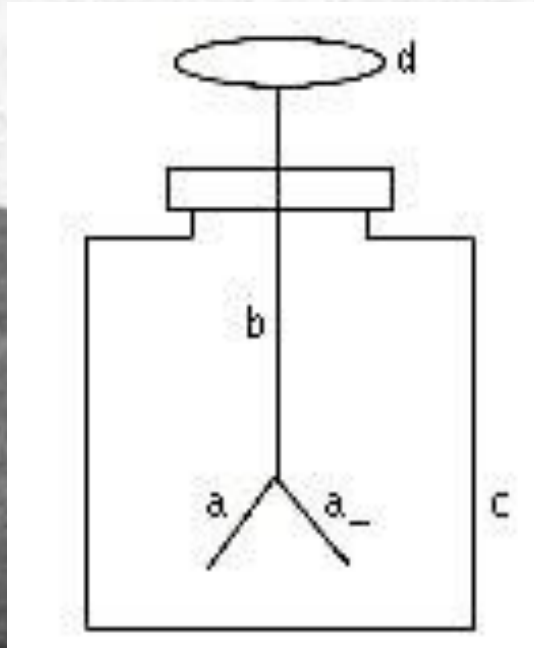


Astroparticle Physics

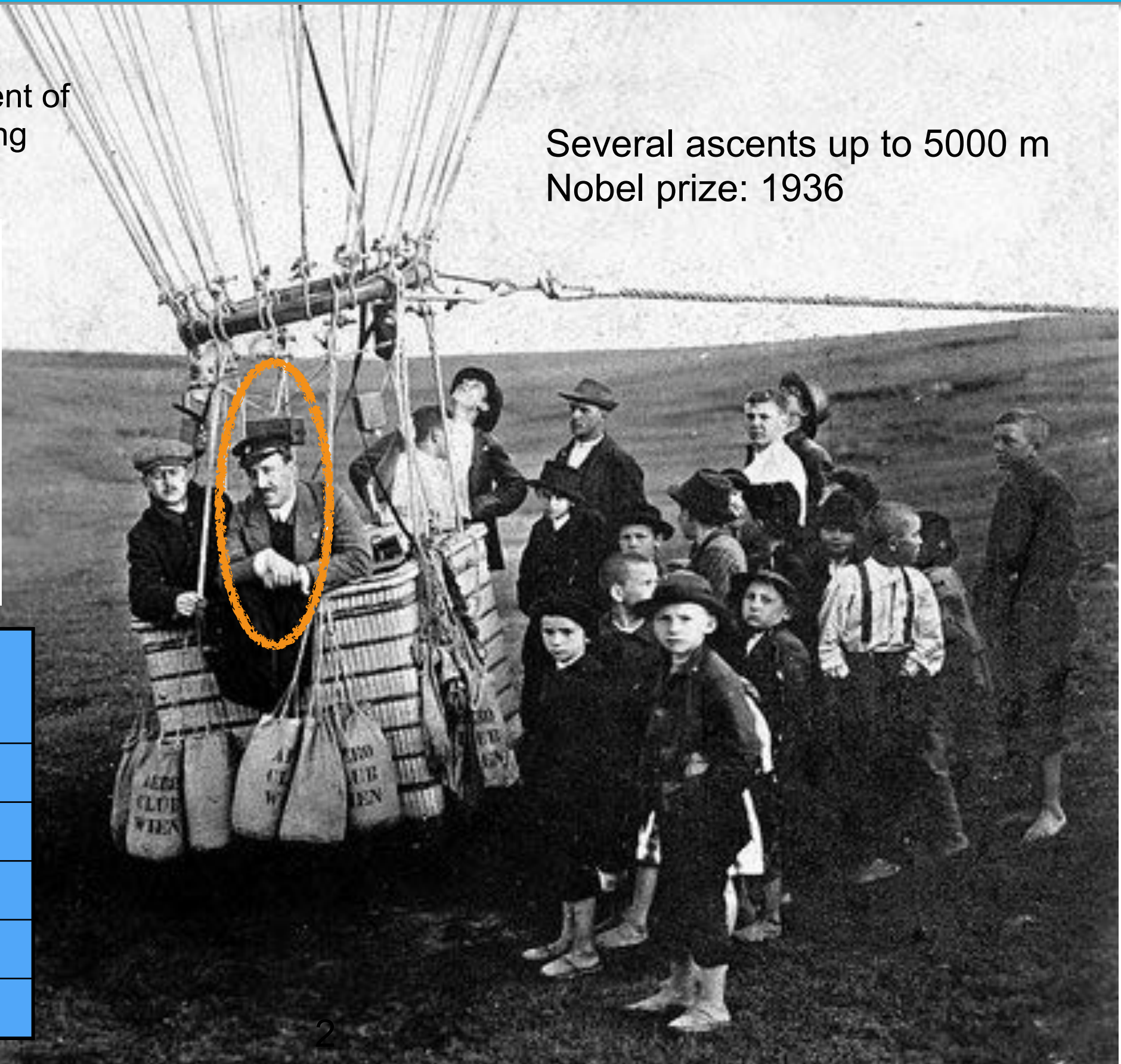
106 Years of Cosmic Rays: Victor Hess

Electroscope: measurement of discharge due to ionising particles



Several ascents up to 5000 m
Nobel prize: 1936

Altitude (km)	Change in Ionization (10^6 m^{-3})
0	0
1	1.2
3	8.8
4	28.7
5	61.3

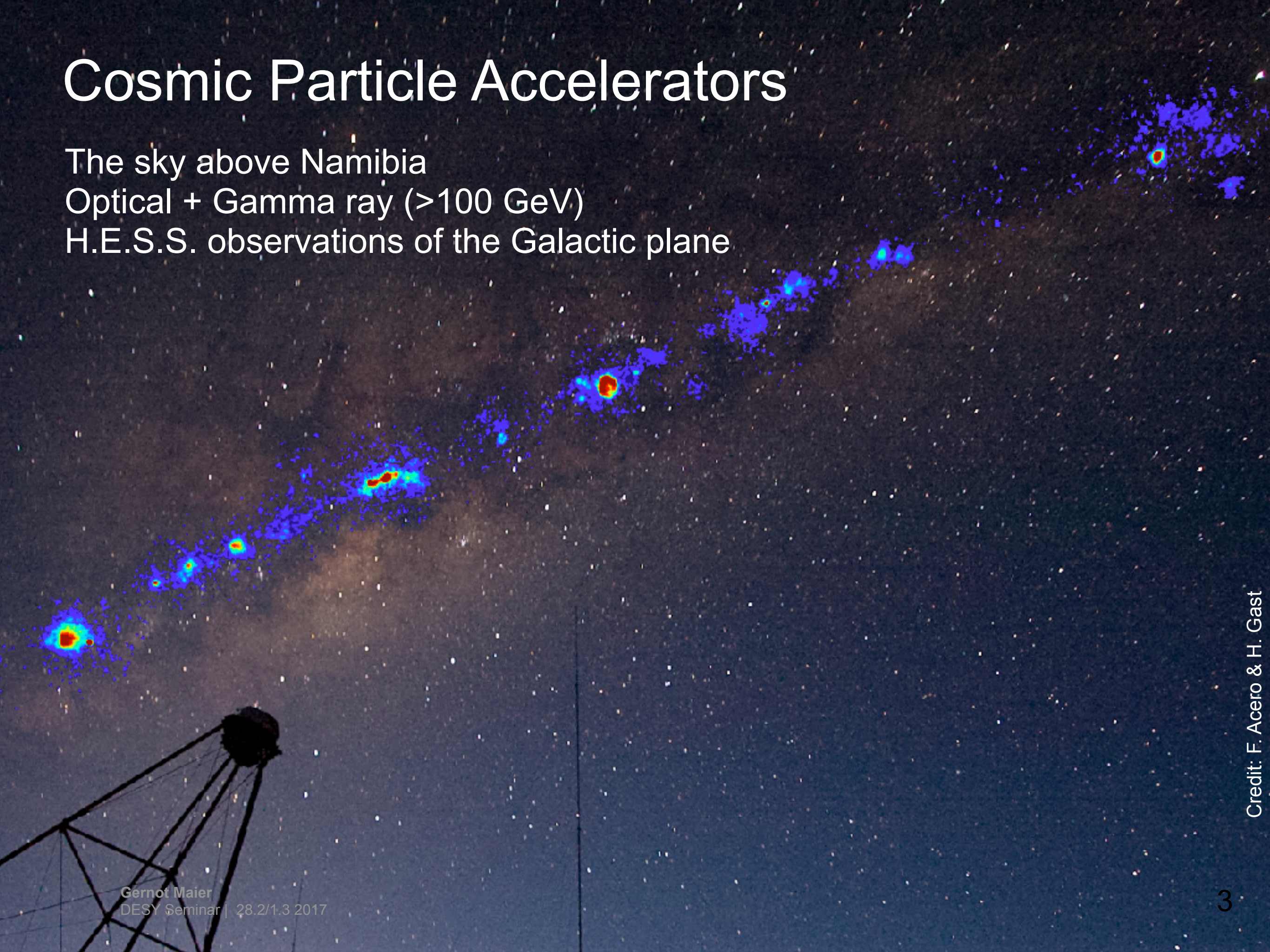


Cosmic Particle Accelerators

The sky above Namibia

Optical + Gamma ray (>100 GeV)

H.E.S.S. observations of the Galactic plane





• Cosmic Particle Acceleration

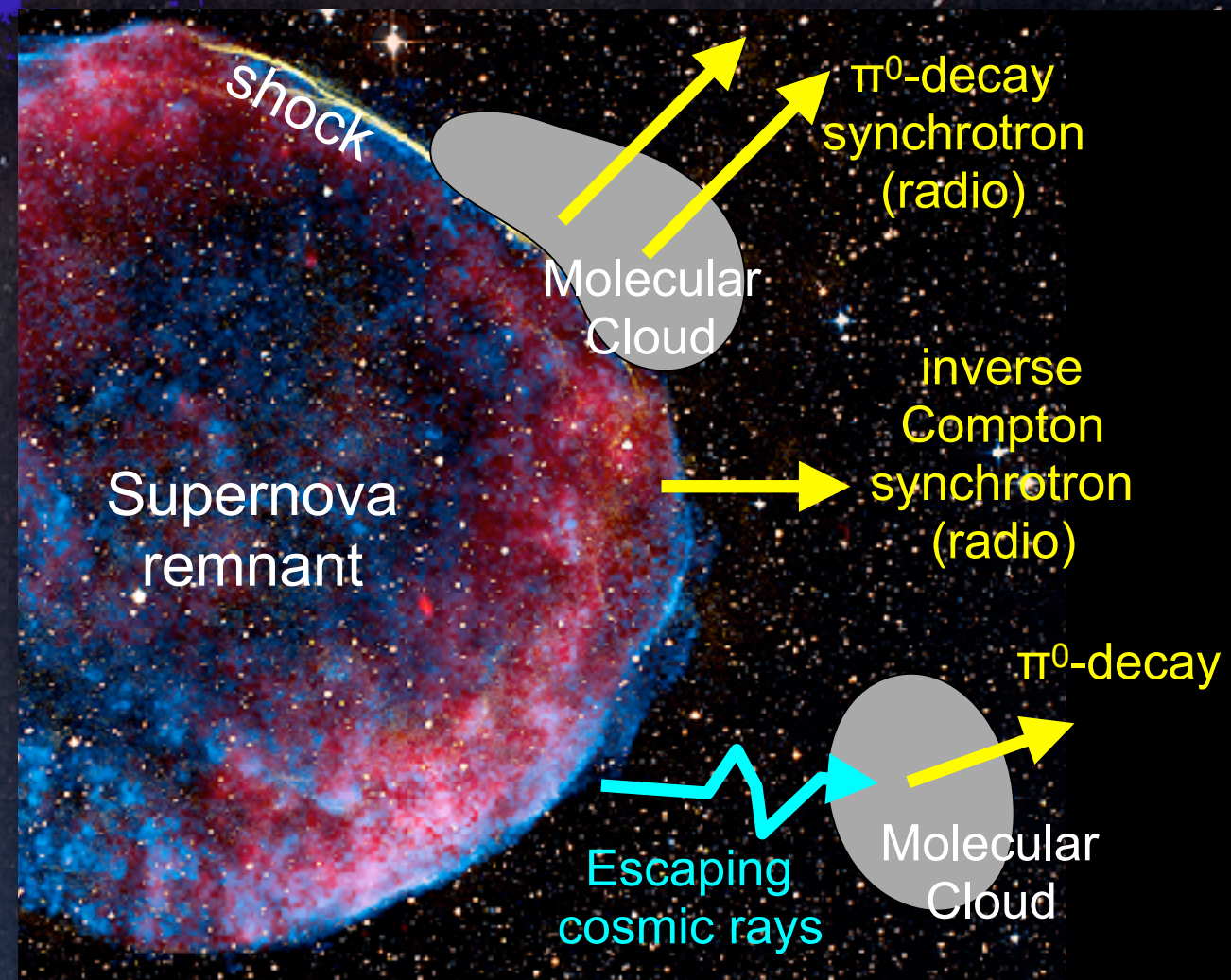
- how and where are particles accelerated?
- how do they propagate?
- what is their impact on the environment?

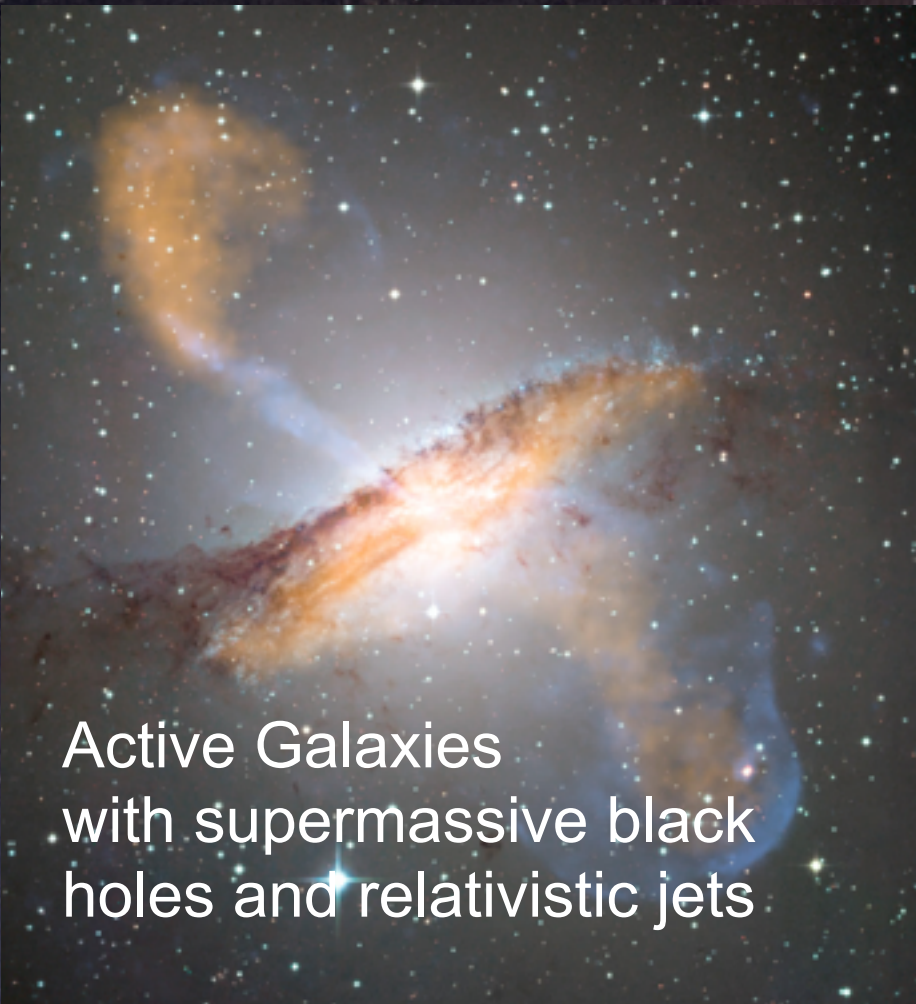
cosmic rays energies
up to 10^{20} eV
energy density similar
to star light or magnetic fields

• Cosmic Particle Acceleration

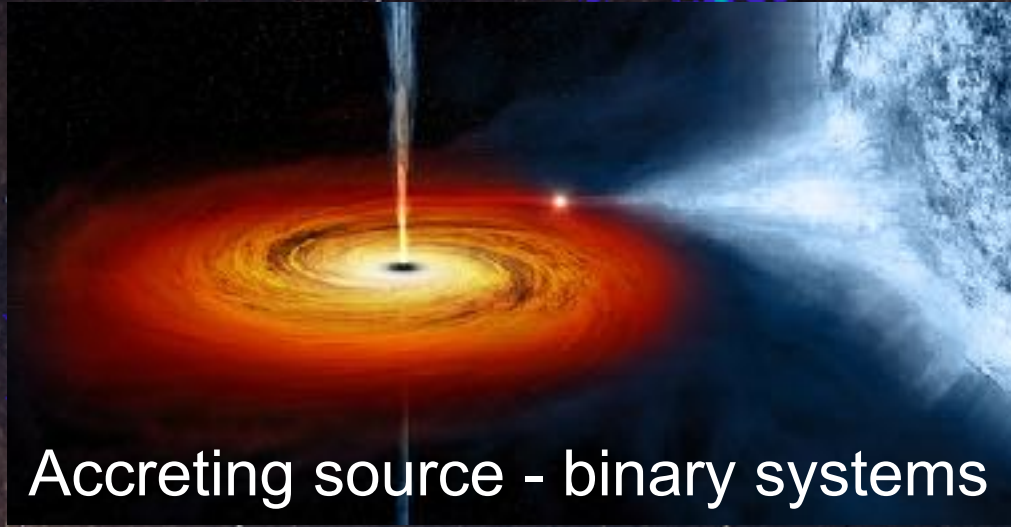
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up to 10^{20} eV
energy density similar
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Active Galaxies
with supermassive black
holes and relativistic jets



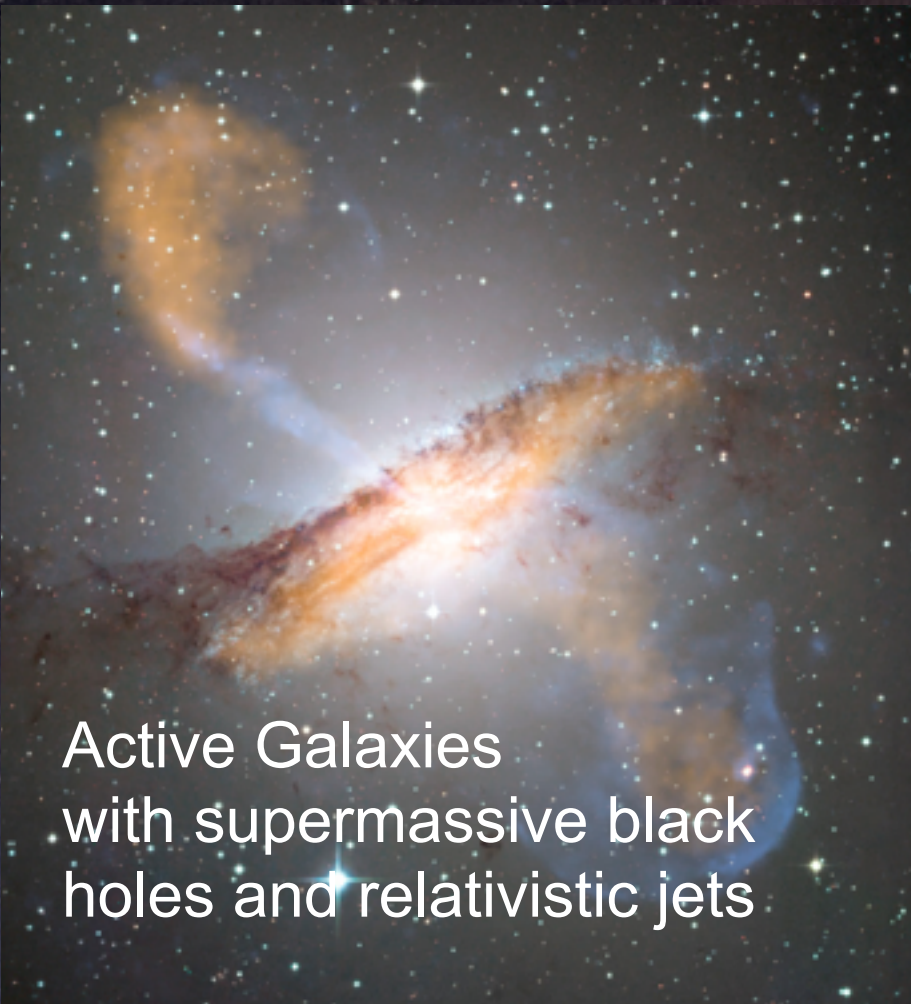
Accreting source - binary systems



Pulsars

• Probing Extreme Environments

- processes close to neutron stars and black holes
- processes in relativistic jets, winds, accretion, explosions
- cosmic voids



Active Galaxies
with supermassive black
holes and relativistic jets



Accreting source - binary systems



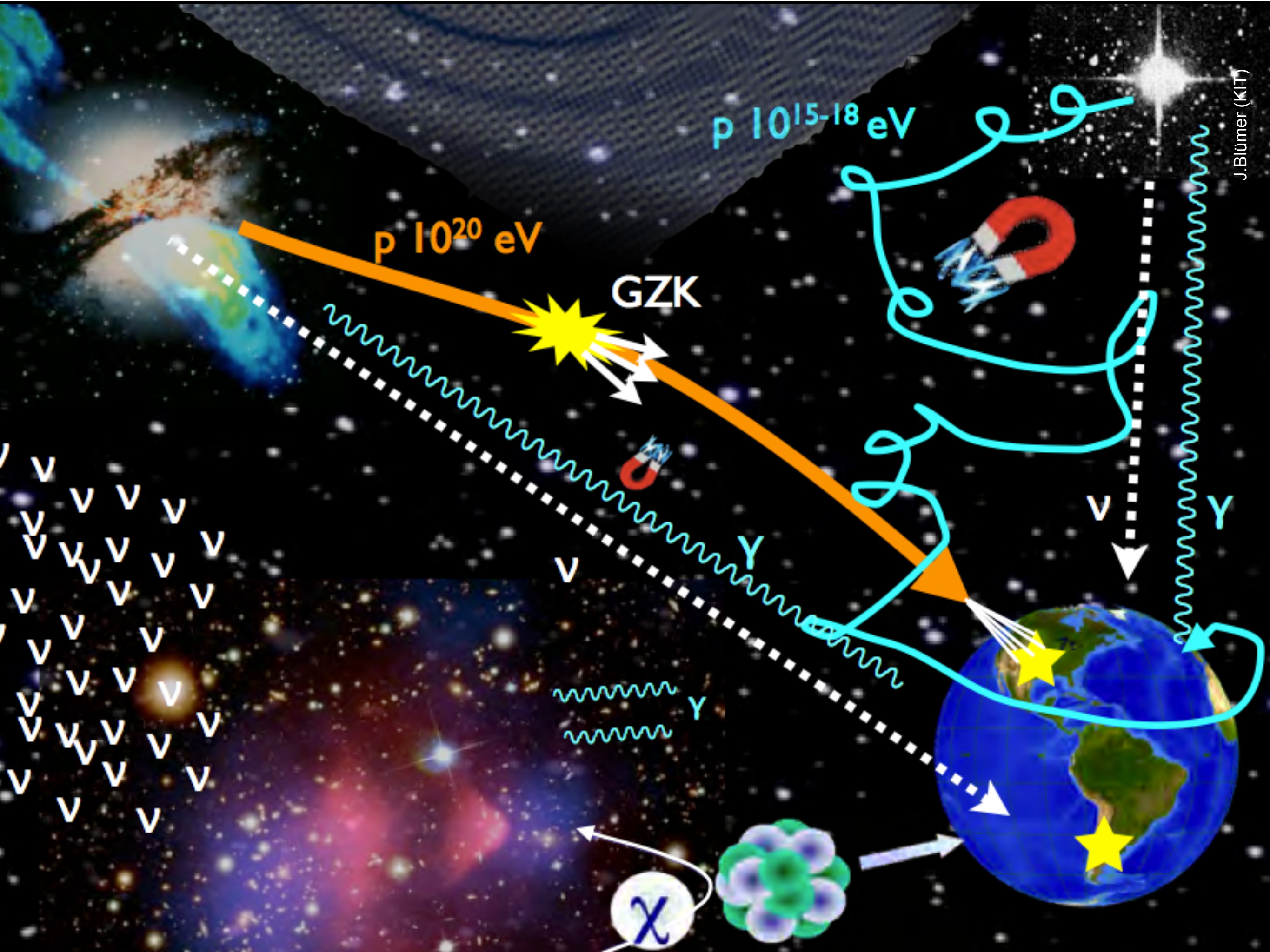
Pulsars

• Exploring Frontiers in Physics

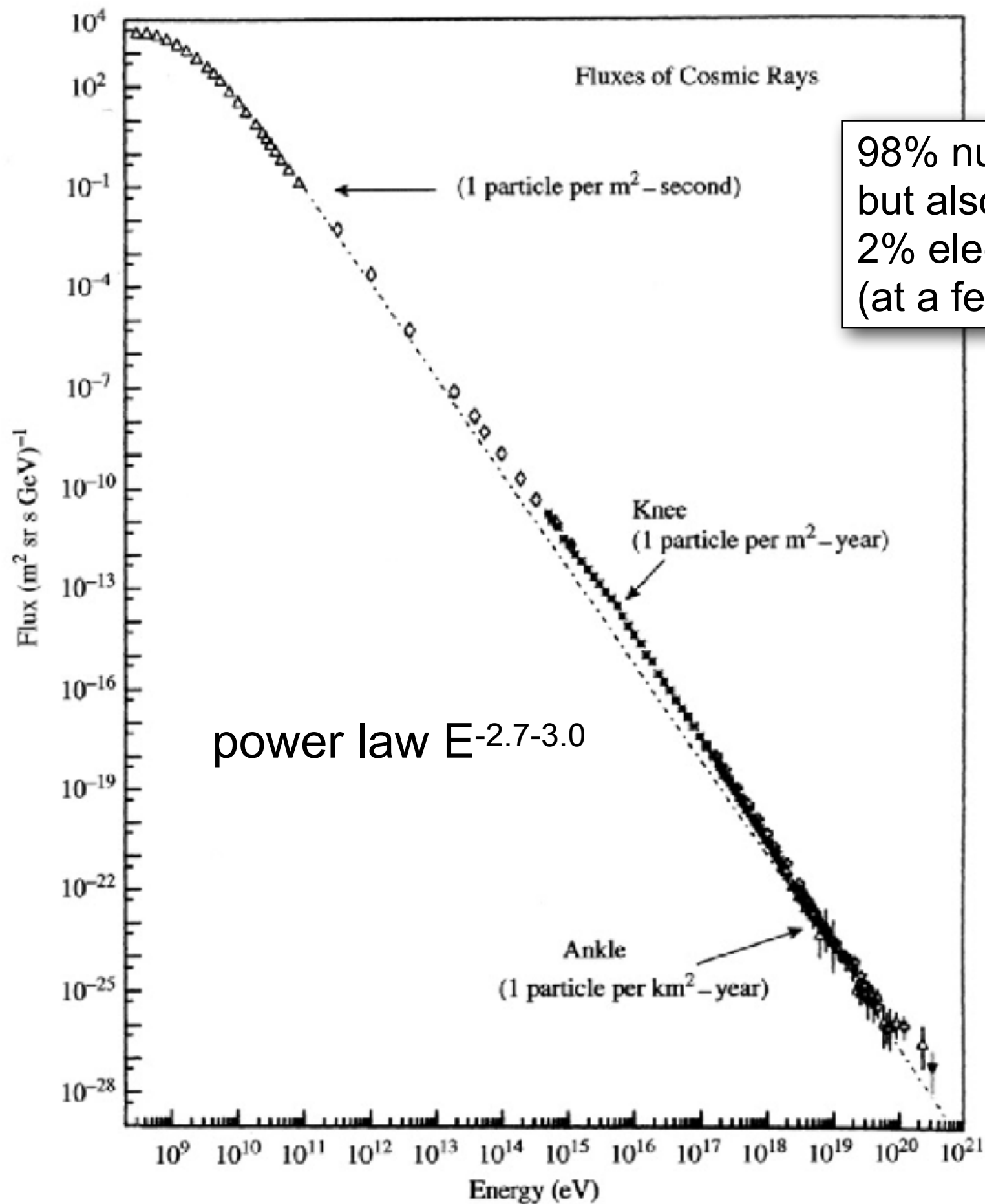
- what is the nature of dark matter? how is it distributed?
- is the speed of light constant?
- do axion-like particles exist?

dark matter
(line-of-sight density)

many discoveries in the past 100 years:
positron, muon, neutrino oscillations, ...



The Cosmic Ray Energy Spectrum

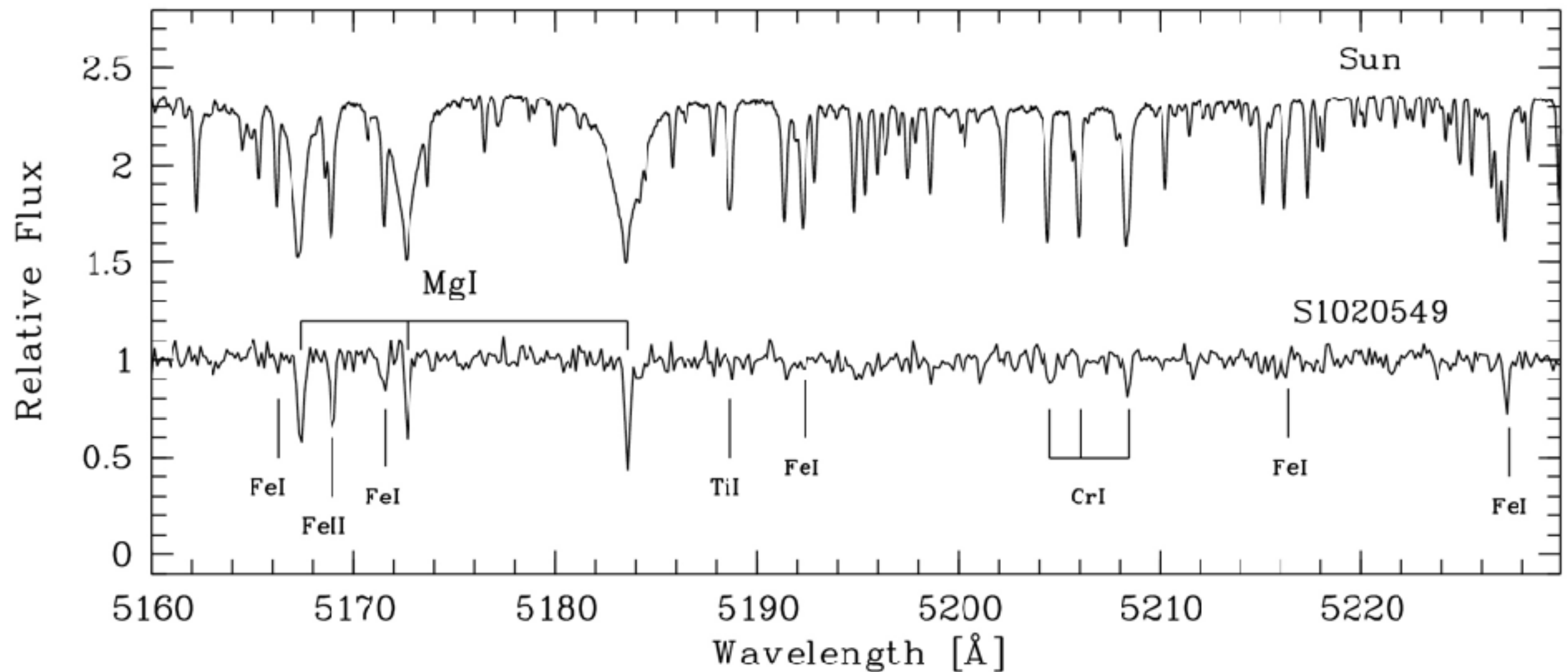


98% nuclei, mostly p, He,
but also heavier nuclei
2% electrons
(at a few GeV)

Bhattacharjee & Sigl 2000

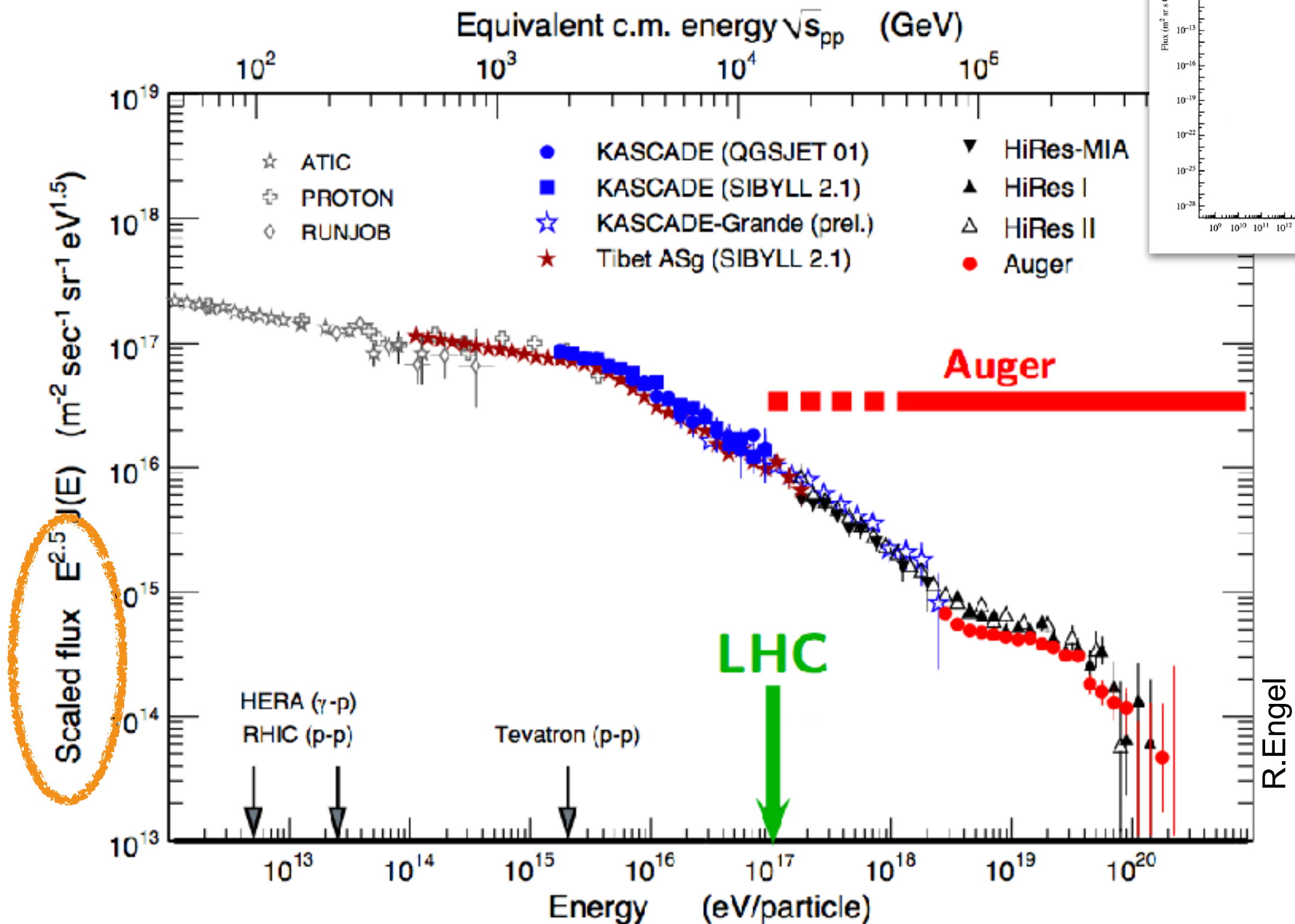


Typical spectra at optical wavelengths of celestial objects



cosmic ray energy spectrum looks very different...

The Cosmic Ray Energy Spectrum

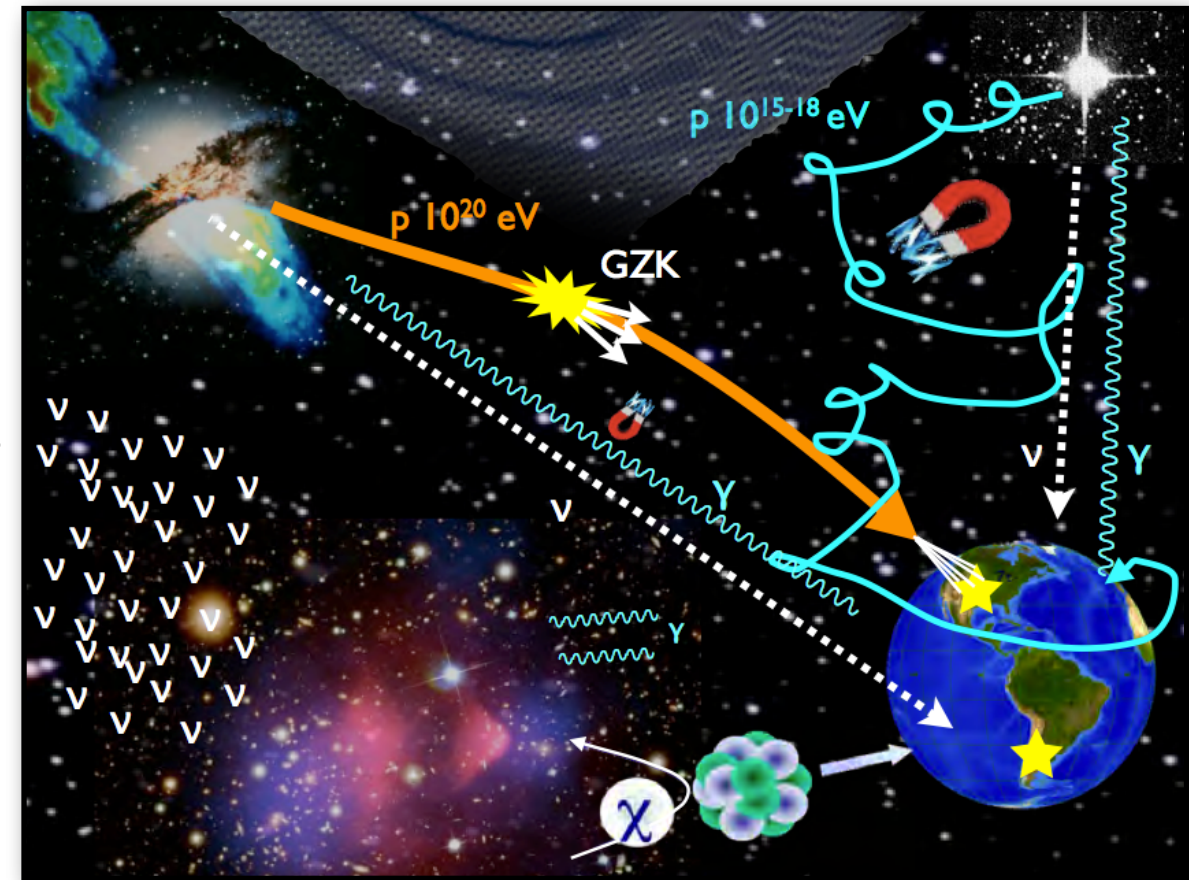


R.Engel



High-energy particles and their interactions (1)

- > interaction with magnetic fields
 - deflection
 - energy loss through synchrotron radiation
- > interaction with matter fields / other particles
 - $p_{\text{CR}} + p \rightarrow p + \pi^{0/+/-} + \dots$
 - Bremsstrahlung
 - inverse Compton scattering
 - pair production / annihilation
- > interaction with photon fields
 - $p_{\text{CR}} + \gamma_{\text{CMB}} \rightarrow p + \pi^0$ / $p_{\text{CR}} + \gamma_{\text{CMB}} \rightarrow n + \pi^{+/-}$
 - $p_{\text{CR}} + \gamma \rightarrow p + e^+e^-$
 - $\gamma + A(N) \rightarrow (A-1) + N$
- > secondary particles produce synchrotron radiation and cascades



High-energy particles and their interactions (2)

Optical

star light

0.4-0.6 μm



High-energy particles and their interactions (2)

Infrared

thermal emission from interstellar dust

12, 60, 100 μm

Optical

star light

0.4-0.6 μm



High-energy particles and their interactions (2)

Hydrogen 21 cm line, cold interstellar medium (gas)

Radio

21 cm

thermal emission from interstellar dust

Infrared

12, 60, 100 μm

star light

Optical

0.4-0.6 μm



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Hydrogen 21 cm line, cold interstellar medium (gas)

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0.4-0.6 μm

very hot, shocked gas

X-ray

0.25, 0.75, 1.5 keV



High-energy particles and their interactions (2)

synchrotron emission from HE electrons moving through interstellar magnetic fields

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480 MHz

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π^0 decay from interaction of Cosmic Rays with interstellar medium

γ -ray

>100 MeV



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X-ray

0.25, 0.75, 1.5 keV

π^0 decay from interaction of Cosmic Rays with interstellar medium

γ -ray

>100 MeV

emission from high-energy charged particles

γ -ray

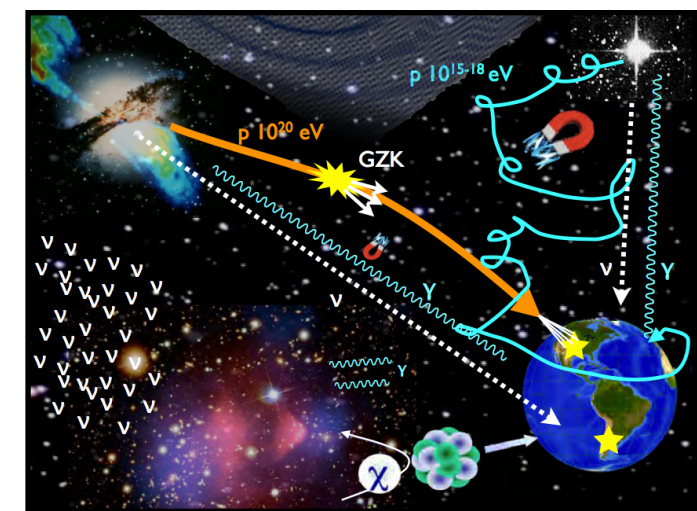
>300 GeV



High-energy particles and their interactions (3)

$N_i(E, x, t)dE$ is density of particles of type i at position x with energy between E and dE

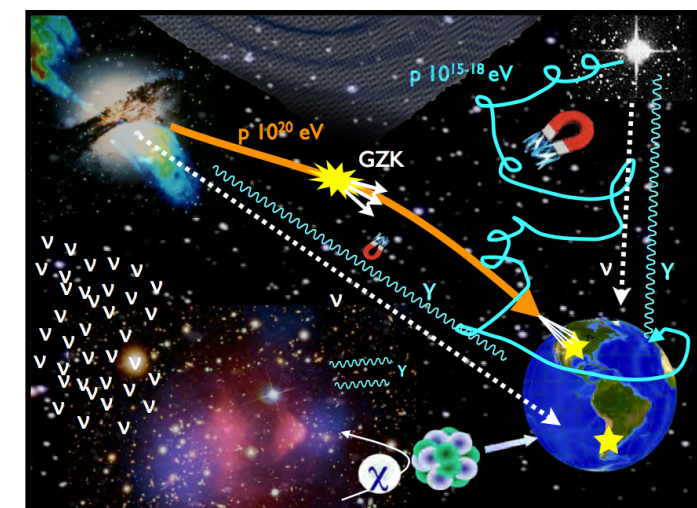
$$\begin{aligned} \frac{\partial N}{\partial t} = & \nabla \cdot (D_i \nabla N_i) - \frac{\partial}{\partial E} (dE/dt N_i(E)) - \nabla \cdot \vec{u} N_i(E) \\ & + Q_i(E, t) - p_i N_i + \frac{v\rho}{m} \sum_{k \geq i} \frac{d\sigma_{i,k}(E, E')}{dE} N_k(E') dE' \end{aligned}$$



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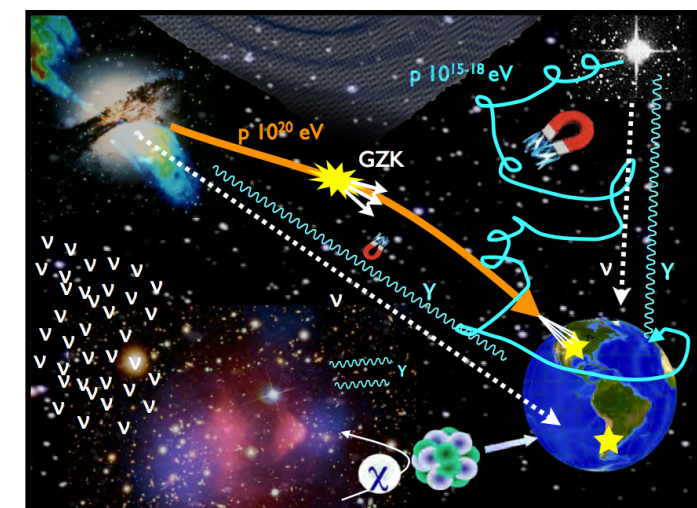
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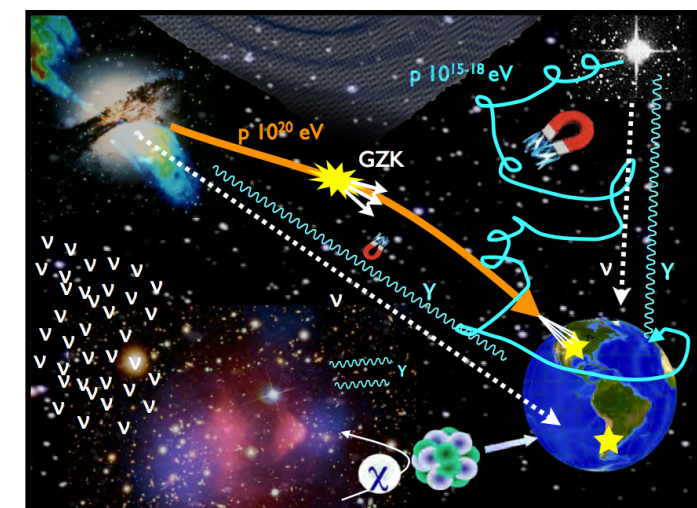


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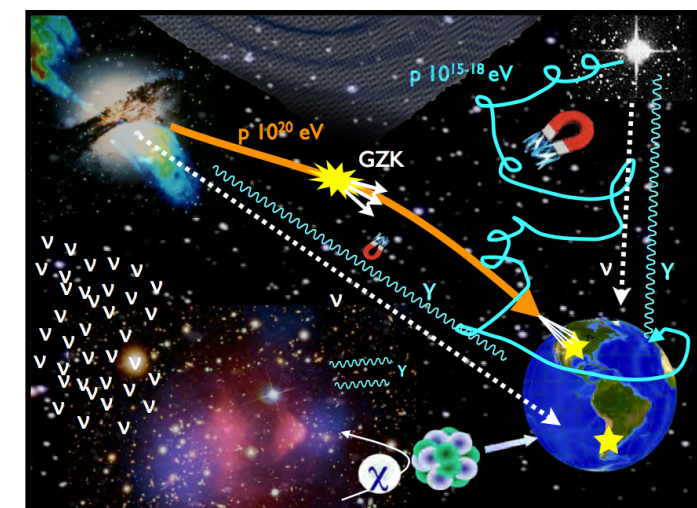
(synchrotron radiation, ionization loss, reacceleration, ...)



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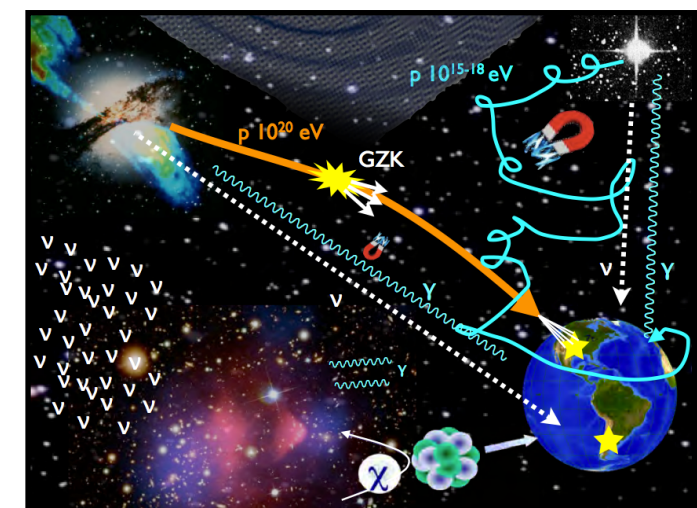


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$$\text{loss term } p_i = \frac{v\rho}{\lambda_i} + \frac{1}{\gamma\tau_i}$$



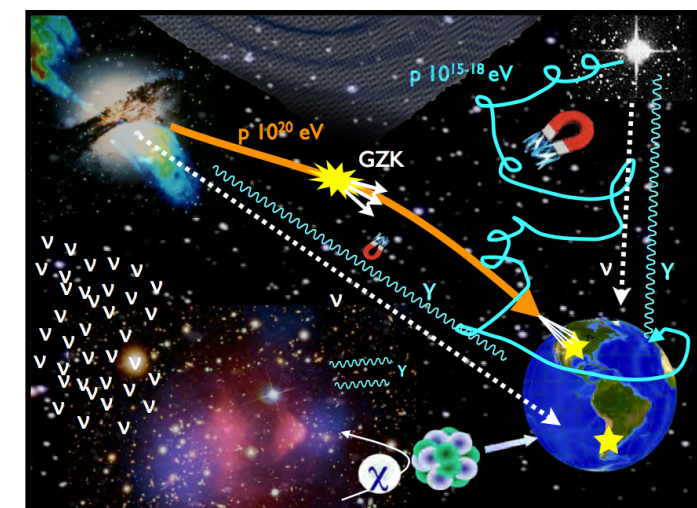
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High-energy particles and their interactions (3)

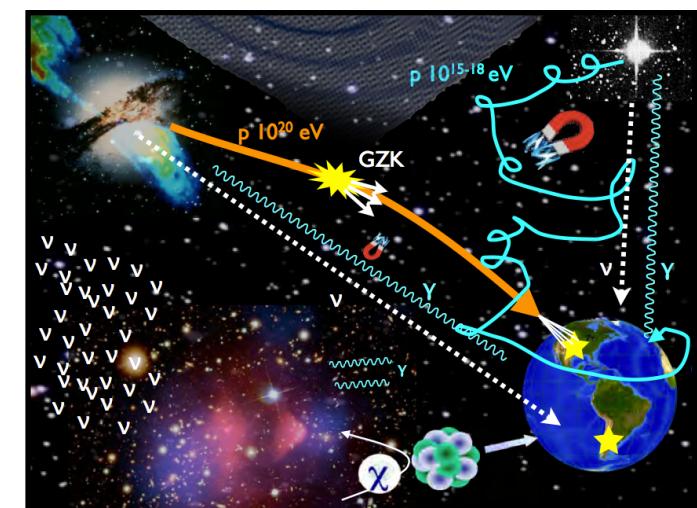
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Secondary particles:
charged particles, neutrinos, photons



What are the sources of cosmic rays?

Is it a single source?

A single source class?

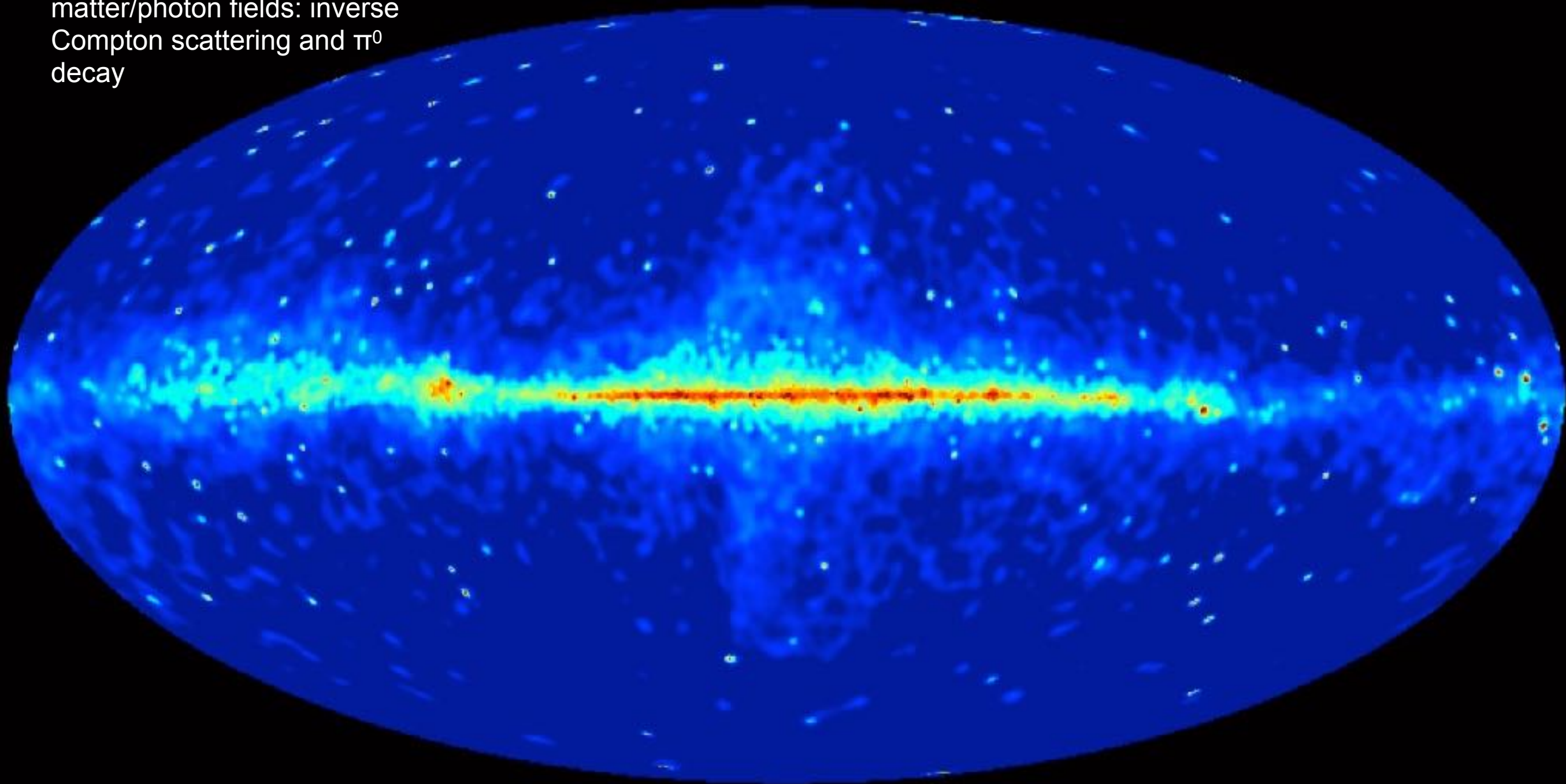
Where are they?

Galactic / extragalactic?

The high-energy gamma-ray sky

gamma rays are produced by
interactions of cosmic rays with
matter/photon fields: inverse
Compton scattering and π^0
decay

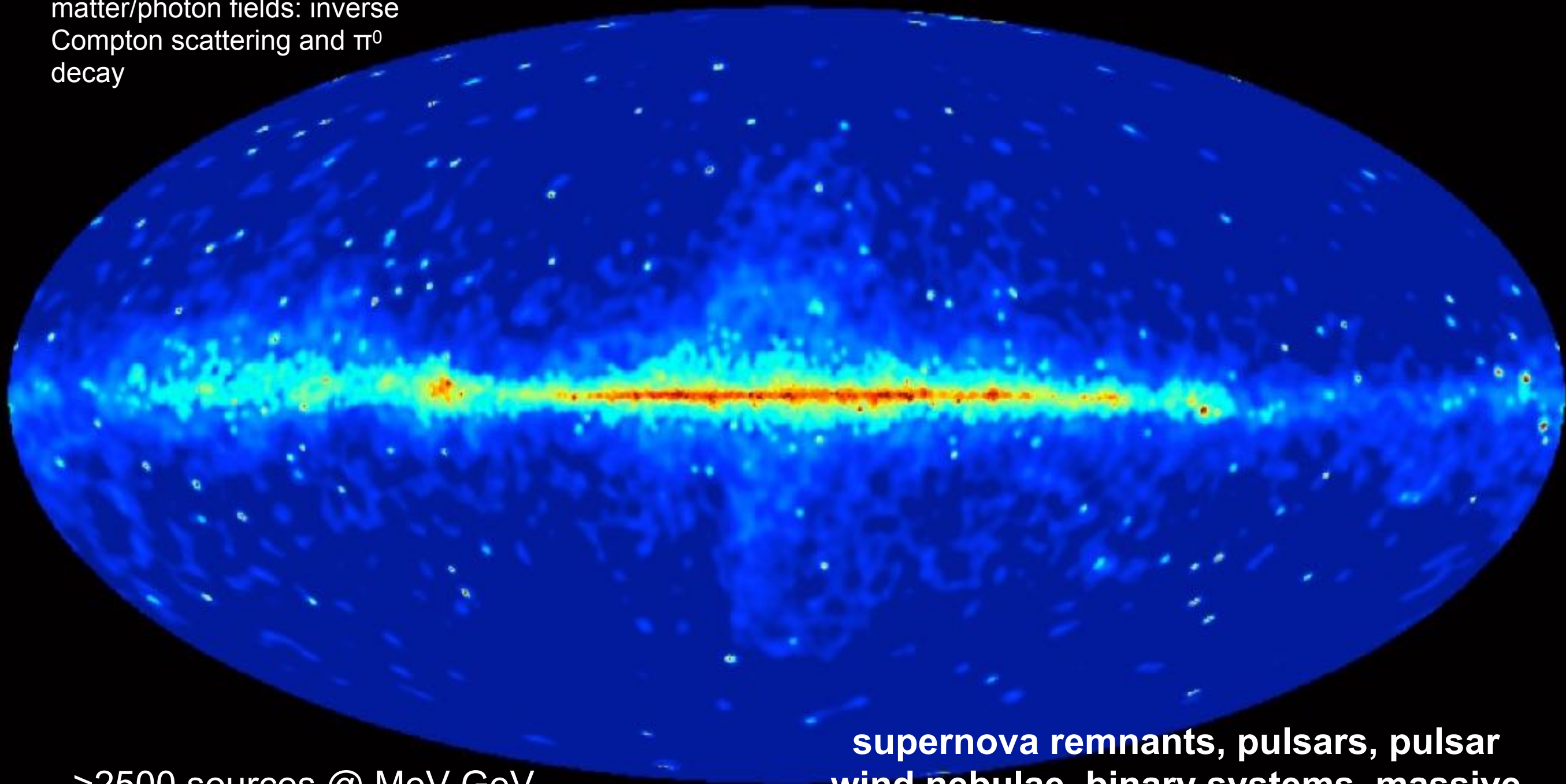
Fermi LAT 3-years
sky map > 10 GeV



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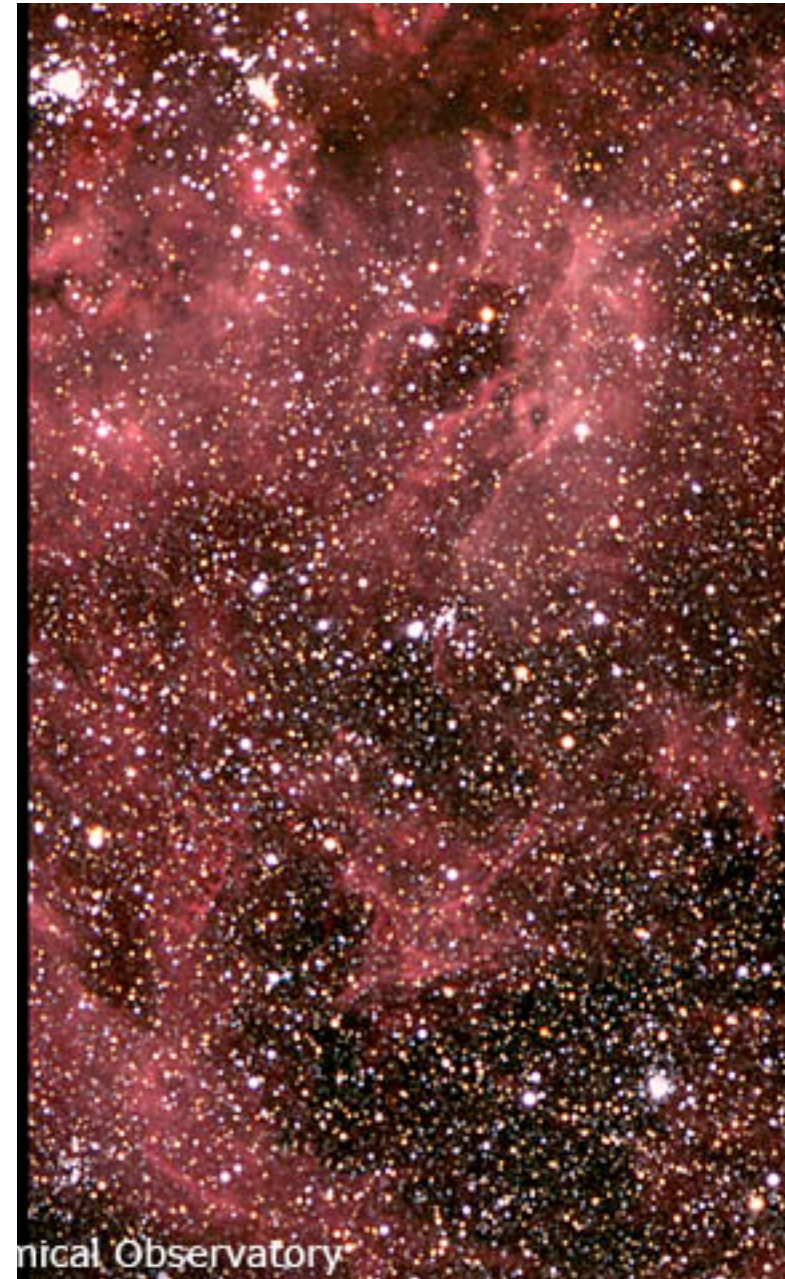


>2500 sources @ MeV-GeV
>500 sources >10 GeV
>150 sources >100 GeV

**supernova remnants, pulsars, pulsar
wind nebulae, binary systems, massive
star clusters, starburst galaxies, active
galactic nuclei (mostly blazars), gamma-
ray bursts, nova, diffuse, dark matter, ...**

1987A - a type II Supernova of 20 M_{\odot}

located in the Large
Magellanic Cloud (163,000 ly)



1987A - a type II Supernova of 20 M_{\odot}

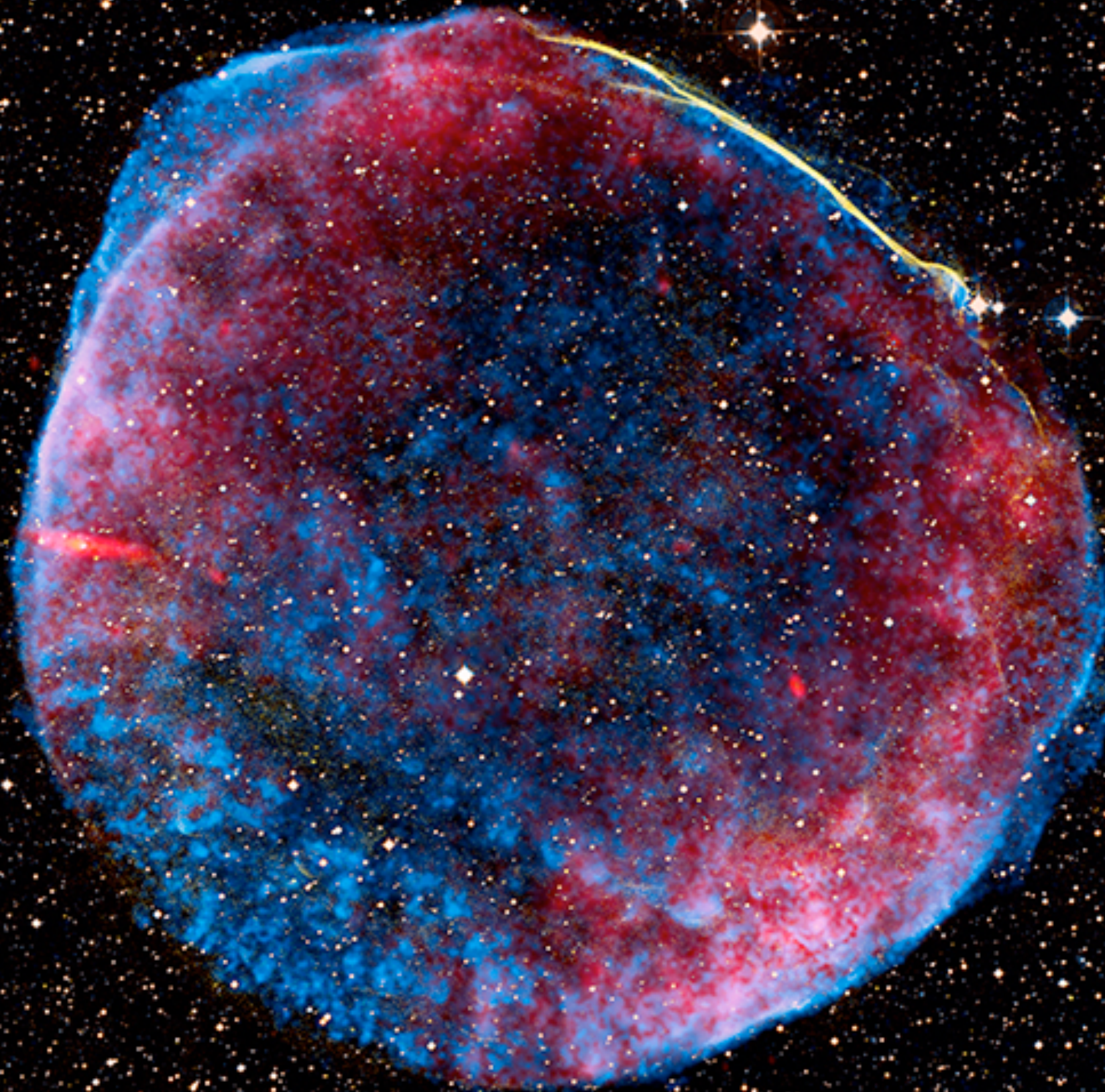
located in the Large
Magellanic Cloud (163,000 ly)



2 weeks after onset of explosion

Supernova remnant SN1006

radio
X-ray
optical



angular size similar to moon

Supernova remnant SN1006

radio
X-ray
optical



Supernova remnant SN1006

radio
X-ray
optical



2400-3000 km/s

assume Milky Way is filled uniformly with Cosmic Rays (CR)

CR are contained for a time t_{GD} and then diffuse out of this volume (typically $t_{GD} \approx 10^7$ y)

Volume of the galactic disk: $V_{GD} = \pi(15\text{kpc})^2(500\text{pc}) \approx 10^{67} \text{ cm}^3$

CR energy density: $\rho_E \approx 0.5 \text{ eV/cm}^3$ (similar to starlight)

$$L_{CR} = \frac{V_{GD} \cdot \rho_E}{t_{GD}} \simeq 3 \times 10^{40} \text{ erg/s}$$

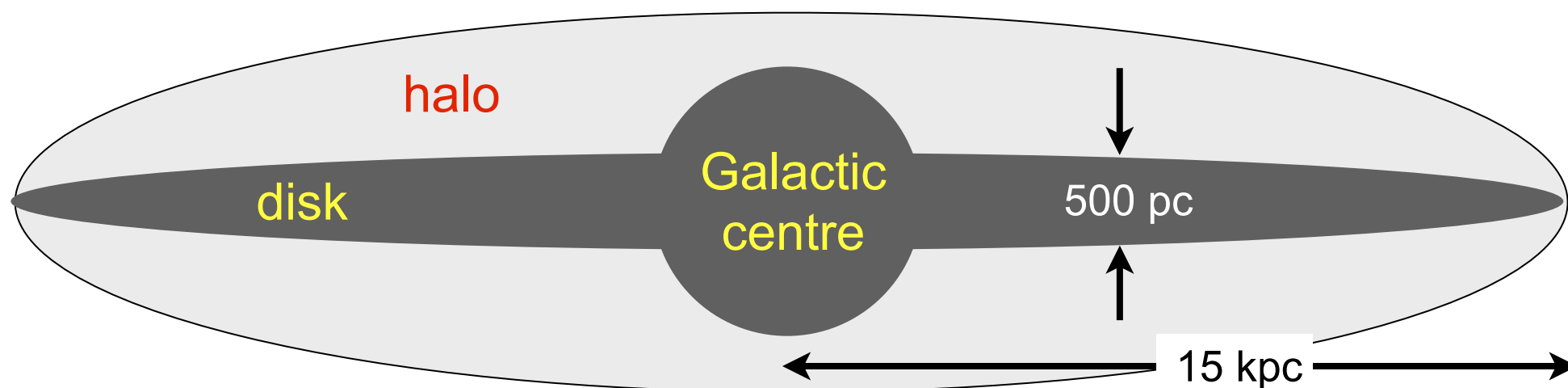
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typical 2-3 Supernovae per 100 y in our Galaxy

Ejecta of 10 solar masses with velocity $u \approx 5 \times 10^6 \text{ m/s}$

$$L_{SN} \simeq 3 \times 10^{42} \text{ erg/s}$$

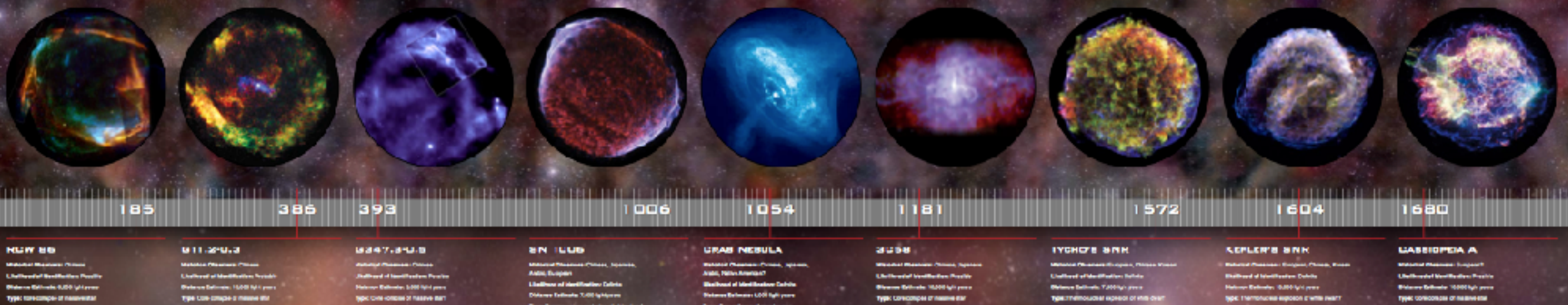
Historical Supernovae

date	length of visibility	remnant	Historical Records				
			Chinese	Japanese	Korean	Arabic	European
AD1604	12 months	G4.5+6.8	few	—	many	—	many
AD1572	18 months	G120.1+2.1	few	—	two	—	many
AD1181	6 months	3C58	few	few	—	—	—
AD1054	21 months	Crab Nebula	many	few	—	one	—
AD1006	3 years	SNR327.6+14.6	many	many	—	few	two
AD393	8 months	—	one	—	—	—	—
AD386?	3 months	—	one	—	—	—	—
AD369?	5 months	—	one	—	—	—	—
AD185	8 or 20 months	—	one	—	—	—	—

傳舍占客星亦妖星天之使者見於天而無常所
舍以示休咎星大者事大而禍深色白其分有兵
客星出紫微外座傳舍星宜備姦使邊夷侵境又
奎宿爲兵姦臣僞惑天子於是金虜遣使來爭執
儀甲戌客星守傳舍第五星 九年正月癸酉客星
不見自去年六月己巳至是凡一百八十五日乃
時虜使久在館至是乃去

Wenxing Tongkoa (1181)

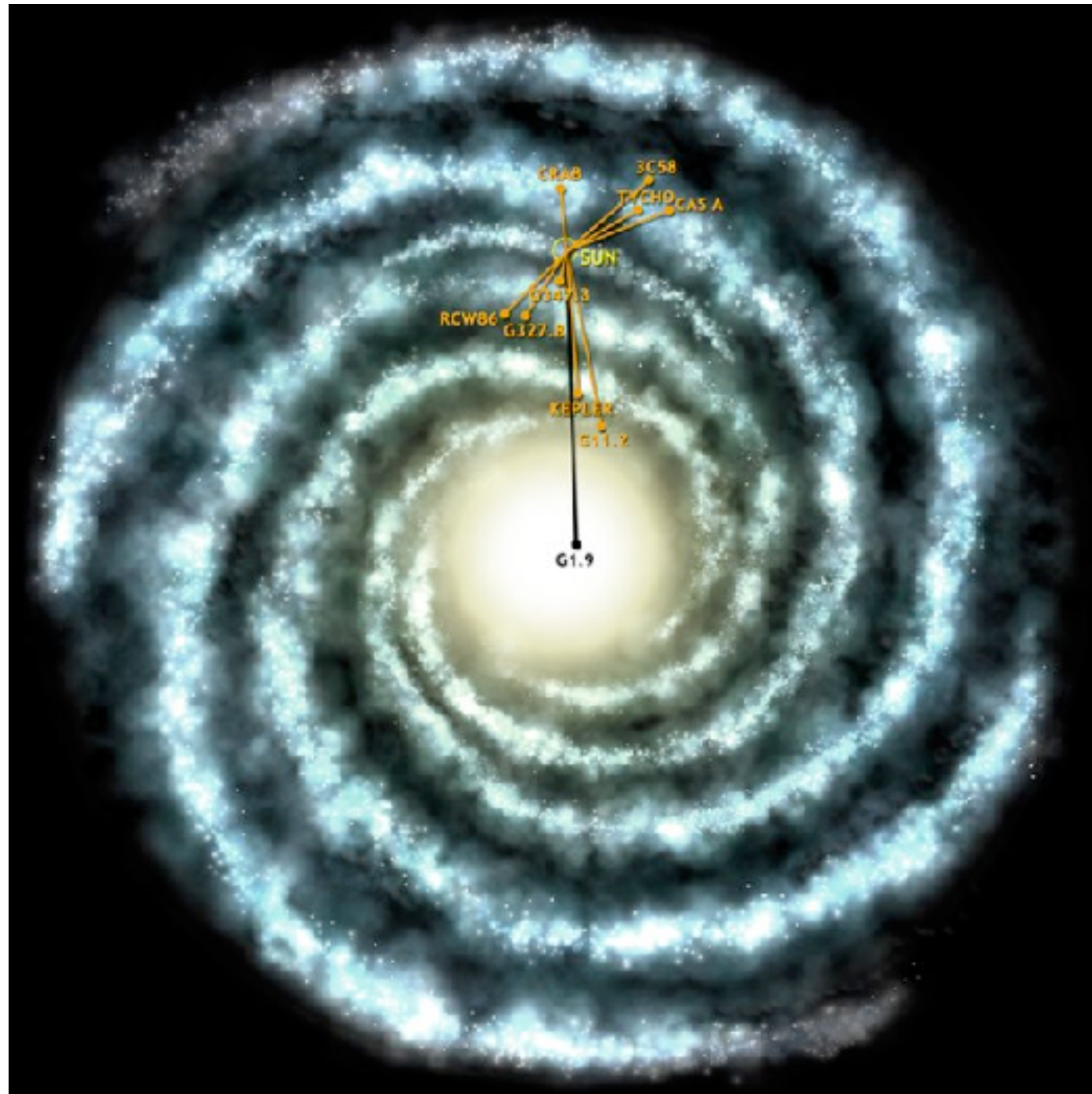
BLASTS FROM THE PAST: HISTORIC SUPERNOVAS



NASA'S CHANDRA X-RAY OBSERVATORY



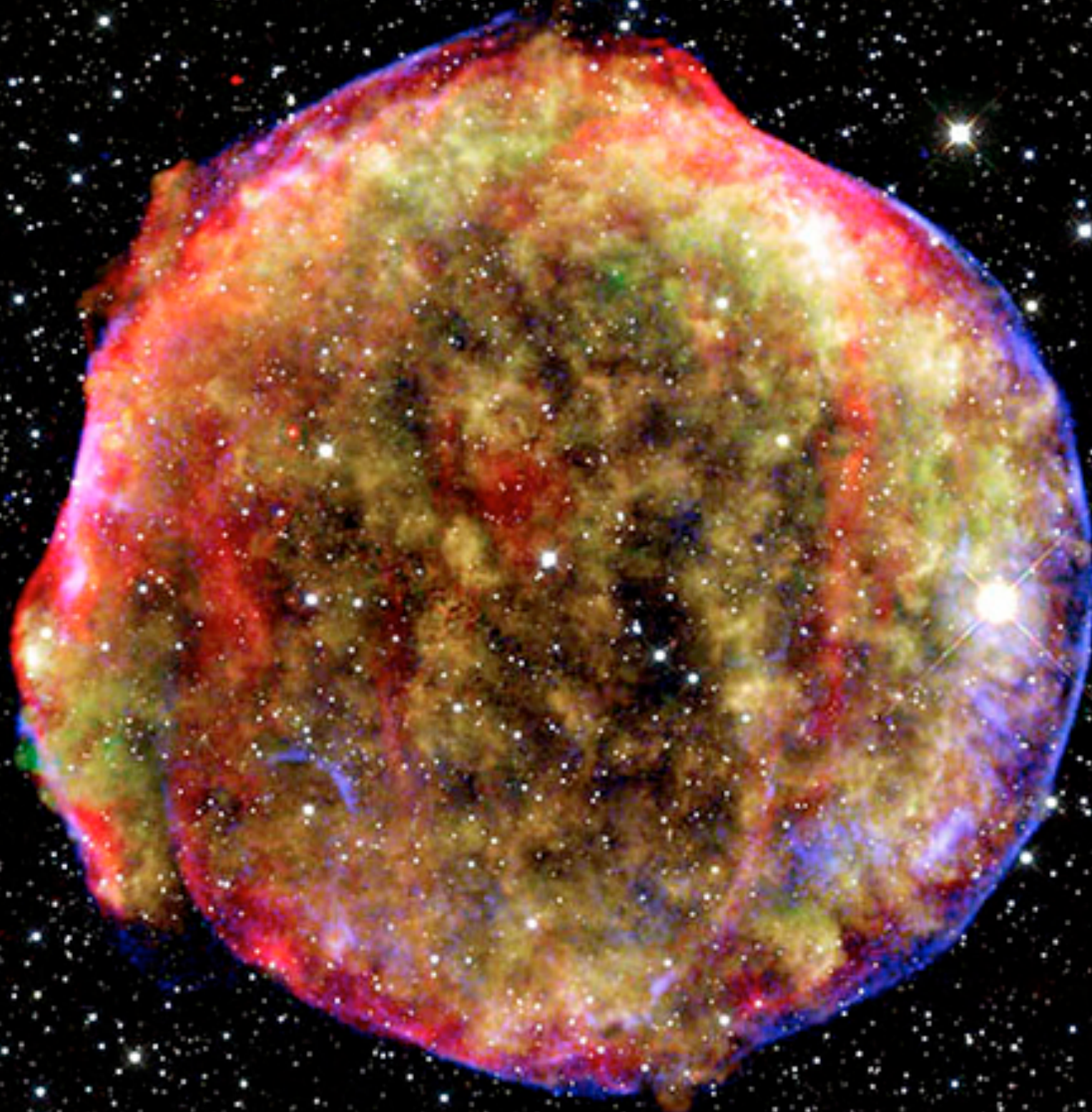
Historical Supernovae



Observational effect: $\sim 10^8$ supernovae in the history of the Milky Way

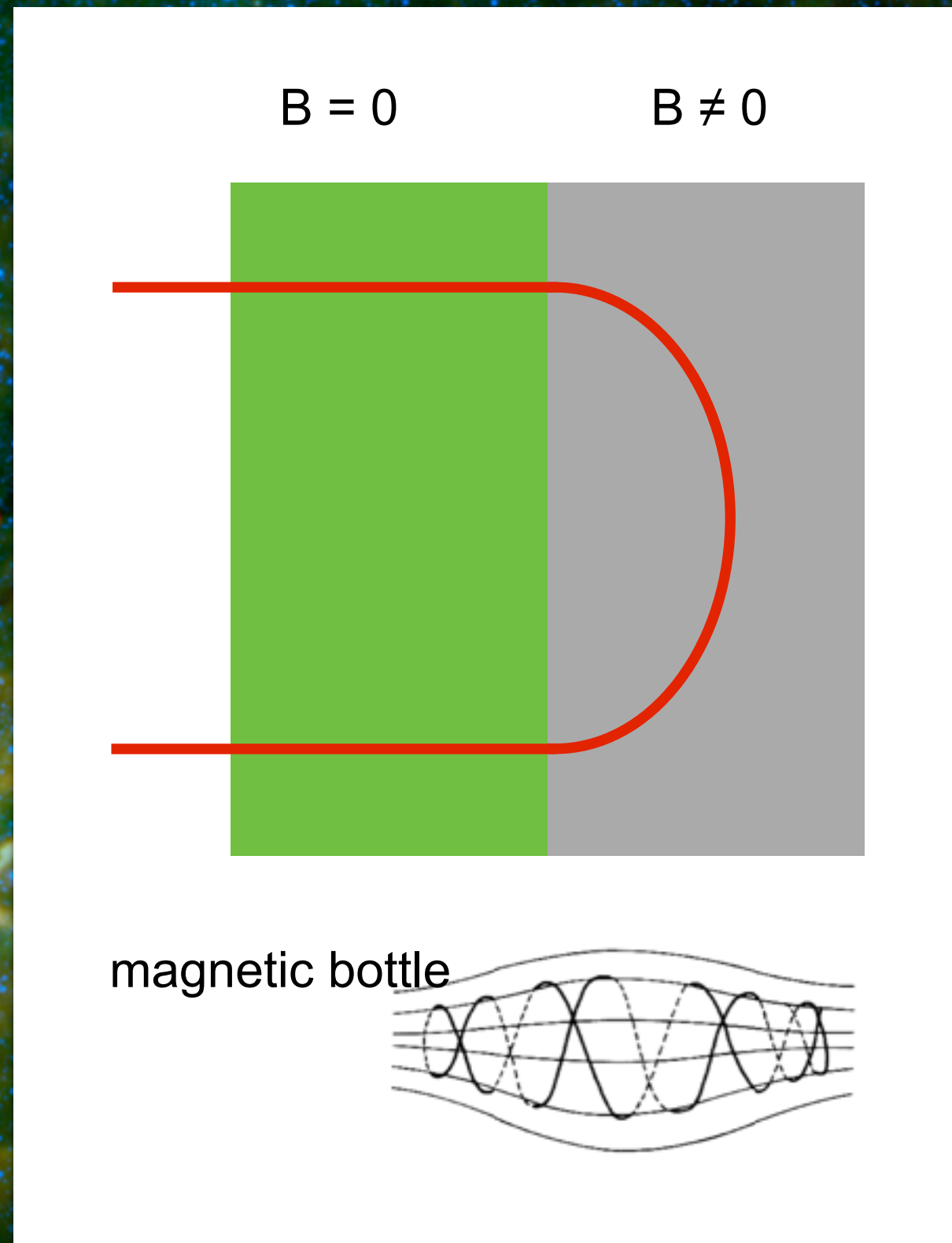
Tycho's SNR 1572

radio
X-ray
optical



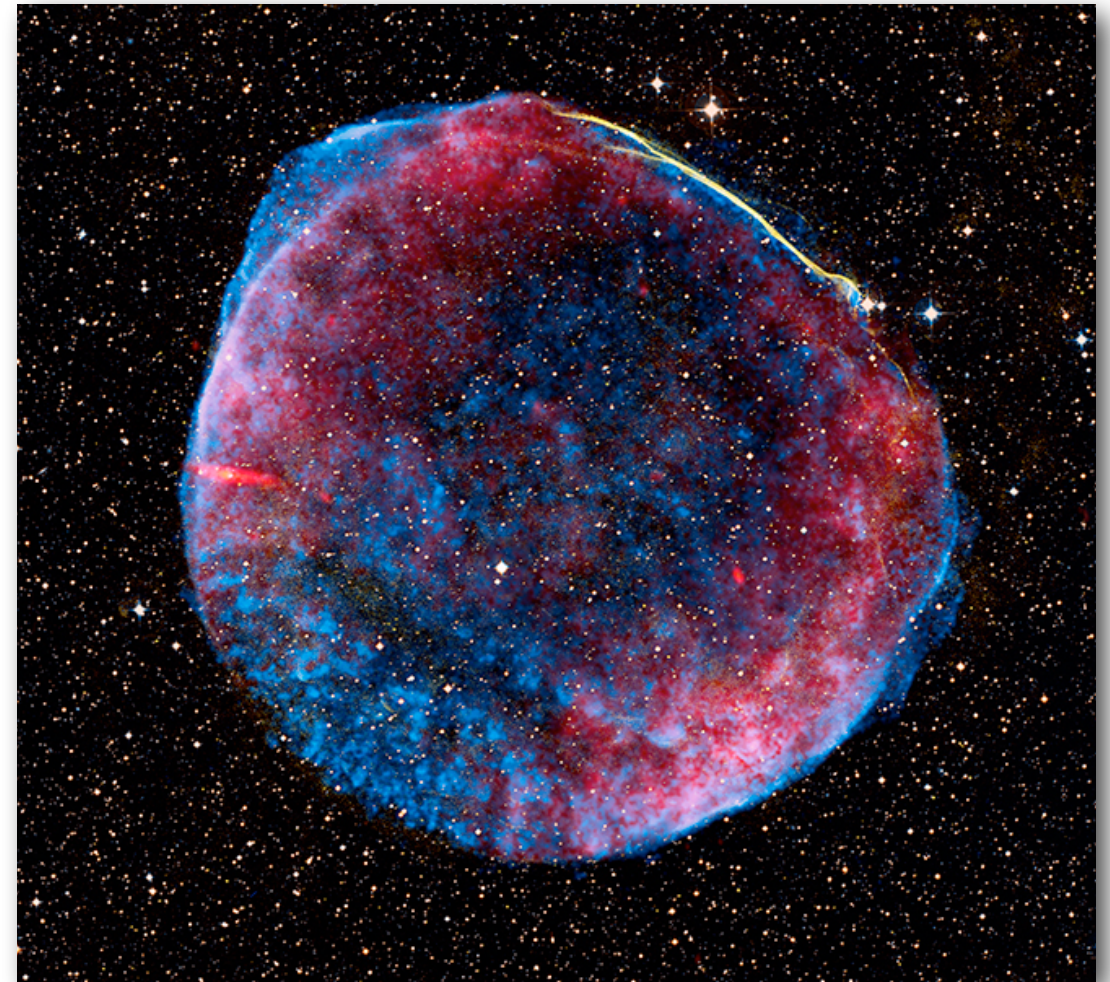






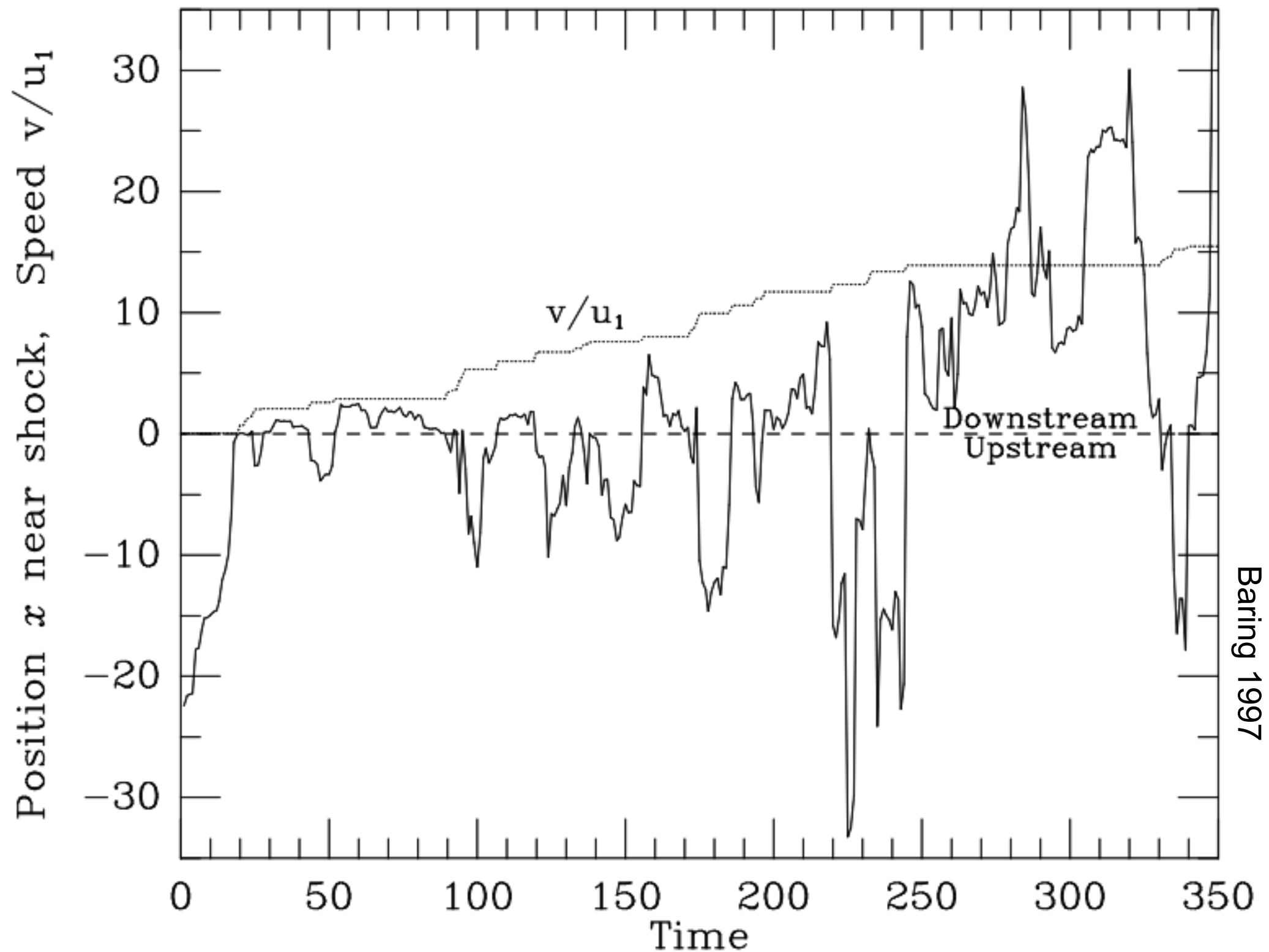
Vela complex seen at infrared wavelengths

Diffusive shock acceleration



shock:
shock speed $>$ sound speed

Monte Carlo of first-order Fermi acceleration



Energy spectrum from Fermi acceleration



Energy spectrum from Fermi acceleration

energy gain per shock passing:

$$1 + \xi = 1 + 4/3\beta$$

after j crossings a particle with initial energy E_0 will have

$$E = E_0(1 + \xi)^j$$

Energy spectrum from Fermi acceleration

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particle escape probability from shock region P_{esc} . Number of particles $> E$:

$$N(\geq E) \propto \sum_{m=j}^{\infty} (1 - P_{esc})^m = \frac{(1 - P_{esc})^j}{P_{esc}}$$

Energy spectrum from Fermi acceleration

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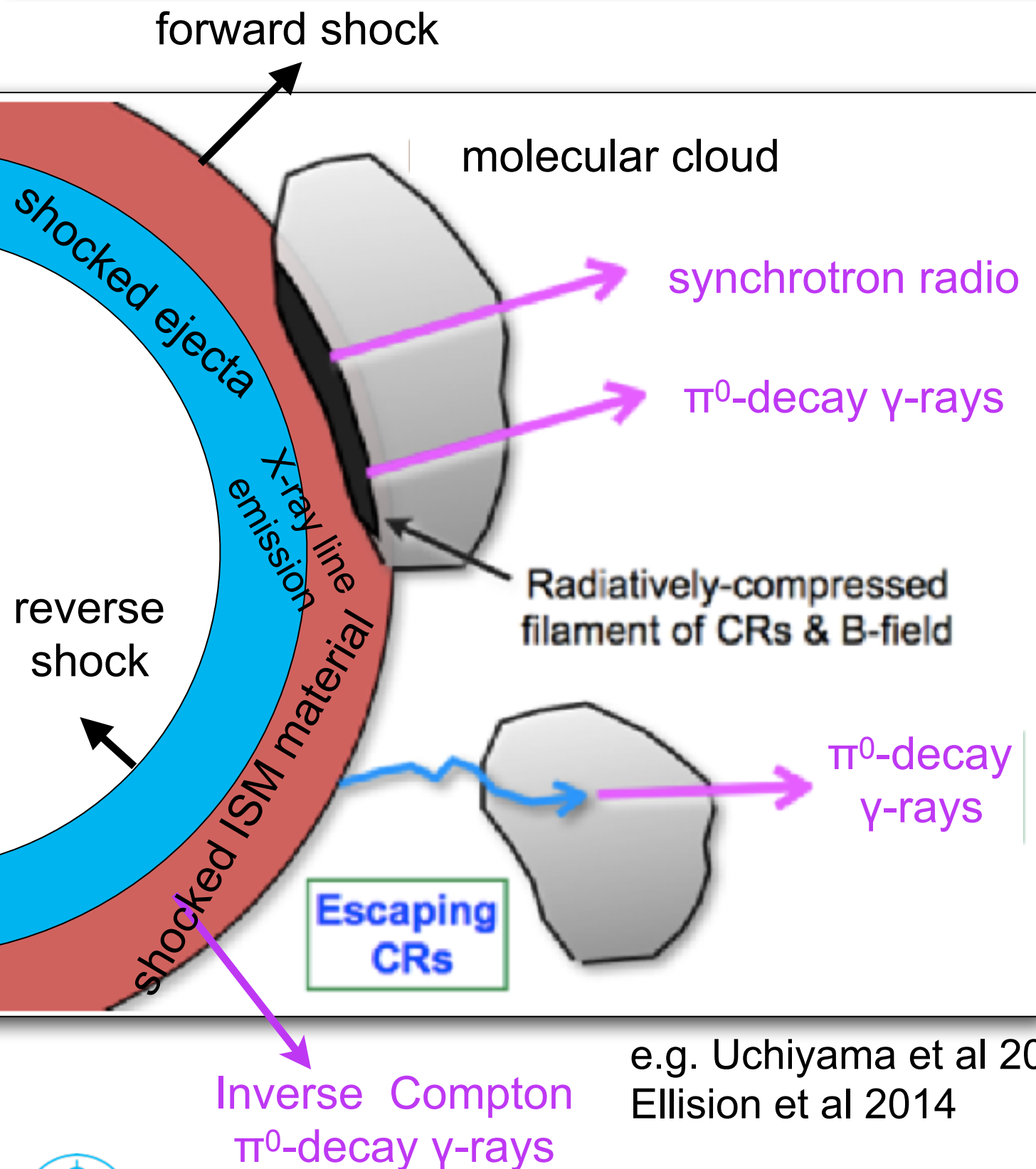
energy spectrum from Fermi acceleration:

$$N(E > 0) \propto (E/E_0)^{-\gamma}$$

power law

$$\gamma = \log\left(\frac{1}{1 - P_{esc}}\right) / \log(1 + \xi) \approx \frac{P_{esc}}{\xi}$$

Particle acceleration in Supernova Remnants



e.g. Uchiyama et al 2011
Ellision et al 2014

complex models needed to explain broadband emission:

- hydrodynamic of evolving SNR \updownarrow feedback
- non-linear diffusive shock acceleration
- Non-equilibrium ionization: X-ray line emission at forward and reverse shocks
- ejecta composition
- magnetic field amplification
- electron and ion distributions from thermal to relativistic energies
- photon emission
- cosmic-ray propagation

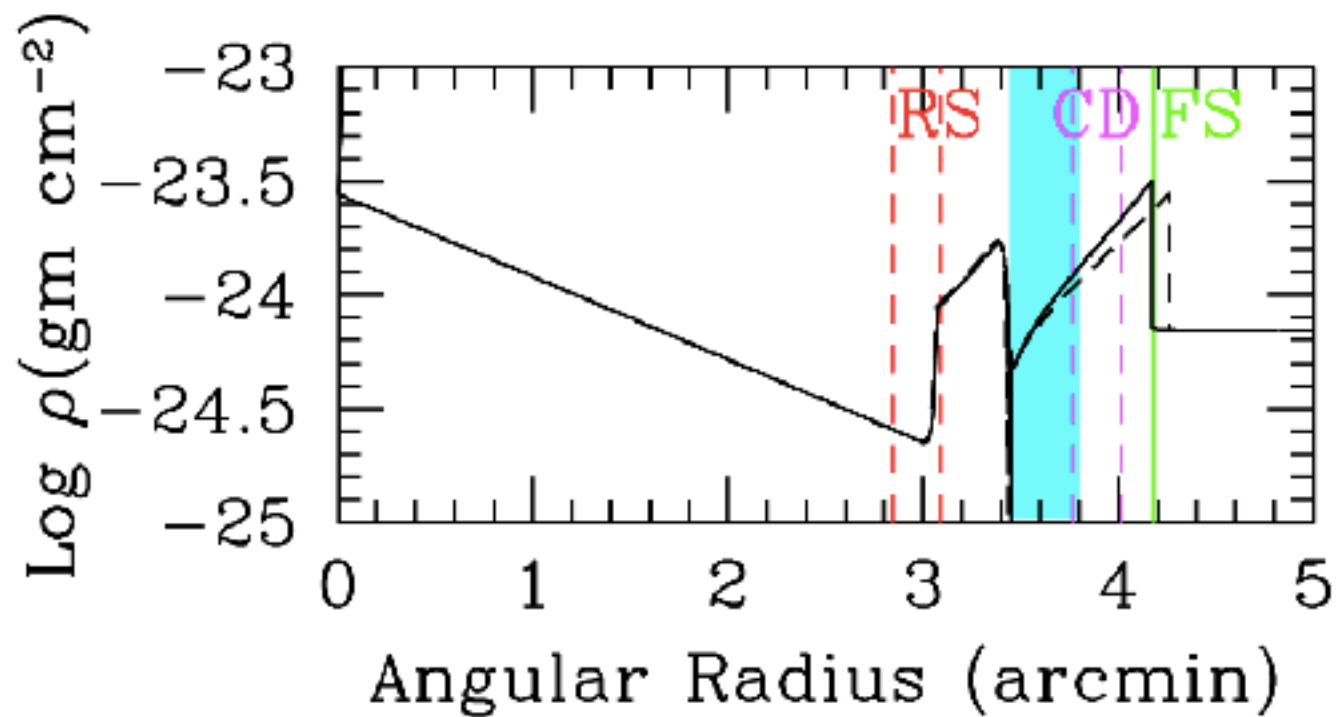
Coupling of thermal and non-thermal emission

Tycho's SNR

1572

radio
X-ray
optical

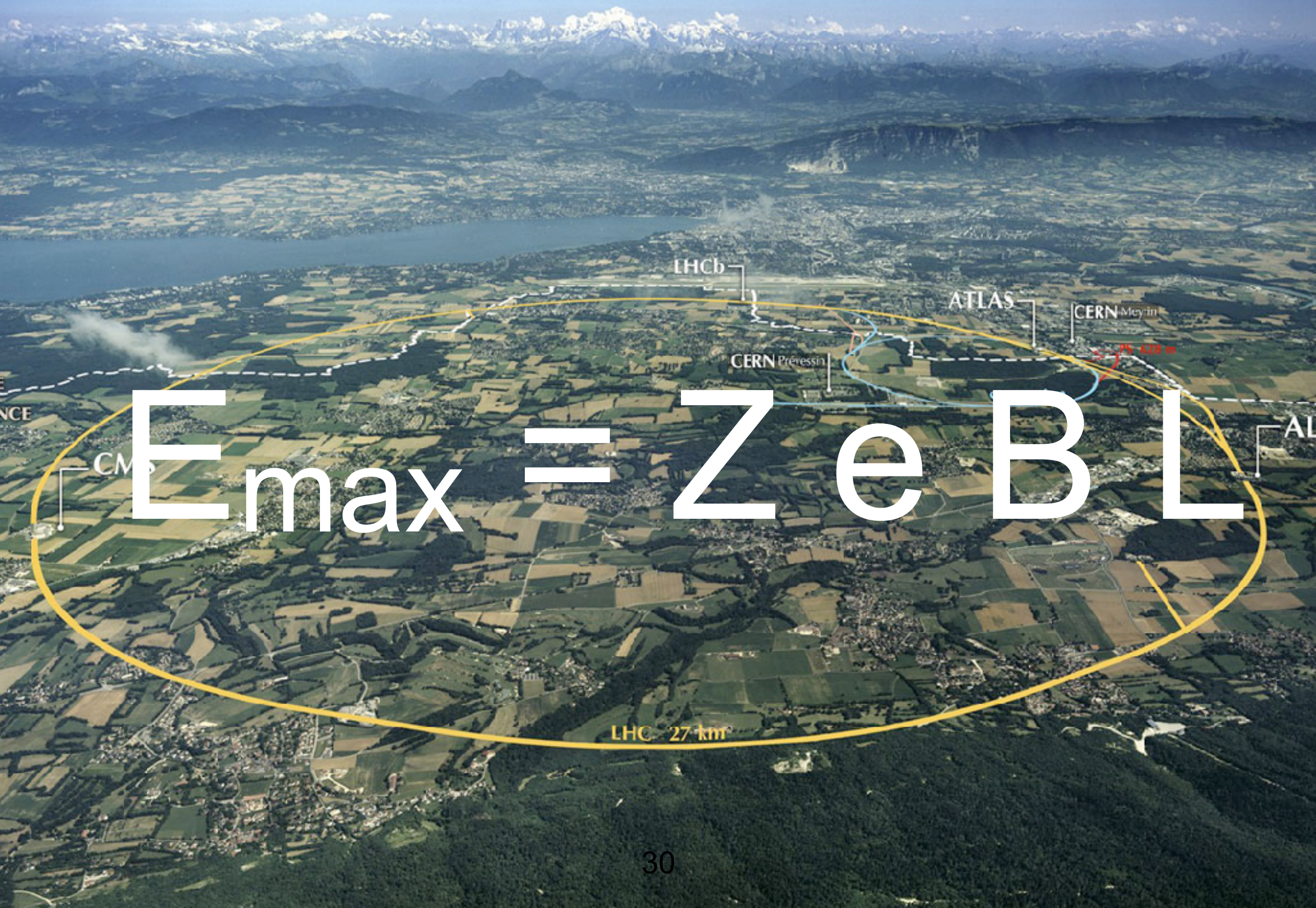
Shock geometry



Maximum energy of an accelerator

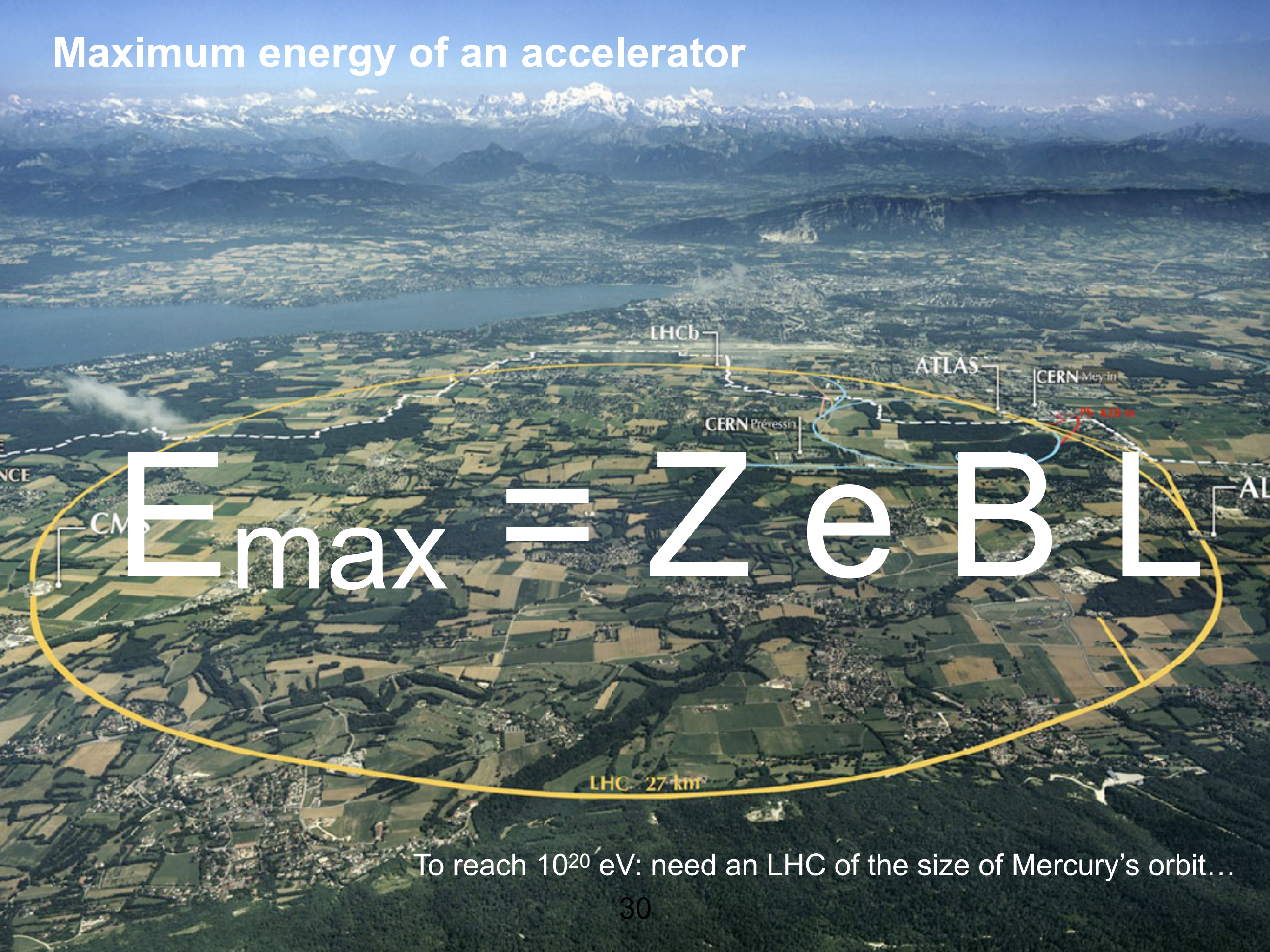


Maximum energy of an accelerator



$$E_{\text{max}} = ZeBL$$

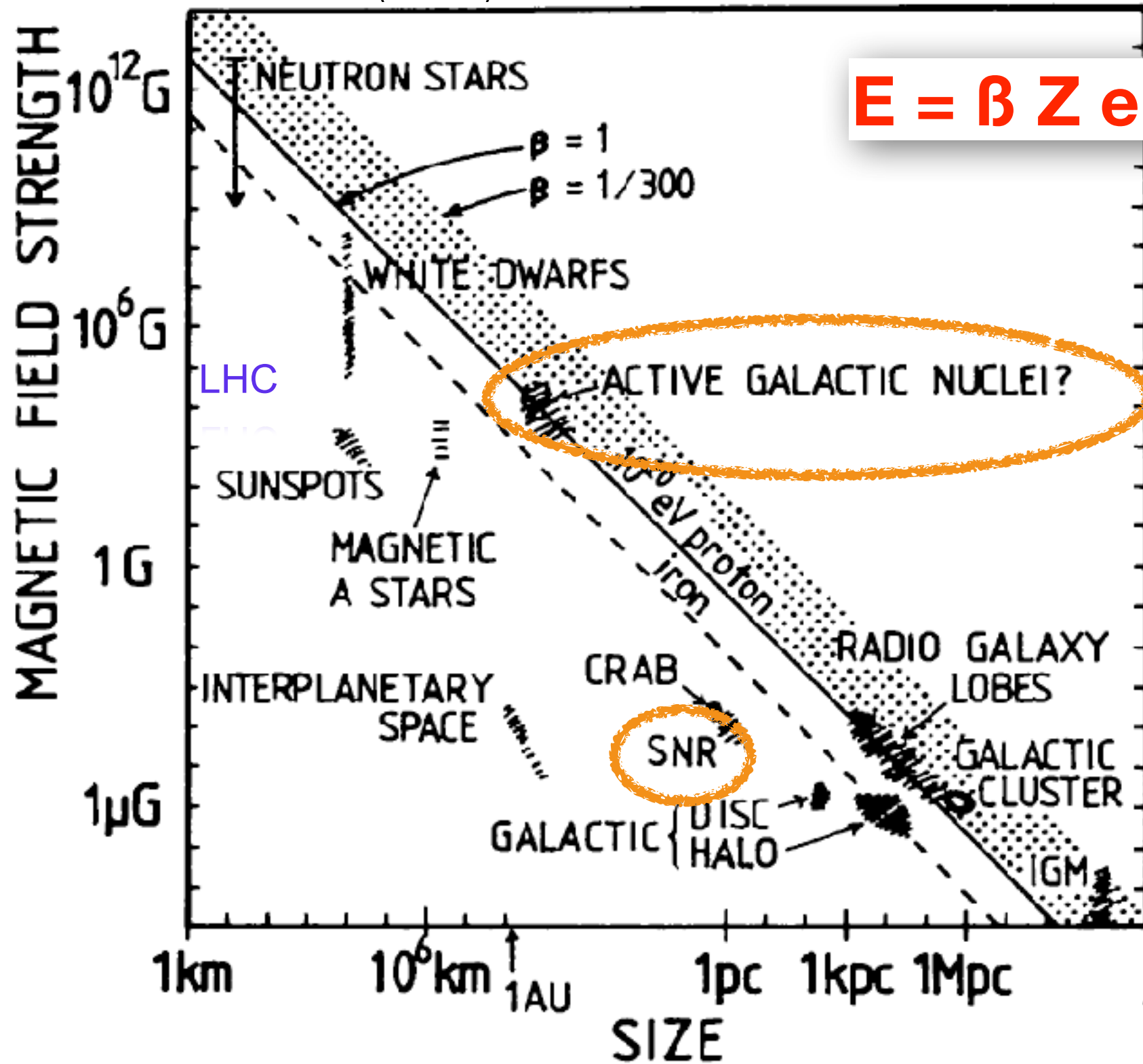
Maximum energy of an accelerator



$$E_{\text{max}} = ZeBL$$

To reach 10^{20} eV: need an LHC of the size of Mercury's orbit...

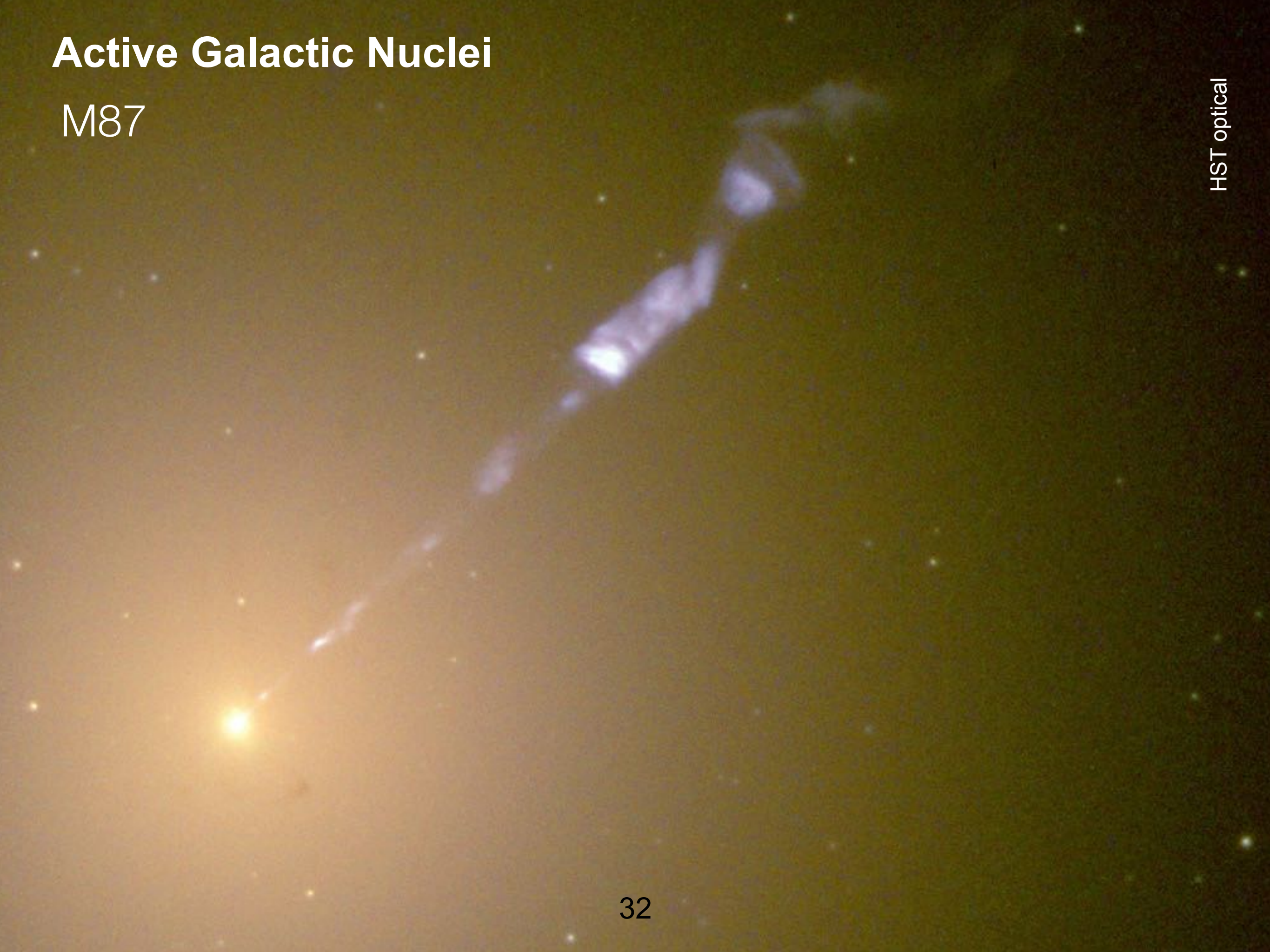
M.Hillas (1984)



$$E = \beta Z e B L$$

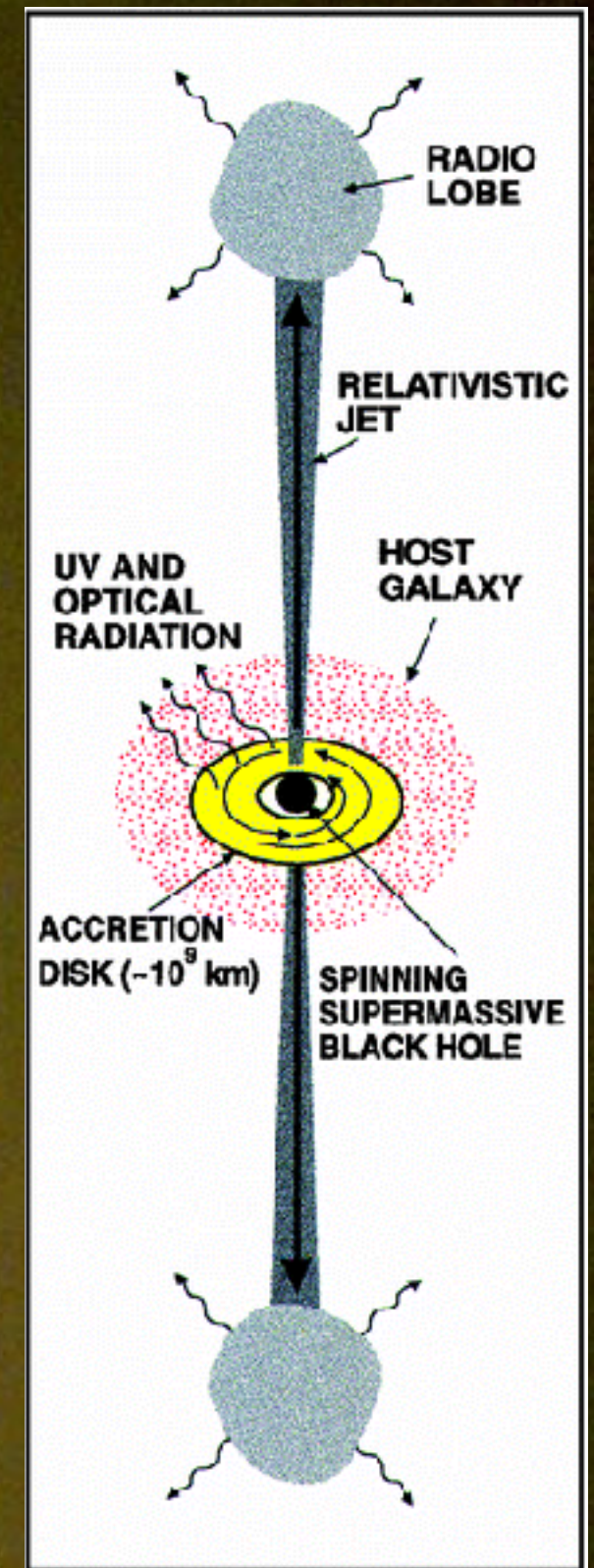
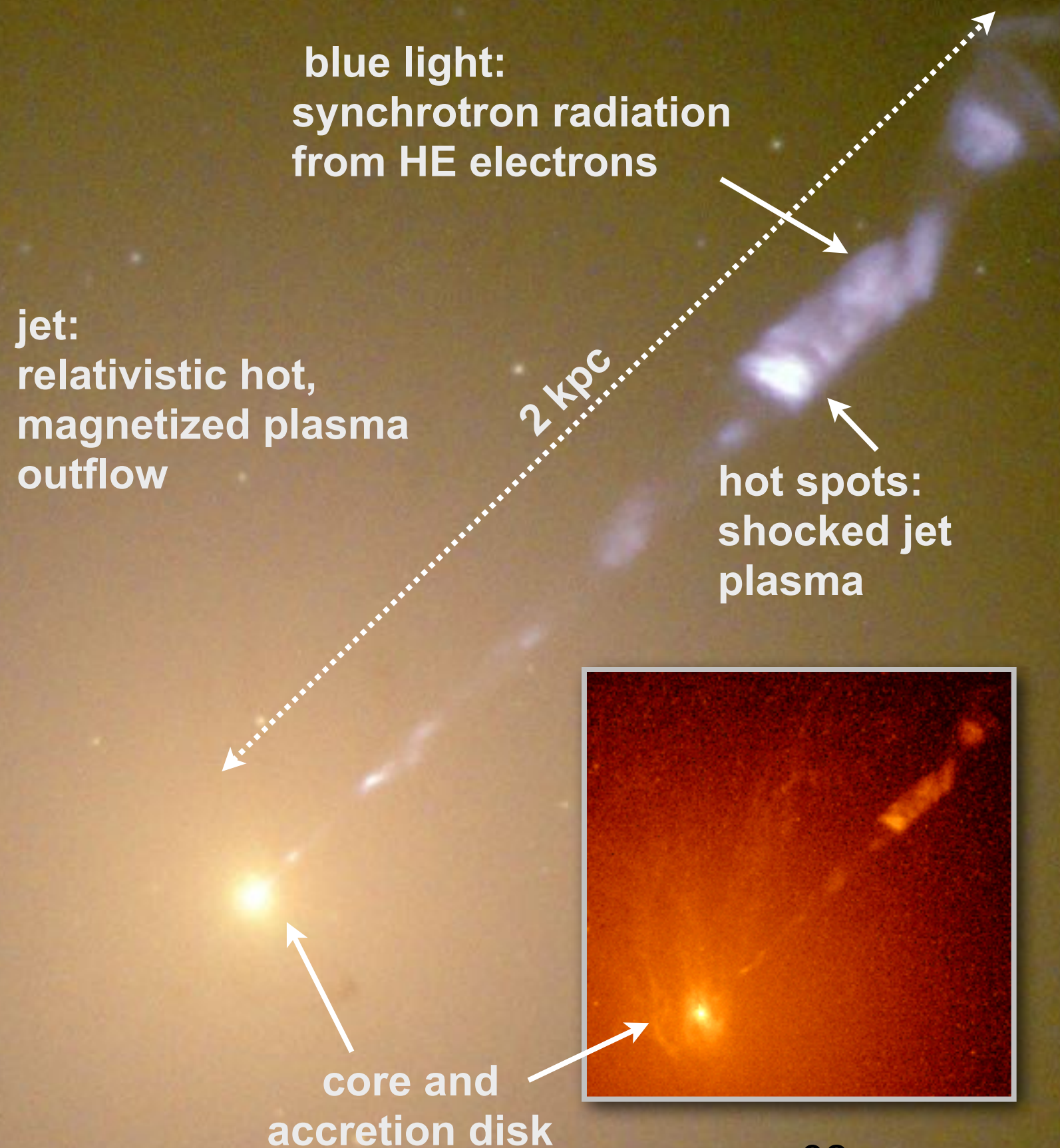
Active Galactic Nuclei

M87

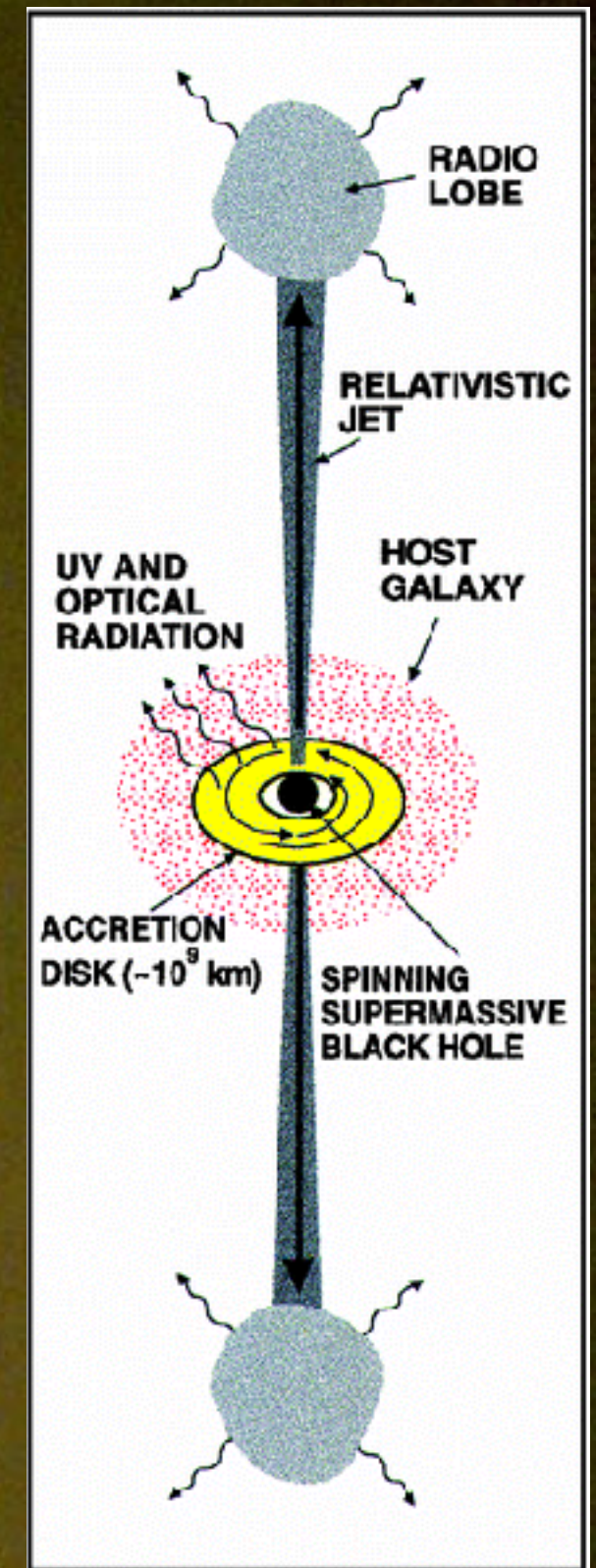


HST optical

Active Galactic Nuclei



Active Galactic Nuclei: The power of accretion



Active Galactic Nuclei: The power of accretion

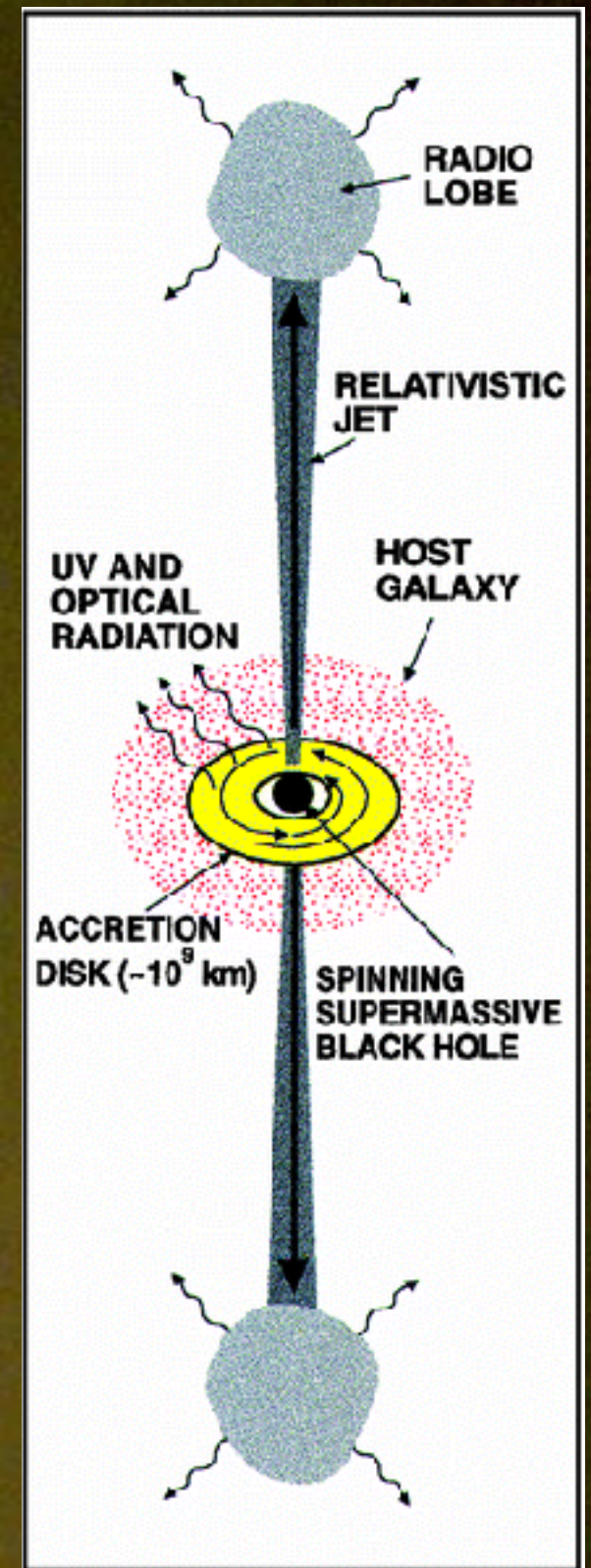
1 erg = 10^{-7} J

Gravitational energy released :

$$\Delta E_{acc} = GMm/R_*$$

Nuclear fusion of hydrogen to helium:

$$\Delta E_{nuc} = 0.007mc^2$$



Active Galactic Nuclei: The power of accretion

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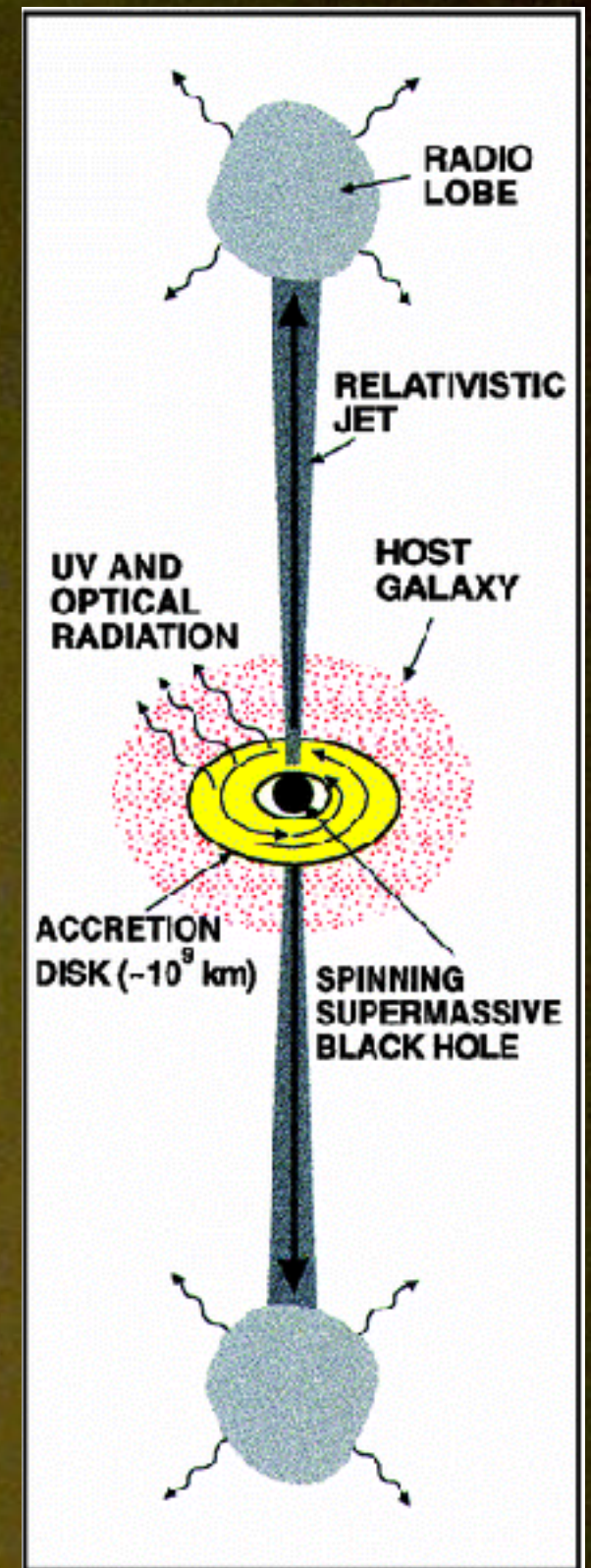
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Active Galactic Nuclei: The power of accretion

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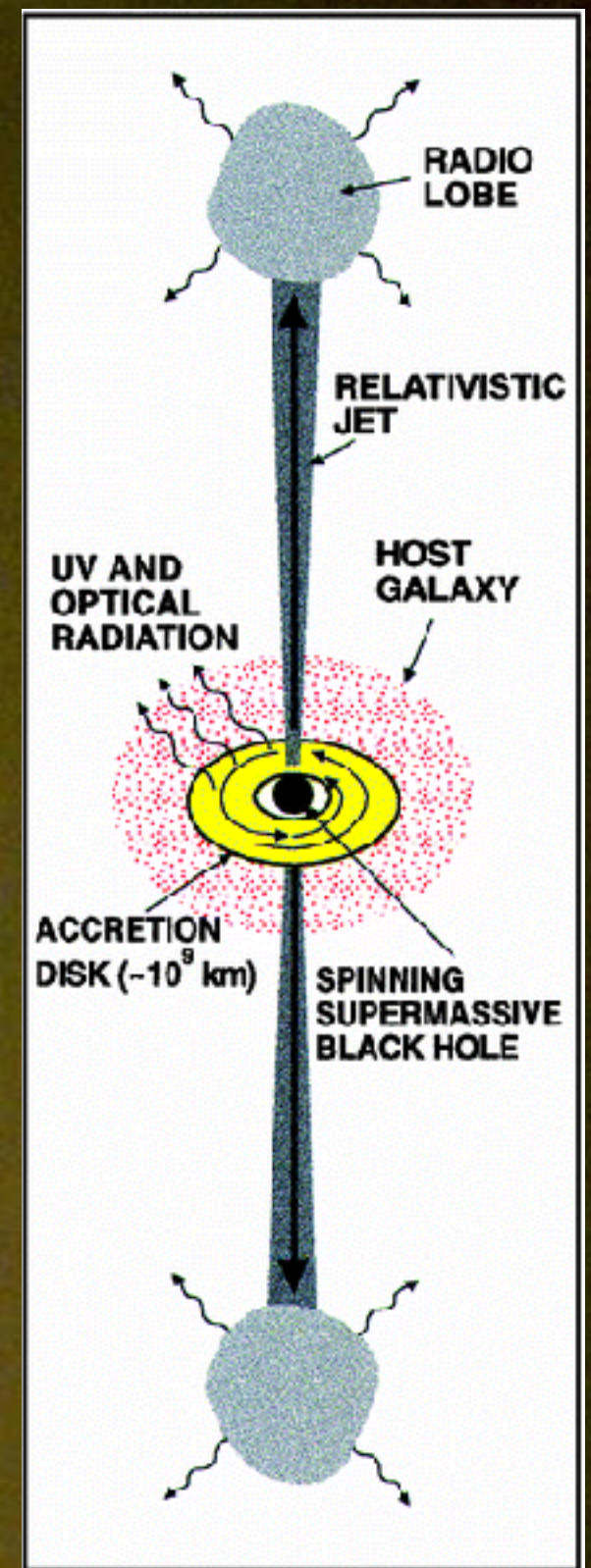
Neutron star with $R \sim 10$ km and $M \sim M_\odot$:

$$\Delta E_{acc}/m \sim 10^{20} \text{ erg/g}$$

Nuclear fusion of hydrogen to helium:

$$\Delta E_{nuc} = 0.007mc^2$$

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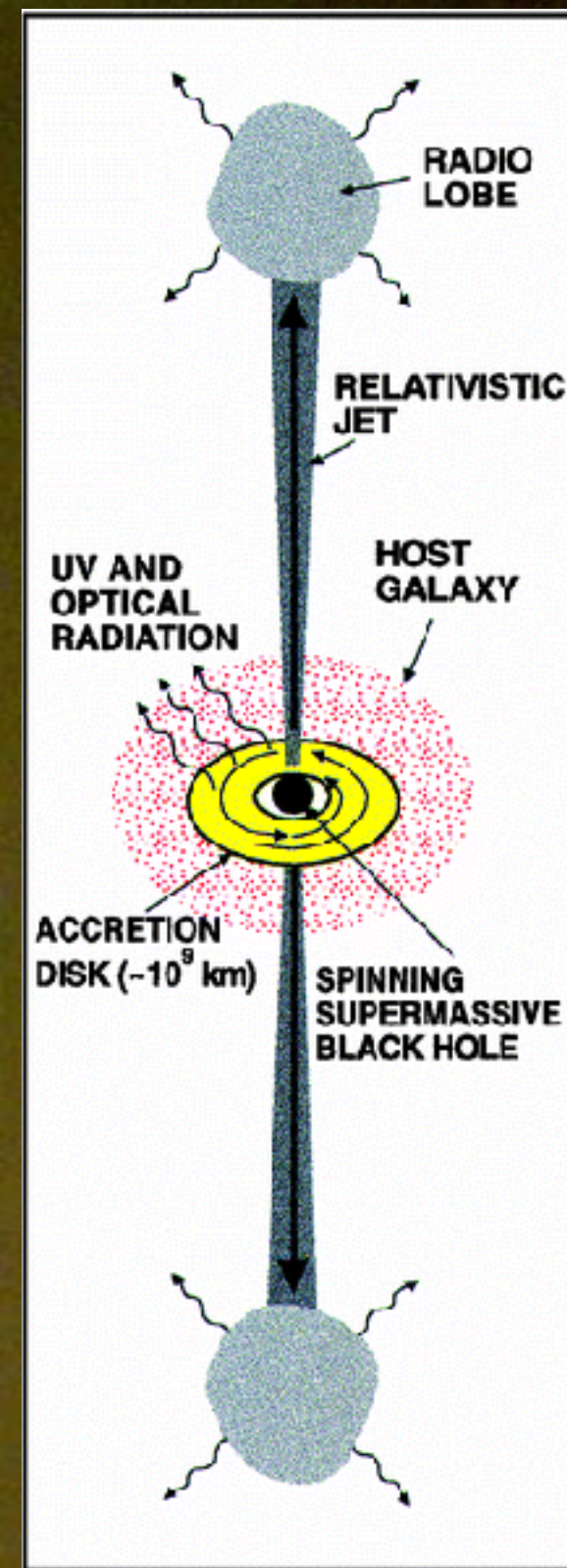
Black hole with $R \sim 6 \times 10^9$ km and $M \sim 3 \times 10^9 M_\odot$

$$\Delta E_{acc}/m \sim 5 \times 10^{23} \text{ erg/g}$$

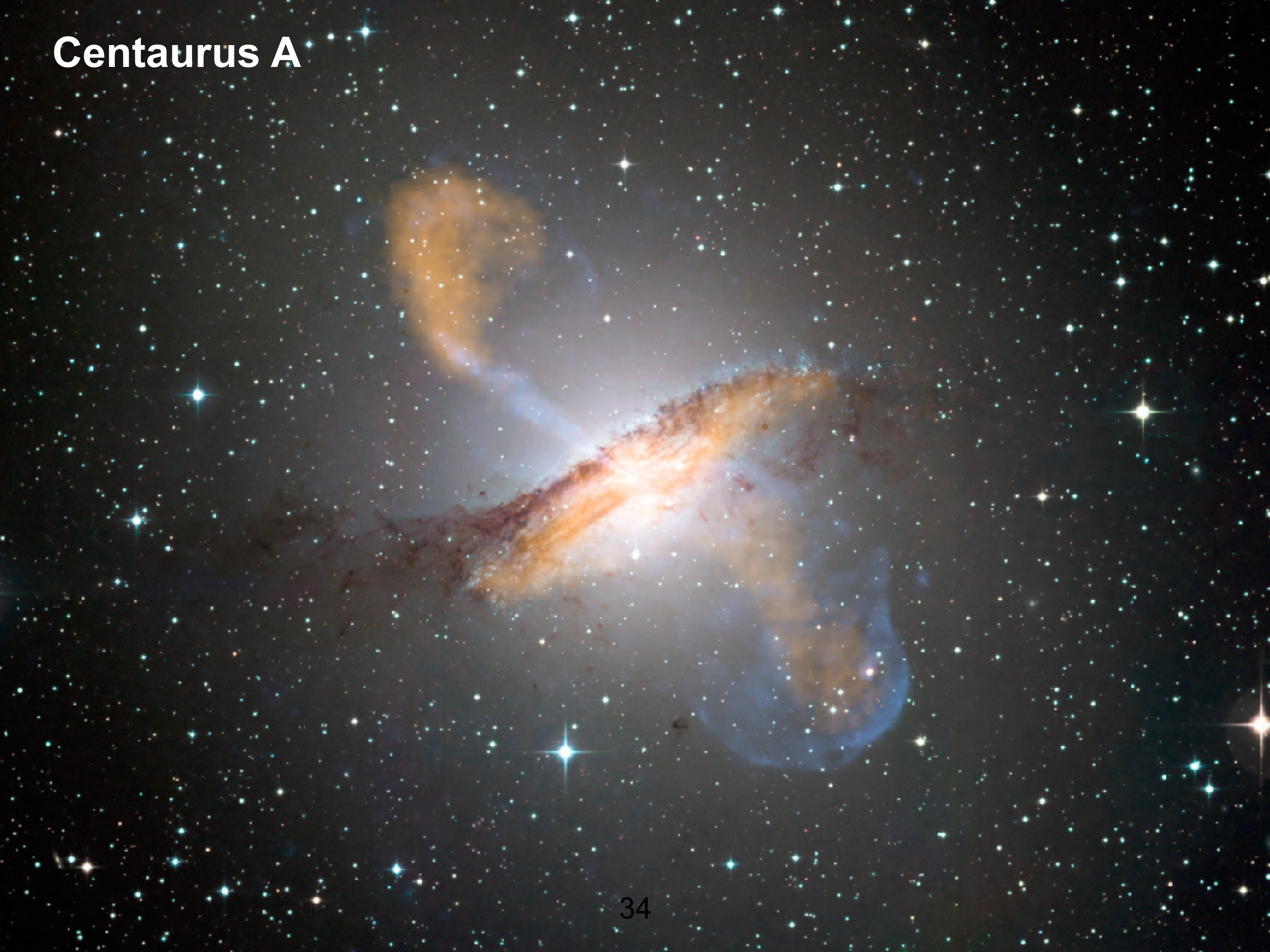
Nuclear fusion of hydrogen to helium:

$$\Delta E_{nuc} = 0.007mc^2$$

$$\Delta E_{nuc}/m \sim 6 \times 10^{18} \text{ erg/g}$$



Centaurus A



Rotating black holes - Kerr black holes

event horizon for Kerr black hole

$$R_K = \frac{GM}{c^2} \left(1 + (1 - j^2)^{1/2} \right)$$

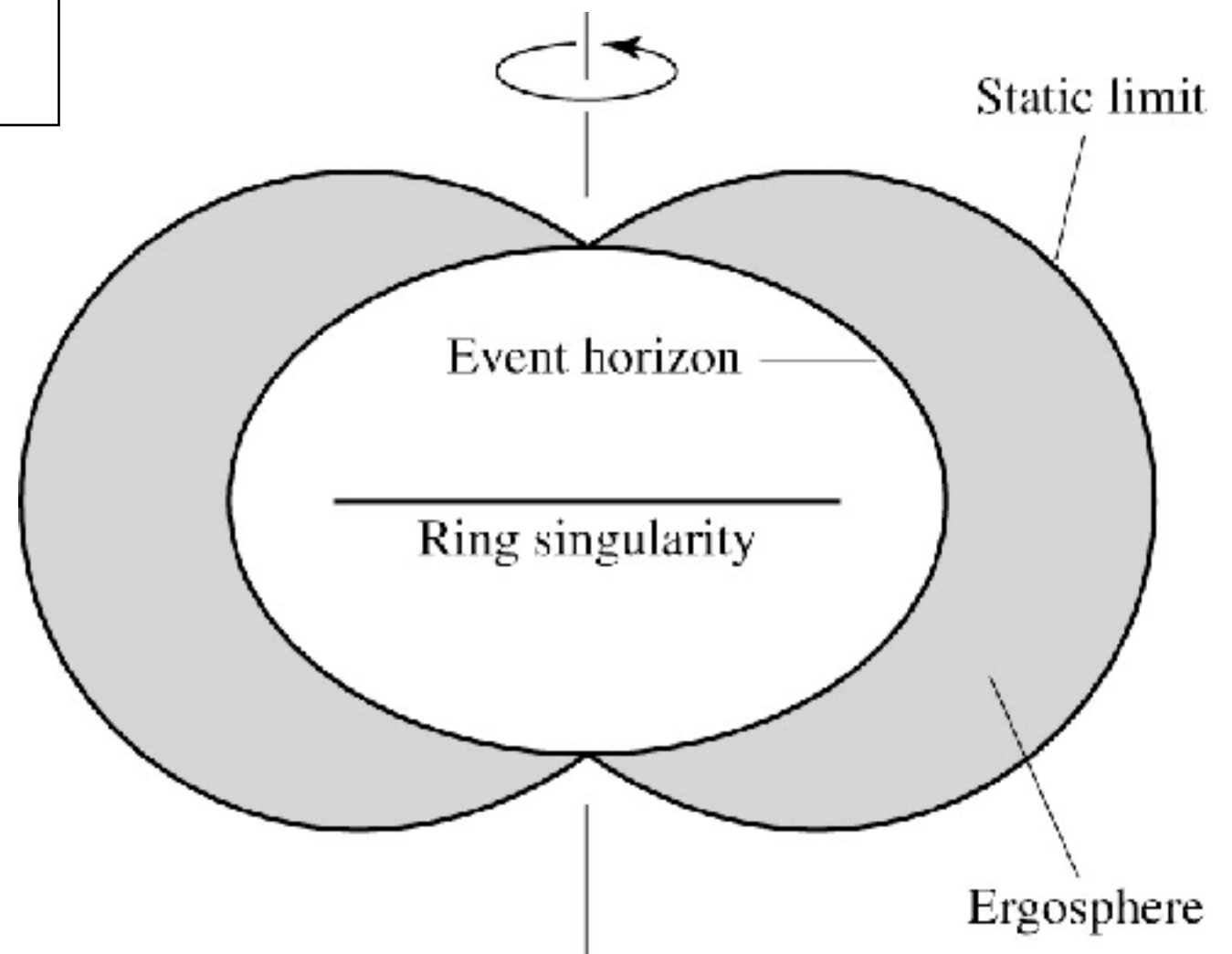
($j=J/J_{\max}$);
 $j=0$: Schwarzschild BH
 $j=1$: $R_K = R_S / 2$

maximally rotating BH: $j= \pm 1$
(M at R_K orbiting with c)

$$J_{\max} = McR = \frac{GM^2}{c}$$

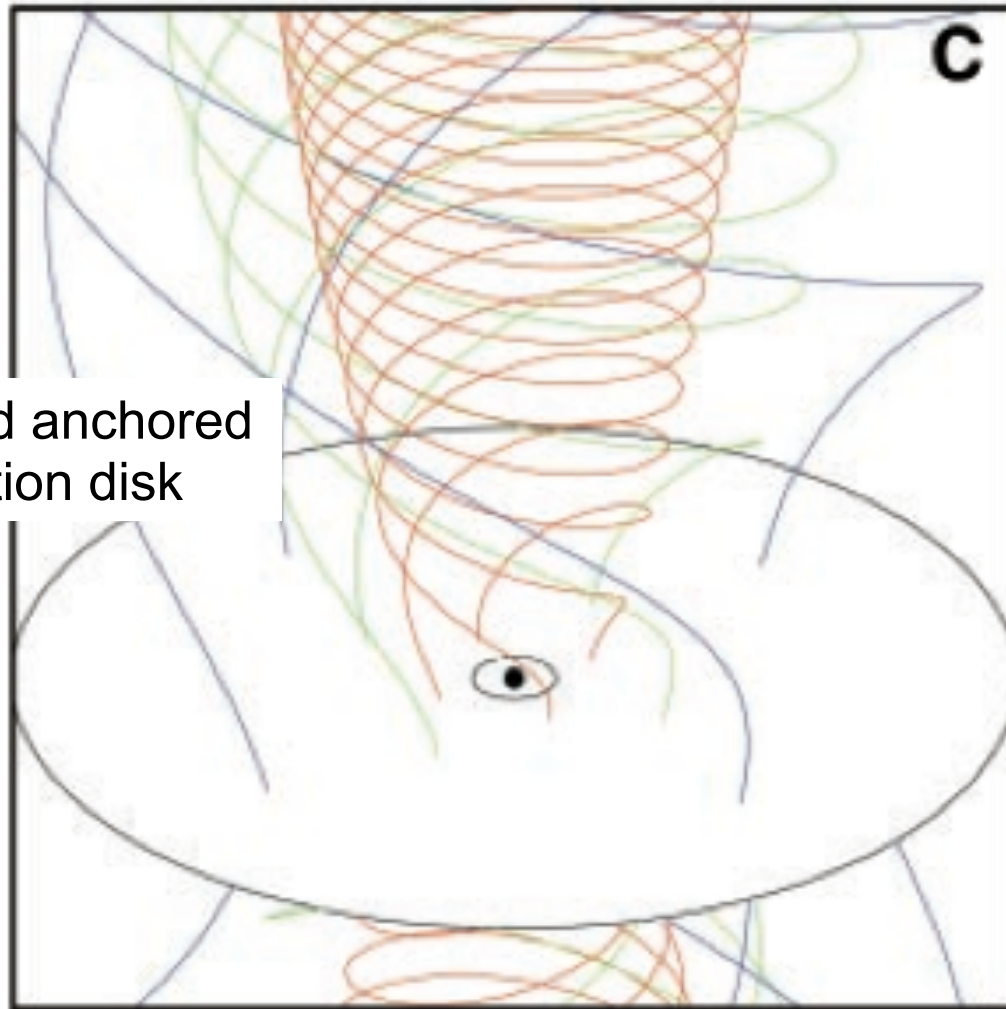
ergosphere:

anything inside the
ergosphere will be dragged
by the BH and rotate with it
(‘frame dragging’)



Two scenarios of magnetic field line twisting

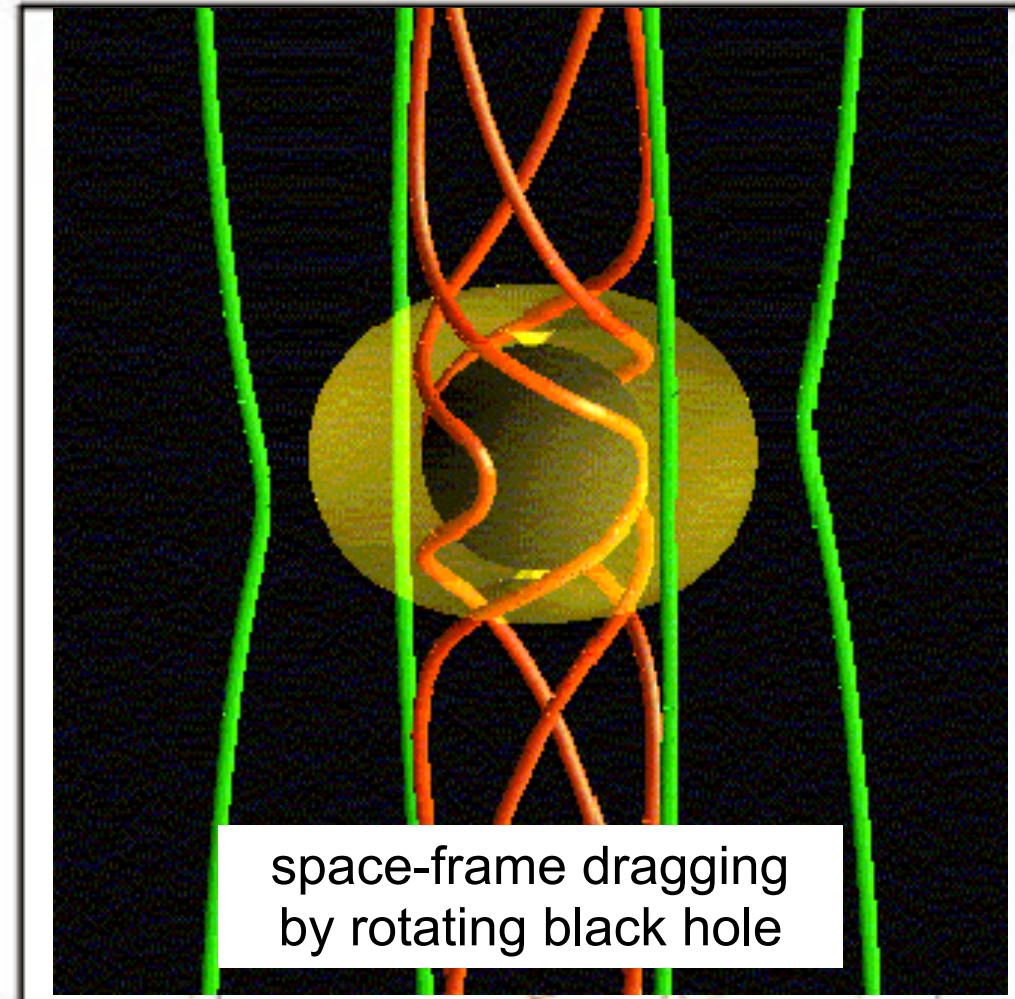
magnetic field tied to in-falling plasma



magnetic field anchored
in a accretion disk

Meier (2001)

**energy is extracted from
accretion disk**



space-frame dragging
by rotating black hole

Koide et al (2002)

**extraction of energy
from rotating black hole**

Doppler boosting in jets

$$D = \frac{\sqrt{1-\beta^2}}{1-\beta \cos \Theta}$$

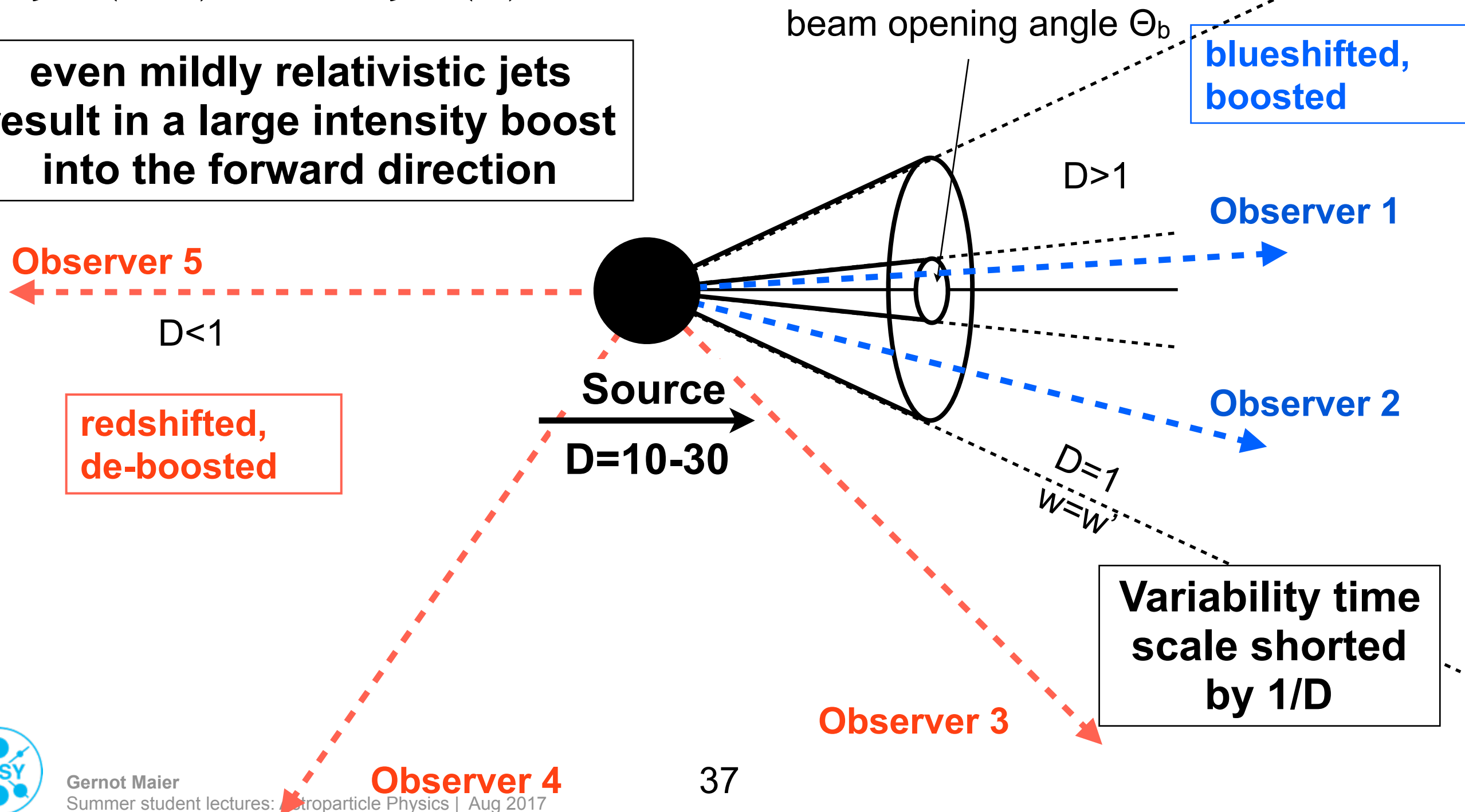
$$I_\nu^{obs}(D\nu) = D^3 I_\nu^{em}(\nu)$$

even mildly relativistic jets result in a large intensity boost into the forward direction

Doppler boosting of a power-law source:

$$I_\nu^{em}(\nu) \propto \nu^{-\alpha}$$

$$I_\nu^{obs} = D^{3+\alpha} I_\nu^{em}(\nu)$$





ACCELERATORS | PHOTON SCIENCE | PARTICLE PHYSICS

Deutsches Elektronen-Synchrotron
A Research Centre of the Helmholtz Association

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2018/07/12

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Breakthrough in the search for cosmic particle accelerators

Scientists trace a single neutrino back to a galaxy billions of light years away

Using an internationally organised astronomical dragnet, scientists have for the first time located a source of high-energy cosmic neutrinos, ghostly elementary particles that travel billions of light years through the universe, flying unaffected through stars, planets and entire galaxies. The joint observation campaign was triggered by a single neutrino that had been recorded by the IceCube neutrino telescope at the South Pole, on 22 September 2017. Telescopes on earth and in space were able to determine that the exotic particle had originated in a galaxy nearly four billion light years away, in the constellation of Orion, where a gigantic black hole serves as a natural particle accelerator. Scientists from the 18 different observatories involved are presenting their findings in the journal *Science*. Furthermore, a second analysis, also published in *Science*, shows that other neutrinos previously recorded by IceCube came from the same source.

The observation campaign, in which research scientists from Germany played a key role, is a decisive step towards solving a riddle that has



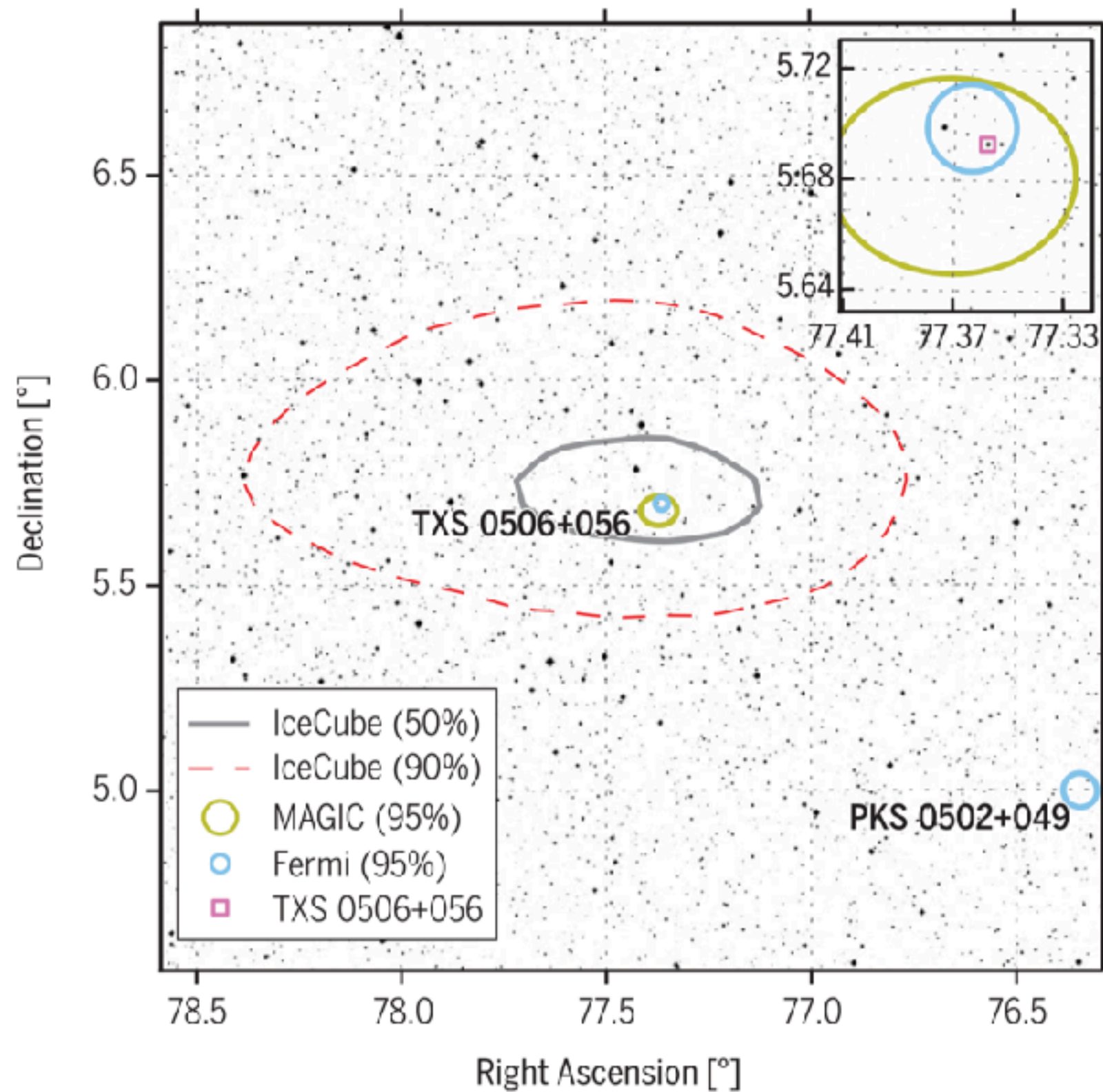
[Download \[2.8 MB, 3508 x 2460\]](#)

Artist's impression of the active galactic nucleus. The supermassive black hole at the centre of the accretion disk sends a narrow high-energy jet of matter into space, perpendicular to the disc. Credit: DESY, Science Communication Lab



Gernot Maier

Summer student lectures: Astroparticle Physics | Aug 2017



23 TeV Neutrino at the location of a gamma-ray emitting blazar...

Astroparticle Physics (2)

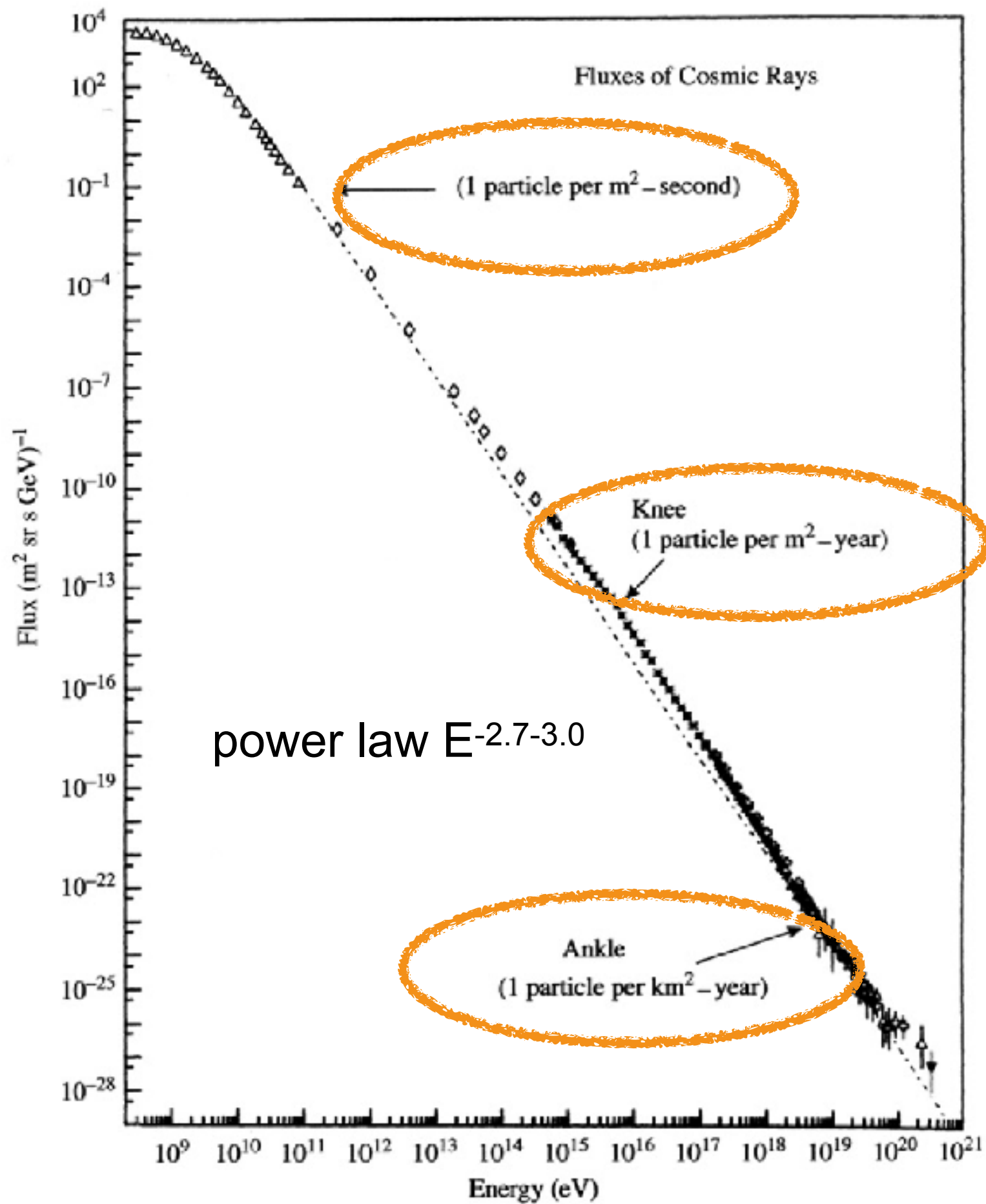
Gernot Maier



Alliance for Astroparticle Physics



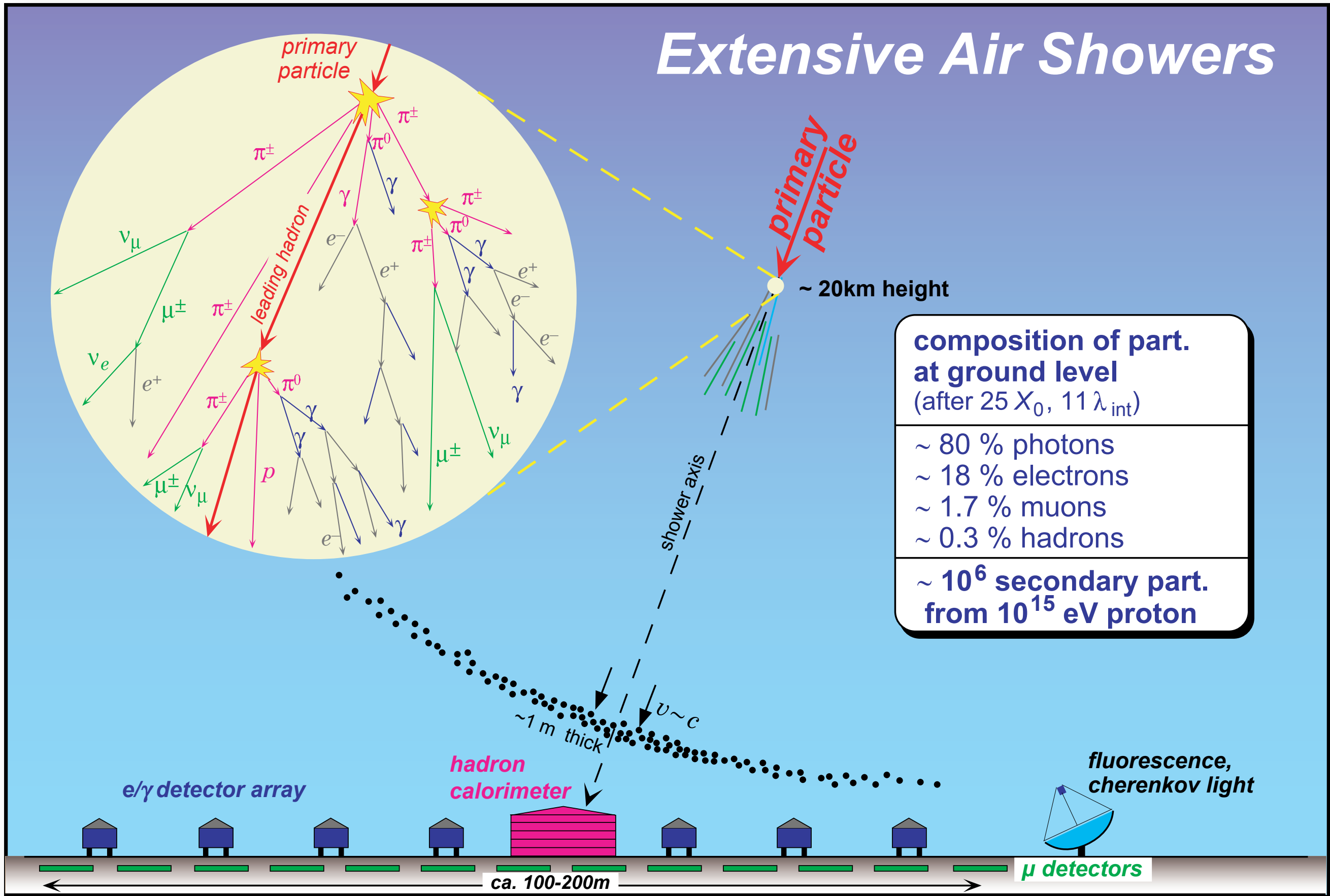
The Cosmic Ray Energy Spectrum



Bhattacharjee & Sigl 2000



Extensive Air Showers



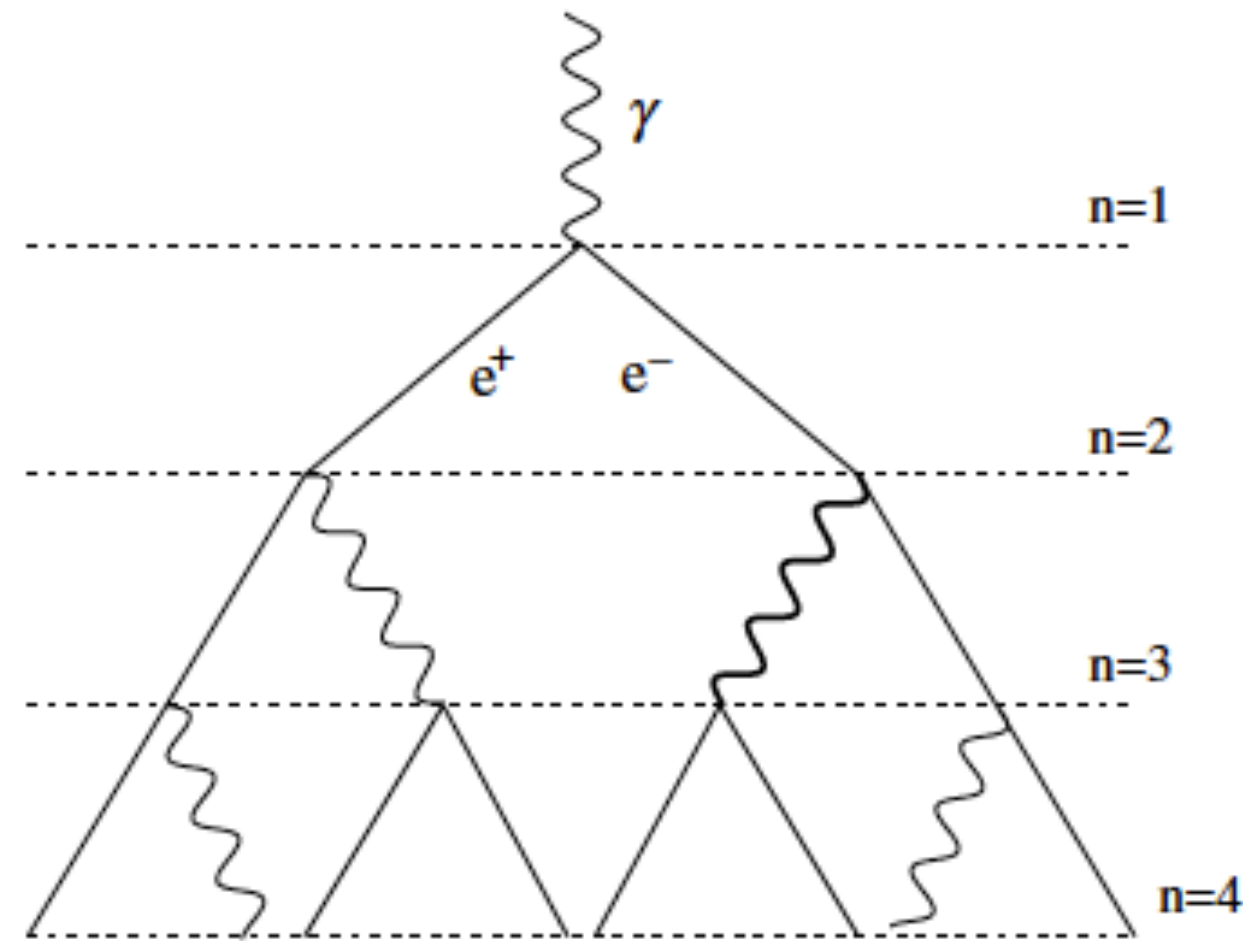
Extensive Air Shower: toy model for particle cascades

$$N(X) = 2^{X/\lambda}$$

$$E(X) = \frac{E_0}{N(X)}$$

$$N_{max} = N(X_{max}) = \frac{E_0}{E_C} \propto E_0$$

$$X_{max} = \lambda \frac{\log(E_0/E_C)}{\log 2} \propto \log(E_0)$$



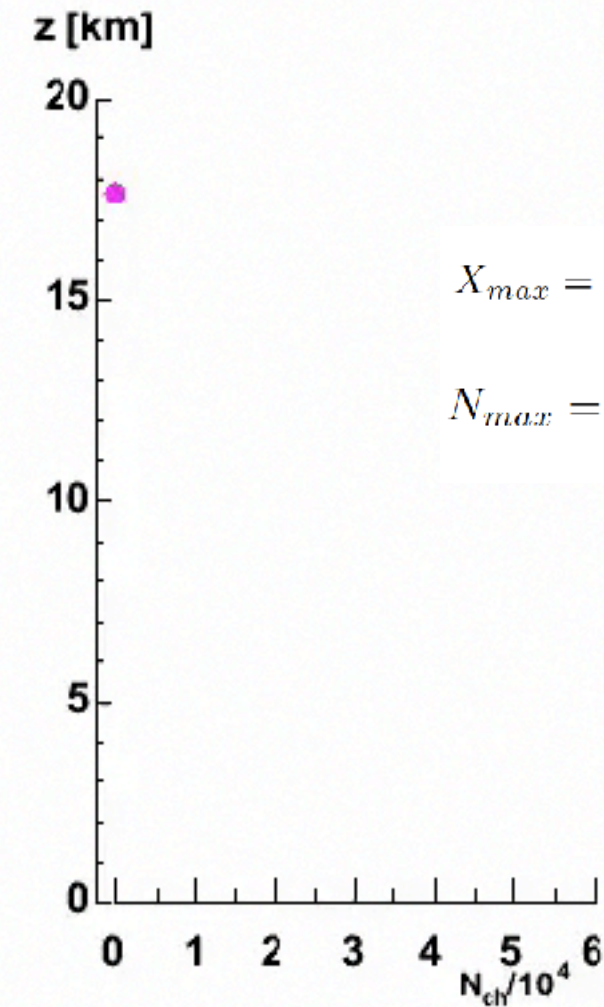
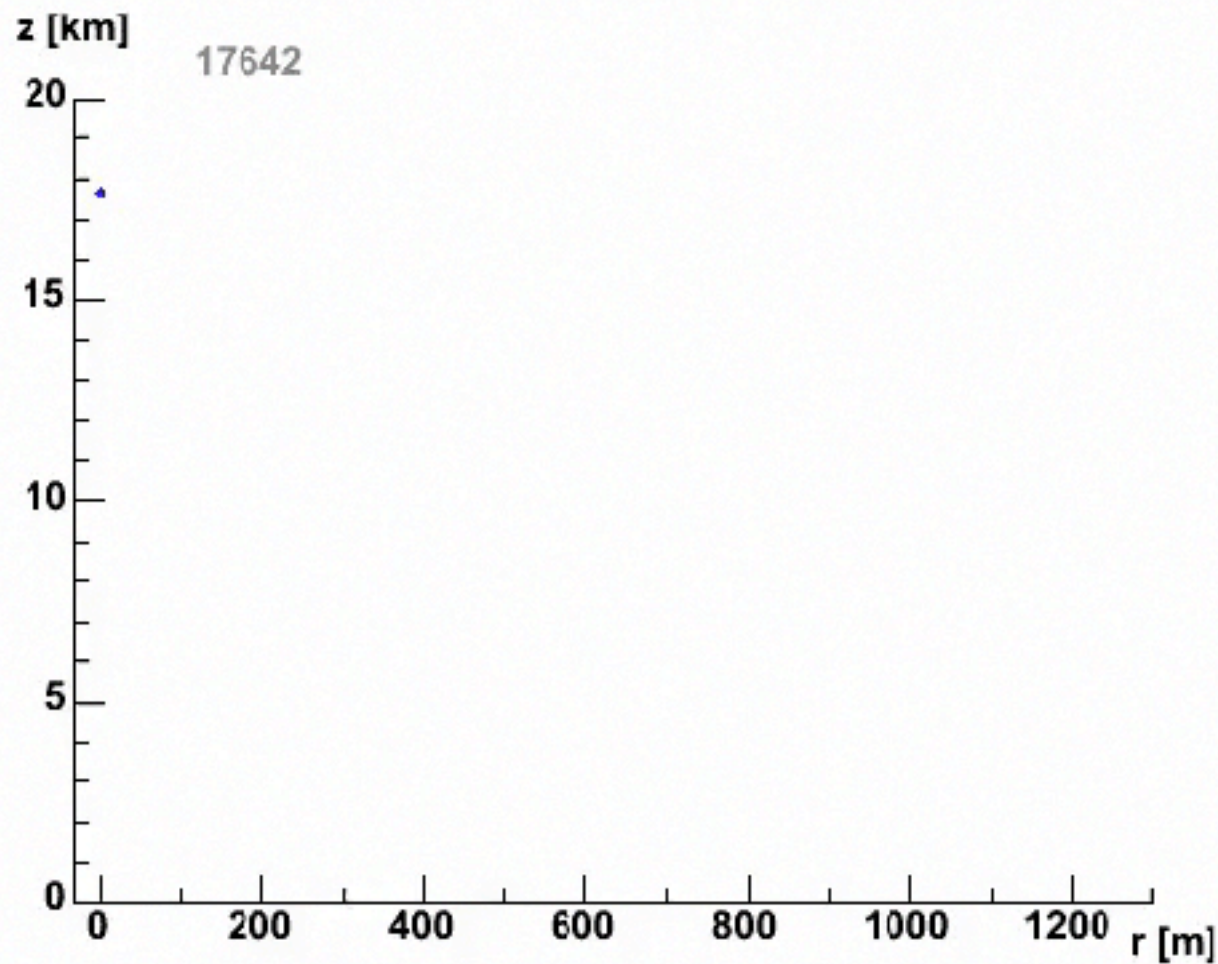
Heitler Model

here: primary particle is a photon
(similar: hadronic showers)

> Measure

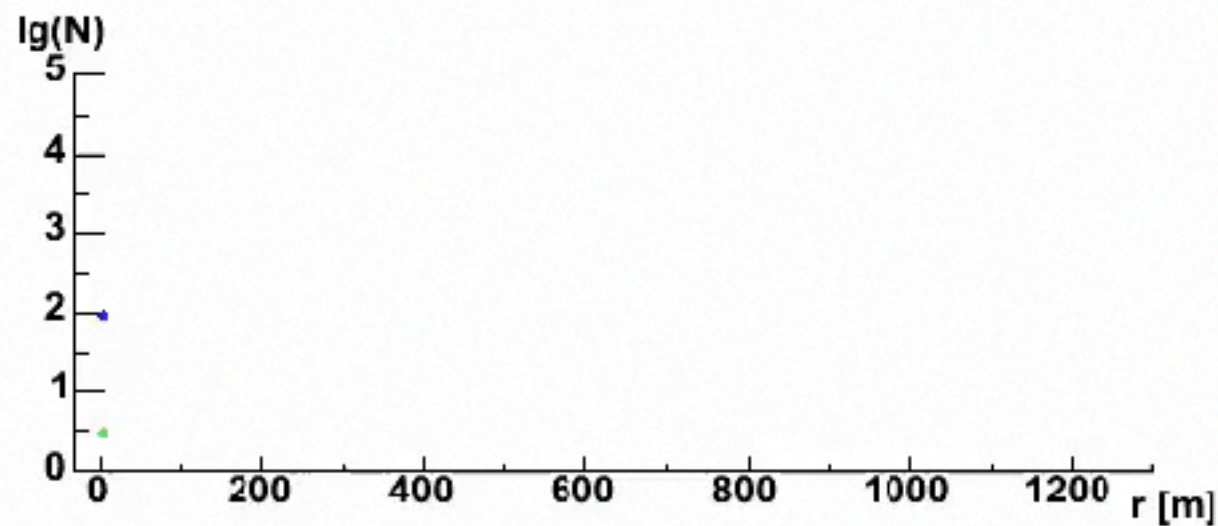
- particles reaching ground
- Superluminal particles create Cherenkov light
- High-energy electrons excite nitrogen which then fluorescence

Extensive Air Shower



$$X_{max} = \lambda \frac{\log(E_0/E_C)}{\log 2} \propto \log(E_0)$$

$$N_{max} = N(X_{max}) = \frac{E_0}{E_C} \propto E_0$$



Proton 10^{14} eV

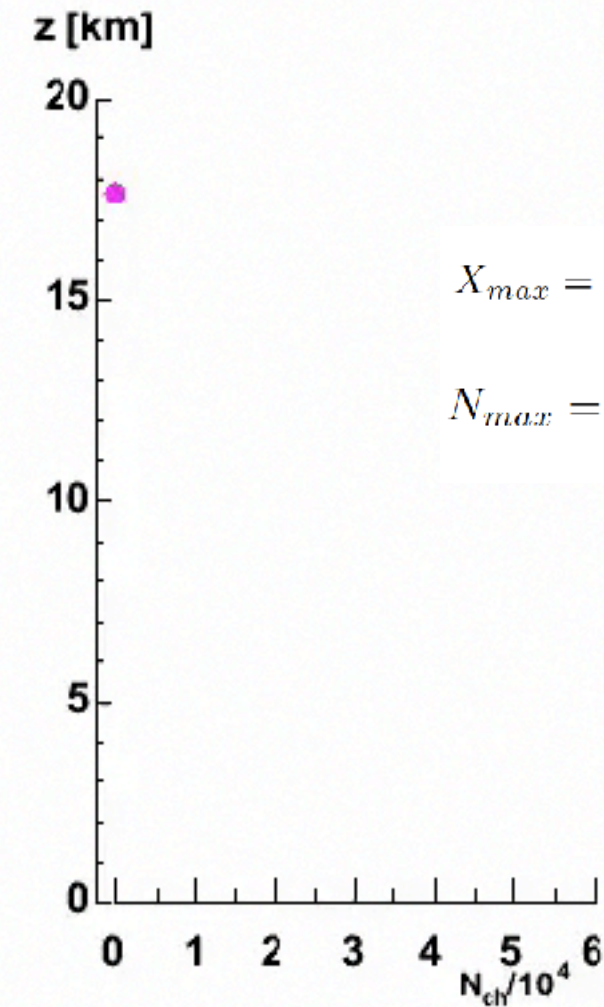
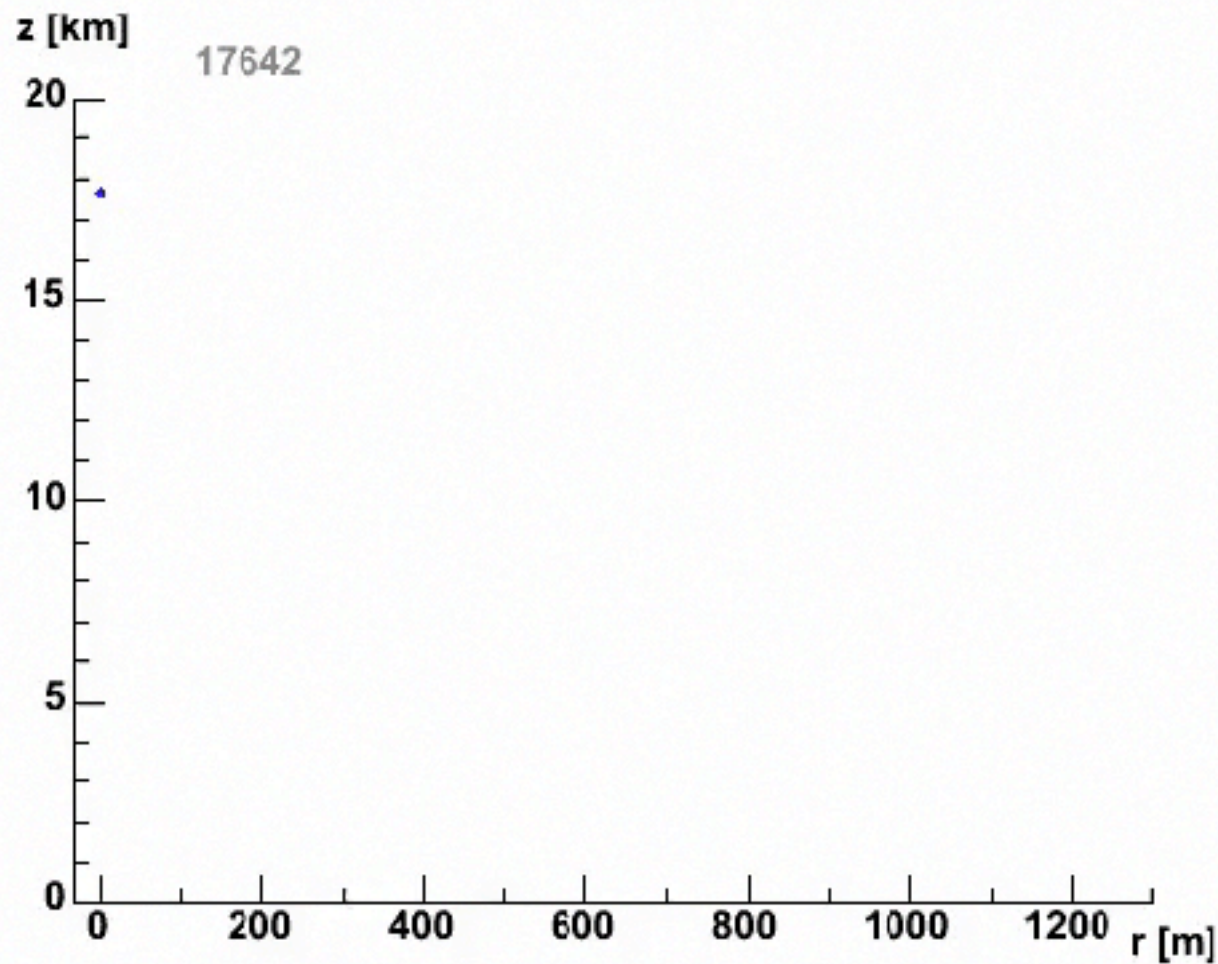
$h^{1st} = 17642$ m

hadrons muons

neutrons electrs

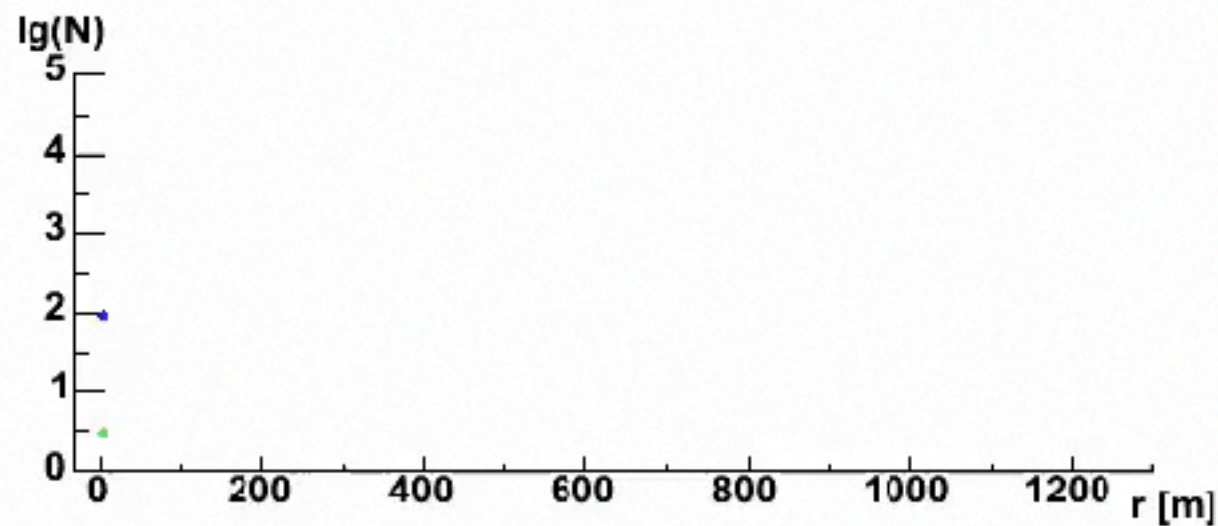
J.Oehlschlaeger,R.Engel,FZKarlsruhe

Extensive Air Shower



$$X_{max} = \lambda \frac{\log(E_0/E_C)}{\log 2} \propto \log(E_0)$$

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Proton 10^{14} eV

$h^{1st} = 17642$ m

hadrons **muons**

neutrons **electrs**

J.Oehlschlaeger,R.Engel,FZKarlsruhe

KASCADE

Karlsruhe Shower Core and Array Detector

Area 40,000 m²



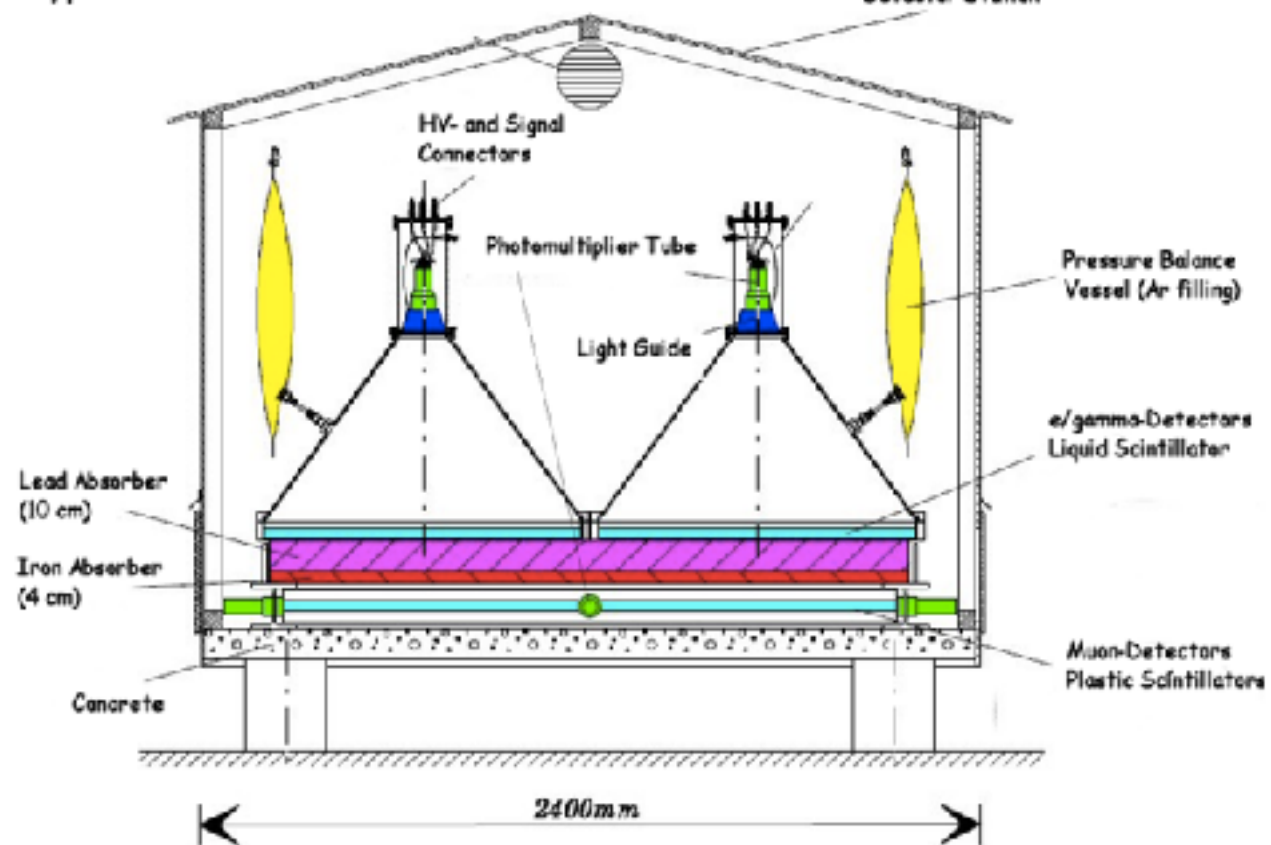
KASCADE

Karlsruhe Shower Core and Array Detector

Area 40,000 m²

Type-I Station

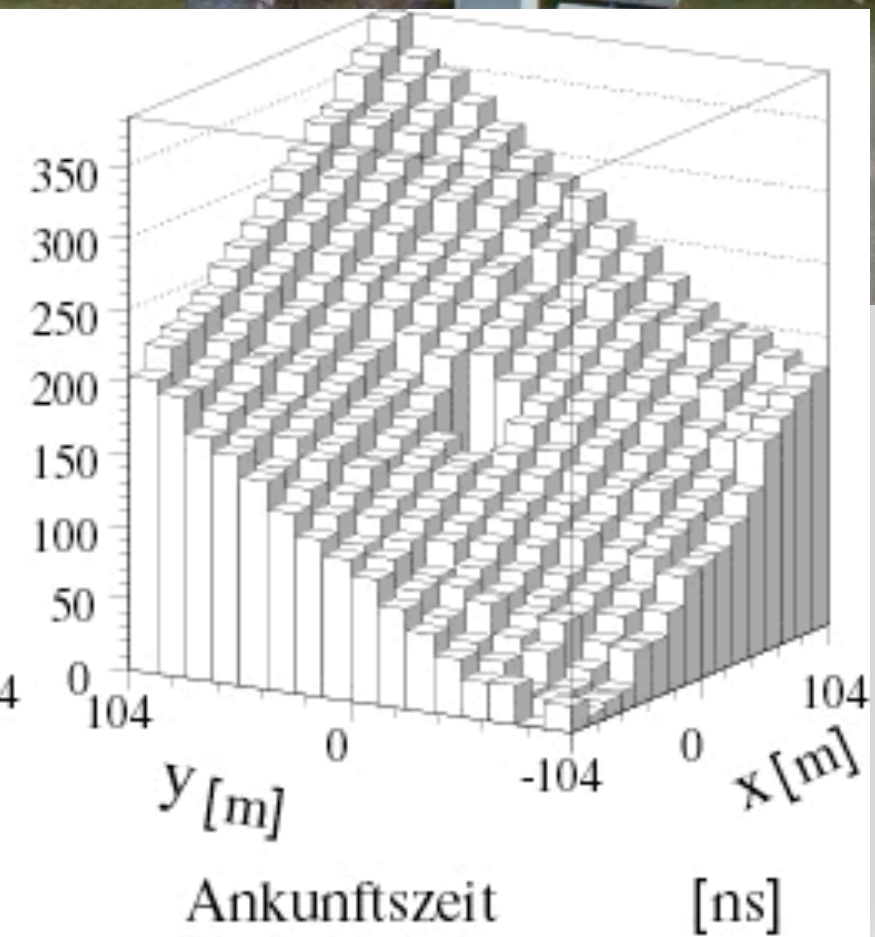
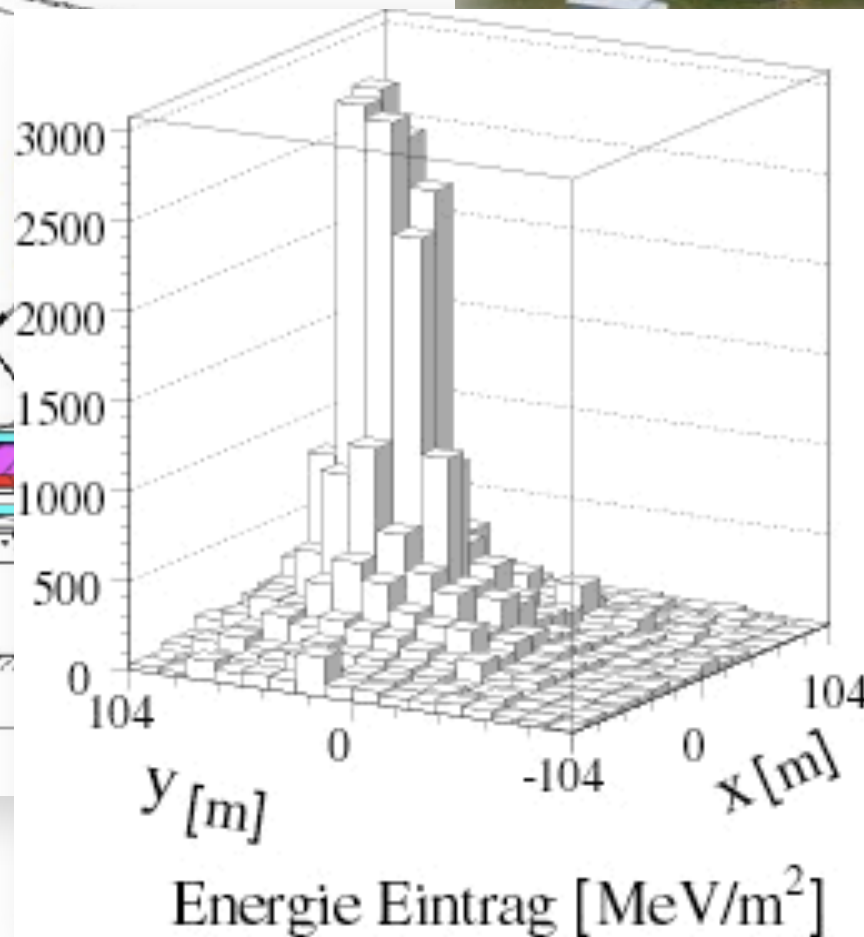
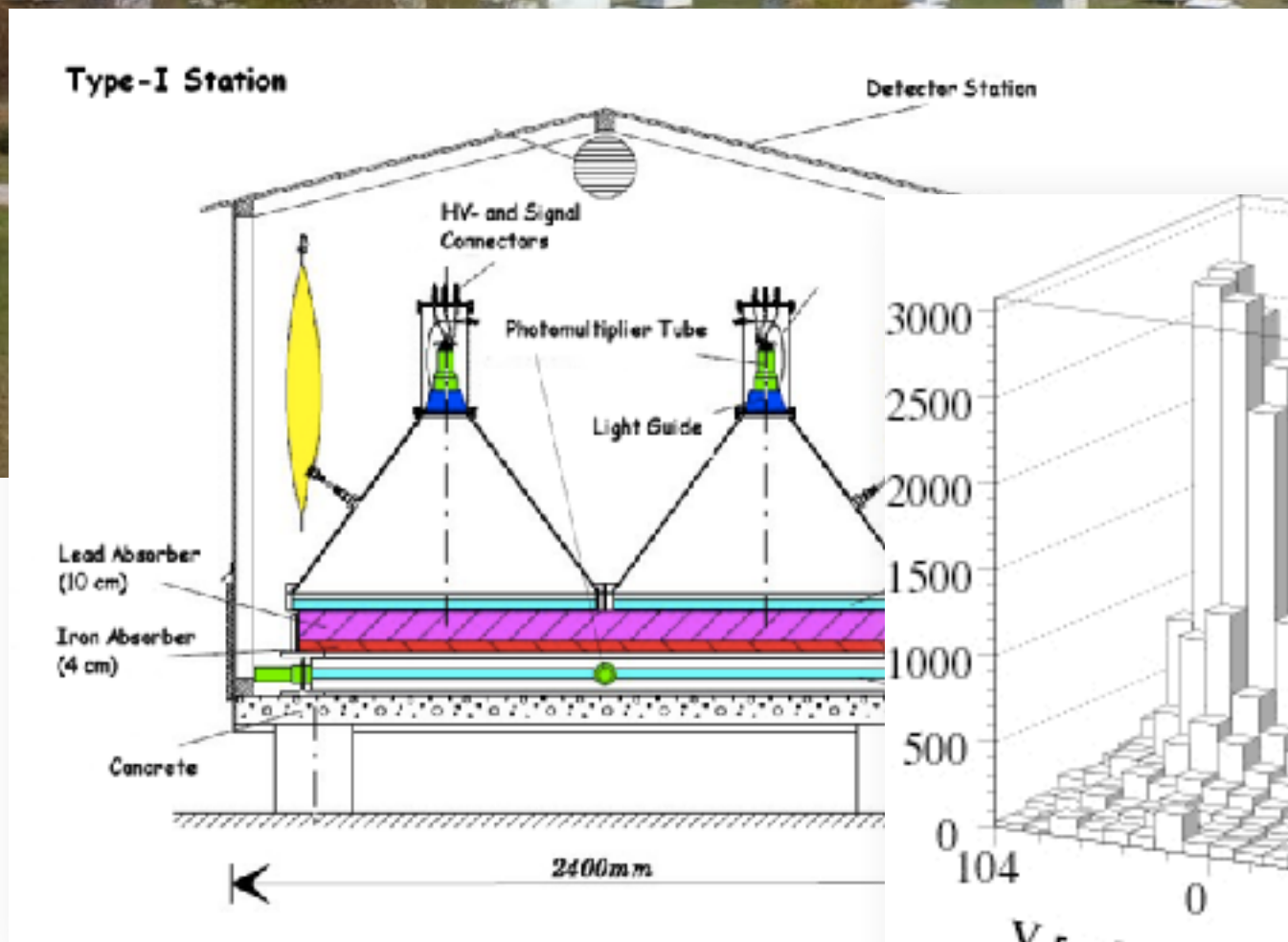
Detector Station



KASCADE

Karlsruhe Shower Core and Array Detector

Area 40,000 m²



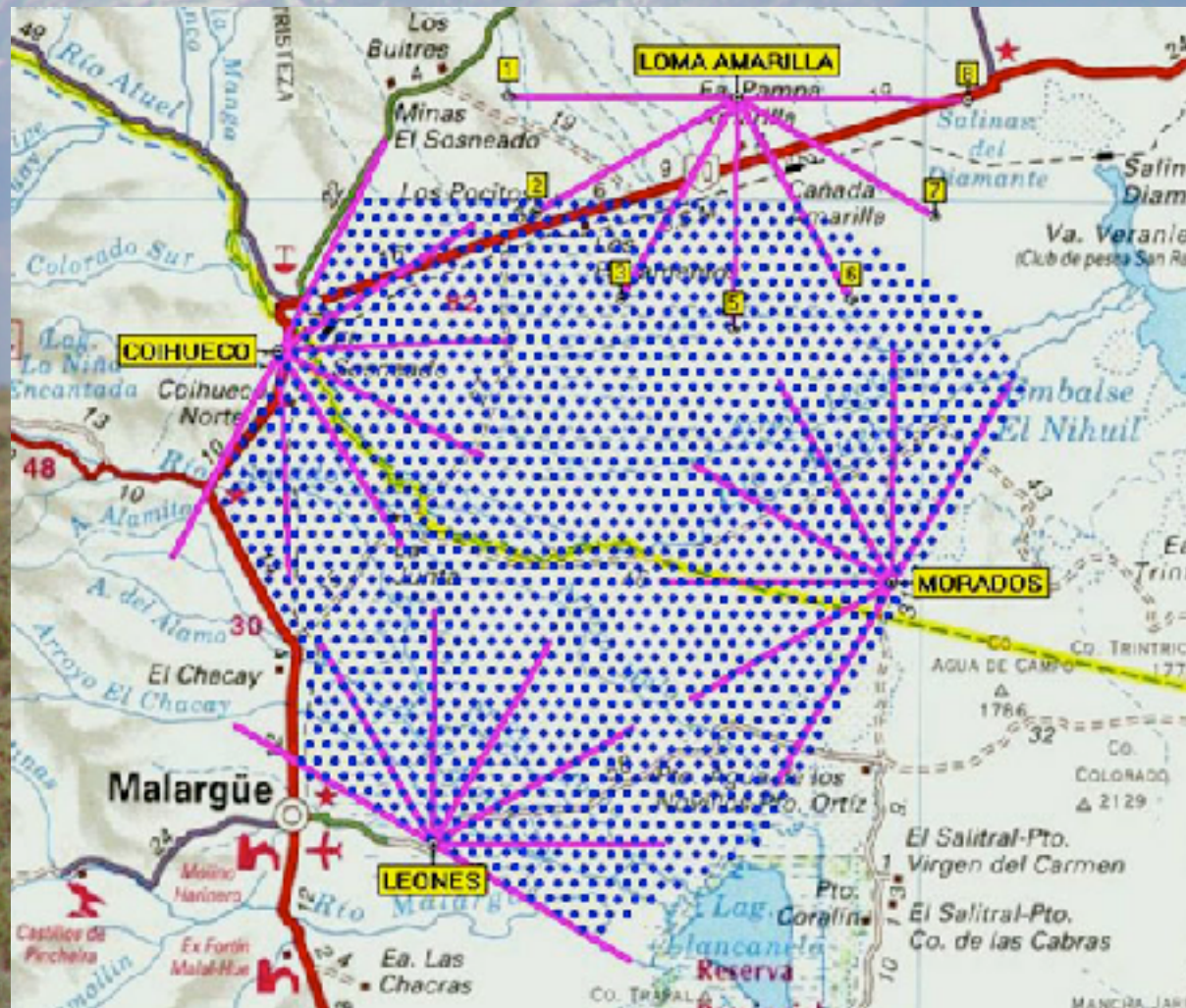
The Pierre Auger Observatory

Area 3,000 km²



The Pierre Auger Observatory

Area 3,000 km²



GPS antenna

Communications
antenna

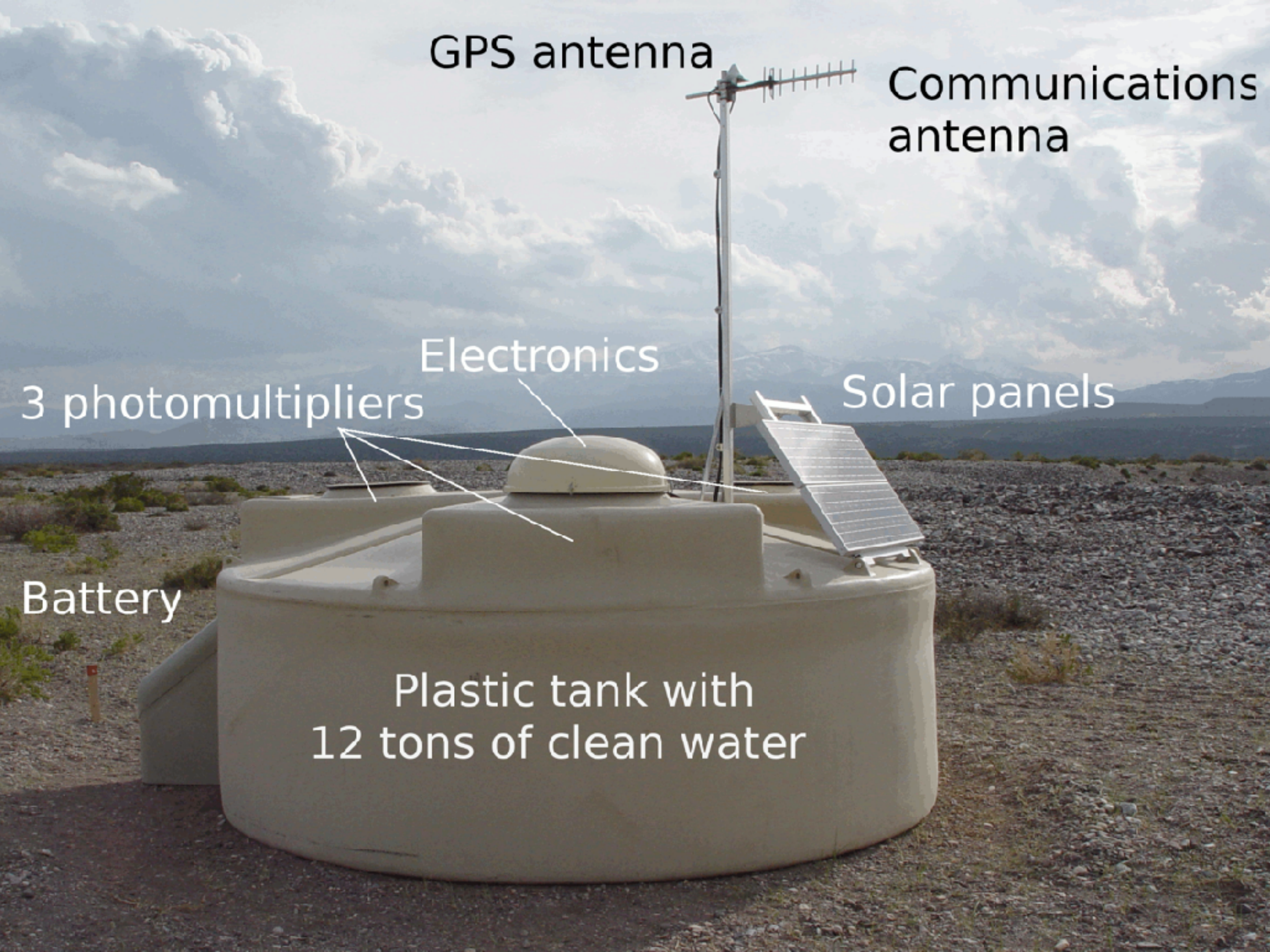
Electronics

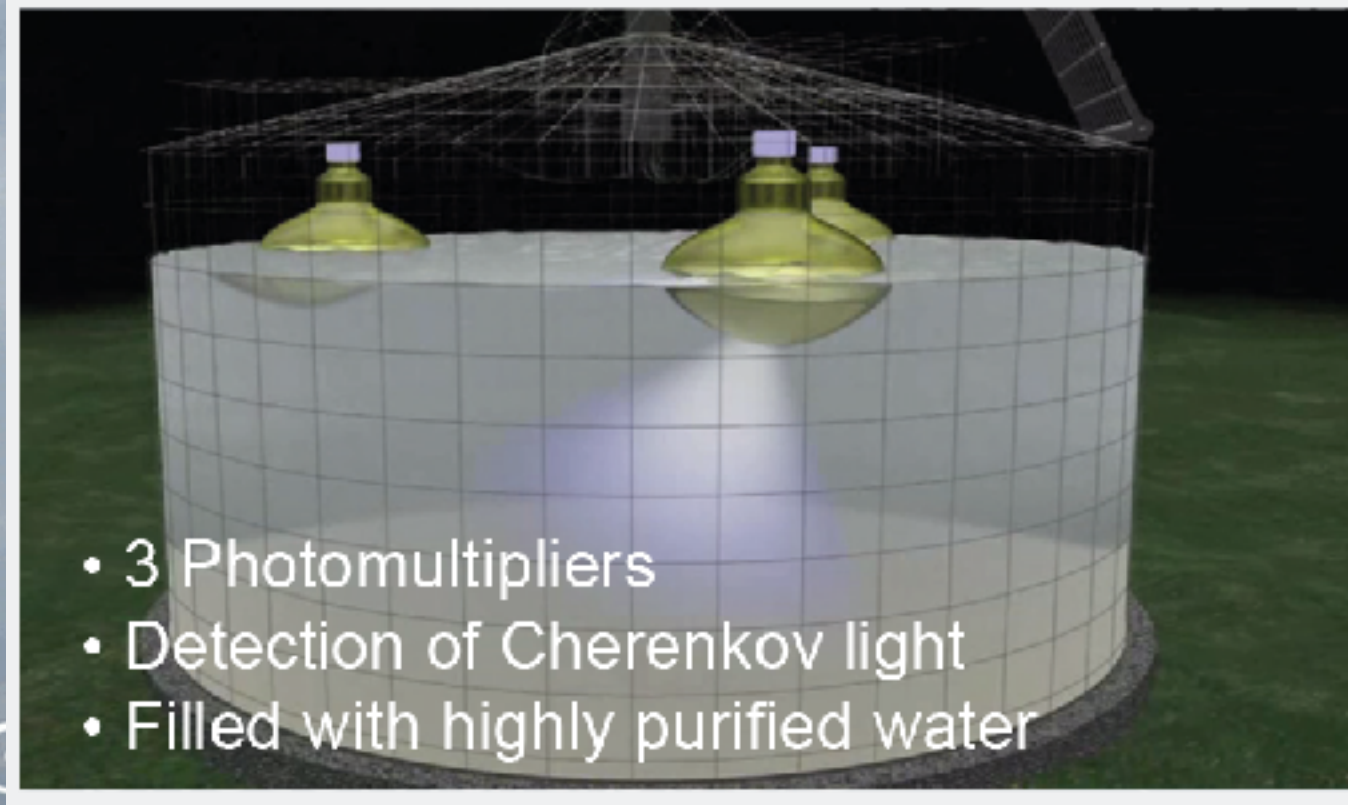
Solar panels

3 photomultipliers

Battery

Plastic tank with
12 tons of clean water





- 3 Photomultipliers
- Detection of Cherenkov light
- Filled with highly purified water



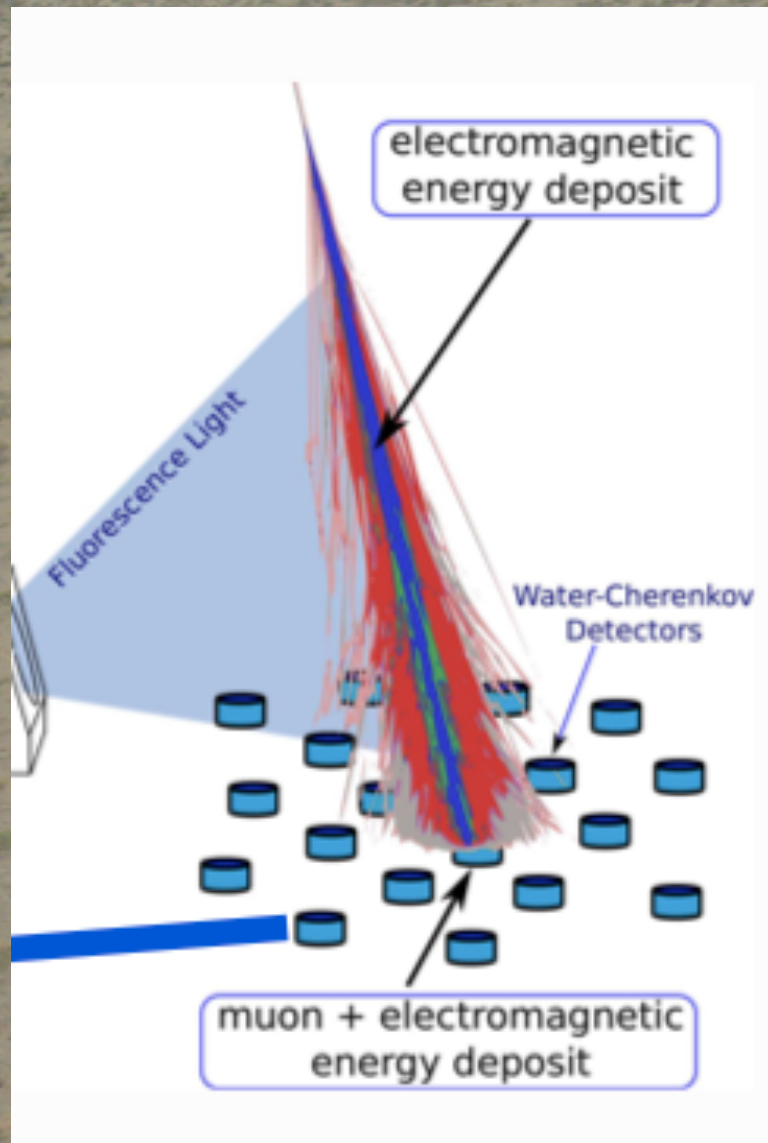
Communications antenna

Solar panels

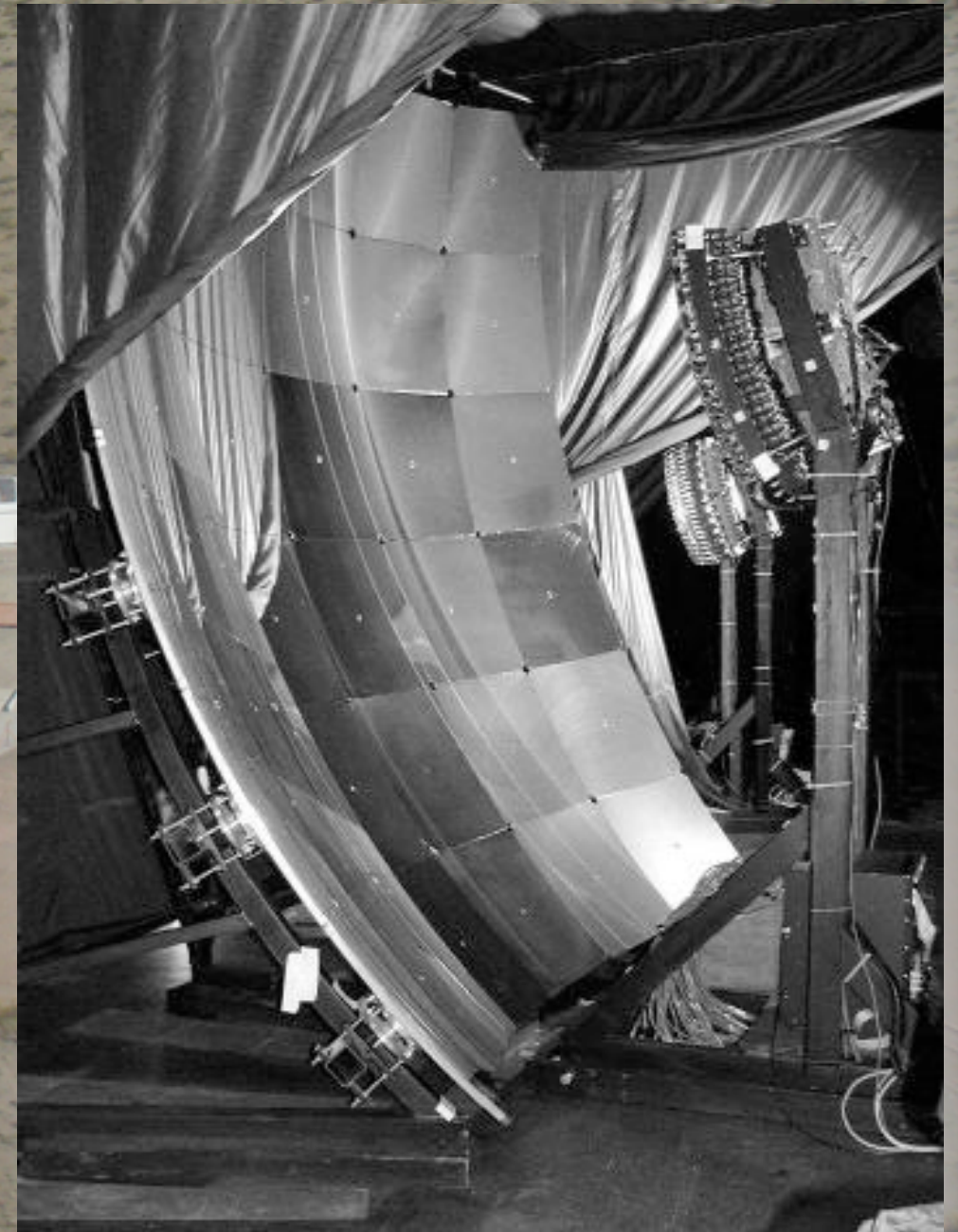
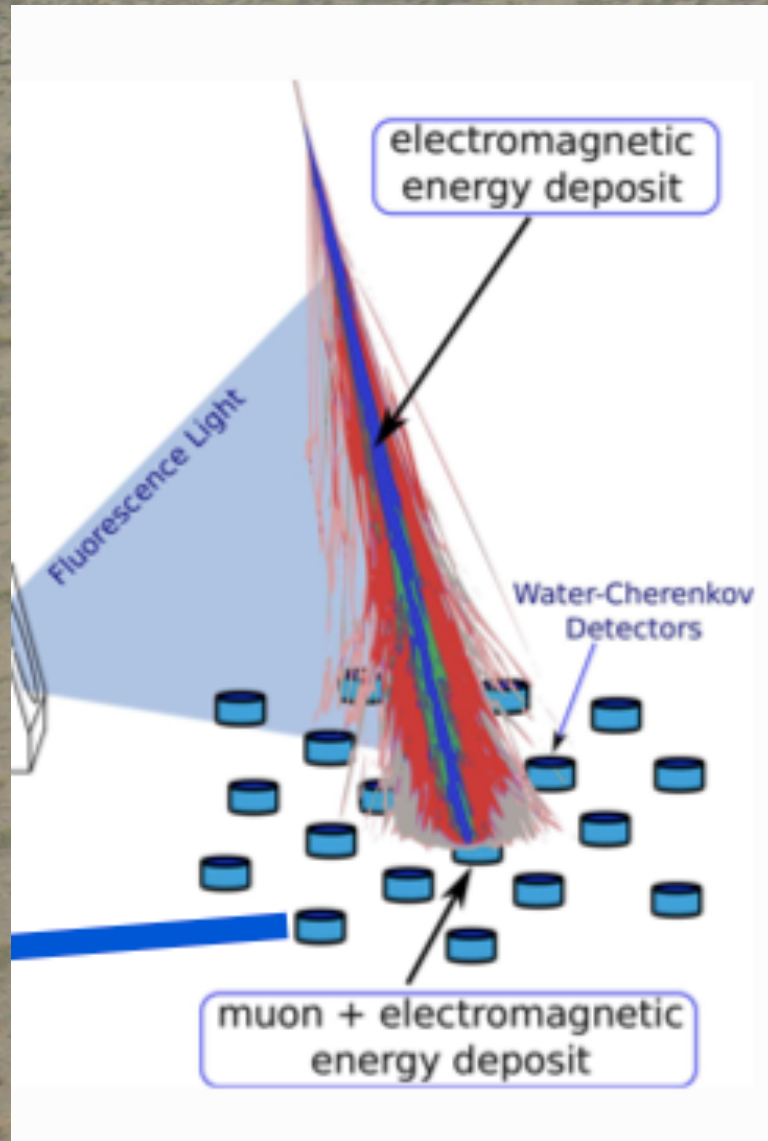
Battery

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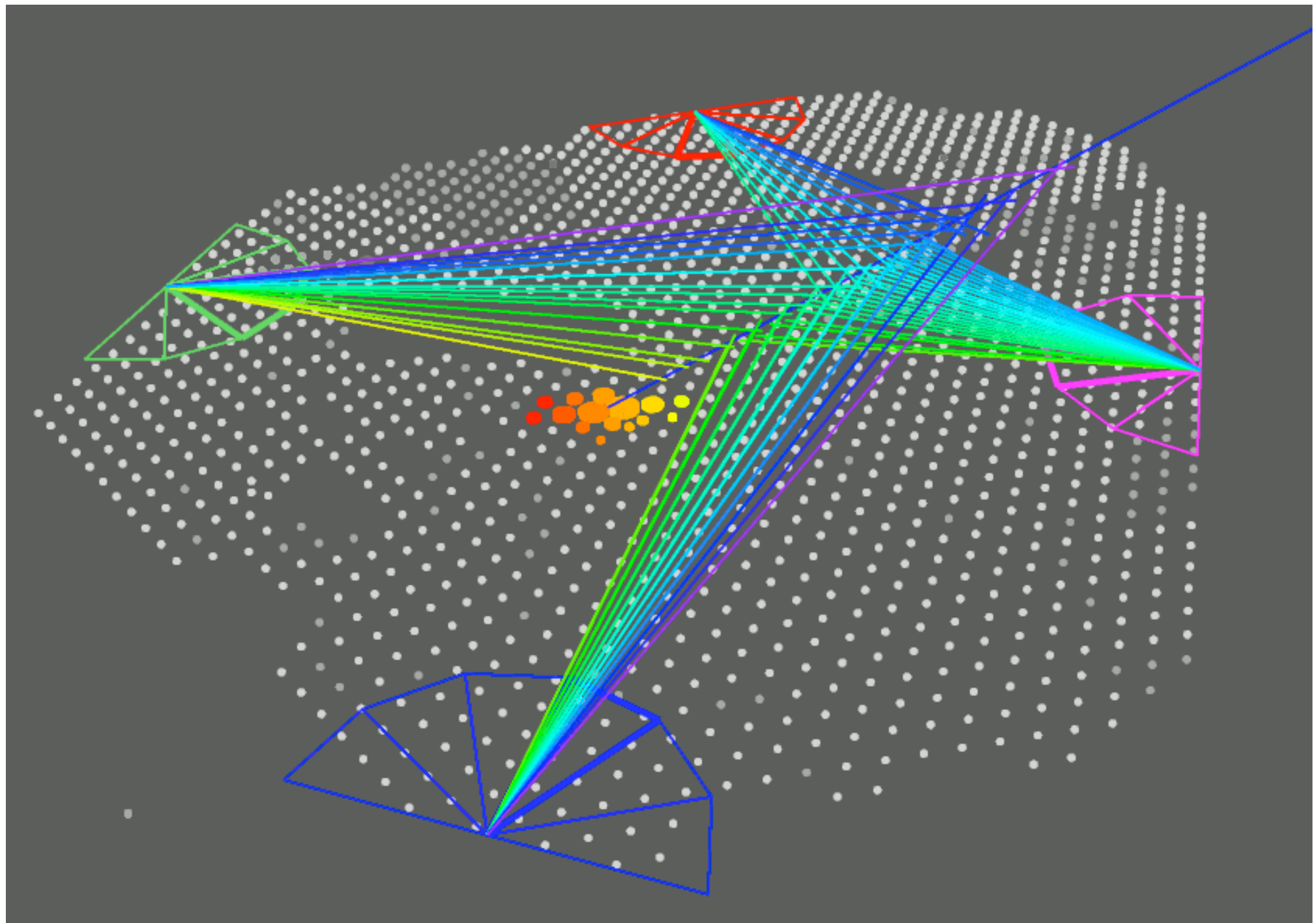


electrons excite N_2
Decay to ground state by
isotropically emitting UV
photons $\sim 380\text{nm}$



electrons excite N_2
Decay to ground state by
isotropically emitting UV
photons $\sim 380\text{nm}$

The Pierre Auger Observatory

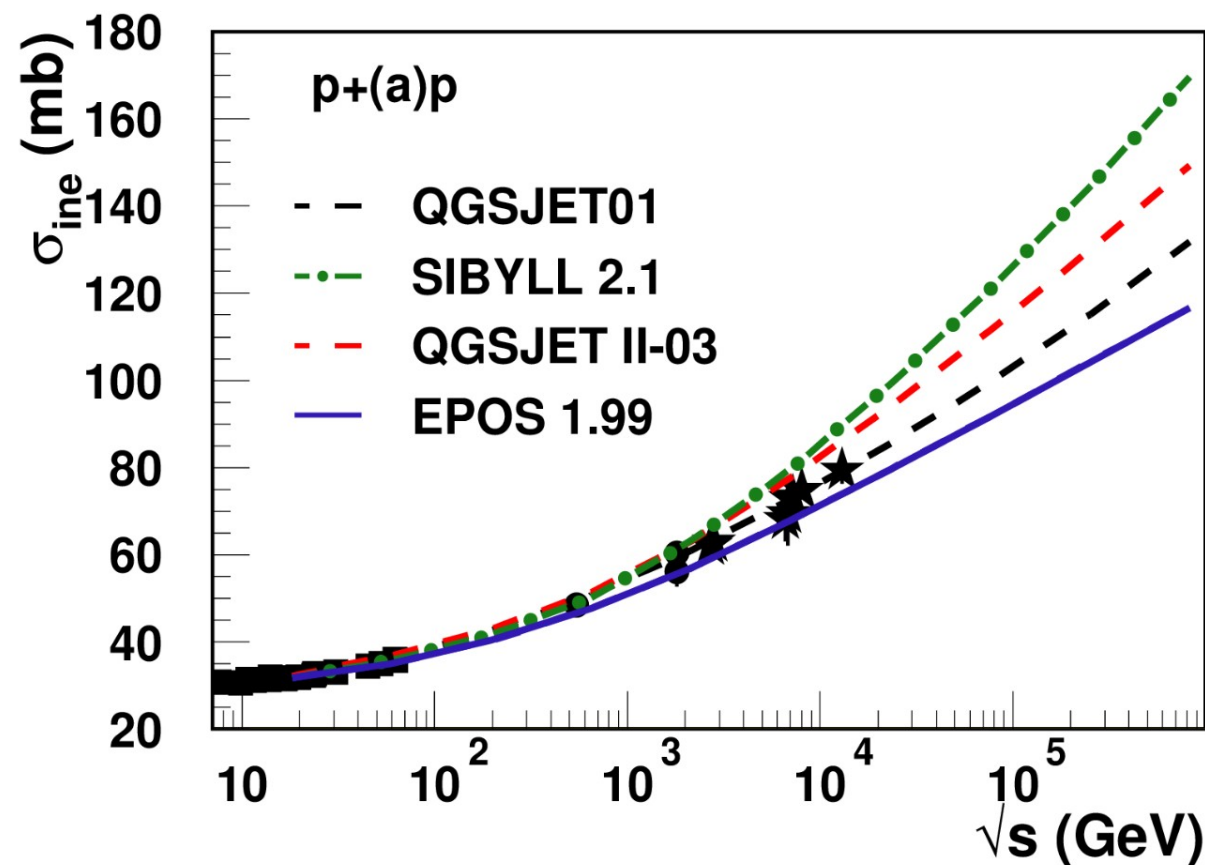


<http://www-hep2.fzu.cz/~smida/Auger-figures/Auger-quattro.gif>

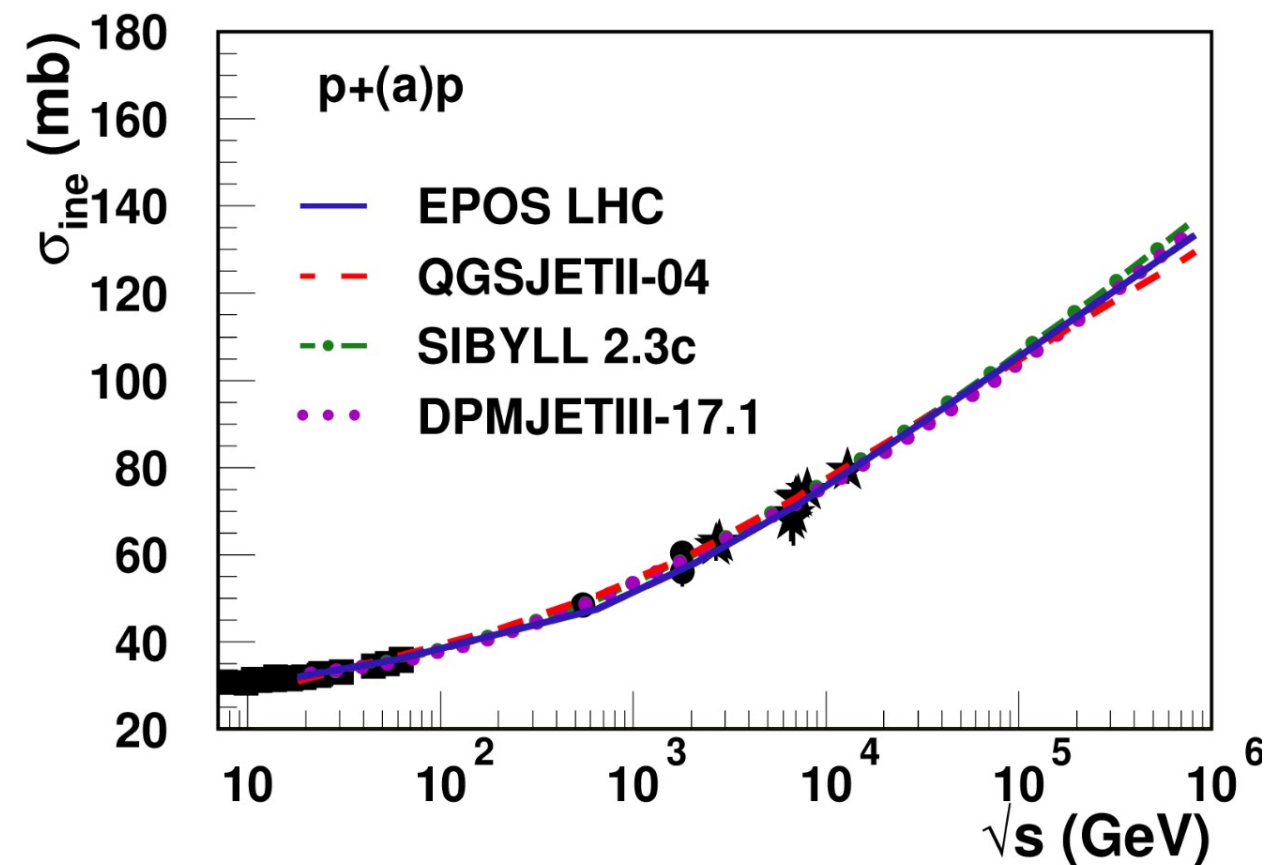
Extensive air shower: hadronic interactions

understanding of extensive air showers relies on extrapolations of several orders of magnitude using models of the hadronic interaction

Pre - LHC

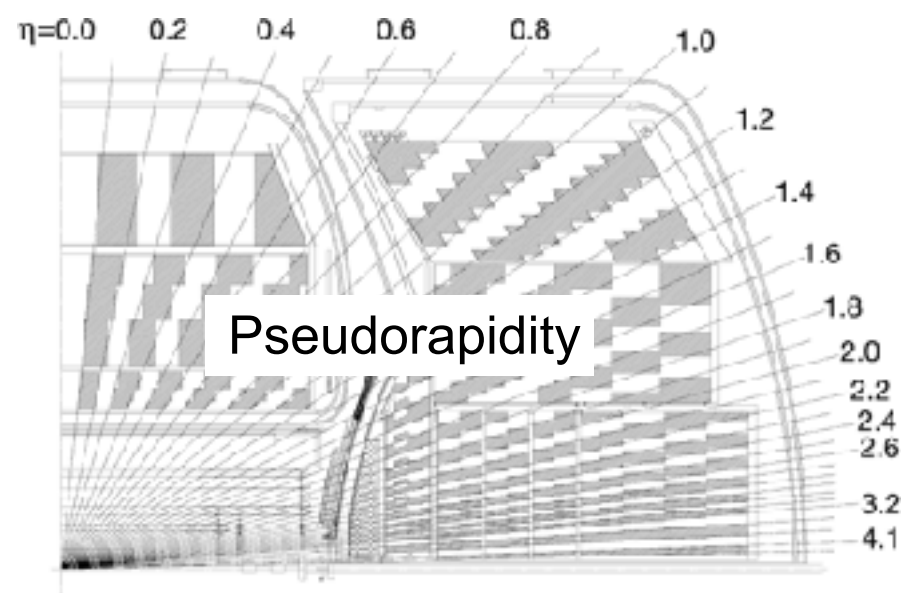
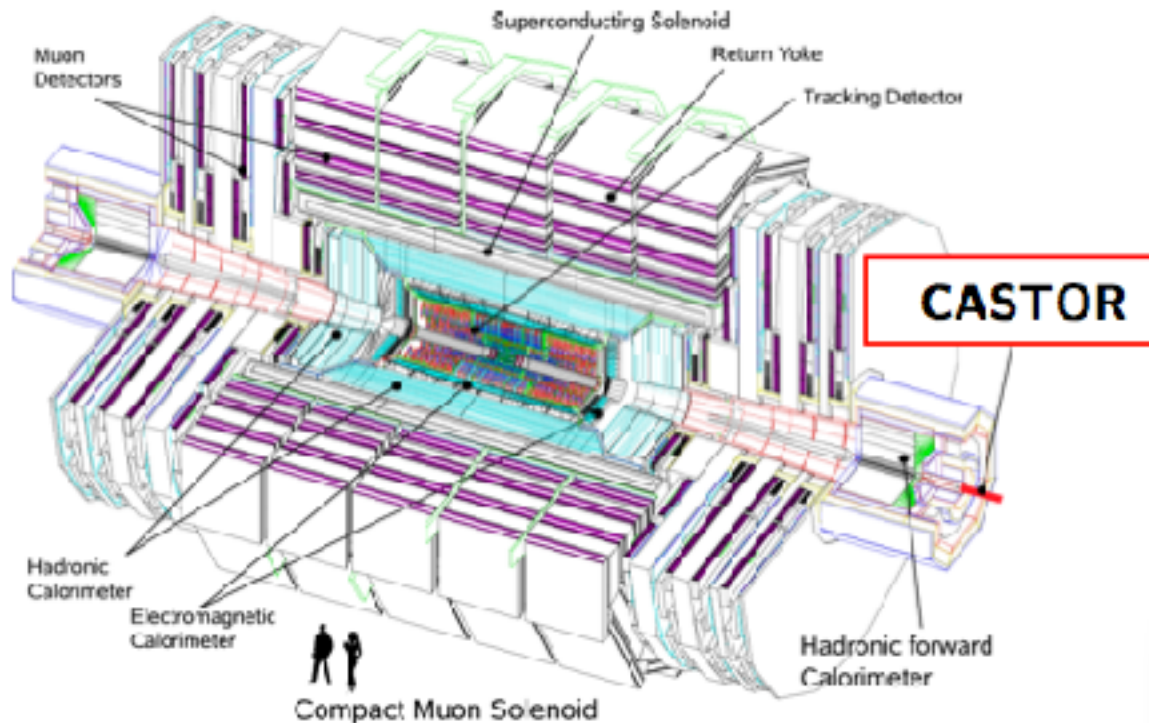


Post - LHC

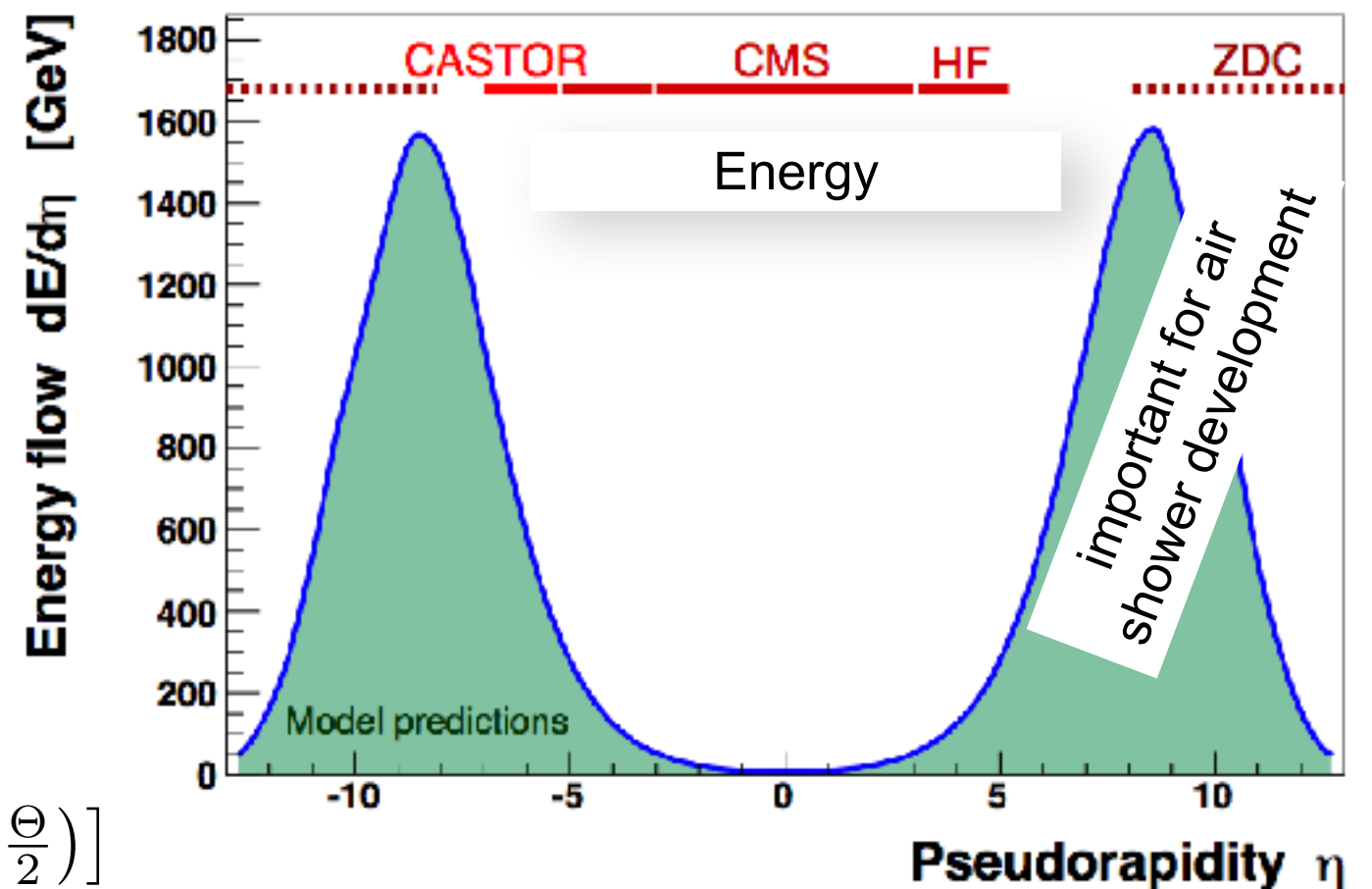
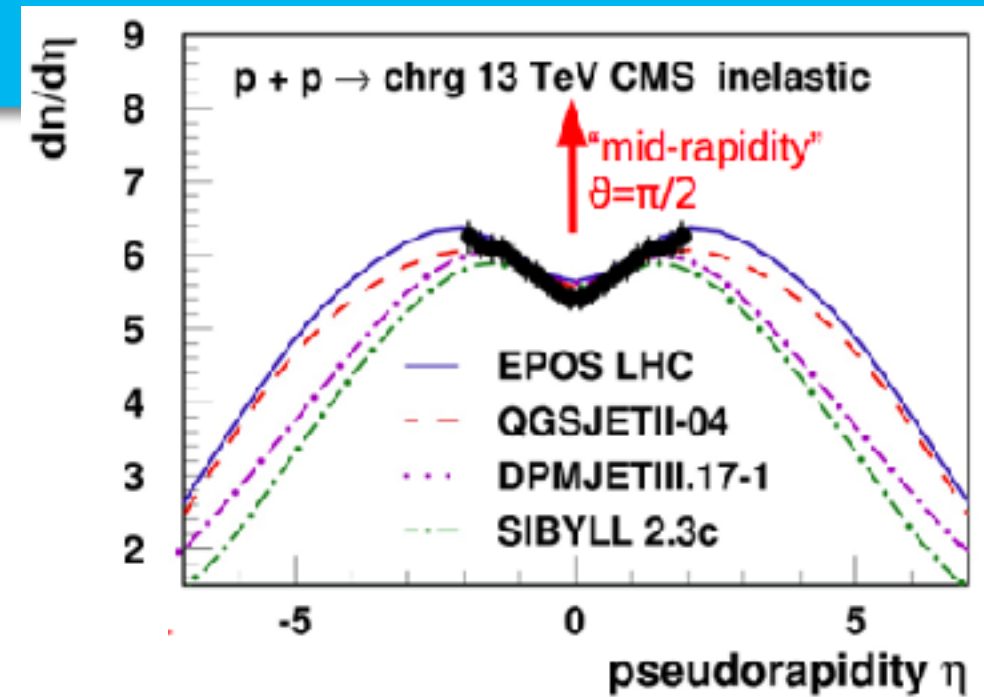


Pierog 2017

Forward direction



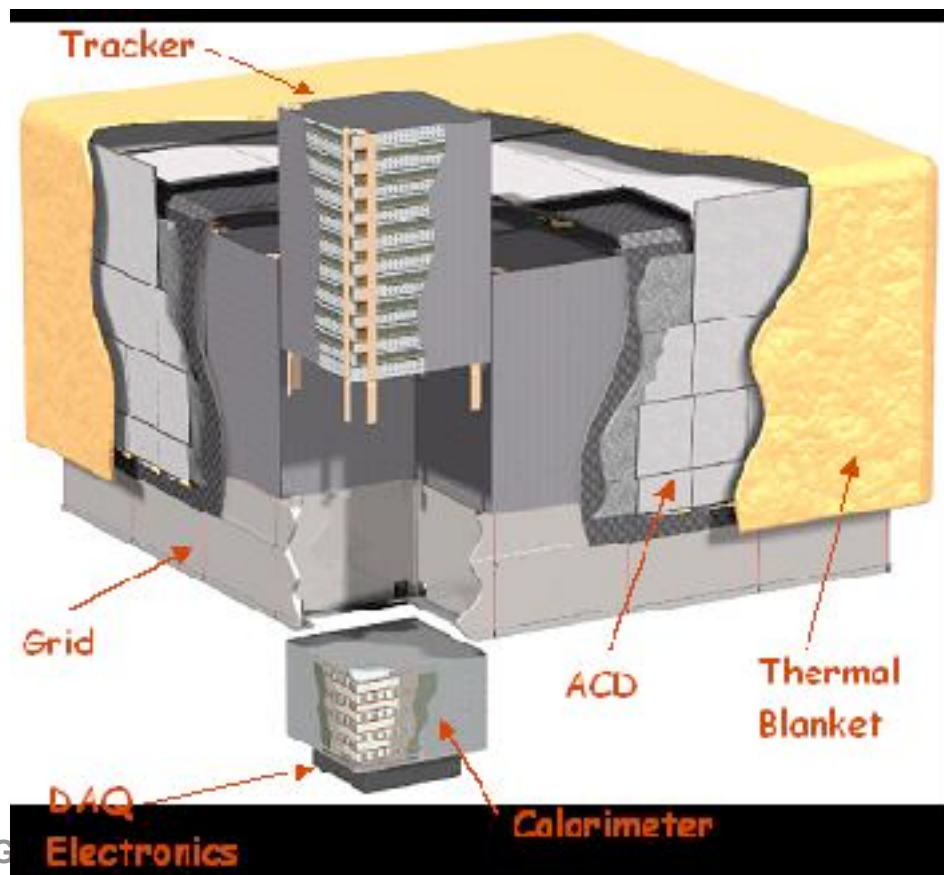
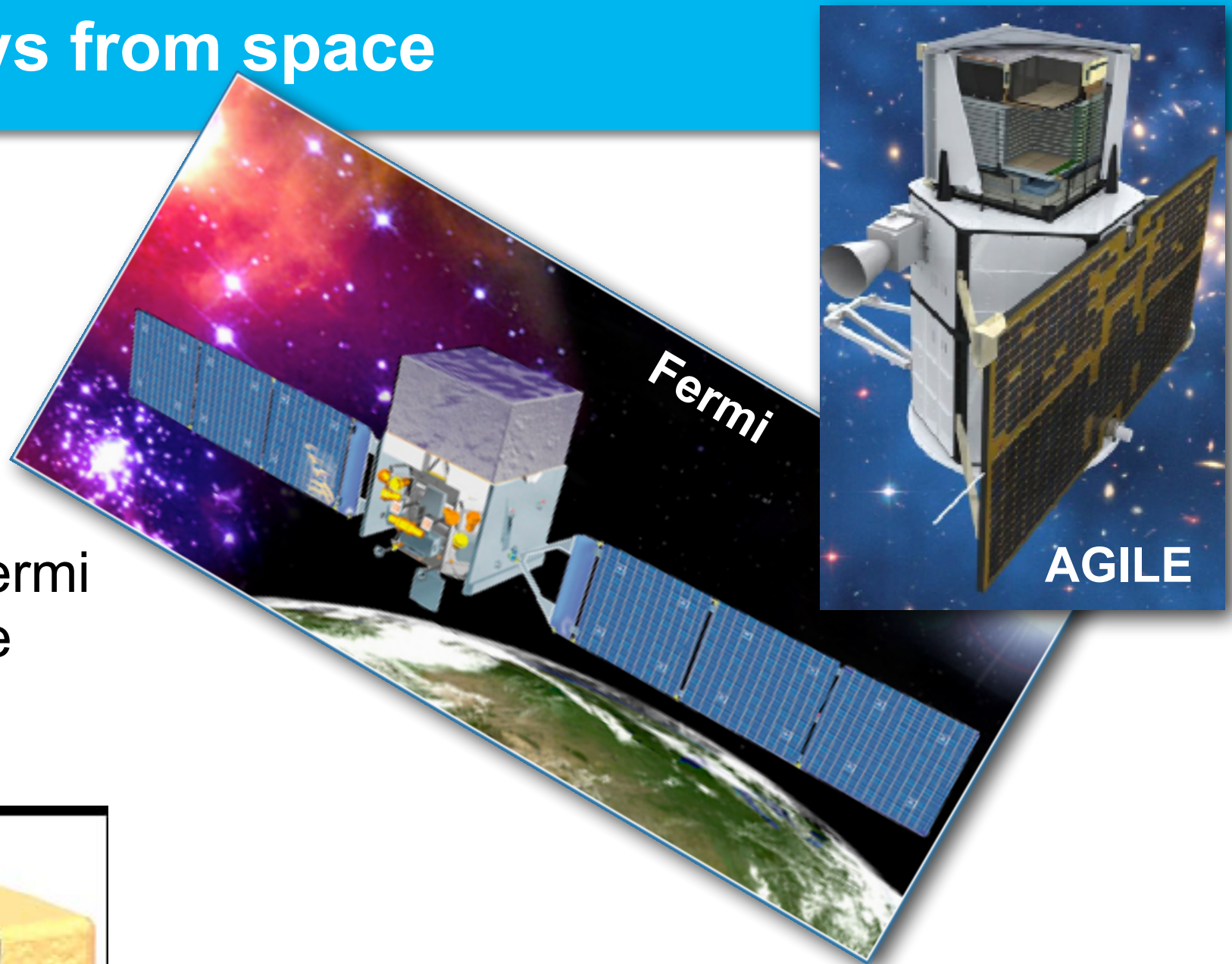
pseudorapidity: $\eta = -\ln \left[\tan \left(\frac{\Theta}{2} \right) \right]$



Observing gamma rays from space

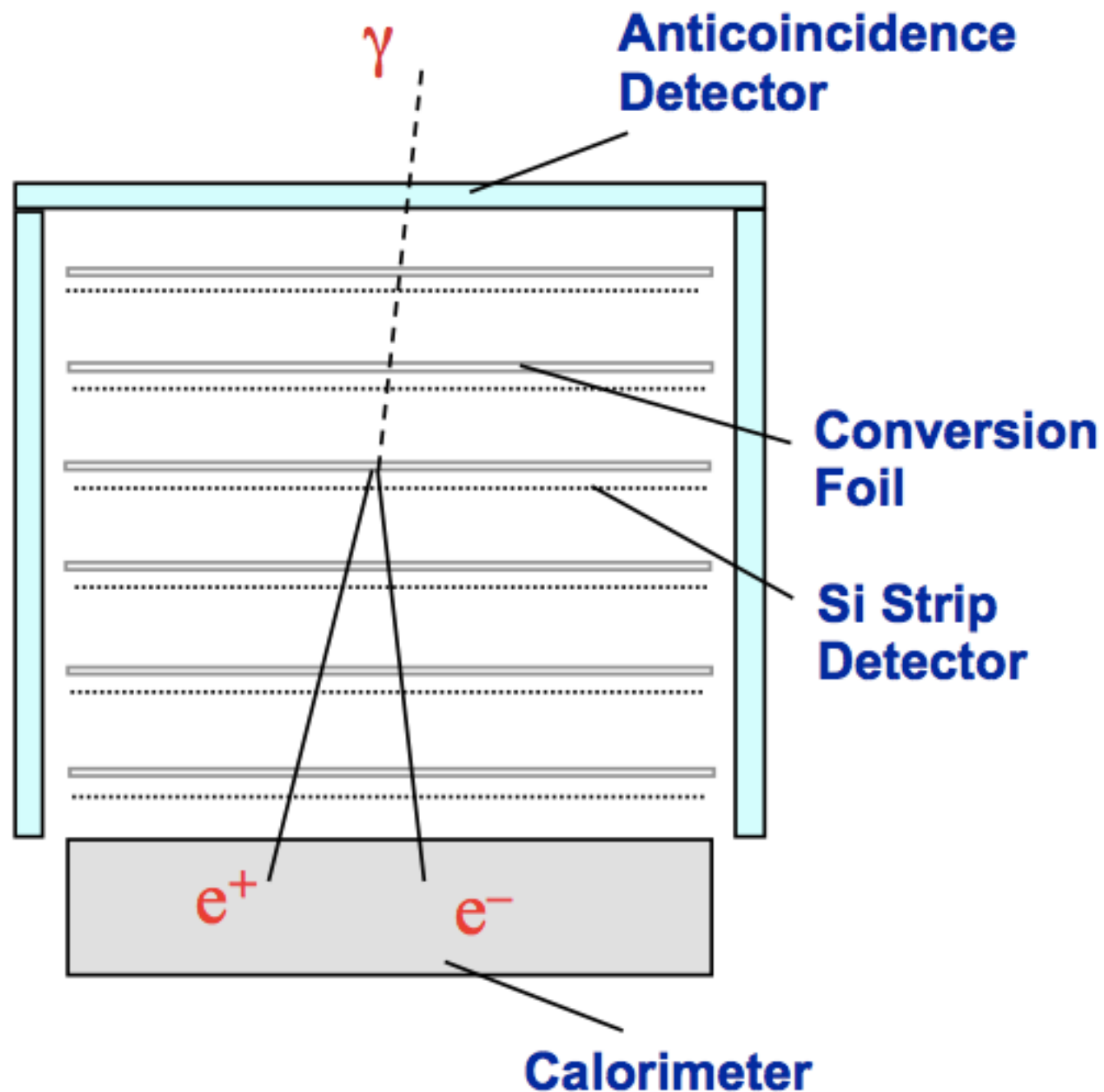
Fermi LAT:

- launched in June 2008
- pair-conversion telescope
- mostly in survey mode: Fermi observes each point in the sky every three hours



- Energy range 20 MeV to 300 GeV
- LAT Effective area: $\sim 0.7 \text{ m}^2$
- AGILE Effective area: $\sim 0.07 \text{ m}^2$

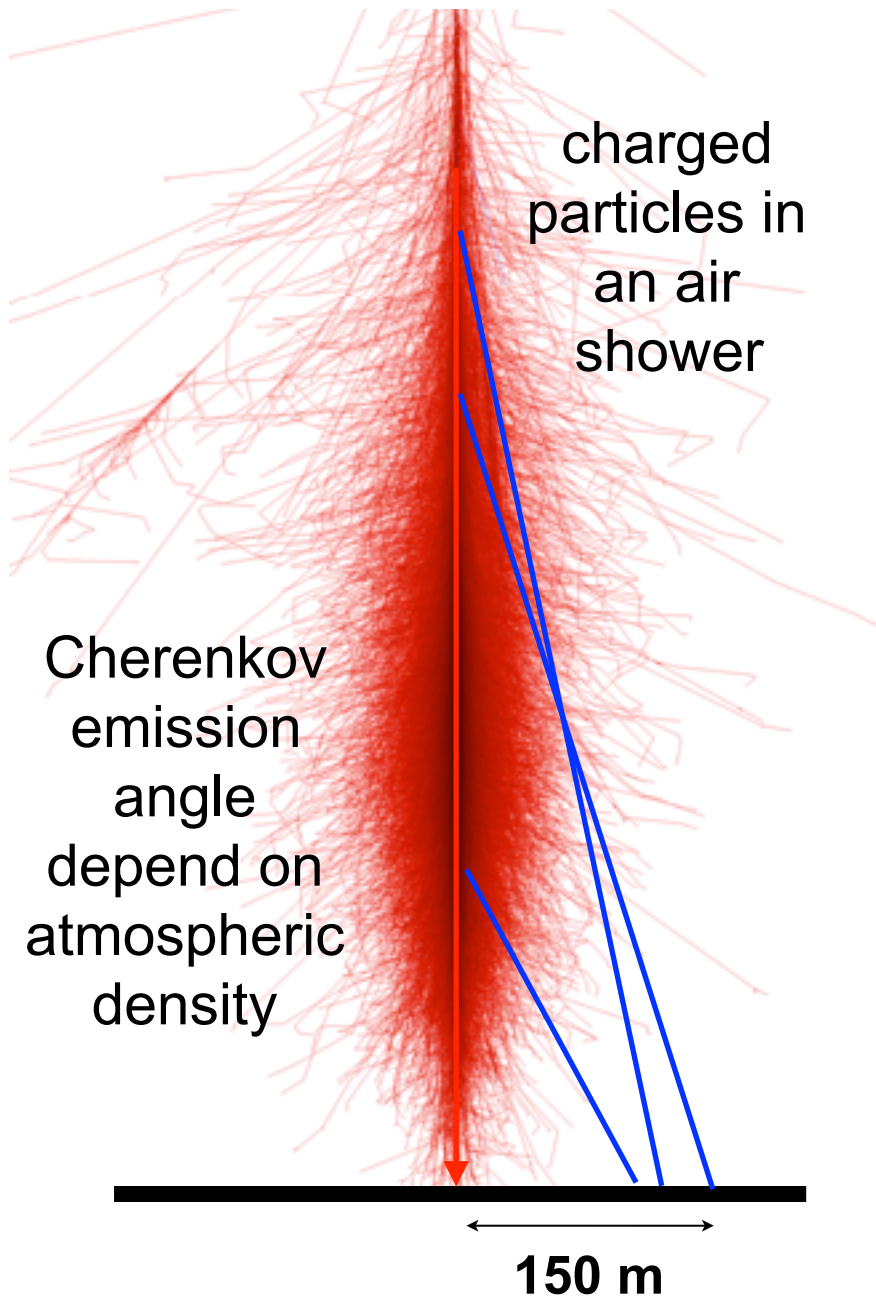
The Fermi Large Area Telescope



- > Pair conversion detector (tungsten foils followed by tracker for e^+/e^-)
- > Si strip detector to measure particle trajectories
- > CsI calorimeter measures energy from the amount of scintillation produced by the e/m shower
- > anti-coincidence shield to veto charged particles

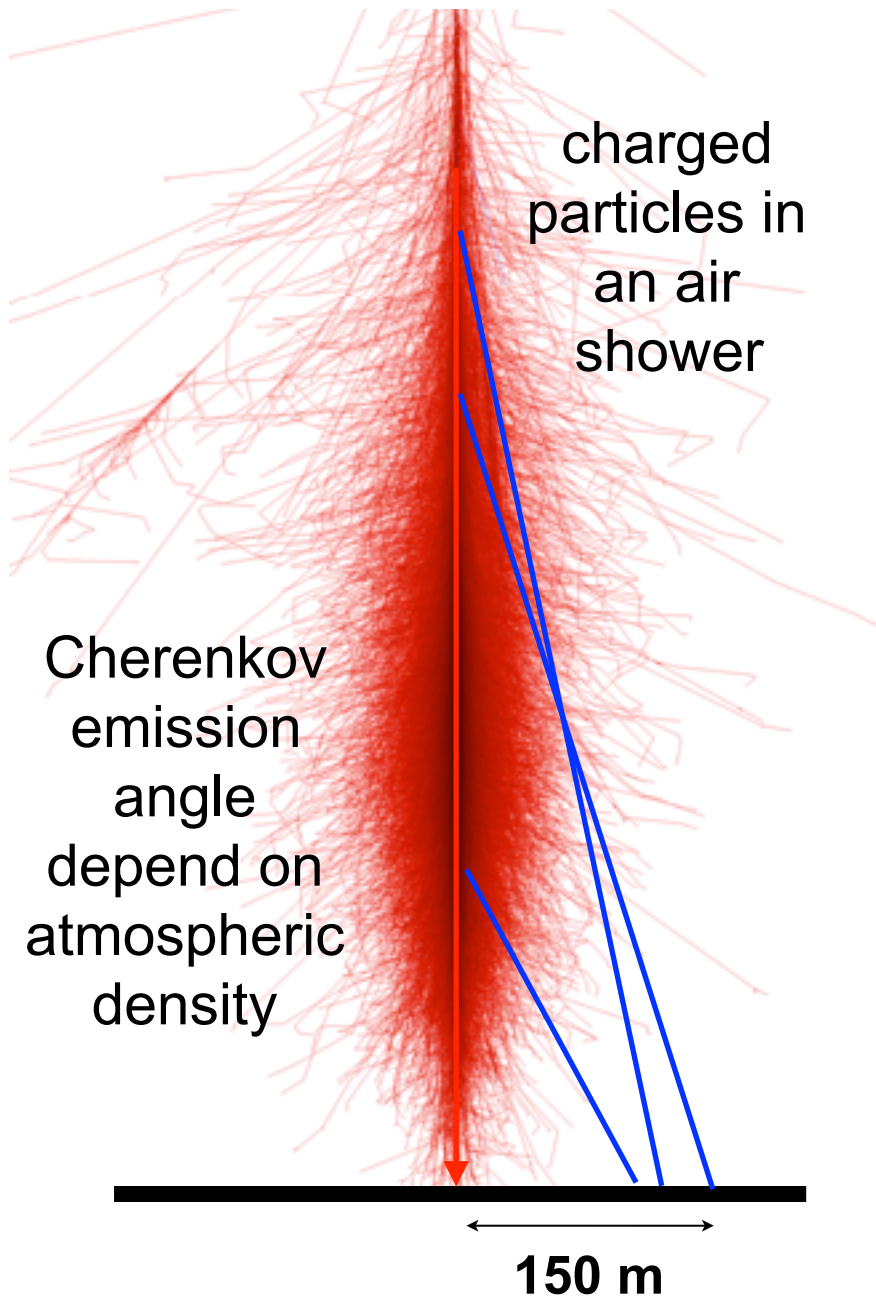
Extensive Air Showers and Cherenkov Emission

Pavel Alekseyevich
Cherenkov
(Nobel price 1958)



Extensive Air Showers and Cherenkov Emission

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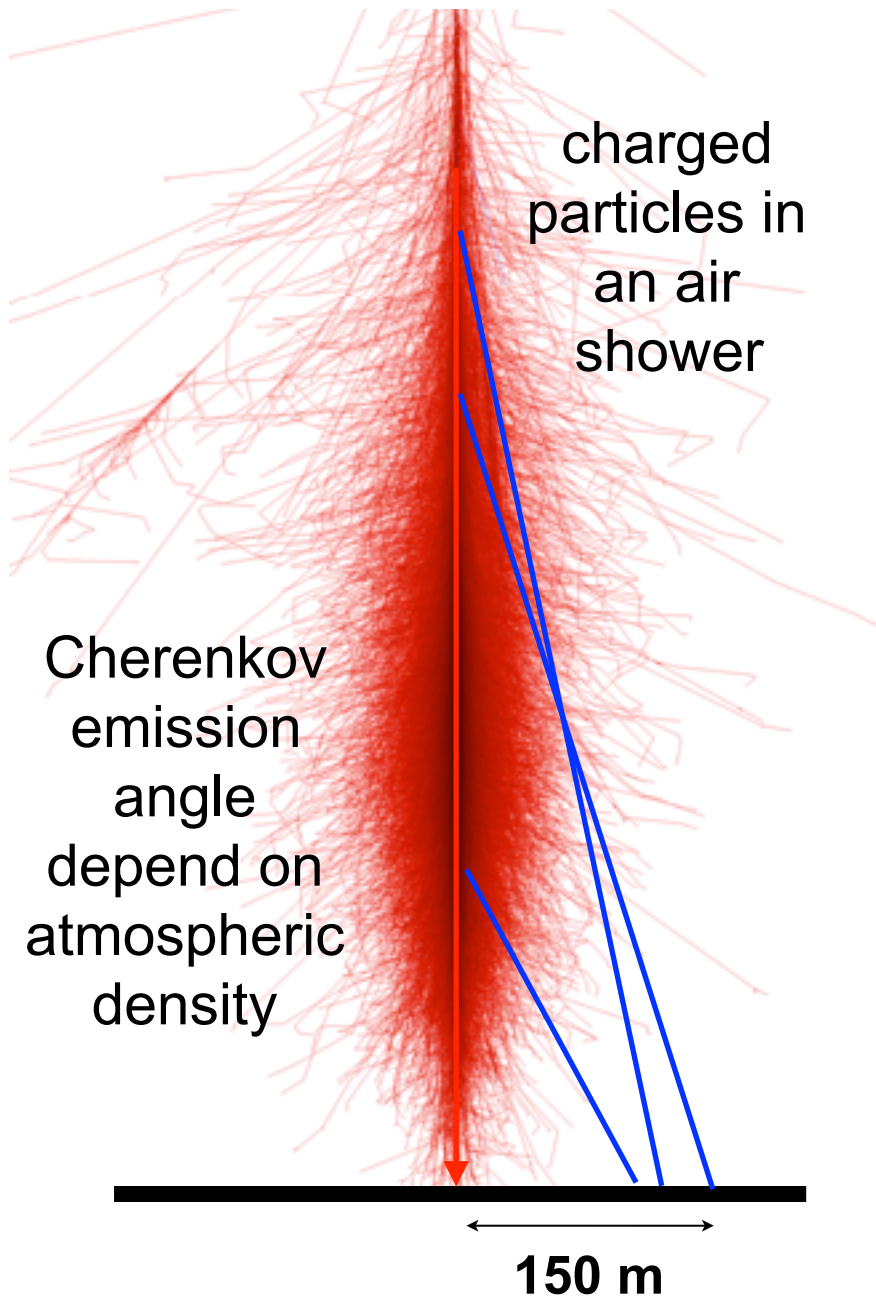


emitted when velocity v of charged particle exceeds local speed of light: $nv/c = n\beta > 1$

Extensive Air Showers and Cherenkov Emission



Pavel Alekseyevich
Cherenkov
(Nobel prize 1958)



emitted when velocity v of charged particle exceeds local speed of light: $n\mathbf{v}/c = n\boldsymbol{\beta} > 1$

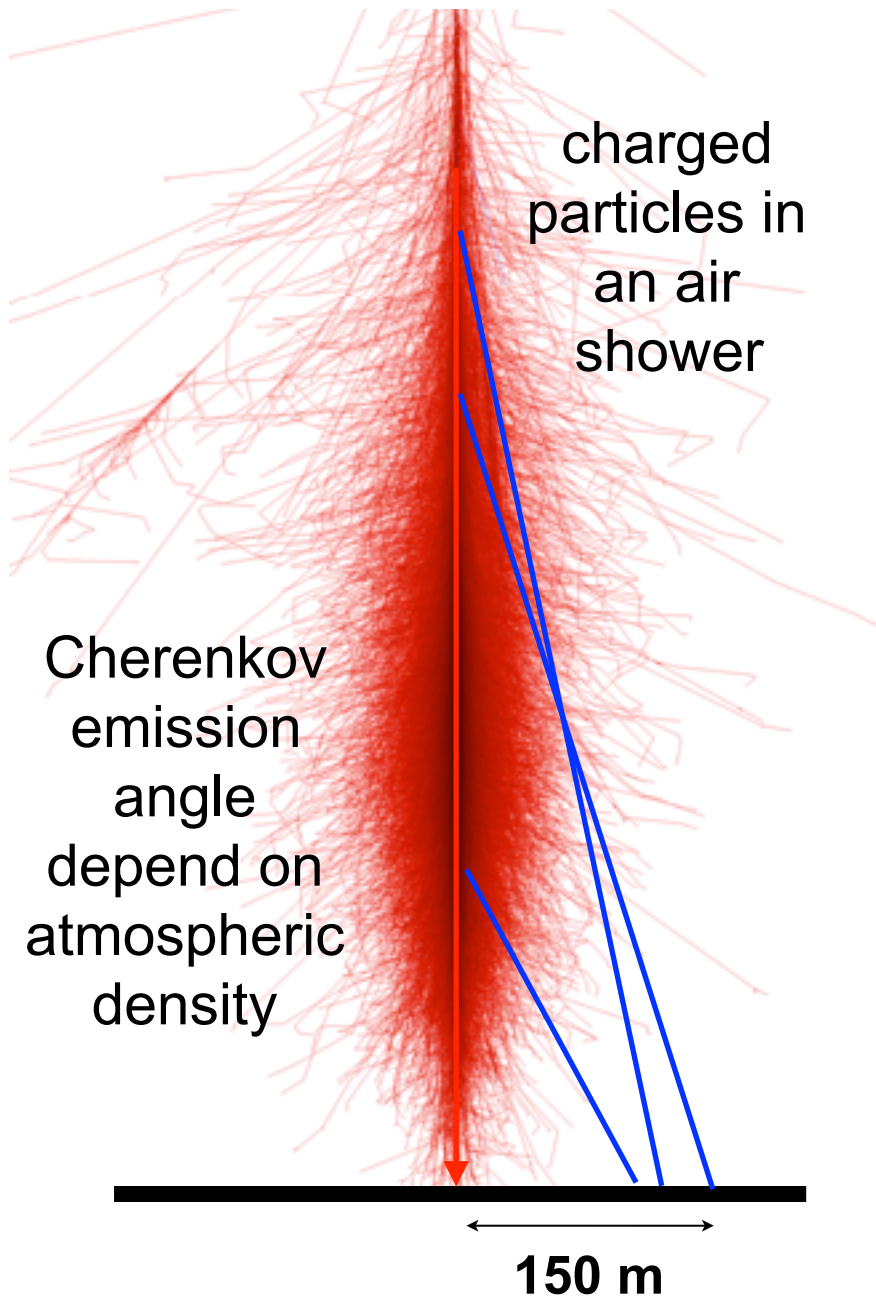
refractive index in air scales with density

$$n = 1 + 0.000283 \rho(h)/\rho(0)$$

Extensive Air Showers and Cherenkov Emission



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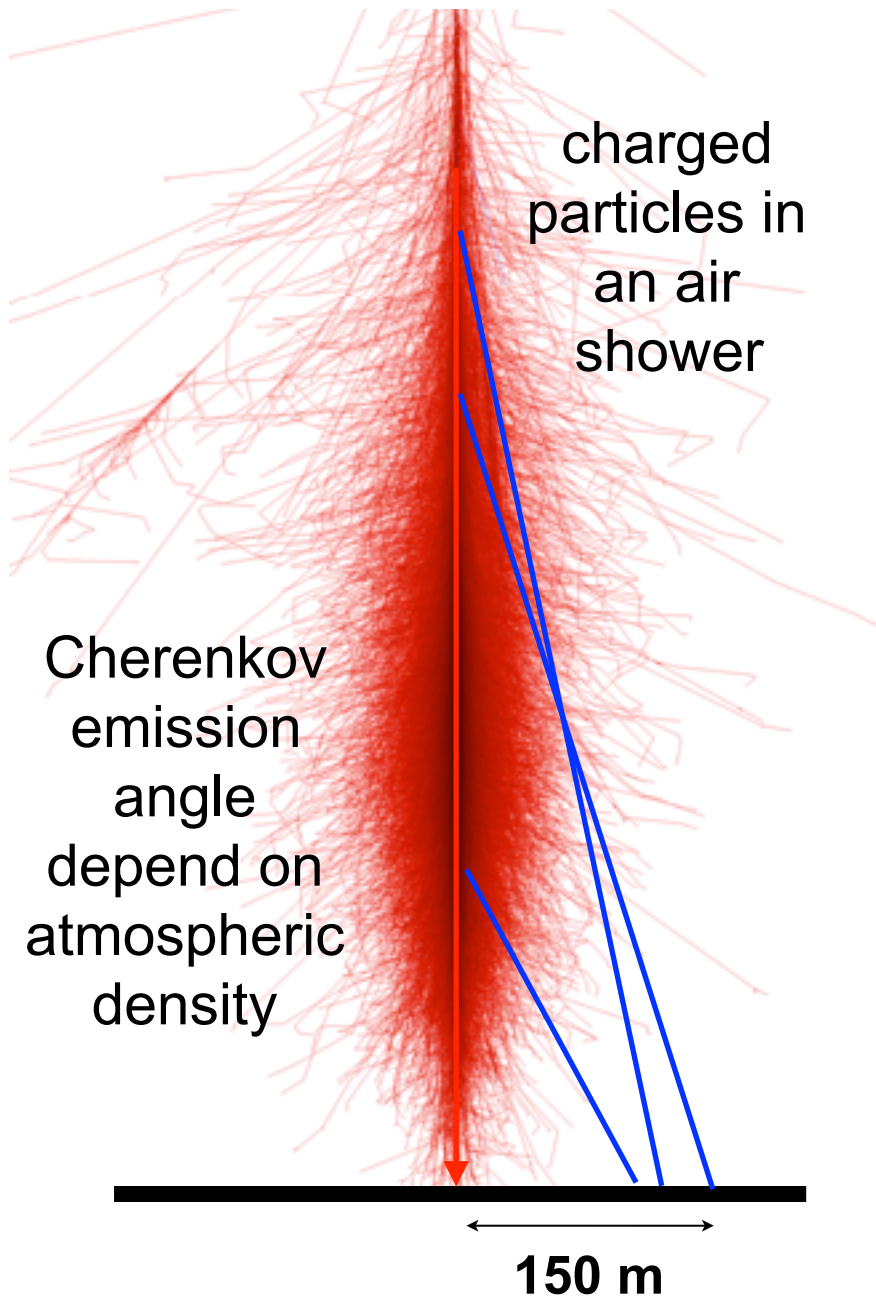
$$n = 1 + 0.000283 \rho(h)/\rho(0)$$

light is emitted along a cone with half opening angle θ : $\cos \theta = 1 / (\beta n)$

Extensive Air Showers and Cherenkov Emission



Pavel Alekseyevich
Cherenkov
(Nobel prize 1958)



emitted when velocity v of charged particle exceeds local speed of light: $n\beta/c = n\beta > 1$

refractive index in air scales with density

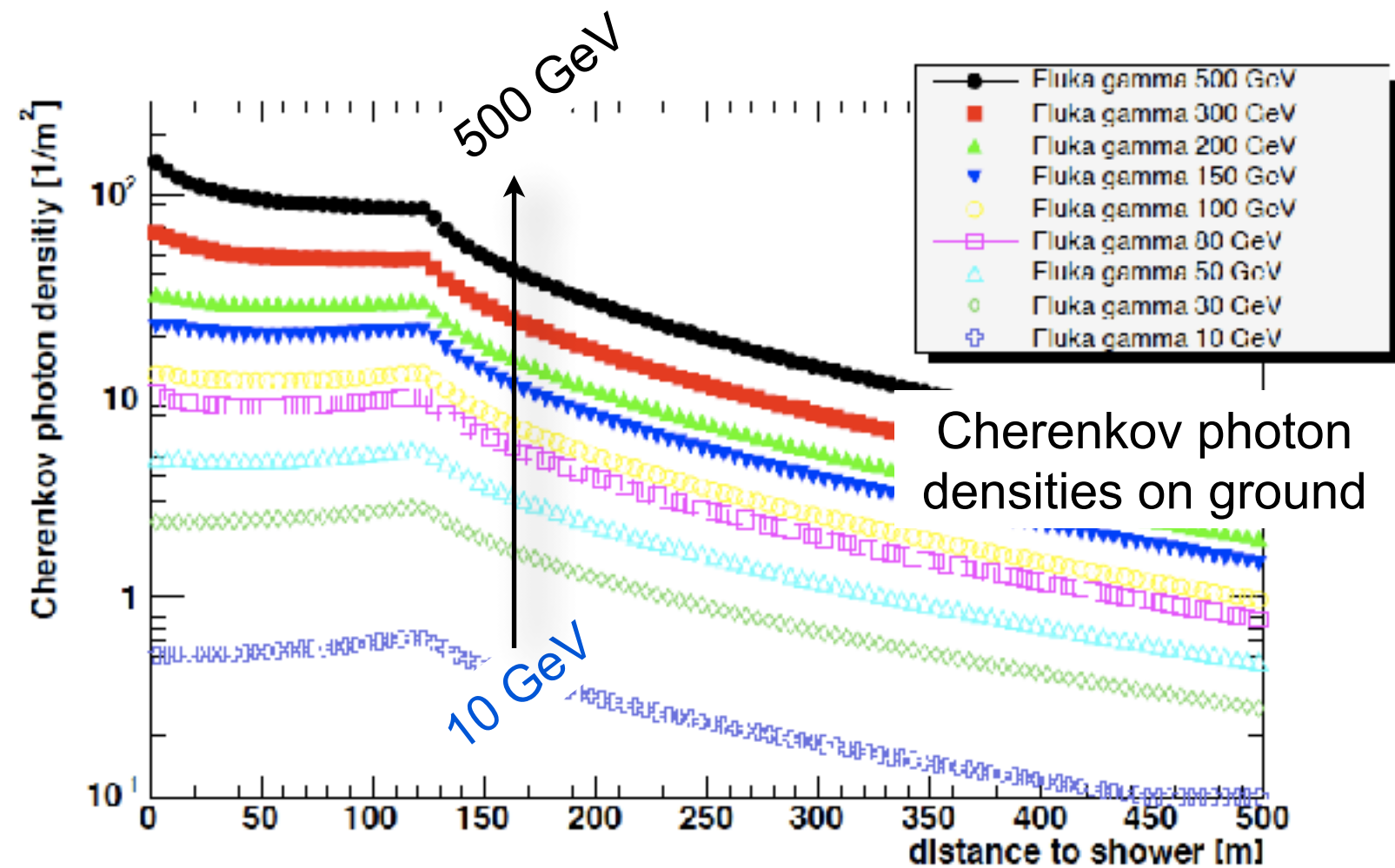
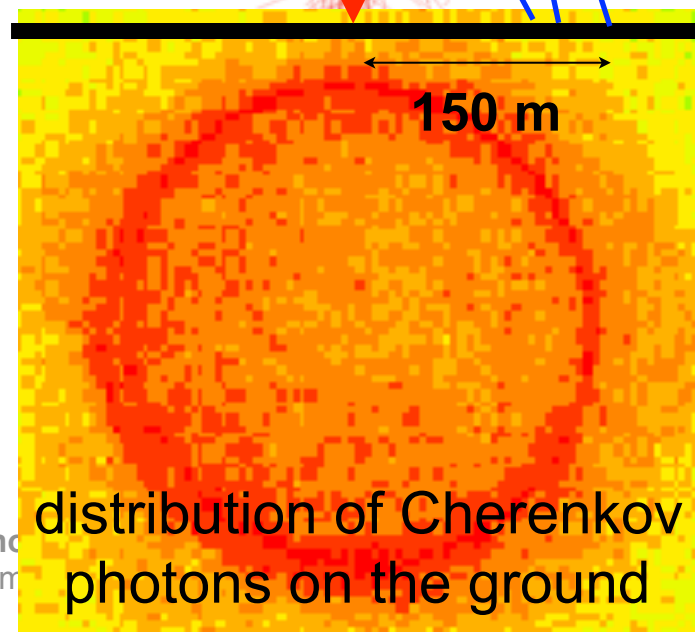
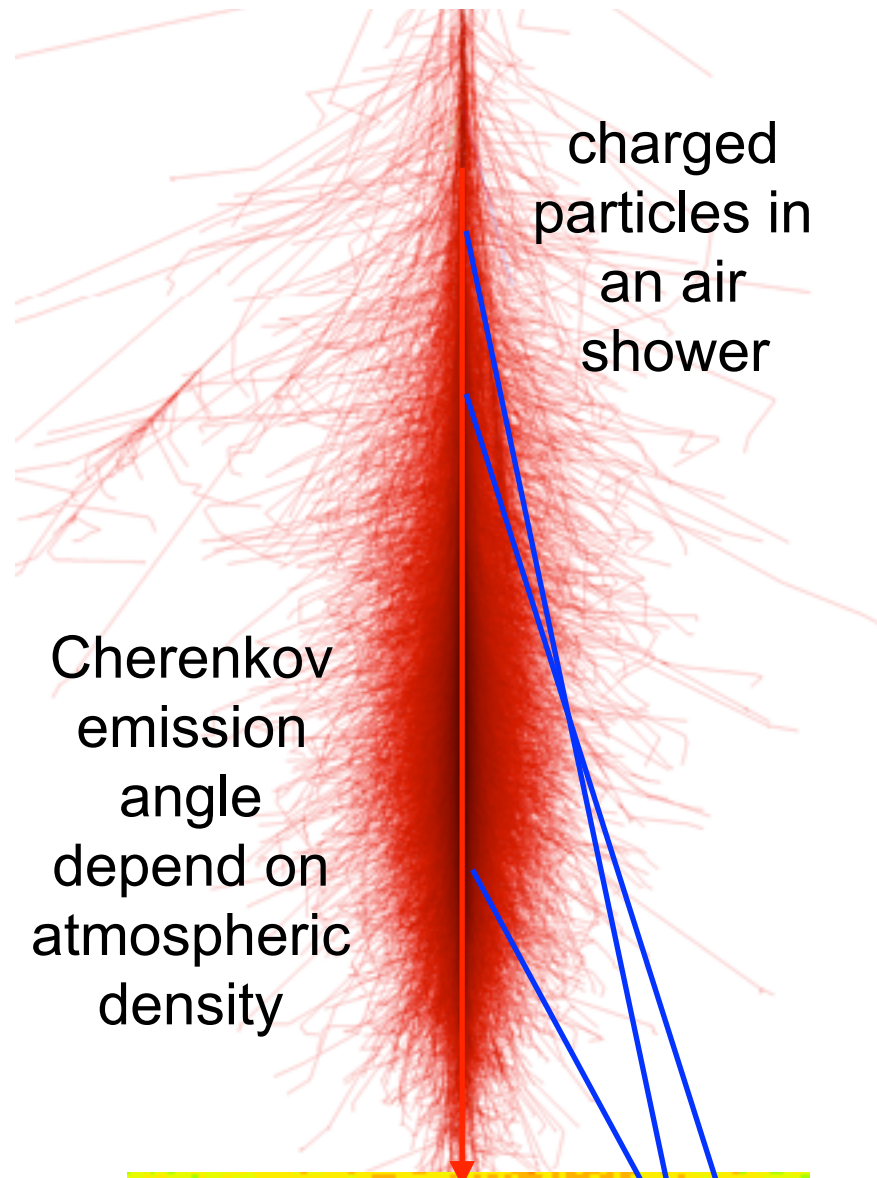
$$n = 1 + 0.000283 \rho(h)/\rho(0)$$

light is emitted along a cone with half opening angle θ : $\cos \theta = 1 / (\beta n)$

number of Cherenkov photons per path length x :

$$\frac{d^2 N}{dx d\lambda} = \frac{2\pi\alpha z^2}{\lambda^2} \left(1 - \frac{1}{\beta^2 n^2(\lambda)} \right)$$

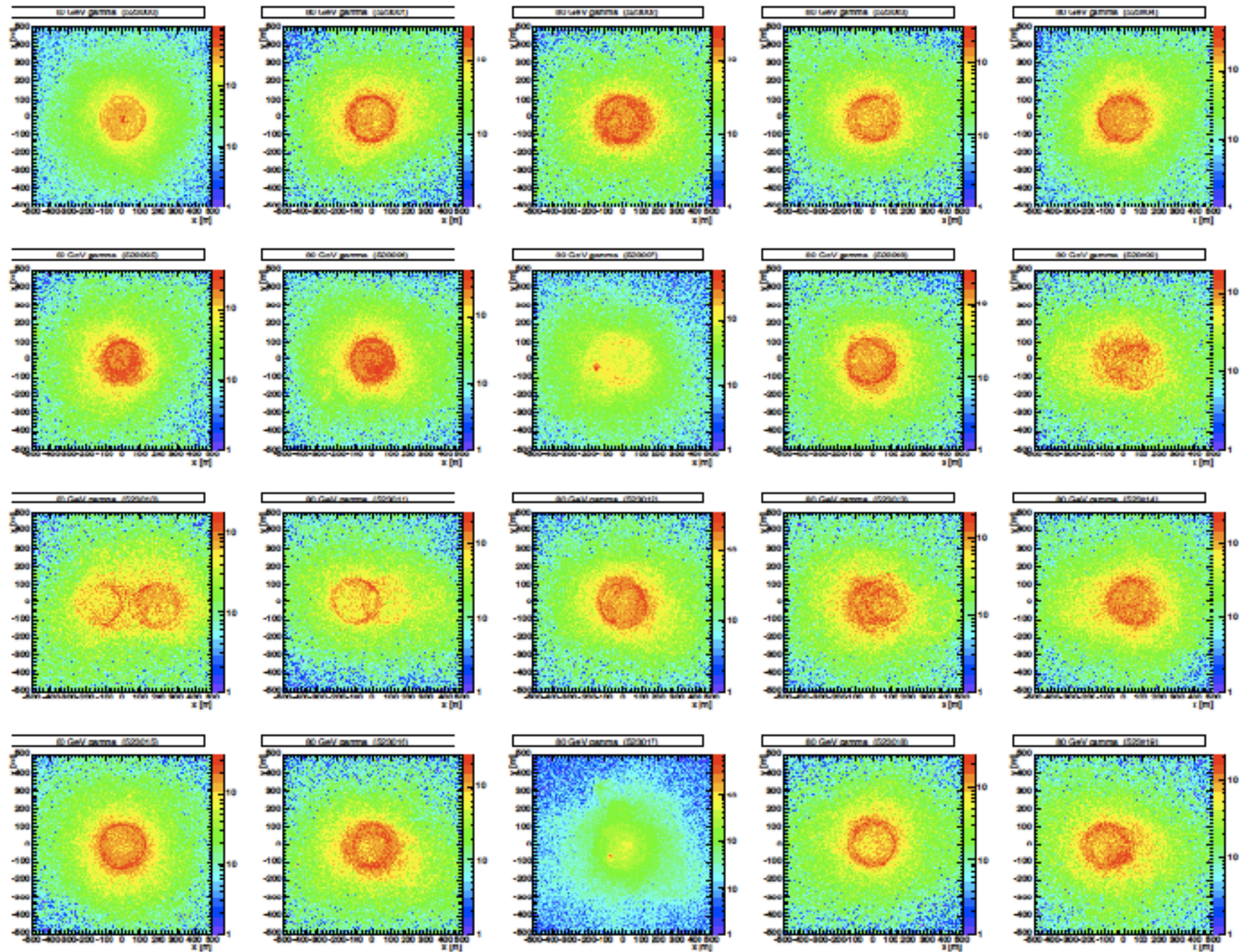
Extensive Air Showers and Cherenkov Emission



Cherenkov light from air showers:
weak (~ 10 ph/ m^2), short (\sim ns),
blue (300-550nm) flash of light

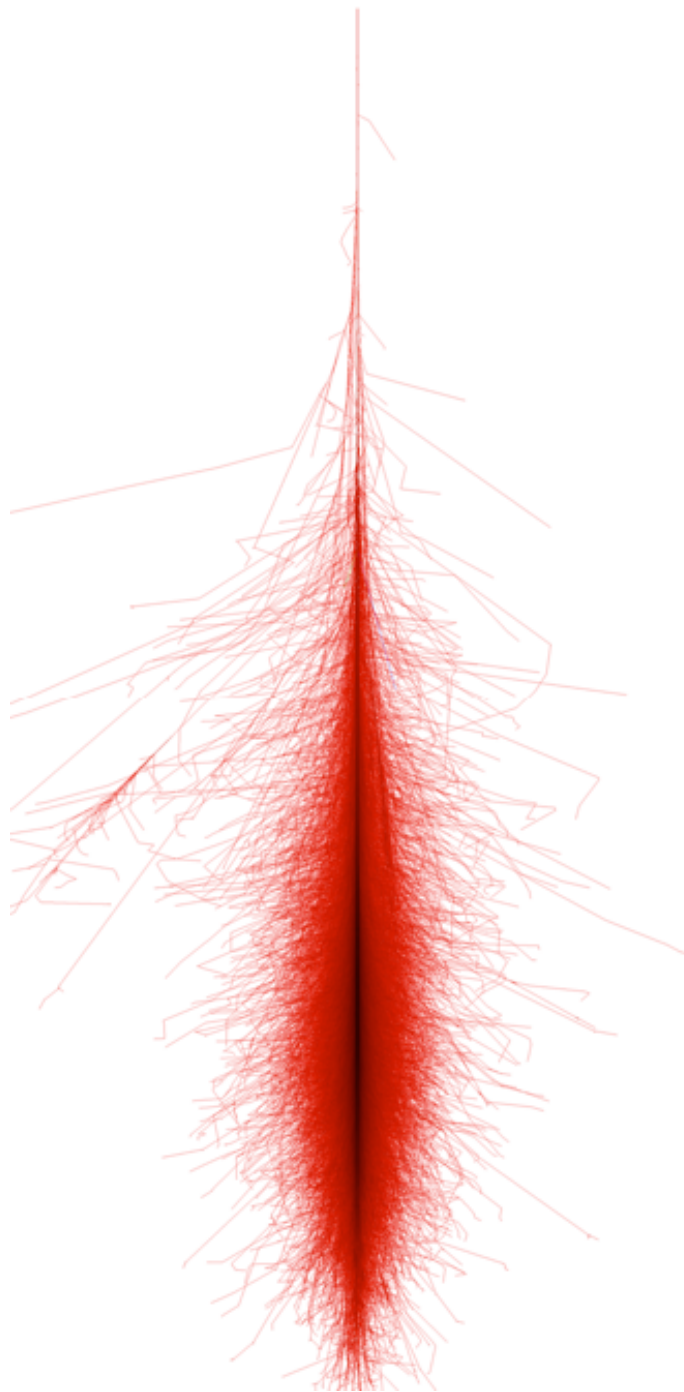
Shower fluctuations

randomly selected showers with 80 GeV primary photon energy

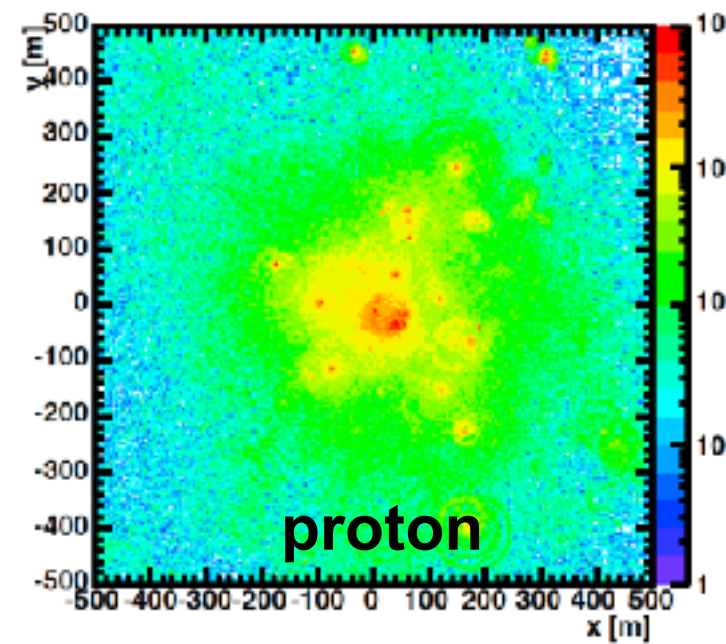
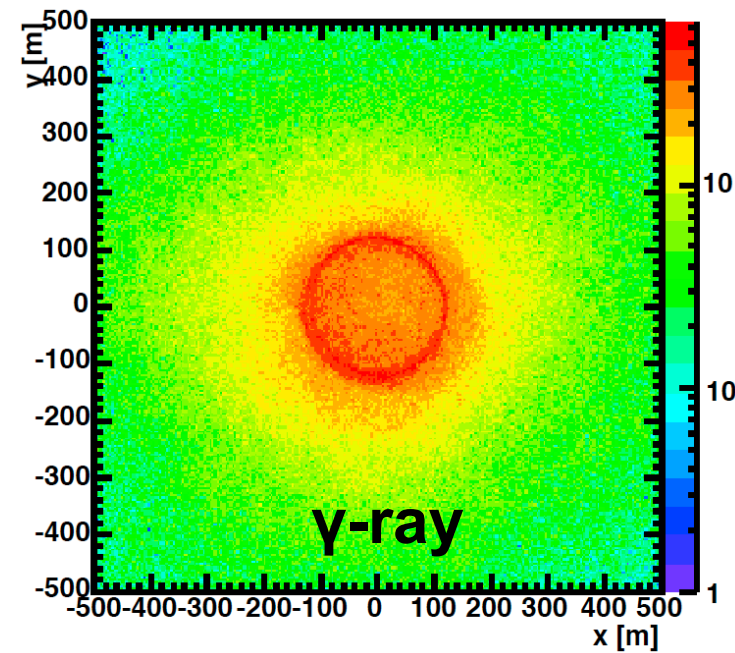


Proton vs Gamma-ray showers

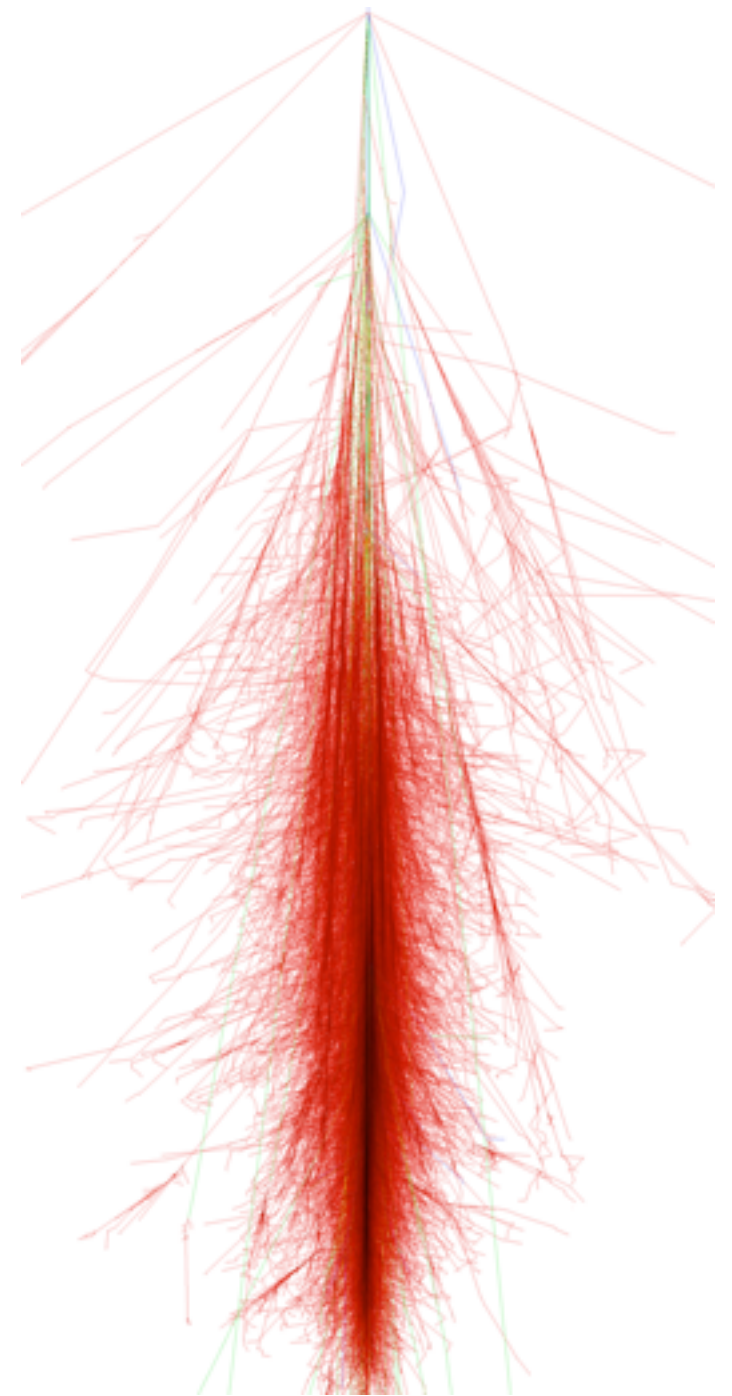
γ -ray



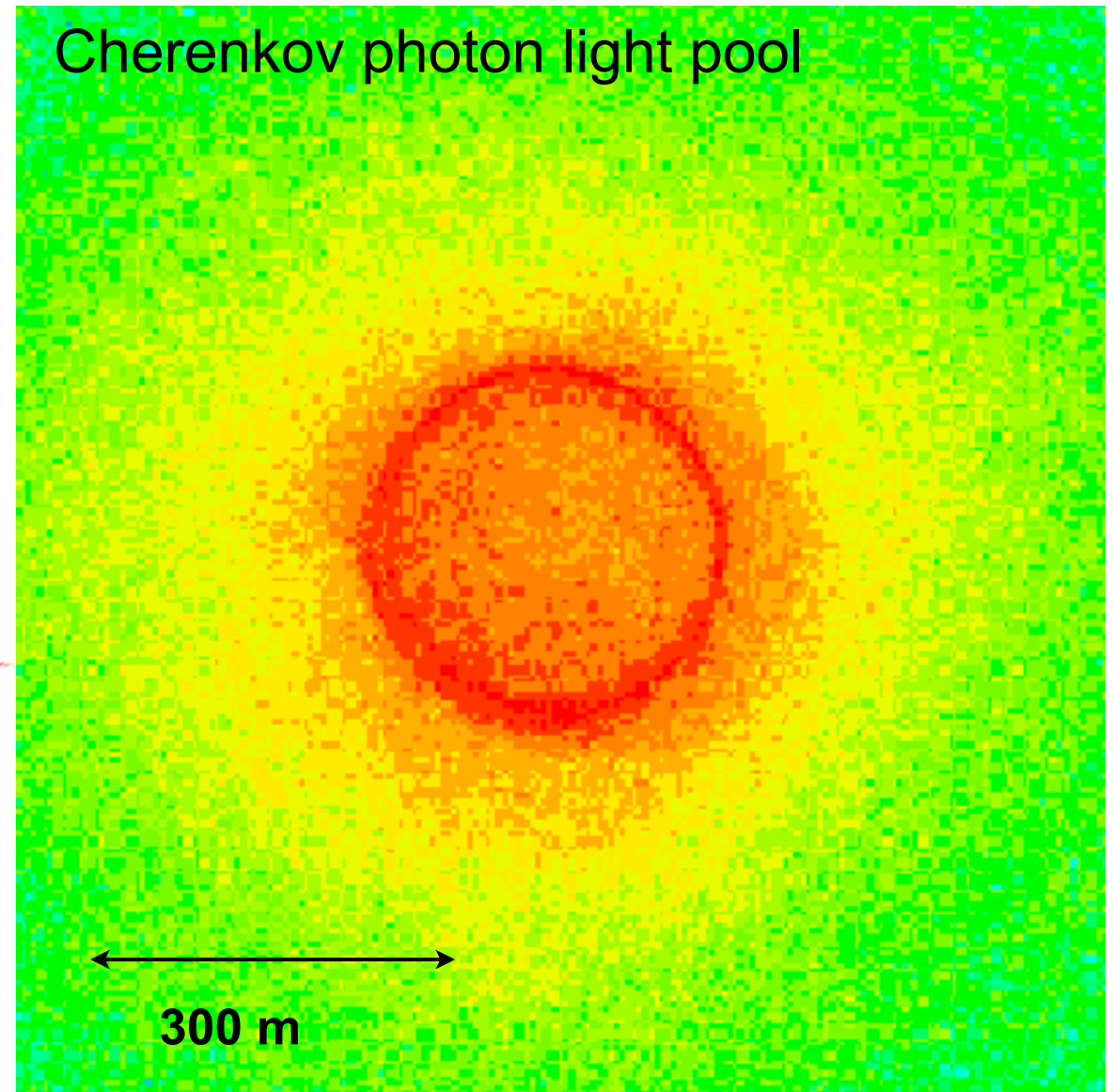
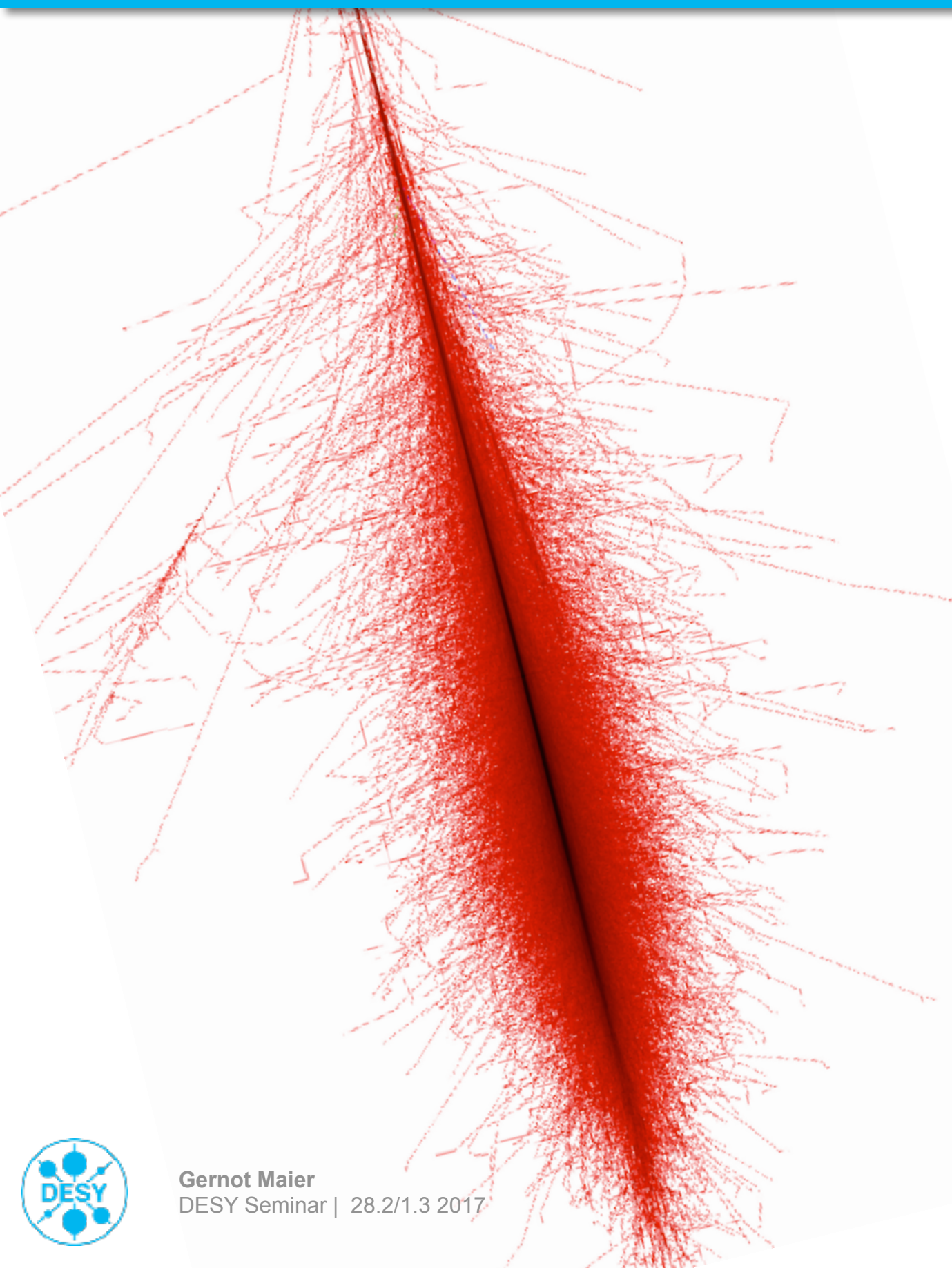
Cherenkov photons on ground



proton

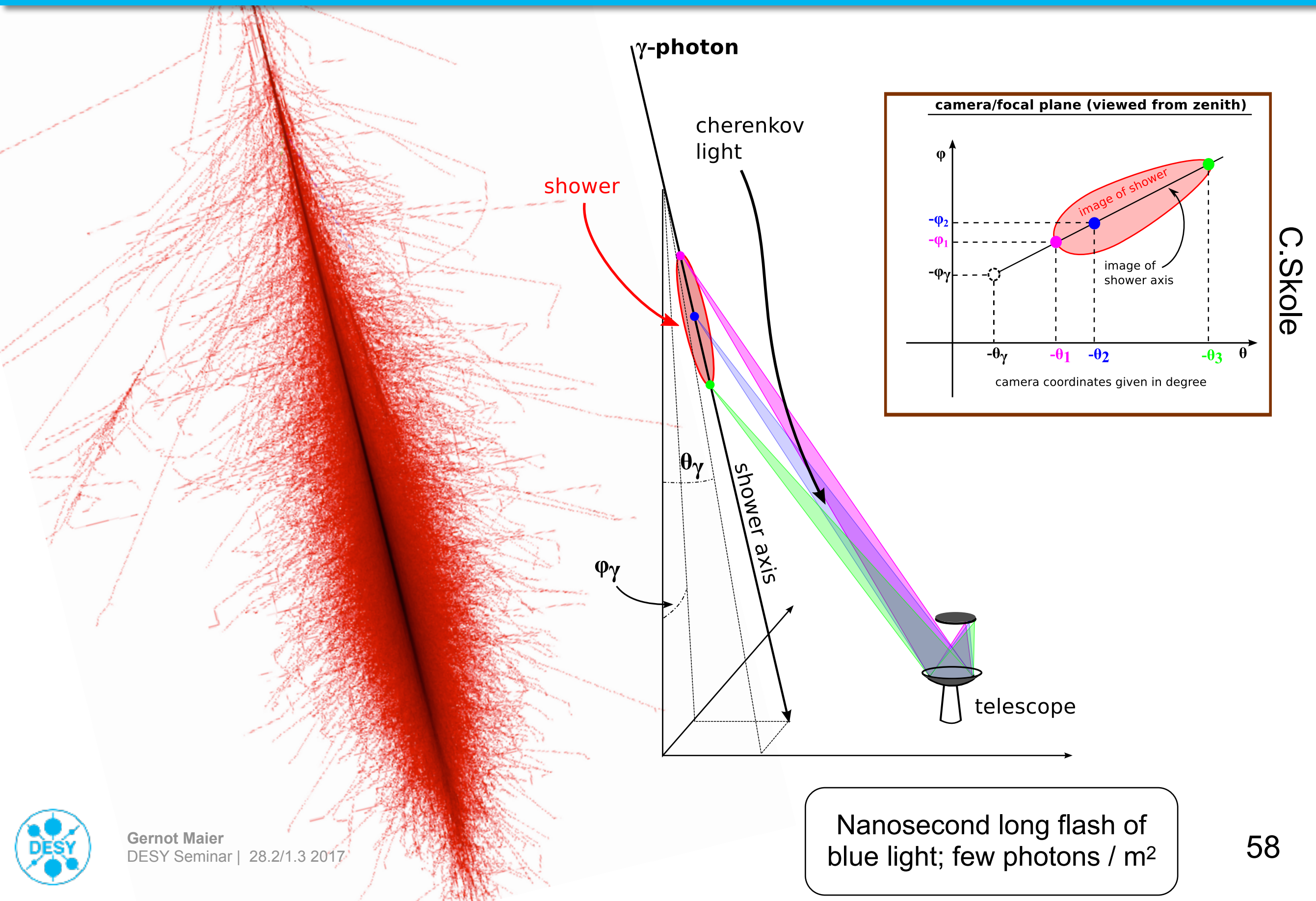


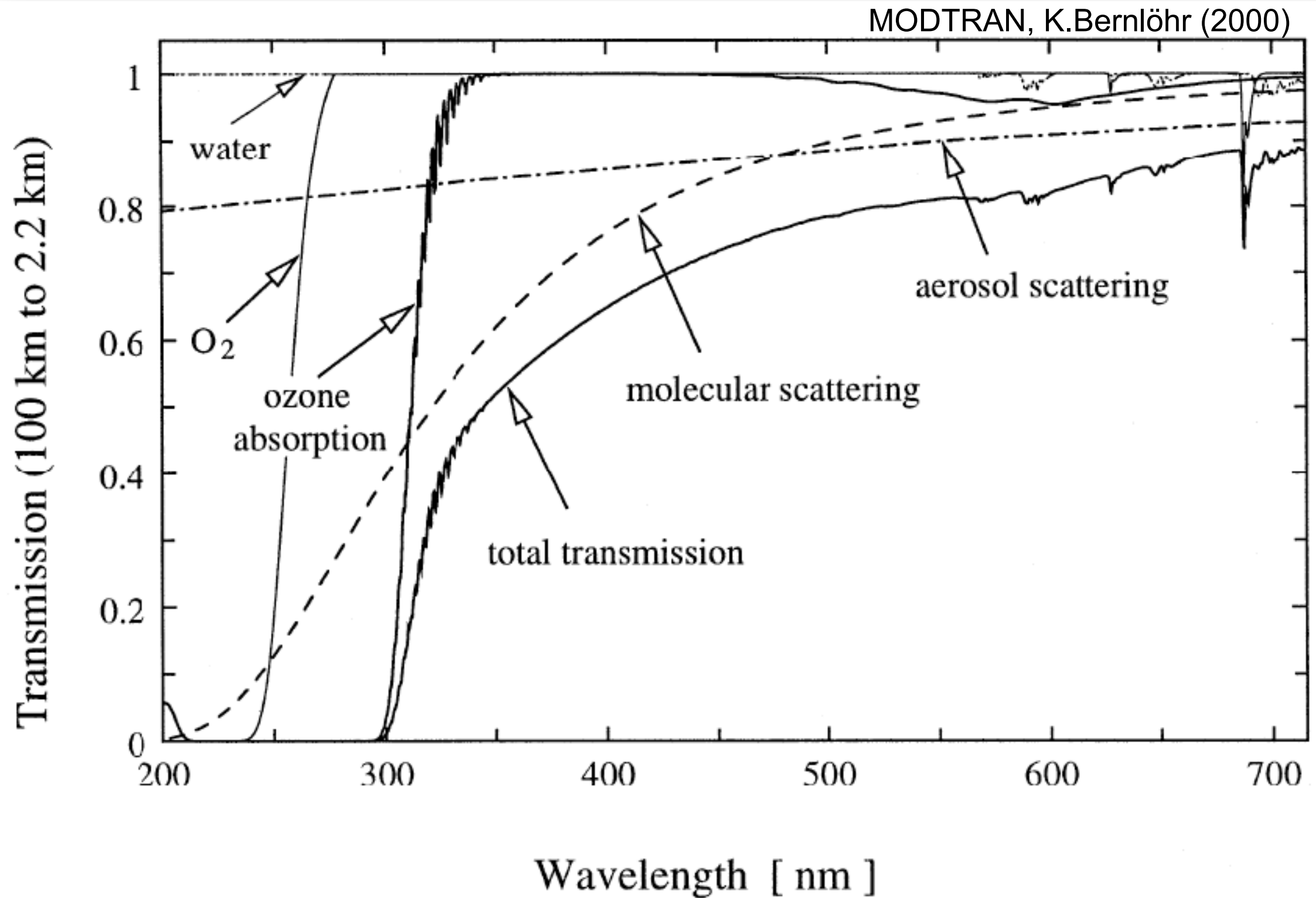
Measuring gamma-rays (20 GeV to 300 TeV)



Nanosecond long flash of
blue light; few photons / m²

Measuring gamma-rays (20 GeV to 300 TeV)



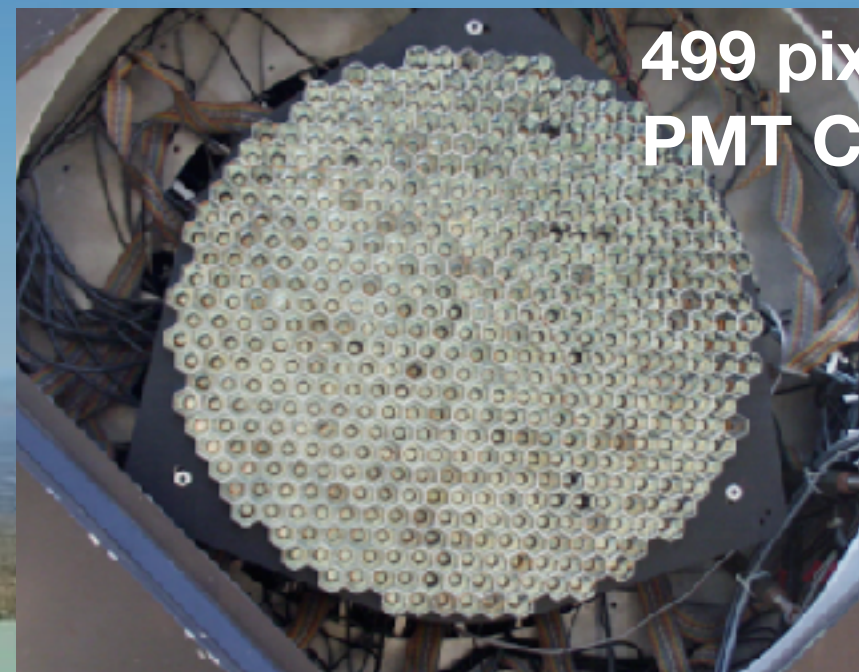


Imaging Atmospheric Cherenkov Telescopes



**12 m diameter reflector
(106 m² mirror area)**

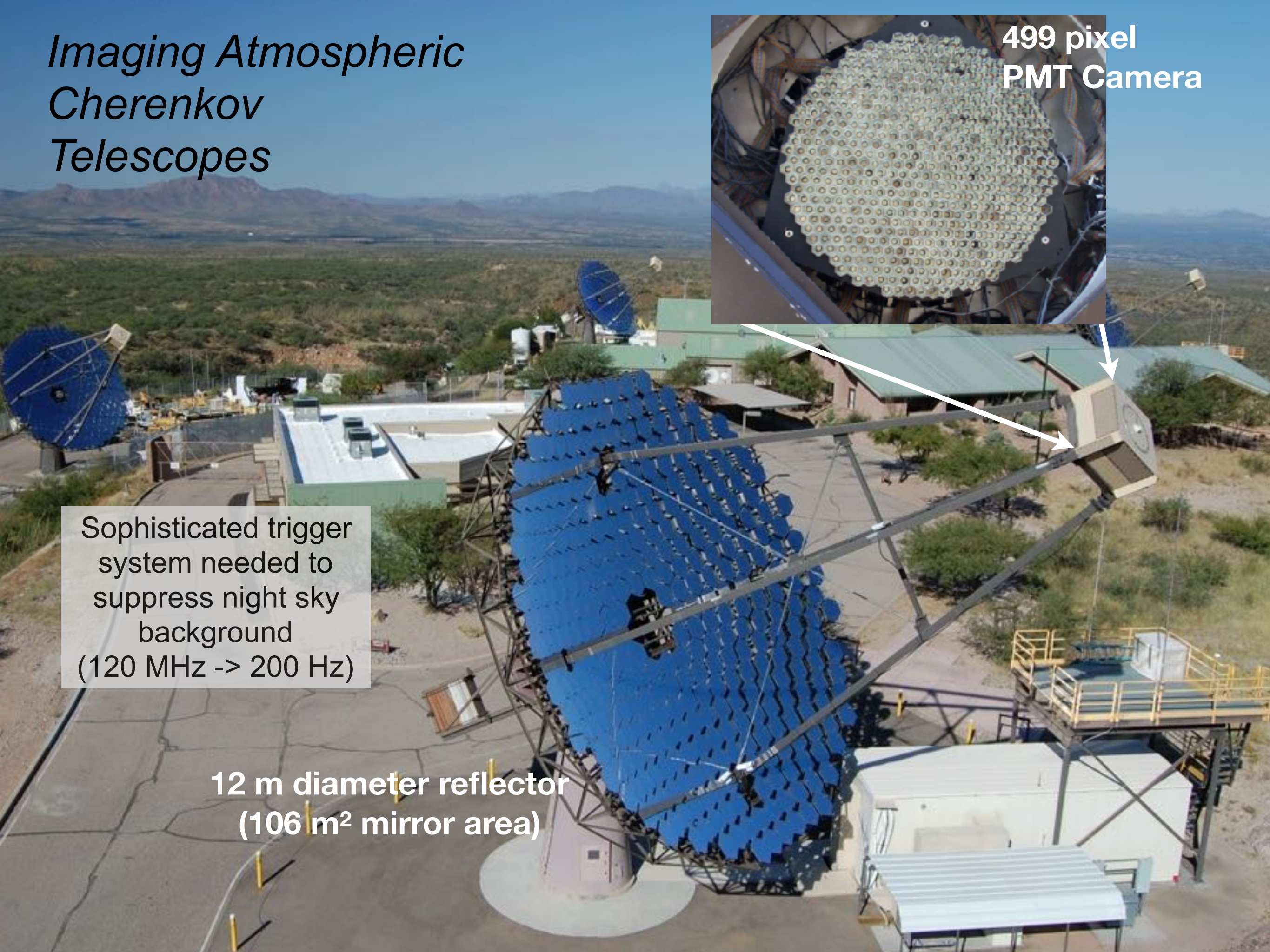
Imaging Atmospheric Cherenkov Telescopes



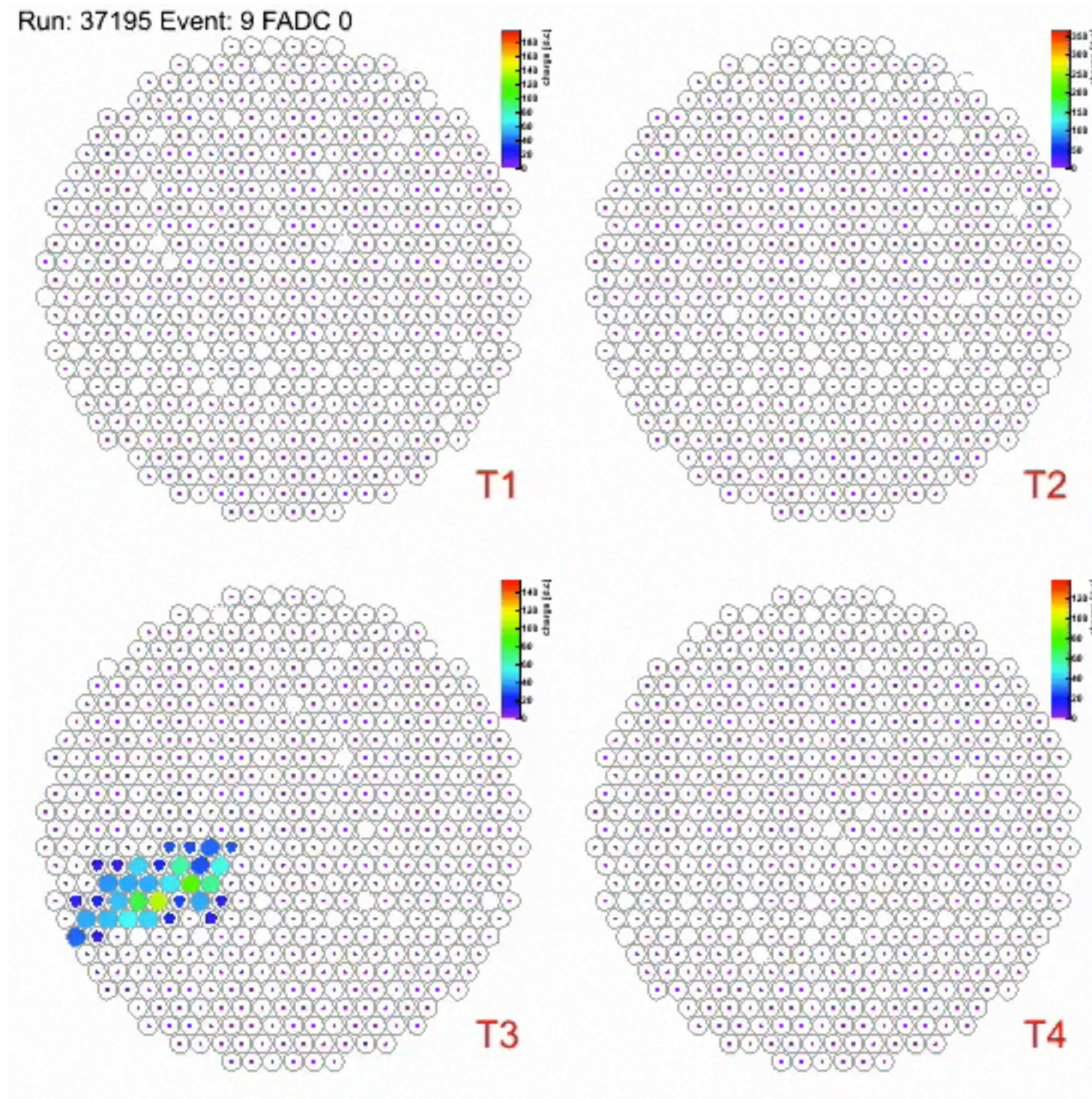
499 pixel
PMT Camera

Sophisticated trigger
system needed to
suppress night sky
background
(120 MHz \rightarrow 200 Hz)

12 m diameter reflector
(106 m² mirror area)

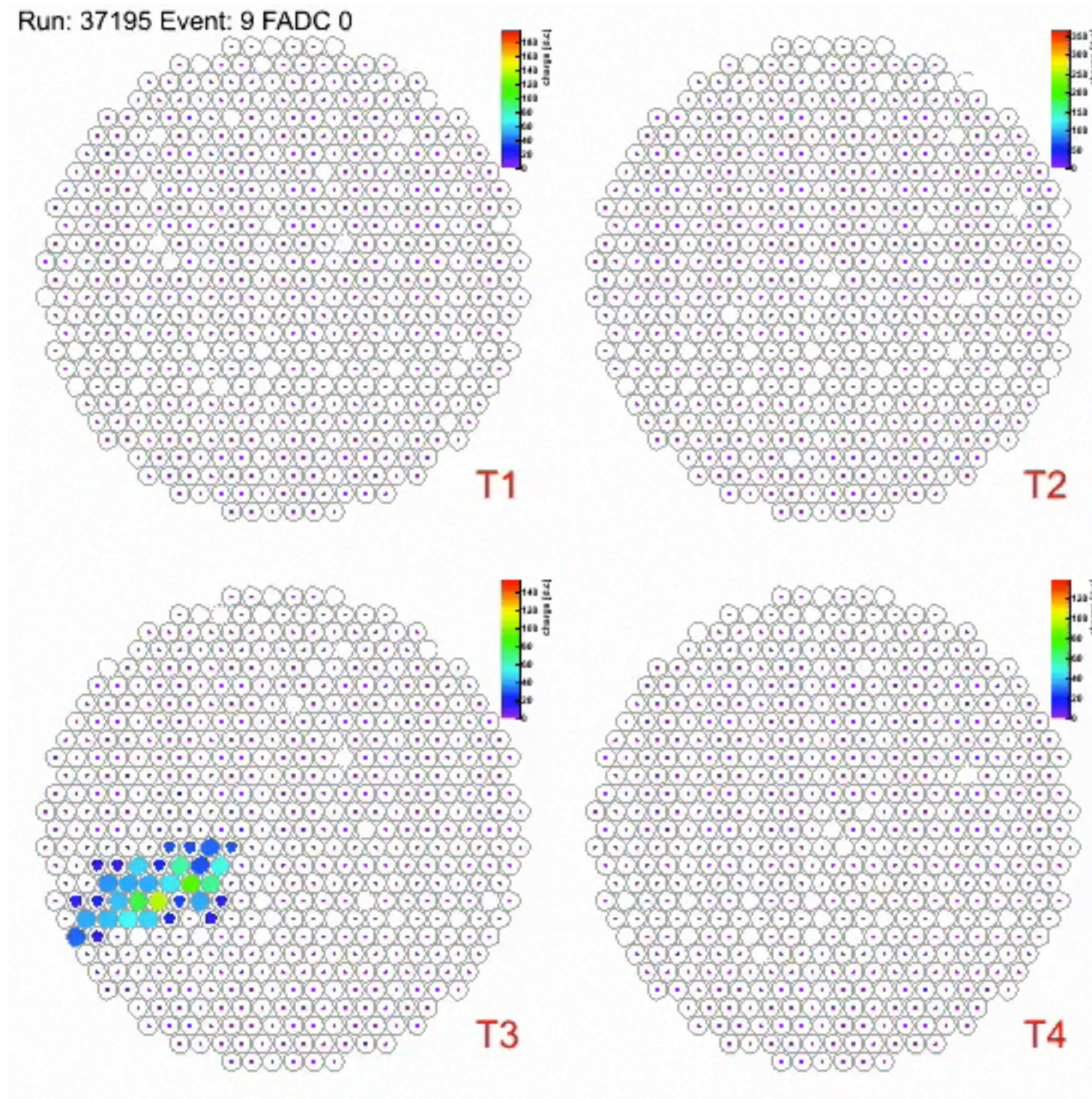


event display VERITAS



about every 1000th event is a γ -ray

event display VERITAS



about every 1000th event is a γ -ray

MAGIC

- La Palma; Spain
- two 17m telescopes with 50 GeV threshold



HESS

- > Namibia
- > array of four 12 m telescopes
- > addition of a 28 m telescope
 - 614m² mirror area, 36m focal length



H.E.S.S. collaboration

The Cherenkov Telescope Array (CTA)

Midsize telescopes

limitation: gamma/hadron separation
telescopes with 12 m \varnothing
energy range: 100 GeV - 10 TeV

High-energy section

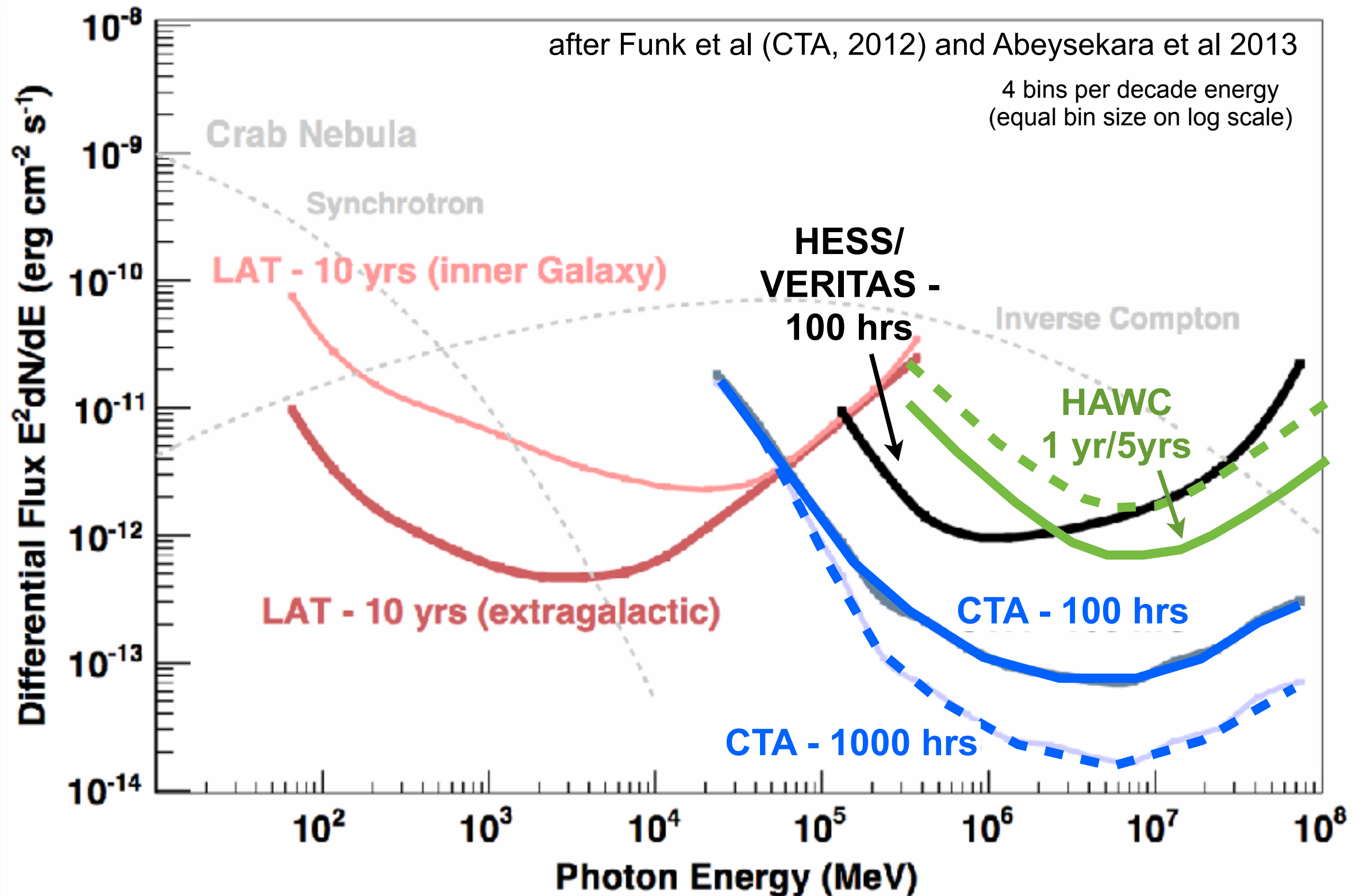
limitation: effective area
telescopes with ~4-7 m \varnothing
energy range: > 5 TeV

Low energies

limitation: photon collection and
gamma/hadron separation
large telescopes with 23 m \varnothing
energy threshold: some 10 GeV

Array of >50 telescopes
factor 10 improvement in sensitivity
20 GeV to >300 TeV energy range
significantly improved angular resolution
two observatories: North and South

Differential Flux Sensitivity

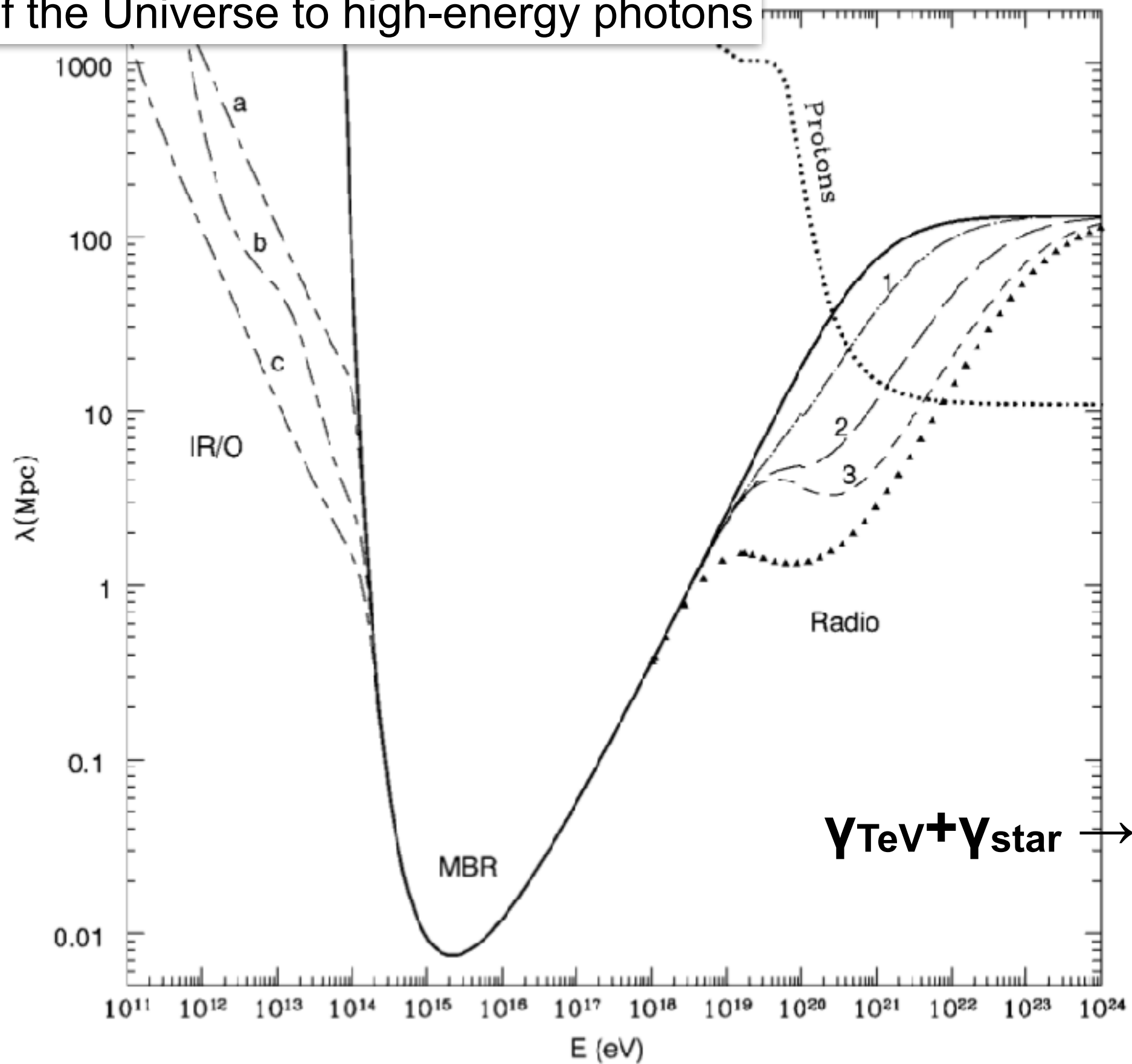


Neutrino detection



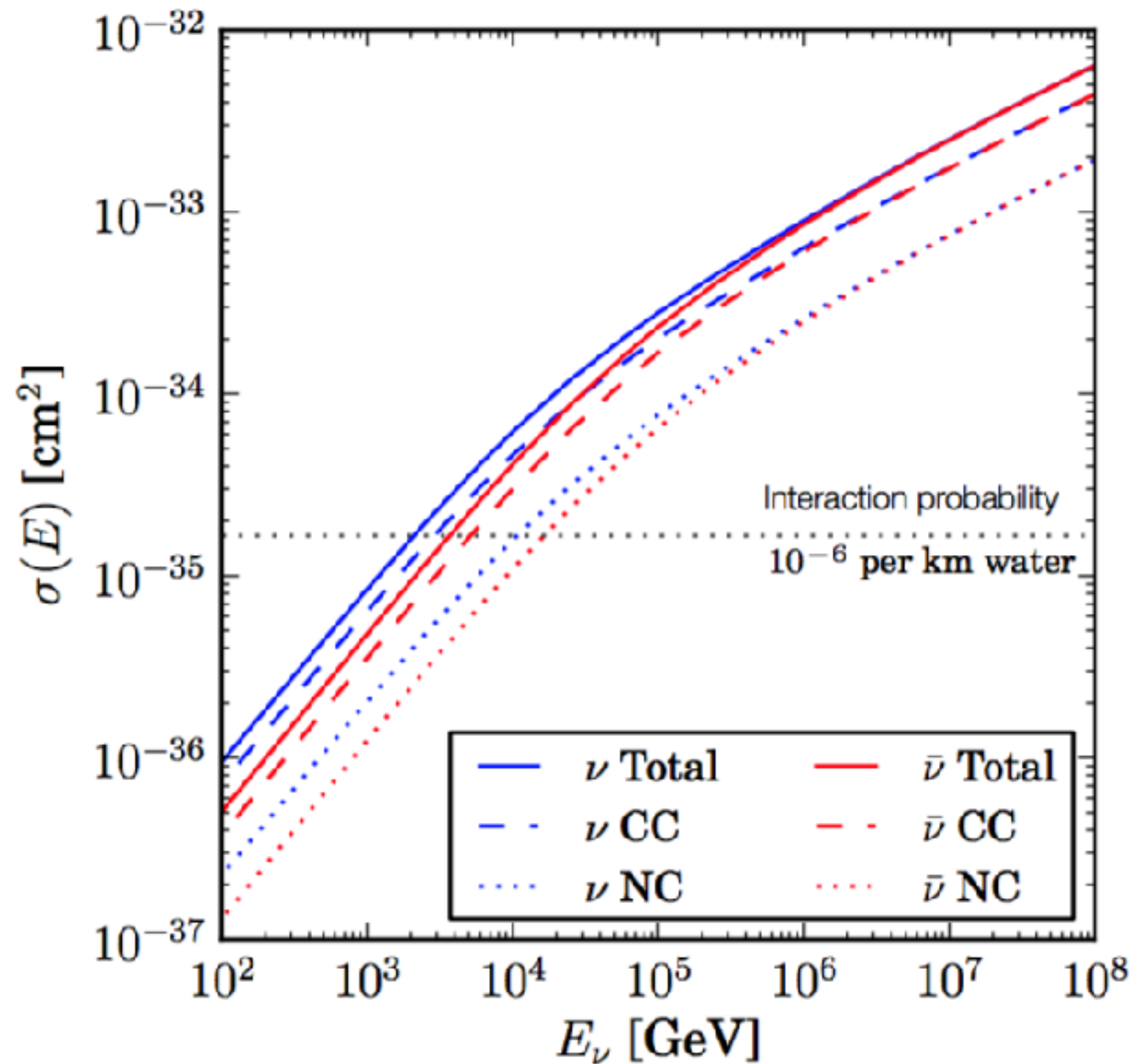
Opacity of the Universe to high-energy photons

Mean free path for photons



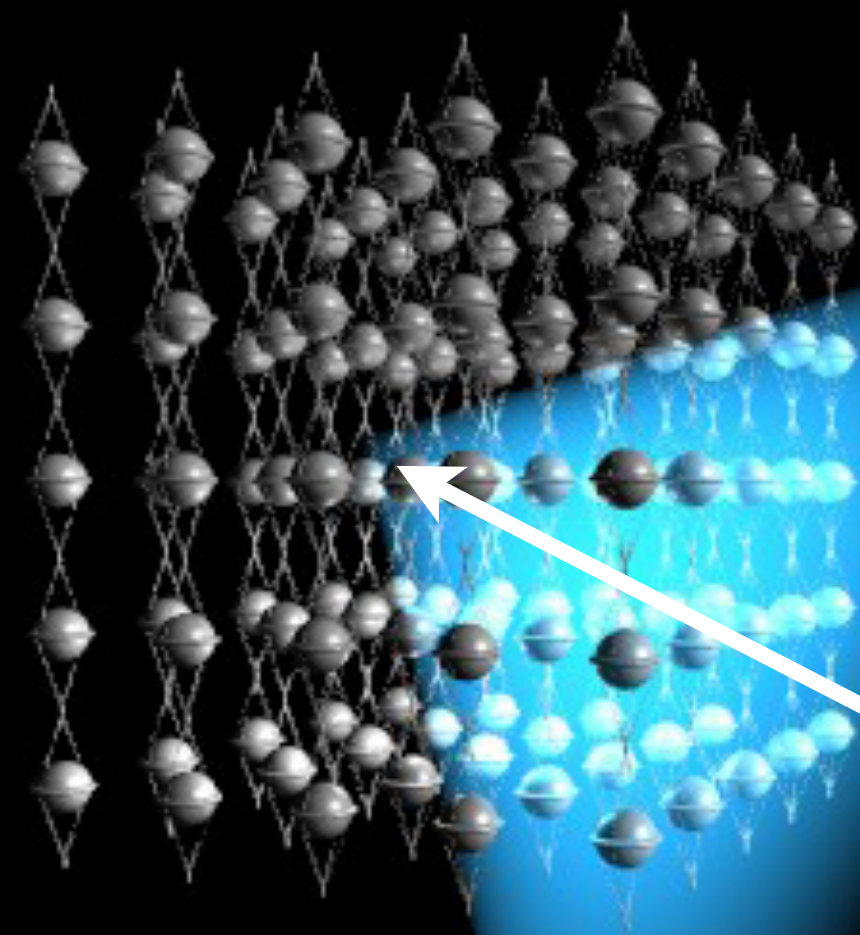
$\gamma_{\text{TeV}} + \gamma_{\text{star}} \rightarrow e^+e^-$

Neutrino detection



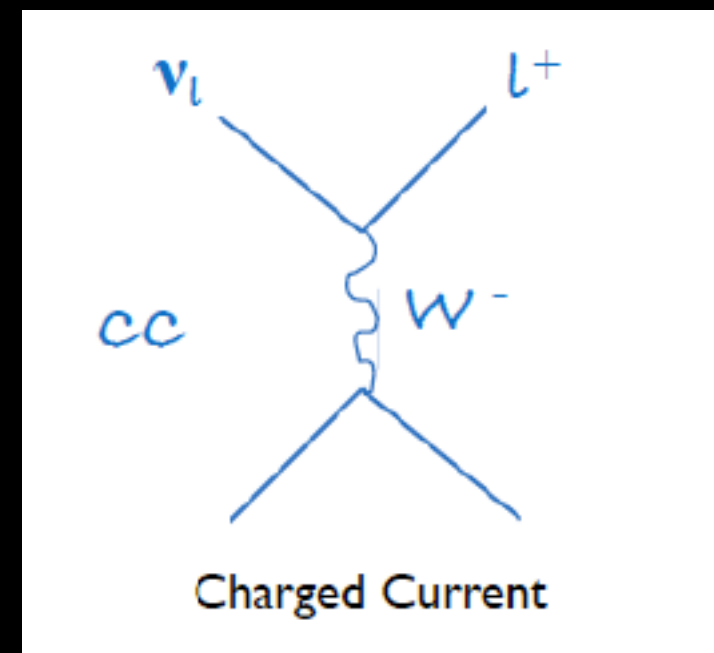
astrophysical flux:
 $O(10^5)$ per km^2 per year
above 100 TeV

High-energy neutrino detection



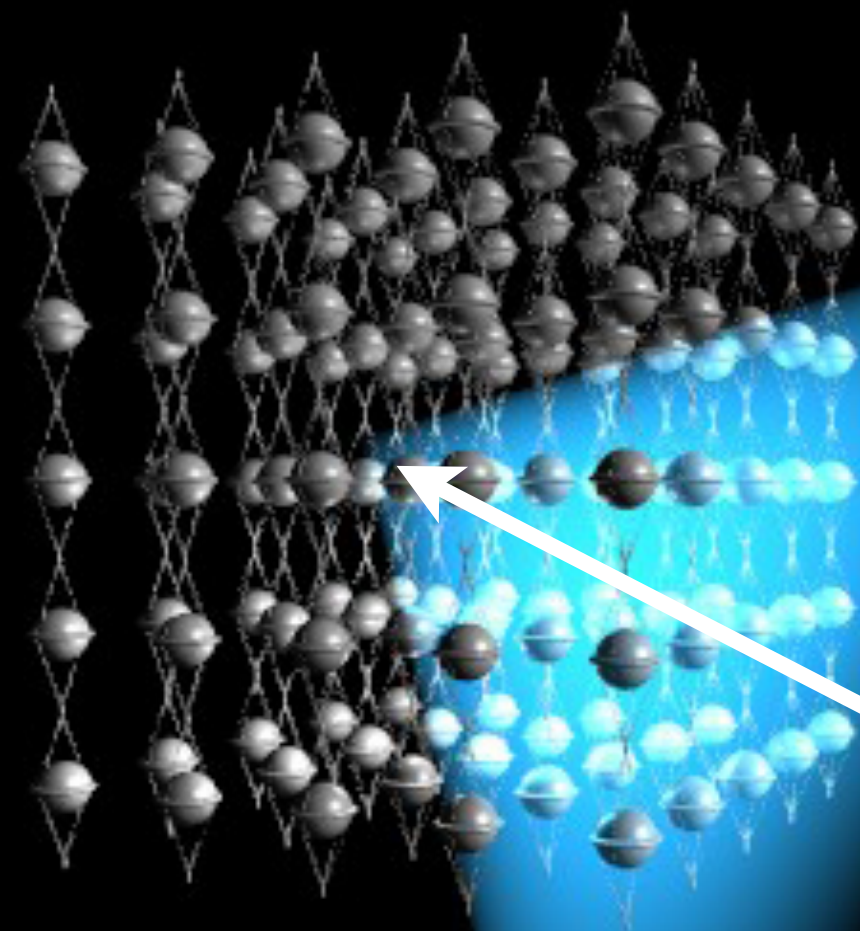
water or ice as detector
string of photomultiplier

Muon



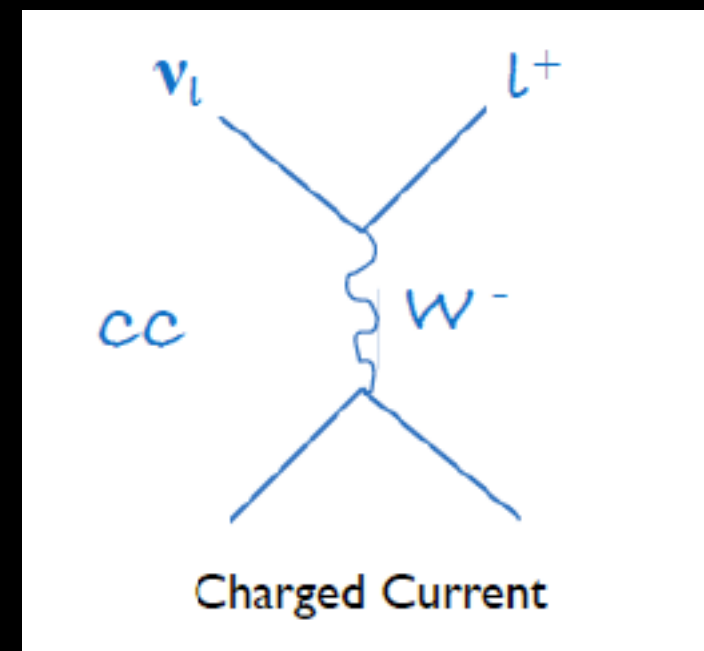
Neutrino

High-energy neutrino detection



water or ice as detector
string of photomultiplier

Muon

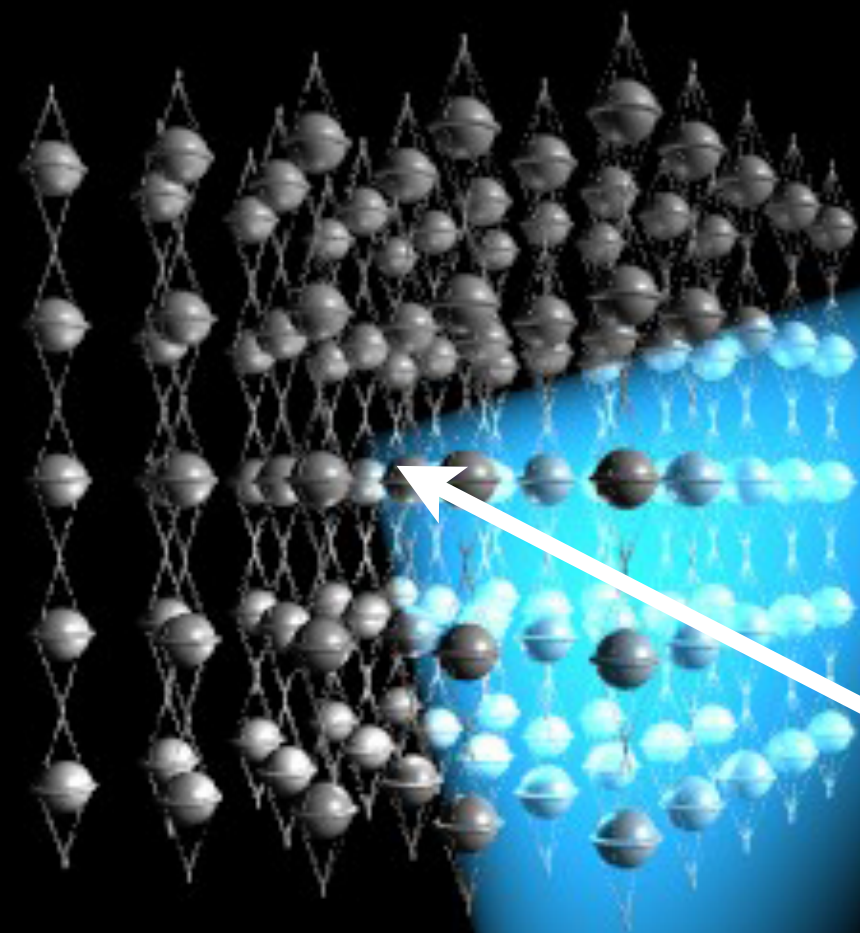


Neutrino

Cherenkov photon yield

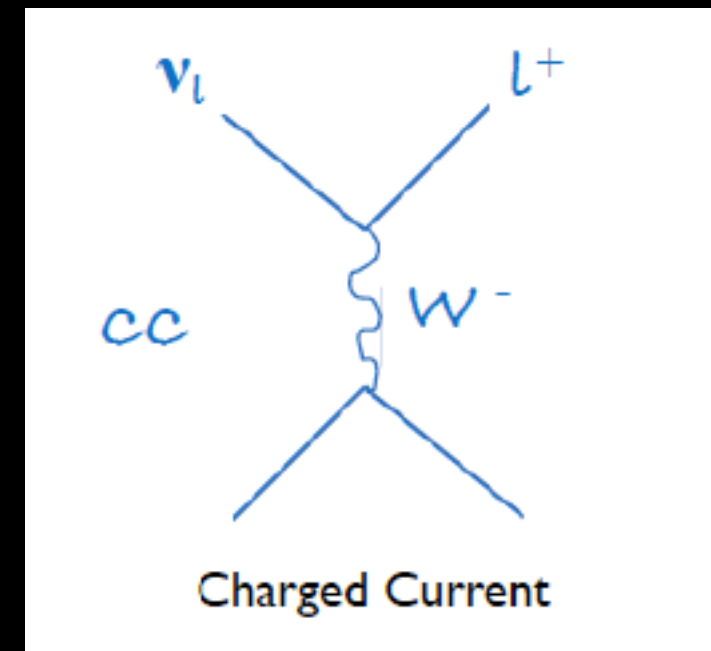
$$\frac{d^2 N}{dx d\lambda} = \frac{2\pi\alpha z^2}{\lambda^2} \left(1 - \frac{1}{\beta^2 n^2(\lambda)} \right)$$

High-energy neutrino detection



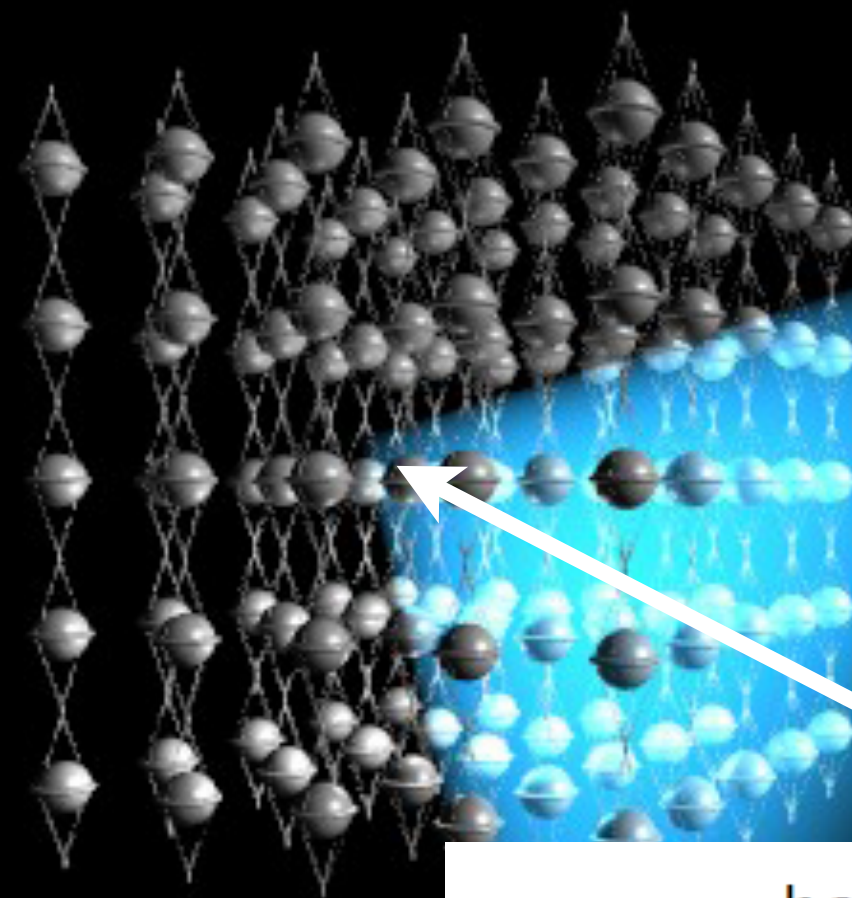
Muon

**water or ice as detector
string of photomultiplier**

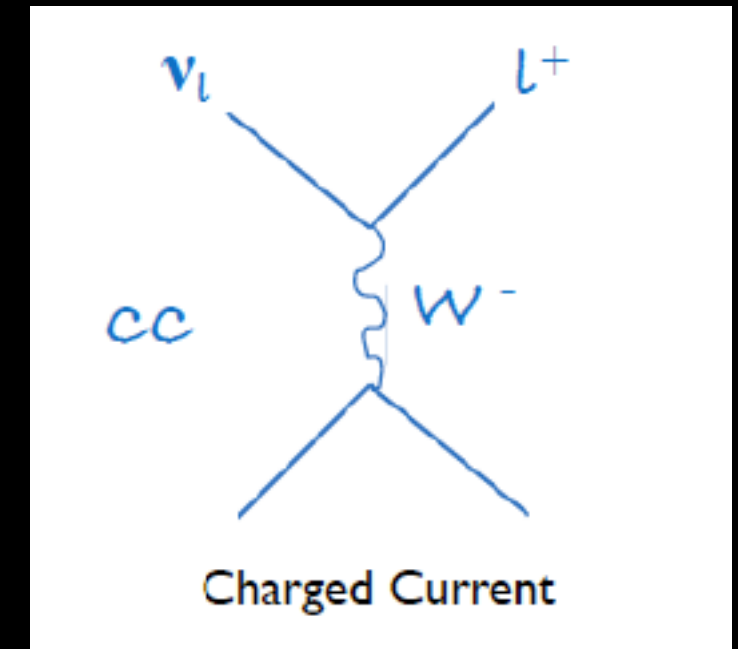


Neutrino

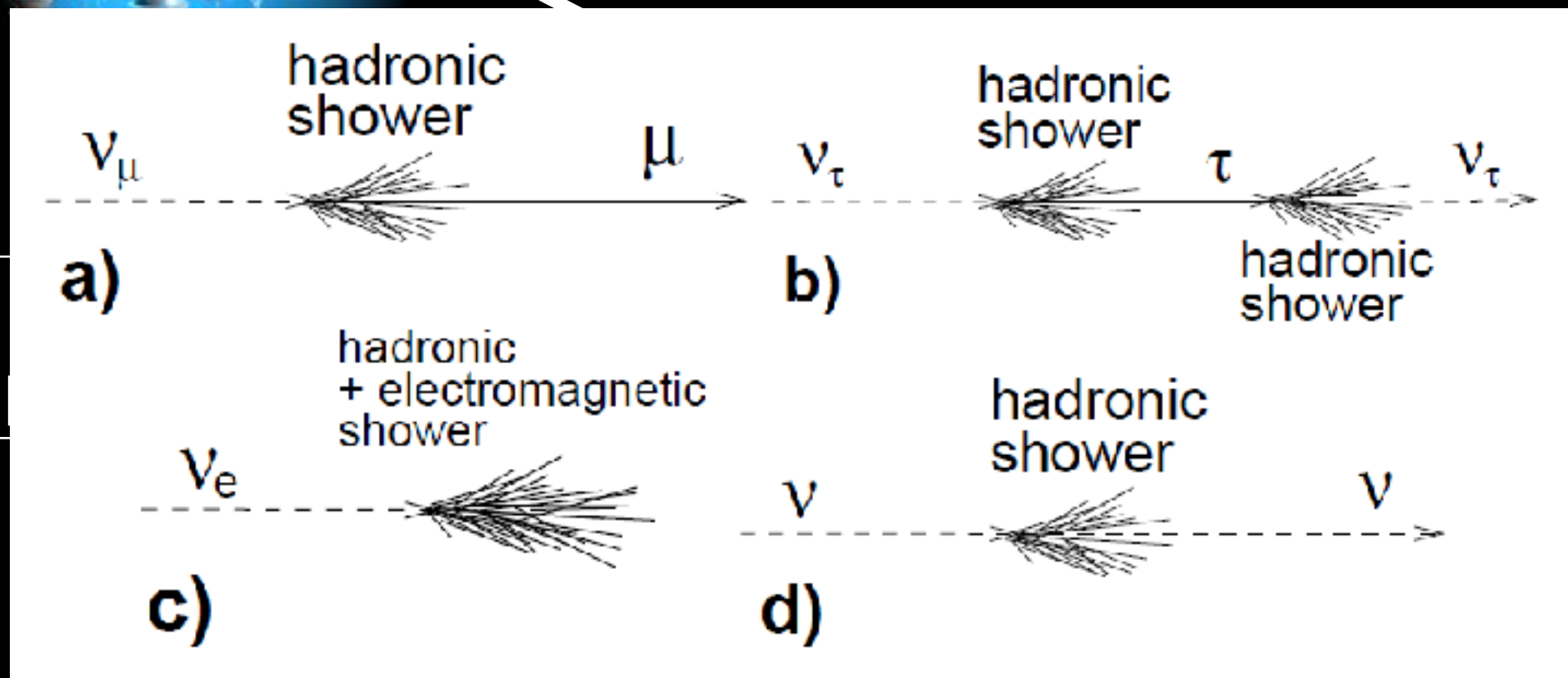
High-energy neutrino detection



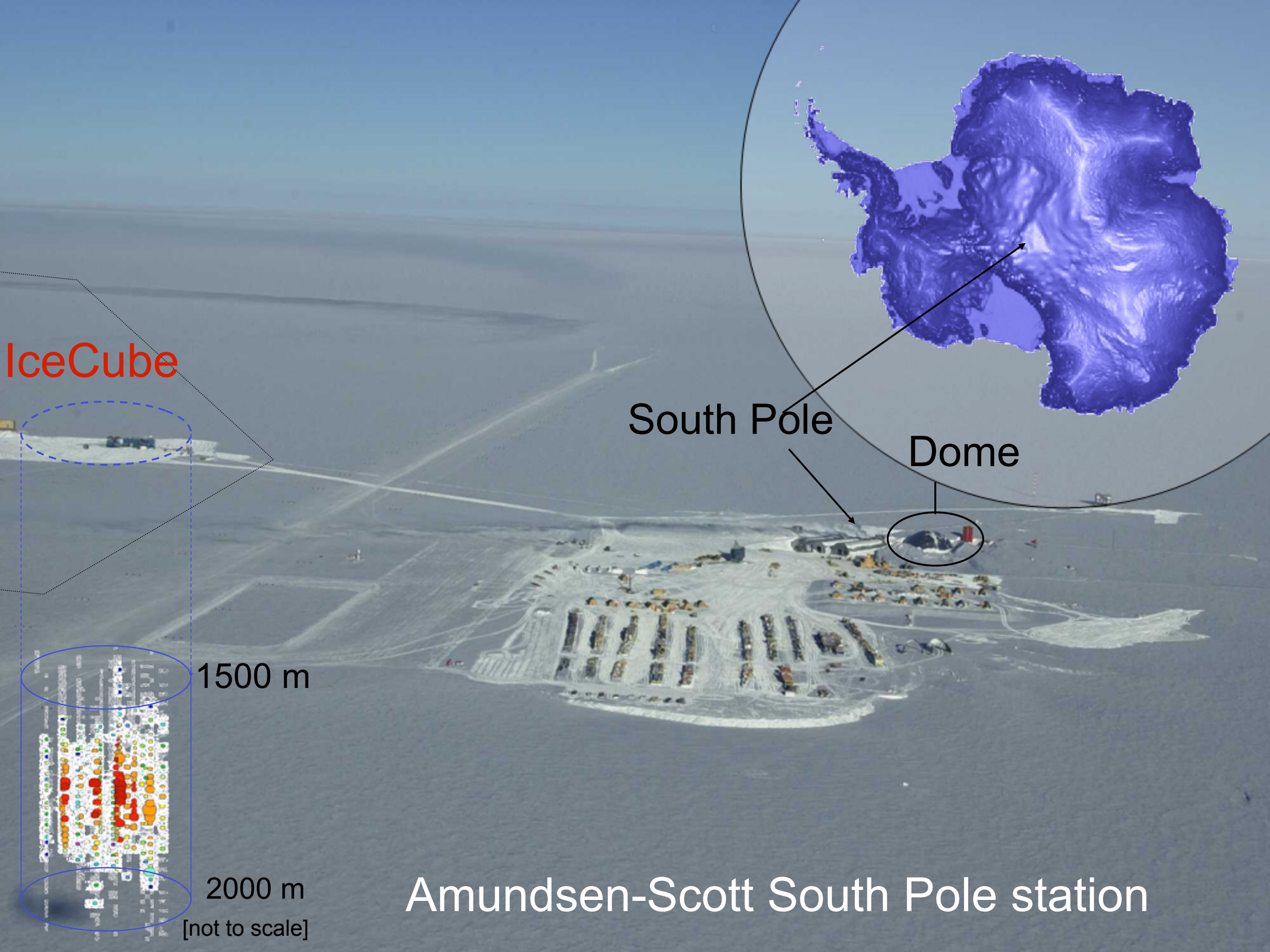
Muon



**water or
string of**



o



IceCube

South Pole

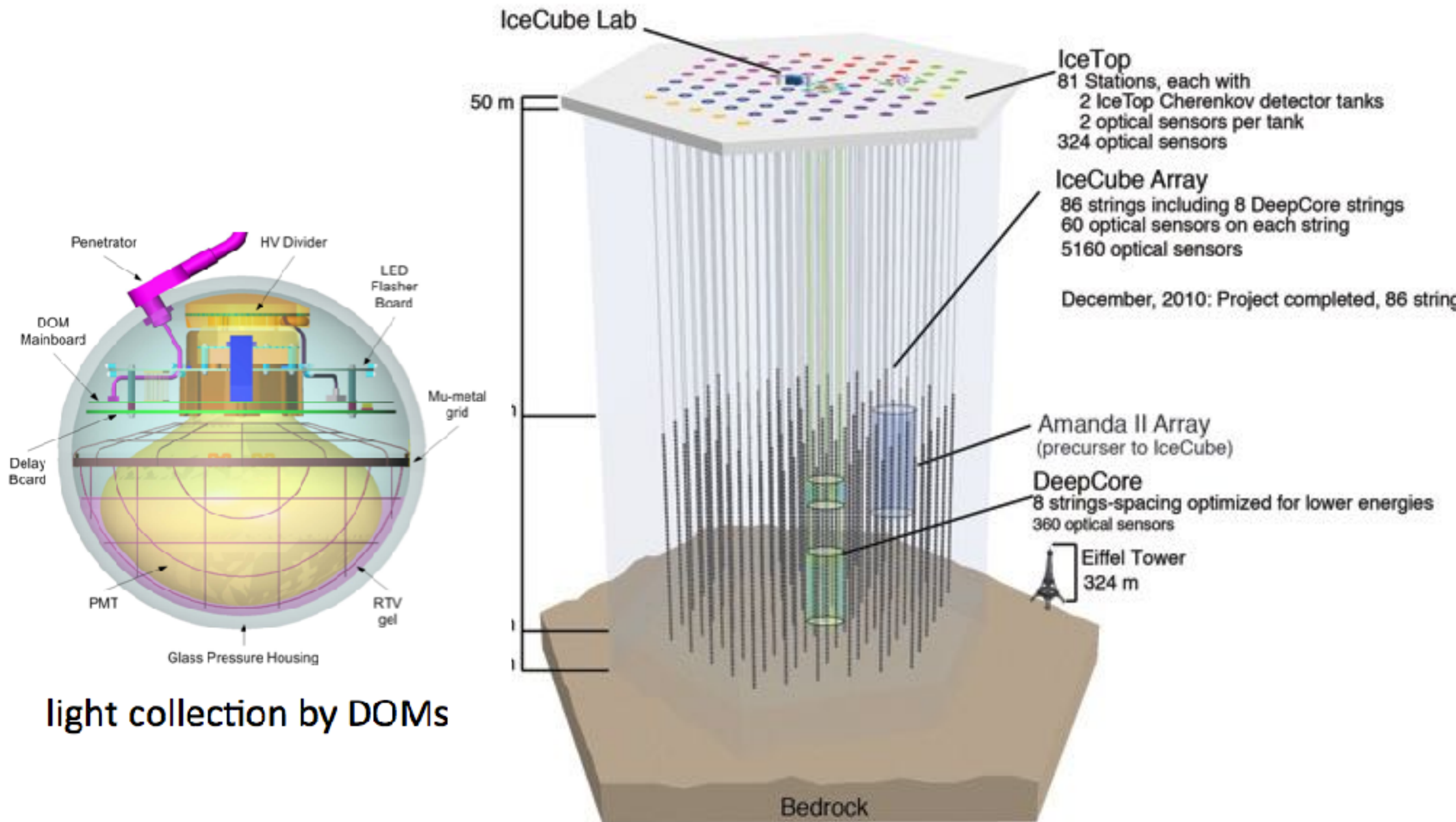
Dome

1500 m

2000 m

[not to scale]

Amundsen-Scott South Pole station





5 megawatt power plant

Drilling and deployment

F.Halzen



Drilling and deployment

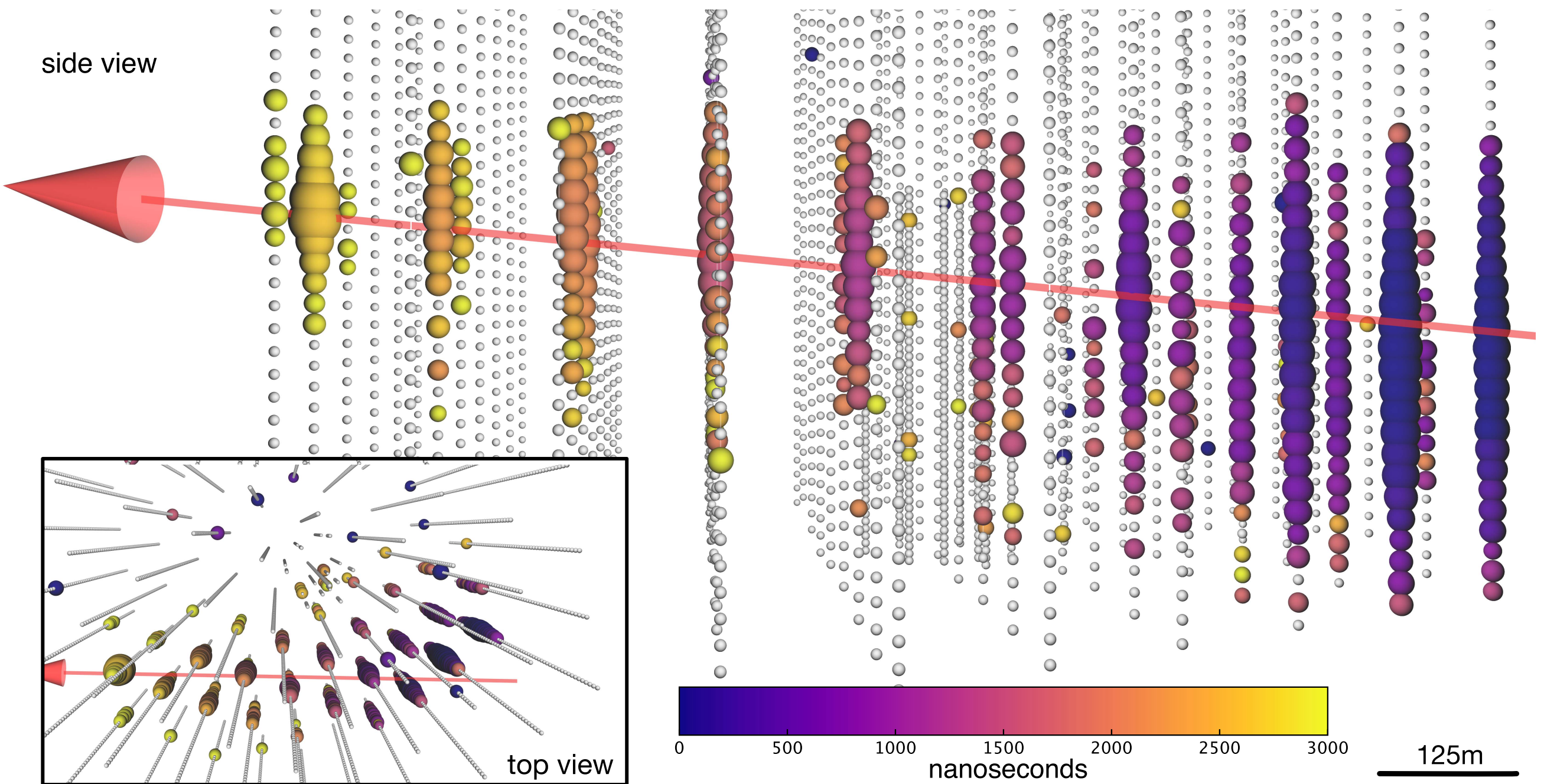
F.Halzen



energy, allowing
easily identi-
-neutrino as-

IceCube can robustly identify astrophysical neu-
trinos at PeV energies, for individual neutrinos
at several hundred TeV, an atmospheric origin

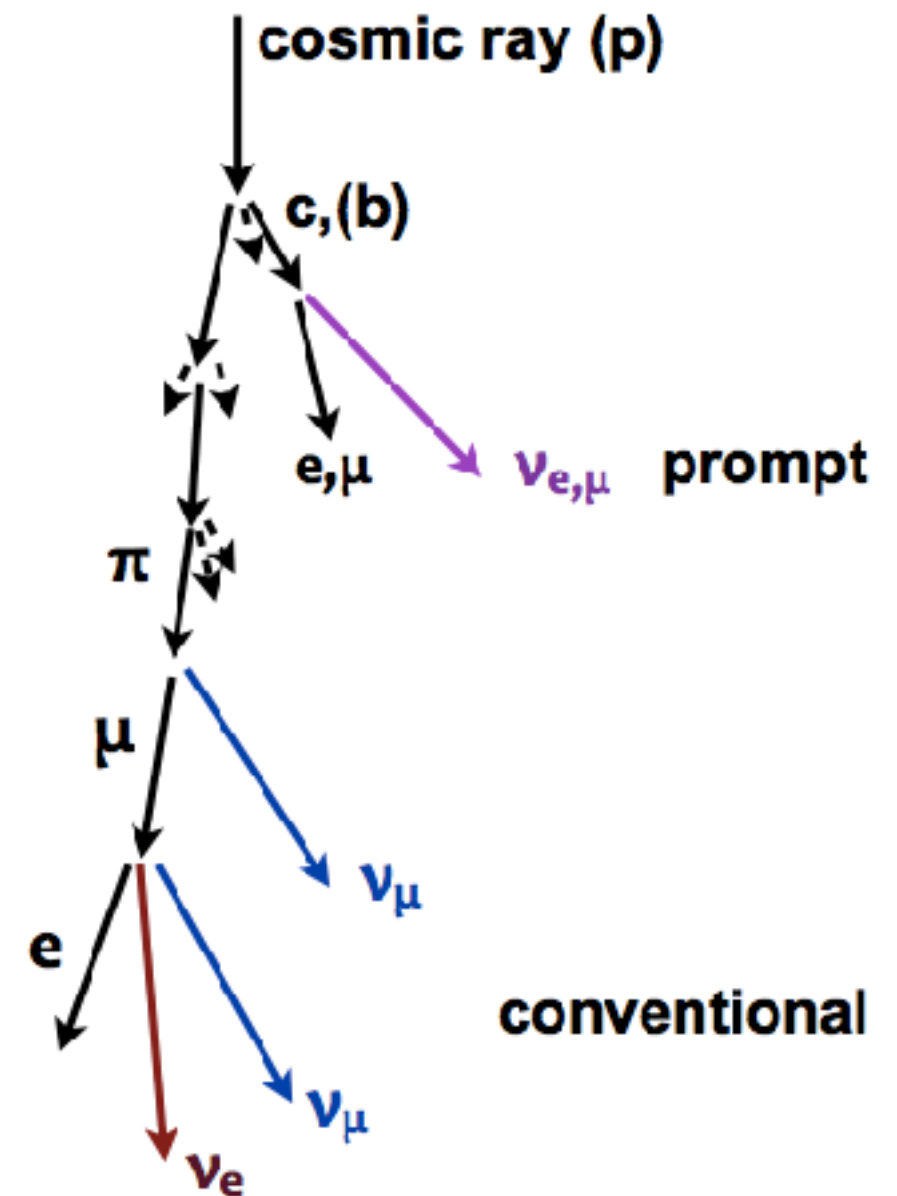
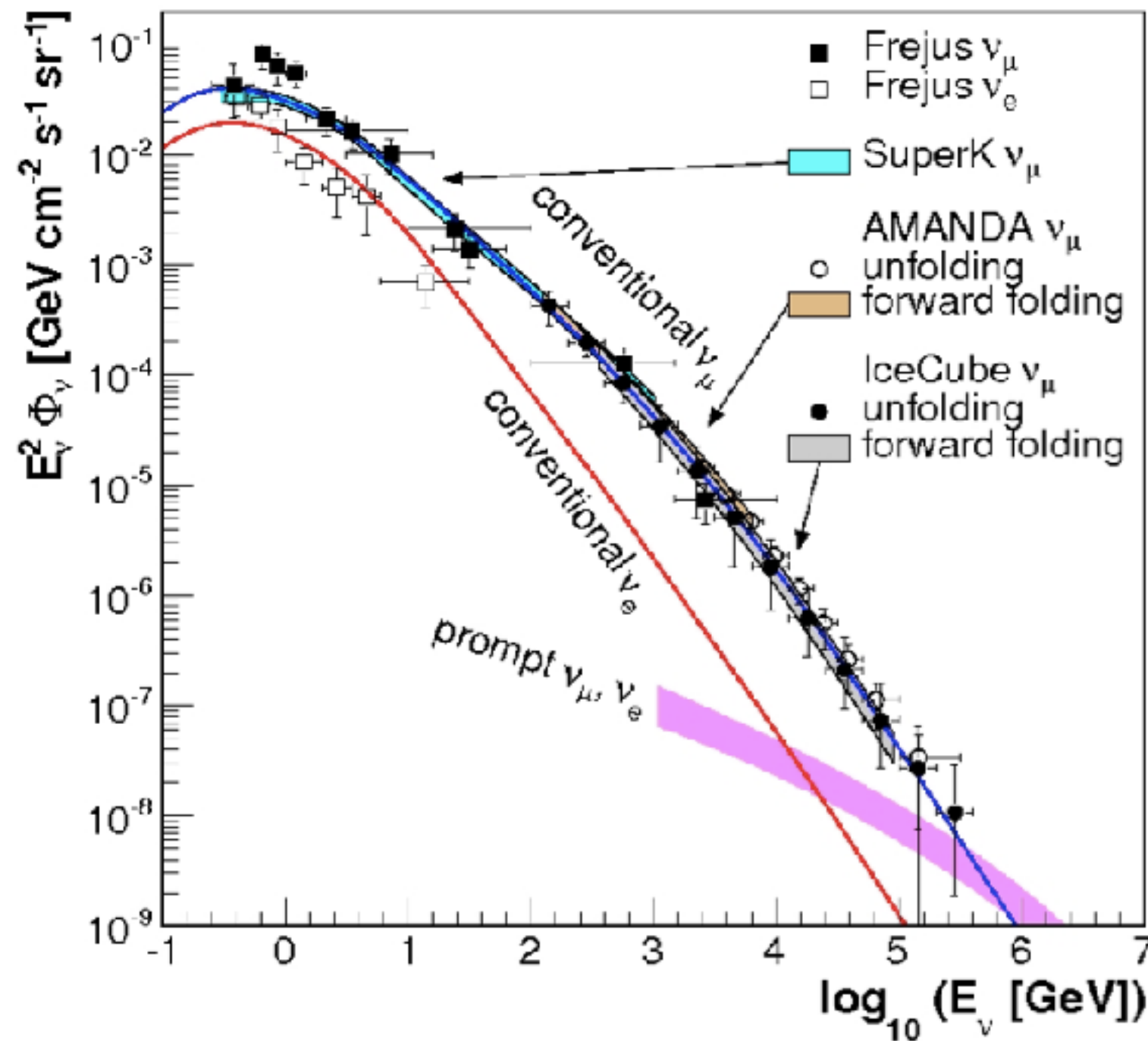
of neutrinos was found from the direction of TXS
0506+056 near the time of the alert, there are
indications at the 3σ level of high-energy neutrino



electrons. Inset is an overhead perspective view of the event. The best-fitting track direction is shown as an arrow,
0.50
0.30 degrees below the horizon.

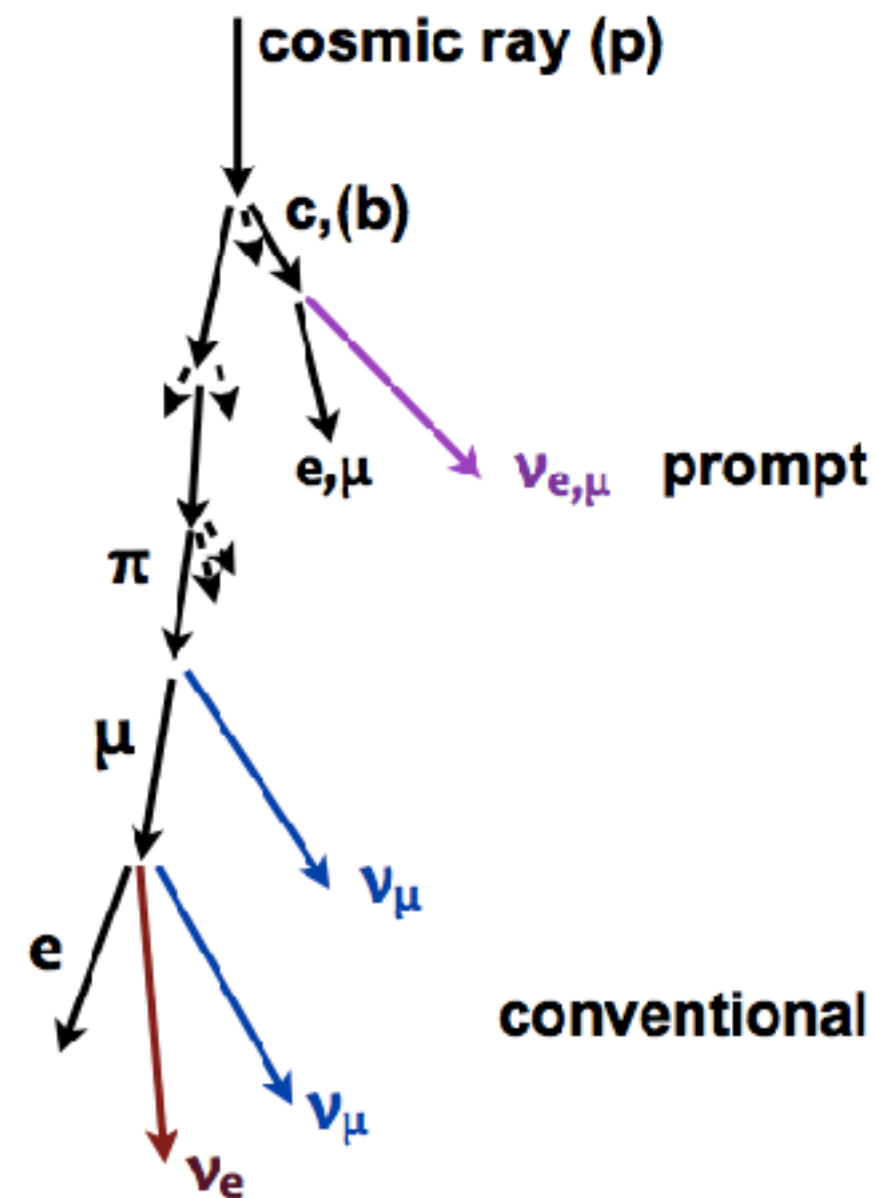
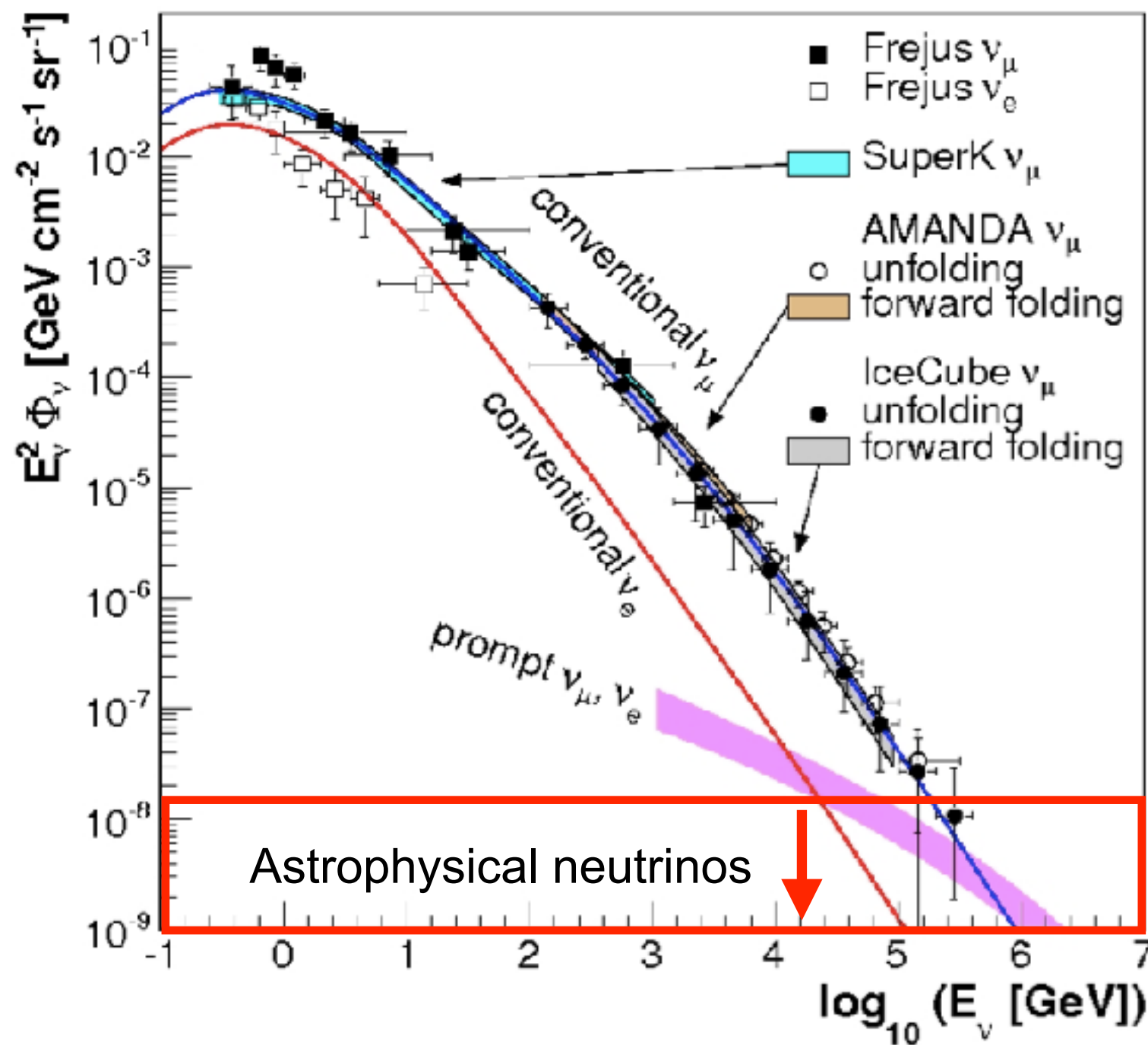


Background for neutrino measurements

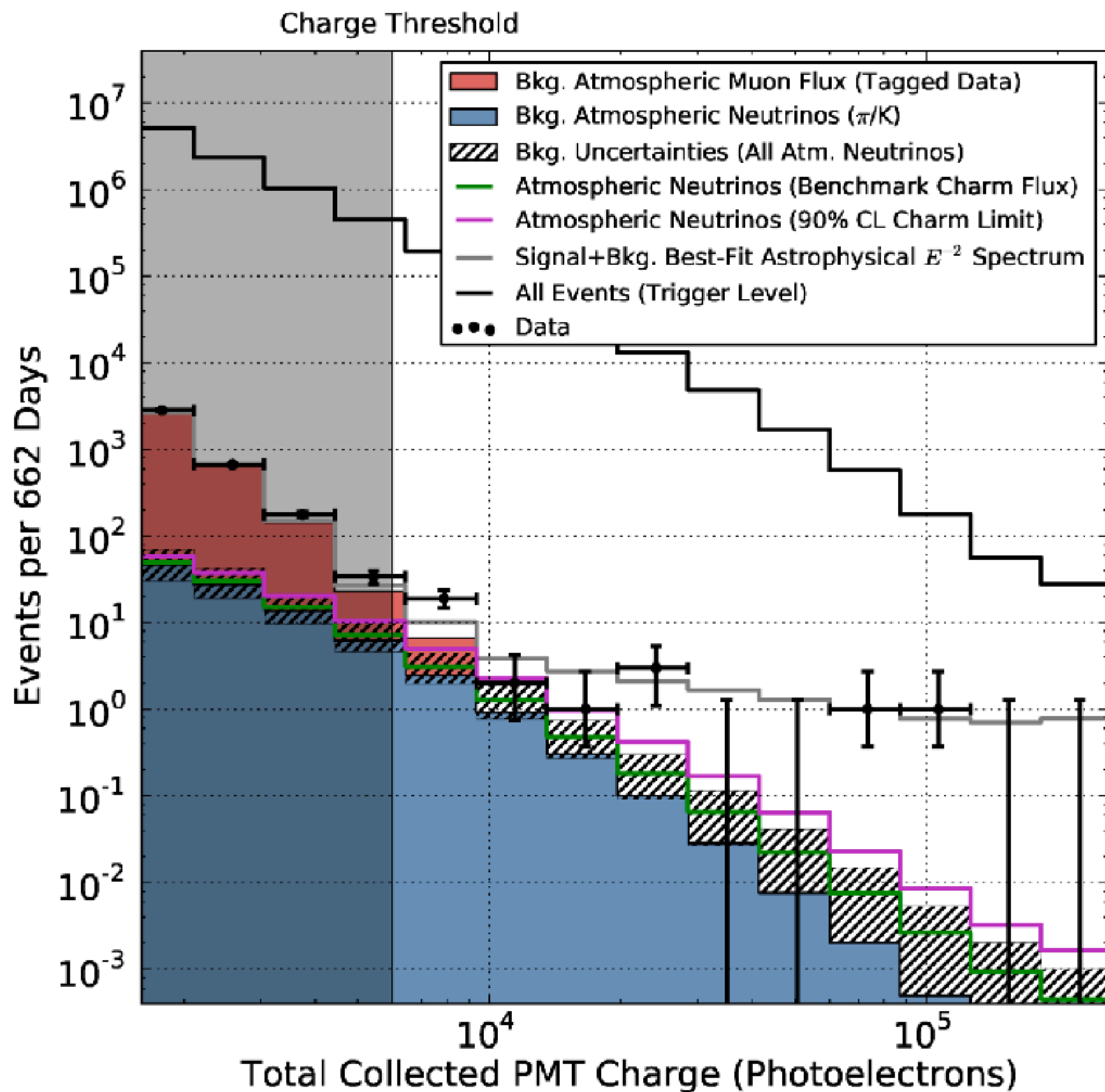


+ direct muons

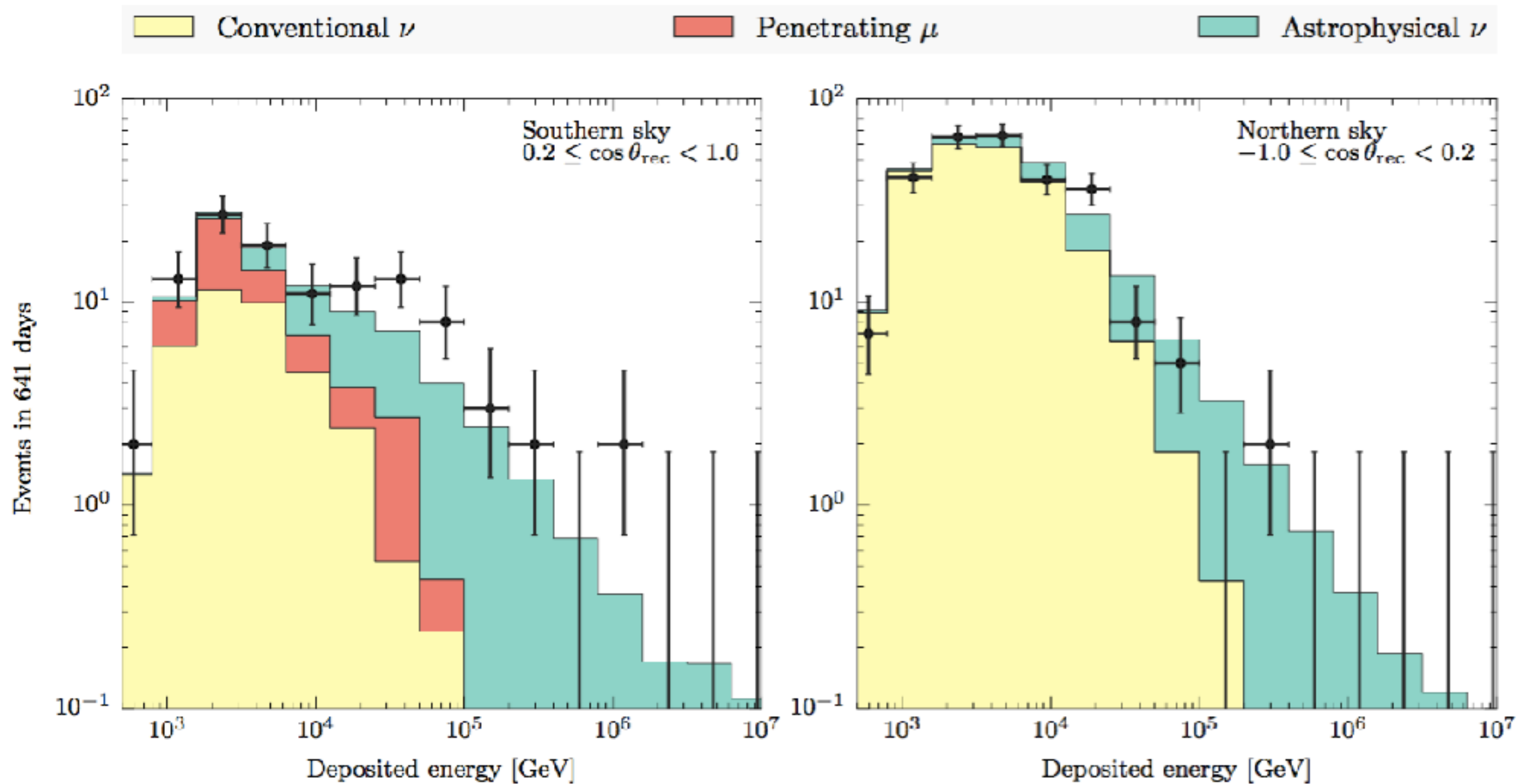
Background for neutrino measurements



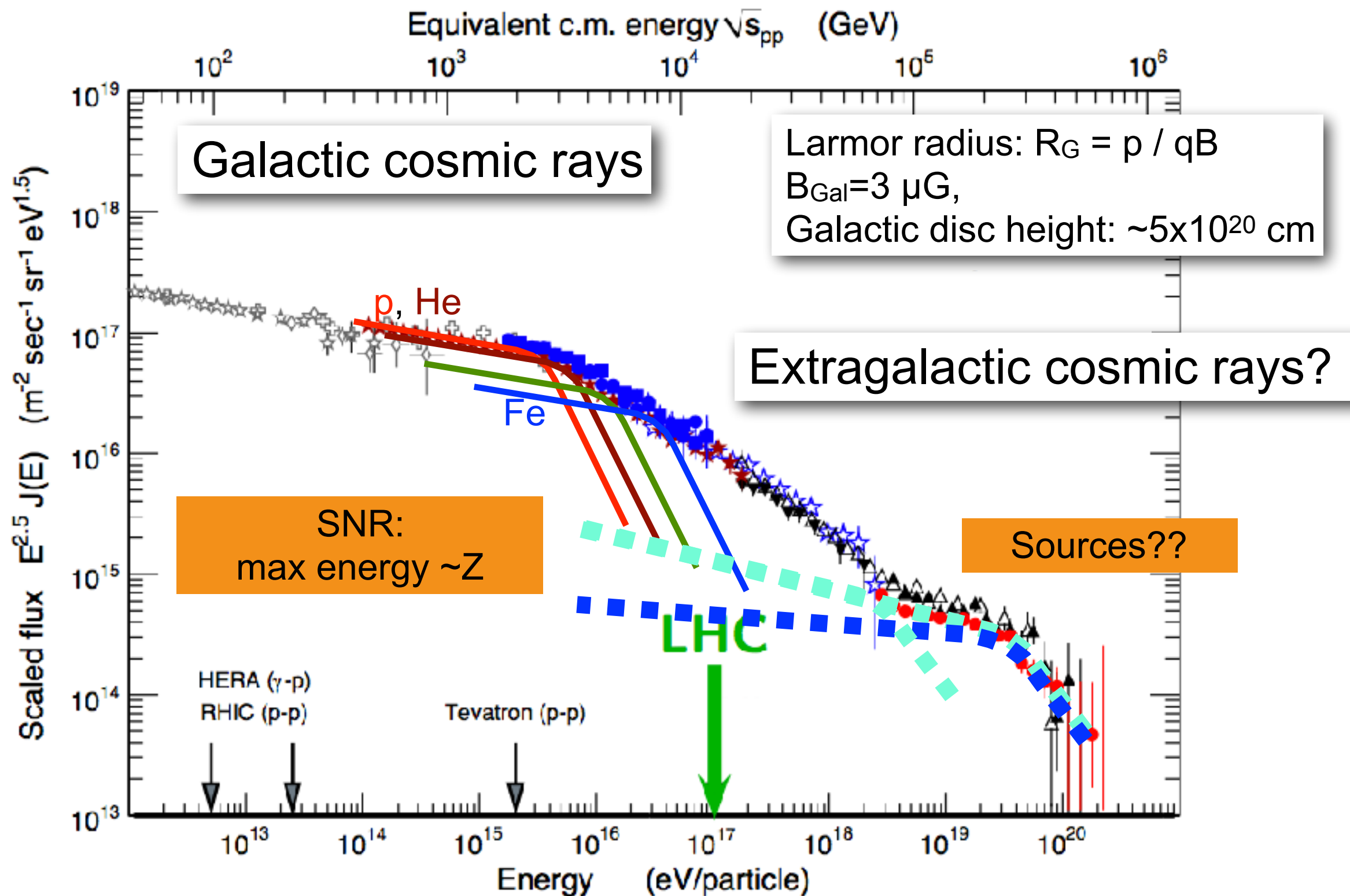
+ direct muons



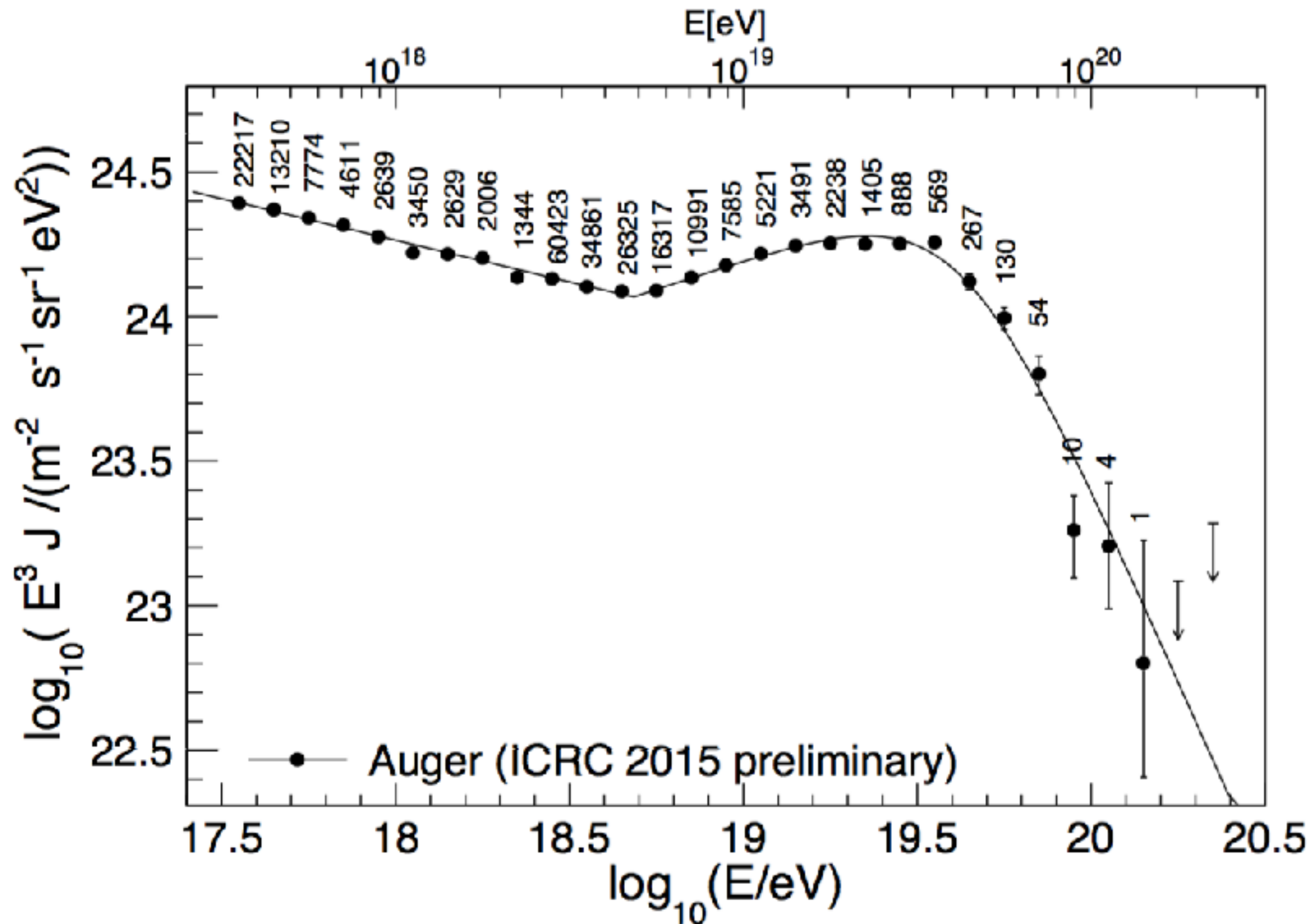
Astrophysical VHE neutrinos



The Cosmic Ray Energy Spectrum

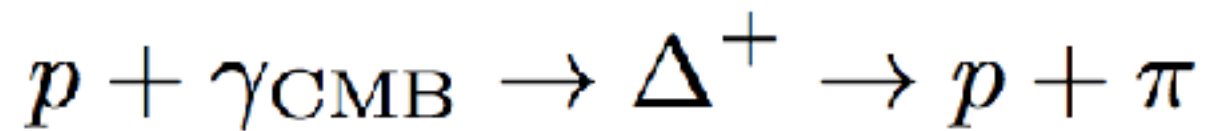


The Cosmic Ray Energy Spectrum



Greisen-Zatsepin-Kuzmin (GZK) cutoff

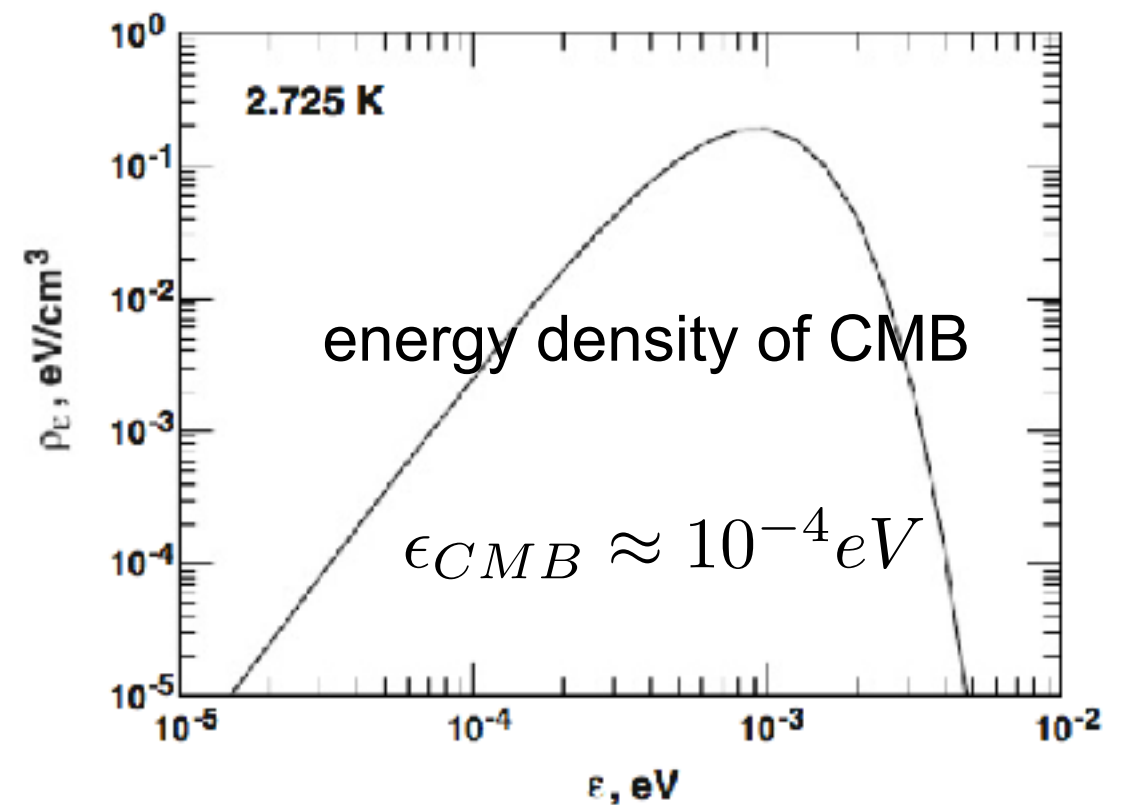
photo-pion production



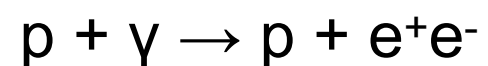
threshold:

$$E_p E_\gamma > (m_\Delta^2 - m_p^2)$$

$$\rightarrow E_{\text{GZK}} = 6 \cdot 10^{19} \text{ eV}$$



e^+e^- pair production (Bethe-Heitler):

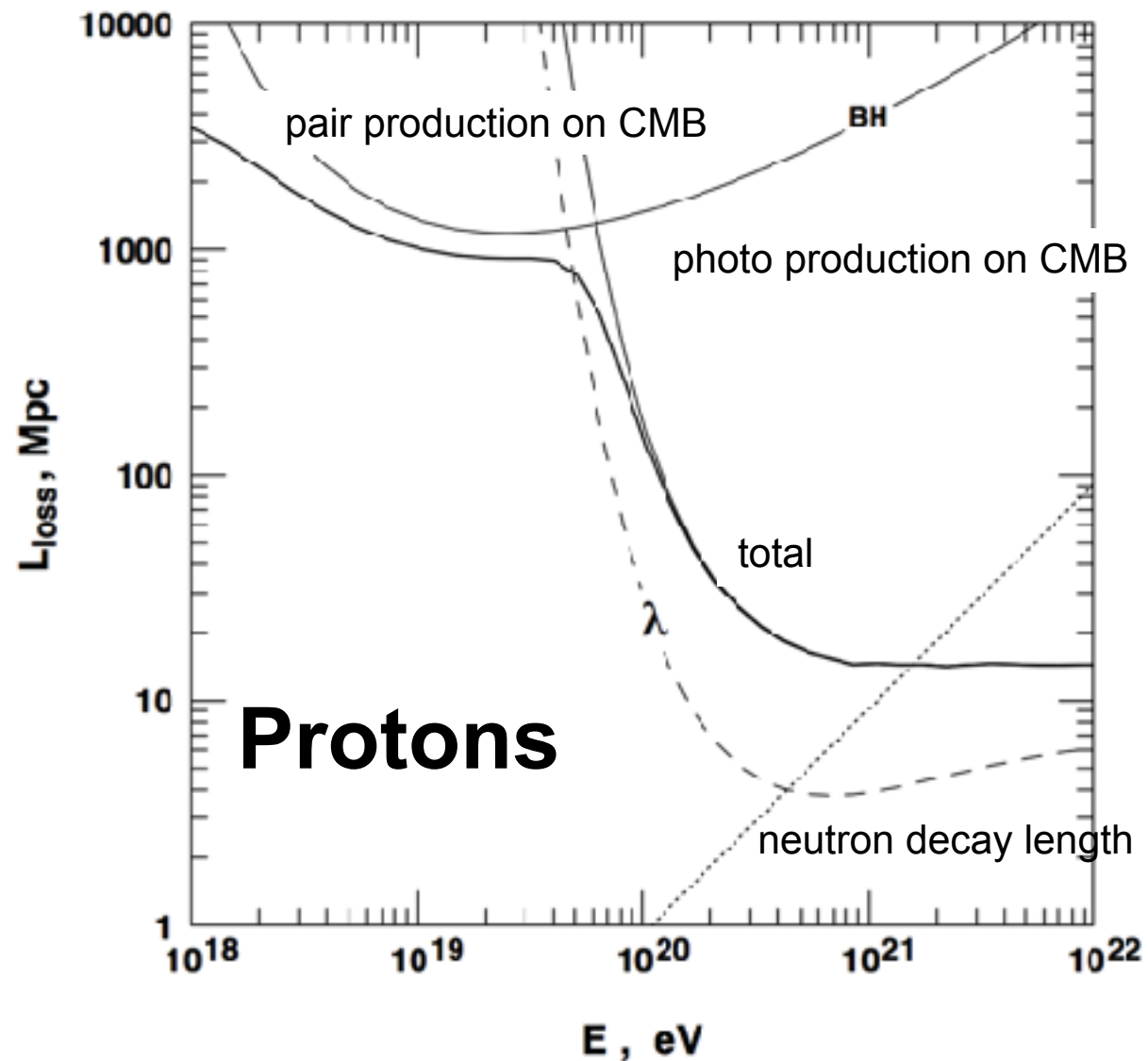


$$E_{p,e^+e^-} \approx 0.8 \text{ EeV} (\epsilon_{\text{CMB}}/\epsilon)$$

Propagation effects: protons & heavy nuclei

Loss length:

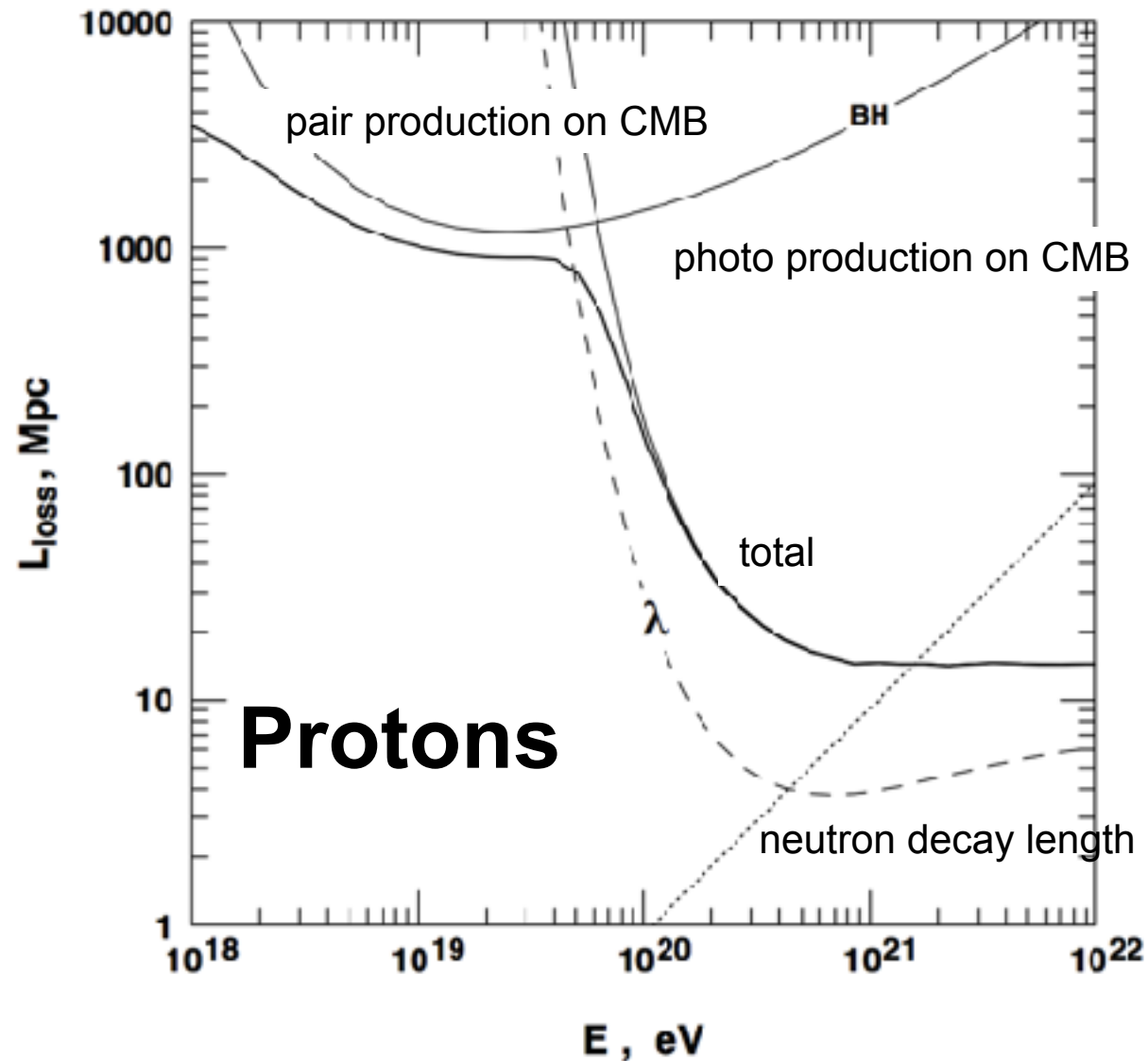
$$N(L) = N(L = 0) \cdot \exp^{-L/L_{Loss}}$$



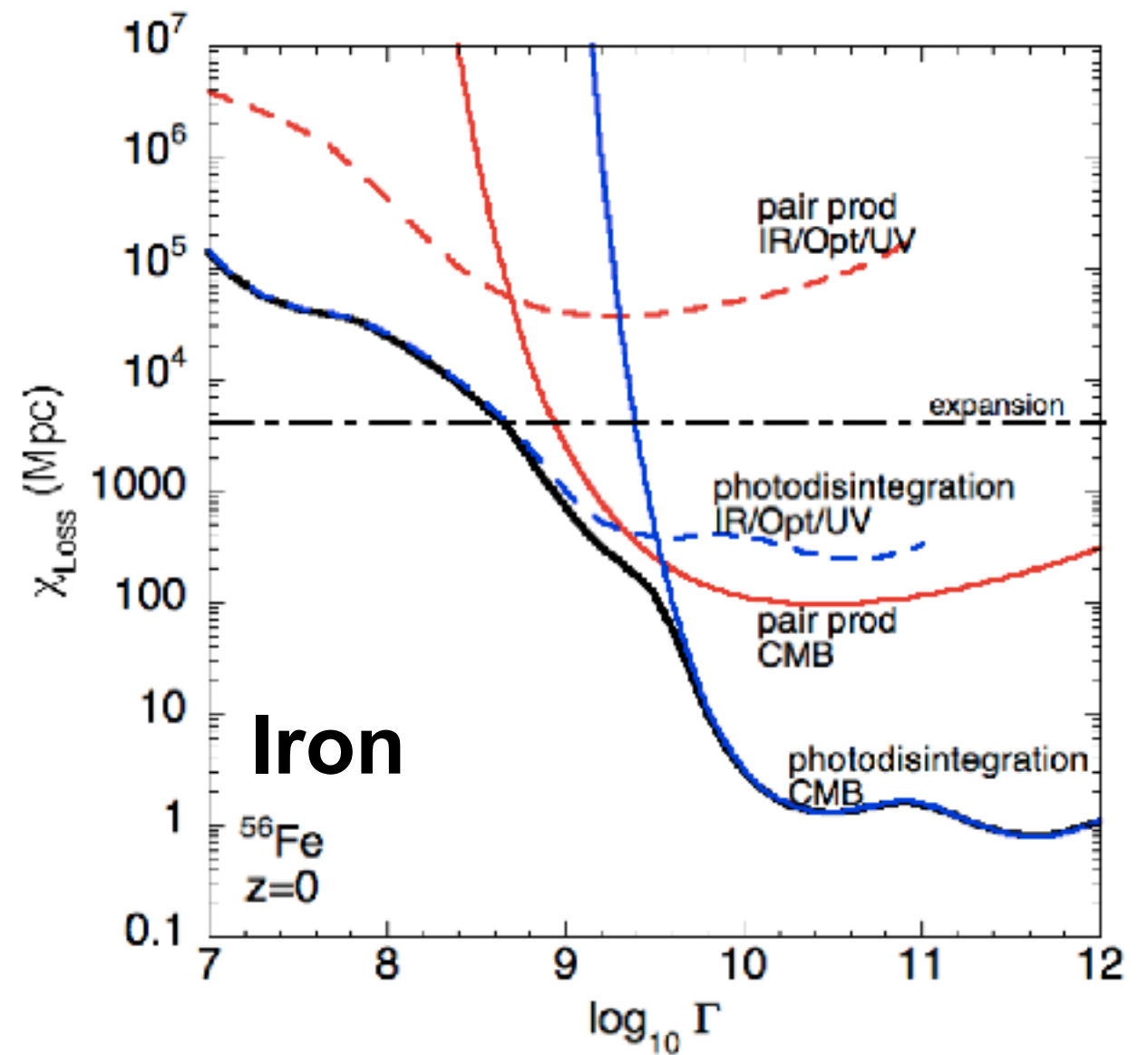
Propagation effects: protons & heavy nuclei

Loss length:

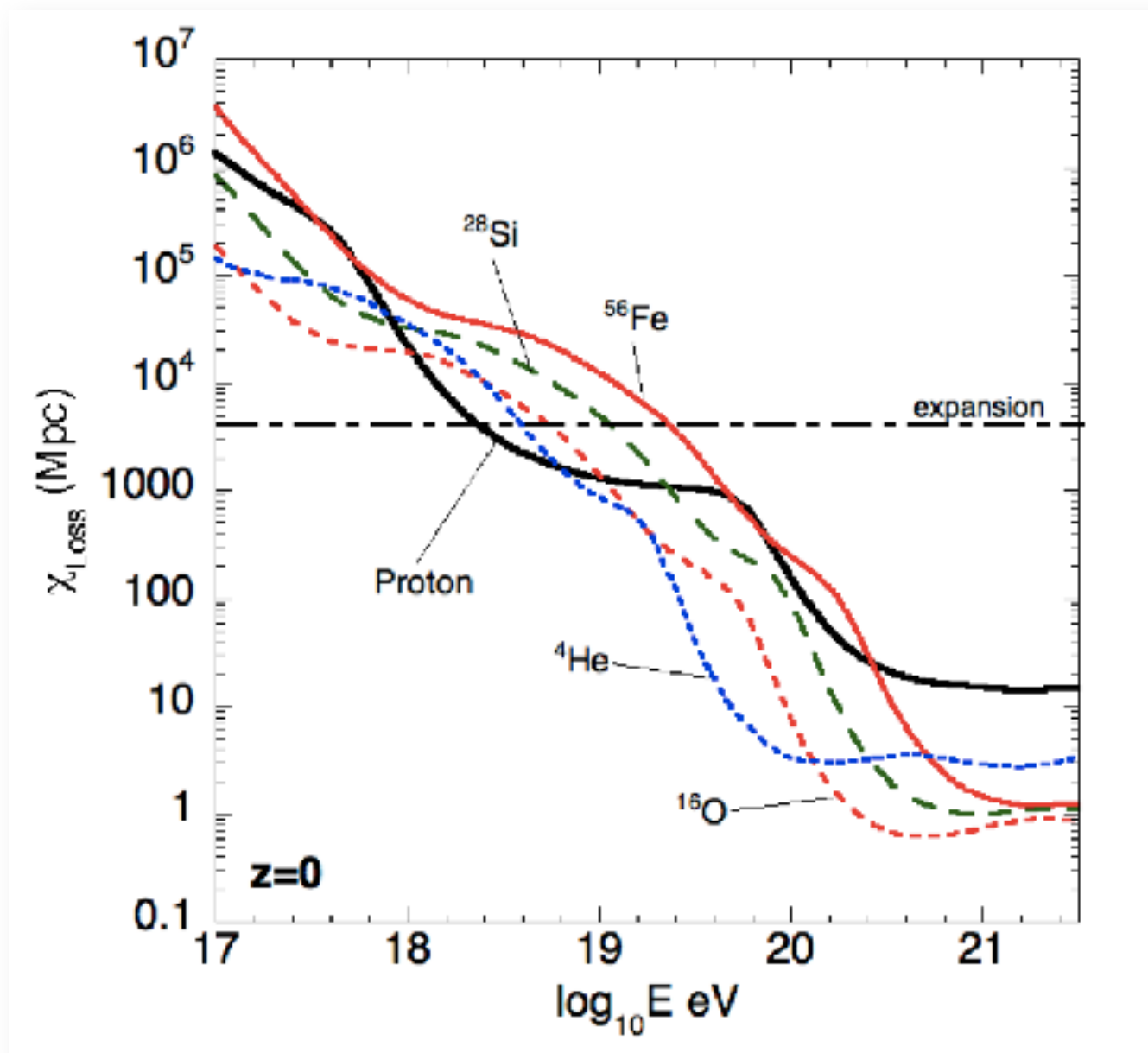
$$N(L) = N(L = 0) \cdot \exp^{-L/L_{Loss}}$$



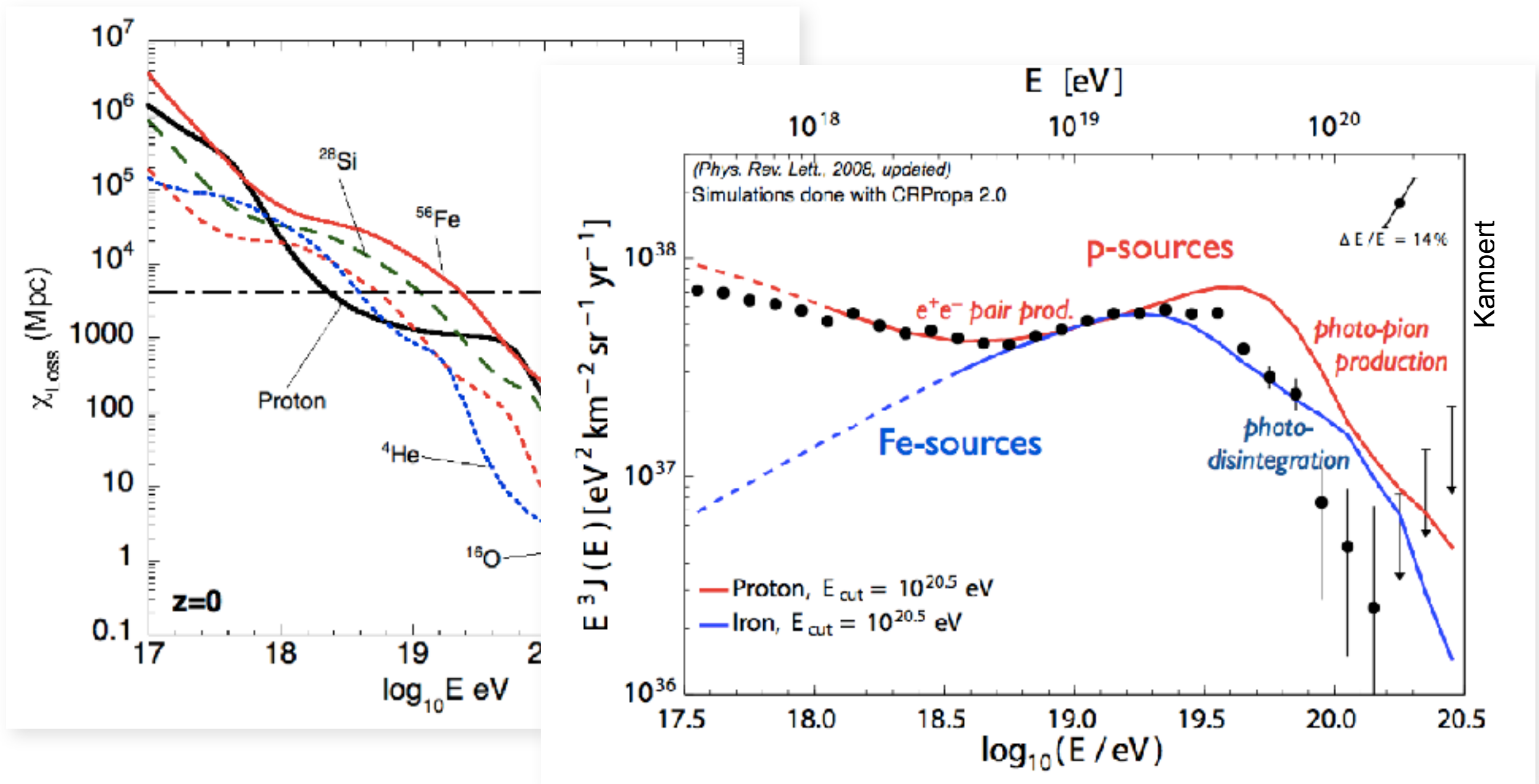
heavy nuclei: **photo dissociation**
(spallation): $\gamma + A(N) \rightarrow (A-1) + N$



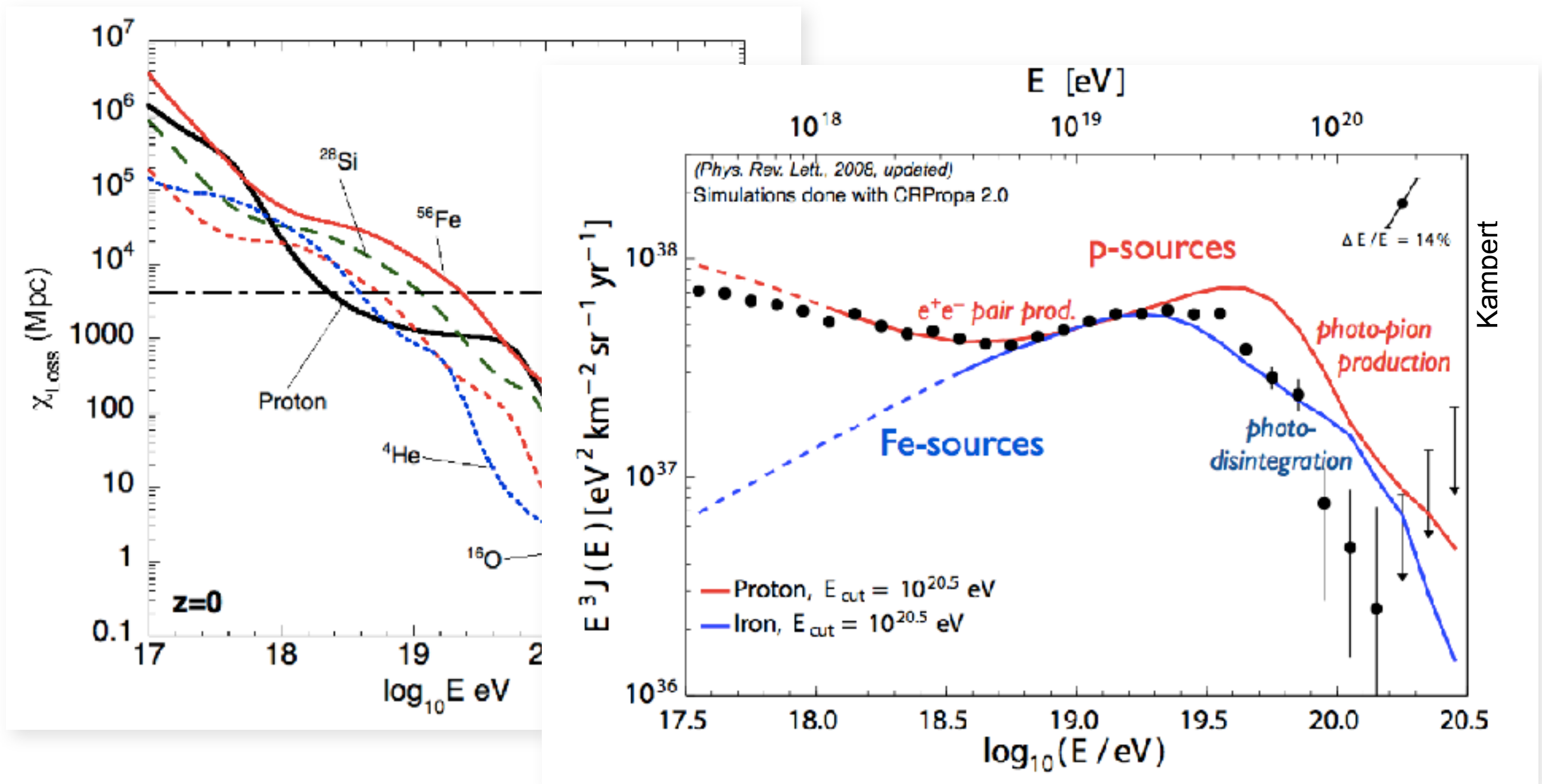
Propagation effects: protons & heavy nuclei



Propagation effects: protons & heavy nuclei



Propagation effects: protons & heavy nuclei



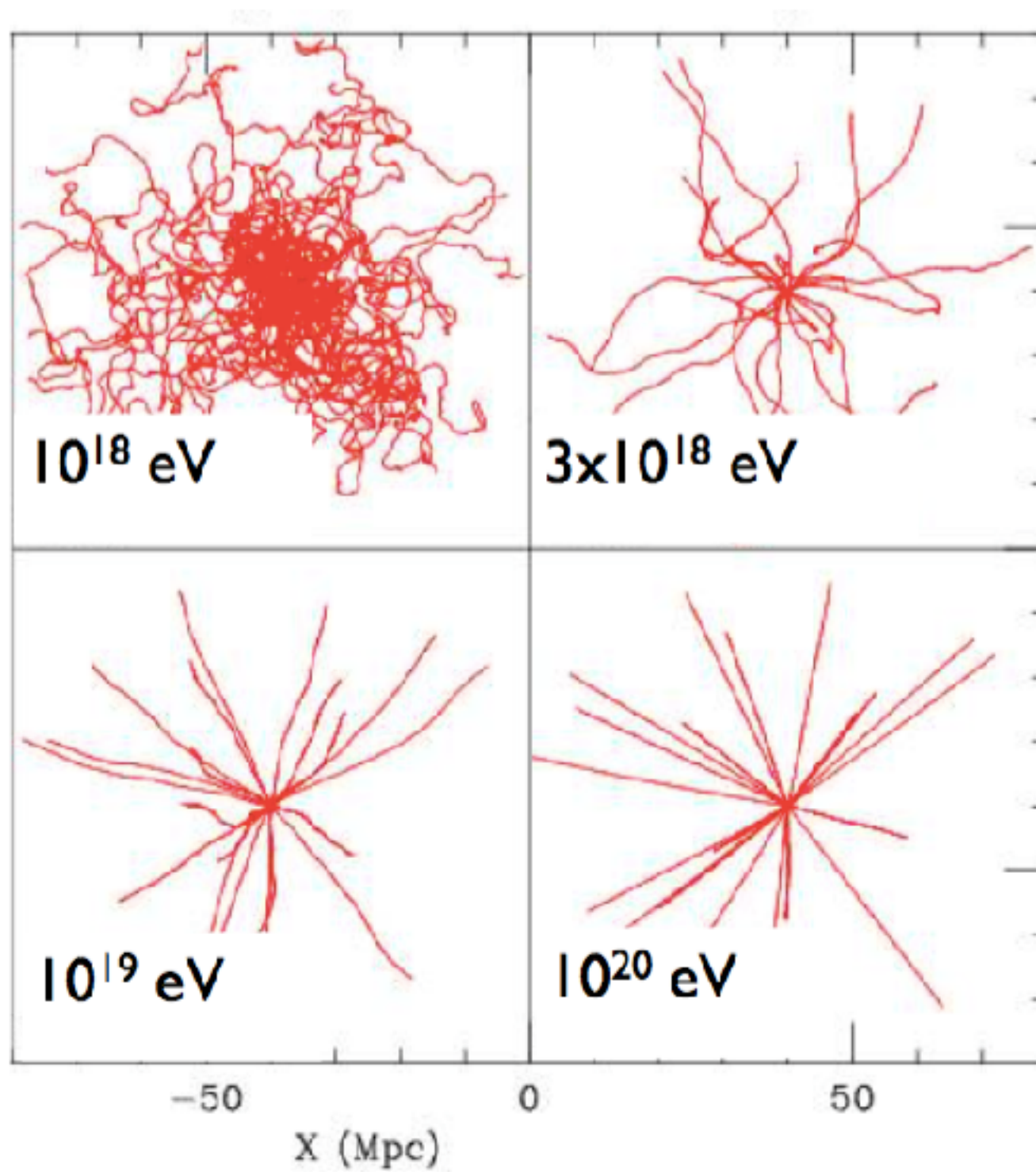
Sources producing mostly **protons**:

- suppression: GZK cut off
- ankle: pair production

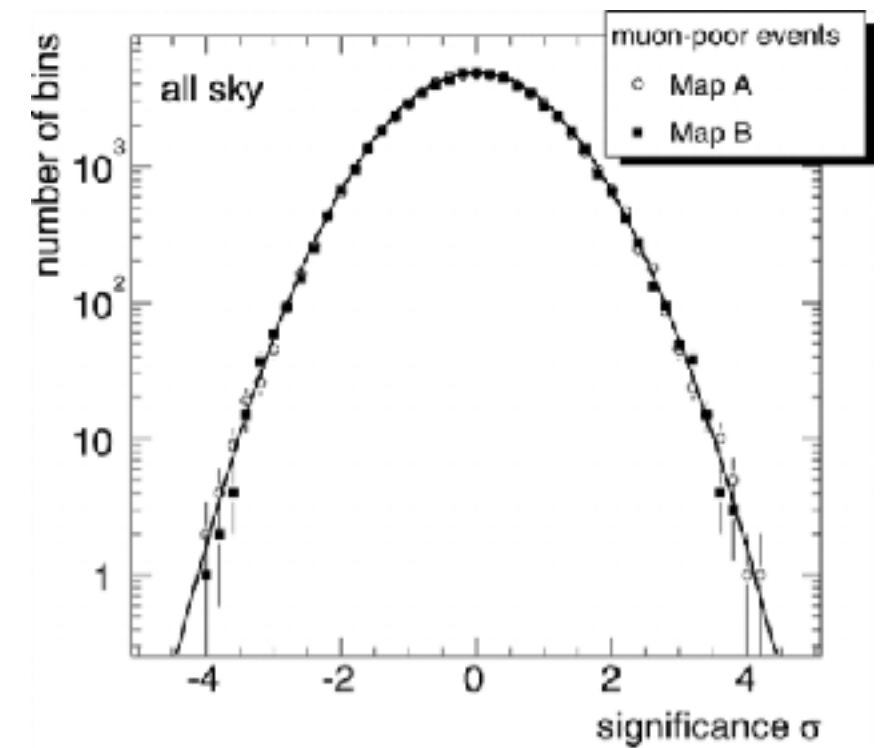
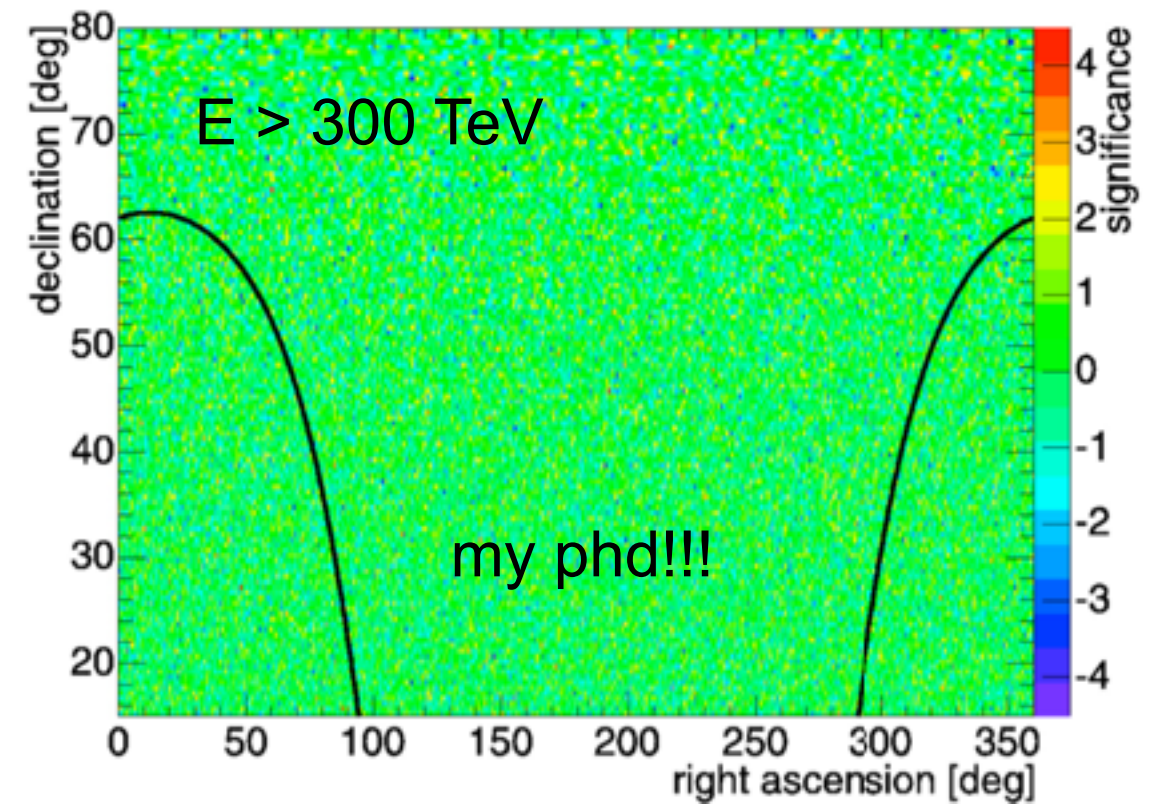
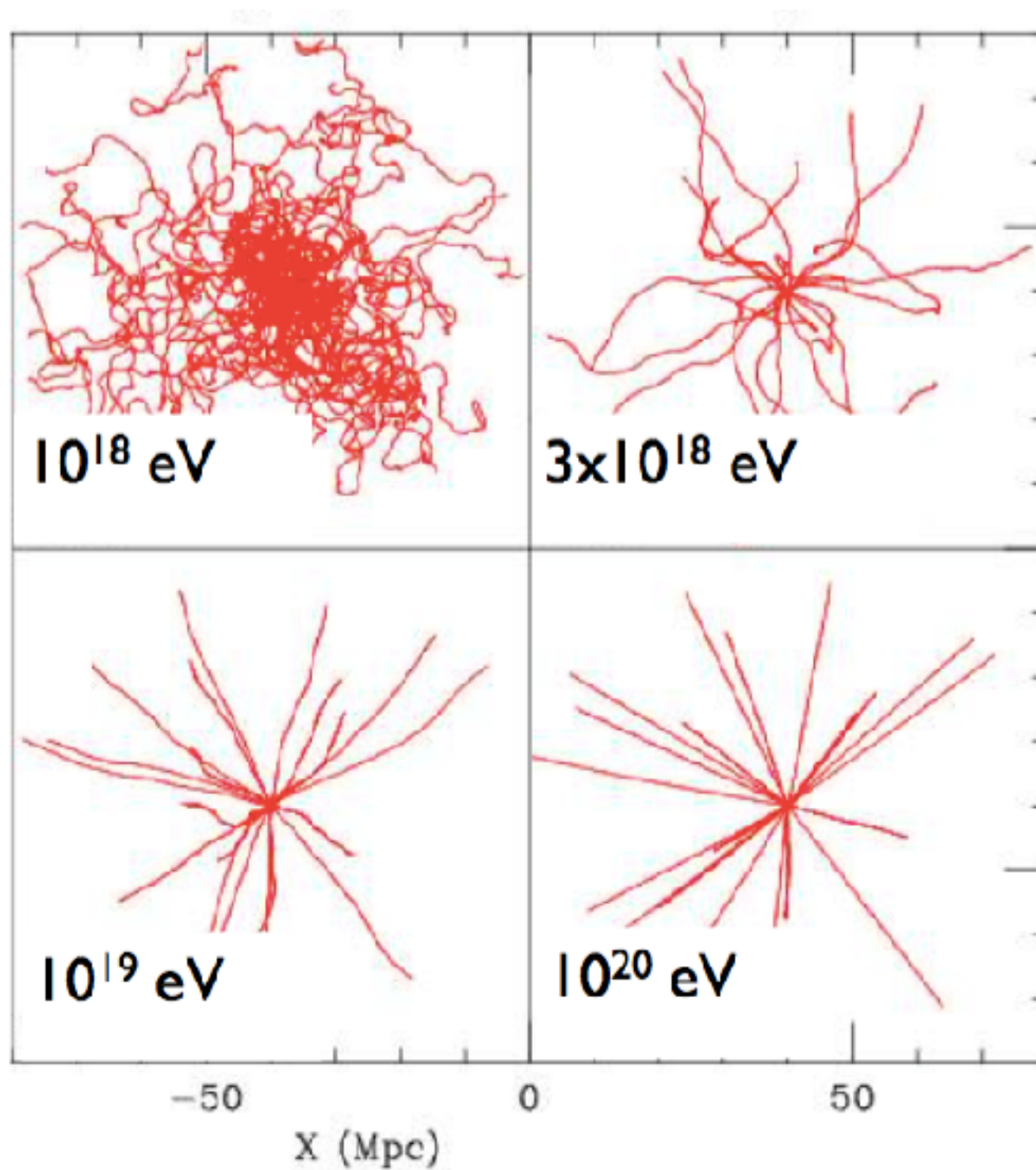
Sources producing mostly **iron**:

- suppression: photo dissociation
- ankle: transition to Galactic sources

Arrival directions

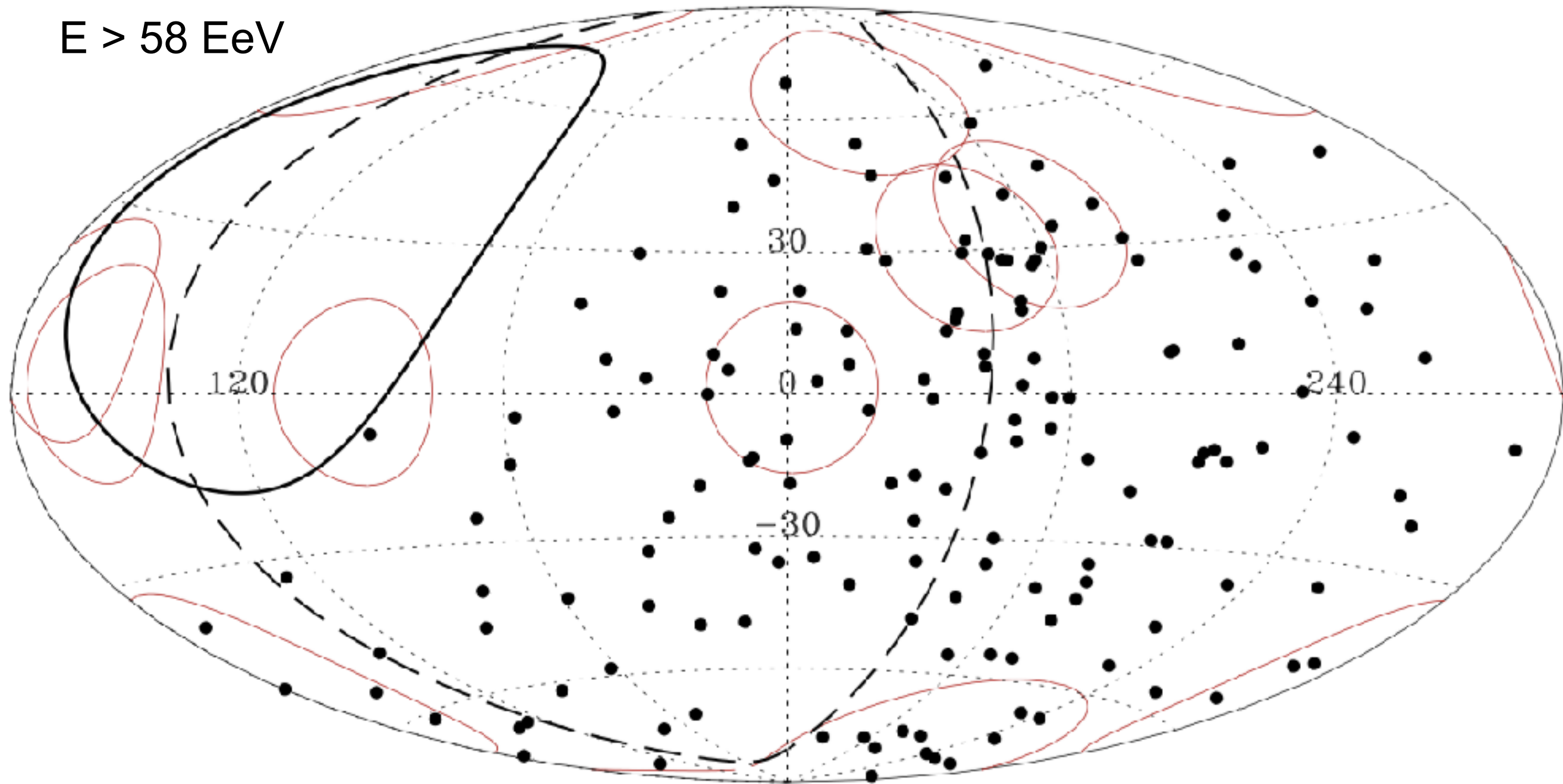


Arrival directions



Arrival directions

$E > 58 \text{ EeV}$



Red circles: AGNs brighter than 10^{44} erg/s and closer than 130 Mpc

Auger Collaboration

Testing Lorentz Invariance Violation

- > assume Lorentz Invariance is violated

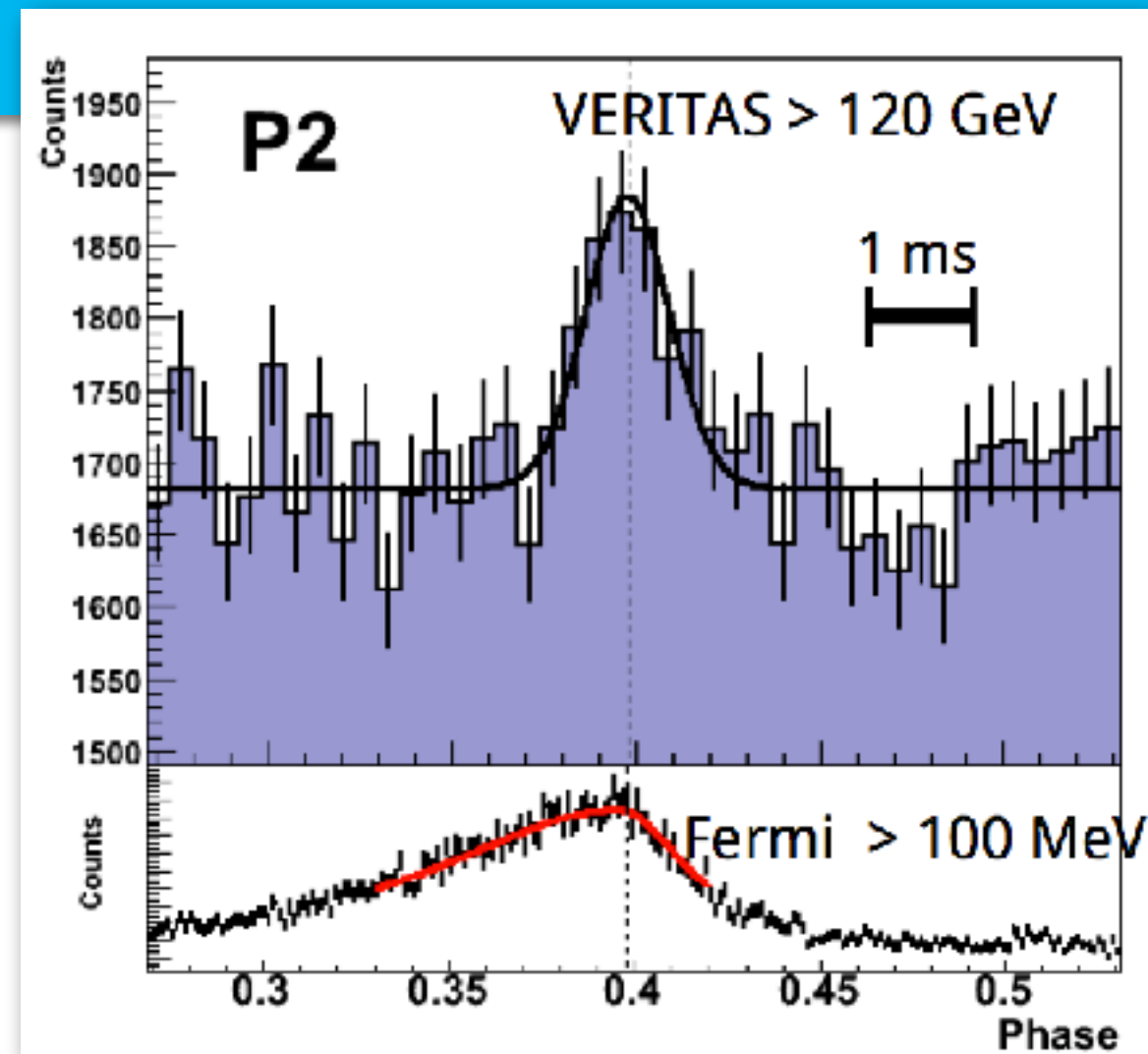
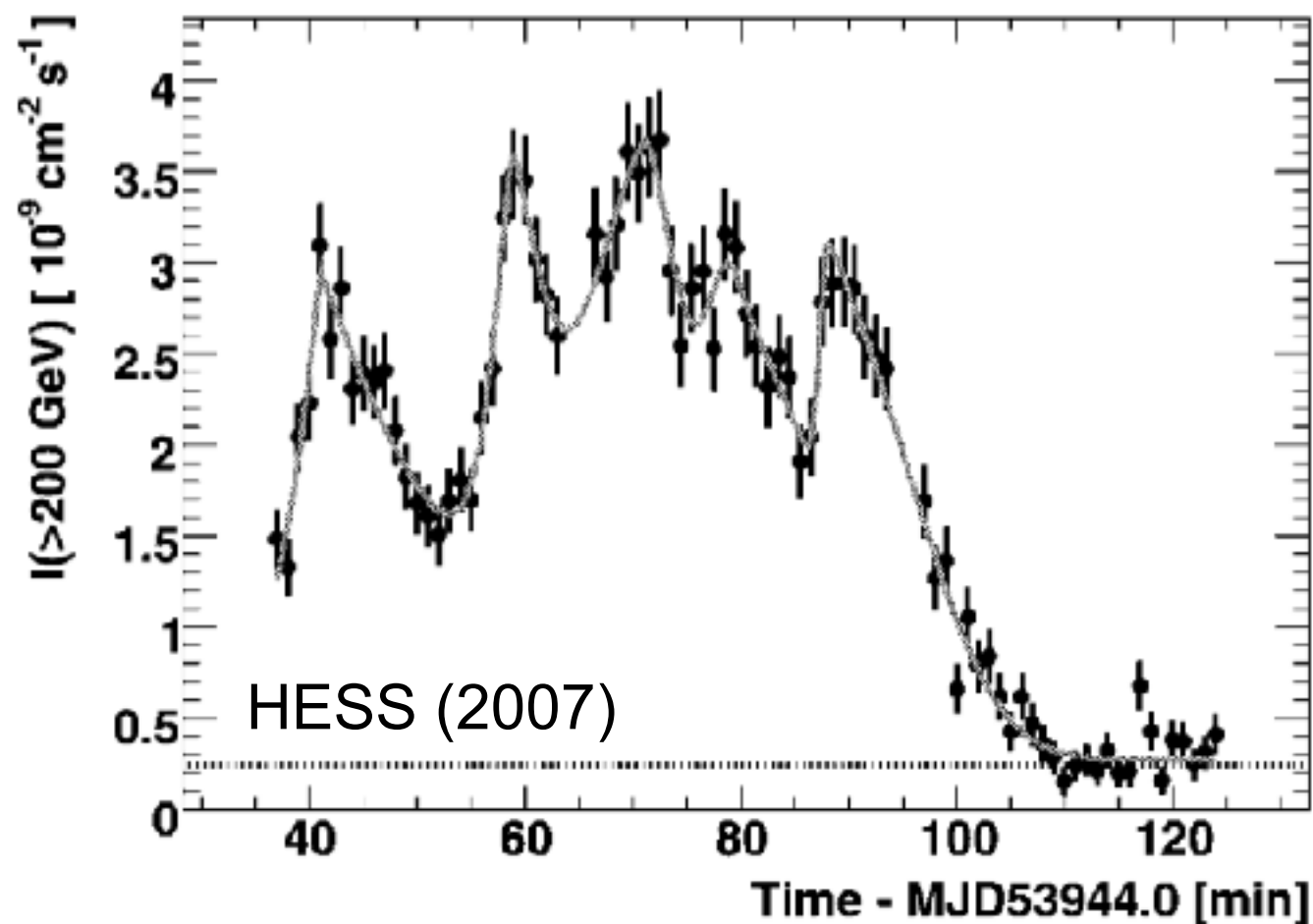
$$c^2 p^2 = E_\gamma^2 [1 \pm \xi_1 E_\gamma / E_{QG} \pm \xi_2 (E_\gamma^2 / E_{QG}^2) \pm \dots]$$

- > accumulative effect (assume source at distance L)

$$\delta t \simeq \left(\frac{\Delta E}{\xi_\alpha E_{Pl}} \right)^\alpha \frac{L}{c}$$

- > some theories of quantum gravity predict $\delta t \sim 10\text{s/TeV/Gpc}$

Testing Lorentz Invariance

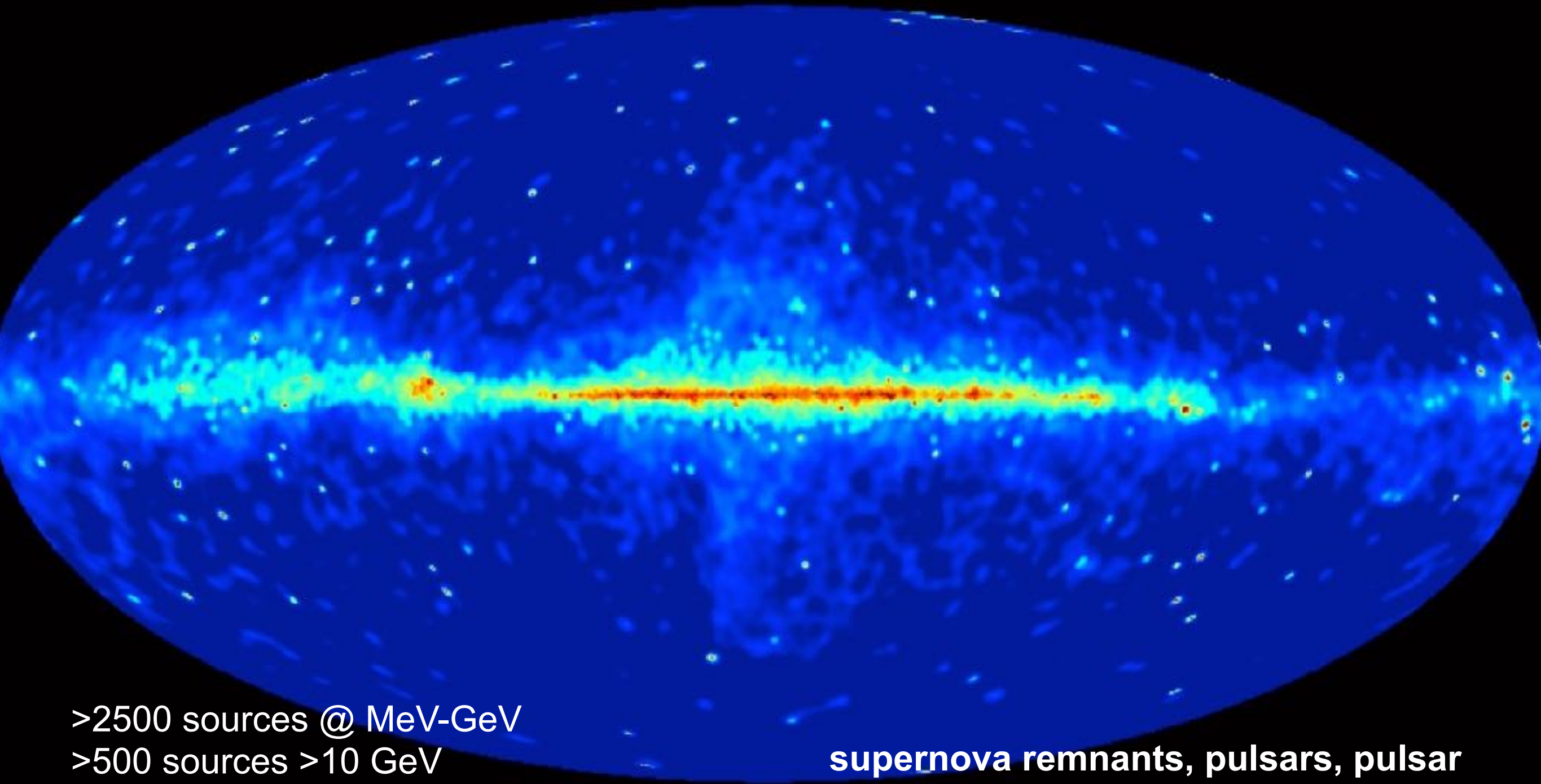


Otte (2011)



The high-energy gamma-ray sky

Fermi LAT 3-years
sky map > 10 GeV

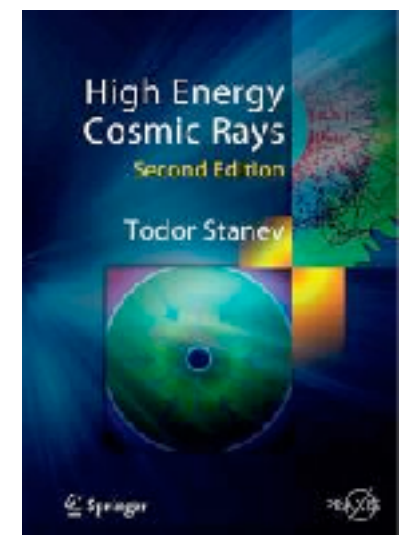
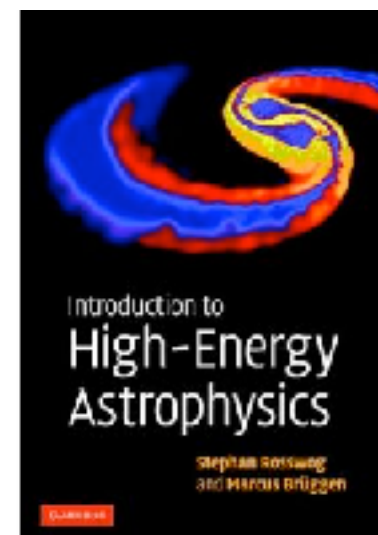
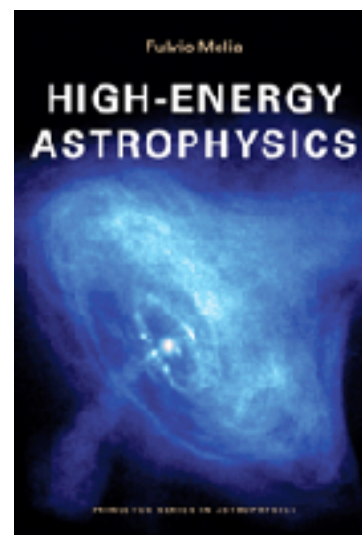


>2500 sources @ MeV-GeV
>500 sources >10 GeV
>150 sources >100 GeV

**supernova remnants, pulsars, pulsar
wind nebulae, binary systems, massive
star clusters, starburst galaxies, active
galactic nuclei (mostly blazars), gamma-
ray bursts, nova, diffuse, dark matter, ...**

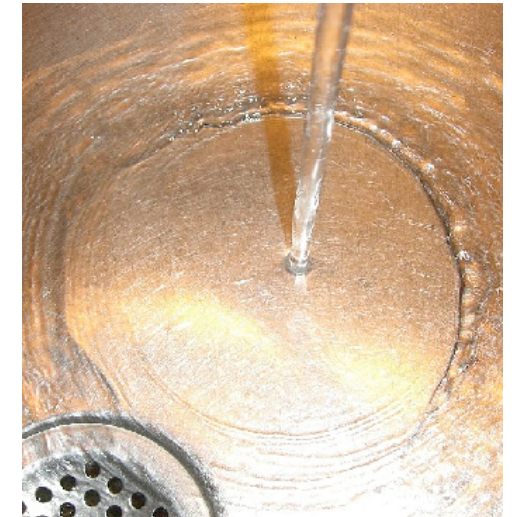
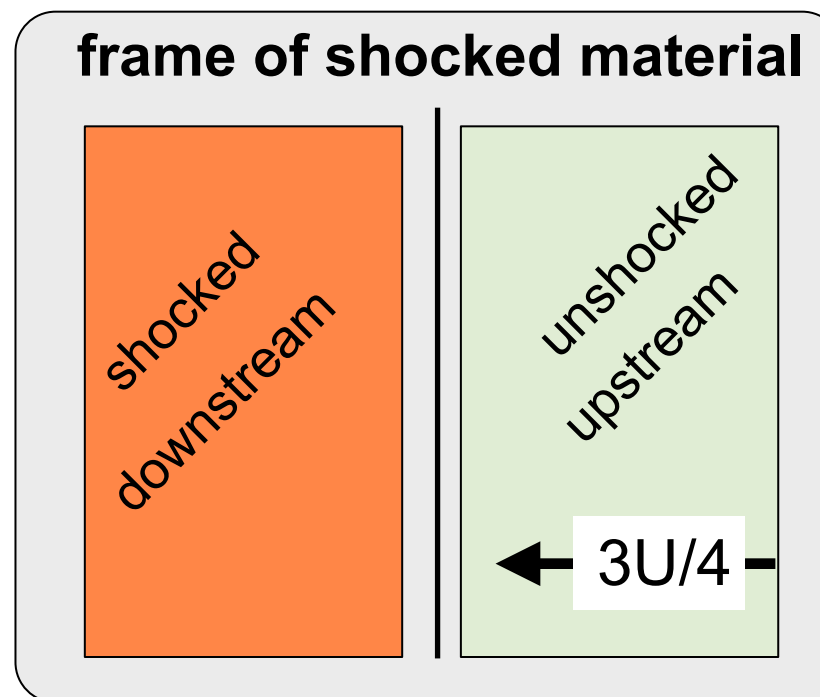
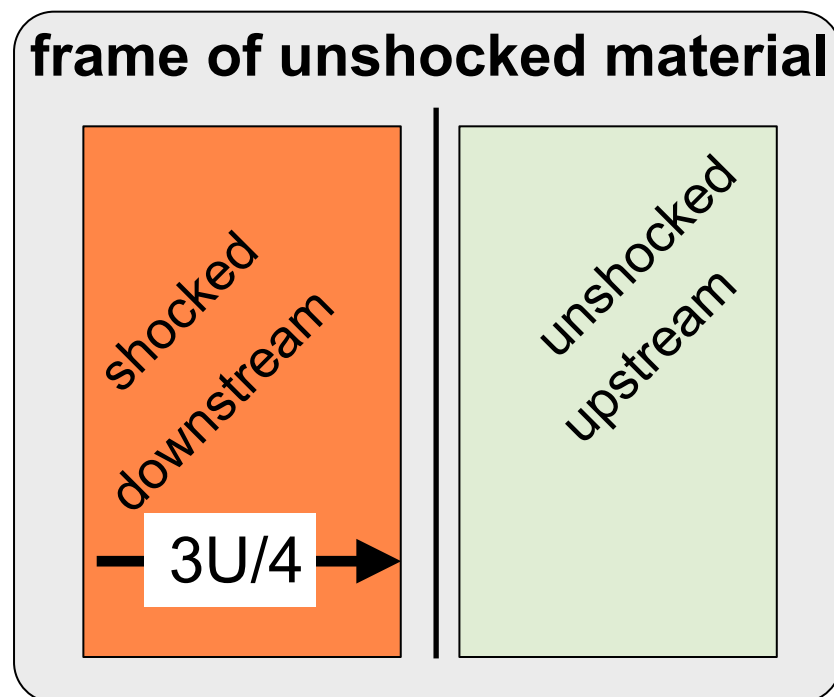
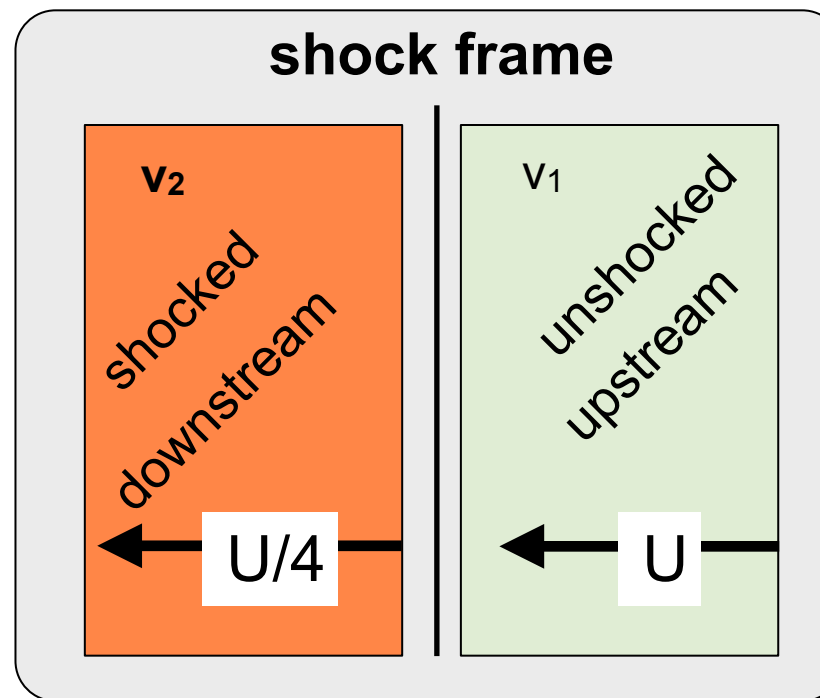
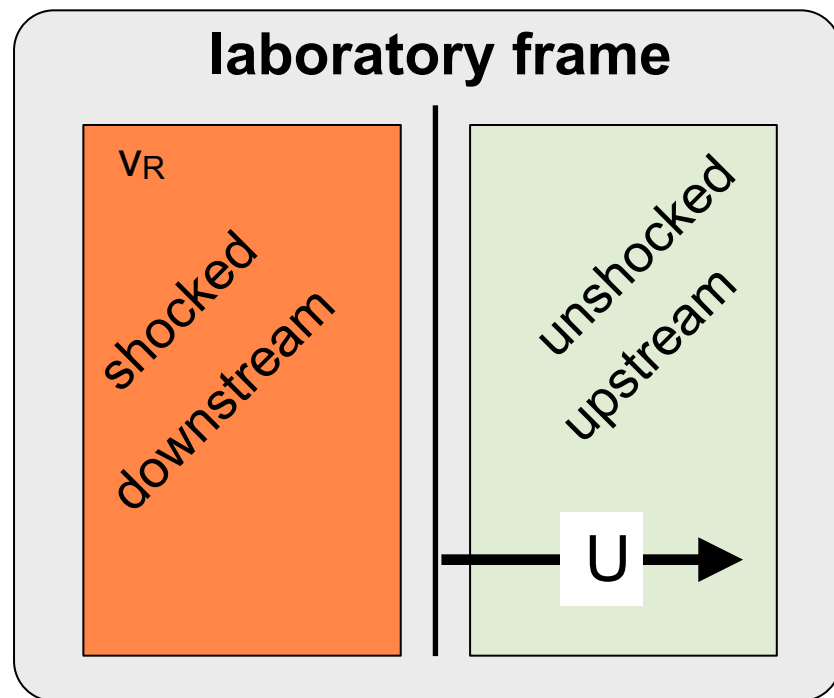
Literature

- > countless of good books: go to your (or DESY) library....
- > **Longair, M.**, High-Energy Astrophysics. *Cambridge University Press*
- > **Melia, F.**, High-Energy Astrophysics. *Princeton University Press*
- > **Rosswog, S. and Bruggen, M.**, Introduction to high-energy astrophysics. *Cambridge University Press*
- > **Stanev, T.**, High Energy Cosmic Rays, *Springer*
- > Many reviews on astro-ph





Shocks - frames of references



compression
ratio

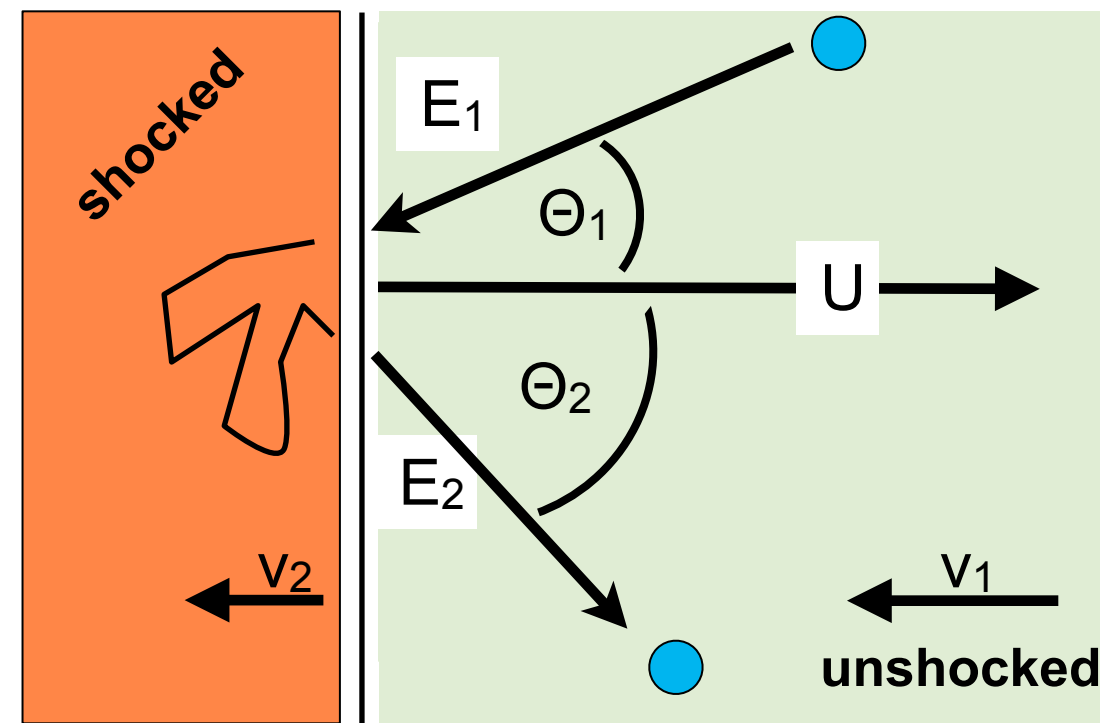
$$R \simeq \frac{U/v_R}{U/v_R - 1}$$

First-order Fermi acceleration

same situation as in second-order Fermi acceleration

quasi-isotropization of the particles direction

on average: head-on collision when crossing the shock



$$E_2 = \gamma^2 E_1 (1 + \beta \cos \Theta'_2) (1 - \beta \cos \Theta_1)$$

$$\langle E_2 \rangle = \gamma^2 E_1 (1 + \beta \langle \cos \Theta'_2 \rangle) (1 - \beta \langle \cos \Theta_1 \rangle)$$

probability that pitch angle is in the angular range Θ to $\Theta+d\Theta$: proportional to $\sin\Theta d\Theta$

$$\langle \cos \Theta_1 \rangle = \frac{\int_{-1}^0 \cos \Theta_1 d \cos \Theta_1}{\int_{-1}^0 d \cos \Theta_1} = -\frac{2}{3}$$

$$\langle \cos \Theta'_2 \rangle = \frac{\int_0^{+1} \cos \Theta'_2 d \cos \Theta'_2}{\int_0^{+1} d \cos \Theta'_2} = \frac{2}{3}$$

$$\beta = \frac{v_1 - v_2}{c}$$

$$\gamma = \frac{1}{\sqrt{1 - \beta^2}}$$

First/second-order Fermi acceleration

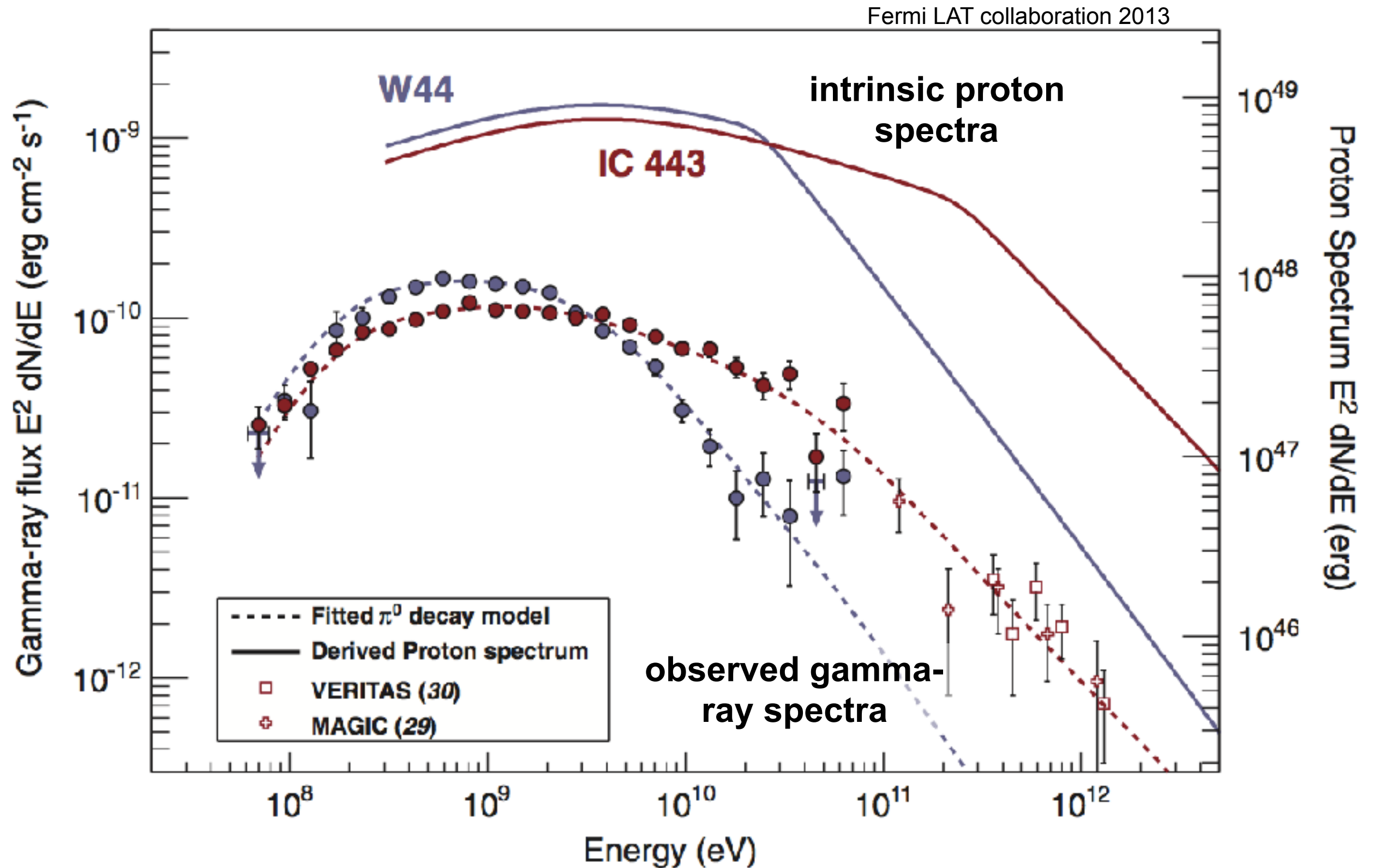
second-order stochastic Fermi acceleration (clouds)

$$\frac{\Delta E}{E} = \frac{4}{3} \frac{\beta^2}{1 - \beta^2} \approx \xi = \frac{4}{3} \beta^2$$

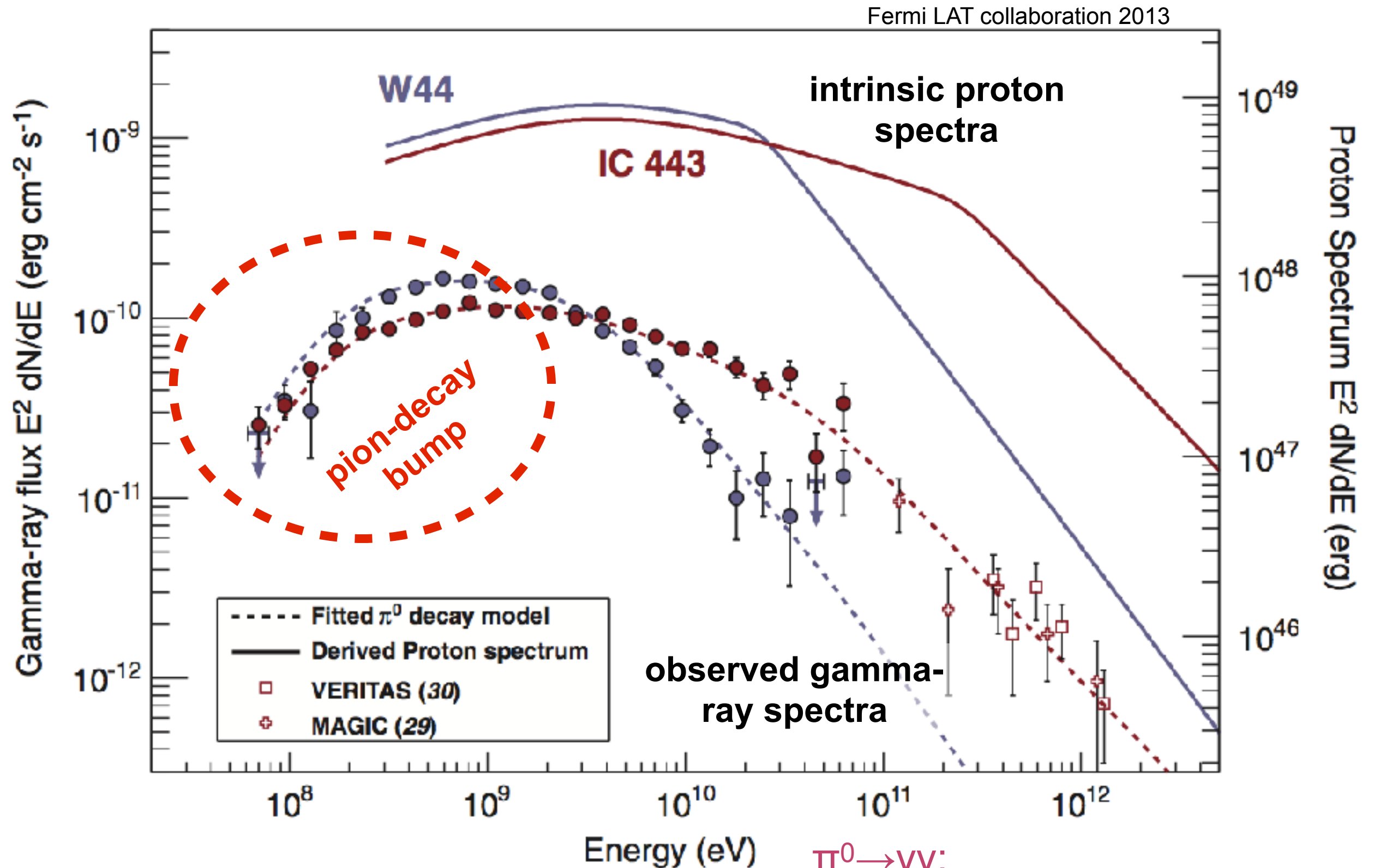
first-order stochastic Fermi acceleration (shocks) (diffusive shock acceleration)

$$\left\langle \frac{\Delta E}{E} \right\rangle = \frac{\langle E_2 \rangle - E_1}{E_1} \approx \xi = \frac{4}{3} \beta_s = \frac{4}{3} \frac{u_1 - u_2}{c}$$

Gamma-ray emission from Supernova Remnants



Gamma-ray emission from Supernova Remnants



$\pi^0 \rightarrow \gamma\gamma$:
 $E_\gamma = 67.5 \text{ MeV}$ (rest frame of π^0)