

EPS-HEP 2021, July 26th, 2021

Higgs-plus-jet differential distributions as stabilizers of the high-energy resummation

Francesco Giovanni Celiberto

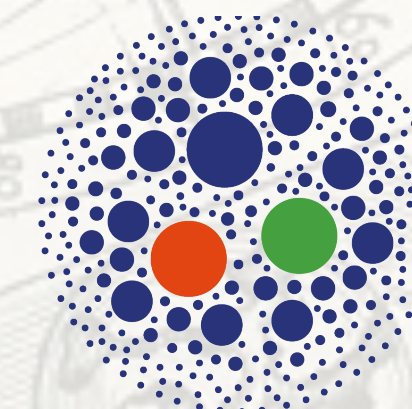
ECT*/FBK Trento & INFN-TIFPA

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EUROPEAN CENTRE FOR THEORETICAL STUDIES
IN NUCLEAR PHYSICS AND RELATED AREAS



Trento Institute for
Fundamental Physics
and Applications

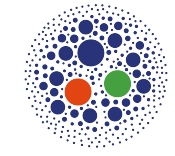


HAS QCD

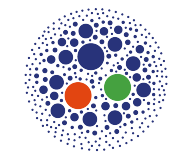
HADRONIC STRUCTURE AND
QUANTUM CHROMODYNAMICS

The high-energy resummation

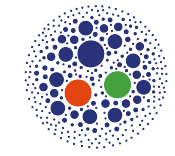
Introduction
&
Motivation



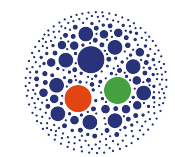
Enhanced *energy single logs* in fixed-order description of high-energy (HE) collisions



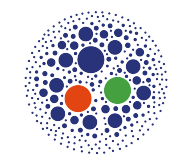
Convergence of perturbative series spoiled when $\alpha_s \ln(s) \sim 1$



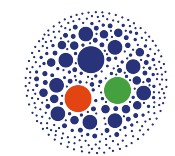
All-order resummation \rightarrow **BFKL** approach at LLA: $\alpha_s^n \ln(s)^n$, and NLA: $\alpha_s^{n+1} \ln(s)^n$



Golden channels \rightarrow **diffractive semi-hard reactions**: $s \gg \{Q^2\} \gg \Lambda_{\text{QCD}}$



HE resum. \rightarrow essential ingredient to study production mechanisms of particles



Parton content of proton at small- x \rightarrow BFKL **UGD**, resummed PDFs, small- x TMDs

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

The high-energy resummation

The high-energy resummation (BFKL)

- **BFKL resummation:** [V.S. Fadin, E.A. Kuraev, L.N. Lipatov (1975, 1976, 1977); Y.Y. Balitskii, L.N. Lipatov (1978)]

based on \longrightarrow **gluon Reggeization**

leading logarithmic approximation (LLA):

$$\alpha_s^n (\ln s)^n$$

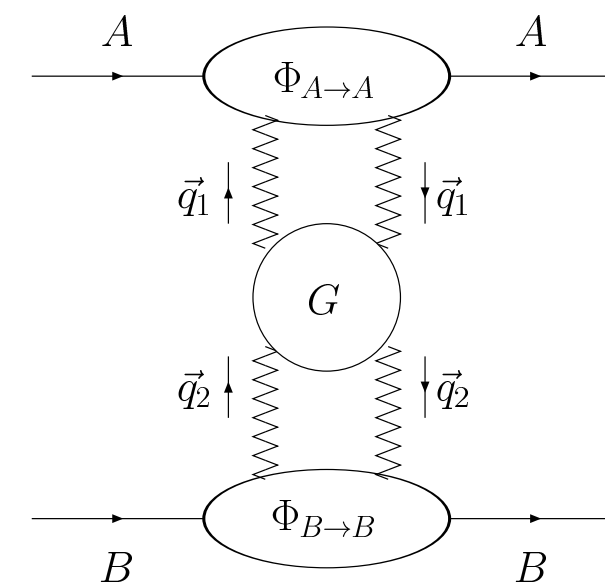
$$\mathcal{A} = \underbrace{\text{tree}}_{\sim s} + \left(\text{1-loop} + \text{2-loop} + \dots \right) + \left(\text{3-loop} + \dots \right) + \dots$$

$\sim s$ $\sim s (\alpha_s \ln s)$ $\sim s (\alpha_s \ln s)^2$

next-to-leading logarithmic approximation (NLA):

$$\alpha_s^{n+1} (\ln s)^n$$

Total cross section for $A + B \rightarrow X$: $\sigma_{AB}(s) = \frac{\text{Im}_s \{ \mathcal{A}_{AB}^{AB} \}}{s} \Leftarrow$ **optical theorem**



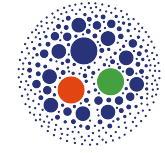
► $\text{Im}_s \{ \mathcal{A}_{AB}^{AB} \}$ factorization:

convolution of the **Green's function** of two interacting Reggeized gluons with the **impact factors** of the colliding particles

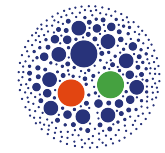
Green's function is **process-independent**, describes energy dependence and obeys BFKL equation; impact factors are known in the **NLA just for few processes**

Mueller-Navelet jets: hybrid factorization

Introduction
&
Motivation

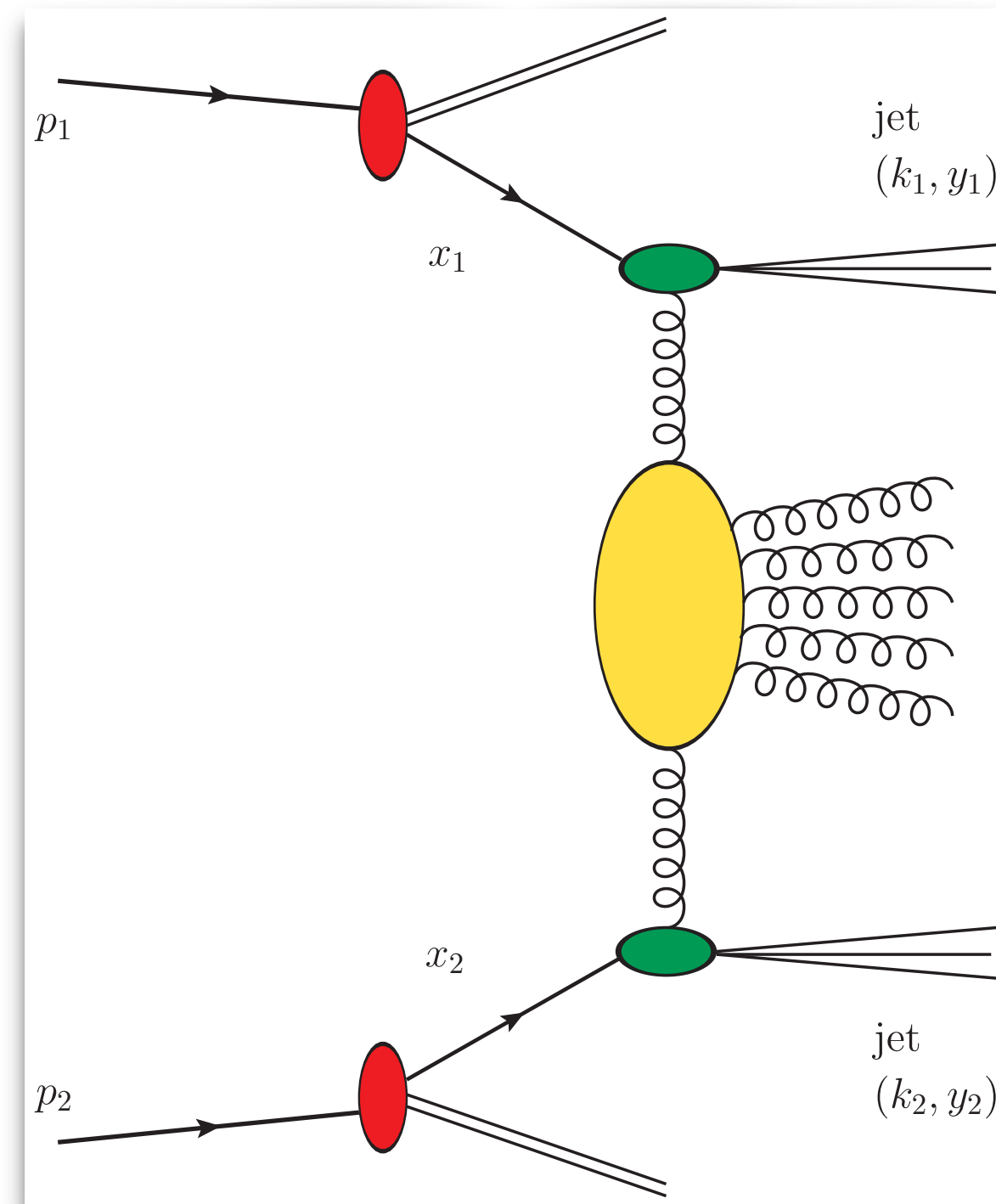


Inclusive hadroproduction of two jets with high p_T and large rapidity separation, Y



Moderate x (*collinear PDFs*), but t -channel p_T (*HE factorization*) \rightarrow **hybrid** approach

$$\frac{d\sigma}{dy_1 dy_2 d^2\vec{k}_1 d^2\vec{k}_2} = \sum_{r,s=q,g} \int_0^1 dx_1 \int_0^1 dx_2 f_r(x_1, \mu_F) f_s(x_2, \mu_F) \frac{d\hat{\sigma}_{r,s}(x_1 x_2 s, \mu_F)}{dy_1 dy_2 d^2\vec{k}_1 d^2\vec{k}_2}$$



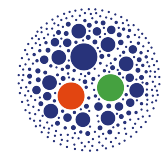
Inclusive
Higgs + jet

Resummed
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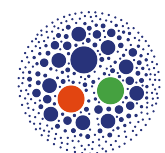
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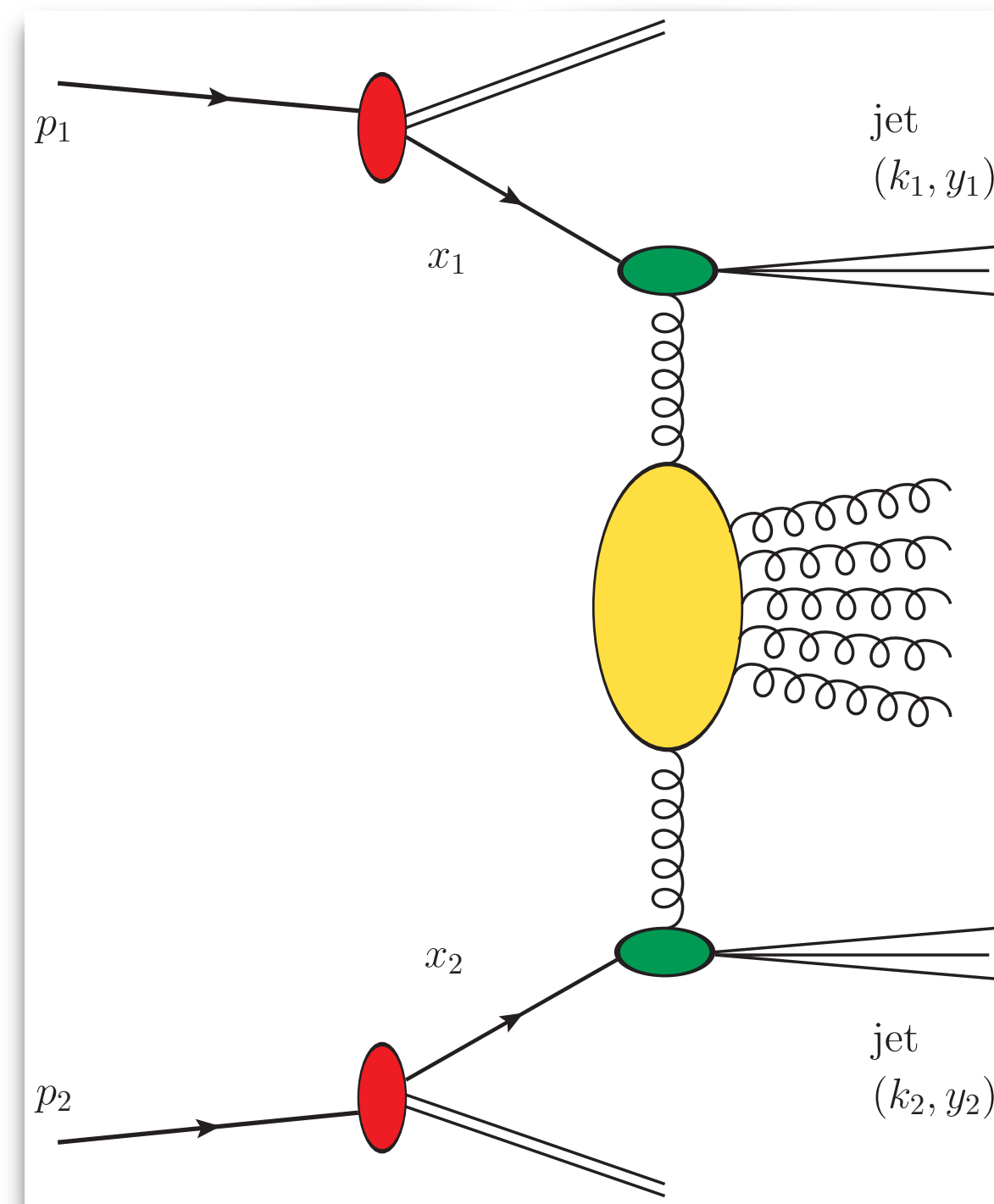
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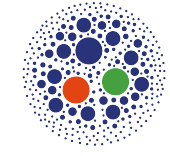
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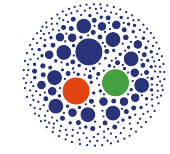
$$\begin{aligned} \frac{d\hat{\sigma}_{r,s}(x_1 x_2 s, \mu)}{dy_1 dy_2 d^2\vec{k}_1 d^2\vec{k}_2} &= \frac{1}{(2\pi)^2} \\ &\times \int \frac{d^2\vec{q}_1}{\vec{q}_1^2} \mathcal{V}_J^{(r)}(\vec{q}_1, s_0, x_1, \vec{k}_1) \\ &\times \int_{\delta-i\infty}^{\delta+i\infty} \frac{d\omega}{2\pi i} \left(\frac{x_1 x_2 s}{s_0} \right)^\omega \mathcal{G}_\omega(\vec{q}_1, \vec{q}_2) \\ &\times \int \frac{d^2\vec{q}_2}{\vec{q}_2^2} \mathcal{V}_J^{(s)}(\vec{q}_2, s_0, x_2, \vec{k}_2) \end{aligned}$$

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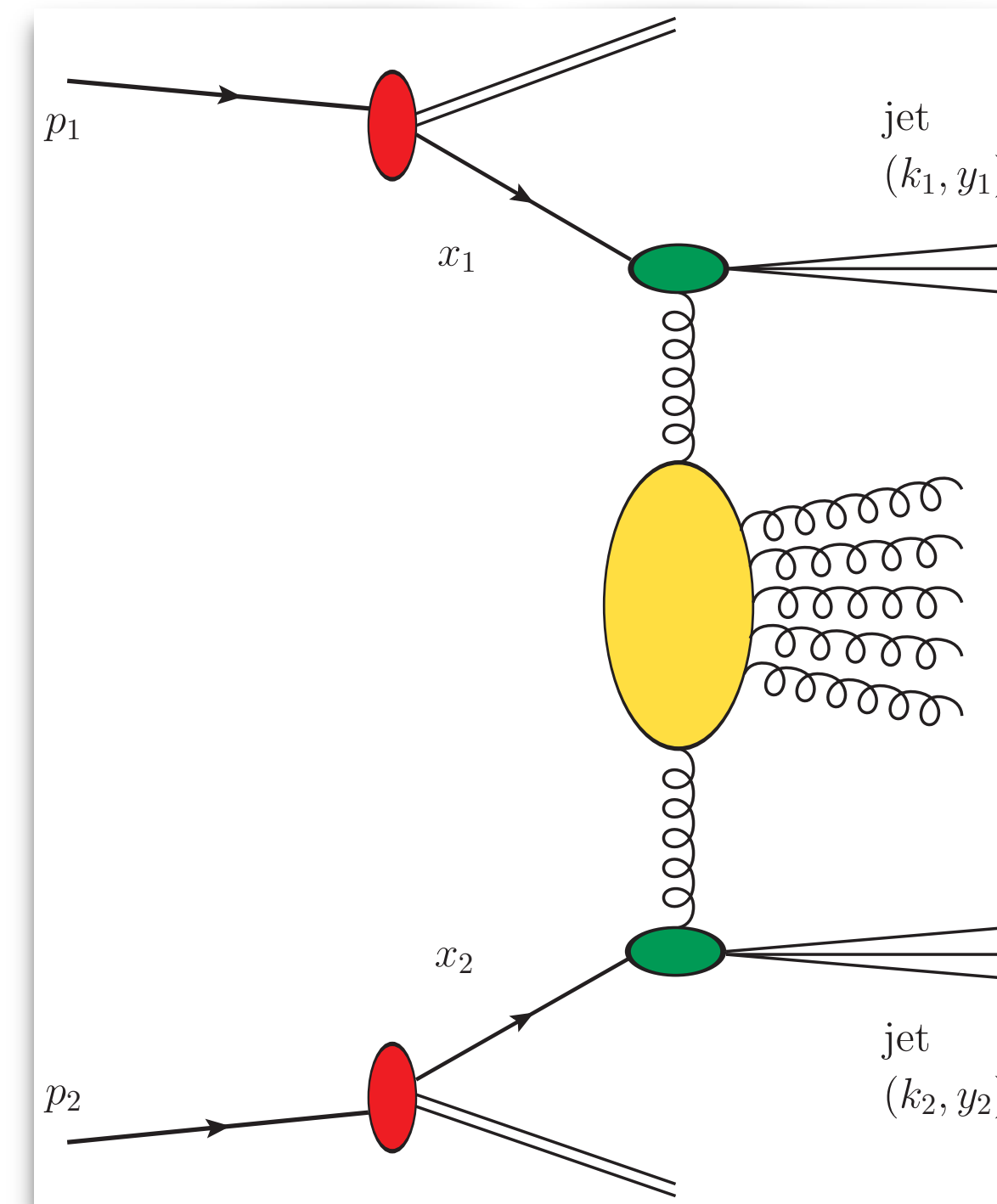
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jet vertices
(off-shell amplitudes)

Resummed
distributions

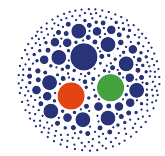


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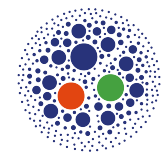
Closing
statements

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&
Motivation



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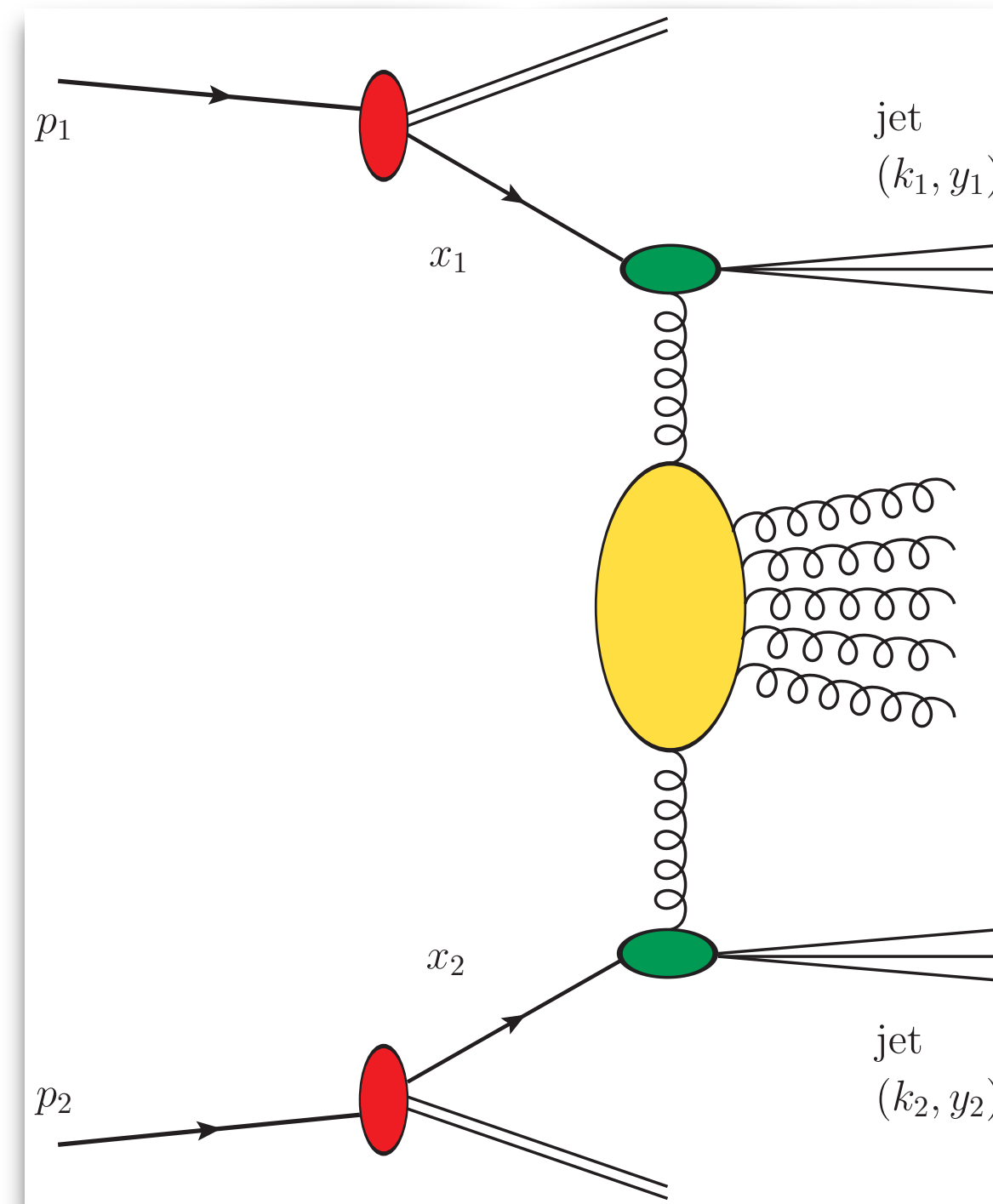
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BFKL gluon Green's function

Closing
statements

Mueller-Navelet jets: theory vs experiment

Introduction
&
Motivation

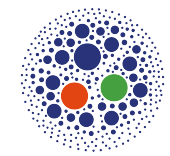
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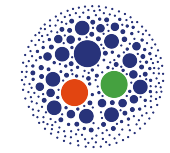
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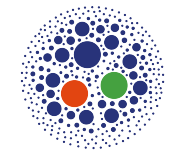
Possibility to define *infrared-safe* observables and constrain PDFs



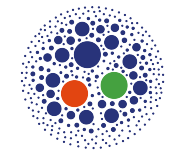
Theory vs experiment: CMS @7TeV with **symmetric** p_T -ranges, **only!**



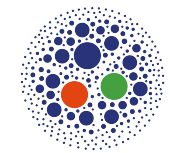
LHC kinematic domain *in between* the sectors described by BFKL and DGLAP



Clearer manifestations of high-energy signatures expected at increasing energies



Need for *more exclusive* final states as well as *more sensitive* observables



Strong manifestation of higher-order

instabilities via *scale variation* (i!)

Mueller-Navelet jets: theory vs experiment

Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

- Possibility to define *infrared-safe* observables and constrain PDFs
- Theory vs experiment: CMS @7TeV with **symmetric** p_T -ranges, **only!**
- LHC kinematic domain *in between* the sectors described by BFKL and DGLAP
- Clearer manifestations of high-energy signatures expected at increasing energies
- Need for *more exclusive* final states as well as *more sensitive* observables
- Strong manifestation of higher-order **instabilities** via *scale variation* (⚠)

NLA BFKL corrections to cross section with opposite sign with respect to the leading order (LO) result and large in absolute value...

- ◇ ...call for some optimization procedure...
- ◇ ...choose scales to mimic the most relevant subleading terms

● **BLM** [S.J. Brodsky, G.P. Lepage, P.B. Mackenzie (1983)]

- ✓ preserve the conformal invariance of an observable...
- ✓ ...by making vanish its β_0 -dependent part

* "Exact" BLM:

suppress NLO IFs + NLO Kernel β_0 -dependent factors

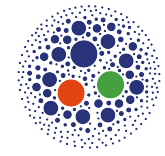
Inclusive Higgs + jet: azimuthal coefficients

Introduction
&
Motivation

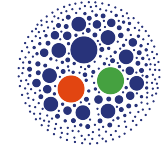
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Resummed
distributions

Closing
statements



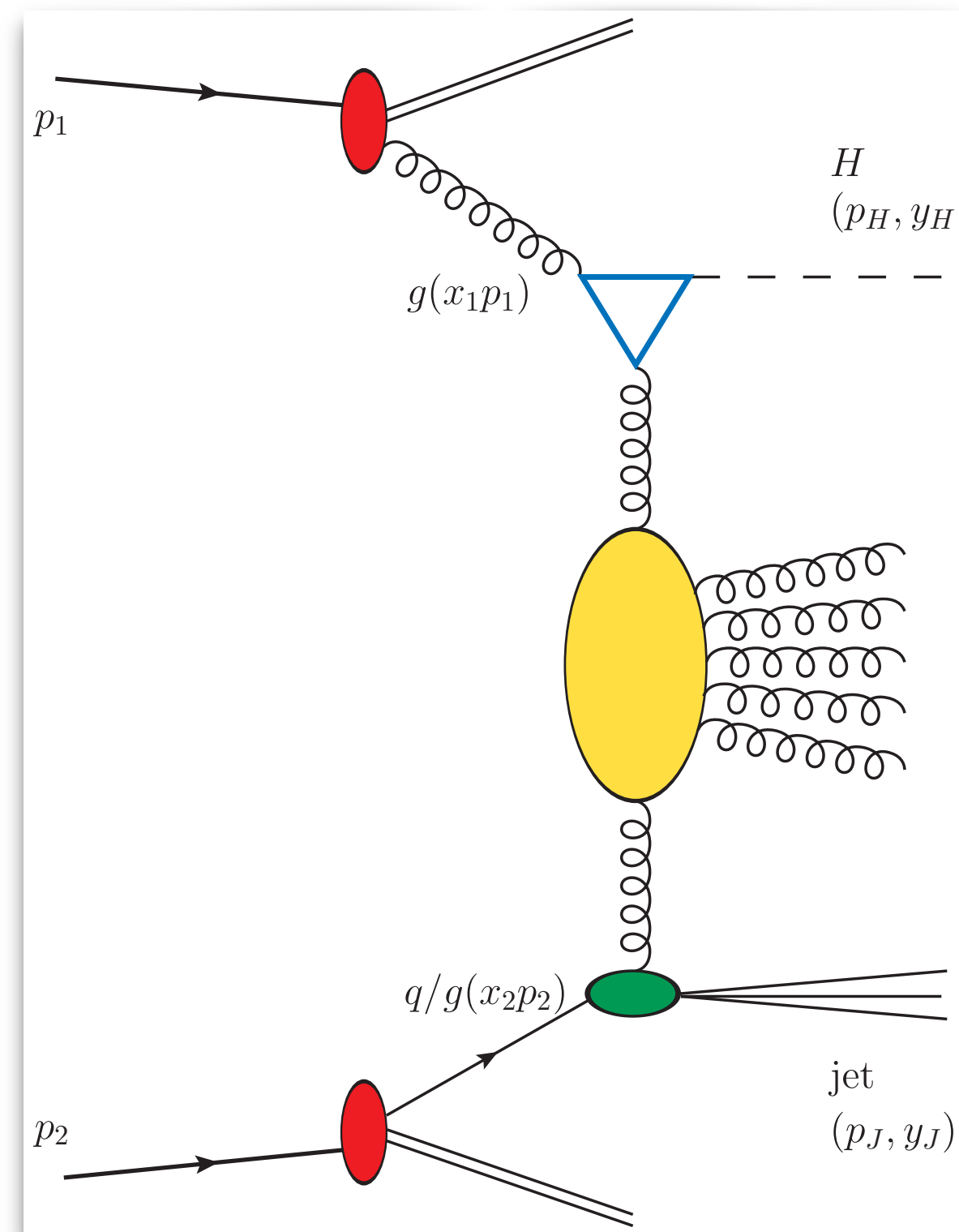
Inclusive h.p. of a Higgs + jet system with high p_T and large rapidity separation, ΔY



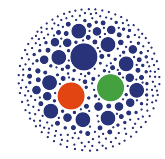
Large energy scales expected to **stabilize** the high-energy resummed series

$$\frac{d\sigma}{dx_1 dx_2 d|\vec{p}_H| d|\vec{p}_J| d\varphi_H d\varphi_J} = \frac{1}{(2\pi)^2} \left[\mathcal{C}_0 + \sum_{n=1}^{\infty} 2 \cos(n\varphi) \mathcal{C}_n \right]$$

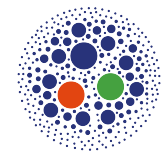
$$\varphi = \varphi_H - \varphi_J - \pi$$



Inclusive Higgs + jet: azimuthal coefficients



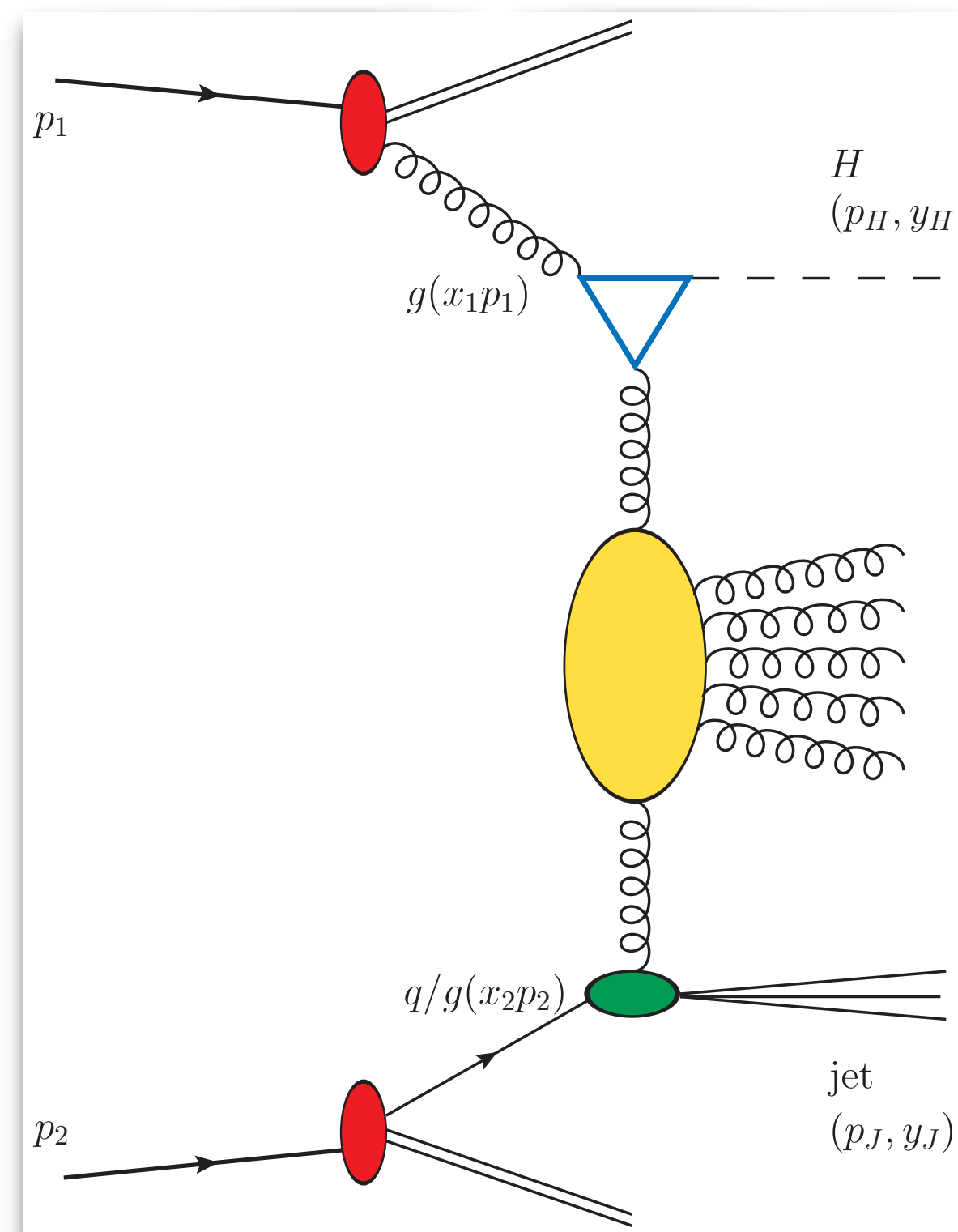
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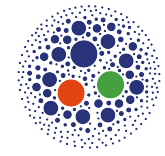
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&
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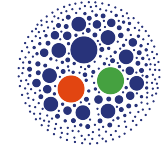
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Resummed
distributions

Closing
statements



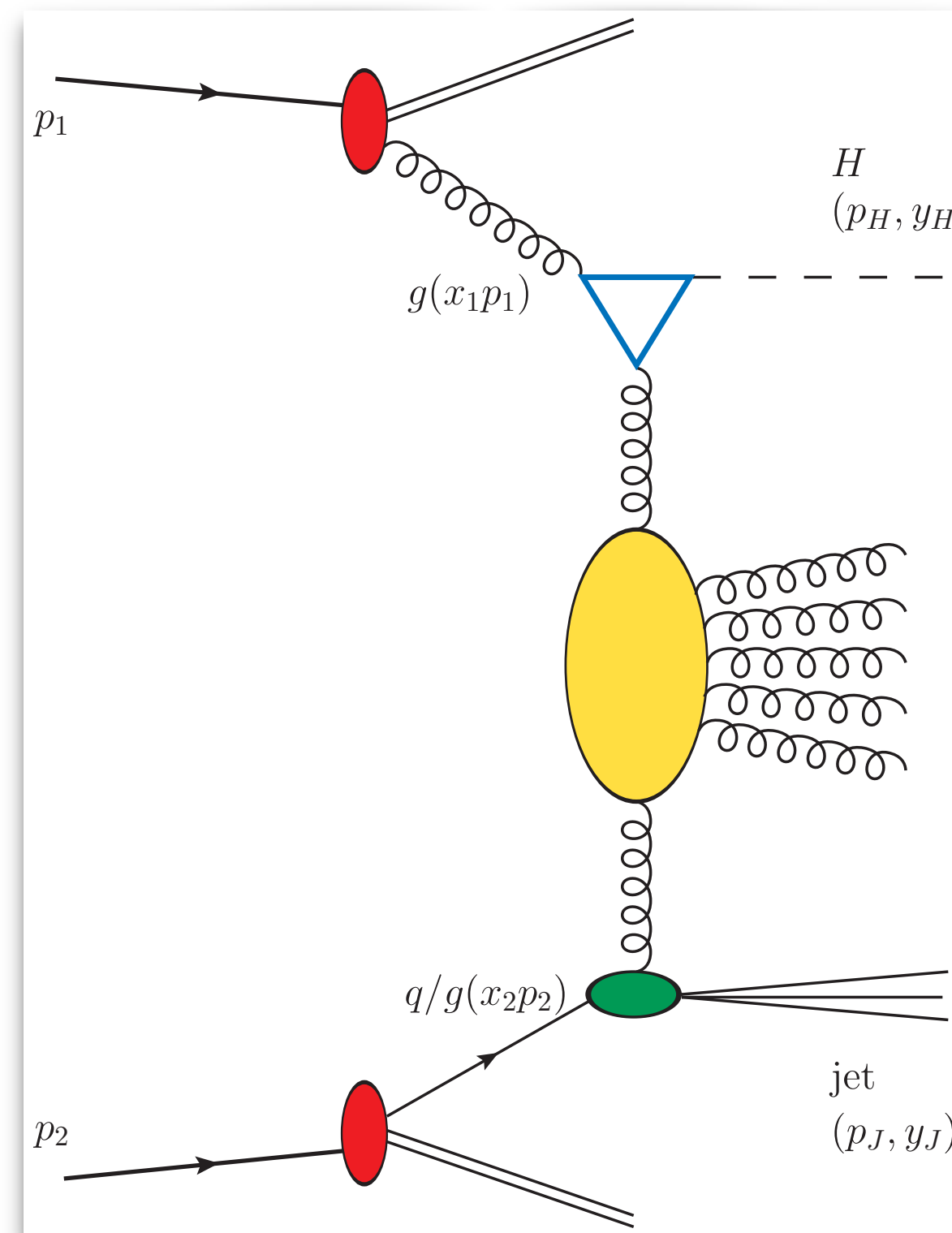
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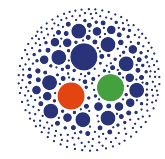


Higgs vertex
(off-shell amplitude)

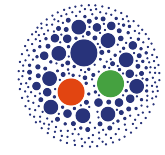
jet vertex
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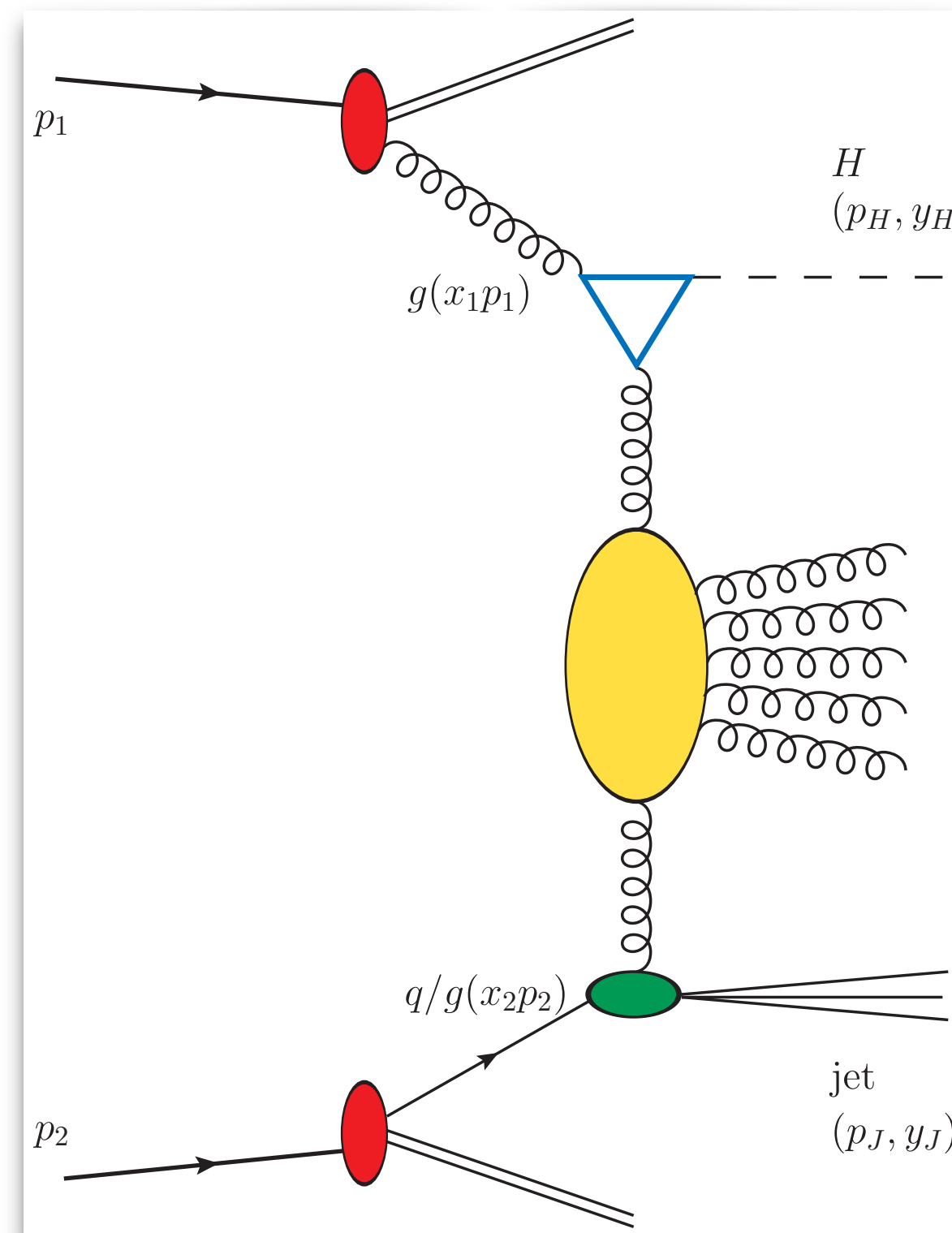
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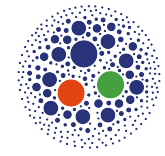
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&
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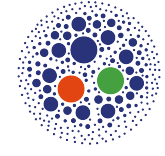
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Resummed
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Closing
statements



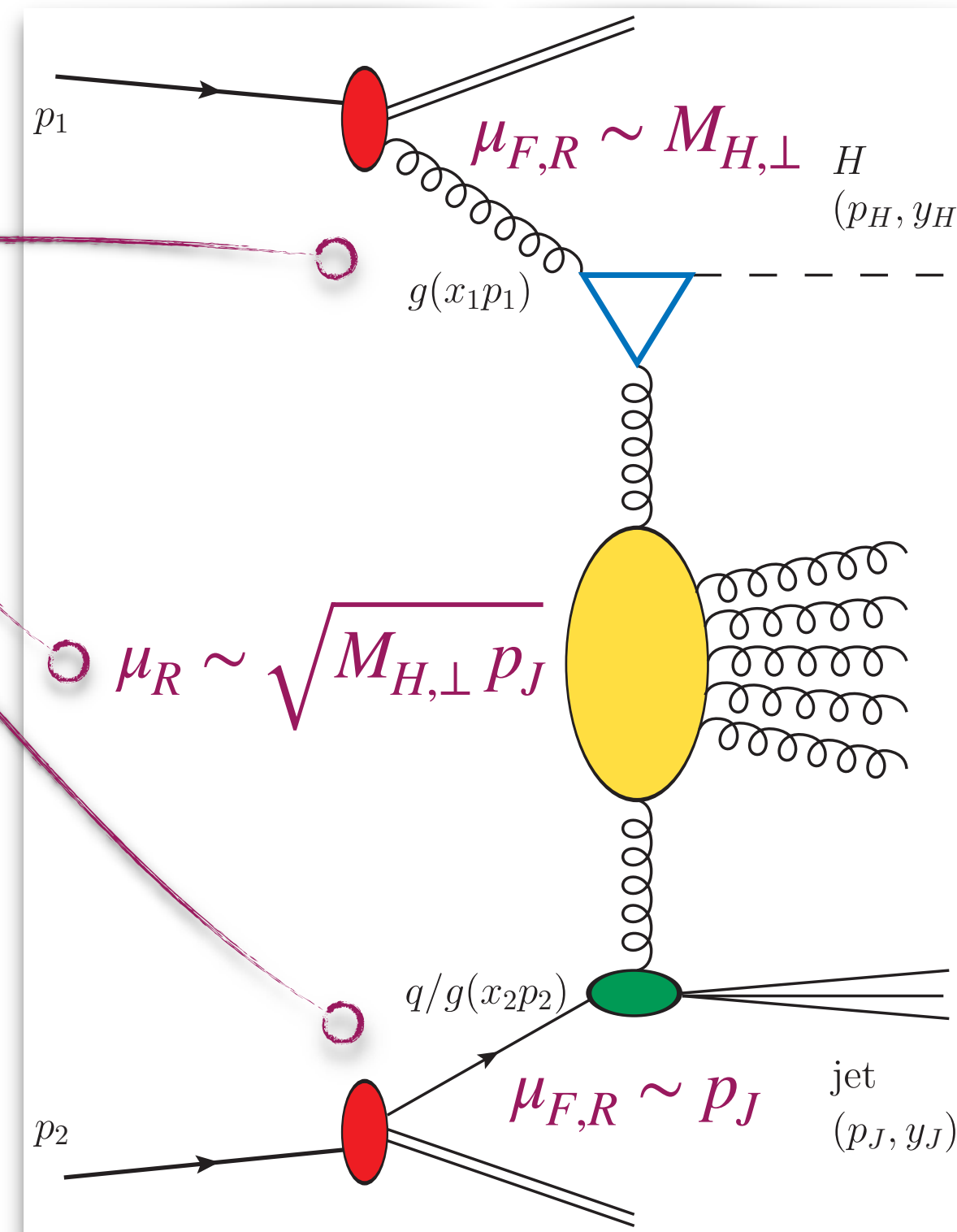
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jet vertex
(off-shell amplitude)

$$\begin{aligned} \frac{d\hat{\sigma}_{r,s}(x_1 x_2 s, \mu)}{dy_H dy_J d^2\vec{p}_H d^2\vec{p}_J} &= \frac{1}{(2\pi)^2} \\ &\times \int \frac{d^2\vec{q}_1}{\vec{q}_1^2} \mathcal{V}_H^{(r)}(\vec{q}_1, s_0, x_1, \vec{p}_H) \\ &\times \int_{\delta-i\infty}^{\delta+i\infty} \frac{d\omega}{2\pi i} \left(\frac{x_1 x_2 s}{s_0} \right)^\omega \mathcal{G}_\omega(\vec{q}_1, \vec{q}_2) \\ &\times \int \frac{d^2\vec{q}_2}{\vec{q}_2^2} \mathcal{V}_J^{(s)}(\vec{q}_2, s_0, x_2, \vec{p}_J) \end{aligned}$$

BFKL gluon Green's function

Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

φ -averaged cross section: C_0

$$C_n(\Delta Y, s) = \int_{p_H^{\min}}^{p_H^{\max}} d|\vec{p}_H| \int_{p_J^{\min}}^{p_J^{\max}} d|\vec{p}_J| \int_{y_H^{\min}}^{y_H^{\max}} dy_H \int_{y_J^{\min}}^{y_J^{\max}} dy_J \delta(y_H - y_J - \Delta Y) \mathcal{C}_n$$

Introduction
&
Motivation

φ -averaged cross section: C_0

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Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Introduction
&
Motivation

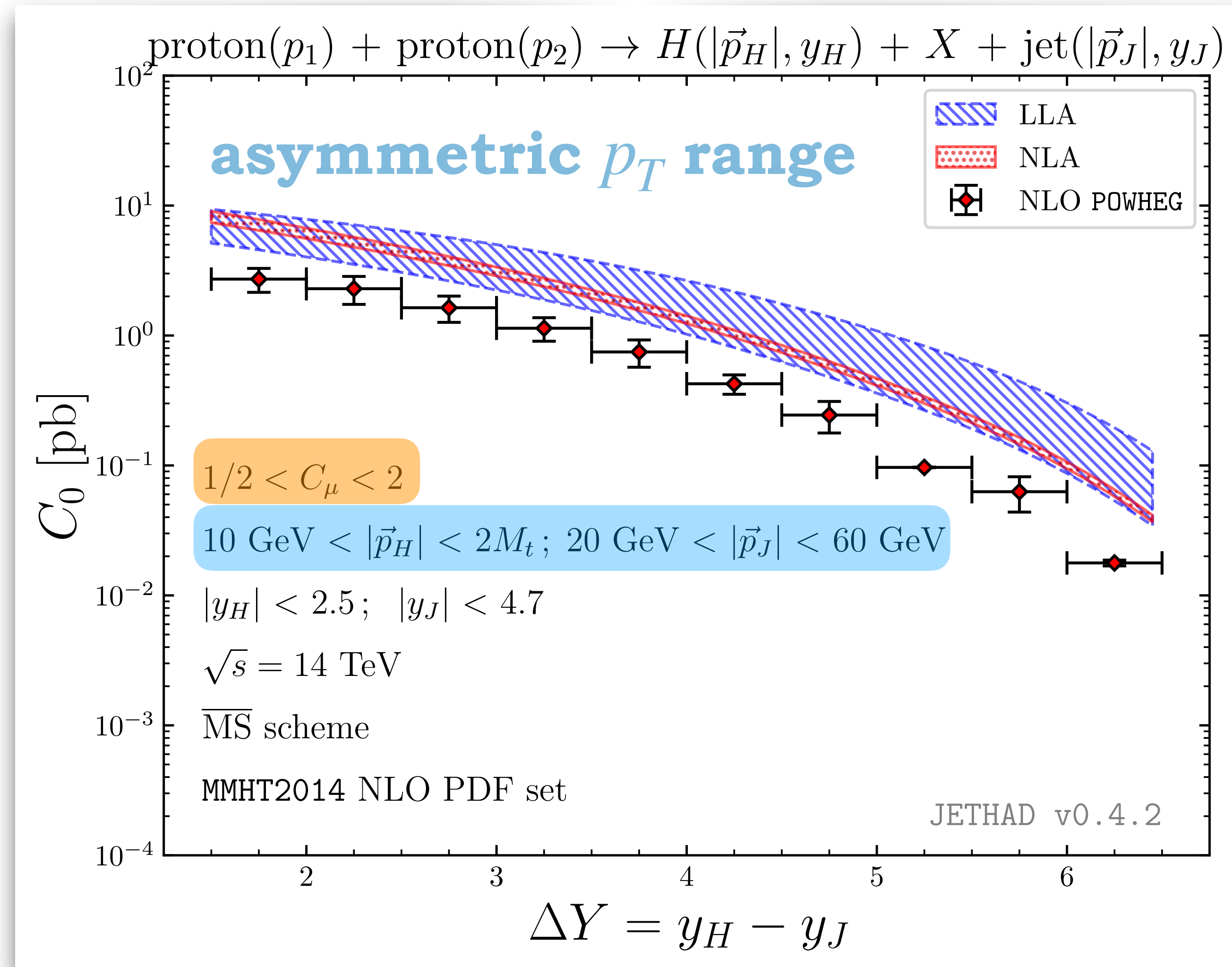
Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

φ -averaged cross section: C_0

$$C_n(\Delta Y, s) = \int_{p_H^{\min}}^{p_H^{\max}} d|\vec{p}_H| \int_{p_J^{\min}}^{p_J^{\max}} d|\vec{p}_J| \int_{y_H^{\min}}^{y_H^{\max}} dy_H \int_{y_J^{\min}}^{y_J^{\max}} dy_J \delta(y_H - y_J - \Delta Y) C_n$$



Azimuthal correlations: $C_1/C_0 \equiv \langle \cos \varphi \rangle$

$$R_{n0}(\Delta Y, s) = C_n/C_0 \equiv \langle \cos n\varphi \rangle$$

Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

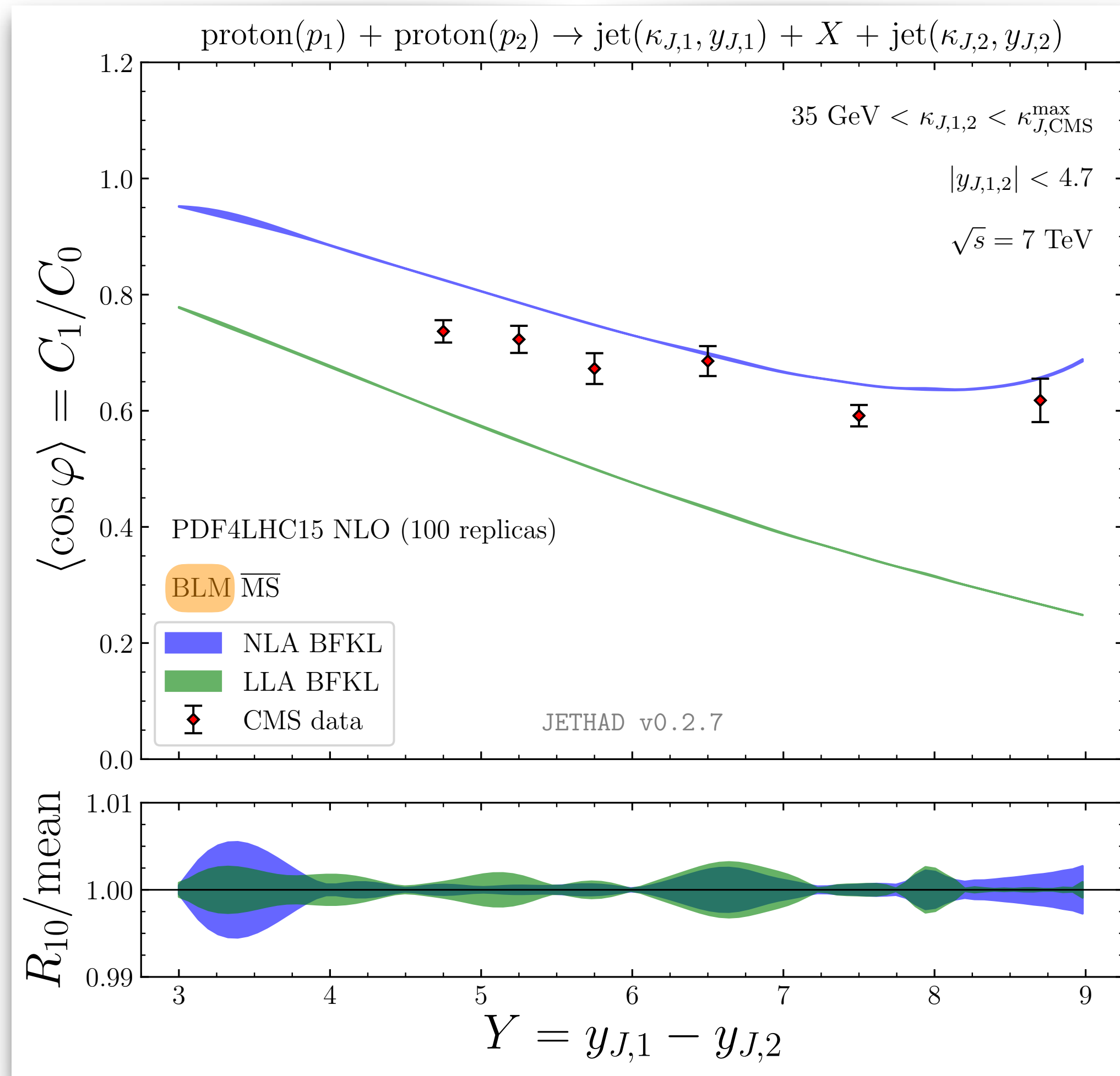
Azimuthal correlations: $C_1/C_0 \equiv \langle \cos \varphi \rangle$

$$R_{n0}(\Delta Y, s) = C_n/C_0 \equiv \langle \cos n\varphi \rangle$$

Mueller-Navelet jets

⌋ [B. Ducloué, L. Szymanowski, S. Wallon (2014)]

(figure below) ⌋ [F. G. C. (2021)]



Azimuthal correlations: $C_1/C_0 \equiv \langle \cos \varphi \rangle$

$$R_{n0}(\Delta Y, s) = C_n/C_0 \equiv \langle \cos n\varphi \rangle$$

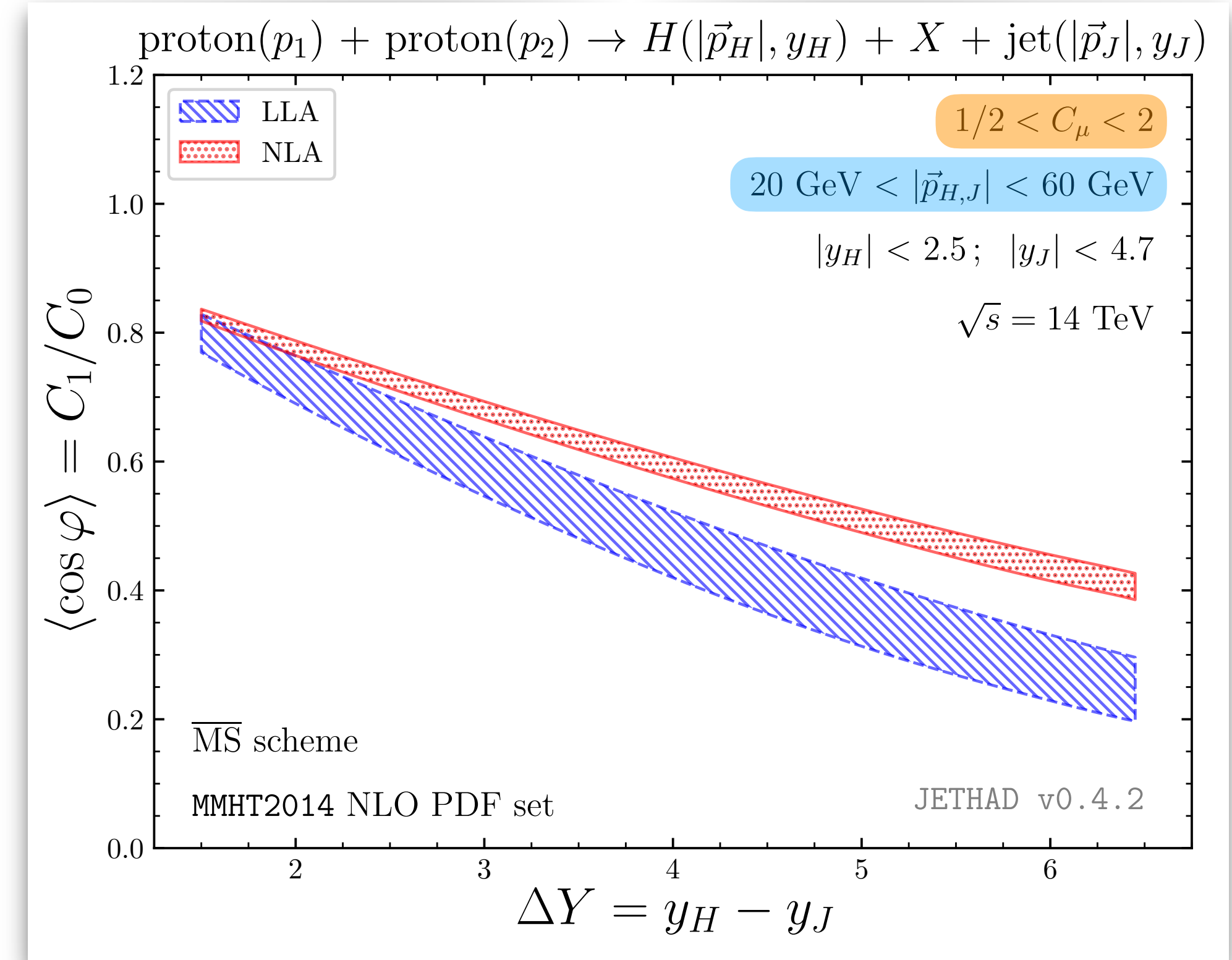
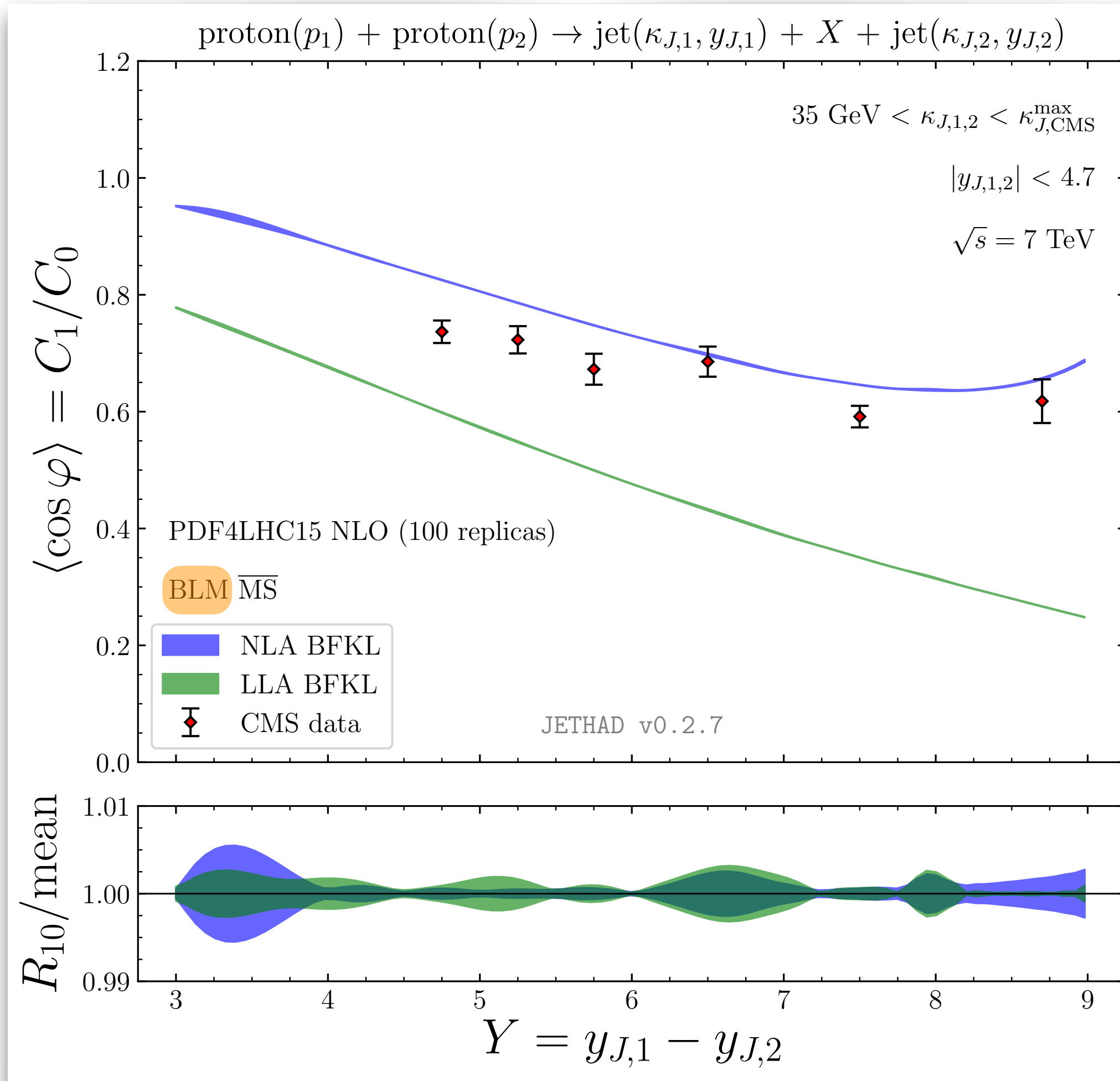
Mueller-Navelet jets

[B. Ducloué, L. Szymanowski, S. Wallon (2014)]

(figure below) [F. G. C. (2021)]

Higgs + jet

[F. G. C., D. Yu. Ivanov, M. M. A. Mohammed, A. Papa (2021)]



natural scales
 symmetric p_T range

Introduction
&
Motivation

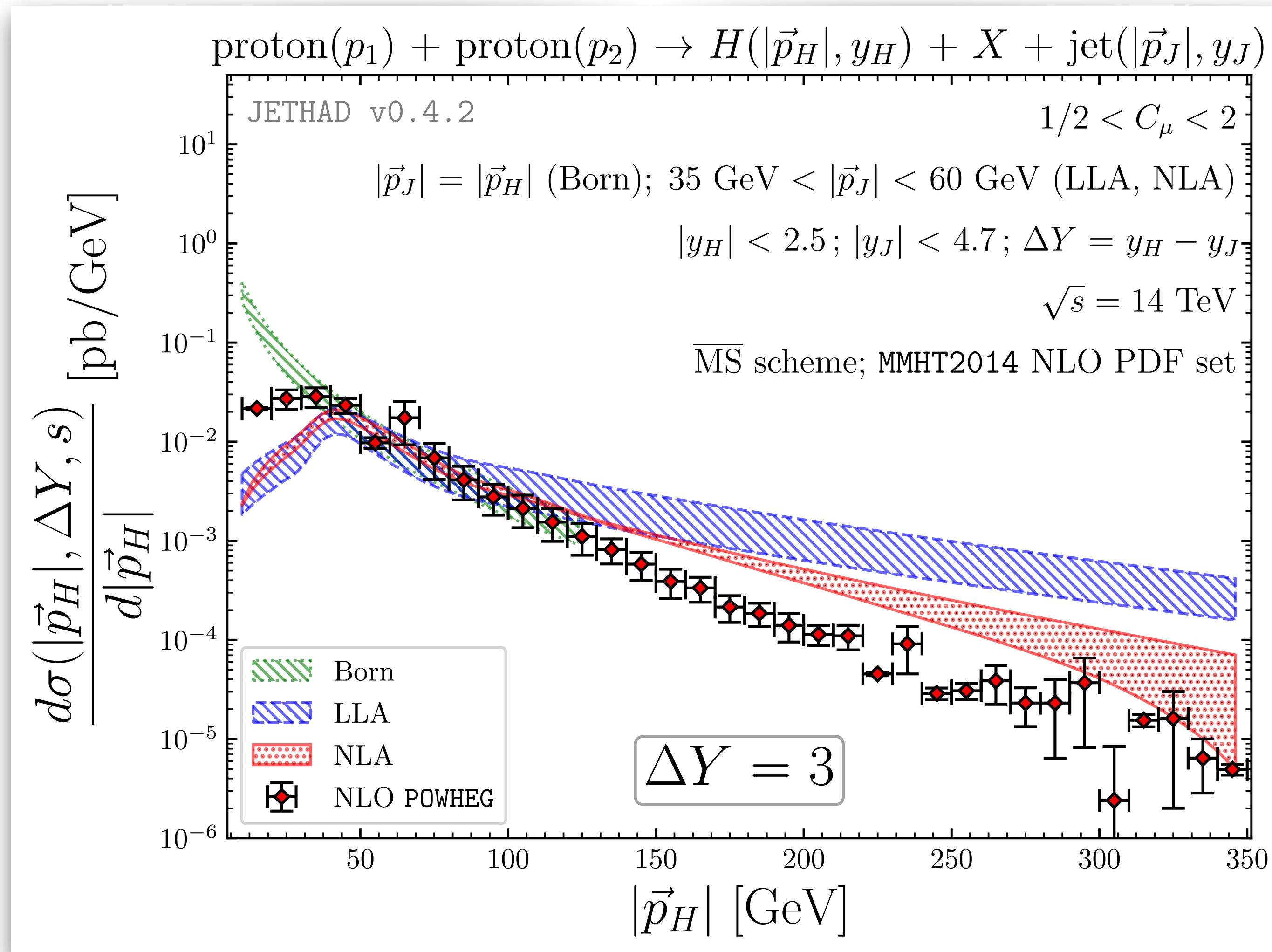
Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

p_H -distribution: dC_0/dp_H

$$\frac{d\sigma(|\vec{p}_H|, \Delta Y, s)}{d|\vec{p}_H|d\Delta Y} = \int_{p_J^{\min}}^{p_J^{\max}} d|\vec{p}_J| \int_{y_H^{\min}}^{y_H^{\max}} dy_H \int_{y_J^{\min}}^{y_J^{\max}} dy_J \delta(y_H - y_J - \Delta Y) C_0$$



Introduction
&
Motivation

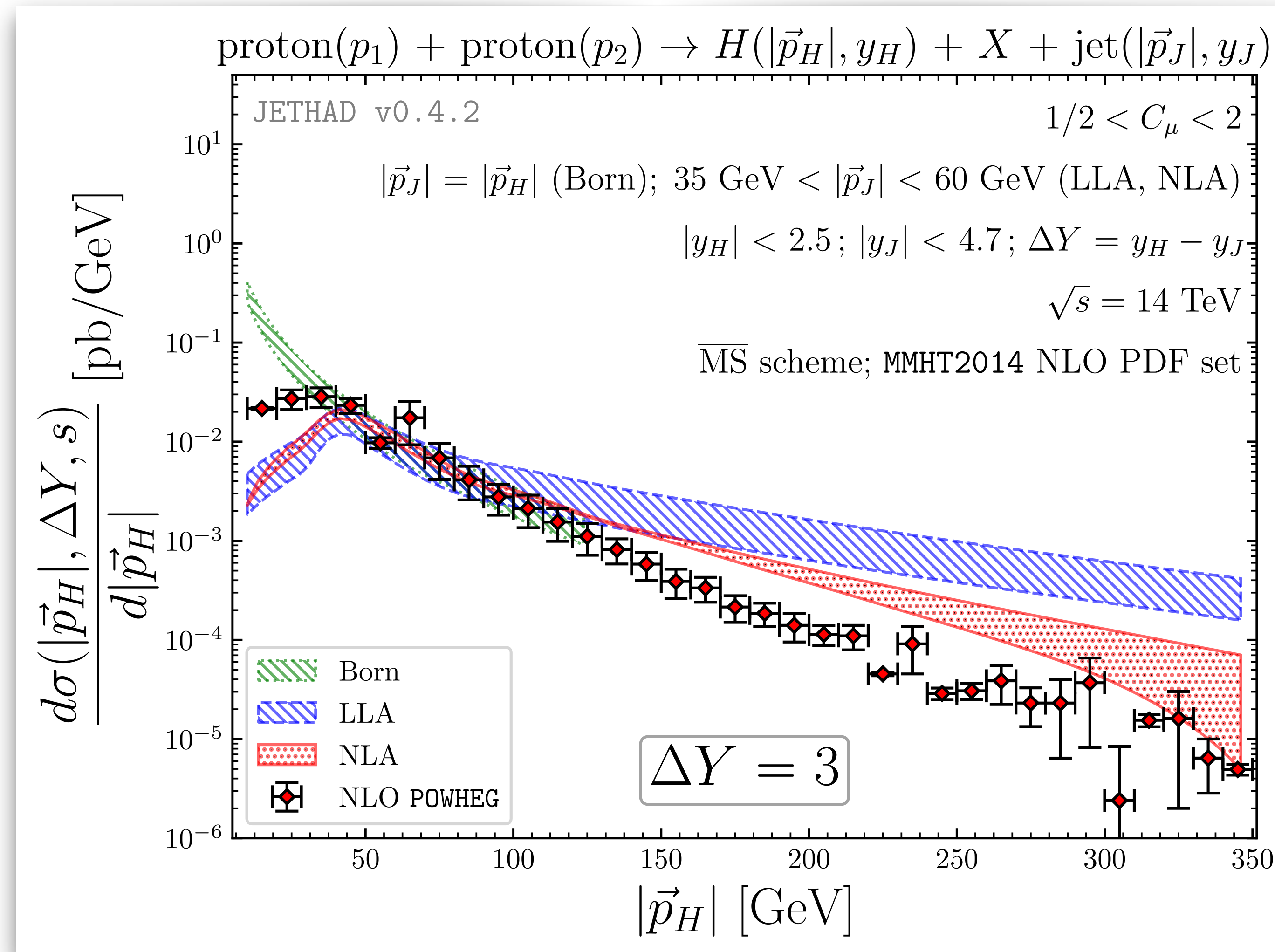
Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

p_H -distribution: dC_0/dp_H

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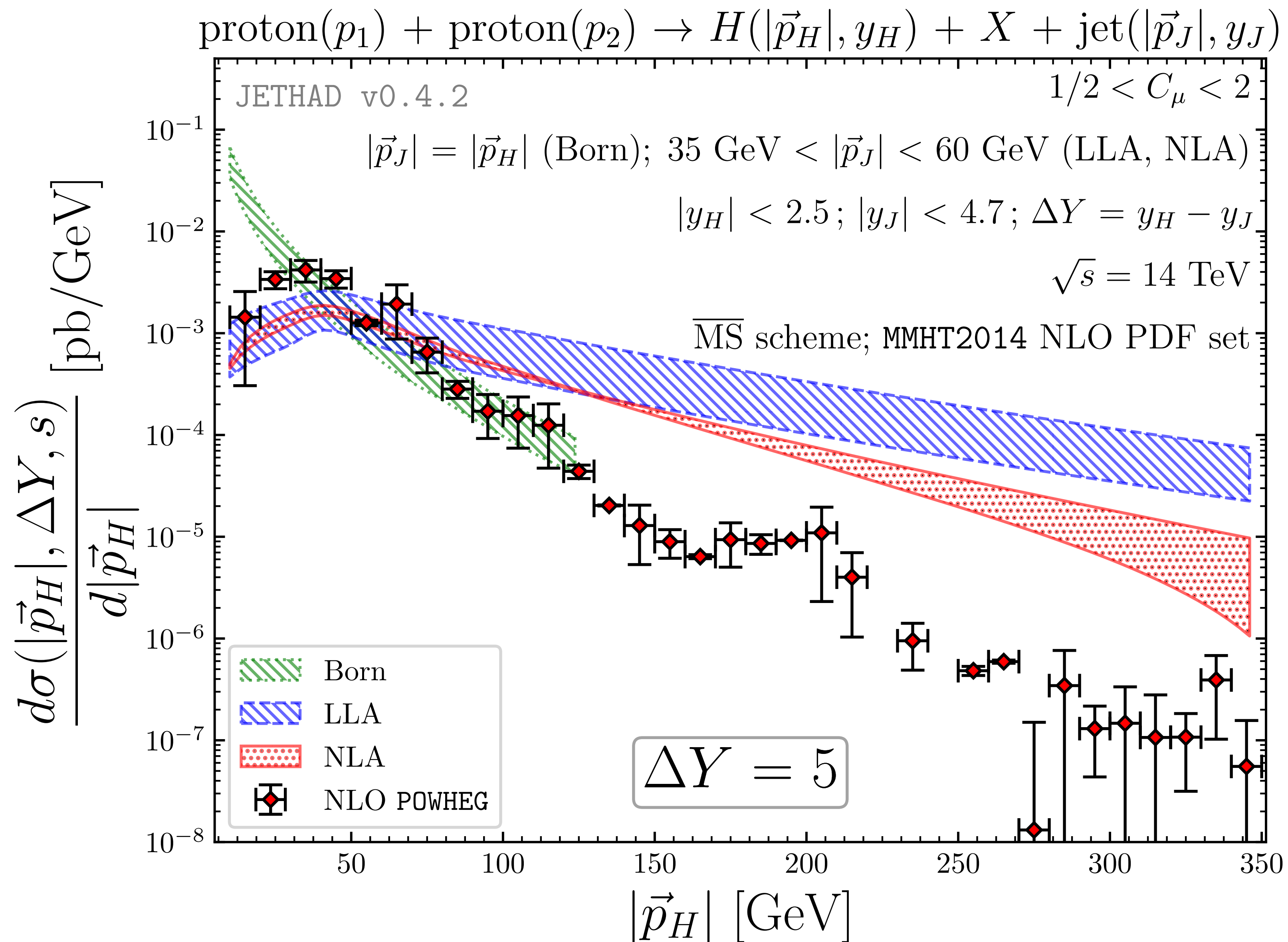


Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

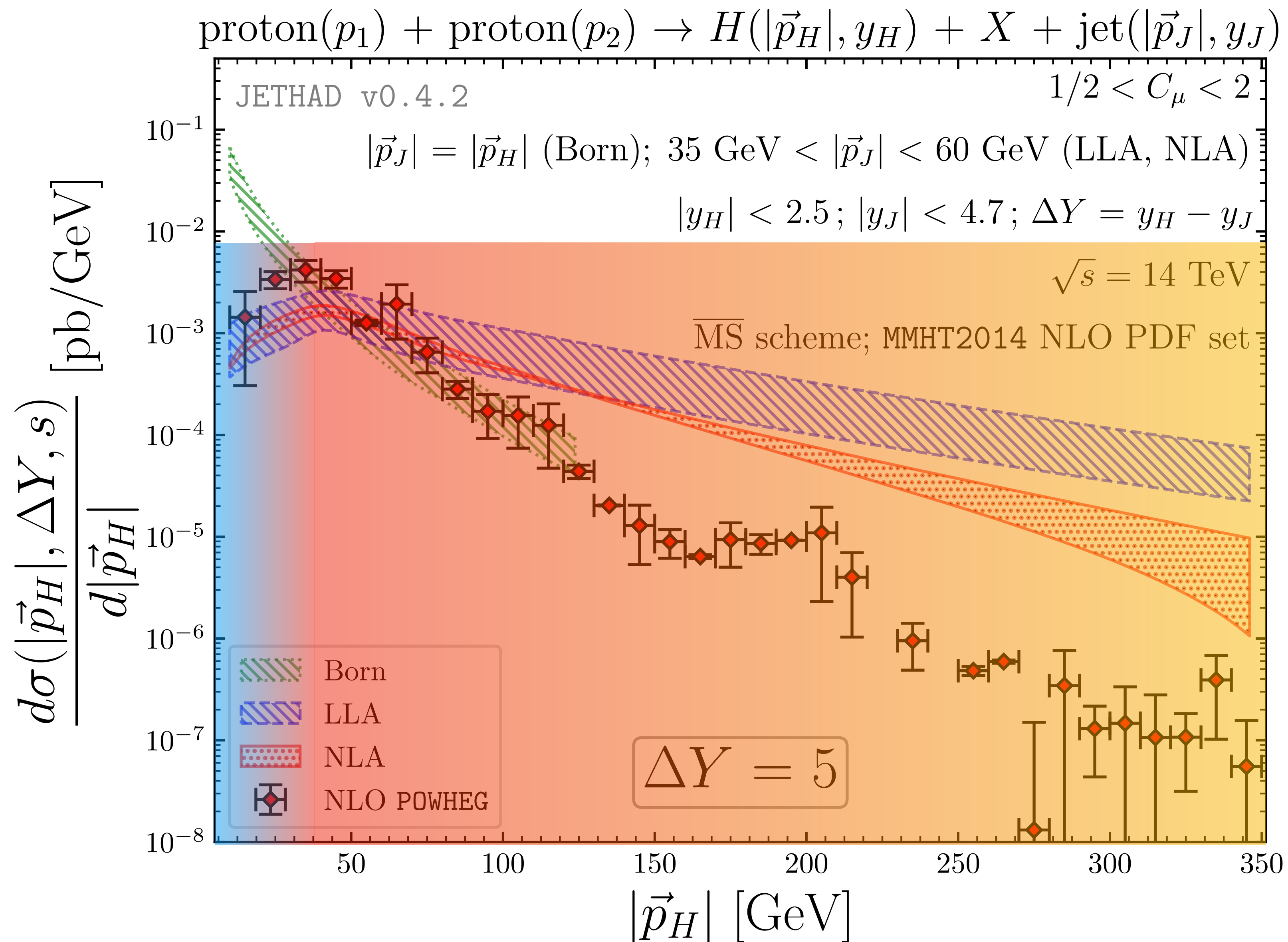


Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements



Introduction
&
Motivation

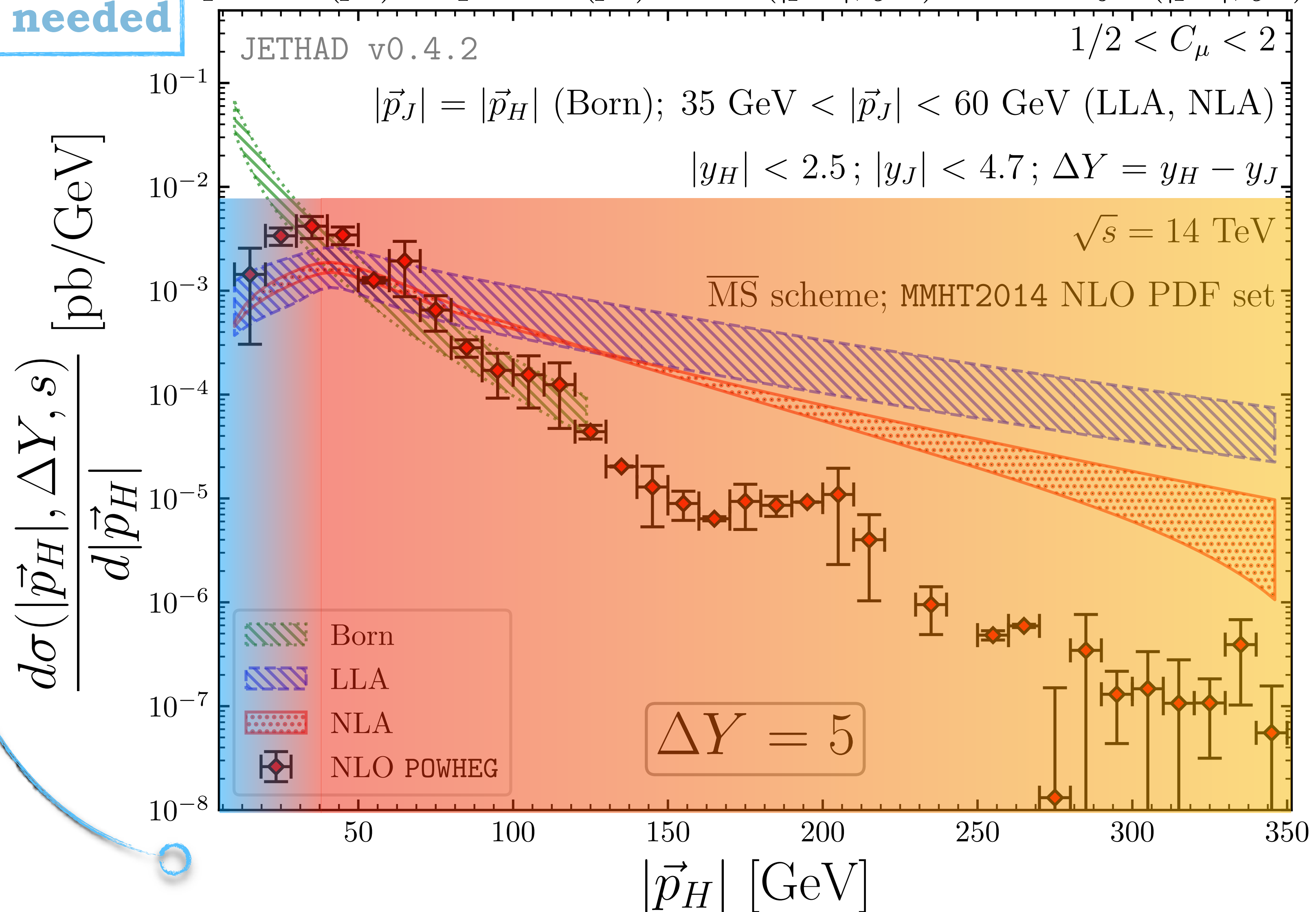
Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

large p_T logs
 p_T -resum. needed

$$\text{proton}(p_1) + \text{proton}(p_2) \rightarrow H(|\vec{p}_H|, y_H) + X + \text{jet}(|\vec{p}_J|, y_J)$$



Introduction
&
Motivation

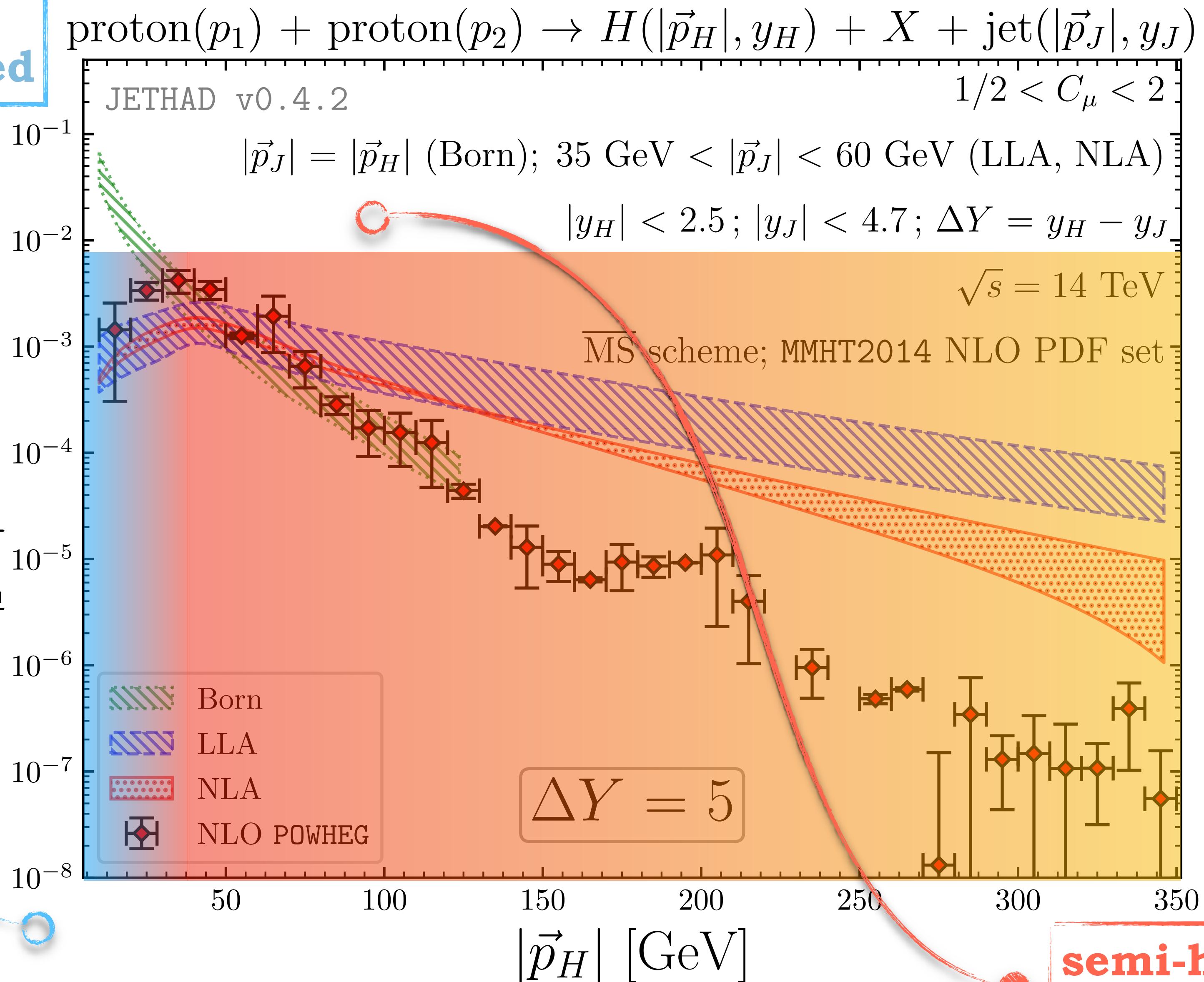
Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

large p_T logs
 p_T -resum. needed

$$\frac{d\sigma(|\vec{p}_H|, \Delta Y, s)}{d|\vec{p}_H|}$$



semi-hard regime
BFKL expected

Introduction
&
Motivation

Inclusive
Higgs + jet

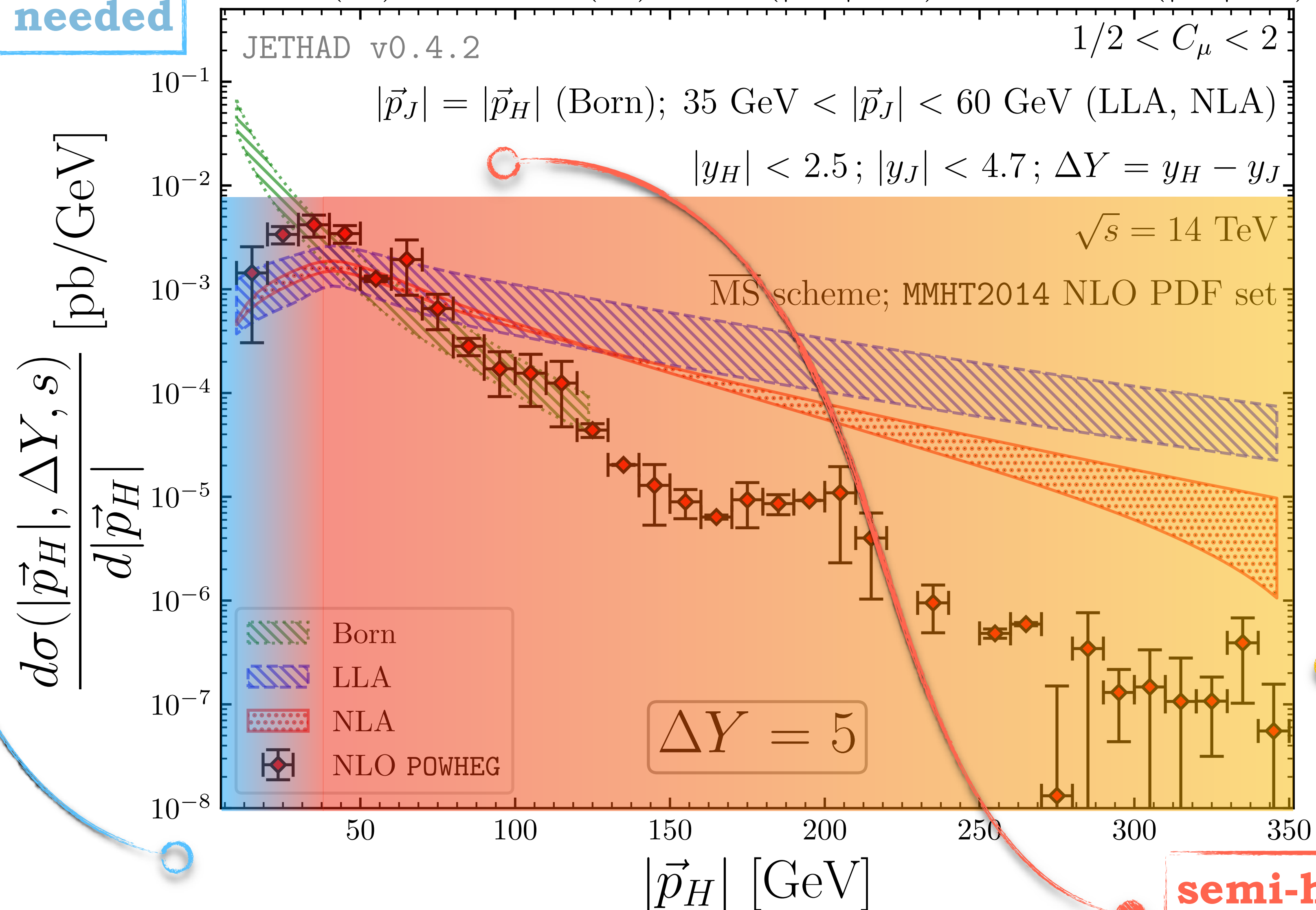
Resummed
distributions

Closing
statements

large p_T logs
 p_T -resum. needed

DGLAP-type + threshold logs \rightarrow BFKL decoupling

$$\text{proton}(p_1) + \text{proton}(p_2) \rightarrow H(|\vec{p}_H|, y_H) + X + \text{jet}(|\vec{p}_J|, y_J)$$



semi-hard regime
BFKL expected

Introduction
&
Motivation

Inclusive
Higgs + jet

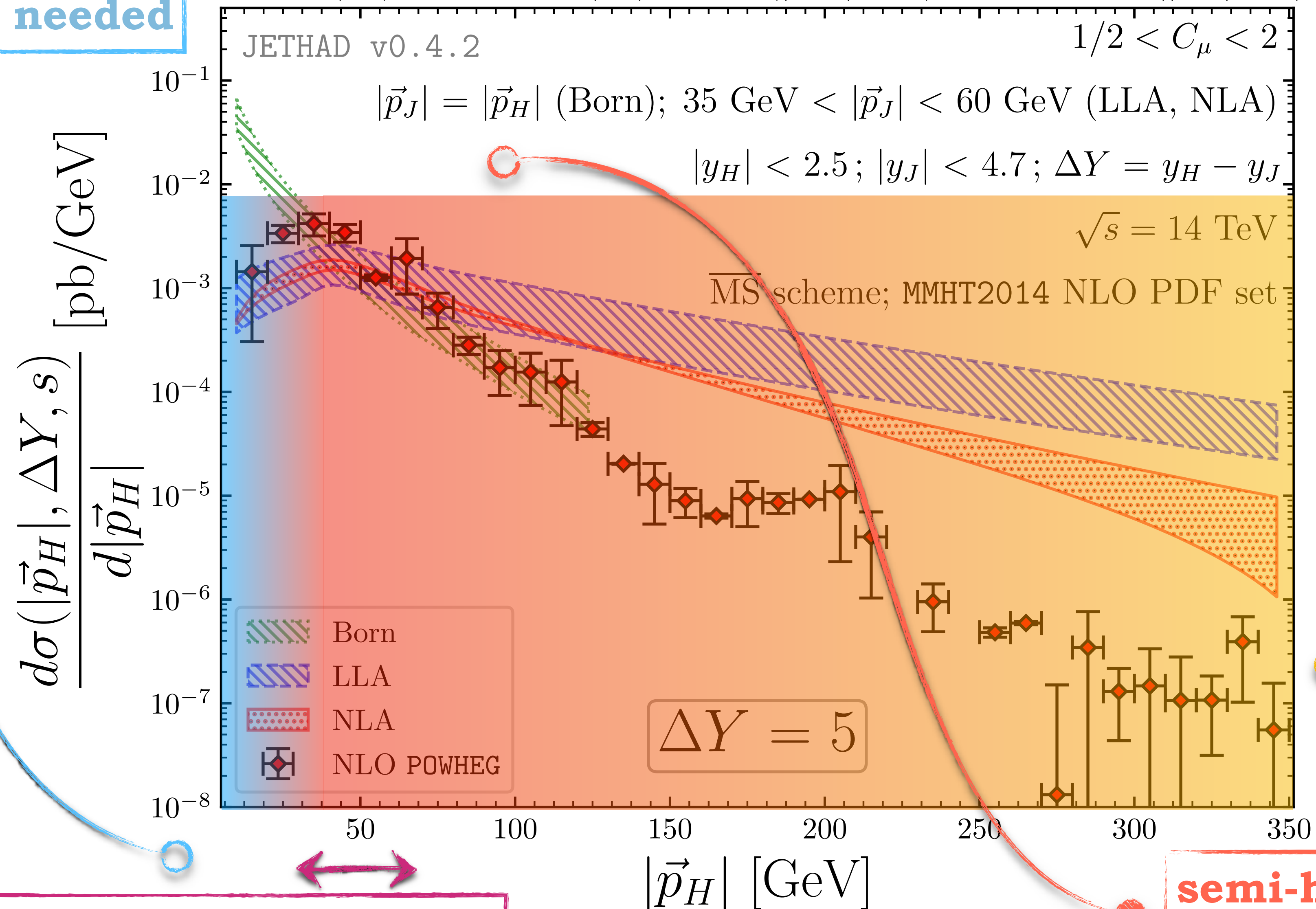
Resummed
distributions

Closing
statements

large p_T logs
 p_T -resum. needed

DGLAP-type + threshold logs \rightarrow BFKL decoupling

$$\text{proton}(p_1) + \text{proton}(p_2) \rightarrow H(|\vec{p}_H|, y_H) + X + \text{jet}(|\vec{p}_J|, y_J)$$



almost back-to-back emissions
Sudakov-type double logs

semi-hard regime
BFKL expected

Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Closing statements

- ☑ Inclusive Higgs + jet as new **semi-hard** probe for **BFKL**
- ☑ Partial NLA BFKL accuracy: NLA kernel + LO IFs + NLO RG
- ☑ *Encouraging* statistics for rapidity and p_H -distributions
- ☑ **Fair stability** under *higher-order* corrections

Closing statements

- ☒ Inclusive Higgs + jet as new **semi-hard** probe for **BFKL**
- ☒ Partial NLA BFKL accuracy: NLA kernel + LO IFs + NLO RG
- ☒ *Encouraging* statistics for rapidity and p_H -distributions
- ☒ **Fair stability** under *higher-order* corrections
- ☐ Feasibility of **precision measurements** to be *gauged*
- ☐ Distributions as *underlying staging* for several **resummations**
- ☐ *Multi-lateral formalism* to **encode** distinct resummations
- ☐ Full NLA BFKL analysis: NLO Higgs IF & jet-algorithm selection

**Backup
slides**

Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

High-energy QCD at colliders: semi-hard reactions and unintegrated gluon densities

Letter of Interest for SnowMass 2021

Francesco G. Celiberto ^{1,2*}, Michael Fucilla ^{3,4§}, Dmitry Yu. Ivanov ^{5,6†},
Mohammed M.A. Mohammed ^{3,4‡}, and Alessandro Papa ^{3,4¶}

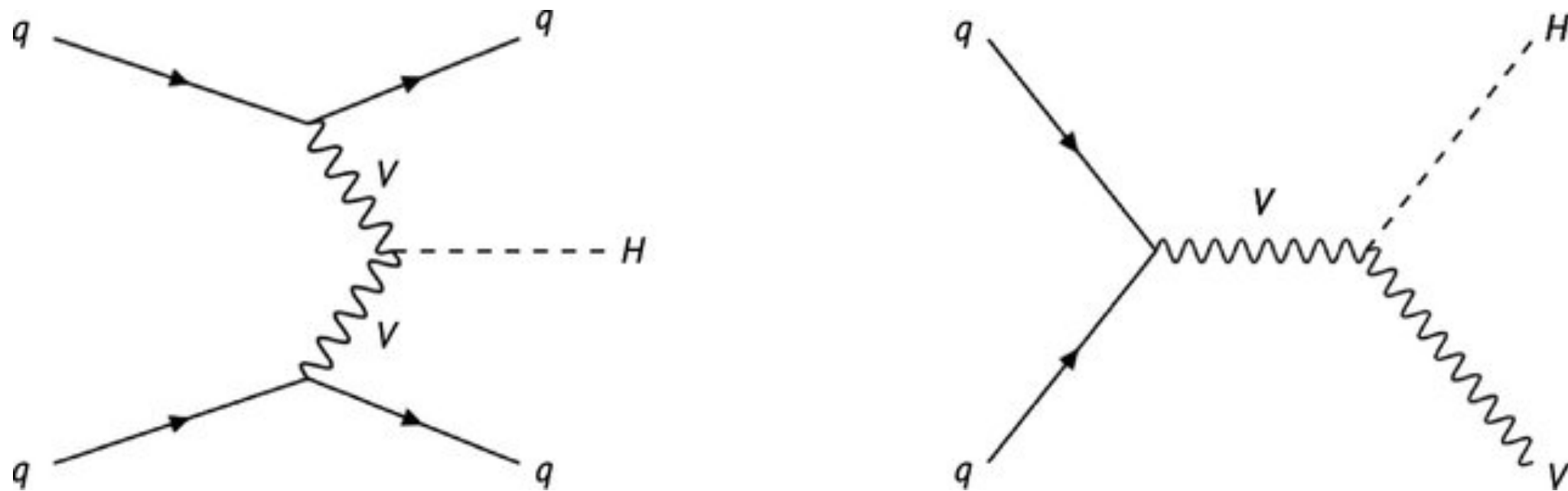
The search for evidence of New Physics is in the viewfinder of current and forthcoming analyses at the Large Hadron Collider (LHC) and at future hadron, lepton and lepton-hadron colliders. This is the best time to shore up our knowledge of strong interactions though, the high luminosity and the record energies reachable widening the horizons of kinematic sectors uninvestigated so far. A broad class of processes, called *diffractive semi-hard* reactions [1], *i.e* where the scale hierarchy, $s \gg \{Q^2\} \gg \Lambda_{\text{QCD}}^2$ (s is the squared center-of-mass energy, $\{Q\}$ a (set of) hard scale(s) characteristic of the process and Λ_{QCD} the QCD scale), is stringently preserved, gives us a faultless chance to test perturbative QCD in new and quite original ways. Here, a genuine fixed-order treatment based on collinear factorization fails since large energy logarithms enter the perturbative series in

The research lines presented above are relevant in the search for high-energy effects via the description of an increasing number of hadronic and lepto-hadronic reactions at the LHC and at new-generation colliders, like the Electron-Ion Collider (EIC). At the same time, the BFKL resummation serves as a tool to address more general aspects of QCD, from the hadronic structure to other resummations and to the production mechanism of hadronic bound states. We believe that the inclusion of these topics in the *SnowMass 2021* scientific program would accelerate progress of our understanding of both formal and phenomenological aspects of strong interactions at high energies.

Higgs sector(s): properties & production

Electroweak

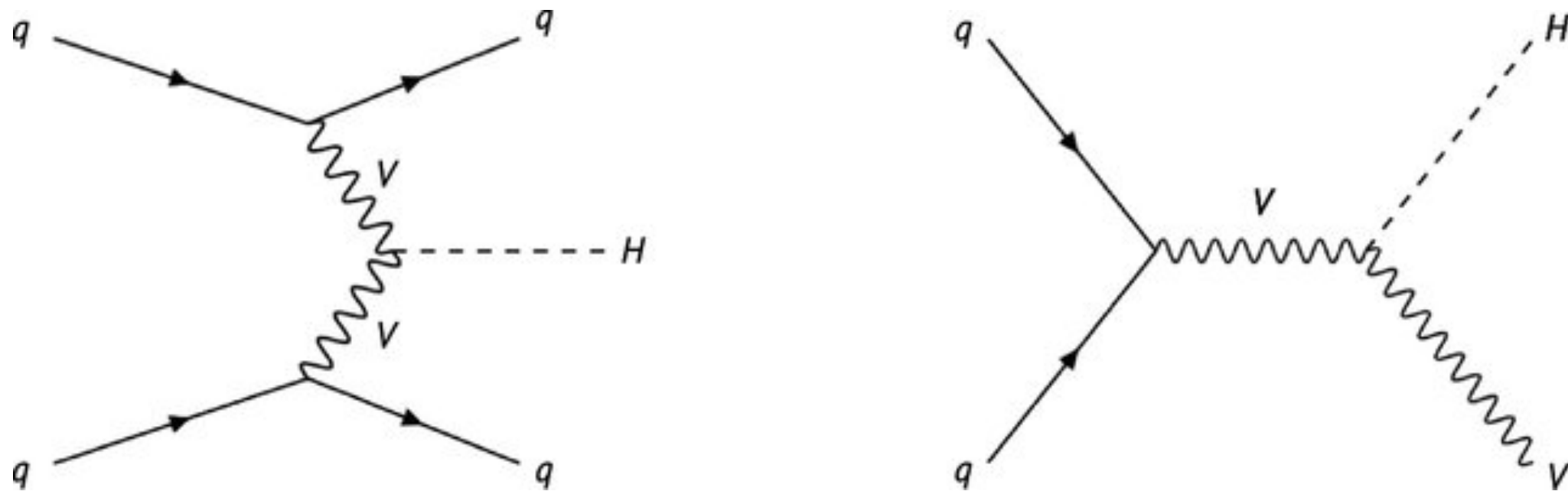
- * Golden channel to investigate Higgs decays
- * VBF as extractor of HWW and HZZ couplings
- * EWSB and CP studies
- * Higgs with associated production of jets



Higgs sector(s): properties & production

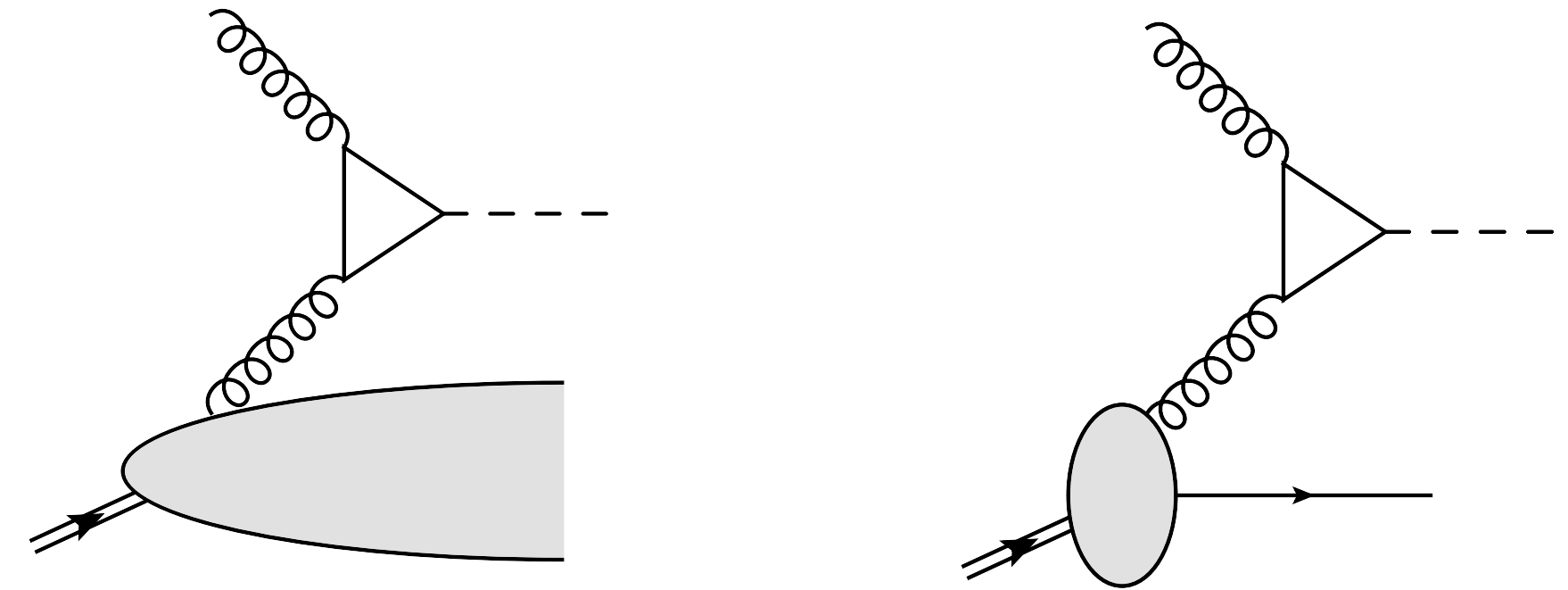
Electroweak

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QCD gluon fusion

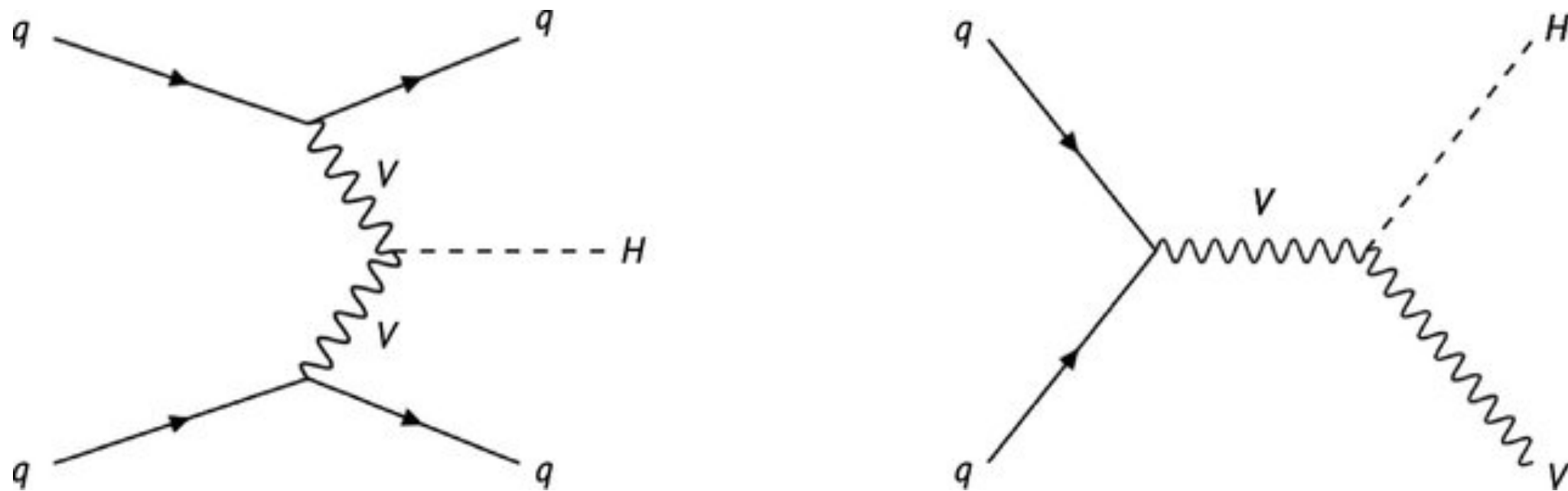
- * Key ingredient for differential distributions
- * Stringent tests of pQCD \leftrightarrow **resummations**
- * Inclusive Higgs \rightarrow hadronic structure (TMD)
- * Inclusive Higgs + jet \rightarrow high-energy QCD



Higgs sector(s): properties & production

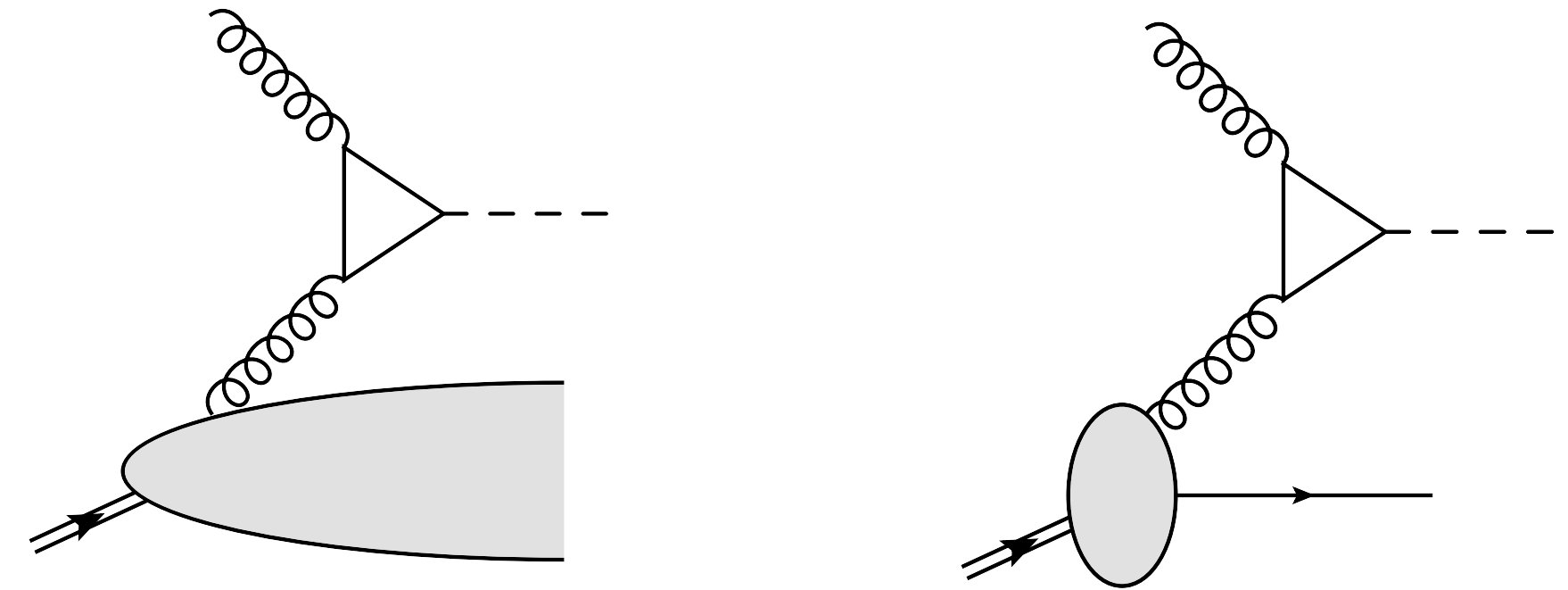
Electroweak

- * Golden channel to investigate Higgs decays
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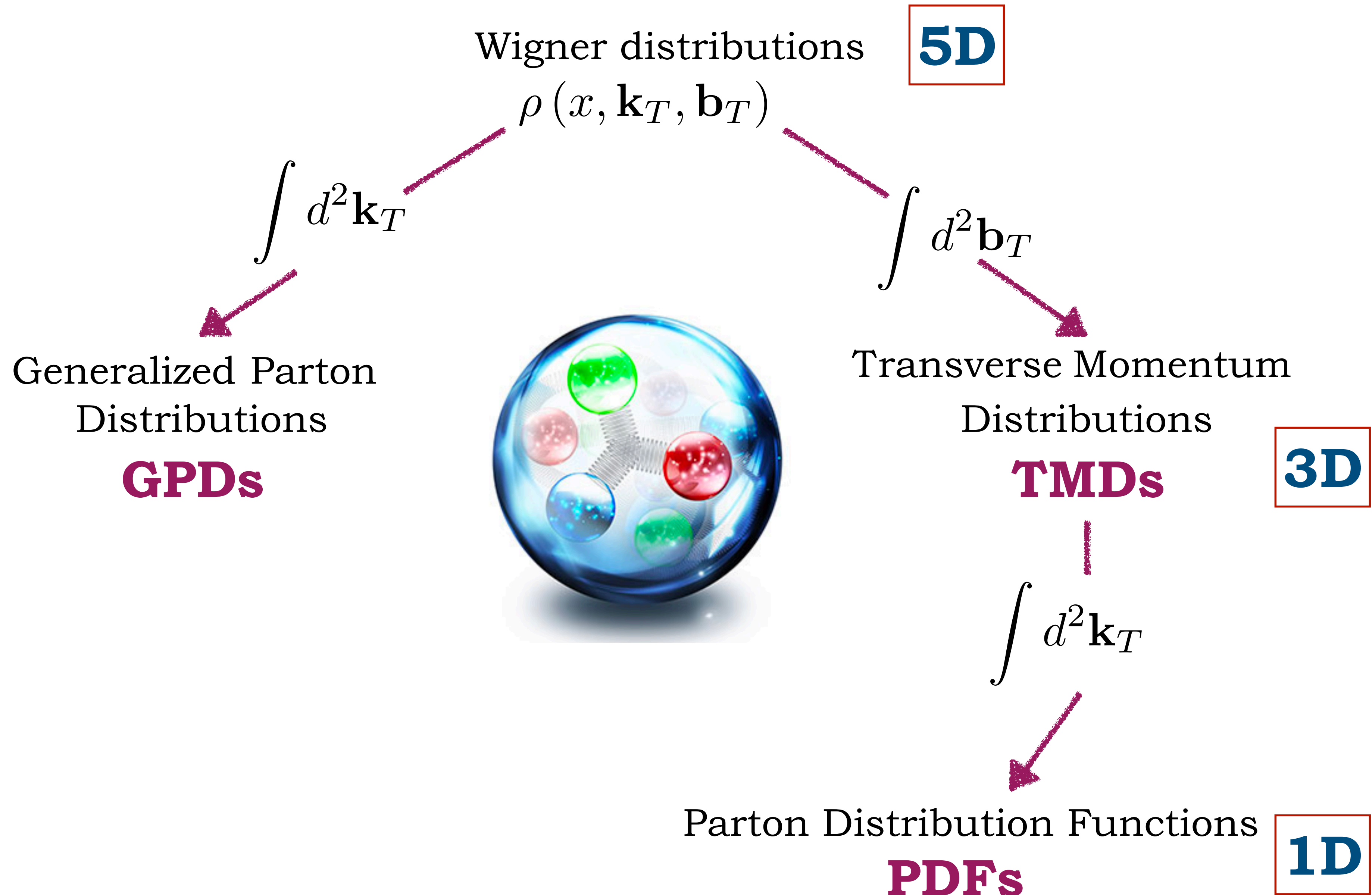


QCD gluon fusion

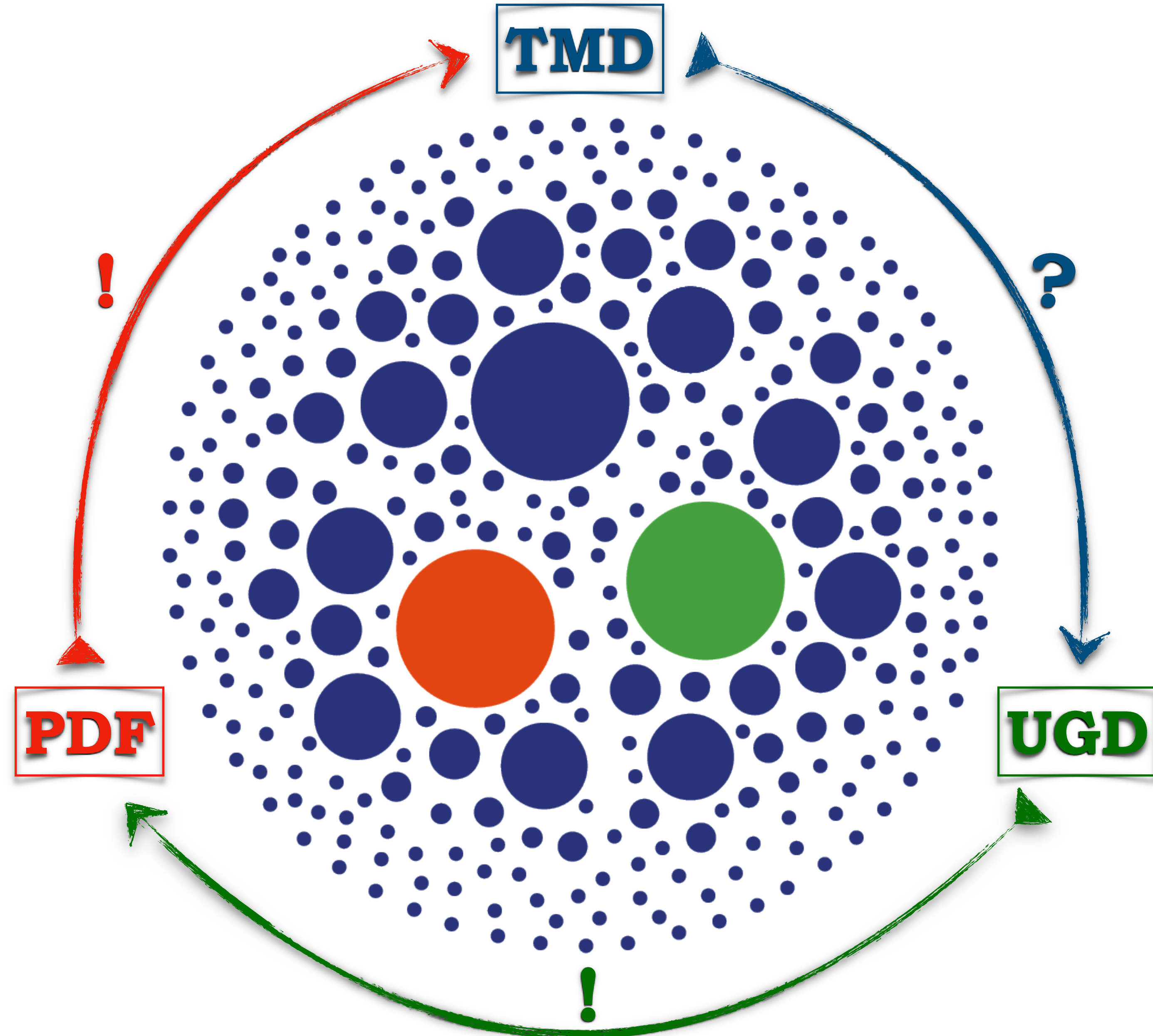
- * Key ingredient for differential distributions
- * Stringent tests of pQCD \leftrightarrow **resummations**
- * Inclusive Higgs \rightarrow hadronic structure (TMD)
- * **Inclusive Higgs + jet** \rightarrow **high-energy** QCD



Parton densities: an incomplete family tree



Mapping the proton content



The high-energy resummation

Gluon Reggeization in perturbative QCD

◇ Gluon quantum numbers in the t -channel: 8^- representation

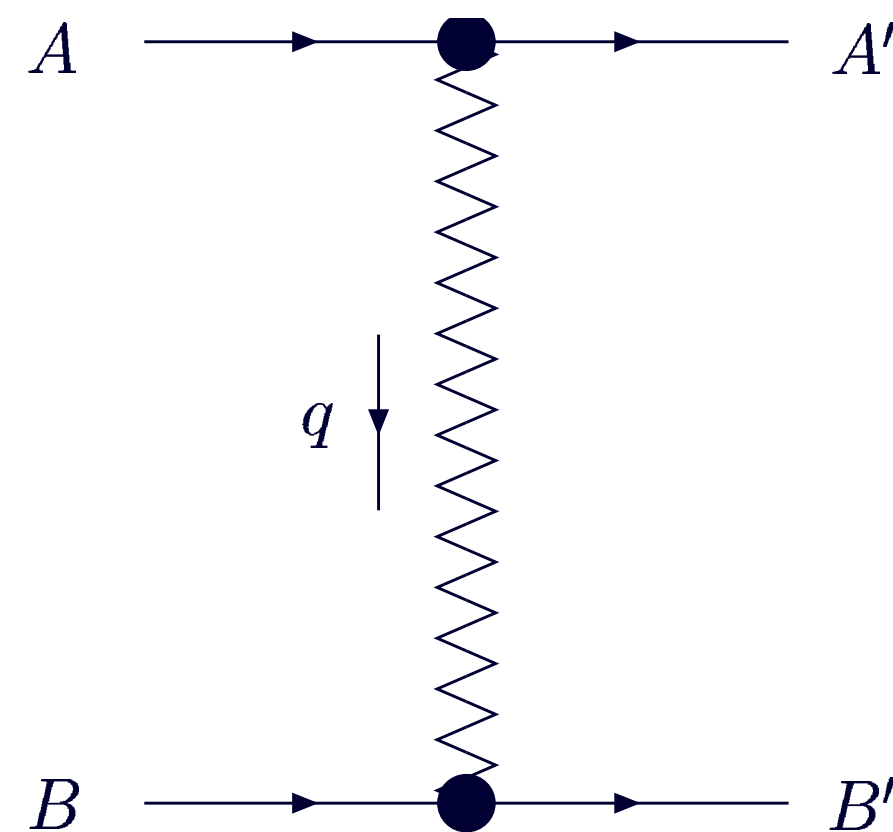
◇ Regge limit: $s \simeq -u \rightarrow \infty$, t not growing with s

→ amplitudes governed by **gluon Reggeization** → $D_{\mu\nu} = -i \frac{g_{\mu\nu}}{q^2} \left(\frac{s}{s_0} \right)^{\alpha_g(q^2)-1}$

$\xrightarrow{\text{feature}}$ all-order resummation: **LLA** $[\alpha_s^n (\ln s)^n]$ + **NLA** $[\alpha_s^{n+1} (\ln s)^n]$

$\xrightarrow{\text{consequence}}$ factorization of elastic and real part of inelastic amplitudes

$\xrightarrow{\text{example}}$ Elastic scattering process: $A + B \rightarrow A' + B'$



$$(\mathcal{A}_8^-)^{A'B'}_{AB} = \Gamma_{A'A}^c \left[\left(\frac{-s}{-t} \right)^{j(t)} - \left(\frac{s}{-t} \right)^{j(t)} \right] \Gamma_{B'B}^c$$

$$j(t) = 1 + \omega(t), \quad j(0) = 1$$

$\omega(t) \rightarrow$ Reggeized gluon trajectory

$$\Gamma_{A'A}^c = g \langle A' | T^c | A \rangle \Gamma_{A'A} \rightarrow \text{PPR vertex}$$

$T^c \rightarrow$ fundamental (q) or adjoint (g)

- QCD is the unique SM theory where all elementary particles reggeize
- Possible extensions: N=4 SYM, AdS/CFT,...

The high-energy resummation

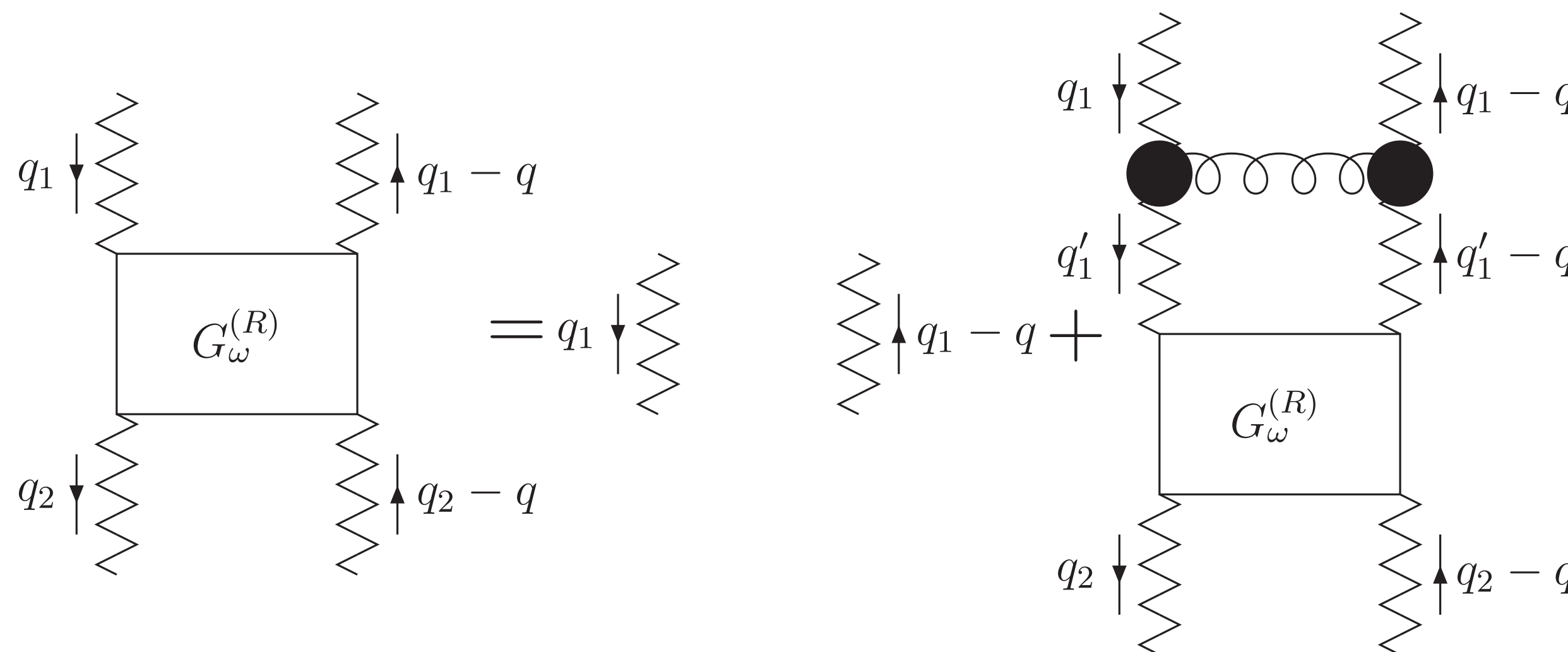
$$\mathcal{I}m_s \{ \mathcal{A} \} = \frac{s}{(2\pi)^{D-2}} \int \frac{d^{D-2}q_1}{\vec{q}_1^2} \Phi_A(\vec{q}_1, \mathbf{s}_0) \int \frac{d^{D-2}q_2}{\vec{q}_2^2} \Phi_B(-\vec{q}_2, \mathbf{s}_0) \int_{\delta-i\infty}^{\delta+i\infty} \frac{d\omega}{2\pi i} \left(\frac{s}{\mathbf{s}_0} \right)^\omega G_\omega(\vec{q}_1, \vec{q}_2)$$

- **Green's function** is **process-independent** and takes care of the **energy dependence**

→ determined through the **BFKL equation**

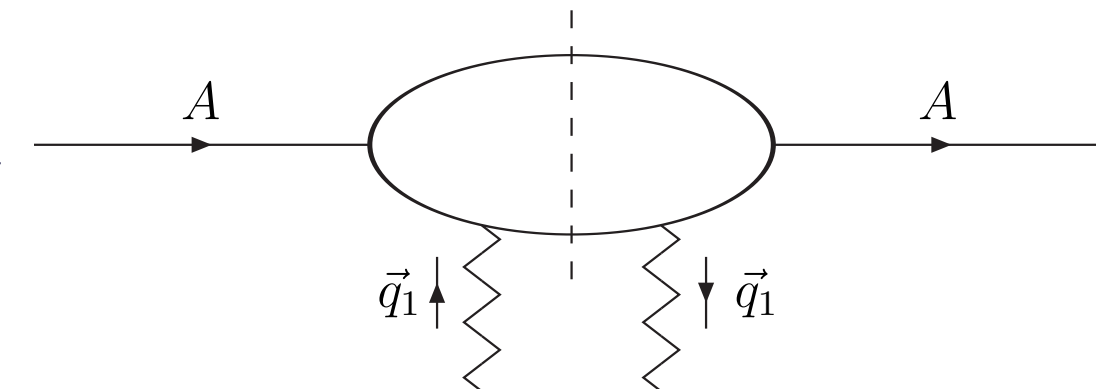
[Ya.Ya. Balitskii, V.S. Fadin, E.A. Kuraev, L.N. Lipatov (1975)]

$$\omega G_\omega(\vec{q}_1, \vec{q}_2) = \delta^{D-2}(\vec{q}_1 - \vec{q}_2) + \int d^{D-2}q K(\vec{q}_1, \vec{q}) G_\omega(\vec{q}, \vec{q}_1) .$$



The high-energy resummation

- **Impact factors** are **process-dependent** and depend on the hard scale, but not on the energy
→ known in the NLA just for few processes



- ◇ **colliding partons**

[V.S. Fadin, R. Fiore, M.I. Kotsky, A. Papa (2000)]
[M. Ciafaloni, G. Rodrigo (2000)]

- ◇ $\gamma^* \longrightarrow V$, with $V = \rho^0, \omega, \phi$, forward case

[D.Yu. Ivanov, M.I. Kotsky, A. Papa (2004)]

- ◇ forward jet production

[J. Bartels, D. Colferai, G.P. Vacca (2003)]
(exact IF) [F. Caporale, D.Yu. Ivanov, B. Murdaca, A. Papa, A. Perri (2012)]
(small-cone IF) [D.Yu. Ivanov, A. Papa (2012)]
(several jet algorithms discussed) [D. Colferai, A. Niccoli (2015)]

- ◇ forward identified hadron production

[D.Yu. Ivanov, A. Papa (2012)]

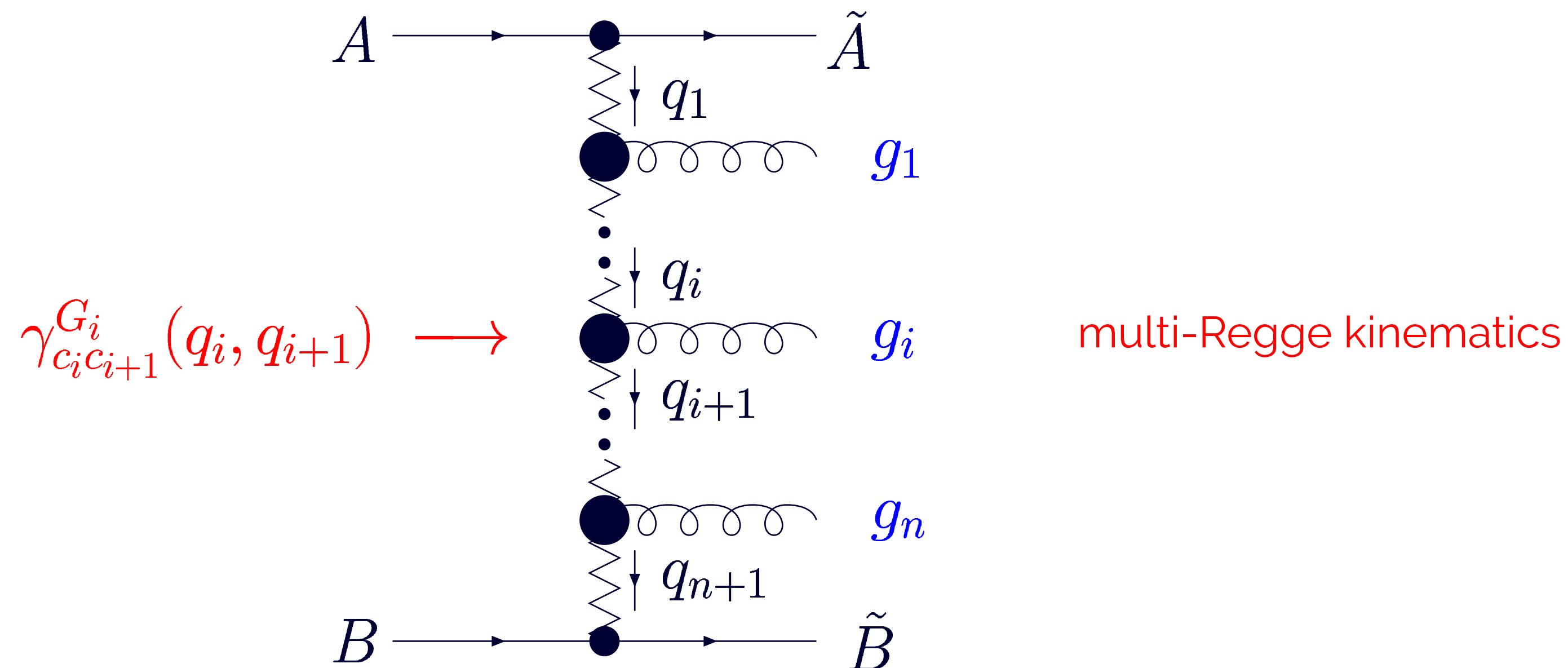
- ◇ $\gamma^* \longrightarrow \gamma^*$

[J. Bartels *et al.* (2001), I. Balitsky, G.A. Chirilli (2011, 2013)]

The high-energy resummation

BFKL in the LLA (I)

Inelastic scattering process $A + B \rightarrow \tilde{A} + \tilde{B} + n$ in the LLA



$$\text{Re} \mathcal{A}_{AB}^{\tilde{A}\tilde{B}+n} = 2s \Gamma_{\tilde{A}A}^{c_1} \left(\prod_{i=1}^n \gamma_{c_i c_{i+1}}^{P_i}(q_i, q_{i+1}) \left(\frac{s_i}{s_R} \right)^{\omega(t_i)} \frac{1}{t_i} \right) \frac{1}{t_{n+1}} \left(\frac{s_{n+1}}{s_R} \right)^{\omega(t_{n+1})} \Gamma_{\tilde{B}B}^{c_{n+1}}$$

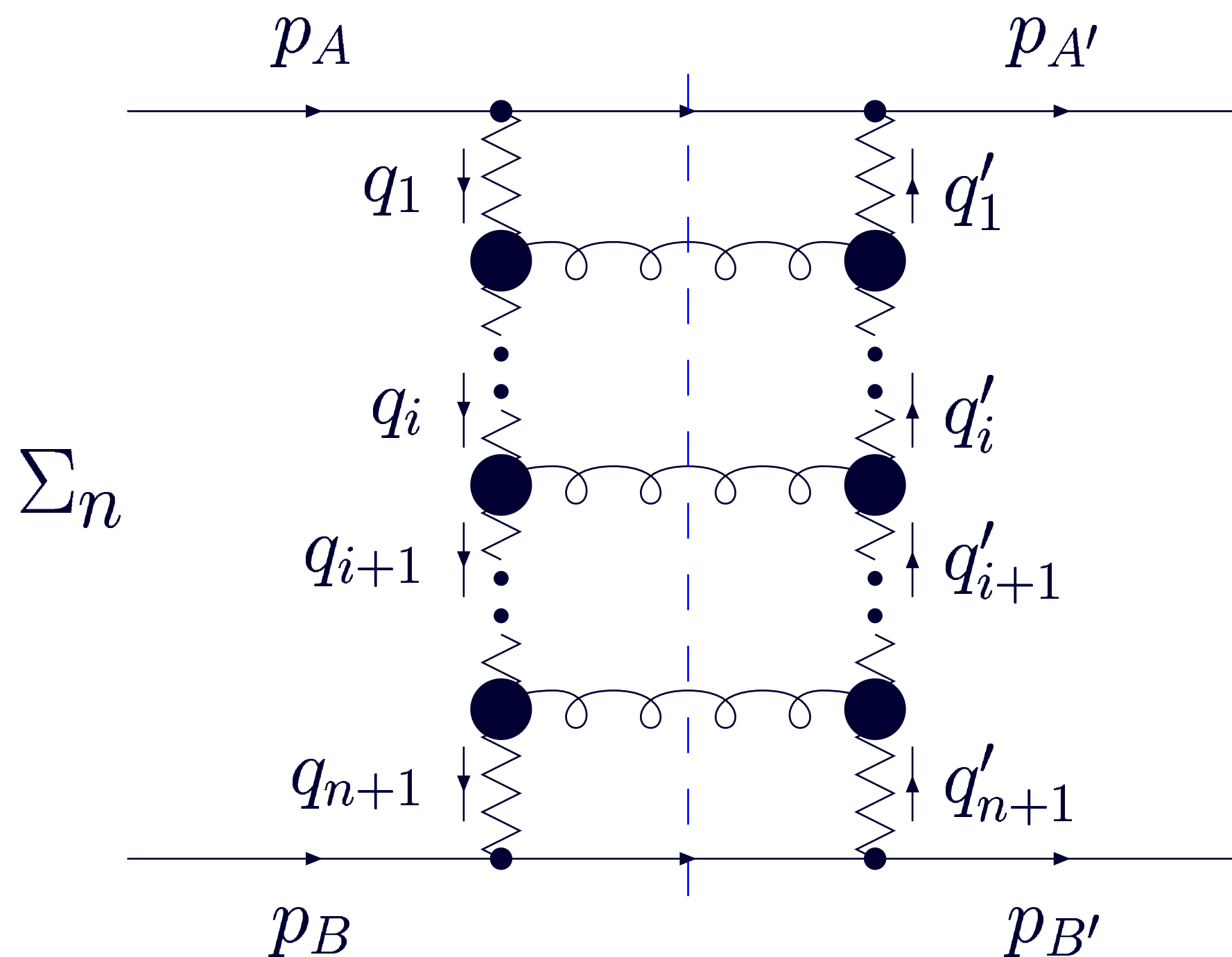
$\gamma_{c_i c_{i+1}}^{P_i}(q_i, q_{i+1}) \rightarrow$ RRG vertex

$s_R \rightarrow$ energy scale, irrelevant in the LLA

The high-energy resummation

BFKL in the LLA (II)

Elastic amplitude $A + B \longrightarrow A' + B'$ in the LLA via s -channel unitarity



$$\mathcal{A}_{AB}^{A'B'} = \sum_{\mathcal{R}} (\mathcal{A}_{\mathcal{R}})_{AB}^{A'B'}, \quad \mathcal{R} = 1 \text{ (singlet)}, 8^- \text{ (octet)}, \dots$$

The 8^- color representation is important for the **bootstrap**, i.e. the consistency between the above amplitude and that with one Reggeized gluon exchange

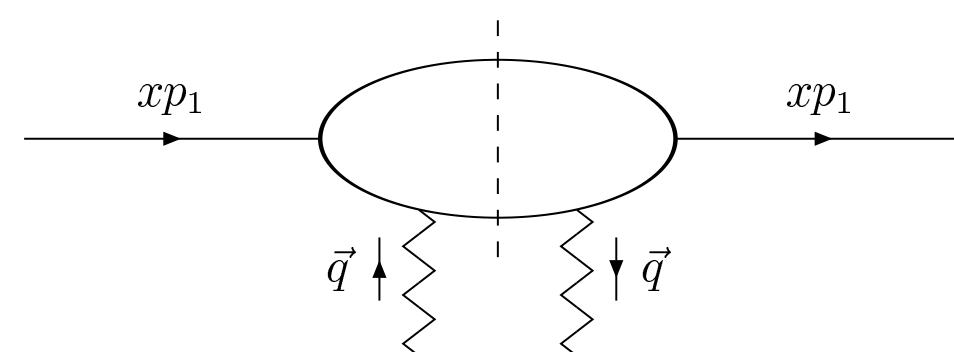
Hybrid factorization at work

Forward-jet impact factor

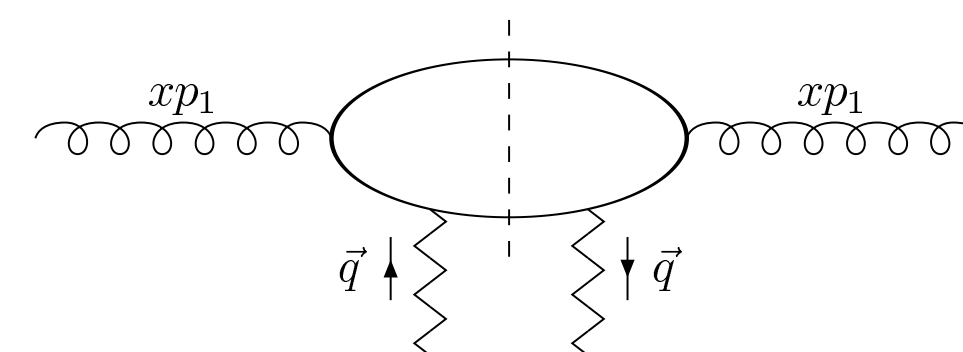
- take the impact factors for **colliding partons**

[V.S. Fadin, R. Fiore, M.I. Kotsky, A. Papa (2000)]

[M. Ciafaloni and G. Rodrigo (2000)]

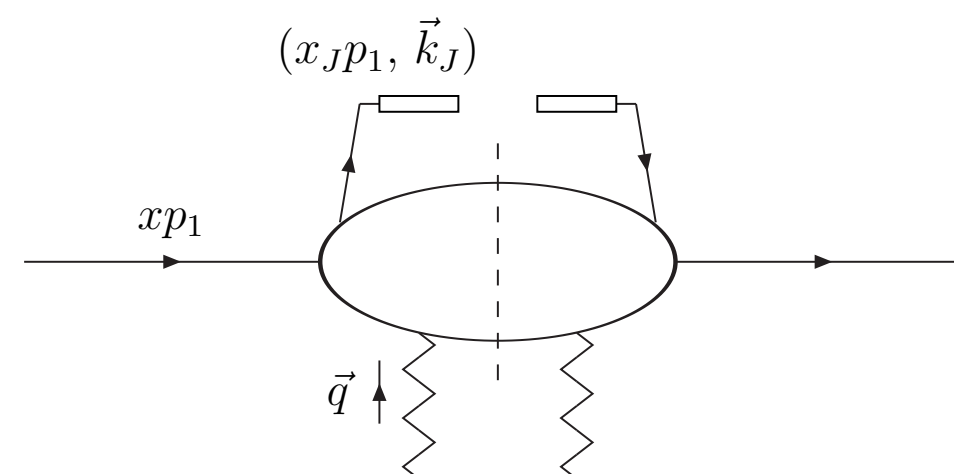


quark vertex

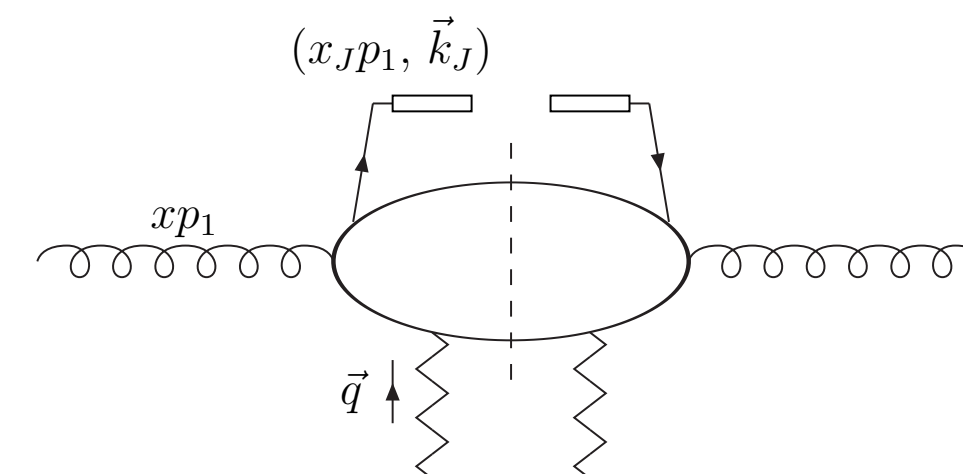


gluon vertex

- “open” one of the integrations over the phase space of the intermediate state to allow one parton to generate the jet



quark jet vertex



gluon jet vertex

- use QCD collinear factoriz.: $\sum_{s=q,\bar{q}} f_s \otimes [\text{quark vertex}] + f_g \otimes [\text{gluon vertex}]$

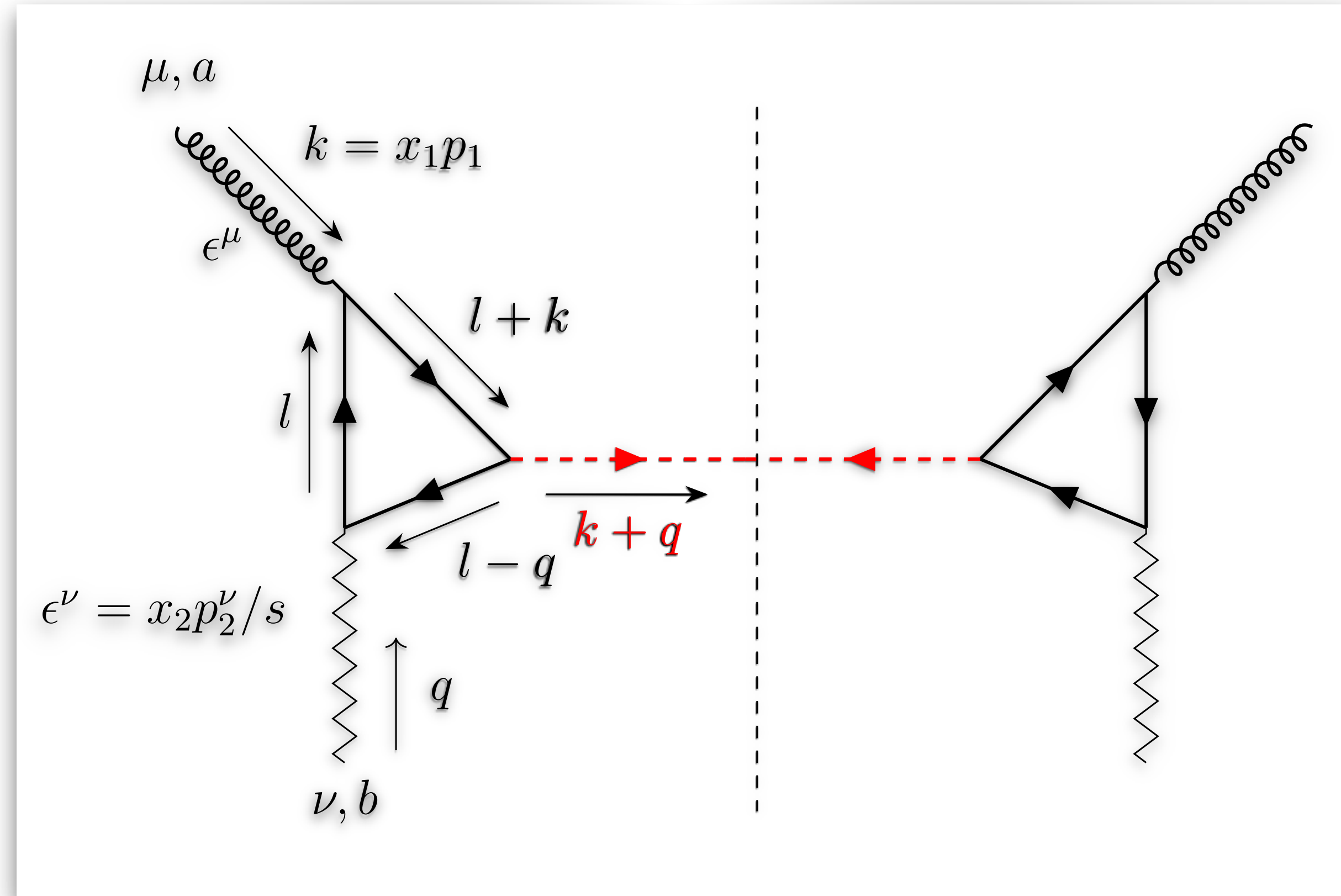
Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Forward-Higgs impact factor at LO



$$\frac{d\Phi_J^{(0)}(\nu, n)}{dx_J d^2\vec{p}_J} = 2\alpha_s \sqrt{\frac{C_F}{C_A}} (\vec{p}_J^2)^{i\nu-3/2} \left(\frac{C_A}{C_F} f_g(x_J) + \sum_{a=q\bar{q}} f_a(x_J) \right) e^{in\phi_J}$$

Backup

Forward-Higgs impact factor at NLO-RG

Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

$$\begin{aligned}\tilde{c}_H^{(1)}(n, \nu, |\vec{p}_H|, x_H) = c_H(n, \nu, |\vec{p}_H|, x_H) & \left\{ \frac{\beta_0}{4N_c} \left(2 \ln \frac{\mu_{R_1}}{|\vec{p}_H|} + \frac{5}{3} \right) + \frac{\chi(n, \nu)}{2} \ln \left(\frac{s_0}{M_{H,\perp}^2} \right) \right. \\ & + \frac{\beta_0}{4N_c} \left(2 \ln \frac{\mu_{R_1}}{M_{H,\perp}} \right) \\ & \left. - \frac{1}{2N_c f_g(x_H, \mu_{F_1})} \ln \frac{\mu_{F_1}^2}{M_{H,\perp}^2} \int_{x_H}^1 \frac{dz}{z} \left[P_{gg}(z) f_g \left(\frac{x_H}{z}, \mu_{F_1} \right) + \sum_{a=q, \bar{q}} P_{ga}(z) f_a \left(\frac{x_H}{z}, \mu_{F_1} \right) \right] \right\}\end{aligned}$$

Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Forward-jet impact factor at NLO-RG

$$\begin{aligned} \tilde{c}_J^{(1)}(n, \nu, |\vec{p}_J|, x_J) = & c_J(n, \nu, |\vec{p}_J|, x_J) \left\{ \frac{\beta_0}{4N_c} \left(2 \ln \frac{\mu_{R_2}}{|\vec{p}_J|} + \frac{5}{3} \right) + \frac{\chi(n, \nu)}{2} \ln \left(\frac{s_0}{|\vec{p}_J|^2} \right) \right. \\ & - \frac{1}{2N_c \left(\frac{C_A}{C_F} f_g(x_J, \mu_{F_2}) + \sum_{a=q, \bar{q}} f_a(x_J, \mu_{F_2}) \right)} \ln \frac{\mu_{F_2}^2}{|\vec{p}_J|^2} \\ & \times \left(\frac{C_A}{C_F} \int_{x_J}^1 \frac{dz}{z} \left[P_{gg}(z) f_g \left(\frac{x_J}{z}, \mu_{F_2} \right) + \sum_{a=q, \bar{q}} P_{ga}(z) f_a \left(\frac{x_J}{z}, \mu_{F_2} \right) \right] \right. \\ & \left. \left. + \sum_{a=q, \bar{q}} \int_{x_J}^1 \frac{dz}{z} \left[P_{ag}(z) f_g \left(\frac{x_J}{z}, \mu_{F_2} \right) + P_{aa}(z) f_a \left(\frac{x_J}{z}, \mu_{F_2} \right) \right] \right) \right\} . \end{aligned}$$

Backup

Inclusive Higgs + jet: resummed coefficients

Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

$$\mathcal{C}_n = \frac{e^{\Delta Y}}{s} \frac{M_{H,\perp}}{|\vec{p}_H|}$$

$$\begin{aligned} & \times \int_{-\infty}^{+\infty} d\nu \left(\frac{x_J x_H s}{s_0} \right)^{\bar{\alpha}_s(\mu_{R_c})} \left\{ \chi(n, \nu) + \bar{\alpha}_s(\mu_{R_c}) \left[\bar{\chi}(n, \nu) + \frac{\beta_0}{8N_c} \chi(n, \nu) \left[-\chi(n, \nu) + \frac{10}{3} + 4 \ln \left(\frac{\mu_{R_c}}{\sqrt{\vec{p}_H \vec{p}_J}} \right) \right] \right] \right\} \\ & \times \left\{ \alpha_s^2(\mu_{R_1}) c_H(n, \nu, |\vec{p}_H|, x_H) \right\} \left\{ \alpha_s(\mu_{R_2}) [c_J(n, \nu, |\vec{p}_J|, x_J)]^* \right\} \\ & \times \left\{ 1 + \bar{\alpha}_s(\mu_{R_1}) \frac{\tilde{c}_H^{(1)}(n, \nu, |\vec{p}_H|, x_H)}{c_H(n, \nu, |\vec{p}_H|, x_H)} + \bar{\alpha}_s(\mu_{R_2}) \left[\frac{\tilde{c}_J^{(1)}(n, \nu, |\vec{p}_J|, x_J)}{c_J(n, \nu, |\vec{p}_J|, x_J)} \right]^* \right\} . \end{aligned}$$

Backup

Introduction
&
Motivation

φ -averaged cross section: C_0

$$C_n(\Delta Y, s) = \int_{p_H^{\min}}^{p_H^{\max}} d|\vec{p}_H| \int_{p_J^{\min}}^{p_J^{\max}} d|\vec{p}_J| \int_{y_H^{\min}}^{y_H^{\max}} dy_H \int_{y_J^{\min}}^{y_J^{\max}} dy_J \delta(y_H - y_J - \Delta Y) \mathcal{C}_n$$

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Backup

Introduction
&
Motivation

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Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Backup

Introduction
&
Motivation

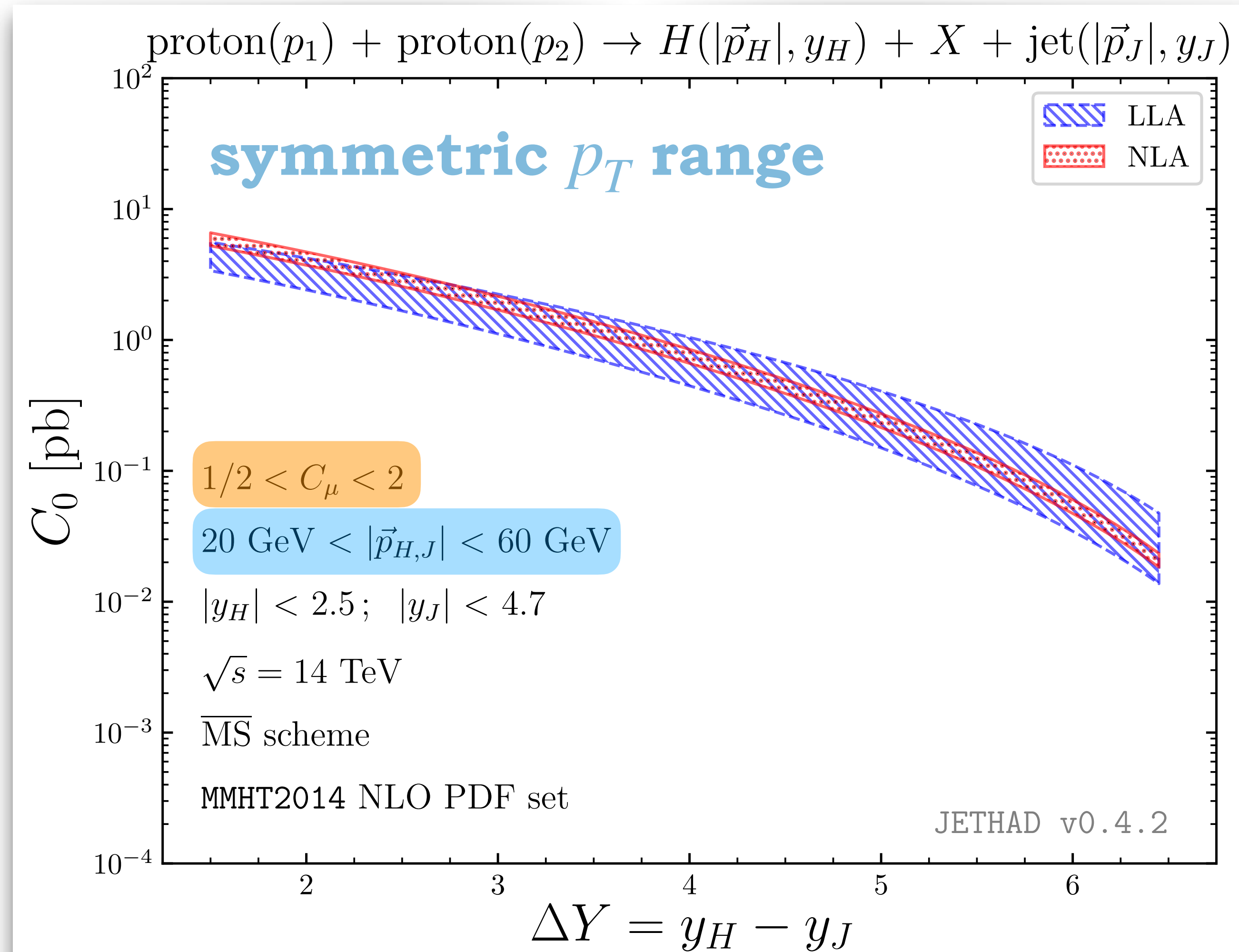
Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

φ -averaged cross section: C_0

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Backup

Introduction
&
Motivation

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Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Backup

Introduction
&
Motivation

φ -averaged cross section: C_0

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Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Backup

Introduction
&
Motivation

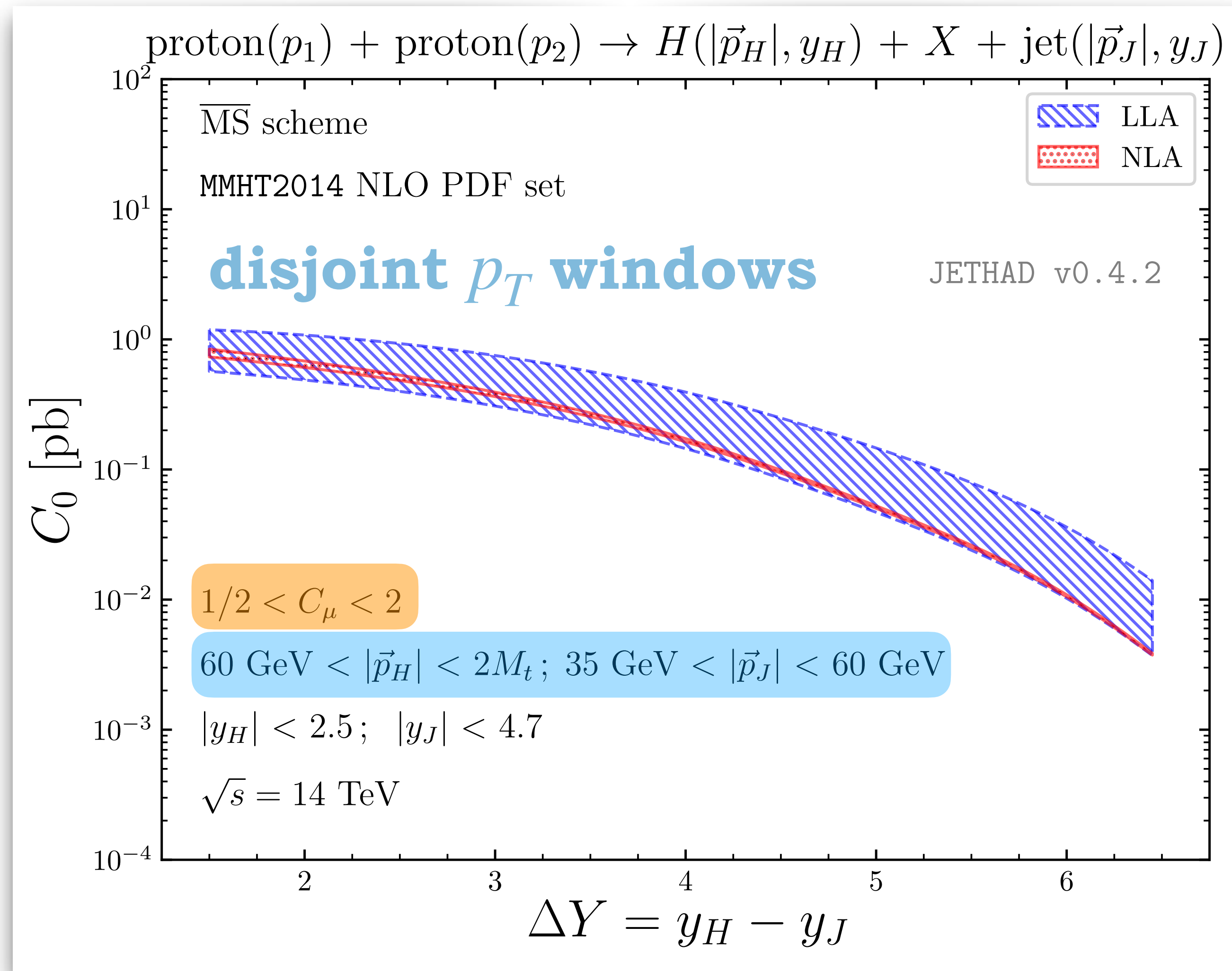
Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

φ -averaged cross section: C_0

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Backup

Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

φ -averaged cross section: $C_0 (M_t \rightarrow +\infty)$

$$C_n(\Delta Y, s) = \int_{p_H^{\min}}^{p_H^{\max}} d|\vec{p}_H| \int_{p_J^{\min}}^{p_J^{\max}} d|\vec{p}_J| \int_{y_H^{\min}}^{y_H^{\max}} dy_H \int_{y_J^{\min}}^{y_J^{\max}} dy_J \delta(y_H - y_J - \Delta Y) \mathcal{C}_n$$

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Introduction
&
Motivation

Inclusive
Higgs + jet

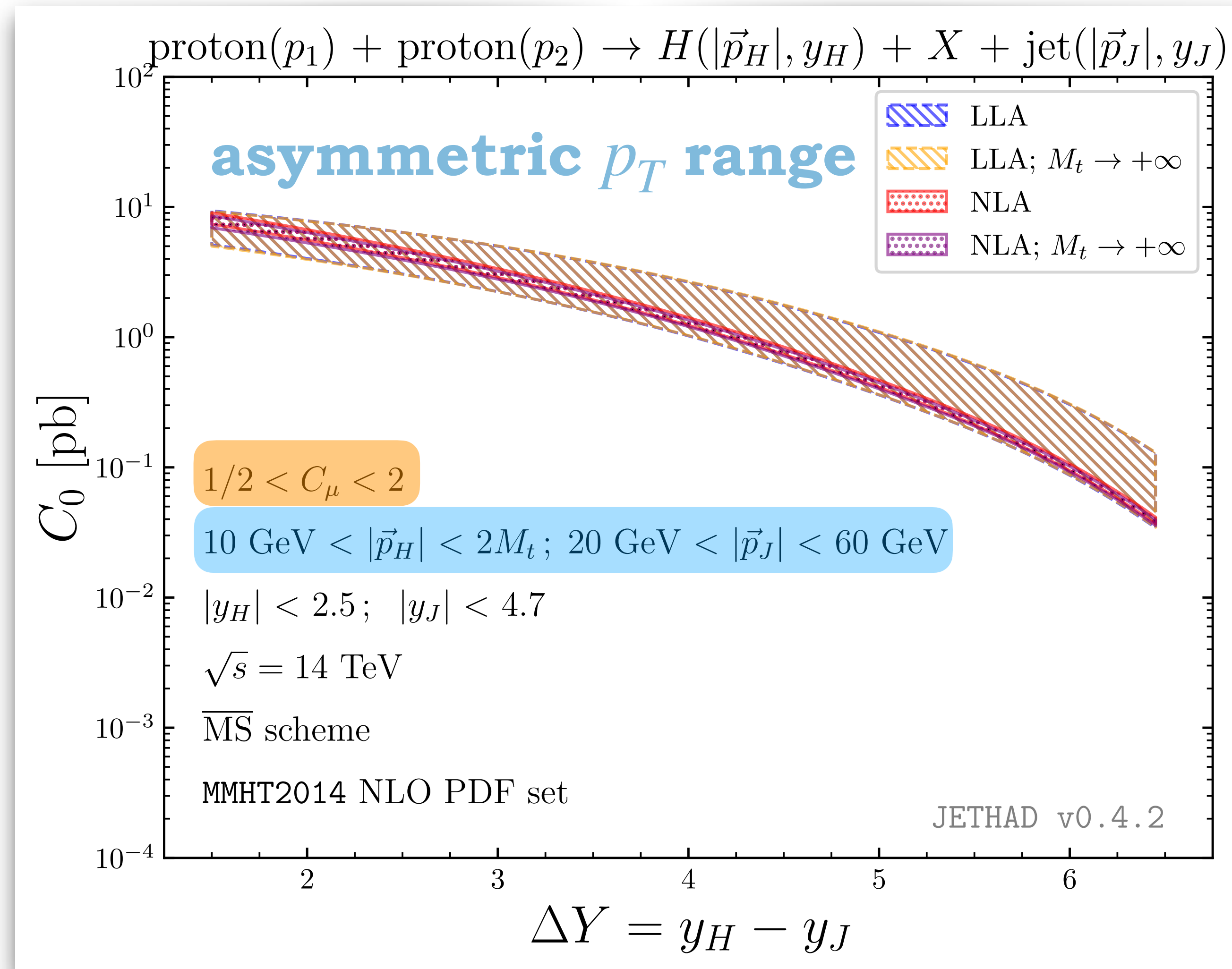
Resummed
distributions

Closing
statements

Backup

φ -averaged cross section: $C_0 (M_t \rightarrow +\infty)$

$$C_n(\Delta Y, s) = \int_{p_H^{\min}}^{p_H^{\max}} d|\vec{p}_H| \int_{p_J^{\min}}^{p_J^{\max}} d|\vec{p}_J| \int_{y_H^{\min}}^{y_H^{\max}} dy_H \int_{y_J^{\min}}^{y_J^{\max}} dy_J \delta(y_H - y_J - \Delta Y) C_n$$



Azimuthal correlations: $C_2/C_0 \equiv \langle \cos 2\varphi \rangle$

$$R_{n0}(\Delta Y, s) = C_n/C_0 \equiv \langle \cos n\varphi \rangle$$

Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Backup

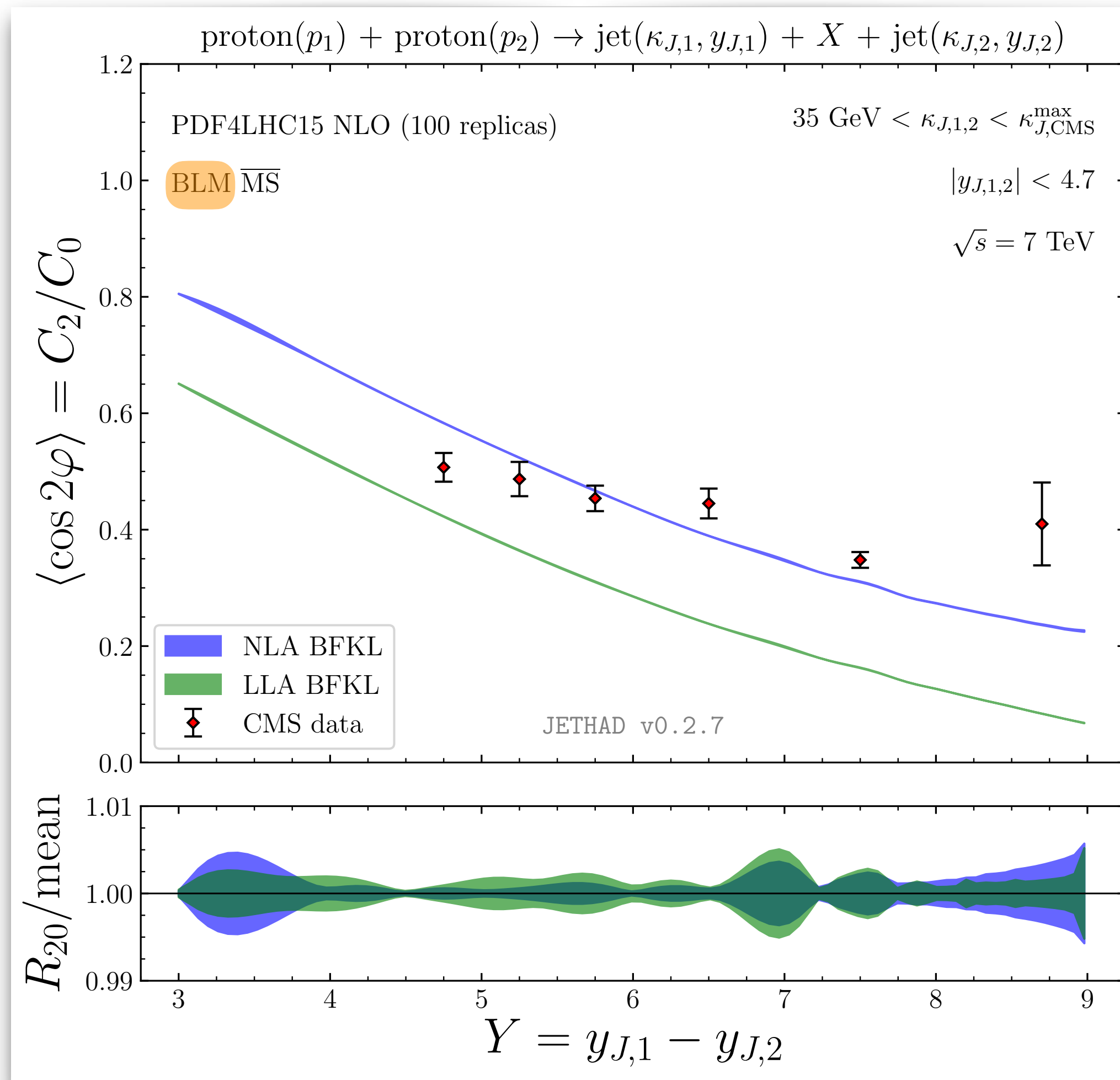
Azimuthal correlations: $C_2/C_0 \equiv \langle \cos 2\varphi \rangle$

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Mueller-Navelet jets

[\[B. Ducloué, L. Szymanowski, S. Wallon \(2014\)\]](#)

(figure below) [\[F. G. C. \(2020\)\]](#)



Azimuthal correlations: $C_2/C_0 \equiv \langle \cos 2\varphi \rangle$

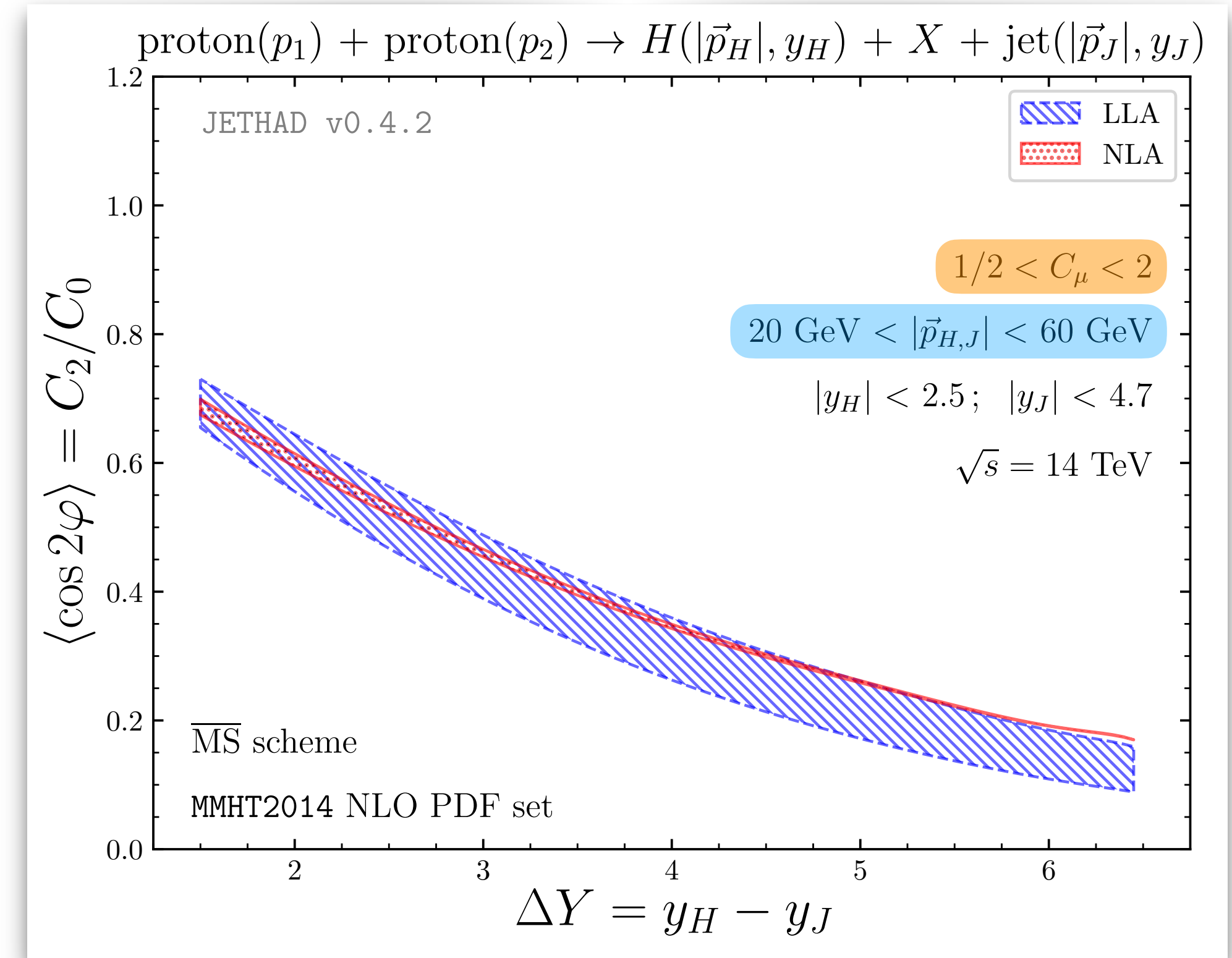
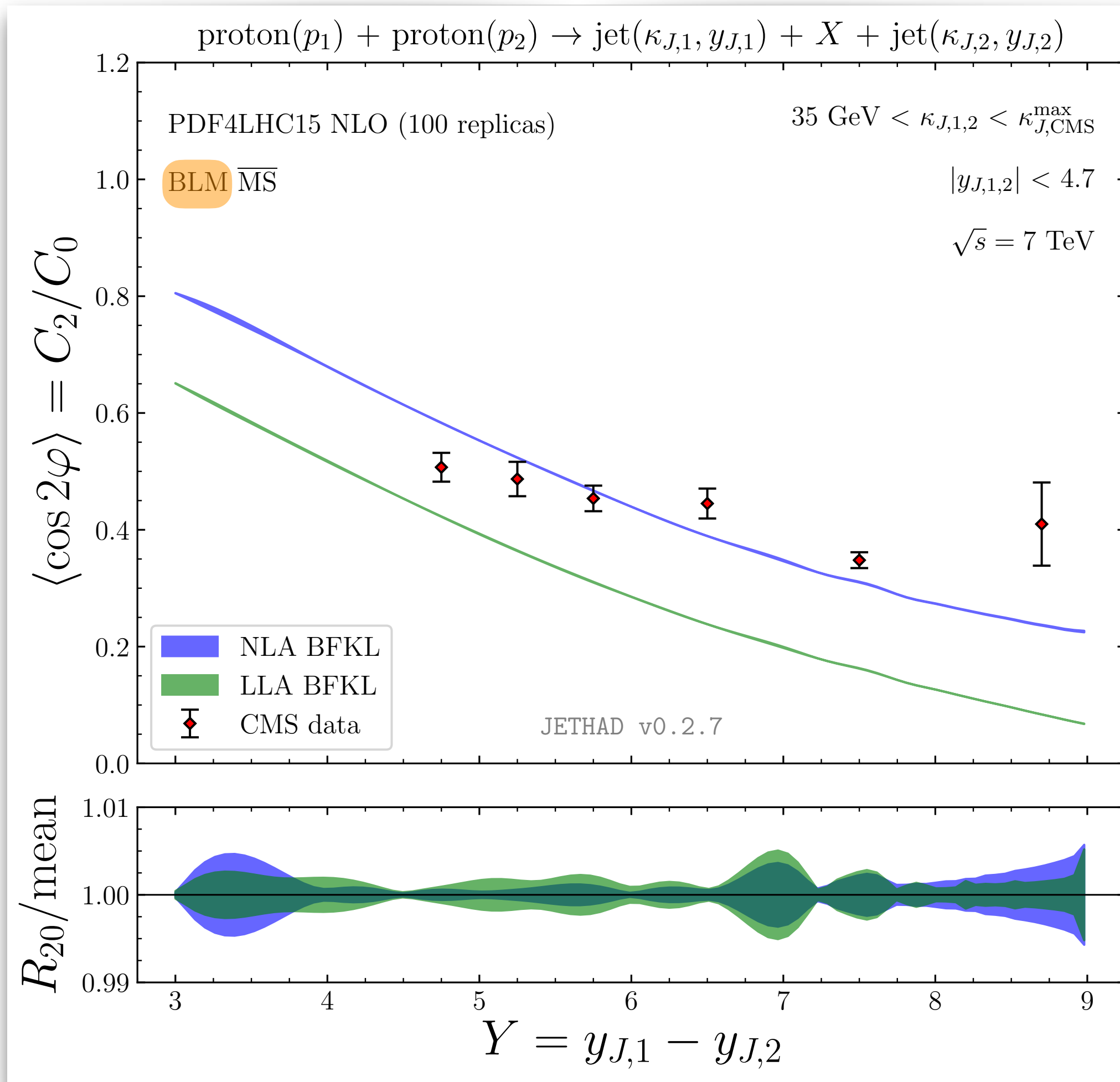
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Mueller-Navelet jets

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(figure below) [F. G. C. (2020)]

Higgs + jet



natural scales

symmetric p_T range

Backup

Azimuthal correlations: C_1/C_0 ($M_t \rightarrow +\infty$)

$$R_{n0}(\Delta Y, s) = C_n/C_0 \equiv \langle \cos n\varphi \rangle$$

Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Backup

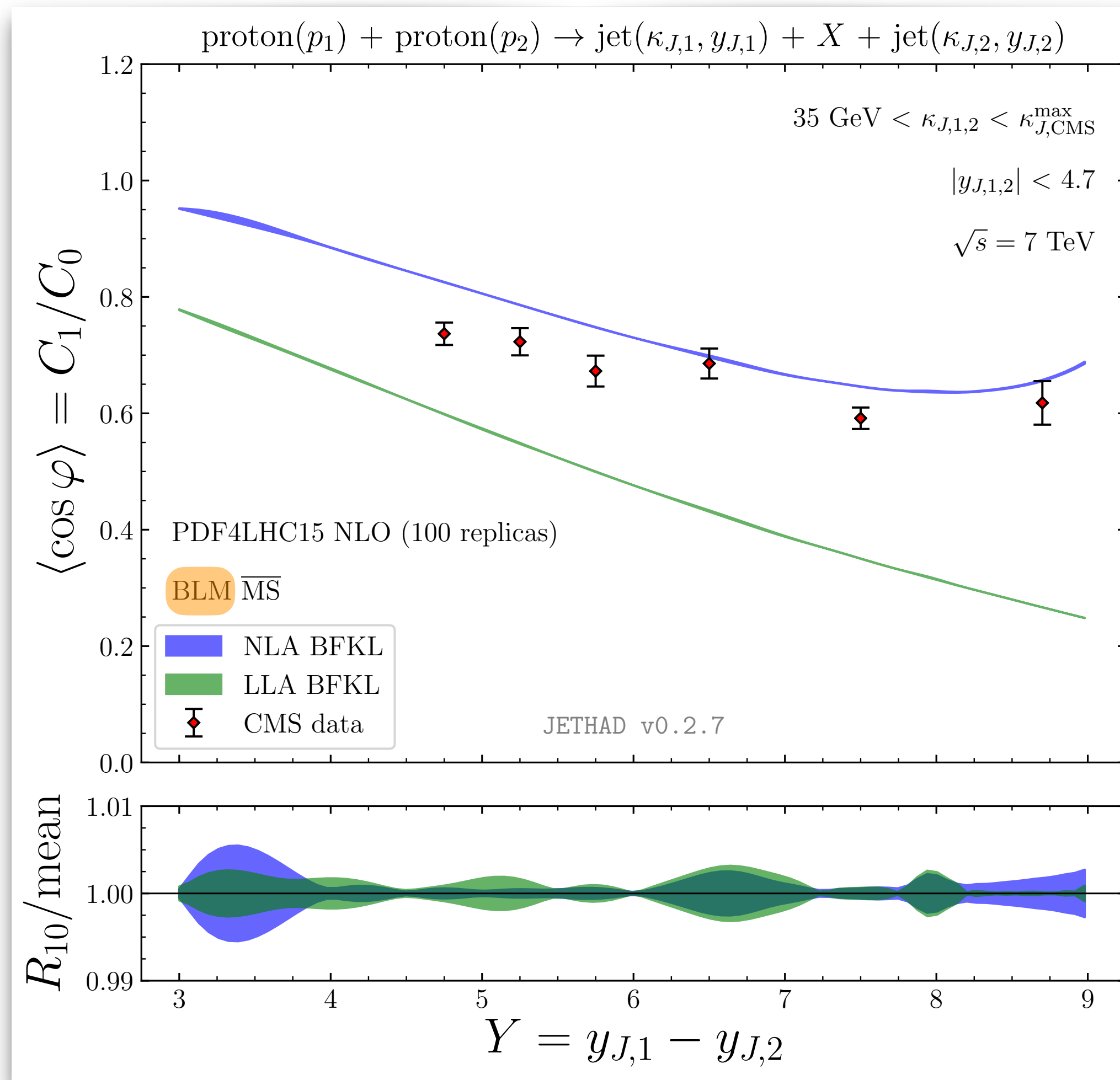
Azimuthal correlations: $C_1/C_0 (M_t \rightarrow +\infty)$

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Mueller-Navelet jets

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Azimuthal correlations: $C_1/C_0 (M_t \rightarrow +\infty)$

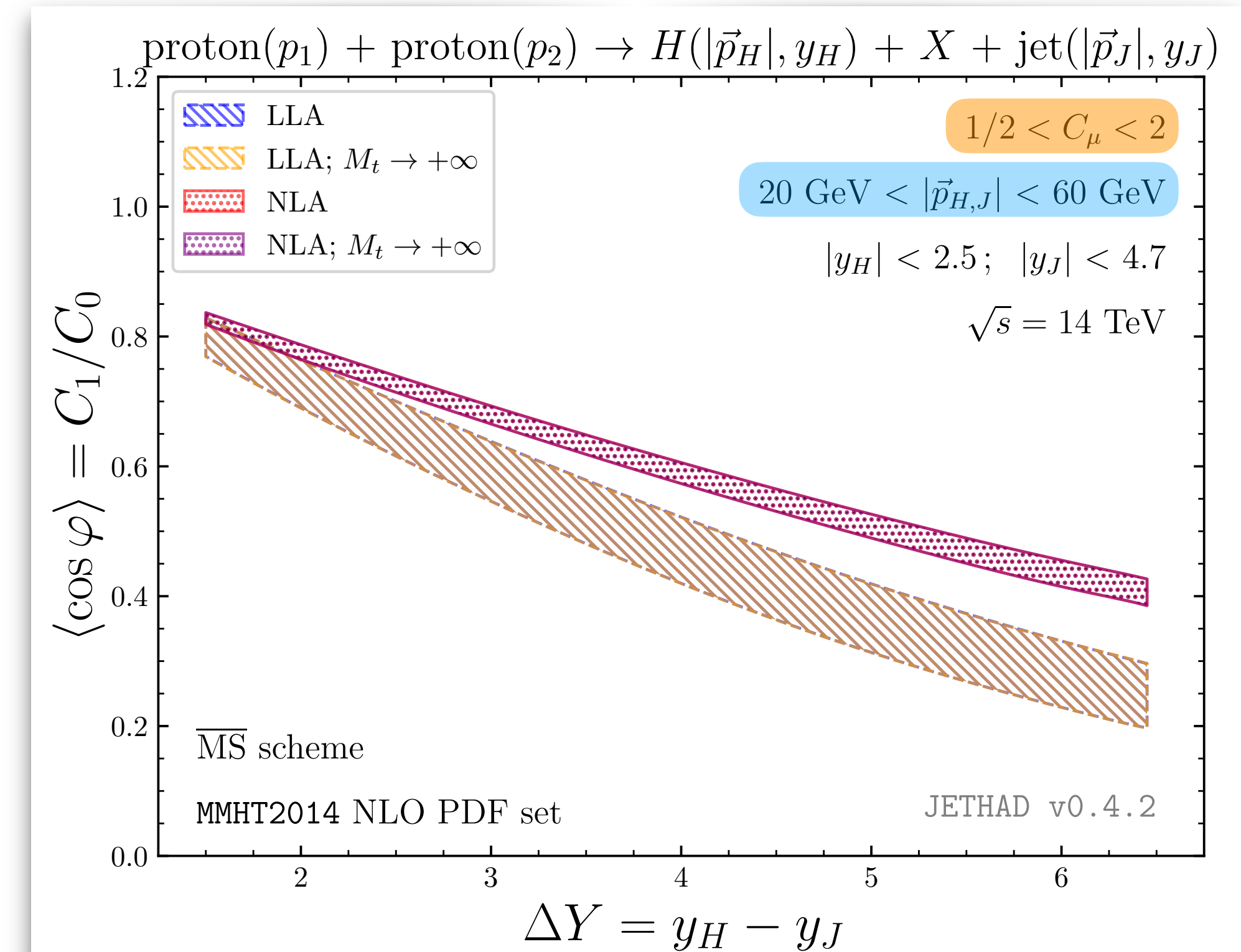
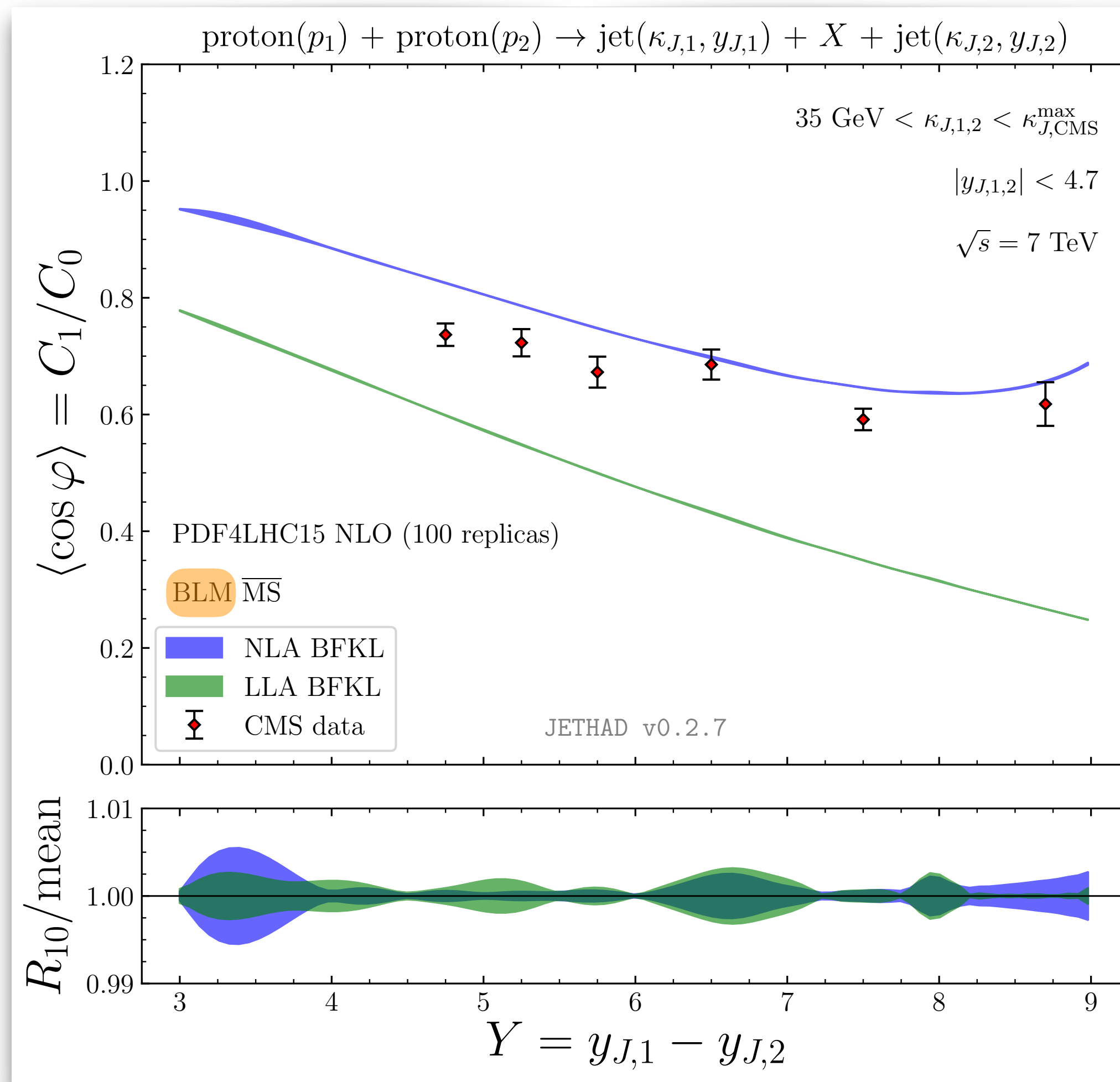
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Higgs + jet



natural scales
symmetric p_T range

Backup

Introduction
&
Motivation

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Introduction
&
Motivation

p_H -distribution: $dC_0/dp_H (M_t \rightarrow +\infty)$

$$\frac{d\sigma(|\vec{p}_H|, \Delta Y, s)}{d|\vec{p}_H|d\Delta Y} = \int_{p_J^{\min}}^{p_J^{\max}} d|\vec{p}_J| \int_{y_H^{\min}}^{y_H^{\max}} dy_H \int_{y_J^{\min}}^{y_J^{\max}} dy_J \delta(y_H - y_J - \Delta Y) \mathcal{C}_0$$

Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Backup

Introduction
&
Motivation

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Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Backup

Introduction
&
Motivation

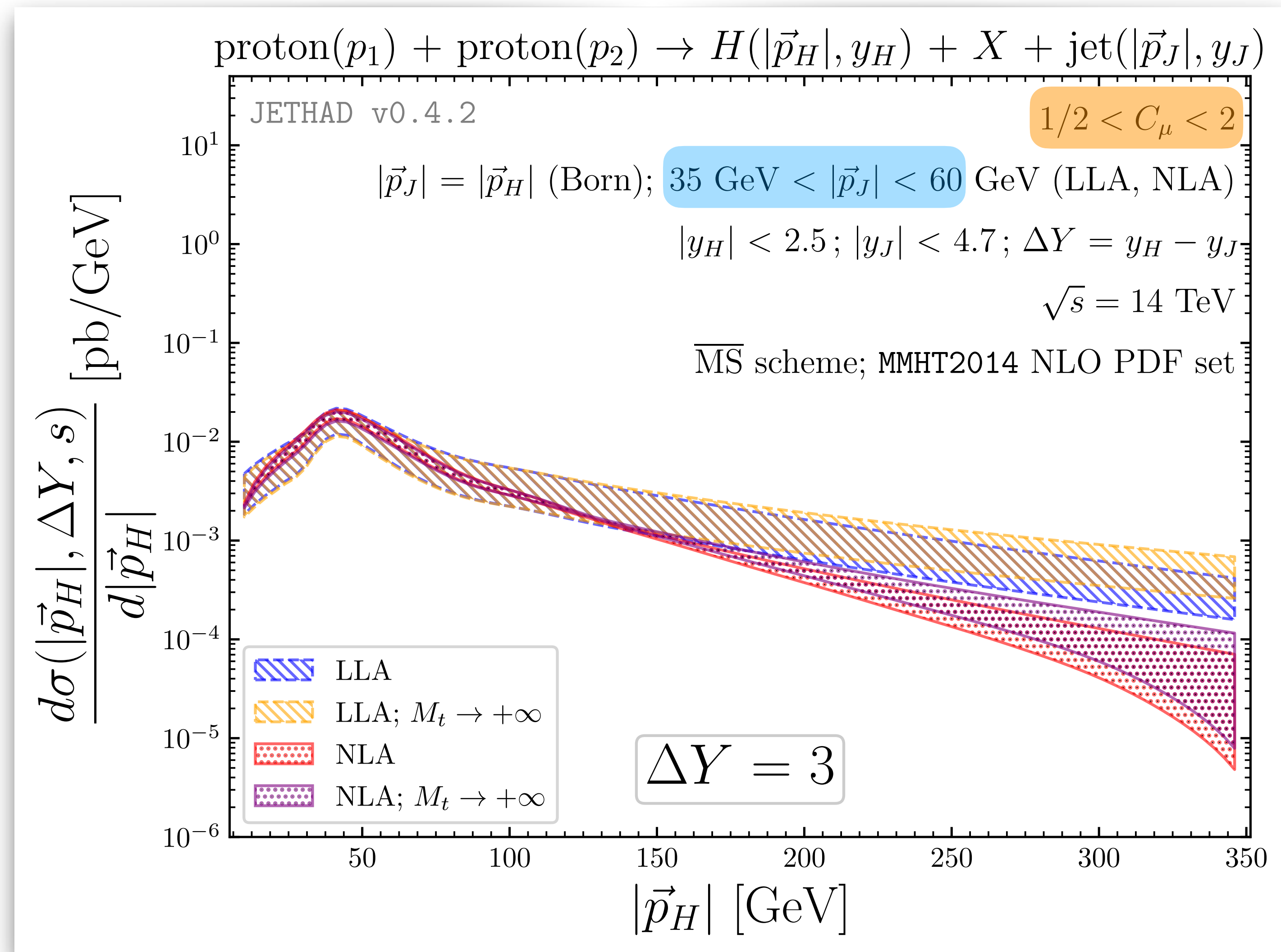
Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

p_H -distribution: dC_0/dp_H ($M_t \rightarrow +\infty$)

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Backup

Introduction
&
Motivation

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Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Backup

Introduction
&
Motivation

p_H -distribution: $dC_0/dp_H (M_t \rightarrow +\infty)$

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Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

Backup

Introduction
&
Motivation

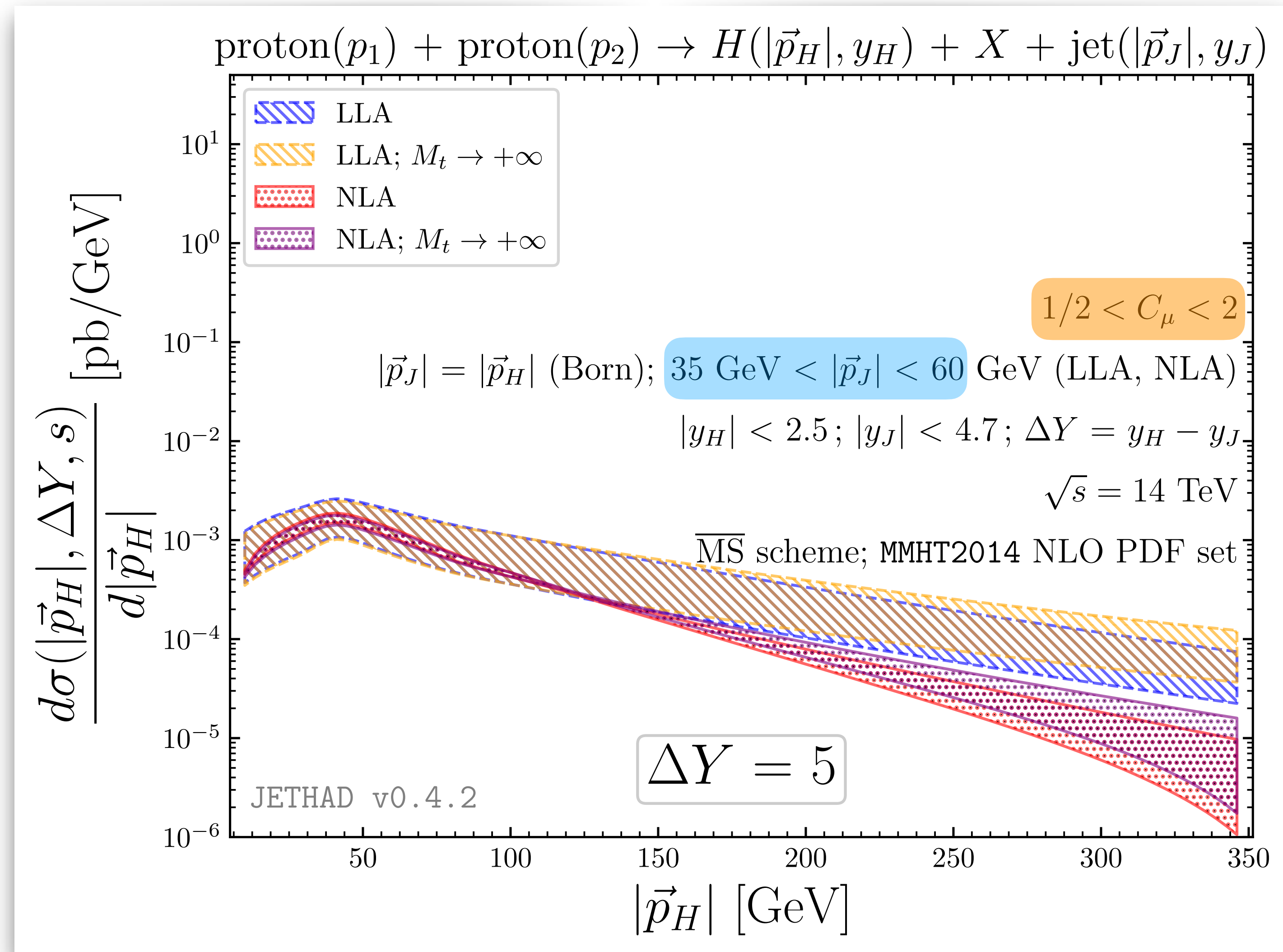
Inclusive
Higgs + jet

Resummed
distributions

Closing
statements

p_H -distribution: dC_0/dp_H ($M_t \rightarrow +\infty$)

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Backup