

AMALEA: HZB Final Report

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AMALEA, 17/12/2020



Preliminary Studies

Beam Lifetime Prediction

Reinforcement Learning Projects

Injection Efficiency Booster Current Optimization Beamline Raytracing Mitigation of Harmonic Orbit Perturbations

Digital Twin

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Device	Injector Ring accelerator	ndulator Beamline	Experiment	
Data	 Archive, Diagnostic Simulations Online optimization 	 Diagnostic Raytracing Scans/online data 	 Demands Simulations Beamtimes 	
Methods	 SVR-RFF DNN Deep-RL-Control RNN, LSTM 	 Autoencoder CNN, MLP, GBoost Dataloader Tensor product kNN, auto-diff. 	 Reasonable random generator 	
Agent	Operator	Beamline scient	st (Random-) User	



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Beam lifetime: defined via the current decay rate



- EPICS Variable can't be used very delayed
- First approach: exact calculation from measurements unstable due to measurement errors

$$\frac{1}{t} = -\frac{\ln(I_t) - \ln(I_{t_0})}{t - t_0}$$

Final approach: **piecewise linear regression** with k previous measurements (experiments with k = 20)

$$\frac{1}{\tau} \approx -\frac{1}{I_t} \frac{\sum_{i=0}^k (I_{t-i} - I_{t_0})(t - i - t_0)}{\sum_{i=0}^k (t - i - t_0)^2}$$





185 input variables: undulator gaps and shifts (21), quadrupole (58) and sextupole (7) currents, quadrupole offsets (38), local beam loss measurements (49)...

 Evenly distributed feature importances quadrupoles (offsets) and undulator gaps stand out.

Beam Lifetime Prediction: SVR-RFF and DNN with chronological split





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We can define the injection efficiency as the **fraction of current increase** generated in the storage ring by the charge accelerated in the booster. Injection efficiency is known to be affected by temperature and nowadays needs **manual tuning** \rightarrow suitable for **RL-based optimization**





Action variables:

- **Deflection angle into the storage ring**, generated by the 2nd septum.
- Deflection angle into the booster, generated by the 2nd septum.
- State variables (19):
 - Number of **bunches** generated by the LINAC (1, 3 or 5).
 - Injection angle mismatch, measured by the beam position in the transfer line (x,y).
 - Current measured during the booster acceleration phase.
 - Measured loss rate after extraction from the booster.
 - Power supply currents into quadrupoles (3 variables).
 - Collisions with rest gas particles and vacuum pressures (4 variables).
 - Peak intensity of the remaining ring and booster septa and kickers (6 variables).
- Reward: injection efficiency of the last shot.



Observed states:





Observed states + actions:





Observed states + actions + rewards:





The 2nd exploitation period (18:42 - 19:01) achieved a mean efficiency of $97.11 \pm 2.09\%$



Restricted to multibunch injections the mean efficiency was $98.56 \pm 0.46\%$





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After long interruptions of the machine operation, the booster current tends to be low - as for today, **manual parameter tuning** is required.

We seek an automatized, RL-based solution.

- State variables:
 - High (radio) frequency master clock.
 - Voltage in LINAC.
 - Klystron current diagnostic measurements.
- Action variable: time phase in LINAC. Observations show that this parameter does not affect the injection efficiency.
- Reward: (normalized) booster current per bunch.







Exploration is scheduled in the meantime between injections to avoid disturbing user activity - optimization activated shortly before each injection.





- Reward in blue, action in red remaining lines correspond to state variables.
- Pretraining with 30 days of historical data. Exploration with automatic schedule shaded first hour.
- The agent optimizes (and learns) successfully during the next 8.5 hours of user operation.

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- UE112 PGM-1 is a low-energy high-flux beamline with permanent meV RIXS experiment and open port for flexible end stations.
- The RMU (refocussing mirror unit) consists of two mirrors (M4 and M5), each parameterized by 3 translations and 3 rotations.
- Only the 6 rotation axes are motorized translation has to be set manually.

Given *any* initial translation and rotation configuration, is it possible to reach a footprint of size $\sim 1 \times 20 \,\mu$ m (disregarding the position at the screen) just modifying the rotation?



Beamline Raytracing: Simulation with RAY-UI





- P. Baumgärtel, M. Witt, J. Baensch, M. Fabarius, A. Erko, F. Schäfers and H. Schirmacher, RAY-UI: A Powerful and Extensible User Interface for RAY, AIP Conf. Proc. 1741, 040016 (2016)
- P. Baumgärtel, P. Grundmann, T. Zeschke, A. Erko, J. Viefhaus, F. Schäfers, and H. Schirmacher, RAY-UI: New Features and Extensions, AIP Con. Proc. 2054, 060034 (2019)

http://hz-b.de/ray 15

Tests at the real beamline had to be postponed...

Beamline Raytracing: A (nice) test run





0.6585



UE112-PGM1_rayUI_v12-04_190807_100eV_harm1_Refl_mac; 2020-09-09 17:29

UE112-PGM1_rayUI_v12-04_190807_100eV_harm1_Refl_mac; 2020-09-09 17:31



RAY-UI (Changeset ID: c473858ae6f8)



RAY-UI (Changeset ID: c473858ae6f8)



We analyze **499 test runs** of the agent retracing and pick the **best footprint within 10 steps**. The initial position of the 12 parameters (translations and rotations) are sampled from a gaussian with $\sigma = 0.2$ (w.r.t. normalized parameter ranges)







Beamline Raytracing: Correlation analysis of optimal positions





-1.00

M4Tx vt	s M4Tx	M4Tx vs M4Ty	M4Tx vs M4Tz	M4Tx vs M4Rx	M4Tx vs M4Ry	M4Tx vs M4R2	M4Tx vs NSTx	M4Tx vs MSTy	M4Tx vs MSTz	M4Tx xs M5Rx	M4Tx vs HSBy	M4Tx vs MSRz	
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Horizontal beam motion spectrum:





Horizontal beam motion spectrum with fast orbit correction:





Horizontal beam motion spectrum with fast orbit correction:



Is it possible to mitigate the perturbations in the range 10-30Hz with a RL Agent?





Simulation of perturbed beam motion spectrum (horizontal quadrupole offset perturbed)





Simulation of perturbed beam motion spectrum corrected with RL-Agent



- In July 2020 we managed to set up the infrastructure for RL-based correction of harmonic perturbations during machine commissioning.
 - \rightarrow First *plausibility tests* of the Naus-based framework **up to 20Hz** were carried out succesfully.
- In September 2020 we carried out new tests, focussing on the code performance in order to accelerate the interaction loop and so get first meaningful learning results.

 \rightarrow A direct zmq-communication with the mBox (fast orbit correction infrastructure) was established, allowing an acceleration of the RL-interaction loop **up to 100Hz**.



Comparison of BPM and steerers motion (RMS, Archiver data):



BPM RMS norm: red = exploration, blue = exploitation, orange = agent off (comparison) Learning rate: learn at every step at \sim 26.6 Hz (left); learn after 50 steps at \sim 100 Hz (right)



Comparison of BPM and steerers motion (RMS, Archiver data):



BPM RMS norm: red = exploration, blue = exploitation, orange = agent off (comparison) **Learning rate**: learn at every step at \sim 26.6 Hz (left); learn after 50 steps at \sim 100 Hz (right)



Comparison of perturbed and mitigated spectra (Archiver data):





Beam Motion Spectrum: blue = exploitation, orange = agent off (comparison) Learning rate: learn at every step at ~ 26.6 Hz



Beam Motion Spectrum: blue = exploitation, orange = agent off (comparison) Learning rate: learn after 50 steps at ~ 100 Hz



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- A computer model of the real machine allowing, among others:
 - simulations with actual machine setting
 - forecast of machine performance
 - linear and non-linear modelling

From the ML-perspective it will represent a major improvement \rightarrow faster development since less commissioning time needed, common interfaces...



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We aimed to create an interaction framework whose interfaces remained completely unchanged when training a RL-model with simulations or at the real machine For this we used Naus, based on bluesky and ophyd



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- Harmonic Orbit Perturbations further tests and development
- Roll-out of Anomaly Detection systems
- Further development of the digital twin
 ACCLAIM Postdoc position already advertised:

https://recruitingapp-5181.de. umantis.com/Vacancies/1352/ Description/2?lang=eng

 Further projects: e.g. ML for bERLinPro electron gun





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- Data from 2019-07-01 19:00:00 until 2019-07-16 19:00:00, restricted to top-up and multibunch.
- ▶ 80% (31631 samples) is used for training and 20% for test (7908 samples).
- Tests both with random and chronological split.
- Baselines:
 - Test set average.
 - Persistence: previous target measurement.
 - Moving persistence: moving average of the last 5 target measurements.

Test set	Algorithm	RMSE				R^2			
		Avg.	Pers.	Mov. pers.	Model	Pers.	Mov. pers.	Model	
Random 20%	ExtraTrees	0.201319	0.099248	0.091464	0.068175 ± 0.000038	0.756961	0.79359	0.885322 ± 0.000128	
	SVR-RFF				0.077432 ± 0.000216			0.852064 ± 0.000825	
	DNN				0.069457 ± 0.000342			0.880964 ± 0.001177	
Last 20%	ExtraTrees	0.231393	0.095732	0.078776	0.194755 ± 0.000952	0.828836	0.884099	0.291586 ± 0.006932	
	SVR-RFF				0.121407 ± 0.003349			0.724506 ± 0.015291	
	DNN				0.125046 ± 0.005757			0.707345 ± 0.027032	

Backup: DDPG



Deep Deterministic Policy Gradient [LHP⁺16]: Actor-Critic Reinforcement Learning algorithm for continuous environments.

The Q-function

(estimation of the future reward for a given state-action pair) and the **policy** (map between states and actions) are *approximated* with Neural Networks.



Figure: From [SB18]



- ► DDPG needs several implementation tricks: delayed target networks $(Q_{\tilde{\omega}}, \mu_{\tilde{\theta}})$, replay buffer...
- Critic update with stochastic behavior policy β and loss¹:

$$L(\omega) = \mathbb{E}_{s_t \sim \rho^{\beta}, a_t \sim \beta} \left[\left(Q_{\omega}(s_t, a_t) - (r(s_t, a_t) + \gamma Q_{\tilde{\omega}}(s_{t+1}, \mu_{\tilde{\theta}}(s_t)) \right)^2 \right]$$

• Actor update - (off-policy) Deterministic Policy Gradient Theorem ([SLH+14]): for the performance objective $J_{\beta}(\mu_{\theta}) = \mathbb{E}_{s \sim \rho^{\beta}} [Q^{\mu_{\theta}}(s, \mu_{\theta}(s))],$

$$\nabla_{\theta} J_{\beta}(\mu_{\theta}) \approx \mathbb{E}_{s \sim \rho^{\beta}} \left[\nabla_{\theta} \mu_{\theta}(s) \nabla_{a} Q^{\mu_{\theta}}(s, a) \big|_{a = \mu_{\theta}(s)} \right]$$

$$\label{eq:linear} \begin{array}{l} ^{1}\mathrm{In}\left[\mathrm{SLH^{+}14}\right],\,\rho^{\beta}(s'):=\int_{S}\sum_{t=1}^{\infty}\gamma^{t-1}p_{0}(s)p(s\rightarrow s'|t,\beta)ds \\ \text{L. Vera Ramirez et al., AMALEA: HZB Final Report, 16/11/2020} \end{array}$$

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- Long training time and normalization problems → improved through demonstration with historical data (inspired by [ZM18]).
- Slow *reaction time* to reward modifications \rightarrow improved with low γ .
- Non-optimal exploration → improved with Parameter Space Noise ([PHD⁺17]).





- Neural networks: relu used as inner activation function and adam as optimizer (lr = 0.001).
 - Critic network: five hidden layers (50+100+50+20+10 neurons) and concatenates actions at the first hidden layer. Linear activation at the output layer.
 - Actor network: three hidden layers (50+20+10 neurons). tanh used as activation for the output layer.
- Data preprocessing: [-1, 1] linear normalization, one year historical data reduced to injections.
- Parameter Space Noise: $\delta = 0.01$.
- Training parameters: γ = 0.2, pretraining with 10000 steps (2000 before actor training), warm-up with 32 steps, target model update rate = 0.1.



- Neural networks: relu used as inner activation function and adam as optimizer (lr = 0.001).
 - Critic network: five hidden layers (25+50+25+10+5 neurons) and concatenates actions at the first hidden layer. Linear activation at the output layer.
 - Actor network: three hidden layers (25+10+5 neurons), all of them with layer normalization ([BKH16]). tanh used as activation for the output layer.
- ► Data preprocessing: [-1, 1] linear normalization, historical data downsampled to 60 seconds.
- Parameter Space Noise: $\delta = 0.01$.
- Training parameters: γ = 0.2, pretraining with 10000 steps (2000 before actor training), warm-up with 32 steps, target model update rate = 0.1.
- Brute-force synchronization: update every 2 seconds through EPICS.





Step: rotation update (with fixed maximum step size) and raytracing
 Episode: end after a fixed number of steps or after getting reward ±1



- Neural networks: tanh used as inner activation function and adam as optimizer (lr = 0.001).
 - Critic network: five hidden layers (250+500+250+100+50 neurons) and actions concatenated at the first hidden layer. Linear activation at the output layer.
 - Actor network: three hidden layers (250+100+50 neurons).
- Data preprocessing: [-1, 1] linear normalization.
- Parameter Space Noise: $\delta = 0.05$.
- Training parameters: γ = 0.99, warm-up with 32 steps, target model update rate = 0.01



Environment:

- Simulated perturbation applied to Q4M2D1R.dx (horizontal offset of the quadrupole) with resolution = 150Hz
- ★ x component of the BPM (beam position monitor) BPMZ6D1R read with windows size = 30 (→ state)

 \rightarrow the RL Agent stays in the time domain!

- ► Horizontal steerer HS4M2D1R modified (→ action)
- ► The **reward** is defined through $2e^{-c\sqrt{\frac{\sum_i x_i^2}{N}}} 1$, where x_i denotes the horizontal component at each BPM, N is the number of BPMs and c is a normalization constant (in these simulations c = 10000)



DDPG agent:

- Actor network with 500-200-100 neurons, relu as inner activation function (output with tanh)
- Critic network 500-(500+action)-200-100 neurons, relu as inner activation function
- $\blacktriangleright \gamma = 0.9$
- Exploration with
 - Ornstein-Uhlenbeck process
 - Parameter Space Noise ([PHD+17])



DDPG agent:

- Actor network with 1250-500-250 neurons, relu as activation function (output with tanh)
- Critic network 1250-(1250+action)-500-250 neurons, relu as activation function
- $\blacktriangleright \ \gamma = 0.1$
- Exploration with Ornstein-Uhlenbeck process

Environment - BESSY II:

- **State**: all active BPMs (102) with window size 10.
- Action: all horizontal steerers (48) modified up to \pm 4 mA.

Reward: exponential transformation of the BPM norm: $2e^{-10\sqrt{\sum_{i=1}^{102} x_i^2}}$