

# **TESTKONFERENZ 1**

Friday 28 August 2020 - Tuesday 1 September 2020

CCH

## **Book of Abstracts**



Das ist das Testbook of Abstracts später stehen dann die echten Abstracts hier.....

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## Session 1 / 0

**Henk Veerman war eine Torgarantie für die Hamburger. Warum der Niederländer jetzt den Verein verlässt.****Author:** Ewald Lienen<sup>1</sup>**Co-authors:** Holger Stanislawski <sup>1</sup>; Walter Frosch <sup>2</sup><sup>1</sup> FCSP<sup>2</sup> FCSP Alter Stamm

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**Summary:**

Hamburg. Der FC St. Pauli hat kurzfristig einen seinen wichtigsten Spieler verloren. Stürmer Henk Veerman (29), der in insgesamt 38 Zweitligaspielen für St. Pauli 17 Treffer erzielte und weitere sieben Tore vorbereitete, kehrt mit sofortiger Wirkung zum niederländischen Erstligisten SC Heerenveen zurück.

## Session 2 / 1

**Warum der Ball ins Eckige muss****Author:** Philosoph Sokrates<sup>1</sup>**Co-author:** Heribert Pilates <sup>2</sup><sup>1</sup> Testfacility<sup>2</sup> testfacility

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## Session 4 / 3

## Wenn Dosen rollen - Geld und Macht in Leipzig

**Author:** Rolf Rangneck<sup>1</sup>

<sup>1</sup> *DOSEN FC*

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Session 5 / 4

## Hand und Fuss - wessen Ball ist es

**Author:** Eins Tester<sup>1</sup>

<sup>1</sup> TestUniversity

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Session 5b / 5

## Testball - Millerntor vs. Volkspark, wo rollt er besser??

**Author:** Nobbie Muster<sup>1</sup>

<sup>1</sup> Blabltests

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$$g_2(q,t)=1+b \exp \left[ \frac{(-2(\Gamma t)^2)}{2} \right]$$

#### Session 7a / 6

### test 3

**Author:** Max Schattensponder<sup>1</sup>

**Co-author:** Gertig Oasenbauer<sup>2</sup>

<sup>1</sup> *Blubb University, London*

<sup>2</sup> *klkjlkj*

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**Session 7b / 7**

## TESTKONFERENZ 45

**Author:** Doc Snyder<sup>1</sup>

**Co-author:** Donald Duck <sup>2</sup>

<sup>1</sup> *GHvC*<sup>2</sup> *DD University*

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**Session 10 / 8**

## Test 456 - Weißwurstconnections

**Author:** Schani Hupf in Gatsch<sup>1</sup>

<sup>1</sup> *Moor University Grenoble*

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$\Theta\Psi\lambda\xi\Phi\alpha\gamma\epsilon\mu$   $\Theta\Psi\lambda\xi\Phi\alpha\gamma\epsilon\mu$   $\Theta\Psi\lambda\xi\Phi\alpha\gamma\epsilon\mu$

#### Summary:

Duis autem vel eum iriure dolor in hendrerit in vulputate velit esse molestie consequat, vel illum dolore eu feugiat nulla facilisis.

$g_2(q,t)=1+b \exp \left[ \left[ (-2(\Gamma t)^2) \right] \right]$

$$\rightarrow \leftrightarrow \partial \infty \int \approx \geq \neq - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \neq - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \neq - \sqrt{\sqrt{\phantom{x}}}$$

$\Theta\Psi\lambda\xi\Phi\alpha\gamma\epsilon\mu$   $\Theta\Psi\lambda\xi\Phi\alpha\gamma\epsilon\mu$   $\Theta\Psi\lambda\xi\Phi\alpha\gamma\epsilon\mu$

#### Session 11 / 9

## Das Weinlied eine Besonderheit

**Author:** Dagobert Duck<sup>1</sup>

<sup>1</sup> *DD University*

Duis autem vel eum iriure dolor in hendrerit in vulputate velit esse molestie consequat, vel illum dolore eu feugiat nulla facilisis.

$g_2(q,t)=1+b \exp \left[ \left[ (-2(\Gamma t)^2) \right] \right]$

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$$\rightarrow \leftrightarrow \partial \infty \int \approx \geq \neq - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \neq - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \neq - \sqrt{\sqrt{\phantom{x}}}$$

$\Theta\Psi\lambda\xi\Phi\alpha\gamma\epsilon\mu$   $\Theta\Psi\lambda\xi\Phi\alpha\gamma\epsilon\mu$   $\Theta\Psi\lambda\xi\Phi\alpha\gamma\epsilon\mu$

#### Summary:

Duis autem vel eum iriure dolor in hendrerit in vulputate velit esse molestie consequat, vel illum dolore eu feugiat nulla facilisis.

$g_2(q,t)=1+b \exp \left[ \left[ (-2(\Gamma t)^2) \right] \right]$

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$$\rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}}$$

$$\theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu \quad \theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu \quad \theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu$$

Session 13 / 10

## Moinsen - Hamburg als Tor zur Welt!!!

**Author:** Hummel Quidje<sup>1</sup>

<sup>1</sup> *Altona.dk*

Duis autem vel eum iriure dolor in hendrerit in vulputate velit esse molestie consequat, vel illum dolore eu feugiat nulla facilisis.

$$g_2(q,t)=1+b \exp \left[ \left( -2(\Gamma t)^2 \right) \right]$$

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$$\rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}}$$

$$\theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu \quad \theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu \quad \theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu$$

**Summary:**

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$$\rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}}$$

$$\theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu \quad \theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu \quad \theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu$$

Session 14 / 11

## Surfaces and Tests

**Author:** Ernst Tester24<sup>1</sup>

<sup>1</sup> *GGHHGGHHGGH*

Duis autem vel eum iriure dolor in hendrerit in vulputate velit esse molestie consequat, vel illum dolore eu feugiat nulla facilisis.

$$g_2(q,t)=1+b \exp \left[ \left( -2(\Gamma t)^2 \right) \right]$$

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$$\rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}}$$

$\theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu \theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu \theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu$

#### Summary:

Duis autem vel eum iriure dolor in hendrerit in vulputate velit esse molestie consequat, vel illum dolore eu feugiat nulla facilisis.

$$g_2(q,t)=1+b \exp \left[ \left[ (-2(\Gamma t)^2) \right] \right]$$

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$$\rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}} \rightarrow \leftrightarrow \partial \infty \int \approx \geq \leq \# - \sqrt{\sqrt{\phantom{x}}}$$

$\theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu \theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu \theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu$

#### Session 1 / 12

### test12

#### Summary:

13

### Ich mag Kekse

**Author:** Moritz Hamming<sup>1</sup>

<sup>1</sup> IT (IT Ausbildung)

**Corresponding Author:** moritz.hamming@desy.de

test

#### Summary: