

# TESTKONFERENZ 1

Contribution ID: 8

Type: **Contributed talk**

## Test 456 - Weißwurstconnections

Monday 31 August 2020 11:20 (15 minutes)

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### Summary

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$$\theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu \theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu \theta \Psi \lambda \xi \Phi \alpha \gamma \epsilon \mu$$

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**Session Classification:** Session 10