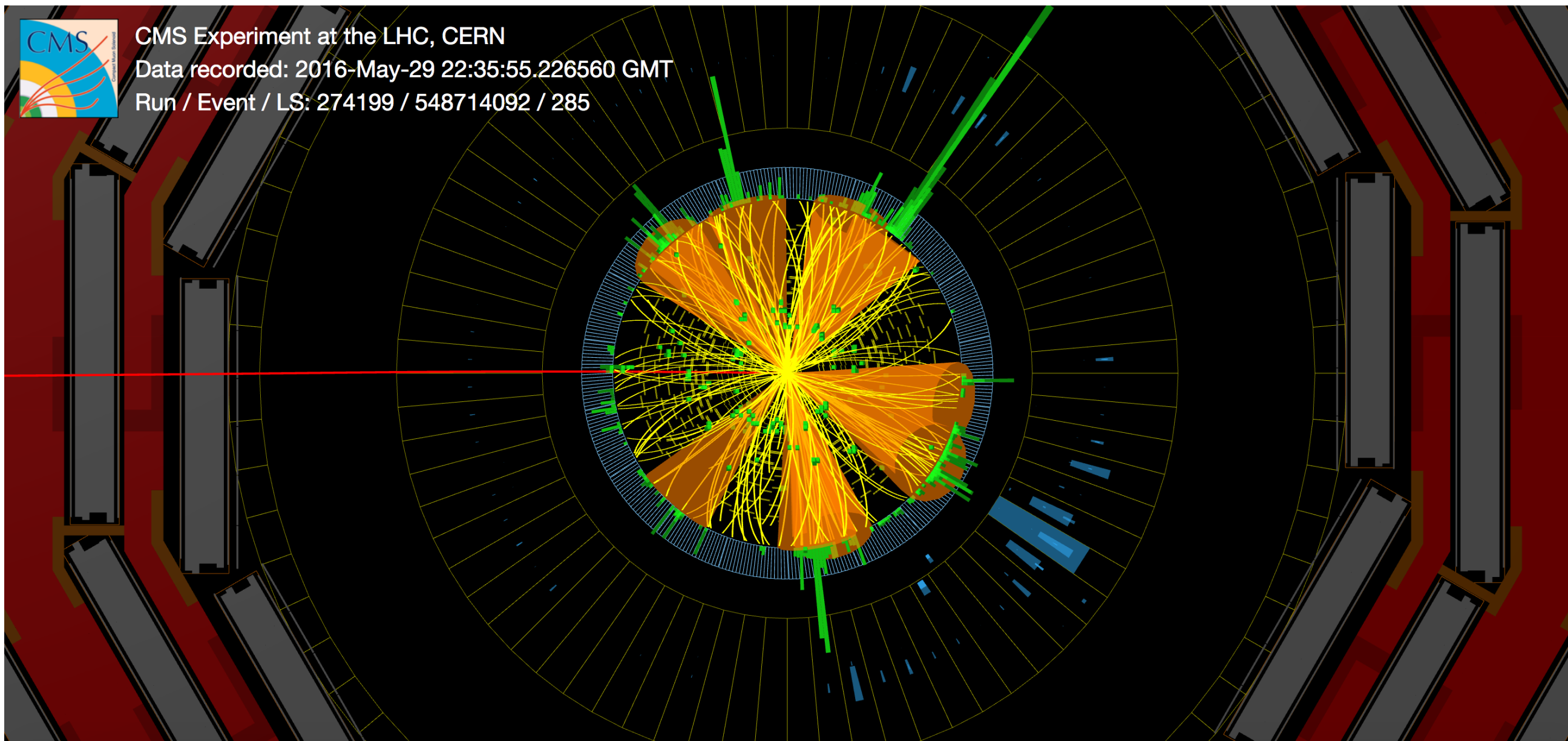


Deep Neural Networks for Data Analysis with the CMS Detector at the LHC

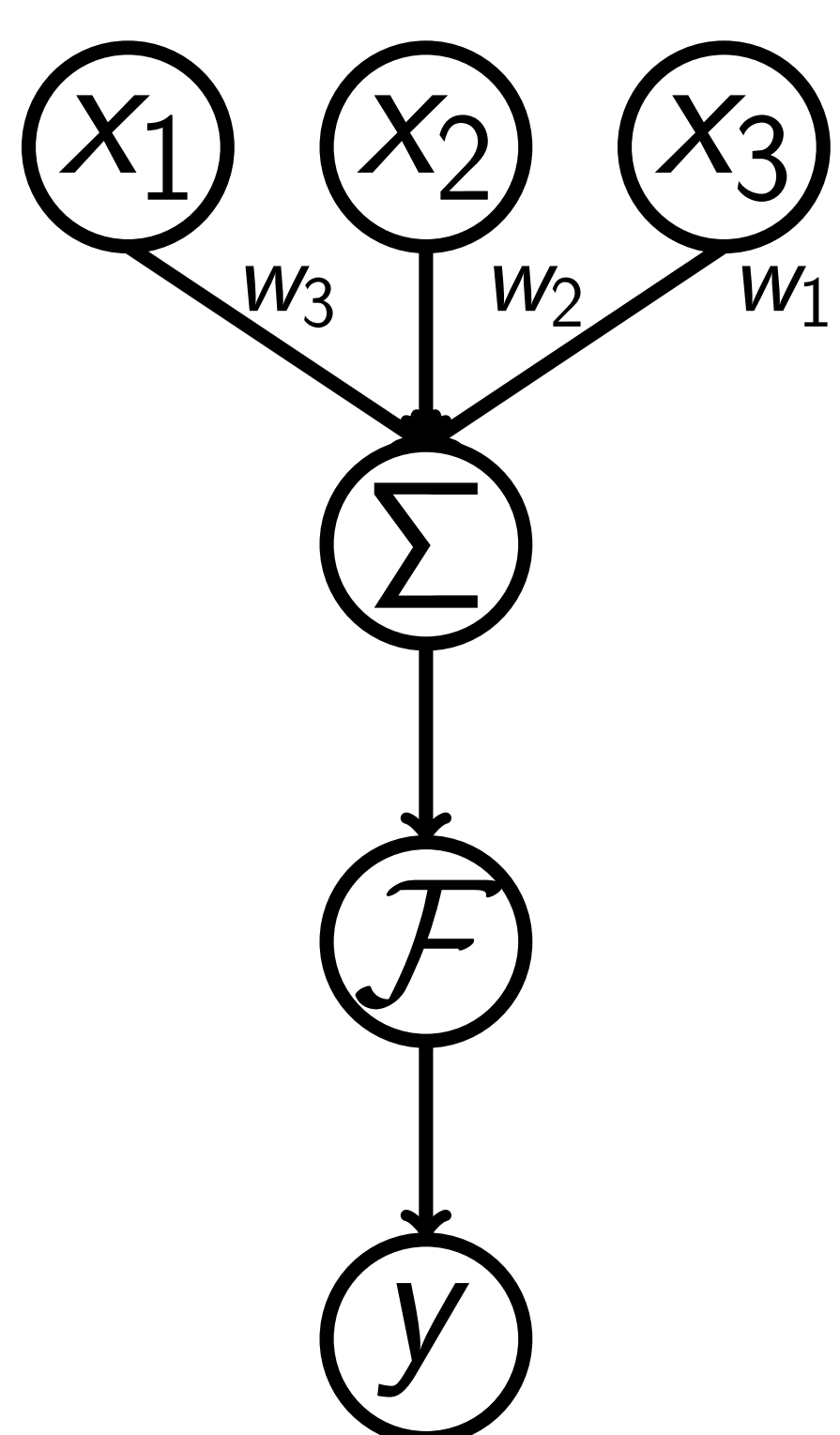
D. Brunner, L. Didukh, D. Krücker, I. Melzer-Pellmann, A. Mohamed



Deep neural network and CMS CMS event display.

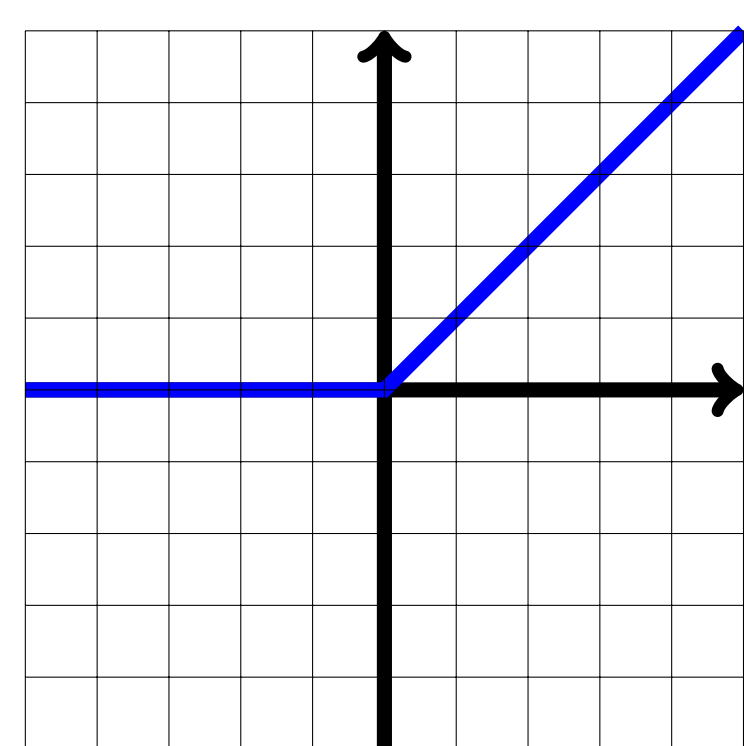


Neuron of a network.



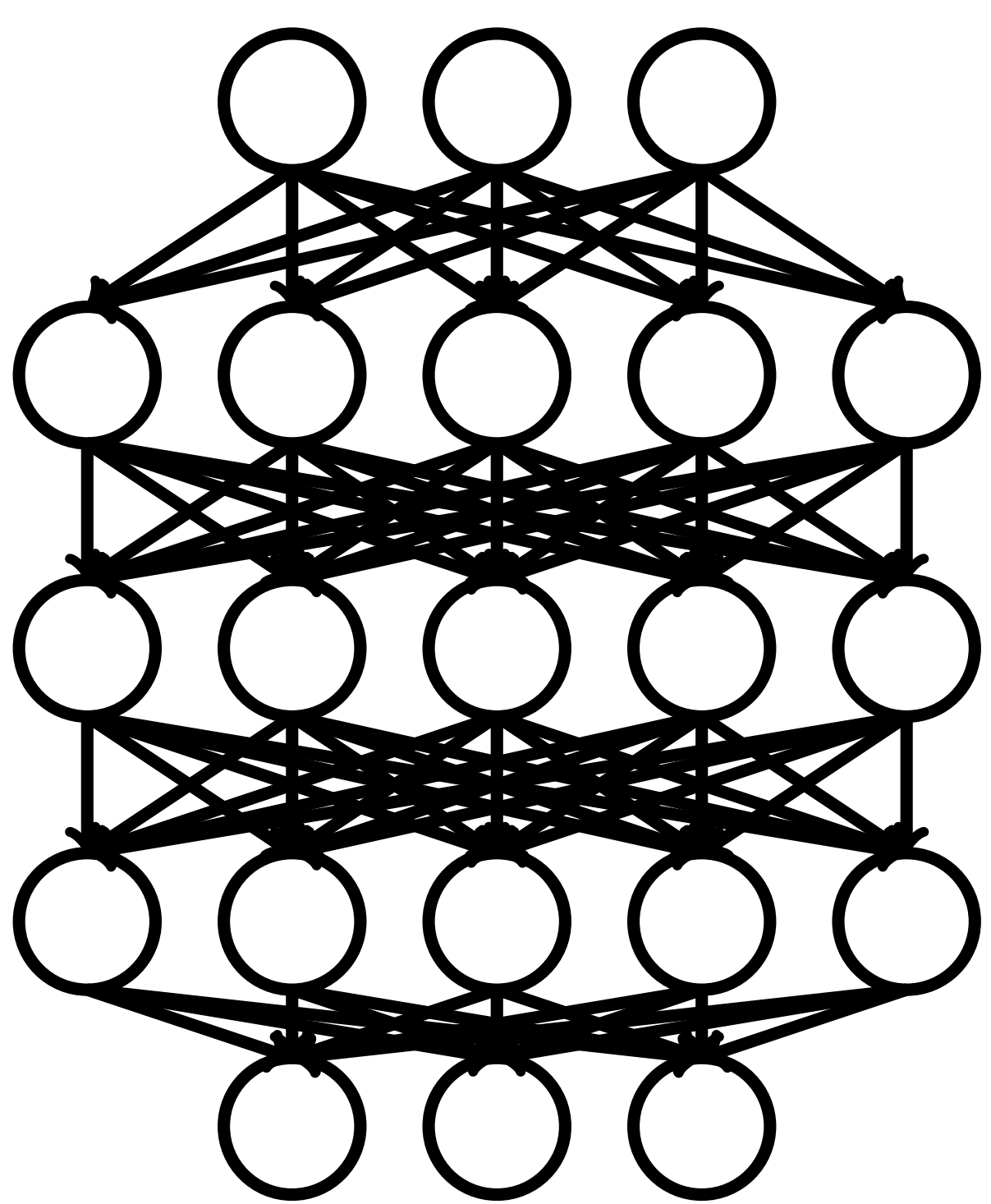
Σ : Matrix multiplication $\sum_{i=1}^N w_i x_i + b_i$

\mathcal{F} : Non-linear activation, e.g. ReLU



y : Output node

Fully connected network.

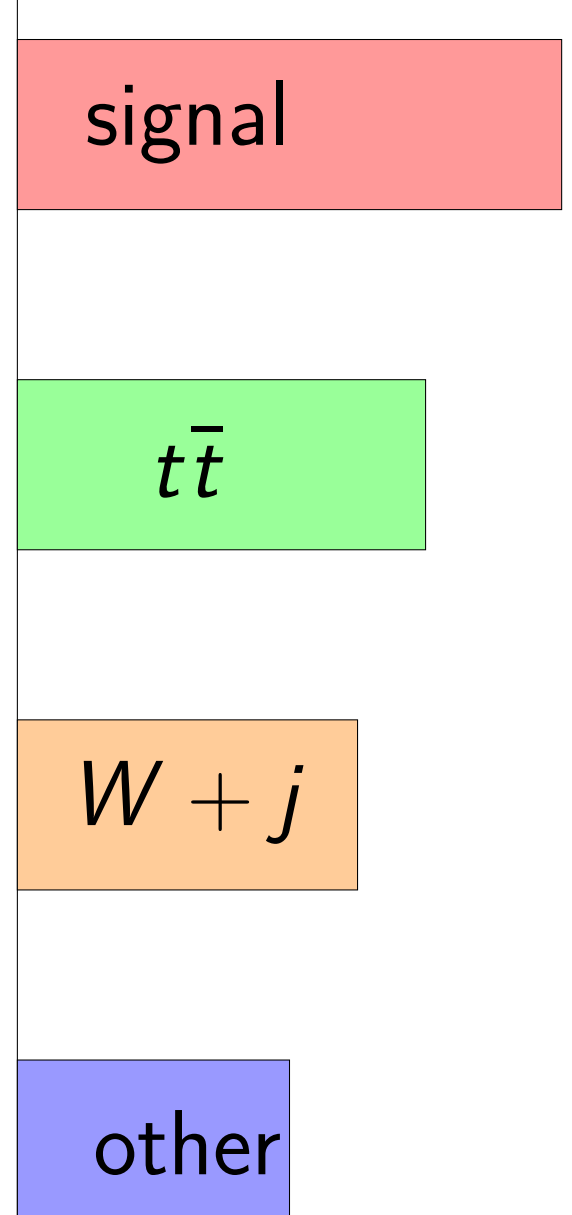


- Train network with reconstructed event features (lepton 4-momentum, jet 4-momenta, missing transverse momentum, ...)
- Optimize the network architecture (number of nodes, activation, ...)
- Go deep! Number of weights can be up to 10^6

Classification.

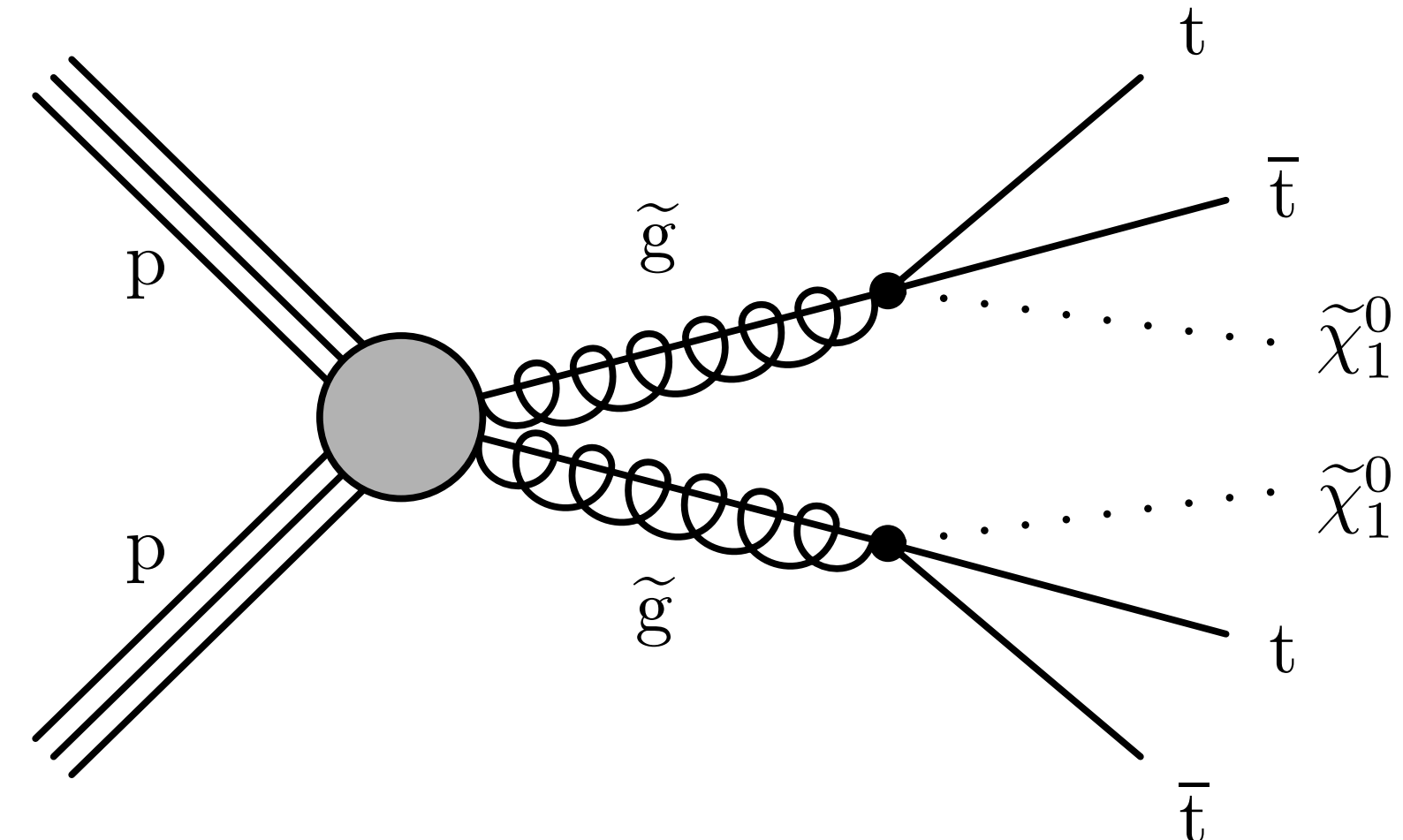
$$\frac{e^{x_1}}{\sum_{k=1}^N e^{x_k}}, \frac{e^{x_2}}{\sum_{k=1}^N e^{x_k}}, \frac{e^{x_3}}{\sum_{k=1}^N e^{x_k}}, \frac{e^{x_4}}{\sum_{k=1}^N e^{x_k}}$$

Probabilities



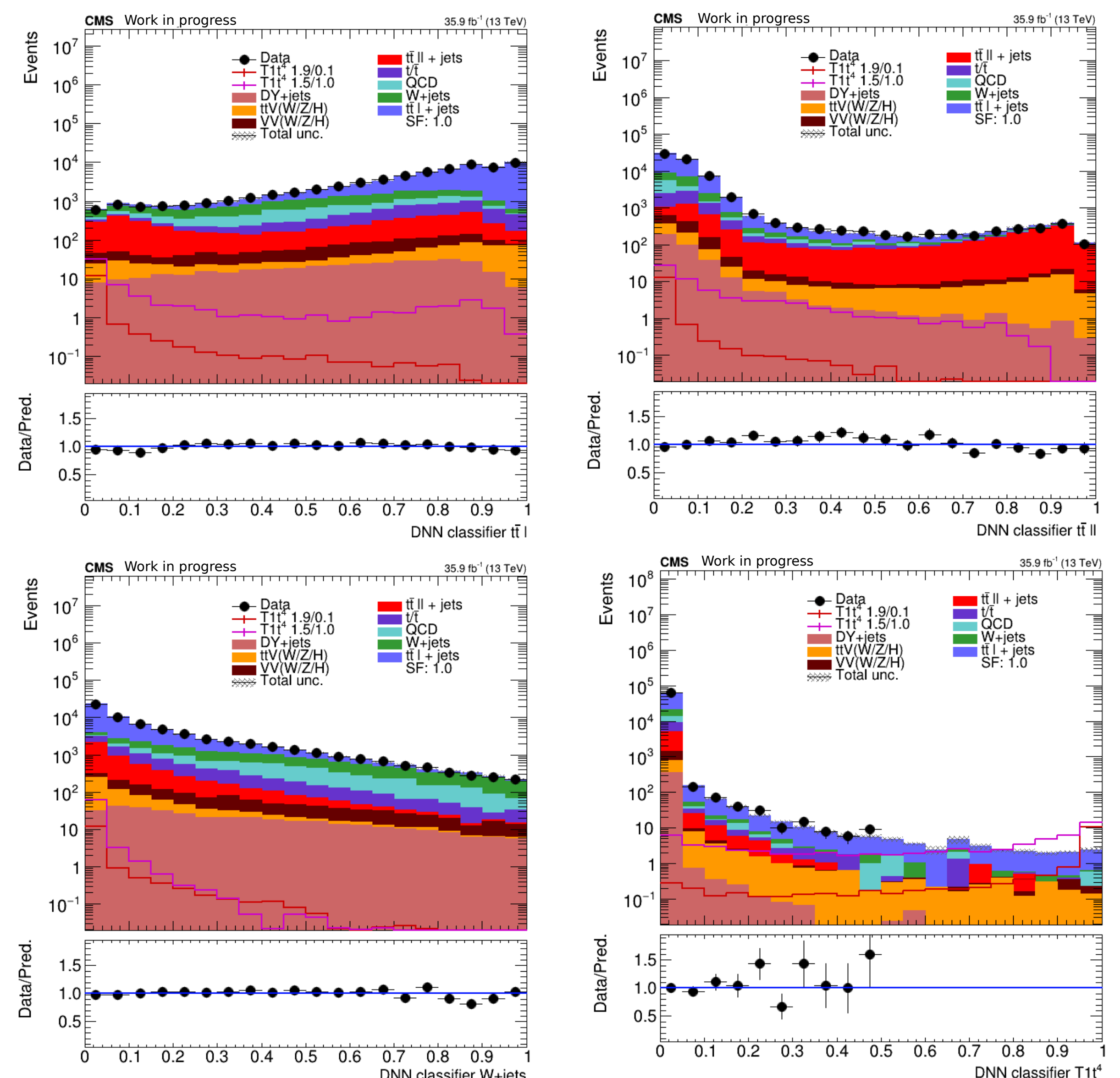
- Classification of event
- typical problem in high energy physics
- Several physical processes can lead to the same event
- Use softmax activation ($\frac{e^{x_i}}{\sum_{k=1}^N e^{x_k}}$) for output layer
- Output as probability an event origins from specific process

Deep neural network in SUSY Supersymmetry.



- Supersymmetry (SUSY) as popular extension of the standard model
- Rich phase space and highly predictive
- Our model: Simplified decay of supersymmetric gluon to top quarks

Multiclassification.



- Dominant background processes: Top quark pair production and W boson production with associated jets
- The deep neural network is trained to identify each background and the signal
- For each process a probability (DNN classifier) is given as output and can be used to classify events as process with highest probability

Background estimation.

- Main challenge of physics analysis is the proper estimation of backgrounds
- Classifiers are used to extract normalization of background process simultaneously:

$$\begin{bmatrix} \alpha \\ \beta \\ \gamma \end{bmatrix} = \begin{bmatrix} B_{11} & B_{12} & B_{13} \\ B_{21} & B_{22} & B_{23} \\ B_{31} & B_{32} & B_{33} \end{bmatrix} = \begin{bmatrix} \text{data}_1 \\ \text{data}_2 \\ \text{data}_3 \end{bmatrix}$$