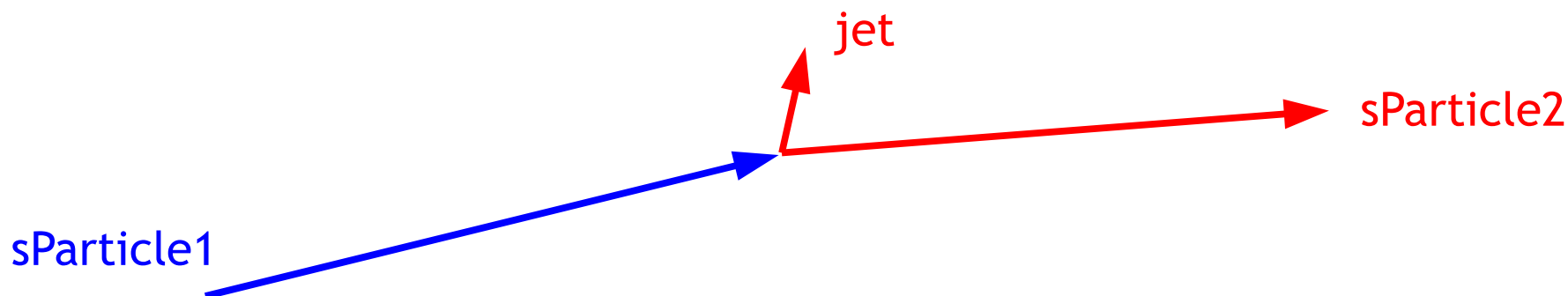


Update on Kinematic Fits

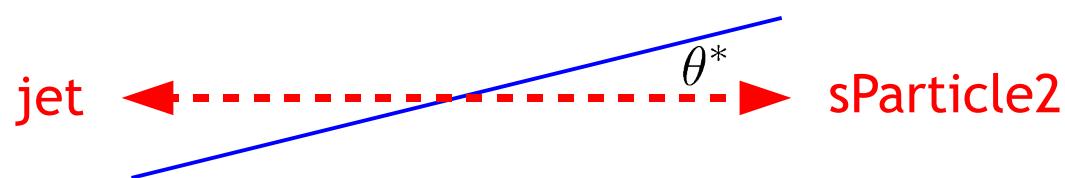
C. Sander

Susy Group Meeting – Hamburg – 23rd June 09

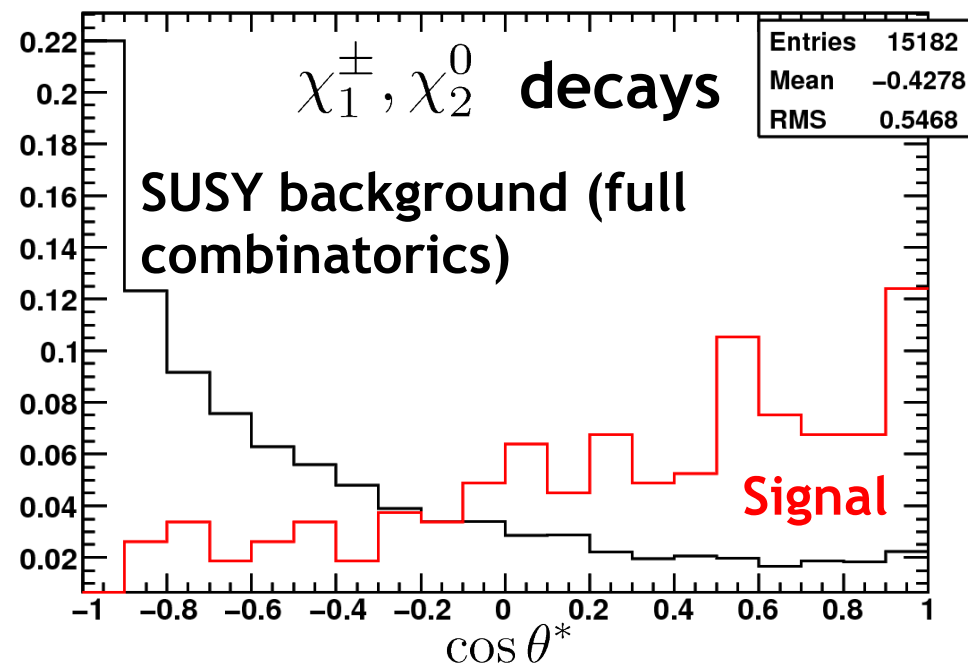
- Huge combinatorial background \rightarrow Large invariant mass combinations, e.g.



- In rest frame of SUSY particles: angular distribution $\cos \theta^*$ of decay products with respect to flight direction of decaying particle should be \sim isotropic (for spin 0)
- $\cos \theta^*$ for typical background 4-vector configurations of are not uniformly distributed (smaller angles preferred)



Many decay angles in SUSY cascades
 \rightarrow Use event kinematics to reduce
 combinatorial bg reduction



Take Likelihood functions for **signal** (background) from **generator information** (fit results)

Likelihood ratio:
$$\mathcal{L} = \frac{L_{\text{signal}}}{L_{\text{signal}} + L_{\text{bg}}}$$

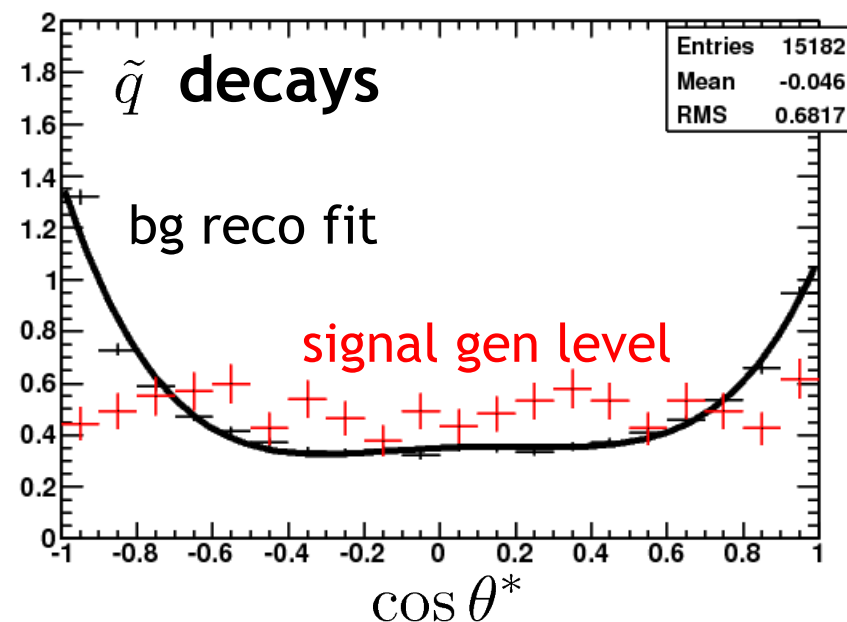
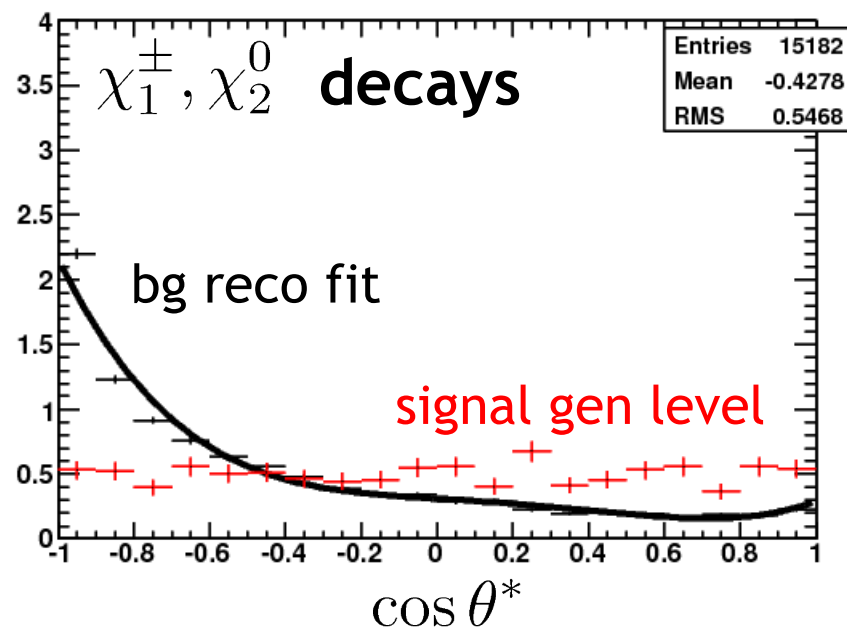
Relation between χ^2 and likelihood

$$\mathcal{L} = \exp\left(\frac{-\chi^2}{2}\right)$$

$$\rightarrow \chi^2 = -2 \cdot \log \mathcal{L}$$

Two squark and two chargino/neutralino decays yield four new contributions to fitness function

Potential problem: signal is ~ uniformly distributed, but now particular regions are preferred \rightarrow some signal events more converge with wrong combination



- Mass edges do not provide new information in addition to mass constraints
- Study how angular relations reduce background from SUSY background
- Use angular information after the fit (can then also be used with Lagrangian multipliers)
- Look at different χ^2 contributions to get a feeling which constraints are most sensitive on bg (combinatorial and SUSY bg)
- Study stability of the fit (repeat several times ... with different starting values ... different algorithm settings ...)
- Search for additional kinematic constraints/variables (e.g. $\Delta\phi$ of two primary SUSY particles)