Unveiling the Higgs at FCC-hh

With new diboson precision measurements

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In collaboration with F. Bishara, P. Englert, C. Grojean, M. Montull, G. Panico arXiv 2004.06122 (JHEP 07 (2020) 075) arXiv 20XX.YYYYY (+ S. De Curtis, L. Delle Rose)



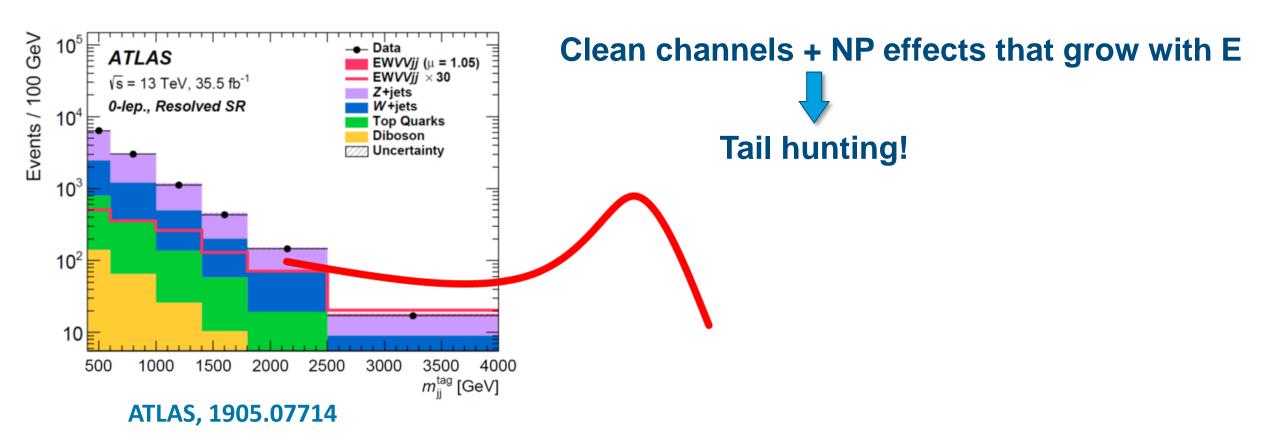
We need Physics Beyond the Standard Model

- We need Physics Beyond the Standard Model
- Precision with hadron colliders? Yes!

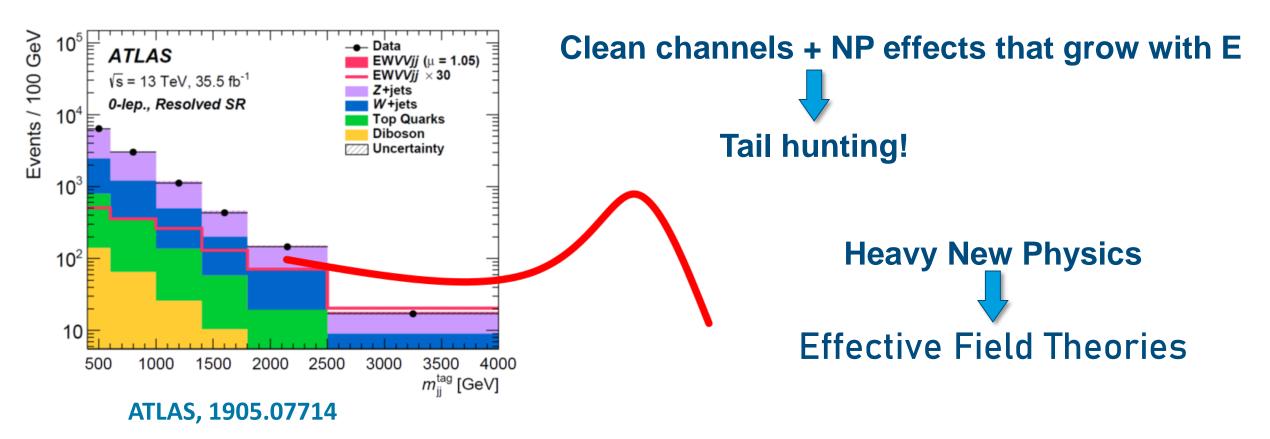
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Clean channels + NP effects that grow with E

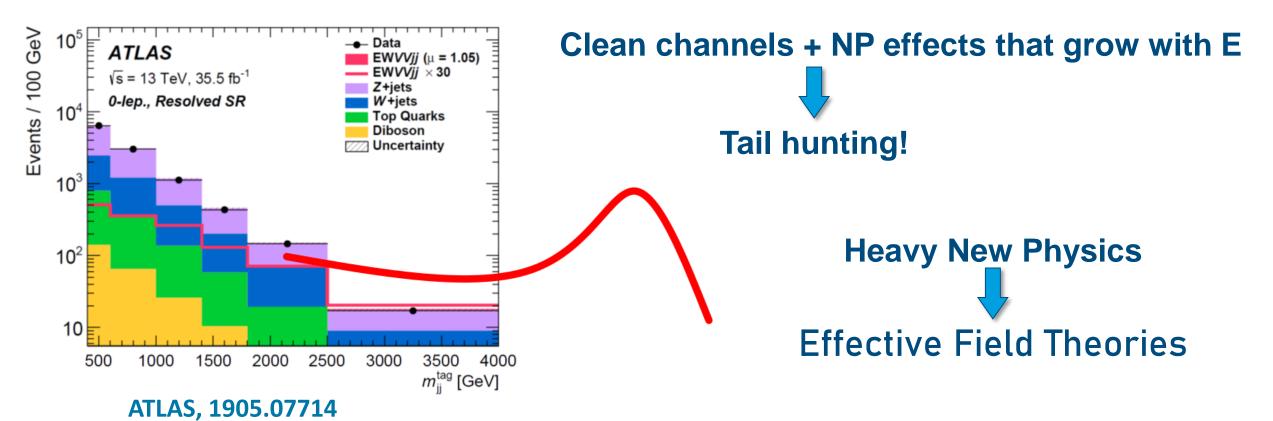
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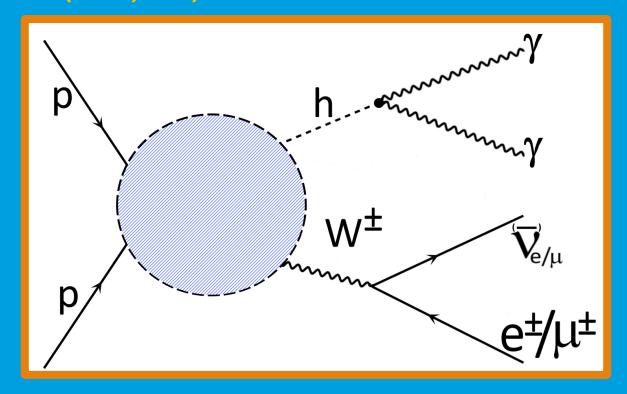
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- Precision with hadron colliders? Yes!



Diboson processes are useful

Leptonic diphoton Wh.

arXiv 2004.06122 (JHEP 07 (2020) 075)



$$pp \to W^{\pm}h \to l^{\pm}\nu\gamma\gamma$$

Assumptions: SMEFT + Dim. 6 op. in Warsaw basis + MFV.

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$$\frac{c_{\varphi q}^{(3)}}{\Lambda^2} \left(\overline{Q}_L \sigma^a \gamma^\mu Q_L \right) \left(iH^\dagger \sigma^a \overleftrightarrow{D}_\mu H \right)$$

$$\frac{c_{\varphi \mathbf{W}}}{\Lambda^2} H^{\dagger} H W^{a,\mu\nu} W^a_{\mu\nu}$$

$$\frac{c_{\varphi\widetilde{\mathbf{W}}}}{\Lambda^2} \, H^{\dagger} H \, W^{a,\mu\nu} \widetilde{W}^a_{\mu\nu}$$

$$\widetilde{W}^{a,\mu\nu} \equiv \frac{1}{2} \epsilon^{\mu\nu\rho\sigma} W^a_{\rho\sigma}$$

Assumptions: SMEFT + Dim. 6 op. in Warsaw basis + MFV.

High energy behavior

$$\frac{c_{\varphi q}^{(3)}}{\Lambda^{2}} \left(\overline{Q}_{L} \sigma^{a} \gamma^{\mu} Q_{L} \right) \left(i H^{\dagger} \sigma^{a} \overleftrightarrow{D}_{\mu} H \right) \longrightarrow \frac{\mathcal{A}_{BSM}}{\mathcal{A}_{SM}} \sim \hat{s}$$

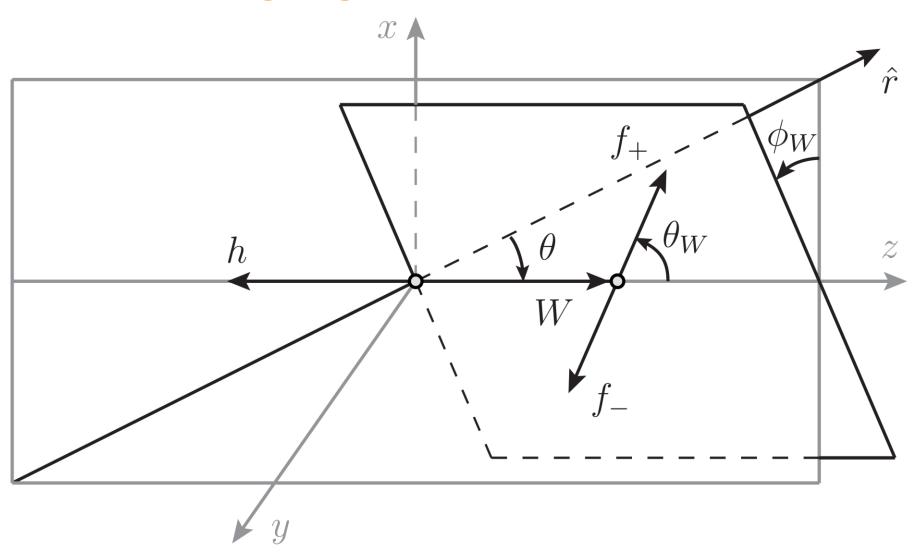
$$\frac{c_{\varphi W}}{\Lambda^{2}} H^{\dagger} H W^{a,\mu\nu} W_{\mu\nu}^{a}$$

$$\frac{c_{\varphi \widetilde{W}}}{\Lambda^{2}} H^{\dagger} H W^{a,\mu\nu} \widetilde{W}_{\mu\nu}^{a}$$

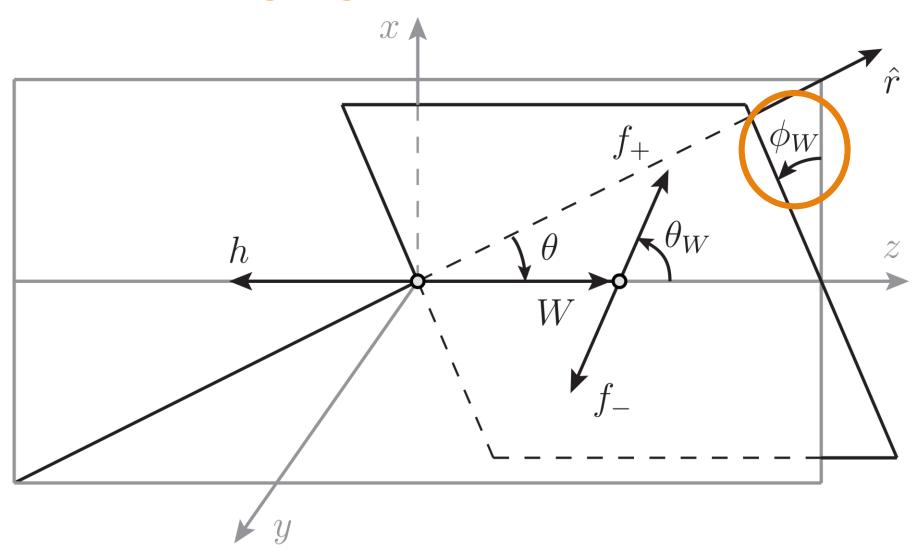
$$\frac{\mathcal{A}_{BSM}}{\mathcal{A}_{SM}} \sim \sqrt{\hat{s}}$$

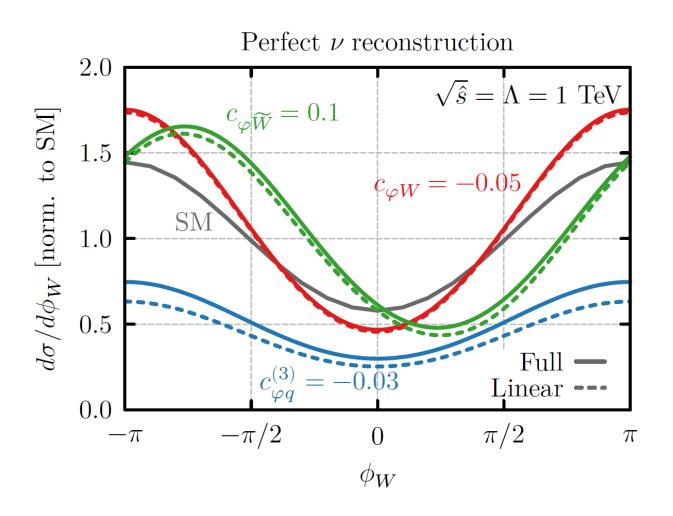
$$\widetilde{W}^{a,\mu\nu} \equiv \frac{1}{2} \epsilon^{\mu\nu\rho\sigma} W^a_{\rho\sigma}$$

Measuring angles resurrects interference



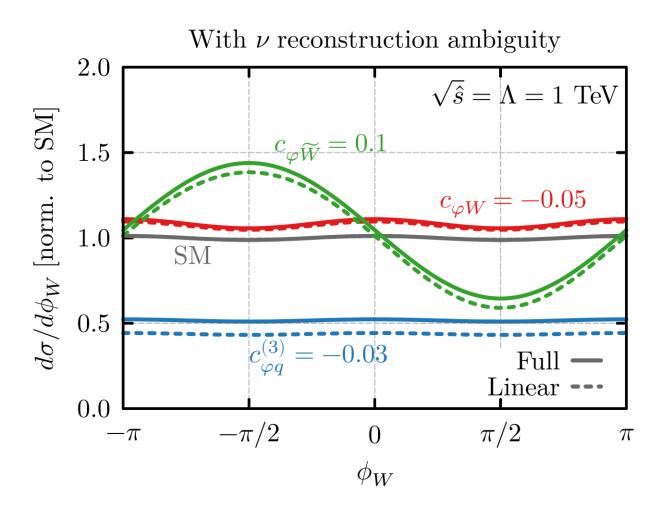
Measuring angles resurrects interference



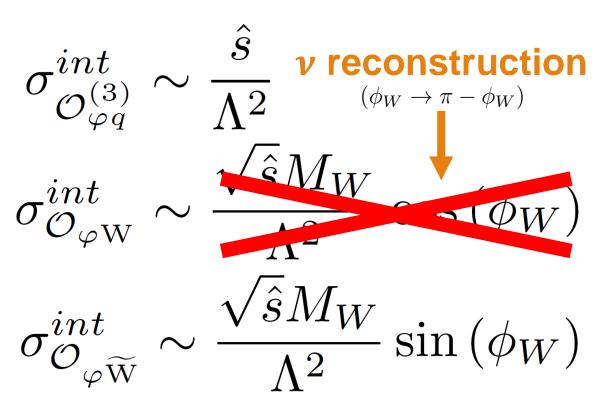


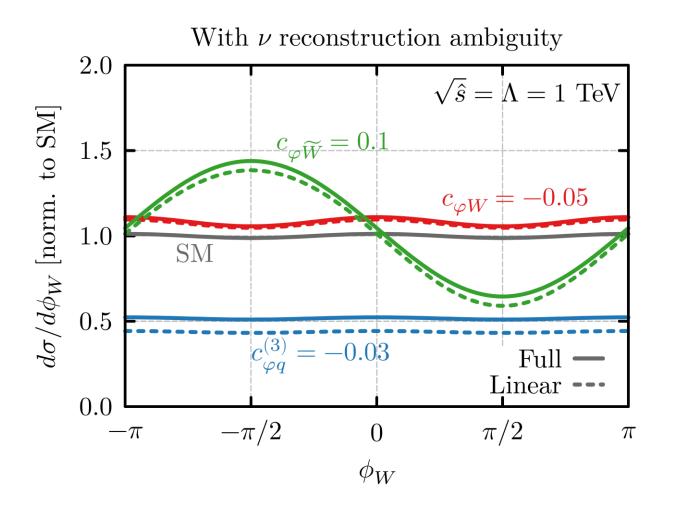
Differential in p_T^h and ϕ_W

$$egin{aligned} \sigma_{\mathcal{O}_{arphi q q}}^{int} &\sim rac{\hat{s}}{\Lambda^2} \ \sigma_{\mathcal{O}_{arphi W}}^{int} &\sim rac{\sqrt{\hat{s}} M_W}{\Lambda^2} \cos{(\phi_W)} \ \sigma_{\mathcal{O}_{arphi \widetilde{W}}}^{int} &\sim rac{\sqrt{\hat{s}} M_W}{\Lambda^2} \sin{(\phi_W)} \end{aligned}$$



Differential in p_T^h and ϕ_W





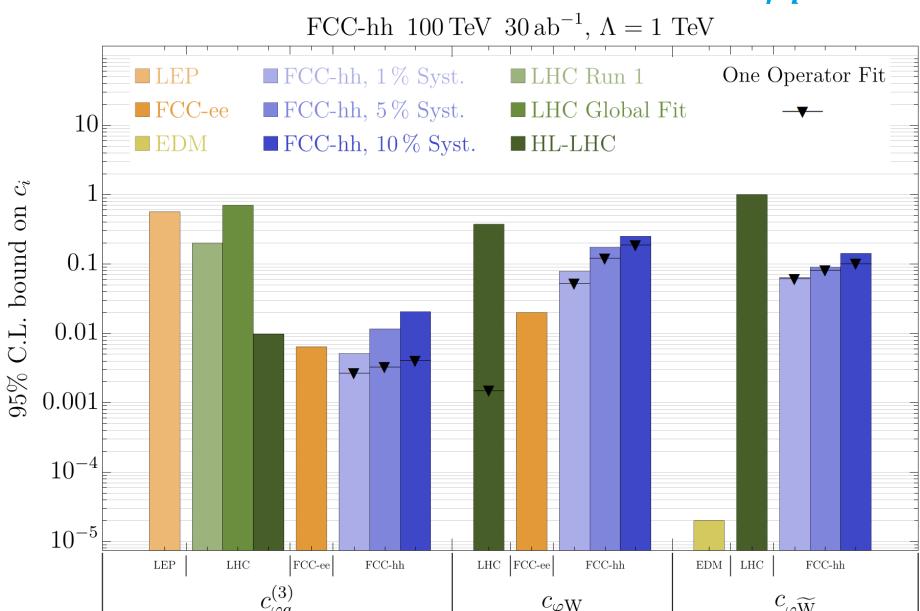
Differential in p_T^h and ϕ_W

$$\sigma^{int}_{\mathcal{O}^{(3)}_{arphi q}} \sim rac{\hat{s}}{\Lambda^2} \, rac{m{v \, reconstruction}}{\sqrt{\hat{s}} M_W} \ \sigma^{int}_{\mathcal{O}_{arphi W}} \sim rac{\sqrt{\hat{s}} M_W}{\Lambda^2} \sin{(\phi_W)} \ \sigma^{int}_{\mathcal{O}_{arphi \widetilde{W}}} \sim rac{\sqrt{\hat{s}} M_W}{\Lambda^2} \sin{(\phi_W)}$$

$$p_T^h \in \{200, 400, 600, 800, 1000, \infty\} \text{ GeV}$$

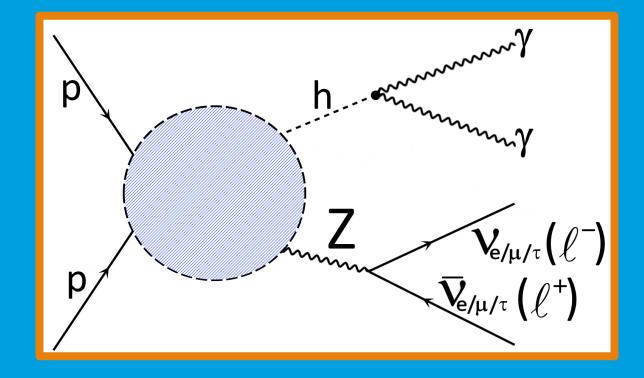
$$\phi_W \in [-\pi, 0], [0, \pi]$$

Results: competitive 95% CL bounds for $c_{\varphi q}^{(3)}$ and $c_{\varphi \widetilde{W}}$



Diphoton Zh.

arXiv 20XX.YYYYY



$$pp \to Zh \to l^+l^- (\nu\bar{\nu})\gamma\gamma$$

Assumptions: SMEFT + Dim. 6 op. in Warsaw basis + Flav. Univ.

$$\frac{c_{\varphi q}^{(3)}}{\Lambda^{2}} \left(\overline{Q}_{L} \sigma^{a} \gamma^{\mu} Q_{L} \right) \left(i H^{\dagger} \sigma^{a} \overleftrightarrow{D}_{\mu} H \right)
\frac{c_{\varphi q}^{(1)}}{\Lambda^{2}} \left(\overline{Q}_{L} \gamma^{\mu} Q_{L} \right) \left(i H^{\dagger} \overleftrightarrow{D}_{\mu} H \right)
\frac{c_{\varphi u}}{\Lambda^{2}} \left(\overline{u}_{R} \gamma^{\mu} u_{R} \right) \left(i H^{\dagger} \overleftrightarrow{D}_{\mu} H \right)
\frac{c_{\varphi d}}{\Lambda^{2}} \left(\overline{d}_{R} \gamma^{\mu} d_{R} \right) \left(i H^{\dagger} \overleftrightarrow{D}_{\mu} H \right)$$

Assumptions: SMEFT + Dim. 6 op. in Warsaw basis + Flav. Univ.

$$\frac{c_{\varphi q}^{(3)}}{\Lambda^{2}} \left(\overline{Q}_{L} \sigma^{a} \gamma^{\mu} Q_{L} \right) \left(i H^{\dagger} \sigma^{a} \overleftrightarrow{D}_{\mu} H \right)
\frac{c_{\varphi q}^{(1)}}{\Lambda^{2}} \left(\overline{Q}_{L} \gamma^{\mu} Q_{L} \right) \left(i H^{\dagger} \overleftrightarrow{D}_{\mu} H \right)
\frac{c_{\varphi u}}{\Lambda^{2}} \left(\overline{u}_{R} \gamma^{\mu} u_{R} \right) \left(i H^{\dagger} \overleftrightarrow{D}_{\mu} H \right)
\frac{c_{\varphi d}}{\Lambda^{2}} \left(\overline{d}_{R} \gamma^{\mu} d_{R} \right) \left(i H^{\dagger} \overleftrightarrow{D}_{\mu} H \right)$$

High energy behavior

$$rac{\mathcal{A}_{BSM}}{\mathcal{A}_{SM}}\sim \hat{s}$$

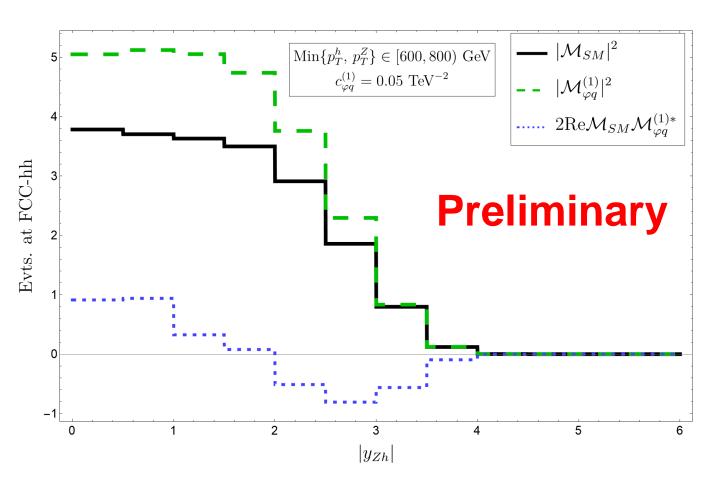
$$\sigma^{int}_{\mathcal{O}_{\varphi u(d)}} \propto g_R^{Zu(d)}$$
 Suppression by SM coupling

$$\sigma^{int}_{\mathcal{O}_{\varphi u(d)}} \propto g^{Zu(d)}_{R}$$

Suppression by SM coupling

$$\sigma^{int}_{\mathcal{O}^{(1)}_{\varphi q}} \propto s_W^2 Q - T_3$$

Cancellation of up and down contributions

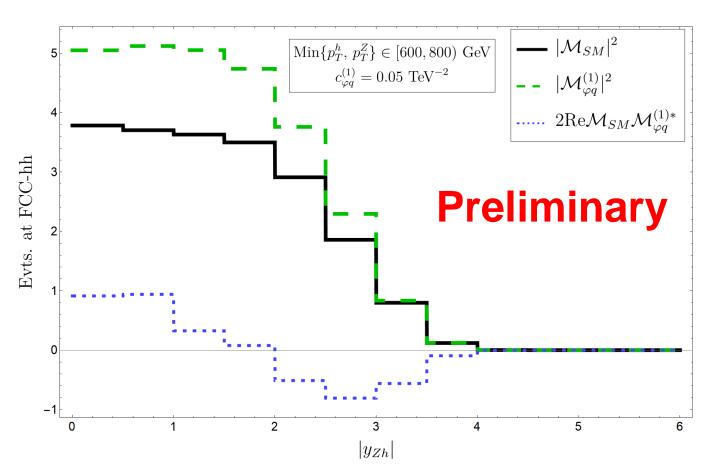


$$\sigma^{int}_{\mathcal{O}_{\varphi u(d)}} \propto g_R^{Zu(d)}$$

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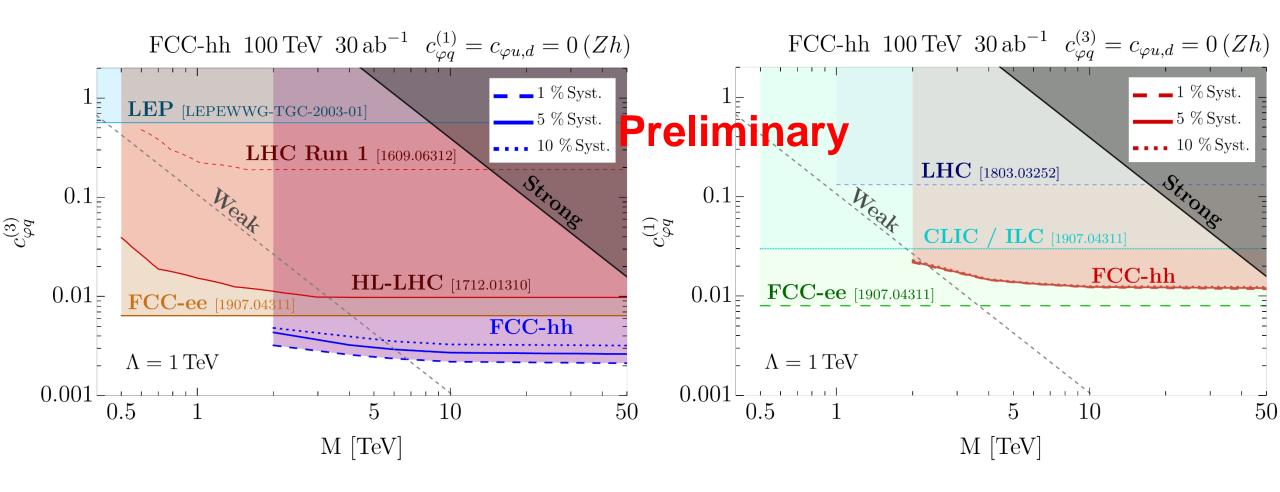
Cancellation of up and down contributions

Differential in p_T and rapidity

$$Min\{p_T^h, p_T^Z\} \in \{200, 400, 600, 800, 1000, \infty\}$$
 GeV

$$|y_{Zh}| \in [0,2), [2,6]$$

Results: similar 95% CL bounds for $c_{\varphi q}^{(3)}$ to Wh and competitive bounds for the rest



Conclusions

- New diboson channels to do precision measurements at FCC-hh, like Wh and Zh with $h \rightarrow \gamma\gamma$.
- With a simple p_T binning, they offer competitive sensitivity to $\mathcal{O}_{\varphi q}^{(3)}$.
- A double binning gives you access to new interference terms and/or softens cancellation effects.
- Wh and Zh with $h \rightarrow \gamma \gamma$ are not exploration channels, but important to probe different directions.

Thank you for your attention

Contact

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Appendix.



Why only at FCC-hh?

Number of events of leptonic Wh with acceptance cuts and $p_T^h > 550~{ m GeV}$

Higgs decay	Higgs BR	$n_{\scriptscriptstyle \mathrm{HL\text{-}LHC}}$	$n_{ ext{HE-LHC}}$	$n_{ ext{FCC-hh}}$
$ar{b}b$	0.6	600	$1 \cdot 10^4$	$2 \cdot 10^5$
au au	$6\cdot 10^{-2}$	60	$1 \cdot 10^3$	$2 \cdot 10^4$
$\gamma\gamma$	$2\cdot 10^{-3}$	2	40	700
$\mu\mu$	$2\cdot 10^{-4}$	0.2	4	70
4ℓ	$1\cdot 10^{-4}$	0.1	2	40

What is an interference term?

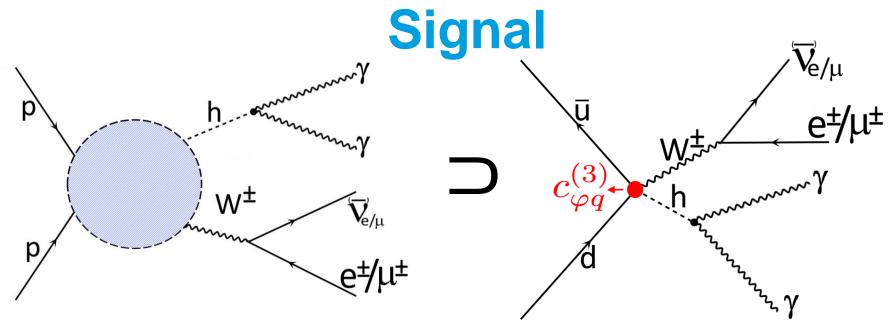
$$\sigma = |\mathcal{M}_{SM}|^2 + 2 \mathrm{Re} \left(\mathcal{M}_{SM} \mathcal{M}_{BSM}^*\right) + |\mathcal{M}_{BSM}|^2$$
Interference $\propto \mathcal{C}_i^{(6)} \qquad \propto \left(\mathcal{C}_i^{(6)}\right)^2$



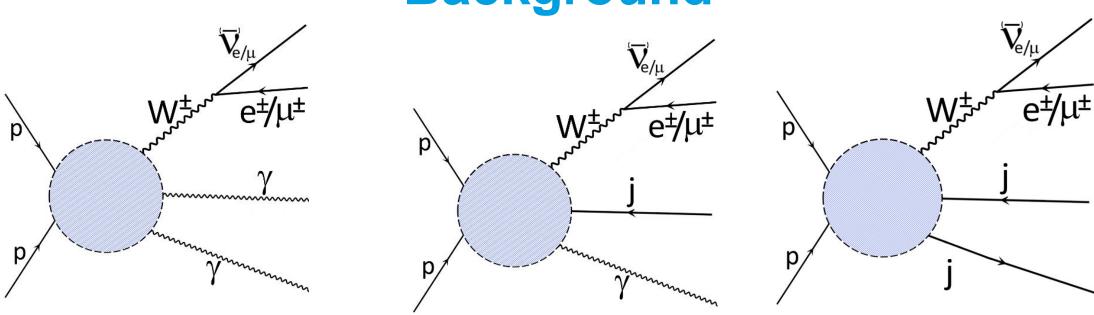
Helicity amplitudes: High energy behavior

W polarization	SM	$\mathcal{O}_{\varphi q}^{(3)}$	$\mathcal{O}_{arphi ext{W}}$	$\mathcal{O}_{arphi \widetilde{\mathrm{W}}}$
$\lambda = 0$	1	$rac{\hat{s}}{\Lambda^2}$	$rac{M_W^2}{\Lambda^2}$	0
$\lambda = \pm$	$\frac{M_W}{\sqrt{\hat{s}}}$	$rac{\sqrt{\hat{s}}M_W}{\Lambda^2}$	$rac{\sqrt{\hat{s}}M_W}{\Lambda^2}$	$rac{\sqrt{\hat{s}} M_W}{\Lambda^2}$





Background





Simulation details

- Montecarlo generation: Madgraph5_aMC@NLO v.2.6.5; showering: Pythia 8.2; detector simulation: Delphes v.3.4.1 with FCC-hh card.
- Signal and $W\gamma\gamma$ simulated at FO, the rest simulated at LO. QED k-factor for the signal.
- Parton level generation cuts:

	Wh		$W\gamma\gamma$	$Wj\gamma$ and Wjj
$p_{T,\mathrm{min}}^{\ell}$ [GeV]		30	(all samples)	
$p_{T,\mathrm{min}}^{\gamma,j}$ [GeV]		50	(all samples)	
$E_{T,\mathrm{min}}$ [GeV]		100	(all samples)	
$ \eta_{ ext{max}}^{j,\ell} $		6.1	(all samples)	
$\Delta R_{\min}^{\gamma\gamma,\gamma j,\gamma\ell}$	_		0.01	0.01
$\Delta R_{ m max}^{\gamma\gamma,\gamma j,jj}$	_		2.5	2
$m^{\gamma\gamma,\gamma j,jj}$ [GeV]	_		[50,300]	[50,250]
$p_{T,\mathrm{min}}^{h,\gamma\gamma}$ [GeV]	{150,350,550,750}	{100,	300,500,700}	_
$p_{T,\mathrm{min}}^{\ell\nu}$ [GeV]			_	$\{100,\!300,\!500,\!700\}$



Analysis details

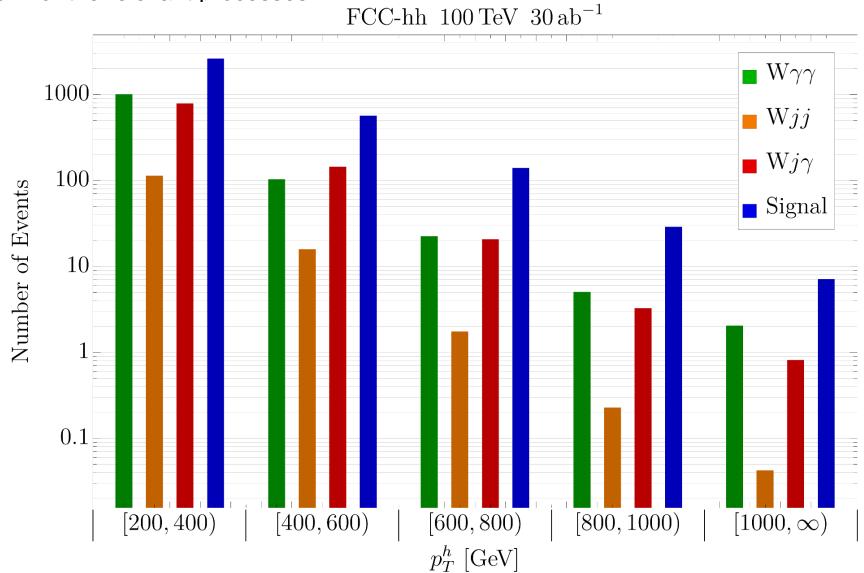
Selection cuts and cutflow in the third p_T^h bin:

	Selection cuts
$p_{T,\mathrm{min}}^{\ell} \; [\mathrm{GeV}]$	30
$p_{T,\mathrm{min}}^{\gamma} \; [\mathrm{GeV}]$	50
$E_{T,\mathrm{min}}\ [\mathrm{GeV}]$	100
$m_{\gamma\gamma} \; [{ m GeV}]$	[120, 130]
$\Delta R_{ m max}^{\gamma\gamma}$	$\{1.3, 0.9, 0.75, 0.6, 0.6\}$
$p_{T,\mathrm{max}}^{Wh} \; [\mathrm{GeV}]$	{300, 500, 700, 900, 900}

Selection cuts / efficiency	$\xi_{h \to \gamma \gamma}^{(3)}$	$\xi_{\gamma\gamma}^{(3)}$	$\xi_{j\gamma}^{(3)}$	$\xi_{jj}^{(3)}$
$\geq 1\ell^{\pm}$ with $p_T > 30 \text{ GeV}$	0.86	0.46	0.94	0.94
$\geq 2\gamma$ each with $p_T > 50$ GeV	0.50	0.18	$5.7 \cdot 10^{-3}$	$8.7 \cdot 10^{-7}$
$E_T > 100\mathrm{GeV}$	0.49	0.16	$5.1 \cdot 10^{-3}$	$8.5 \cdot 10^{-7}$
$120\mathrm{GeV} < m_{\gamma\gamma} < 130\mathrm{GeV}$	0.46	$6 \cdot 10^{-3}$	$2 \cdot 10^{-4}$	$8.2 \cdot 10^{-8}$
$\Delta R^{\gamma\gamma} < \Delta R_{max}$	0.45	$4 \cdot 10^{-3}$	$3.1 \cdot 10^{-5}$	$6.4 \cdot 10^{-8}$
$p_T^{Wh} < p_{T,max}^{Wh}$	0.41	$7 \cdot 10^{-4}$	$1.1 \cdot 10^{-5}$	$4.7 \cdot 10^{-8}$



Events per bin for the relevant processes

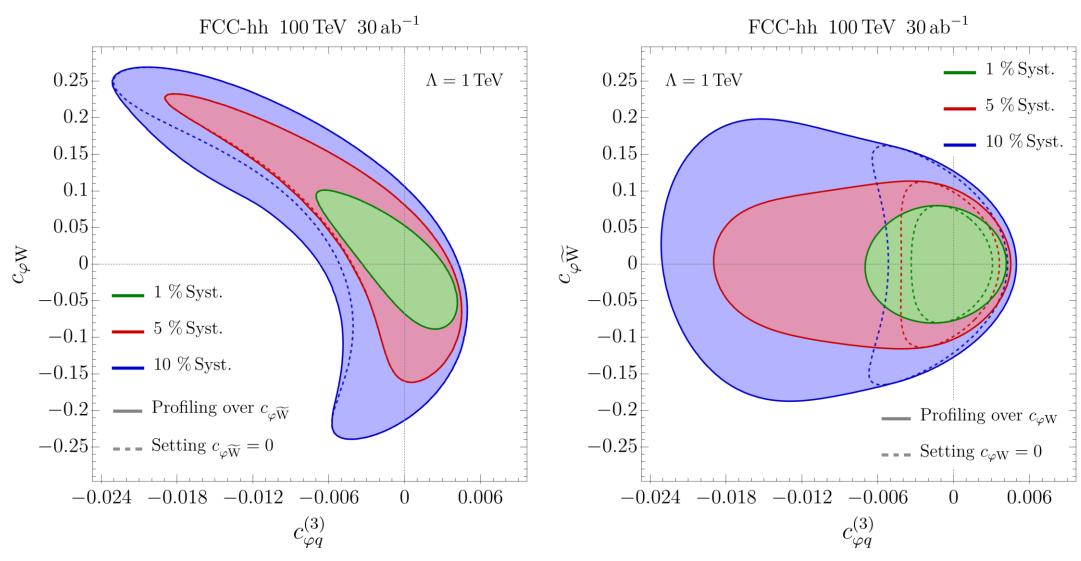




Bounds on $\mathcal{O}_{\varphi q}^{(3)}$ with one operator fit as a function of the NP scale M. See details in JHEP 07 (2020) 075, Fig. 5

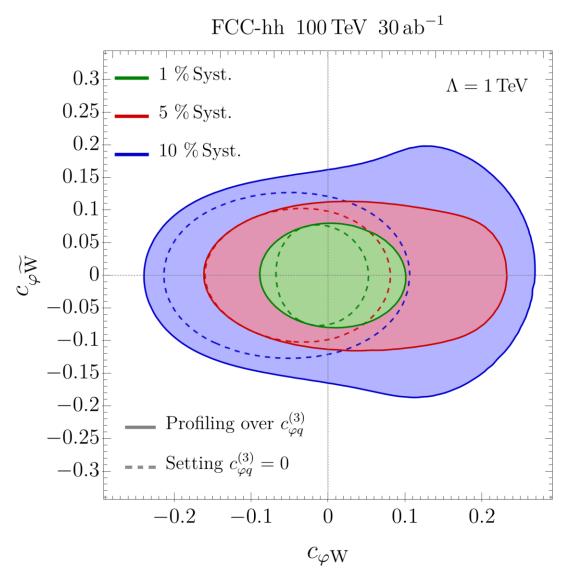


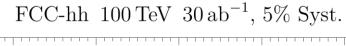
95% CL bounds

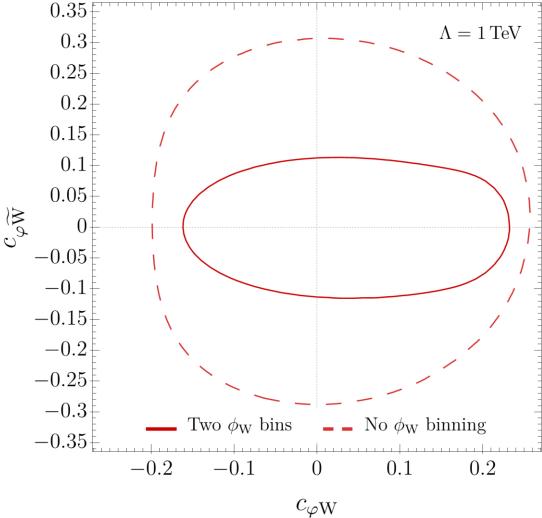




95% CL bounds









95% CL bounds summary

Coefficient	Profiled Fit		One Operator	Fit
	$[-5.1, 3.4] \times 10^{-3}$ 1	% syst.	$[-2.7, 2.5] \times 10^{-3}$	1% syst.
$c_{\varphi q}^{(3)}$	$[-11.6, 3.8] \times 10^{-3}$ 5	% syst.	$[-3.3, 2.9] \times 10^{-3}$	5% syst.
	$[-20.6, 4.1] \times 10^{-3}$ 1	0% syst.	$[-4.0, 3.5] \times 10^{-3}$	10% syst.
	$[-7.1, 7.9] \times 10^{-2}$	1% syst.	$[-5.3, 4.3] \times 10^{-2}$	1% syst.
$c_{arphi ext{W}}$	$[-13.0, 17.5] \times 10^{-2}$	5% syst.	$[-12.1, 6.8] \times 10^{-2}$	5% syst.
	$[-20.0, 25.2] \times 10^{-2}$	10% syst.	$[-18.8, 9.0] \times 10^{-2}$	10% syst.
	$[-6.4, 6.4] \times 10^{-2}$	1% syst.	$[-6.1, 6.1] \times 10^{-2}$	1% syst.
$c_{arphi \widetilde{\mathrm{W}}}$	$[-9.0, 8.8] \times 10^{-2}$	5% syst.	$[-8.1, 8.1] \times 10^{-2}$	5% syst.
	$[-13.5, 14.2] \times 10^{-2}$	10% syst.	$[-10.1, 10.1] \times 10^{-2}$	10% syst.



• Bound on aTGCs. $c_{\varphi q}^{(3)}$ is related to aTGCs as follows:

$$c_{\varphi q}^{(3)} = \frac{\Lambda^2}{m_W^2} g^2 (\delta g_L^{Zu} - \delta g_L^{Zd} - c_\theta^2 \delta g_{1z})$$

For theories where the vertex corrections are small (e.g. universal theories), the bound on $c_{\varphi q}^{(3)}$ can be recast as a bound on ∂g_{1z} . For 5% systematics and $\Lambda = 1$ TeV:

	One operator Fit	Profiled global fit
$\partial g_{1z} \in$	$[-5.0, 4.4] \times 10^{-5}$	$[-17.6, 5.8] \times 10^{-5}$

Bound from other sources:

	LEP	Current LHC	WZ@HL-LHC	FCC-ee
	([1902.00134])	([1810.05149])	([1712.01310])	([1907.04311])
$\partial g_{1z} \in$	$[-1.3, 1.8] \times 10^{-1}$	$[-19, 1] \times 10^{-3}$	$[-1,1] \times 10^{-3}$	$[-5, 5] \times 10^{-4}$



Helicity amplitudes: High energy behavior

Z polarization	SM	$\mathcal{O}_{arphi q}^{(3)}$	$\mathcal{O}_{arphi q}^{(1)}$	$\mathcal{O}_{arphi u}$	$\mathcal{O}_{arphi d}$
$\lambda = 0$	1	$rac{\hat{s}}{\Lambda^2}$	$rac{\hat{s}}{\Lambda^2}$	$rac{\hat{s}}{\Lambda^2}$	$rac{\hat{s}}{\Lambda^2}$
$\lambda = \pm 1$	$rac{M_Z}{\sqrt{\hat{s}}}$	$rac{\sqrt{\hat{s}}M_Z}{\Lambda^2}$	$rac{\sqrt{\hat{s}}M_Z}{\Lambda^2}$	$rac{\sqrt{\hat{s}}M_Z}{\Lambda^2}$	$rac{\sqrt{\hat{s}}M_Z}{\Lambda^2}$

Zh.

Simulation details

- Montecarlo generation: Madgraph5_aMC@NLO v.2.7.3; showering: Pythia 8.2; detector simulation: Delphes v.3.4.1 with FCC-hh card. SMEFT@NLO UFO (http://feynrules.irmp.ucl.ac.be/wiki/SMEFTatNLO)
- Signal simulated at LO and corrected to (QCD+QED) NLO with k-factors. Gluon initiated processes simulated at LO. The rest simulated at QCD NLO.
- Parton level generation cuts:

Cut	Channel		
Cut	$Z o u ar{ u}$	$Z \rightarrow l^+ l^-$	
$p_{T,\min}^j$ [GeV]	30		
$p_{T,\mathrm{min}}^{\gamma} [\mathrm{GeV}]$	50		
$p_{T,\mathrm{min}}^l$	0	30 (only for LO samples)	
$ \eta_{max}^{\gamma,j} $	6.1^{1}		
$ \eta_{max}^l $	∞ 6.1		
$\Delta R^{\ell,\gamma l}$	0.01		
$\Delta R^{\gamma\gamma}$	0.25 (0.01 for LO samples)		
$p_T^{V,j}$	$\{0, 200, 400, 600, 800, 1200, \infty\}$		

Preliminary

Zh.

Analysis details

Selection cuts and binning:

Z o u	$ar{ u}$	$Z \rightarrow l^- l^+$
Bins of $ y^h $	Bins of $min\{p_T^h, p_T^Z\}$	$\}$ Bins of $ y^{Zh} $
[0, 2), [2, 6]	[200, 400)	
[0, 2), [2, 0]	[400, 600)	
[0, 1.5), [1.5, 6]	[600, 800)	[0, 2), [2, 6]
[0, 1), [1, 6]	[800, 1000)	Prelimina
[0, 1), [1, 0]	$[1000, \infty)$	FIGIIIIIIII

	Selection cuts
$p_{T,\mathrm{min}}^{\ell}$ [GeV]	30
$p_{T,\mathrm{min}}^{\gamma} \; [\mathrm{GeV}]$	50
$m_{\gamma\gamma} \; [{\rm GeV}]$	[120, 130]
$m_{l^+l^-} [{\rm GeV}]$	[81, 101]
$\Delta R_{ m max}^{\gamma\gamma}$	$\{1.3, 0.9, 0.75, 0.6, 0.6\}$
$\Delta R_{ m max}^{l^+l^-}$	$\{1.2, 0.8, 0.6, 0.5, 0.4\}$
$p_{T,\text{max}}^{Zh} \text{ [GeV]}$	$\{200, 600, 1100, 1500, 1900\}$

K-factors for signal in 1+QCD+QED format

p_{Tmin} bin [GeV]	$Zh o \ell\ell\gamma\gamma$	$Zh o u u \gamma \gamma$	$Wh o u \ell \gamma \gamma$		
0-200	1 + 0.59 - 0.07 = 1.52	1 + 0.26 - 0.06 = 1.20	1 + 0.17 - 0.04 = 1.13		
200-400	1 + 0.52 - 0.09 = 1.43	1 + 0.31 - 0.09 = 1.22	1 + 0.28 - 0.09 = 1.19		
400 - 600	1 + 0.64 - 0.14 = 1.50	1 + 0.37 - 0.14 = 1.23	1 + 0.28 - 0.17 = 1.11		
600 - 800	1 + 0.69 - 0.18 = 1.51	1 + 0.40 - 0.18 = 1.22	1 + 0.35 - 0.24 = 1.11		
800 - 1000	1 + 0.70 - 0.24 = 1.46	1 + 0.40 - 0.24 = 1.16	1 + 0.39 - 0.32 = 1.07		
$1000-\infty$	1 + 0.69 - 0.32 = 1.37	1 + 0.40 - 0.32 = 1.08			
with now diboson precision measurements Alaia N. Possia, 23 September 2020					

Zh.

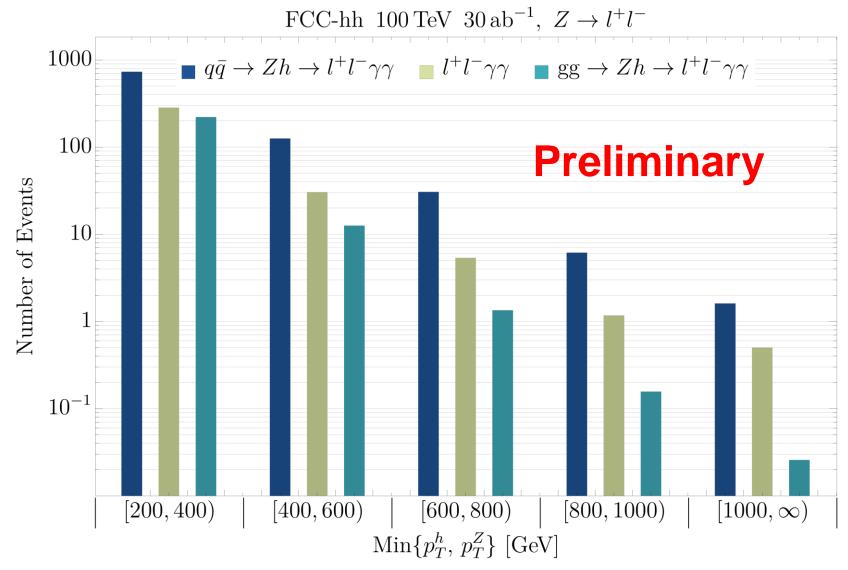
More results

Events per bin for the relevant processes in the neutrino channel. Whiis part of the signal because it is affected

by $\mathcal{O}_{\varphi q}^{(3)}$. FCC-hh $100 \, \text{TeV} \, 30 \, \text{ab}^{-1}, \, Z \rightarrow \nu \bar{\nu}$ $q\bar{q} \to Zh \to \nu\bar{\nu}\gamma\gamma$ $Wh(\to \gamma\gamma)$ $\nu\bar{\nu}\gamma\gamma$ 10^{4} $gg \to Zh \to \nu \bar{\nu} \gamma \gamma$ $V \to J \gamma \gamma$ 1000 **Preliminary** Number of Events 100 10 10^{-1} [200, 400)[600, 800)[800, 1000) $[1000, \infty)$ [400, 600) $\operatorname{Min}\{p_T^h, E_T^{miss}\}\ [\text{GeV}]$



Events per bin for the relevant processes in the leptonic channel.



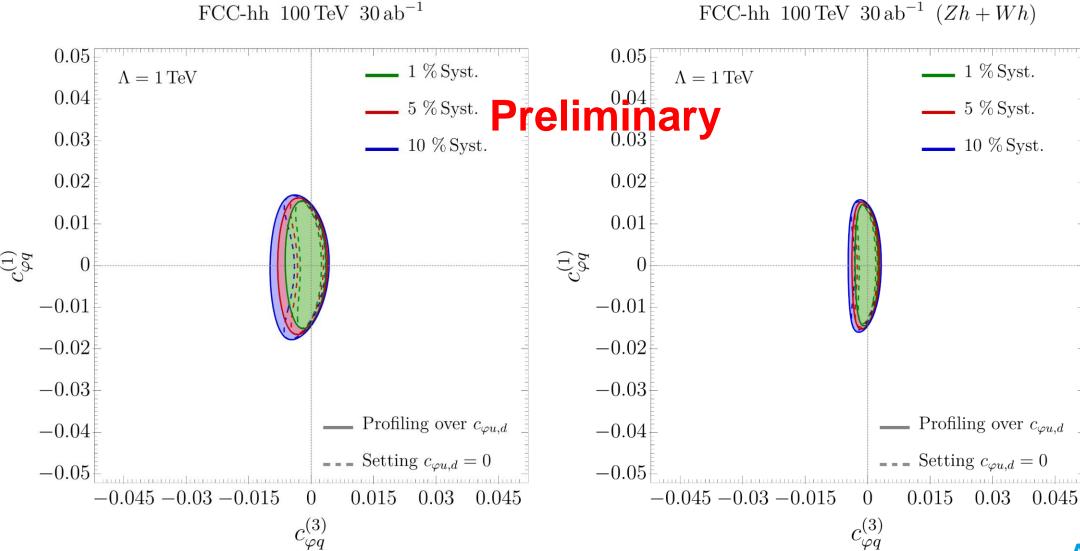
Zh. + Wh.

More results

Bounds on $\mathcal{O}_{\varphi q}^{(3)}$ with one operator fit combiningthe Wh and Zh processes as a function of the NP scale M.



95% CL bounds





95% CL bounds summary

Coefficient	Profiled Fit		One Operator Fit	
$c_{\varphi q}^{(3)}$	$[-5.2, 3.1] \times 10^{-3}$	1% syst.	$[-2.1, 2.0] \times 10^{-3}$	1% syst.
	$[-6.7, 3.3] \times 10^{-3}$	5% syst.	$[-2.6, 2.4] \times 10^{-3}$	5% syst.
	$[-8.2, 3.7] \times 10^{-3}$	10% syst.	$[-3.2, 2.8] \times 10^{-3}$	10% syst.
$c_{\varphi q}^{(3)} \\ (+Wh)$	$[-2.5, 2.1] \times 10^{-3}$	1% syst.	$[-1.6, 1.6] \times 10^{-3}$	1% syst.
	$[-3.0, 2.4] \times 10^{-3}$	5% syst	$[-2.0, 1.9] \times 10^{-3}$	5% syst.
	$[-3.7, 2.7] \times 10^{-3}$	10% syst.	$[-2.4, 2.2] \times 10^{-3}$	10% syst.
$c_{\varphi q}^{(1)}$	$[-1.3, 1.4] \times 10^{-2}$	1% syst.	$[-1.1, 1.15] \times 10^{-2}$	1% syst.
	$[-1.5, 1.5] \times 10^{-2}$	two syst.	$[-1.1, 1.2] \times 10^{-2}$	5% syst.
	$[-1.6, 1.5] \times 10^{-2}$	10% syst.	$[-1.2, 1.2] \times 10^{-2}$	10% syst.
$c_{arphi u}$	$[-2.0, 1.6] \times 10^{-2}$	1% syst.	$[-1.9, 0.89] \times 10^{-2}$	1% syst.
	$[-2.1, 1.7] \times 10^{-2}$	5% syst.	$[-2.1, 0.96] \times 10^{-2}$	5% syst.
	$[-2.2, 1.8] \times 10^{-2}$	10% syst.	$[-2.2, 1.0] \times 10^{-2}$	10% syst.
$c_{arphi d}$	$[-2.1, 2.3] \times 10^{-2}$	1% syst.	$[-1.4, 2.2] \times 10^{-2}$	1% syst.
	$[-2.2, 2.4] \times 10^{-2}$	5% syst.	$[-1.5, 2.2] \times 10^{-2}$	5% syst.
	$-[-2.3, 2.5] \times 10^{-2}$	10% syst.	$[-1.5, 2.2] \times 10^{-2}$	10% syst.