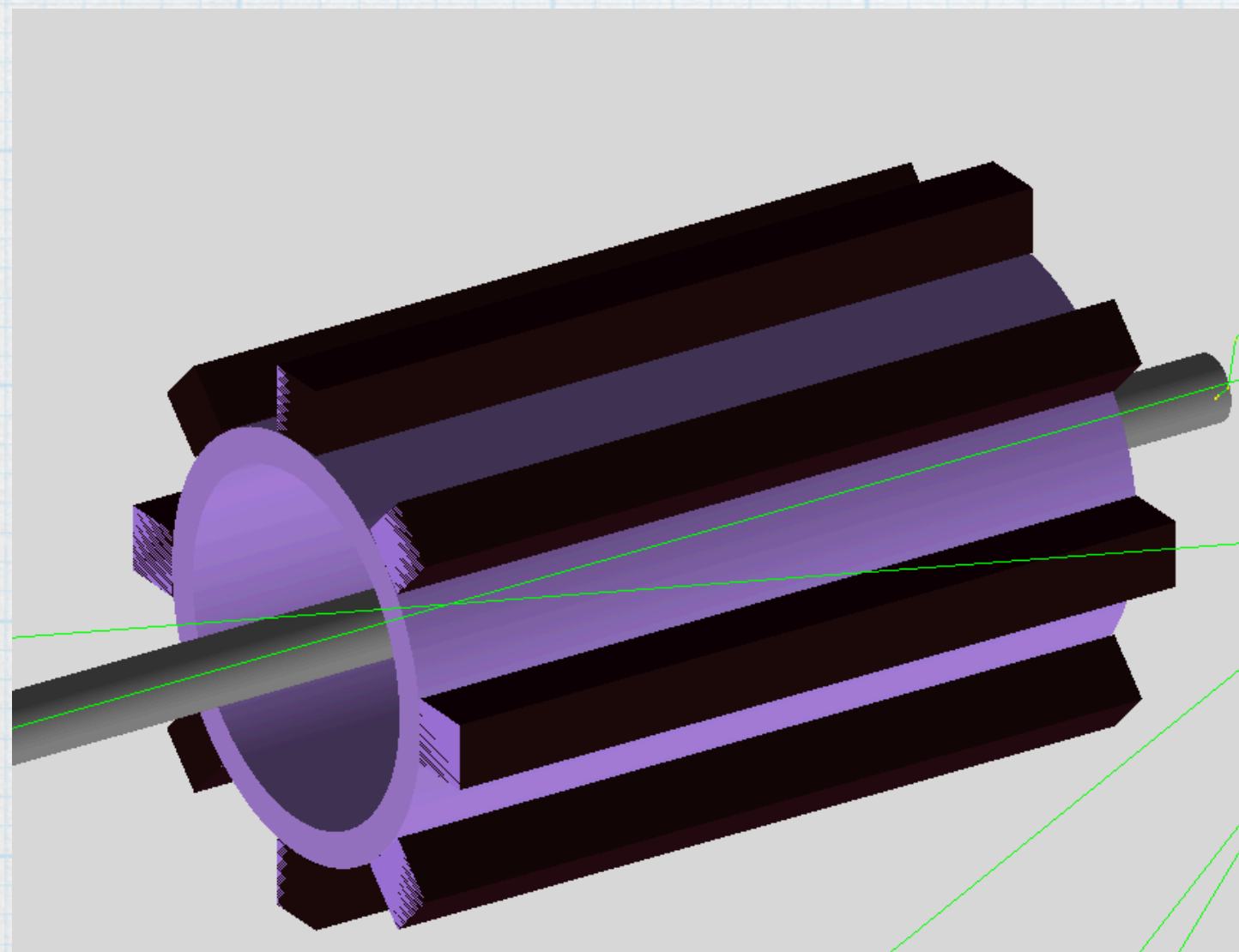


Gamma Flux Monitor & Beam Dump

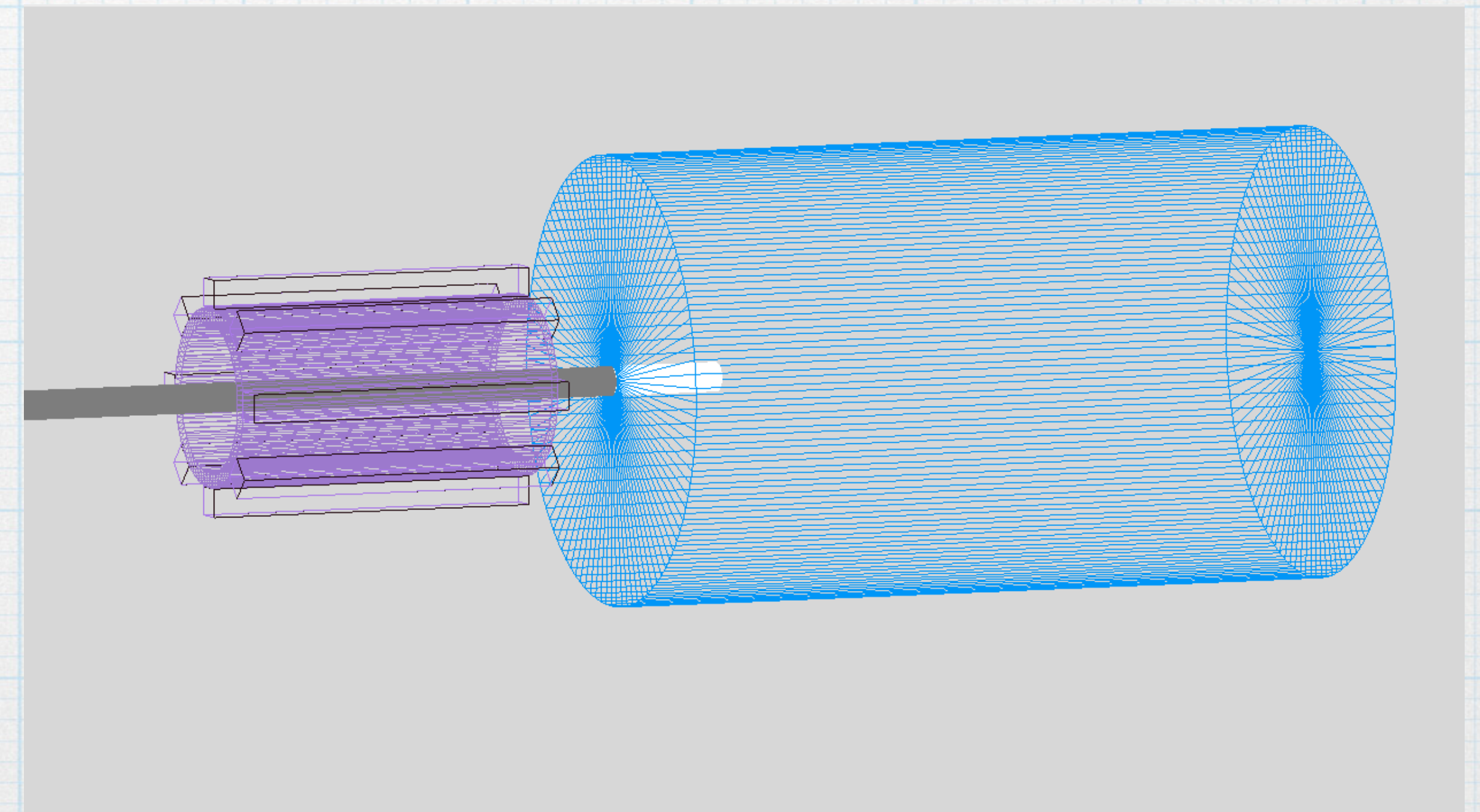
- *The implementation of FDS in Luxe geometry with the LG Gamma Monitor made of new LG blocks in front of Cu Dump with a hole of 15 cm,
- *LG w/ measures $3.8 \times 3.8 \text{ cm}^2$, length is 45 cm
- *Wrapped with Aluminium foil of 0.016 mm (typical household foil; no account for air)

- *Beam Dump: $R=30 \text{ cm}$, $L=100 \text{ cm}$
- *GM Support: Stainless Steel of 1 cm thickness

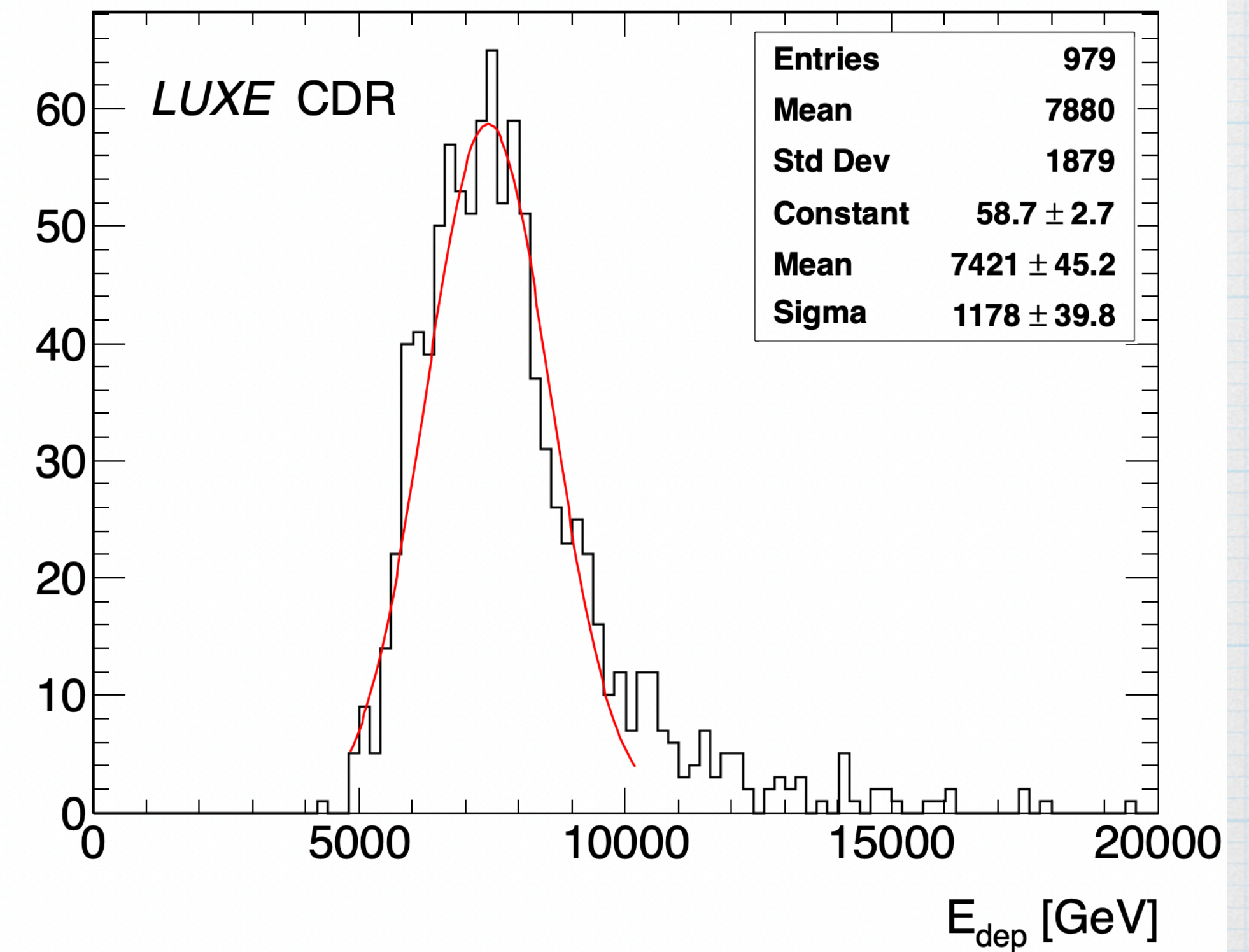
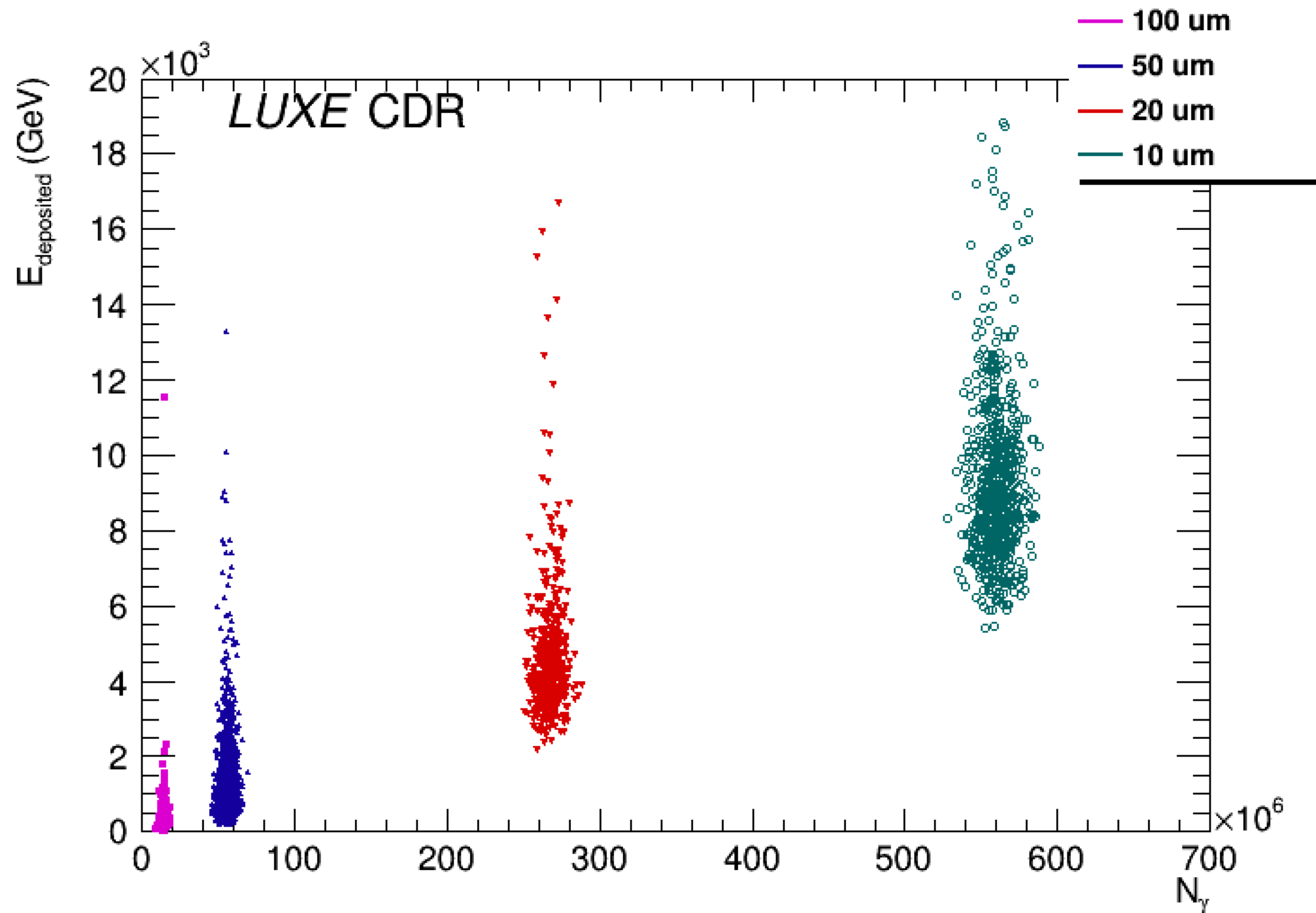
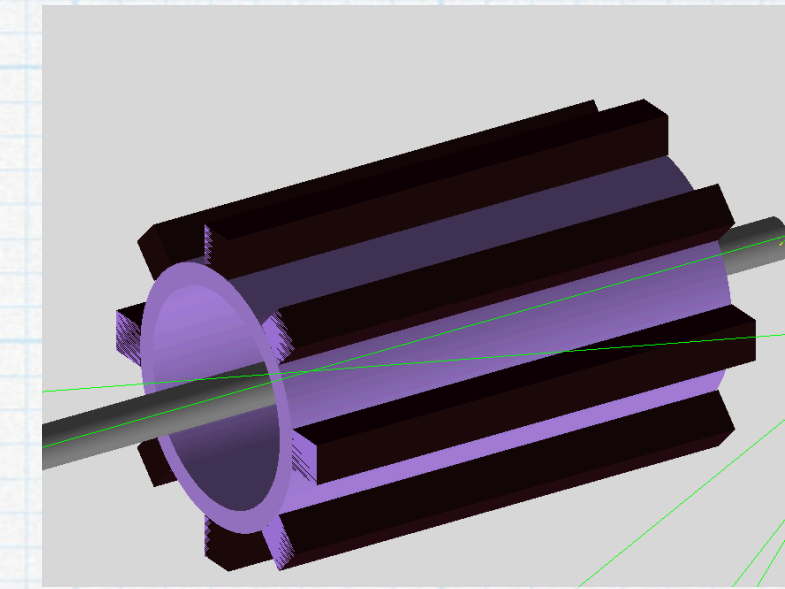
- *Distance between Monitor and Dump 10 cm



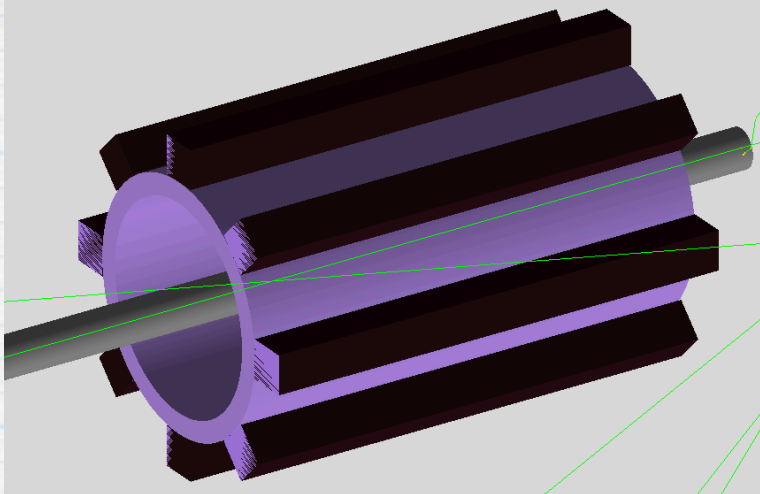
38 mm
38 mm



Deposited energy versus true number of photons.

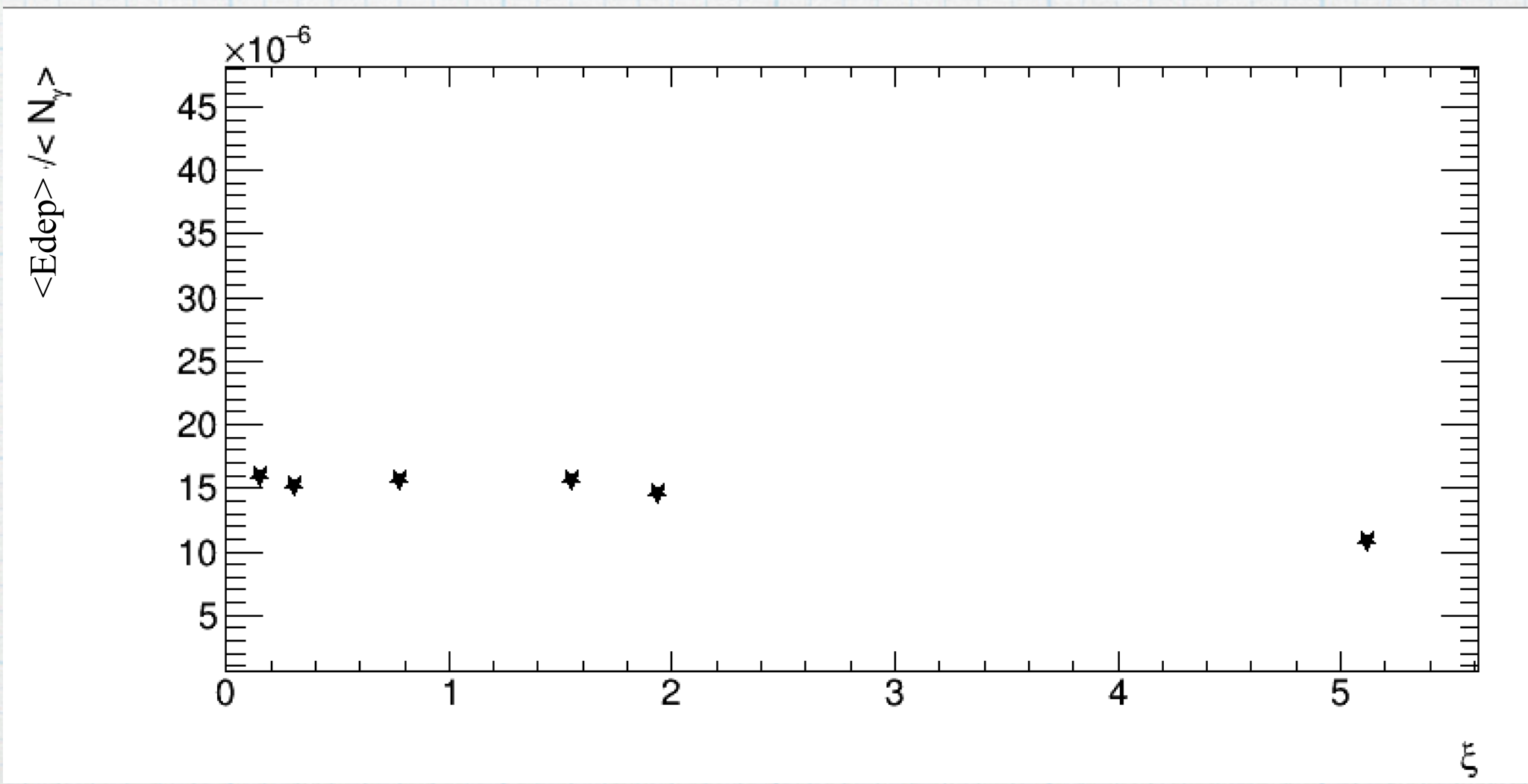
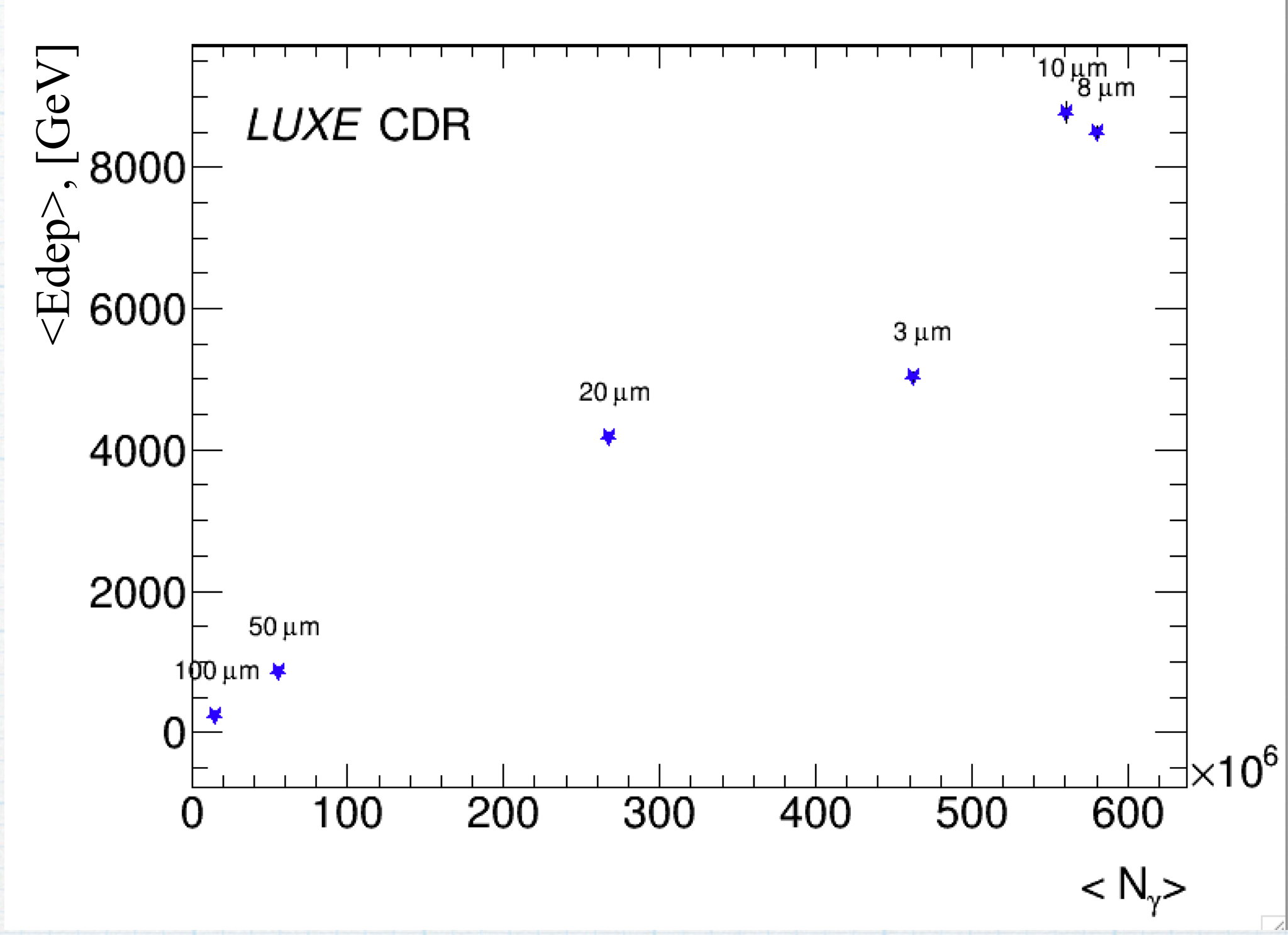
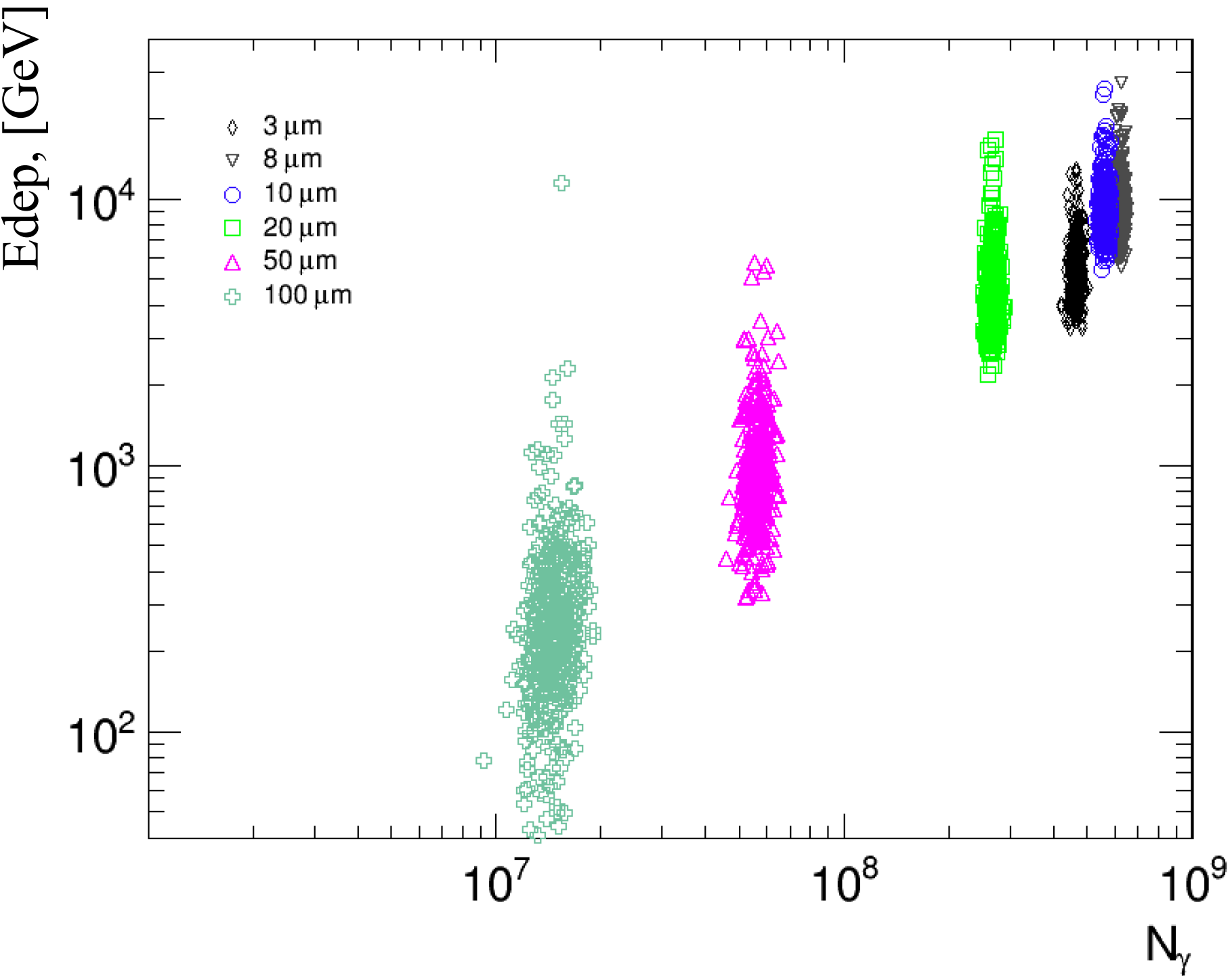


Deposited energy versus true number of photons.



the photon flux

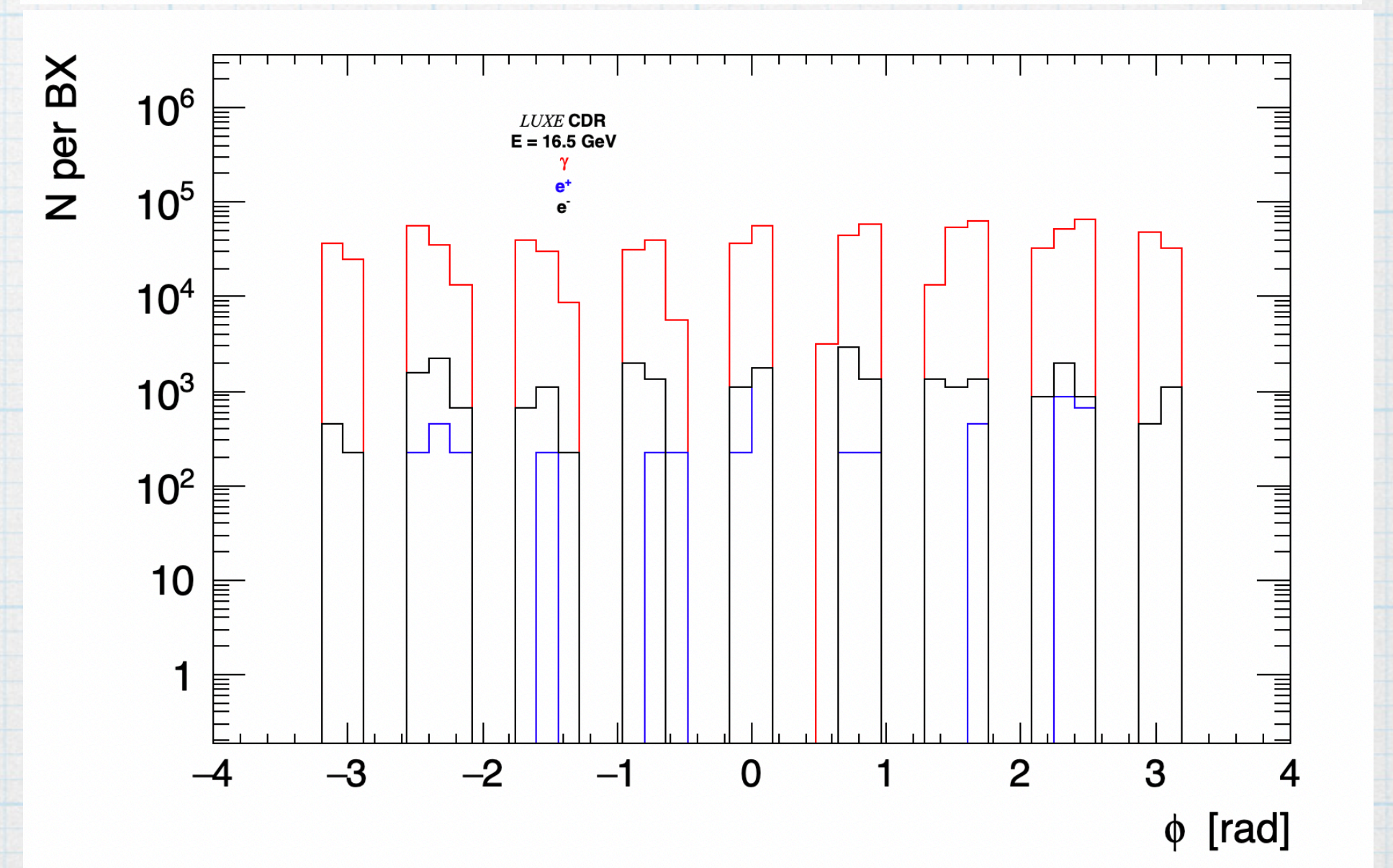
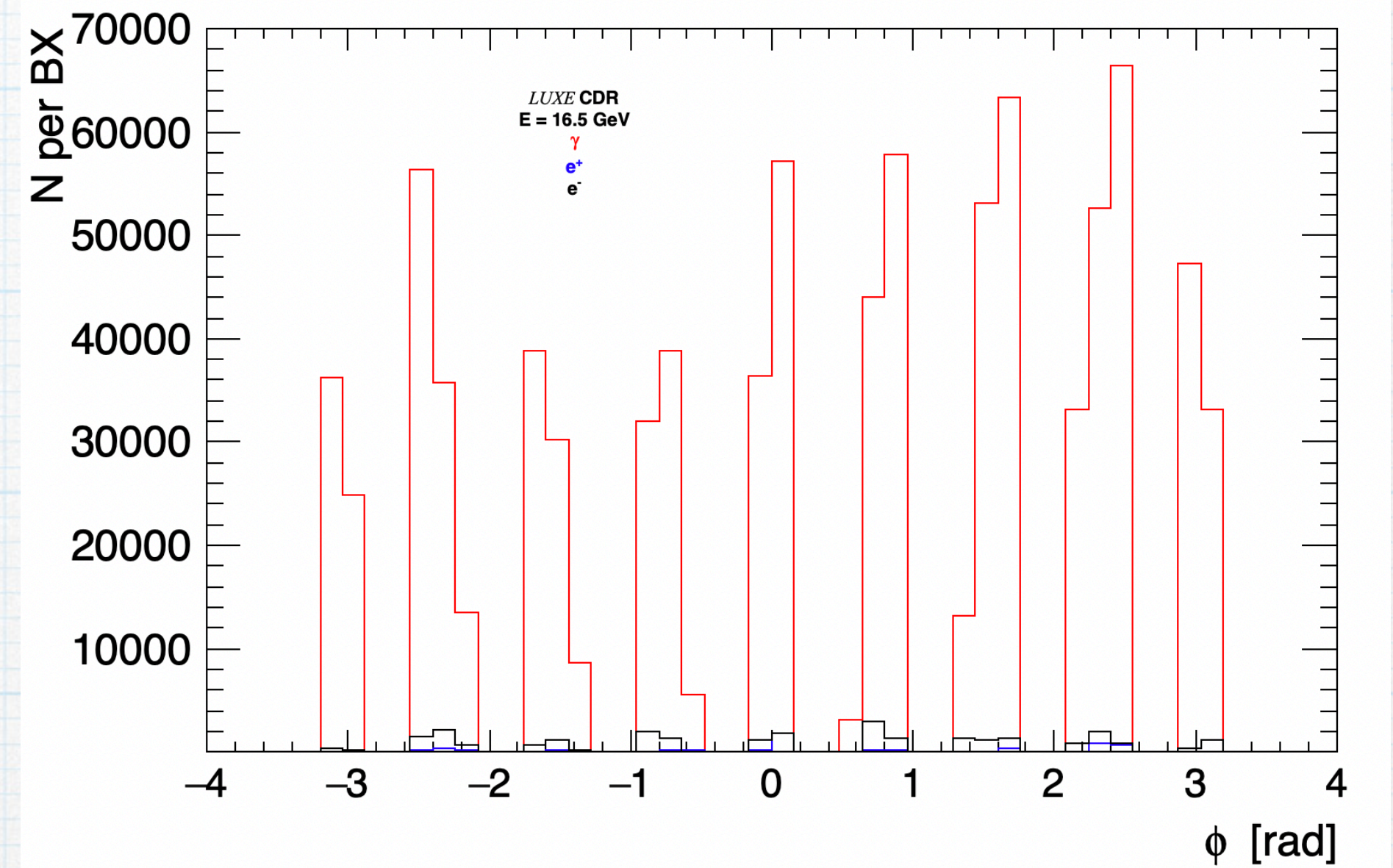
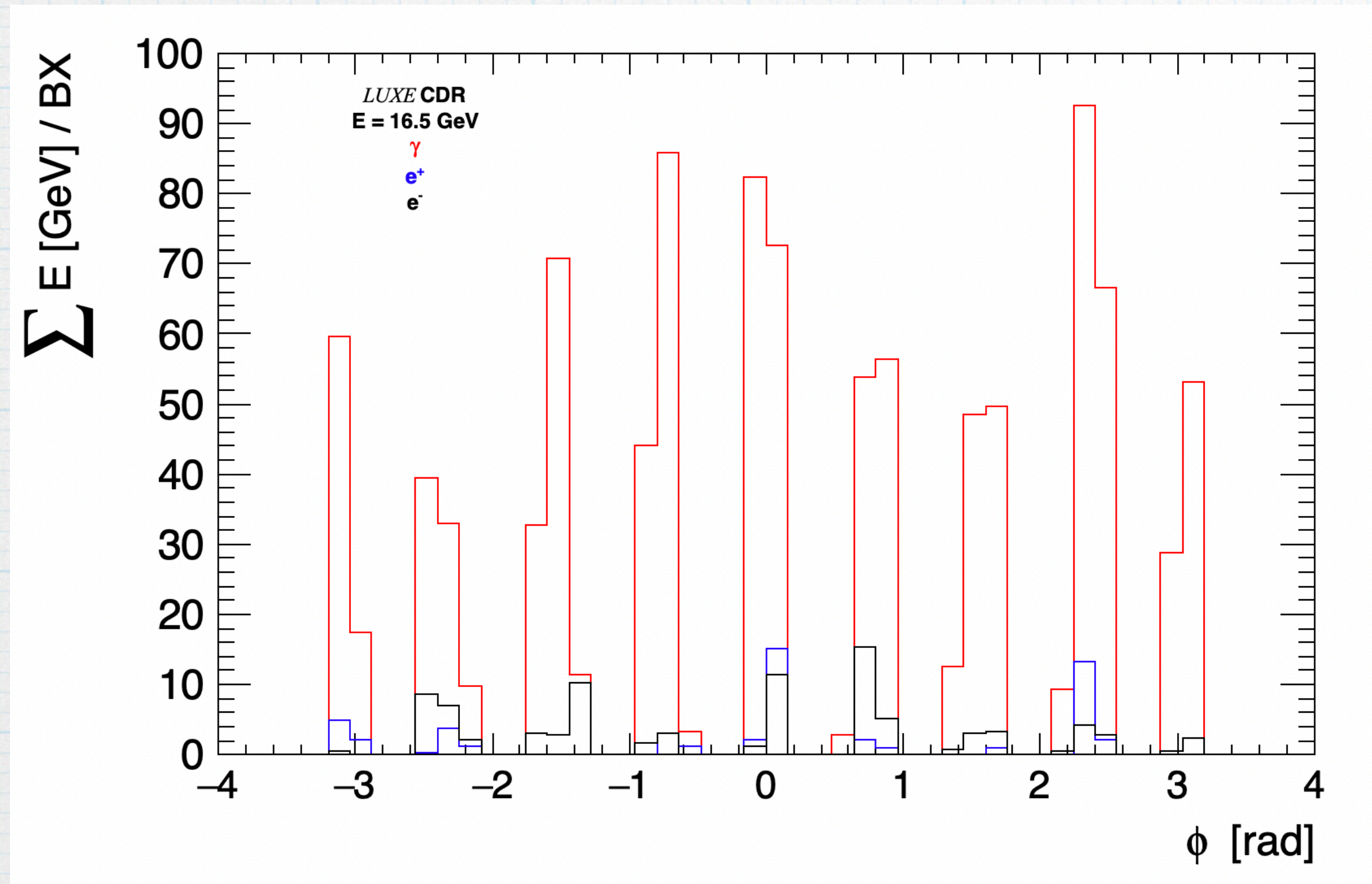
- Old MC
- no threshold
- the errors are small as given as $RMS/\sqrt{\langle N_{BX} \rangle}$



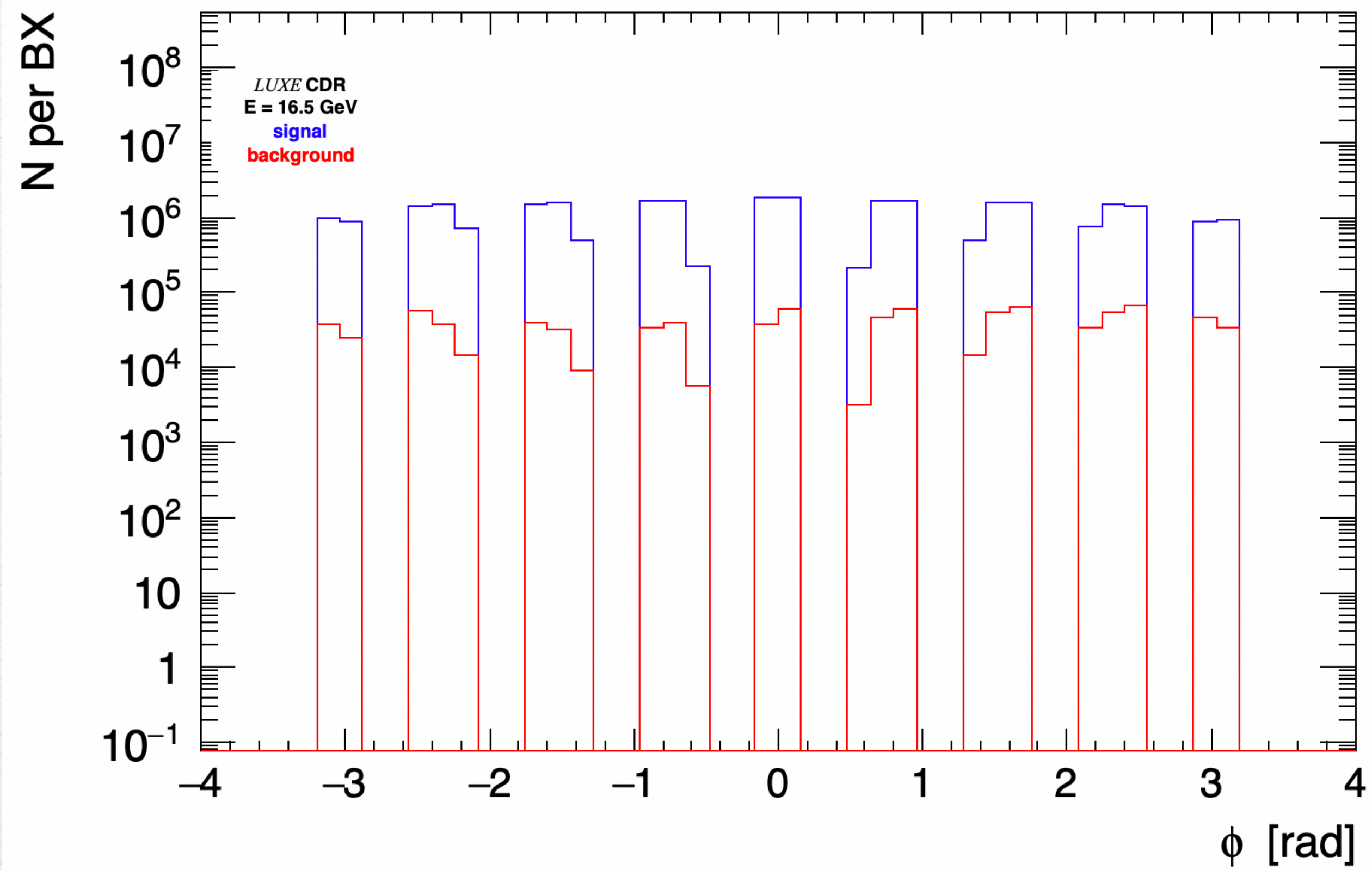
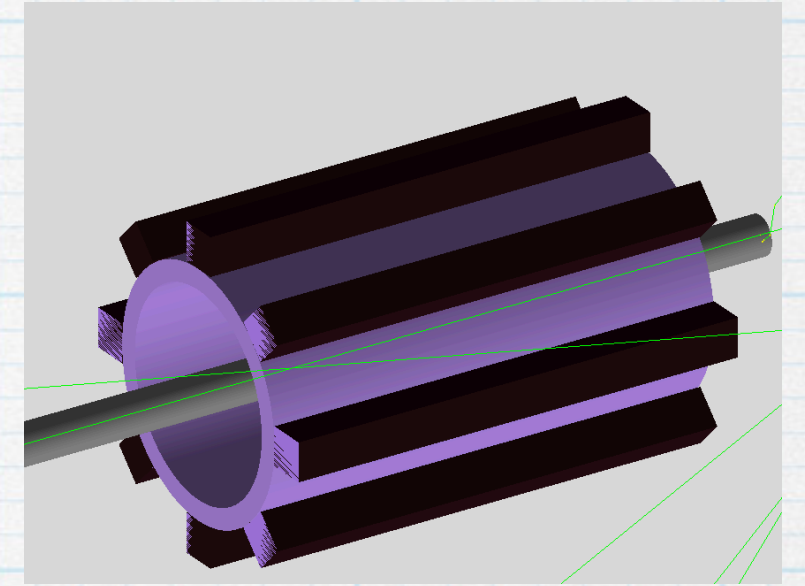
$w_0, \mu m$	ξ
100	0.15
50	0.31
20	0.78
10	1.55
8	1.94
3	5.12

Backup

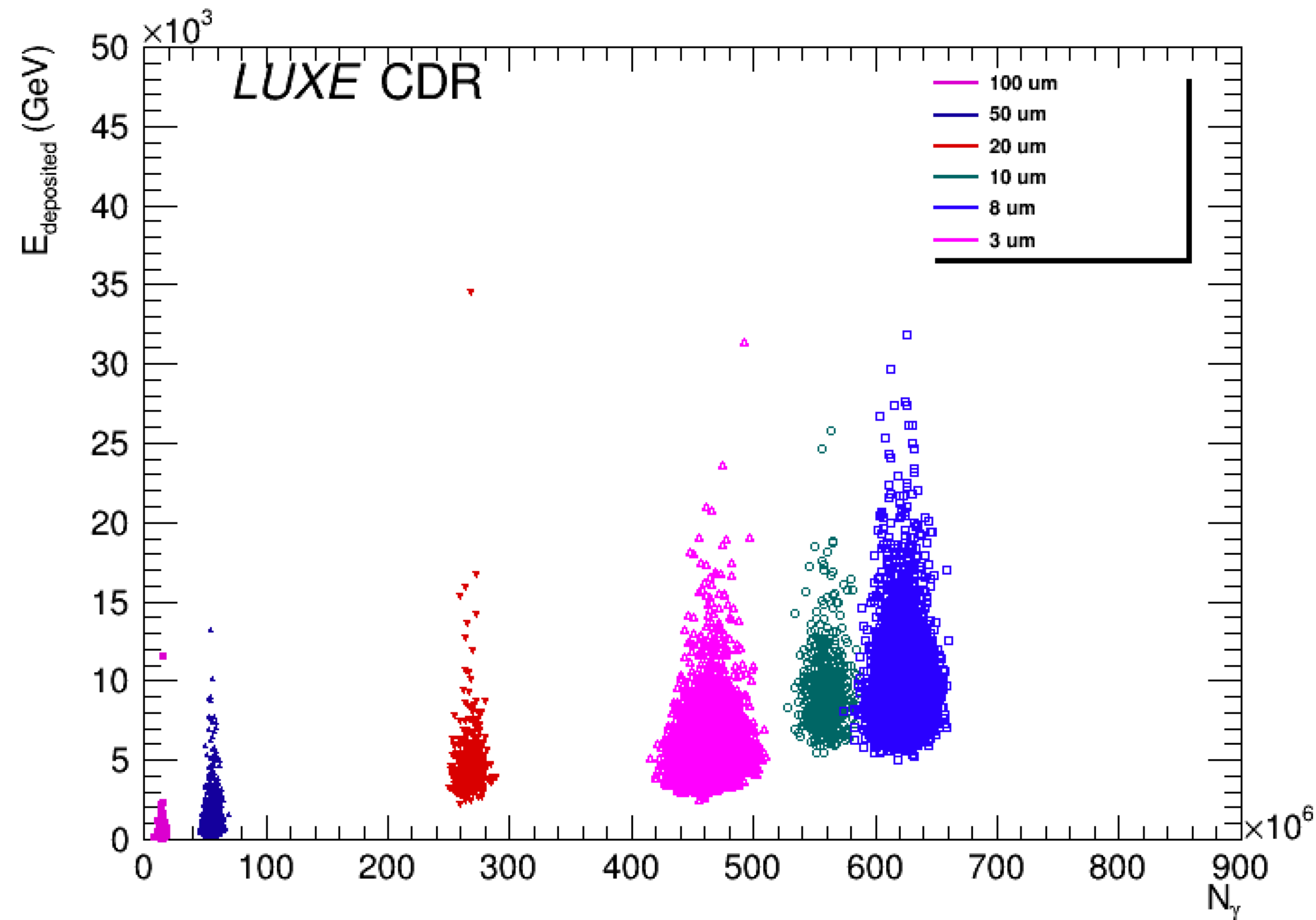
Background for Gamma Monitor



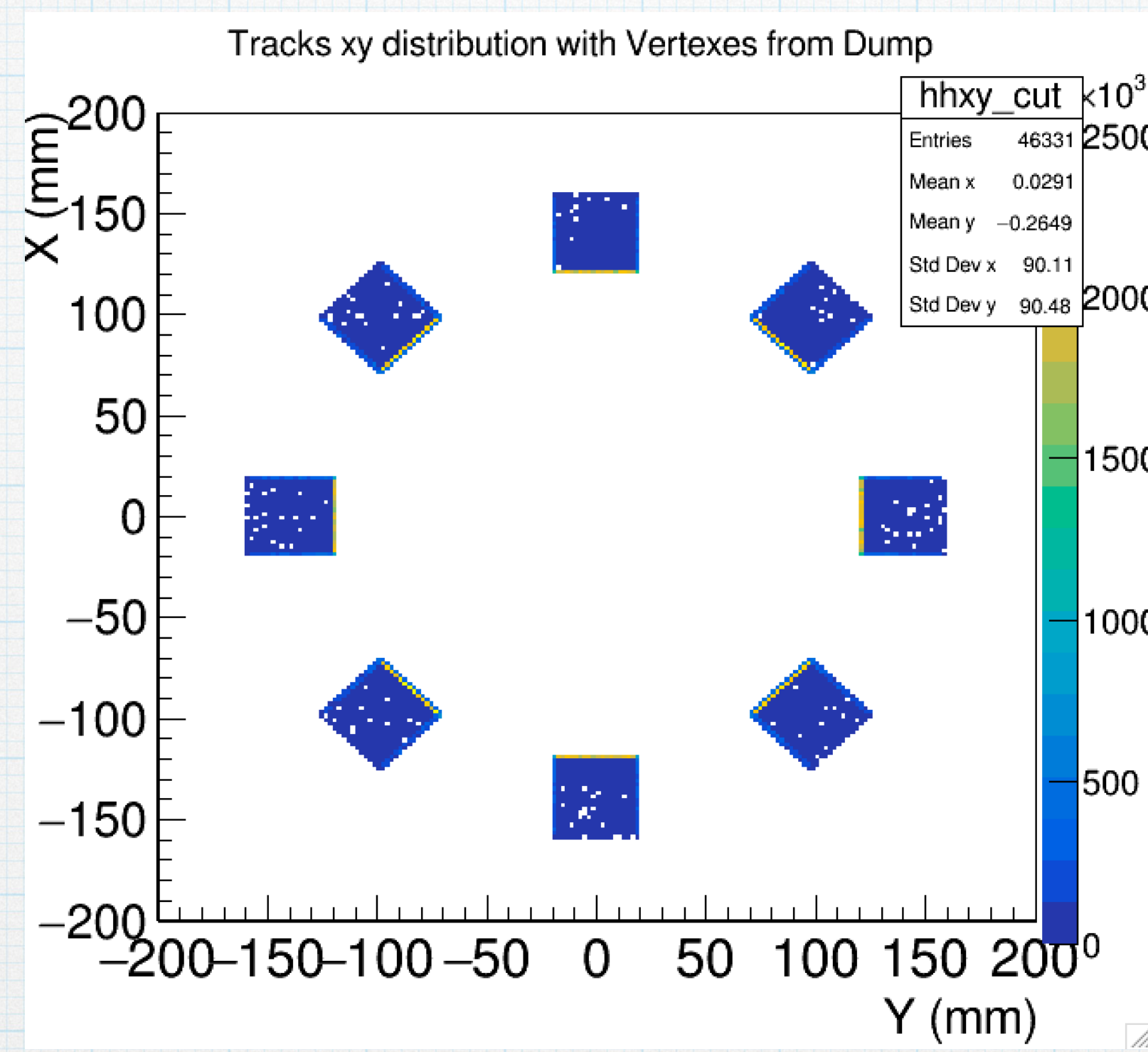
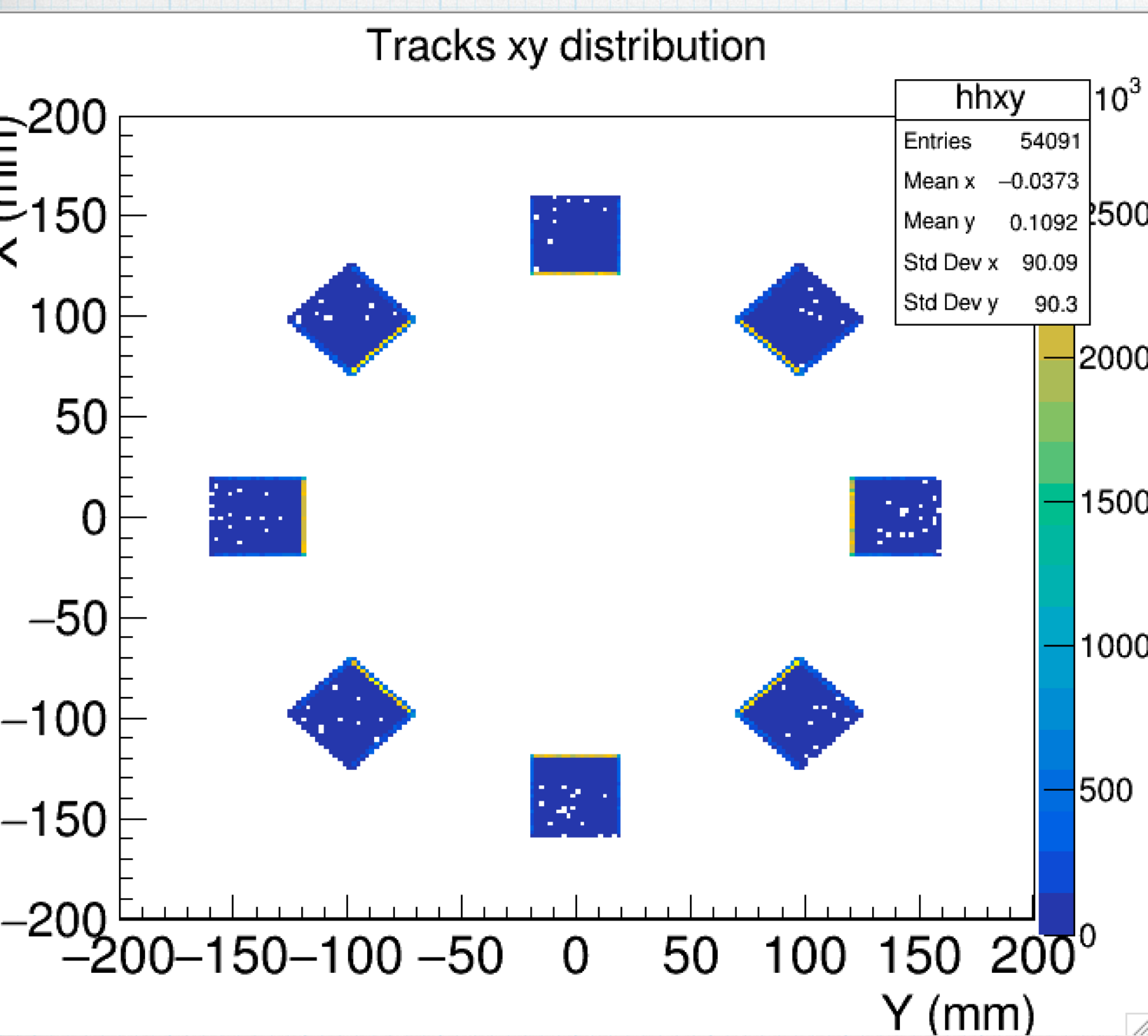
Signal/background



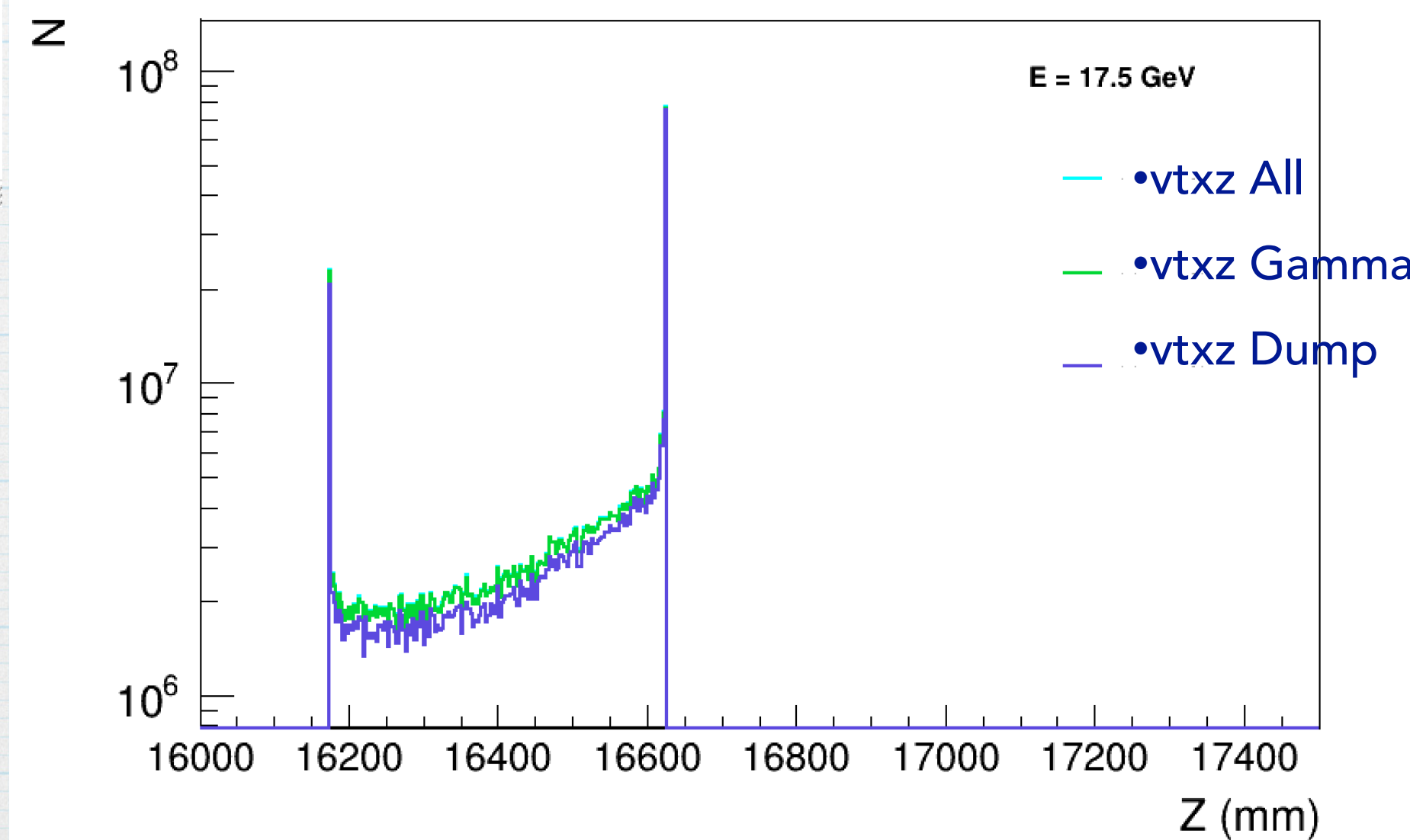
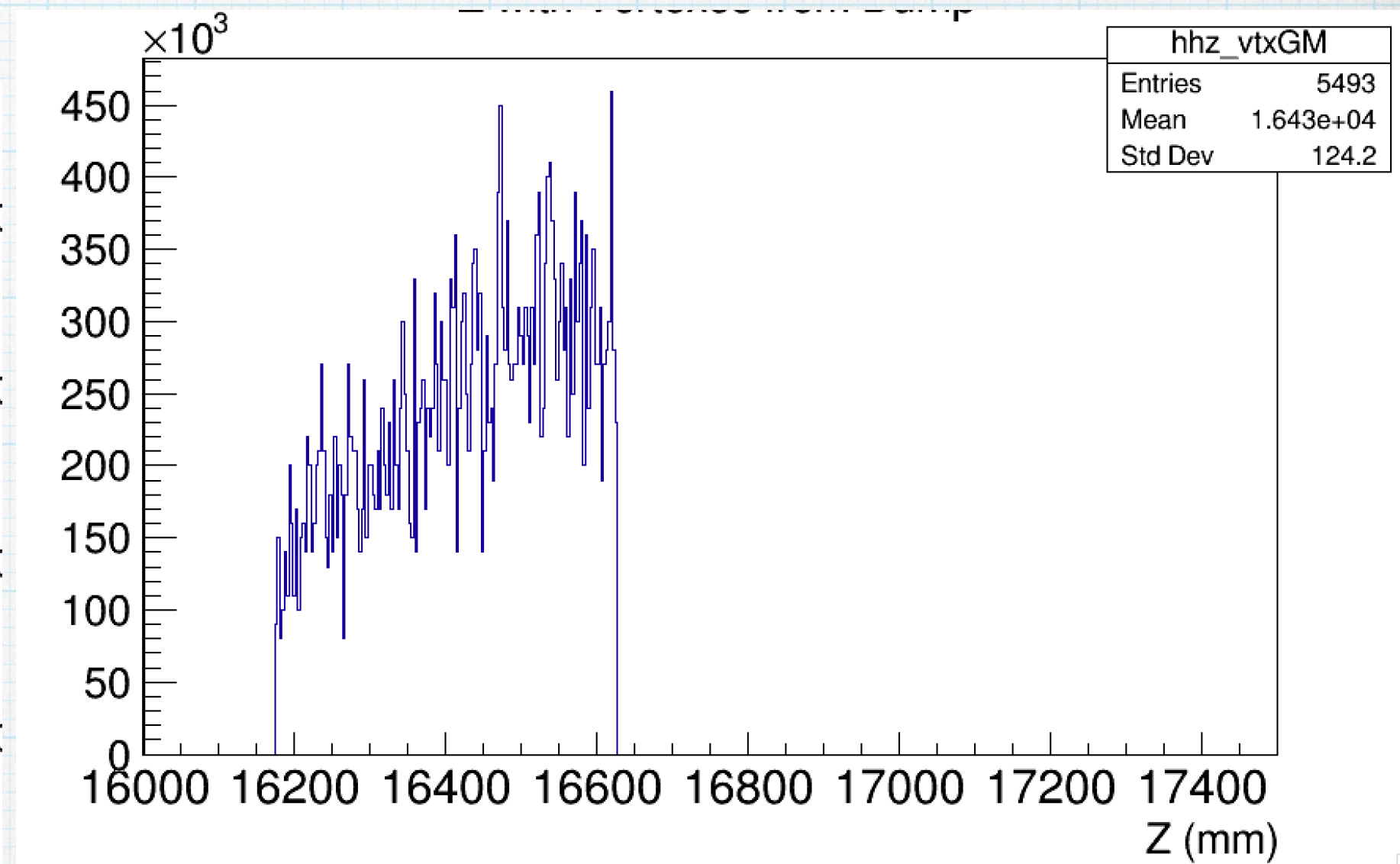
Deposited energy versus N of incident photons



Background



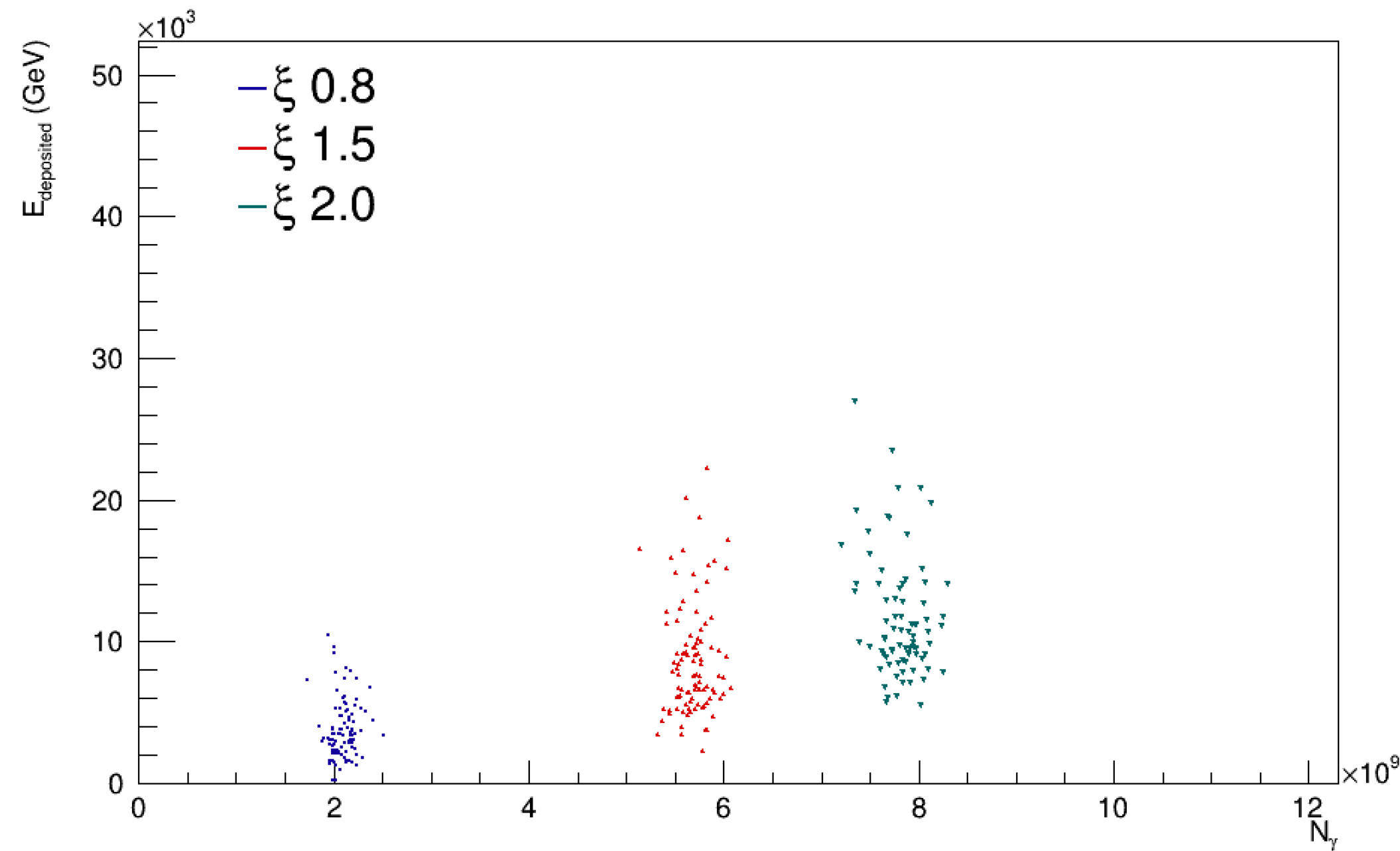
- Z distributions
- Tracks with vertexes only from the GM



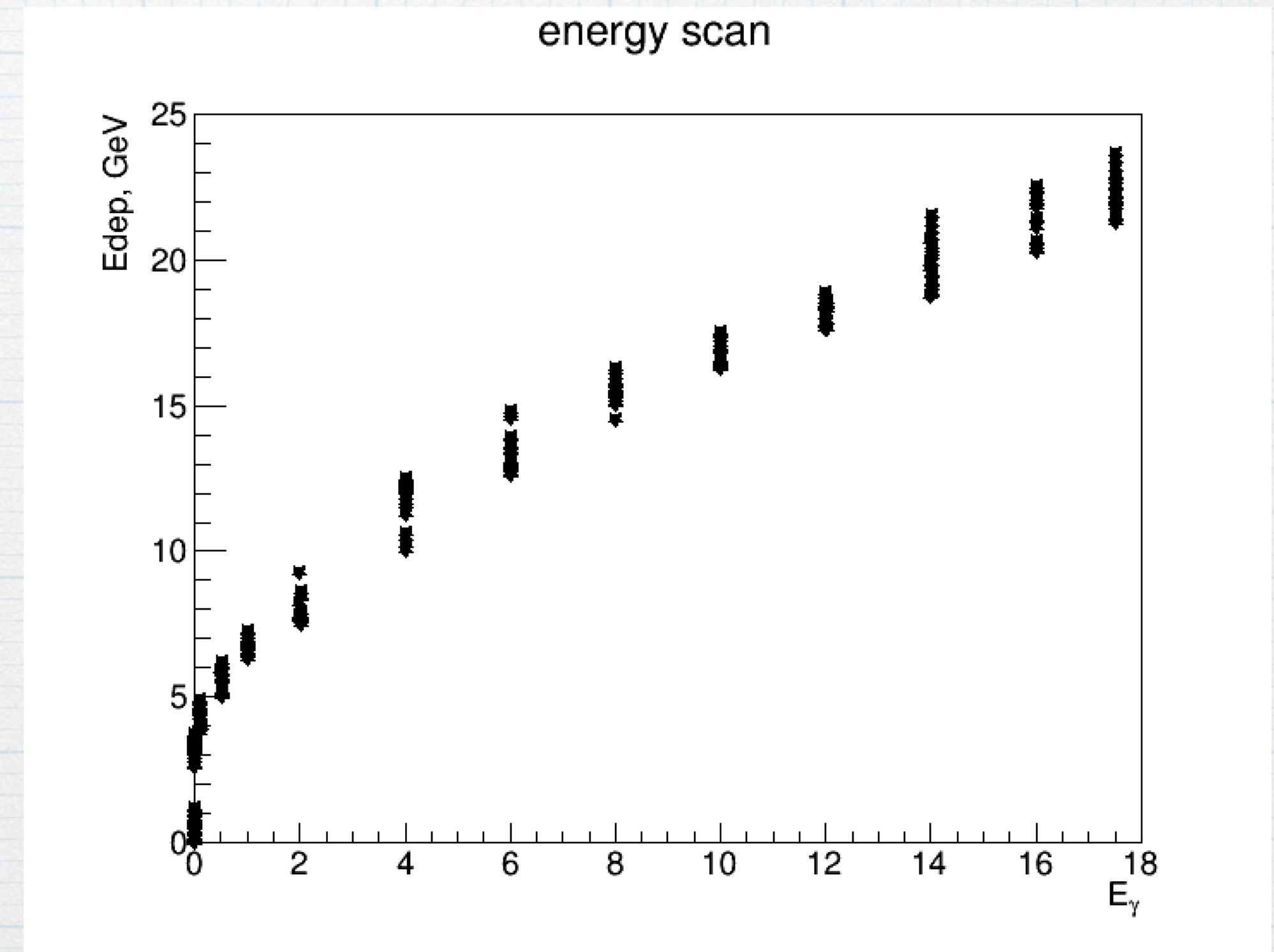
- Background events $54091 - 46331 - 5493 = 2267$
- Background per BX $\sim 4\%$

Simulation and Performance

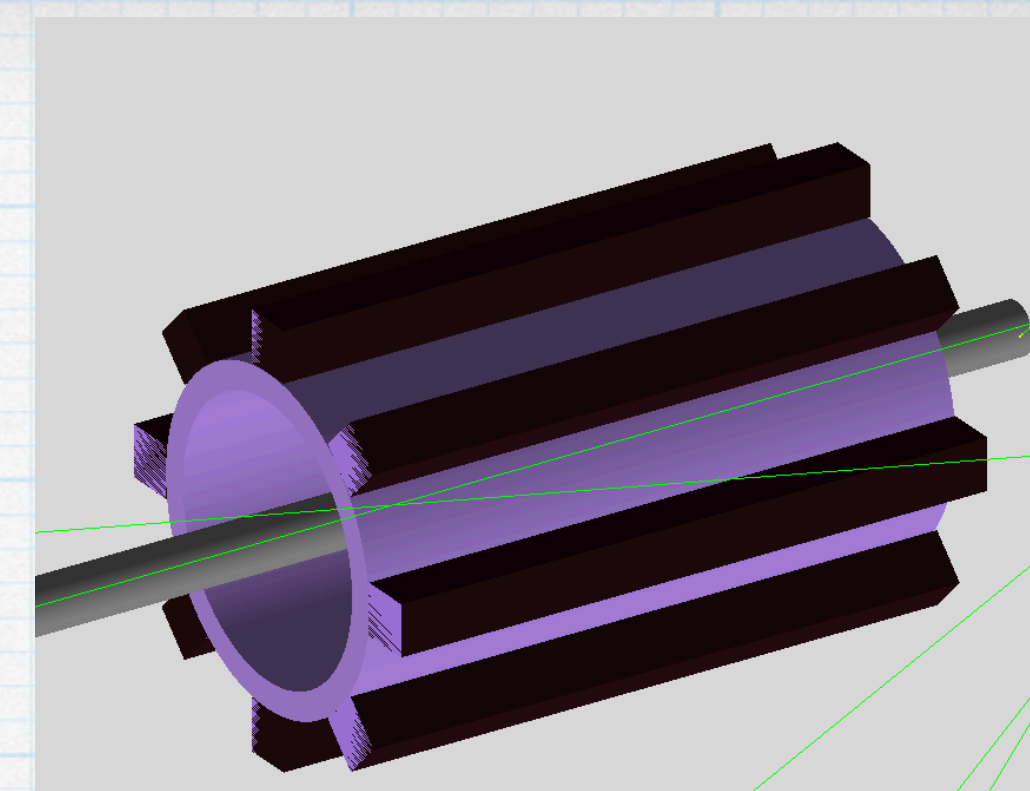
Deposited energy versus true number of photons. Each point is one BX



- The (almost) linear dependence of deposited energy on number of incoming photons in GM allows the usage of backscatters for monitoring the photon flux
- For small ξ the HICS spectrum is softer and soft photons produce less back-scatters. This is the reason of small deviation from linearity in Edep on E_γ dependence



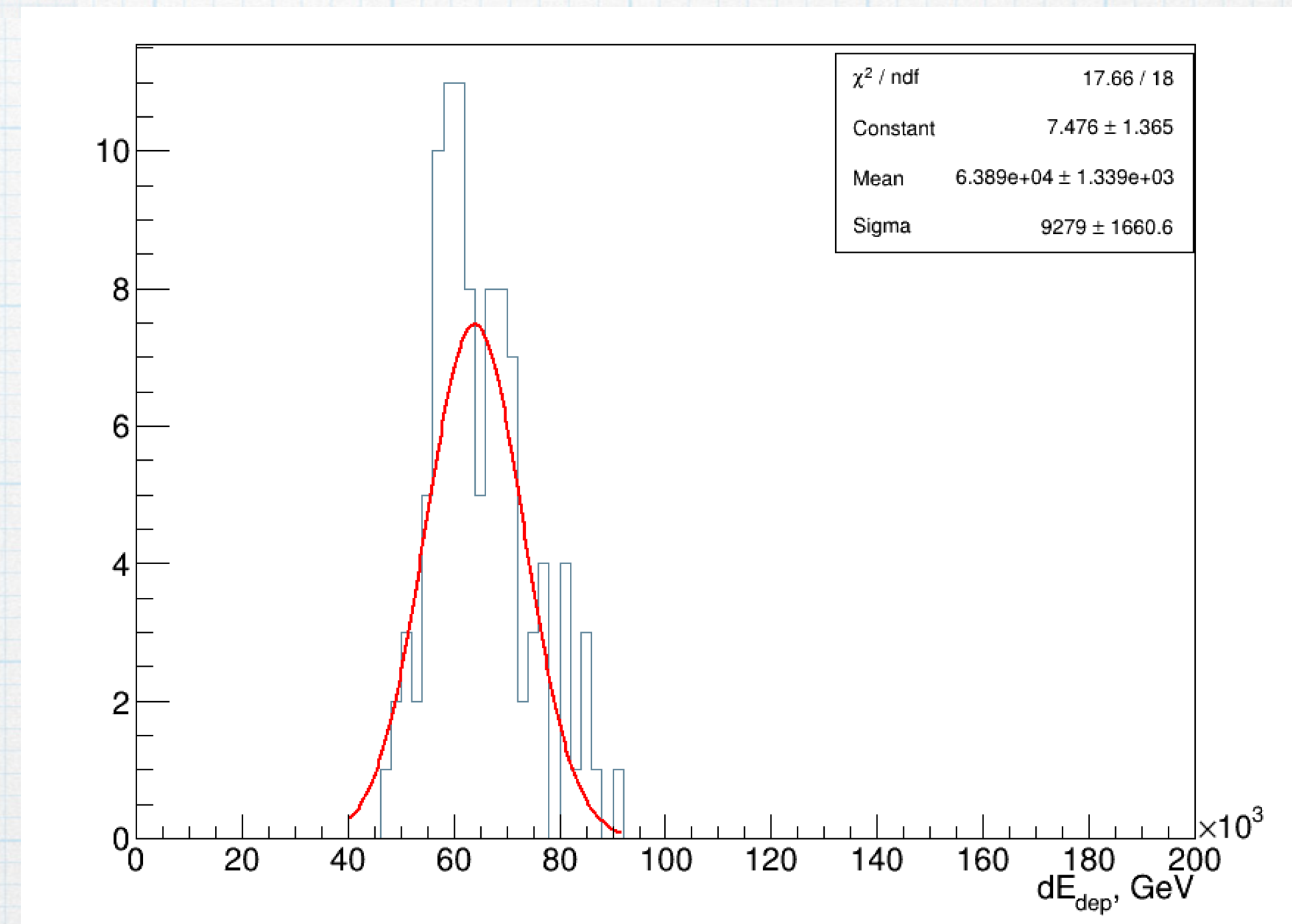
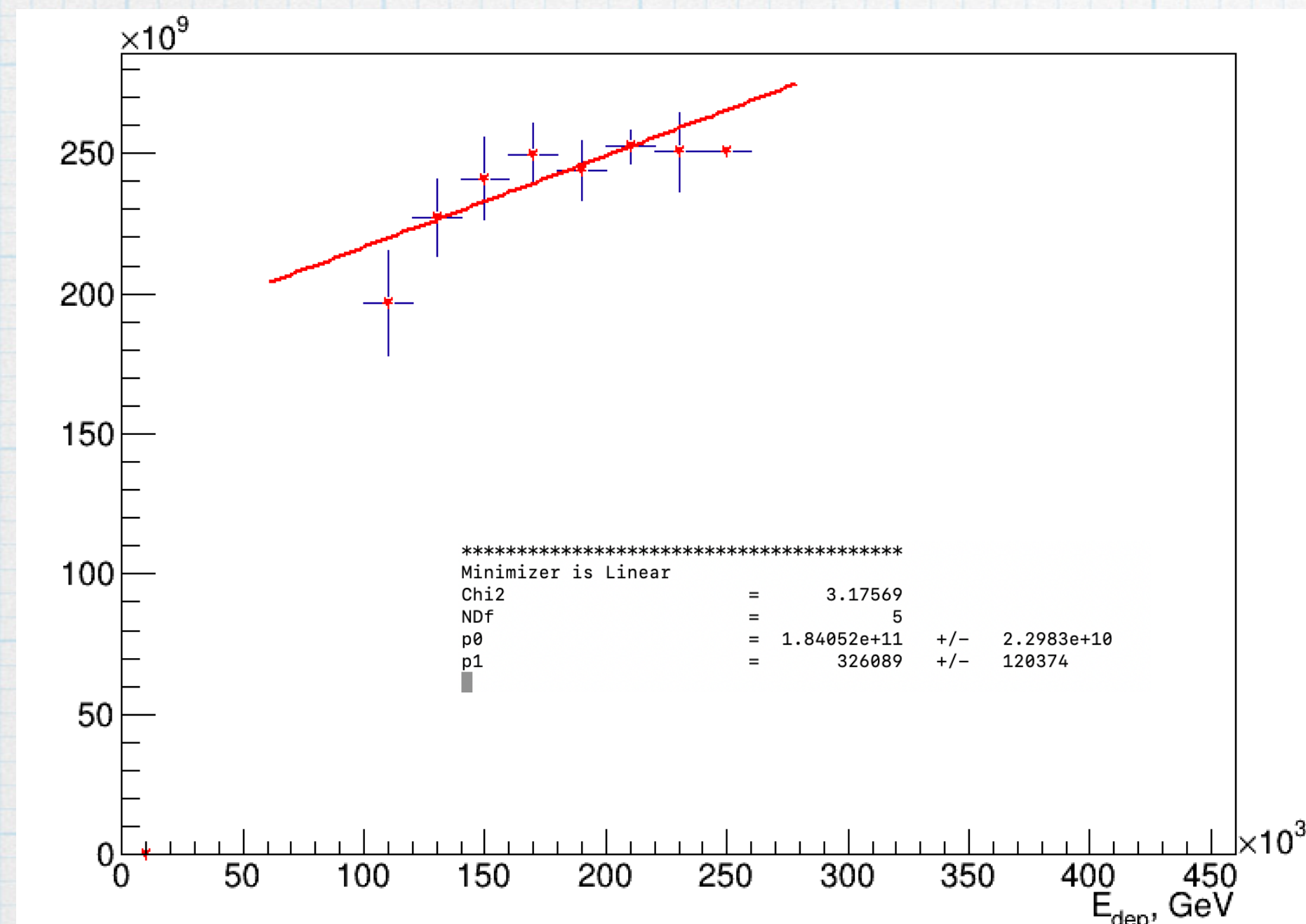
Uncertainties estimation on Number of photons



N(E) number of photons

$$\Delta N = \frac{\partial N}{\partial E} \Delta E \quad \Rightarrow \quad \frac{\Delta N}{N} = \frac{1}{N} \frac{\partial N}{\partial E} \Delta E$$

- $\xi = 2.0$



$$\xi = 2.0 : \Delta N/N = 9.3 \cdot 10^3 \cdot 3.3 \cdot 10^5 / 4.3 \cdot 10^{10} = 71 \cdot 10^{-2}$$

$$\xi = 2.6 : \Delta N/N = 3.3 \cdot 10^4 \cdot 3.3 \cdot 10^5 / 2.5 \cdot 10^{11} = 44 \cdot 10^{-2}$$

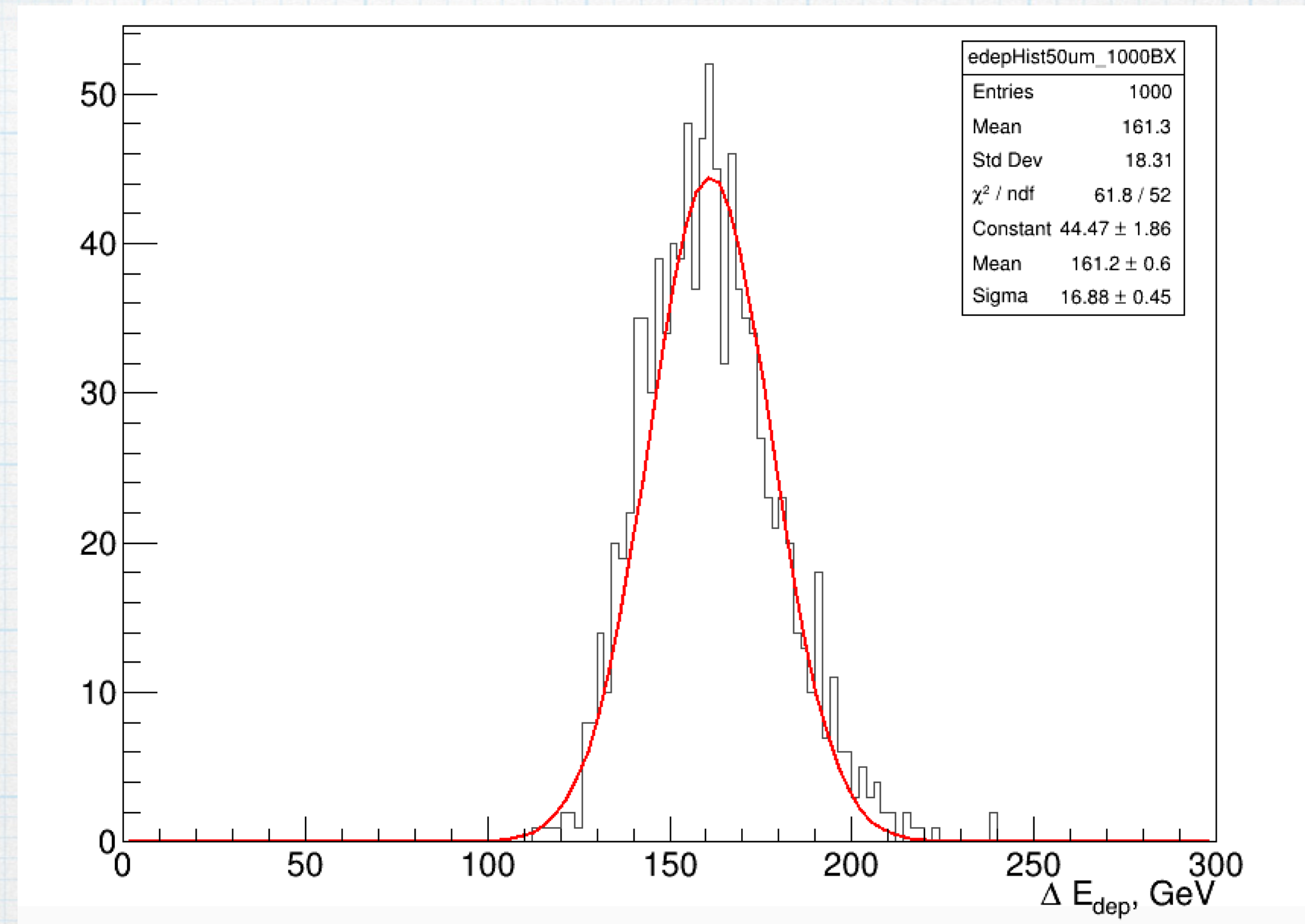
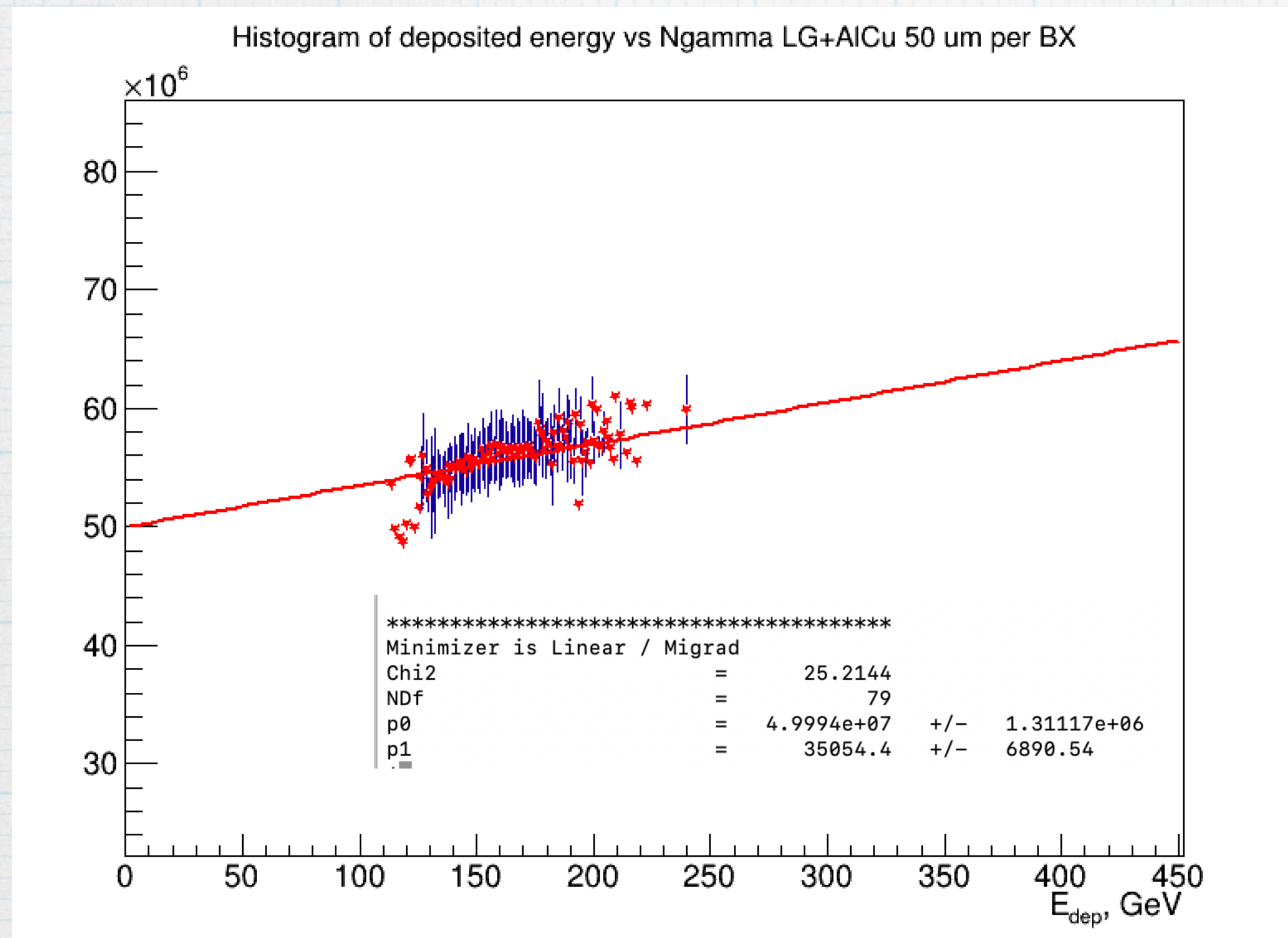
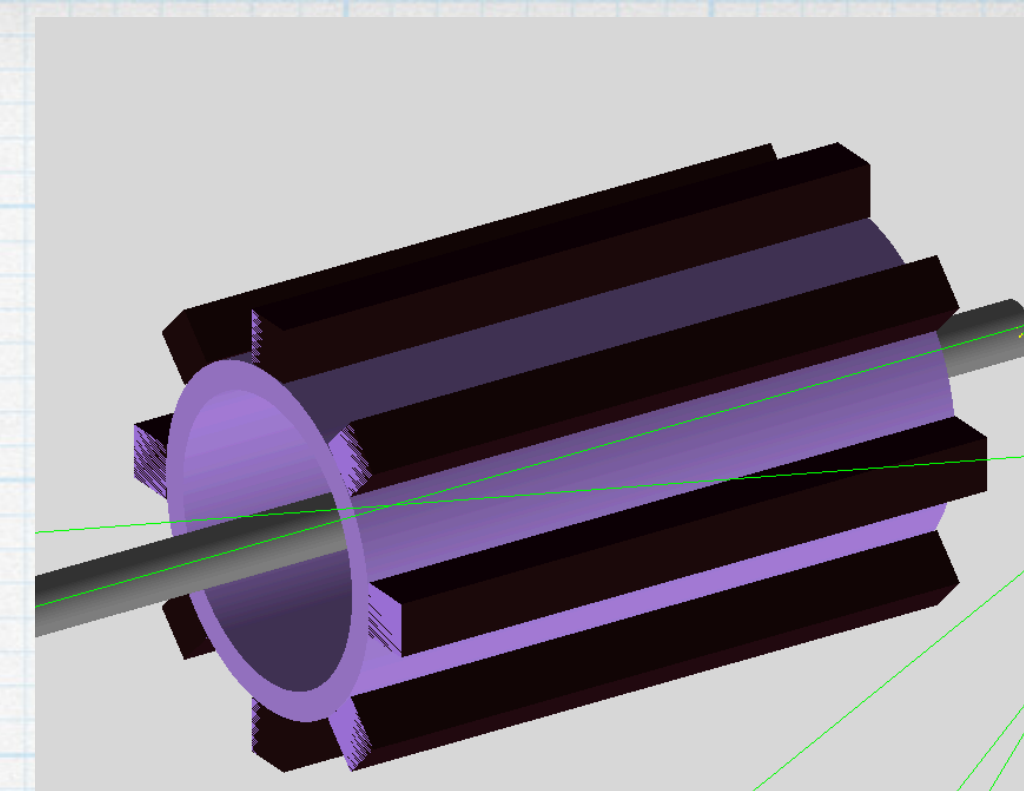
the uncertainty on number of measured photons
will be $\sim 3.5 \cdot 10^{-3} - 7.1 \cdot 10^{-2}$.

Uncertainties estimation on Number of photons

$N(E)$ number of photons

$$\Delta N = \frac{\partial N}{\partial E} \Delta E \quad \Rightarrow \quad \frac{\Delta N}{N} = \frac{1}{N} \frac{\partial N}{\partial E} \Delta E$$

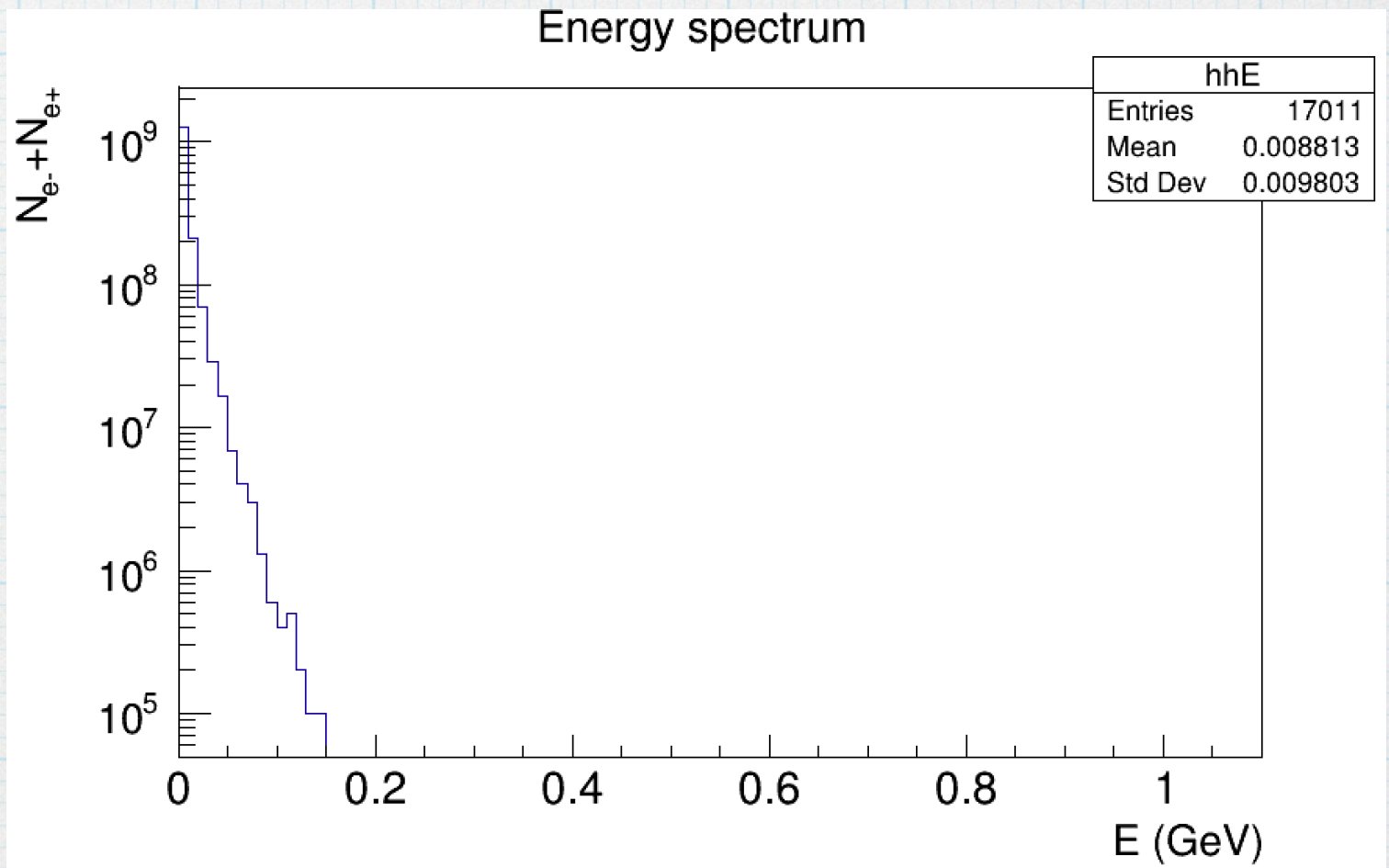
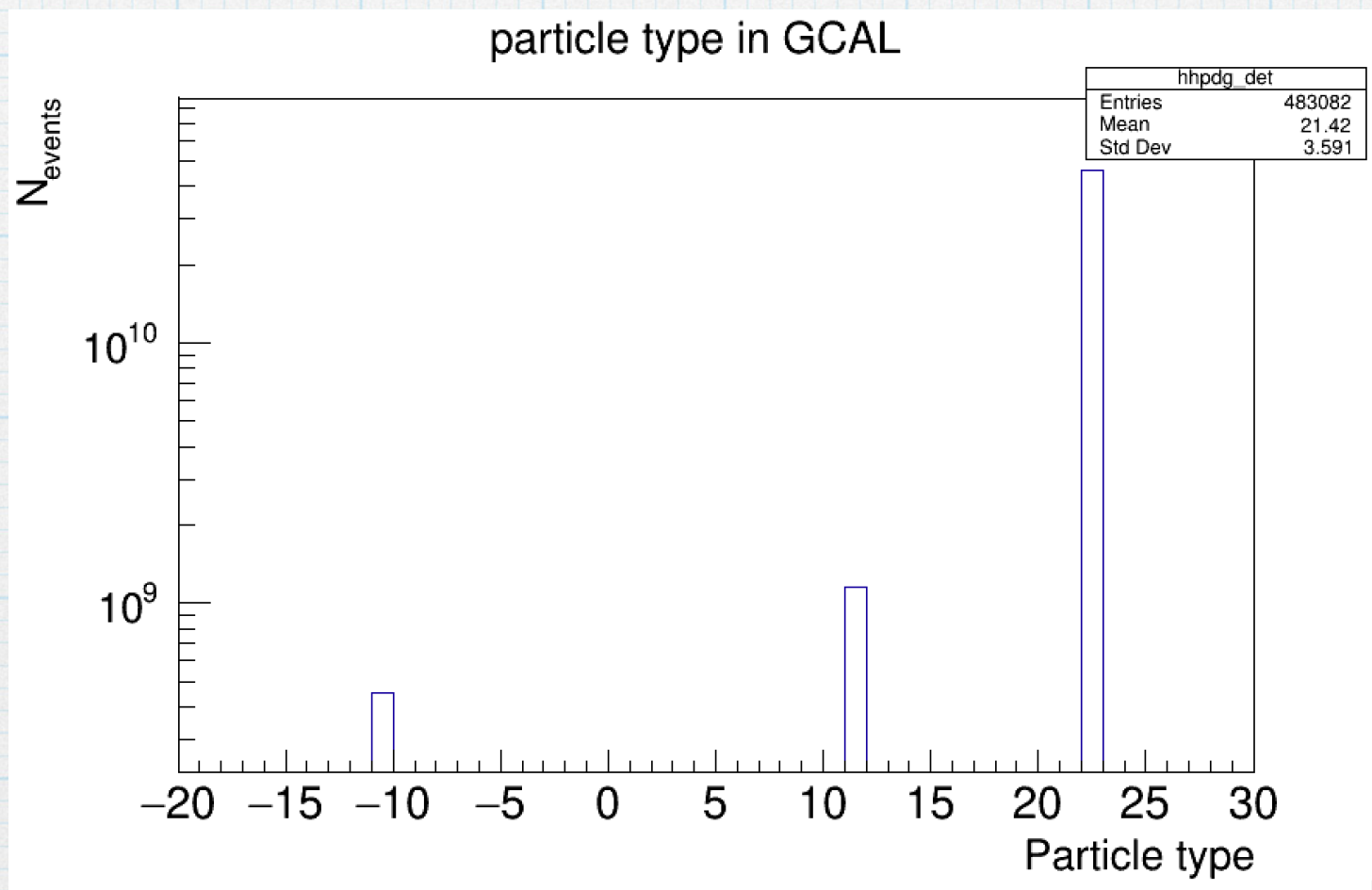
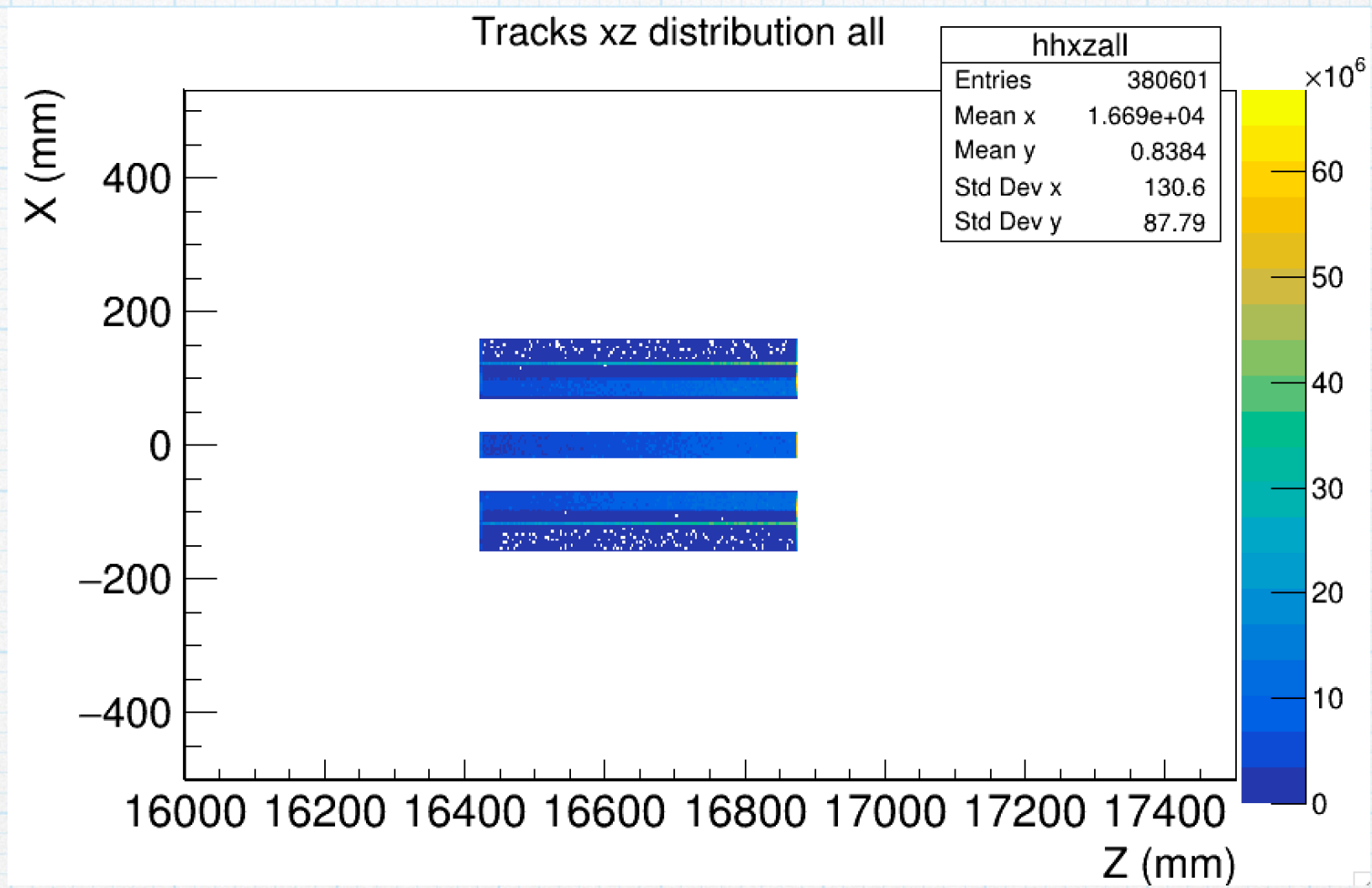
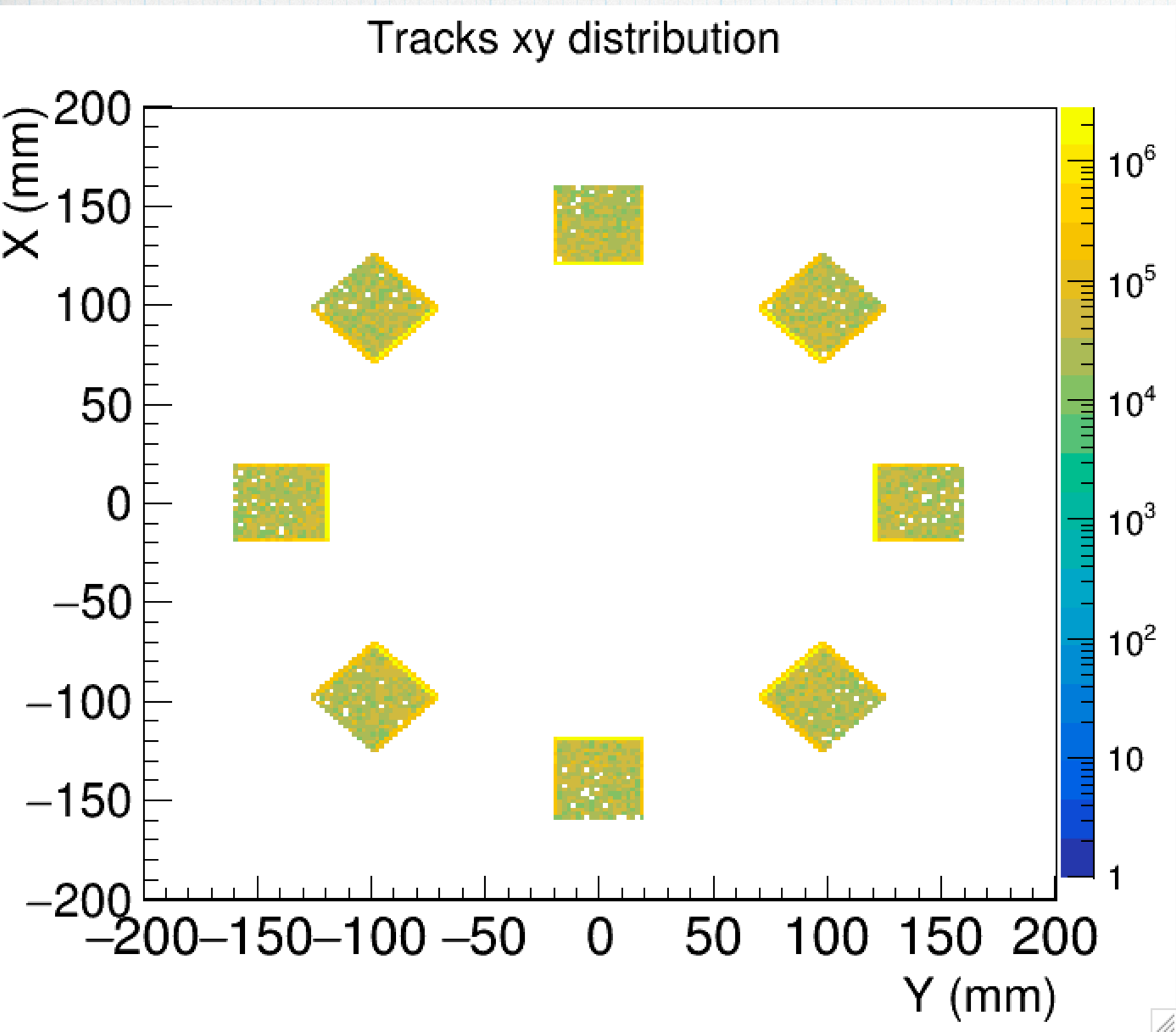
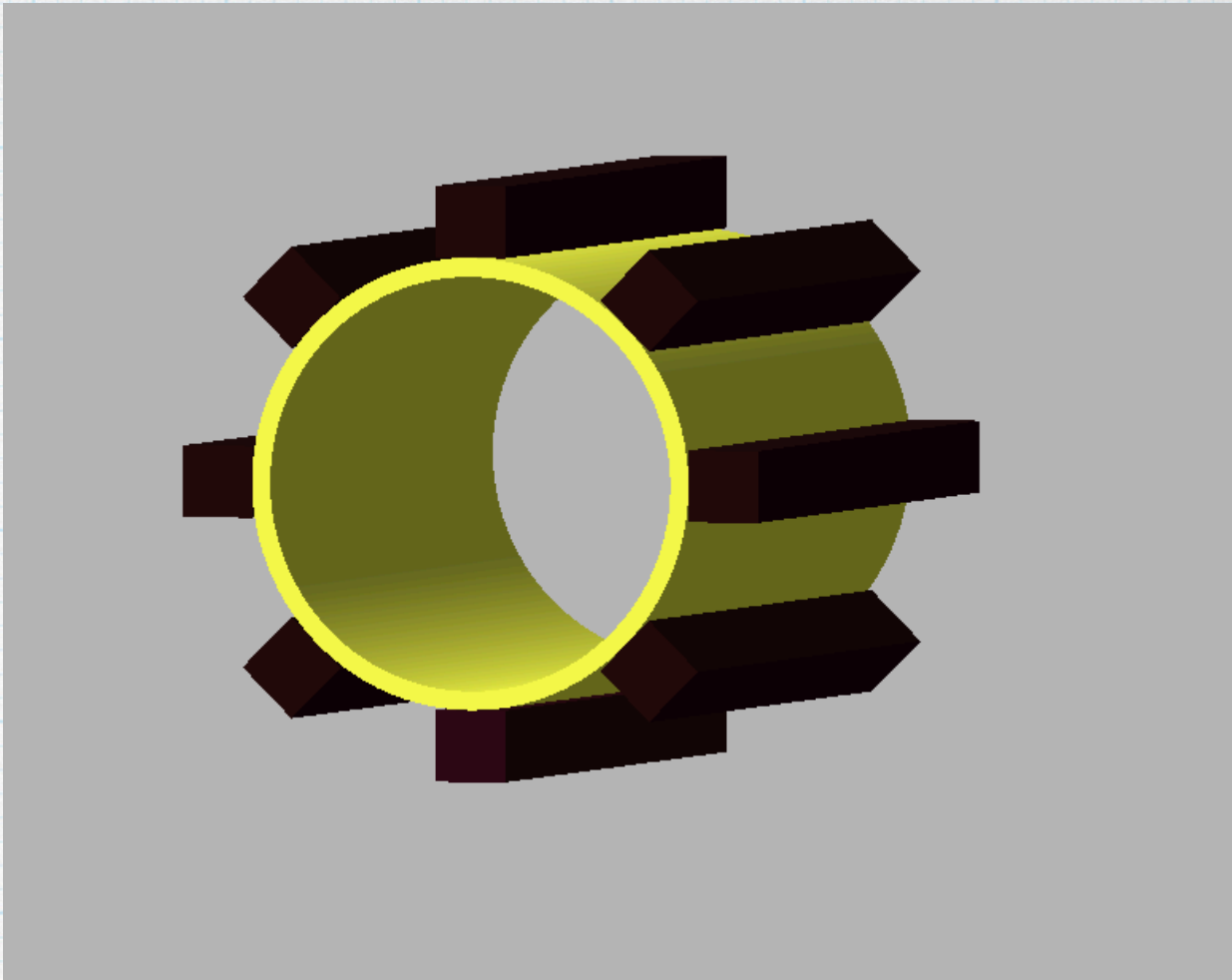
- $\xi = 0.31$, 50 um laser spot



$$\xi = 0.3 : \Delta N/N = 3.5 \times 10^4 \times 16.88 / 5.67 \times 10^7 = 1 \times 10^{-2}$$

the uncertainty on number of measured photons will be $\sim 10^{-2}$.

Gamma Flux Monitor



* At high laser intensities $\xi = 2.6$ (1J)