = \frac{\left\langle I(q,0)I(q,\tau)\right\rangle}{\left\langle I(q,0)\right\rangle^{2}} \approx 1 + \beta \left|f(q,\tau)\right|^{2}$$

Siegert relation

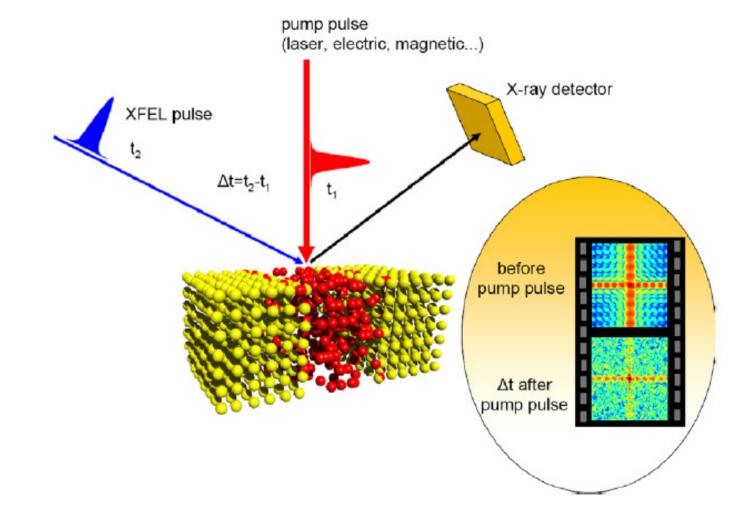
f(q,t) Intermediate scattering function

XPCS at a FEL source: Movie Mode

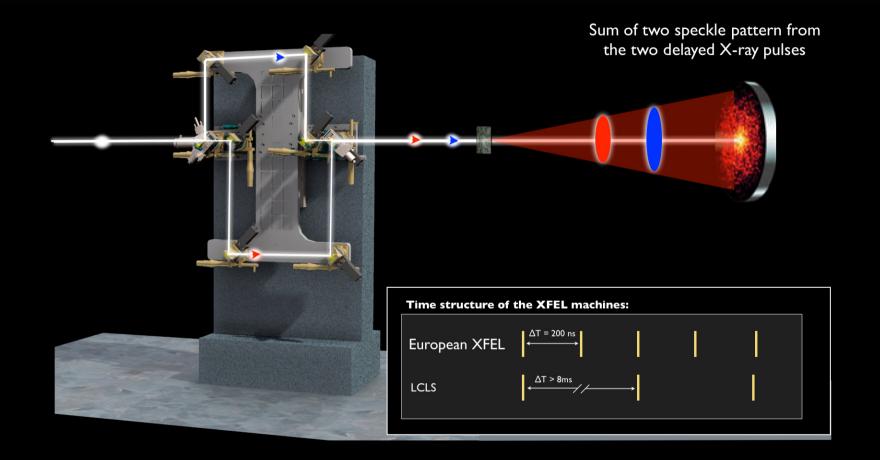


→ Detectors with frame rate 200 ns

XPCS at FEL sources: pump and probe mode



Split and delay concept at XFEL sources



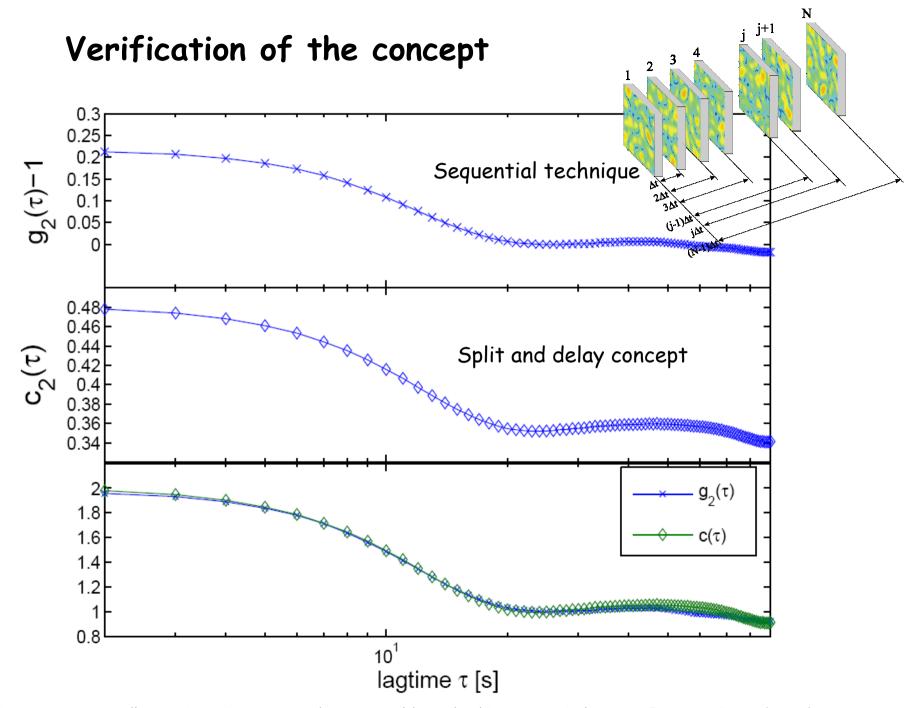
Concept G. Grübel, G.B. Stephenson, C. Gutt, H. Sinn, T. Tschentscher, NIM B 262, 357 (2007) Split and delay line W. Roseker et al. Optics Letters 34, 1768 (2009)

Movie Mode

$$g_{2}(\tau) = \frac{\left\langle I(t)I(t+\tau)\right\rangle}{\left\langle I(t)\right\rangle^{2}} = 1 + \left|f(\tau)\right|^{2}$$

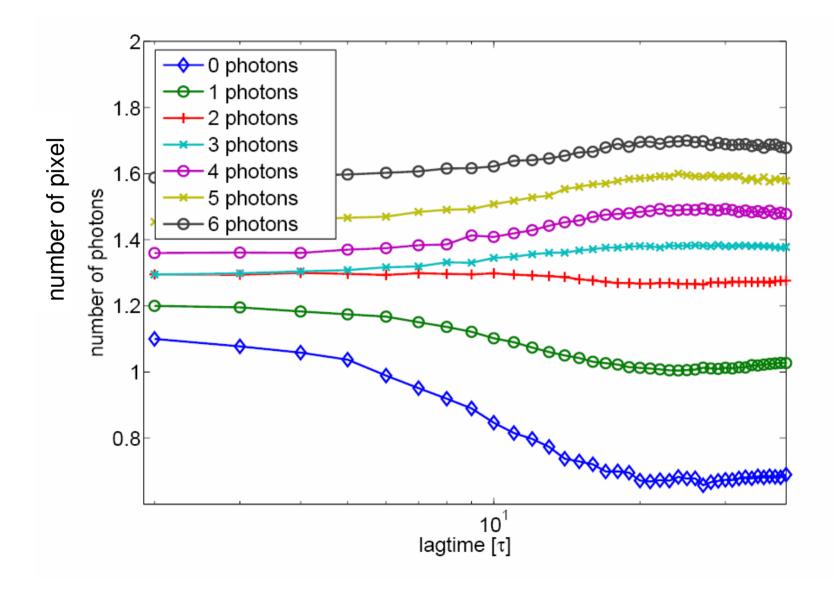
Split-Pulse technique $S(\tau) = I(t) + I(t + \tau)$ $c_{2}(\tau) = \frac{\left\langle S(\tau)^{2} \right\rangle - \left\langle S(\tau) \right\rangle^{2}}{\left\langle S(\tau) \right\rangle^{2}} = \frac{1}{2} \left(1 + \left| f(\tau) \right|^{2} \right)$

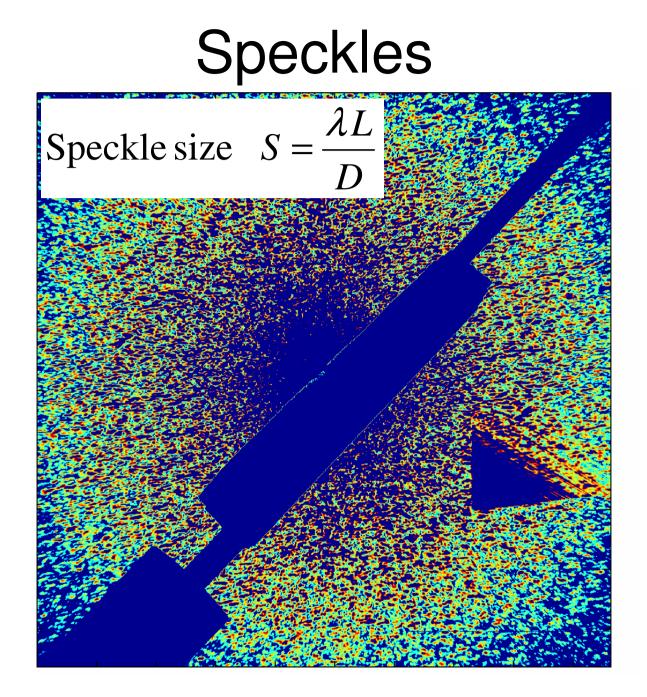
C. Gutt, L.-M. Stadler, A. Duri, T. Autenrieth, O. Leupold, Y. Chushkin, G. Grübel Optics Express 17, 55 (2009)



C. Gutt, L.-M. Stadler, A. Duri, T. Autenrieth, O. Leupold, Y. Chushkin, G. Grübel Optics Express 17, 55 (2009)

Analysis of the photon statistics





- No need to oversample speckle pattern
- Need to put beam twice on the same sample spot
- -> reduce heat load via unfocussed beam sizes

-> need to detect beam damage, e.g. as today via fluctuations in S(q,t)

Consequence of beam sizes

Detector distance [m]	Sample size [microns]	Speckle size [microns]
2	40	5
4	20	20
20	25	80
20	40	50
20	80	25

Signal to noise ratio in XPCS

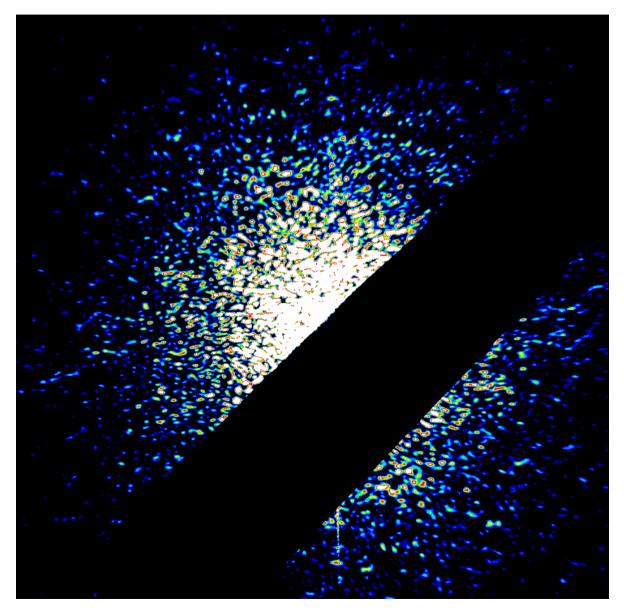
$$SNR \propto \beta(Q) \frac{N_{Pulses}}{1 + (P/S)^2}$$

P pixel size S speckle size

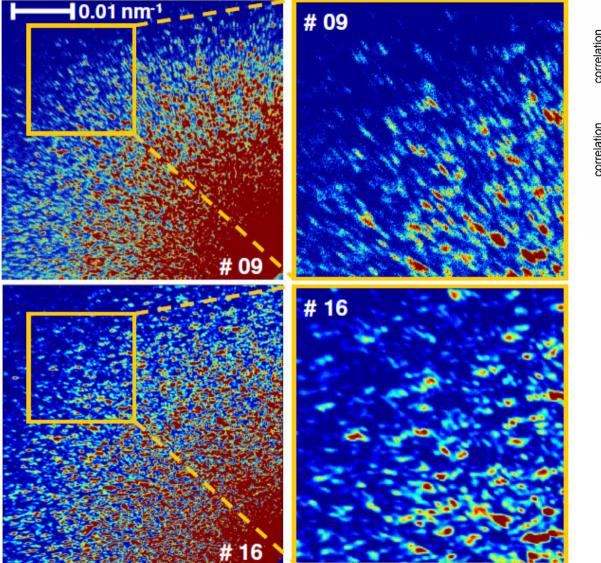
Wanted: high contrast <u>and</u> many pixels => pixel size similar to speckle size

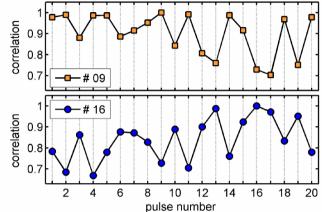
Can we record single shot pattern without frying the sample ?

Series of 30 fs single shot images FLASH @ 20.8 nm

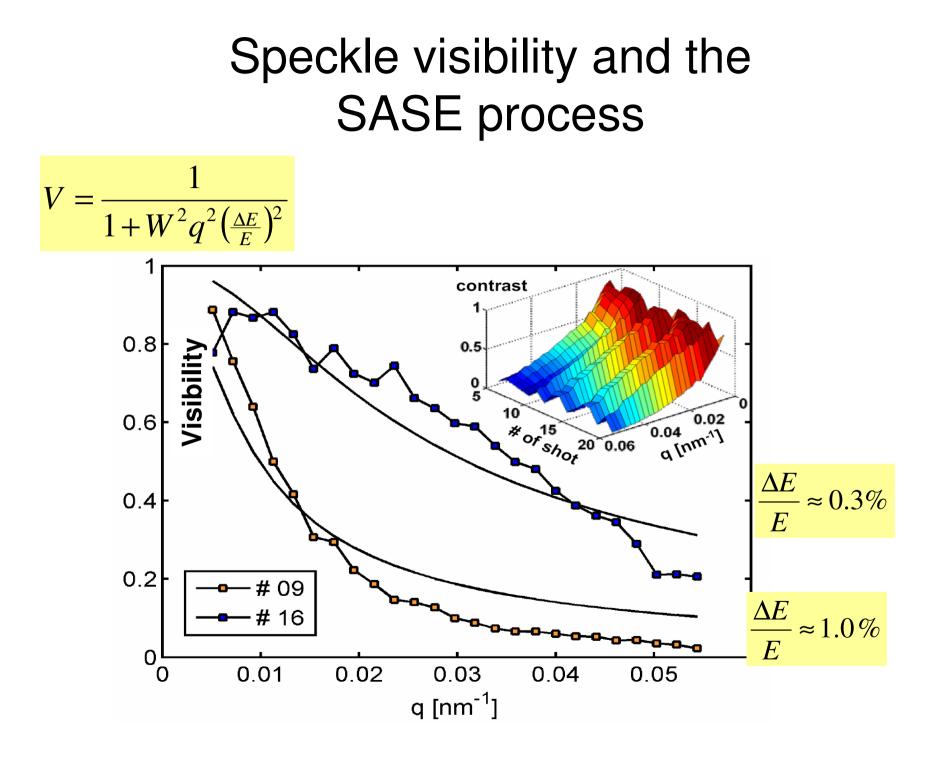


Destruction-free single shot speckles at FLASH





Elongated and grainy speckles



Conclusion

XPCS schemes at XFEL

Delay line is existing and tested at synchrotron sources

XPCS experiments at XFEL are limited by SNR -> pixel size of detectors will be a of central importance

beam damage is a function of energy density – strongly dependent on sample composition and beam size