

# Physics opportunities with forward detectors at the LHC



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## Overview

### Motivation

QCD description of hard exclusive processes

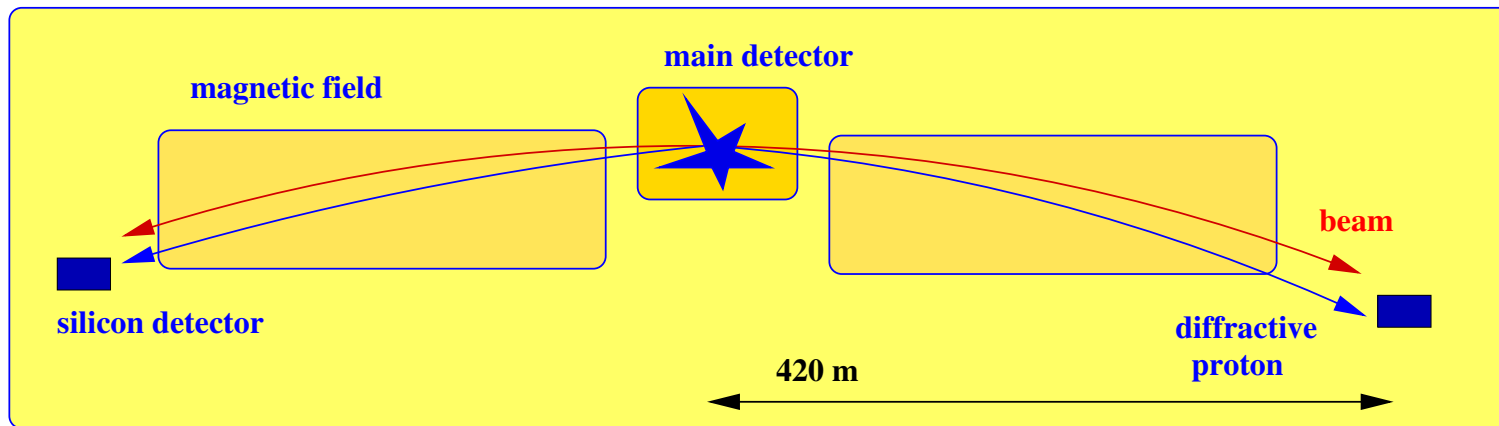
Study of SM and SUSY Higgs sector in exclusive channels

QCD measurements with forward detectors

Tests of the framework

Conclusions

## Scheme of a possible experiment



Forward Proton measurement – 200-420 meters downstream

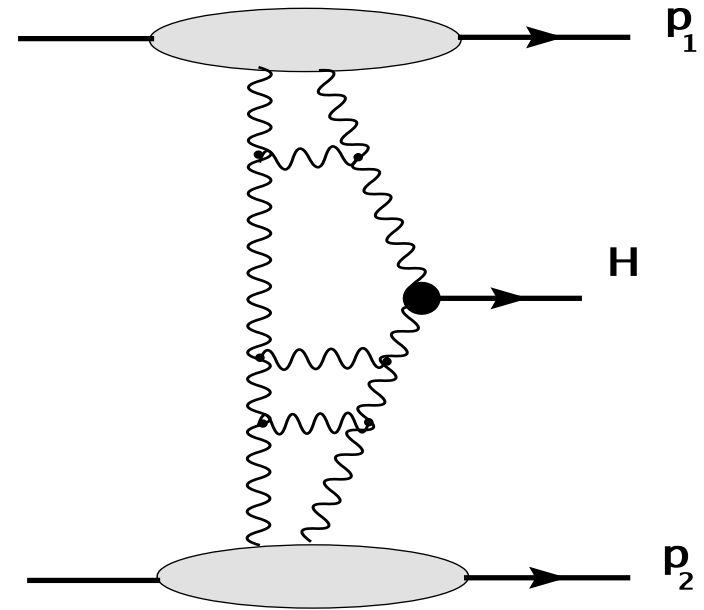
**Magnetic spectrometer:** small loss of proton energy  $\mathcal{O}(1\%) \longrightarrow$  drift of proton outside the beam

Silicon trackers – a few millimeters from the beam

Production of central large mass system measured in the main detector

## Main merits of forward detectors

- All final state particles may be measured
- Precise determination of kinematics and mass of the produced system,  $\Delta M \sim 1 \text{ GeV}$ ,  $\Delta p_t \sim 100 \text{ MeV}$
- Extremely clean measurements, with backgrounds being substantially suppressed
- Key process: The exclusive Higgs boson production in  $pp$ :  $pp \rightarrow pHp$



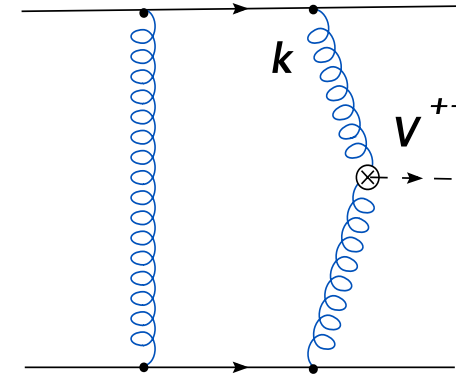
- Excellent energy resolution should be useful in determination of Higgs boson decay width and distinguishing almost degenerate Higgs boson states in some SUSY scenarios
- Possibility to investigate quantum numbers of the produced state e.g. by observing angular correlations of the protons filtering the scalar from the pseudo-scalar: dominance of  $0^{++}$  states
- Very forward kinematics — detailed probe of multiple scattering at very high energies

# Theory of hard exclusive diffractive production

[Khoze, Martin, Ryskin, Kaidalov]

Consider the lowest order diagram  $qq \rightarrow qHq$   
 Colour flow requires the exchange of at least two gluons

High energy kinematics imposes eikonal couplings  $\gamma^+$  and  $\gamma^-$  and this leads to  $k^2 \sim \mathbf{k}^2$



Higgs boson production vertex can be obtained in the effective theory,  $m_t \rightarrow \infty$ :

$$V^{\mu\nu}(k_1, k_2) = V_0[k_1^\nu k_2^\mu - g^{\mu\nu} k_1 \cdot k_2]$$

Convolution with eikonal couplings:  $V^{+-} \sim V_0 \mathbf{k}_1 \cdot \mathbf{k}_2$

In the forward direction:

$$M \sim \int_{\mu_0} \frac{d^2k}{k^6} k^2 \Phi_q(\mathbf{k}) \Phi_q(-\mathbf{k})$$

The lowest order result is strongly infra-red sensitive  $\sim 1/\mu_0^2$

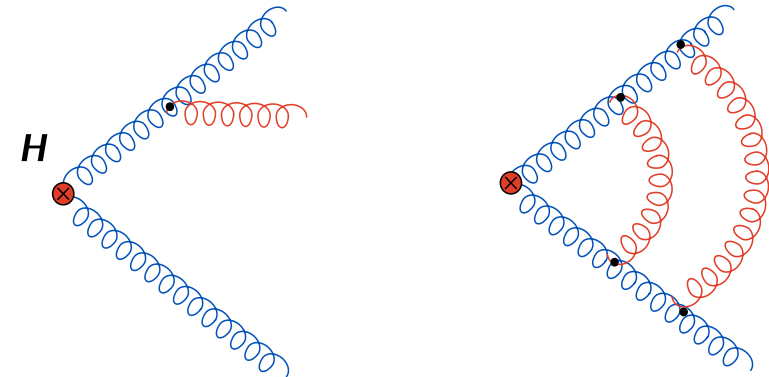
# Sudakov form-factor

Beyond two-gluon exchange:

- 1) Higher order QCD corrections should be included
- 2) The gluon radiation is forbidden from the system

The  $gHg$  vertex defines the invariant mass of the  $gg$  system

Screening of radiated gluons is efficient only if  $q < k$



Probability of the radiation of a single gluon

$$P_1 = \int_{k^2}^{M_H^2} \frac{dq^2}{q^2} \frac{C_A \alpha_s(q^2)}{\pi} \int_q^{M_H} \frac{d\omega}{\omega} \simeq \frac{C_A \alpha_s}{4\pi} \log^2(M_H^2/k^2)$$

Classical calculation of the Sudakov form-factor:

$$P(\text{no radiation}) \sim \exp(-A_1)$$

Equivalently – the Sudakov form factor follows from resummation of QCD virtual QCD corrections

$$S(k, \mu) = \exp\left(-\int_{k^2}^{\mu^2} \frac{dq^2}{q^2} \frac{N_c \alpha_s}{\pi} \int_q^{\mu} \frac{d\omega}{\omega}\right)$$

## More on Sudakov form-factor

Saddle point analysis:

$$\int \frac{d^2 k}{k^4} k^{4\gamma} \exp \left[ \frac{-N_c \alpha_s}{4\pi} \log^2 \left( \mu^2 / k^2 \right) \right]$$

$$k_s^2 = \mu^2 \exp \left[ \frac{-2(1 - \gamma)}{\bar{\alpha}_s} \right]$$

Typical virtuality  $k^2 \sim 2 \text{ GeV}^2 \longrightarrow$  Perturbative treatment makes sense

At single logarithmic accuracy:

$$T_g(\mathbf{k}, \mu) = \exp \left( - \int_{k^2}^{\mu^2} \frac{dq^2}{q^2} \frac{\alpha_s(q^2)}{2\pi} \int_0^{1-q/\mu} dz z \left[ P_{gg}(z) + \sum_q P_{qg}(z) \right] \right), \quad \mu \simeq M_H/2$$

## Two Pomeron Fusion amplitude

Amplitudes to find gluon pair in the proton:

→ two-scale off-diagonal unintegrated gluon distributions are introduced:

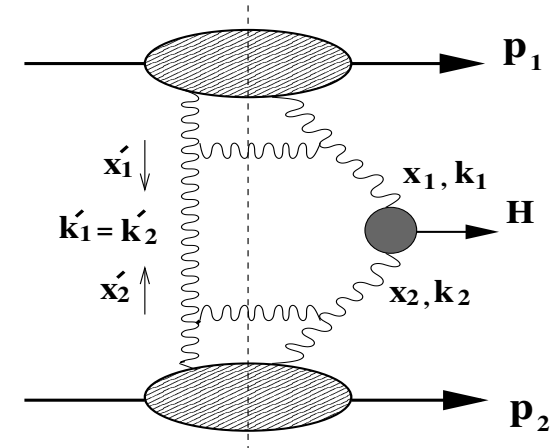
$$f_g(x, x', k, \mu), \quad xg(x, Q^2) = \int^{Q^2} \frac{dk^2}{k^2} f_g(x, k^2, Q)$$

Sudakov form factor is naturally incorporated in  $f_g$ : [Kimber, Martin, Ryskin]

$$f_g(x, k^2; \mu) = Q^2 \frac{\partial}{\partial Q^2} \left[ xg(x, Q^2) \cdot T_g(Q, \mu) \right]_{Q^2=k^2}$$

$$f_g^{\text{off}}(x, k^2; \mu) = R_\xi Q^2 \frac{\partial}{\partial Q^2} \left[ xg(x, Q^2) \cdot \sqrt{T_g(Q, \mu)} \right]_{Q^2=k^2}$$

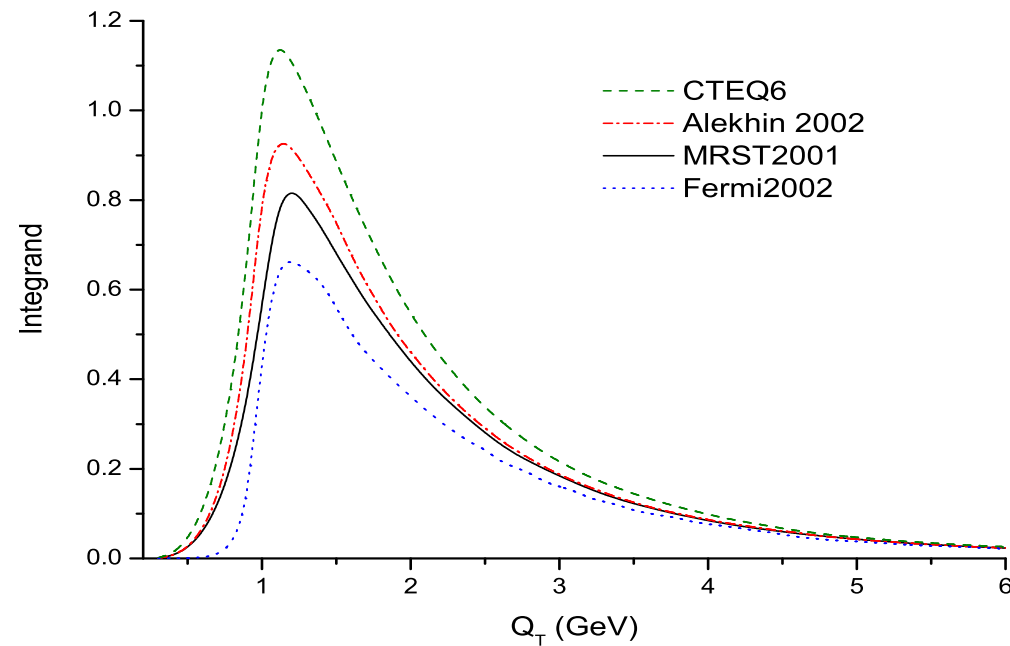
$$\text{Im } M_0(y) \sim \int \frac{dk^2}{k^4} f_g^{\text{off}}(x_1, k^2; \mu) f_g^{\text{off}}(x_2, k^2; \mu)$$



## Behaviour of the integrand:

$$\text{Im } M_0(y) \sim \int \frac{k dk}{k^4} f_g^{\text{off}}(x_1, k^2; \mu) f_g^{\text{off}}(x_2, k^2; \mu)$$

[J. Forshaw]



The integrand is dominated by momenta  $Q_T \sim 1 - 2 \text{ GeV}$

Sudakov form factor reduces the exclusive cross section by two orders of magnitude

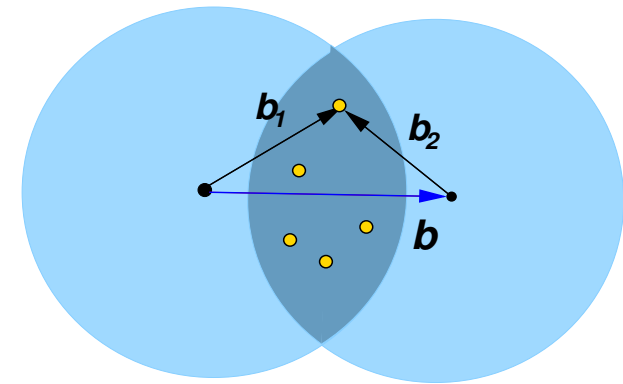


# Soft Rescattering

The exclusive character of the process may be spoiled by soft rescattering. In the standard approach **one assumes that rescattering does not affect the hard matrix element describing the production**

Simplest assumption: uncorrelated, independent acts of soft rescattering characterised by the amplitude

$$M_1(b) = \Omega(b)/2$$



Unitarised scattering amplitude:

$$\Omega(b)/2 - \frac{(\Omega(b)/2)^2}{2!} + \frac{(\Omega(b)/2)^3}{3!} + \dots = 1 - \exp(-\Omega(b)/2)$$

The total cross section:  $\sigma_{tot} = 2 \int d^2b [1 - \exp(-\Omega(b)/2)]$

The elastic cross section  $\sigma_{el} = \int d^2b [1 - \exp(-\Omega(b)/2)]^2$

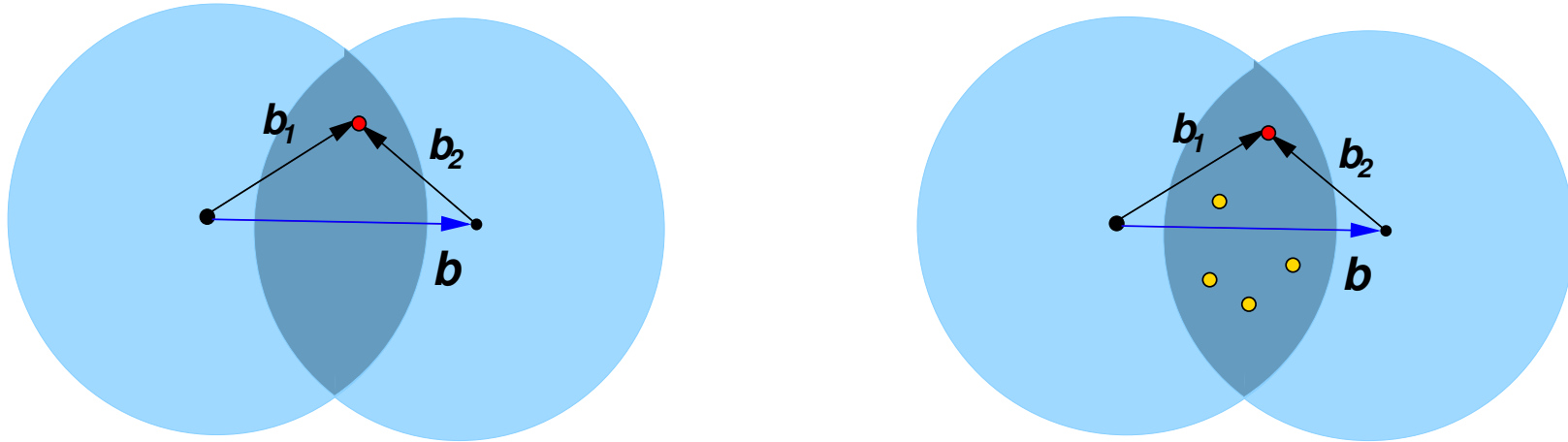
The inelastic cross section  $\sigma_{inel} = \int d^2b [1 - \exp(-\Omega(b))]$

## Soft gap survival

Soft rescattering corrections to a hard exclusive scattering process  $\longrightarrow$  opacity  $\Omega(b)$

Independence of hard production and rescattering is assumed

$$M_{corr}(b) = M_{hard}(b) [1 - \Omega(b)/2 + (\Omega(b)/2)^2/2! - (\Omega(b)/2)^3/3! + \dots] = M_0(b) \exp(-\Omega(b)/2)$$



Amplitude of matter distribution in the proton

$$S(b_1) \sim \exp(-b_1^2/R^2), \quad R^2 \sim 8 \text{ GeV}^{-2}$$

$$M_{hard}(b) \sim M_0 \int d^2 b_1 S(\mathbf{b}_1) S(\mathbf{b}_1 - \mathbf{b})$$

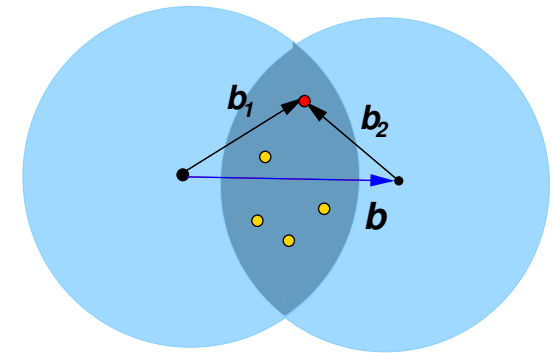
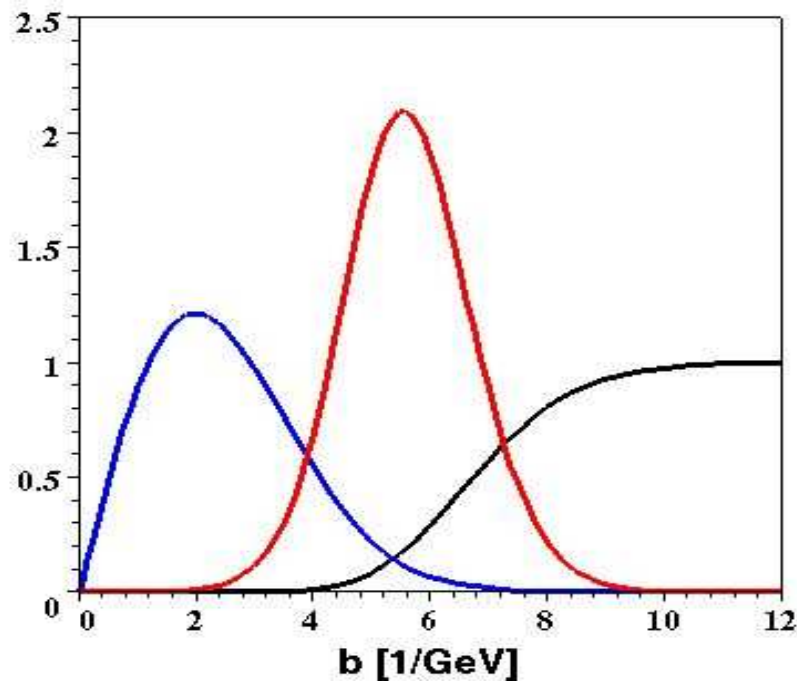
$$\sigma_{excl} = \int d^2 b \int d^2 b_1 |M_0 S(\mathbf{b}_1) S(\mathbf{b}_1 - \mathbf{b})|^2 \exp(-\Omega(b))$$

# Impact parameter profile of exclusive process

Gap survival factor:

$$S^2 = \frac{\int b db \exp(-\Omega(b)) |M_{\text{hard}}(b)|^2}{\int b db |M_{\text{hard}}(b)|^2}$$

**Exclusive Production** = **Hard matrix element**  $\times$  Amplitude of no rescattering  
Production profile (red) for LHC is magnified by factor of 100



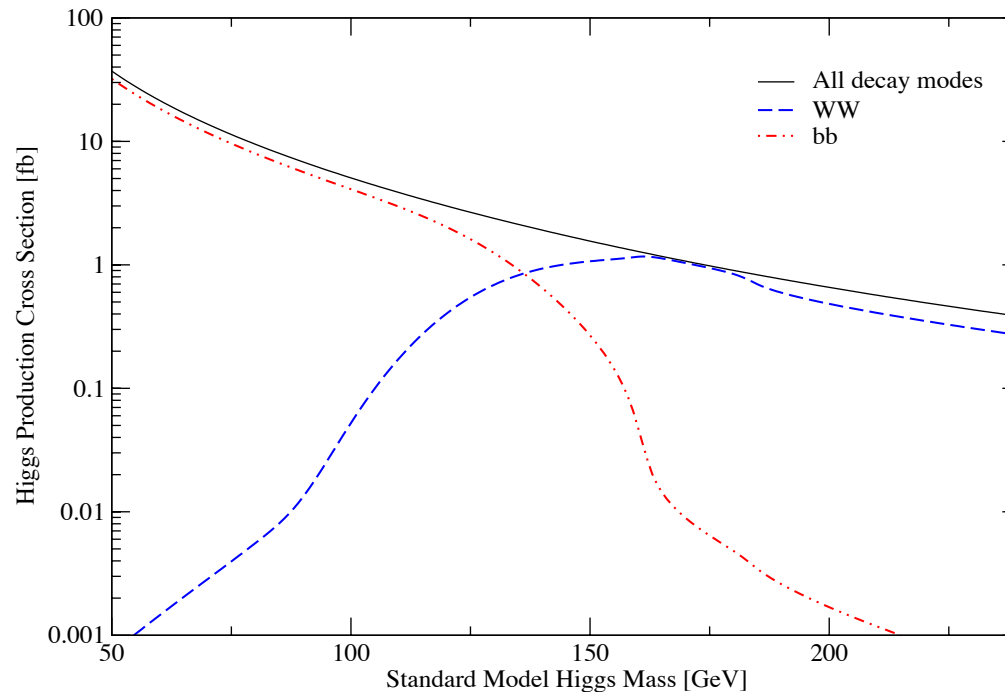
Production dominated by  $b \simeq 1$  fm and  $b_1 \simeq 0.5$  fm

Two-channel eikonal model of gap survival is used that incorporates low-mass diffractive intermediate states. Typically:  $S^2 \simeq 0.03$  for exclusive processes at the LHC

# Higgs boson detection channels

Main detection channels for the SM Higgs boson in exclusive processes:  $b\bar{b}$  and (virtual)  $W^+W^-$

Exclusive Higgs boson cross sections fall into  $\mathcal{O}(1 \text{ fb})$  range

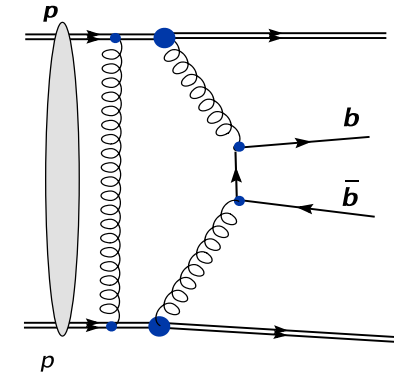


[B. Cox et al., hep-ph/0505240 ]

For  $\mathcal{L} = 30 \text{ fb}^{-1}$  at LHC and  $M_H < 150 \text{ GeV}$  5–10 Higgs boson events in the detector are expected in  $b\bar{b}$  or  $W^+W^-$  channels with low background

# Backgrounds

Main source irreducible of background for exclusive  $H \rightarrow b\bar{b}$ : direct exclusive  $b\bar{b}$  production via  $pp \rightarrow pp b\bar{b}$



If both protons scatter in the forward direction — no  $J_z$  may be transferred to the produced state

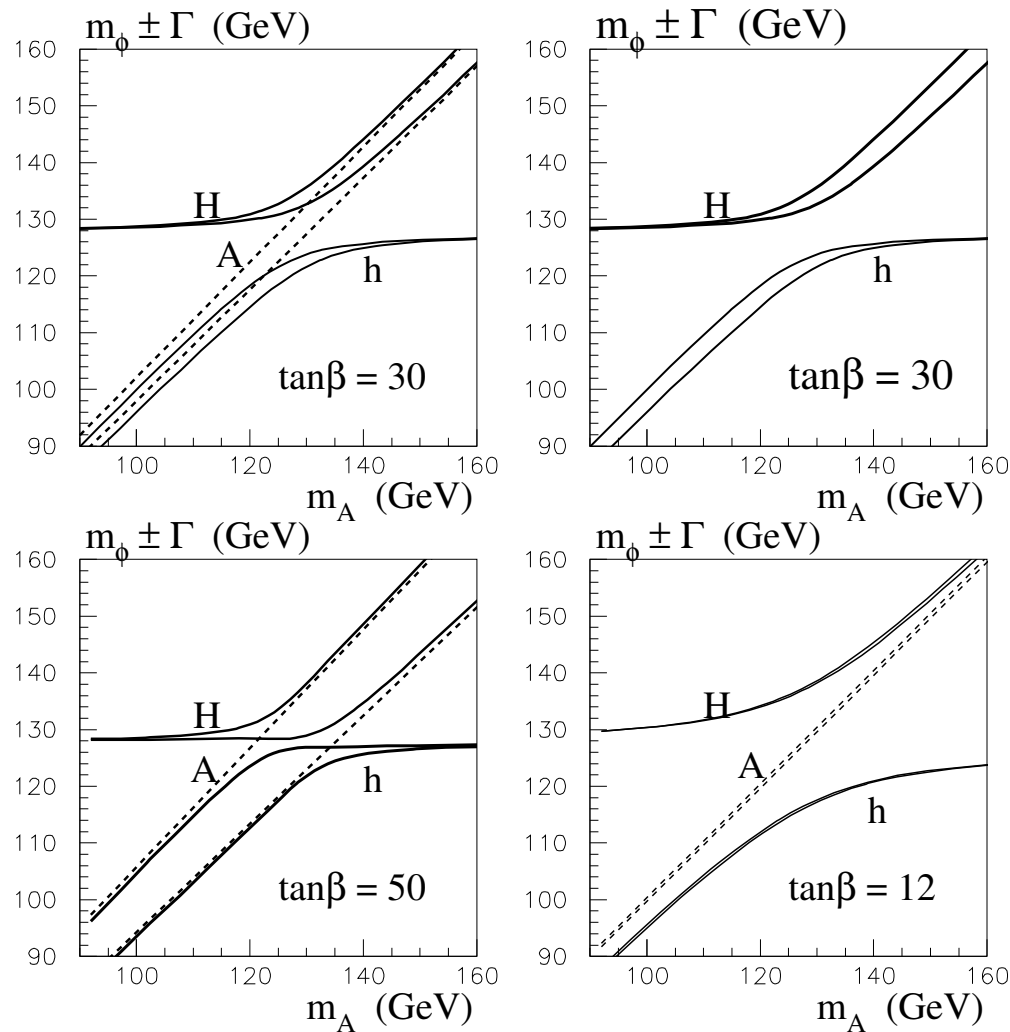
**The  $J_z = 0$  rule:** at the leading order and for massless quarks  $\sigma(gg^{J_z=0} \rightarrow q\bar{q}) = 0$ .

NLO, non-zero quark mass and  $p_t \longrightarrow$  small cross sections:  $\mathcal{O}(m_b^2/M_H^2)$  and  $\mathcal{O}(p_t^2/k_t^2)$

Detailed calculation including experimental resolution  $\longrightarrow$  signal to background ratio  $\sim 1$

A more complex composition of the background processes ( $\gamma\gamma$  and  $gg$ ) is found for the  $WW$  channel but  $S > B$  for  $M_H < 150$  GeV and 5 – 10 clean events are expected in this mass range

Three neutral Higgs bosons in MSSM: scalar  $h$ ,  $H$  and pseudo-scalar  $A$



$M_A \simeq 150$  GeV  $\rightarrow$  “decoupling scenario”

$h$  — very similar to SM Higgs and  $H$  at may be hard to measure in inclusive measurements

$130 < m_A < 170$  and  $\tan\beta \simeq 4 - 6$  — a more reliable measurement should be possible in diffractive channel than in the exclusive channel

“Intense coupling scenario” — approximate degeneracy of the Higgs boson states

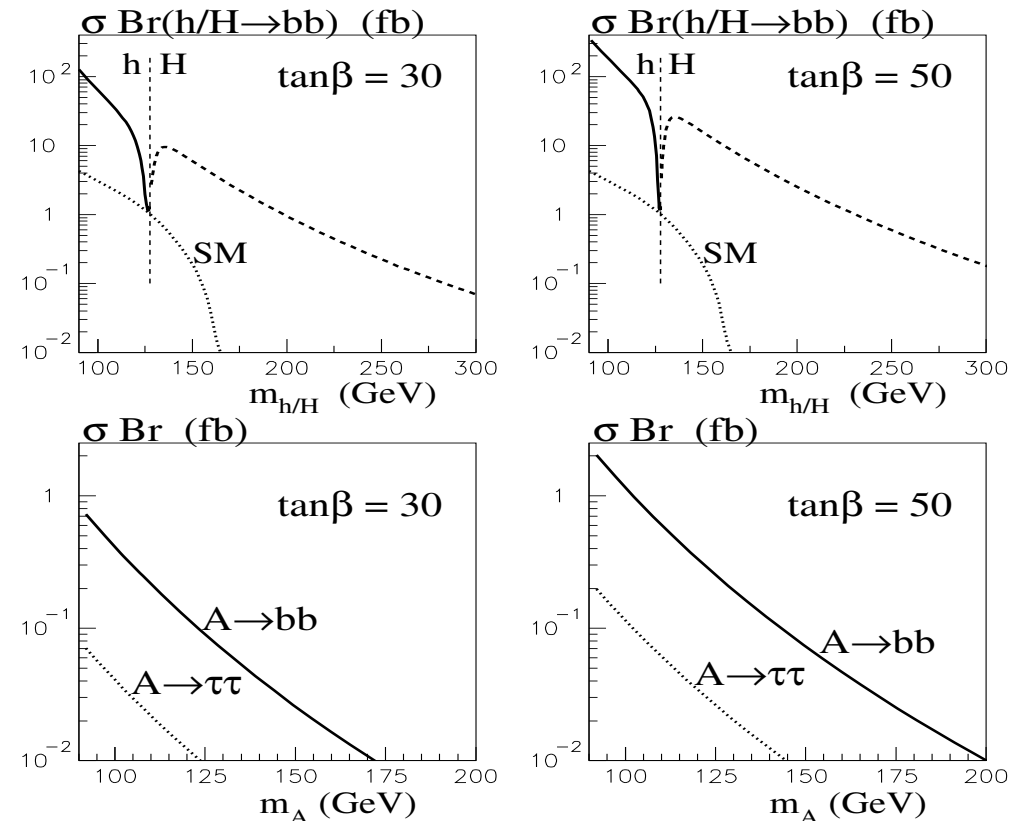
“Intense coupling regime”: large  $\tan \beta$  and three bosons have similar masses — difficult to resolve them in inclusive measurements.

Scalars are strongly coupled to gluons  $\longrightarrow$  easy to measure in diffractive channel

$$M_A = 130 \text{ GeV}, \quad \tan \beta = 50, \quad \mathcal{L} = 30 \text{ fb}^{-1}$$

	S	B
$M_h = 124.4 \text{ GeV}$	71	3
$M_H = 135.5 \text{ GeV}$	124	2
$M_A = 130 \text{ GeV}$	1	2

Central exclusive diffractive production



# Higgs in CP violating SUSY

Soft SUSY breaking terms  $\longrightarrow$  sizable CP violating effects beyond CKM phase

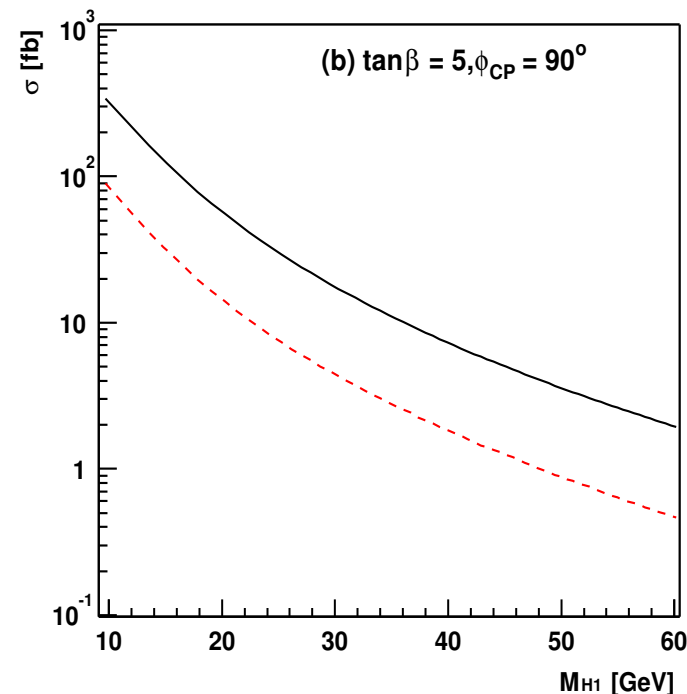
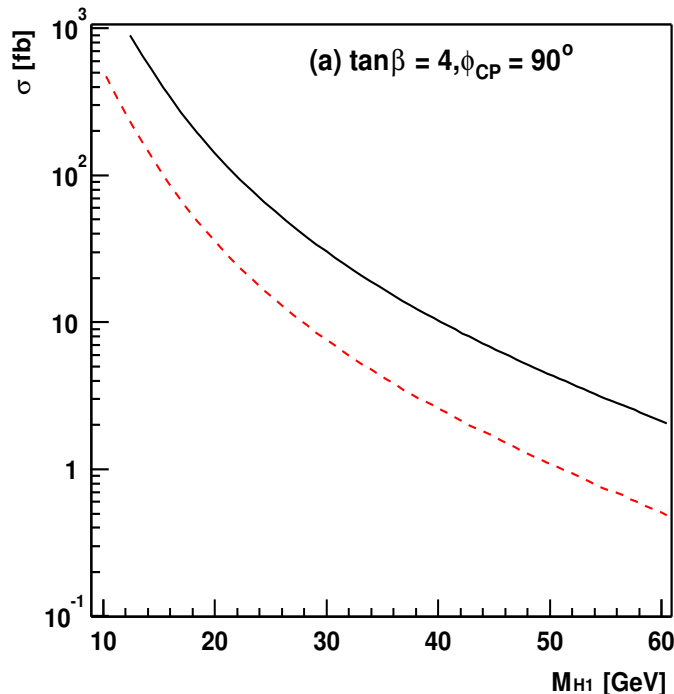
$H$ ,  $h$  and  $A$  Higgs states mix to give  $H_1$ ,  $H_2$ , and  $H_3$  Higgs states without definite CP

$$M_{\text{SUSY}} = 0.5 \text{ TeV}, \Phi_{\text{CP}} = 90^\circ, \tan \beta = 4(5)$$

In this scenario (which is not excluded by present constraints) the lightest Higgs boson  $H_1$  may be as light as  $M_{H_1} \simeq 50 \text{ GeV}$

Exclusive production cross sections  $\sigma \sim 5 \text{ fb}$

[Cox, Forshaw, Lee, Monk, Pilafitsis]





# Tri-mixing CPX SUSY scenario

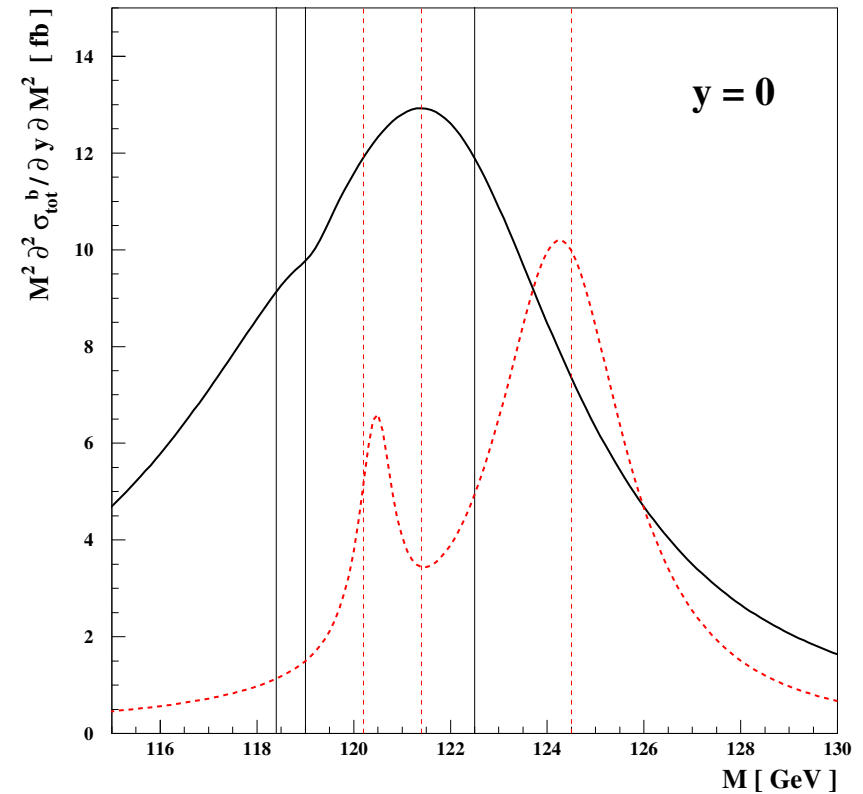
[Ellis, Lee, Pilaftsis]

Tri-mixing scenario: with  $\tan \beta \simeq 50$ ,  
 $M_{\text{SUSY}} = 0.5 \text{ TeV}$ ,  $M_{H^\pm} \simeq 155 \text{ GeV}$

$H_i$  are nearly degenerate,  $M_{H_i} \simeq 120 \text{ GeV}$

CPX phase  $-90^\circ$  ( $-10^\circ$ )

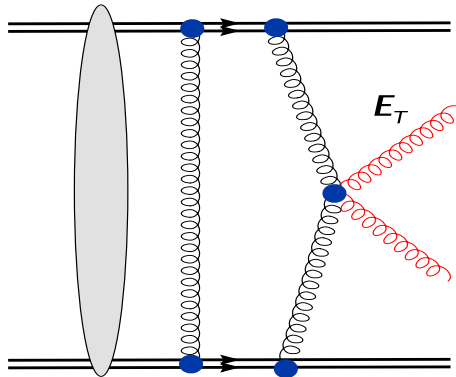
$$M^2 \frac{d\sigma}{dy dM^2}(pp \rightarrow pp + H \rightarrow pp + b\bar{b})$$



Explicit CP violation measurement should be possible in  $\tau\bar{\tau}$  decay channels

# Exclusive di-jets and di-photons at LHC

[Khoze, Martin, Ryskin]

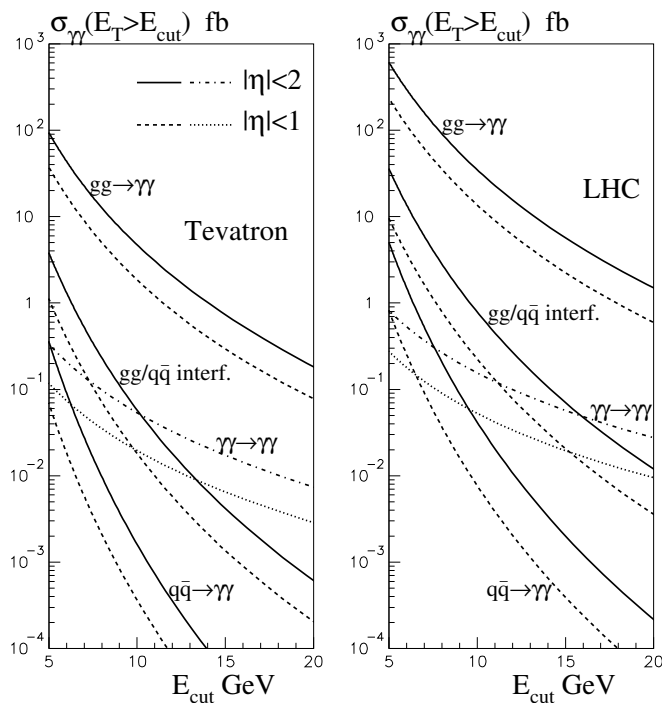


Universality of the “scalar luminosity function” — calibration before exclusive Higgs measurement

Comfortably high rates, especially for di-jets:

$\sigma \sim 1$  nb for  $E_T > 20$  GeV,

$\sigma \sim 0.5$  pb for  $E_T > 60$  GeV,  $|\eta| < 1$



For di-photons:  $\sigma \sim 0.1$  pb for  $E_T < 8$  GeV and  $|\eta| < 2$

Precise measurements of protons'  $p_t$   $\longrightarrow$  possibility to study proton structure in the transverse plane

Excellent environment to study properties of gluonic jets

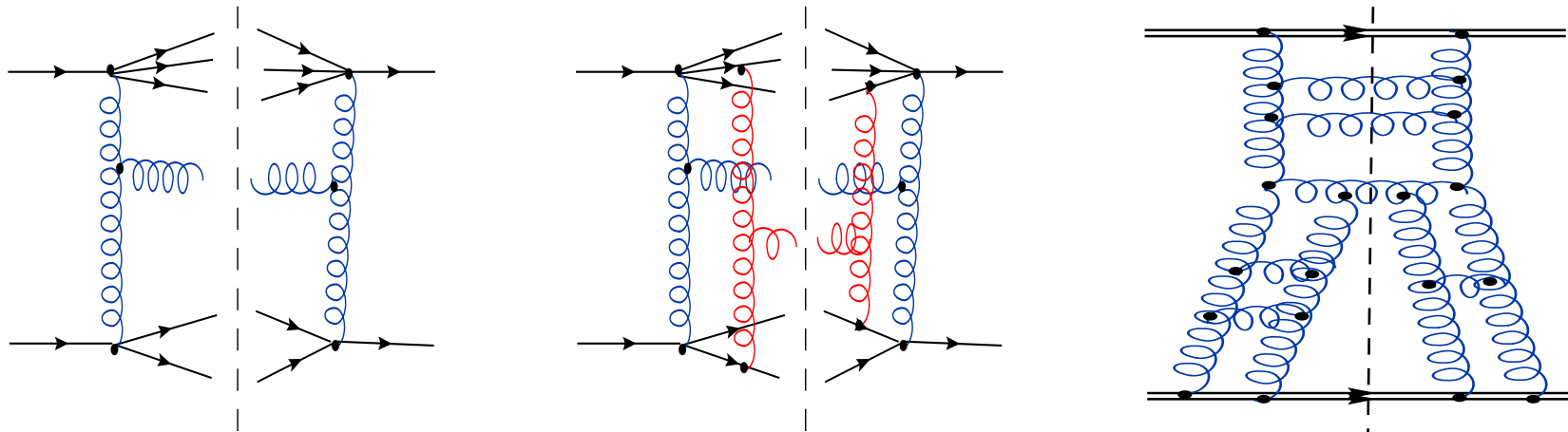
# Multiple scattering and exclusive production

Multiple scattering: multiple production of mini-jets with sizable  $E_T$ , pedestals in particle distributions and modified jet shapes may produce backgrounds that interfere in analyzes of hard physics

From theory side: multiple  $pp$  scattering at the LHC is poorly understood

Descriptions of exclusive processes and of multiple scattering rely on the same core formalism in QCD

Optical theorem  $\sigma(s)_{tot} \propto \sum_X |M(pp(s) \rightarrow X)|^2 \propto \text{Im } M(s, t = 0)$



Combined measurements of hard exclusive processes, multiple scattering observables and diffractive processes would provide excellent input and constraint for theoretical QCD framework

→ better understanding of the event structure

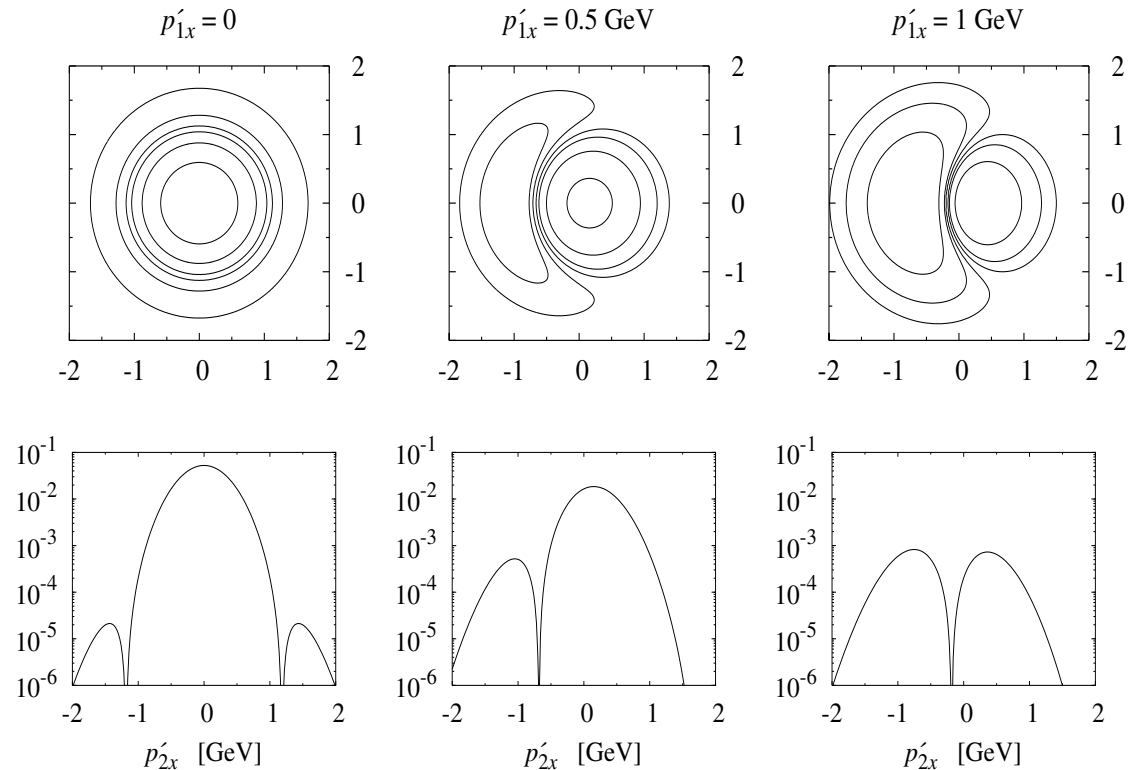
# Transverse imaging of the proton

[Frankfurt, Hyde-Wright, Strikman, Weiss]

Forward detectors may measure  $\mathbf{p}_1$ ,  $\mathbf{p}_2$  of scattered protons in hard exclusive production

$$\frac{d^4\sigma(pp \rightarrow ppA)}{d^2p_1 d^2p_2}$$

Contour plots of  $\mathbf{p}_2$  dependence and distributions for parallel momenta  $\mathbf{p}_1$  and  $\mathbf{p}_2$



Differential  $\mathbf{p}_i$  distributions may be used to probe

- (in)dependence of production and rescattering mechanisms
- (energy dependent) matter distribution in the proton in transverse space
- Unique possibility to probe directly  $S$ -matrix instead of  $T$ -matrix

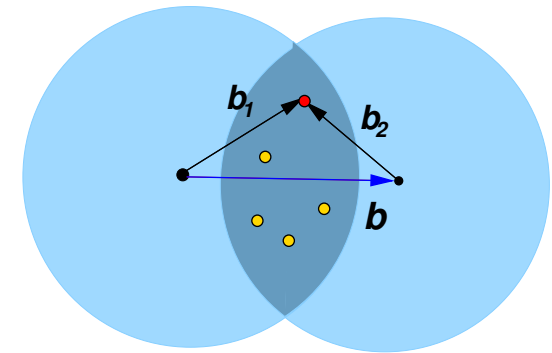
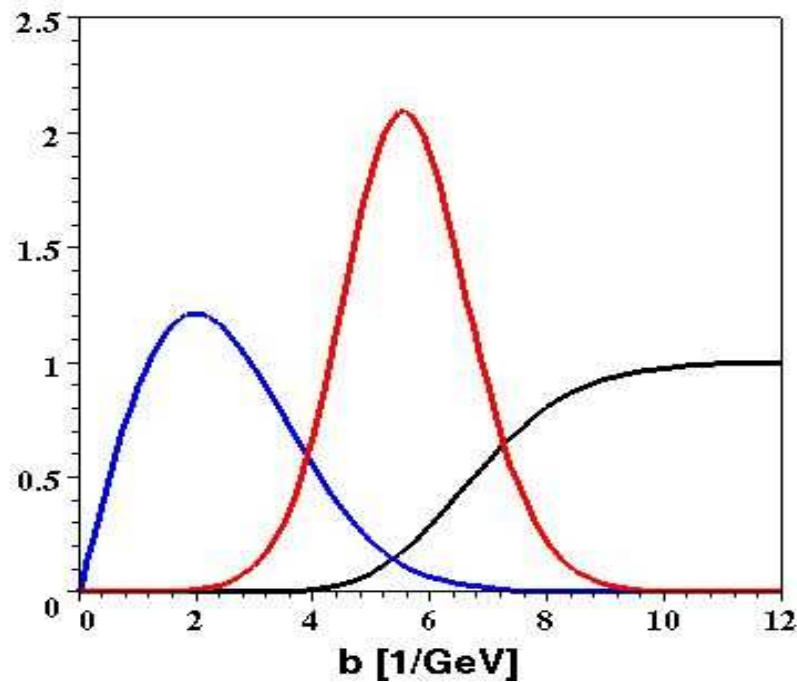
# S-matrix and hard exclusive production

Gap survival factor:

$$S^2 = \frac{\int b db \exp(-\Omega(b)) |M_{\text{hard}}(b)|^2}{\int b db |M_{\text{hard}}(b)|^2}$$

**Exclusive Production** = **Hard matrix element**  $\times$  Amplitude of no rescattering

Production profile (red) for LHC is magnified by factor of 100



The  $b$  profile depends strongly on details of the  $pp$   $S$ -matrix  $\longrightarrow$  so do the  $p_t$  distributions of the scattered protons

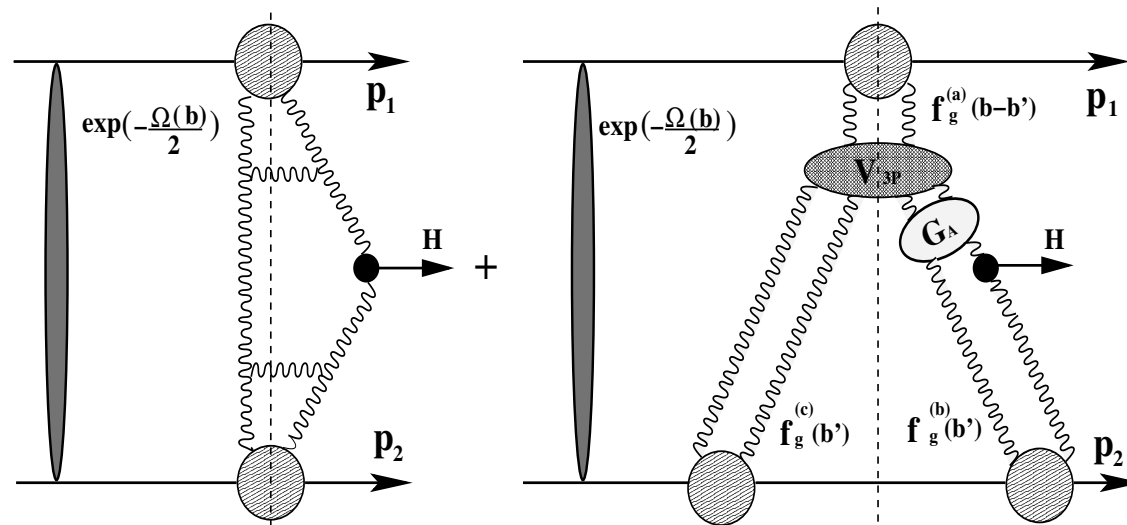
# Uncertainties in hard exclusive production estimates

Basis of QCD calculations: **hard production subprocess**  $\times$  **soft rescattering**

**Hard production part** — perturbative QCD — under good theoretical control

**Soft rescattering** — phenomenological, constrained by total, elastic and diffractive cross sections

→ Uncertainties:  $T$  vs  $S$ -matrix, extrapolations to the LHC energy, QCD rescattering within the hard part, possible breaking of factorisation between hard and soft part

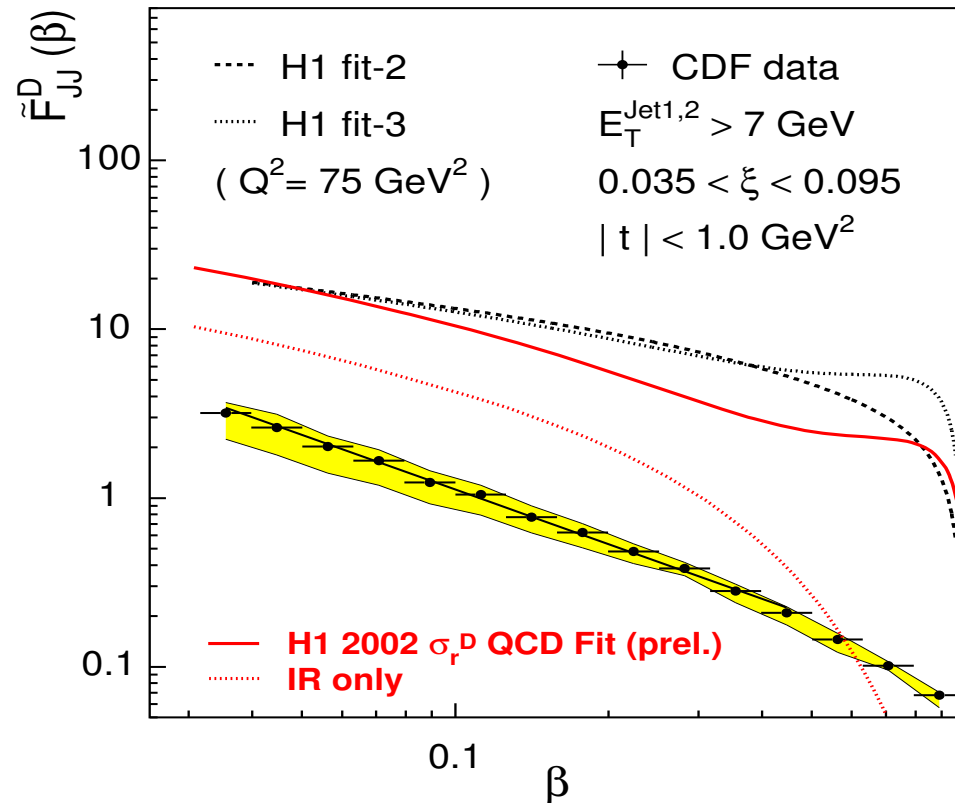
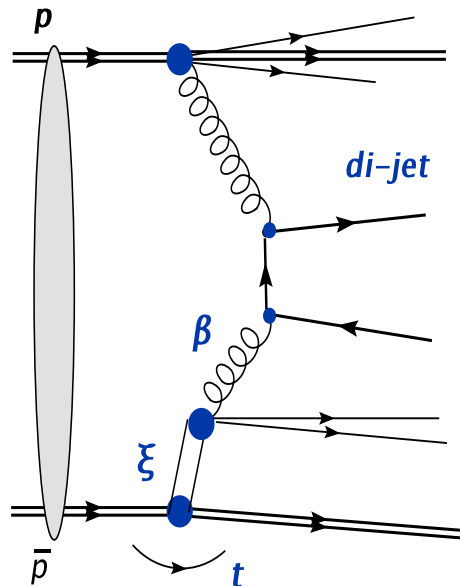


[Bartels, Bondarenko, Kutak, LM]

→ **Crude** estimate of the gap survival uncertainty — **factor of 2 – 4**

# Check – single diffraction at the Tevatron

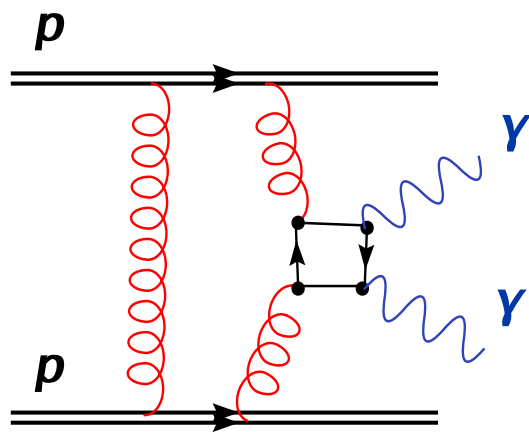
$$\text{CDF : } p\bar{p} \rightarrow \bar{p} + \text{gap} + jj + X$$



Breaking of hard diffractive factorisation

Gap survival:  $S^2 \simeq 0.1$  in accordance with theoretical predictions — mind however uncertainty coming from uncertainties in HERA fits of diffractive PDF

# Exclusive di-photons at the Tevatron



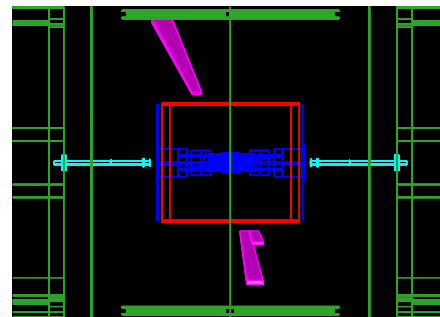
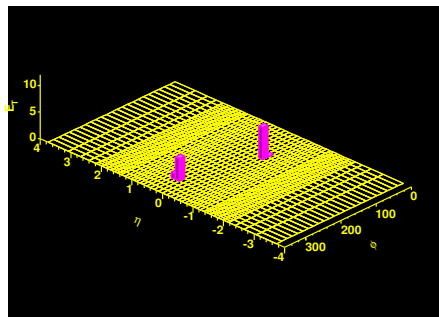
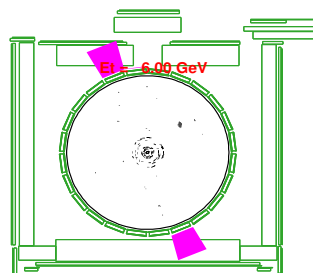
Cuts:  $E_t > 5 \text{ GeV}$ ,  $\eta < 1$

Prediction:  $\sigma = 0.04 \text{ pb}$  with uncertainty factor 3 – 5

CDF measurement (2006): 3 events

$$\rightarrow \sigma = 0.14^{+0.14}_{-0.03} \pm 0.03 \text{ pb}$$

Expected background:  $0^{+0.2}_{-0}$  events  $\rightarrow 3.3\sigma$  significance



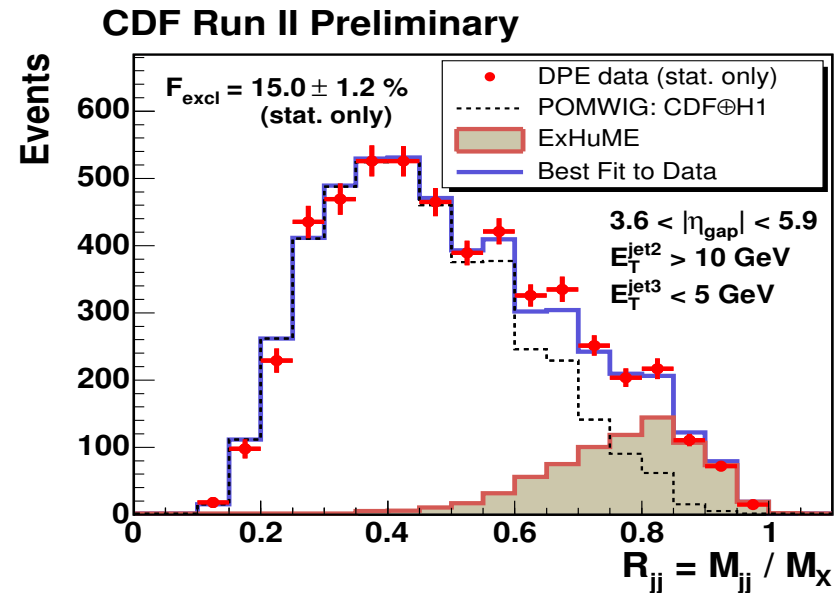
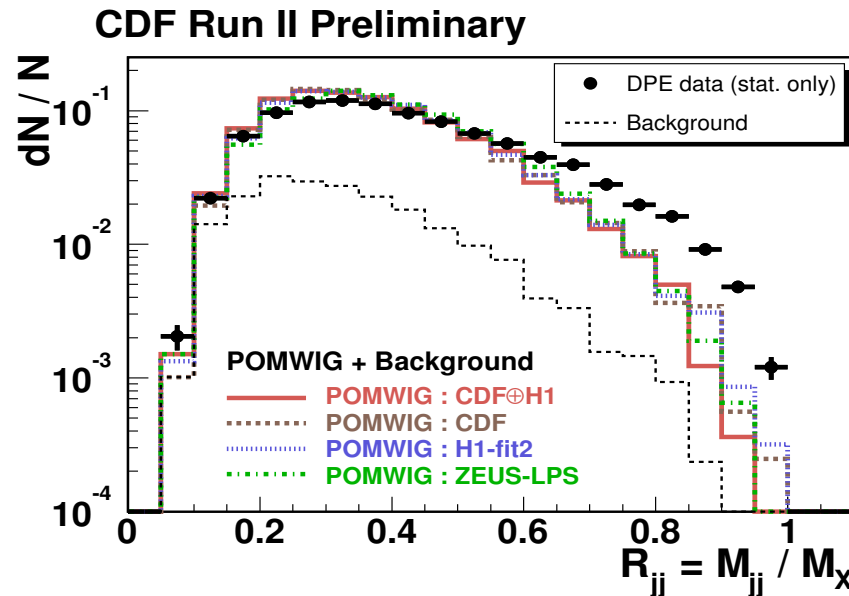


## Exclusive di-jets at CDF

CDF Roman Pot Spectrometer allows for anti-proton tagging while proton escapes the detection

No activity at the proton side  $3.6 < \eta < 5.9$

Excess was found over expectations from diffractive, proto-dissociative di-jet production at larger  $R_{jj} = M_{jj}/M_X$  (CDF, 2006)



Excess at large  $R_{jj}$  – in agreement with QCD predictions for exclusive di-jets

Relative suppression of heavy quark jets at  $R_{jj} \sim 1$  ( $J_z = 0$  rule)

# Summary

- Very forward proton detectors are complementary to central detectors at the LHC and enhance their discovery potential
- Main advantages of using forward detectors
  - background suppression and  $0^{++}$  filtering
  - very high energy resolution
  - access to fine details of the production mechanism
- Forward detectors are a powerful tool that may provide insight into details of new physics (e.g. SM and SUSY Higgs sector)
- Useful for more conventional studies of QCD: proton structure, rapidity gap physics, hard diffraction, two-photon physics, gluonic jets etc.
- Uncertainties of theoretical predictions remain sizable, success is not guaranteed, there are technical difficulties etc.: → clearly — we may feel challenged

# Back-up

# Exclusive di-jets at CDF

QCD Monte-Carlo ExHuME based on Durham model gives correct shapes but slightly overestimates the data

