

# Further experiments with Machine Learning tools at BESSY II

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# Self-optimization (RLControl)

Optimization of booster current Optimization of injection efficiency

Further development

References

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- New prediction tests for ICALEPCS. Focus on time-series-based beam lifetime prediction restricted to a blind scenario - the input given to the prediction model consists only of context variable readbacks, i.e. omitting previous beam lifetime measurements.
- New variables, models (RFF) and preprocessing techniques have led to an improvement of the results in comparison to our previous report at the AMALEA meeting in May.



Beam lifetime: defined via the current decay rate

$$\frac{1}{\tau} = -\frac{\mathring{I}}{I}$$

- EPICS Variable can't be used very delayed
- First approach: exact calculation from measurements unstable due to measurement errors

$$\frac{1}{\tau} = -\frac{\ln(I_t) - \ln(I_{t_0})}{t - t_0}$$

Final approach: **piecewise linear regression** with k previous measurements (experiments with k = 20)

$$\frac{1}{\tau} \approx -\frac{1}{I_t} \frac{\sum_{i=0}^k (I_{t-i} - I_{t_0})(t - i - t_0)}{\sum_{i=0}^k (t - i - t_0)^2}$$

- Gap and shift of insertion devices (elliptical) undulators affecting the dynamic aperture (21 readback variables).
- Power supply currents into quadrupoles define the linear optics (58 readback variables), into sextupoles define non linear behavior (7 variables).
- Offsets to power supplies for quadrupoles define the feed forward compensations (38 variables).
- Collisions with rest gas particles, vacuums pressure measured by getter pump current (12 variables).
- **Local beam loss fractions**, monitored by counters close by (49 variables).



- Analysis with RandomForest.
- Evenly distributed feature importances quadrupoles (offsets) and insertion devices stand out.

- Data from 2019-07-01 19:00:00 until 2019-07-16 19:00:00, restricted to top-up and multibunch.
- ▶ 80% (31631 samples) is used for training and 20% for test (7908 samples).
- Tests both with random and chronological split.
- Baselines:
  - Test set average.
  - Persistence: previous target measurement.
  - Moving persistence: moving average of the last 5 target measurements.

Test set	Algorithm	RMSE				$R^2$		
		Avg.	Pers.	Mov. pers.	Model	Pers.	Mov. pers.	Model
Random 20%	ExtraTrees	0.201319	0.099248	0.091464	$0.068175 \pm 0.000038$	0.756961	0.79359	$0.885322 \pm 0.000128$
	SVR-RFF				$0.077432 \pm 0.000216$			$0.852064 \pm 0.000825$
	DNN				$0.069457 \pm 0.000342$			$0.880964 \pm 0.001177$
Last 20%	ExtraTrees	0.231393	0.095732	0.078776	$0.194755 \pm 0.000952$	0.828836	0.884099	$0.291586 \pm 0.006932$
	SVR-RFF				$0.121407 \pm 0.003349$			$0.724506 \pm 0.015291$
	DNN				$0.125046 \pm 0.005757$			$0.707345 \pm 0.027032$

# Improved results on beam lifetime prediction: SVR-RFF and DNN with chronological split



L. Vera Ramirez, HZB, AMALEA Meeting, 09/09/2019

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# Deep Deterministic Policy Gradient

(Lillicrap et al. (2016)): Actor-critic Reinforcement Learning algorithm for continuous environments.

- Off-policy data and the Bellman equation used to learn the Q-function.
- Q-function used to learn the policy.
- Approximated with NNs.



Figure: Sutton and Barto (2018)

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- Observation: after long interruptions of the machine operation, the booster current tends to be low. As for today, manual parameter tuning is required.
- State variables:
  - High (radio) frequency master clock.
  - Voltage in LINAC.
  - Klystron current diagnostic measurements only in last tests.
- Action variable: time phase in LINAC.
  Observations show that this parameter does not affect the injection efficiency.
- Reward: (normalized) booster current per bunch.





# Optimization of booster current: Preliminary tests (already presented at AMALEA meeting)





Long test during user time with **automatic exploration schedule** (09/07/19). Pre-training with 30 days of historical data. Pure **exploration** is scheduled to take place only in the **meantime between injections** during the first hour, in order to avoid disturbing user operation. **Optimization** is activated always **shortly before each injection**. The agent runs successfully during the next 8.5 hours.



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#### Optimization of injection efficiency: Environment description

- Injection efficiency affected by temperature  $\rightarrow$  needs manual tuning.
- State variables:
  - Number of bunches generated by the LINAC (1, 3 or 5)
  - Injection angle mismatch, measured by the horizontal and vertical beam position in the transfer line.
  - Current measured during the booster acceleration phase.
  - Measured loss rate after extraction from the booster.
- Action variable: Deflection angle into the storage ring, generated by the 2<sup>nd</sup> ring septum sheet.
- Reward: last injection efficiency, measured as fraction of current increase generated in the storage ring by the charge accelerated in the booster.





*Short test (08/07/19).* Demonstration with historical data presented some problems, so the agent had to learn **from scratch**. The agent performed well during the first phase (only ca. 200 steps) and apparently found stable actions with good efficiency. After booster current was increased (ca 21:45) the optimization presented some **pathological behaviors**.





- Observation: the actor network gets stuck in local minima, producing constant (extreme) actions.
- Solution 1: accurate normalization action boundaries that have been visited during the pretraining period.
- Solution 2: *irregularization* term in the actor loss to avoid *lazy* policies:

$$J_{\beta}^{*}(\mu_{\theta}) = \mathbb{E}_{s \sim \rho^{\beta}} \left[ Q^{\mu_{\theta}}(s, \mu_{\theta}(s)) - \lambda \| e^{-\left[\nabla_{\theta} \mu_{\theta}(s)\right]^{2}} \| \right]$$

- Both solutions avoid constant actions during pretraining it has to be tested whether it avoids the pathological behaviors observed during the experiments.
- Alternative: different approach to pretraining (e.g. Zhang and Ma (2018)).

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- OCELOT surrogate models (Agapov et al. (2014)) for the training of deep-RL agents, complementing or replacing the pretraining with historical data. Some tests with toy-examples (emittance, orbit-correction...) in small lattices have been already carried out - the major challenge is the *export* of a RL-agent trained with the virtual BESSY-II-lattice to the real accelerator.
- We are also investigating the possibility of using Symplectic Networks (Mattheakis et al., 2019) for tracking in the context of a student's thesis.
- Classification approach for prediction.
- Surrogate models.
- Bluesky integration in *RLControl*.
- User interfaces

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- ► Ensemble methods: Random Forests, Extremely Randomized Trees... (Breiman (2001), Geurts et al. (2006)). For regression, MSE as loss → variance as impurity measure. Self-explaining: allow individual analysis of each variable's behavior.
- Support Vector Regression Smola (1998) with Random Fourier Features (Rahimi and Recht (2008)). SVR extends traditional SVM (for classification) via Vapnik's *e*-insensitive loss function (Vapnik (1995))
- Neural Networks (e.g. see Rojas (1996)). (Deep) Feed-forward NNs for regression (i.e. MSE as loss function).

Figs. from https://dsc-spidal.github.io/harp/docs/examples/rf/, Smola and Schölkopf (2003), Rojas (1996).





#### Data preprocessing:

- Outlier detection with Isolation Forest (Liu et al. (2008)) with contamination 0.02.
- [-1,1] linear normalization.
- PCA of the input variables (with 185 components).
- Hyperparameter optimization: grid-search with 5-folded cross validation.

Split	Algorithm	Grid-search CV				
Spin		Chosen hyperparameter configuration	$R^2$ Score			
Random	ExtraTrees	(bootstrap, *True), (max_depth, None), (max_features, None), (n_estimators, 500)	$0.888633 \pm 0.003072$			
	SVR-RFF	(batch_size, *32), (epochs, 50), (gamma, *1/n_atts), (loss, mse), (mode, rff), (n_components, 5000), (optimizer, adagrad)	$0.860787 \pm 0.002748$			
	DNN	(activation, relu), (batch_size, *32), (dropout_rate, 0.1), (epochs, *20), (hidden_layers, 200+200+100+50+25+12),(intermediate_dropouts, first), (loss, mse), (optimizer, adagrad)	0.883938 ± 0.003867			
Chronological		(activation, *tanh), (batch_size, *32), (dropout_rate, 0.05), (epochs, *20), (hidden_layers, *200+200), (intermediate_dropouts, all), (loss, mse), (optimizer, adagrad)	-0.459200 ± 1.653572			

**Bellman equation** with a deterministic target policy  $\mu_{\theta}$ :

$$Q^{\mu}(s_{t}, a_{t}) = \mathbb{E}_{s_{t+1} \sim E} \left[ r(s_{t}, a_{t}) + \gamma Q^{\mu}(s_{t+1}, \mu(s_{t})) \right]$$

• Critic update (parametrized approximation  $Q_{\phi}$ ) through SGD with loss:

$$L(\phi) = \mathbb{E}_{s_t \sim \rho^{\beta}, a_t, r_t, s_{t+1} \sim E} \left[ \left( Q_{\phi}(s_t, a_t) - (r_t + \gamma Q_{\tilde{\phi}}(s_{t+1}, \mu_{\tilde{\theta}}(s_t)) \right)^2 \right]$$

► Actor update - (off-policy) Deterministic Policy Gradient Theorem ((Silver et al., 2014)): for a performance objective  $J_{\beta}(\mu_{\theta}) = \mathbb{E}_{s \sim \rho^{\beta}} [Q^{\mu_{\theta}}(s, \mu_{\theta}(s))],$ 

$$\nabla_{\theta} J_{\beta}(\mu_{\theta}) \approx \mathbb{E}_{s \sim \rho^{\beta}} \left[ \nabla_{\theta} \mu_{\theta}(s) \nabla_{a} Q^{\mu_{\theta}}(s, a) \Big|_{a = \mu_{\theta}(s)} \right]$$

► Implementation tricks: delayed target networks  $(Q_{\tilde{d}}, \mu_{\tilde{\theta}})$ , replay buffer.

- Neural networks: in both cases, relu used as inner activation function and adam as optimizer (Ir = 0.001).
  - Critic network: five hidden layers (25+50+25+10+5 neurons) and concatenates actions at the first hidden layer. Linear activation at the output layer.
  - Actor network: three hidden layers (25+10+5 neurons), all of them with layer normalization (Ba et al. (2016)). tanh used as activation for the output layer.
  - In the injection efficiency case, the number of neurons is doubled.
- ► Data preprocessing: [-1, 1] linear normalization, historical data downsampled to 60 seconds.
- Parameter Space Noise:  $\delta = 0.01$ .
- Training parameters: γ = 0.2, pretraining with 10000 steps (2000 before actor training), warm-up with 32 steps, target model update rate = 0.1.
- Brute-force synchronization: update every 2 seconds through EPICS.