$B_s^0 \rightarrow \phi \mu^+ \mu^-$  from LHCb 12th Annual Meeting of the Helmholtz Alliance "Physics at the Terascale"

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flavor-changing neutral current (FCNC) forbidden at tree level in SM

- rare decay
- ▶ sensitive to new virtual, heavy particles
- ▶ accessible scales of  $\mathcal{O}(100 \text{TeV})$  [A. Buras, arxiv:1505.00618]
- $\blacktriangleright$  can affect  ${\mathcal B}$  and angular observables

key quantity  $q^2 = m^2 (\mu^+ \mu^-)$ 









- ▶ tensions up to  $3.3\sigma$  for  $\mathcal{B}(B^0_s \to \phi(\to K^+K^-)\mu^+\mu^-)$ 
  - Run 2 update by S. Kretzschmar
- ▶  $\mathcal{B}$  measurements
  - SM theory uncertainty large (e.g. form factors)
  - other systematic uncertainties (e.g. normalization channel)
- angular analysis:
  - observables are phase space ratios  $\rightarrow$  smaller theory uncertainties
  - Run 1 analysis statistically limited  $\rightarrow$  Run 2 update















- flight distance  $\mathcal{O}(cm)$
- IP resolution  $(15 + 29/p_T [\text{GeV}]) \ [\mu\text{m}]$























- ▶ used in prev. Run 1 analysis: 2011+2012
- ▶ planned for this analysis: 2011+2012 and 2016, roughly doubling statistics



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production cross sections for  $b\bar{b}X$ :

- $\blacktriangleright$  72.0 ± 0.3 ± 6.8µb (7 TeV)
- $144 \pm 1 \pm 21 \mu b (13 \text{ TeV})$

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- ► LHCb-wide preselection
  - good vertex quality  $(\chi^2_{vtx})$
  - $B_{\rm s}^0$  points back to PV
  - large separation of B decay vertex (significant lifetime)
- within  $\phi$  mass window:  $|m(K^+K^-) - m(\phi)| < 3 \cdot \Gamma_{pdg}(\phi)$
- loose Kaon particle ID selection (improved for update)









Effect Of MVA



Run 1 Data











 $= \frac{9}{32\pi} \left[\frac{3}{4}(1-F_L)\sin^2\theta_k(1+\frac{1}{3}\cos 2\theta_l) + F_L\cos^2\theta_k(1-\cos 2\theta_l) + S_3\sin^2\theta_k\sin^2\theta_l\cos 2\phi + S_4\sin 2\theta_k\sin 2\theta_l\cos\phi + A_5\sin 2\theta_k\sin\theta_l\cos\phi + A_5\sin 2\theta_k\sin\theta_l\cos\phi + S_7\sin 2\theta_k\sin\theta_l\sin\phi + A_8\sin 2\theta_k\sin 2\theta_l\sin\phi + A_9\sin^2\theta_k\sin^2\theta_l\sin2\phi\right]$ 

 $S_i$  CP-averaged  $A_i$  CP-asymmetries







- $\blacktriangleright$  trigger, reconstruction and selection distort decay angles and  $q^2$  distributions
- ▶ angular acceptance accounts for distortion
- ▶ parametrize 4D efficiency using Legendre polynomials:





extract  $c_{klmn}$  via method of moments





## Checking Acceptance on Simulation



- extract angular observables from  $B_s^0 \to \phi \mu^+ \mu^- MC$  in  $q^2$  bins
- ▶ compare generated to extracted value
- ▶ values agree if acceptance is taken into account correctly



▶ values compatible within uncertainties for all observables

• check on control mode data with  $B_{\rm s}^0 \to J/\psi(\to \mu^+\mu^-)\phi$ 



 $f_{\text{sig}} \cdot \left(f_1 \cdot \frac{\text{CB}_1(\textbf{m}, \alpha_1, \textbf{n}_1, \mu_1, \sigma_1)}{\mathcal{N}(CB_1)} + (1 - f_1) \cdot \frac{\text{CB}_2(\textbf{m}, \alpha_2, \textbf{n}_2, \mu_2, \sigma_2)}{\mathcal{N}(CB_2)}\right) + (1 - f_{\text{sig}}) \cdot \frac{\exp(m, a)}{\mathcal{N}(\exp(m) - f_{\text{sig}})}$ 









- ► signal described by  $\frac{\epsilon(\cos\theta_k,\cos\theta_l,\phi,q^2)}{d(\Gamma+\bar{\Gamma})/dq^2} \frac{d^3(\Gamma+\bar{\Gamma})}{d\cos\theta_l d\cos\theta_k d\Phi}$
- $\blacktriangleright$  background described by Legendre polynomial of order 2
- ▶ angular acceptance taken into account
- ▶ data well described by fit
- ▶ able to reproduce results from Run 1 analysis









- derived angular acceptance
- performed fit to  $B_{\rm s}^0 \to J/\psi\phi$
- ▶ Run 1 and Run 2 values compatible
- checks still ongoing













shown today:

- improved selection
- ▶ determination of angular acceptance
- validated acceptance with simulation and control mode (Run 1, Run 2)

next steps:

- ▶ finalize background study
- develop simultaneous fitting for Run 1 + 2
- evaluate systematics

























- perform unbinned maximum likelihood fit of mass and 3 angles used to determine angular observables
- ▶ probability density function including angular acceptance

$$-\ln \mathcal{L}(\vec{\lambda}) = -\sum_{i}^{N} \ln \left[ f_{\text{sig}} \cdot S(m, \Theta_{l}, \Theta_{K}, \phi | \vec{\lambda}) + (1 - f_{\text{sig}}) \cdot B(m, \Theta_{l}, \Theta_{K}, \phi | \vec{\lambda}) \right]$$
$$S(m, \Theta_{l}, \Theta_{K}, \Phi | \vec{\lambda}) = S(m | \vec{\lambda}) \cdot \left[ \epsilon(\theta_{l}, \theta_{k}, \phi, q_{\text{bin}}^{2}) \cdot S(\Theta_{l}, \Theta_{K}, \Phi | \vec{\lambda}) \right] / \mathcal{N}_{\text{sig}}$$
$$B(m, \Theta_{l}, \Theta_{K}, \Phi | \vec{\lambda}) = B(m | \vec{\lambda}) \cdot \left[ \epsilon(\theta_{l}, \theta_{k}, \phi, q_{\text{bin}}^{2}) \cdot B(\Theta_{l}, \Theta_{K}, \Phi | \vec{\lambda}) \right] / \mathcal{N}_{\text{bkg}}$$

- physics and nuisance parameters  $\vec{\lambda}$
- ▶ check procedure on  $B_{\rm s}^0 \to J/\psi(\to \mu^+\mu^-)\phi$  mode







### Angular Observables





$$\begin{split} B^0_{\rm s} \ , \ \bar{B}^0_{\rm s} \ & \text{not distinguishable as } \phi \to K^+ K^- \\ & \frac{\mathrm{d}^3 \Gamma(B^0_{\rm s} \to \phi \mu^+ \mu^-)}{\mathrm{dcos} \theta_l \mathrm{dcos} \theta_k \mathrm{d} \phi} \\ &= \ \frac{9}{32\pi} [\frac{3}{4} (1 - J_1^c) \sin^2 \theta_k (1 + \frac{1}{3} \cos 2\theta_l) + J_1^c \cos^2 \theta_k (1 - \cos 2\theta_l) + J_3 \sin^2 \theta_k \sin^2 \theta_l \cos 2\phi \\ & + J_4 \sin 2\theta_k \sin 2\theta_l \cos \phi + J_5 \sin 2\theta_k \sin \theta_l \cos \phi + J_6^J \sin^2 \theta_k \cos \theta_l \\ & + J_7 \sin 2\theta_k \sin \theta_l \sin \phi + J_8 \sin 2\theta_k \sin 2\theta_l \sin \phi + J_9 \sin^2 \theta_k \sin^2 \theta_l \sin 2\phi] \end{split}$$



# *Lнср*

## Angular Observables





 $B^0_{\rm s}$  ,  $\bar{B}^0_{\rm s}$  not distinguishable as  $\phi \to K^+ K^-$ 

$$\frac{\mathrm{d}^{3}\bar{\Gamma}(\bar{B}_{\mathrm{s}}^{0} \rightarrow \phi \mu^{+} \mu^{-})}{\mathrm{d} \cos\theta_{l} \mathrm{d} \cos\theta_{k} \mathrm{d} \phi}$$

$$= \frac{9}{32\pi} \left[\frac{3}{4}(1-\bar{J}_1^c)\sin^2\theta_k(1+\frac{1}{3}\cos 2\theta_l) + \bar{J}_1^c\cos^2\theta_k(1-\cos 2\theta_l) + \bar{J}_3\sin^2\theta_k\sin^2\theta_l\cos 2\phi \right. \\ \left. + \bar{J}_4\sin 2\theta_k\sin 2\theta_l\cos\phi - \bar{J}_5\sin 2\theta_k\sin\theta_l\cos\phi - \bar{J}_6^s\sin^2\theta_k\cos\theta_l \right. \\ \left. + \bar{J}_7\sin 2\theta_k\sin\theta_l\sin\phi - \bar{J}_8\sin 2\theta_k\sin 2\theta_l\sin\phi - \bar{J}_9\sin^2\theta_k\sin^2\theta_l\sin2\phi_l\right]$$



# *LHCb*

## Angular Observables





$$\begin{split} B^0_{\rm s} \ , \ \bar{B}^0_{\rm s} \ \text{ not distinguishable as } \phi \to K^+ K^- \\ & \frac{1}{\mathrm{d}(\Gamma + \bar{\Gamma})/\mathrm{dq}^2} \left[ \frac{\mathrm{d}^3 \Gamma (B^0_{\rm s} \to \phi \mu^+ \mu^-)}{\mathrm{dcos} \theta_l \mathrm{dcos} \theta_k \mathrm{d} \phi} + \frac{\mathrm{d}^3 \bar{\Gamma} (\bar{B}^0_{\rm s} \to \phi \mu^+ \mu^-)}{\mathrm{dcos} \theta_l \mathrm{dcos} \theta_k \mathrm{d} \phi} \right] \\ &= \frac{9}{32\pi} [\frac{3}{4} (1 - F_L) \sin^2 \theta_k (1 + \frac{1}{3} \cos 2\theta_l) + F_L \cos^2 \theta_k (1 - \cos 2\theta_l) + S_3 \sin^2 \theta_k \sin^2 \theta_l \cos 2\phi}{+ S_4 \sin 2\theta_k \sin 2\theta_l \cos \phi} + \frac{A_5 \sin 2\theta_k \sin 2\theta_l \cos \phi}{A_5 \sin 2\theta_k \sin \theta_l \cos \phi} + \frac{A_6 \sin^2 \theta_k \cos \theta_l}{A_6 \sin^2 \theta_k \sin^2 \theta_l \sin 2\phi} \\ &+ S_7 \sin 2\theta_k \sin \theta_l \sin \phi + A_8 \sin 2\theta_k \sin 2\theta_l \sin \phi + A_9 \sin^2 \theta_k \sin^2 \theta_l \sin 2\phi] \\ \frac{J_i + \bar{J}_i}{\mathrm{d}(\Gamma + \bar{\Gamma})/\mathrm{dq}^2} &= S_i \ \mathrm{CP}\text{-averaged} \quad \frac{J_i - \bar{J}_i}{\mathrm{d}(\Gamma + \bar{\Gamma})/\mathrm{dq}^2} = A_i \ \mathrm{CP}\text{-asymmetries} \\ & \mathsf{Marcel Materok} \end{split}$$





#### Two main approaches for combining PID information

- Likelihood ratio (DLL)  $\Delta \ln \mathcal{L}_{K\pi} = \ln \frac{\mathcal{L}(K)}{\mathcal{L}(\pi)}$ , with  $\mathcal{L}(\text{track}) = \mathcal{L}^{\text{RICH}} \cdot \mathcal{L}^{\text{CALO}} \cdot \mathcal{L}^{\text{MUON}}$
- $\blacktriangleright$  Neural network classifiers  ${\rm ProbNN}K, \pi, e, \mu$ 
  - Bayesian probability like output
  - Adds tracking information
  - Separate neural network for every particle type









- ▶ BDT (from TMVA) with 10 kFolds
- ▶ input variables:
  - B0 ENDVERTEX  $\chi^2$
  - B0 PT
  - B0 ownPV IPCHI2
  - B0 ownPV FDCHI2
  - B0 ownPV DIRA
  - $\min(K_probNNk)$
  - $\max(K_ProbNNk)$
  - min( $\mu$ \_ProbNNmu)
  - $(K,\mu)$ \_IPCHI2\_OWNPV
- ► optimize  $\frac{S}{\sqrt{S+B}}$  (B from combinatorial)
- working point:
  - 95.5% signal efficiency
  - 98.5% background rejection











#### used for my analysis:

- ► hardware:
  - single muon trigger,  $p_T > 1.6 \text{GeV}$
- ► software:
  - detached high  $p_T$  tracks
  - B-like signatures









Run1 lines	Run2 lines
L0Muon	L0Muon
L0DiMuon	L0DiMuon
Hlt1TrackAllL0	Hlt1TrackMVA, Hlt1TwoTrackMVA
Hlt1TrackMuon	Hlt1TrackMuon
Hlt1DiMuonLowMass	
Hlt1DiMuonHighMass	
$\frac{Hlt1SingleMuonHighPT}{}$	
Hlt2Topo(2,3,4)BodyBBDT	Hlt2Topo(2,3,4)BodyBBDT
Hlt2TopoMu(2,3,4)BodyBBDT	Hlt2TopoMu(2,3,4)BodyBBDT
$\frac{\text{Hlt2SingleMuon}}{\text{Hlt2SingleMuon}}$	
Hlt2DiMuonDetached	
Hlt 2 Di Mu on Detached Heavy	Hlt 2 Di Mu on Detached Heavy



