

IP

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IP package

-introduction

- IP is in the Calibration Framework.
- It includes two steps (required by the cal. framework):
 1. Inherit **CalibrationCollectorModule**;
A **IPCollectorModule** to find the event *ip*;
Store the *ip* (etc.) info. into **ntuple**.
 2. Inherit **CalibrationAlgorithm**;
a file named **IPAlgorithm** to fit the event *ip* distribution
(the **ntuple** is input);
Store the para.s in DB (temporary a .tex file)

- via ***IPCollectorModule*** (in the step 1), we finish

1. Event selection

2. Find the event *ip*

Previously, a vertexing algorithm made by ourselves to find event ip

- The code Get some criticizes/comments (the pull request related to BII-1996)

This PR does

- duplicate lots of code from framework and tracking
- due to duplication might have the wrong track parametrization
- seems to have its own vertex fitter

I suggest to have a look at vertex fitters. Try `vertexTree` (Kalman Filter) and `tagV` (weighted Kalman Filter). Both have a geometric extraction including the full covariance. `Bianca Scavino` V0 finder might be even better for this task because it can fit on hit level.

Reply · Create task · Create JIRA issue · Like · 🍷 Sam Cunliffe likes this · 25 Jun 2018

Updates

1. Documentation

*There was not clear explanation in the code (hard read) before.
We added.*

2. Use existing function

*We used a few our own functions (or class, e.g. Helix, vertex)
We removed them, replaced with existing functions*

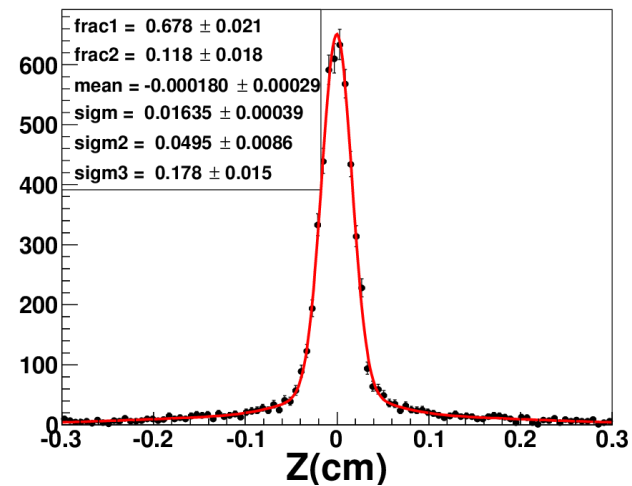
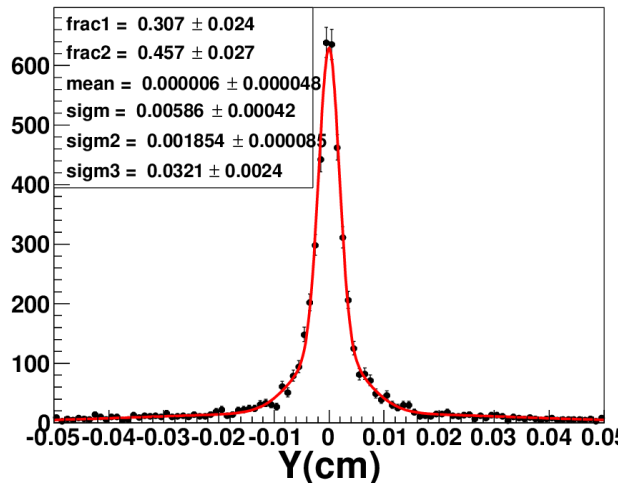
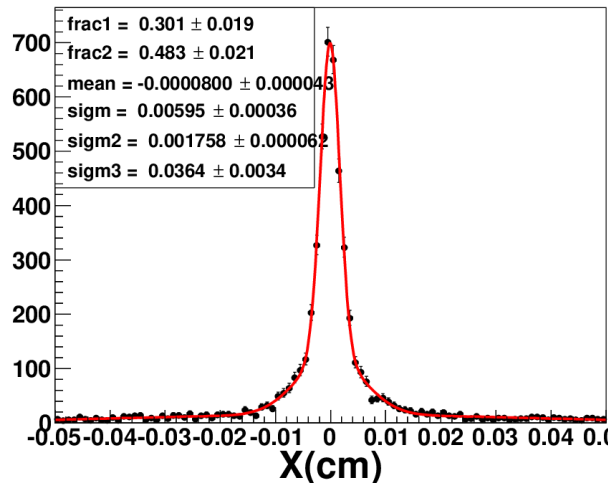
3. The vertexing (there are a few options)

1) V0: have 4 hypotheses of the mother particle (K_s , Λ , Λ bar, γ)
(modify the module/refitting when have muon pair ... Thanks to Banica...)

2) VertexFitter: (thank Jo.)
RaveVertexFitter ... (below use this) ...

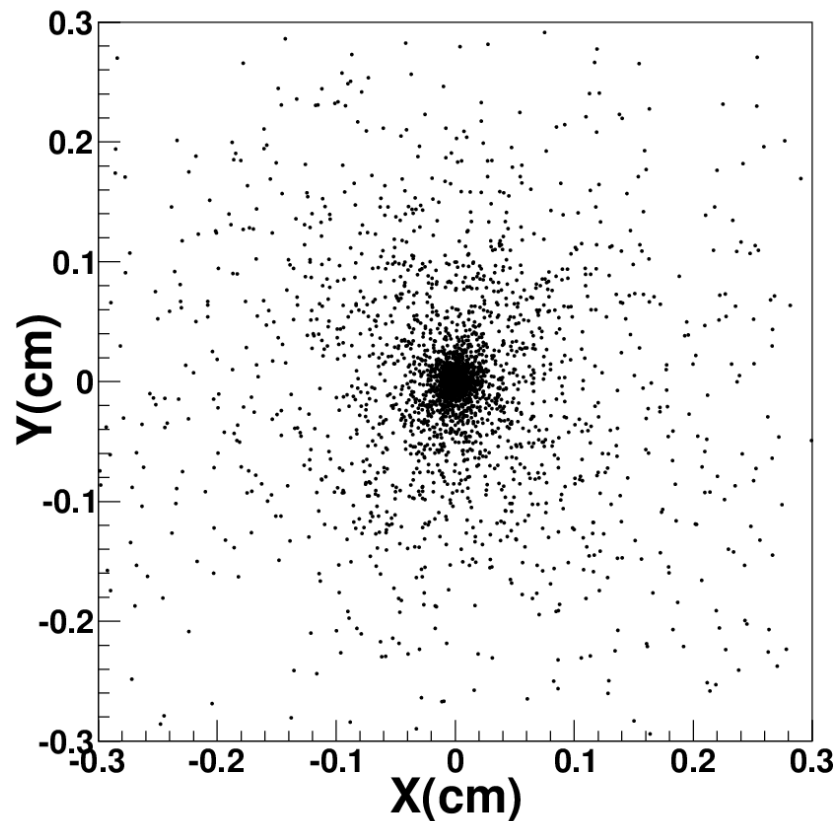
3) TagV:

(Three one dimensional fit) from *Roofit*



Results:

Plot the **y.vs.x**
use generated
Ntuple



3 Dimentional fit (use RooFit)

X: 3 Gaussian

Y: 3 Gaussian

Z: 3 Gaussian

$$\mathbf{PDF(XYZ)=PDF(X)*PDF(Y)*PDF(Z)}$$

Assume the x,y,z independent

Results in next page.

COVARIANCE MATRIX CALCULATED SUCCESSFULLY

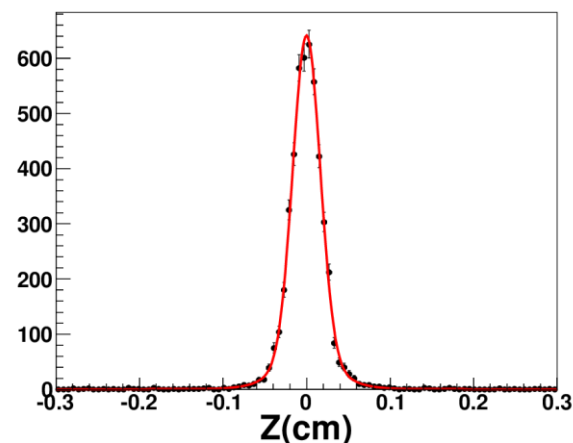
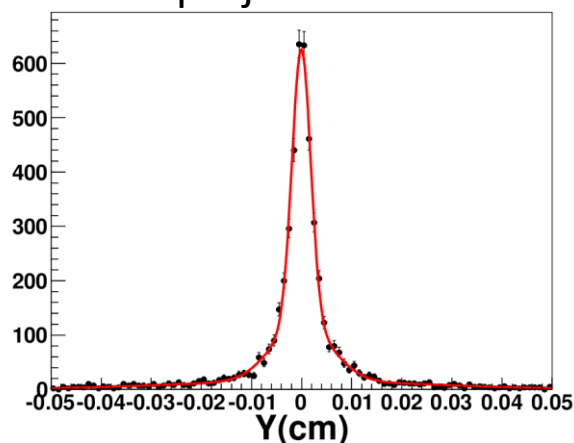
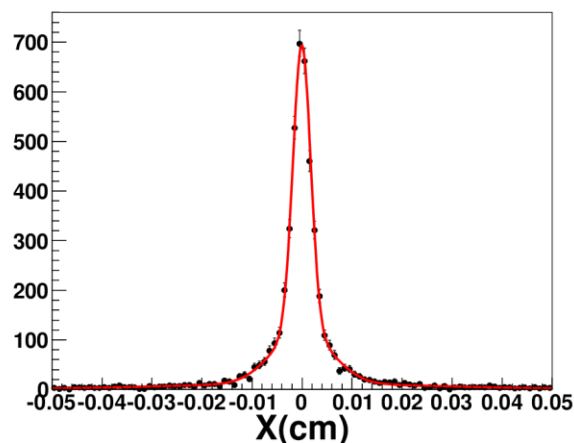
FCN=-47303.1 FROM HESSE STATUS=OK 187 CALLS 1444 TOTAL

EDM=2.81544e-05 STRATEGY= 1 ERROR MATRIX ACCURATE

EXT	PARAMETER	INTERNAL	INTERNAL		
NO.	NAME	VALUE	ERROR	STEP SIZE	VALUE
1	mean	-4.45155e-05	3.17592e-05	4.75822e-06	-2.22578e-04
2	xfrac1	5.30715e-01	2.28248e-02	7.47556e-05	6.14695e-02
3	xfrac2	3.20831e-01	2.01971e-02	9.03074e-05	-3.66488e-01
4	xsigm	1.77424e-03	6.25716e-05	6.27328e-05	-7.01223e-01
5	xsigm2	5.89642e-03	3.57812e-04	2.23648e-04	1.80258e-01
6	xsigm3	2.75902e-02	2.13534e-03	3.57751e-04	1.03794e-01
7	yfrac1	4.87305e-01	2.71956e-02	8.16369e-05	-2.53923e-02
8	yfrac2	3.20874e-01	2.38323e-02	1.01536e-04	-3.66395e-01
9	ysigm	1.86287e-03	8.04412e-05	7.04020e-05	-6.78243e-01
10	ysigm2	5.84724e-03	4.00531e-04	2.31052e-04	1.70269e-01
11	ysigm3	2.62780e-02	1.66193e-03	2.76386e-04	5.11405e-02
12	zfrac1	8.37605e-01	4.05534e-02	4.05039e-05	7.41250e-01
13	zfrac2	1.44879e-01	3.91384e-02	4.37874e-05	-7.89842e-01
14	zsigm	1.63268e-02	4.84246e-04	1.57907e-05	-1.20739e+00
15	zsigm2	3.63150e-02	3.87366e-03	4.83415e-05	-1.14139e+00
16	zsigm3	2.01479e-01	6.25190e-02	7.81716e-04	-5.19333e-01

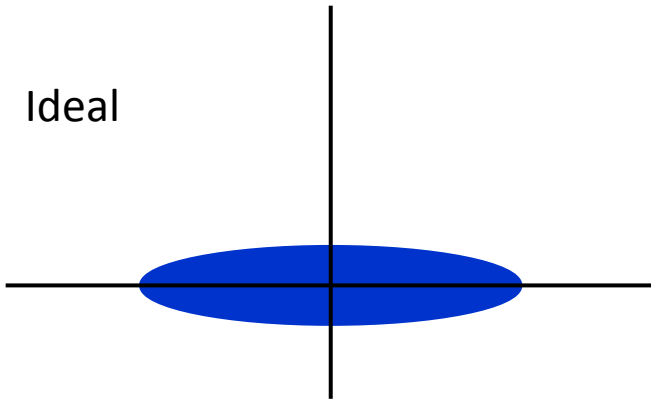
NO.	GLOBAL	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
1	0.06977	1.000	0.025	-0.018	0.032	0.029	0.014	-0.049	0.045	-0.059	-0.044	-0.014	-0.004	0.004	-0.003	-0.003	-0.000
2	0.96230	0.025	1.000	-0.869	0.764	0.777	0.326	-0.001	0.001	-0.001	-0.001	-0.000	-0.000	0.000	-0.000	-0.000	-0.000
3	0.93773	-0.018	-0.869	1.000	-0.694	-0.505	0.023	0.001	-0.001	0.001	0.001	0.000	0.000	-0.000	0.000	0.000	0.000
4	0.77047	0.032	0.764	-0.694	1.000	0.609	0.245	-0.002	0.001	-0.002	-0.001	-0.000	-0.000	0.000	-0.000	-0.000	-0.000
5	0.85912	0.029	0.777	-0.505	0.609	1.000	0.552	-0.001	0.001	-0.002	-0.001	-0.000	-0.000	0.000	-0.000	-0.000	-0.000
6	0.72068	0.014	0.326	0.023	0.245	0.552	1.000	-0.001	0.001	-0.001	-0.001	-0.000	-0.000	0.000	-0.000	-0.000	-0.000
7	0.96834	-0.049	-0.001	0.001	-0.002	-0.001	-0.001	1.000	-0.881	0.819	0.812	0.342	0.000	-0.000	0.000	0.000	0.000
8	0.94369	0.045	0.001	-0.001	0.001	0.001	0.001	-0.881	1.000	-0.753	-0.561	-0.009	-0.000	0.000	-0.000	-0.000	-0.000
9	0.82350	-0.059	-0.001	0.001	-0.002	-0.002	-0.001	0.819	-0.753	1.000	0.665	0.267	0.000	-0.000	0.000	0.000	0.000
10	0.88158	-0.044	-0.001	0.001	-0.001	-0.001	-0.001	0.812	-0.561	0.665	1.000	0.553	0.000	-0.000	0.000	0.000	0.000
11	0.72361	-0.014	-0.000	0.000	-0.000	-0.000	-0.000	0.342	-0.009	0.267	0.553	1.000	0.000	-0.000	0.000	0.000	0.000
12	0.99812	-0.004	-0.000	0.000	-0.000	-0.000	-0.000	0.000	-0.000	0.000	0.000	0.000	1.000	-0.996	0.872	0.920	0.313
13	0.99785	0.004	0.000	-0.000	0.000	0.000	0.000	-0.000	0.000	-0.000	-0.000	-0.000	-0.996	1.000	-0.873	-0.901	-0.257
14	0.87600	-0.003	-0.000	0.000	-0.000	-0.000	-0.000	0.000	-0.000	0.000	0.000	0.000	0.872	-0.873	1.000	0.770	0.243
15	0.93825	-0.003	-0.000	0.000	-0.000	-0.000	-0.000	0.000	-0.000	0.000	0.000	0.000	0.920	-0.901	0.770	1.000	0.438
16	0.70254	-0.000	-0.000	0.000	-0.000	-0.000	-0.000	0.000	-0.000	0.000	0.000	0.000	0.313	-0.257	0.243	0.438	1.000

The projections of 3D fit



Possible rotation

Ideal



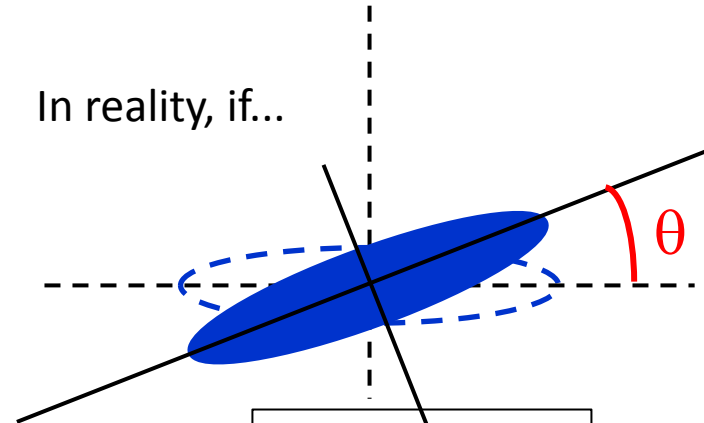
Parameterize

(X: 2~3 Gauss)

(Y: 2~3 Gauss)

(Z: 2~3 Gauss)

In reality, if...



Parameters:

(X: 2~3 Gauss)

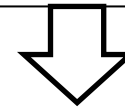
(Y: 2~3 Gauss)

(Z: 2~3 Gauss)

(X: θ_x)

(Y: θ_y)

(Z: θ_z)



Un-normalized function:

$$\begin{pmatrix} 1 & 0 & 0 \\ 0 & \cos\theta_x & -\sin\theta_x \\ 0 & \sin\theta_x & \cos\theta_x \end{pmatrix} \cdot \begin{pmatrix} \cos\theta_y & 0 & \sin\theta_y \\ 0 & 1 & 0 \\ -\sin\theta_y & 0 & \cos\theta_y \end{pmatrix} \cdot \begin{pmatrix} \cos\theta_z & -\sin\theta_z & 0 \\ \sin\theta_z & \cos\theta_z & 0 \\ 0 & 0 & 1 \end{pmatrix} \cdot \begin{pmatrix} F1(x) \\ F2(y) \\ F3(z) \end{pmatrix}$$

$$\begin{aligned}
& \left(-\frac{e^{-\frac{(mz-Z)^2}{2\sigma_z^2}}(-1+\frac{\text{fracz1}}{\sigma_z}+\frac{\text{fracz2}}{\sigma_z})}}{\sigma_z} + \frac{e^{-\frac{(mz-Z)^2}{2\sigma_z^2}}\frac{\text{fracz1}}{\sigma_z}}{\sigma_z} + \frac{e^{-\frac{(mz-Z)^2}{2\sigma_z^2}}\frac{\text{fracz2}}{\sigma_z}}{\sigma_z} \right) \sin[\text{they}] + \cos[\text{they}] \left(\left(-\frac{e^{-\frac{(mx-X)^2}{2\sigma_x^2}}(-1+\frac{\text{fracx1}}{\sigma_x}+\frac{\text{fracx2}}{\sigma_x})}}{\sigma_x} + \frac{e^{-\frac{(mx-X)^2}{2\sigma_x^2}}\frac{\text{fracx1}}{\sigma_x}}{\sigma_x} + \frac{e^{-\frac{(mx-X)^2}{2\sigma_x^2}}\frac{\text{fracx2}}{\sigma_x}}{\sigma_x} \right) \cos[\text{thez}] + \left(\frac{e^{-\frac{(my-Y)^2}{2\sigma_y^2}}(-1+\frac{\text{fracy1}}{\sigma_y}+\frac{\text{fracy2}}{\sigma_y})}}{\sigma_y} - \frac{e^{-\frac{(my-Y)^2}{2\sigma_y^2}}\frac{\text{fracy1}}{\sigma_y}}{\sigma_y} - \frac{e^{-\frac{(my-Y)^2}{2\sigma_y^2}}\frac{\text{fracy2}}{\sigma_y}}{\sigma_y} \right) \sin[\text{thez}] \right) \\
& \quad \sqrt{2\pi} \\
& = \left(\frac{1}{\sqrt{2\pi}} \left(-\frac{e^{-\frac{(mz-Z)^2}{2\sigma_z^2}}(-1+\frac{\text{fracz1}}{\sigma_z}+\frac{\text{fracz2}}{\sigma_z})}}{\sigma_z} + \frac{e^{-\frac{(mz-Z)^2}{2\sigma_z^2}}\frac{\text{fracz1}}{\sigma_z}}{\sigma_z} + \frac{e^{-\frac{(mz-Z)^2}{2\sigma_z^2}}\frac{\text{fracz2}}{\sigma_z}}{\sigma_z} \right) \cos[\text{they}] \sin[\text{thex}] + \left(-\frac{e^{-\frac{(mx-X)^2}{2\sigma_x^2}}(-1+\frac{\text{fracx1}}{\sigma_x}+\frac{\text{fracx2}}{\sigma_x})}}{\sigma_x} + \frac{e^{-\frac{(mx-X)^2}{2\sigma_x^2}}\frac{\text{fracx1}}{\sigma_x}}{\sigma_x} + \frac{e^{-\frac{(mx-X)^2}{2\sigma_x^2}}\frac{\text{fracx2}}{\sigma_x}}{\sigma_x} \right) (\cos[\text{thez}] \sin[\text{thex}] \sin[\text{they}] + \cos[\text{thex}] \sin[\text{thez}]) + \right. \\
& \quad \left(-\frac{e^{-\frac{(my-Y)^2}{2\sigma_y^2}}(-1+\frac{\text{fracy1}}{\sigma_y}+\frac{\text{fracy2}}{\sigma_y})}}{\sigma_y} + \frac{e^{-\frac{(my-Y)^2}{2\sigma_y^2}}\frac{\text{fracy1}}{\sigma_y}}{\sigma_y} + \frac{e^{-\frac{(my-Y)^2}{2\sigma_y^2}}\frac{\text{fracy2}}{\sigma_y}}{\sigma_y} \right) (\cos[\text{thex}] \cos[\text{thez}] - \sin[\text{thex}] \sin[\text{they}] \sin[\text{thez}]) \right) \\
& \quad \frac{1}{\sqrt{2\pi}} \left(\left(-\frac{e^{-\frac{(mz-Z)^2}{2\sigma_z^2}}(-1+\frac{\text{fracz1}}{\sigma_z}+\frac{\text{fracz2}}{\sigma_z})}}{\sigma_z} + \frac{e^{-\frac{(mz-Z)^2}{2\sigma_z^2}}\frac{\text{fracz1}}{\sigma_z}}{\sigma_z} + \frac{e^{-\frac{(mz-Z)^2}{2\sigma_z^2}}\frac{\text{fracz2}}{\sigma_z}}{\sigma_z} \right) \cos[\text{thex}] \cos[\text{they}] + \left(-\frac{e^{-\frac{(mx-X)^2}{2\sigma_x^2}}(-1+\frac{\text{fracx1}}{\sigma_x}+\frac{\text{fracx2}}{\sigma_x})}}{\sigma_x} + \frac{e^{-\frac{(mx-X)^2}{2\sigma_x^2}}\frac{\text{fracx1}}{\sigma_x}}{\sigma_x} + \frac{e^{-\frac{(mx-X)^2}{2\sigma_x^2}}\frac{\text{fracx2}}{\sigma_x}}{\sigma_x} \right) (-\cos[\text{thex}] \cos[\text{thez}] \sin[\text{they}] + \sin[\text{thex}] \sin[\text{thez}]) + \right. \\
& \quad \left. \left(-\frac{e^{-\frac{(my-Y)^2}{2\sigma_y^2}}(-1+\frac{\text{fracy1}}{\sigma_y}+\frac{\text{fracy2}}{\sigma_y})}}{\sigma_y} + \frac{e^{-\frac{(my-Y)^2}{2\sigma_y^2}}\frac{\text{fracy1}}{\sigma_y}}{\sigma_y} + \frac{e^{-\frac{(my-Y)^2}{2\sigma_y^2}}\frac{\text{fracy2}}{\sigma_y}}{\sigma_y} \right) (\cos[\text{thez}] \sin[\text{thex}] + \cos[\text{thex}] \sin[\text{they}] \sin[\text{thez}]) \right)
\end{aligned}$$

Now we are normalizing the function $\Rightarrow$ PDF

Thomas Kuhr suggested “*Then fit a three dimensional Gaussian to the vertex positions taking into account their covariance matrices....*”

If the fit succeeds, he will be satisfied it? Then how?

In plans:

1. Normalize the function, change it to PDF.
2. Perform fit.
3. Merge to master.
4. Run skimmed data.
5. Compare the IP from other process .
6. ...