

Simulation

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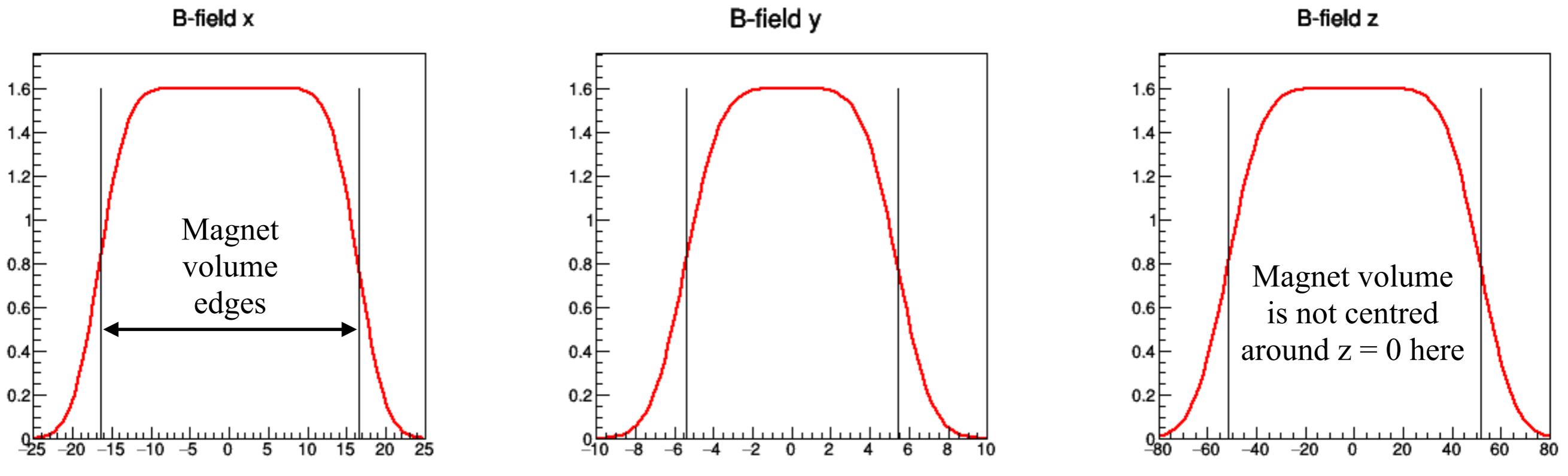


Realistic B -field?

- See last week's intro talk for examples
- Propose to implement as 3D symmetrical product of two-sided error functions (in each dimension) at the edges of the dipole's active volume
- 1D two-sided error function (smooth turn-on between 0 and 1):

$$f(x_i | p_i^0, p_i^1) = \frac{1}{4} \times \left[2 - \text{Erf} \left(\frac{p_i^0/2 + x_i}{p_i^1} \right) \right] \times \left[2 - \text{Erf} \left(\frac{p_i^0/2 - x_i}{p_i^1} \right) \right], \text{ where } p^0$$

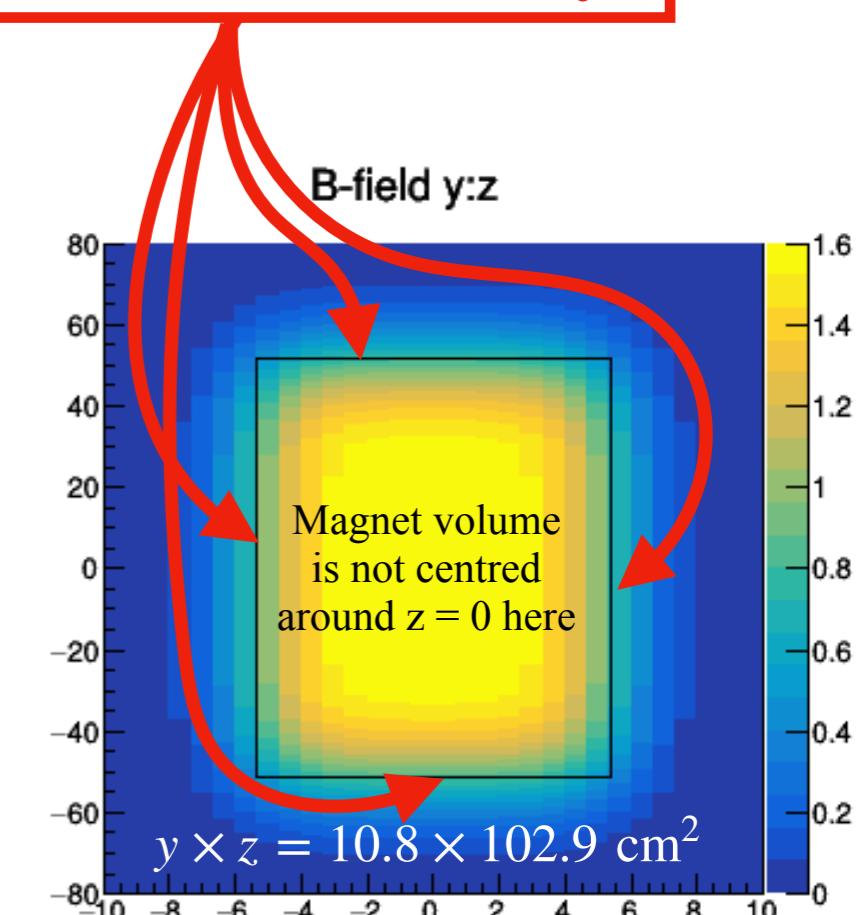
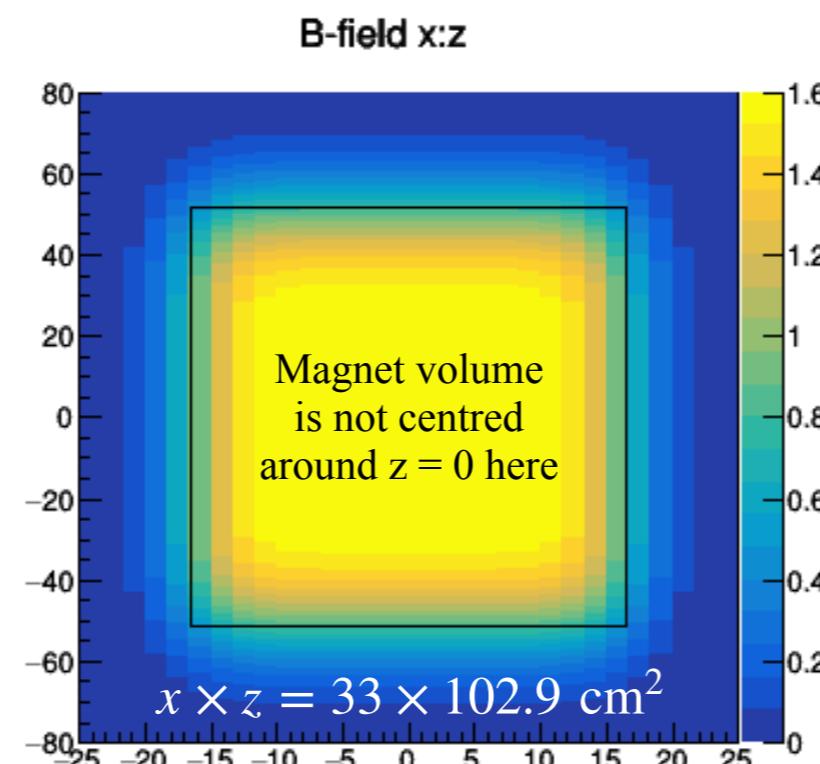
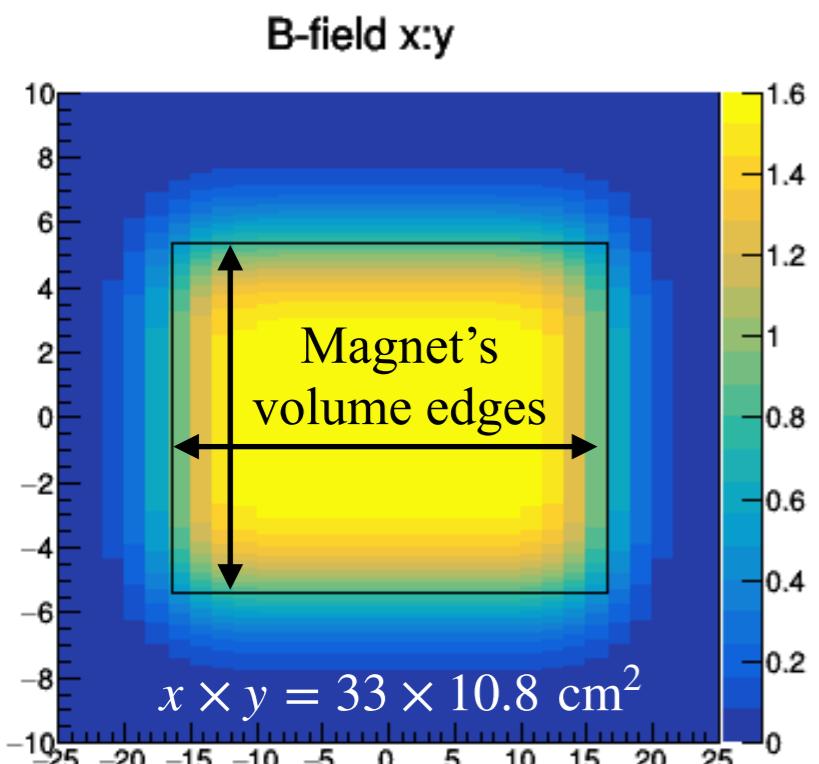
determines where the drop ends, while p^1 determines how fast it drops to 0



Realistic B -field?

- 2D two-sided error function: $f(x_i, x_j) = f(x_i | p_0^i, p_1^i) \times f(x_j | p_0^j, p_1^j)$
- 3D two-sided error function: $f(x, y, z) = f(x, y) \times f(x, z) \times f(y, z)$
- 2D field map: $B \times f(x_i, y_j)$ since f asymptotes to 1
- 3D field map: $B \times f(x, y, z)$

**Magnet's material:
field should be set
to zero manually**



Implementation with PyROOT

```
### dipole parameters
zActiveDipoleLengh      = 102.9 # cm
zActiveDipoleEntrance    = 100   # cm
zActiveDipoleExit        = 202.9 # cm
xActiveDipoleWidth       = 33    # cm
yActiveDipoleHeight      = 10.8  # cm
BfieldGamLaser           = 1.6   # T
BfieldEleLaser           = 1     # T

### dipole field strength differs
strength = BfieldGamLaser

### in 1D (for simplicity assuming here the dipole centred at z=0)
s1func = '[0] * ((2 ROOT::Math::erfc(([1]/2+x)/[2]))/2) * ((2 ROOT::Math::erfc(([1]/2-x)/[2]))/2)'
fieldx = TF1("fieldx", s1func, -25,+25)
fieldy = TF1("fieldy", s1func, -10,+10)
fieldz = TF1("fieldz", s1func, -80,+80)
fieldx.SetParameter('p0', strength)
fieldx.SetParameter('p1', xActiveDipoleWidth)
fieldx.SetParameter('p2', 4)
fieldy.SetParameter('p0', strength)
fieldy.SetParameter('p1', yActiveDipoleHeight)
fieldy.SetParameter('p2', 2)
fieldz.SetParameter('p0', strength)
fieldz.SetParameter('p1', zActiveDipoleLengh)
fieldz.SetParameter('p2', 16)

### evaluate a certain point
B = fieldz.Eval(50) ### field strength at z=50 cm
```

Implementation with PyROOT

```
### in 2D (for simplicity assuming here the dipole centred at z=0)
s2func = '[0] * ((2 ROOT::Math::erfc(([1]/2+x)/[2]))/2) * ((2 ROOT::Math::erfc(([1]/2-x)/[2]))/2) \
           * ((2 ROOT::Math::erfc(([3]/2+y)/[4]))/2) * ((2 ROOT::Math::erfc(([3]/2-y)/[4]))/2)'
fieldxy = TF2("fieldxy", s2func, -25,+25, -10,+10)
fieldxz = TF2("fieldxz", s2func, -25,+25, -80,+80)
fieldyz = TF2("fieldyz", s2func, -10,+10, -80,+80)
fieldxy.SetParameter('p0', strength)
fieldxy.SetParameter('p1', xActiveDipoleWidth)
fieldxy.SetParameter('p2', 4)
fieldxy.SetParameter('p3', yActiveDipoleHeight)
fieldxy.SetParameter('p4', 2)
fieldxz.SetParameter('p0', strength)
fieldxz.SetParameter('p1', xActiveDipoleWidth)
fieldxz.SetParameter('p2', 4)
fieldxz.SetParameter('p3', zActiveDipoleLengh)
fieldxz.SetParameter('p4', 16)
fieldyz.SetParameter('p0', strength)
fieldyz.SetParameter('p1', yActiveDipoleHeight)
fieldyz.SetParameter('p2', 2)
fieldyz.SetParameter('p3', zActiveDipoleLengh)
fieldyz.SetParameter('p4', 16)
```

Implementation with PyROOT

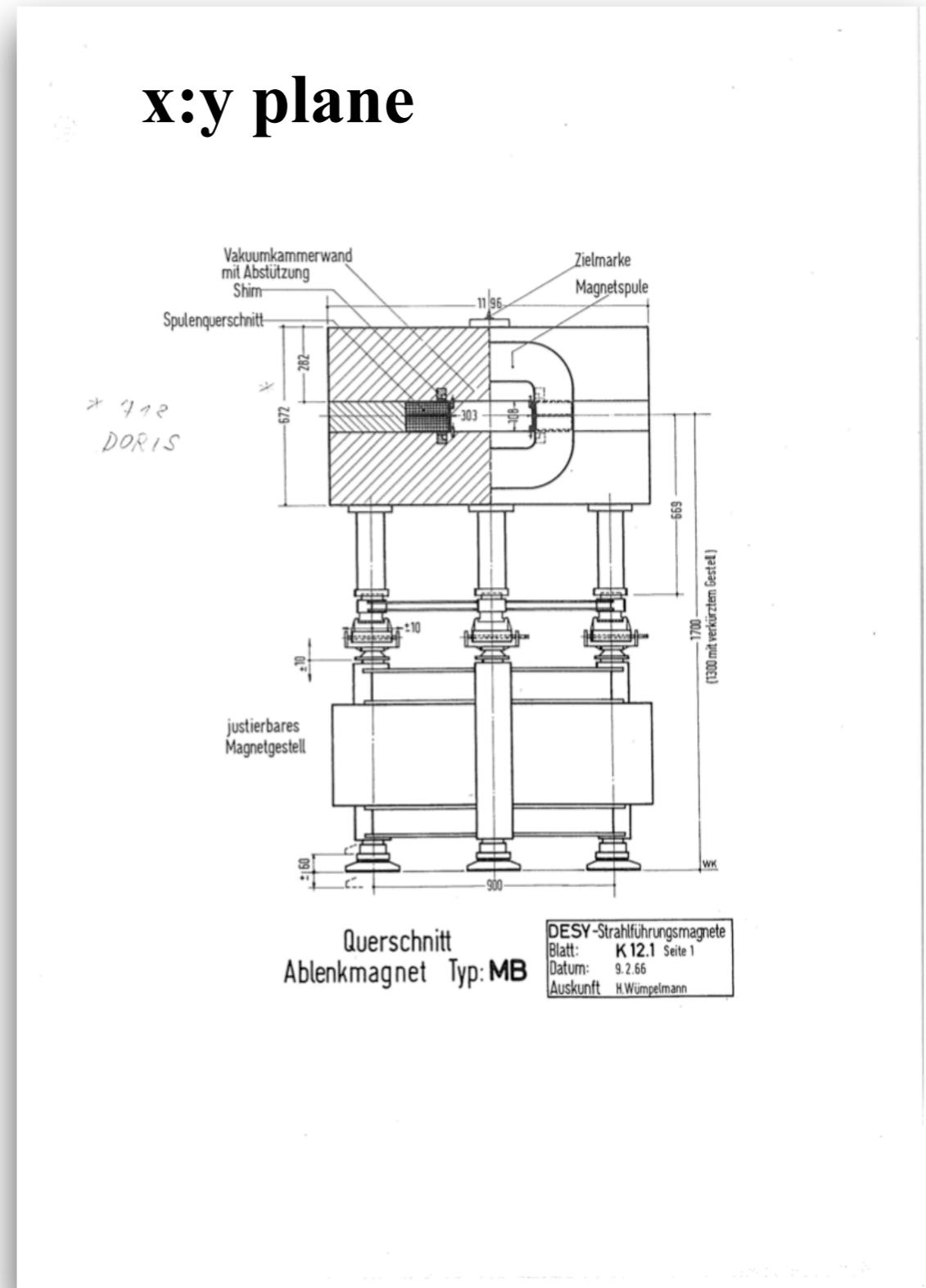
```
### in 3D (for simplicity assuming here the dipole centred at z=0)
s3func = '[0] * ((2 ROOT::Math::erfc(([1]/2+x)/[2]))/2)*((2 ROOT::Math::erfc(([1]/2-x)/[2]))/2) \
           * ((2 ROOT::Math::erfc(([3]/2+y)/[4]))/2)*((2 ROOT::Math::erfc(([3]/2-y)/[4]))/2) \
           * ((2 ROOT::Math::erfc(([5]/2+z)/[6]))/2)*((2 ROOT::Math::erfc(([5]/2-z)/[6]))/2)'
fieldxyz = TF3("fieldxyz", s3func, -25,+25, -10,+10, -80,+80)
fieldxyz.SetParameter('p0', strength)
fieldxyz.SetParameter('p1', xActiveDipoleWidth)
fieldxyz.SetParameter('p2', 4)
fieldxyz.SetParameter('p3', yActiveDipoleHeight)
fieldxyz.SetParameter('p4', 2)
fieldxyz.SetParameter('p5', zActiveDipoleLengh)
fieldxyz.SetParameter('p6', 16)

### get the field strength at any xyz
print("field at r=(0.0,0.0,50.0): %.3f [T]" % fieldxyz.Eval(0,0,50))
print("field at r=(0.5,8.0,60.0): %.3f [T]" % fieldxyz.Eval(0.5,8,60))
print("field at r=(0.0,0.0,0.0) : %.3f [T]" % fieldxyz.Eval(0.0,0,0))

### output should be:
field at r=(0.0,0.0,50.0): 0.881 [T]
field at r=(0.5,8.0,60.0): 0.012 [T]
field at r=(0.0,0.0,0.0) : 1.600 [T]
```

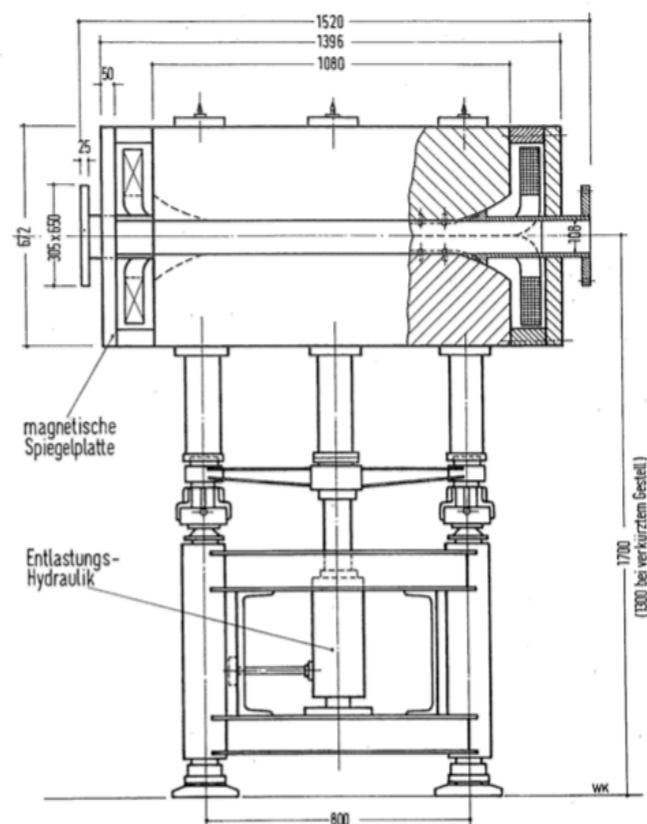
Magnet doc #1

DESY-Strahlführungsmagnete		
Blatt:	K 12	
Datum:	1.4.66	
Auskunft:	K. Holm H. Wümpelmann	
ABLENKMAGNET TYP MB		
Technische Daten		
Vorhandene Anzahl	18	
Magnetgewicht	7,5 t	
Gesamtlänge zwischen den Vakuumkammerflanschen	1520 mm	
nutzbare Apertur in der Vakuumkammer	Höhe 108 mm Breite 303 mm	
Polabstand	108 mm	
Spulenöffnung	330 mm	
Polendabrundung	$z \cdot s = 120 \cdot 120 \text{ mm}^2$	
max. Stromstärke	1500 A	
Feldstärke bei 1500 A	22,4 Kr	
Leistungsverbrauch bei 1500 A	400 KW	
Gesamtwiderstand bei 20°C	0,165 Ω	
integrierte magnetische Länge	1029 mm	
Zeitkonstante L/R (berechnet für 50°C)	0,6 sec	
Gesamtwindungszahl	270 140	
mittlere Windungslänge	3700 mm	
Leiterquerschnitt	Quadrat 9,9 mm ² mit Loch 5,5 φ mm	
Zahl der Kühlkreise pro Spule	14	
Kühlwassermenge bei 1500 A und ΔT = 40°C	146 l/min	
erforderl. Differenzdruck für 146 l/min	9,0 at	



Magnet doc #2

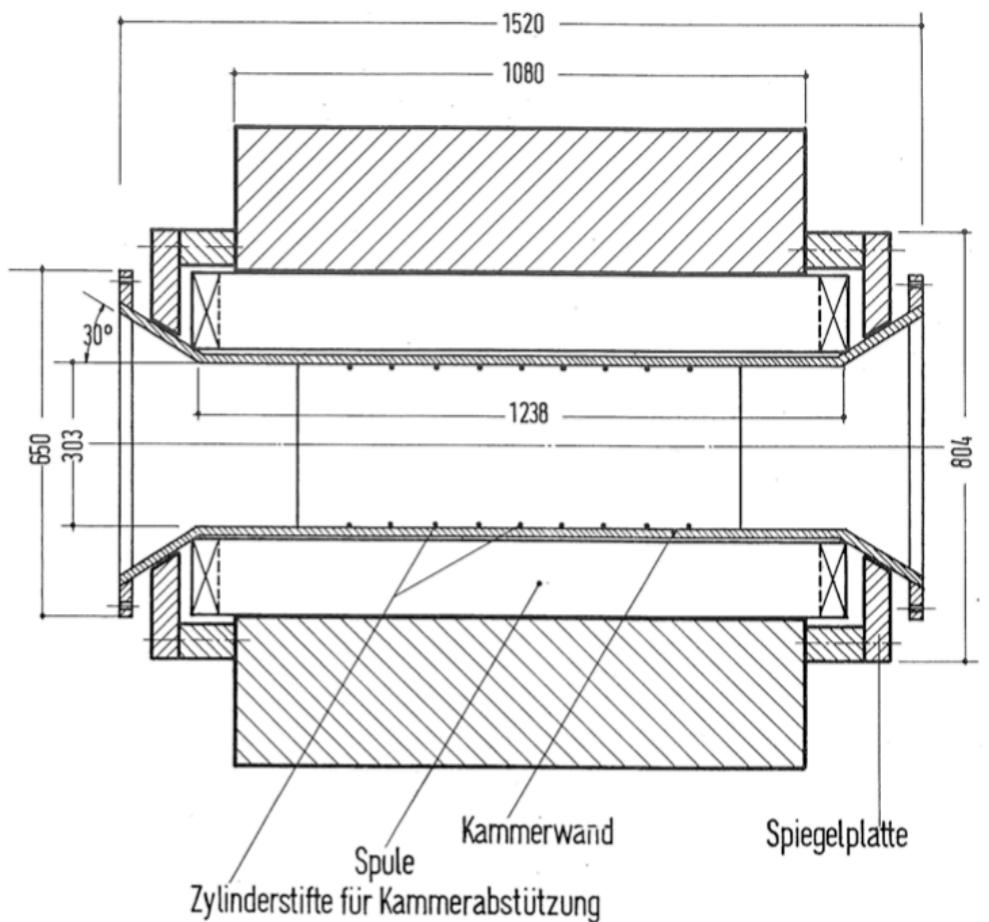
y:z plane



Seitenansicht
Ablenkmagnet Typ: **MB**

DESY-Strahlführungsmagnete
Blatt: K 12.1 Seite 2
Datum: 9.2.66
Auskunft: H.Wümpelmann

x:z plane



Draufsicht (Mittelschnitt)
Ablen-Magnet Typ: **MB**

DESY-Strahlführungsmagnete
Blatt: K 12.1 Seite 3
Datum: 9.2.66
Auskunft: H.Wümpelmann

Magnet doc #3

