

Minimal Superconformal Technicolor and the Origin of Mass

26.8@SUSY2010, Bonn

<http://arxiv.org/abs/1001.2040>

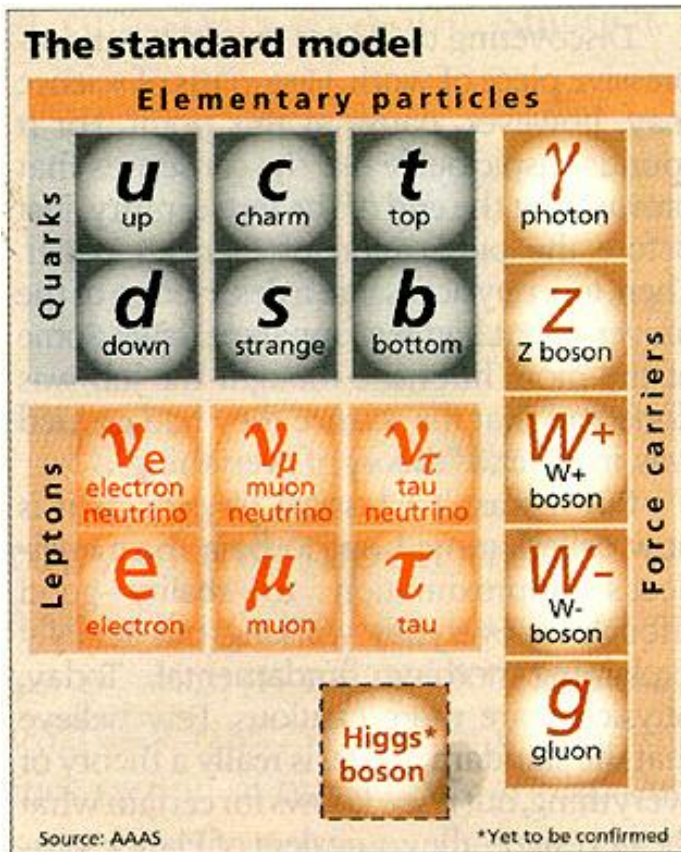
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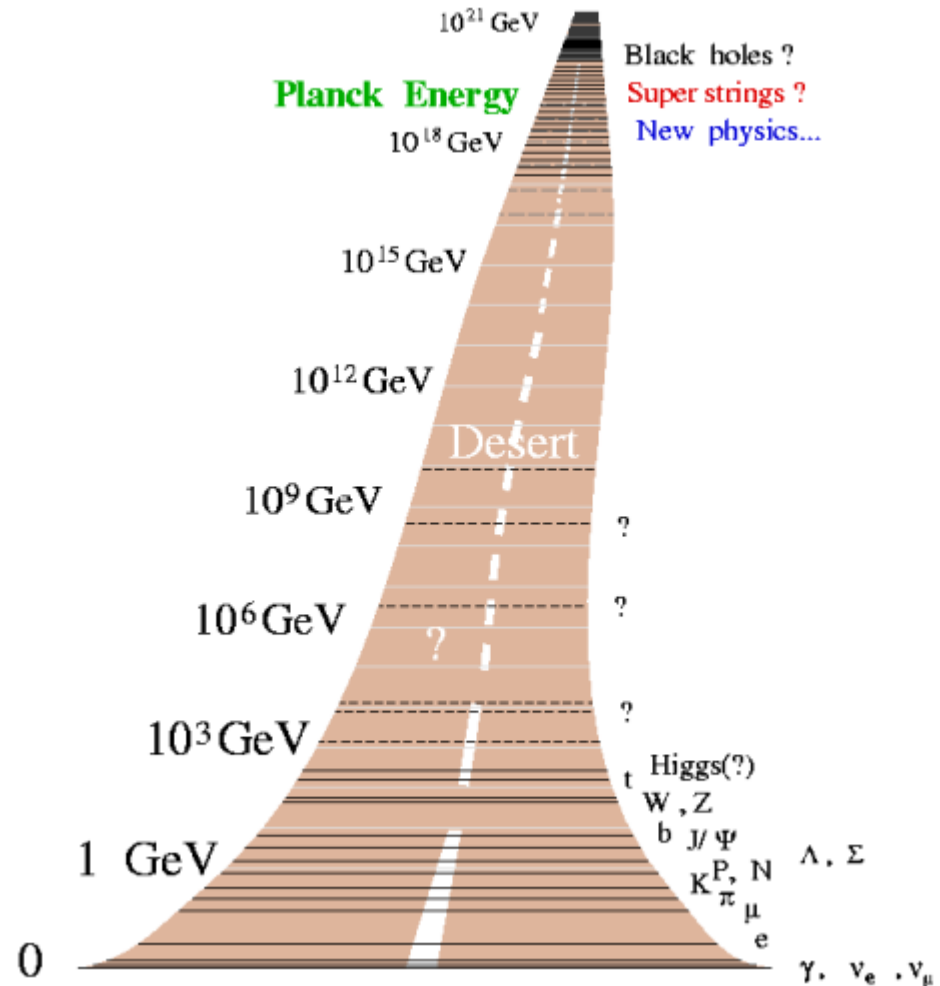
The Standard Model



- The Higgs gives mass to known elementary particles and is THE window to new physics (triviality/stability, unitarity)

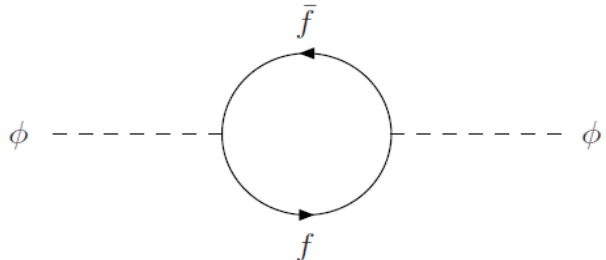
Hierarchies, Naturalness & Fine-tuning

- Are these hierarchies generated by some mechanism? e.g. Λ_{QCD}
- Natural parameters are insensitive to short range physics; fine-tuned parameters are not $O(1)$. e.g. m_b and m_e vs. m_H
- "Gauge hierarchy problem"



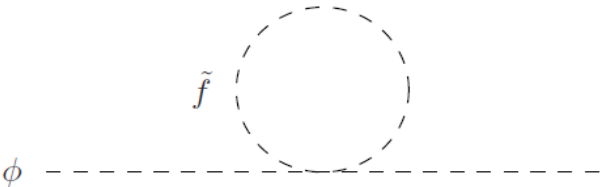
Supersymmetry

- In SUSY theories a small Higgs mass is natural



A Feynman diagram showing a fermion loop. Two external dashed lines labeled ϕ are connected to a circular loop. The top part of the loop has an arrow pointing right and is labeled \bar{f} . The bottom part has an arrow pointing right and is labeled f .

$$= -2N(f)\lambda_f^2 \int \frac{d^4k}{(2\pi)^4} \frac{k^2 + m_f^2}{(k^2 - m_f^2)^2} + \dots$$

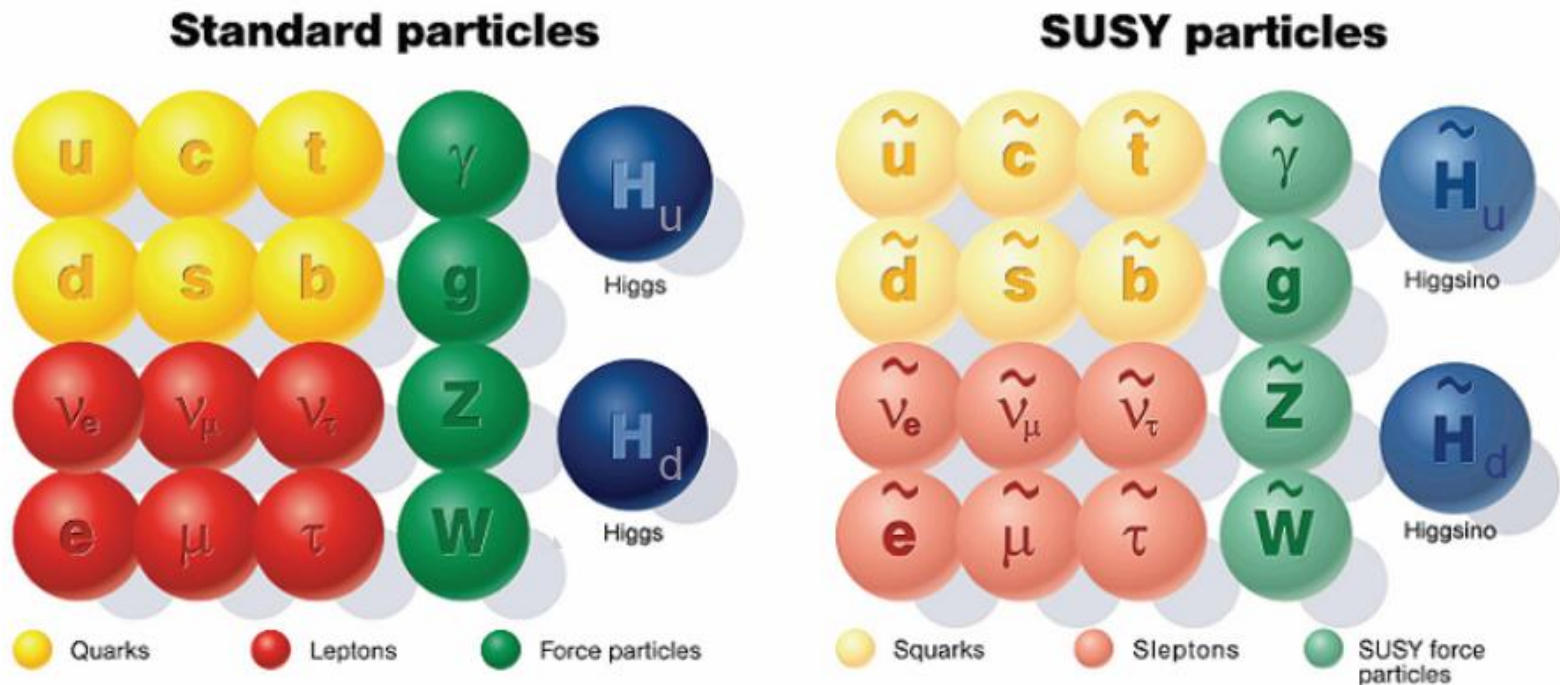


A Feynman diagram showing a scalar loop. A single external dashed line labeled ϕ is connected to a circular loop. The loop is dashed and labeled \tilde{f} at its top.

$$= -\tilde{\lambda}_f N(\tilde{f}) \int \frac{d^4k}{(2\pi)^4} \frac{2}{k^2 - m_{\tilde{f}}^2} + \dots$$

$$N(\tilde{f}) = N(f), \quad \lambda_f^2 = -\tilde{\lambda}_f \quad \Rightarrow \quad \text{No quadratic mass correction}$$

Minimal Supersymmetric Standard Model



$$\mathcal{L}_{MSSM} = \mathcal{L}_{SUSY} + \mathcal{L}_{soft}$$

- Fine-tuned μ

Minimal Walking Technicolor

(F. Sannino, K. Tuominen: hep-ph/0405209)

- Could the Higgs be composite, like in the Ginzburg-Landau model of superconductivity or the sigma model of chiral symmetry breaking?

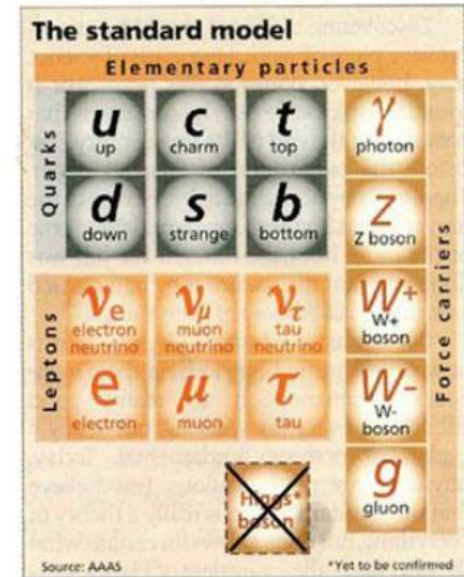
$$\mathcal{L}_H = -\frac{1}{4} \mathcal{F}_{\mu\nu}^a \mathcal{F}^{a\mu\nu} + i\bar{Q}_L \not{D} Q_L + i\bar{U}_R \not{D} U_R + i\bar{D}_R \not{D} D_R$$

where $Q_L^a = \begin{pmatrix} U^a \\ D^a \end{pmatrix}$, U_R^a, D_R^a , $a = 1, 2, 3 \in \text{TC}$

- Solves the gauge hierarchy problem

- EWSB:

$$\langle \bar{U}_R U_L + \bar{D}_R D_L \rangle \neq 0$$



U(1)

SU(2)

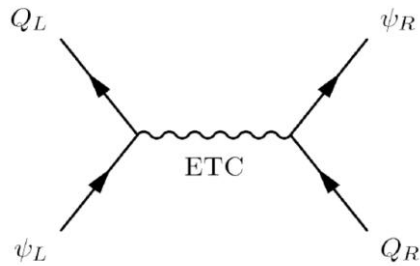
SU(3)



SU(2)



Extended Technicolor



$$G_{ETC} \xrightarrow{\Lambda_{ETC}} SU(2)_{TC} \otimes SU(3)_c \otimes SU(2)_L \otimes U(1)_Y$$

- A full ETC model would explain all flavor physics...
- Need walking:

$$\begin{aligned}
 \text{fcnc} &\propto \frac{1}{\Lambda_{ETC}^2} & m_q &\propto \frac{\langle \bar{Q}Q \rangle_{ETC}}{\Lambda_{ETC}^2} & \langle \bar{Q}Q \rangle_{ETC} &\stackrel{\text{QCD-like}}{\sim} \log \frac{\Lambda_{ETC}}{\Lambda_{TC}} \langle \bar{Q}Q \rangle_{TC} \\
 \langle \bar{Q}Q \rangle_{TC} &\sim v_w^3 & S_{naive} &= N_D \frac{d(R_{TC})}{6\pi} & &\stackrel{\text{walking}}{\sim} \left(\frac{\Lambda_{ETC}}{\Lambda_{TC}} \right)^{\gamma^*} \langle \bar{Q}Q \rangle_{TC}
 \end{aligned}$$

- Minimal Working Technicolor: small $S=1/6\pi$ with walking behavior!

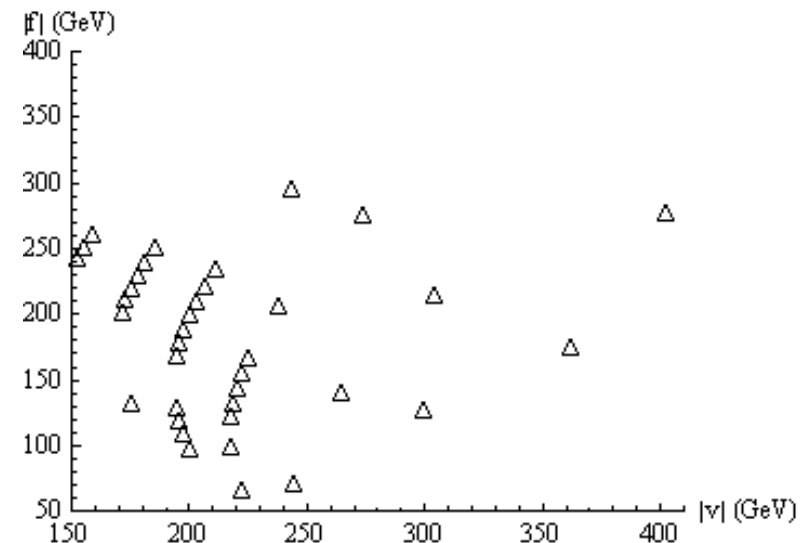
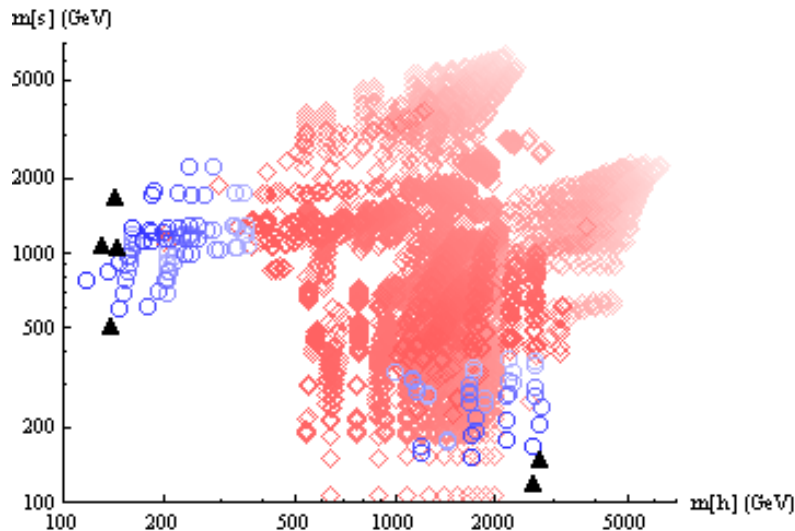
Bosonic Technicolor Models

- Technicolor with fundamental scalars (Pioneers E. H. Simmons, A. Kagan and S. Samuel, C. D. Carone and H. Georgi)
- Offers a calculable approach with fermion masses

$$\mathcal{L}_{UTC} = \mathcal{L}_{SM} \Big|_{Higgs=0} + \mathcal{L}_{TC} + \mathcal{L}_{Higgs} + \mathcal{L}_{Yukawa}$$

- Yukawa term tilts potential of scalar when technifermions condense
 - Schematically: $yh\bar{Q}Q \longrightarrow yh\Lambda^3$
 - Fermion masses even with large positive Higgs mass!

- We found this type of model is still viable (M. Antola, M. Heikinheimo, F. Sannino, K. Tuominen. arXiv:0910.3681v1)
- Contribution from two scalar fields to S and T minimized when one is SM-like, the other heavy
- Both scalars can have a large vev ($\sim v_{\text{weak}}$) because of kinetic mixing



Origin of Mass

- We want a natural theory to describe origin of all mass, hopefully also dark matter
- The origin of mass of fermions and gauge bosons is probably intertwined. Can we unify various approaches and let nature choose?

Supersymmetric Technicolor!

(Dine, Fischler and Srednicki, 81; Dimopoulos and Raby, 81)

Minimal superpartners

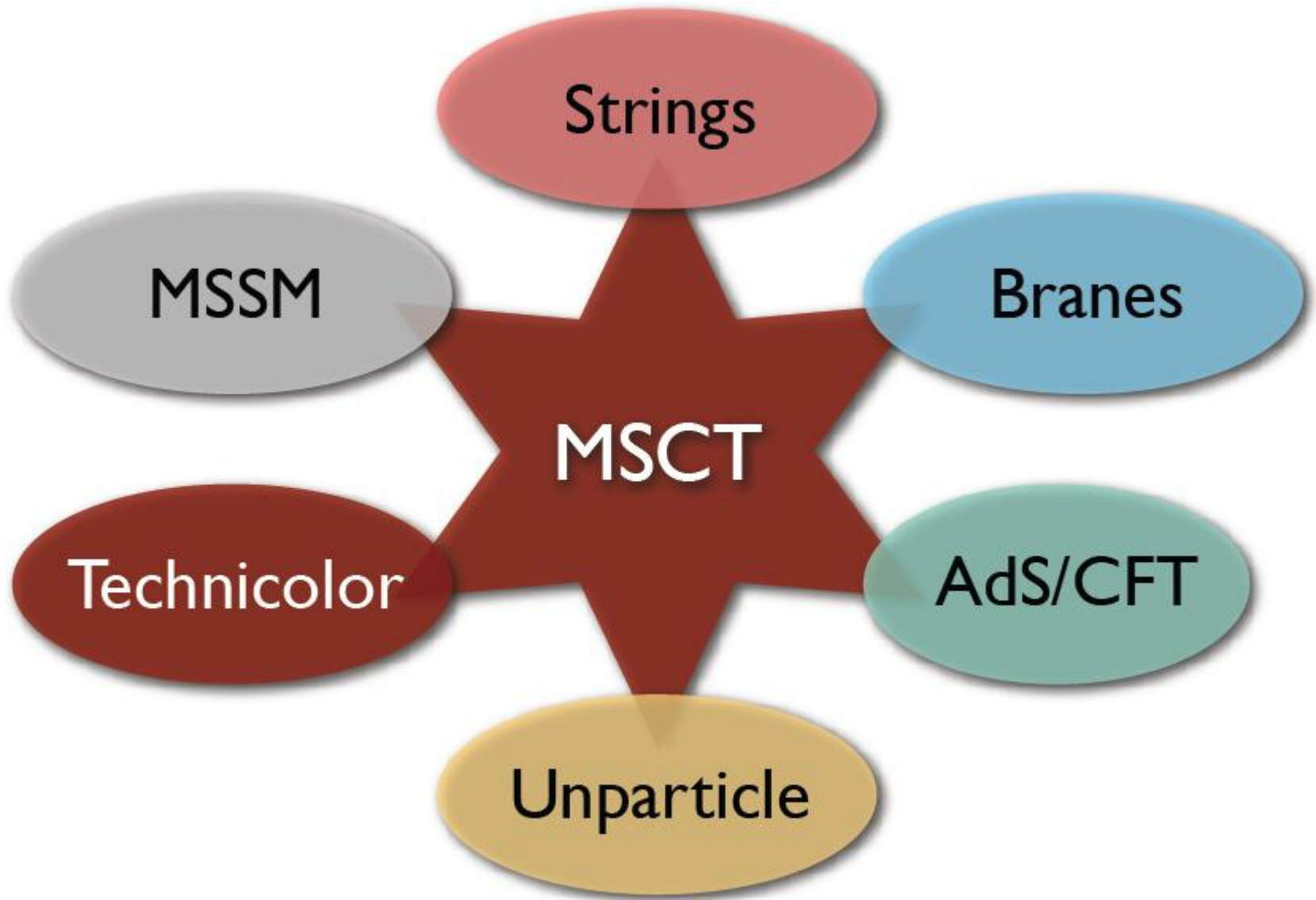
MWT	Minimal S-partners	N=1 Multiplets	N=4
G_μ	G_μ	V	
\bar{D}_R	\bar{D}_R		V
\bar{U}_R	$\bar{U}_R \quad \tilde{U}_R$	Φ_3	Φ_3
U_L	$U_L \quad \tilde{U}_L$	Φ_1	Φ_1
D_L	$D_L \quad \tilde{D}_L$	Φ_2	Φ_2

- The chiral symmetry of MWT is the R-symmetry $SU(4)_R$
- $SU(2)_L$ and $SU(2)_R$ are on unequal footing

	Superfield	$SU(2)_{TC}$	$SU(3)_c$	$SU(2)_L$	$U(1)_Y$
$\mathcal{N} = 4$	Φ_L	Adj	1	\square	1/2
	Φ_3	Adj	1	1	-1
	V	Adj	1	1	0
Lepton Family 4 th	Λ_L	1	1	\square	-3/2
	N	1	1	1	1
	E	1	1	1	2
	H	1	1	\square	1/2
	H'	1	1	\square	-1/2

$$P_{TC} = -\frac{y_{TC}}{\sqrt{2}} \epsilon^{abc} \Phi_L^a \cdot \Phi_L^b \Phi_3^c + y_U \Phi_L^a \cdot H \Phi_3^a + y_R \Phi_3^a \Phi_3^a E + y_N \Lambda_L \cdot H N + y_E \Lambda_L \cdot H' E$$

- The $\mathcal{N}=4$ limit is infrared attractive $y_{TC} = g_{TC}$



The Playground

- Perturbative technicolor coupling at the EW scale → see next talk by Di Chiara
 - Technisquarks must gain a vev since the spectrum is unseen to date
- Strong technicolor coupling at the EW scale → unparticles
- Strong coupling and techniscalars decoupled → bosonic TC
 - Can interpolate between different explanations of the EWSB scale: chiral symmetry breaking in the technicolor sector or the mechanisms of usual MSSM (maybe radiative EWSB)

Summary

- Introduced MSCT: a $N=1$ SUSY theory with approximate $N=4$ supersymmetry
- MSCT extends MWT with a natural theory of flavor (ETC), but the price is soft SUSY breaking
- MSCT looks very different at the LHC depending on the gauge coupling and SUSY breaking scale

Thank you!