

HERAPDF2.0 NNLOJets

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H1/ZEUS November 2019

- Reminder of DIS2019 result, decisions on data sets, cuts, scale and further checks
- Account for new c, b combination – new values of optimal pole masses for RTVFN obtained at NNLO with $\alpha_s(M_Z) = 0.115$ (within old uncertainties)
- **NOT including c,b data in fit**
- Final recheck of parametrisation with new settings, mb,mc, $\alpha_s(M_Z) = 0.115$ and jet data
- Repeat $\alpha_s(M_Z)$ free fits obtaining 01151 compatible to what we had for DIS2019 no need to iterate mc,mb, param
- Decisions on treatment of Q20 and mc in model variations
- Redo $\alpha_s(M_Z) = 0.115$ and $= 0.118$ fixed fits with all model/param uncertainties
- Redo $\alpha_s(M_Z)$ free fit with model/param/hadronization/scale uncertainties
- Do we re visit the NLO Jets fit with new settings for mc, mb and new jets- h1 lowQ2 2016 jets?
- My proposal is NO: the mc,mb have not changed significantly
- the lowQ2 2016 jets are BADLY fitted at NLO, they NEED NNLO
-

REMINDER The HERAPDF2.0NLOjets contains

ZEUS di-jets = 22 --cut to 16 for new NNLO fit

DIS JETzeus96/97 = 30

H1 HERA1 highq2 = 24

H1 HERA1 lowq2 = 22 - cut to 16 for new NNLOfit

H1 2013 inclusive = 24

H1 2013 dijets = 24

H1 2013 trijets = 16 -cut

To go to NNLO we needed some changes

- Firstly trijets are not available at NNLO we HAVE to cut them out
- Secondly there have to be more stringent cuts on the lowQ2 jets at NNLO
- Thirdly we have to cut ~6 data points, and on ZEUS dijets

We use a kinematic cut on low Q^2 jets $\mu = \sqrt{(pt_{ave}^2 + Q^2)} > 13.5 \text{ GeV}$

And the removal of 6 points from ZEUS dijets for which NNLO predictions are unreliable on the basis of large scale variations both at NLO and NNLO

This work established that **scale variations** of predictions for a fixed set of PDF parameters are **MUCH smaller at NNLO**.

Cut is such that points with scale variations > 25% NLO and 10% NNLO are cut.

Then we also add

H1 2016 inclusive = 48—cut to 32 for this NNLO fit

H1 2016 dijets = 48—cut to 32 for this NNLO fit

There is a choice of scales to be made for the jets.

For HERAPDF2.0Jets NLO we chose renormalisation $= (Q^2 + p_t^2)/2$, factorisation $= Q^2$
But it turns out that for NNLO jets a choice of renormalisation $= (Q^2 + p_t^2)$ is better
(better = giving lower chisq $\Delta\chi^2 \sim -15$)

And for H1 2016 low Q^2 jets factorisation = renorm scale is MUCH better than
factorisation $= Q^2$ for either of the above choices.

This is quite understandable at low Q^2 and probably should have been used for the older
low Q^2 data set as well. It is done now.

In fact the 'optimal' scale choice for NLO and NNLO is different – if optimal means lower
chisq. (NLO has lower chisq $\Delta\chi^2 \sim -15$ for the old scale choice)

Since we are concentrating on NNLO we will use

Renormalisation = $Q^2 + p_t^2$,

Factorisation = $Q^2 + p_t^2$

(in practice using Q^2 or $Q^2 + p_t^2$ for high Q^2 jets doesn't make any significant difference)

And we use it for both NNLO and NLO unless otherwise stated

Further points:

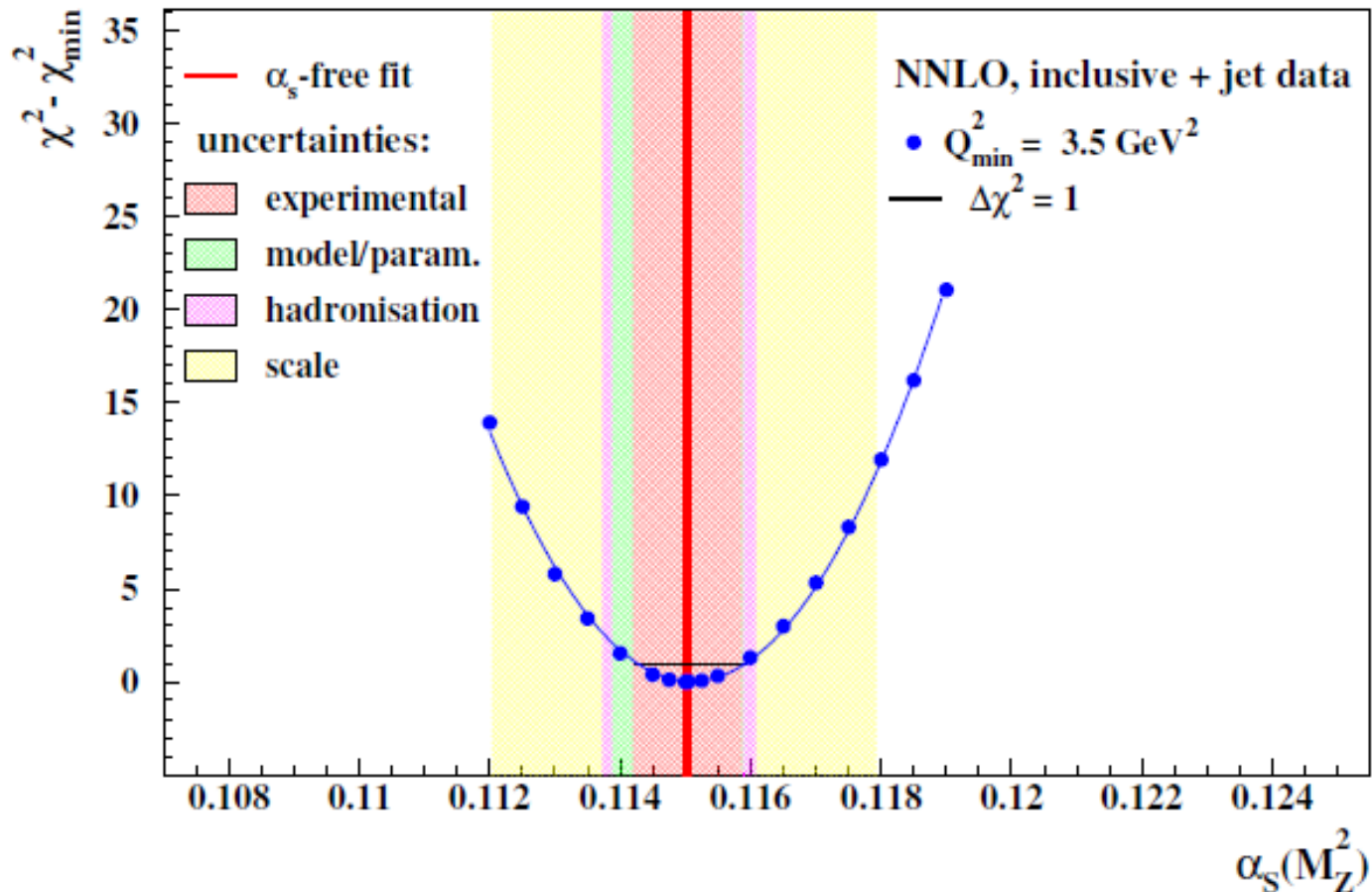
- The new 2016 low Q^2 jets have some systematic correlations to the older 2013 high Q^2 jets – this does not change things much **but it is done**
- There is an extra low p_t bin for the high Q^2 set, which was published along with the newer low Q^2 set. We chose not to use this.
- All statistical correlation matrices for 2013 and 2016 H1 jets are used by default ³

The result for α_s

- Free $\alpha_s(M_Z)$ fit at NNLO

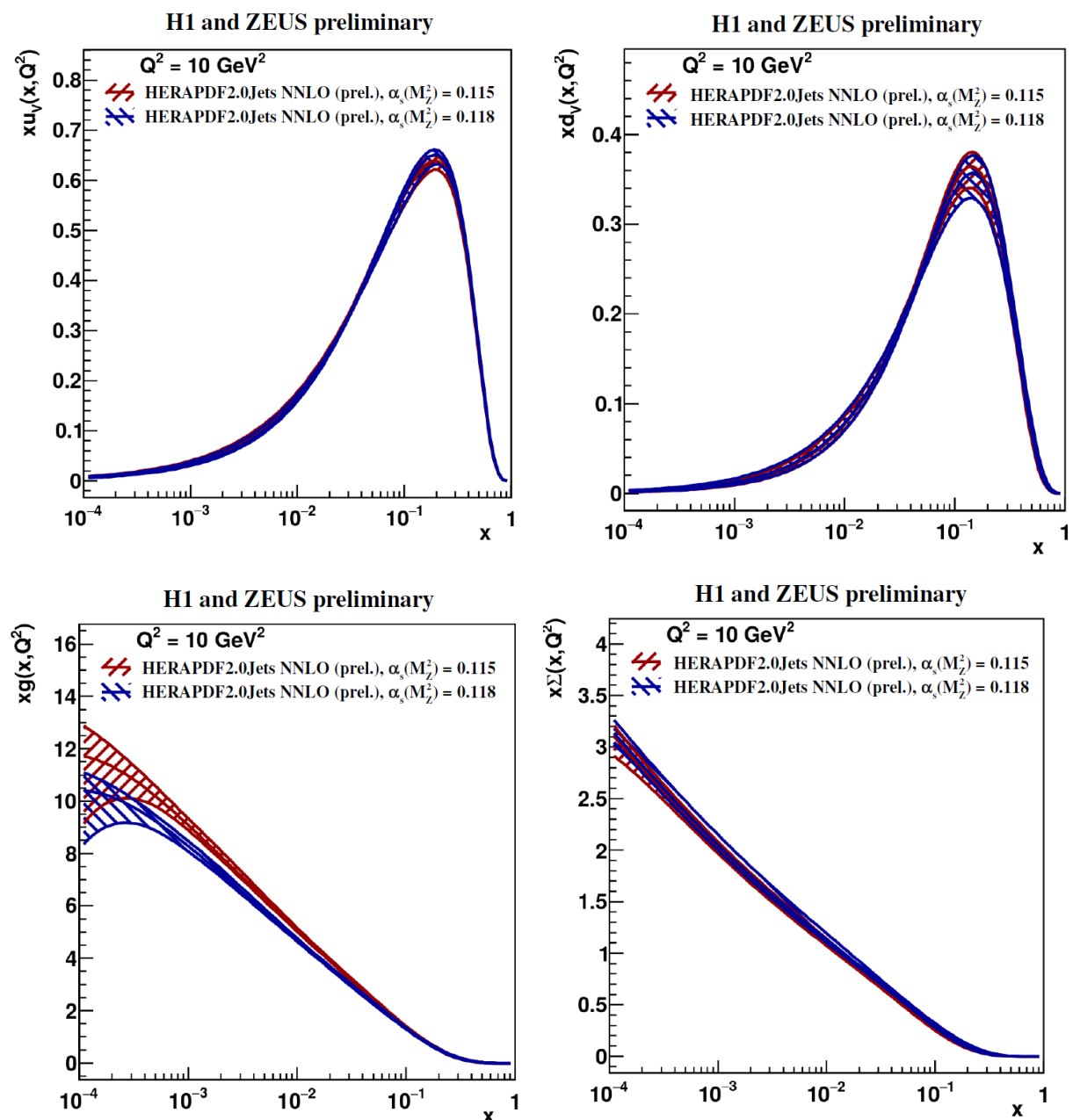
$$\alpha_s(M_Z) = 0.1150 \pm 0.0008_{(\text{exp})}^{+0.0002} {}^{-0.0005(\text{model/param})} \pm 0.0006_{(\text{had})} \pm 0.0027_{(\text{scale})}$$

H1 and ZEUS preliminary

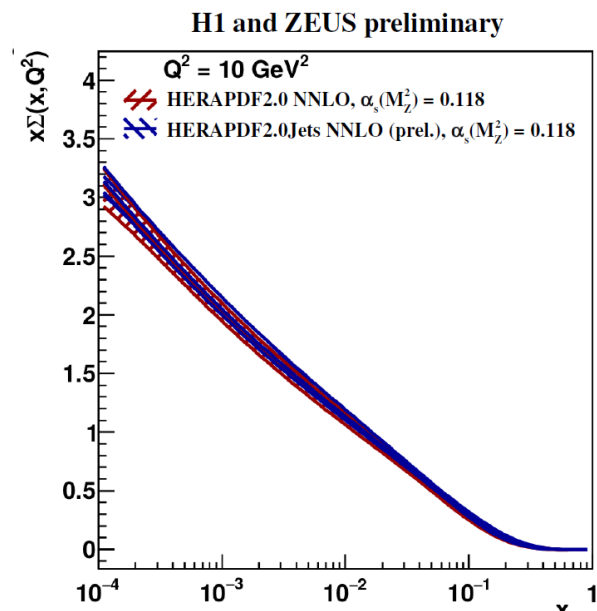
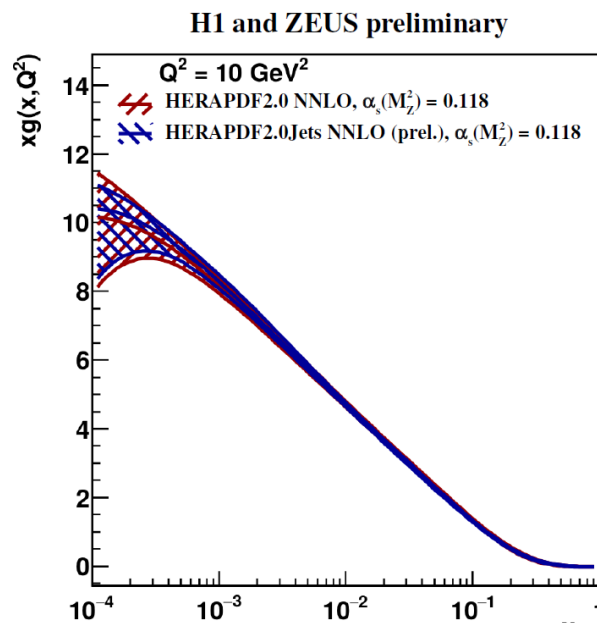
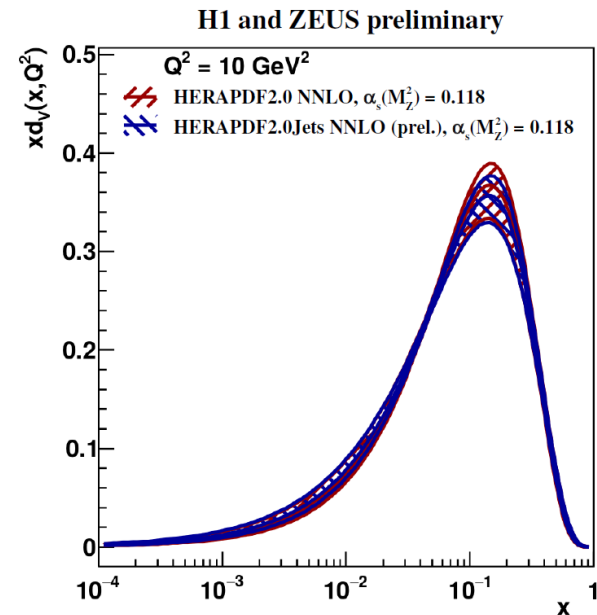
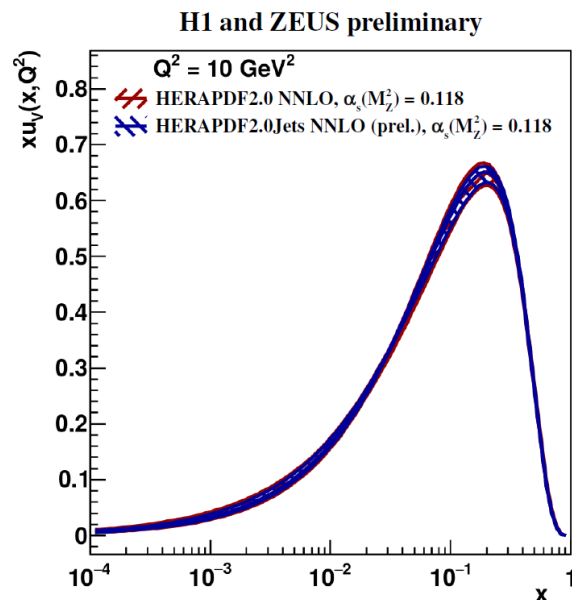


The result for the PDFs for

$\alpha_s(M_Z) = 0.115$ and
 $\alpha_s(M_Z) = 0.118$



And compare HERAPDF2.0 NNLO and
HERAPDF2.0Jets NNLO both with $\alpha_s(M_Z) = 0.118$



Let's size of the experimental error on alphas caused some discussion

$$\alpha_s(M_Z) = 0.1150 \pm 0.0008 \quad Q^2 > 3.5 \text{ GeV}^2$$

How much comes from H1 and ZEUS separately?

$$\alpha_s(M_Z) = 0.1149 \pm 0.0017 \quad Q^2 > 3.5 \text{ GeV}^2 \quad \textbf{ZEUS}$$

$$\alpha_s(M_Z) = 0.1148 \pm 0.0009 \quad Q^2 > 3.5 \text{ GeV}^2 \quad \textbf{H1}$$

Daniel was worried that the H1 result is more accurate than the results issued by H1 themselves BUT the cuts used on the data are not the same

He proposed use $Q^2 > 10 \text{ GeV}^2$ and use common cuts on μ ($=\sqrt{p_t^2 + Q^2} > 13.5 \text{ GeV}$)

In fact we had already done this in part of our studies and we obtained:

$$\alpha_s(M_Z) = 0.1144 \pm 0.0010 \quad Q^2 > 10 \text{ GeV}^2 \text{ if the cut is made only on inclusive data}$$

$$\alpha_s(M_Z) = 0.1140 \pm 0.0011 \quad Q^2 > 10 \text{ GeV}^2 \text{ if the cut is also made on the low } Q^2 \text{ normalised jet data}$$

This size of experimental error already seems much closer to that of the H1 study

A further issue arose concerning normalised jets:

the γ/Z , ZZ and x_F3 terms were not used in the NNLO jet predictions for the numerators, hence they also should not be used for the denominators for consistency.

This is a very small effect but has been checked.

One more change to note: I was given 'official grids' from Ploughshare, with higher statistics—these give *slightly* lower overall chisq mostly from H1 HERA-II high Q^2 jets—PDFs not significantly changed

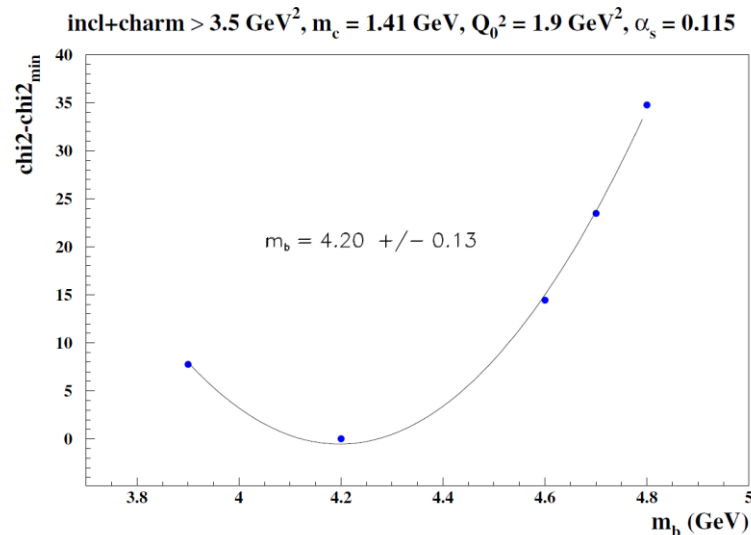
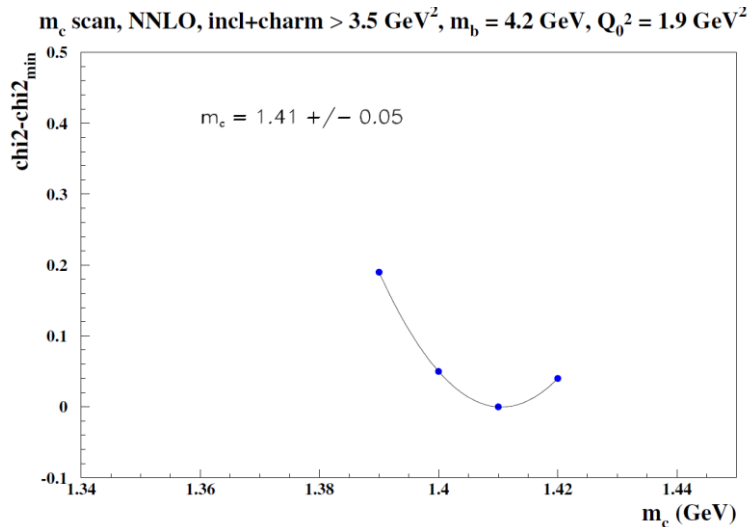
Remove the hadronization uncertainty from H1 HERA-II low Q^2 jets so that it can be consistently offset as with other data sets—again no significant change

Now on with the plan

The next stage is to consider the **NEW combined charm and beauty data**

First how it may affect the optimal charm and beauty masses

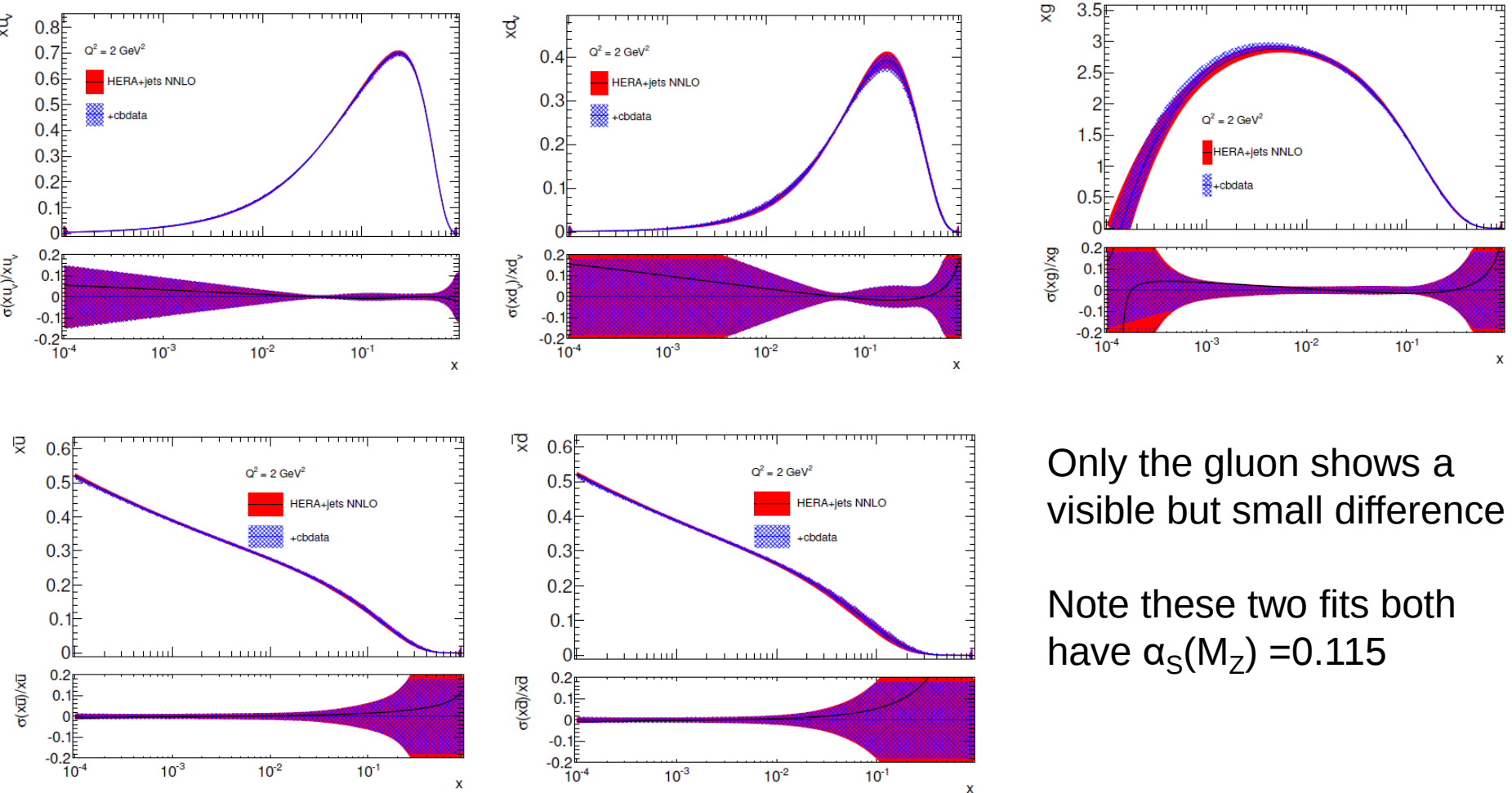
THEN adding these data into the fit— NO we are no longer doing that treatment of heavy flavour is not consistently NNLO—anyway it makes rather little difference



New m_c, m_b scans with $\alpha_s(M_Z) = 0.115$

- Then refit for $\alpha_s(M_Z)$ using these new m_b, m_c value – 0.115 still favoured
- Then re-check parametrisation scan with new m_c, m_b , $\alpha_s(M_Z) = 0.115$ AND jet data added—after all there are 198 jet data points
- Previous parametrisation confirmed
- Hence no further iterations needed

JUST for the record: we show the difference in PDFs with /without charm and beauty data



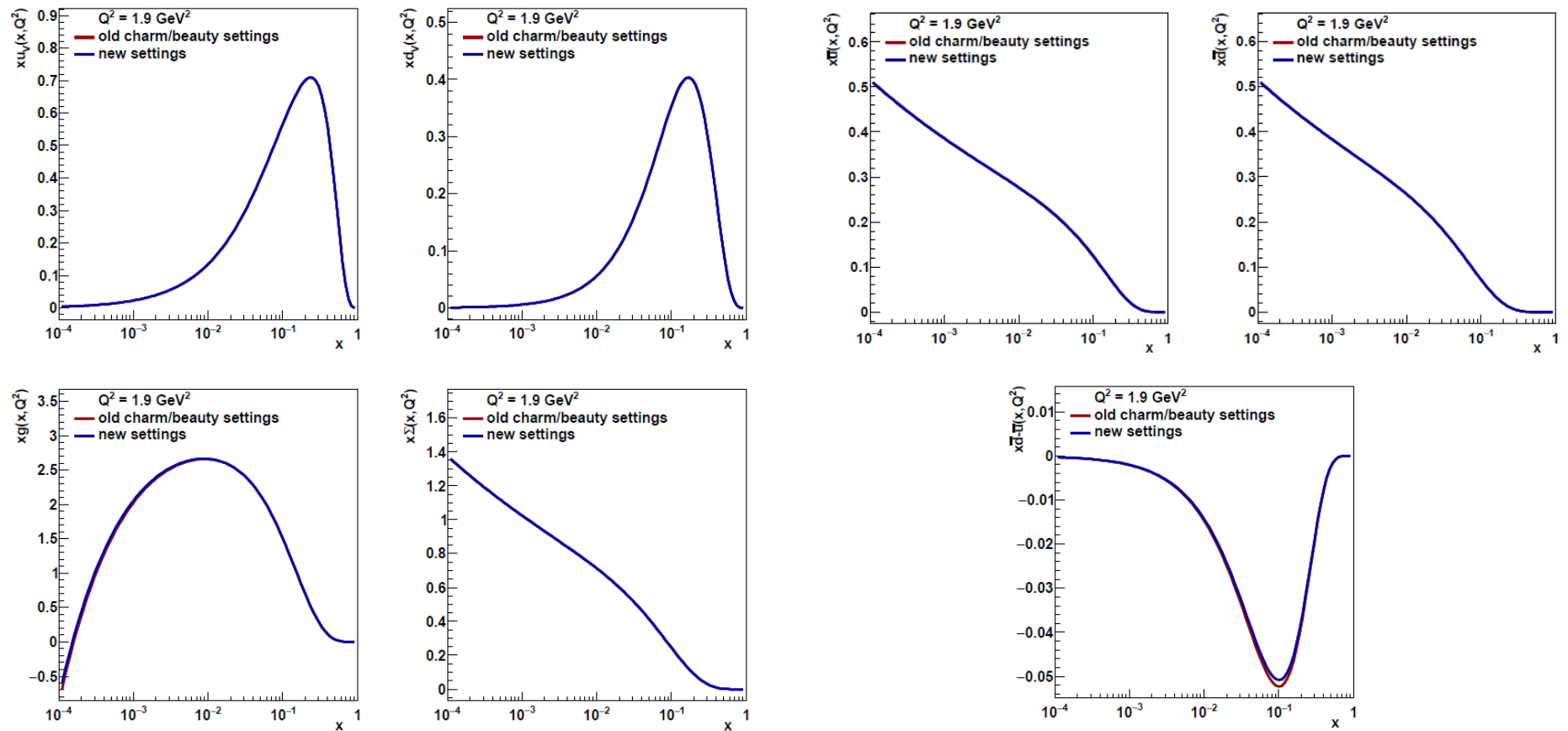
Only the gluon shows a visible but small difference

Note these two fits both have $\alpha_s(M_Z) = 0.115$

Message:

- Adding charm and beauty data has small effect on gluon
- Fits to data in back-up--- very similar to those from charm/beauty data paper

Compare PDFs fit to inclusive +jets at NNLO with new/old values of mc,mb settings.

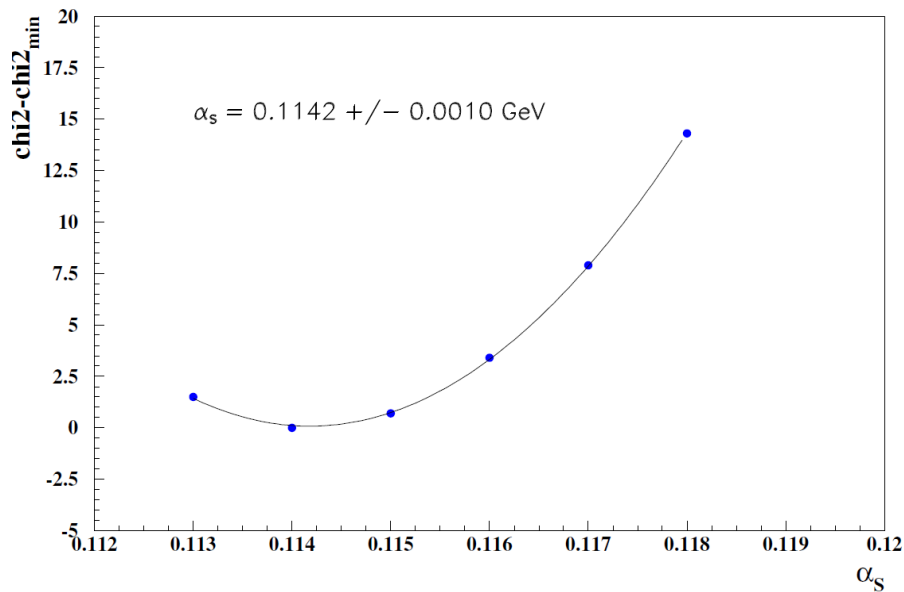


Message:

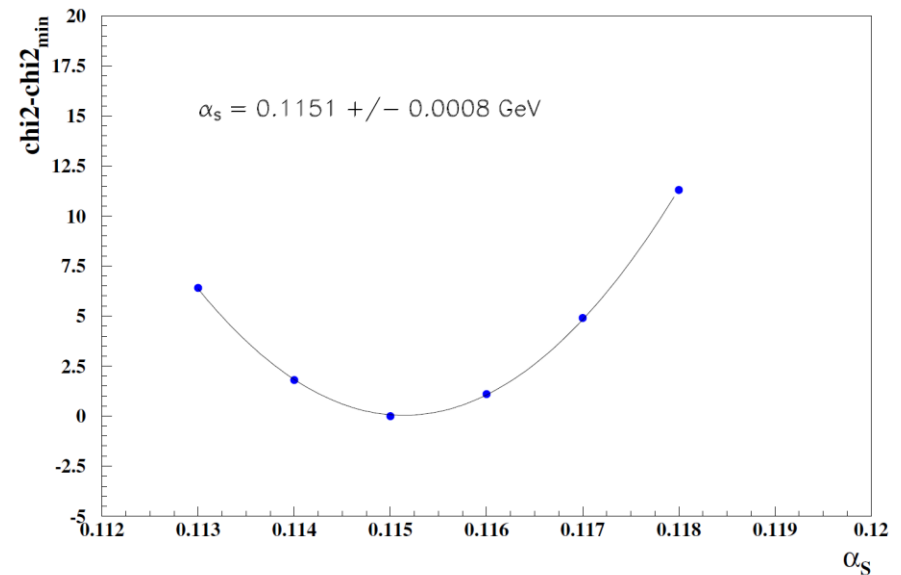
- New settings have negligible effect on PDFs

Now redo the $\alpha_s(M_Z)$ scan with the new settings

α_s scan, NNLO, no H1 2016 jets, $Q^2 > 3.5 \text{ GeV}^2$



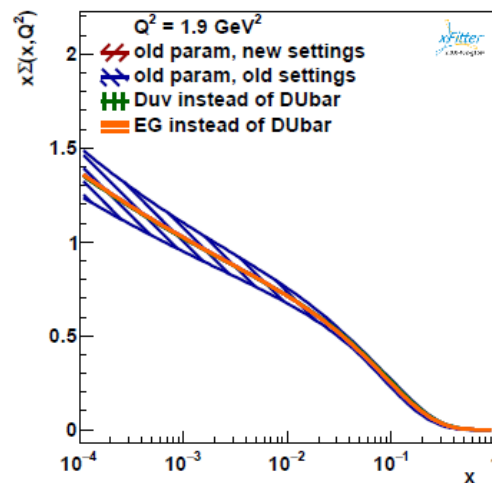
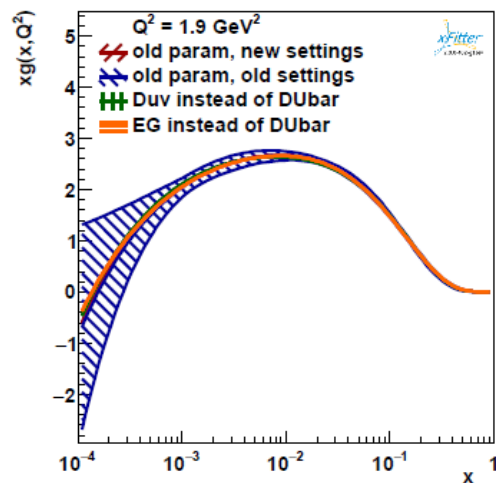
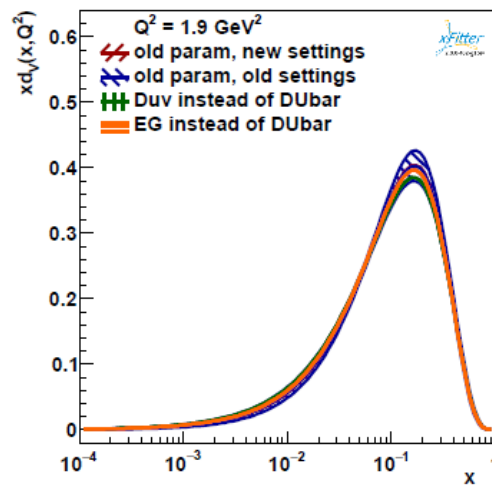
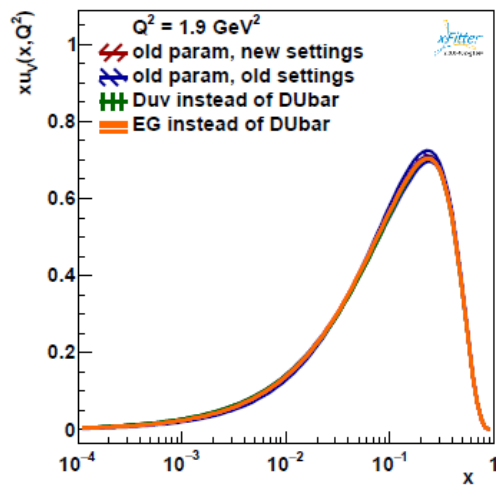
α_s scan, NNLO, all jets, $Q^2 > 3.5 \text{ GeV}^2$



We obtain the same value as before- good- we will do all the work of evaluating the final Model/param/hadronisation/scale uncertainties once this meeting agrees our policy

This confirms $\alpha_s(M_Z) = 0.115$ is the favoured value and so we stick with the DIS19 procedure to show PDFs at $\alpha_s(M_Z) = 0.115$ and $\alpha_s(M_Z) = 0.118$ (the PDG value)

NOTE in passing that with/without new H1 low Q^2 jets we get compatible values



Parametrisation scan...

follows the same path until the choice of the 14th parameter where Dubar, Duv and Eg all give almost the same χ^2

However, all these parameter values are small and consistent with zero within 1σ , hence PDFs very similar. Thus we stick with Dubar—the usual parametrisation. Addition of 15th parameter(s) does not improve χ^2 further and will thus be used only for the parametrisation uncertainties

Some remarks on model/param uncertainties

We vary m_c (model) and Q_0^2 (param) but these two are coupled since we require $Q_0^2 < m_c^2$

With $Q_0^2=1.9 \text{ GeV}^2$ and $m_c=1.41$, $m_c^2=1.9881 \text{ GeV}^2$ central choices this is fine

Q_0^2 down to 1.6 GeV^2 variation is fine

Q_0^2 up variation up to 2.2 GeV^2 is not fine – we USED to combine this with the upper variation of m_c BUT the new value of m_c and its uncertainty make the upper variation of $m_c=1.46$, $m_c^2=2.1316$..so this will not work. (Older values were $m_c=1.43$ central, 1.49 upper limit, which did work.)

Propose vary Q_0^2 down ONLY and symmetrise

m_c up variation to $m_c=1.45$, $m_c^2=2.1025$ is fine

m_c down variation is now down to $m_c=1.37$, $m_c^2=1.8769$ is NOT FINE

Propose vary m_c up ONLY and symmetrise

These proposals were circulated in July and agreed by all those who replied.

Ever onward

Next steps proposed:

- Now do all model/parametrisation study for fixed $\alpha_s(M_Z) = 0.115$ and 0.118 NNLO jobs, as suggested on the previous page
- Then do all model/parametrisation study for free alphas NNLO jobs adding hadronisation –by offset--and scale variations- by the usual $\frac{1}{2}$ correlated and $\frac{1}{2}$ uncorrelated procedure that we used before
- THEN WE are finished at NNLO

Now we did think that we MIGHT also:

- Redo the NLO jet fits with new settings: mc,mb, scale, including H1 2016 jets and refit for NLO alphas
- Then do all model/parametrisation/hadronisation/scale study for free alphas NLO jobs keeping track of correlations of all variations to the NNLO, so we can evaluate $\Delta\alpha_s$
- Possibly also redo fixed alphas NLO with all new settings

But I now think we should NOT revisit the NLO fit in such detail—WHY?

Because H1 2016 low Q^2 jets are NOT well fitted at NLO.

I think they should not be used at NLO- and if we do not use them there is little change with the new mc,mb,scale—it is all within previous uncertainties

At most we could quote the $\alpha_s(M_Z)$ value $= 0.121$ with the new scale, for the old analysis for comparison, in fact we already did so in our public talks.

no H1 2016 jets

NLO $\alpha_S(M_Z) = 0.118$ $\chi^2 = 1517$

NLO $\alpha_S(M_Z)$ free $\chi^2 = 1510$, $\alpha_S(M_Z) = 0.121$

NLO $\alpha_S(M_Z) = 0.118$ $\chi^2 = 1502$

Old scale

H1 2016 jets $\rightarrow$ 64 extra data points

$\chi^2 = 1696 \rightarrow +179 \chi^2$

$\chi^2 = 1663$, $\alpha_S(M_Z) = 0.1245 \rightarrow +153 \chi^2$

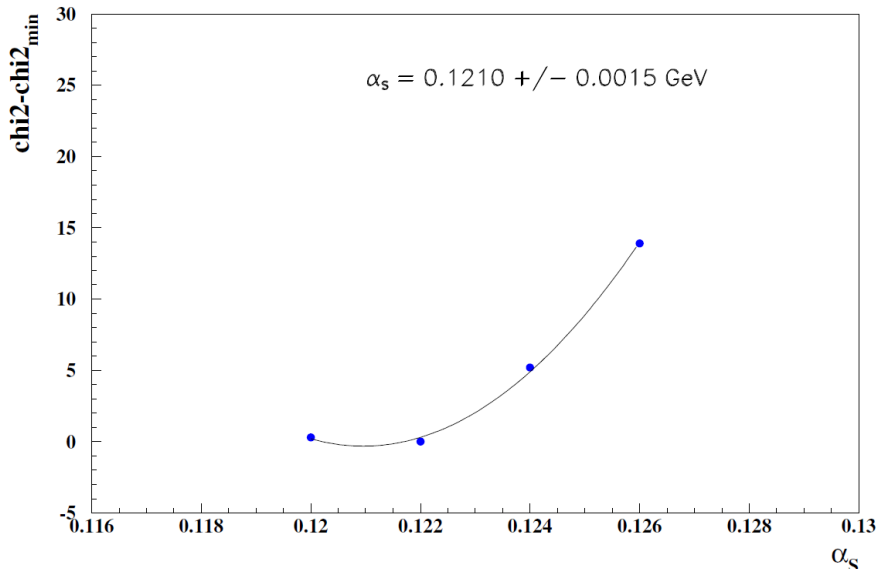
$\chi^2 = 1684 \rightarrow +182 \chi^2$

Compare NNLO

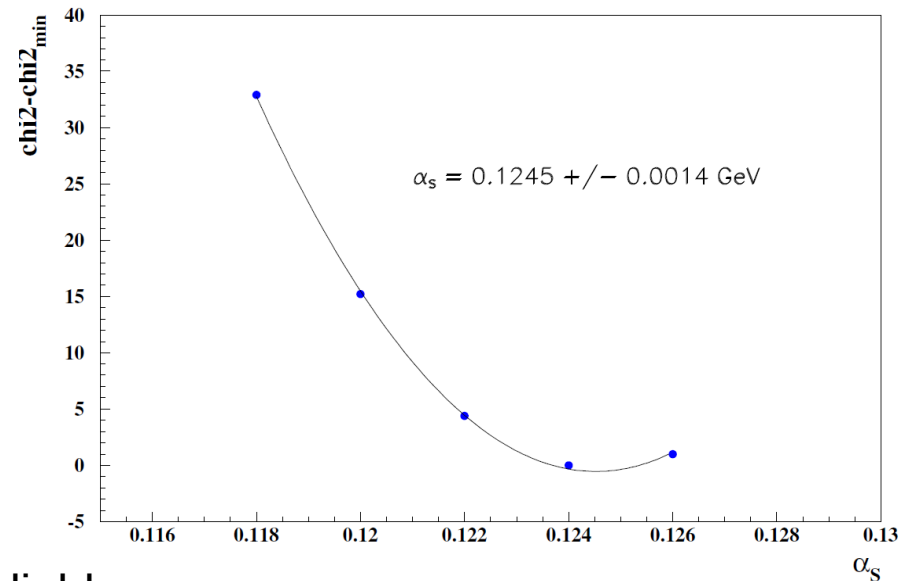
NNLO $\alpha_S(M_Z) = 0.115$ $\chi^2 = 1525$

$\chi^2 = 1599 \rightarrow +74 \chi^2$

α_S scan, NLO, no H1 2016 jets, $Q^2 > 3.5 \text{ GeV}^2$

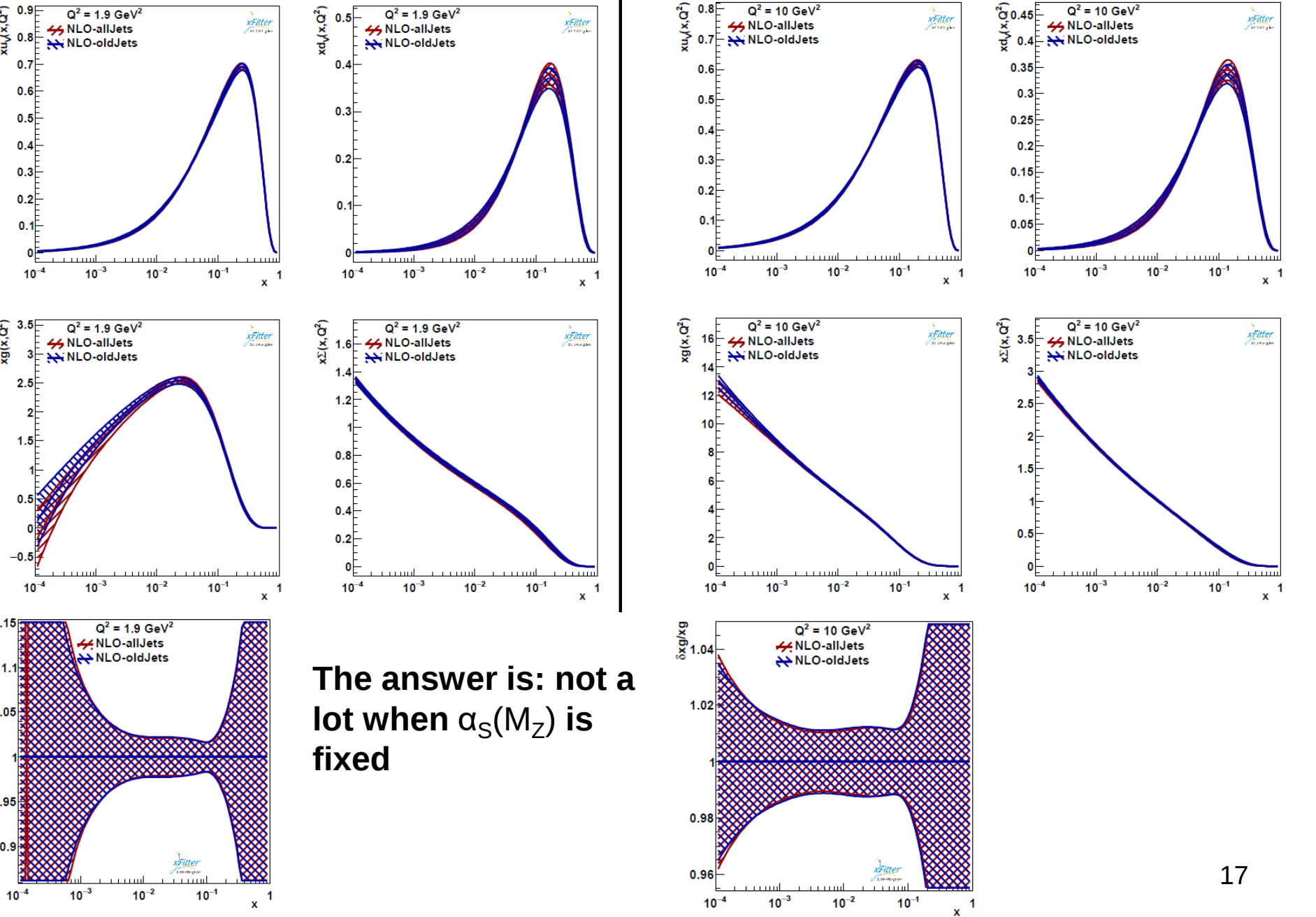


α_S scan, NLO, all jets, $Q^2 > 3.5 \text{ GeV}^2$



Hence I think this change in $\alpha_S(M_Z)$ is unreliable

But with fixed alphas there is no advantage: What do new jets do? NLO



The answer is: not a lot when $\alpha_s(M_Z)$ is fixed

SUMMARY

- Finish the NNLO analysis much in the way that the DIS19 preliminary was done but with new mc,mb settings accounting for the new c,b data
- Using the same data sets, same cuts, same scale choice, same parametrisation
- $\alpha_s(M_Z) = 0.115$
- $\alpha_s(M_Z) = 0.118$
- Free alphas
- All model parametrisation uncertainties treated as agreed
- Hadronisation by offset consistently
- Scale uncertainty $\frac{1}{2}$ correlated , $\frac{1}{2}$ uncorrelated as for HERAPDF2.0NLOJets
- Do not revisit NLO other than to say that the current scale choice would have resulted in $\alpha_s(M_Z) = 0.121$ rather than 0.118
- Maybe also say not revisiting it because the most significant new data set—H1 low Q² jets 2016 is not well fitted at NLO

Back-up

Back-up about cuts

i) the size of NLO to LO k-factors, as was done already for NLO kfactor <2.5 —now use kfactor<2.2

but also in terms of a kinematic cut ii) $\mu = \sqrt{(p_{Tave}^2 + Q^2)} > 13.5$

AND finally in terms of the iii) size of scale variations at NLO and NNLO

What I have done is take the parameters of the HERAPDF2.0 $Q^2 > 3.5$ fit and fix them and then look at renormalisation and factorisation scale changes of a factor of two up and down on **ALL** the jet data sets.

I have done this at both NLO and NNLO and compared. With the exception of some ZEUS dijet points NNLO scale variations are always less than NLO variations

Details in backup

The three criteria above cut much the same points

The kinematic cut is simplest

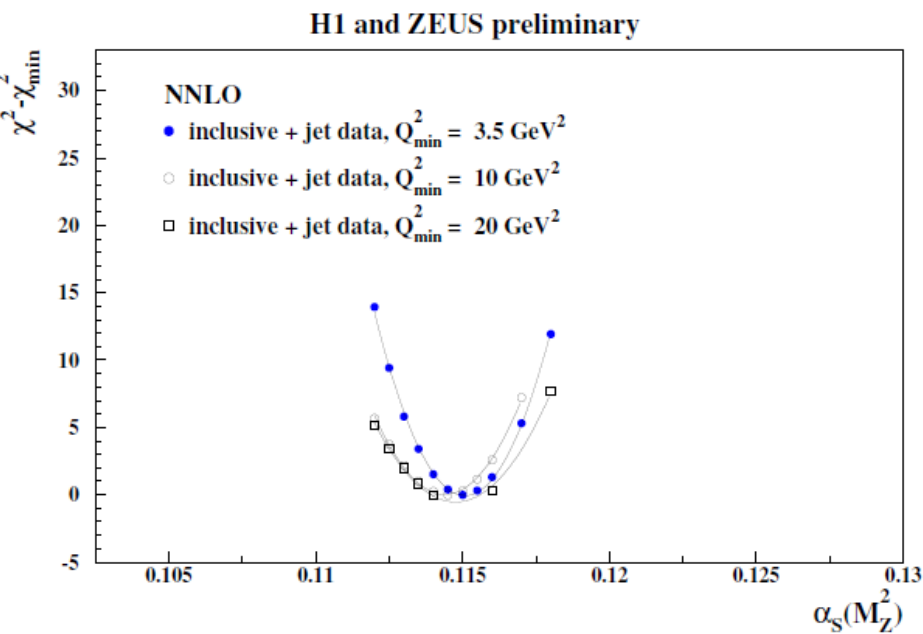
This cuts NLO scale variations $> \sim 24\%$ and NNLO scale variations $> \sim 10\%$

Back-up on checks

Since it is well known that HERA data at low x and Q^2 may be subject to the need for $\ln(1/x)$ resummation or higher twist effects we also perform scans with Q^2 cuts

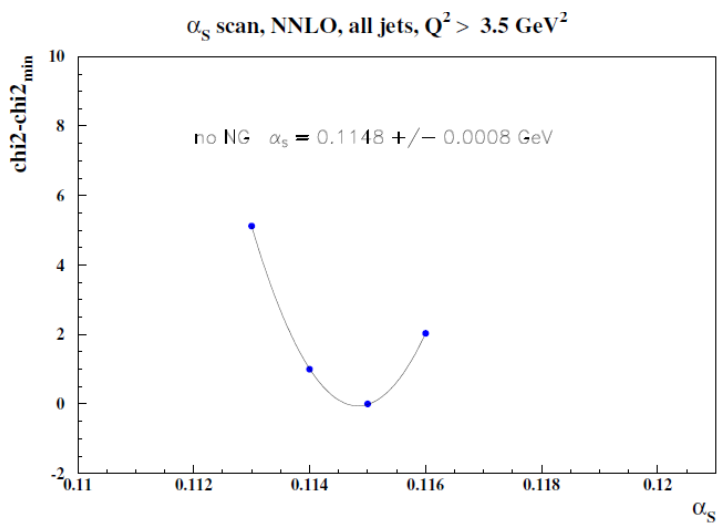
The Q^2 cuts do not result in any significant change to the value of $\alpha_s(M_Z)$ that is determined

We also did a check—not made public on the effect of the negative gluon term



The central values from the three scans are:

- $\alpha_s(M_Z) = 0.1150 \pm 0.0008 \text{ } Q^2 > 3.5 \text{ GeV}^2$
- $\alpha_s(M_Z) = 0.1144 \pm 0.0010 \text{ } Q^2 > 10 \text{ GeV}^2$
- $\alpha_s(M_Z) = 0.1148 \pm 0.0010 \text{ } Q^2 > 20 \text{ GeV}^2$

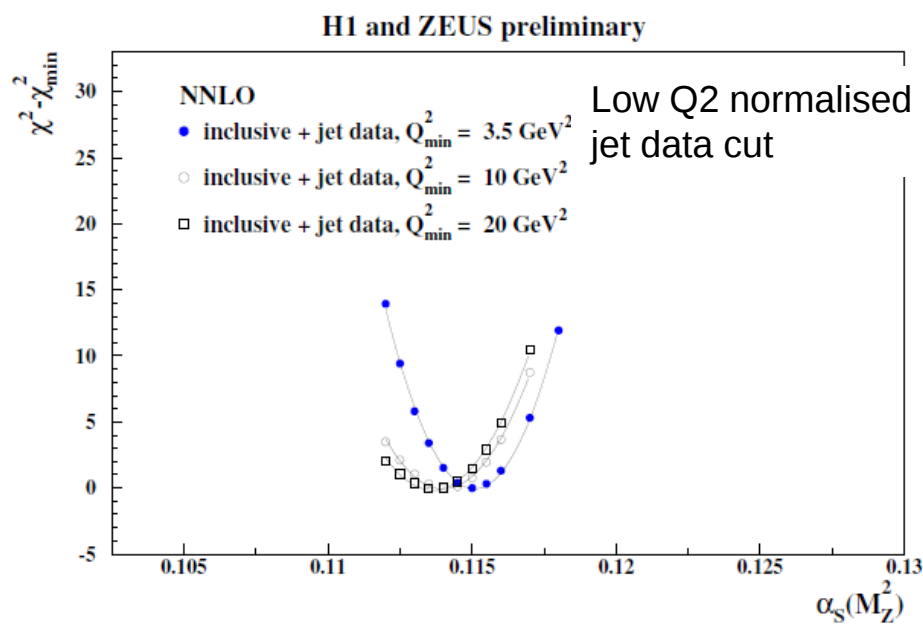


With no negative gluon term
 $\alpha_s(M_Z) = 0.1148 \pm 0.0008$
Compatible with standard result

Back-up on checks

BUT Daniel suggested that for the higher Q2 cuts the low Q2 normalised data should also be cut for the corresponding Q2 values.

So we have also done this



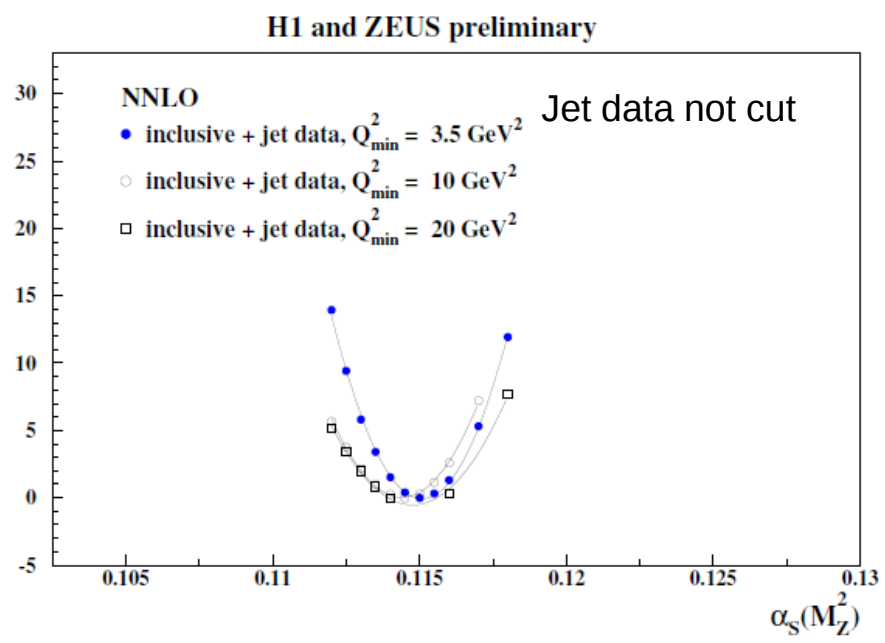
The central values from the three scans are:

$0.1150 \pm 0.0008 \text{ } Q2 > 3.5$

$0.1140 \pm 0.0011 \text{ } Q2 > 10$

$0.1136 \pm 0.0011 \text{ } Q2 > 20$

compare back to not doing it



The central values from the three scans are:

$0.1150 \pm 0.0008 \text{ } Q2 > 3.5$

$0.1144 \pm 0.0010 \text{ } Q2 > 10$

$0.1148 \pm 0.0010 \text{ } Q2 > 20$

Back-up on checks

Daniel also suggested looking at only H1 data and making two fits with the $Q^2 > 10 \text{ GeV}^2$ cut on both inclusive and normalised jet data

H1-HERA-I only:

H1 HERA-I high- Q^2 norm. incl. jets

H1 HERA-I low- Q^2 abs. incl. jets

---for this we get $\alpha_s(M_Z) = 0.1181 \pm 0.0021$

+ H1-HERA-II only:

H1 HERA-II high- Q^2 norm. incl. jets

H1 HERA-II high- Q^2 norm. dijets

H1 HERA-II low- Q^2 norm incl. jets

H1 HERA-II low- Q^2 norm. dijets

-----for this we get $\alpha_s(M_Z) = 0.1131 \pm 0.0012$

Daniel said he would run his programme for these cuts and data selection.

Hopefully we have a reasonable agreement.

This has not been done—but I don't think its very important

We have similar uncertainty values when we use similar cuts already.

JUST for the record

here are the χ^2 for an NNLO fit with inclusive+jets+charm and beauty, $\alpha_s=0.115$

sumsqhinc= 91.9
sumsqhjet= 20.2
sumsqcb= 46.95
X/N CCEP = 39 46.13
X/N CCEM = 42 53.45
X/N NCEP 920= 377 454.27
X/N NCEP 820= 70 64.47
X/N NCEM= 159 221.13
X/N NCEP 460 = 204 215.0
X/N NCEP 575 = 254 218.93
ZEUS di-jets = 16 15.15
ZEUS inc 96/97 = 30 30.65
H1norm highQ2 99/00 = 24 15.81
H1 low-Q2 = 16 18.02
H1 HERA2 highq2 incl = 24 22.5
H1 HERA2 highq2 dijet = 24 39.0
H1 HERA2 lowq2 incl = 32 48.02
H1 HERA2 lowq2 dijet = 32 24.10
newsigcharm = 47 43.7
newsigbeauty = 27 22.4

The charm/beauty χ^2 are similar to those when jet data is not included

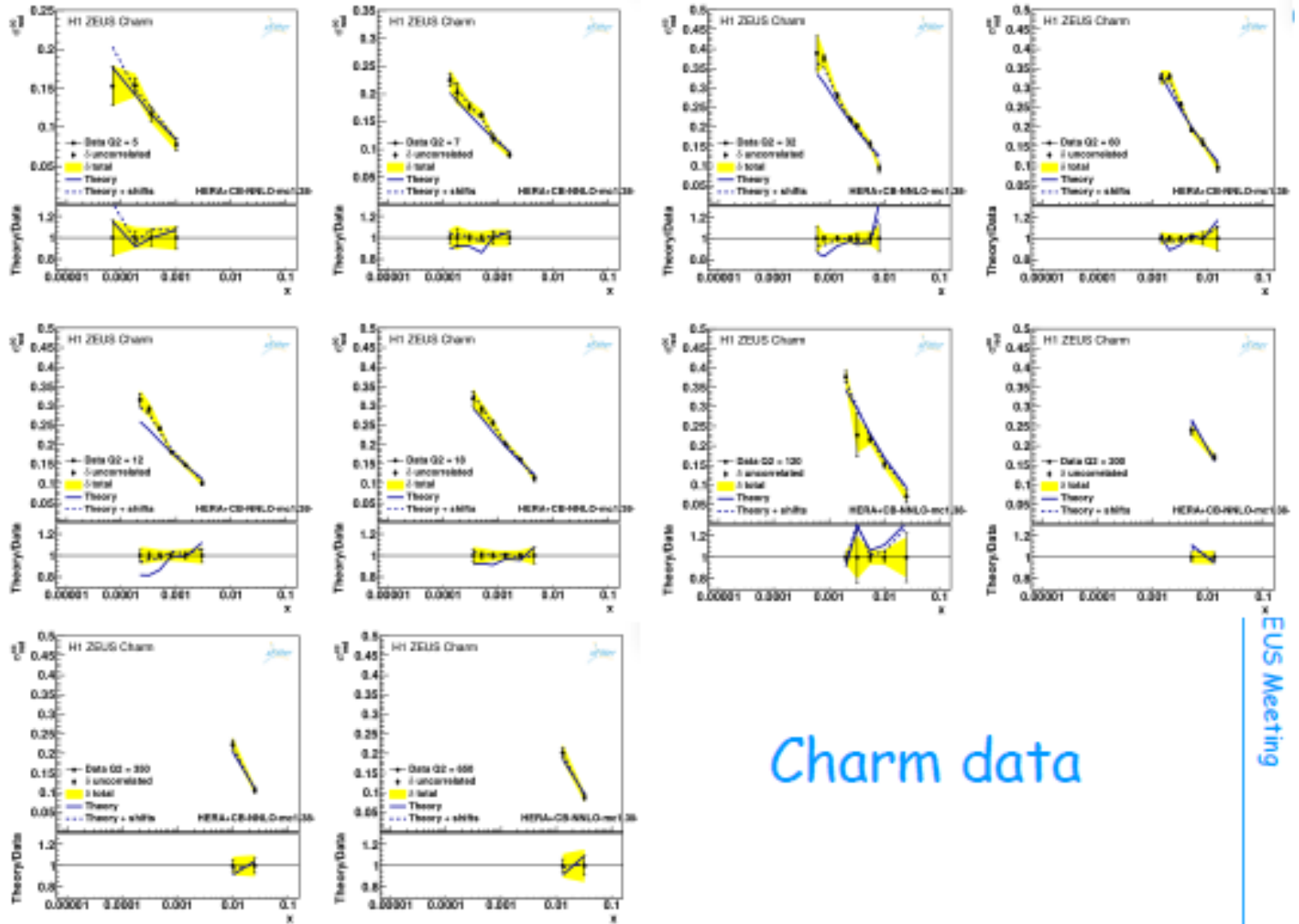
The jet χ^2 are similar to those when charm/beauty data are not included

The inclusive χ^2 are similar to those when neither of these data sets are included

There is no tension

This is just for the record
We carry ON with inclusive+jet data only and new settings of mc,mb

NNLO



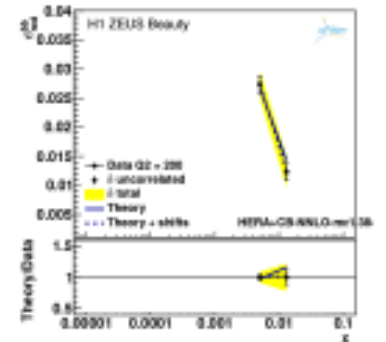
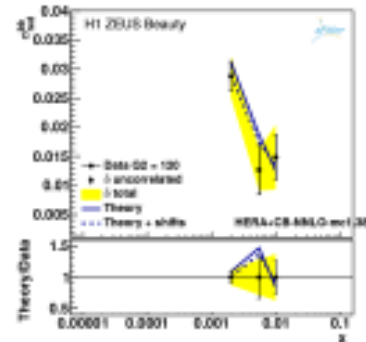
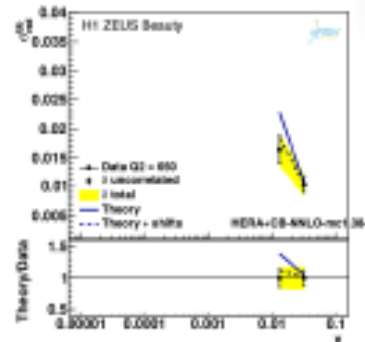
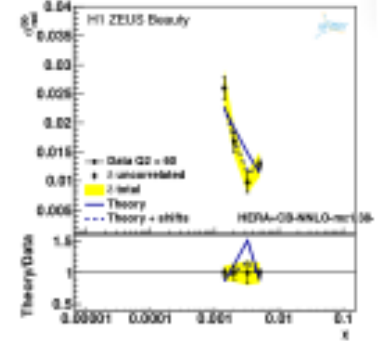
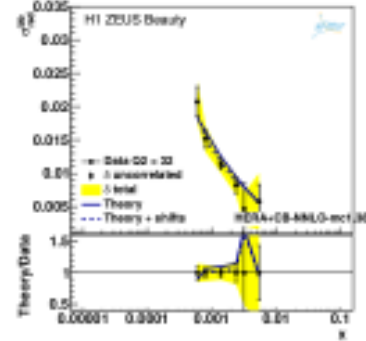
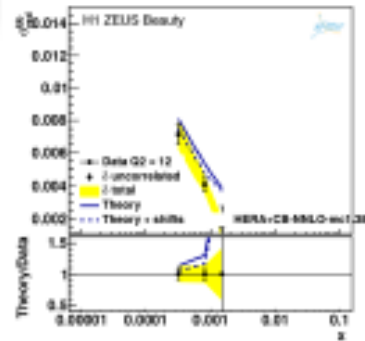
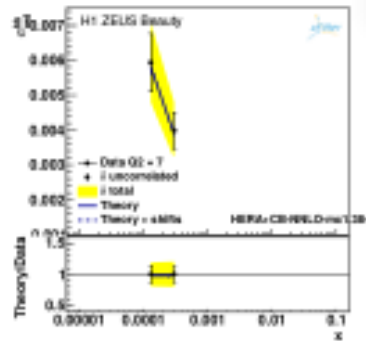
Charm data

NNLO

Beauty data



K. Wic



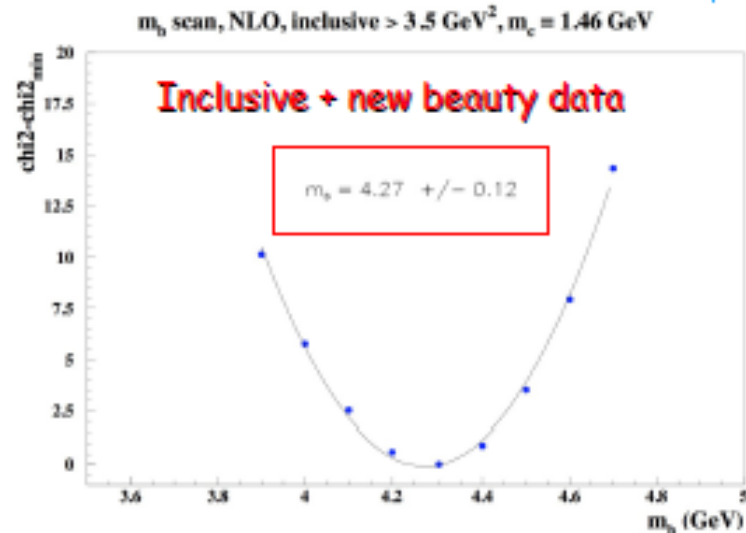
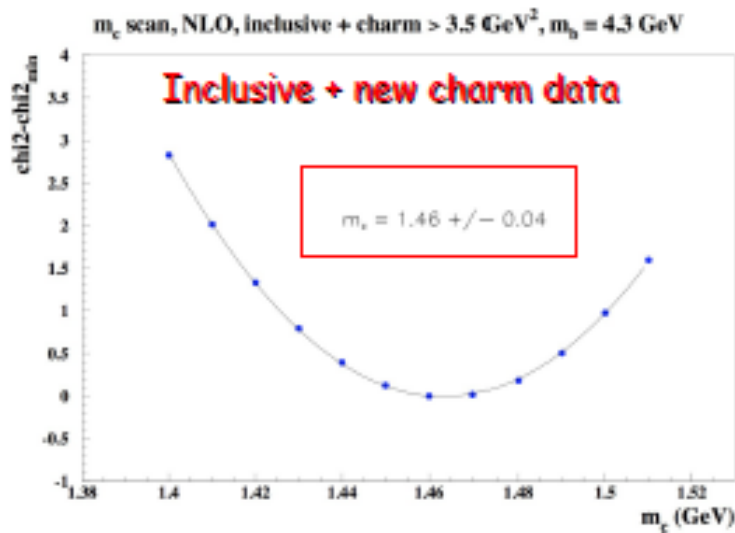
Scan of c/b mass @ NLO, inclusive and charm $Q_{\min}^2 \geq 3.5 \text{ GeV}^2$

• New NLO values
 $M_c = 1.46 \pm 0.04 \text{ GeV}$
 $M_b = 4.3 \pm 0.1 \text{ GeV}$

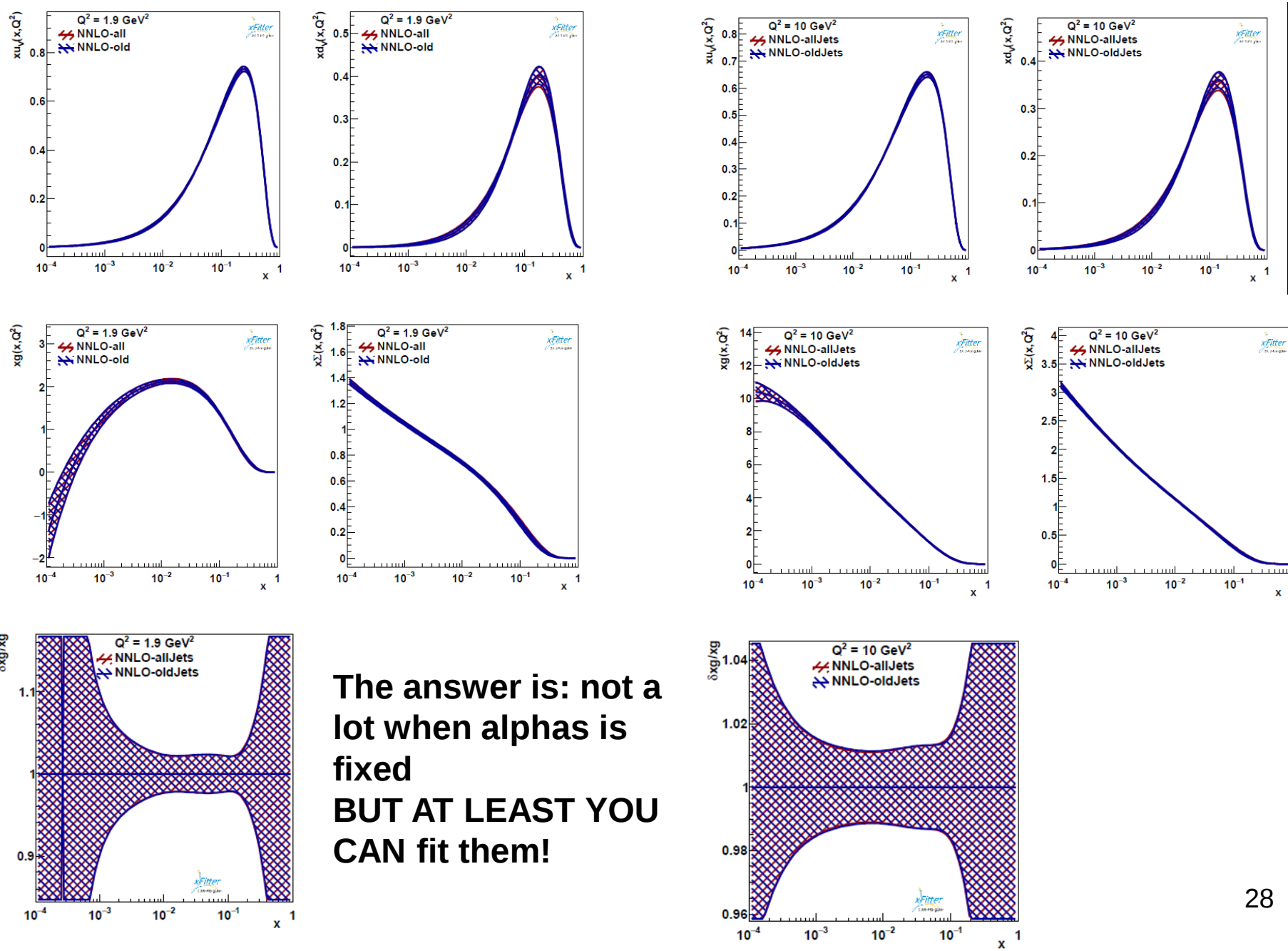
• HERAPDF2.0 values:
 $M_c = 1.47 \pm 0.06 \text{ GeV}$
 $M_b = 4.50 \pm 0.25 \text{ GeV}$



K. Wichmann



What do new jets do? NNLO



The answer is: not a lot when alphas is fixed
BUT AT LEAST YOU CAN fit them!