Flavor symmetry combined with spontaneous CP breaking to suppress FCNCs and CP violations

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based on:

Babu and JK, PRD71, 056006 (2005); Itou, Kajiyama and JK, NPB743, 74 (2006); Kifune, JK and Lenz, PRD77, 076010 (2008); Araki and JK, IJMod.A24, 5831 (2009); Kawashima, JK and Lenz, PLB681,60 (2009); JK and Lenz, arXiv:1007.0680; Babu and JK, to appear The minimality of the Higgs sector does not help to suppress FCNCs and *CP*.

Mismatch between flavors Soft mass insertions





Each sector, except U, forms a family with parents + one child Accidental permutation symmetries of VHiggs

Vacuum I:
$$\langle H_1^{u,d} \rangle = \langle H_2^{u,d} \rangle \dots$$

Vacuum II: $\langle H_1^{u,d} \rangle = \langle H_2^{u,d} \rangle^* \quad \dots$

Two minima are physically different.

9 theory parameters for6 quark masses and 4 CKM parameters.

One sum rule among them







using HPQCD mq with 2 sigma





Prediction in

$$i\frac{d}{dt} \left(\begin{array}{c} |B_q^0(t) > \\ |\bar{B}_q^0(t) > \end{array} \right) = (\mathbf{M} - i\mathbf{\Gamma}) \left(\begin{array}{c} |B_q^0(t) > \\ |\bar{B}_q^0(t) > \end{array} \right) \quad q = d, s$$

Lenz-Nierste parameterization

$$M_{12}^q = M_{12}^{SM,q} \cdot \Delta_q \qquad \Delta_q = |\Delta_q| e^{i\phi_q^{\Delta}}$$

$$\Gamma_{12}^q = \Gamma_{12}^{SM,q} \qquad \phi_q = \arg\left(-M_{12}^q/\Gamma_{12}^q\right)$$

Master equations for observables

$$\Delta M_q = 2|M_{12}^{SM,q}| \cdot |\Delta_q|, \ \Delta \Gamma_q = 2|\Gamma_{12}^q| \cos\left(\phi_q^{SM} + \phi_q^{\Delta}\right)$$
$$a_{sl}^q = \frac{|\Gamma_{12}^q|}{|M_{12}^{SM,q}|} \cdot \frac{\sin\left(\phi_q^{SM} + \phi_q^{\Delta}\right)}{|\Delta_q|}$$





















Conclusion

*Flavor symmetry with spontaneous CP can nicely suppress FCNCs and CP in SUSY models.

 μ : small to suppress EDMs M_H : large to suppress FCNC

Large SUSY breaking in the extra Higgs sector

* Large loop effects to large CP in the B mixing

Danke Schön





$$\frac{\mathrm{Im}(\delta_{11}^d)_{LR} = 3.7}{\mathrm{Im}(\delta_{11}^u)_{LR} = 1.3} \times 10^{-6} \times \left[\frac{0.5 \text{ TeV}}{m_{\tilde{d}}}\right]^2$$

$$\begin{array}{c} 0.6\\ 0.8 \end{array} \right\} < \frac{\Delta M_{d,s}}{\Delta M_{d,s}^{\exp}} < \begin{cases} 1.4\\ 1.2 \end{cases}, \frac{2|M_{12}^{SUSY,K}|}{\Delta M_{K}^{\exp}} < \begin{cases} 2 & I\\ 1 & II \end{cases}$$

$$\frac{\mathrm{Im}M_{12}^{SUSY,K}}{\sqrt{2}\Delta M_K^{\mathrm{exp}}} < \epsilon_K = 2.2 \times 10^{-3} ,$$

$$\frac{1}{Neutrino\ sector:} = 0.4 = 0.5 = 0.6 = 0.7$$

$$Neutrino\ sector: = |\sin \delta_{CP}|$$
1. Inverted neutrino mass spectrum, i.e., $m_{\nu_3} < m_{\nu_1}, m_{\nu_2}$
2. $m_{\nu_2}^2 / \Delta m_{23}^2 = \frac{(1+2t_{12}^2+t_{12}^4-rt_{12}^4)^2}{4t_{12}^2(1+t_{12}^2-rt_{12}^2)\cos^2\phi_{\nu}} - \tan^2\phi_{\nu}$
 $(r = \Delta m_{21}^2 / \Delta m_{23}^2, \ t_{12} = \tan \theta_{12})$
3. $\sin^2 \theta_{13} = \frac{1}{2}(m_e/m_{\mu})^2 \simeq 10^{-6}$
 $\sin^2 \theta_{23} = \frac{1}{2} + O((m_e/m_{\mu})^2)$
Violation of $\mu - \tau$ symmetry

Almost maximal mixing of the atm. neutrinos

