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(1) Particle content			
		SM	$\mathbf{U}(1)_X$
	q_L^i	$3\otimes2\otimesrac{1}{6}$	$x'_q = \frac{1}{6}x_H +$
	u_R^i	$3\otimes 1\otimes rac{2}{3}$	$x'_{u} = \frac{2}{3}x_{H} +$
	d_R^i	$3\otimes1\otimes\mathbf{-}_{\overline{3}}^{1}$	$x'_d = -\frac{1}{3}x_H -$
	ℓ_L^i	$1\otimes 2\otimes -rac{1}{2}$	$x_{\ell}' = -\frac{1}{2}x_H$
	e_R'	$1 \otimes 1 \otimes -1$	$x'_e = -x_H - x_H$
	N_R'	$1 \otimes 1 \otimes -0$	$X'_{\nu} = -X_{\nu}$
	H	$1 \otimes 2 \otimes -\frac{1}{2}$	$-\frac{1}{2}X_H$
(2) A nomely concellation conditions	φ	$\mathbf{I} \otimes \mathbf{I} \otimes \mathbf{U}$	$2x_{\Phi}$
(2) Anomaly cancenation conditions			
$\mathrm{U}(1)_X\otimes [\mathrm{SU}(3)_c]^2$:			
$U(1)_X\otimes \left[SU(2)_L ight]^2$:			
$U(1)_X\otimes \left[U(1)_Y ight]^2$:			x'_q –
$\left[U(1)_X ight]^2\otimesU(1)_Y$:			$x_{q}^{\prime 2}$ –
$[U(1)_X]^3$:		6	$x_q'^3 - 3x_u'^3 - 3x_u'$
$U(1)_X\otimes\left[grav. ight]^2$:			$6x'_{q} - 3x'_{l}$
(i) $U(1)_X$ symmetry breaking and EWS	B gei	nerate the li	ight neutrino
can satisfy the neutrino oscillation da	ata.		
(ii) Followed by that a neutral gauge bos and g' is the U(1) _X coupling. We cons	on Z <mark>side</mark> i	x' is origination $x_{\Phi} = 1$.	ted with a ma
(iii) The couplings between the Z' and the sponding right handed counterparts.	ne le	ft handed f	ermions are
• Such differences will be observed w	hen	charged fe	rmion nair r

electron-positron e^-e^+ colliders to study such processes.

- (iv) Apart from the fermion pair production processes such a model can study a variety of phenomenological aspects including heavy neutrinos, Higgs (SM, BSM, vacuum stability), Dark Matter, etc.
- (v) This model has a very interesting property. Fixing $x_{\Phi} = 1$ and varying x_{H} can show a unique behavior. For example $x_H = -2$ switches off the interaction between f_L and Z'. Similarly $x_H = -1$ switches off the interaction between e_R and Z'. For $x_H = -0.5$ and $x_H = 1$ there is no interaction of u_R and d_R with Z' respectively. Here $x_H = 0$ reduces to the B–L case.

(4) Fermion pair production: $e^-e^+ \rightarrow ff$ includes inference between γ , Z and Z' and f = e case is the Bhabha scattering. We consider here $f = \mu$ case only which includes the s-channel processes whereas the Bhabha scattering will include both of the *s* and *t* channel processes and the corresponding interferences.

B. Constraints on the $U(1)_X$ couplings

LHC: dilepton, dijet channels from CMS and ATLAS using Sequential Standard Model, LEP-II, Prospective ILC 250, 500, 1000. The master equation to estimate the bounds on the U(1)_X coupling $g' = \sqrt{\frac{g_{Model}^2 \sigma_{LHC}}{\sigma_{Model}}}$. We consider g'=0.4and $M_{Z'} = 7.5$ allowed by the constraints. See 2104.10902

A Model

Probing the minimal $U(1)_X$ model at future e^-e^+ colliders via the fermion pair-production channel



FB asymmetry vary 4%, LR asymmetry reaches up to 50% and LE-FB can reach up to 40% depending on the center of mass energies, x_H and $\cos\theta$. Integrated asymmetries, Bhabha scattering and detailed analyses for different benchmark scenarios are shown in 2104.10902.